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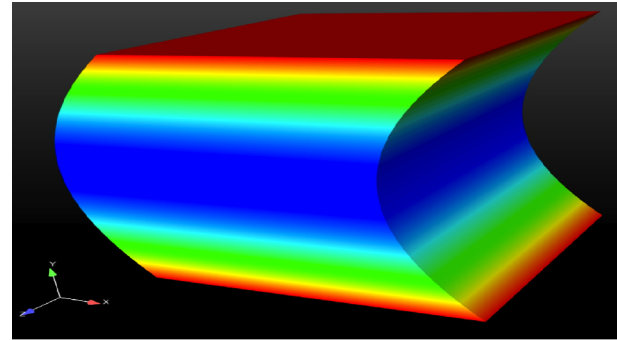
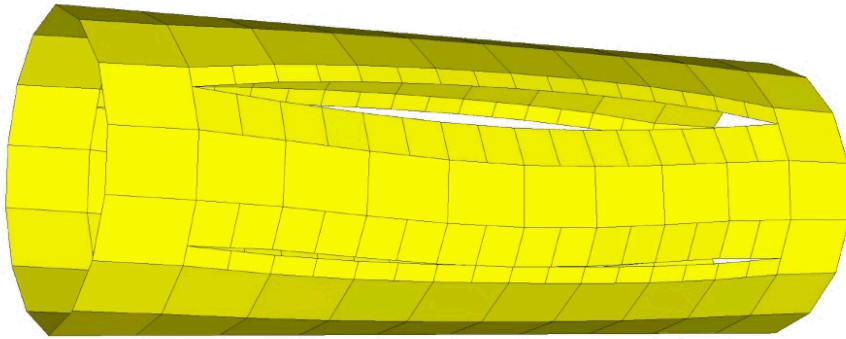
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Photos placed in horizontal position  
with even amount of white space  
between photos and header

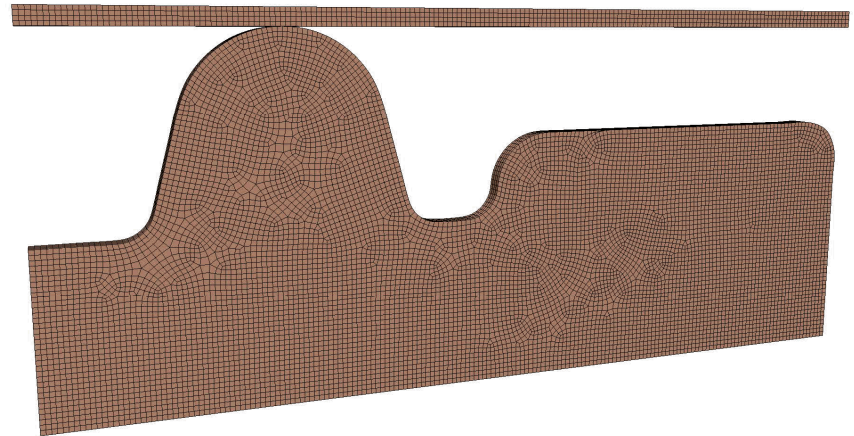
# Sierra-SM's NGP experience

JOWOG-34, 2017

# SIERRA/SM (Solid Mechanics)



- General purpose massively parallel nonlinear finite element code
  - explicit transient dynamics
  - implicit transient dynamics
  - quasi-statics analysis.
- Built upon libraries for
  - material models
  - solid and structural
  - contact
  - linear and nonlinear solvers
- Used for analyzing challenging nonlinear mechanics problems for normal, abnormal, and hostile environments



# Sierra/SM GPU strategy

**Plan:** GPU enable a subset of SM capabilities to run on ATS-2 using **Kokkos**

- **Currently enabled (prototype)**

- Explicit dynamics
- Hex & linear beam elements
- Elastic material model
- Displacement BCs
- Gravity
- Basic output

- **Additional capabilities needed for primary use cases**

- Implicit
- Contact
- Element death
- Tetrahedral, shell, and beam elements
- *All* production material models
- Additional BCs
- Additional Output
- “MPI+X” parallelism (MPI + OpenMP + GPU)

Target ~**75** unique  
code components in  
Sierra/SM  
(out of ~**500** total)

# Adagio on the GPU: First light

- Initial implementation based on prototype Kokkos “FlatMesh”
  - uniform element topology and materials
  - single GPU only, no MPI
- Kokkos Linear Beam

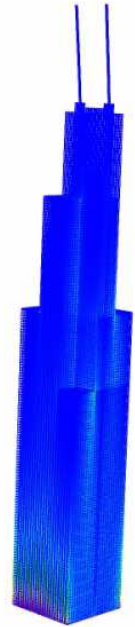
	Total runtime (min)
Serial CPU	366
CPU/GPU	17
Speedup	<b>22x</b>

- Kokkos UG Hex

	Total runtime (s)			
Timing breakdown	Kokkos hex (GPU)	Original hex (CPU)	Kokkos hex (CPU)	Speedup
Total	335	5820	11951	<b>17x</b>
Internal force only	186	5007	11027	<b>27x</b>

Baseline version vectorizes

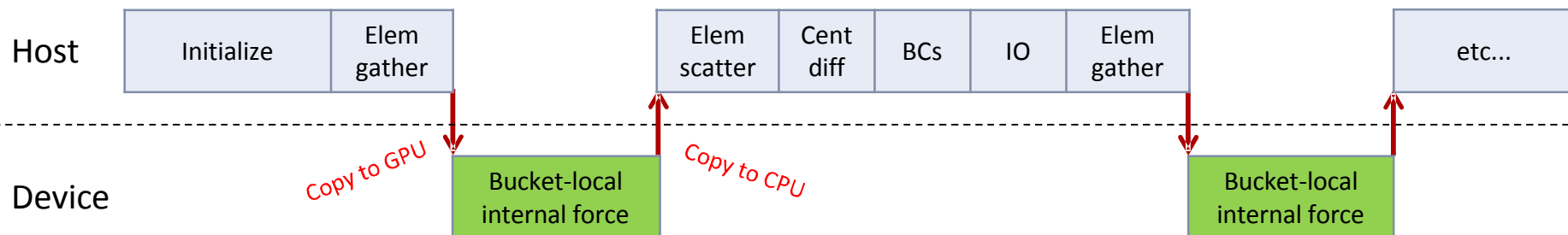
Lost CPU performance due to SIMD/vectorization



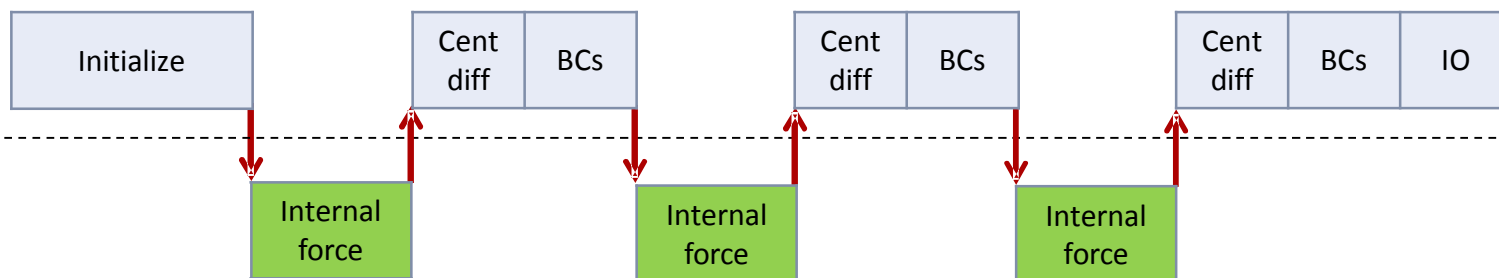
Sears tower model

# Lesson learned: data must stay on GPU

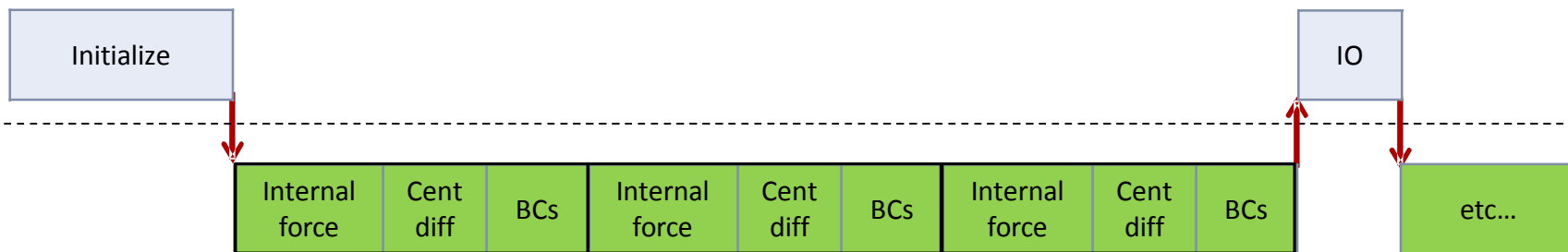
**Strategy 1: Bucket-level GPU copy:**  $\sim 20X$  slowdown vs. serial CPU



**Strategy 2: Algorithm-level GPU copy:**  $\sim 8X$  slowdown

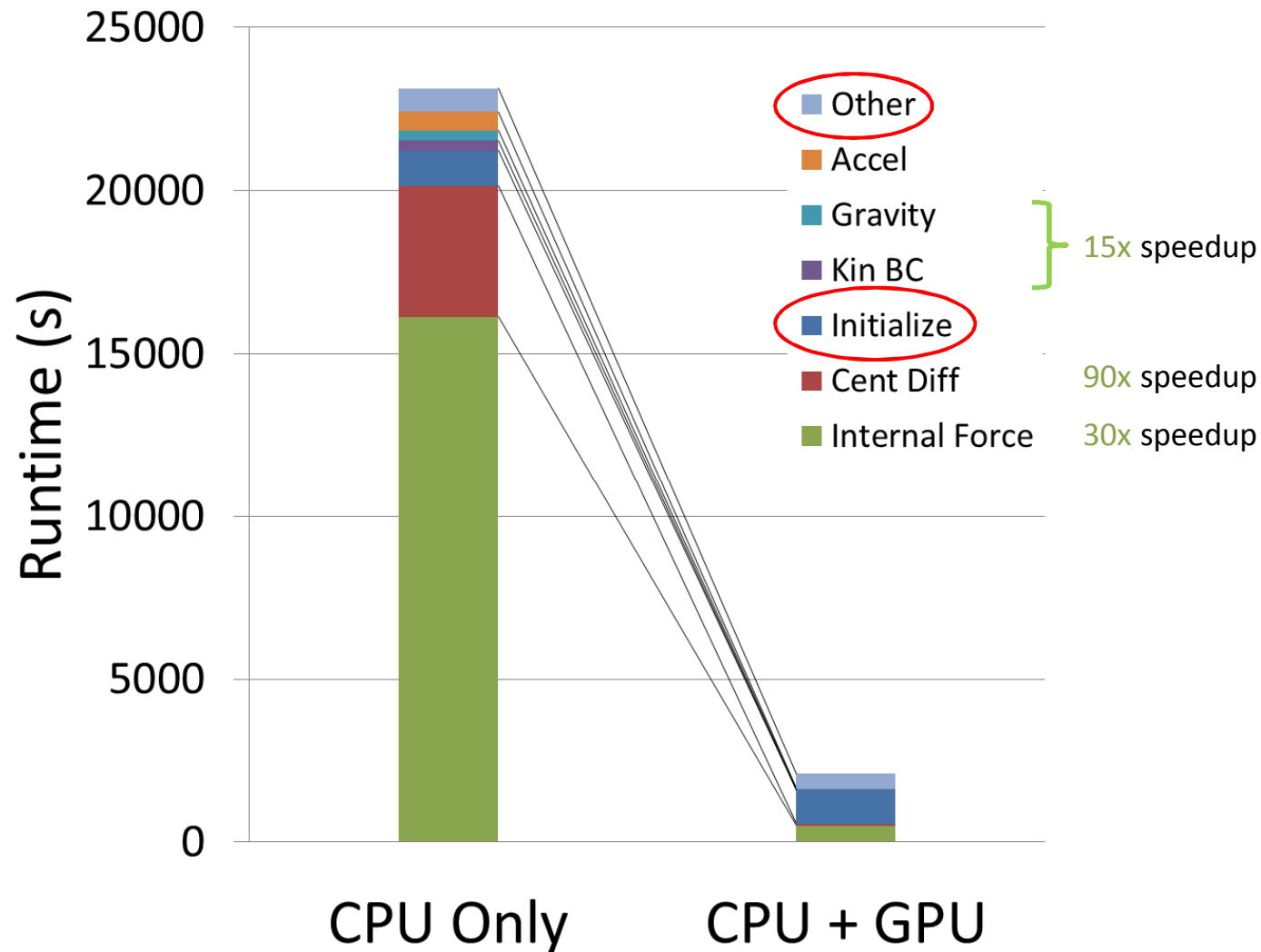


**Strategy 3: Run-level GPU copy:**  $\sim 22X$  speedup!



*May change with NVLink2, but will it change enough to invalidate the conclusion?*

# Lesson learned: serial algorithms dominate

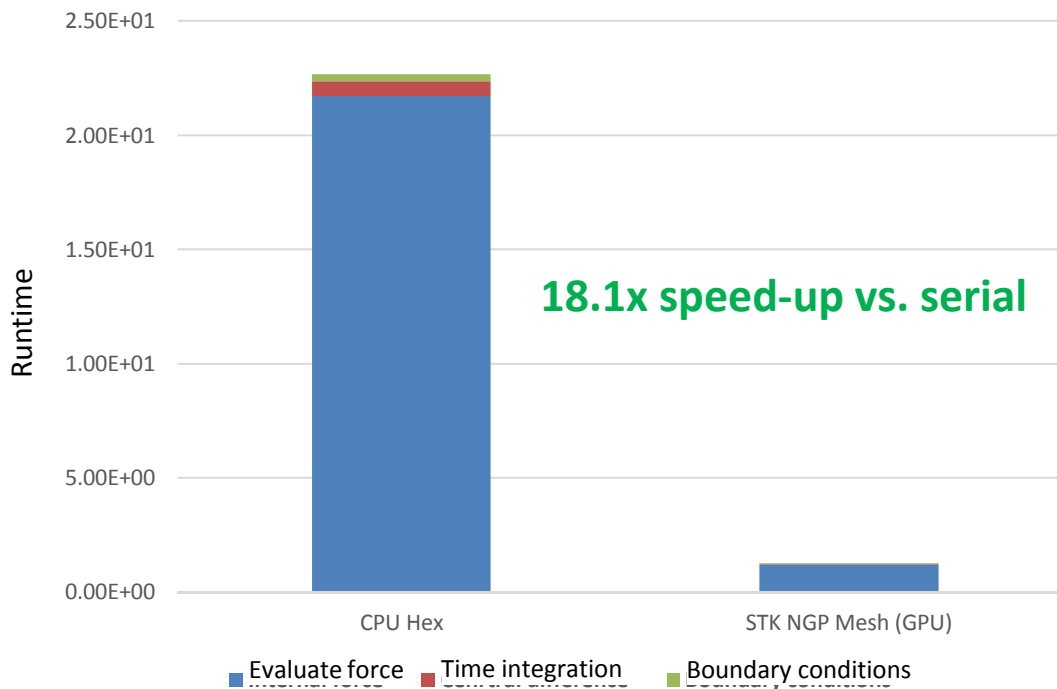


- GPU-friendly API for mesh/field access
  - Stores data in Kokkos Views on GPU
  - Thin wrapper around STK Mesh when running on CPU
- Allow STK apps to start running on GPUs with subset of features
- Easy to prototype different implementations and data layouts
- Hierarchical parallelism over buckets and entities (e.g. nodes and elements)

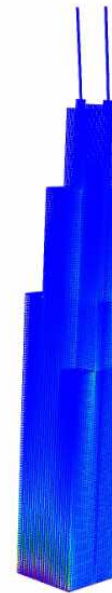
```
ngp::for_each_entity(ngpMesh, ELEM_RANK, selector,  
    KOKKOS_LAMBDA (ngp::Mesh::MeshIndex elem)  
    {  
        kernel(ngpMesh, elem, coords);  
    }  
);
```

# Using STK ngp::Mesh

- Fundamentally different from prototype “FlatMesh”:
  - More indirection, but more generality (different element formulations, parts, materials...)
  - Multilevel parallelism (buckets, elements/nodes)
  - Different data layout (component-fastest vs. element-fastest)
- Some algorithm refactoring to improve performance:
  - Break up large kernels into smaller subsets
    - reduces register pressure, more data storage and access



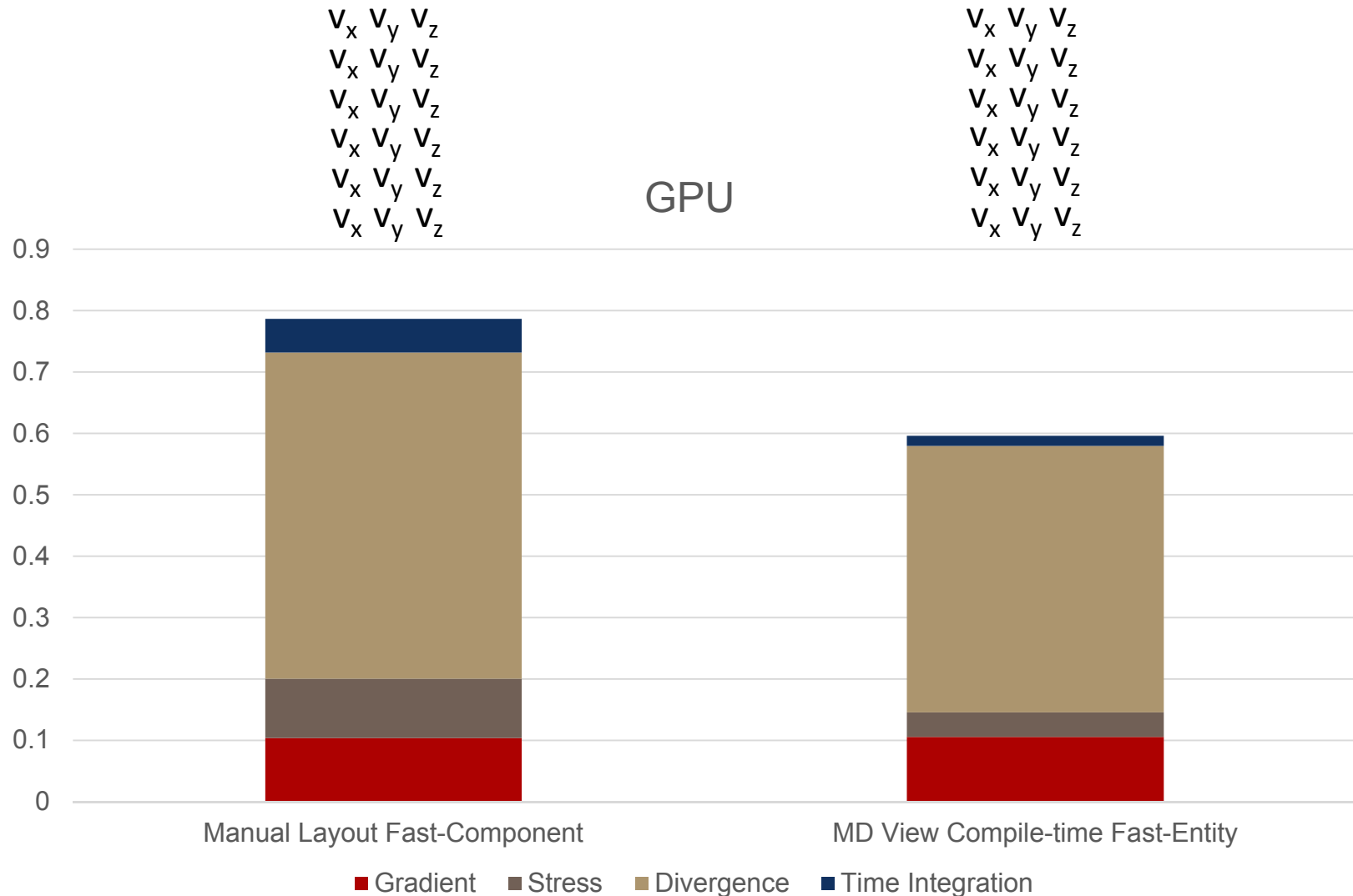
Sears Tower hex model  
(835,000 elements)



“Flat mesh” was 22x vs. serial  
Is this the cost of generality?

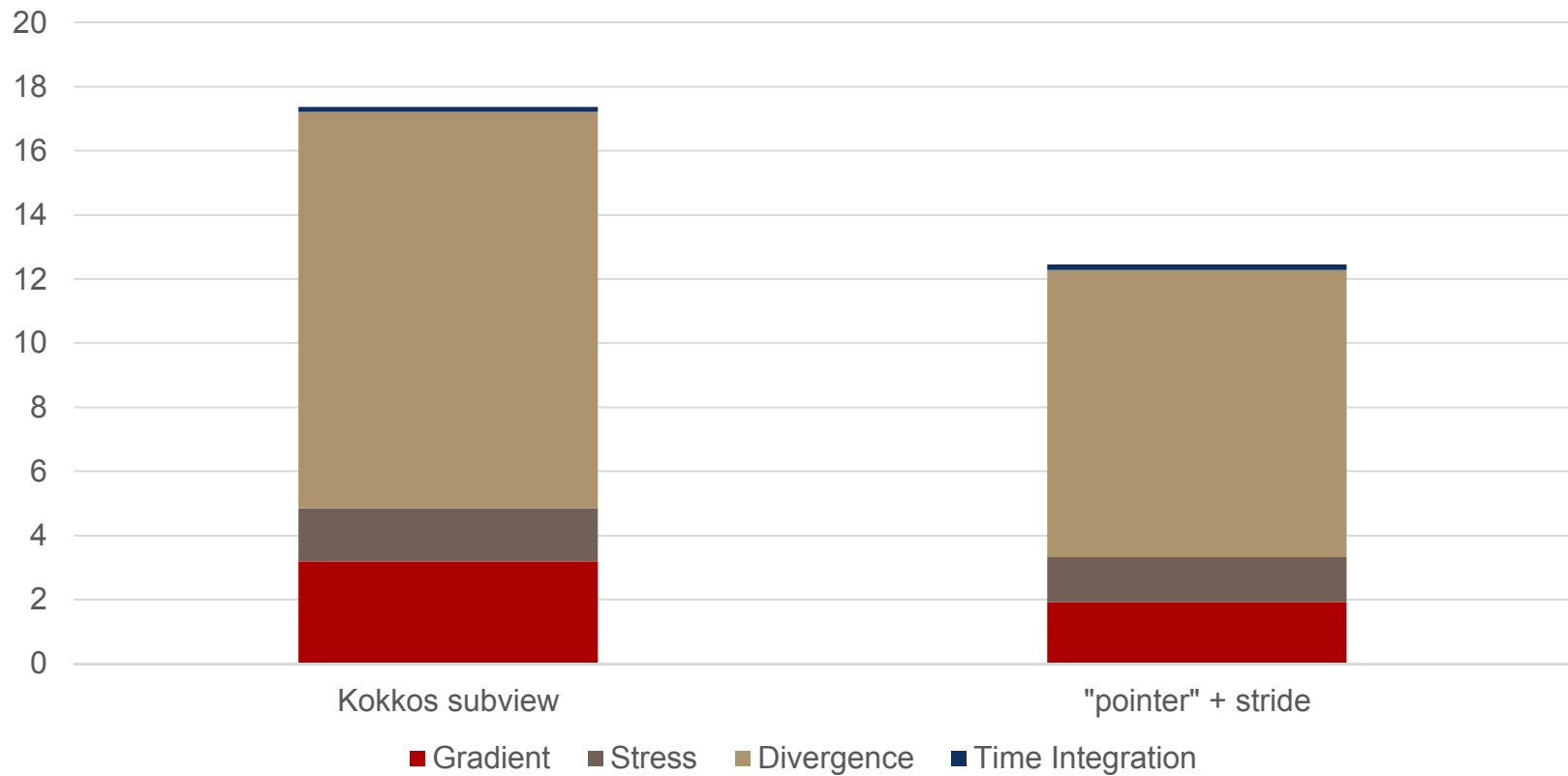


# Importance of optimal layout



# Kokkos “Subview” expensive at low levels

CPU: Elem-Node Connectivity



# Profiling Data Game (Max Values)

*so, which run is faster?*

Metrics	Run A	Run B
stall_not_selected ↑	13.43%	3.21%
stall_memory_dependency ↓	38.47%	65.22%
stall_memory_throttle ↓	15.58%	6.92%
stall_exec_dependency ↓	10.44%	12.64%
stall_pipe_busy ↓	12.09%	2.79%
stall_sync ↓	0.00%	0.00%
stall_inst_fetch ↓	2.61%	3.64%
achieved_occupancy ↑	0.929071	0.951608
gld_requested_throughput ↑	77.777GB/s	44.186GB/s
gst_requested_throughput ↑	0.00000B/s	0.00000B/s
gld_efficiency ↑	47.54%	132.20%
gst_efficiency ↑	0.00%	0.00%

*continued...*

# Profiling Data Game (Max Values)

*so, which run is faster?*

Metrics	Run A	Run B
IPC ↑	0.843783	1.197995
Flops Efficiency ↑	0.78%	1.08%

Profile data for Nodal Volume Calculation using

- **Run A:** Field
- **Run B:** ConstField (with random access/texture memory)
  - faster by 30%

# Profiling SM Gradient

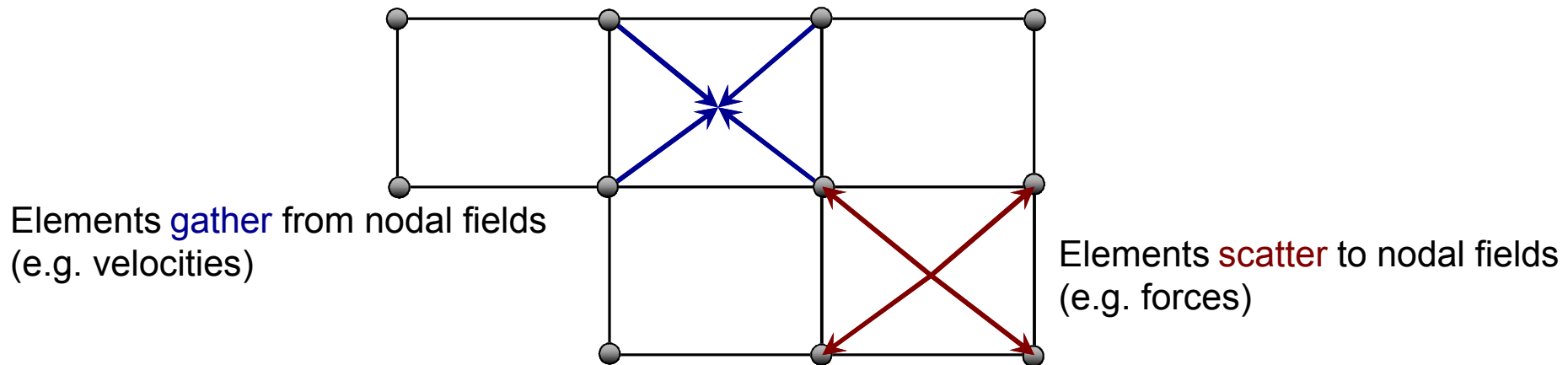
incremental performance improvements using profiling data

Metric	Baseline	Remove gathers	Random access memory	Coalesced memory writes
time	0.14	0.11	0.10	0.10
stall_not_selected	9.39%	4.87%	1.47%	1.28%
stall_memory_dependency	36.97%	47.85%	66.83%	72.33%
stall_memory_throttle	32.75%	26.73%	11.74%	8.40%
stall_exec_dependency	10.13%	13.95%	13.43%	12.11%
stall_pipe_busy	8.72%	4.71%	1.83%	1.49%
achieved_occupancy	0.432681	0.308475	0.307971	0.308161
gld_efficiency	35.32%	35.16%	54.86%	64.97%
gst_efficiency	27.03%	27.03%	27.03%	100.00%
gld_requested_throughput	45.53 GB/s	36.91 GB/s	6.074 GB/s	6.075 GB/s
gst_requested_throughput	5.316 GB/s	6.450 GB/s	6.586 GB/s	6.903 GB/s
ipc	0.461778	0.406153	0.410155	0.397081

# Optimization Lessons:

## Memory access dominates runtime

- Runtime cost is dominated by random memory access
  - **Gathers** cost ~16% percent
  - **Scatters** cost ~65% of total runtime (with atomic adds)
  - Coalesced memory access > 3 times faster than gathers
  - If we only do math (no memory access), 45 times faster than baseline



- Most other attempts at intuitive optimizations produced a slowdown

# Big questions and risks

- Current ~20x GPU speedup vs. single core CPU is underwhelming...
  - What can we do with additional code restructure? (*in progress...*)
  - How will future hardware perform?
- How do we amortize non-GPU algorithm costs (like results output)?
- How do we avoid algorithm duplication?
- MPI communications will need to reach into GPU data each time step. Will this be a major performance bottleneck?
- Is the GPU really worth it for unstructured finite element codes?
  - May need to fit entire problem on GPU to avoid data copy costs
  - Can we develop novel algorithms which efficiently use GPUs relative to CPU?
    - Structured grids
    - Multi-scale
    - FFTs
    - Math heavy material models

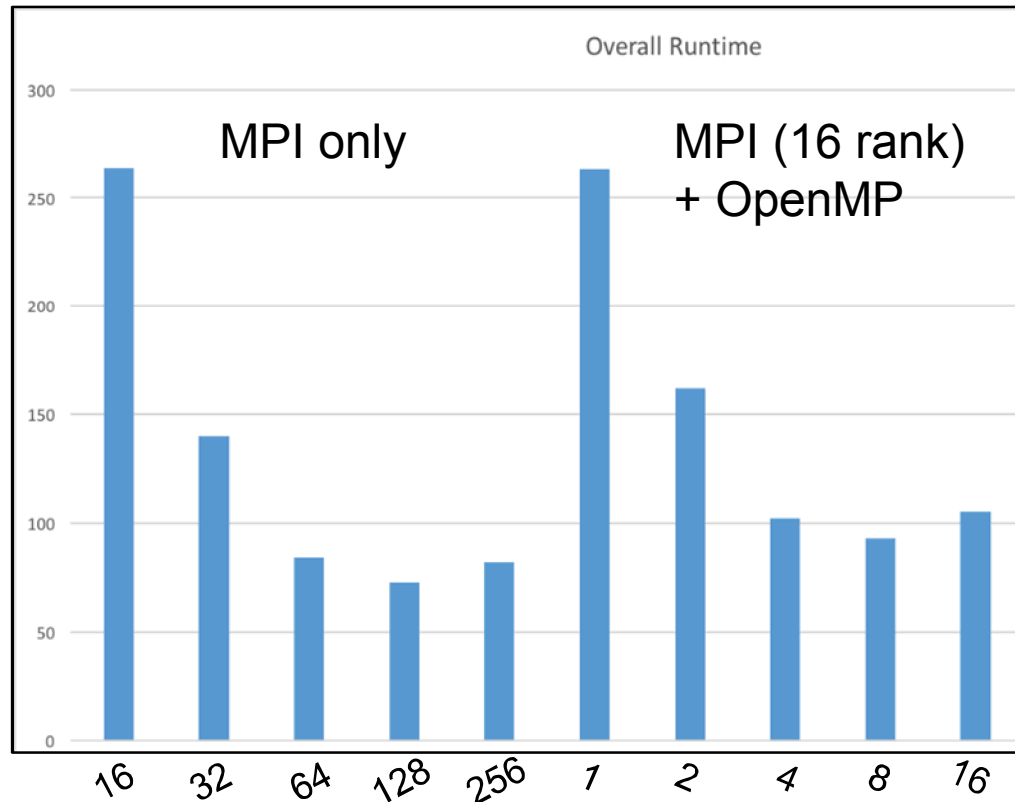
# Additional efforts

- ATS-1: KNL
  - KNL threading performance still below MPI everywhere
  - Intrinsic based vectorization using `stk::simd`, a big win!
  - Developing `Kokkos::SimdView<double*>`
- Thread scalable search
  - For GPU: Morton Linearized Bounding Volume Hierarchy (LBVH)
  - For CPU: either OpenMP parallel KD-tree or LBVH (already Kokkos ready)
- Contact enforcement on the GPU (very early stages)
- Exploiting structured grids (for coalesced memory access)



# OpenMP Threading for KNL

- MPI everywhere still gives the best performance
  - Oversubscribing MPI seems to help (128 ranks / KNL)
  - Best threading performance is close (some routines still scale poorly)
  - Node-to-node: Haswell performance slightly better than full KNL
- SIMD/vectorization seems more important
  - Use in-house `stk::simd` to ensure vectorization and get platform portability



# ATDM contact: thread-scalable search

## Background:

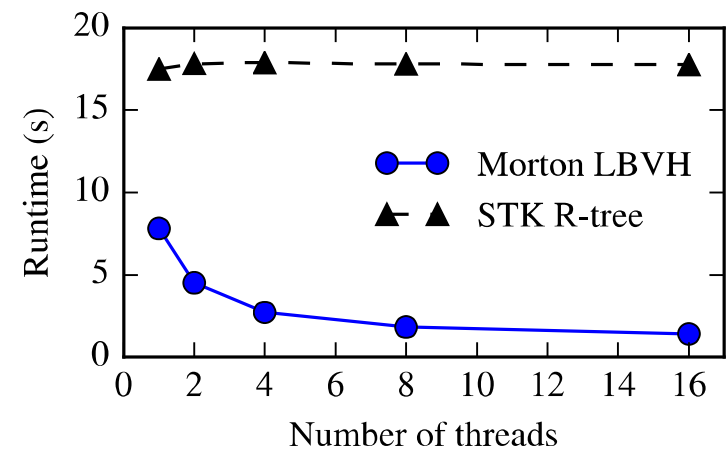
- Team has implemented thread-scalable proximity search algorithms (Morton LBVH) for contact
  - Prototyped in ATDM minicontact
  - Incorporated into Geometry Toolkit in previous sprint work
- In support of ATDM Q4 contact milestone, threaded algorithms incorporated into suite of STK search algorithms

## This sprint:

- Wrote a news note on threaded performance of Morton algorithm

## Future work:

- Continue maintenance/support of search algorithms in collaboration with STK team
- Process copyright info necessary to transition code to open domain

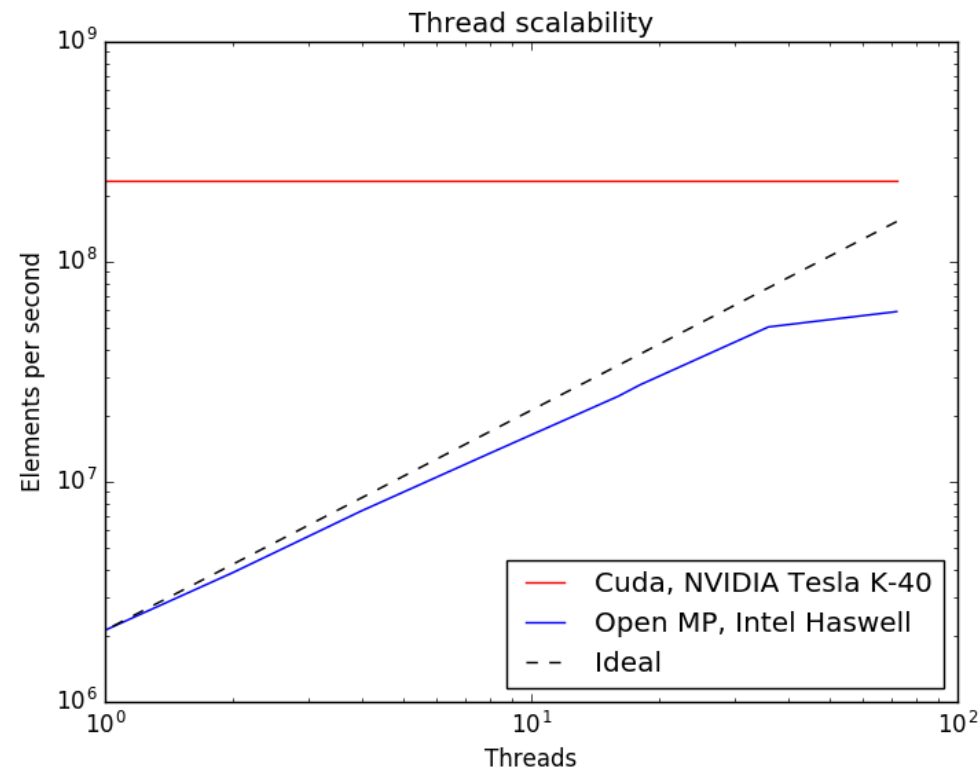
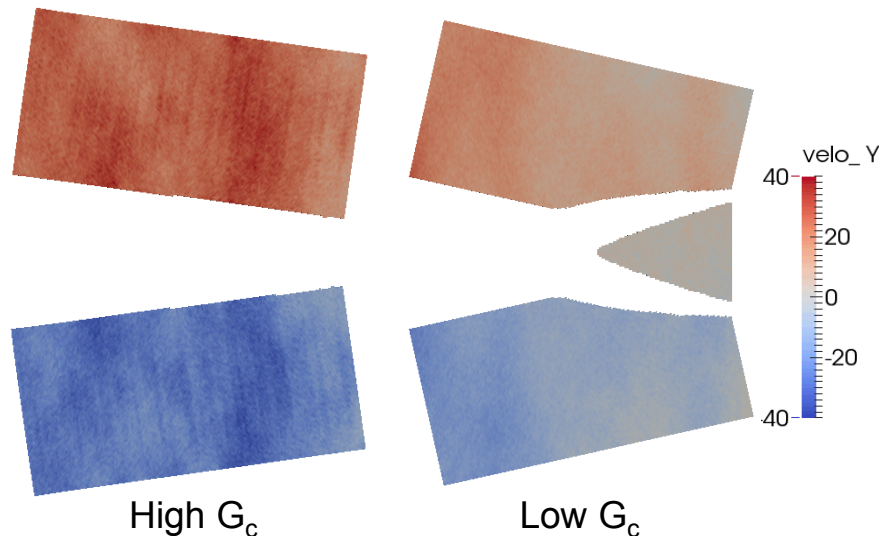


# Structured grid FE simulations with Kokkos

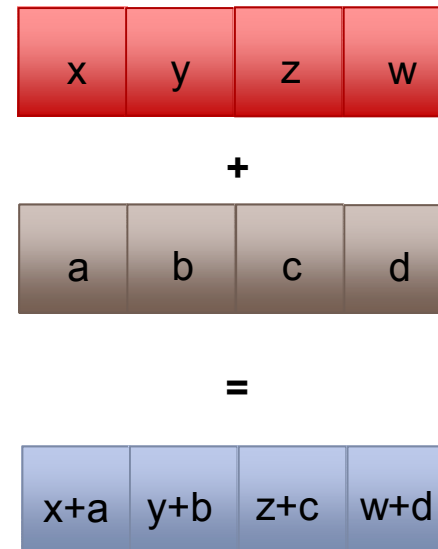
- GPU explicit dynamics > 100x faster than serial CPU
- 1 GPU processes ~250 million element calculations / second
- Up to ~20 million structured grid elements fit on single Kepler-K80
- OpenMP also scales well

## Example problem:

Mode-I crack fracture, transition to branching



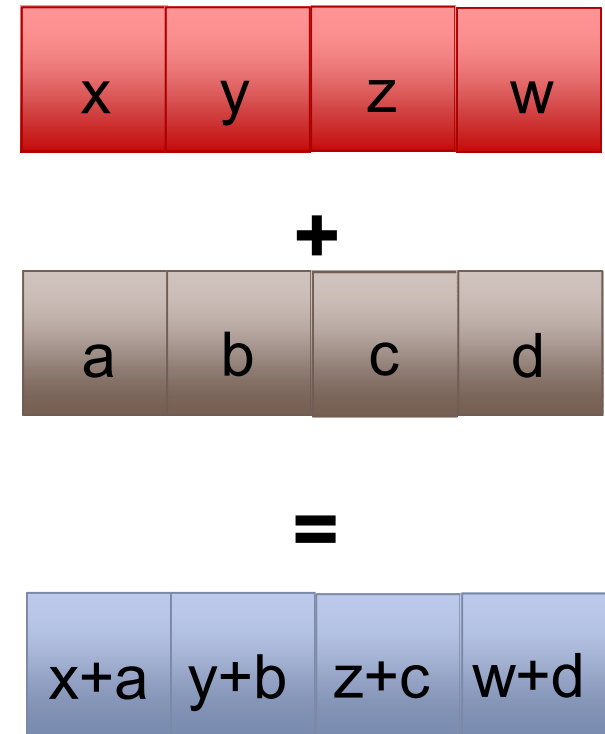
- Directly uses vector intrinsics
- Write algorithms to use a `simd::double` type (via templating)
- Interface designed to be independent of simd-width
- Obtains ~95% the performance of auto-vectorization, but
  - always works
  - more portable
  - easy to outer loop vectorize
  - support conditionals
  - easier to develop and debug  
(no `#pragma`, vector-reports)



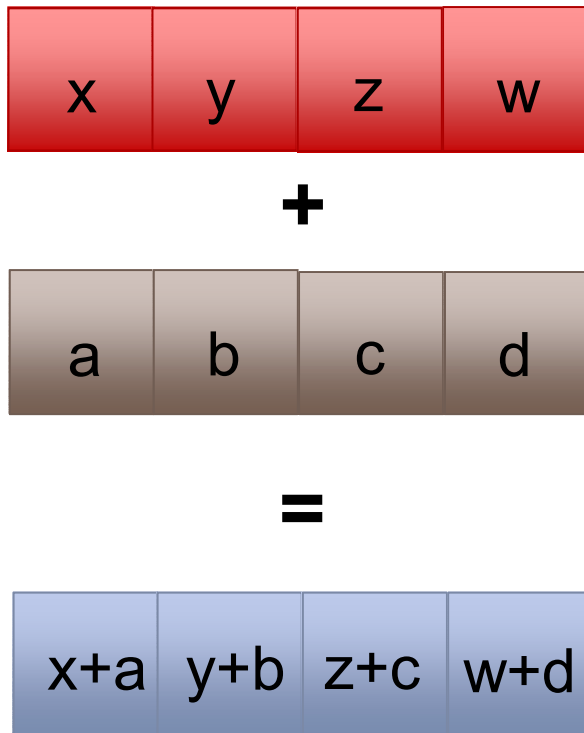
# What is SIMD?

## Single Instruction, Multiple Data

- SSE2 instructions: (Intel, AMD ~2004)
  - 2 doubles, 4 floats
- AVX instructions (Intel, AMD)
  - 4 doubles, 8 floats
- AVX-512 instructions (Intel ~2014)
  - 8 doubles, 16 floats
- AltiVec (IBM)
- GPU (eg. CUDA): (Nvidia)
  - 32 doubles



# SSE2/AVX/AVX512 SIMD in Sierra-SM for nonlinear element assembly



For simple loops, compilers can auto-vectorize:

```
for (int i=0; i < N; ++i) {  
    a[i] = b[i] + c[i] * d[i];  
}
```

Complicated loops don't auto-vectorize:

Tensor33 multiply

Eigenvectors

Constitutive law evaluations

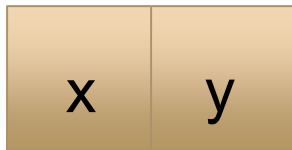
# Auto-vectorization

- For simple loops, compilers with optimizations on automatically use SIMD:  

```
for (int i=0; i < N; ++i) {  
    a[i] = b[i] + c[i] * d[i];  
}
```
- “Complicated” loops are not yet auto-vectorized efficiently:
  - Eigenvectors
  - Constitutive law evaluations
- Use SIMD vector intrinsics (low level functions):
  - Each intrinsic is equivalent to an assembly instruction

# SSE2/AVX intrinsics (Intel, AMD)

**\_\_m128d (2 doubles)**



**\_\_m256d (4 doubles)**



**Compute {1,2,3,4} + 2.1:**

```
double x[4] = {1,2,3,4};
```

```
__m256d a = _m256_loadu_pd(x);
```

```
__m256d b = _m256_set1_pd(2.1);
```

```
__m256d c = _m256_add_pd(a,b);
```

```
double result[4];
```

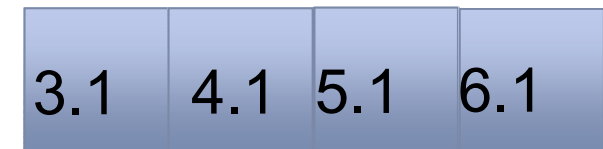
```
_m256_store_pd(result,c);
```



+



=





# Sierra SSE2/AVX interface

- Developers can't know which instruction set is available, as it differs by processor generation:
  - Chama (with Intel Sandy Bridge) has AVX
  - Other Sandia machines only have SSE2 (or SSE4)
- Want to be able to write code which works for SSE2, AVX and even future AVX-512
- We provide an abstraction layer to simplify development

# Sierra SSE2/AVX/AVX512 interface

## Simd.h:

```
#if defined(AVX)
    const int ndoubles = 4;
    class Doubles { __m256d d };
#elif defined(SSE2)
    const int ndoubles = 2;
    class Doubles { __m128d d };
#else
    const int ndoubles = 1;
    typedef double Doubles;
#endif
```

## main.cc:

```
#include <Simd.h>

double x[ndoubles];

Doubles a = simd::load(x);
Doubles b = Doubles(2.1);

// operator overload:
Doubles c = a+b;

double output[ndoubles];
simd::store(output,c);
```

# Sierra SSE2/AVX interface

- Difficult to have portable code:  
`Doubles x = a+c/b;`
  - Overloaded math operator only available with certain compilers (gcc, clang)
  - Wrapping SIMD type in a class creates some overhead
  - Expression templates slightly slower (and harder to read)
- Want to provide a library of math functions
  - sqrt, log, exp, pow, max, min, fabs, etc.
  - either not implemented or implemented only with certain compilers (intel)
- Current capabilities: `simd::sqrt(x)`, `simd::log(x)`, `simd::min(x,y)`.

# SIMD “EDSL”

## Standard math functions:

sqrt, cbrt, log, exp, pow, fabs,  
copysign, min, max

## Simd boolean types:

<, <=, >, >=, == returns booleans,  
e.g.,

**Bools** isTrue = x < 5;

## Simd ternary:

Doubles z = if\_then(isTrue, 1.0, y);

## Simd reduction:

**double** a = reduceSum(z);

## Operator overloads:

+, -, \*, /, +=, -=, \*=, /=

## Also Simd Loads and Store

### Bottlenecks:

\_mm256\_sqrt\_pd() is only ~2X  
faster than std::sqrt()

Same with  
\_mm512\_sqrt\_pd()?

Some compilers don't  
implement cbrt, log, exp, etc.

# Performance Improvements

1,000,000 evaluations of random doubles:

$$c = (a+b)*(a-b)/a;$$

**SSE2 (on blade, gcc)**

**AVX (on chama, Intel compiler)**

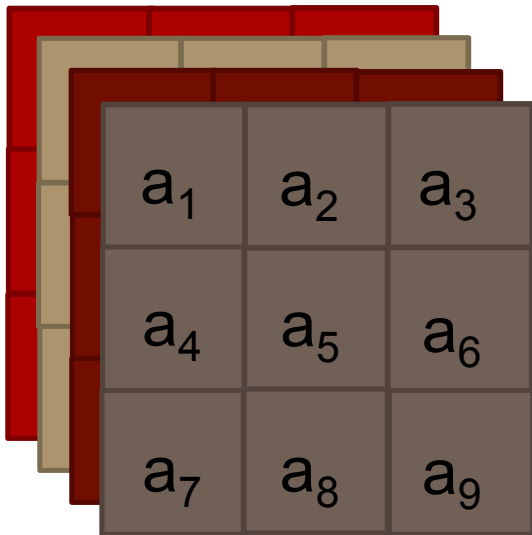
- **1.83 x** speed up (memory access still a slight bottleneck)
- **2.01 x** speed up (AVX often uses SSE for / and sqrt)

Auto-vectorization sometimes gives similar improvements, but...

- can't use sqrt()?, log(), exp() for all compilers (may work with Intel)
- doesn't work well for tensor operations/complicated data layouts.

# SIMD Tensor class

**Process 4 tensors at a time (AVX):**



```
double tensors[4*9];
```

```
// fill 4 tensor
```

```
Tensor33<Doubles> a(tensors)
```

```
c = mult(a,b);
```

```
Eigenvector(c,vects,vals);
```

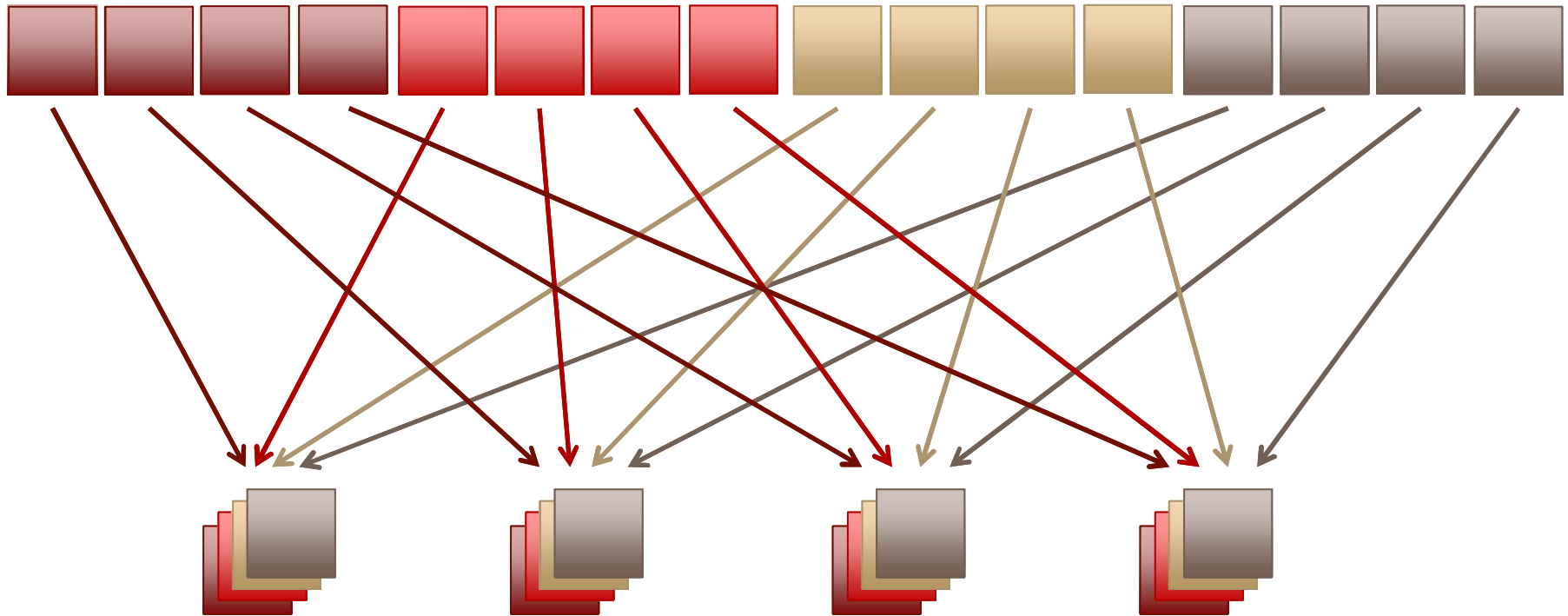
```
c[0] = a[8] + b[4];
```

```
double output[4*9];
```

```
c.Store(output);
```

# Loading 4 2x2 tensors

`double a[4*tensor_size];`



`Doubles A[4];`

`for (int i=0; i < 4; ++i) A[i] = simd::load(a+i,tensor_size);`

Slow memory access, but necessary unless we change memory layout of a.

# Performance improvements

	<b>SSE2</b>	<b>AVX</b>	<b>AVX512(KNC)</b>
--	-------------	------------	--------------------

- |                    |               |               |               |
|--------------------|---------------|---------------|---------------|
| ■ Tensor multiply: | <b>1.80 x</b> | <b>3.63 x</b> | <b>2.42 x</b> |
| ■ Eigenvalue:      | <b>1.97 x</b> | <b>3.19 x</b> | <b>5.25 x</b> |
| ■ Polar Decomp:    | <b>1.7 x</b>  | <b>2.28 x</b> | <b>4.89 x</b> |



# Performance Improvements: tensor operation which may not auto-vectorize

- **SSE2 (on blade)**

- Tensor multiply: **1.62 x**
- Eigenvalue: **1.96 x**
- Eigenvector: **1.61 x**
- Polar Decomp: **1.56 x**

- **AVX (on chama)**

- Tensor multiply: **3.35 x**
- Eigenvalue: **2.90 x**
- Eigenvector: **2.35 x**
- Polar Decomp: **2.04 x**