

CONTROL OF HOLE SPIN IN LATERAL GATED QUANTUM DOT DEVICES

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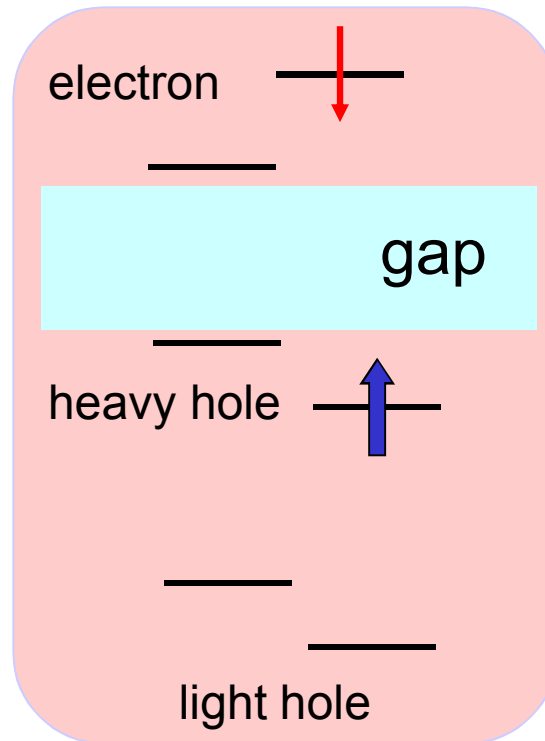
1. Motivation: Photon - to - spin interface
2. Holes in semiconductors: a brief reminder
3. Heavy-hole single-subband regime:
Anisotropic g factor, spin-orbit interactions
4. Single hole in a gated double dot:
Coherent spin-flip tunneling – theory and experiment
5. Two holes in a double dot: Lifting of Pauli blockade,
strong g-factor anisotropy

Photon – to – spin interface

Photon

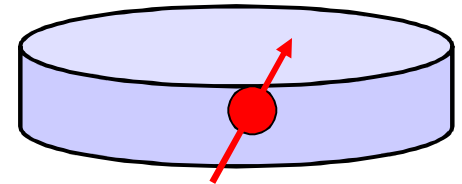


$$|\Psi\rangle = \alpha|\sigma^+\rangle + \beta|\sigma^-\rangle$$



Intermediate
e-h pair state

Confined
carrier

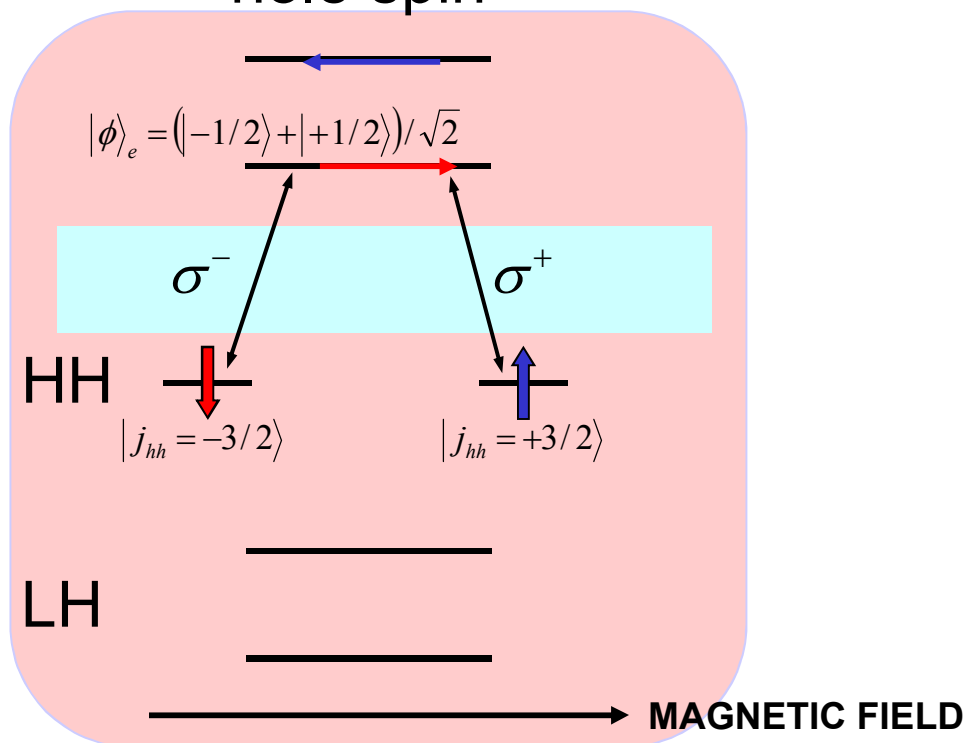


$$|\Psi\rangle = \alpha|\uparrow\rangle + \beta|\downarrow\rangle$$

PHOTON-TO-SPIN PROCESS

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Transfer to
hole spin



$$|\Psi\rangle = \alpha|\sigma^+\rangle + \beta|\sigma^-\rangle$$

Optical
selection rules

$$|\Psi\rangle = |\phi\rangle_e \otimes (\alpha|\uparrow\rangle_{HH} + \beta|\downarrow\rangle_{HH})$$

Electron ejected

Superposition e-h state built on one electron orbital

Finite electron g-factor, but zero hole g-factor

NRC · CNRC

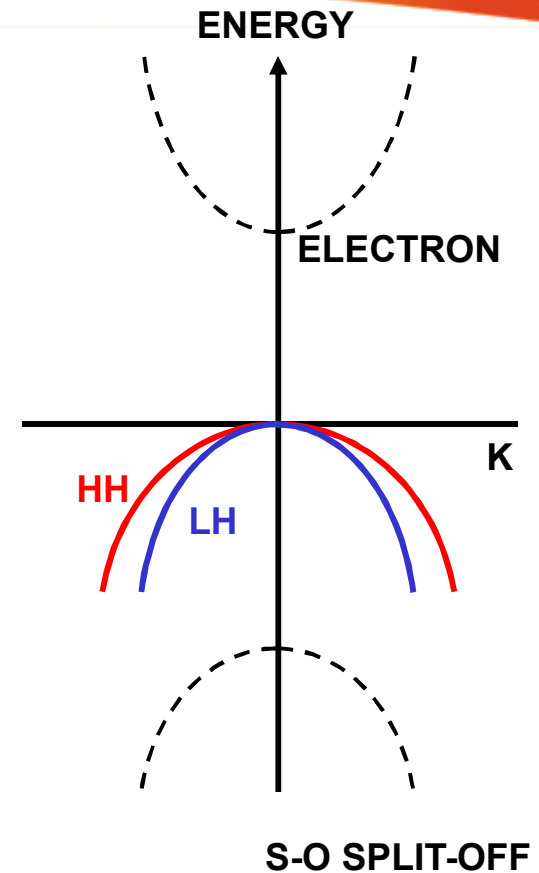
1. Direct bandgap of the material -
we focus on GaAs devices
2. Fast, possibly electrostatic control of spin
3. Zero g factor easily achievable
4. Long spin coherence times

HEAVY HOLES IN BULK

$$H_{LK} = \begin{bmatrix} P_+ & 0 & S & R \\ 0 & P_+ & R & -S \\ S^* & R^* & P_- & 0 \\ R^* & -S^* & 0 & P_- \end{bmatrix} \begin{array}{l} |HH, \downarrow (-3/2)\rangle \\ |HH, \uparrow (+3/2)\rangle \\ |LH, \downarrow (-1/2)\rangle \\ |LH, \uparrow (+1/2)\rangle \end{array}$$

P_+ : HEAVY-HOLE KINETIC ENERGY

P_- : LIGHT-HOLE KINETIC ENERGY



HHs not coupled directly

Heavy hole spin “up” is **not** coupled directly to heavy hole spin “down”

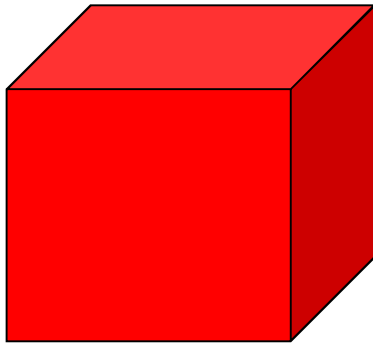
- Not by kinetic tensor elements
- Not by the Dresselhaus or Rashba spin-orbit interaction
- Not by the Zeeman term, even for the in-plane magnetic field

Any heavy-hole spin flip has to be mediated by the light-hole subband

HEAVY HOLES IN QUANTUM WELLS

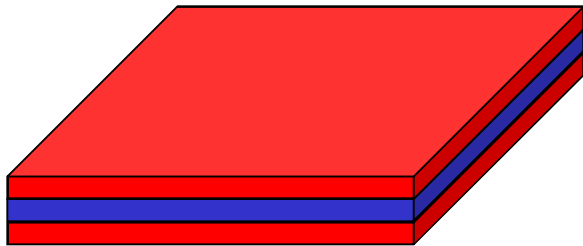
8

In bulk: HH and LH close in energy



$$H = \begin{bmatrix} P_+ & 0 & S & R \\ 0 & P_+ & R & -S \\ S^* & R^* & P_- & 0 \\ R^* & -S^* & 0 & P_- \end{bmatrix}$$

In quantum wells:
HH and LH separated by a gap



$$H = \begin{bmatrix} P_+ & 0 & S & R \\ 0 & P_+ & R & -S \\ S^* & R^* & \Delta E_{HL} + P_- & 0 \\ R^* & -S^* & 0 & \Delta E_{HL} + P_- \end{bmatrix}$$

Large heavy–light hole gap
(quantum wells, flat quantum dots)
- perturbative regime

 $|HH, \downarrow\rangle$
 $|HH, \uparrow\rangle$

$$H = \begin{bmatrix} \frac{1}{2m_{HH}^*} \hat{P}^2 + V(x, y) - \frac{1}{2} g^* \mu_B B_z & 0 \\ 0 & \frac{1}{2m_{HH}^*} \hat{P}^2 + V(x, y) + \frac{1}{2} g^* \mu_B B_z \end{bmatrix}$$

$$+ \frac{3\gamma_{23}}{\Delta_{hl}} \frac{\hbar^2 \langle k_z^2 \rangle}{2m_0} \beta \begin{bmatrix} 0 & K_+ K_- K_+ \\ K_- K_+ K_- & 0 \end{bmatrix} - i \frac{3\gamma_{23}}{\Delta_{hl}} \frac{\hbar^2 E_z}{2m_0} \alpha_R \begin{bmatrix} 0 & -(K_+)^3 \\ (K_-)^3 & 0 \end{bmatrix}$$

HEAVY HOLES IN QUANTUM WELLS ¹⁰

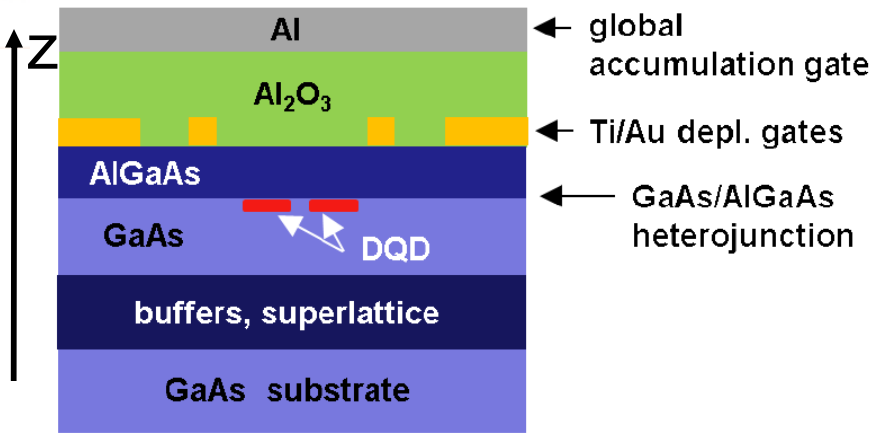
Large heavy–light hole gap
(quantum wells, flat quantum dots)
- perturbative regime

Extreme anisotropy of the heavy-hole g-factor:
- zero for the magnetic field in-plane
- nonzero for the field in the growth direction

Spin-orbit interactions cause heavy-hole spin flips
Matrix element $\sim K^3$ (spin rotation as HH moves)

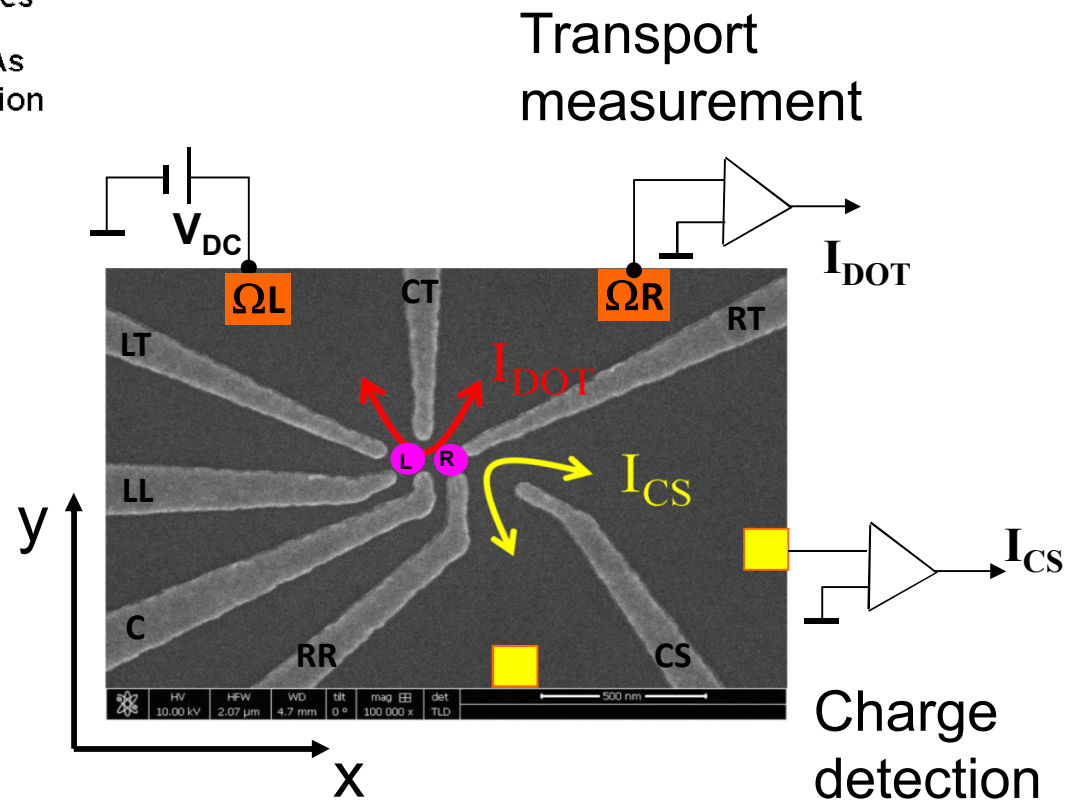
GATED LATERAL DOUBLE QDOT

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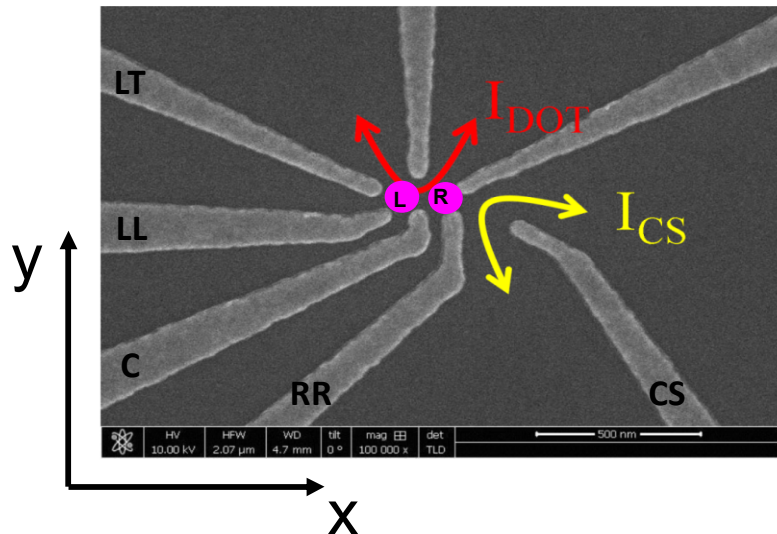


Strong confinement
in the z direction

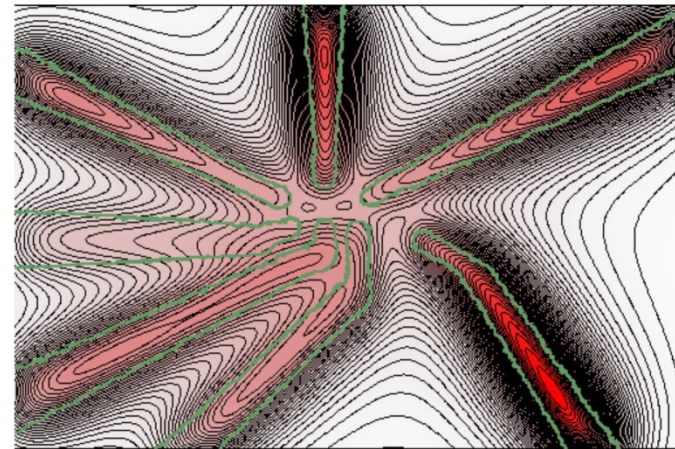
Defines heavy-hole
spin quantization axis



Gate layout



Calculated potential



Simulations:

Only heavy holes are confined laterally

Light hole states are not confined in dots

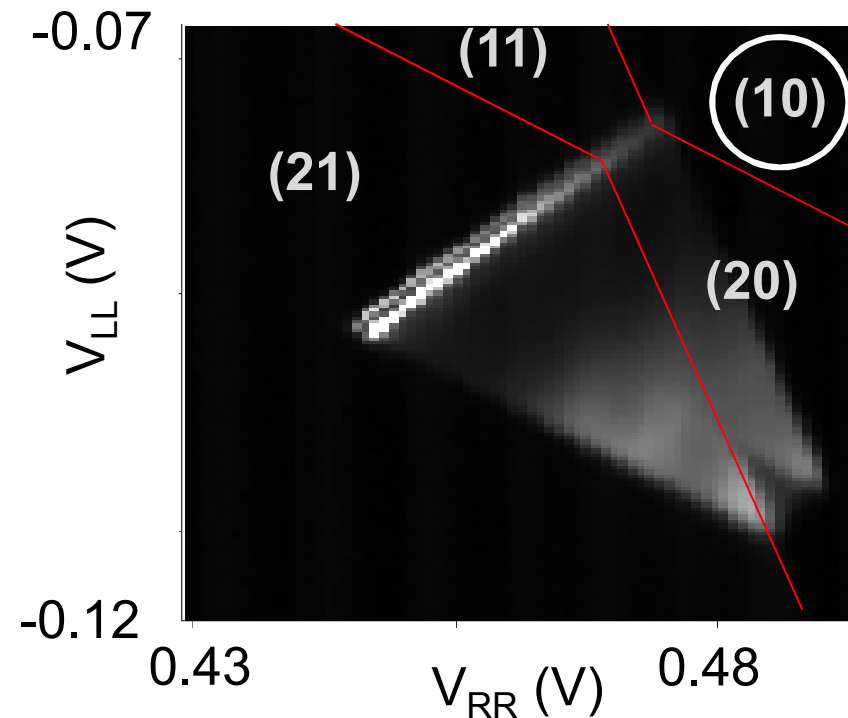
As a result, very weak HH-LH coupling expected in the dots

This is unlike in self-assembled dots or nanowires

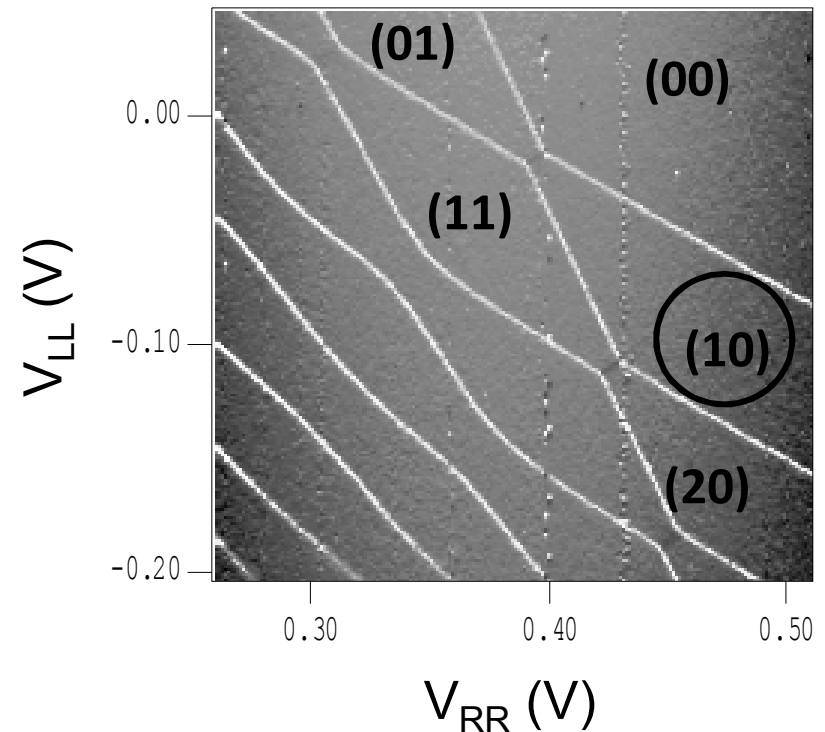
CHARGING DIAGRAMS

13

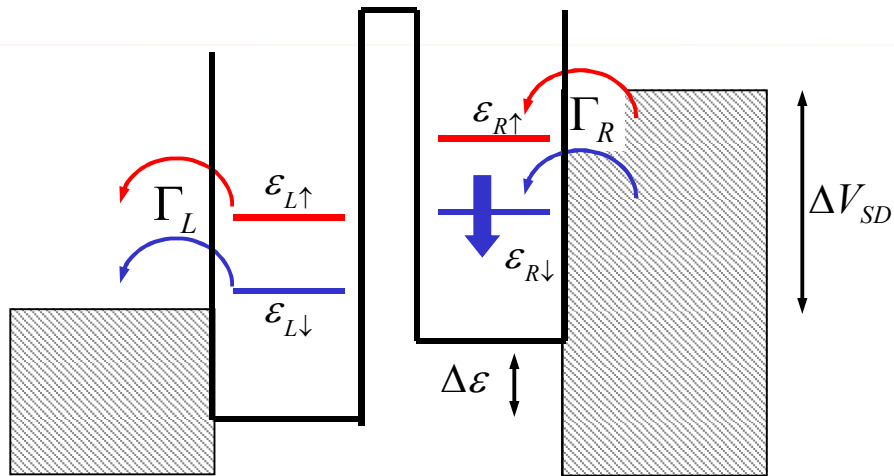
Transport measurement (I_{DOT})



Charge measurement (dI_{CS})



We can empty the double dot and readmit exactly one hole



We control the Zeeman splitting by the magnetic field

We control detuning by gates

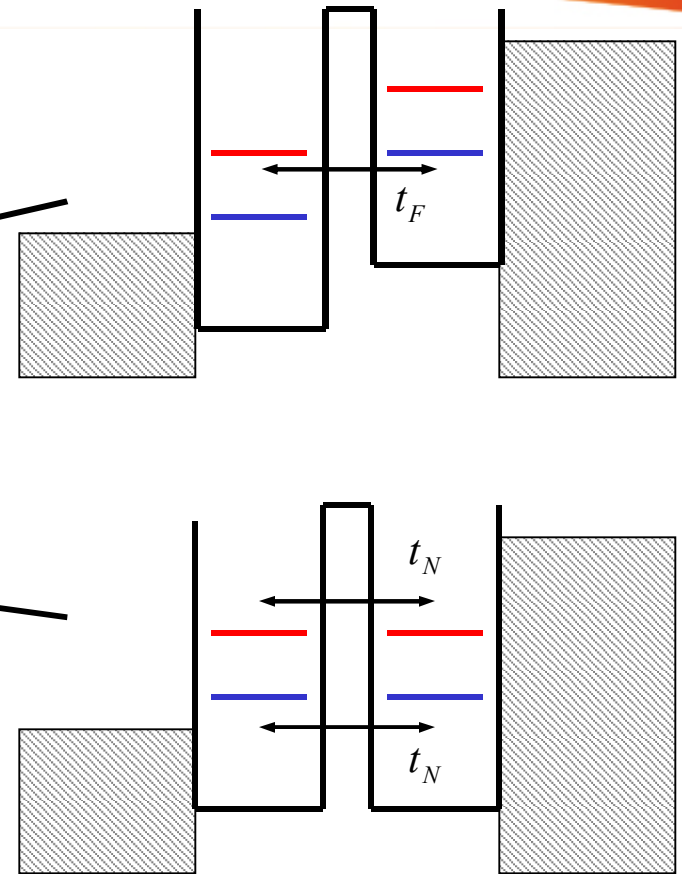
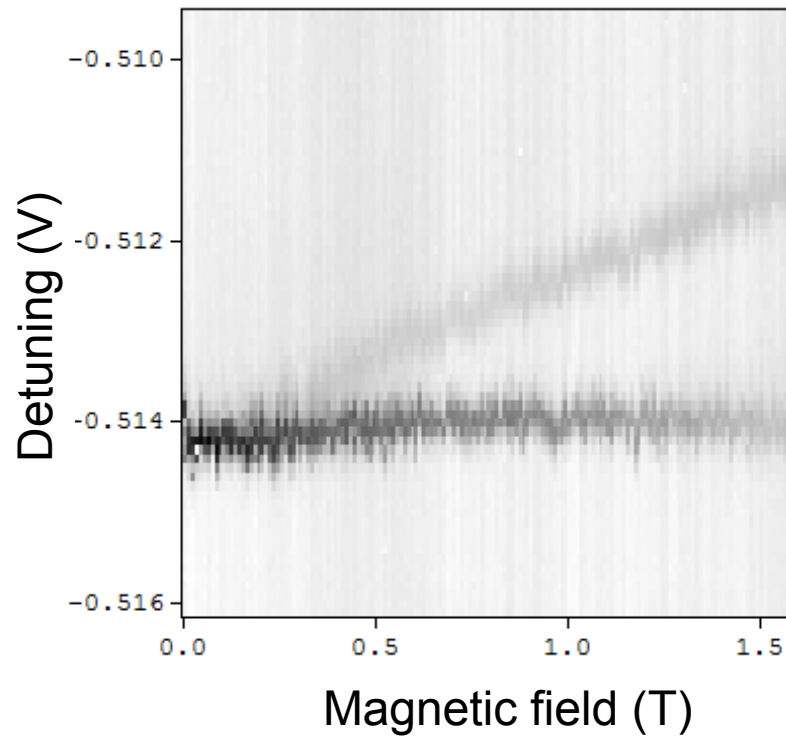
$$H = \begin{bmatrix} \varepsilon_{L\uparrow} & 0 & t_N & -i|t_F|e^{-i\phi} \\ & \varepsilon_{L\downarrow} & -i|t_F|e^{i\phi} & t_N \\ & & \varepsilon_{R\uparrow} & 0 \\ c.c. & & & \varepsilon_{R\downarrow} \end{bmatrix}$$

t_N spin-conserving tunneling

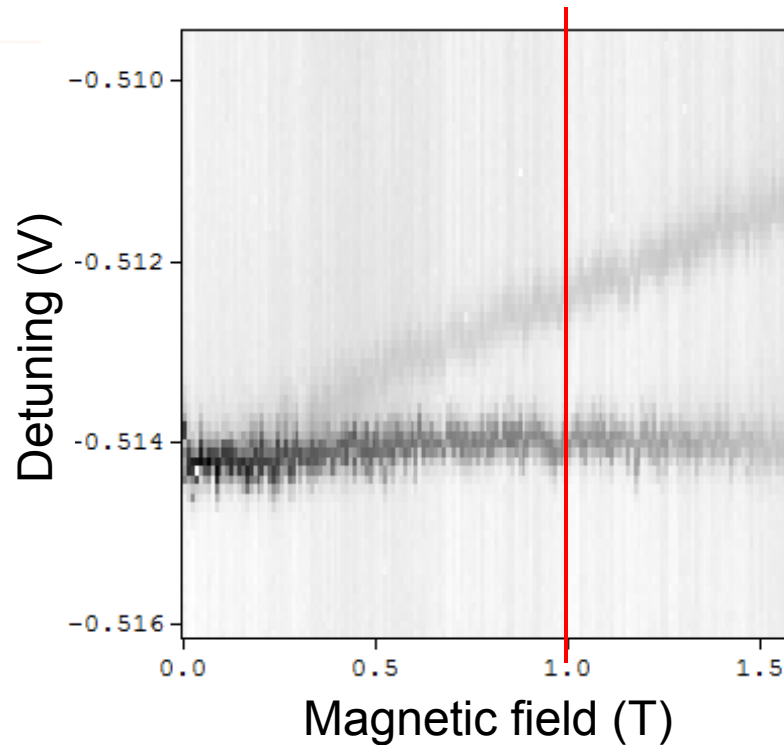
t_F spin-flip tunneling
Rashba+Dresselhaus

Hybrid spin-charge system

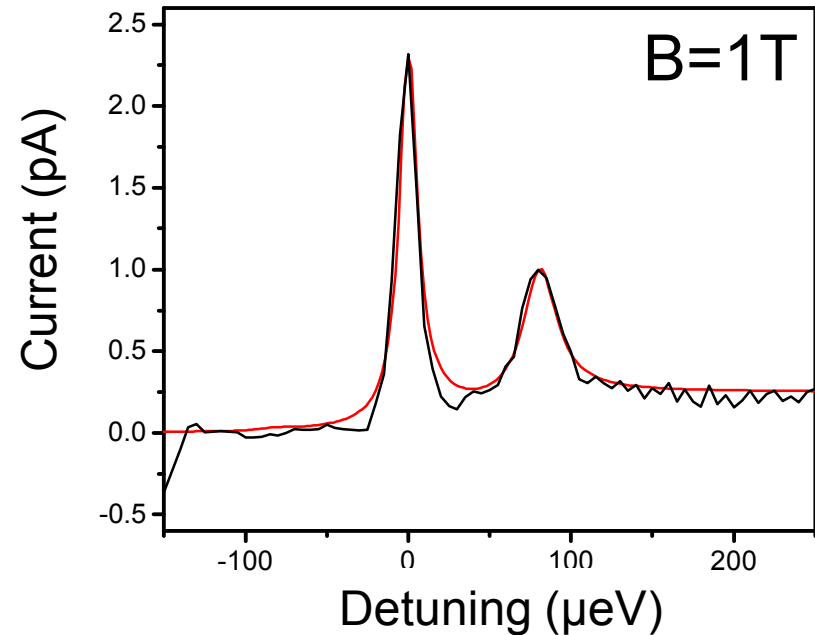
Measured
tunneling current



Both spin-conserving and spin-flip
resonances are strong

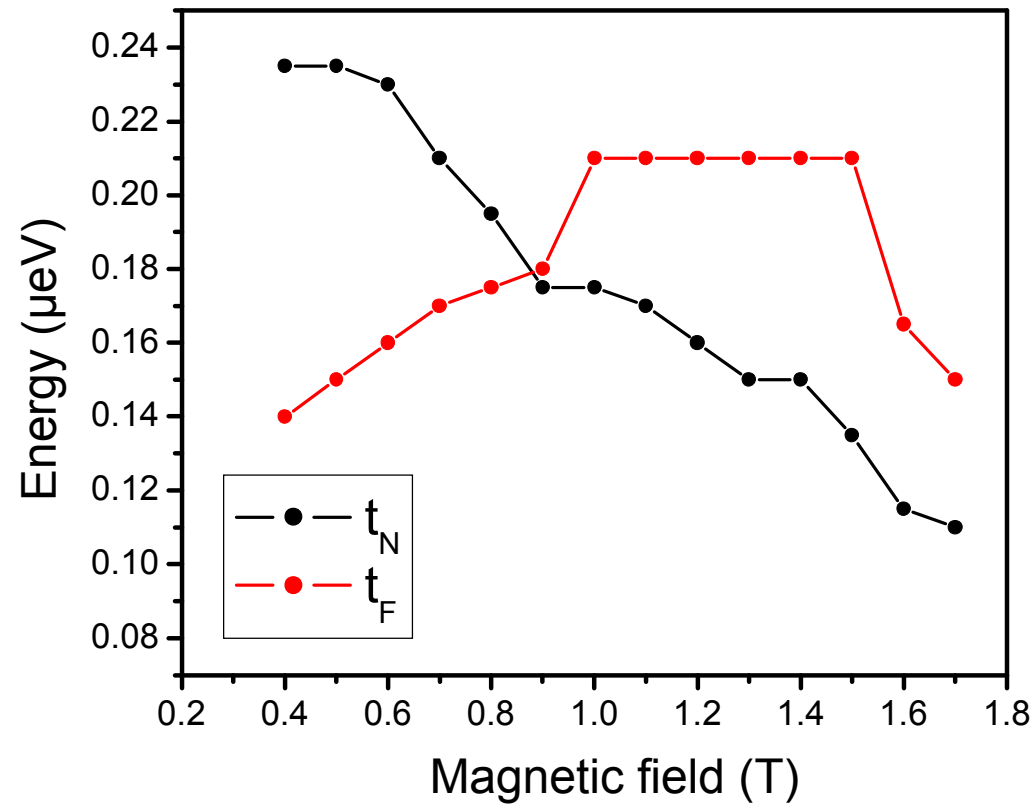
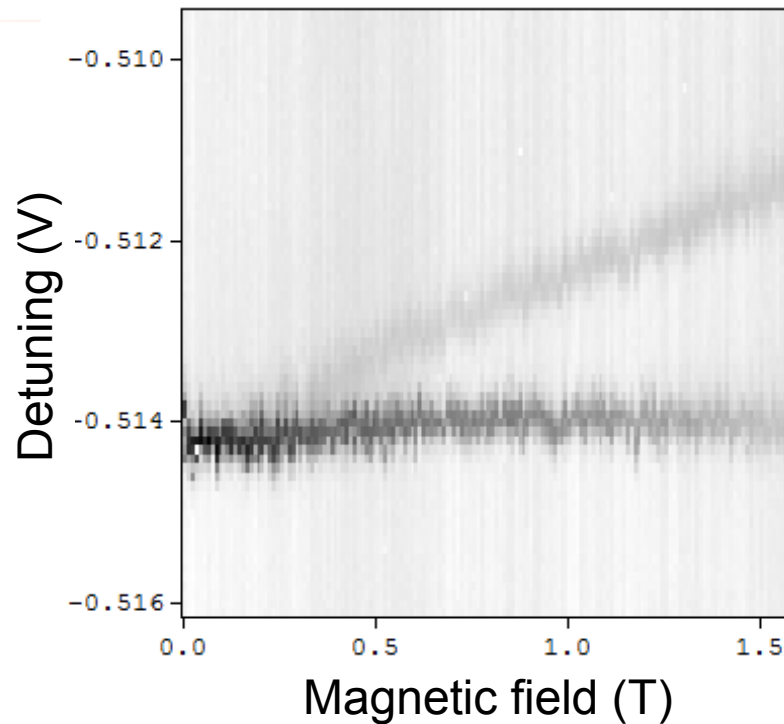


Extracted current trace



Black – measurement
Red – theoretical fit

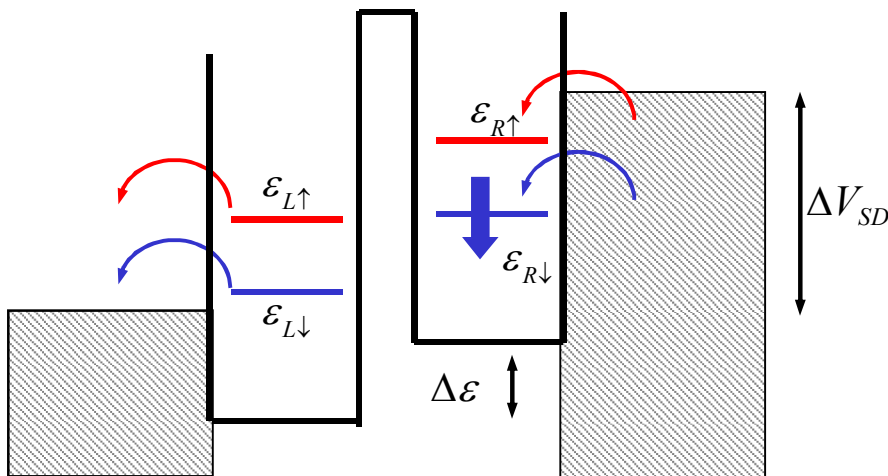
$$\frac{d}{dt} \hat{\rho}(t) = -i[\hat{H}, \hat{\rho}(t)] + \hat{\Gamma} \hat{\rho}(t)$$



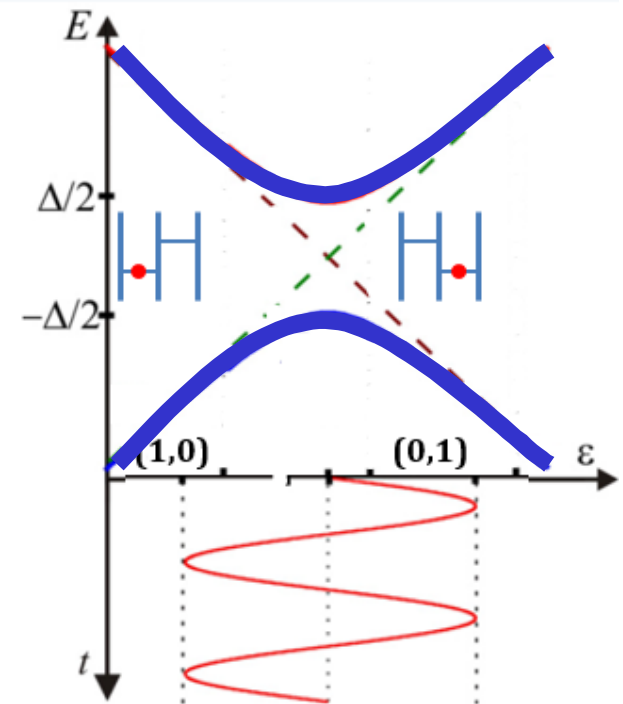
t_N and t_F of similar magnitude

$$t_N \sim \langle L \downarrow | V(x, y) | R \downarrow \rangle \quad t_F \sim \langle L \uparrow | K_x^3 | R \downarrow \rangle$$

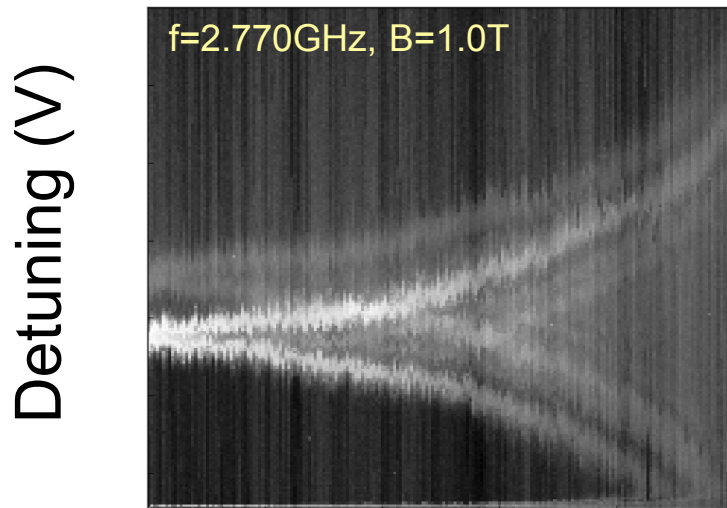
Probing the tunneling dynamics



$$\Delta\epsilon(t) = \Delta\epsilon_0 + V \sin \omega_{MW} t$$

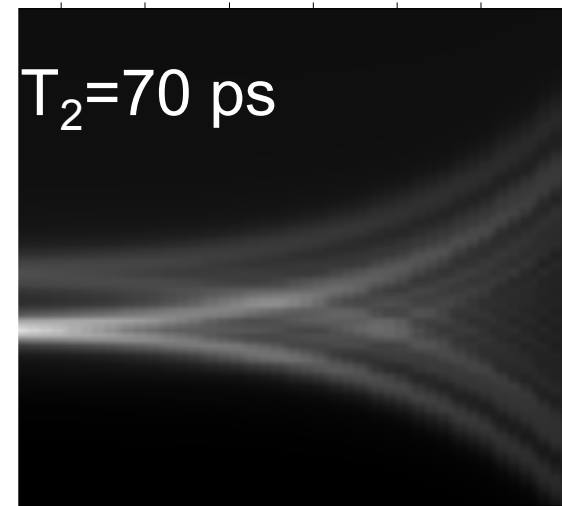


Measured



Log MW amplitude

Calculated



Log MW amplitude

Charge relaxation time: $T_1 \sim 2.5\text{ }\mu\text{s}$

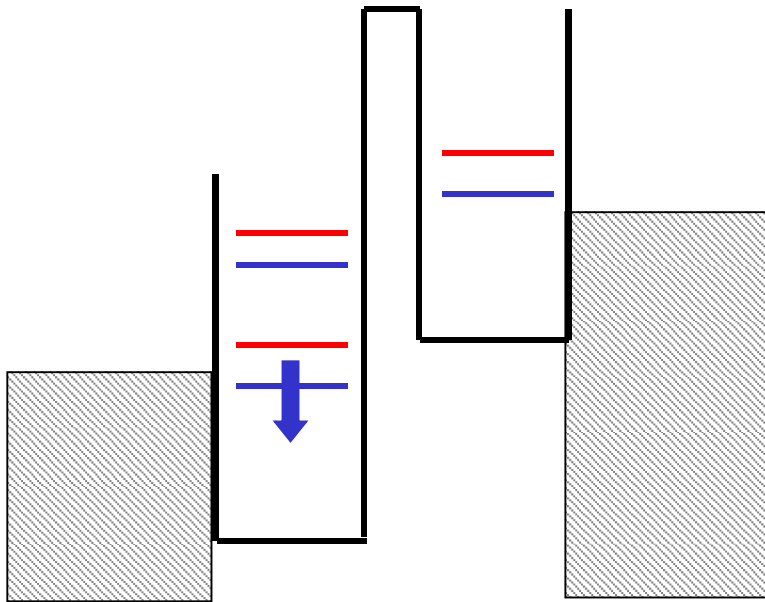
Spin relaxation time: $T_{1s} \sim 1\text{ }\mu\text{s}$

Now we explore the g-factor anisotropy

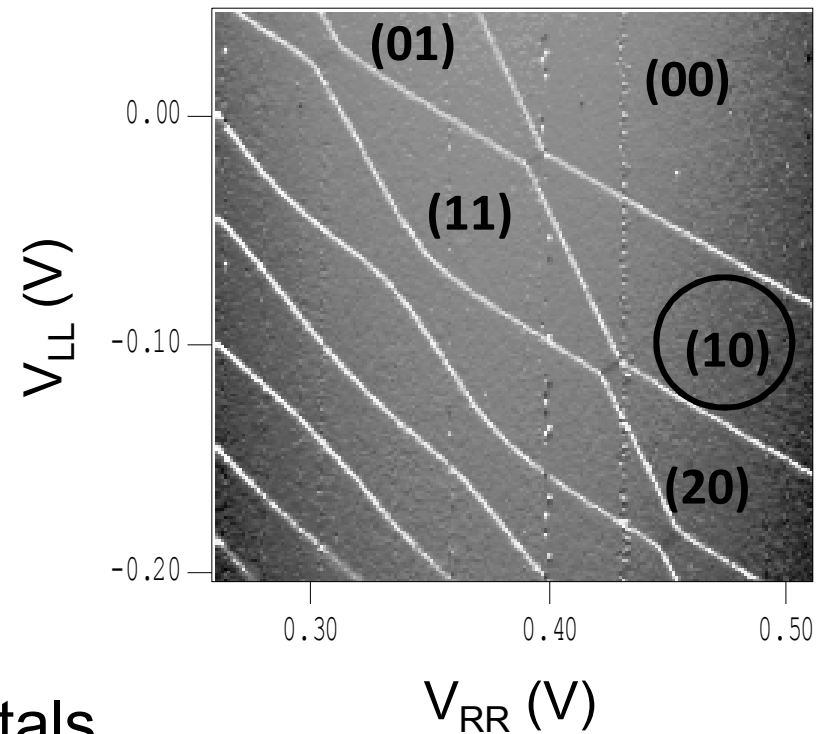
$$H = \begin{bmatrix} \frac{1}{2m_{HH}^*} \hat{P}^2 + V(x, y) - \frac{1}{2} g^* \mu_B B_z & 0 \\ 0 & \frac{1}{2m_{HH}^*} \hat{P}^2 + V(x, y) + \frac{1}{2} g^* \mu_B B_z \end{bmatrix}$$

$$+ \frac{3\gamma_{23}}{\Delta_{hl}} \frac{\hbar^2 \langle k_z^2 \rangle}{2m_0} \beta \begin{bmatrix} 0 & K_+ K_- K_+ \\ K_- K_+ K_- & 0 \end{bmatrix} - i \frac{3\gamma_{23}}{\Delta_{hl}} \frac{\hbar^2 E_z}{2m_0} \alpha_R \begin{bmatrix} 0 & -(K_+)^3 \\ (K_-)^3 & 0 \end{bmatrix}$$

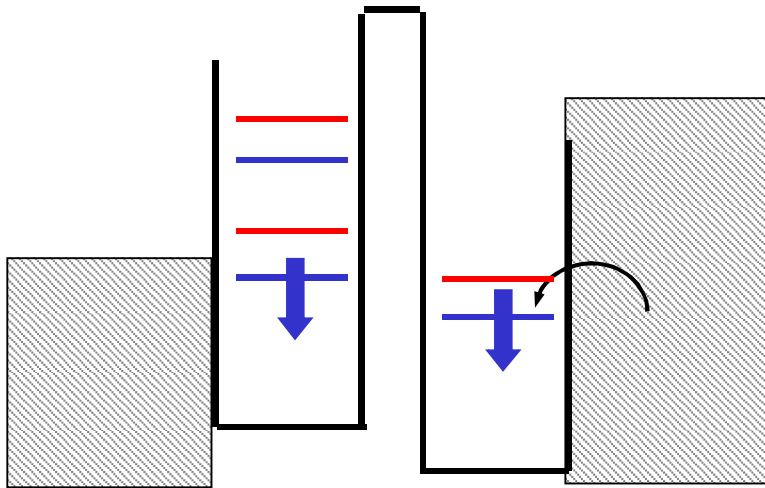
We start with configuration (10)



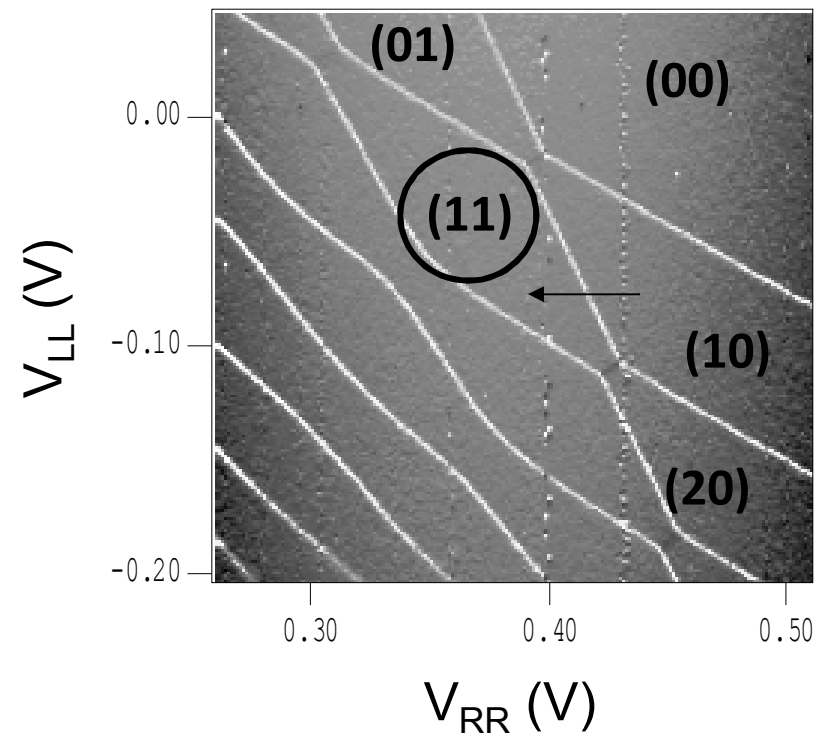
In the left-hand dot
we account for an extra pair of orbitals



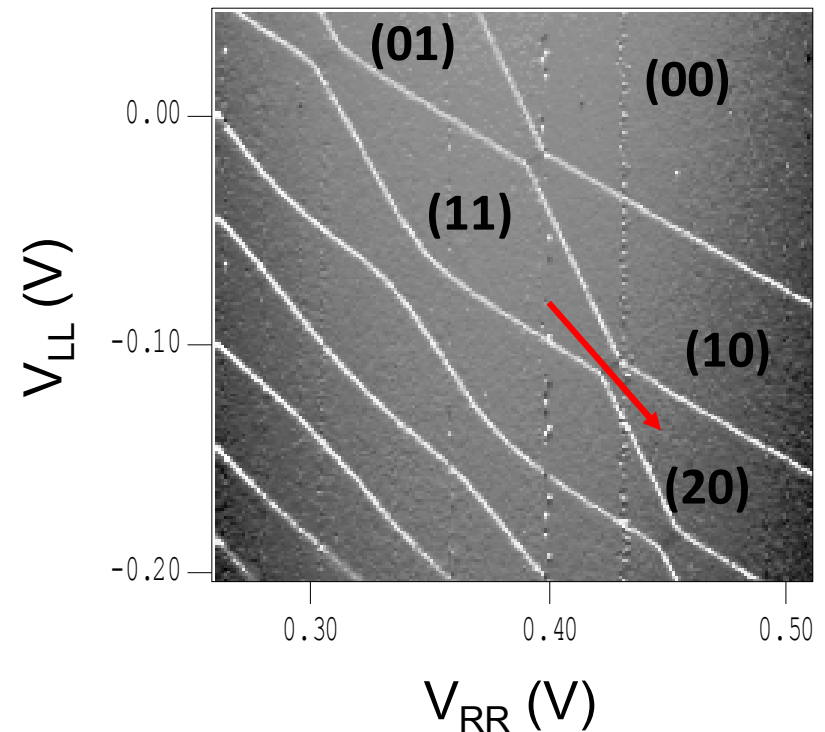
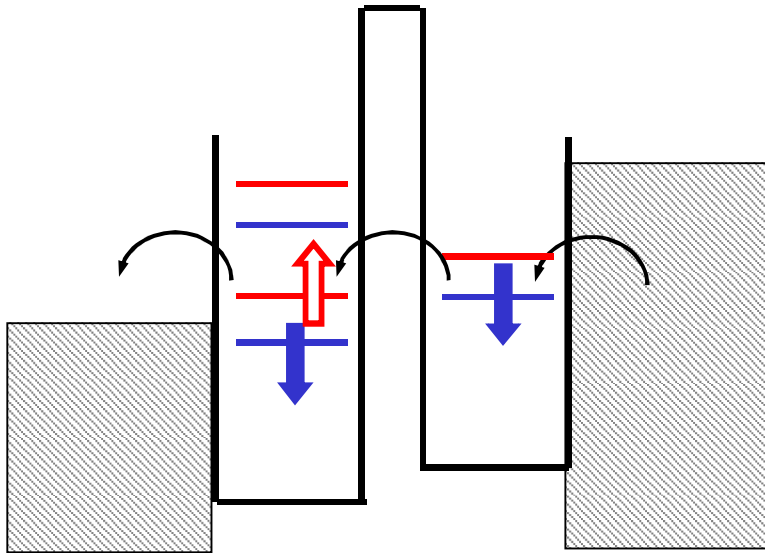
We admit one more hole creating (11)



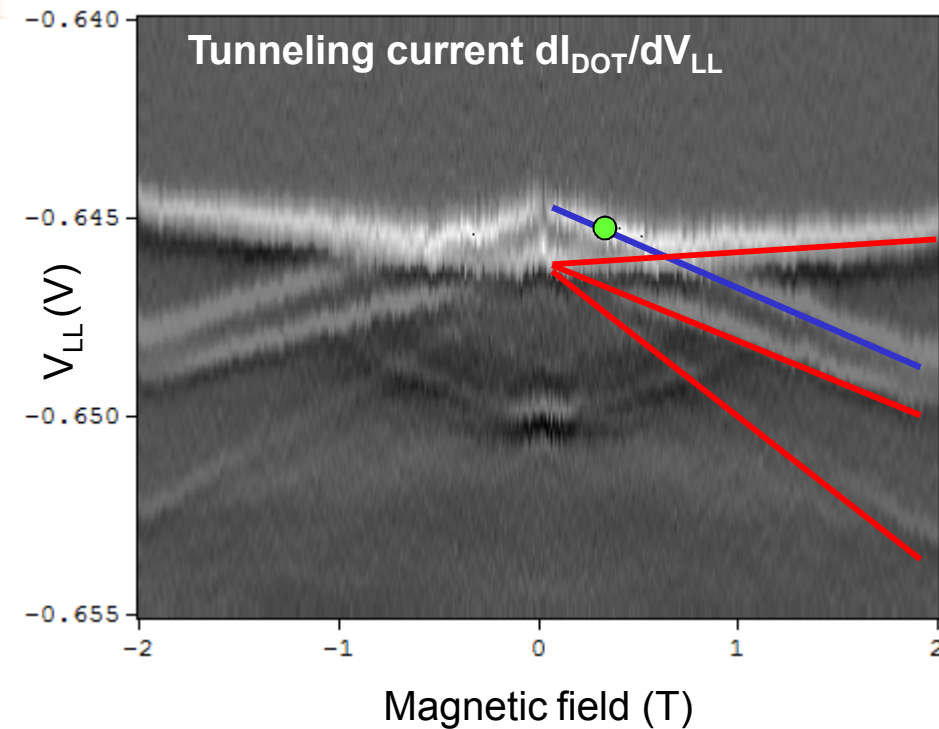
The two holes will relax
to the polarized triplet T-(11)



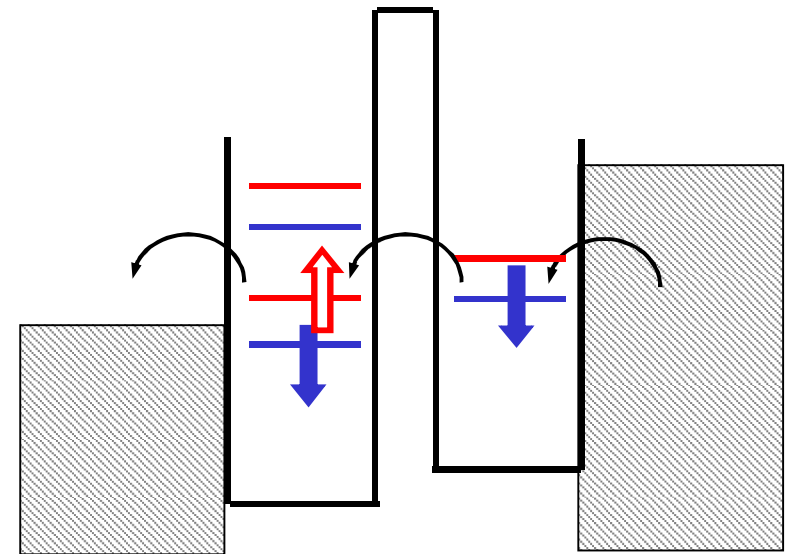
We tune gate voltages to obtain
(11) – (20) resonant tunneling



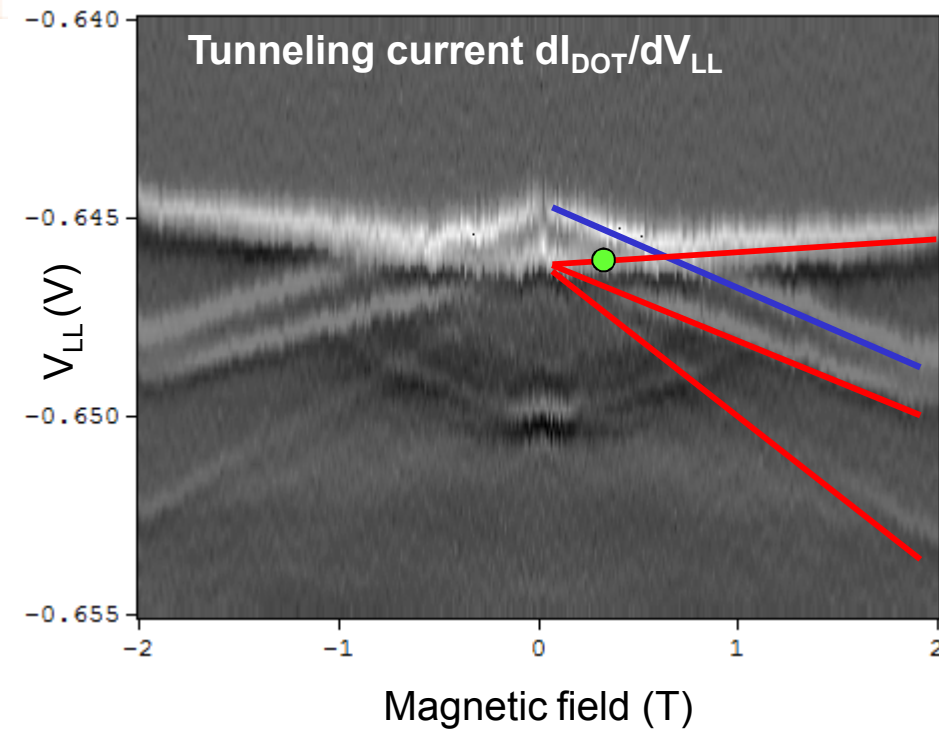
The hole will tunnel from the right to the left
Tunneling current will flow



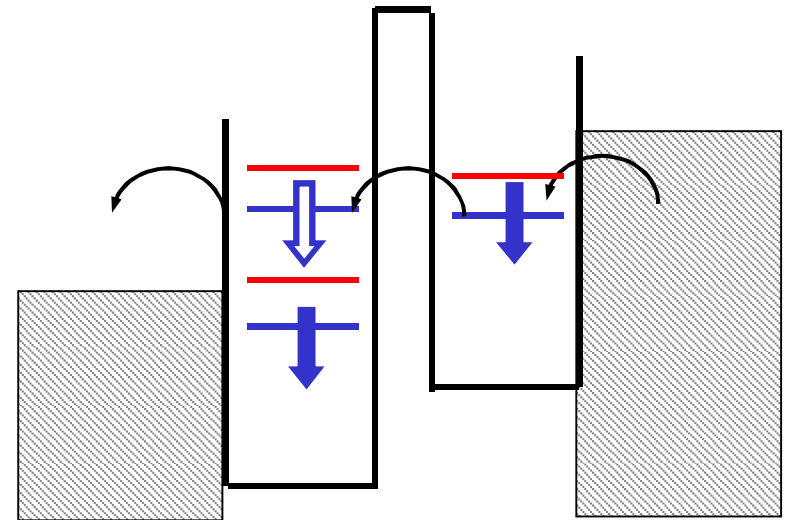
Spin-flip tunneling



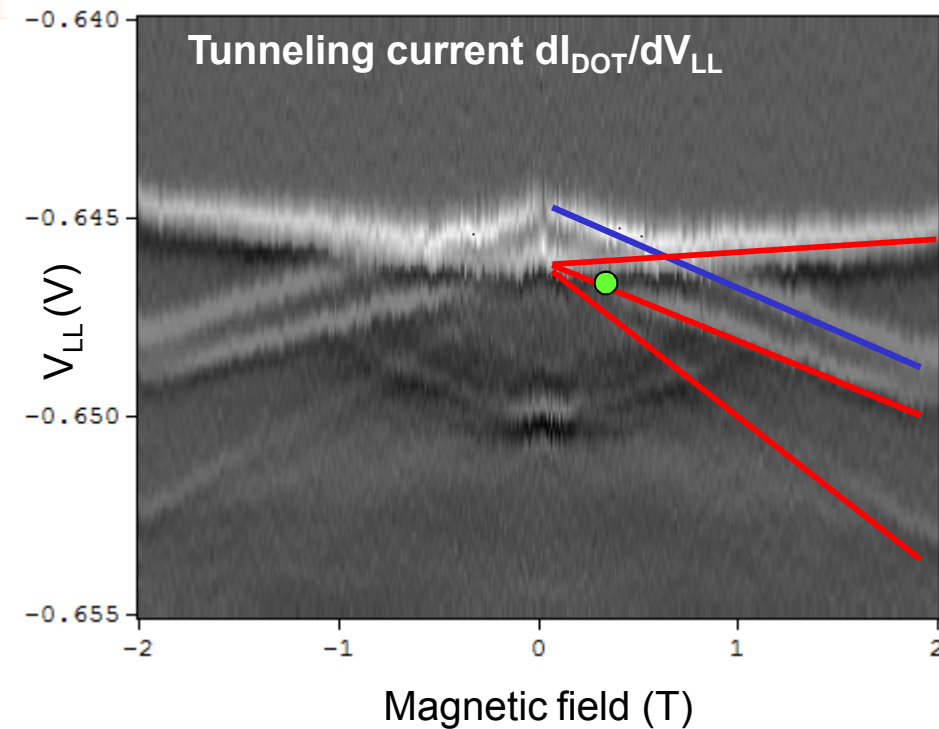
(20) state is a singlet



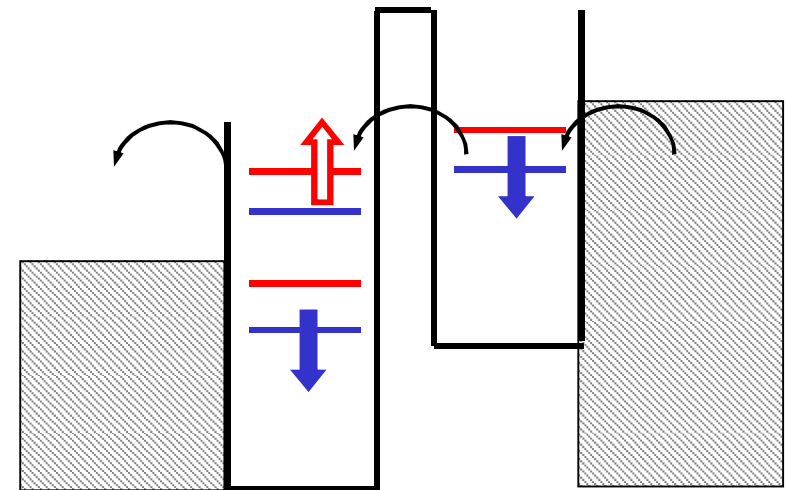
Spin-conserving tunneling



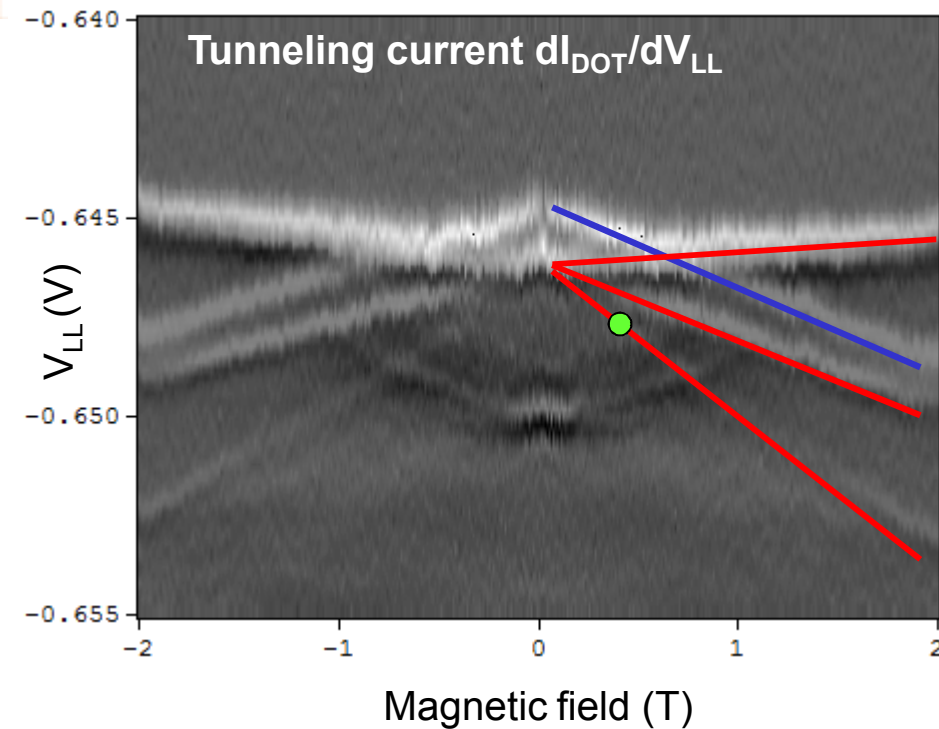
(20) state is a triplet



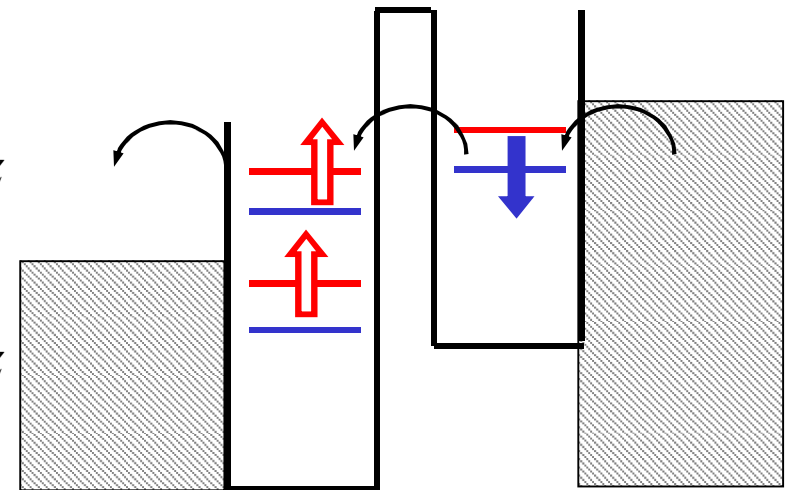
Spin-flip tunneling



(20) state is a triplet

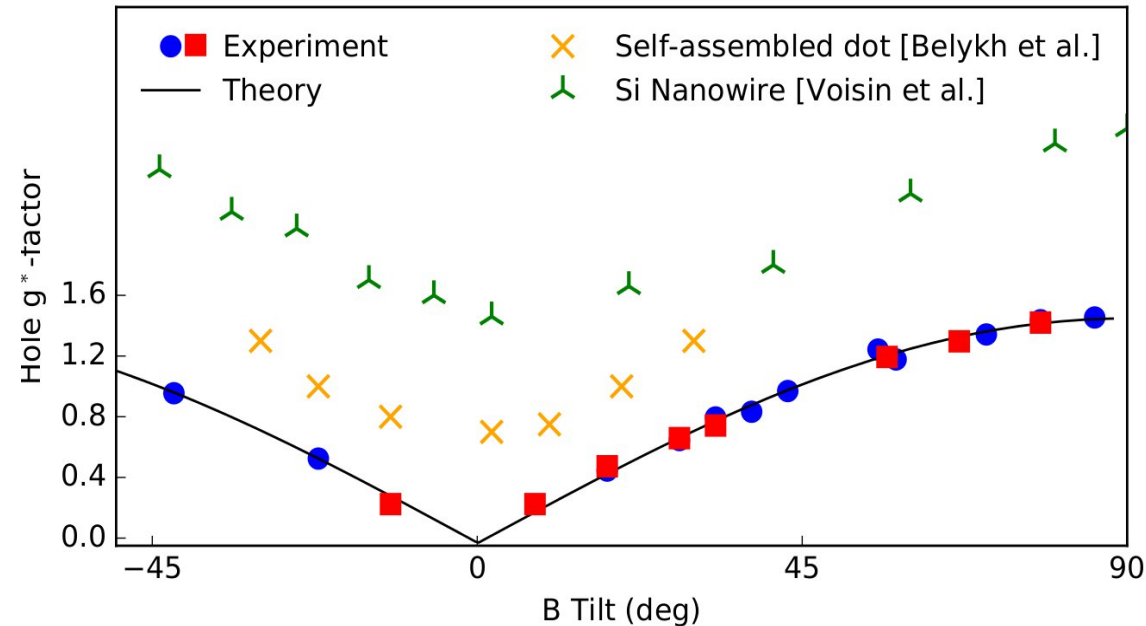
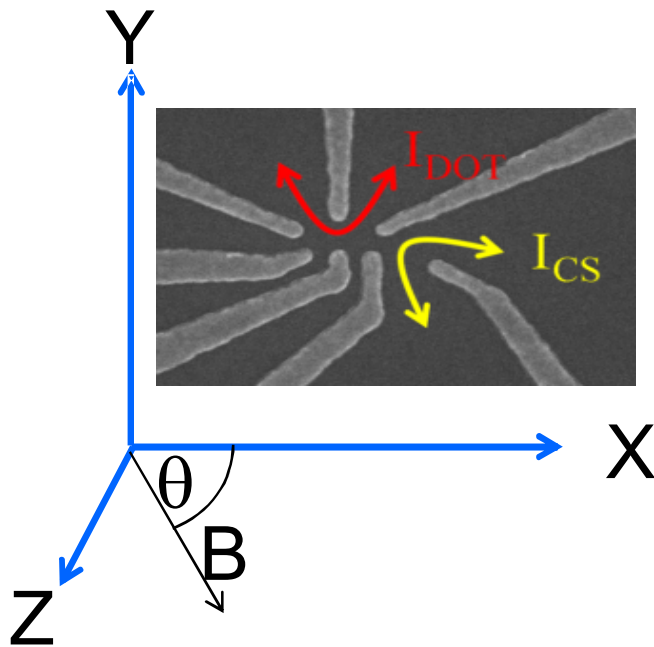


More complex spin-flip tunneling



(20) state is a triplet

Effective g-factor in tilted magnetic field



The g-factor is anisotropic: $g^* \sim 0$ for in-plane magnetic field
Our confined states are nearly pure heavy-holes
The g-factor is tunable in-situ

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