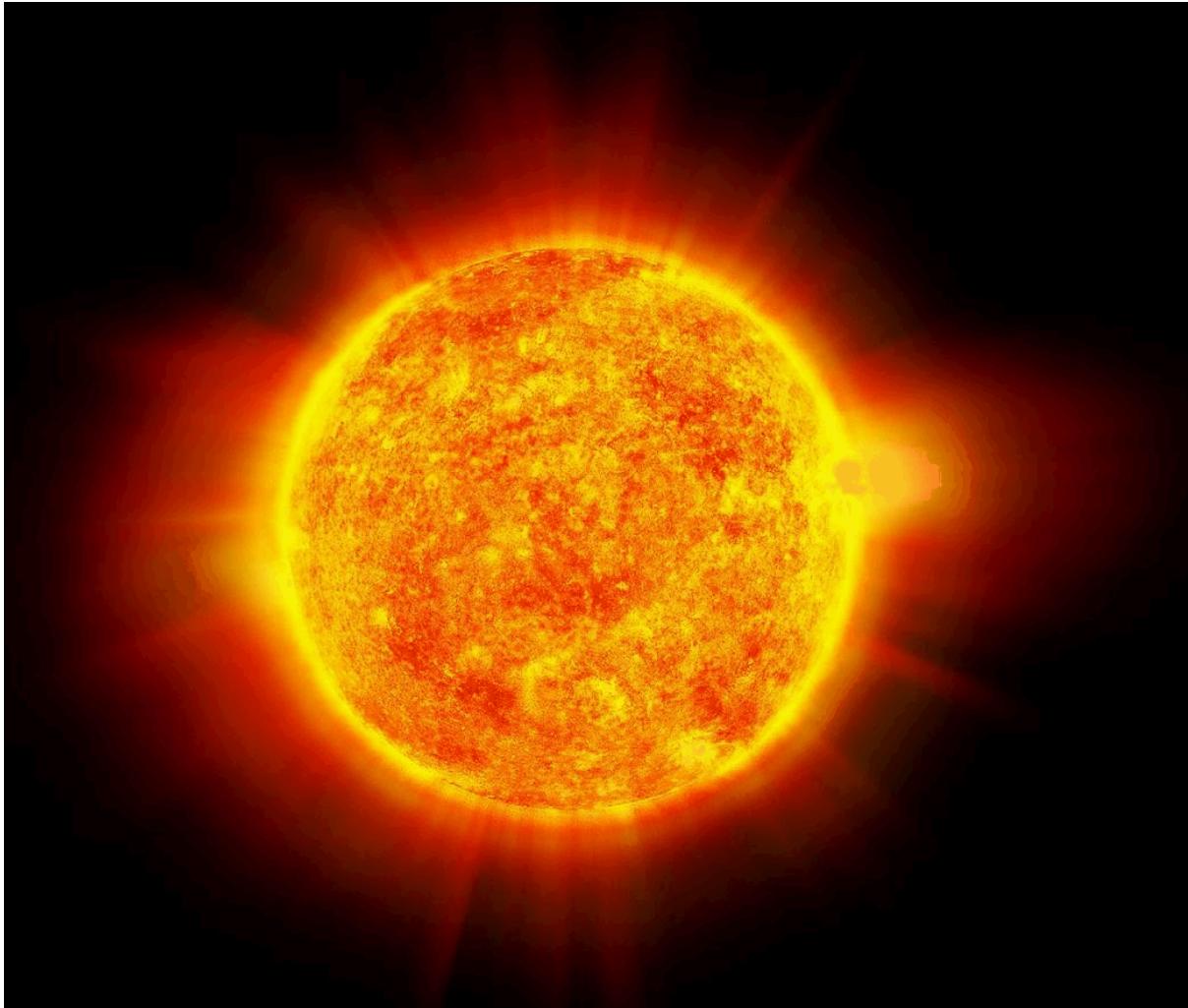


# Magneto-Inertial Fusion Research on the Z Machine at Sandia National Laboratories

**Patrick Knapp**

*High Energy Density Physics Experiments, Sandia National Laboratories  
University of New Mexico, Albuquerque NM, February 21, 2017*

# Thermonuclear fusion powers the stars...



- Gravitational confinement is clearly very effective but what can we do on Earth?
- Magnetic confinement has been studied since around 1950
  - Currently the flagship project is ITER
- Inertial confinement has been associated with lasers for over 50 years
  - The flagship facility is the NIF
- We have made steady progress in both MCF and ICF over the last half-century

# What makes thermonuclear fusion such an attractive energy source?

$$Y_{\text{fus}} = Q n_1 n_2 \langle \sigma v \rangle V \tau$$

**DT fuel**

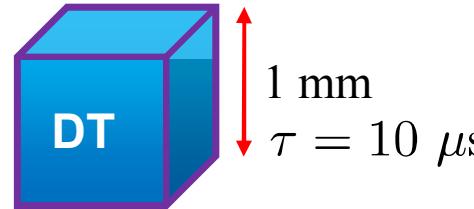
$$\langle \sigma v \rangle|_{4\text{keV}} = 6 \times 10^{-18} \text{ cm}^3/\text{s}$$

$$n_{\text{DT,solid}} \sim 10^{23} \text{ cm}^{-3}$$

$$Q = 17.6 \text{ MeV}$$

$$Y_{\text{fus}} = Q 10^{20} \approx 3 \times 10^8 \text{ J}$$

$$Y_{\text{fus}} \sim 0.1 \text{ ton}!!$$



4 keV  $\approx$  40 Million K

1 ton = 4 GJ

- This is a tremendous amount of energy contained in an incredibly small volume
- ~80% of the energy is in neutrons, the remainder is in the charged  $\alpha$  particles
- But there is (at least) one significant problem...

# What makes thermonuclear fusion such an attractive energy source?

$$Y_{\text{fus}} =$$

We can't confine the fuel for 10  $\mu\text{s}$ !

$$P_{\text{fuel}} = 2n_{\text{DT}}T_i \sim 1 \text{ Gbar} = 10^9 \text{ atm}$$

$$\langle \sigma v \rangle|_{4\text{keV}} =$$

$$\tau_{\text{disassembly}} \approx \sqrt{\frac{R}{a}}$$

$$n_{\text{DT,sol}} =$$

$$Q =$$

$$a = \frac{2P_{\text{fuel}}}{n_{\text{DT}}m_{\text{DT}}R} = \frac{2P_{\text{fuel}}}{\rho R}$$

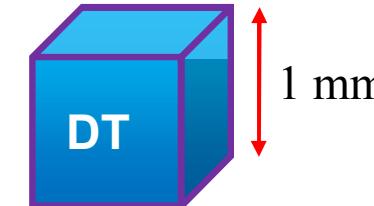
$$a \sim 10^{15} \text{ m/s}^2$$

$$Y_{\text{fus}} = Q$$

$$Y_{\text{fus}}$$

$$\tau_{\text{disassembly}} \sim 10^{-9} \text{ s}$$

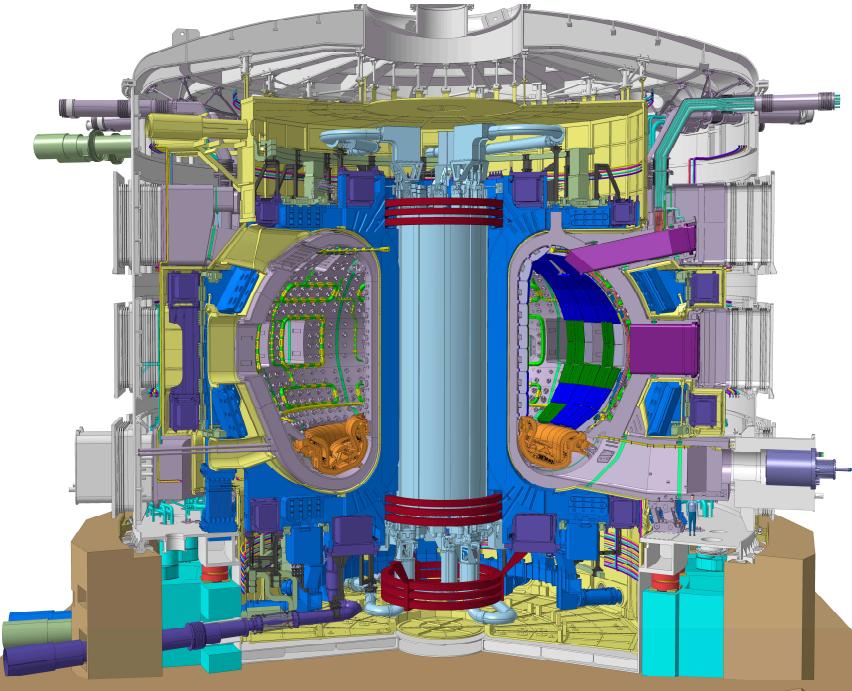
$$Y_{\text{fus}} \sim 10^{-5} \text{ ton}!!$$



How do we overcome the confinement problem?

# Magnetic confinement fusion utilizes magnetic fields hold a plasma while fusion reactions occur

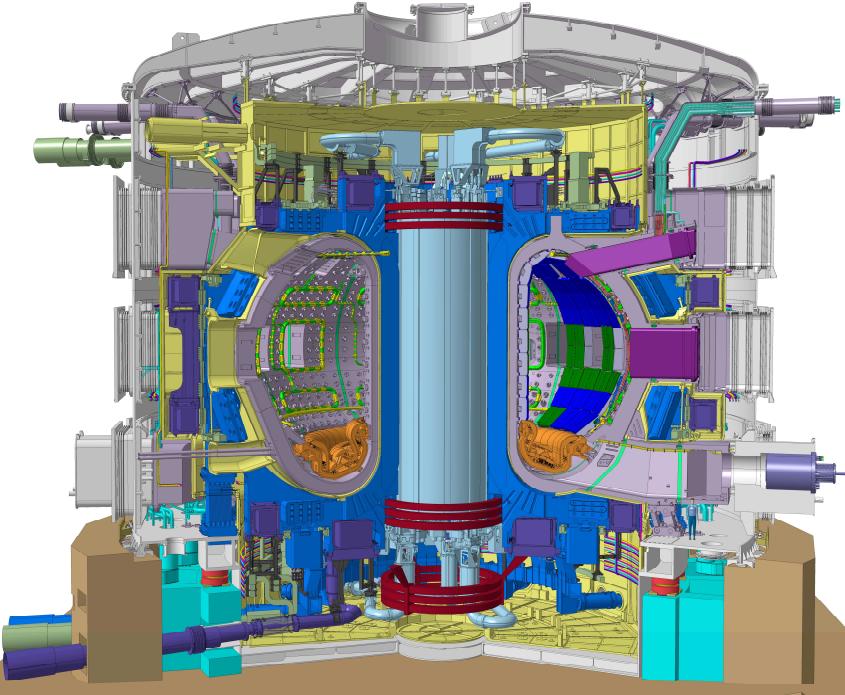
## ITER



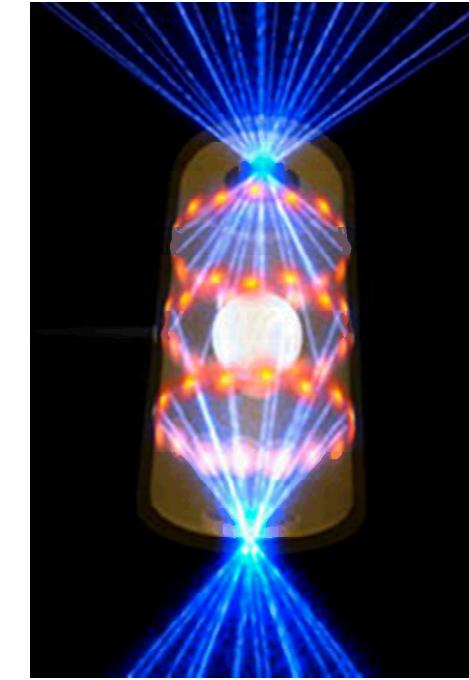
<b>Density</b>	$1 \times 10^{14} \text{ cm}^{-3}$		
<b>Volume</b>	$8 \times 10^8 \text{ cm}^3$		
<b>Duration</b>	300-500 s		
<b>Magnetic field</b>	100 kG		

# Inertial confinement fusion relies on sufficient fusion reactions occurring prior to falling apart

ITER



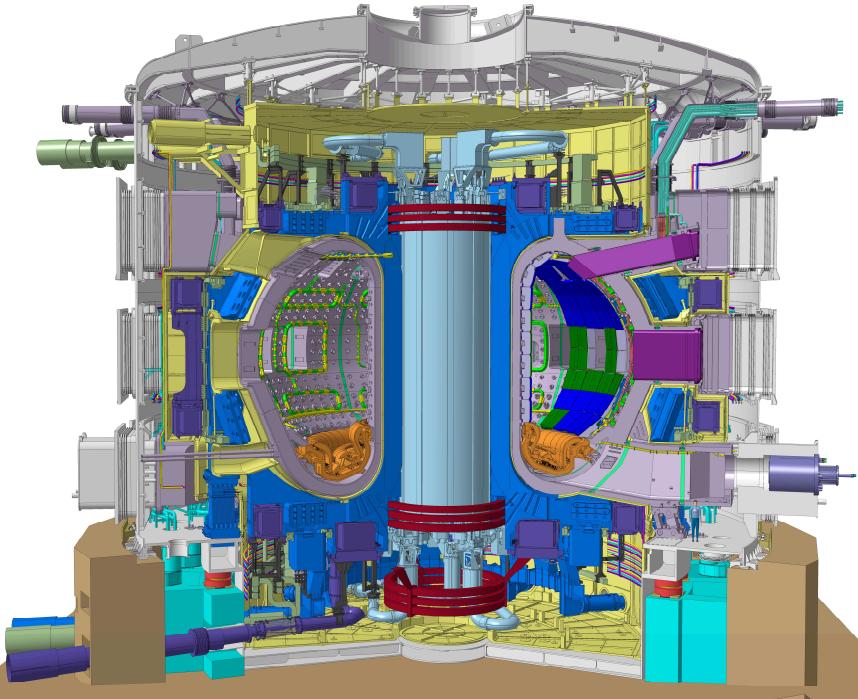
NIF hohlraum



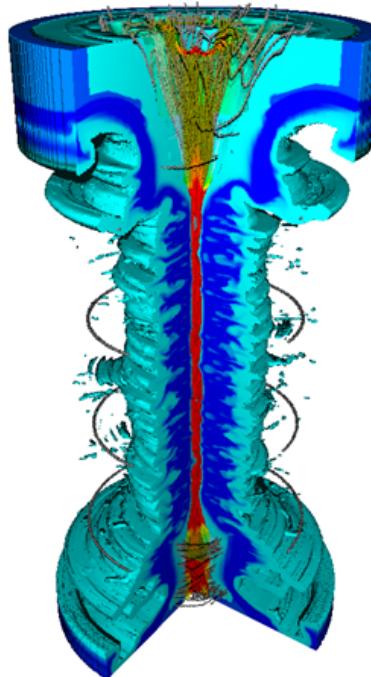
<b>Density</b>	$1 \times 10^{14} \text{ cm}^{-3}$	$2-20 \times 10^{25} \text{ cm}^{-3}$
<b>Volume</b>	$8 \times 10^8 \text{ cm}^3$	$6 \times 10^{-8} \text{ cm}^3$
<b>Duration</b>	300-500 s	$5-10 \times 10^{-11} \text{ s}$
<b>Magnetic field</b>	100 kG	0 kG

# Magneto-inertial fusion sits in the space between magnetic and inertial confinement fusion

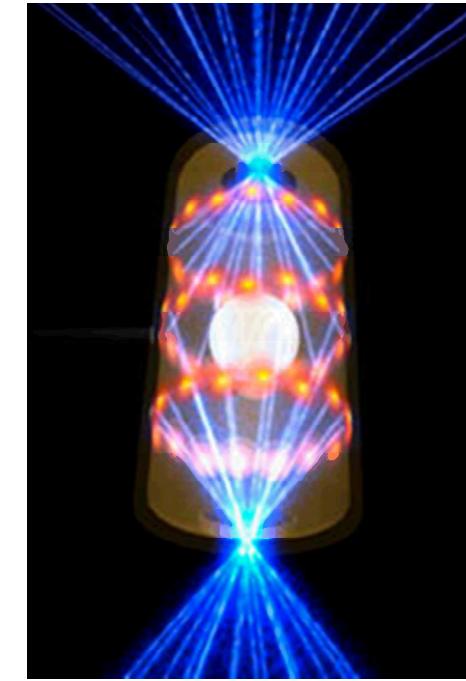
ITER



MIF concept



NIF hohlraum



<b>Density</b>	$1 \times 10^{14} \text{ cm}^{-3}$	$1 \times 10^{23} \text{ cm}^{-3}$	$2-20 \times 10^{25} \text{ cm}^{-3}$
<b>Volume</b>	$8 \times 10^8 \text{ cm}^3$	$8 \times 10^{-5} \text{ cm}^3$	$6 \times 10^{-8} \text{ cm}^3$
<b>Duration</b>	300-500 s	$1-2 \times 10^{-9} \text{ s}$	$5-10 \times 10^{-11} \text{ s}$
<b>Magnetic field</b>	100 kG	50-100 MG	0 kG

# In all concepts, the fuel pressure at stagnation is a key metric of progress

Why is Pressure so important for fusion?

$$\langle \sigma v \rangle \equiv \int \int \sigma(|\mathbf{v}_1 - \mathbf{v}_2|) |\mathbf{v}_1 - \mathbf{v}_2| f(\mathbf{v}_1) f(\mathbf{v}_2) d^3 v_1 d^3 v_2$$

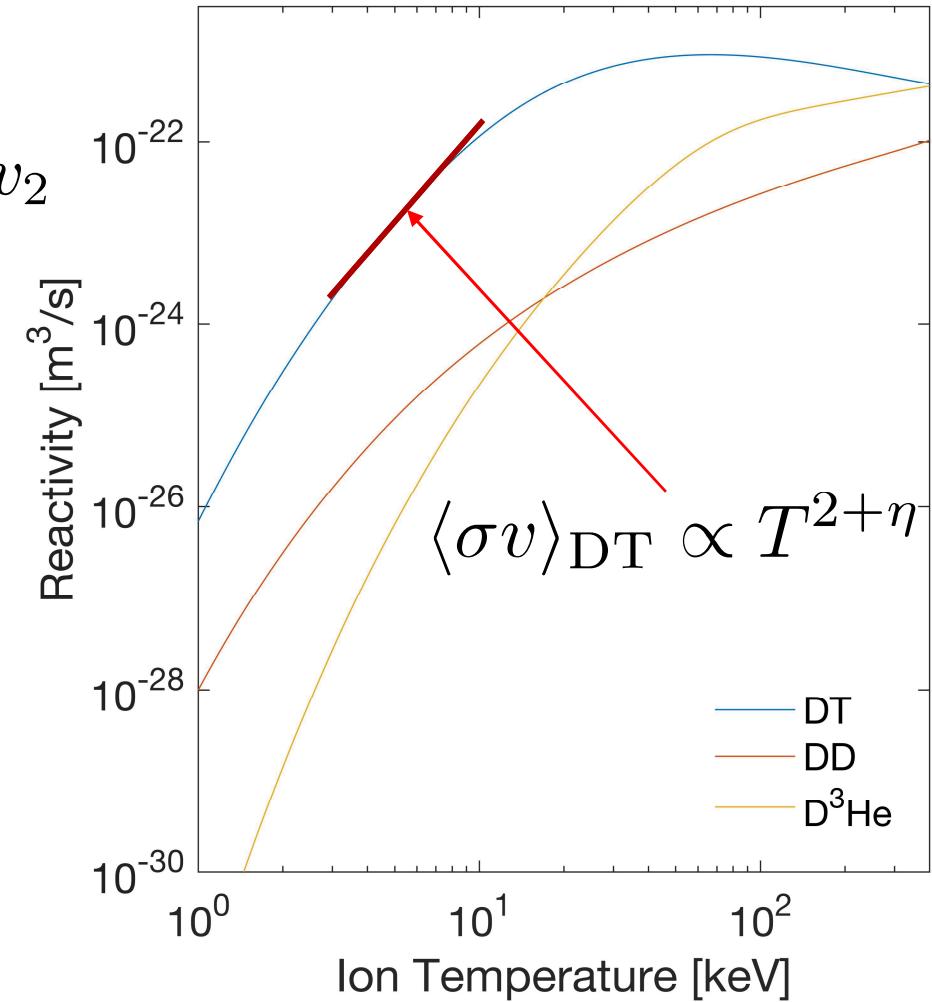
$$f(\mathbf{v}) = \left( \frac{m_i}{2\pi k_b T_i} \right)^{3/2} e^{-\frac{m\mathbf{v}\cdot\mathbf{v}}{2k_b T_i}}$$

Reaction Rate:

$$\mathcal{R}_{\text{fus}} = n_D n_T \langle \sigma v \rangle V$$

$$\mathcal{R}_{\text{fus}} \propto n^2 T^{2+\eta} \propto P^2 T^\eta$$

Pressure is energy density:  $\frac{E_{\text{int}}}{V} = \frac{3}{2} P$



# In all concepts, the fuel pressure at stagnation is a key metric of progress

Why is Pressure so important for fusion?

$$\langle \sigma v \rangle \equiv \int \int \sigma(|\mathbf{v}_1 - \mathbf{v}_2|) |\mathbf{v}_1 - \mathbf{v}_2| f(\mathbf{v}_1) f(\mathbf{v}_2) d^3 v_1 d^3 v_2$$

$$f(\mathbf{v}) = \left( \frac{m_i}{2\pi k_b T_i} \right)^{3/2} e^{-\frac{m\mathbf{v}\cdot\mathbf{v}}{2k_b T_i}}$$

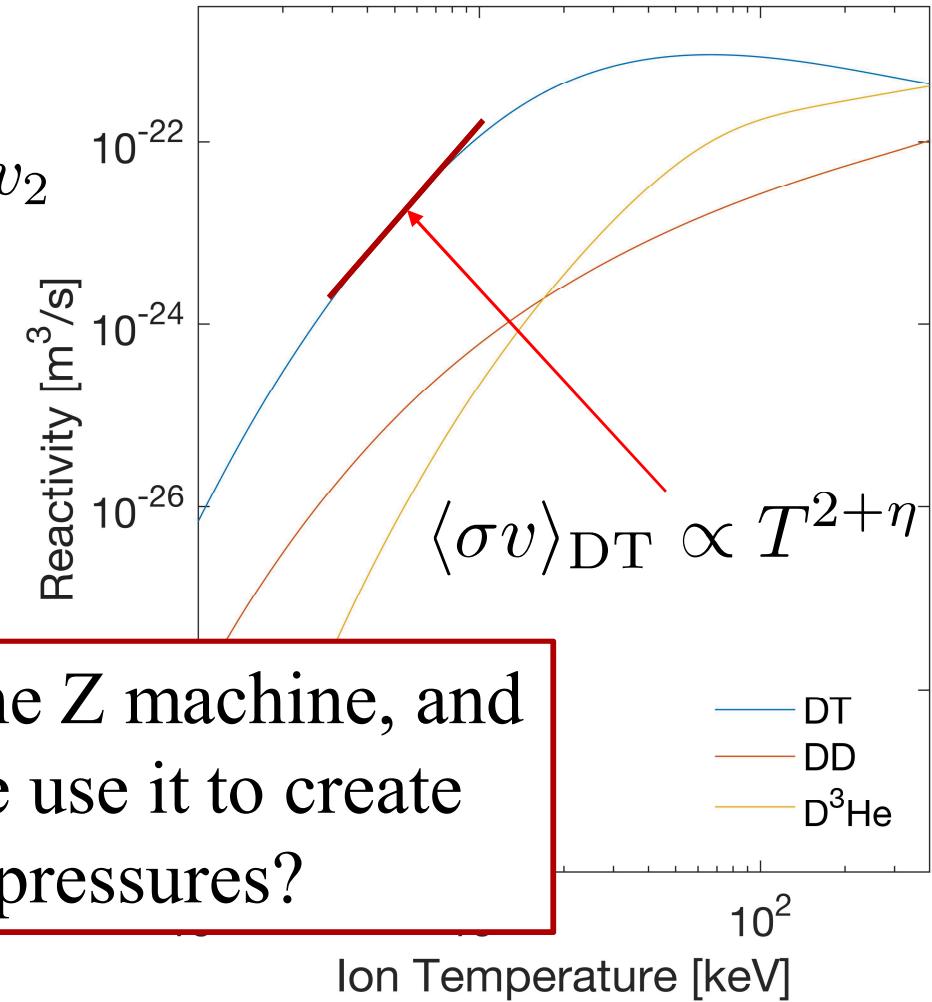
Reaction Rate:

$$\mathcal{R}_{\text{fus}} = n_D n_T \langle \sigma v \rangle V$$

$$\mathcal{R}_{\text{fus}} \propto n^2 T^{2+\eta} \propto P^2 T$$

Pressure is energy density:  $\frac{E_{\text{int}}}{V} = \frac{3}{2} P$

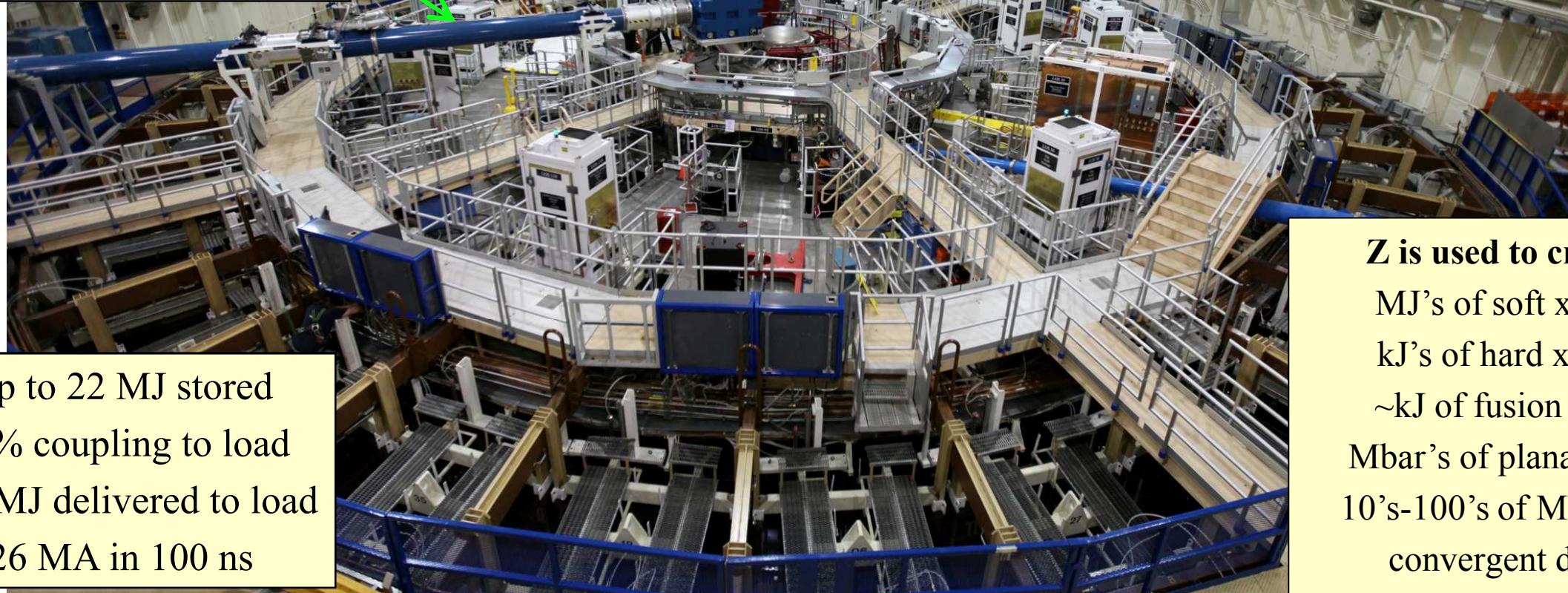
So what is the Z machine, and how do we use it to create high pressures?



# The Z facility combines the multi-MJ Z pulsed-power accelerator with the multi-kJ Z Beamlet Laser (ZBL)

1–4 kJ Z Beamlet Laser (ZBL)  
for radiography and  
MagLIF fuel preheating

10,000 ft<sup>2</sup>

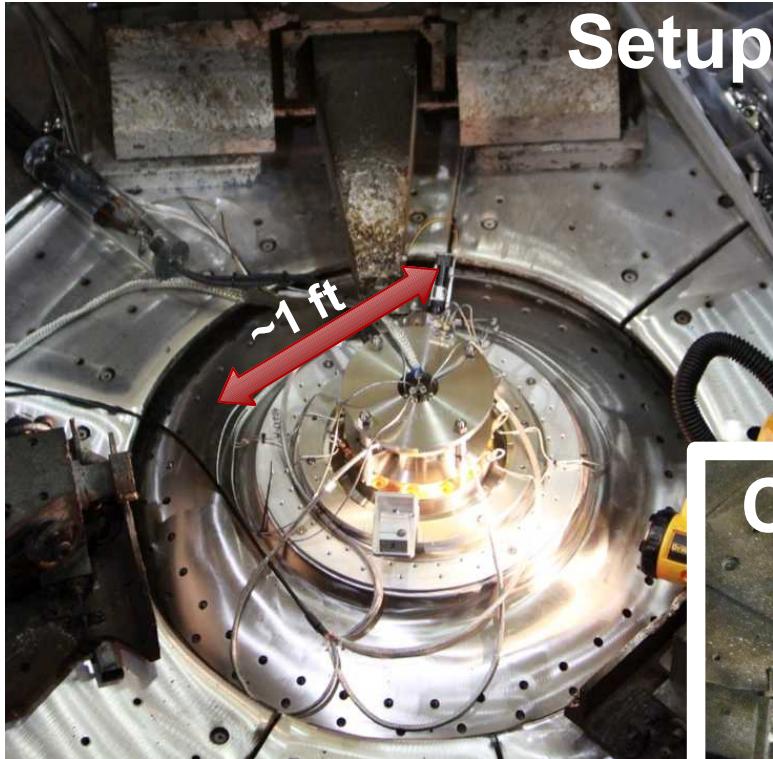


Up to 22 MJ stored  
15% coupling to load  
1–3 MJ delivered to load  
26 MA in 100 ns

**Z is used to create:**  
MJ's of soft x-rays  
kJ's of hard x-rays  
~kJ of fusion yield  
Mbar's of planar drive  
10's-100's of Mbar's of  
convergent drive

# Z is a fun and challenging place to conduct high impact experiments

- Shot rate of ~1/day
- ~150 shots/year



Setup



Fire!



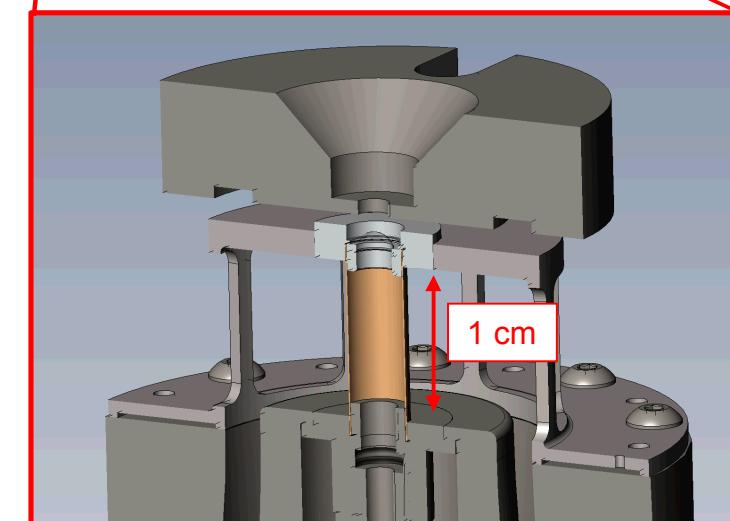
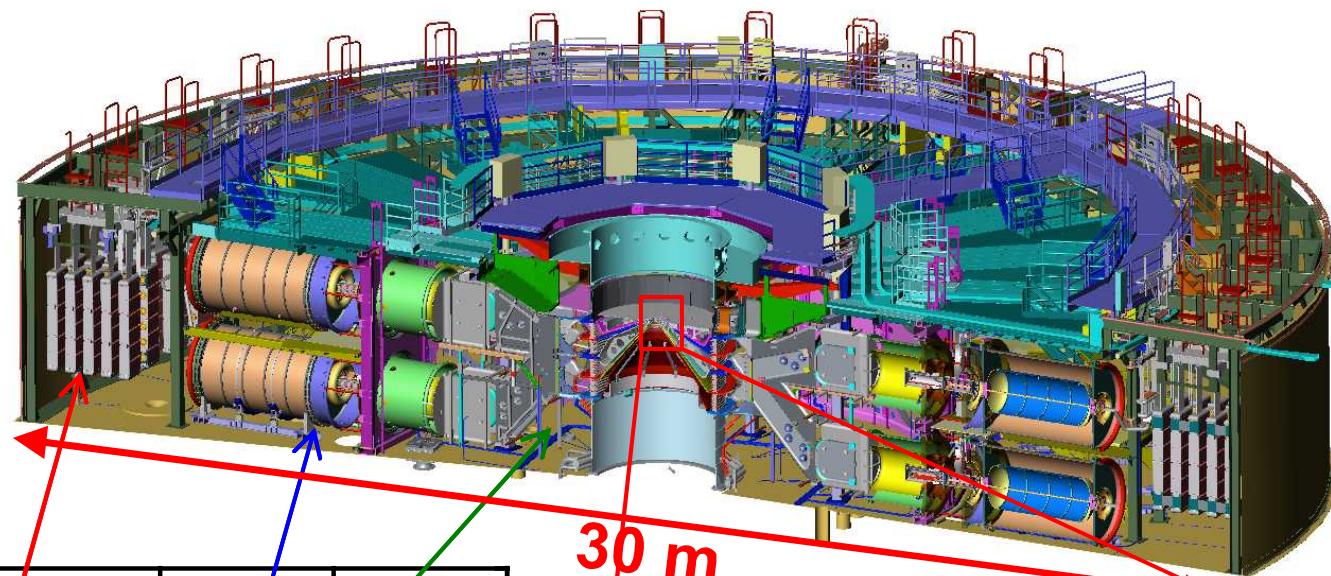
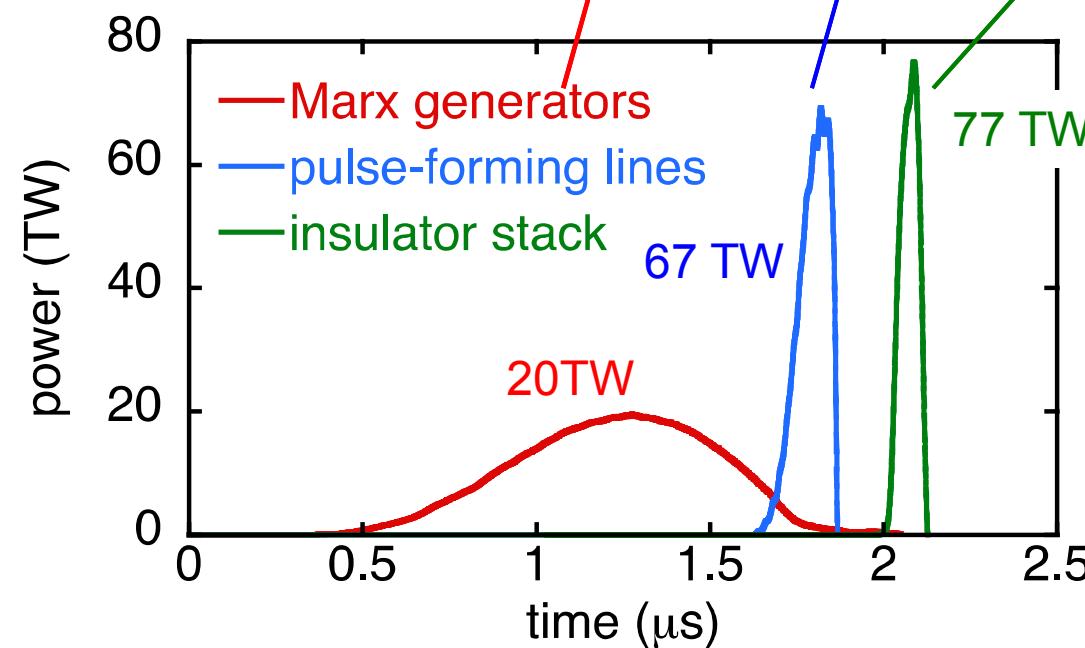
Cleanup

- MJ's of magnetic energy to the load
- Equivalent to detonating a few sticks of dynamite
- Harsh debris, shock, and radiation environment make fielding experiments unique and challenging

# Pulsed-power is all about energy compression in both space and time

Energy compression achieved by a sequence of storage and switching techniques :

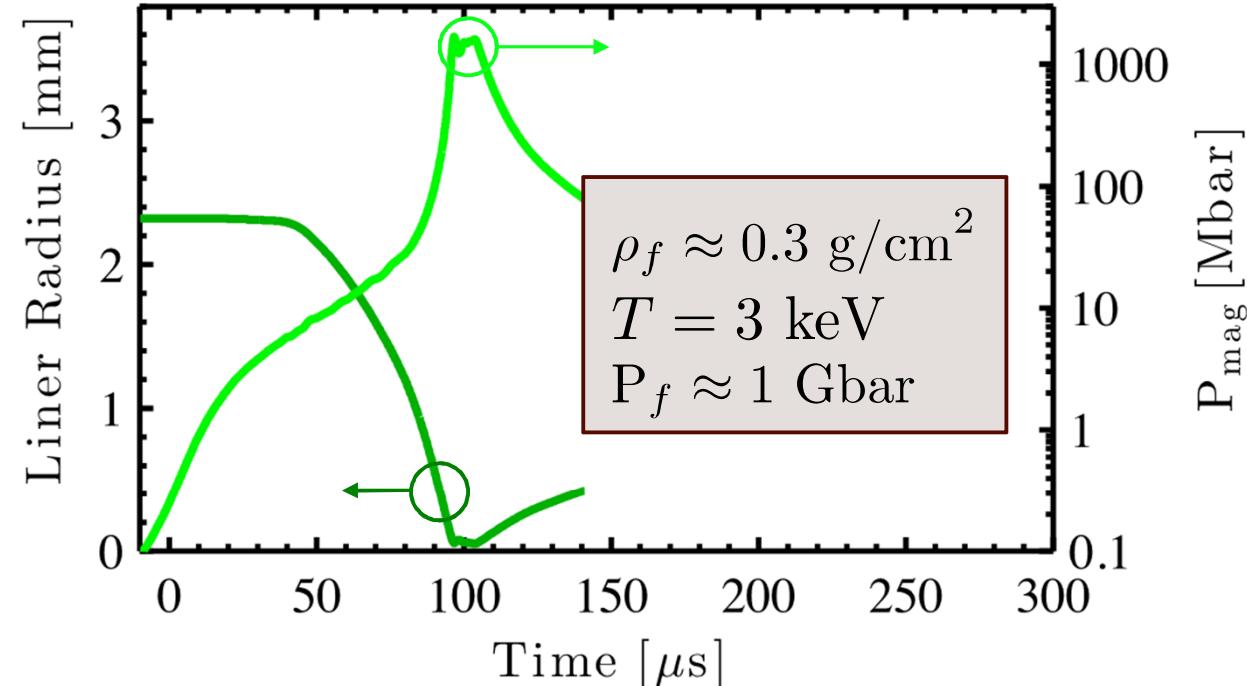
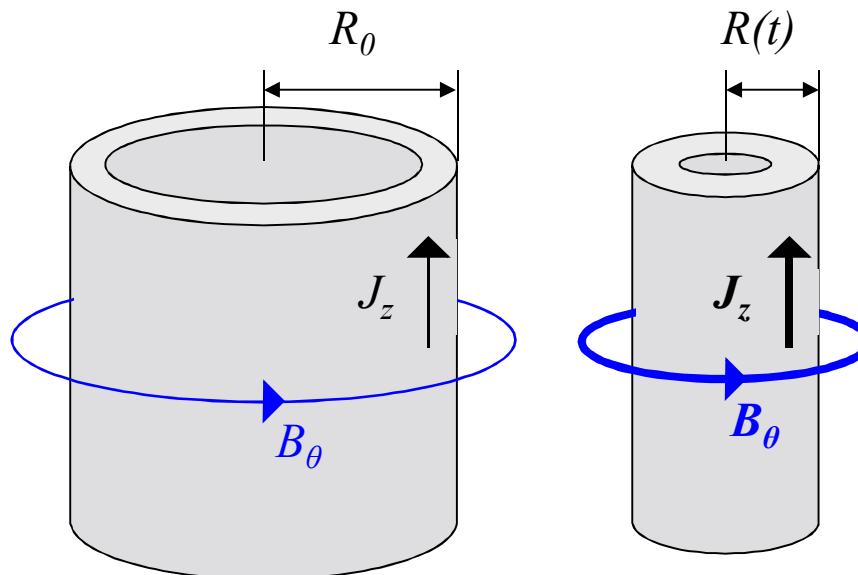
- Voltages are added in series
- Currents are added in parallel



# Magnetically-Driven Cylindrical Implosions are Efficient: Implosion Drive Pressure is Divergent!

$$P = \frac{B^2}{2\mu_0} = 140 \cdot \left( \frac{I_{[\text{MA}]} / 30}{R(t)_{[\text{mm}]} } \right)^2 \text{ [Mbar]}$$

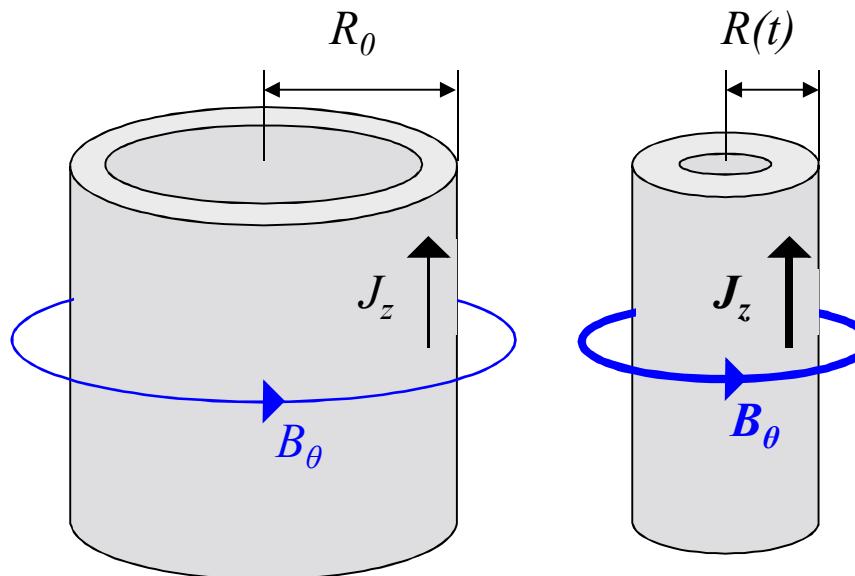
$$\rho \left( \frac{\partial \mathbf{u}}{\partial t} + (\mathbf{u} \cdot \nabla) \mathbf{u} \right) = \frac{\mathbf{J} \times \mathbf{B}}{c} - \nabla P$$



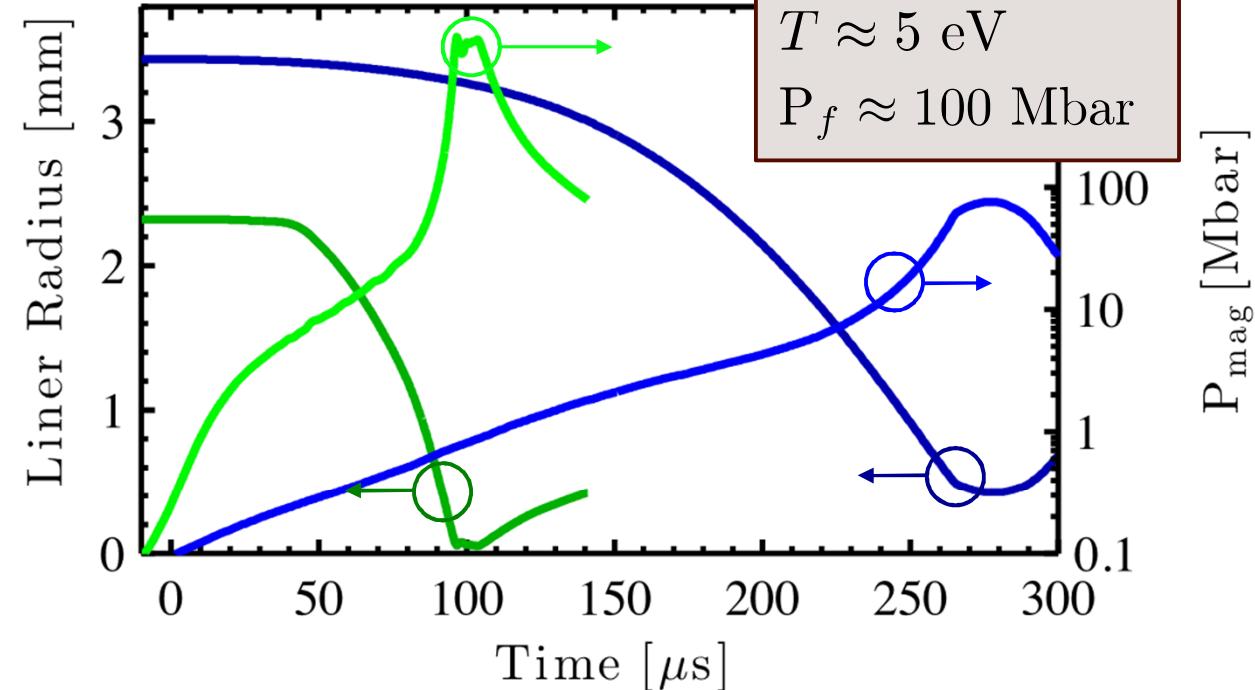
By varying the magnetic pressure pulse shape, liner dimensions, and duration of drive, Z can access a wide variety of end states

# Magnetically-Driven Cylindrical Implosions are Efficient: Implosion Drive Pressure is Divergent!

$$P = \frac{B^2}{2\mu_0} = 140 \cdot \left( \frac{I_{[\text{MA}]} / 30}{R(t)_{[\text{mm}]} } \right)^2 \text{ [Mbar]}$$



$$\rho \left( \frac{\partial \mathbf{u}}{\partial t} + (\mathbf{u} \cdot \nabla) \mathbf{u} \right) = \frac{\mathbf{J} \times \mathbf{B}}{c} - \nabla P$$



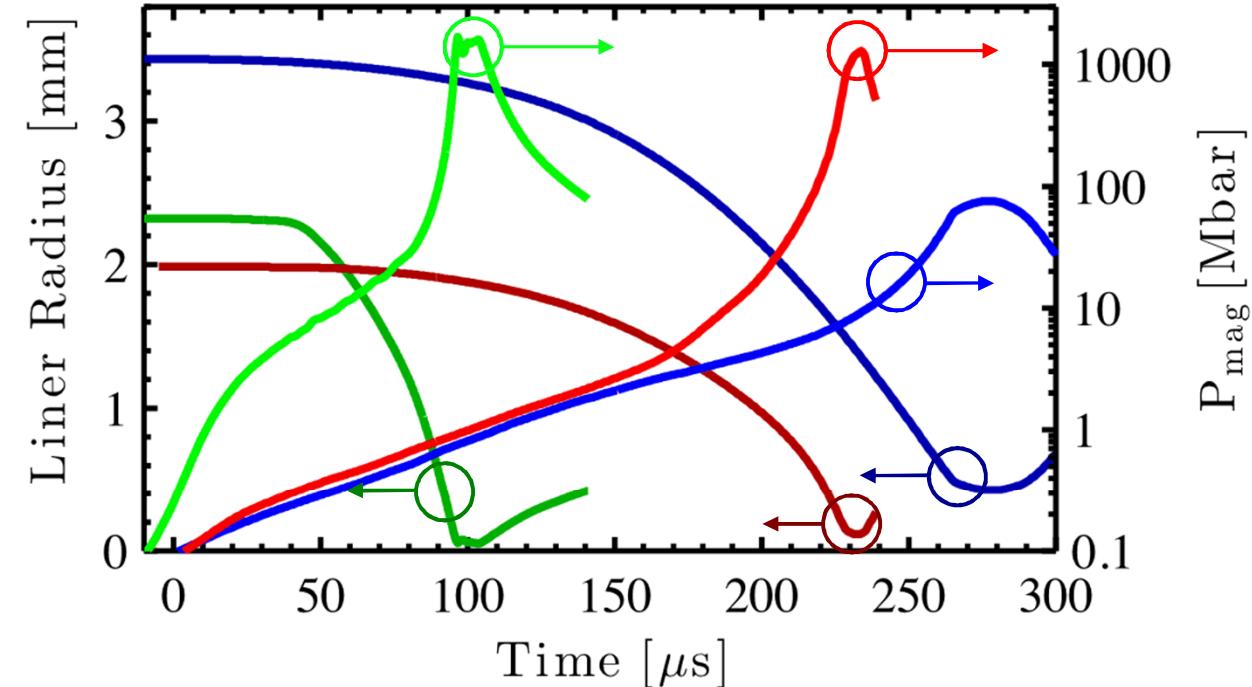
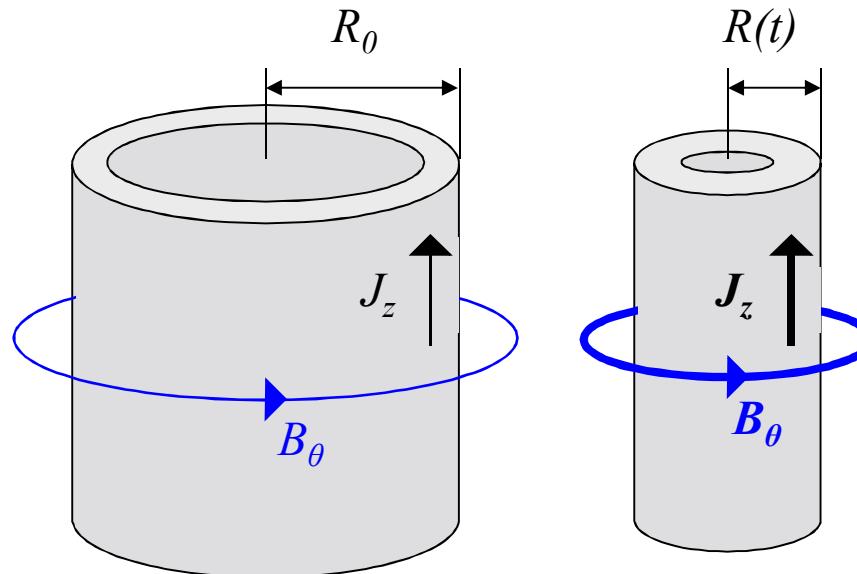
By varying the magnetic pressure pulse shape, liner dimensions, and duration of drive, Z can access a wide variety of end states

# Magnetically-Driven Cylindrical Implosions are Efficient: Implosion Drive Pressure is Divergent!

$$P = \frac{B^2}{2\mu_0} = 140 \cdot \left( \frac{I_{[\text{MA}]} / 30}{R(t)_{[\text{mm}]} } \right)^2 \text{ [Mbar]}$$

$$\rho \left( \frac{\partial \mathbf{u}}{\partial t} + (\mathbf{u} \cdot \nabla) \mathbf{u} \right) = \frac{\mathbf{J} \times \mathbf{B}}{c} - \nabla P$$

$$\rho_f \approx 60 \text{ g/cm}^3$$
$$T \approx 10 \text{ eV}$$
$$P_f \approx 2 \text{ Gbar}$$



By varying the magnetic pressure pulse shape, liner dimensions, and duration of drive, Z can access a wide variety of end states

# We used pulsed power to create and study *high energy density (HED) matter*

HED conditions are strange on earth, but common in the universe



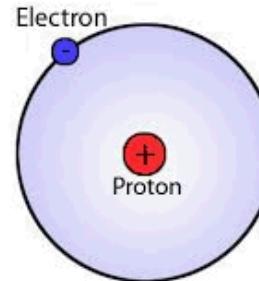
Baseball



Dynamite

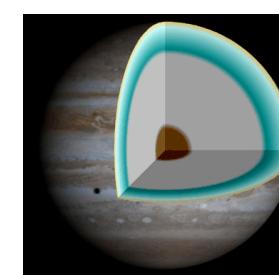
$10^{-5}$  Mbar

Internal Energy of H atom



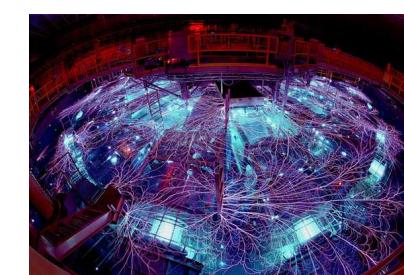
10 Mbar

Metallic H in Jupiter's core



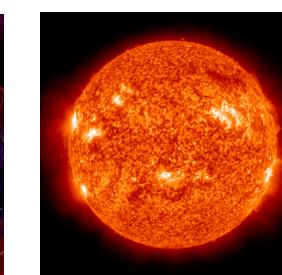
30 Mbar

Z Machine magnetic pressure



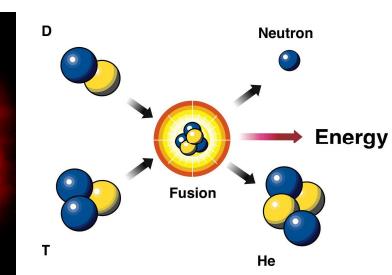
100 Mbar

Center of Sun



250,000 Mbar

Burning ICF plasma



800,000 Mbar

HED regime ( $P > 1$  Mbar or  $E > 100$  kJ/cm<sup>3</sup>)

← Z can access the HED regime →

# We used pulsed power to create and study *high energy density* (HED) matter

HED conditions  
exist on earth, but can  
only be created in the  
universe

Baseball

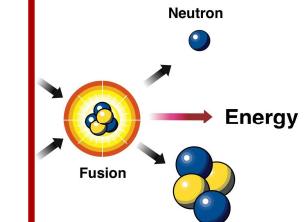


$10^{-5}$  Mbar



- A baseball weighs 0.145 kg
- Traveling at 100 mph it has a kinetic energy of  $\sim 150$  J
- Its volume is  $\sim 200$  cm<sup>3</sup>
- Energy density  $\sim 1$  J/cm<sup>3</sup>

Learning ICF  
plasma



300,000  
Mbar

$\zeta$  can access the HED regime

# We used pulsed power to create and study *high energy density* (HED) matter

HED conditions  
exist on Earth, but can  
only be created in the  
universe

Baseball

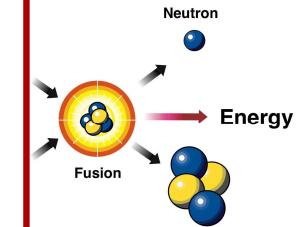


$10^{-5}$  Mbar



- A stick of dynamite has a stored energy of about 1-2 MJ
- A stick of dynamite is 20 cm long and 3.2 cm in diameter
  - Volume =  $161 \text{ cm}^3$
- **Energy density  $\sim 10 \text{ kJ/cm}^3$**

Learning ICF  
plasma



300,000  
Mbar

$\zeta$  can access the HED regime

# We used pulsed power to create and study *high energy density* (HED) matter

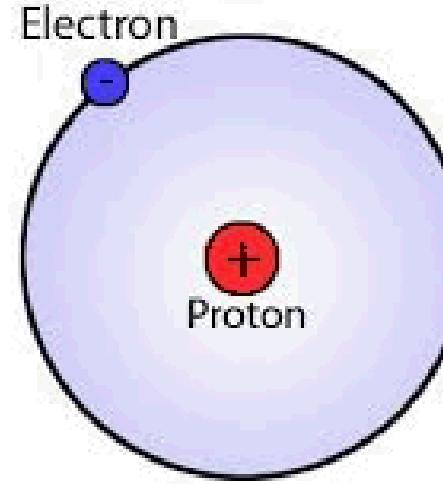
HED conditions  
exist on earth, but can  
only be created in the  
universe

Baseball



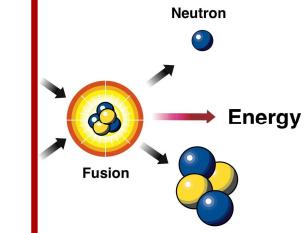
$10^{-5}$  Mbar

Internal Energy of H  
atom



- The electron is bound to the proton with an energy of 13 eV
- The atomic radius is 53 pm
  - Volume  $\sim 10^{-25}$  cm<sup>3</sup>
- Energy density  $\sim 1,000$  kJ/cm<sup>3</sup>

burning ICF  
plasma



300,000  
Mbar

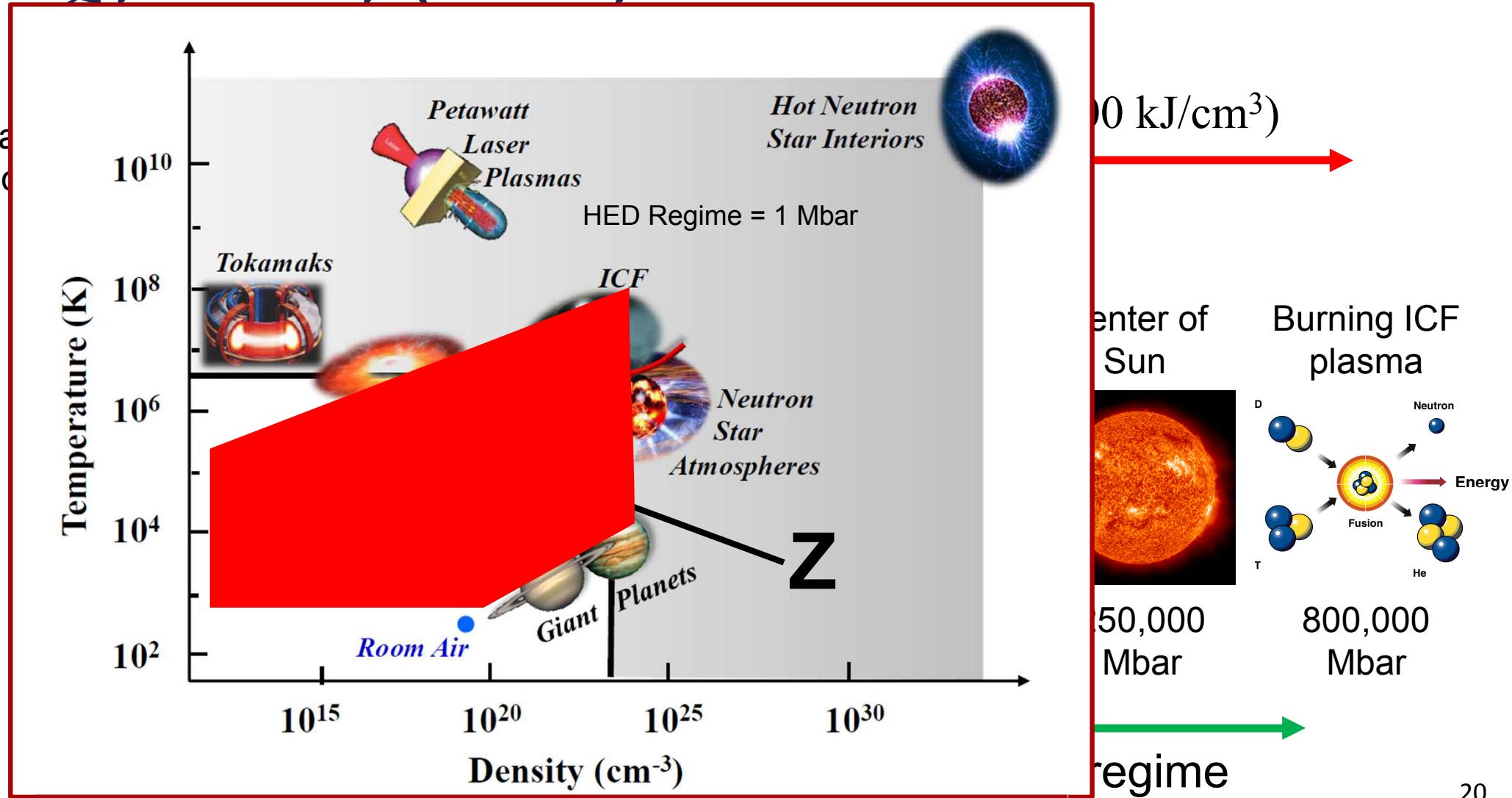
$\zeta$  can access the HED regime

# We used pulsed power to create and study high energy density (HED) matter

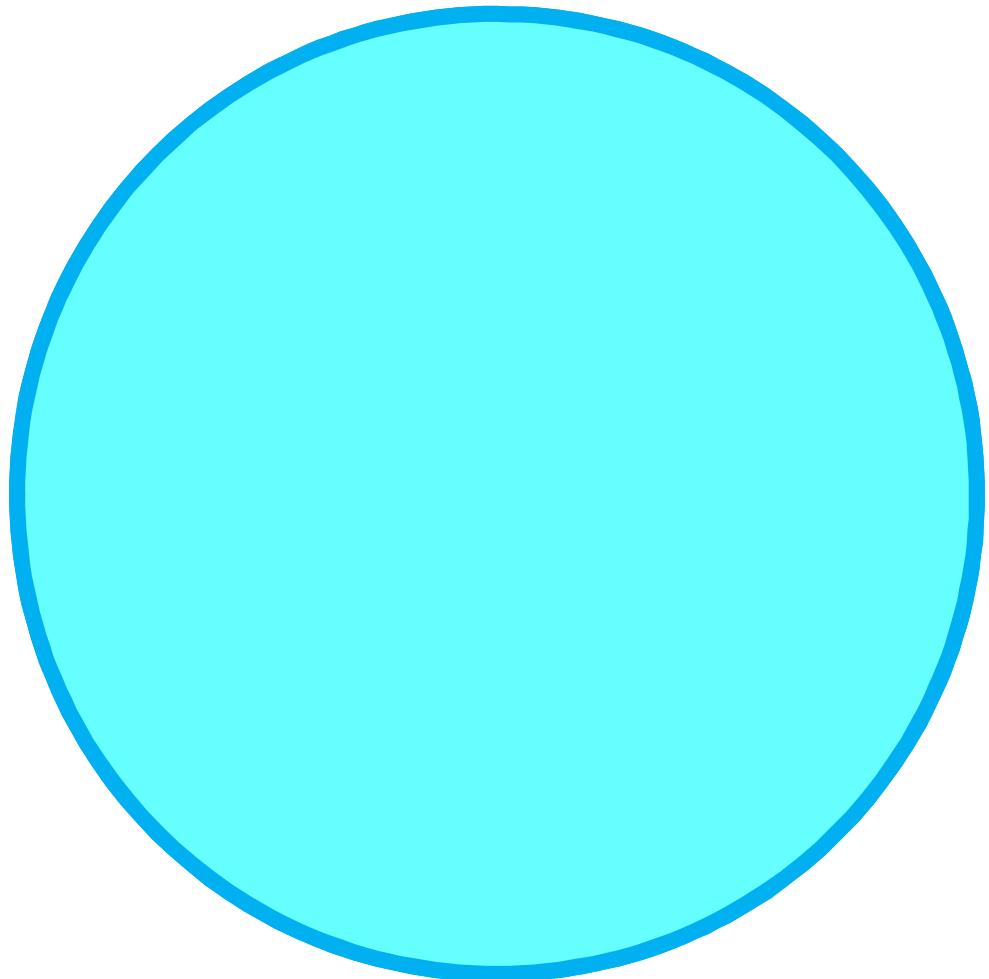
HED conditions are rare on earth, but common in the universe



$10^{-5}$  Mbar

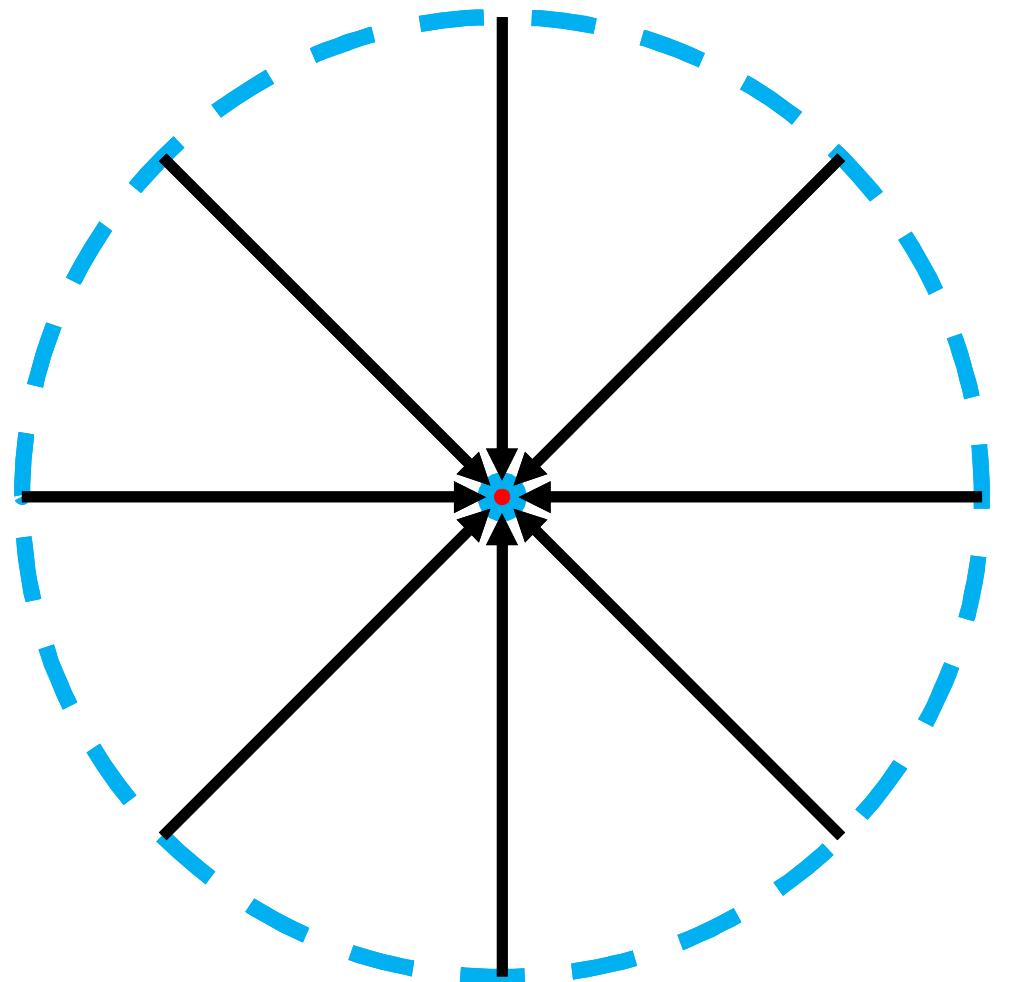


# A quick review of traditional ICF will help us understand MIIF



- Start with a sphere containing DT

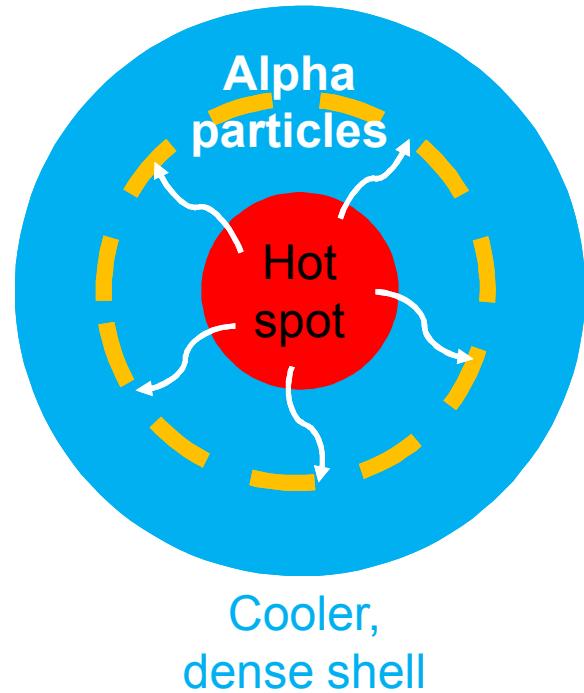
# A quick review of traditional ICF will help us understand MIIF



- Start with a sphere containing DT
- Implode the sphere
  - Compress radius by 30 (volume by 27,000)
  - Series of shocks heat the center (hot spot)

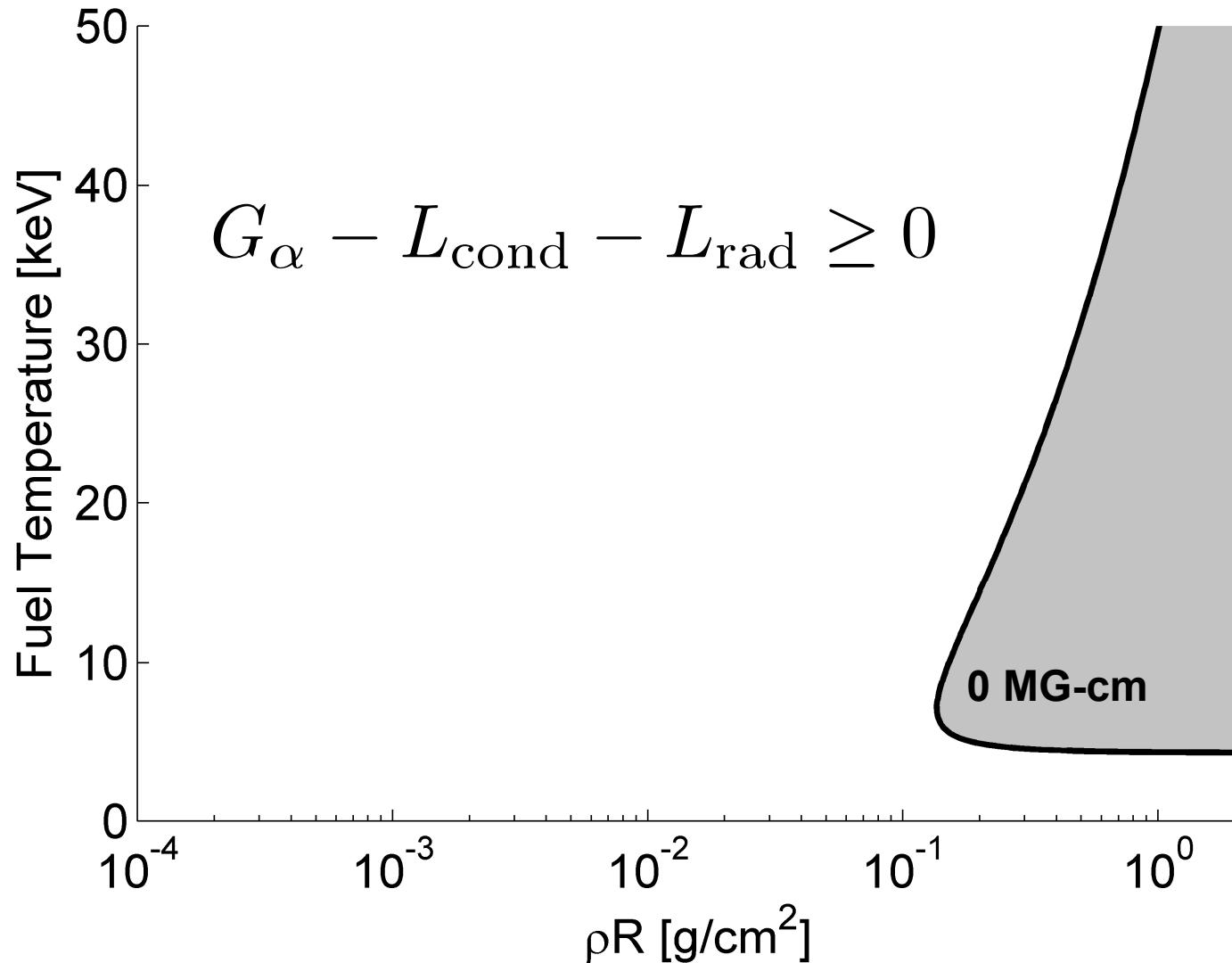
# A quick review of traditional ICF will help us understand MIIF

## Zooming in



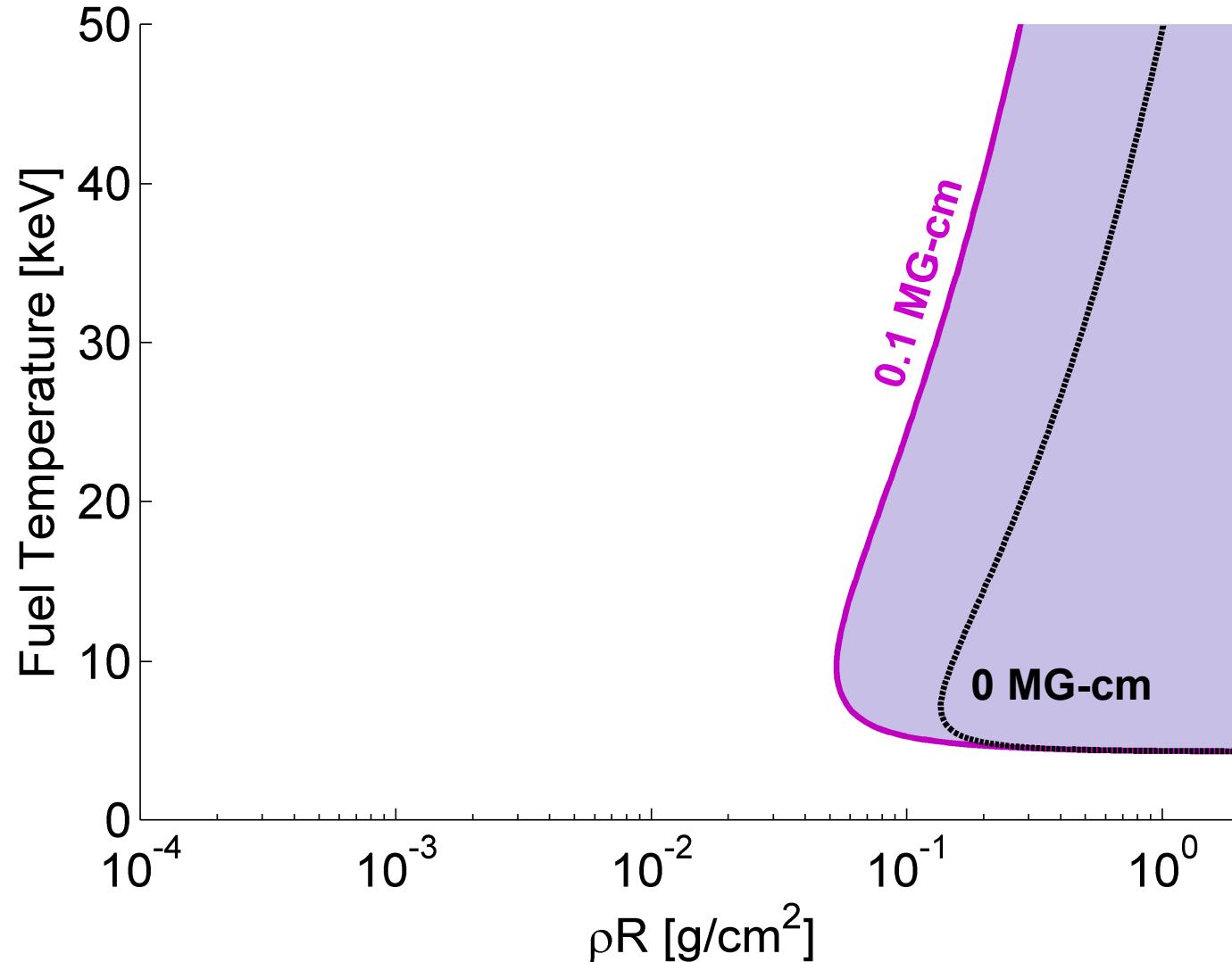
- Start with a sphere containing DT
- Implose the sphere
  - Compress radius by 30 (volume by 27,000)
  - Series of shocks heat the center (hot spot)
- Fuel in hot spot undergoes fusion
  - Fusion products heat surrounding dense fuel
- With a favorable power balance, a chain reaction occurs
  - For parameters of interest on the NIF, this requires  $P_{HS} > 300$  Gbar and  $\rho_{cold} > 1000$  g/cm<sup>3</sup>

# ICF has requirements on fuel temperature and areal density for gains to exceed losses



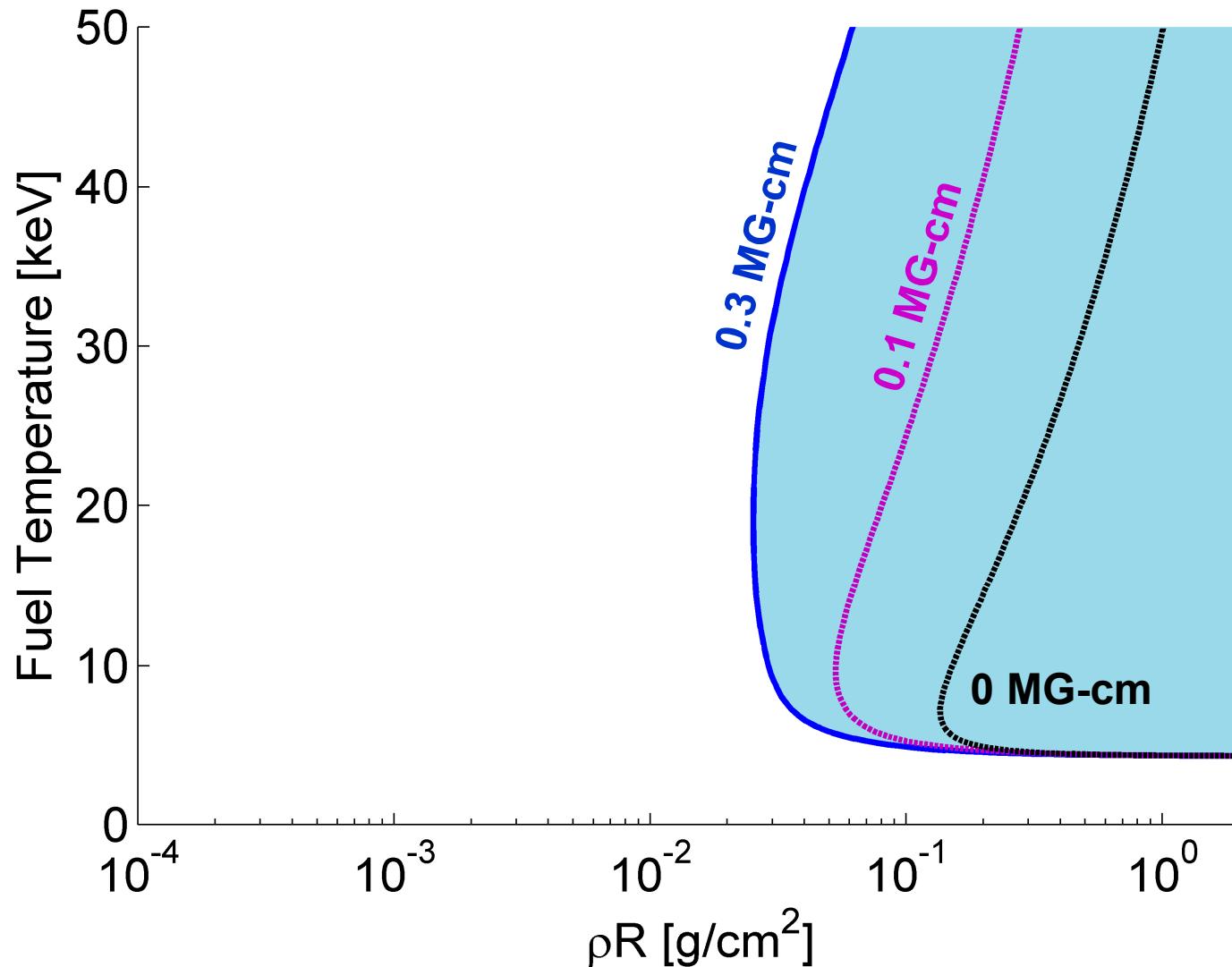
- There is a minimum fuel temperature of about 4.5 keV
  - This is where fusion heating outpaces radiation losses
- The minimum fuel areal density is around 0.2 g/cm<sup>2</sup>
- Traditional ICF concepts attempt to operate in this minimum

# Magneto-inertial fusion (MIF) utilizes magnetic fields to relax the stagnation requirements of ICF



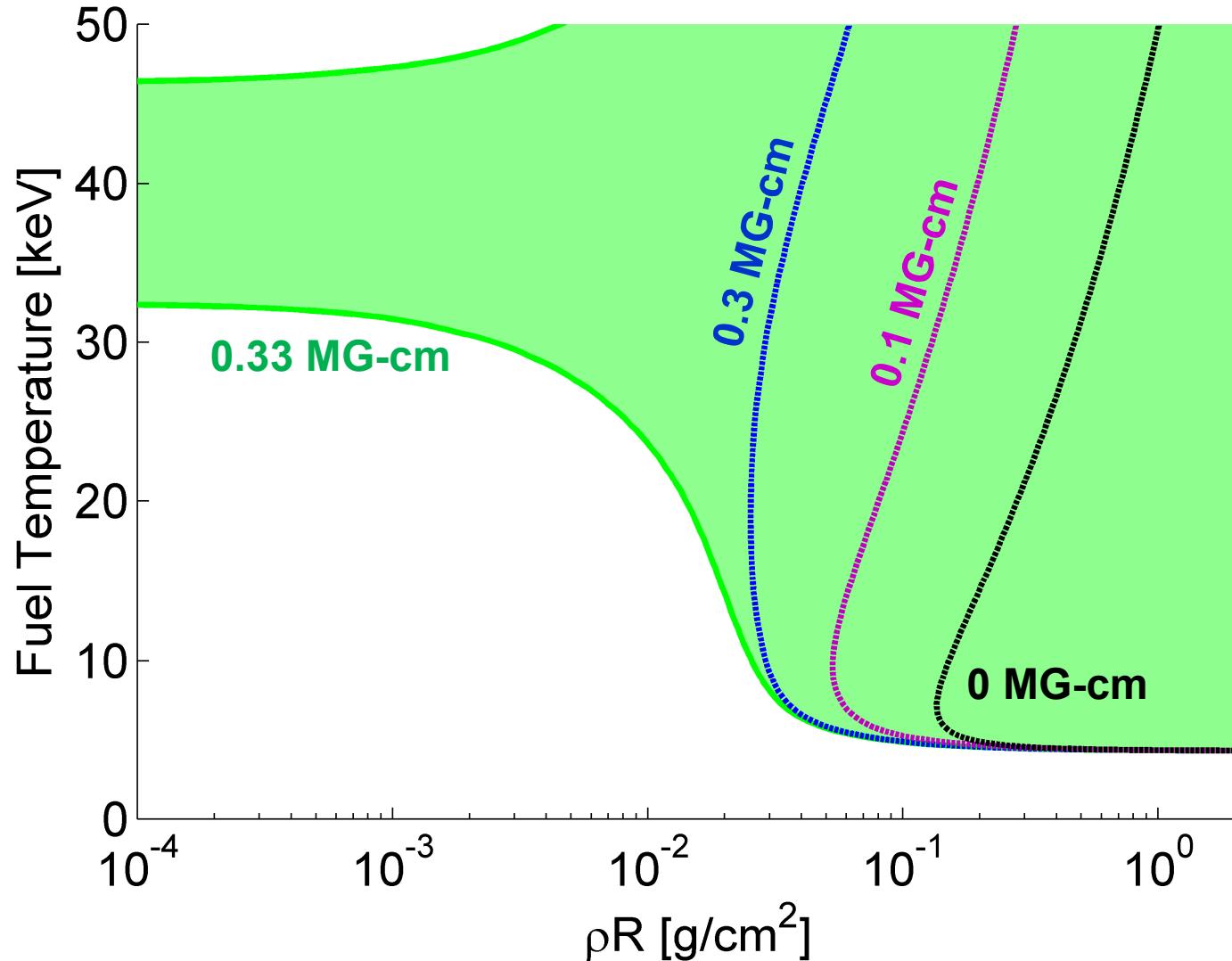
- Applying a magnetic field opens up a larger region of parameter space
- This is sufficient field to neglect electron thermal conduction loss
- Note the minimum temperature does not change because it is driven by radiation losses

# Magneto-inertial fusion (MIF) utilizes magnetic fields to relax the stagnation requirements of ICF



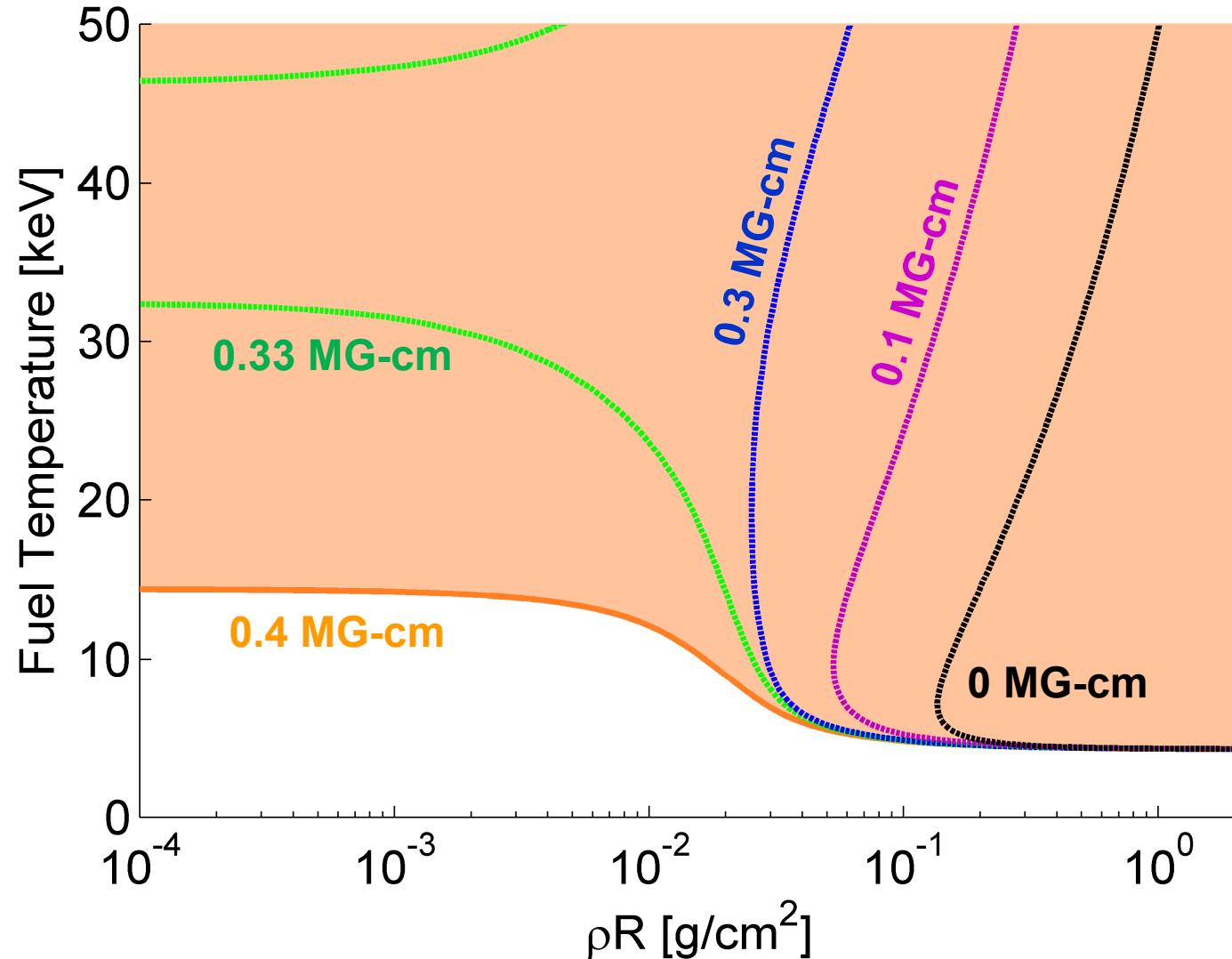
- This is sufficient field to neglect ion thermal conduction losses
- The Larmor radius of fusion alphas is approximately the radius of the fuel

# Magneto-inertial fusion (MIF) utilizes magnetic fields to relax the stagnation requirements of ICF



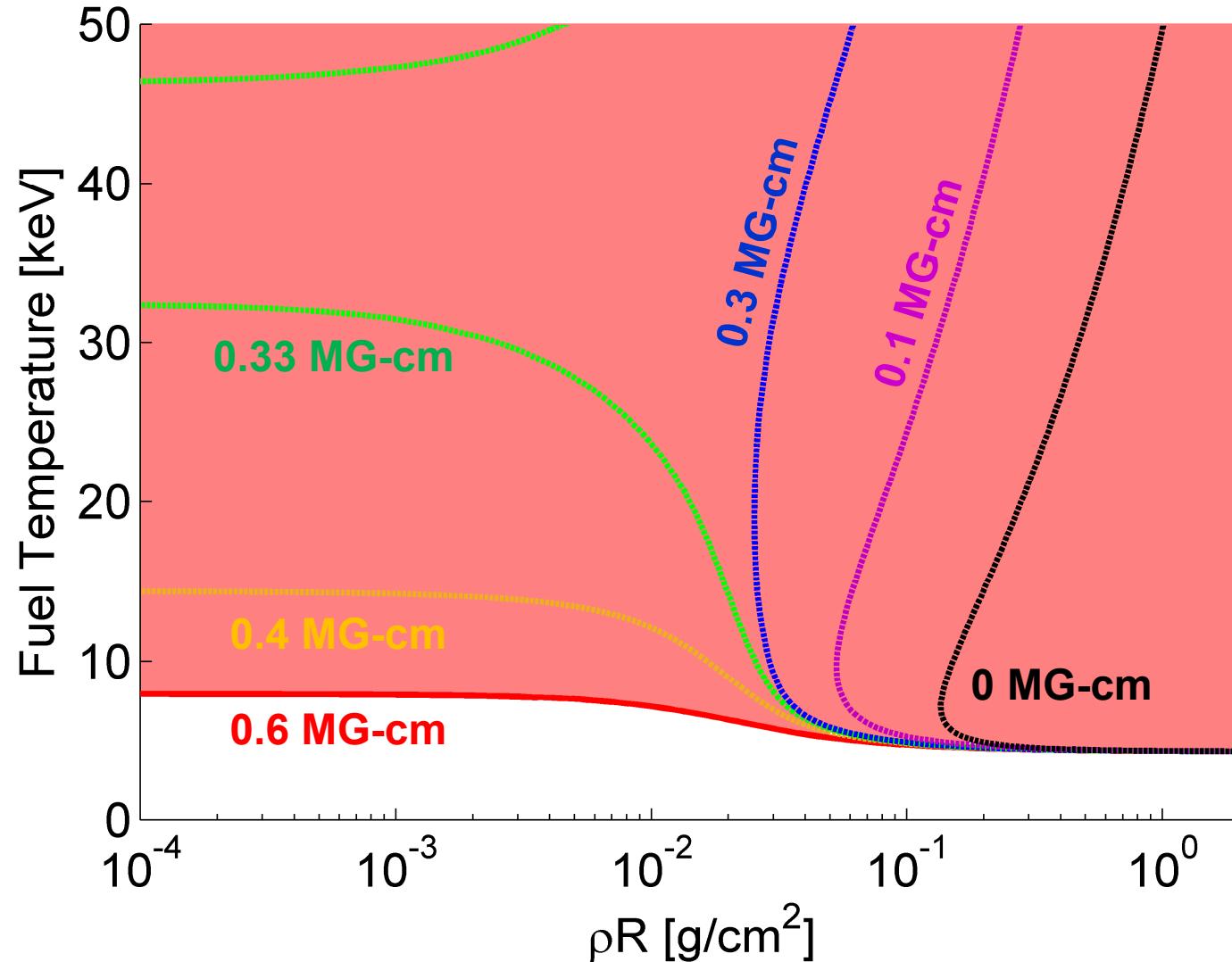
- There are dramatic gains for small changes in the field when the Larmor radius is slightly less than the fuel radius
- Substantial increase in the fusion energy trapped in the fuel

# Magneto-inertial fusion (MIF) utilizes magnetic fields to relax the stagnation requirements of ICF



- As field increases, confinement of the charged fusion-products is achieved through the magnetic field rather than the areal density

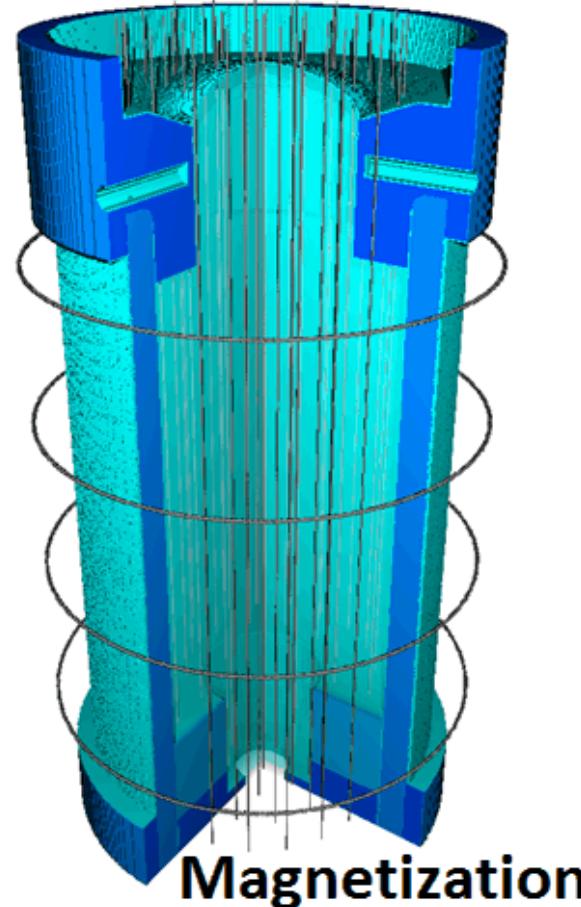
# Magneto-inertial fusion (MIF) utilizes magnetic fields to relax the stagnation requirements of ICF



- When the Larmor radius is about half of the fuel radius, the effect begins to saturate
- This means there is an optimal field for a given fuel configuration

# MagLIF<sup>[1,2]</sup> is an MIF concept that relies on three stages to heat, compress and confine fusion fuel

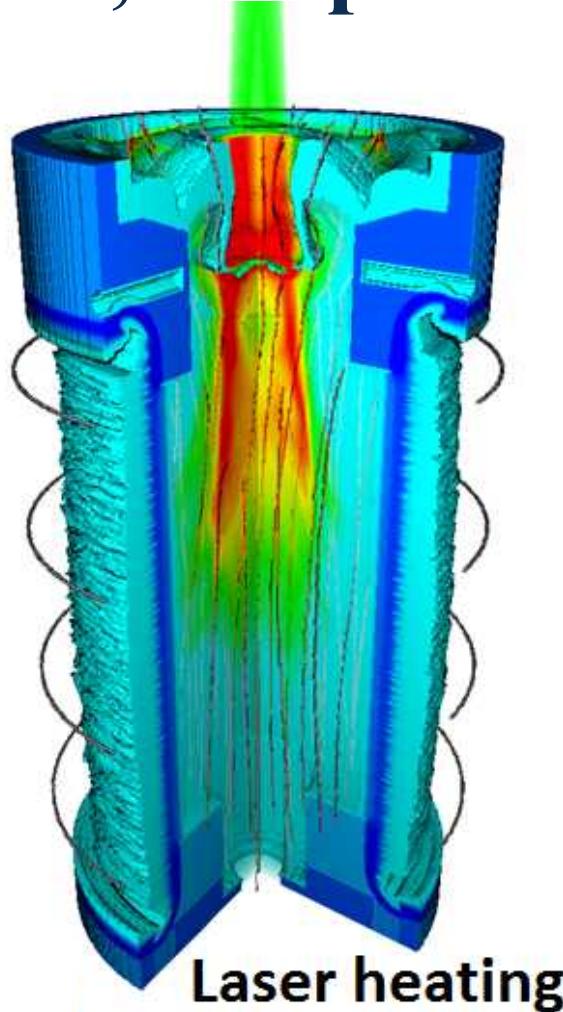
## Stage 1: Magnetization



- Be liner containing fusion fuel
  - D2 gas  $\sim$  mg/cc ( $n_e/n_{crit} < 0.1$ )
- Axial magnetic field is applied to target
  - 10-30 T
  - $\sim$  ms risetime
- Z current starts creating an azimuthal drive field

# MagLIF<sup>[1,2]</sup> is an MIF concept that relies on three stages to heat, compress and confine fusion fuel

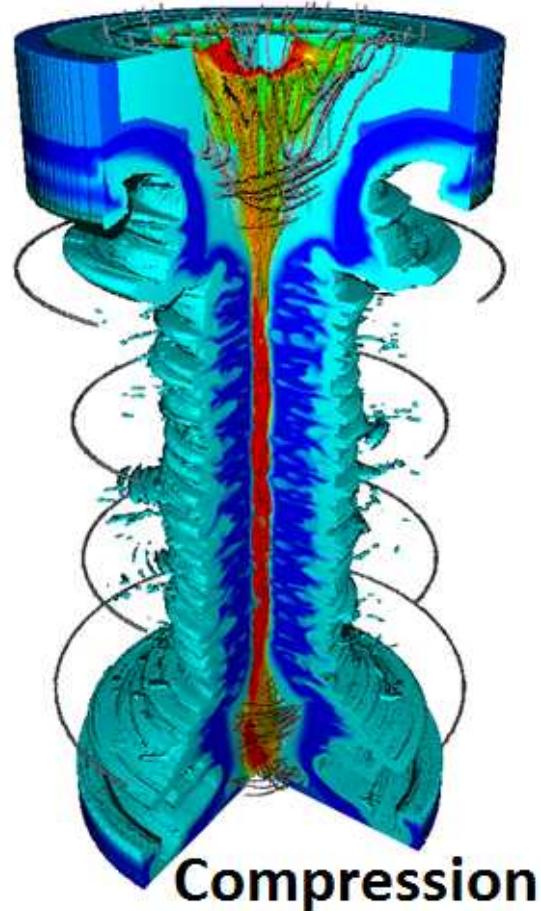
## Stage 2: Laser Heating



- **Liner begins to compress**
  - OD is moving but ID is stationary
- **Laser heats the fuel**
  - $T_e \sim 100s$  of eV
- **Liner ID begins to implode**
- **Simulations indicate that fuel conditions isotropize over the 10s of ns of the implosion**

# MagLIF<sup>[1,2]</sup> is an MIF concept that relies on three stages to heat, compress and confine fusion fuel

## Stage 3: Compression

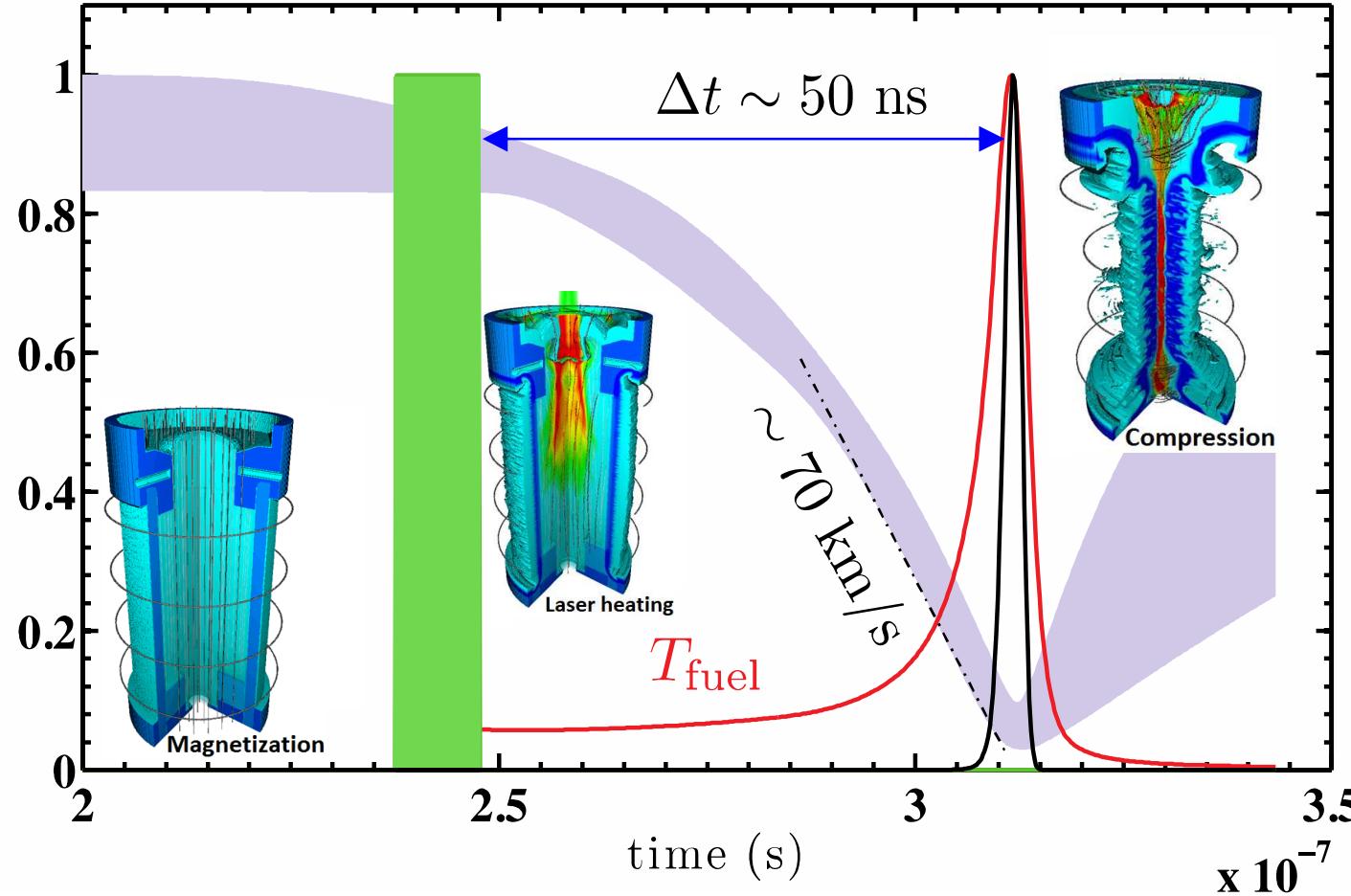


- Axial magnetic field insulates fuel from liner throughout implosion
  - Field increases substantially through magnetic flux compression
- Fuel is heated through  $PdV$  work to keV temperatures
- Liner stagnates
  - Plasma pressure exceeds drive pressure

[1] S. A. Slutz, *et al.*, Phys. Plasmas **17** 056303 (2010)

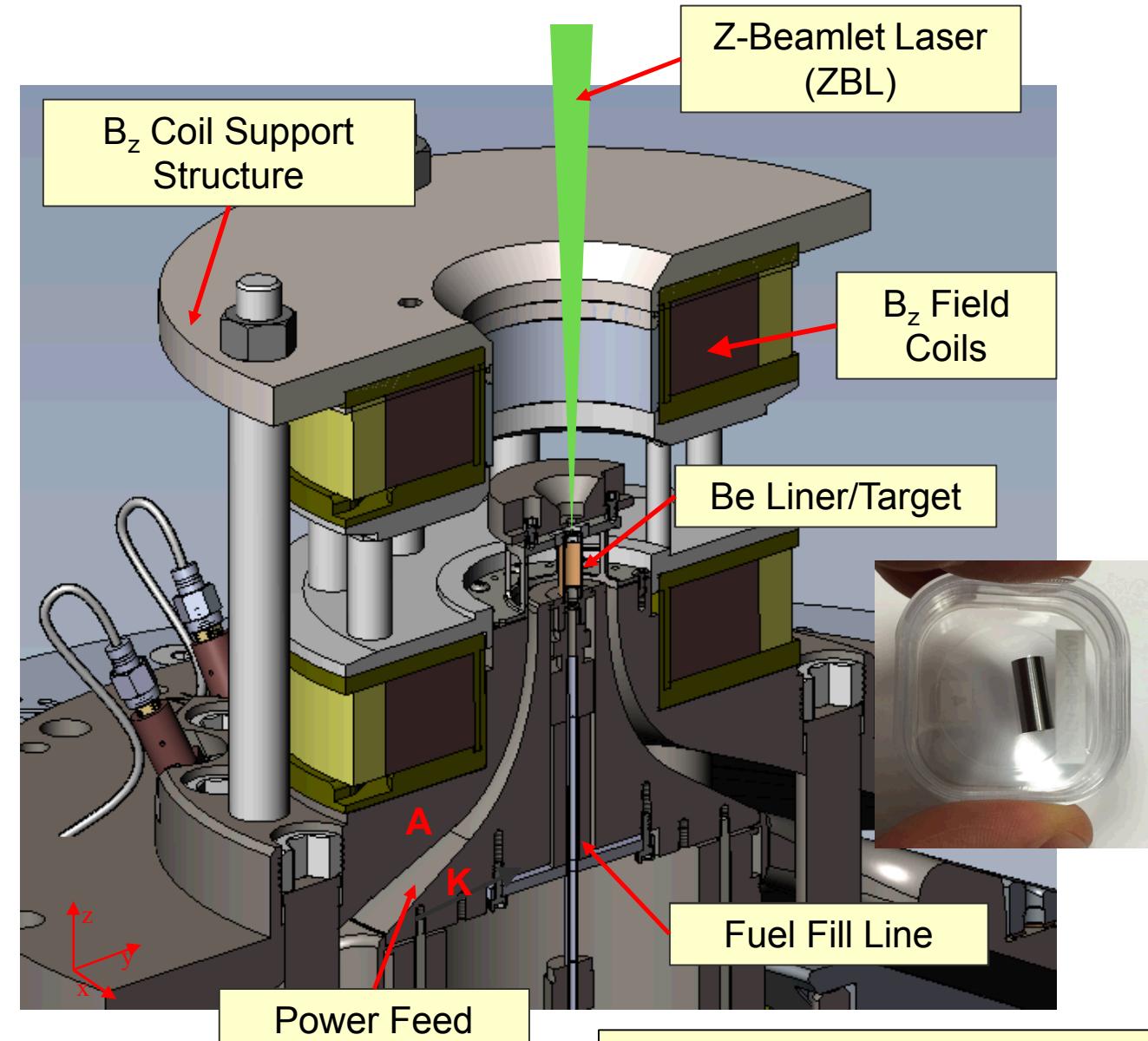
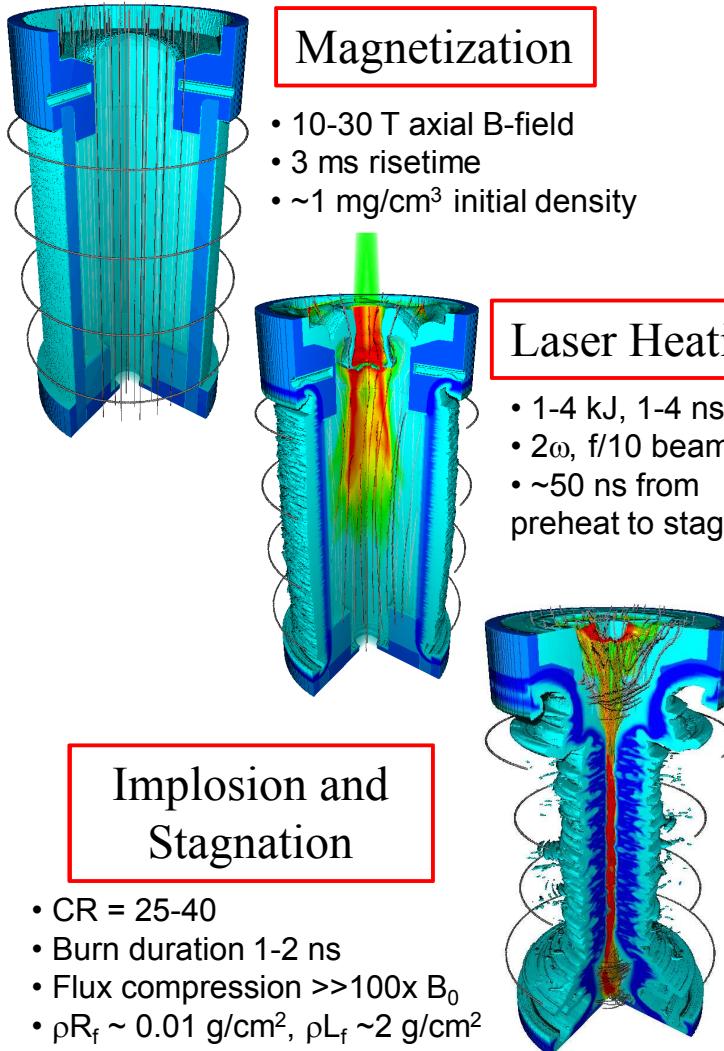
[2] A.B. Sefkow, *et al.*, Phys. Plasmas, **21** 072711 (2014)

# Magnetization and preheat reduce peak velocity required for ignition compared to traditional ICF

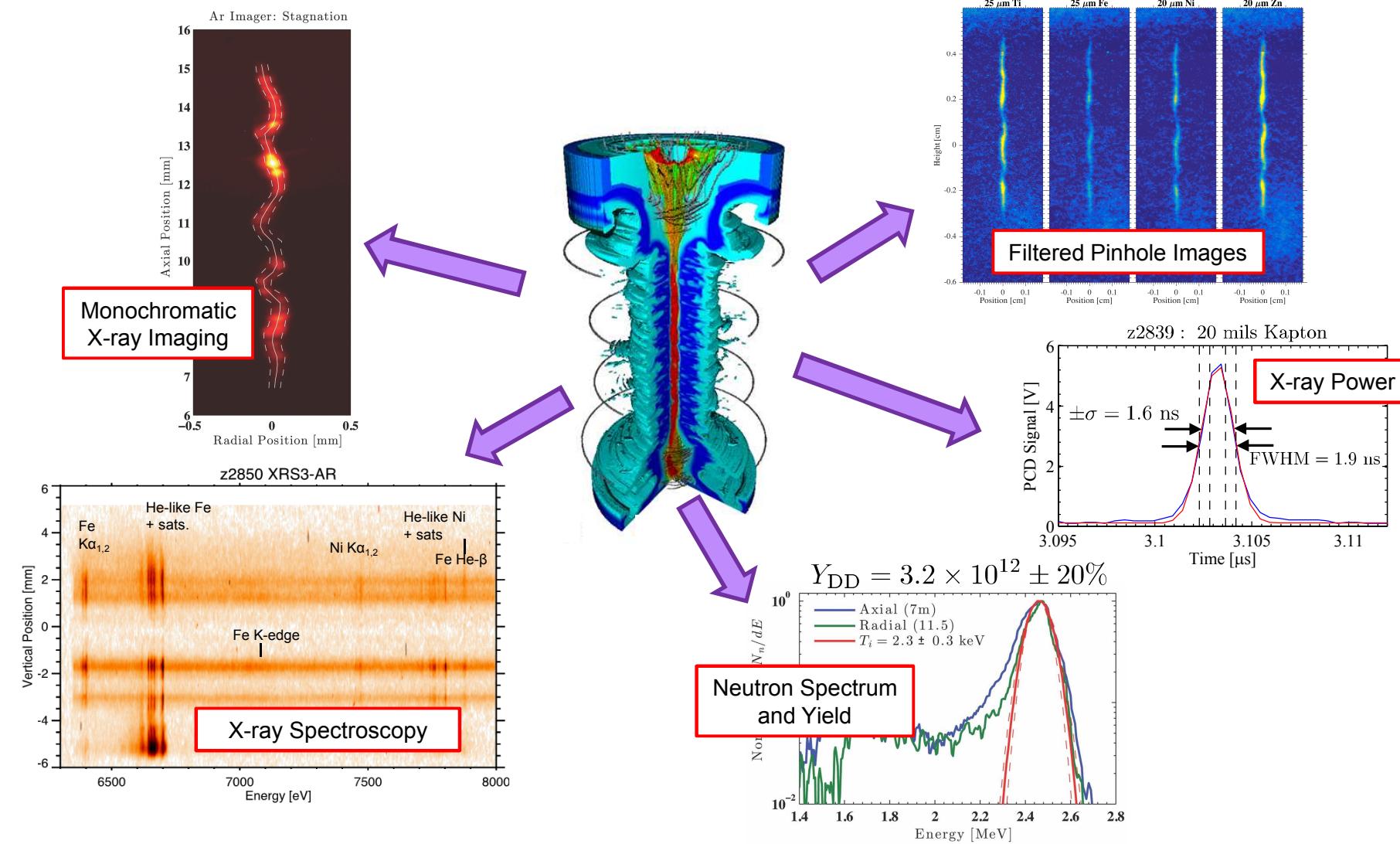


- Magnetization confines 3.5 MeV  $\alpha$ -particles at lower  $\rho R$
- Preheating + magnetization allows ignition temperature to be reached at a lower implosion velocity
- Calculations show MagLIF scales to high yield and gain\*

# MagLIF experiments are complicated to field and analyze

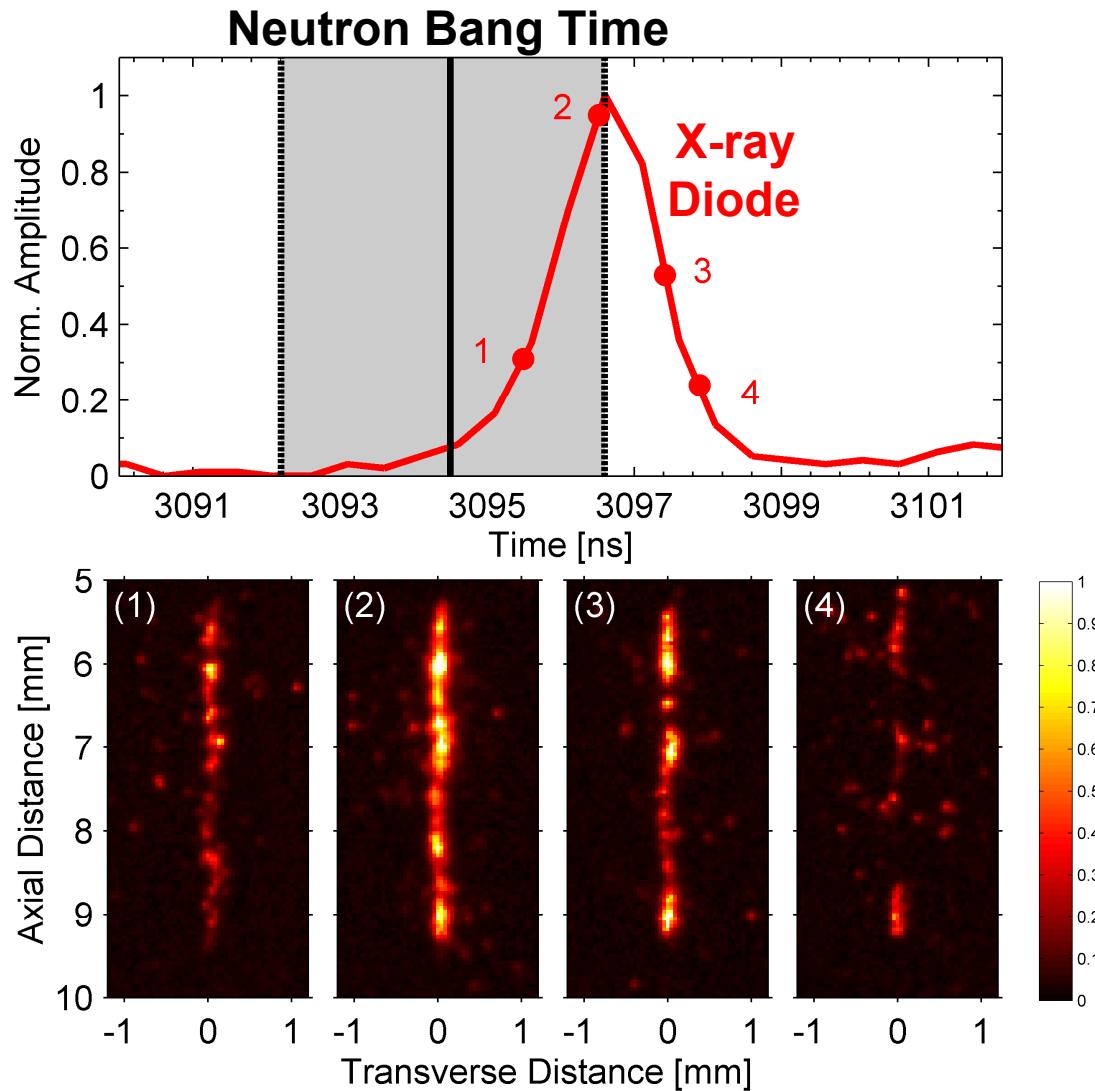


# We have demonstrated key aspects of magneto-inertial fusion on Sandia's Z



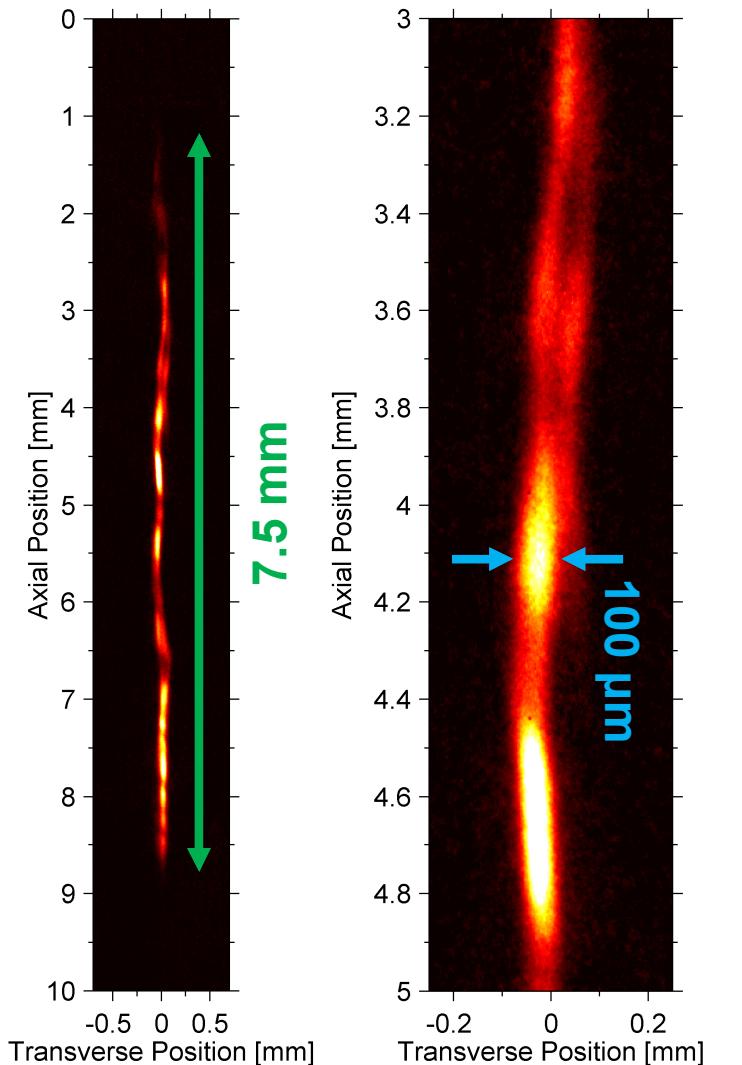
- Our extensive suite of diagnostics allow us to measure the fuel temperature, density, volume, magnetic field, and burn duration
  - Neutron yield and time-of-flight
  - x-ray imaging and spectroscopy
  - Radiated power and energy

# X-ray diodes and time-resolved x-ray pinhole images show the fuel radiating at stagnation



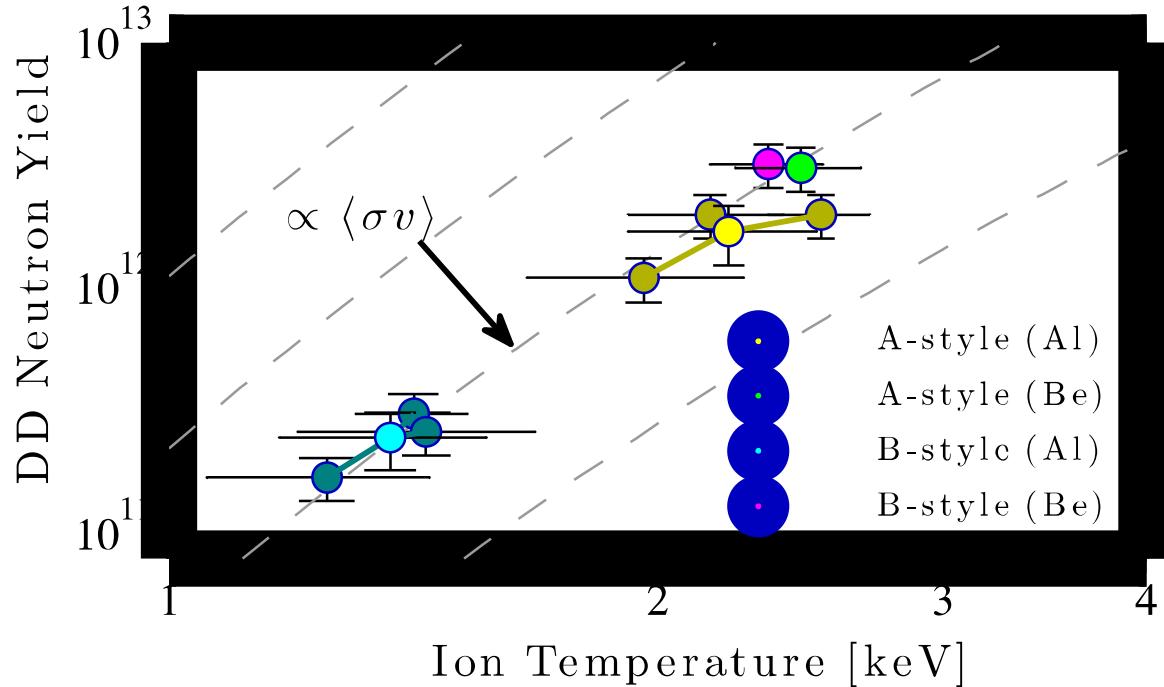
- Heavily-filtered diodes detect a 2 ns FWHM burst of x-rays
- Coincides with the neutron bang time measurement to within timing uncertainties
- Filtered pinhole images during the x-ray burst show a narrow emission column

# Our spherical crystal imaging system was repurposed to record x-ray emission from the fuel



- Hot fuel emission at stagnation gives information about the CR and uniformity of the plasma
- Hot fuel radius is CR  $\sim 45$
- Helical structure to the emission column
- Intensity fluctuations a combination of emission and opacity variations

# The primary neutron increases as the ion temperature increases



- Yield and ion temperature are related by the fusion reaction rate
- Experimental values roughly follow the trajectory of the fusion reaction rate
- This is expected for a thermonuclear plasma

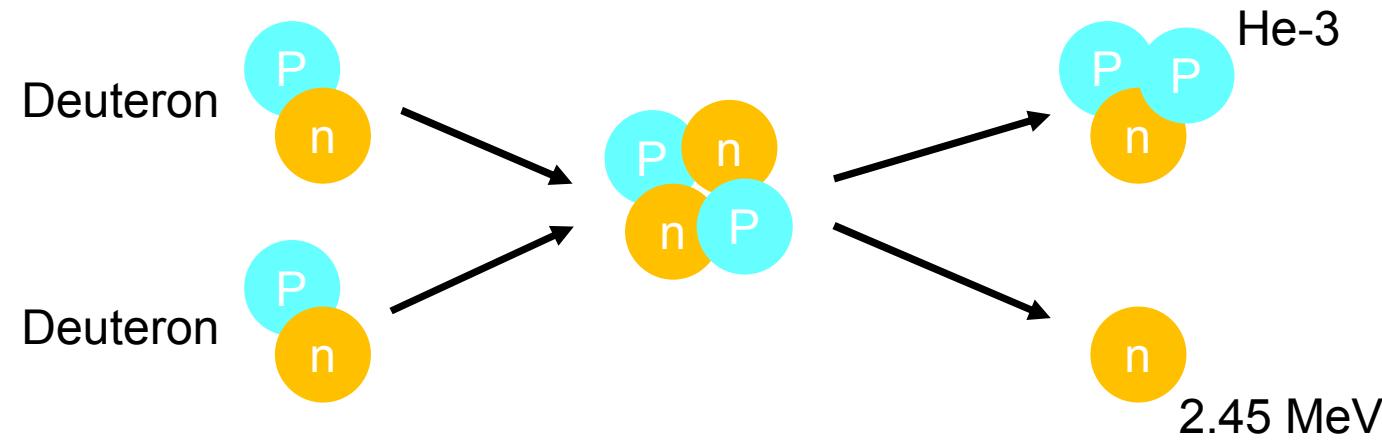
# Despite early success, there are a number of unknowns



- According to the models, we have a lot of room for improvement
  - Current best yield is  $4 \times 10^{12}$  DD neutrons
  - Think  $>10^{14}$  DD neutrons are possible on Z
- What keeps *me* up at night?
  - Can we keep the fuel clean enough to stay hot?
  - Will instabilities shred the liner before it can compress the fuel?
  - Can we effectively heat the fuel with a laser?
  - Can we efficiently compress the magnetic field to the required strength?

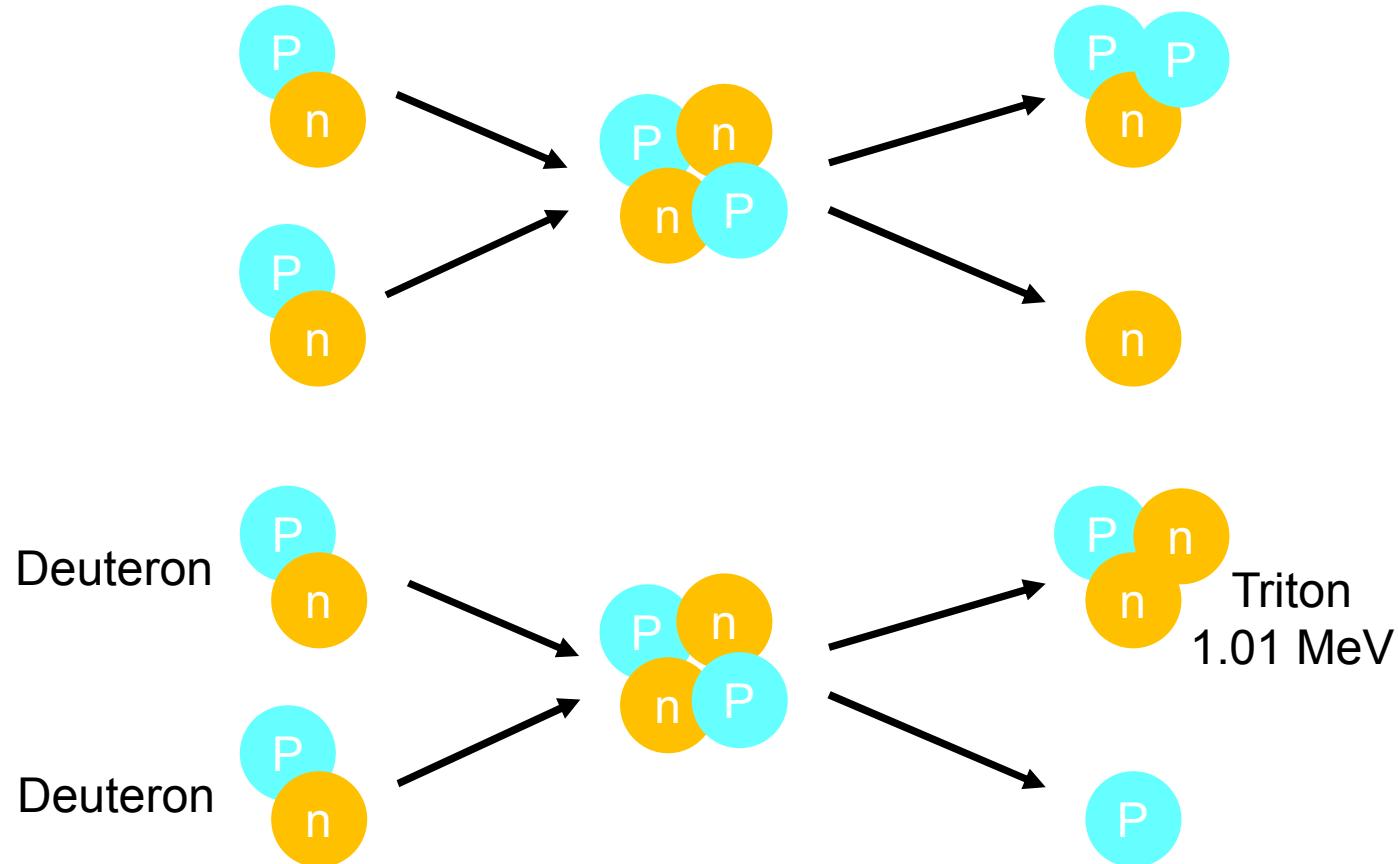
# The fuel in these experiments is deuterium gas: one branch produces a neutron...

## Primary Reactions



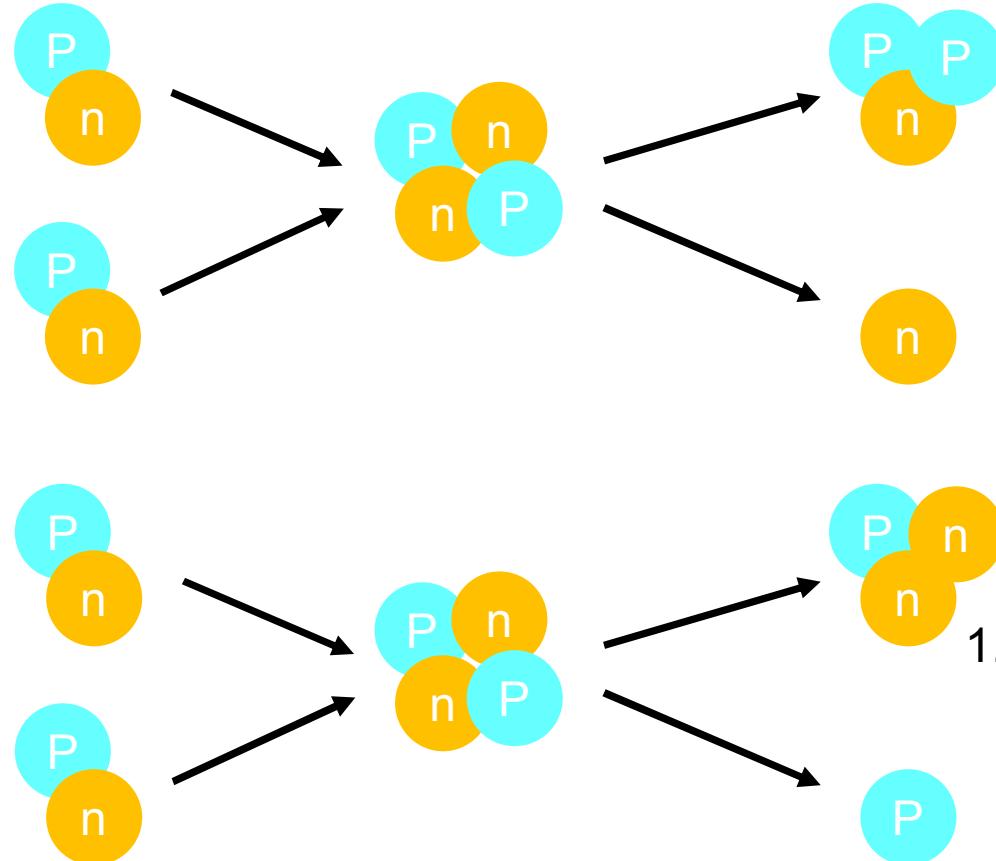
# ...and the other branch produces a triton...

## Primary Reactions



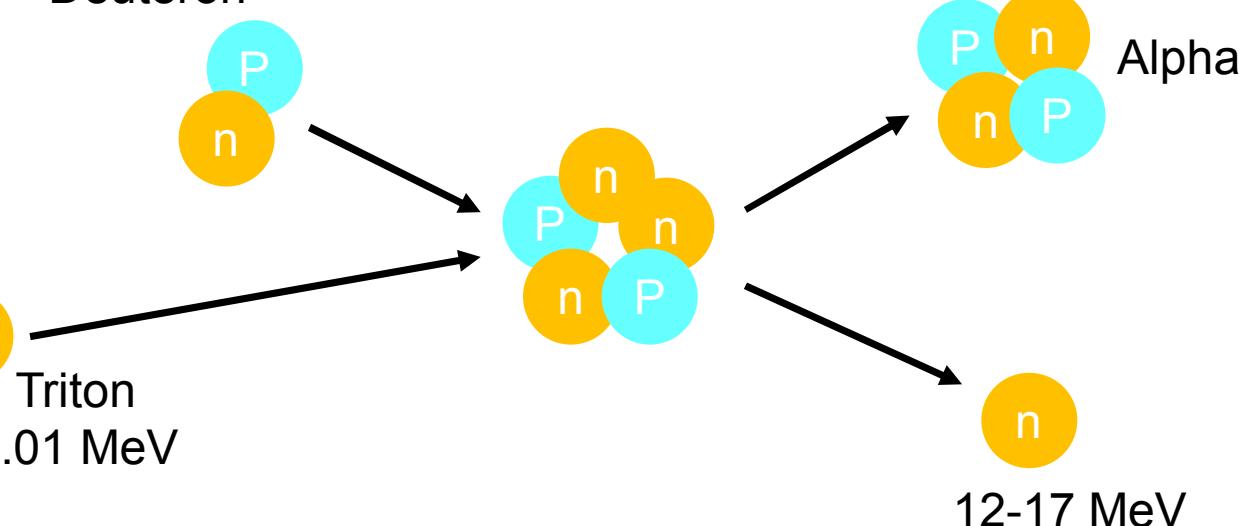
# ...which can fuse with a deuteron to produce a higher energy neutron

## Primary Reactions



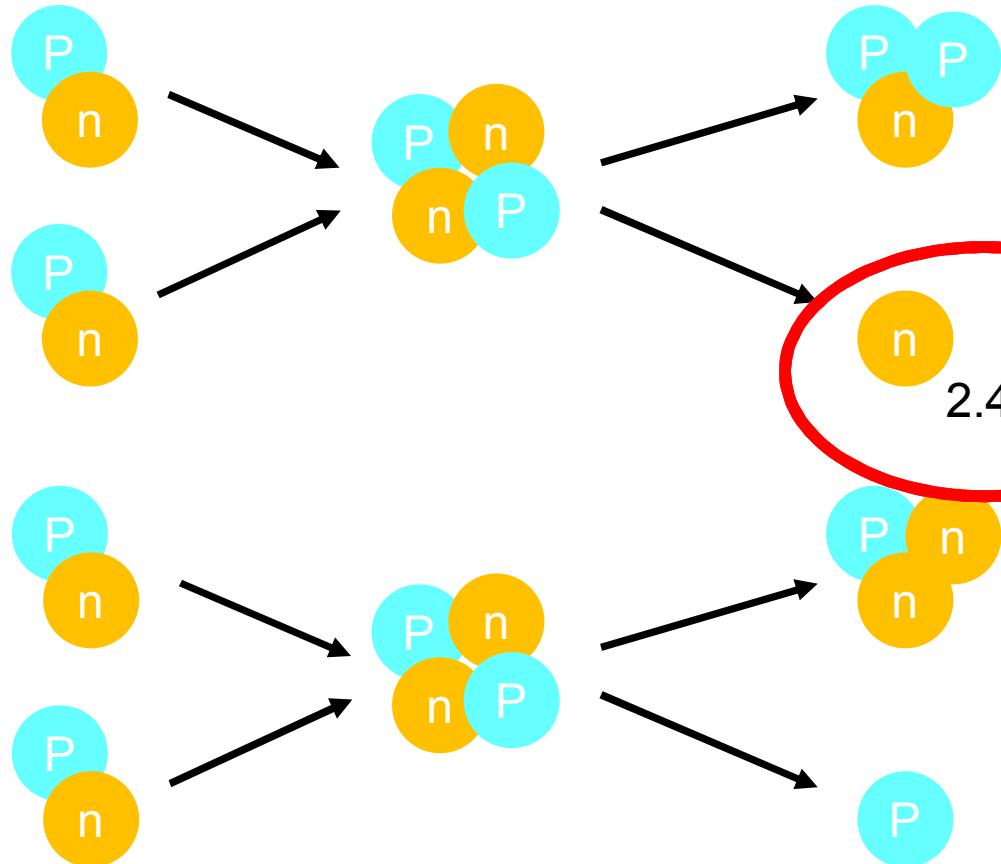
## Deuteron

## Secondary Reaction

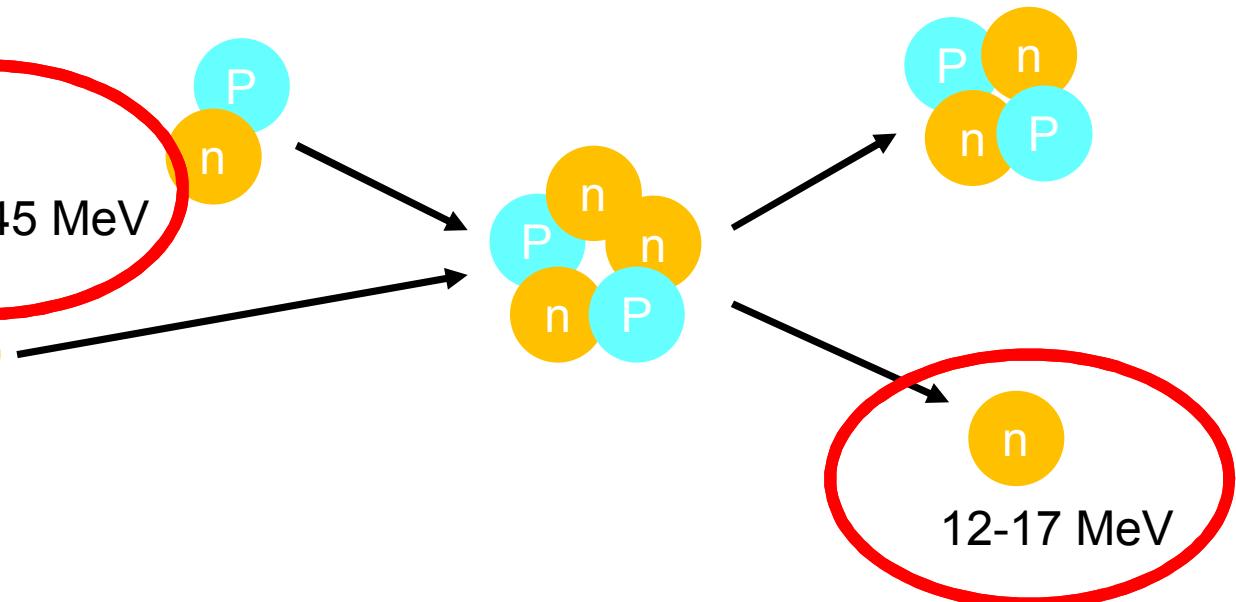


# We measure both the primary and secondary neutrons

## Primary Reactions

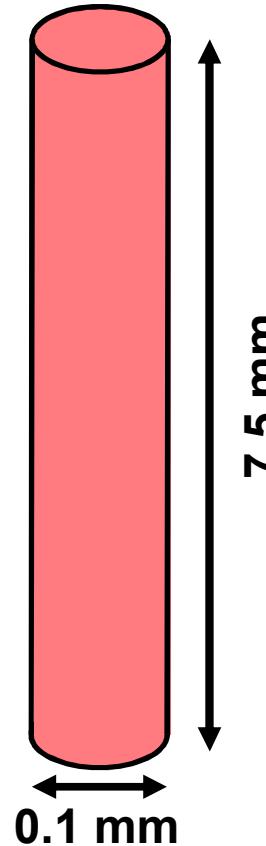


## Secondary Reaction



# Secondary neutrons are produced when primary tritons react before exiting the fuel

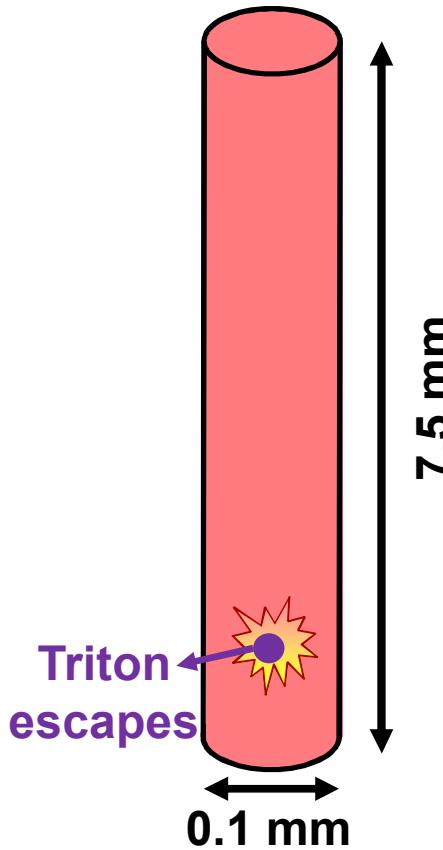
No B-field



- High aspect ratio stagnation geometry
  - Height  $\gg$  radius

# Secondary neutrons are produced when primary tritons react before exiting the fuel

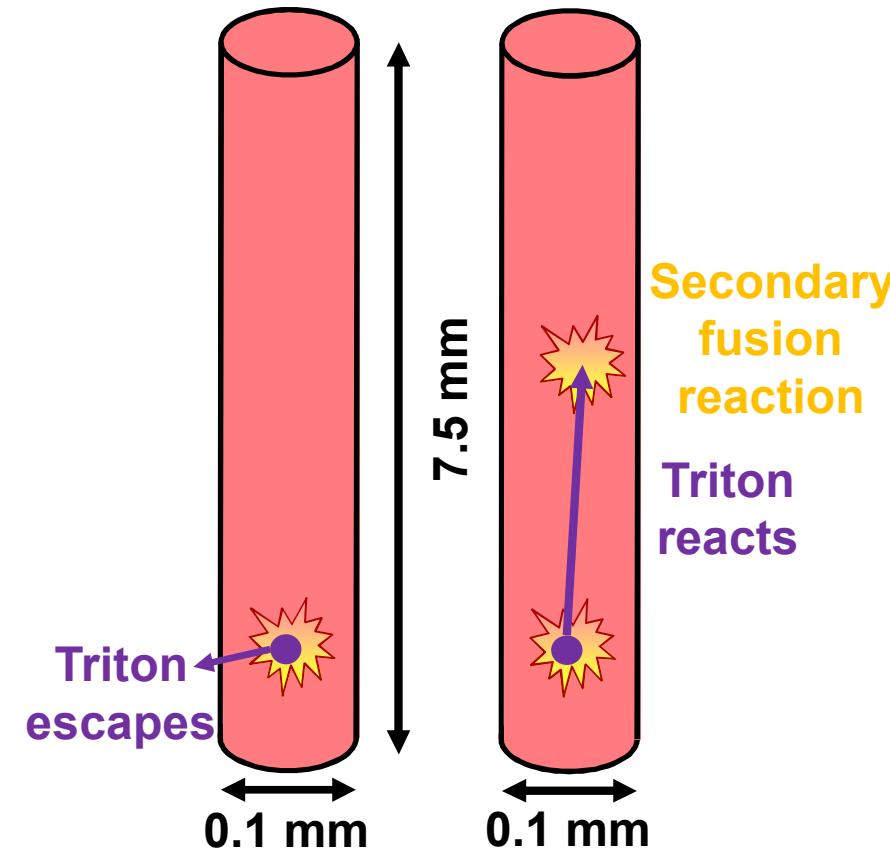
## No B-field



- High aspect ratio stagnation geometry
  - Height  $\gg$  radius
- Consider 2 cases:
  - 1) Triton is created traveling radially
    - Very little probability of interacting prior to escaping

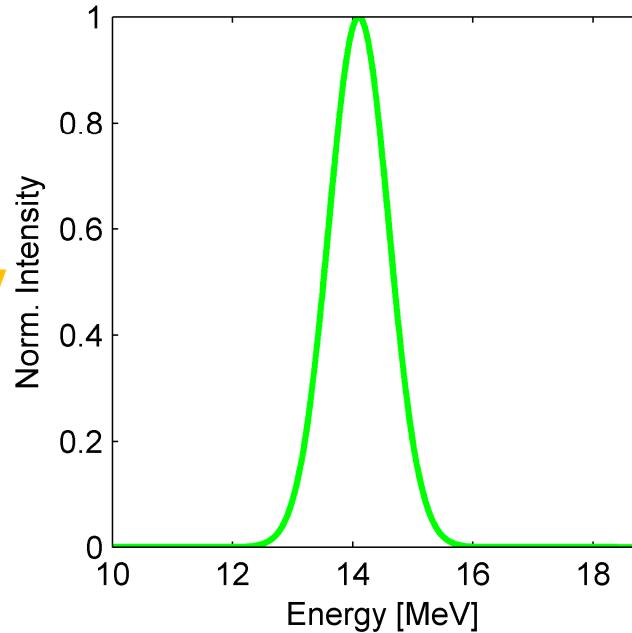
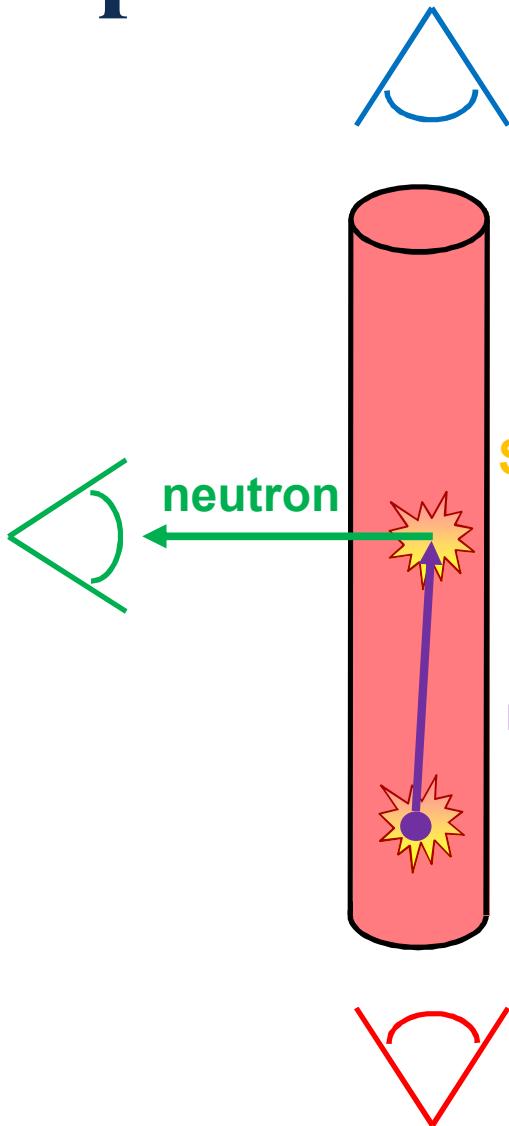
# Secondary neutrons are produced when primary tritons react before exiting the fuel

## No B-field



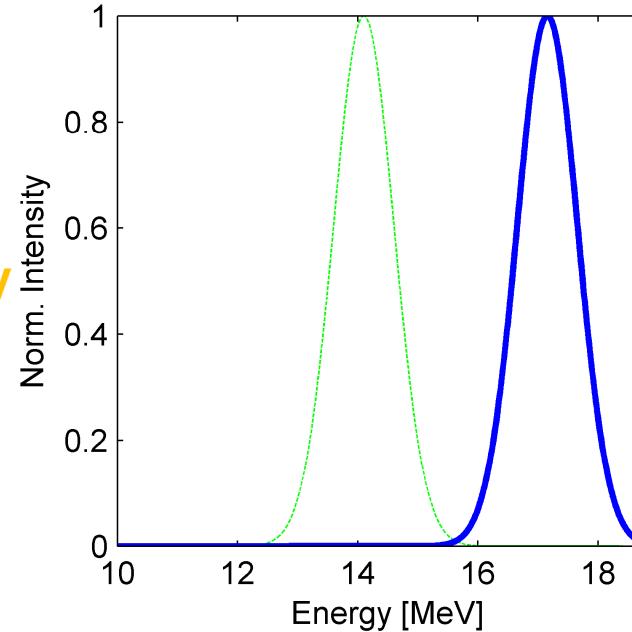
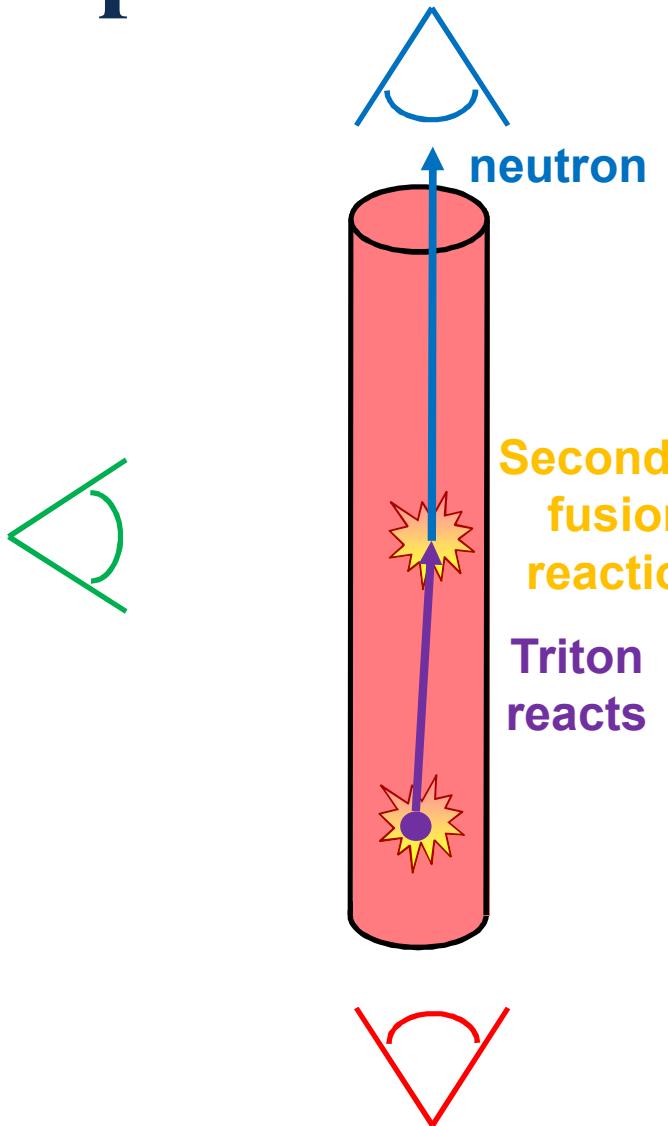
- High aspect ratio stagnation geometry
  - Height  $\gg$  radius
- Consider 2 cases:
  - 1) Triton is created traveling radially
    - Very little probability of interacting prior to escaping
  - 2) Triton is created traveling axially
    - High probability of fusion prior to escaping

# The secondary neutron energy spectra are not expected to be isotropic



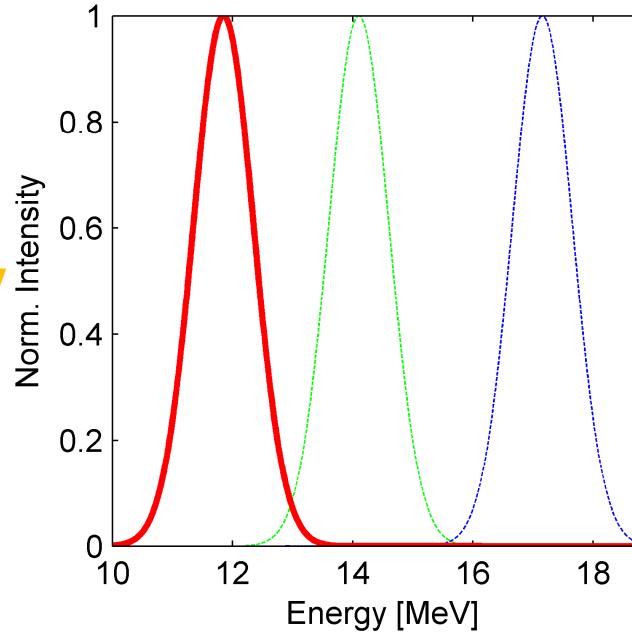
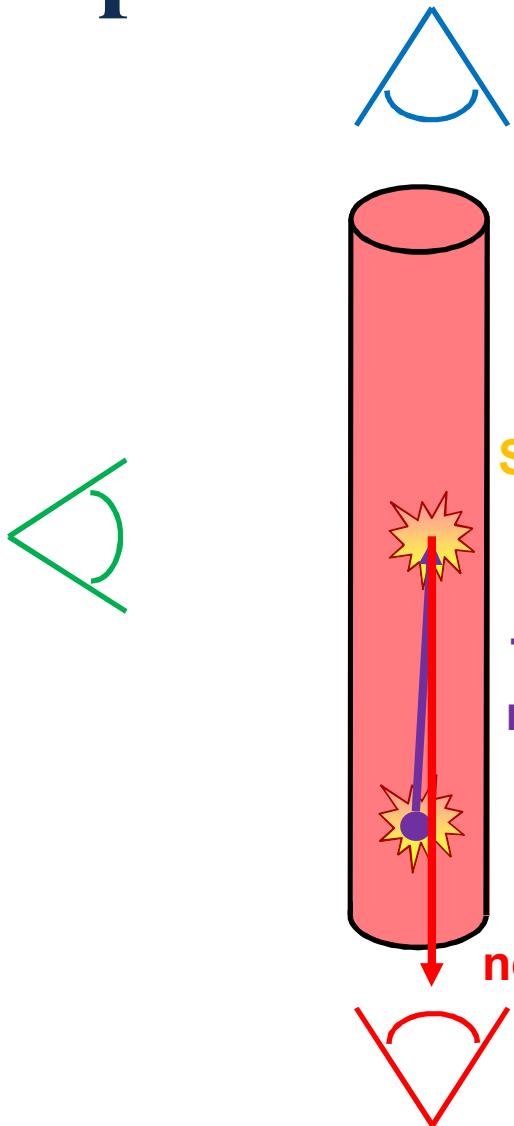
- Consider 3 detector locations:
  - Radial
  - Neutrons at nominal energy

# The secondary neutron energy spectra are not expected to be isotropic



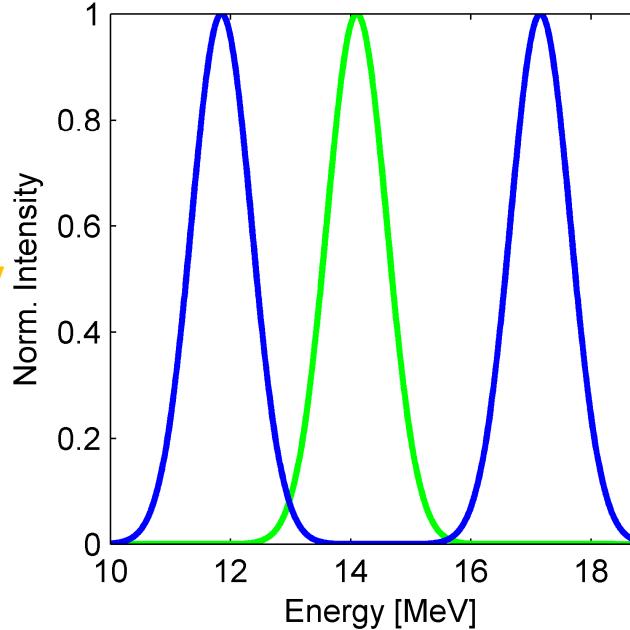
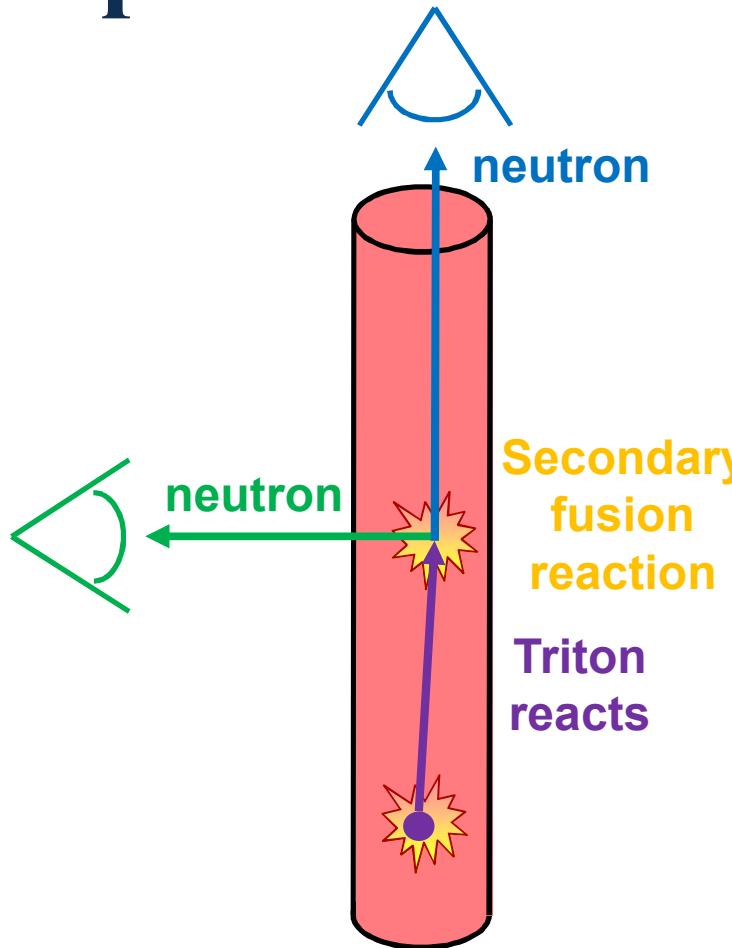
- Consider 3 detector locations:
  - Radial
    - Neutrons at nominal energy
  - Axial (triton moving towards)
    - Neutrons shifted to higher energy

# The secondary neutron energy spectra are not expected to be isotropic



- Consider 3 detector locations:
  - Radial
    - Neutrons at nominal energy
  - Axial (triton moving towards)
    - Neutrons shifted to higher energy
  - Axial (triton moving away)
    - Neutrons shifted to lower energy

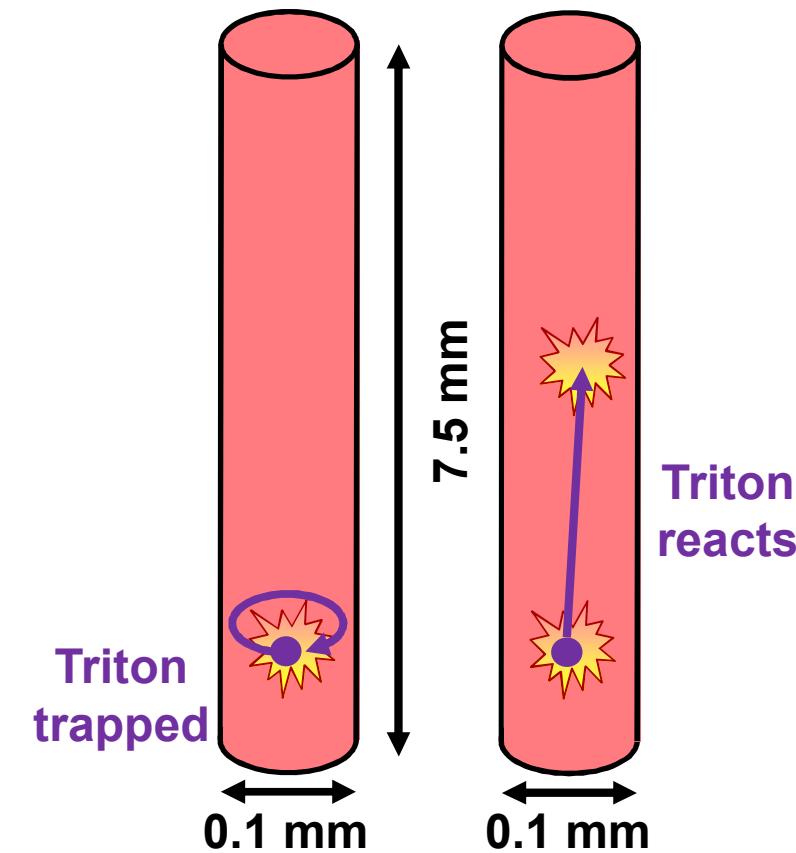
# The secondary neutron energy spectra are not expected to be isotropic



- Consider 3 detector locations:
  - Radial
    - Neutrons at nominal energy
  - Axial (triton moving towards)
    - Neutrons shifted to higher energy
  - Axial (triton moving away)
    - Neutrons shifted to lower energy
- Axial detectors will have double peaked structure

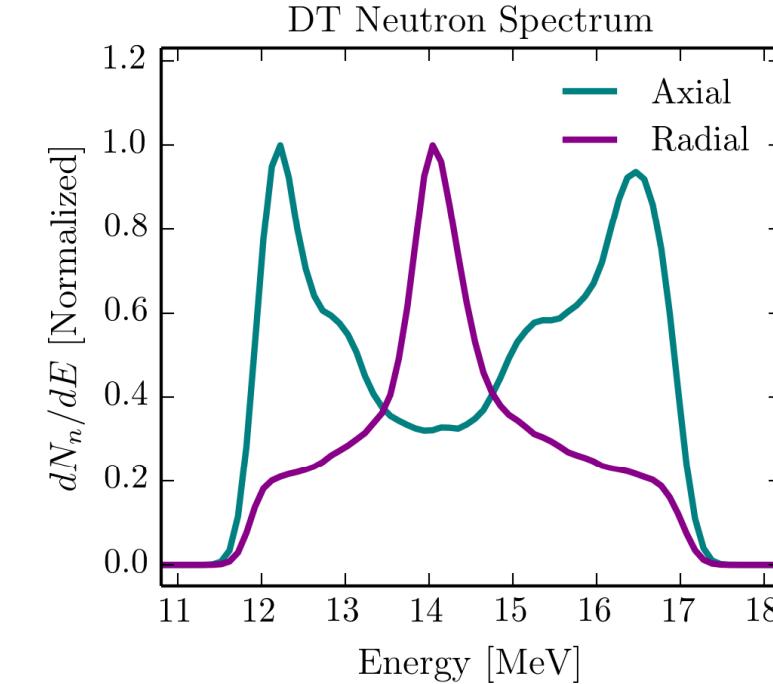
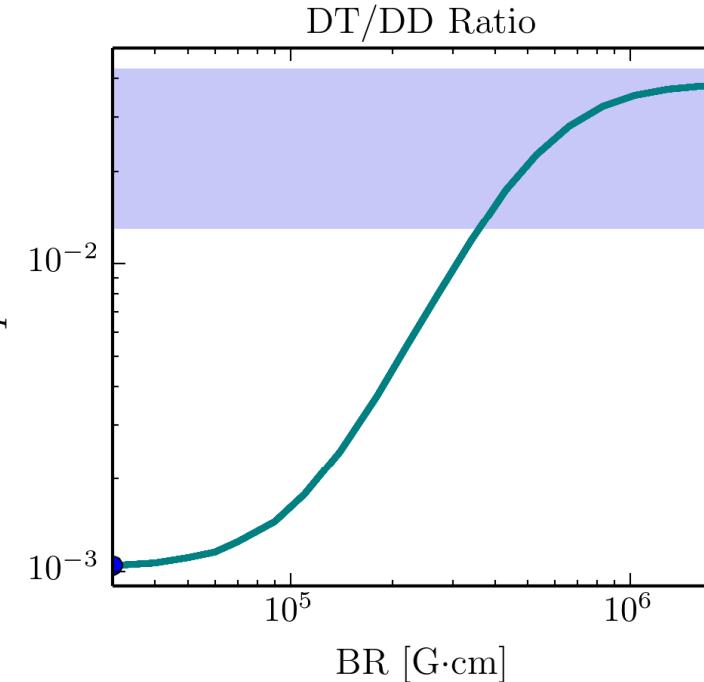
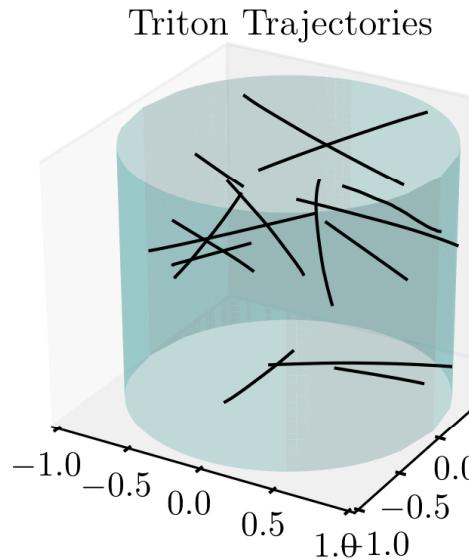
# Adding a strong enough axial magnetic field allows tritons to interact for any initial direction

## High B-field



- Consider 2 cases:
  - 1) Triton is created traveling axially
    - Axial field has little impact on trajectory
    - Triton has a high probability of fusion
  - 2) Triton is created traveling radially
    - Axial magnetic field traps triton within fuel volume
    - Triton has a high probability of fusion
- With a high enough magnetic field, all tritons have equal probability of secondary fusion

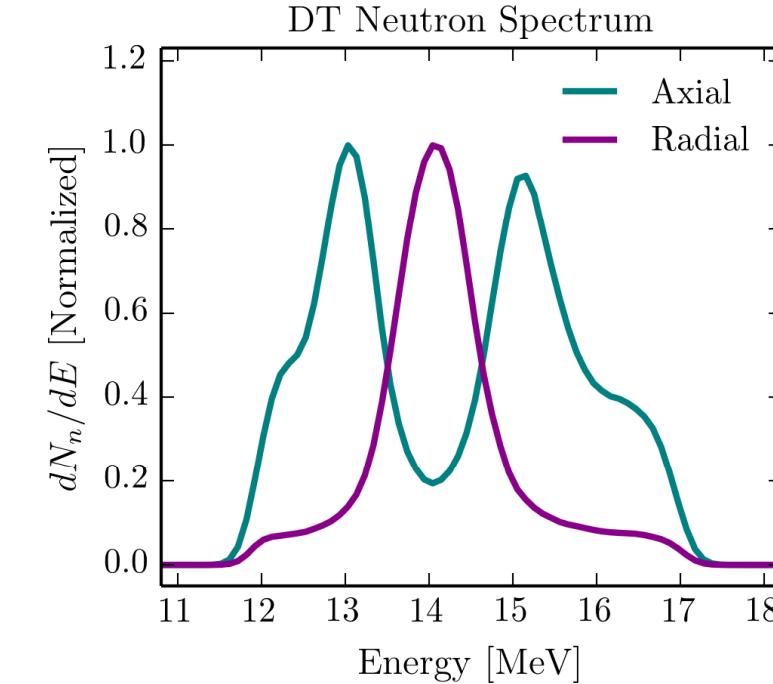
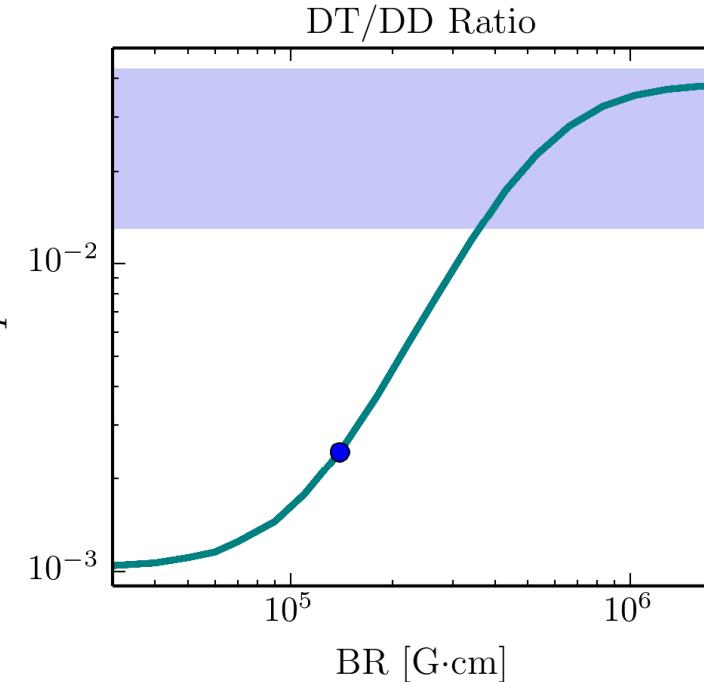
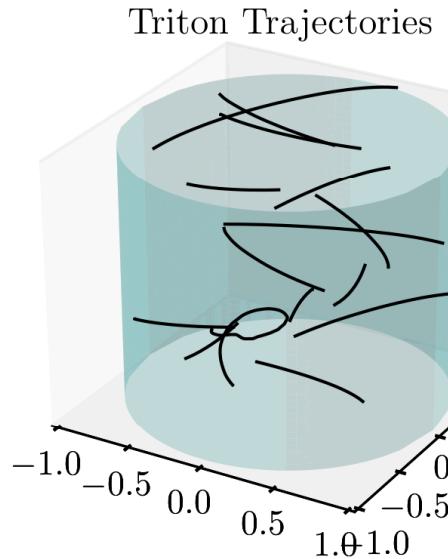
# Magnetizing the tritons modifies their trajectories, imprinting on DT spectrum



- Magnetization serves to:
  - Trap tritons
  - Direct them axially
  - Execute helical orbits
- Axial redirection forces tritons to see  $\rho Z$  instead of  $\rho R$ 
  - $\rho Z = AR^* \rho R$ ,  $AR \gg 1$
  - broadens the velocity distribution of tritons that have a significant probability of reaction

At large  $BR$ , helical orbits induce Doppler splitting in the radial view

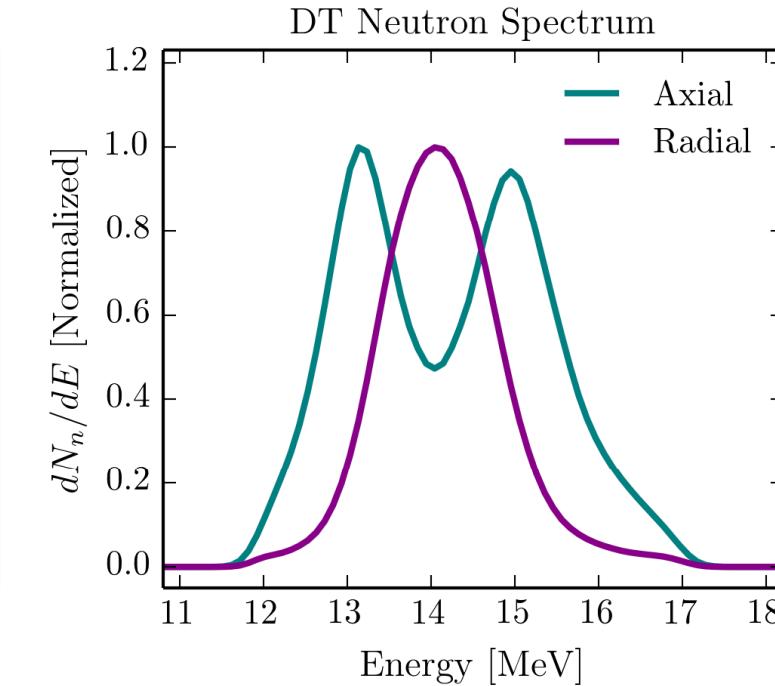
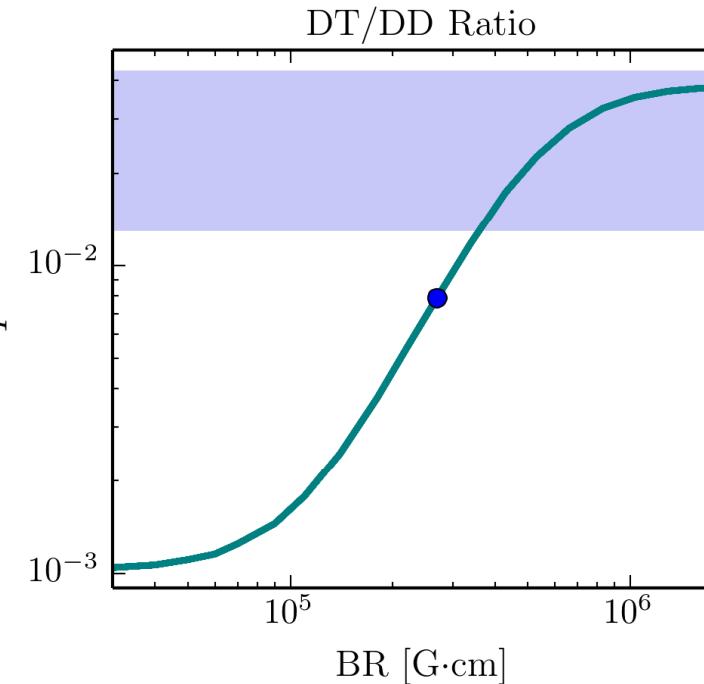
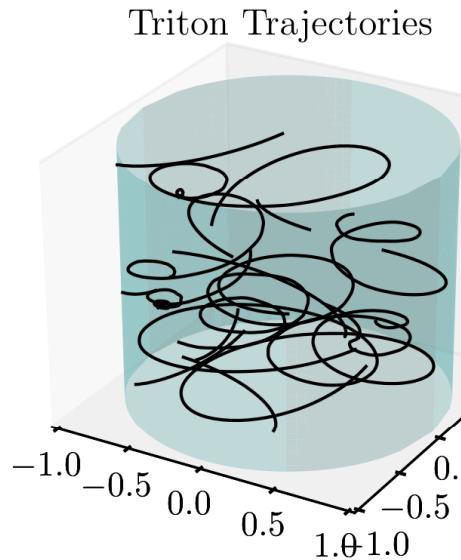
# Magnetizing the tritons modifies their trajectories, imprinting on DT spectrum



- Magnetization serves to:
  - Trap tritons
  - Direct them axially
  - Execute helical orbits
- Axial redirection forces tritons to see  $\rho Z$  instead of  $\rho R$ 
  - $\rho Z = AR^* \rho R$ ,  $AR \gg 1$
  - broadens the velocity distribution of tritons that have a significant probability of reaction

At large  $BR$ , helical orbits induce Doppler splitting in the radial view

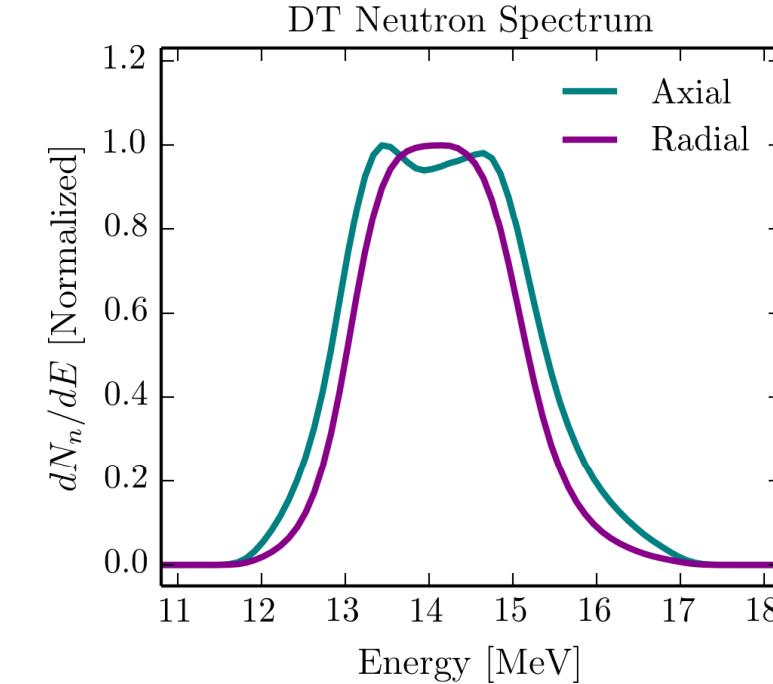
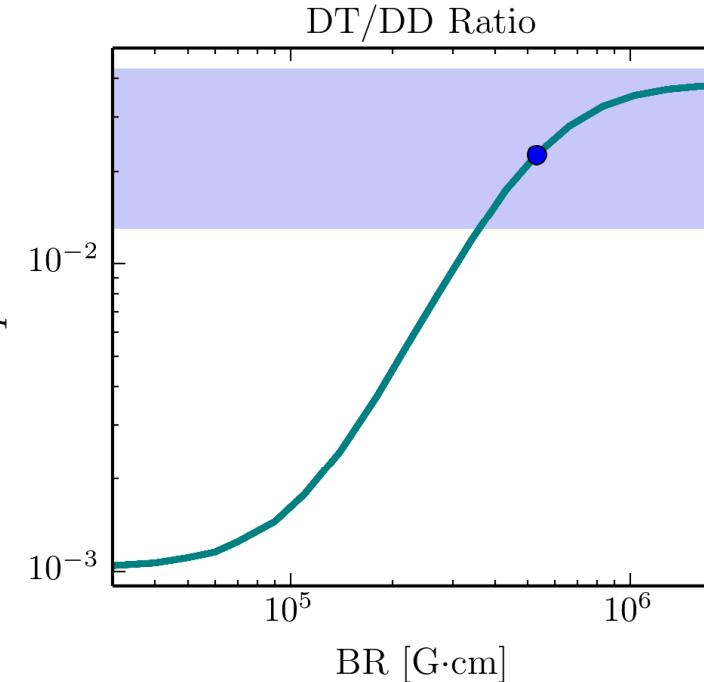
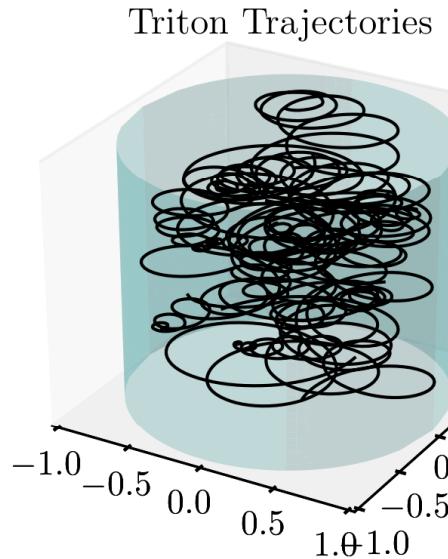
# Magnetizing the tritons modifies their trajectories, imprinting on DT spectrum



- Magnetization serves to:
  - Trap tritons
  - Direct them axially
  - Execute helical orbits
- Axial redirection forces tritons to see  $\rho Z$  instead of  $\rho R$ 
  - $\rho Z = AR^* \rho R$ ,  $AR \gg 1$
  - broadens the velocity distribution of tritons that have a significant probability of reaction

At large  $BR$ , helical orbits induce Doppler splitting in the radial view

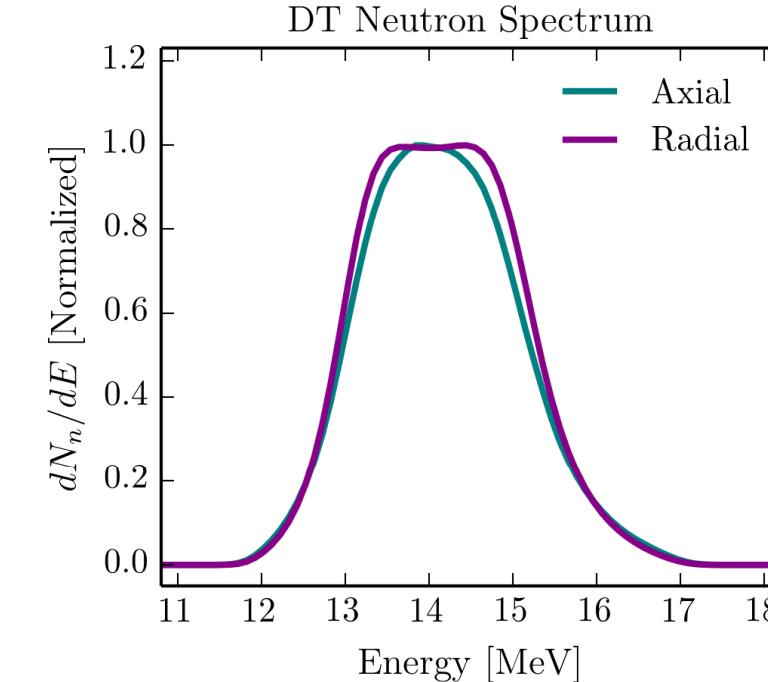
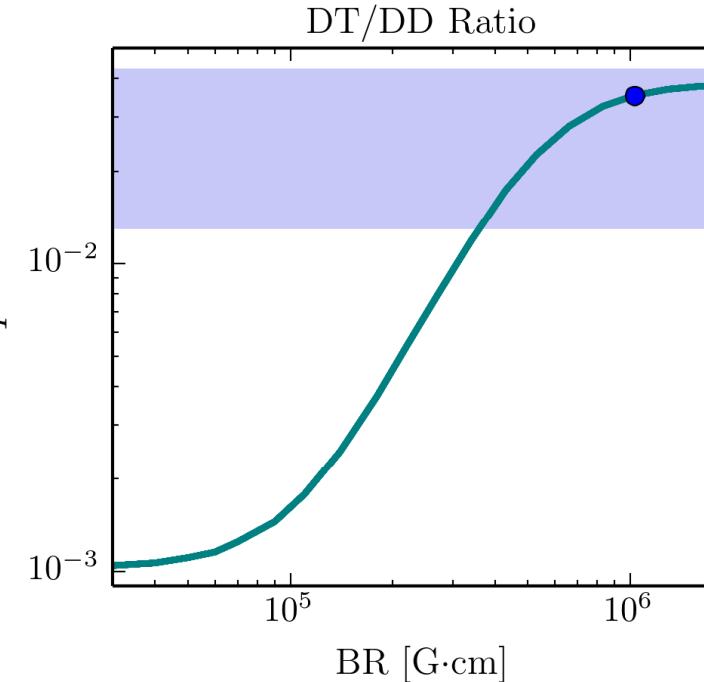
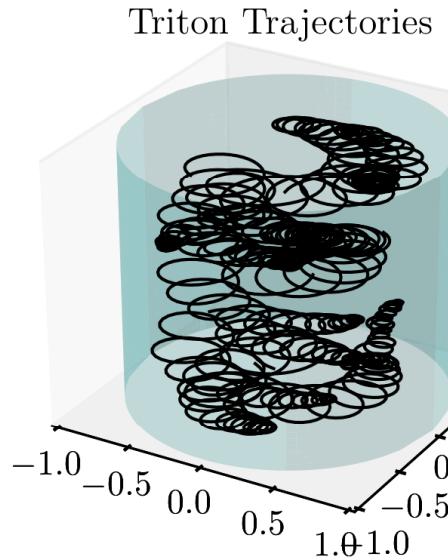
# Magnetizing the tritons modifies their trajectories, imprinting on DT spectrum



- Magnetization serves to:
  - Trap tritons
  - Direct them axially
  - Execute helical orbits
- Axial redirection forces tritons to see  $\rho Z$  instead of  $\rho R$ 
  - $\rho Z = AR * \rho R$ ,  $AR \gg 1$
  - broadens the velocity distribution of tritons that have a significant probability of reaction

At large  $BR$ , helical orbits induce Doppler splitting in the radial view

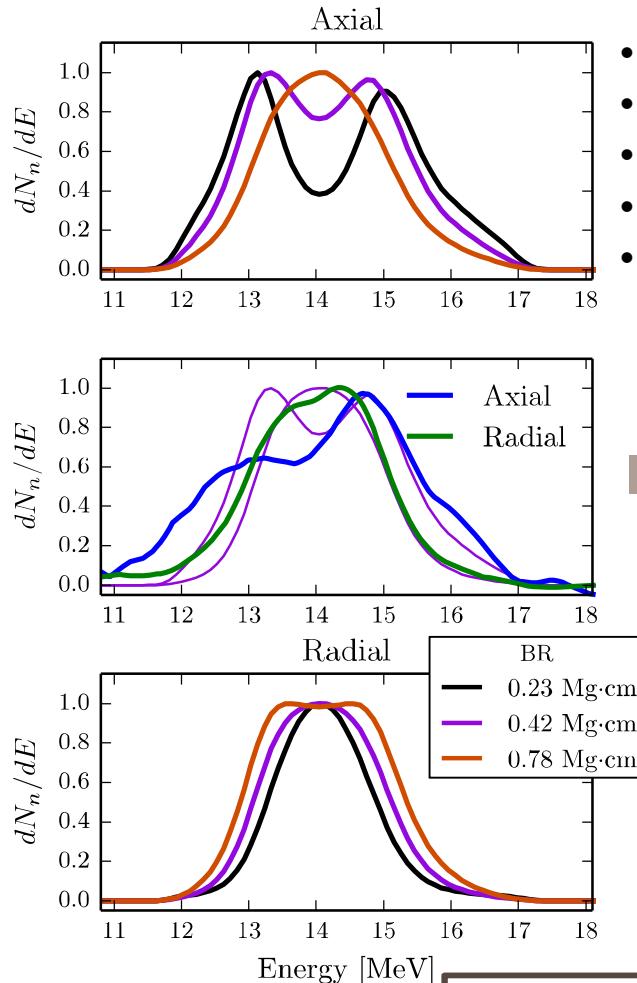
# Magnetizing the tritons modifies their trajectories, imprinting on DT spectrum



- Magnetization serves to:
  - Trap tritons
  - Direct them axially
  - Execute helical orbits
- Axial redirection forces tritons to see  $\rho Z$  instead of  $\rho R$ 
  - $\rho Z = AR * \rho R$ ,  $AR \gg 1$
  - broadens the velocity distribution of tritons that have a significant probability of reaction

At large  $BR$ , helical orbits induce Doppler splitting in the radial view

# DT Spectra are used in conjunction with measured DT/DD ratio to constrain the stagnation $BR$



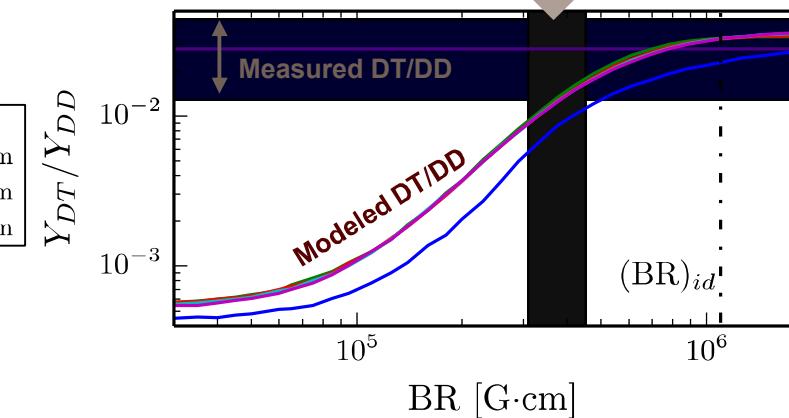
- $T_i \sim T_e = 3.1$  keV
- $\rho = 0.5$  g/cc
- $R = 50\text{--}100$   $\mu\text{m}$
- $\rho R = 2\text{--}5$  mg/cm<sup>2</sup>
- $\rho Z \sim 0.3$  g/cm<sup>2</sup>

- Not a rigorous fit to the spectra
- Considering only the high energy half of the spectra (scattering)
- In reasonable agreement with integrated 2D simulations<sup>[2]</sup>

$$(B_z R)_{stag} = 5.3 \times 10^5 G \cdot \text{cm}$$

$$F_t \approx 55\%$$

Inferred From Spectra



Axial nonuniformities and azimuthal field are the biggest missing features that can contribute to the modeled spectra

$$BR \approx 4(\pm 0.7) \times 10^5 G \cdot \text{cm} \sim 17 \times (BR)_o$$

# Experimentally inferred stagnation $BR$ indicates we are trapping 1 MeV tritons and magnetizing electrons

- Modeling suggests we are depositing >35% of the triton energy
- Scales to >40%  $\alpha$  deposition

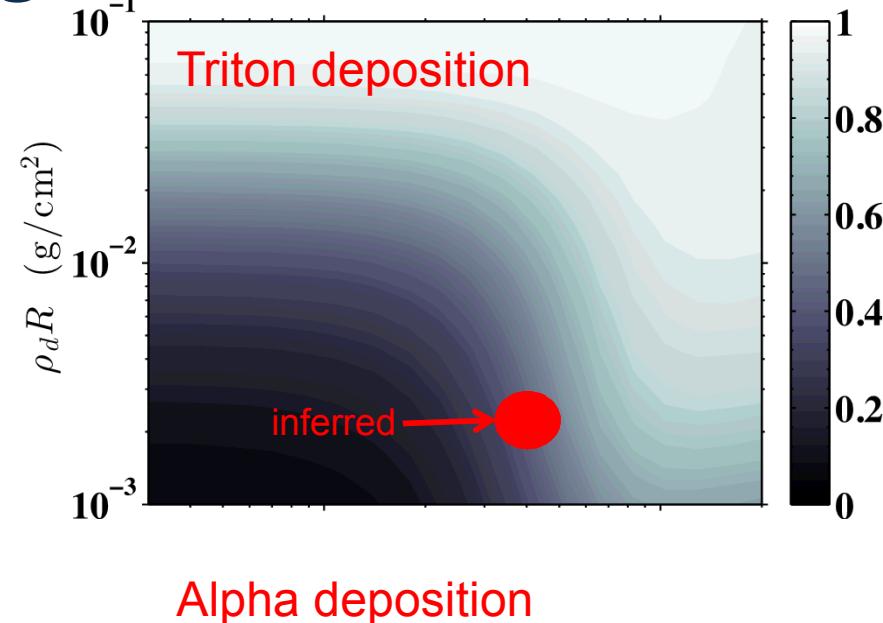
$$BR \sim 4 \times 10^5 G \cdot \text{cm} \rightarrow \frac{R}{r_\alpha} \sim 1.5 - 2$$

$$r_\alpha \approx 1.07 r_t$$

- Magnetizing fast tritons implies electrons are magnetized as well

$$\omega_{ct} \tau_{te} \approx \omega_{ce} \tau_{ee}$$

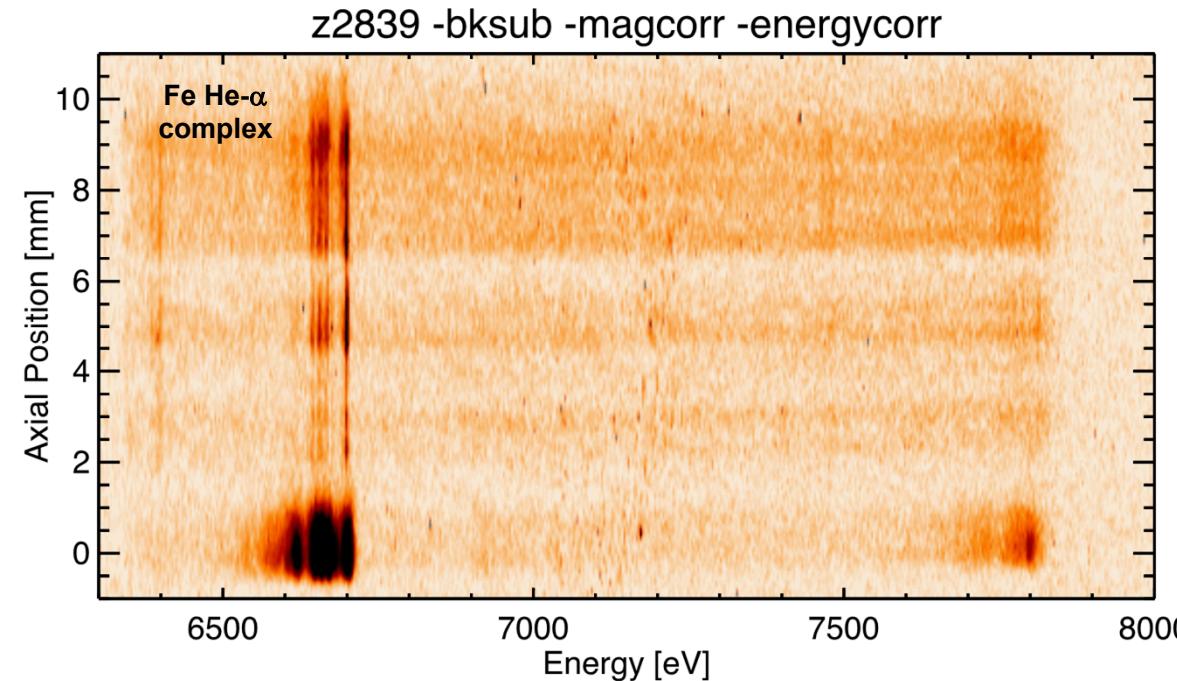
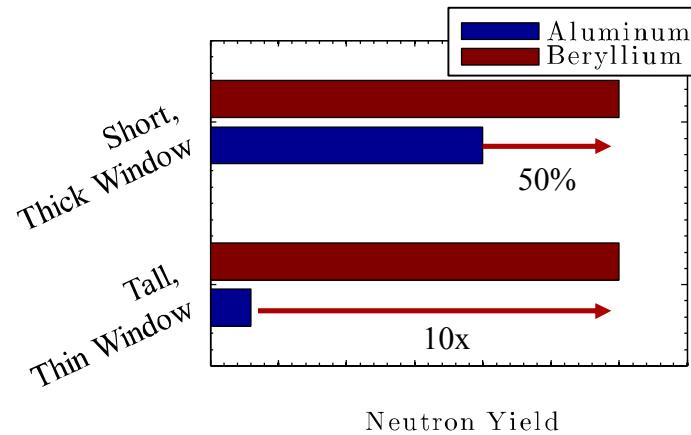
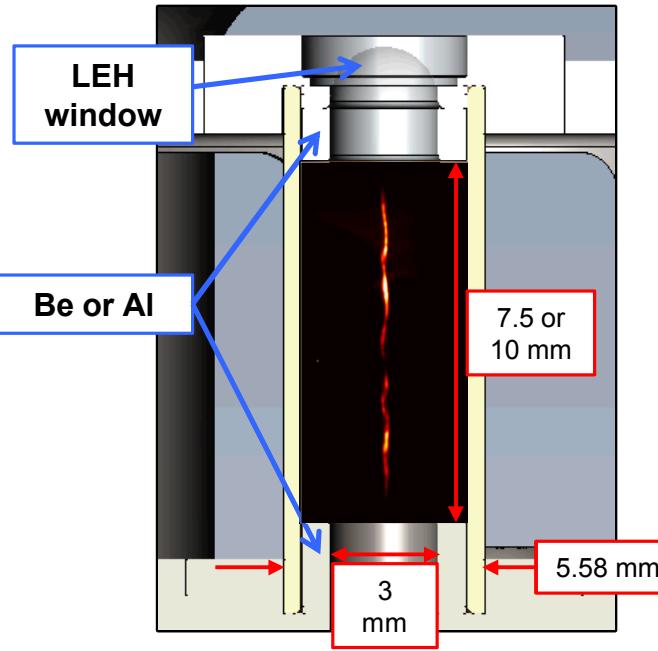
MagLIF works! We were able to compress flux, preheat the plasma and keep it hot and magnetize the burn products!



Alpha deposition

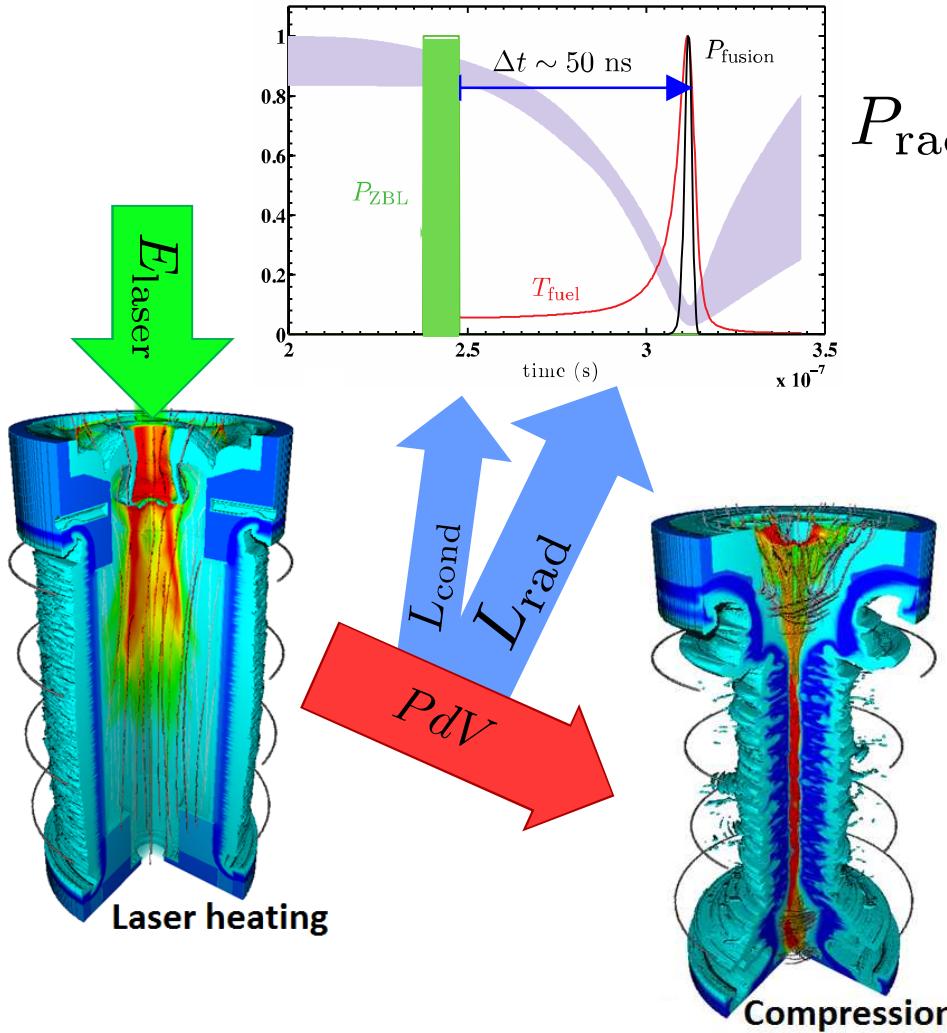
scaled →

# X-ray spectroscopy has allowed us to determine that "mix" is a significant limiting factor



- Spherical crystal image shows a narrow plasma column ( $r=50\mu\text{m}$ ) with a slight helical structure
- High spectral resolution, high sensitivity spectroscopy shows us Fe impurities mixed into the fuel
- This allows us to determine  $T_e=1.5-2 \text{ keV}$ ,  $n_e=1\text{e}23 \text{ cm}^{-3}$  and  $f_{\text{mix}}=0.5-1\%$
- Mix from Be is at a significant, but manageable level

# Mix degrades performance by enhancing losses due to radiation

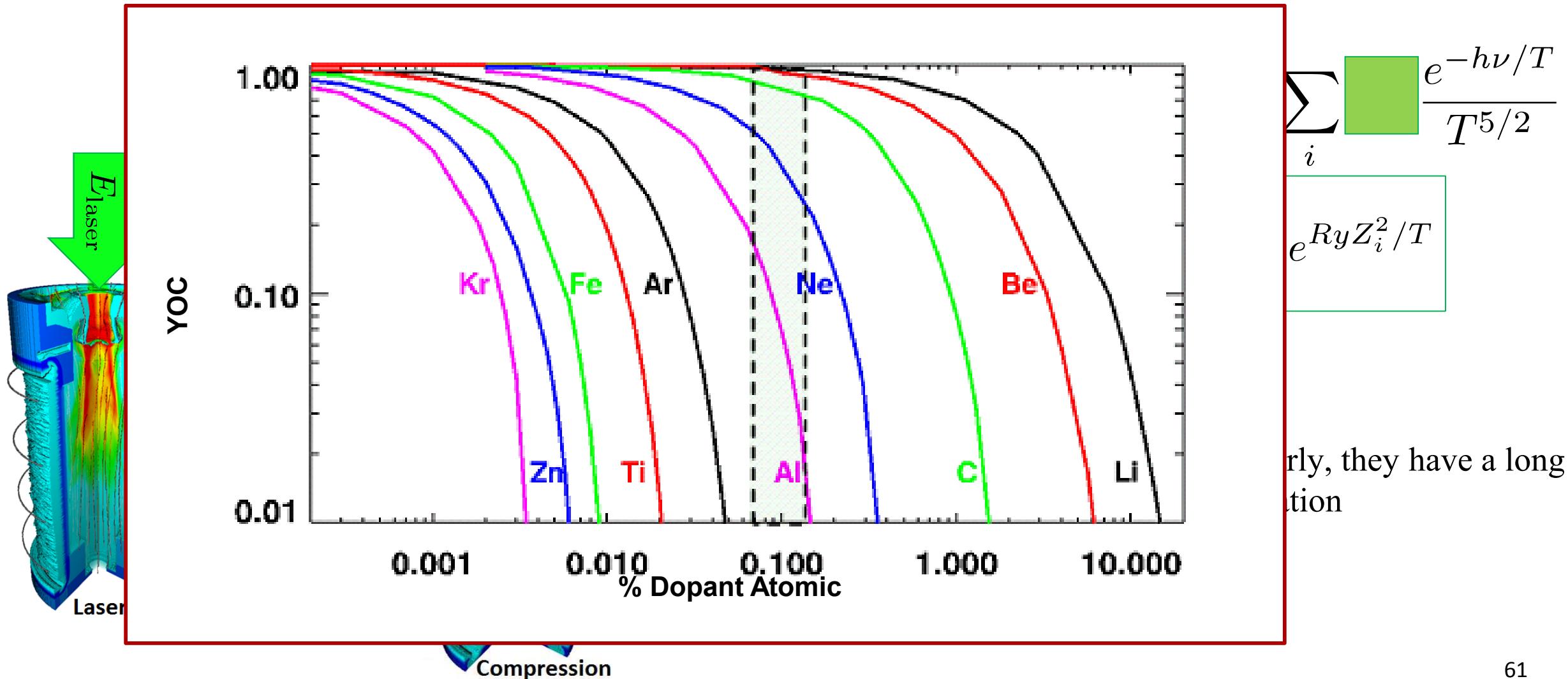


$$P_{\text{rad}} = A_{f-f} 2V \int_0^1 \tilde{r} d\tilde{r} \frac{g_{\text{FF}} \langle Z \rangle}{(1 + \langle Z \rangle)^2} \sum_i \frac{e^{-h\nu/T}}{T^{5/2}}$$

$$\tilde{j}_i \equiv \frac{j_i}{j_D} = \frac{A_{f-b}}{A_{f-f}} \frac{1}{T} e^{RyZ_i^2/T}$$

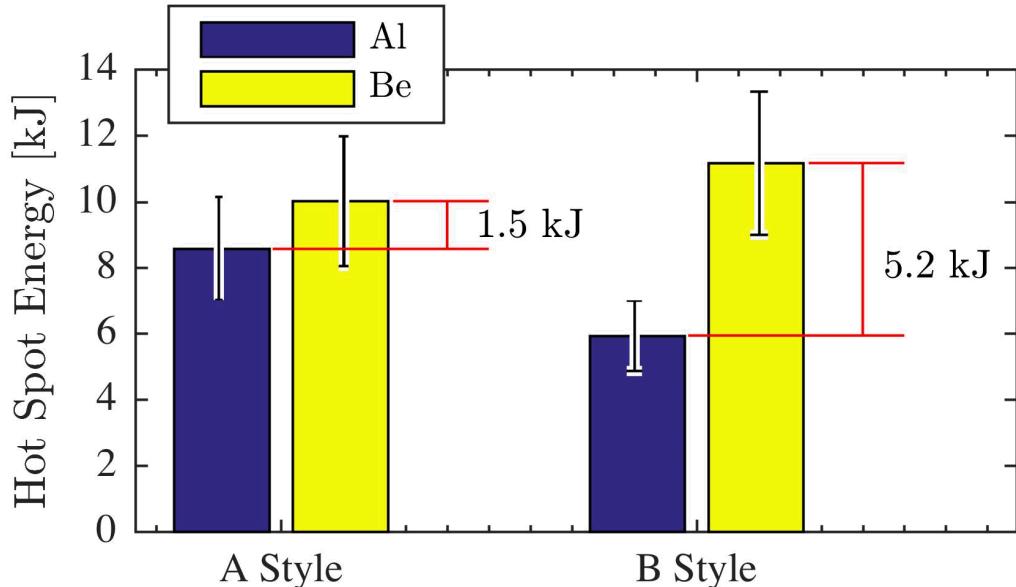
- $f$  is the mix fraction
- $Z$  is the charge of the mix species
- If contaminants get into the hot spot early, they have a long time to radiate heat away before stagnation
- The radiated power increases like  $P^2$
- Pressure increases like  $(r/r_o)^{2\frac{5}{3}}$

# Mix degrades performance by enhancing losses due to radiation



# Looking at the hot spot energy shows that we lose a significant amount of energy to mix

$$^*E_{\text{HS}} = \frac{3}{2}P_{\text{HS}}V = \frac{3}{2}(\langle Z \rangle + 1) \sqrt{\frac{Y_{\text{DD}}V}{\tau \int_0^1 \tilde{r}d\tilde{r} \langle \sigma v \rangle_{\text{DD}}/T^2}}$$



Lose up to  $\sim 50\%$  of our energy to mix!!  
More when considering window mix as well

$$E_{\text{HS}} = E_{\text{las}} + PdV - E_{\text{rad}} - E_{\text{cond}} \xrightarrow{0}$$

For same style targets:

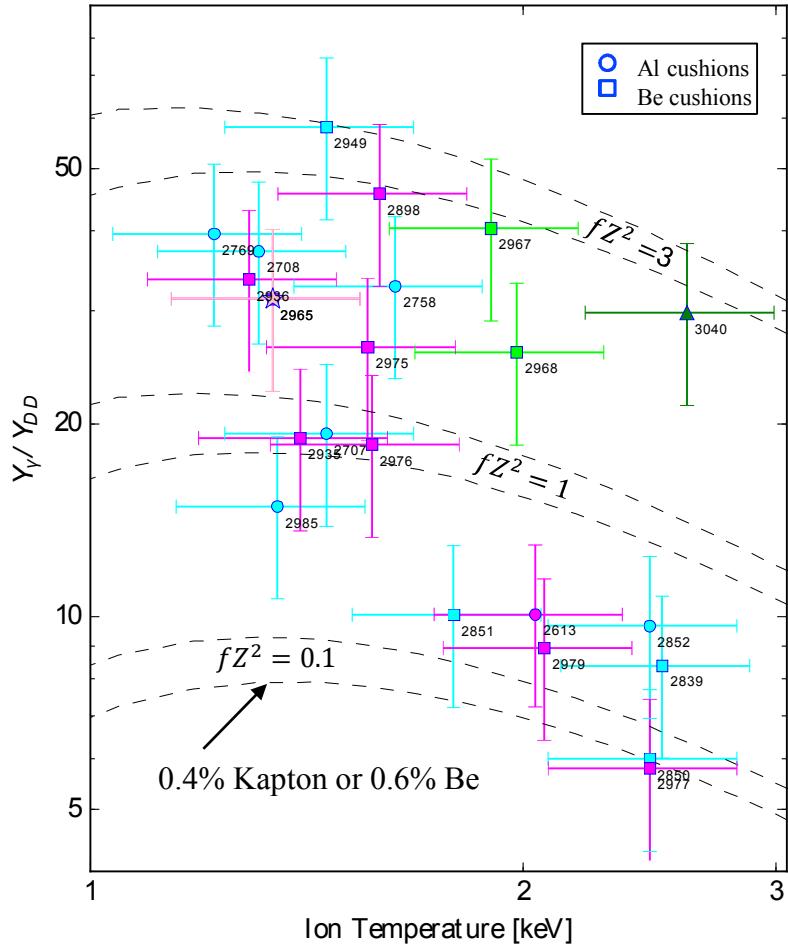
$$E_{\text{las}} \rightarrow \text{Const.}$$

$$PdV \rightarrow \text{Const.}$$

The difference between inferred  $E_{\text{HS}}$  for like-targets is due entirely to the different radiative properties of Al and Be

$$\Delta E_{\text{HS}} = \Delta E_{\text{rad}} = E_{\text{rad}}^{\text{Al}} - E_{\text{rad}}^{\text{Be}}$$

# Looking at the ensemble of data, we are able to see some trends and some potential avenues for improvement



$$\frac{Y_\gamma}{Y_{DD}} \propto \int_0^\infty \mathcal{F}_{Tx}(h\nu) e^{-\tau_\nu^\ell} \langle Z \rangle \frac{e^{-h\nu/T}}{\langle \sigma v \rangle} \sum f_i \frac{j_i}{j_D} \frac{dh\nu}{\sqrt{h\nu}}$$

$$\frac{j_i}{j_D} = Z_i^2 + \frac{A_{f-b}}{A_{f-f}} \frac{Z_i^4}{T} e^{RyZ_i^2/T}$$

- Attempts to increase the amount of laser energy coupled to the gas have led to signatures of higher mix
- Replacing Al fuel-facing components with Be improves performance
- Coupling more current to the load tends to improve neutron yield and temperature

# MagLIF shows promise as a route to high fusion yields in the laboratory, but we have a long road ahead



- We have demonstrated the key aspects of the concept:
  - Preheat, compression, magnetic insulation, and trapping of charged fusion products
- We have many improvements to make
  - We must solve the mix problem
  - Couple more laser energy into the fuel, without generating more mix
- There is a lot of room for improvement in diagnostics and analysis
  - Interpreting neutron diagnostics on Z is extremely challenging
- We have a ton of work to do and not enough people to do it!

# Fusion energy is a worthy goal, but it is a long ways away. There are other exciting things we can do with large laboratory fusion yields

- Excited state nuclear physics
  - Multi-neutron reactions are possible with high enough neutron flux
- The astrophysical r-process may be within reach
  - The theorized process that allows high atomic number elements to be created in supernovae
- We can study other fusion reactions, particularly those of importance to stellar energy balance and evolution ( $^3\text{He}$ - $^3\text{He}$  and the p-p cycle, parts of the CNO cycle, etc.)
- Neutron and photon fluxes similar to those present in stellar cores can be created
- Behavior of materials under intense neutron and x-ray radiation
  - Important for fusion reactor development and space travel

# This work is the collective effort of many exceptional scientists and engineers

D.J. Ampleford, T.J. Awe, C.J. Bourdon, G.A. Chandler, P.J. Christenson, M.E. Cuneo, M. Geissel, M.R. Gomez, K.D. Hahn, S.B. Hansen, E.C. Harding, A.J. Harvey-Thompson, M.H. Hess, B.T. Hutsel, C.A. Jennings, B. Jones, M.C. Jones, R.J. Kaye, G. Laity, D.C. Lamppa, M.R. Lopez, M.R. Martin, M. K. Matzen, L.A. McPherson, T. Nagayama, J.S. Lash, K.J. Peterson, J.L. Porter, G.A. Rochau, D.C. Rovang, C.L. Ruiz, M.E. Savage, P.F. Schmit, J. Schwarz, D.B. Sinars, S.A. Slutz, I.C. Smith, W.A. Stygar, R.A. Vesey, M.R. Weis, E.P. Yu, *Sandia National Laboratories*

R.R. Paguio, D.G. Schroen, K. Tomlinson, *General Atomics*

B.E. Blue, M.C. Herrmann, *Lawrence Livermore National Laboratories*

R.D. McBride, *University of Michigan*

A. B. Sefkow, *Laboratory for Laser Energetics*