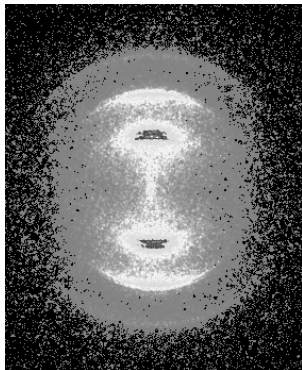
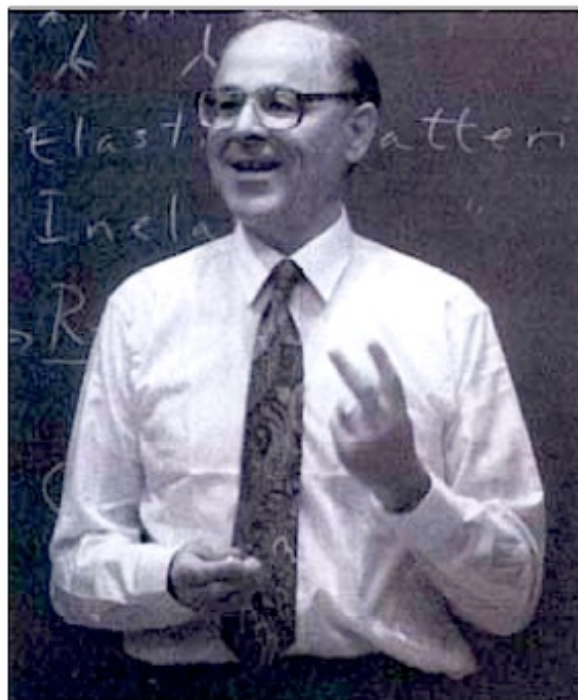


Quantum State Resolved Inelastic Collisions studied in Crossed Molecular beams: Surprising results and new directions

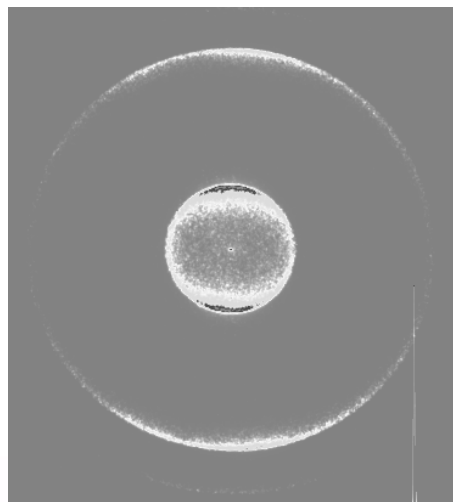
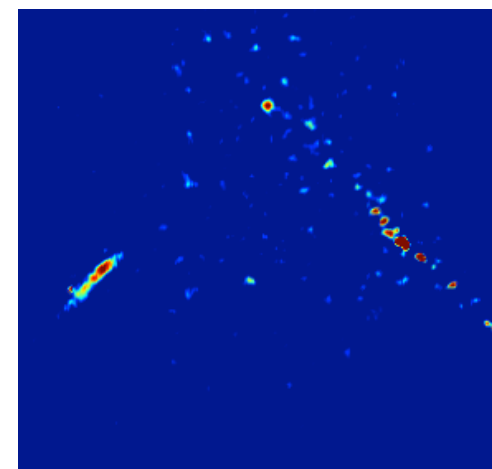
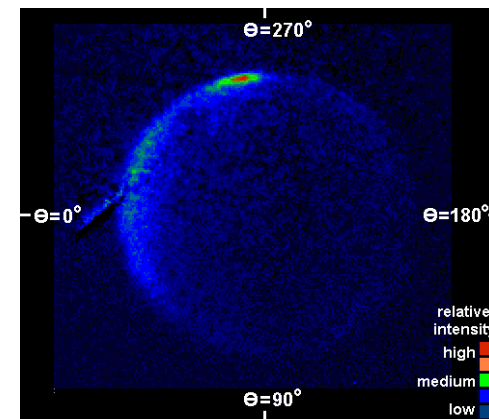
SAND2016-11343C



David W. Chandler
Sandia National Laboratory



Richard Bernstein



Sandia
National
Laboratories

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Outline

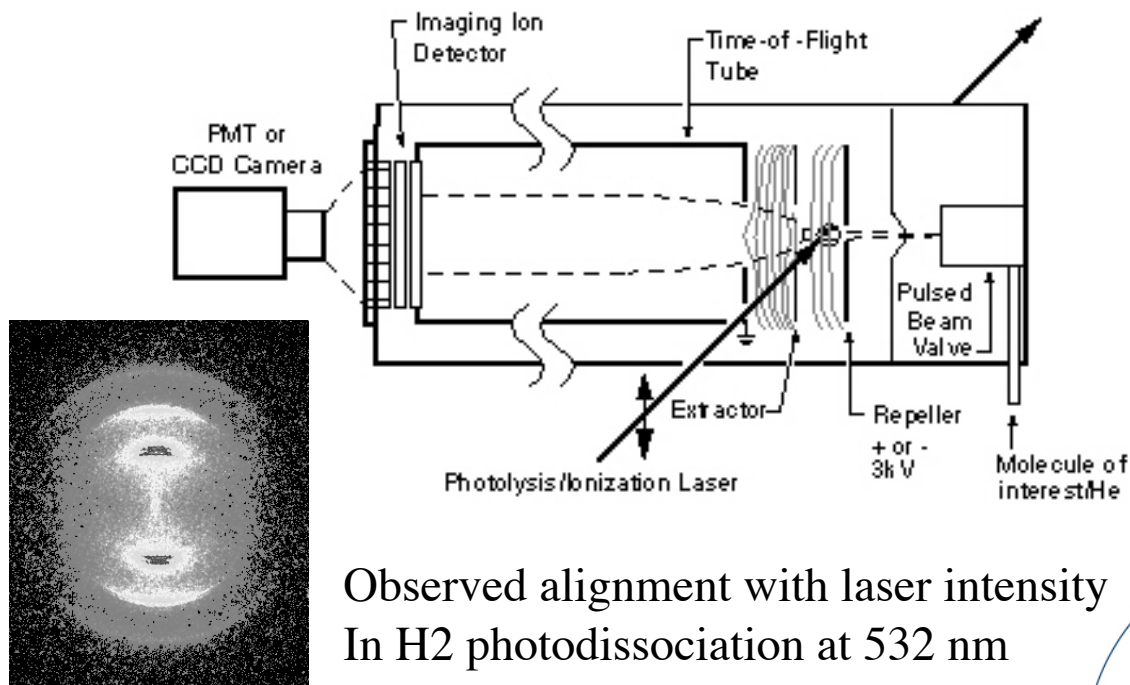
- Tutorial on Ion Imaging with Velocity Mapping
- Photo-dissociation of H₂ example
 - Ground state versus excited state measurements.
- Quantum State Selective Inelastic Scattering
 - Differential cross sections
 - Alignment of products
 - Orientation of products
 - In Electronically excited states

We use Ion Imaging to Study Unimolecular Dissociation Events

- One laser beam dissociates molecule
- One laser beam ionizes product of the dissociation state selectively
- All ions are projected onto phosphor screen
- Image is recorded
- Image is analyzed as a function of lasers, intensity, frequency and polarizations.

Ion Imaging apparatus with Velocity Mapping allows one to measure either the photofragment image or the photoelectron image

Chandler, D. W.; Houston, P. L., *J. Chem. Phys.* 1987



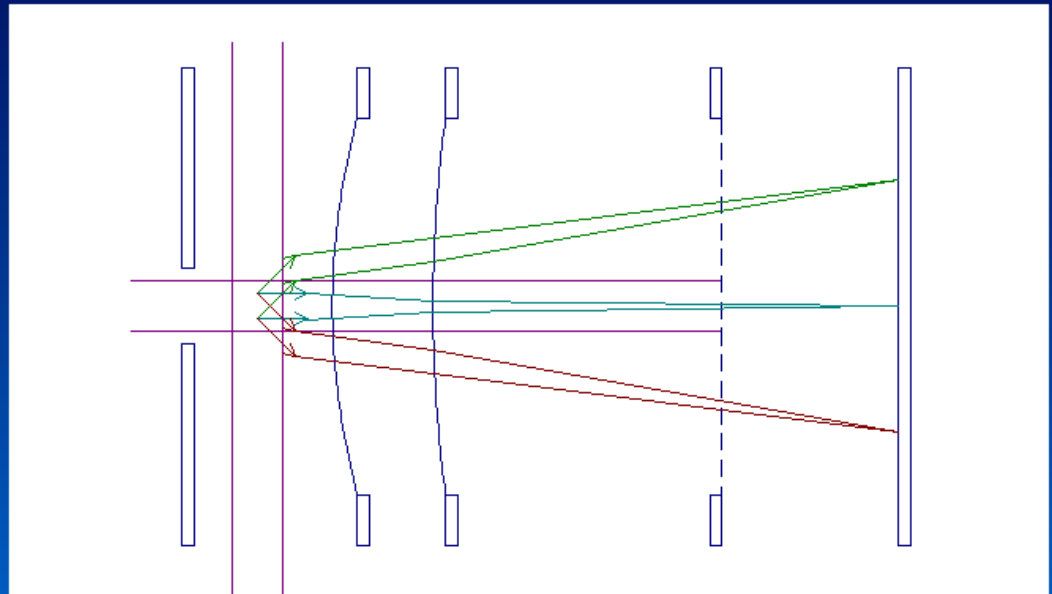
Observed alignment with laser intensity
In H₂ photodissociation at 532 nm

Dave Parker (Post Doc With Dick Bernstein) and Andre Eppink of Univ. of Nijmegen
made resolution advance for Ion Imaging “Velocity Mapping”

- The use of lenses instead of screens in the Time-of-Flight focuses the ions and eliminates the spatial blur associated with the origin of the ions.

Velocity Mapping

An Einzel Lens Corrects for the blurring



A.. T. J. B. Eppink and D. H. Parker, Rev. Sci. Instrum. **68**, 3477 (1997).

Stereo-Dynamics: Study of alignment and Orientation of Reactants and Products

- Alignment and orientation only makes sense relative to a reference frame/ reference vector. Dissociation direction of a photo-fragmentation process or relative velocity vector of a collision.
- **Rotational Alignment of the CD3 Fragment from the 266-nm Photodissociation of CD3I**

**Maurice H. M. Janssen, David H. Parker,
Greg O. Sitz, Steven Stolte, and David W. Chandler
(*JPC*, 1990)**

Alignment was one of First Things to be Studied with Ion Imaging.

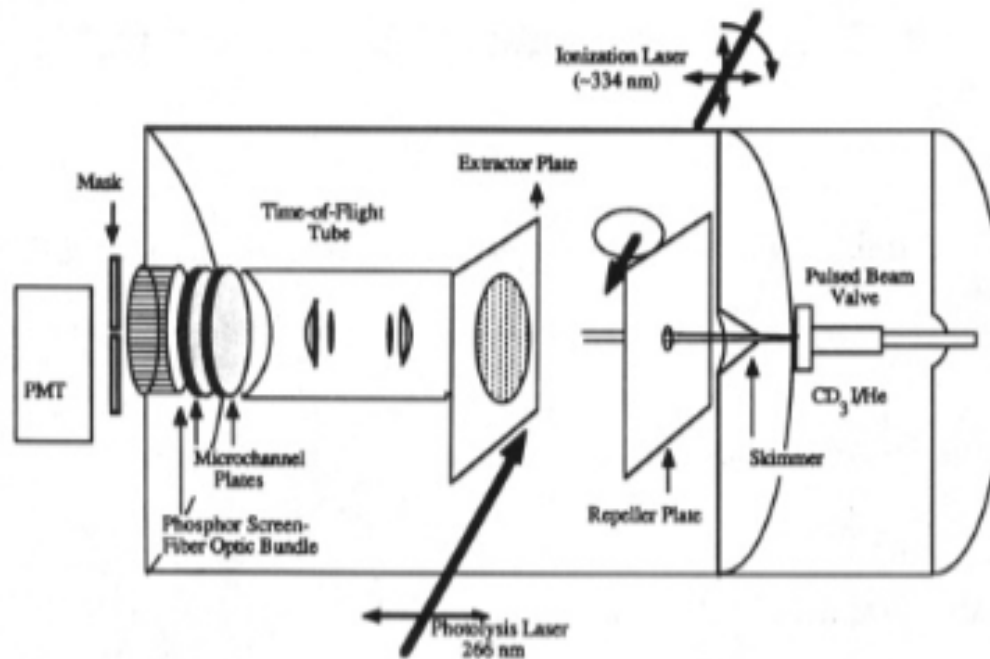
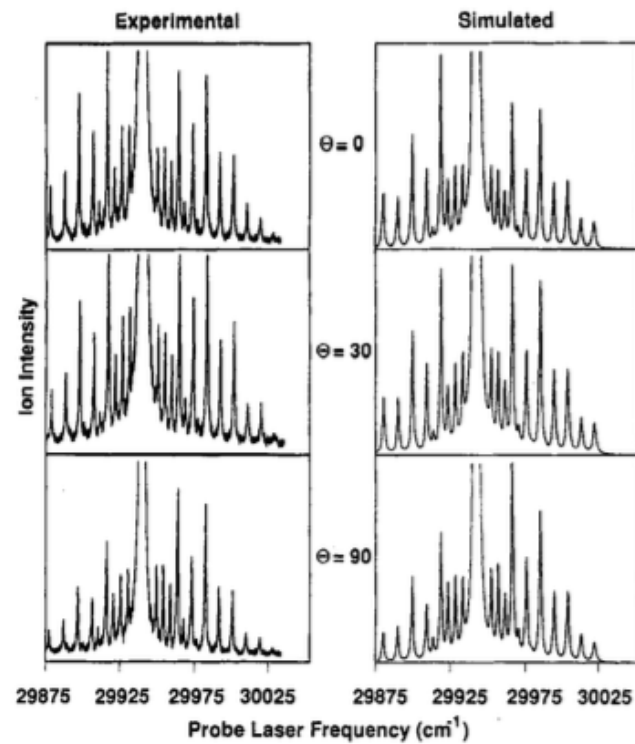
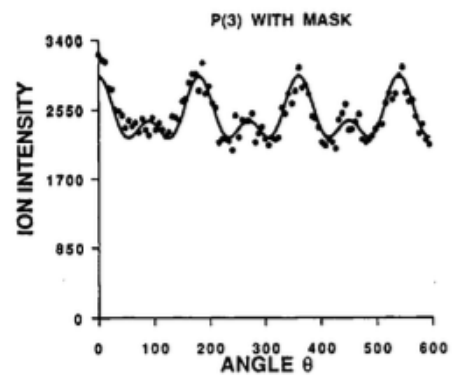
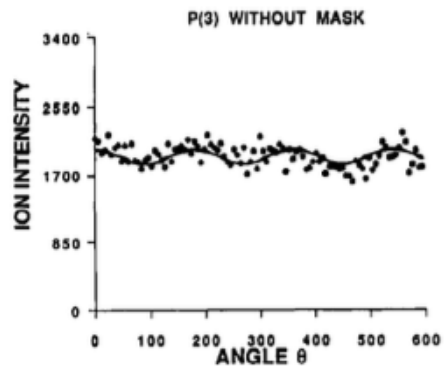


Figure 1. Schematic of apparatus used to perform the velocity selected REMPI study of the polarization dependence of the CD₃ ion intensity following CD₃I photolysis.



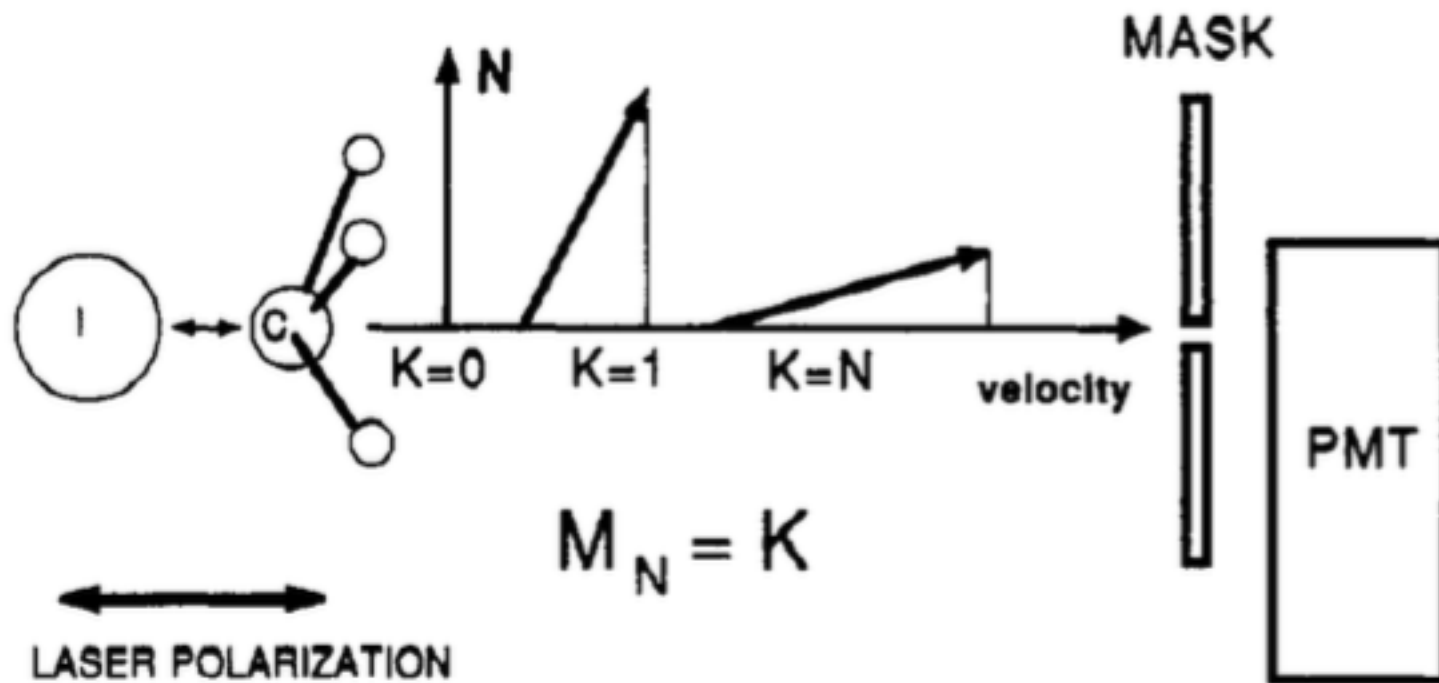
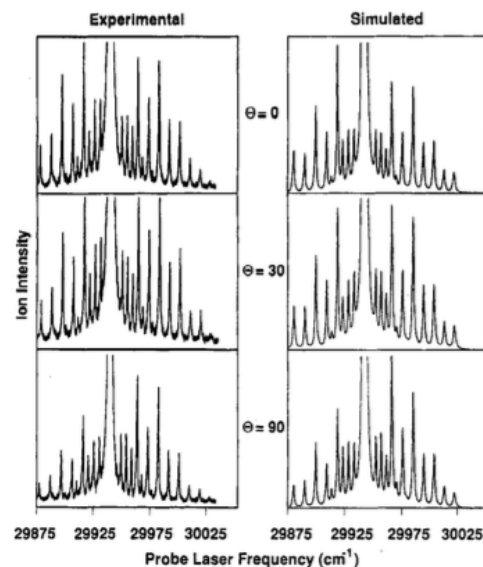


TABLE I: Population and Alignment Moments $A_0^{(2)}$ and $A_0^{(4)}$ of the Angular Momentum Distribution of the CD_3 Fragment from the 266-nm Photodissociation of CD_3I (Values Listed in the Columns Labeled Measured Were Used To Generate the Model Spectra of Figure 3)

| N | K | population ^a | | $A_0^{(2)}$ | | $A_0^{(4)}$ | |
|-----|-----|-------------------------|-------|-------------------|--------------------|---------------------|--------------------|
| | | from ref 14 | measd | measd | model ^b | measd ^c | model ^b |
| 1 | 0 | 0.8 | 0.85 | -1.0 ^d | -1.0 | 0.0 ^e | 0.0 |
| | 1 | 0.62 | 0.62 | 0.50 | 0.5 | 0.0 ^e | 0.0 |
| 2 | 0 | 0.11 | 0.15 | -1.0 | -1.0 | 0.12 | 0.25 |
| | 1 | 0.8 | 0.85 | -0.45 | -0.5 | -0.02 | -0.167 |
| | 2 | 0.4 | 0.29 | 0.98 ^d | 1.0 | 0.042 ^e | 0.042 |
| 3 | 0 | 1.2 | 1.2 | -0.7 | -1.0 | 0.3 ^e | 0.313 |
| | 1 | 0.8 | 0.71 | -0.65 | -0.75 | 0.05 | 0.052 |
| | 2 | 0.4 | 0.4 | 0.00 | 0.0 | -0.2 | -0.365 |
| 4 | 3 | 0.18 | 0.20 | 1.25 | 1.25 | 0.156 ^e | 0.156 |
| | 0 | 0.13 | 0.1 | -0.8 | -1.0 | 0.338 ^e | 0.338 |
| | 1 | 0.8 | 0.8 | -0.65 | -0.85 | 0.1 | 0.169 |
| | 2 | 0.4 | 0.4 | -0.4 | -0.40 | -0.21 | -0.206 |
| | 3 | 0.15 | 0.21 | 0.2 | 0.35 | -0.394 ^e | -0.394 |
| | 4 | 0.03 | 0.025 | 1.40 ^e | 1.40 | 0.263 ^e | 0.263 |

$$A_{0,\max}^{(2)} = \frac{3K^2 - N(N+1)}{N(N+1)} \quad (5)$$

$$A_{0,\max}^{(4)} = \frac{35K^4 - 30K^2N(N+1) + 3N^2(N+1)^2 + 25K^2 - 6N(N+1)}{8N^2(N+1)^2} \quad (6)$$



Model assumes perfect Alignment, Measurements confirm this.

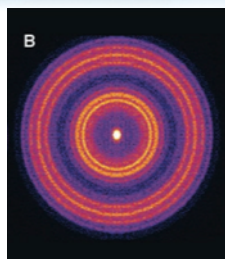
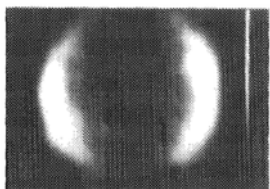
Velocity Mapped Ion Imaging: Developed in BES Program has 30 year Anniversary in 2016. Impact Grows

First Ion Image

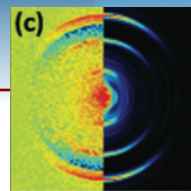
Differential cross sections for single quantum states for Photodissociation made possible

1987

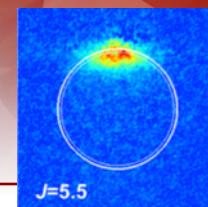
Chandler and Houston (BES)



Roaming Mechanism Discovered, 2004
Suits et al. (BES)



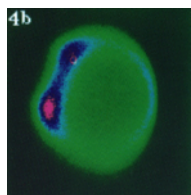
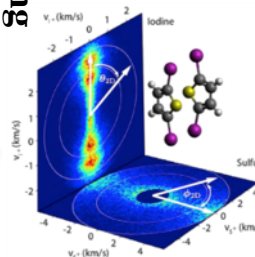
Attosecond dynamics in He
2010 Leone et al. (BES)



Collisional Induced Dissociation From a single collision Chandler, Jasper 2015 (BES)

Strong Laser Field Alignment of Molecules
2015 (BES)

Manuscripts utilizing

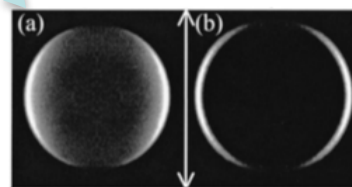


First state-selected Differential Cross Sections For Bimolecular Collisions
1992

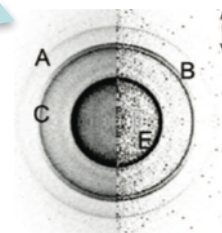
Sandia National Laboratories
Houston et al. (BES)



Velocity Mapping Introduced for increased resolution, 1997
Parker and Eppink (BES/CRF Visitor)

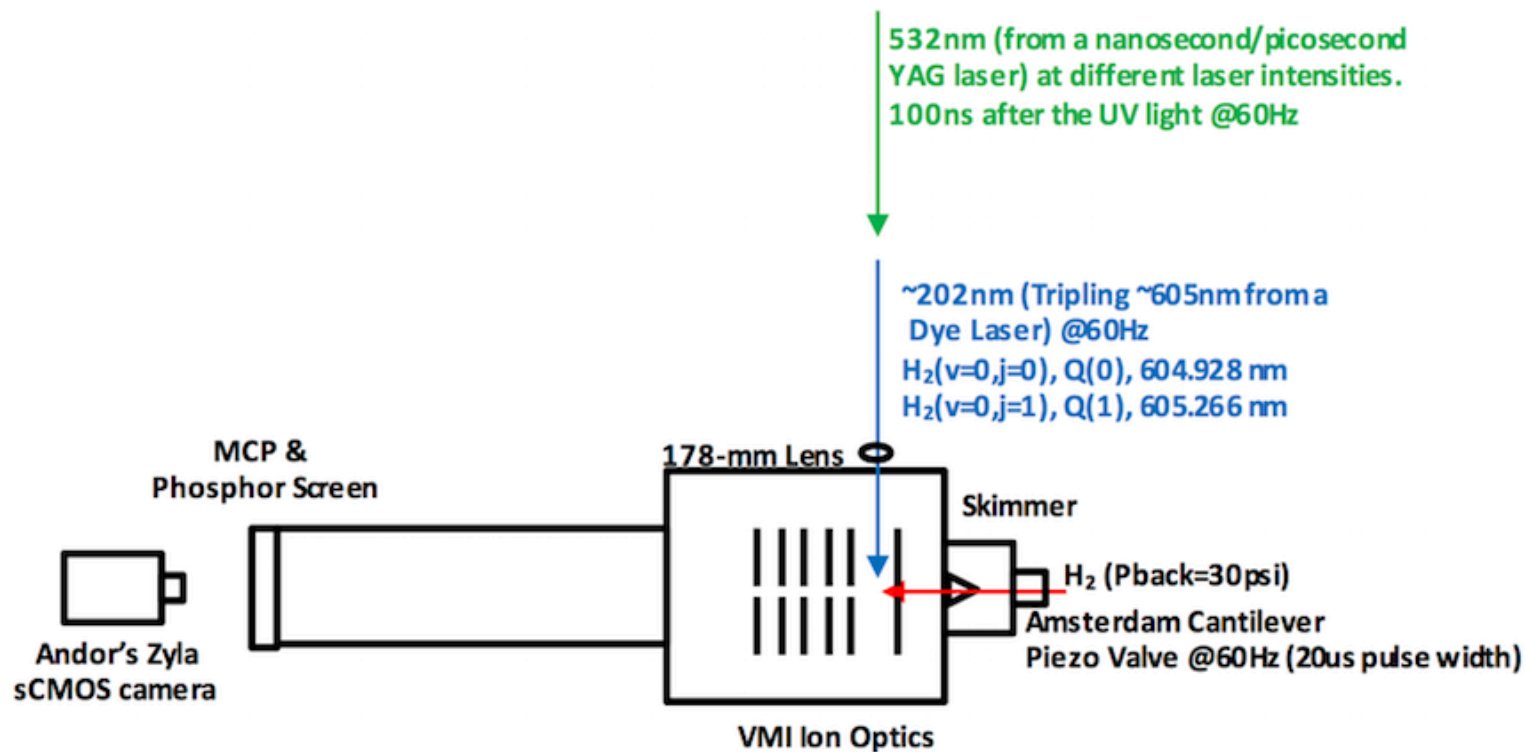


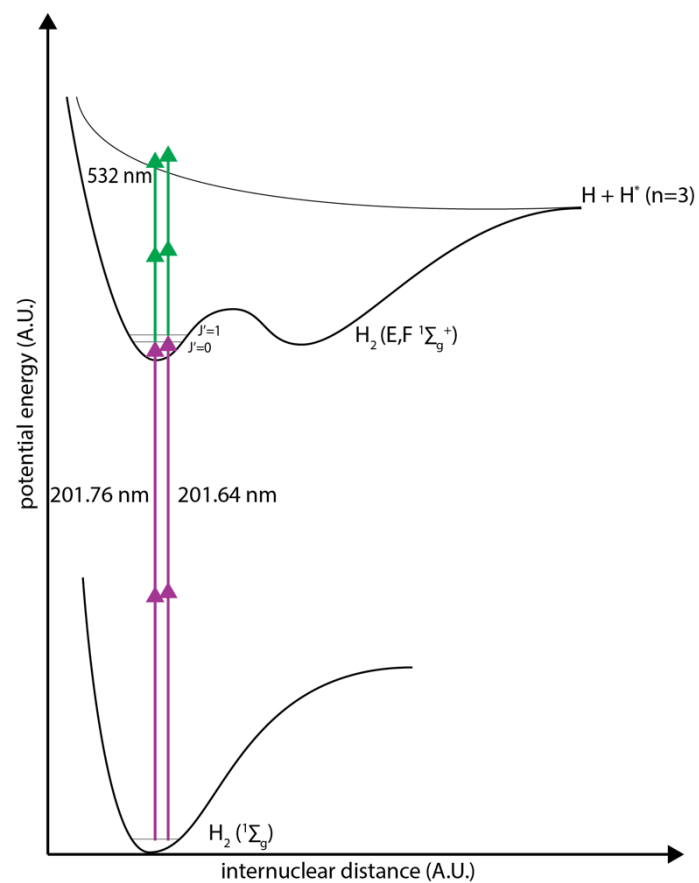
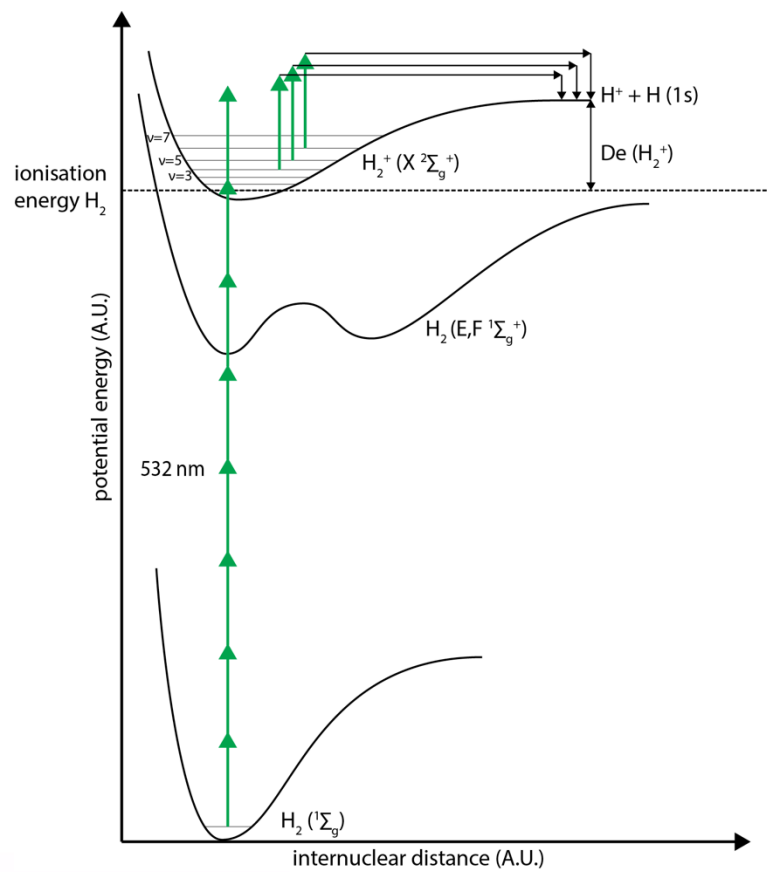
Slice Imaging for improved resolution, 2001
Kitsopoulous (ex-BES/CRF Postdoc)

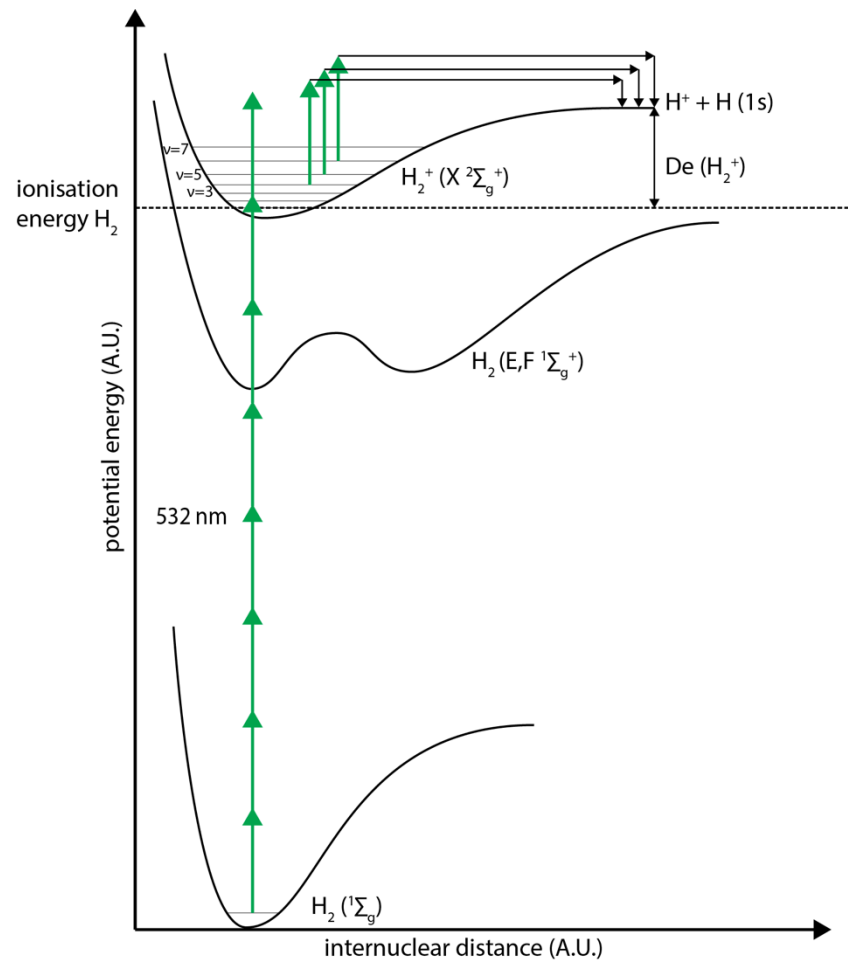
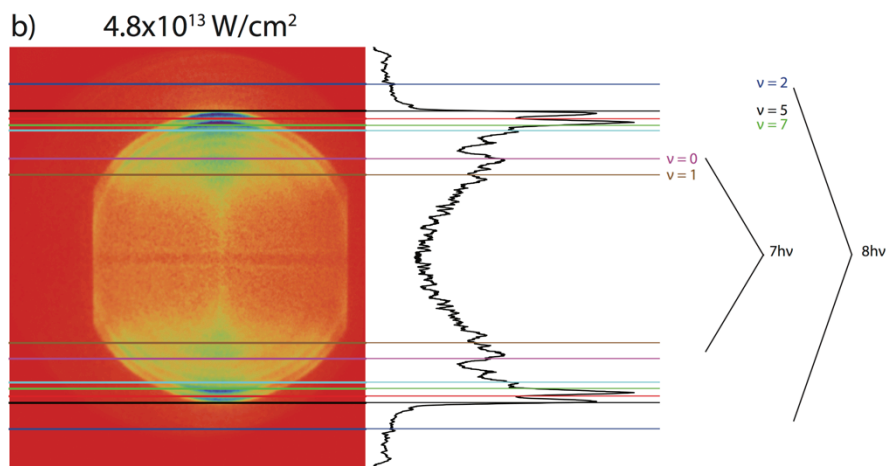
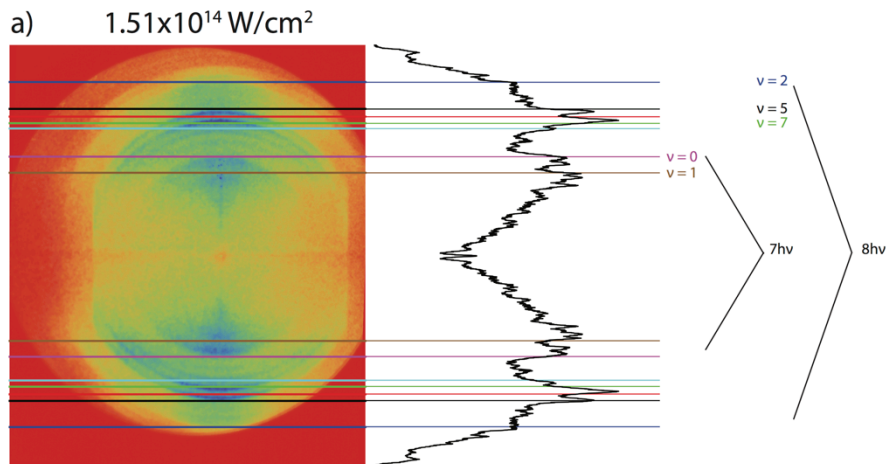


Ultra high resolution electron imaging 2004
Neumark (BES)

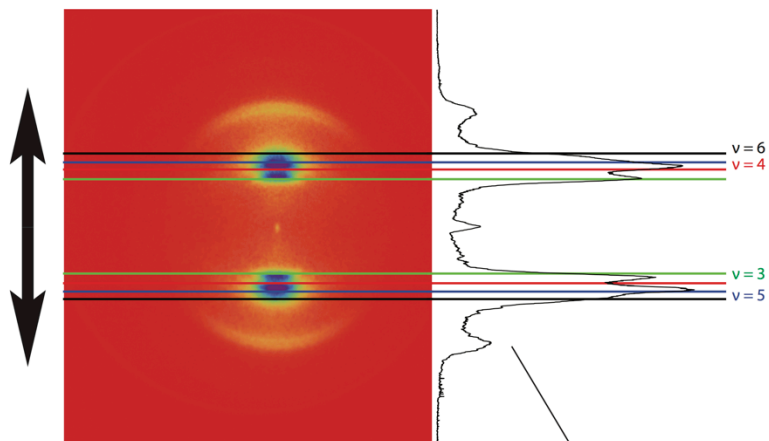




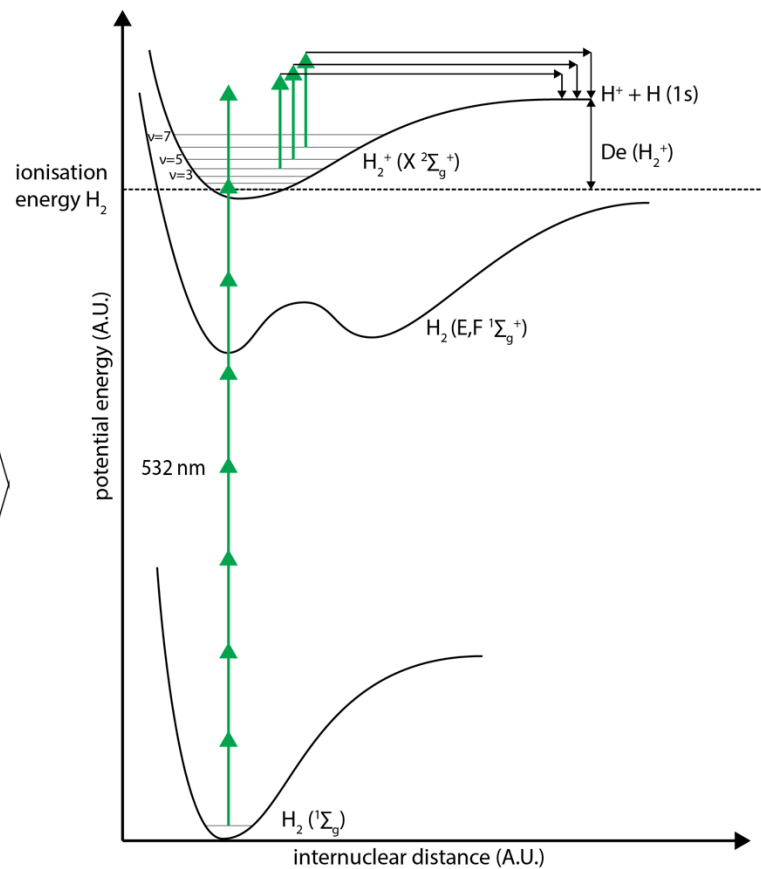
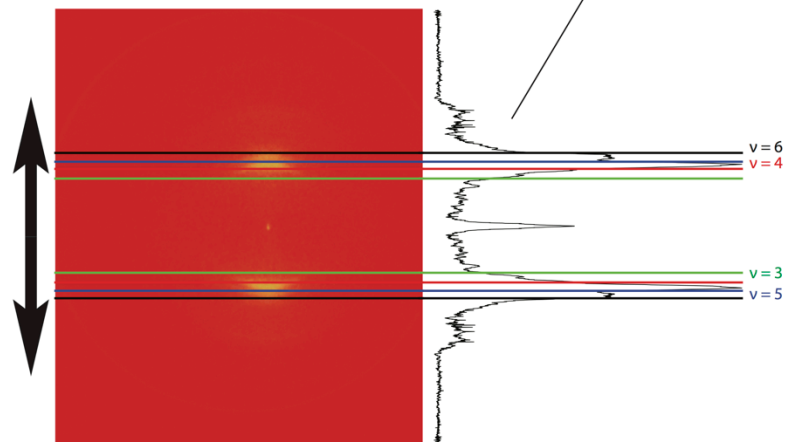


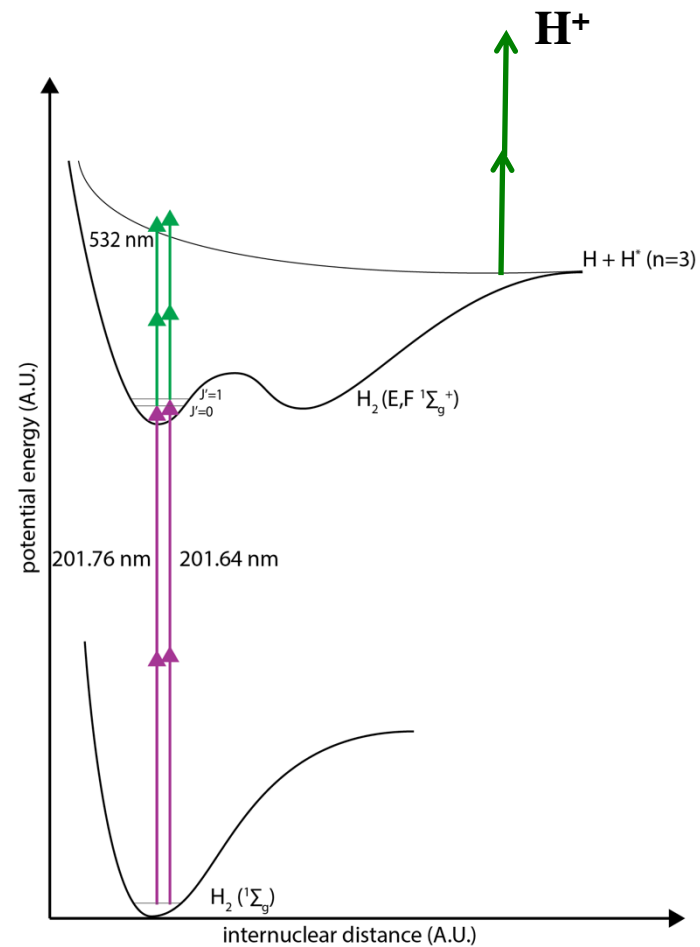
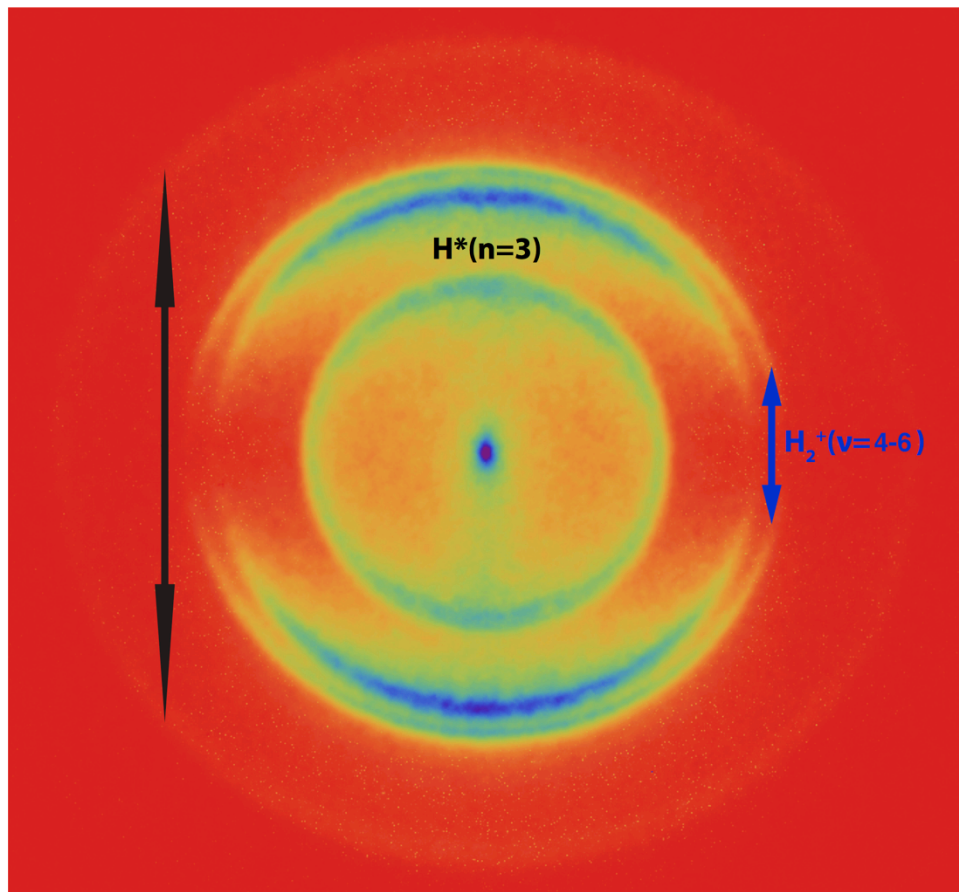


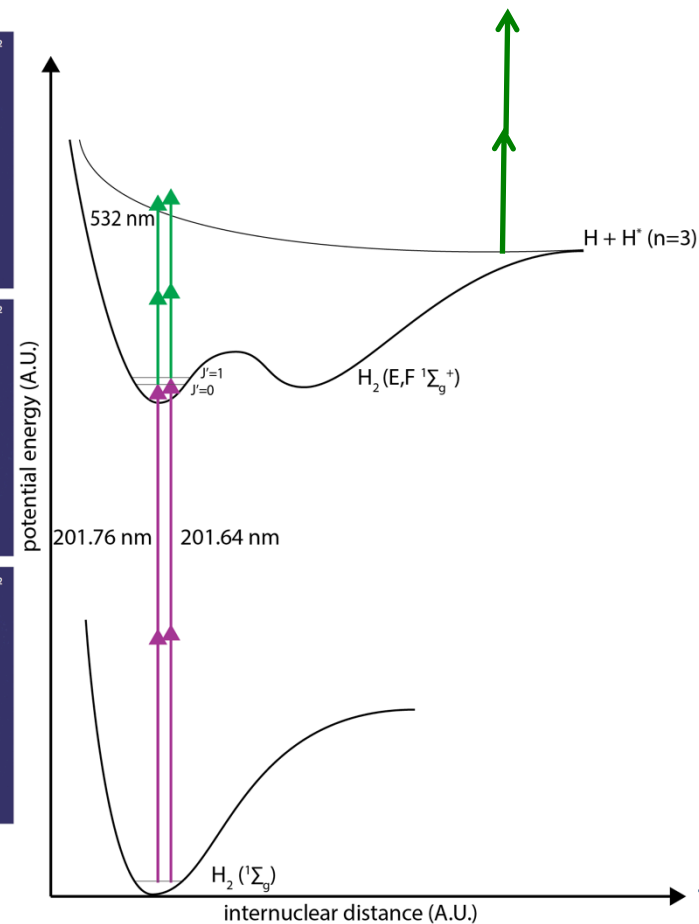
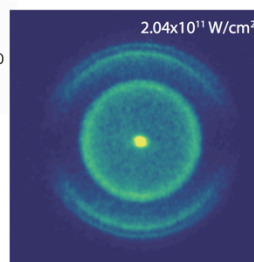
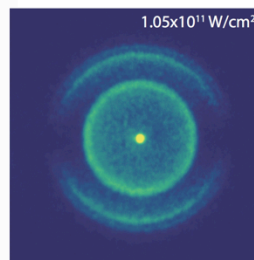
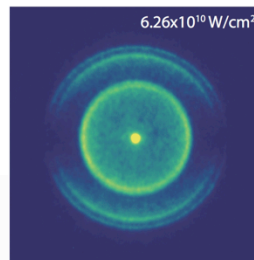
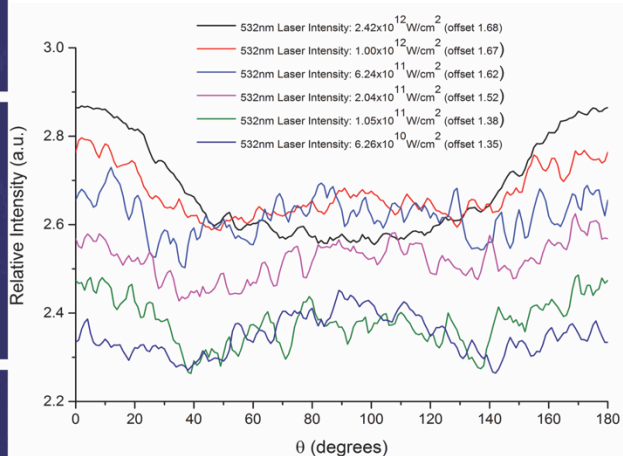
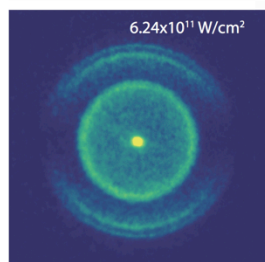
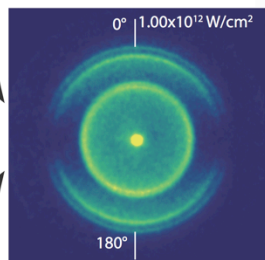
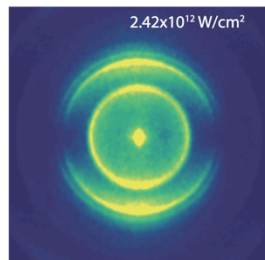
a) $1.51 \times 10^{14} \text{ W/cm}^2$

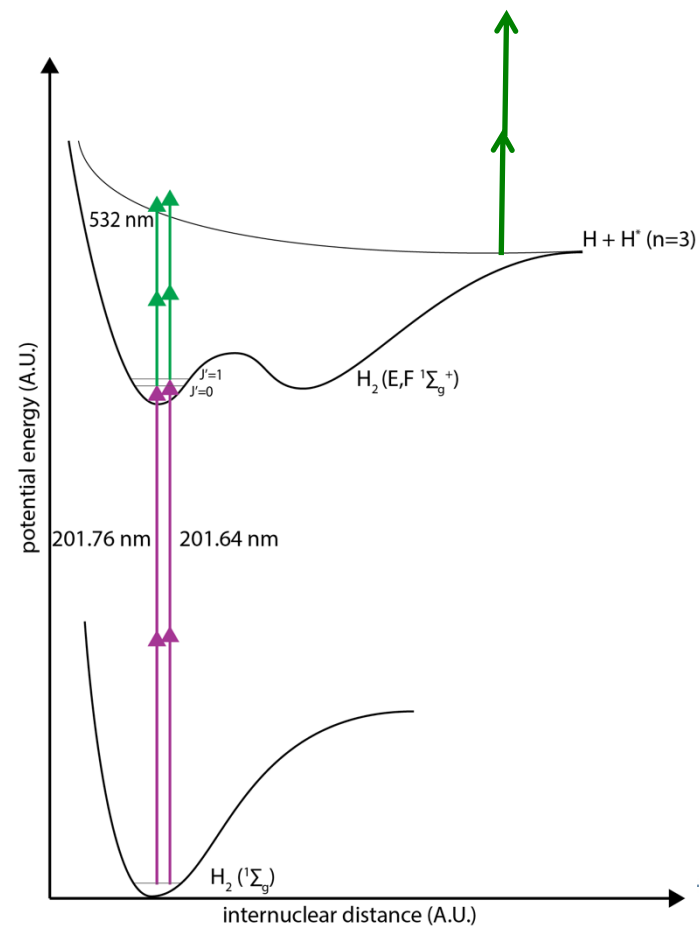
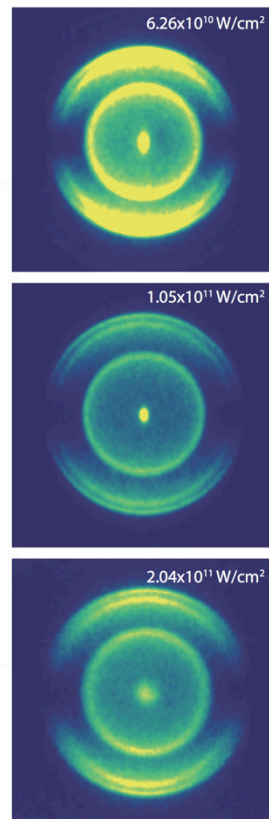
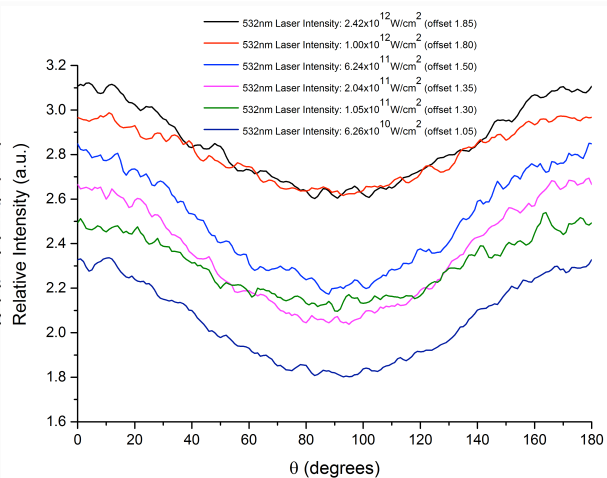
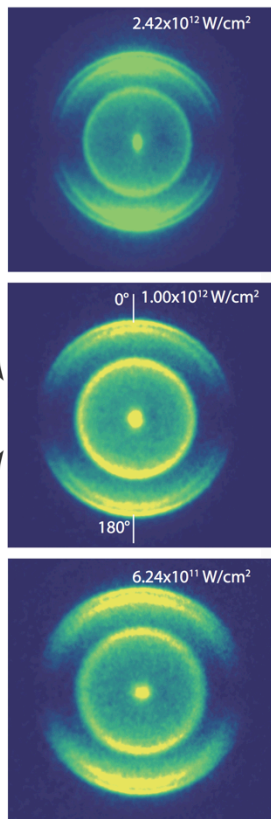


b) $4.8 \times 10^{13} \text{ W/cm}^2$



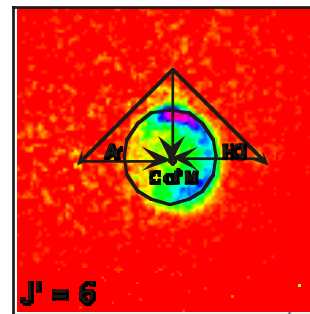
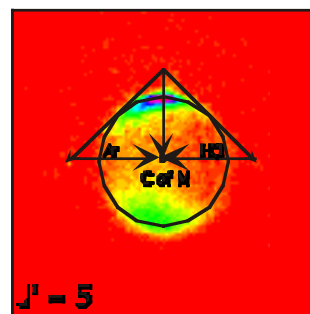
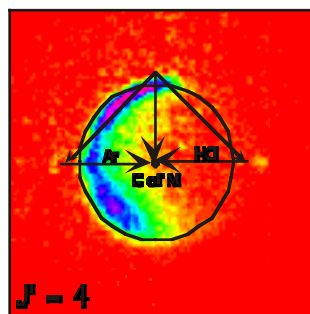
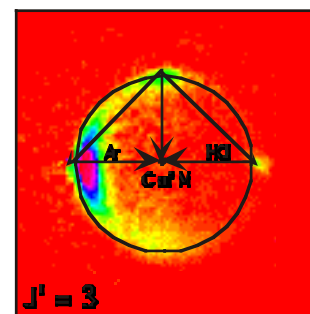
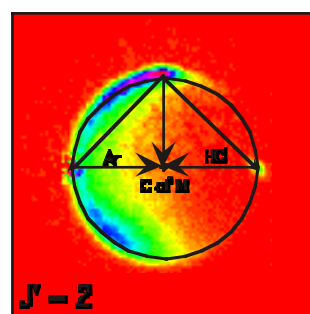
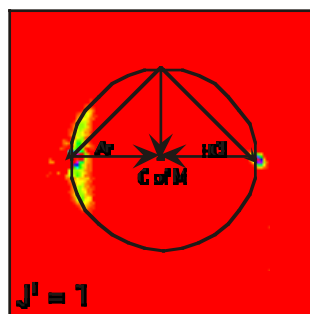
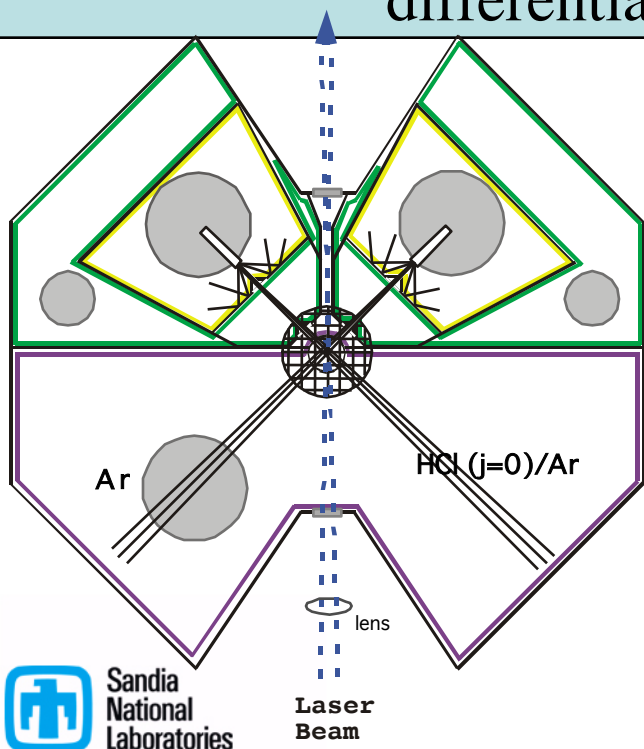




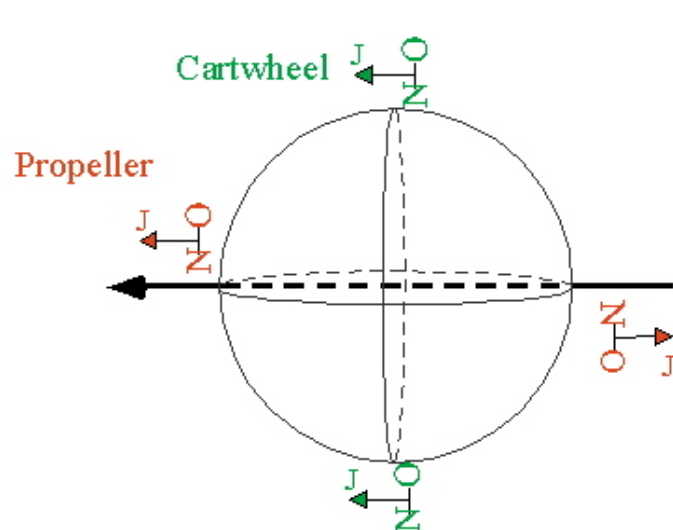


Kinematic Cooling of Molecules is a Technique for the Slowing of a Molecule by a Single Collision with an Appropriate Atom.

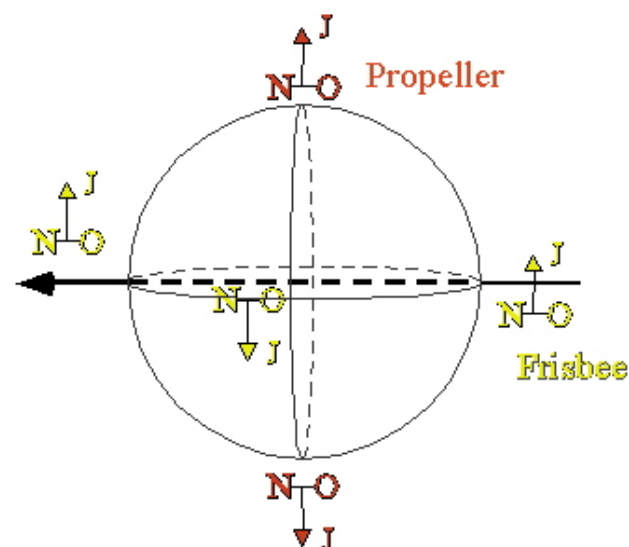
We first discovered this technique for the creation of a samples of Molecules with milliKelvin temperatures by observing the angular distributions we obtained when doing atom-molecule scattering using Velocity Mapped Ion Imaging to detect the differential cross sections of the products.



II. Rotational Alignment of $\text{NO}(^2\text{X}) + \text{Ar}$ Collisional Products

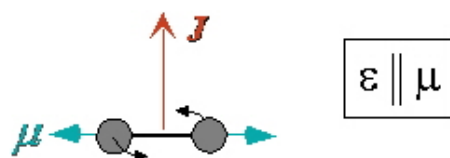


$\updownarrow \epsilon$ **Vertical Polarization**
Probe Geometry



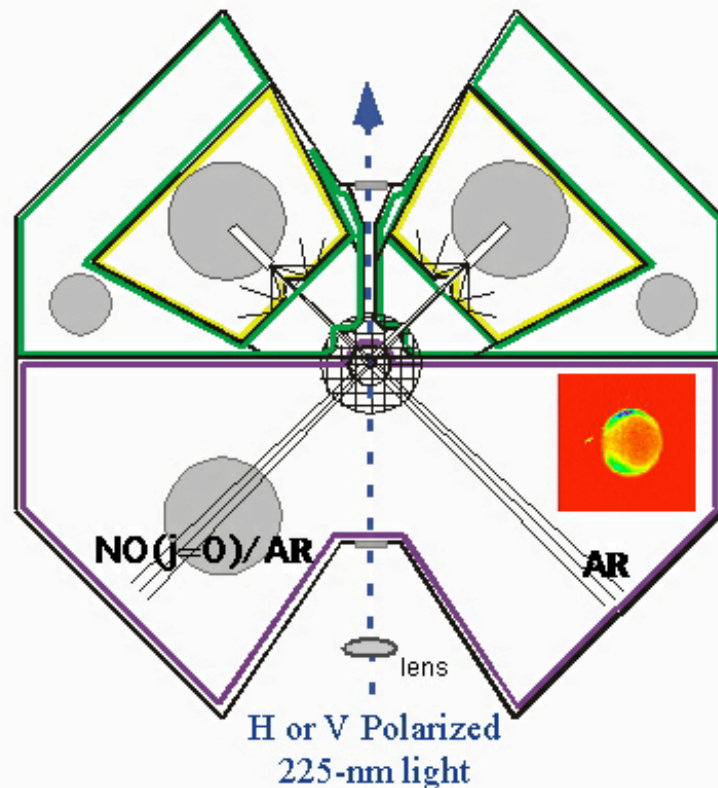
$\leftarrow \epsilon \rightarrow$ **Horizontal Polarization**
Probe Geometry

R-Branch Spectroscopy ($^2\Sigma \leftarrow ^2\Pi$)

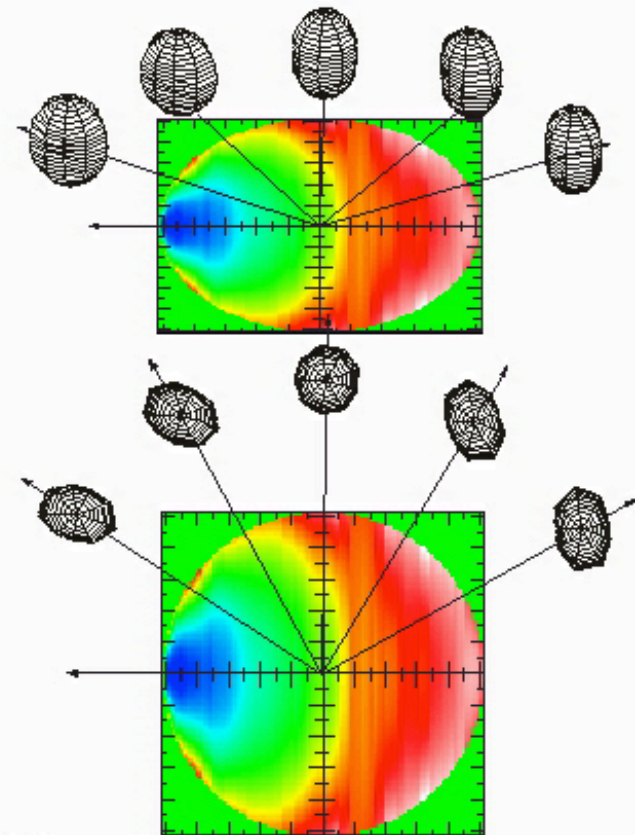


- Probe light is linearly polarized and set to either vertical or horizontal in the laboratory frame.
- Two alternate probe polarizations can discriminate between NO molecules with their J vectors aligned in the scattering plane or orthogonal to the plane.

The alignment of the J vector of the NO can be measured as well as its scattering angle (DCS).



- Obloids represent the J-distribution as a function of the final scattering velocity.
- Scattering products are dominantly aligned orthogonal to the scattering plane - classical, hard ellipse model.

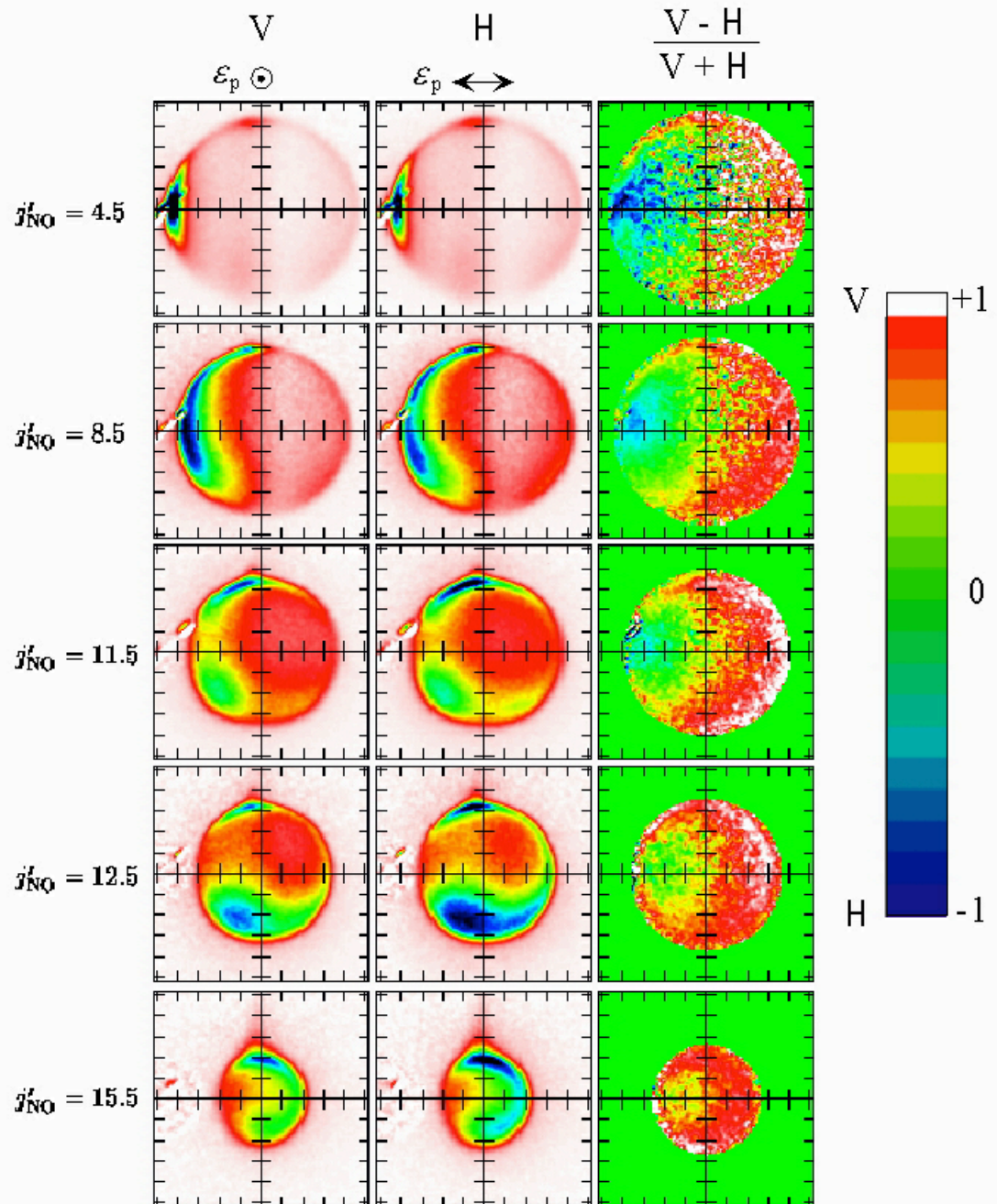


$R_{21} (J=12.5)$
 $(H-V)/(H+V)$

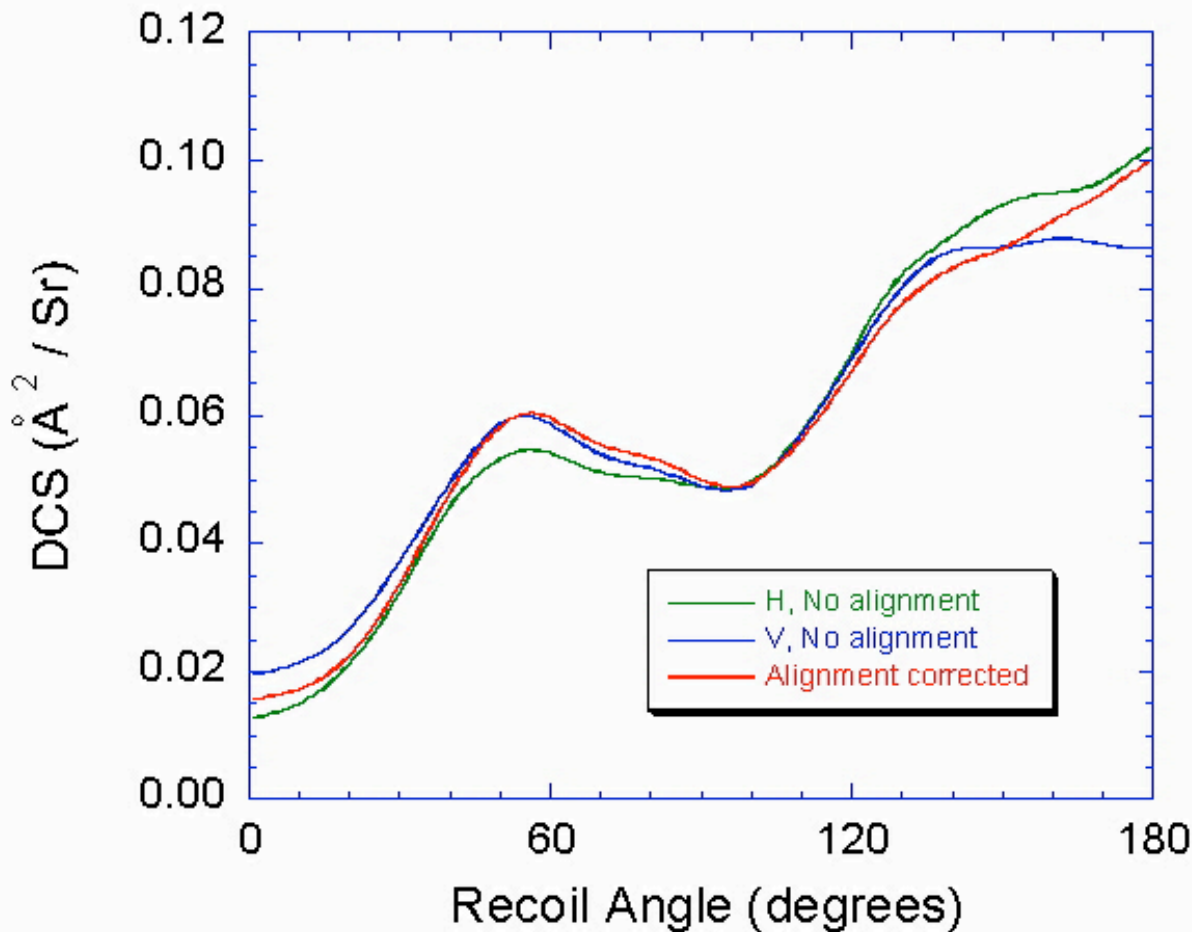
NO/AR Images

V and H images

- We take the difference between the vertical and horizontal images and normalize by the sum of the images to get an image we can fit using three alignment moments. We fit each line of data (top to bottom) with the moments. We can then plot the moments as a

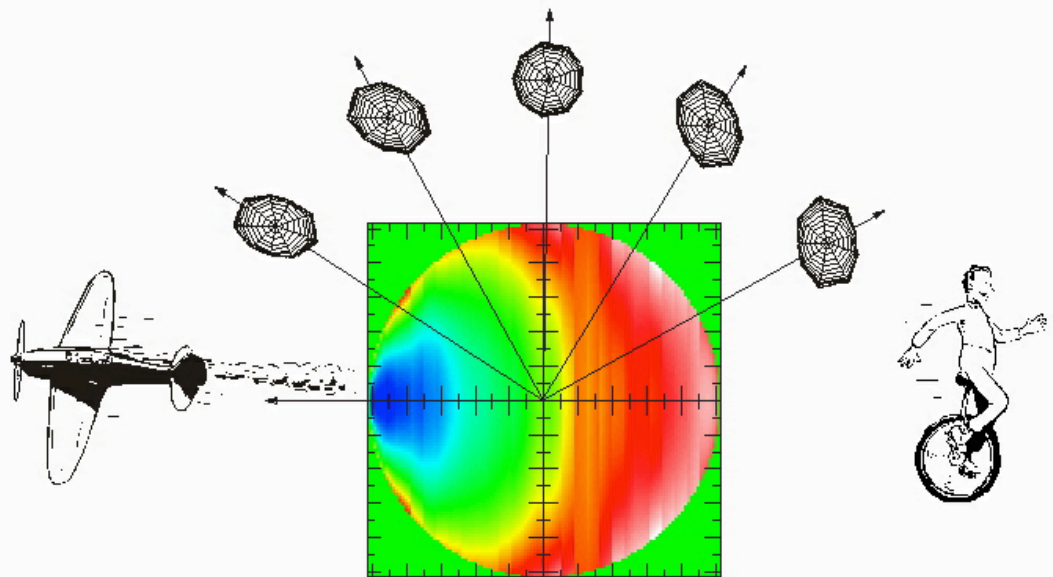
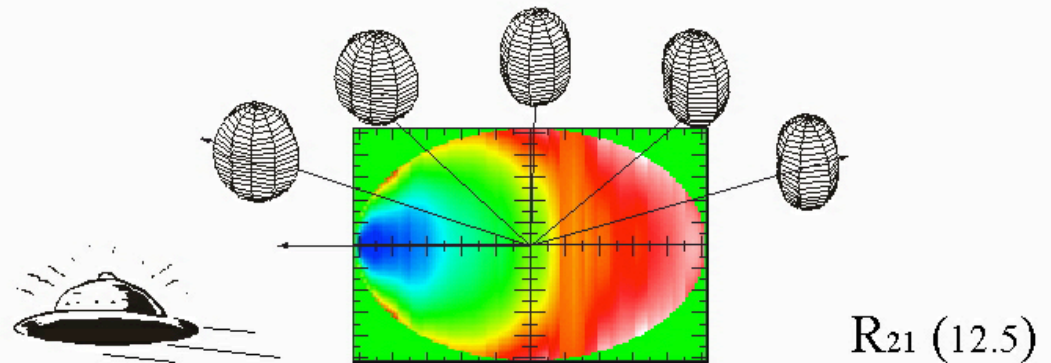


Surprisingly (to me) the alignment does not effect the determination of the DCS except at 0 and 180 degrees



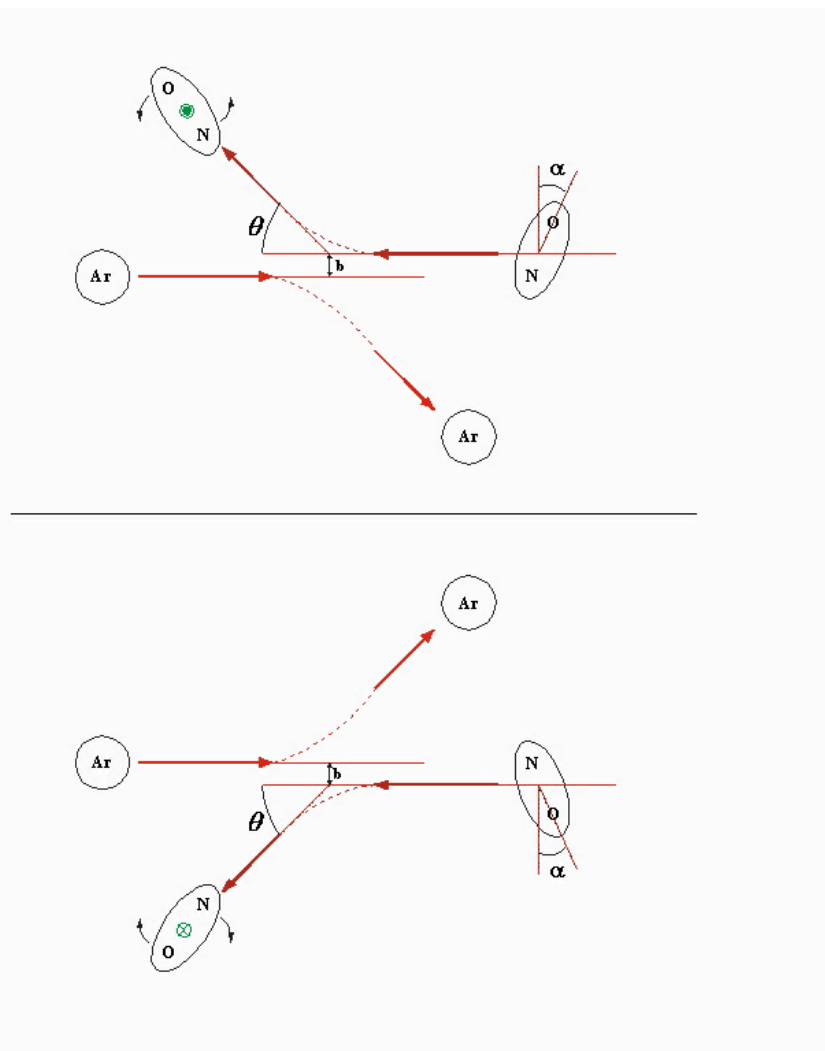
The alignment moments (when turned into pictures!) provide physical insight into the scattering process.

- The Three Alignment moments define the 3-D distribution and they are drawn here for $J=12.5$
- Obloids represent the J distribution as a function of the final scattering velocity.
- Scattering products are dominantly aligned orthogonal to the scattering

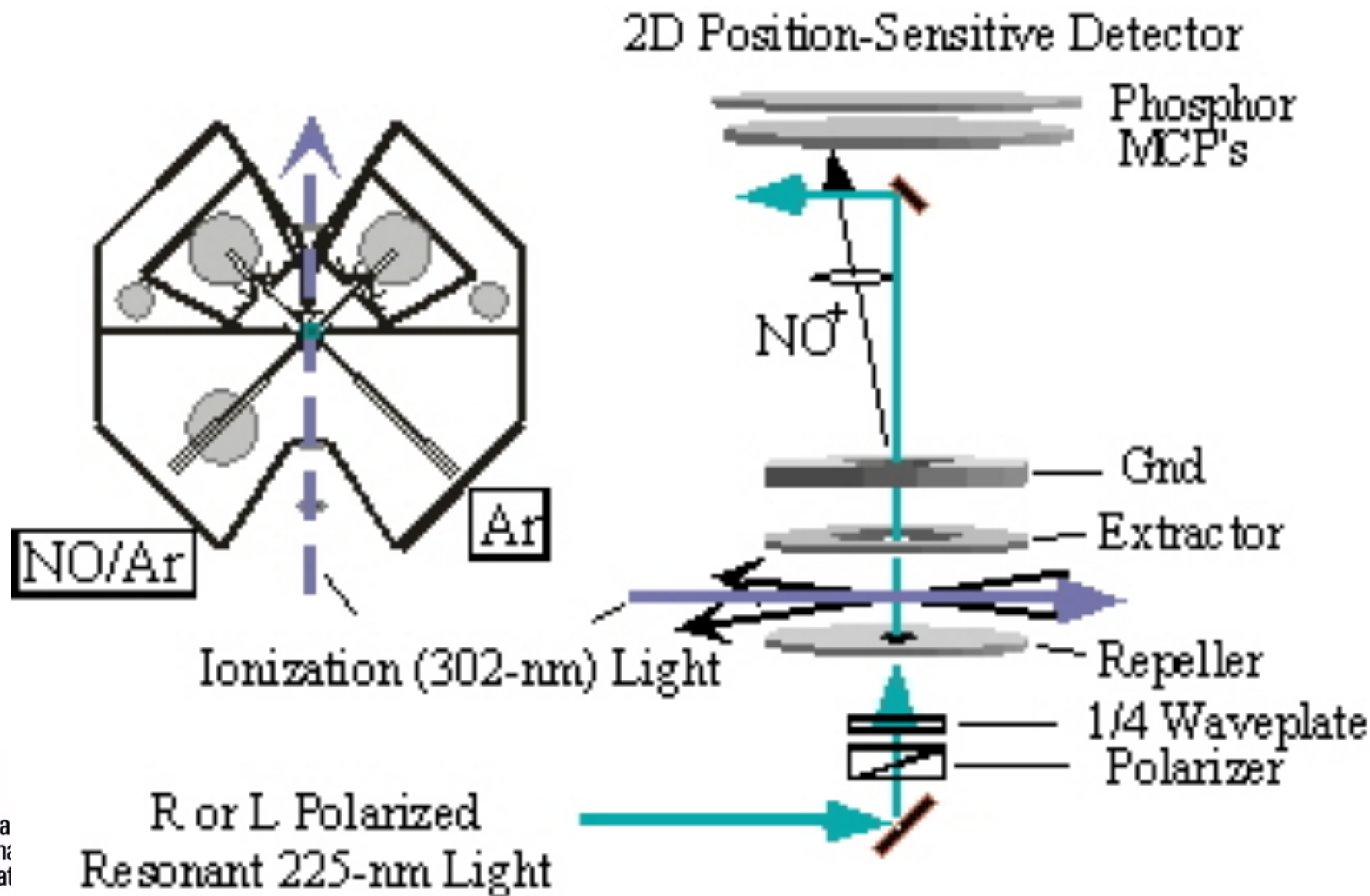


Orientation of the J vector refers to the absolute sense of rotation, clockwise or counter clockwise.

- What do you predict?
- Should there be a preferred sense of rotation for NO scattering at a certain angle when it collides with an atom?

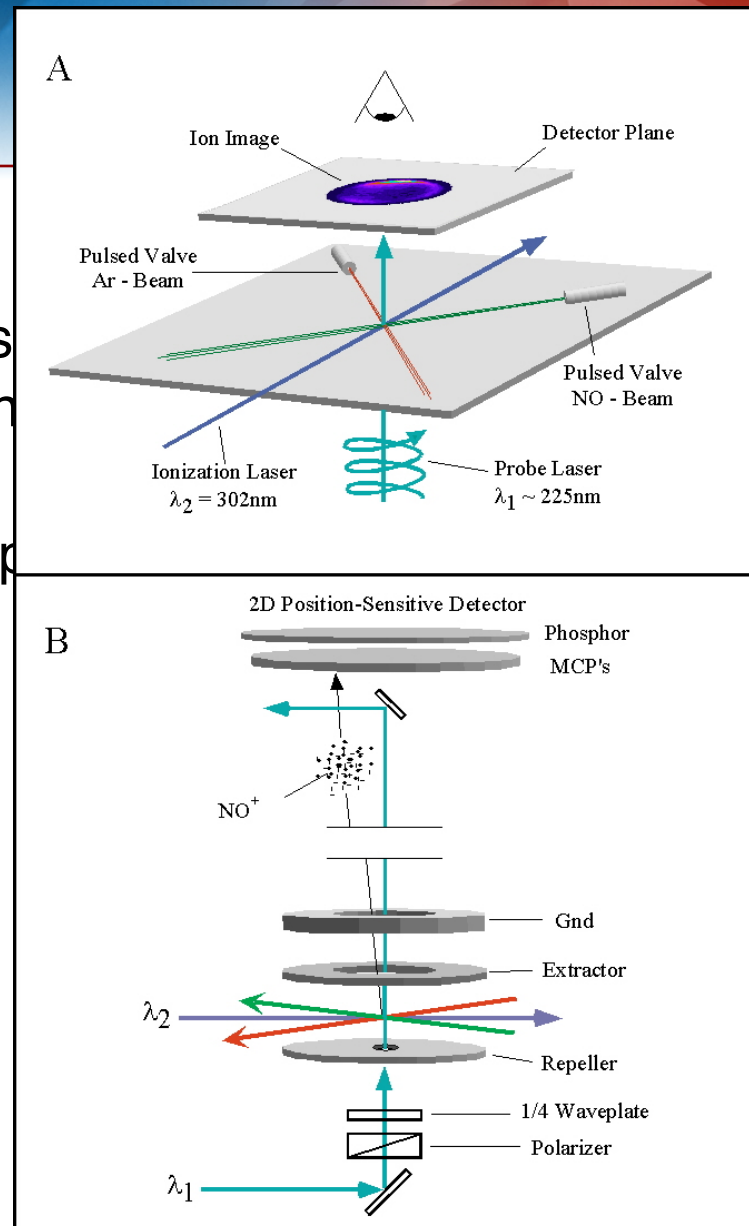


In order to determine the orientation of the NO we will use circularly polarized light and shine it from below the scattering plane.



The apparatus for measuring orientation of molecules.

- This apparatus geometry allows orientation as a function of quant angle.
- The results can be directly compared of the scattering distribution.



The Absolute Sense of Rotation of the NO Collision Products Can Be Probed Using Circularly Polarized Light

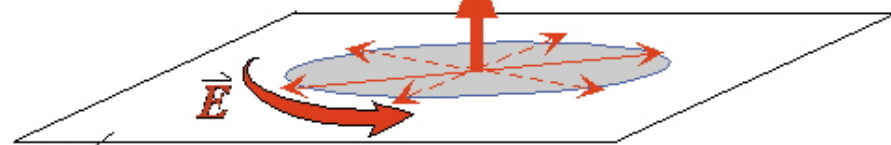
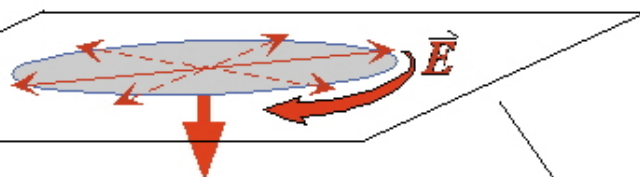
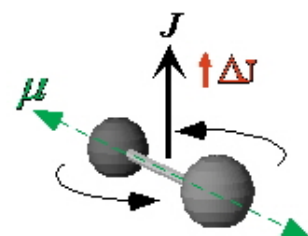
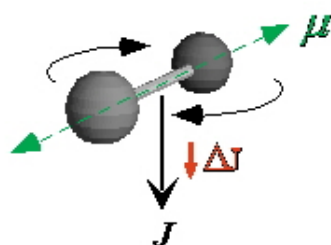
Right Circularly
Polarized Light
Favored

R-Branch, $\Delta J = +1$

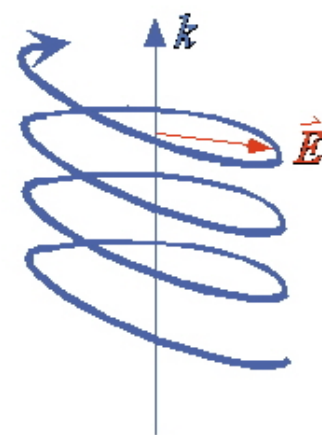
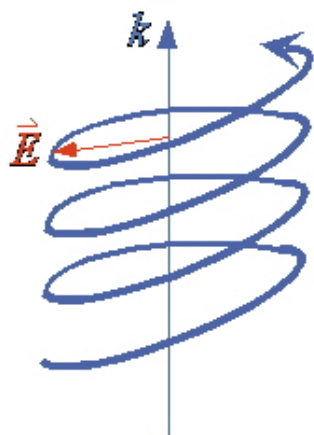


$$\vec{E} \parallel \vec{\mu}$$

Left Circularly
Polarized Light
Favored

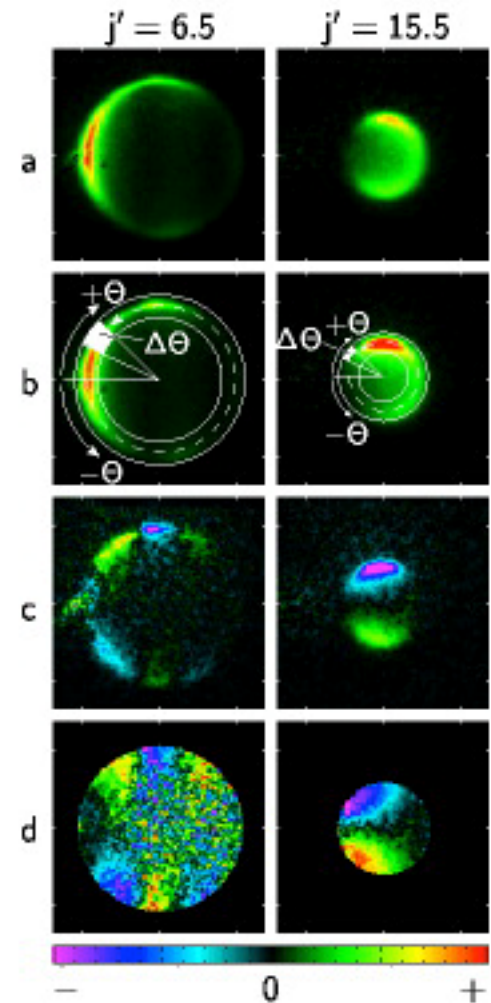


Scattering Plane



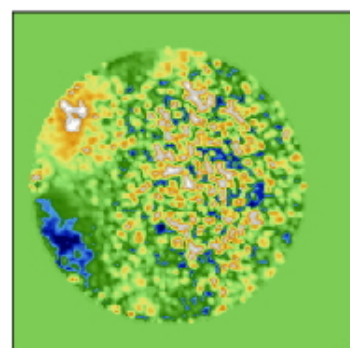
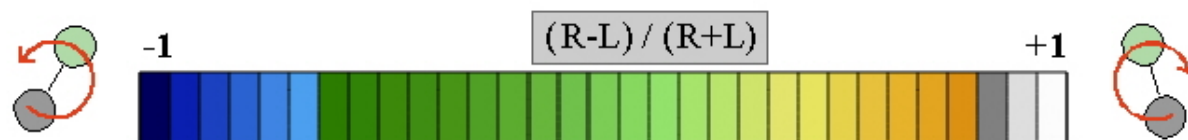
The normalized difference image is a direct measure of the orientation.

- A) Right circularly polarized Image
- B) Left Circularly polarized Image
- C) difference image A-B
- D) Normalized difference image (A-B)

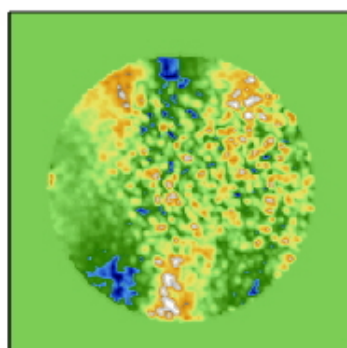


Normalized Difference Images for Selected Rotational States of NO + Ar Collision Products

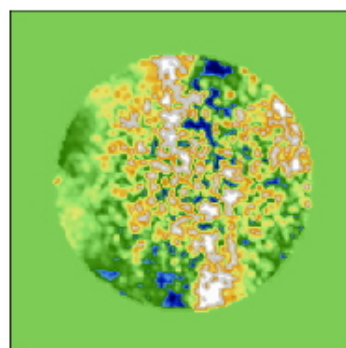
R₂₁ Branch



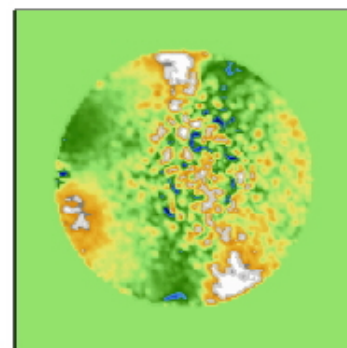
J = 4.5



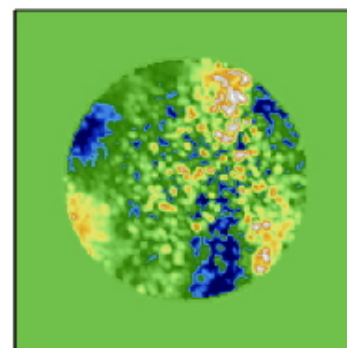
J = 6.5



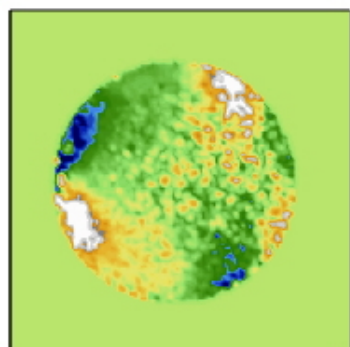
J = 7.5



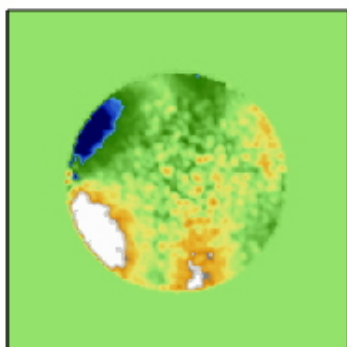
J = 8.5



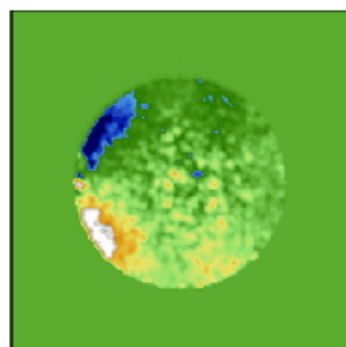
J = 9.5



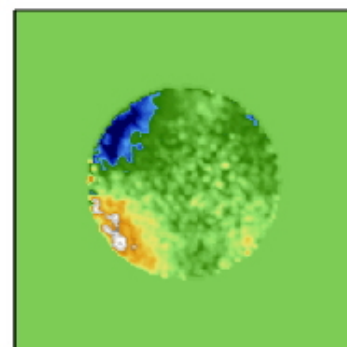
J = 10.5



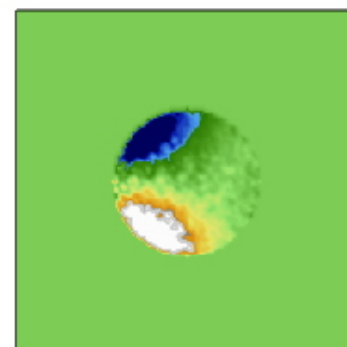
J = 11.5



J = 12.5

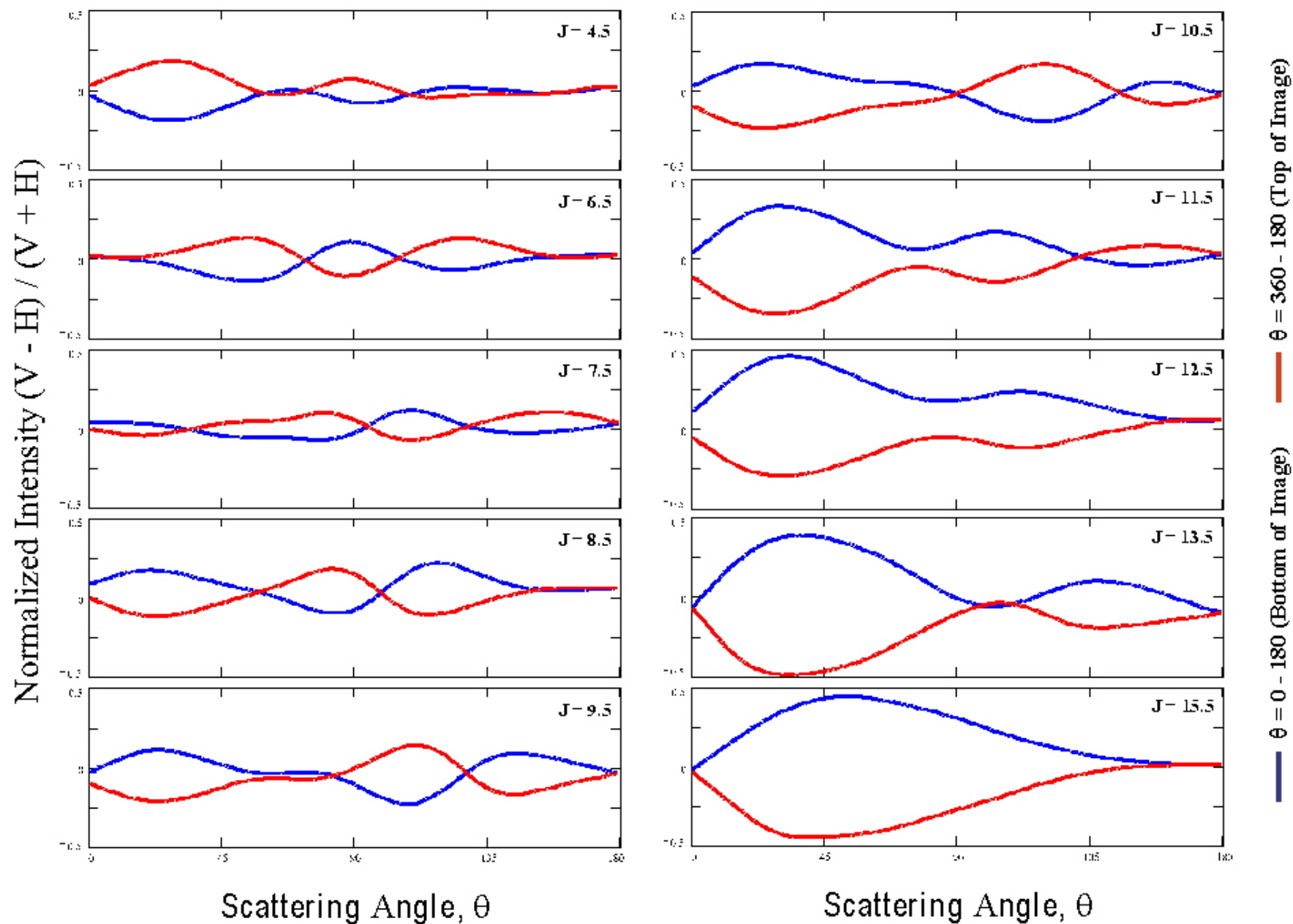


J = 13.5



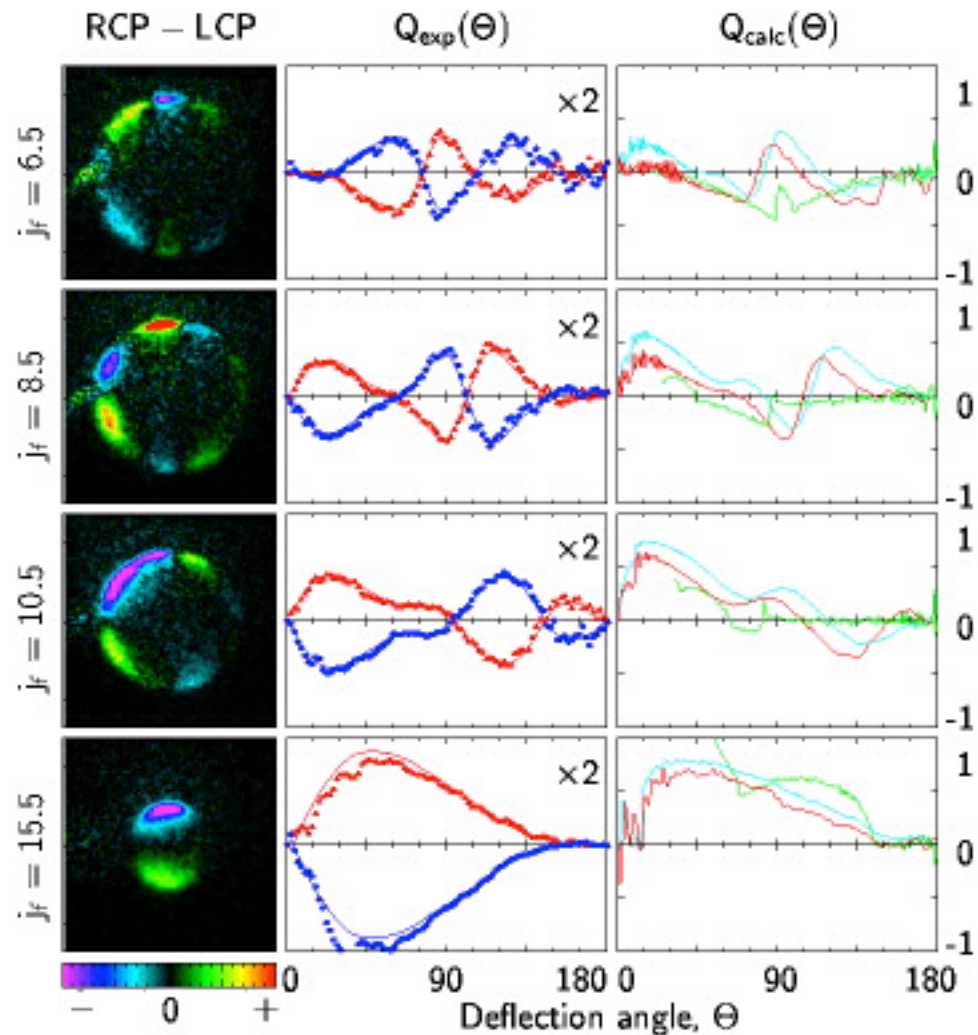
J = 15.5

The Normalized Orientation-Dependent J-Changing DCS's



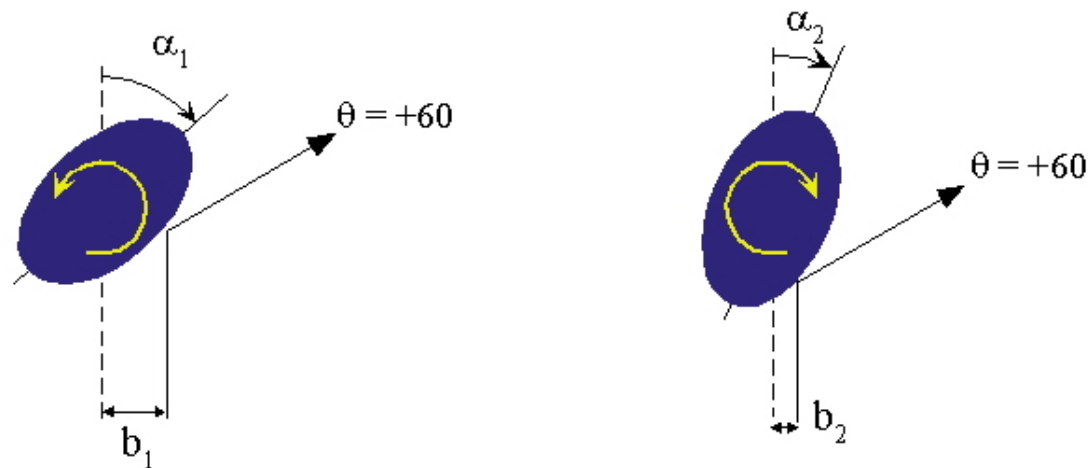
Difference images with perimeter plots and calculated A^1_{-1} moments.

- Calculations are done using full close-coupled quantum calculations using two recent *ab initio* NO-Ar potentials of Alexander and the Hybridon scattering package.

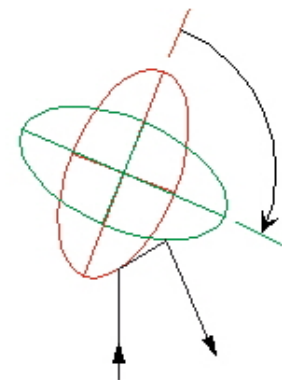


2D Hard Ellipse Calculations Show That There Should Be No Orientation Effect Without Invoking Multiple Collisions

- There are equal numbers of orientation / impact parameter combinations giving CW as CCW rotation for any given deflection angle, θ . The net result is cancellation of any measurable rotational orientation.



- However, for high Δj collisions, some impact parameters are more likely to suffer secondary impacts - the chattering effect.
- Chattering eliminates the net balance between the number of trajectories producing CW and CCW motion for any given deflection angle



Semi-Classical Interferences May Account for the Modulation in the Orientation-Dependent DCS's

Two sources of interference

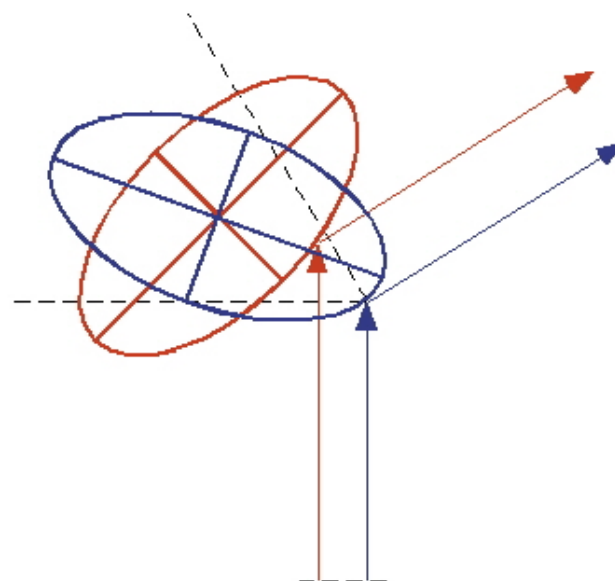
- Interference due to phase-additive differences in the path lengths of the DeBroglie plane waves for red and blue trajectories.

$$\lambda_{\text{deBroglie}} = \frac{h}{|\vec{p}|}$$

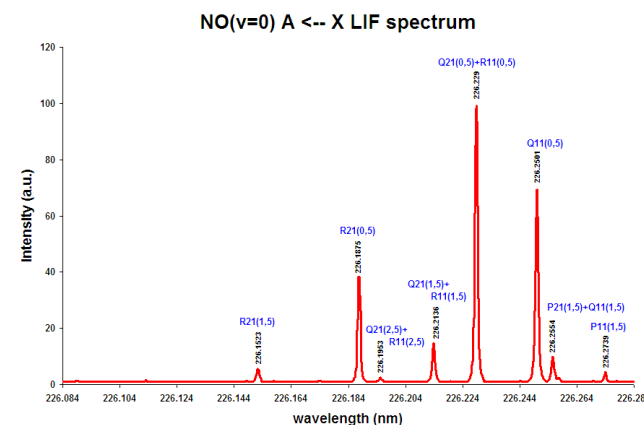
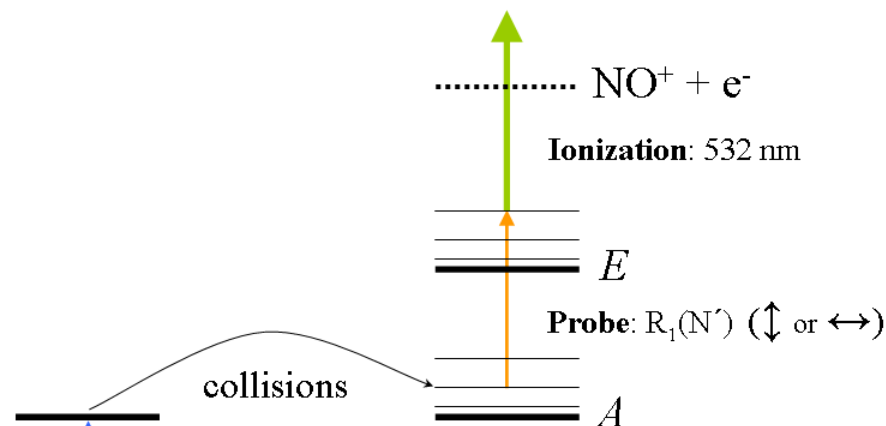
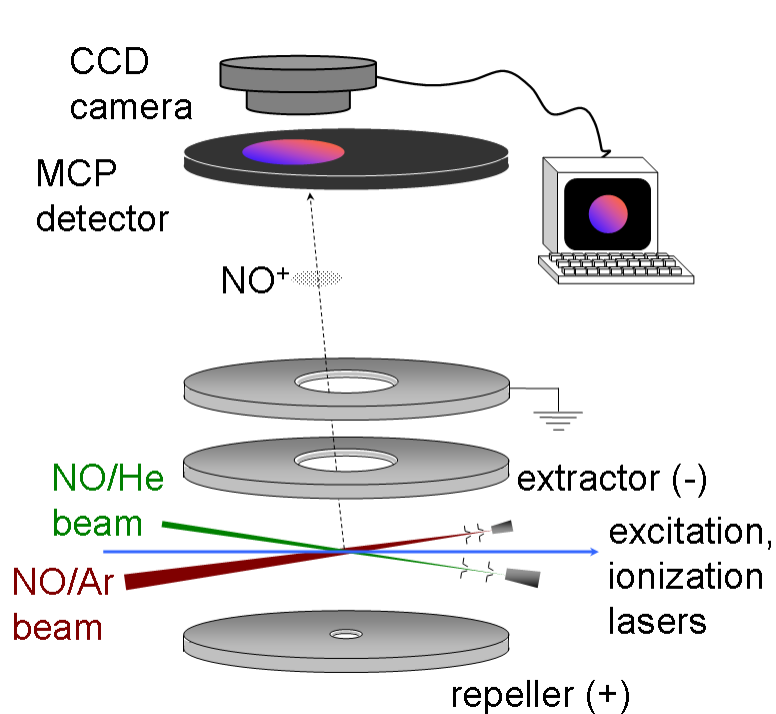
- Interference due to phase-additive differences in the rotational path of the rotor for the two trajectories.

$$\Psi(\alpha) = \frac{1}{\sqrt{2\pi}} e^{(-i j \alpha)}$$

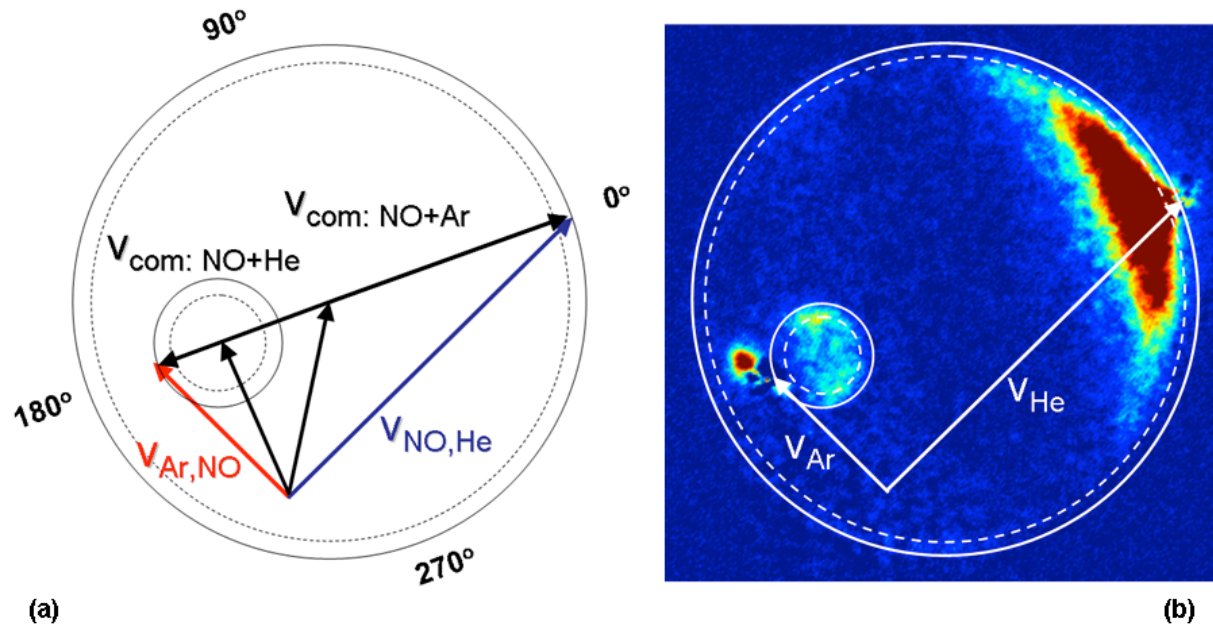
$$\text{Intensity Modulation} \sim \cos [j(a_B - a_R)]$$



Apparatus and Detection Mode for measuring DCS and Alignment of **Electronically** Excited State Molecules.



Expected Collision Dynamics From NO/Ar Beam Scattering From NO/He beam



Three dimensional scattering of unequal mass particles capable of
Also constrained by conservation of energy and momentum, The N

Background Subtracted Scattering Data and the Differential Cross Sections Obtained from Data.

NO scattering from He

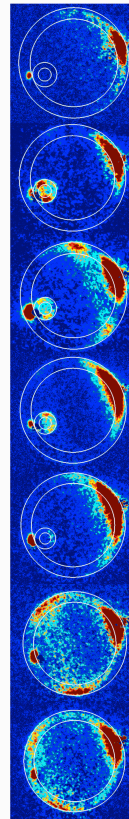
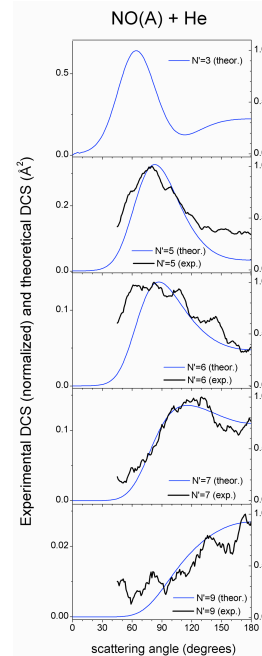
N=3

N=5

N=6

N=7

N=9



NO scattering from Ar

N=3

N=5

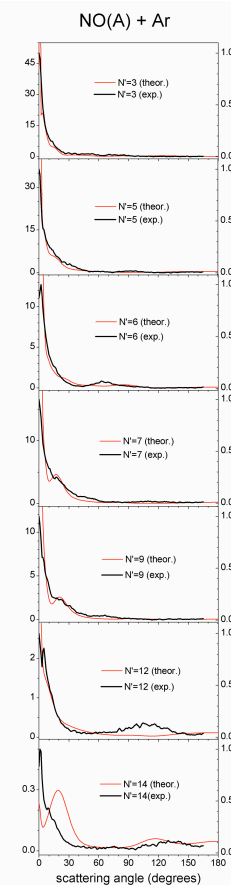
N=6

N=7

N=9

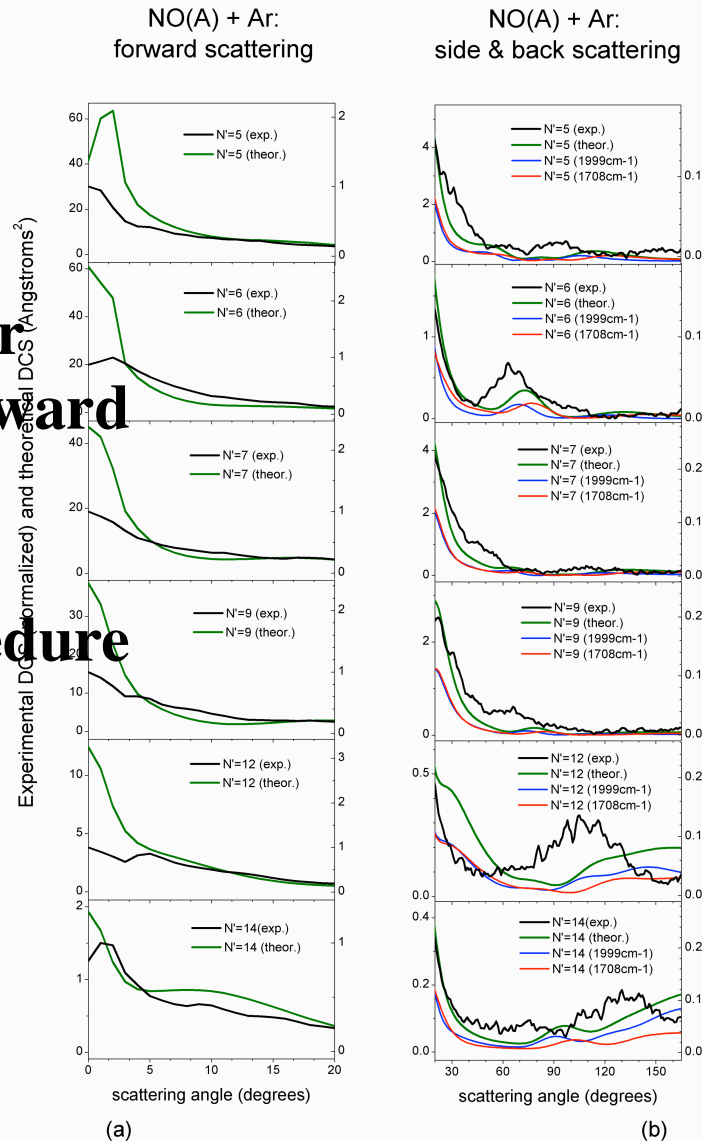
N=12

N=14



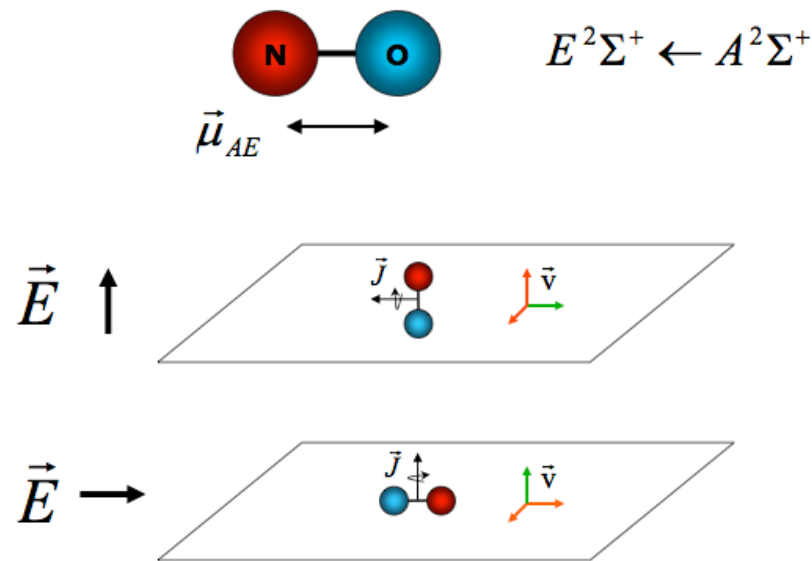
Expanded view of Differential Cross Sections

**Experiment under
Estimates the forward
scattering due
background
subtraction procedure**



**Theory to predict the
position of the Rainbow
Scattering at too
large and angle.**

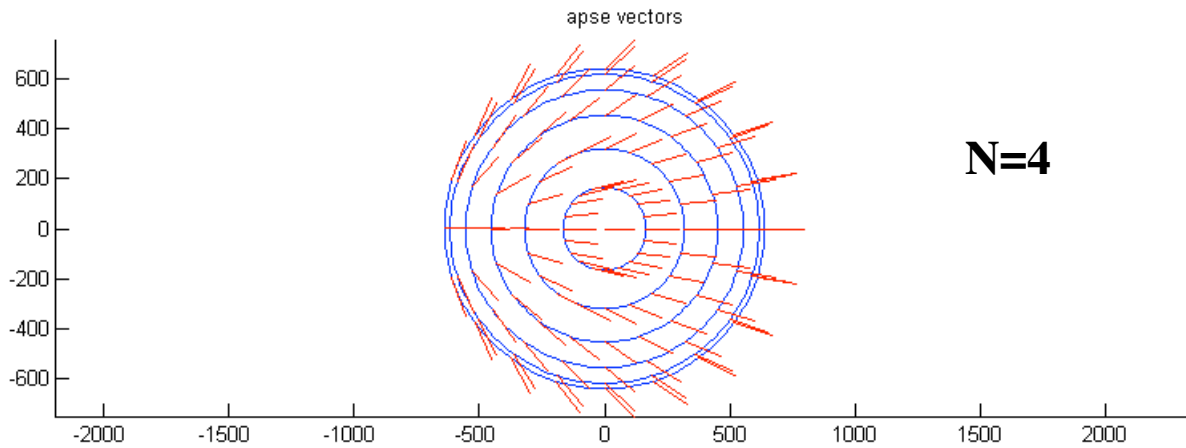
Is the Scattering is Polarization Dependent? Can we Measure Alignment of Electronically Excited State Scattering?



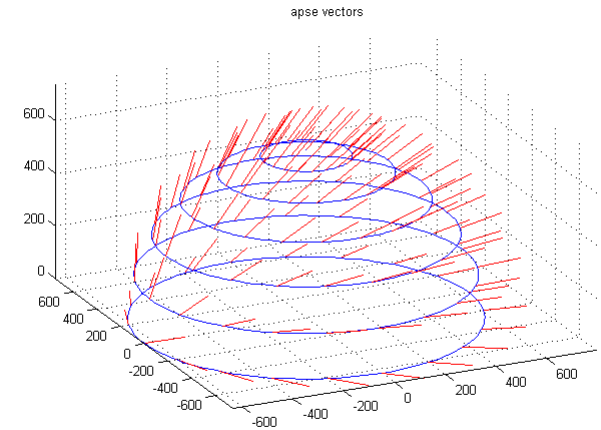
For NO traveling toward or away from laser beam perpendicular polarization is sensitive to cartwheel and propeller rotation.

For NO traveling toward or away from laser beam horizontal polarization is sensitive to Frisbee or propeller motion

Classical 'Apse' Model: Calculate Apse Vector for Every Scattering Angle and Calculate Projection of J on Scattering Axis.



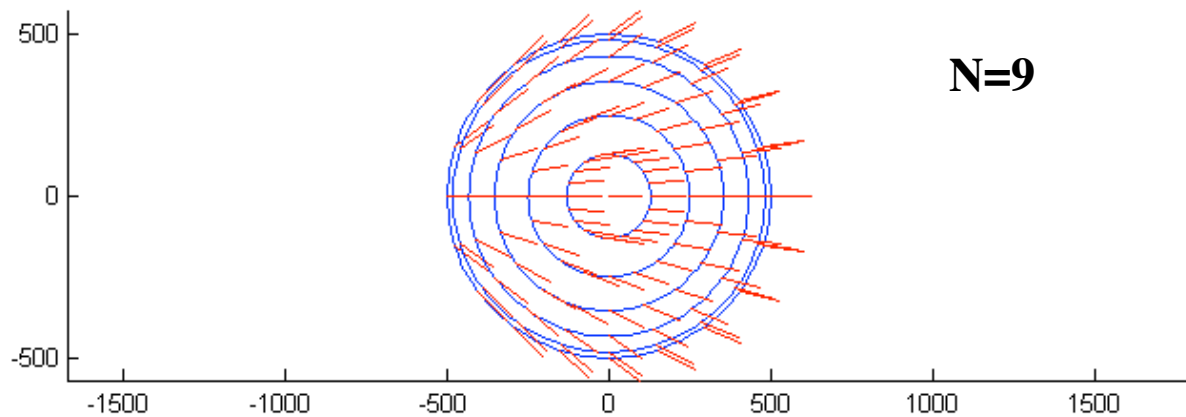
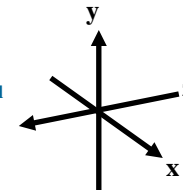
N=4



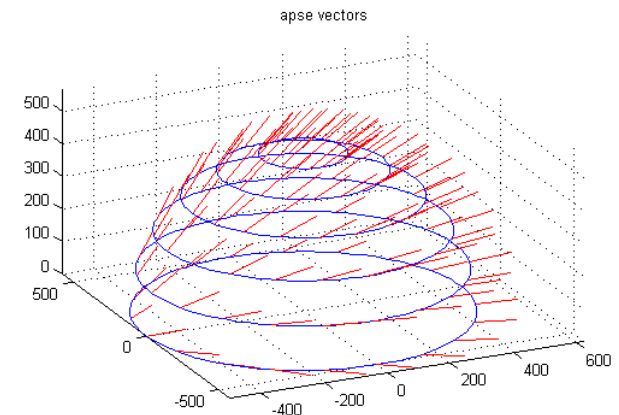
z-axis defined as COM $\mathbf{v}_{\text{initial}}$

x-axis is laser vector

y-axis is m/z detection



N=9



Alignment Moments: Calculations

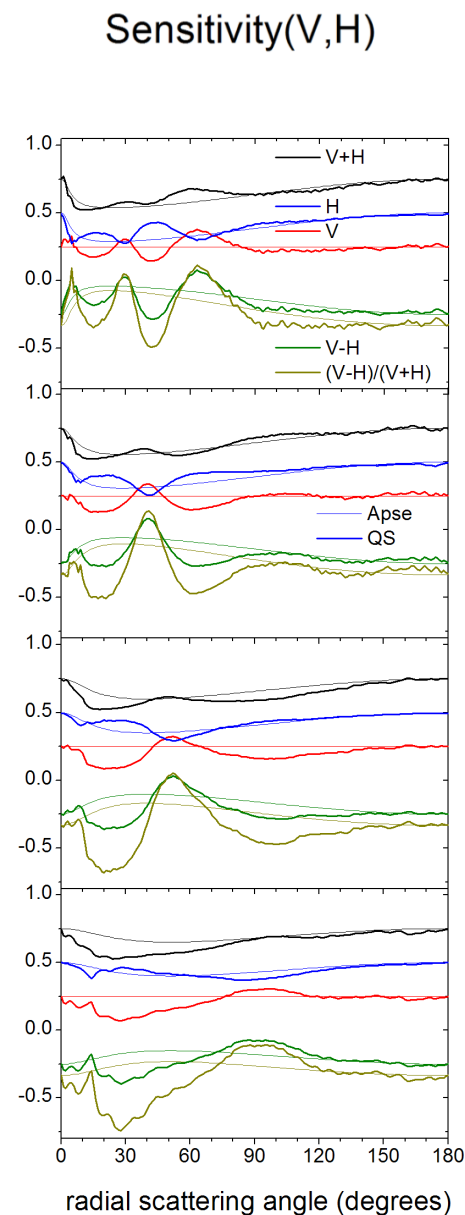
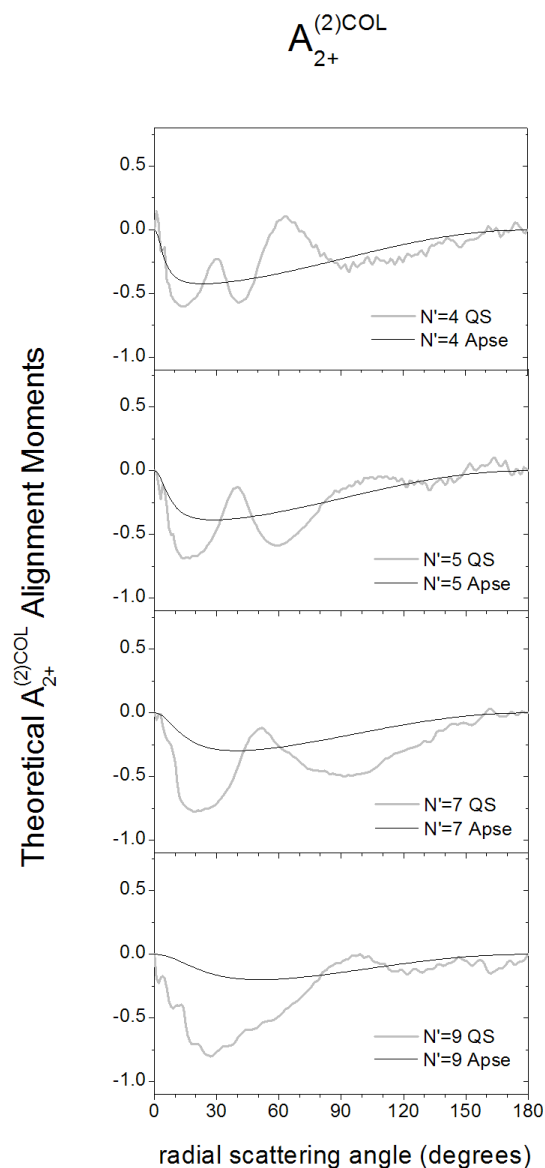
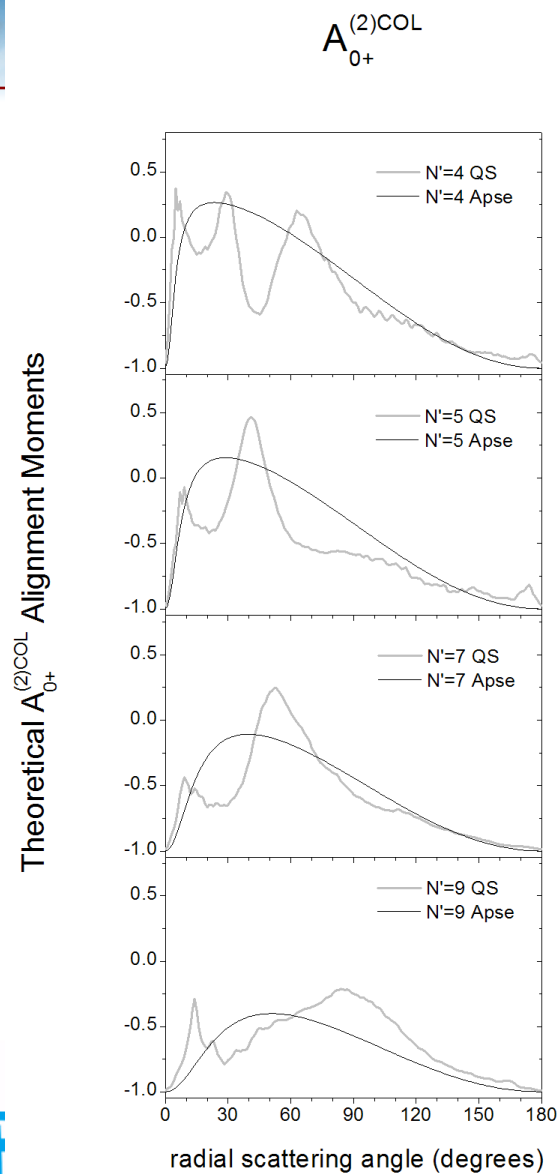
- Quantum scattering (QS) calculations are performed with HIBRIDON on a calculated NO(A)-Ne potential energy surface, these yield a collision energy- and rotational state-specific DCS and collisional alignment propensity.
- The classical 'Apse' model is also used to model the collisional alignment.
- The alignment models yield a vector distribution in the molecular collision frame which is captured by the $A_{0+}^{(2)COL}$ and the $A_{2+}^{(2)COL}$ moments. The J_z^{COL} , J_y^{COL} , and J_x^{COL} rotational vectors define the alignment moments as follows:

$$A_{0+}^{(2)COL} = 3 * J_z - 1 \quad \text{and} \quad A_{2+}^{(2)COL} = J_x - J_y$$

where the z-axis is defined by the COM collision vector.

Apse and Calculated Alignment Moments are Similar in

Calculated NO(A) + Ne Alignment Moments: ($\langle E_{\text{com}} \rangle = 388 \text{ cm}^{-1}$)

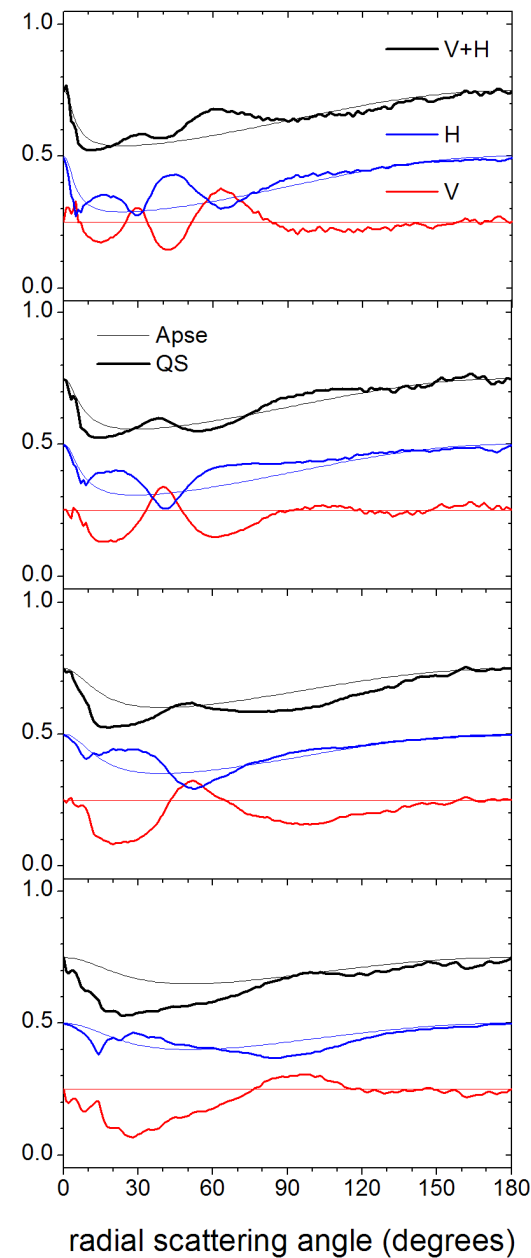
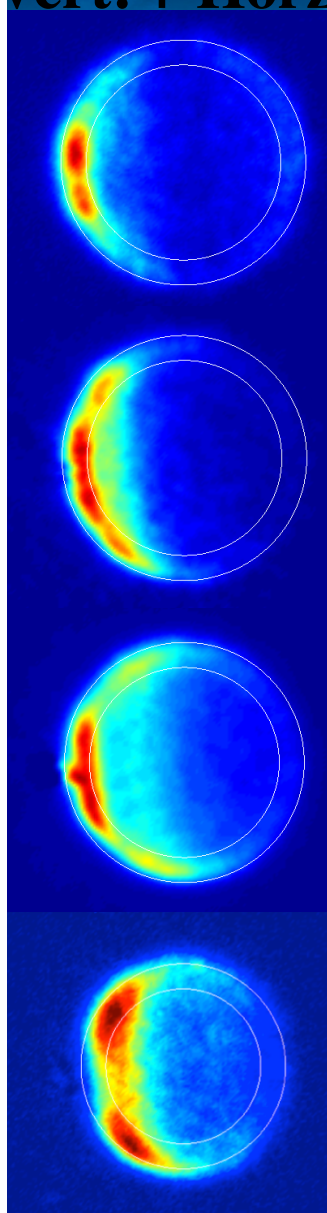
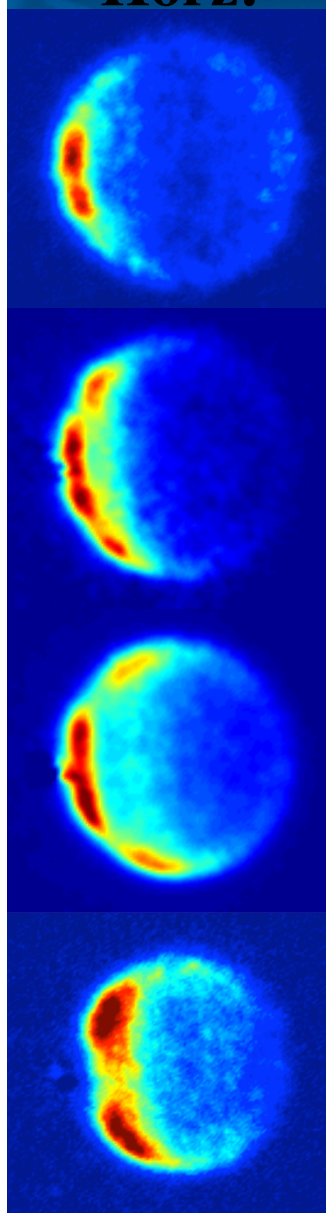
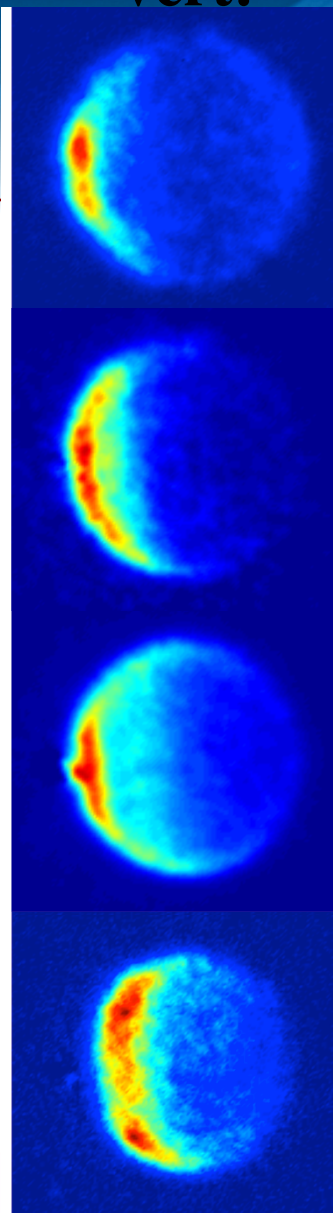


Vert.

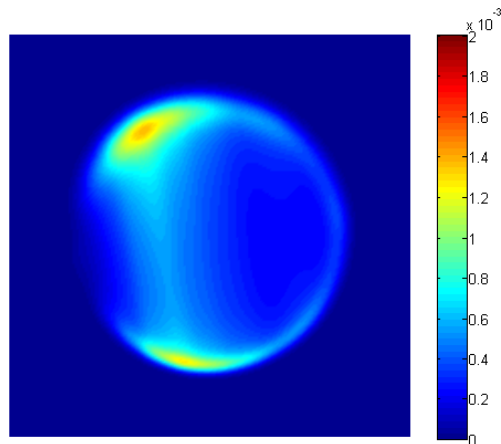
Horz.

Vert. + Horz

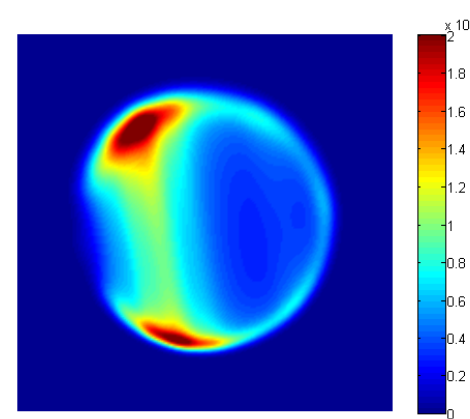
Sensitivity(V,H)



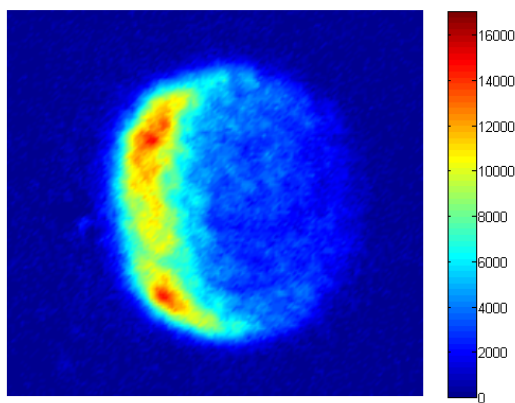
Images of NO ($N' = 9$) for Vertical and Horizontal polarization of Ionization beams



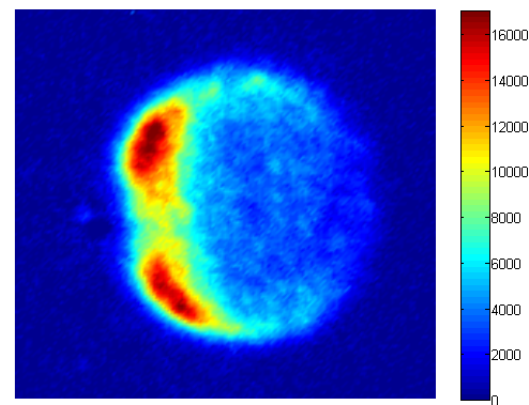
Exact model: V



Exact Model: H



Experiment: V



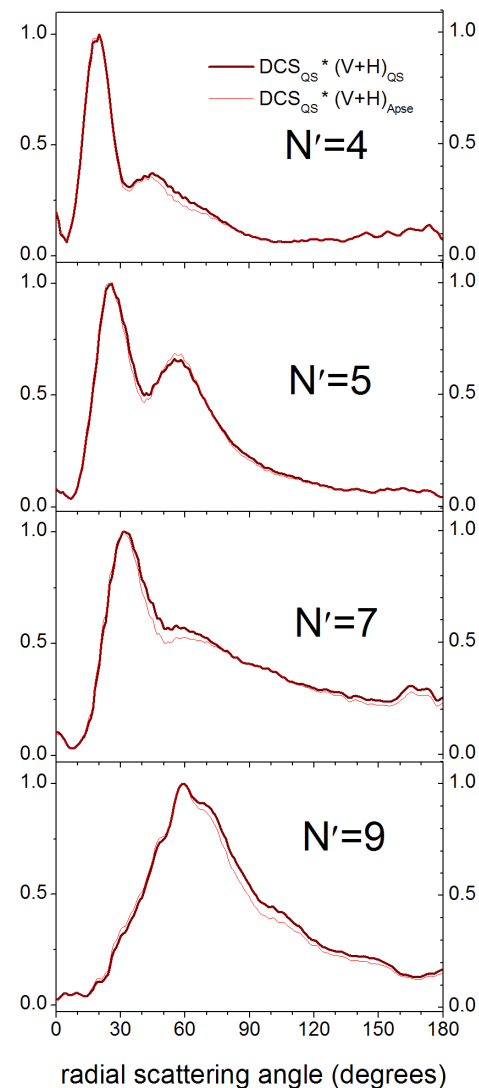
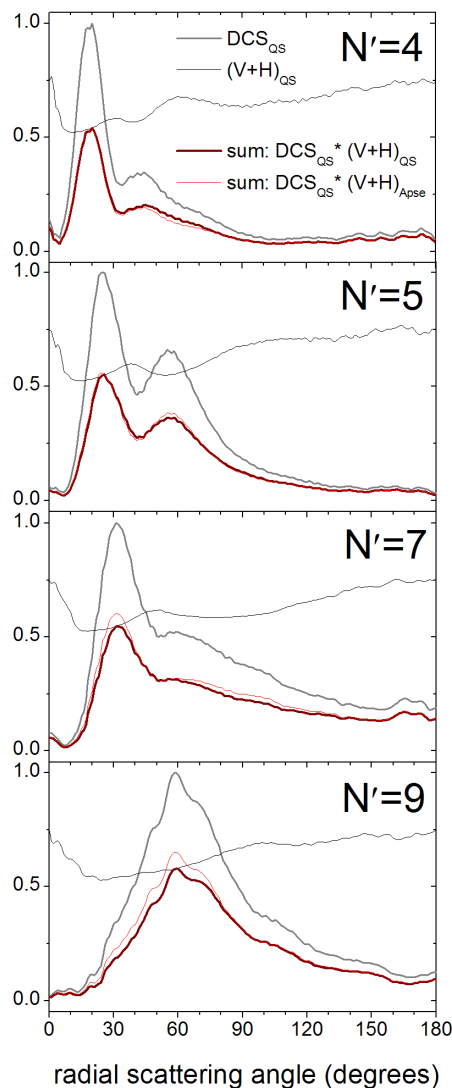
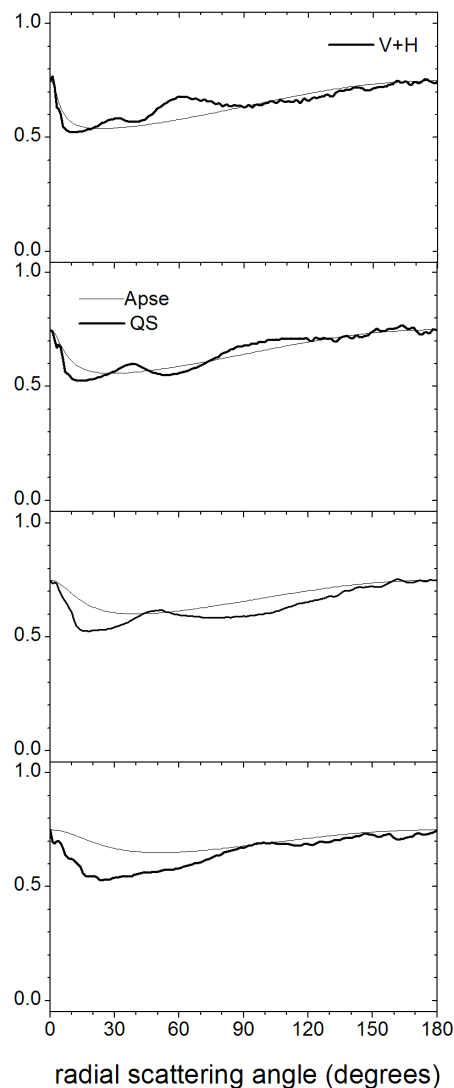
Experiment: H

Comparison of the angular intensity of a summed theoretical (vertical + horizontal) image with the angular intensity from a summed experimental image

Sensitivity(V,H)

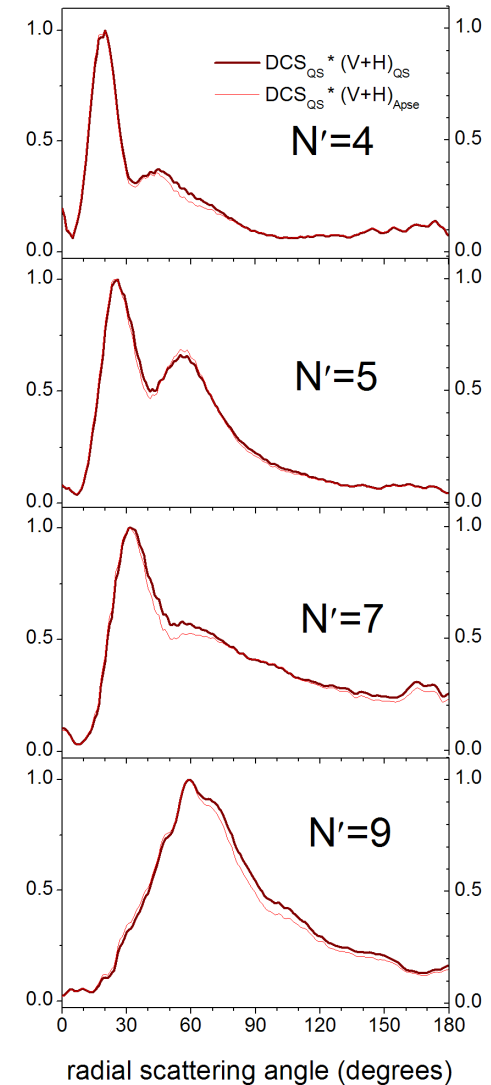
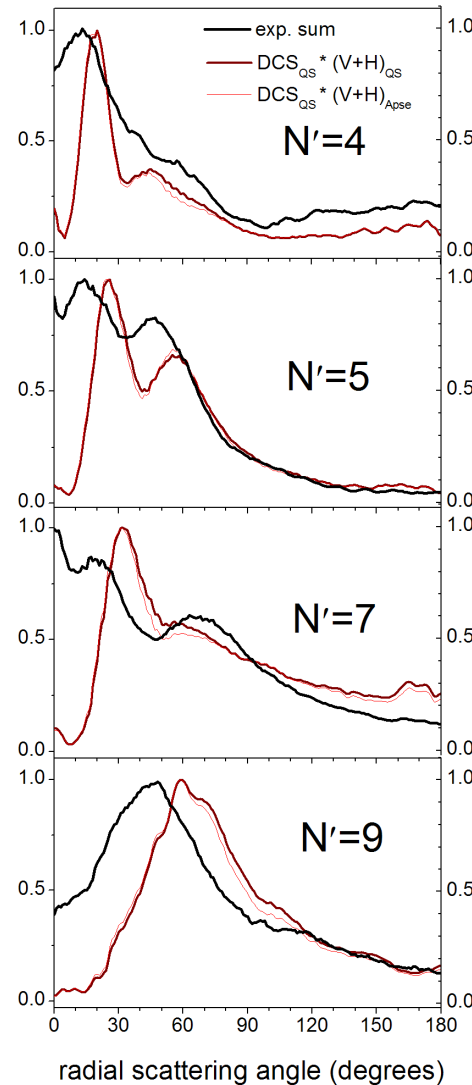
DCS, $A_0,A_2 \rightarrow$ sum

Modeled sum



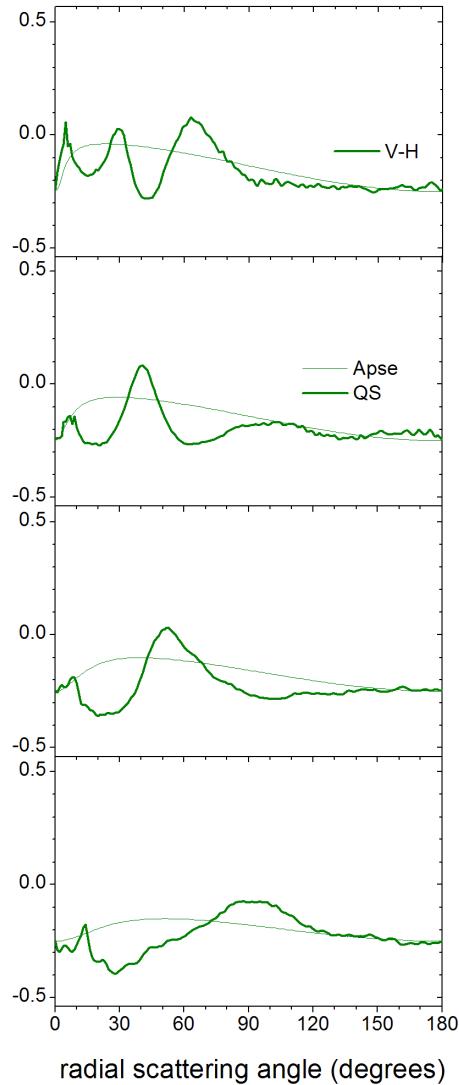
How does Calculated DCS compare to Experimental DCS?

Note there is a relative insensitivity to the alignment model but unsatisfactory agreement due to error in calculated DCS. Experiment sees more forward scattering

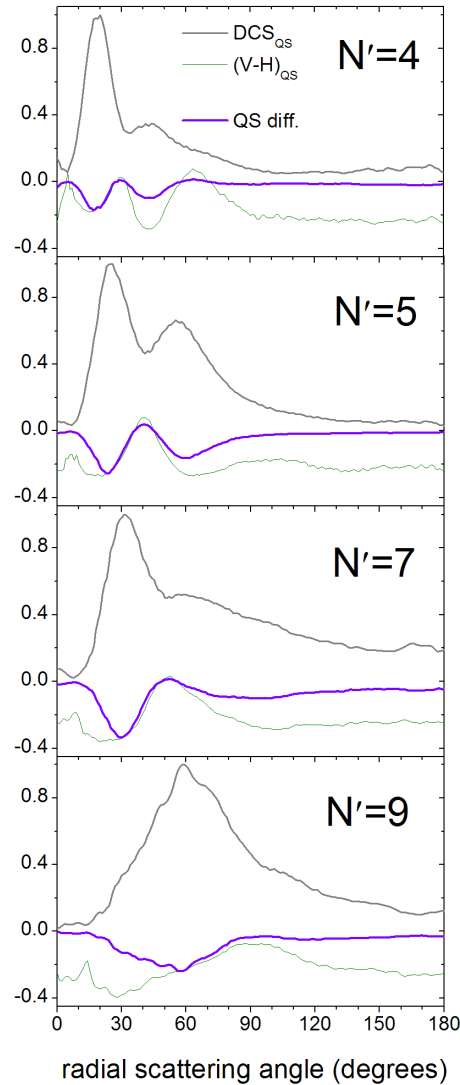


We can also combine the calculated DCS with the calculated alignment propensity to generate a theoretical “diff” (vertical - horizontal) for comparison of theory to experiment.

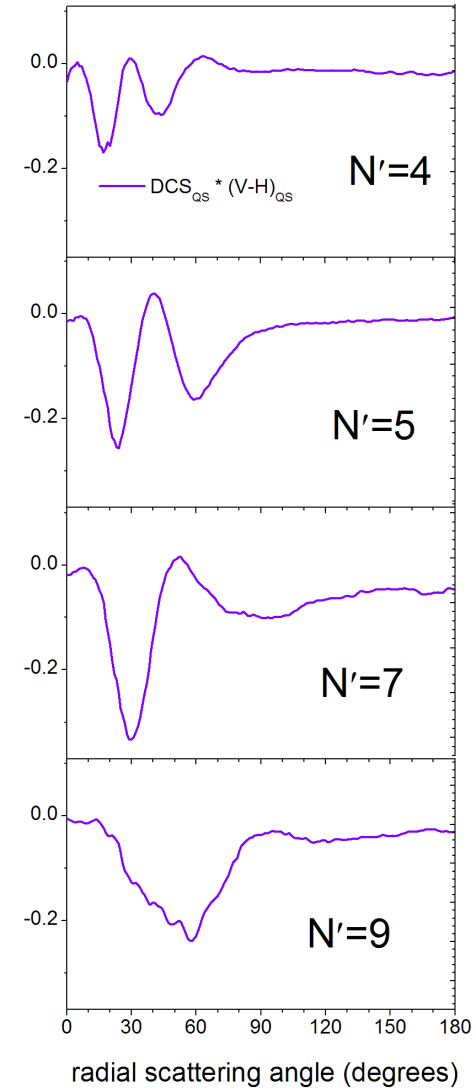
Sensitivity(V,H)



DCS + $A_0, A_2 \rightarrow$ diff

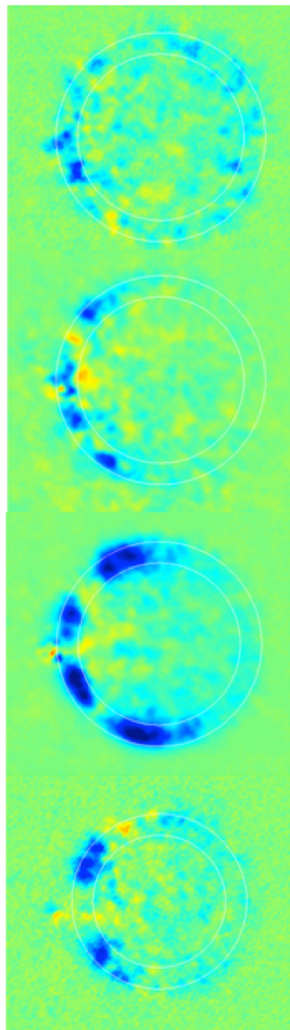


Modeled diff

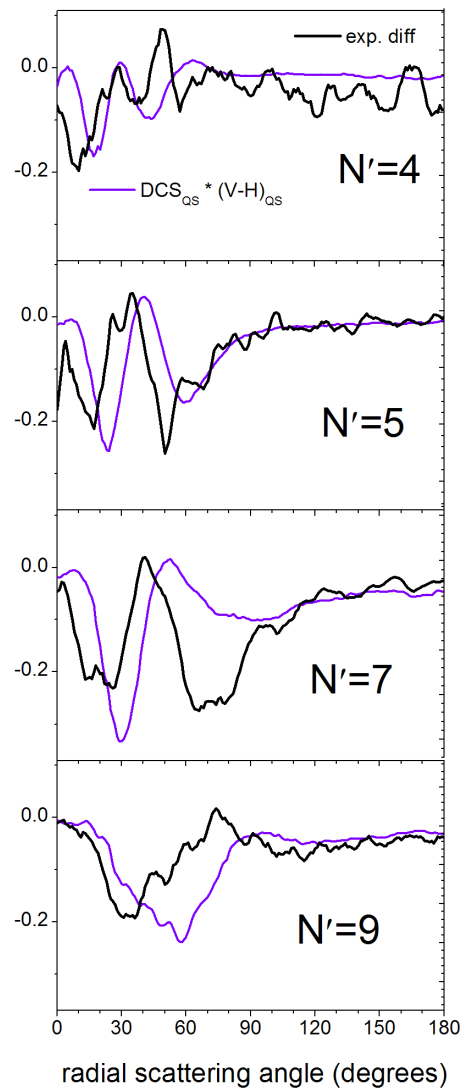


We Compare the Extracted Alignment Moments from the Theory Image and Moments extracted from the Experimental Image Using Difference (V-H) Images

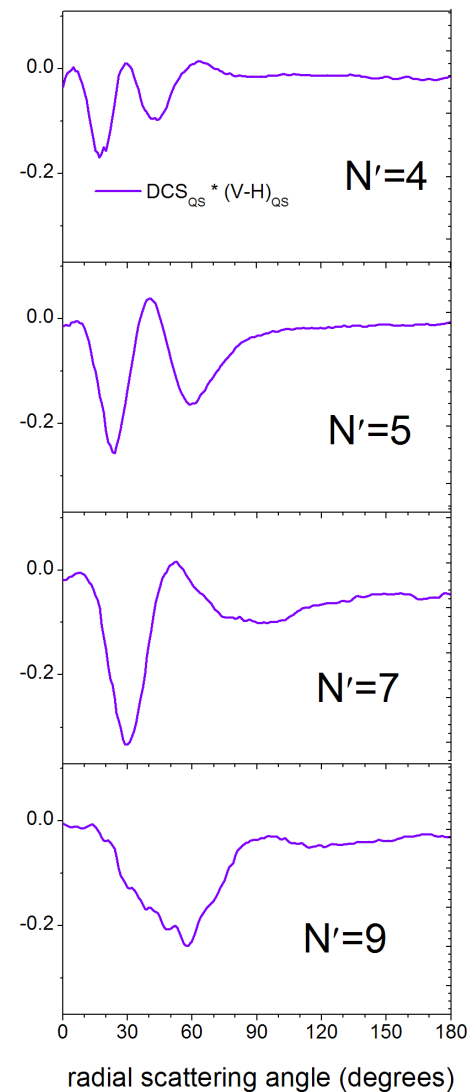
Expt. diff.



Expt. vs. modeled diff.



Modeled diff

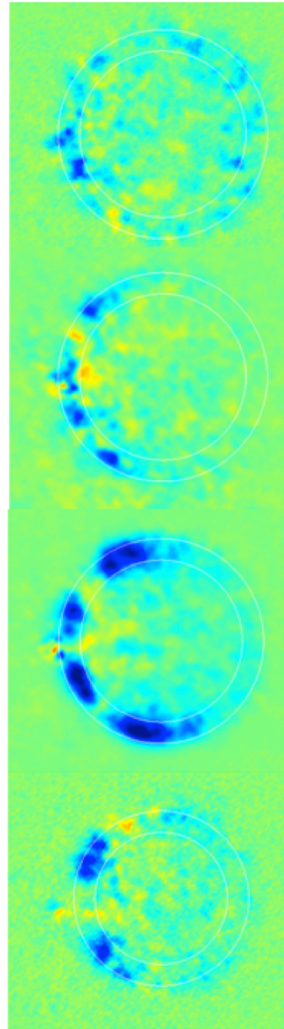


We Compare the Alignment Moments Using the Experimental DCS for Both Simulations.

- This difference image comparison shows qualitative agreement between experiment and the quantum scattering calculations that the simple Apse model cannot reproduce.

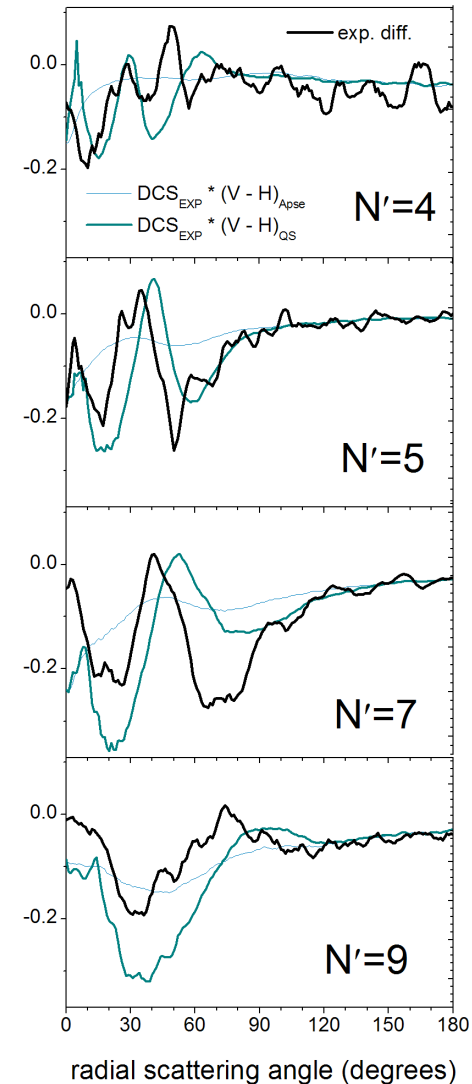
- Why do the Classical and QS model agree relatively closely for the sum but not

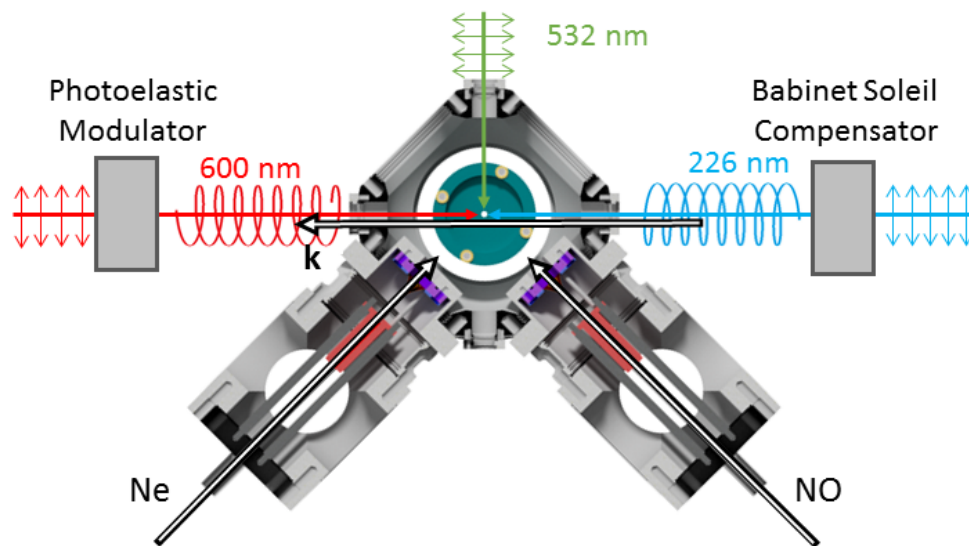
diff_{EXP}

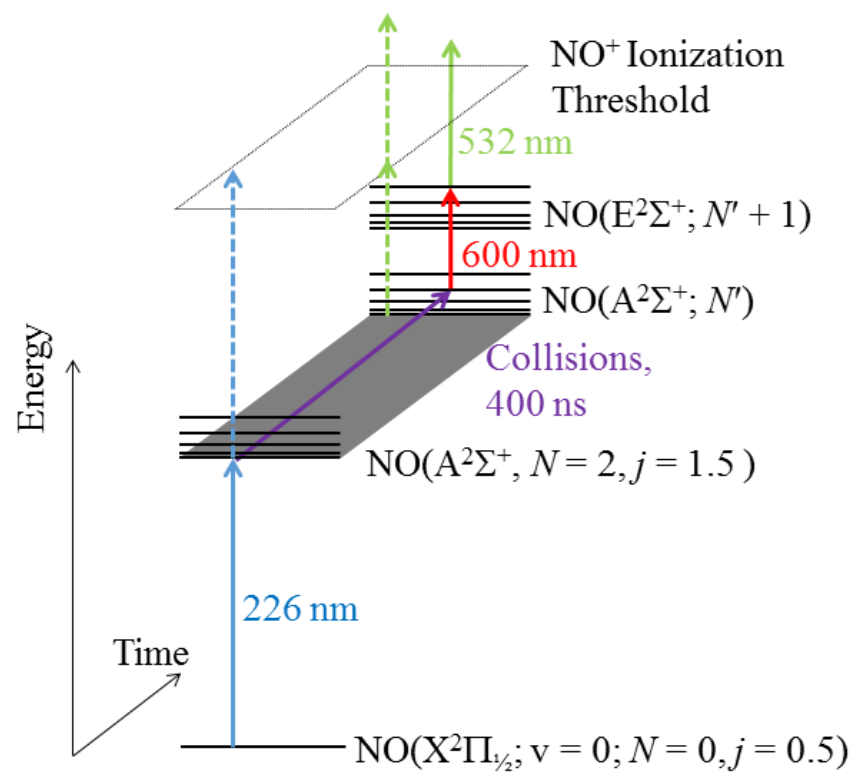


diff_{EXP} vs.

$\text{diff}_{\text{Apse}}(\text{DCS}_{\text{EXP}}) \text{ \& } \text{diff}_{\text{QS}}(\text{DCS}_{\text{EXP}})$

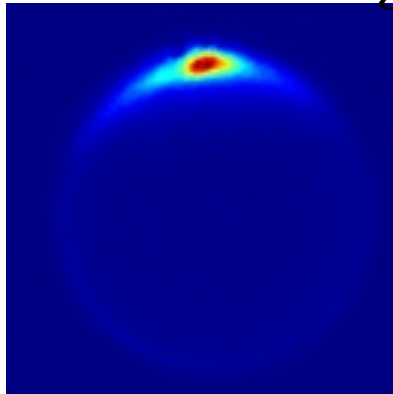




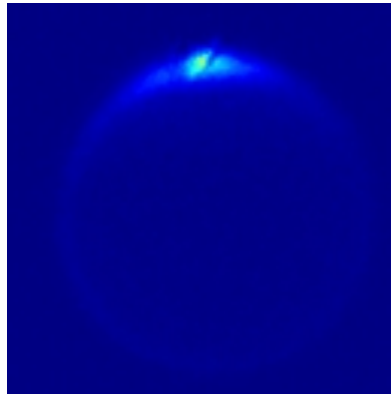


$$N' = 4$$

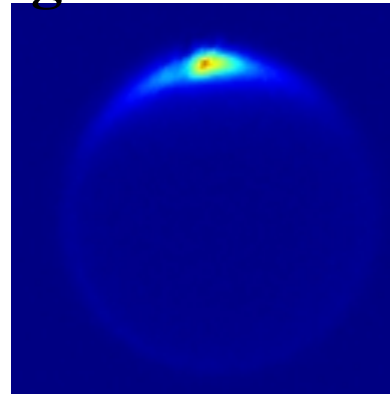
Co-rotating



Counter-rotating



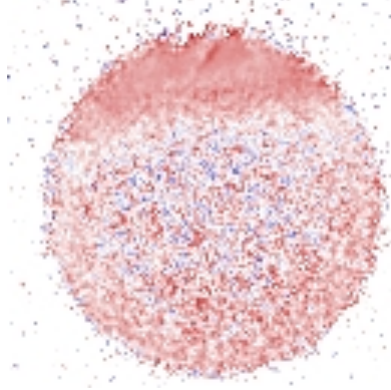
Sum



Difference

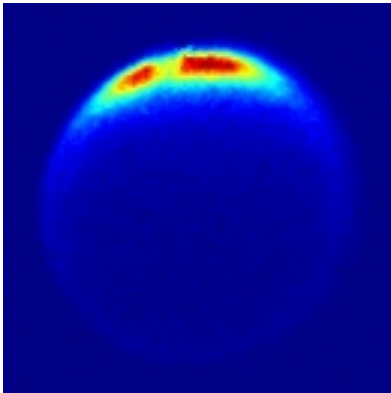


Diff/Sum

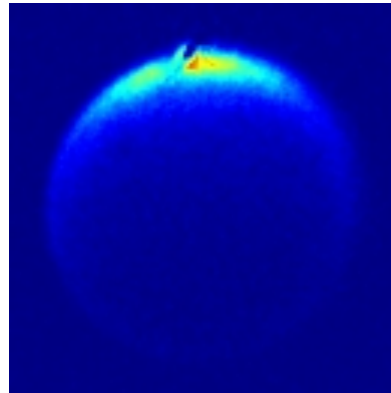


$$N' = 5$$

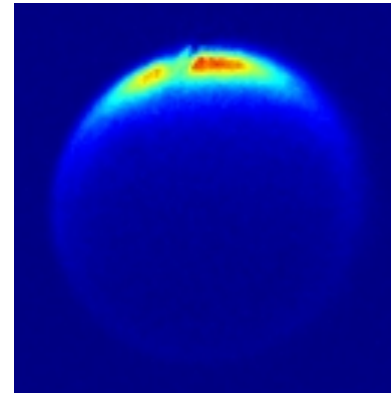
Co-rotating



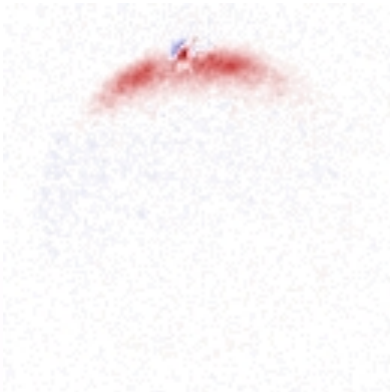
Counter-rotating



Sum



Difference

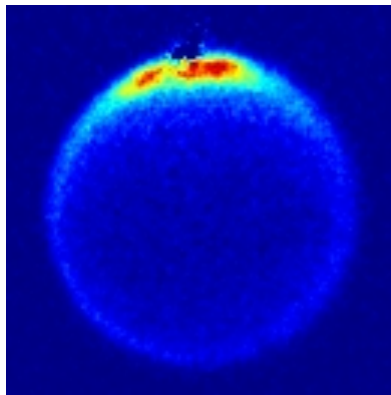


Diff/Sum

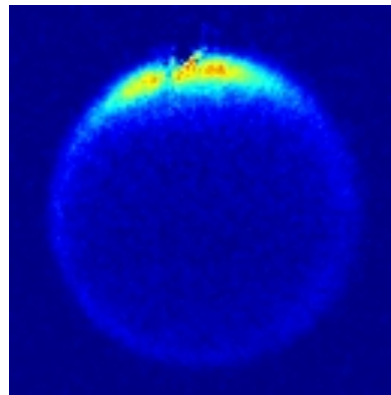


$$N' = 6$$

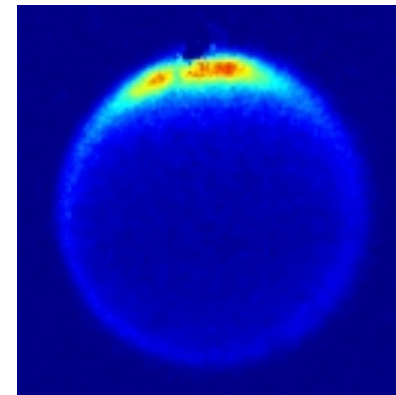
Co-rotating



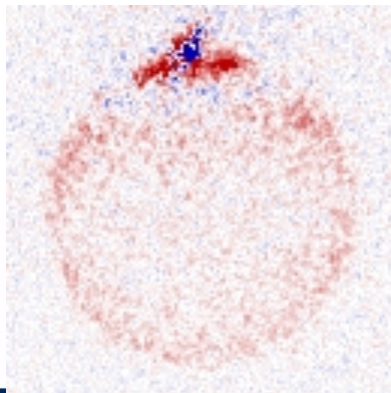
Counter-rotating



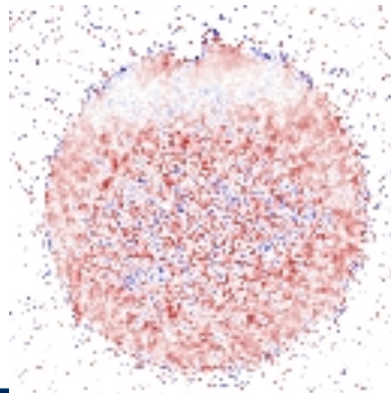
Sum



Difference

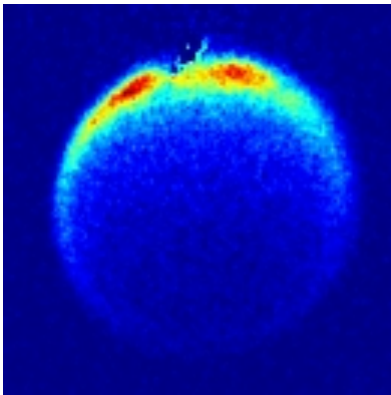


Diff/Sum

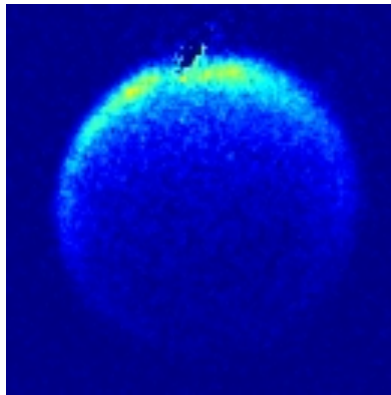


$$N' = 7$$

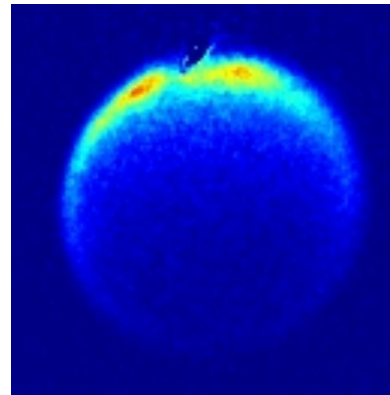
Co-rotating



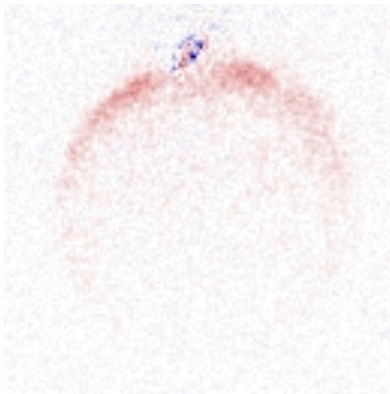
Counter-rotating



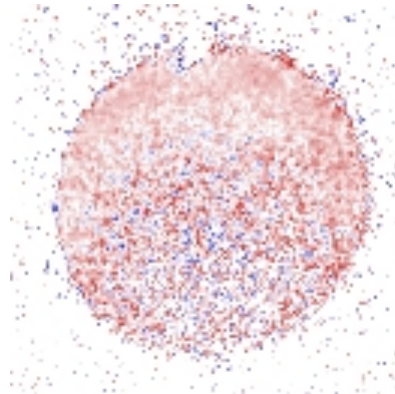
Sum



Difference

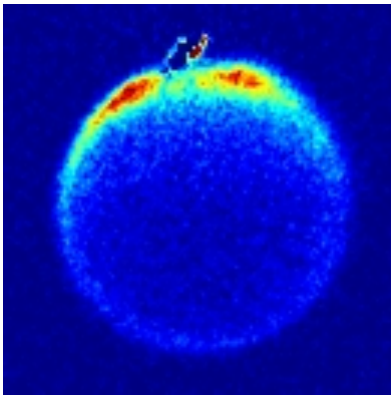


Diff/Sum

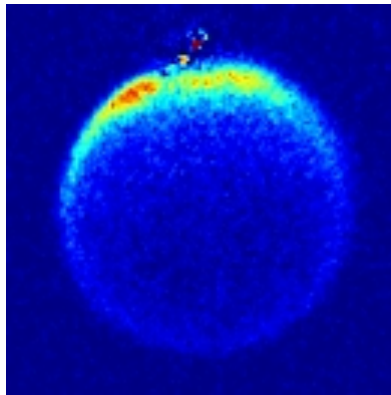


$$N' = 8$$

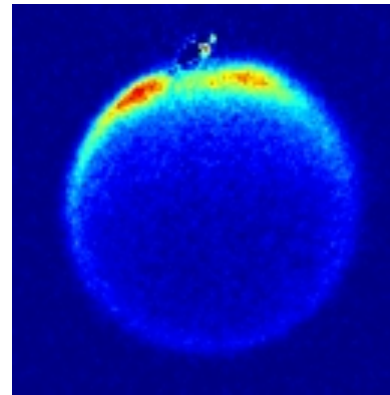
Co-rotating



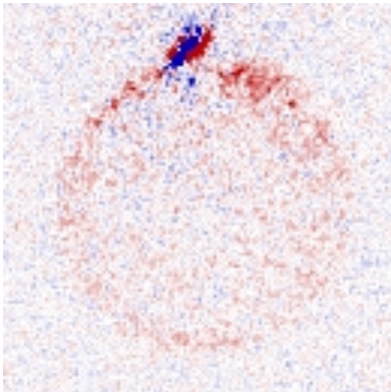
Counter-rotating



Sum



Difference

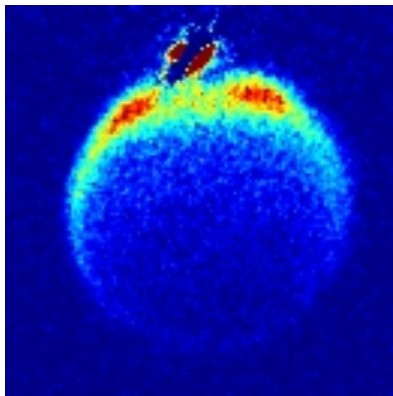


Diff/Sum

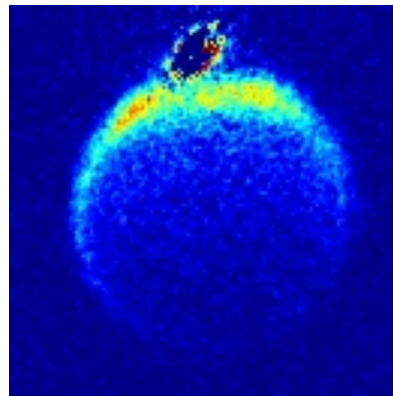


$$N' = 9$$

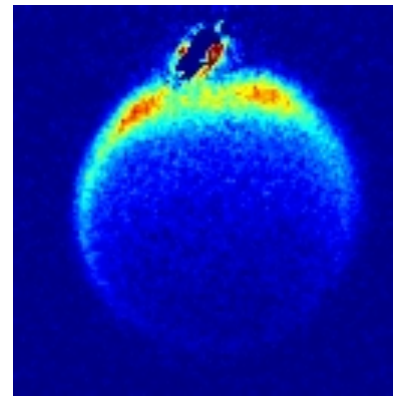
Co-rotating



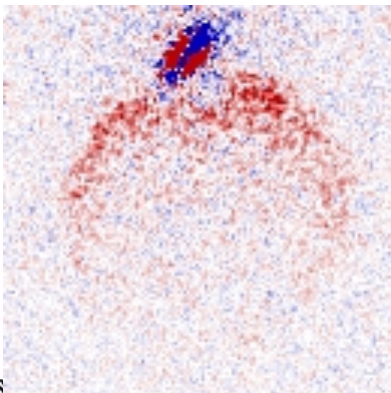
Counter-rotating



Sum



Difference



Diff/Sum



Kinematic Cooling and the Study of Chemical Dynamics with Ultracold Molecules

Outline:

Tutorial on what it means to be ultracold
and why you care about cold molecules

Using photodissociation to study cold half collisions

Recent progress in our lab on Kinematic cooling

A New Molecular Beam Machine Design