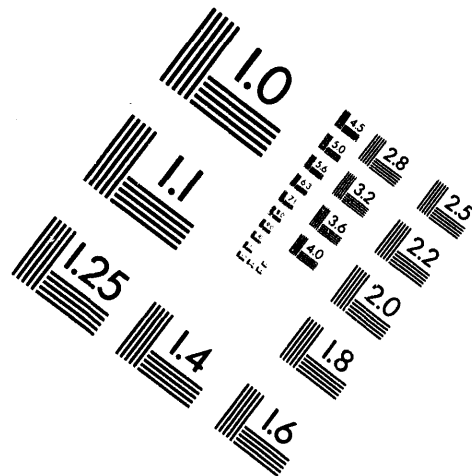


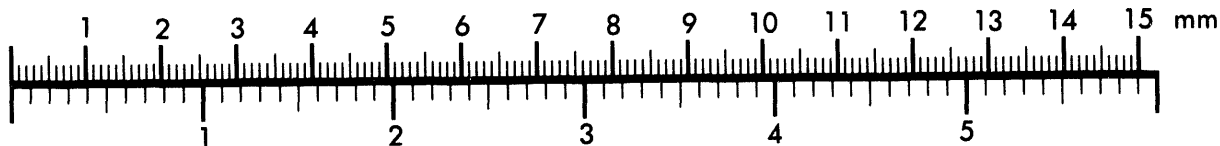
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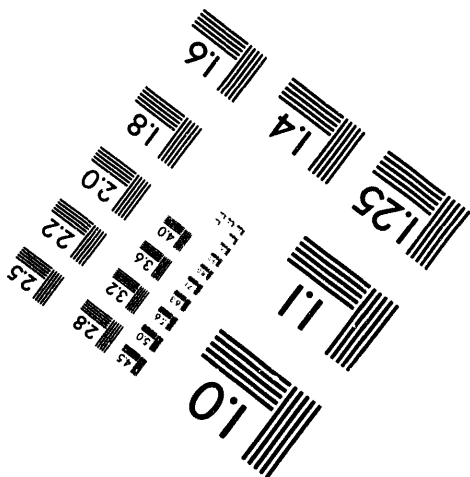
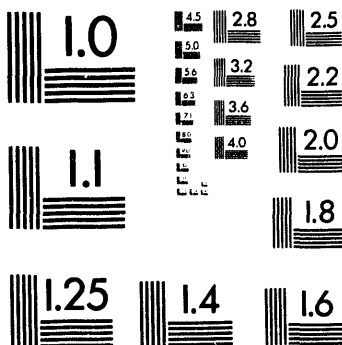
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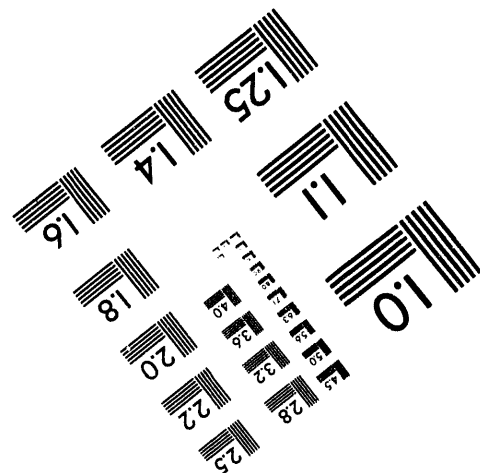
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refA STUDY OF THE DECAY  $D^0 \rightarrow K^- \pi^+ \pi^0$  IN HIGH ENERGY  
PHOTOPRODUCTION

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## A B S T R A C T

Results are presented from an experiment observing photo-production of the  $D^*$  at an average energy of 103 GeV. Clean signals are seen for the decay  $D^{*\pm} \rightarrow \pi^\pm D^0$  with the  $D^0$  decaying into both  $K^\mp \pi^\pm$  and  $K^\mp \pi^\pm \pi^0$ . Analysis of the Dalitz plot for the  $K\pi\pi$  mode gives branching fractions for  $K^-\rho^+$ ,  $K^{*-}\pi^+$ , and  $\bar{K}^{*0}\pi^0$  final states. The observed branching fraction for  $D^0 \rightarrow K^-\rho^+$ , which is much lower than a previous result, is in approximate agreement with the value expected for an  $l = 1/2$  final state.

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The nonleptonic weak decays of the charmed mesons have been the subject of much experimental and theoretical effort. One important question is whether the branching ratios for the various two-body and quasi-two-body states ( $K\pi$ ,  $K\rho$ , and  $K^*\pi$ ) are consistent with an  $l = 1/2$  final state, which is expected if the  $D^0$  decay is dominated by  $W$  exchange.<sup>1</sup> We report the results of an experiment using the Tagged Photon Spectrometer at Fermilab which observed the decay  $D^{*+} \rightarrow \pi^+ D^0$  with the  $D^0$  decaying into both  $K^-\pi^+$  and  $K^-\pi^+\pi^0$ . (The charge conjugate states are implicitly included in all decay modes.) The  $K^-\pi^+\pi^0$  sample represents the largest reported to date, and it was used to measure the branching ratio for the  $K\rho$  and  $K^*\pi$  modes, as well as that for non-resonant  $K^-\pi^+\pi^0$  decay.

The  $D^*$  events were produced by tagged photons of energy between 60 and 160 GeV, generated by a 170 GeV electron beam in a 0.2 radiation length copper radiator. The tagged photons impinged on a 1.5 meter liquid hydrogen target, which was placed at the front end of the spectrometer shown in Figure 1.<sup>2</sup> The low-level trigger required the detection of at least 30% of the tagged photon energy in the downstream calorimeters. Recoil protons were measured and identified by three layers of MWPC and four layers of scintillation counters in the recoil detector,<sup>3</sup> and the missing mass of the forward state was computed by a very fast data driven processor.<sup>4</sup> The high-level trigger demanded that the recoil system detect either a single proton at the primary vertex with a high missing mass or at least three charged tracks. The forward charged particles were analyzed with drift chambers and two magnets of large aperture, with a momentum resolution for fast tracks of  $\frac{\Delta p}{p} = .004 + .0005 \times p$  (GeV/c). Two multi-cell Cherenkov counters identified charged tracks separating pions from kaons in the momentum range 6-36 GeV/c. Photons were detected either in the forward Segmented Liquid Ionization Calorimeter (SLIC)<sup>5</sup>

or in smaller counters placed above and below the aperture of the second magnet (Outriggers). Almost all the  $\pi^0$ 's from detected  $D^0$  decays were seen in the SLIC, in which the energy resolution was about  $15\%/E^{1/2}$  for photons, and the spatial resolution was a few millimeters. The spectrometer also included a hadronic calorimeter which was used in the trigger and to separate neutral hadrons from photons, and an iron muon filter.

To measure the ratio  $B(D^0 \rightarrow K^- \pi^+ \pi^0)/B(D^0 \rightarrow K^- \pi^+)$  the desired final states are  $K^- \pi^+ \pi^+$  and  $K^- \pi^+ \pi^+ \pi^0$ . In each case a cut was applied on the probability that the three charged particles satisfy the  $K^- \pi^+ \pi^+$  hypothesis. This cut was chosen to minimize the relative systematic error between the two decay modes, although it reduced the number of events used in this analysis. In addition, for the  $\pi^0$  sample, a cut was applied on a  $\pi^0$  probability calculated from the mass of the two gammas and the background underneath the  $\pi^0$  peak. To observe the decay cascade  $D^{*+} \rightarrow D^0 \pi^+$ ,  $D^0 \rightarrow K^- \pi^+$ , we chose  $K^- \pi^+ \pi^+$  combinations with  $M_{K^- \pi^+}$  less than  $60 \text{ MeV}/c^2$  from the  $D^0$  mass. For such combinations the spectrum of the mass difference,  $\Delta M = M_{K\pi\pi} - M_{K\pi}$  has a clear peak at the  $D^{*+} - D^0$  mass difference. This spectrum gives a good fit to background of the form  $aQ^{1/2}(1-bQ)$  (where  $Q = \Delta M - M_{\pi^+}$ ,  $a$  and  $b$  are constants) plus a Gaussian centered at  $\Delta M = 0.1454 \text{ GeV}/c^2$  and  $\sigma = 1.2 \text{ MeV}/c^2$ , with  $39 \pm 8$  events in the peak. A similar analysis was carried out for the  $K^- \pi^+ \pi^+ \pi^0$  sample, and the fit to the  $\Delta M$  plot using the same peak parameters as above yields  $41 \pm 9$  events in the peak.

To determine the branching ratio  $B(D^0 \rightarrow K^- \pi^+ \pi^0)/B(D^0 \rightarrow K^- \pi^+)$ , the ratio of the efficiencies for the two modes is needed. Many factors, including the beam flux and spectrum, trigger efficiencies, target size, etc., are common to both modes. The reconstruction efficiency and identification efficiency are the only factors which need to be calculated from Monte Carlo studies.

The only strong difference between the two cases is the probability of reconstructing the  $\pi^0$ , which varies with the energy of the  $\pi^0$  from a threshold at 4 GeV to a value of approximately 40% at 30 GeV and above. This efficiency was determined by adding to real events photon showers generated by a Monte Carlo program, and processing these events by the usual  $\pi^0$ -finding programs. To check this determination we also studied the  $\pi^0$  efficiency using the various charge states of the decay  $K^* \rightarrow K\pi$ . A Monte Carlo which used this  $\pi^0$  efficiency gave for the ratio of efficiencies  $\epsilon(K^-\pi^+\pi^0)/\epsilon(K^-\pi^+) = 0.25 \pm 0.04$ . Using this number and the relative number of events in the two  $D^*$  peaks we calculate  $B(D^0 \rightarrow K^-\pi^+\pi^0)/B(D^0 \rightarrow K^-\pi^+) = 4.3 \pm 1.4$ . Combining this with the current average value for the  $D^0 \rightarrow K^-\pi^+$  branching ratio,  $2.4 \pm 0.4\%$ ,<sup>6</sup> yields a measurement of  $B(D^0 \rightarrow K^-\pi^+\pi^0) = 10.3 \pm 3.7\%$ .

For the Dalitz plot study, a sample of  $K^-\pi^+\pi^0$  events was chosen with somewhat looser Cherenkov cuts and with  $M_{K^-\pi^+\pi^0}$  within  $50 \text{ MeV}/c^2$  of the  $D^0$  mass. Figure 2 shows the  $\Delta M$  spectrum for these events, with a clear peak at  $\Delta M = 0.1454 \text{ GeV}/c^2$ . To obtain a clean sample for this analysis the 82 events with  $\Delta M$  between  $0.1440$  and  $0.1470 \text{ GeV}/c^2$  were selected; a fit to the  $\Delta M$  spectrum determines the background to be 45% in this region. The Dalitz plot for these events is shown in Fig. 3(a). A high-statistics background sample was constructed by taking events in the  $D^0$  mass range but with  $\Delta M$  outside the  $D^*$  range. (The  $D^0$  fraction for these events is small.) The Dalitz plot for this sample, shown in Fig. 3(b), gave a good fit to uniform phase space times an efficiency which depended linearly on  $M^2(K^-\pi^+)$ , due to the energy dependence of the  $\pi^0$  efficiency. We also examined this background for  $\rho$  and  $K^*$  and found it was consistent with no contribution from these vector mesons. We made a



maximum likelihood fit to the Dalitz plot from the  $D^*$  region, allowing a flat background with the acceptance correction as for the background, plus resonant contributions from  $K^- \rho^+$ ,  $K^{*-} \pi^+$ , and  $\bar{K}^{*0} \pi^0$ . Each vector meson was described by a Breit-Wigner with the appropriate decay angular distribution. Interference effects are small compared with the quoted errors, and are neglected. The results are shown in Table 1. Only in the  $K^- \rho^+$  mode is there evidence of a strong resonant contribution. We note that the  $\cos^2 \theta$  distribution for the  $\rho \rightarrow \pi\pi$  decay means that the  $\rho$  band is populated primarily at the edges of the Dalitz plot. (Here  $\theta$  is the angle in the  $\pi\pi$  center of mass, with  $\theta=0$  along the  $K^-$  direction in that frame.) Fig. 4 shows the  $M^2(\pi^+ \pi^0)$  spectrum for events with  $|\cos \theta| > 0.5$ , a cut which keeps 1/2 of the smooth  $\pi\pi$  spectrum but 7/8 of the  $\rho$ . Thus this plot projects the region of the Dalitz plot most sensitive to the  $\rho$  contribution. The value of  $0.31^{+0.20}_{-0.14}$  for the ratio  $B(D^0 \rightarrow K^- \rho^+)/B(D^0 \rightarrow K^- \pi^+ \pi^0)$  compares to the earlier value of  $0.85^{+0.11}_{-0.15}$ .<sup>1</sup> Combining this fraction with the  $B(D^0 \rightarrow K^- \pi^+ \pi^0)$  ratio above gives a branching ratio  $B(D^0 \rightarrow K^- \rho^+) = 3.2^{+2.3}_{-1.8}\%$ . The low fractions quoted in Table 1 for the  $K^{*-} \pi^+$  and  $\bar{K}^{*0} \pi^0$  contributions agree with the earlier experiment. Branching ratios listed in Table 1 for the  $D^0 \rightarrow K^* \pi$  modes take into account the branching ratios for  $K^* \rightarrow K\pi$  decay.

One of the crucial problems in the study of D decays is to determine whether the dominant mode is one in which the light quark is a spectator, or one in which both the quark and antiquark couple to the weak vertex. If the non-spectator quark decay dominates (W exchange), the  $D^+$  lifetime is longer than the  $D^0$ , since the only such modes available to the  $D^+$  are Cabibbo-suppressed. The non-spectator diagram leads to an  $l = 1/2$  final state, although an  $l = 1/2$  state does not rule out spectator-quark decay. The  $l = 1/2$  state is characterized by the ratios:

$$\frac{B(D^0 \rightarrow K^- \pi^+)}{B(D^0 \rightarrow \bar{K}^0 \pi^0)} = \frac{B(D^0 \rightarrow K^{*-} \pi^+)}{B(D^0 \rightarrow \bar{K}^{*0} \pi^0)} = \frac{B(D^0 \rightarrow K^- \rho^+)}{B(D^0 \rightarrow \bar{K}^0 \rho^0)} = 2.$$

Existing data for the first two channels were consistent with the ratio of 2, but the measurements for the last ratio were  $B(D^0 \rightarrow K^- \rho^+) = 7.2^{+3.0}_{-3.1}\%$  and  $B(D^0 \rightarrow \bar{K}^0 \rho^0) = 0.1^{+0.6}_{-0.1}\%$ .<sup>1</sup> The present result,  $B(D^0 \rightarrow K^- \rho^+) = 3.2^{+2.3}_{-1.8}\%$  can be compared with twice the measured ratio for  $D^0 \rightarrow \bar{K}^0 \rho^0$ , or  $0.2^{+1.2}_{-0.2}\%$ . Thus the present result is in approximate agreement (1.4 standard deviations) with the expectation for a pure  $I = 1/2$  state.

We wish to acknowledge the assistance of the staff of Fermilab and the technical support staffs of all of the groups involved. This research was supported in part by the U.S. Department of Energy and by the Natural Science and Engineering Research Council of Canada through the Institute of Particle Physics of Canada and the National Research Council of Canada.

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#### REFERENCES

1. R.H. Schindler, et al., Phys. Rev. D24, 78 (1981); and George Trilling, Physics Reports 75, 57 (1981).
2. The spectrometer is described in detail in A. Duncan, Ph.D. thesis, University of Colorado, 1982 (unpublished), and B.H. Denby, Ph.D. thesis, University of California, Santa Barbara, 1983 (unpublished).
3. G. Hartner, et al., to appear in Nucl. Inst. Meth.
4. E. Barsotti, et al., IEEE Trans. Nucl. Sci. NS-26, 686 (1979); J. Martin, et al., Proceedings of the Topical Conference on the Application of Microprocessors to High Energy Physics Experiments, CERN 81-07, p. 164 (1981); T. Nash, *ibid.*, p. 132.
5. V. Bharadwaj, et al., Nucl. Inst. Meth. 155, 411 (1978).
6. Review of Particle Properties, Phys. Lett. 111B (1982).

TABLE I

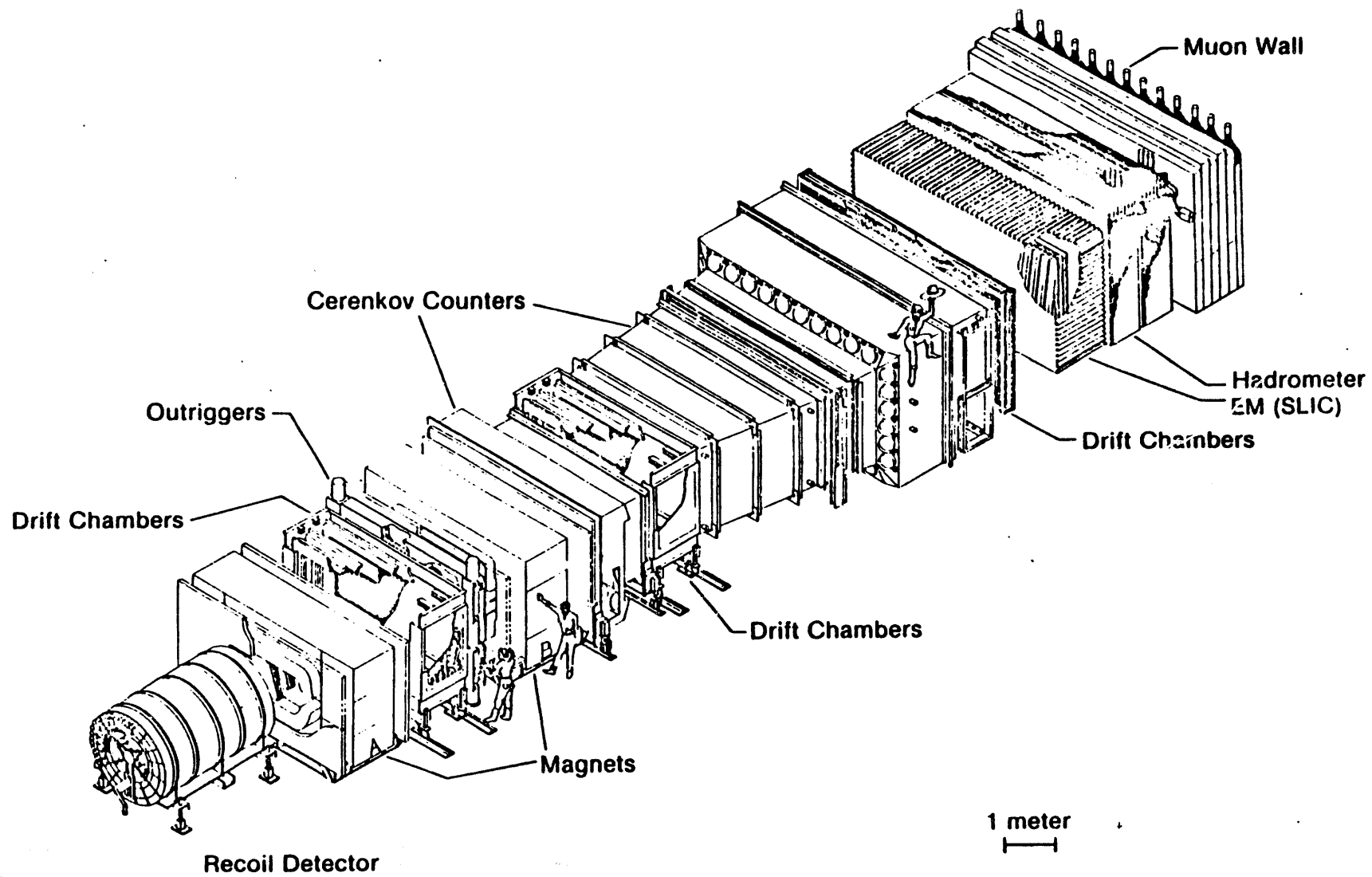
Contributions to  $D^0 \rightarrow K^- \pi^+ \pi^0$  Decay

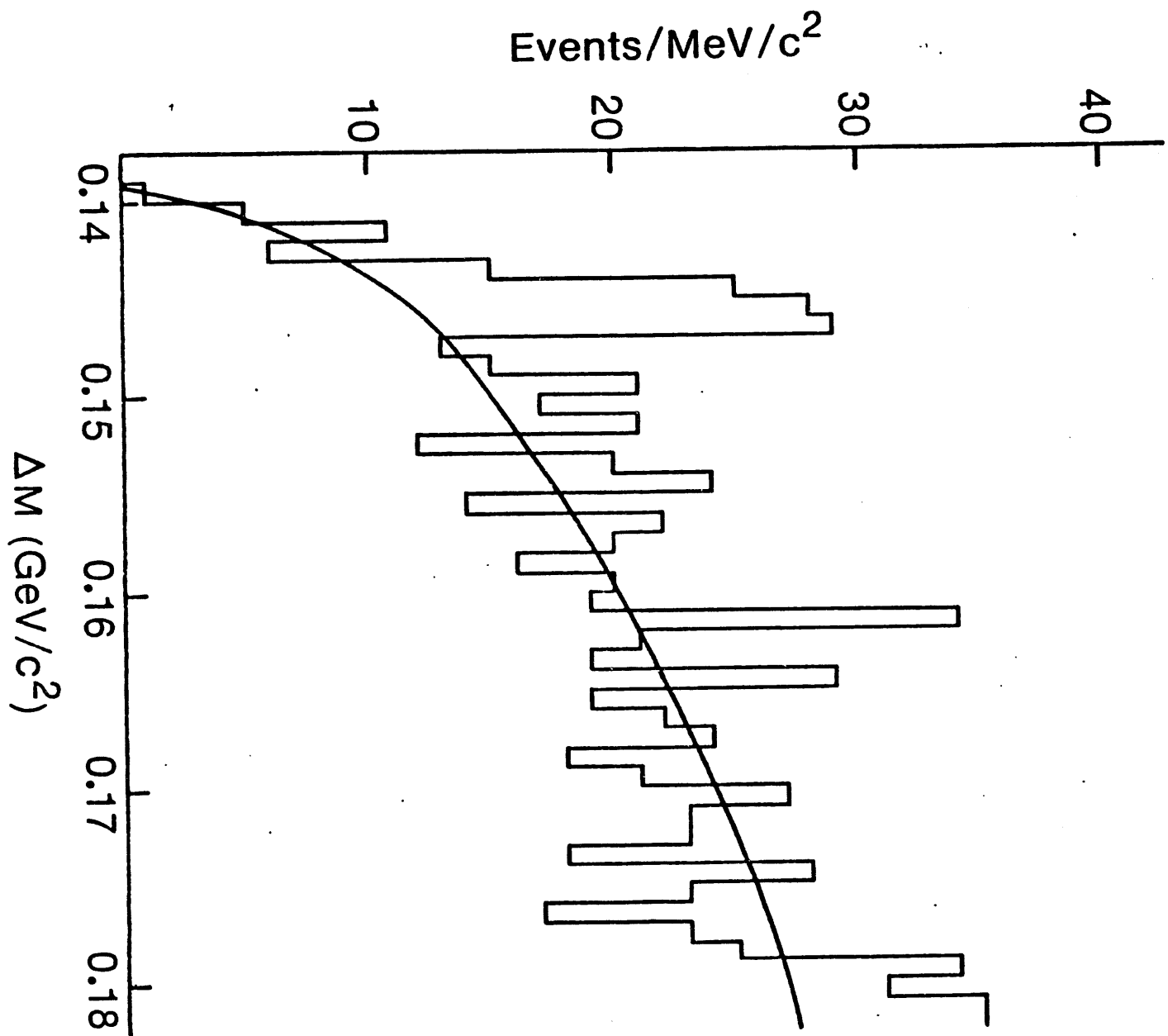
Channel	Fraction of $D^0 \rightarrow K^- \pi^+ \pi^0$ Decays	Branching Ratio
$K^- \rho^+$	$0.31^{+.20}_{-.14}$	$3.2^{+2.3\%}_{-1.8\%}$
$\bar{K}^{*0} \pi^0$	$0.06^{+.09}_{-.06}$	$0.9^{+1.4\%}_{-0.9\%}$
$K^{*-} \pi^+$	$0.11^{+.12}_{-.08}$	$3.4^{+3.9\%}_{-2.8\%}$
Non-resonant decays	$0.51 \pm .22$	$5.2 \pm 2.9\%$

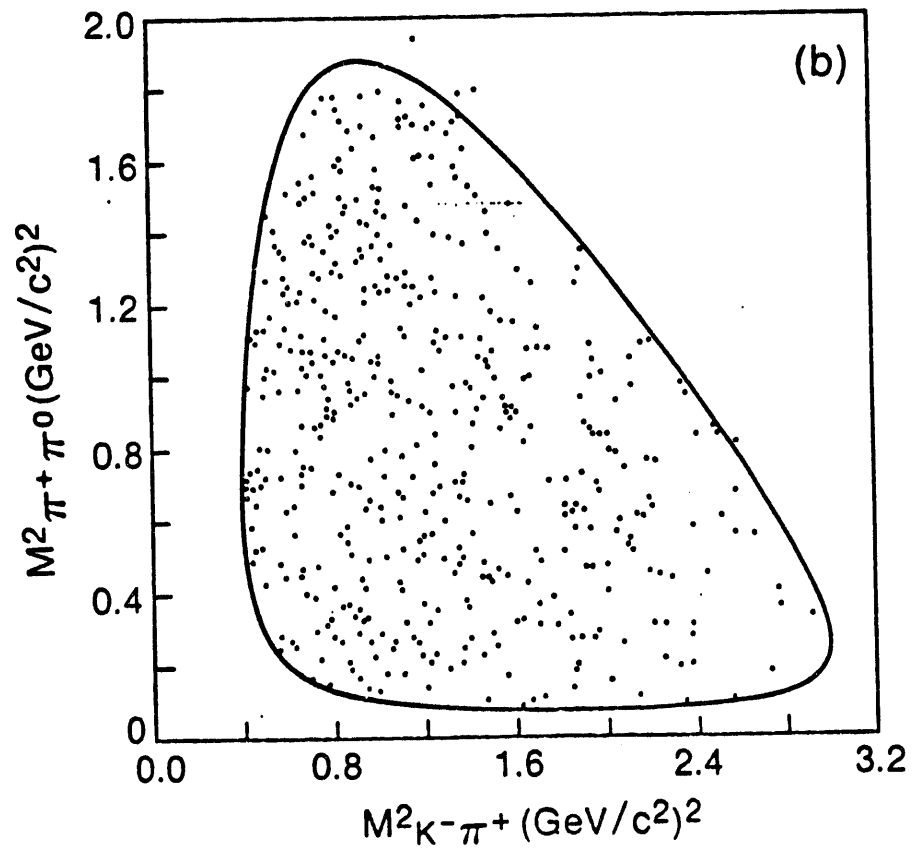
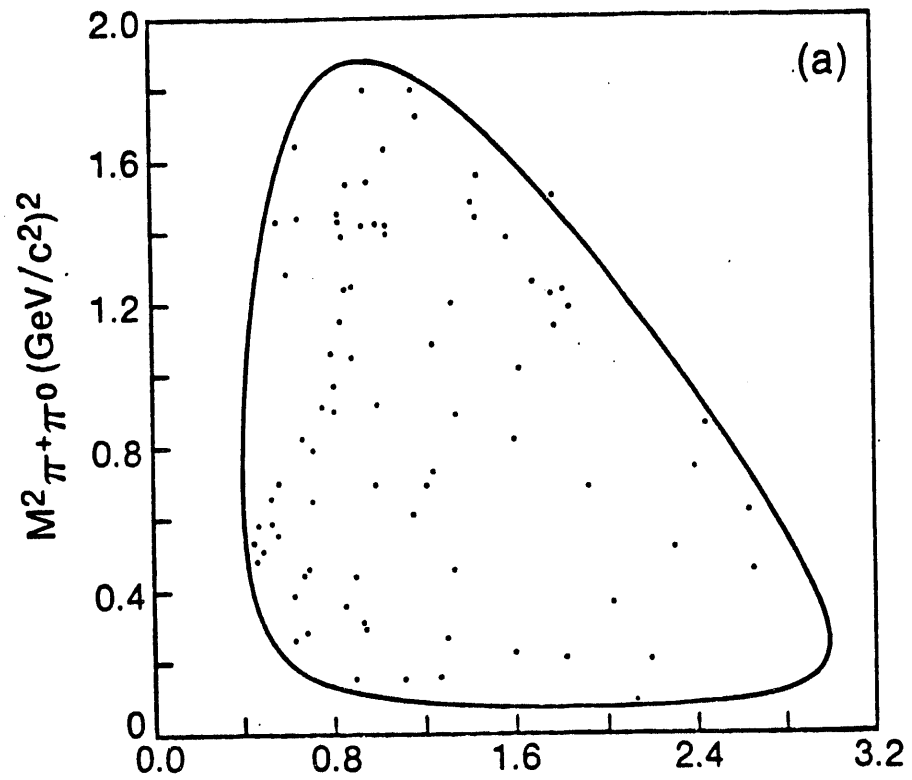
Table I: Results of the fit to the  $D^0 \rightarrow K^- \pi^+ \pi^0$  Dalitz plot. The category "non-resonant decays" does not include the contribution to the Dalitz plot from background below the  $D^0$ .

## FIGURE CAPTIONS

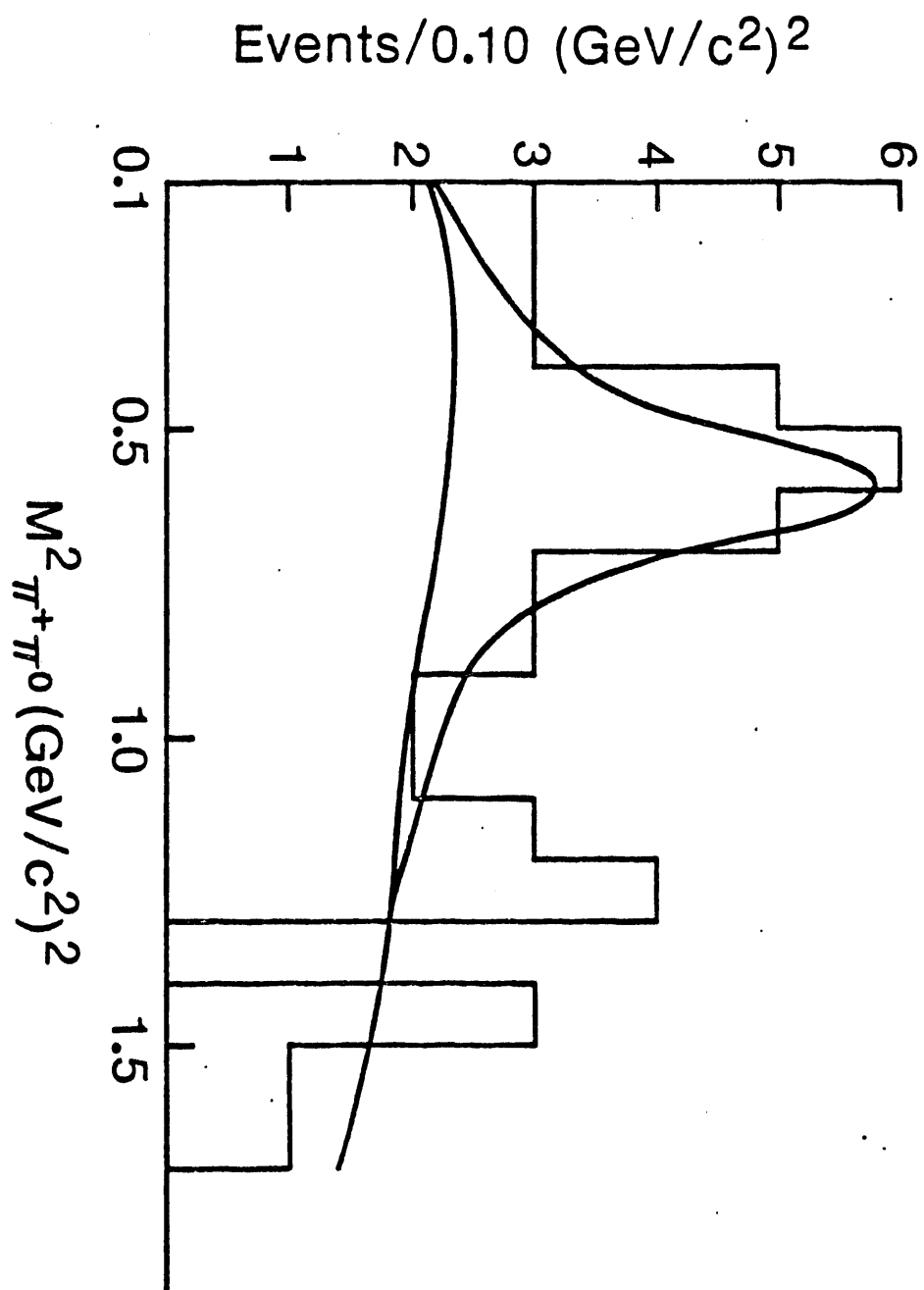
- Figure 1: The Tagged Photon Spectrometer at Fermilab
- Figure 2:  $\Delta M = M_{K\pi\pi\pi} - M_{K\pi\pi}$  for events with  $M_{K^-\pi^+\pi^0}$  within 50 MeV/c<sup>2</sup> of the  $D^0$ . The smooth curve is a fit to the background of the form described in the text.
- Figure 3: The Dalitz plot for (a) the  $D^0$  region and (b) the background sample. The boundary is drawn for the center of the  $K^-\pi^+\pi^0$  mass range.
- Figure 4:  $M^2(\pi^+\pi^0)$  for events from the  $D^0 \rightarrow K^-\pi^+\pi^0$  sample with  $|\cos\theta| > 0.5$  for the  $\pi^+\pi^0$  system. The upper curve shows the result of the fit to the entire Dalitz plot, projected on the  $M^2(\pi^+\pi^0)$  axis. The lower curve shows the result of the fit with the  $\rho$  contribution removed.











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Inelastic and Elastic Photoproduction of  $J/\psi(3097)$

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## ABSTRACT

Inelastic and elastic  $\nu/\psi$  photoproduction on hydrogen is investigated at a mean energy of 103 GeV. The inelastic cross section with  $E_\psi/E_\gamma < 0.9$  is significantly lower than the corresponding result for muoproduction on iron targets, but is consistent with a second order perturbative QCD calculation. The mean  $p_t$  of the inelastic events is larger than that of the elastic events, again in accord with the QCD calculation.

There has been considerable interest in the use of perturbative QCD to describe  $J/\psi$  production by real and virtual photons (1-5). Success has been achieved in describing the energy dependence, and, to a lesser extent, the magnitude of the elastic cross section (5,6). Recent measurements of inelastic muon production cross sections on iron targets (7,8) confirm the dependence upon  $z = E_\psi / E_\gamma$  predicted (2) by QCD, but greatly exceed the predictions in magnitude. In what follows, we describe the inelastic and elastic production of  $J/\psi$  mesons on hydrogen by real photons.

The experiment was performed <sup>with</sup> at the Fermilab Tagged Photon Spectrometer, which is described elsewhere in detail (9). Tagged photons with energies  $60 \leq E_\gamma \leq 160$  GeV impinge upon a 1.5 meter liquid hydrogen target. The forward spectrometer has nearly full acceptance for charged particles, whose momenta are determined by a system of four drift chambers and two magnets, and photons, whose positions and energies are measured in two large electromagnetic calorimeters. A recoil detector (10), consisting of a set of PWC's and scintillators of cylindrical geometry surrounding the hydrogen target, is used to analyze tracks emerging from the target at large angles.

The  $J/\psi$  is detected through both  $e^+e^-$  and  $\mu^+\mu^-$  decay modes. Hits in two or more muon hodoscopes, located downstream of an iron muon filter, create a dimuon trigger. Offline, events with dimuon triggers are required to have at least two oppositely charged tracks which match muon hits, are minimum ionising in the hadron calorimeter, and verticize within the target. For

the dielectron mode, the trigger processor (11) determines the presence in the recoil detector of a single recoil proton consistent with a forward mass of 2.0 GeV or greater, which, in conjunction with the presence of energy in the electromagnetic and/or hadronic calorimeters, forms a recoil trigger. Offline, dielectron events are required to have at least two oppositely charged tracks, identified as electrons in the electromagnetic calorimeters, which verticize within the target. The resulting dimuon and dielectron mass plots are shown in figure 1. The  $J/\psi$  mass region is taken to be 2.8 to 3.4 GeV/c<sup>2</sup>. The dielectron events are, due to the recoil trigger, predominantly elastic and are excluded from the analysis that follows.

A dimuon event is classified as inelastic if:

1. Additional forward tracks, photons, or hadronic neutrals accompany the  $J/\psi$  ("forward inelastic"), and/or,
2. The data from the recoil spectrometer <sup>ACI</sup> is inconsistent with the single recoil proton calculated from the incident photon and the reconstructed  $J/\psi$ , assuming elastic production ("recoil inelastic").

The uncertainty in assigning the 147 dimuon events is about  $\pm 4$  events for forward and  $\pm 6$  events for recoil.

The data were divided into seven categories based upon the

above classifications (and upon a  $z$  cut, as discussed below). In table I, column 1, the raw numbers of events in each category are displayed. Background was estimated by joining the mass regions above and below the  $J/\psi$  with a smooth curve. The hashed area in figure 1b is the mass spectrum for the forward inelastic events.

The efficiencies for detection of elastic and inelastic events were calculated by separate Monte-Carlos. Elastic events were generated diffractively from a distribution  $e^{Bt}$  with  $B=4$  and a  $1+\cos^2\theta$  decay distribution. The inelastic Monte-Carlo diffractively ( $B=4$ ) generated a spectrum of forward masses which subsequently decayed to a  $J/\psi$  and two pions. The use of just 2 additional pions is appropriate since very few of the real events had more than two extra tracks. The  $J/\psi$  decayed uniformly in its center of mass. The parameters of this Monte-Carlo were chosen to maximize the agreement of the generated  $J/\psi$   $p_+$  vs.  $z$  distribution with that predicted by Berger and Jones (2). The efficiencies calculated were relatively insensitive to the value of  $B$ , decay angular distribution, and, in the inelastic case,  $p_+$  vs.  $z$  distribution used.

The  $z$  value for each event was determined by  $z = E_\psi/E_\gamma$  for the case of low  $z$  events, and for the higher  $z$  events, where tagging energy resolution can ~~force~~ <sup>come</sup>  $z > 1$ , by the formula  $z = E_\psi/(E_\psi + F \cdot E_x)$ , where  $E_x$  is the detected energy accompanying the  $J/\psi$  and  $F$  is a correction factor. Events that are inelastic only in the recoil system are assigned to the highest  $z$  bin. The

resulting  $z$  spectrum, corrected for efficiency, is shown in figure 2. A cut of  $z < .9$  (category 7) is often used both experimentally (7,8) and in the theory (2) to isolate the truly inelastic process from elastic and quasi-elastic processes.

The cross sections in each category, and fractions of total are shown in table I, columns 2 and 3. The cross sections have an additional 25% normalization uncertainty.

Four of the forward inelastic events were fully reconstructed as  $\psi' \rightarrow \psi \pi^+ \pi^-$ . This implies, after efficiency corrections, a  $\psi'$  photoproduction cross section consistent with previously measured results (8,12). For purposes of comparison with theory it is desirable to measure direct inelastic  $\psi$  production as opposed to cascade production from higher mass charmonium states. To this end, we present in table I, columns 4,5 the cross sections and fractions in each category after subtracting out the contributions estimated from the known  $\psi'$  cross section and branching ratios to  $\psi X$ . The  $z$  spectrum of this contribution, determined by Monte-Carlo, is indicated by the points in figure 2.

In table II elastic and  $z < .9$  inelastic cross sections from this experiment, and their ratio, are compared to those (where available) of the BFP (7), EMC (8), and Wide-Band (13) groups. The elastic numbers agree within the rather large errors; but it is clear that the inelastic cross section and the ratio from this experiment are substantially smaller than those from EMC and BFP. After  $\psi'$  subtraction, the numbers from this experiment become even smaller (table I), and are consistent with the

second order perturbative QCD inelastic cross section calculated by Berger and Jones (2); the muoproduction cross sections are roughly a factor of 5 larger than the QCD predictions (7,8).

Table I can be used to show that  $(31 \pm 6)\%$  of the forward elastic events are recoil inelastic, in excellent agreement with the  $(30 \pm 4)\%$  reported by the Wide-Band group (13).

Figure 3 shows that the forward inelastic  $J/\psi$   $p+$  distribution is much flatter than that of the forward elastic, recoil elastic events. This phenomenon is predicted by perturbative QCD (2), and is reported also by the BFP (7) and EMC (8) groups.

We wish to acknowledge the assistance of the staff of Fermilab and the technical support staffs of all of the groups involved. This research was supported in part by the U.S. Department of Energy and by the Natural Sciences and Engineering Research Council of Canada through the Institute of Particle Physics of Canada and the National Research Council of Canada.



REFERENCES

1. H. Fritzsch and K. Streng, Phys. Lett. 72B (1978) 385.
2. E. Berger and D. Jones, Phys. Rev. D23 (1981) 1521.
3. D. Duke and J. Owens, Phys. Lett. 96B (1980) 184.
4. T. Tajima and T. Watanabe, Phys. Rev. D23 (1981) 1517.
5. L. Jones and H. Wyld, Phys. Rev. D17 (1978) 2332.
6. T. Weiler, Phys. Rev. Lett. 44 (1980) 304.
7. T. Markiewicz, Ph.D. thesis, U.C. Berkeley, 1981.  
M. Strovink, Review of Multimueon Production by Muons, Proceedings of the 1981 International Symposium on Lepton and Photon Interactions at High Energies, Bonn, W. Germany, p. 594.
8. J. J. Aubert et al., EMC, Nuc. Phys. B213 (1983) 1.
9. B. Denby, Ph.D. thesis, University of California, Santa Barbara, 1983.  
A. Duncan, Ph.D. thesis, University of Colorado, 1982.  
G. Gidal, B. Armstrong, and A. Rittenberg, Major Detectors in Elementary Particle Physics, LBL-91 Supplement UC-37, March 1983.
10. G. Hartner et al., A Recoil Proton Detector Using Cylindrical Proportional Chambers and Scintillation Counters, accepted for publication, Nucl. Inst. Meth., 1983.
11. E. Barsotti et al., IEEE Trans. Nucl. Sci. NS-26 (1979) 686.
12. M. Binkley et al., Phys. Rev. Lett. 50 (1983) 302.
13. M. Binkley et al., Phys. Rev. Lett. 48 (1982) 73.

FIGURE CAPTIONS

1. a) Dielectron mass spectrum. There are 63 events in the  $J/\psi$  mass region,  $2.8 \leq M < 3.4$  GeV/c<sup>2</sup>. b) Dimuon mass spectrum. There are 147 events in the  $J/\psi$  region. The hashed region represents the forward inelastic events (category 3 of table I).
2. Z distribution for inelastic  $J/\psi$  photoproduction. Dashed line indicates the contribution of the recoil inelastic events (category 4 of table I). Points are an estimate of the contamination of the inelastic sample by  $\psi'$  production.
3.  $p_+$  distributions for totally elastic and forward inelastic  $J/\psi$  events. The inelastic events have a much flatter  $p_+$  distribution. Mean  $p_+$  for the totally elastic is  $.39 \pm .11$  GeV/c; for the forward inelastic,  $.96 \pm .11$  GeV/c.

TABLE CAPTIONS

1. The  $J/\psi$  data are divided into seven categories as indicated. Figures in parentheses are statistical and systematic errors, respectively. Cross sections (only) have an additional ~25% normalization uncertainty.
2. Comparison of inelastic and elastic  $J/\psi$  data with other experiments. Numbers in parentheses are statistical and systematic errors respectively where double, and overall errors where single. The systematic errors for this experiment here also contain the normalization uncertainty.

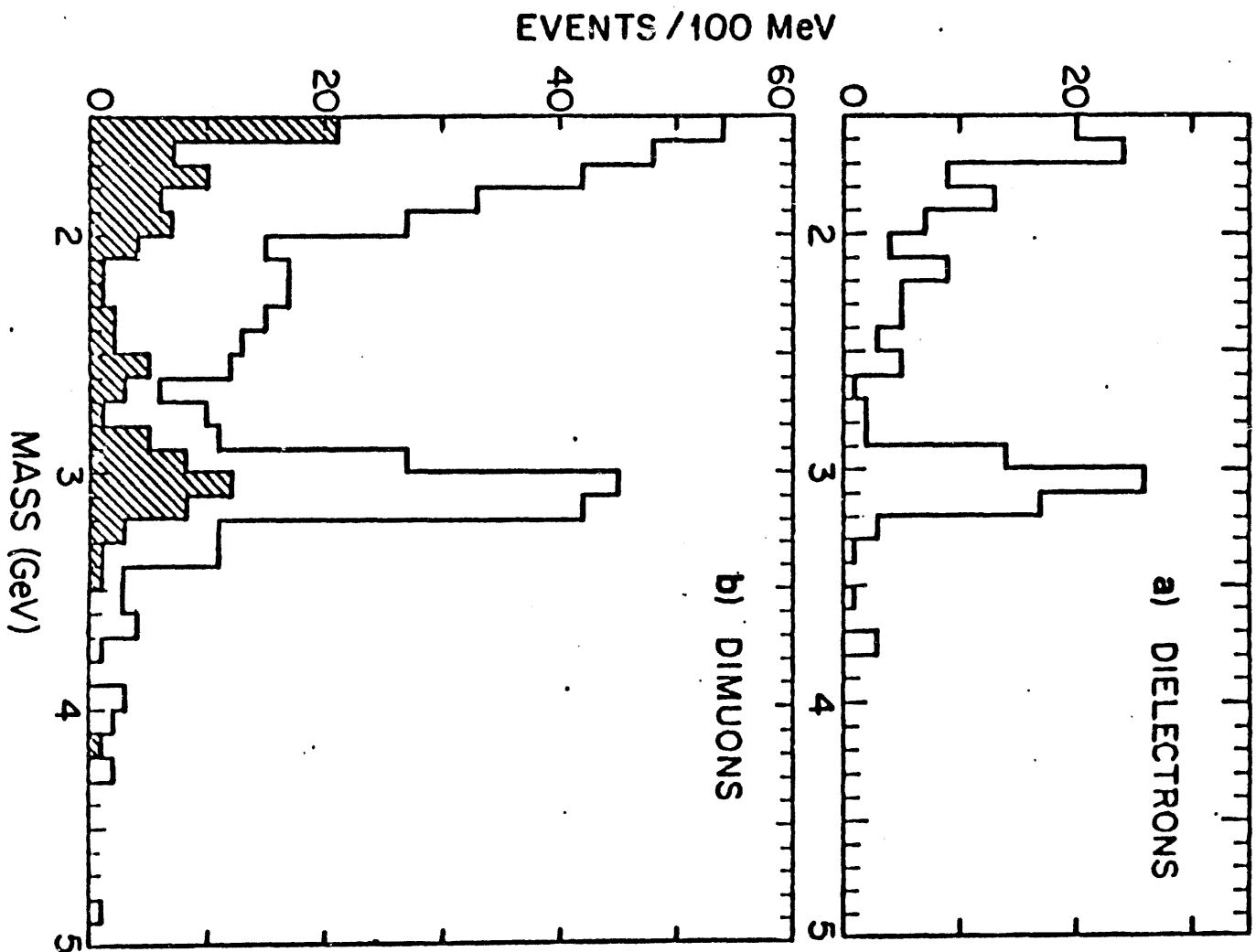


Figure 1

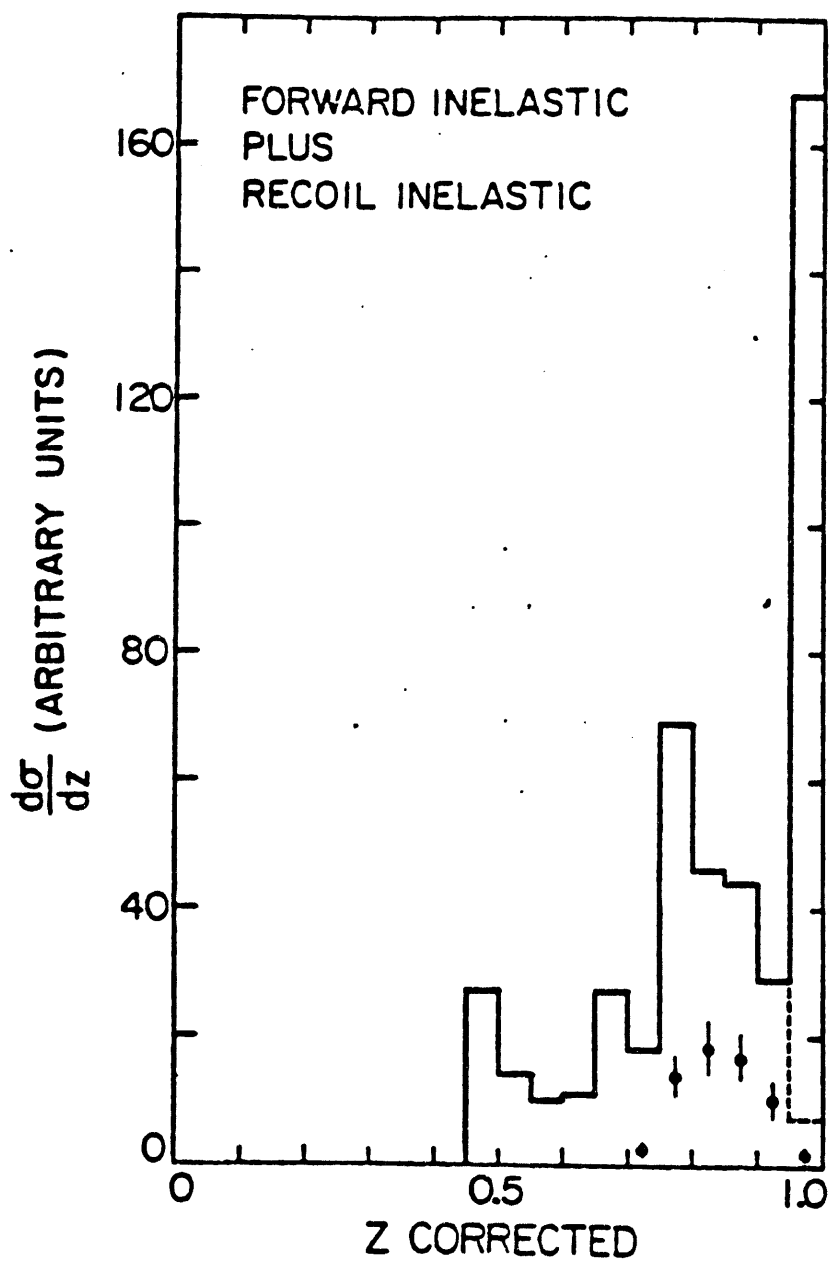


Figure 2

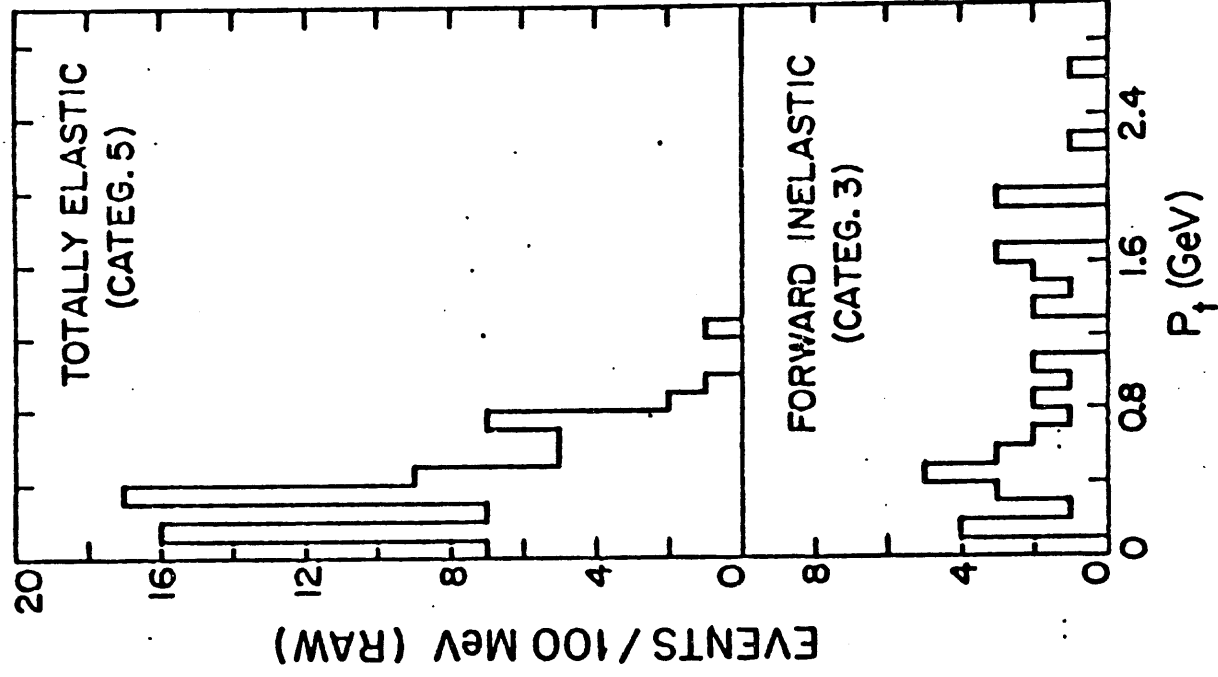


Figure 3

TABLE I

	<u>EVENTS</u>		<u><math>\sigma</math></u>	<u>FRACTION</u>	<u><math>\sigma-\psi'</math></u>	<u>FRAC.-<math>\psi'</math></u>
	RAW	BKD				
1) All	147	23	21.5(2.1)(1.4)	1. (.00)(.00)	19.6(2.1)(1.4)	1. (.00)(.00)
2) Fwd. Elas.	110	18	14.2(1.6)(1.3)	.67(.03)(.07)	14.2(1.6)(1.3)	.73(.03)(.08)
3) Fwd. Inel.	37	4	7.3(1.3)(1.0)	.34(.05)(.06)	5.4(1.3)(1.1)	.28(.04)(.05)
4) Fwd. El. & Rec. Inel.	33	5	4.4( .9)(1.1)	.21(.03)(.05)	4.4( .9)(1.1)	.22(.03)(.06)
5) Fwd. El. & Rec. El.	77	13	9.8(1.4)(1.5)	.46(.04)(.08)	9.8(1.4)(1.5)	.51(.04)(.08)
6) Fwd. In. or Rec. In.	70	9	11.7(1.6)(1.3)	.55(.05)(.07)	9.8(1.6)(1.3)	.50(.04)(.07)
7) Inel. $z < .9$	30	3	6.6(1.3)( .7)	.31(.05)(.04)	5.1(1.3)( .8)	.26(.04)(.04)

TABLE II

<u>THIS EXPT.</u>	<u>BFP7</u>	<u>EMC<sup>8</sup></u>	<u>WIDE BAND<sup>13</sup></u>
$\sigma_{\text{Fwd. Elas.}}$	$\sigma_{\text{Elastic}}$	$\sigma_{z > .95}$	$\sigma_{\text{Fwd. Elas.}}$
14.2(1.6)(3.8)	19.5( .7)(2.9)	12.9(1.1)	21( 3)
$\sigma_{z < .9}$	$\sigma_{z < .9}$	$\sigma_{z < .95}$	
6.6(1.3)(1.8)	15.5( .7)(3.1)	20.6(1.8)	not quoted
<u><math>\sigma_{z &lt; .9}</math></u>	<u><math>\sigma_{z &lt; .9}</math></u>	<u><math>\sigma_{z &lt; .95}</math></u>	
$\sigma_{\text{Fwd. Elas.}}$	$\sigma_{\text{Elastic}}$	$\sigma_{z > .95}$	
.46(.07)(.08)	.81(.08)	1.6(.2)	not quoted

## APPENDIX H

Analysis of Data from the CLEO Experiment

One of us (PS.) is continuing work on the CLEO experiment at the Cornell Electron Storage Ring (CESR). CLEO is an all purpose magnetic detector (Fig. 1 ab) incorporating charged particle tracking, electromagnetic shower detection, and particle identification. Our work on the experiment started in 1978 at Rutgers University, and involved the construction of the primary electromagnetic shower detector (Ref. 1), installation and maintenance of the shower detector at Cornell, development of the shower detector analysis program, and general data analysis (Ref. 2).

The most significant recent result is the evidence for  $B\bar{B}$  production from the  $4S$   $\Upsilon$  state. The visible inclusive electron ( $p > 1$  GeV/c) cross section resulting from a preliminary analysis of all CLEO data is shown in Fig. 2 along with the visible hadronic cross section. The large enhancement in high energy electron cross section and energy spectrum (Fig. 3) has been interpreted as evidence for  $B\bar{B}$  production (Ref. 3).

Institutions within the CLEO collaboration have access to one PDP-10 and five VAX computers exclusively dedicated to research, including the OU VAX. The CLEO off-line analysis programs are operational on the OU VAX including the interactive event display. The OU effort is coordinated in close cooperation with the Rutgers group and is directed toward completion of the inclusive electron measurements in the  $\Upsilon$  ( $4S$ ) resonance region (Ref. 3). This effort crucially depends on the successful operation of the shower detector and development of its analysis software. Refinement of the final event selection including detailed event scanning is presently underway at OU. In conjunction with the inclusive electron analysis, OU based efforts will be made to improve the shower detector analysis and Monte Carlo simulation programs. Electromagnetic shower generation programs EGS (Ref. 4) and hadronic shower generation programs HETC (Ref. 5) have been installed on OU computers and should greatly aid in this effort. The EGS program gives reasonable agreement with electron test beam data taken with one octant of the CLEO detector.

(See Figures 4, 5 and 6.)



Finally, the OU-HEP groups important involvement in U.S. solid state detector development leads to the exciting prospect of using such detectors in colliding beam experiments. One attractive possibility involves use of large area ( $1 \text{ in}^2$ ) Si detectors for  $dE/dX$  measurements (Ref. 6). Measurements have been made of  $dE/dX$  with commercial Si detectors for  $\pi$ 's, p's, and electrons in the momentum range 100-650 MeV/C at LAMPF. Good agreement (to within 5%) has been obtained between the measurements and the peak and the width of the theoretical Landau distribution. These results indicate that a  $dE/dX$  Si detector consisting of four layers surrounding the beam pipe could separate  $\pi$ 's and K's of 500 MeV/C momenta with greater than 90% efficiency and with a contamination of the K sample of less than 6% (assuming a  $\pi/K$  ratio of 10). To study radiation damage in the environment of the interaction region, an ORTEC Si detector was mounted to the beam pipe inside the CLEO Solenoid. After four months of normal machine operation, no degradation in the detector has been observed.

#### References

1. ~~The CLEO Photon Shower Detector, J. J. Mueller, et. al., Proceedings of the 1980 IEEE Nuclear Science Symposium.~~ *The CLEO Electromagnetic Calorimeter, P. Skubic, Gas Calorimeter Workshop, Fermilab, 1982.*
2. First Physics Results from the CLEO Detector at CESR, B. Gittelmann and P. Skubic, Proceedings of the XVth Rencontre de Moriond (1980).
3. C. Bebek, et. al., Phys. Rev. Lett. 46, 84 (1981).
4. Richard Ford and Walter Nelson, SLAC Report No. SLAC-210, June 1978.
5. T. A. Gabriel and W. Schmidt, Nucl. Instr. and Meth. 134, 271 (197).
6. S. Csorna, F. Sannes, P. Skubic, "A Silicon DEDX Detector for CLEO II," CLEO internal report.

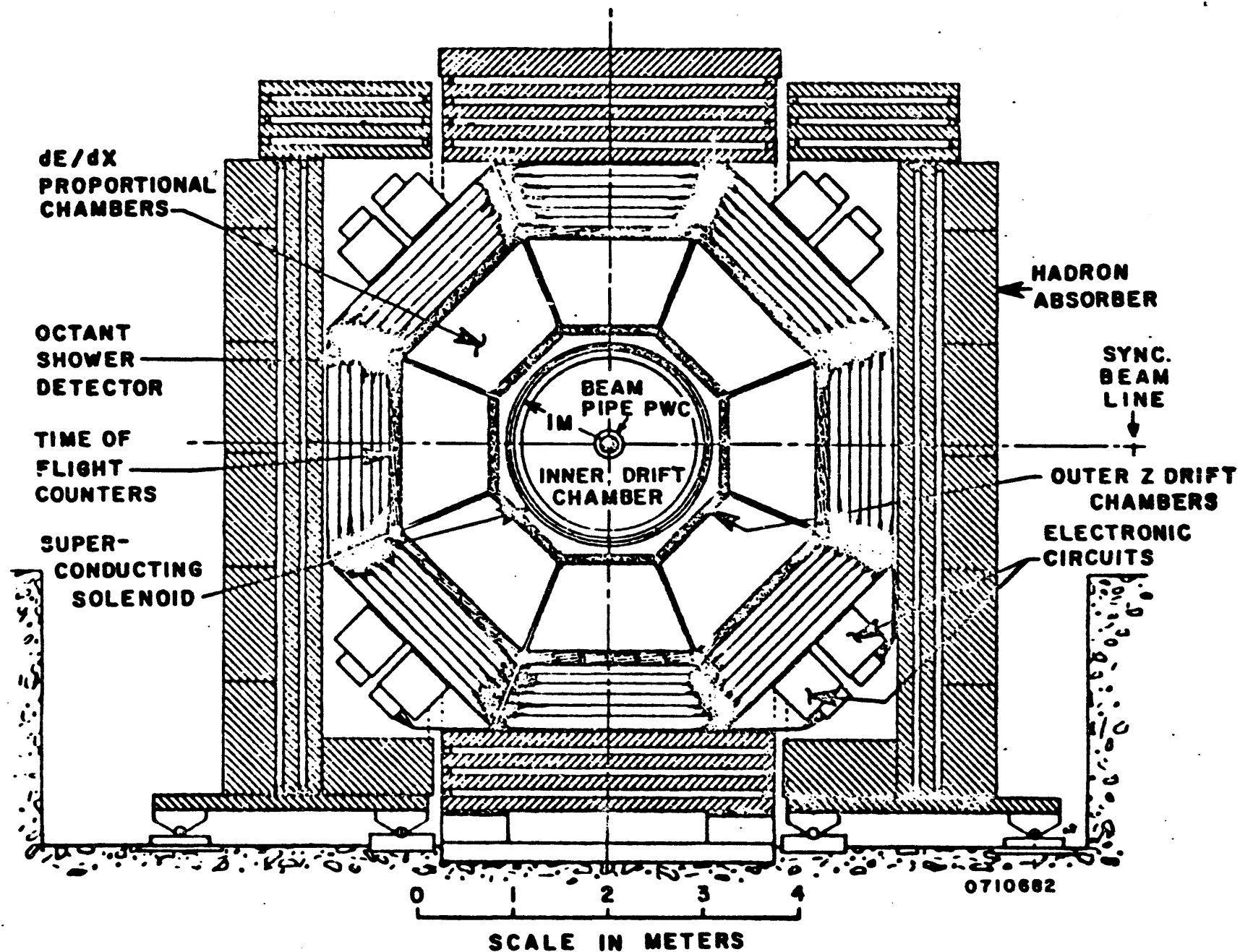


Fig. 1a

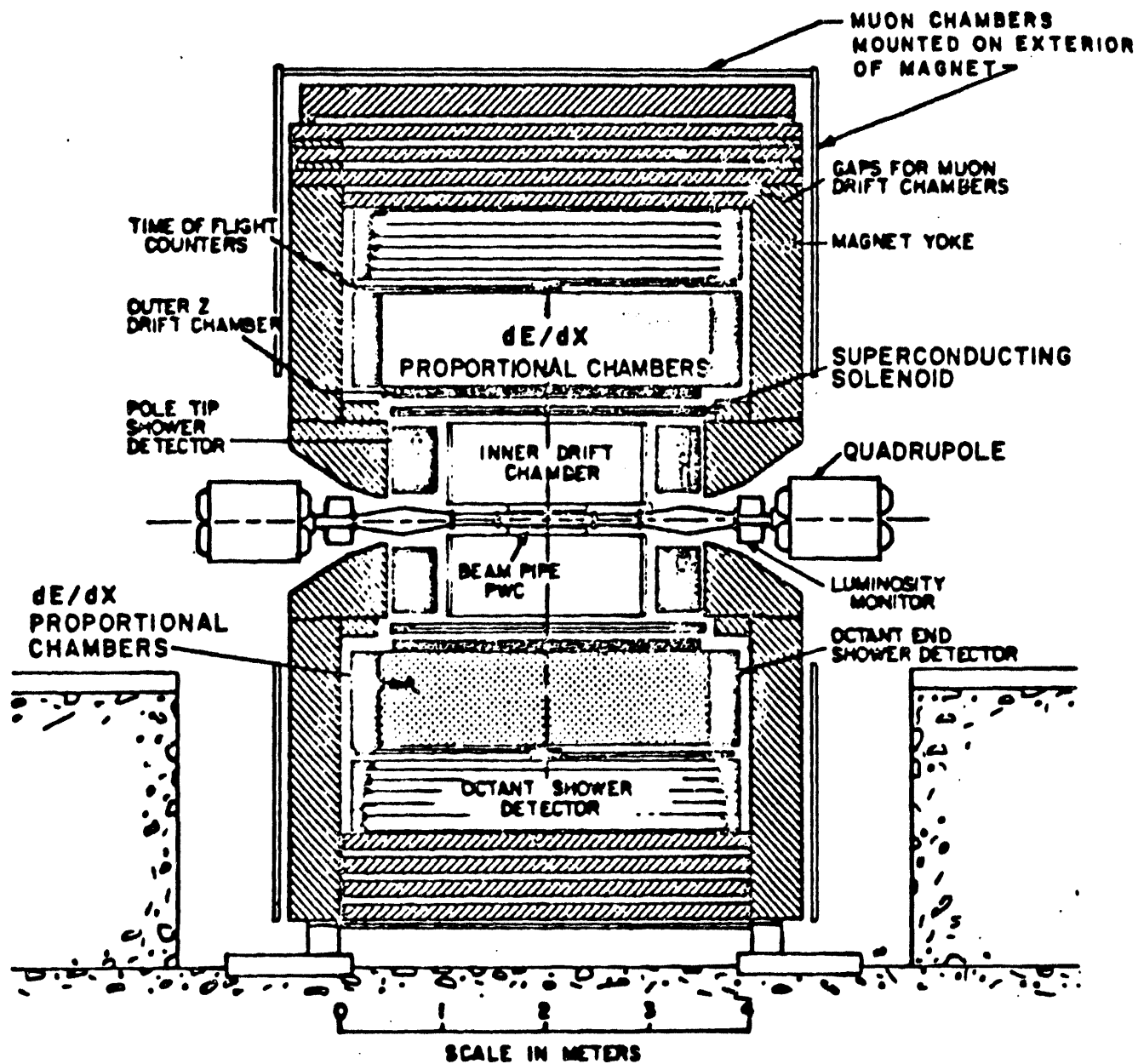
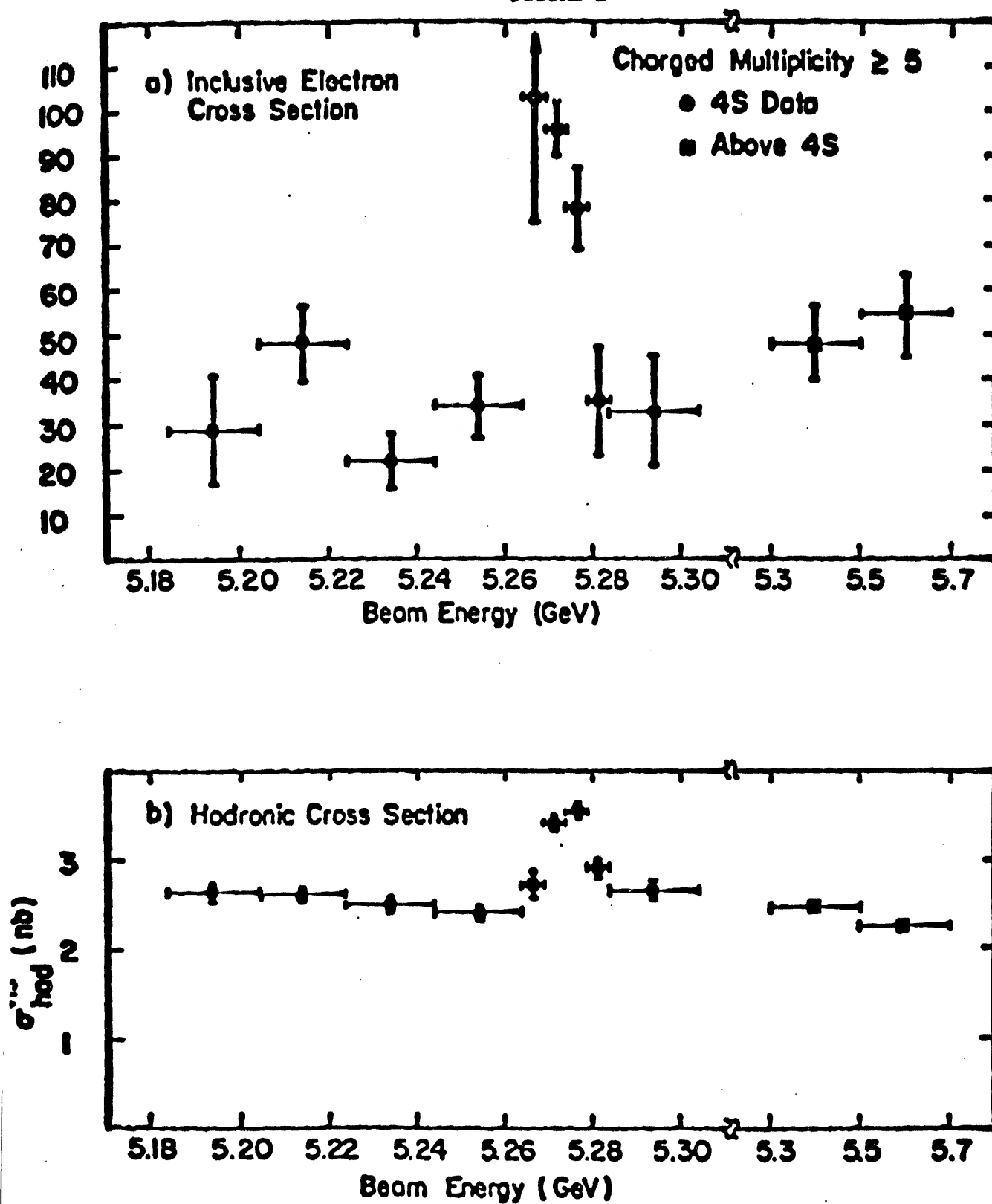


Fig. 1b

0710282

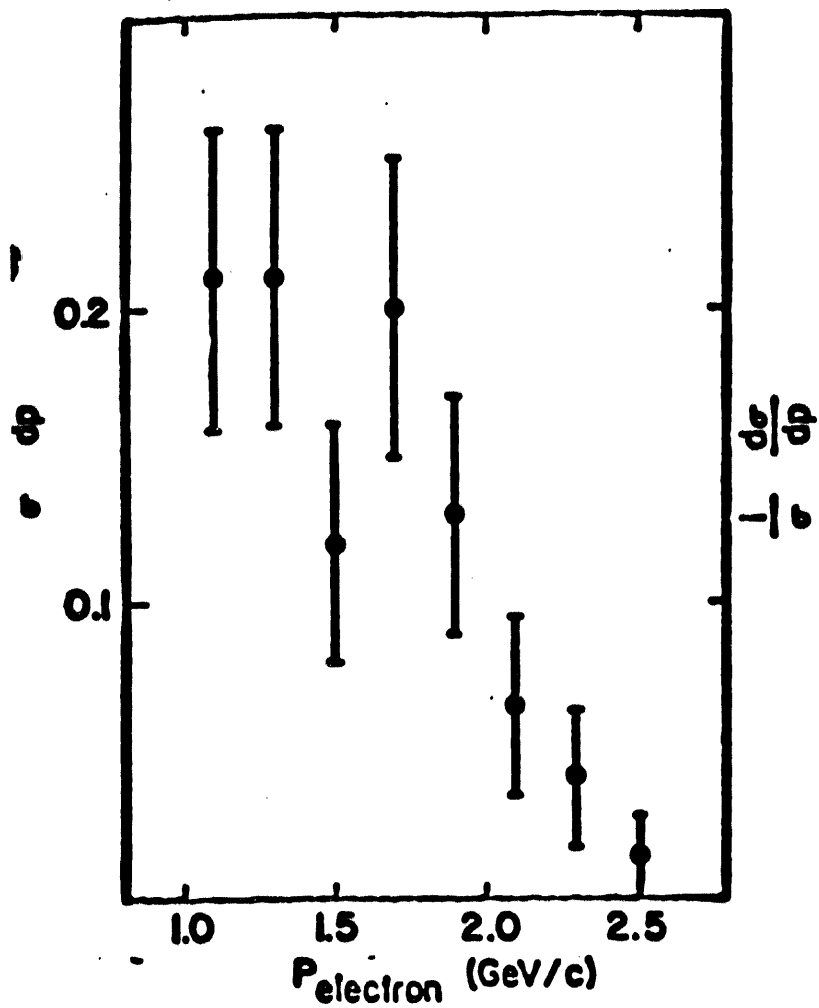
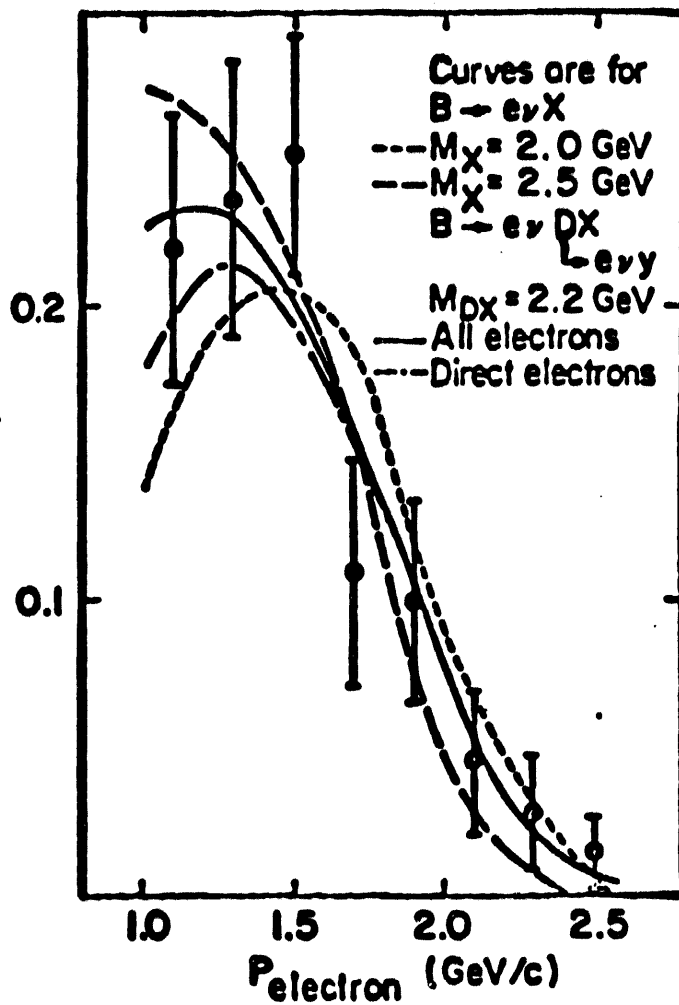
FIGURE 2



0250881

FIGURE 3

a) Continuum Electron Spectrum

b) Electron Momentum Spectrum from  $B\bar{B}$ 

0250881

FIGURE 4

## HISTOGRAM# 16 VARIABLE# 205

ESHRS

SELECT ON CUT 30: GOOD MATCH

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8500

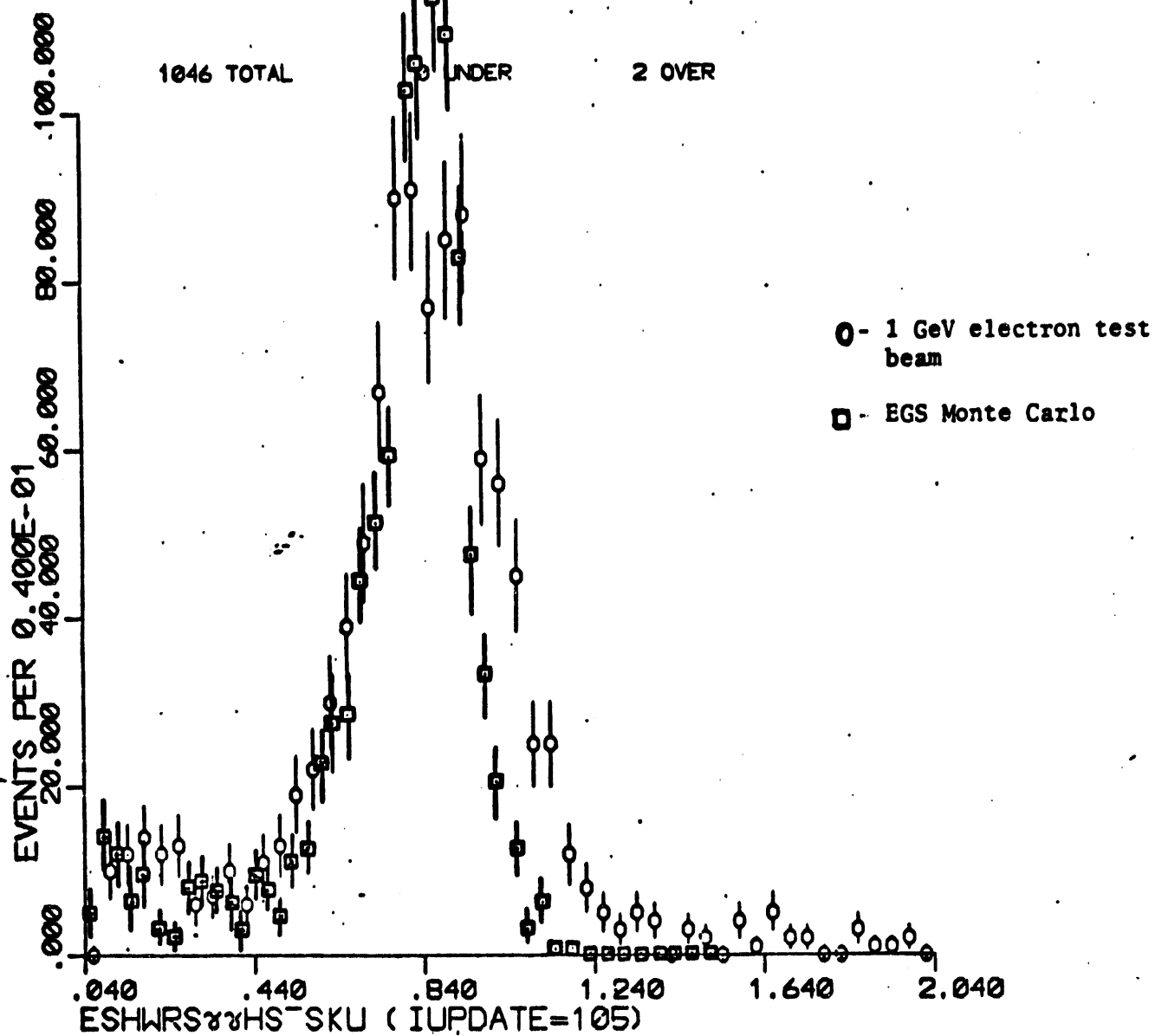
PLOTTED BY SYSTEM [ 1. 2 ]  
PROGRAM HCOPYMTOTAL SHOWER ENERGY

FIGURE 5

## HISTOGRAM# 18 VARIABLE# 208

AVGNRS

SELECT ON CUT 30: GOOD MATCH

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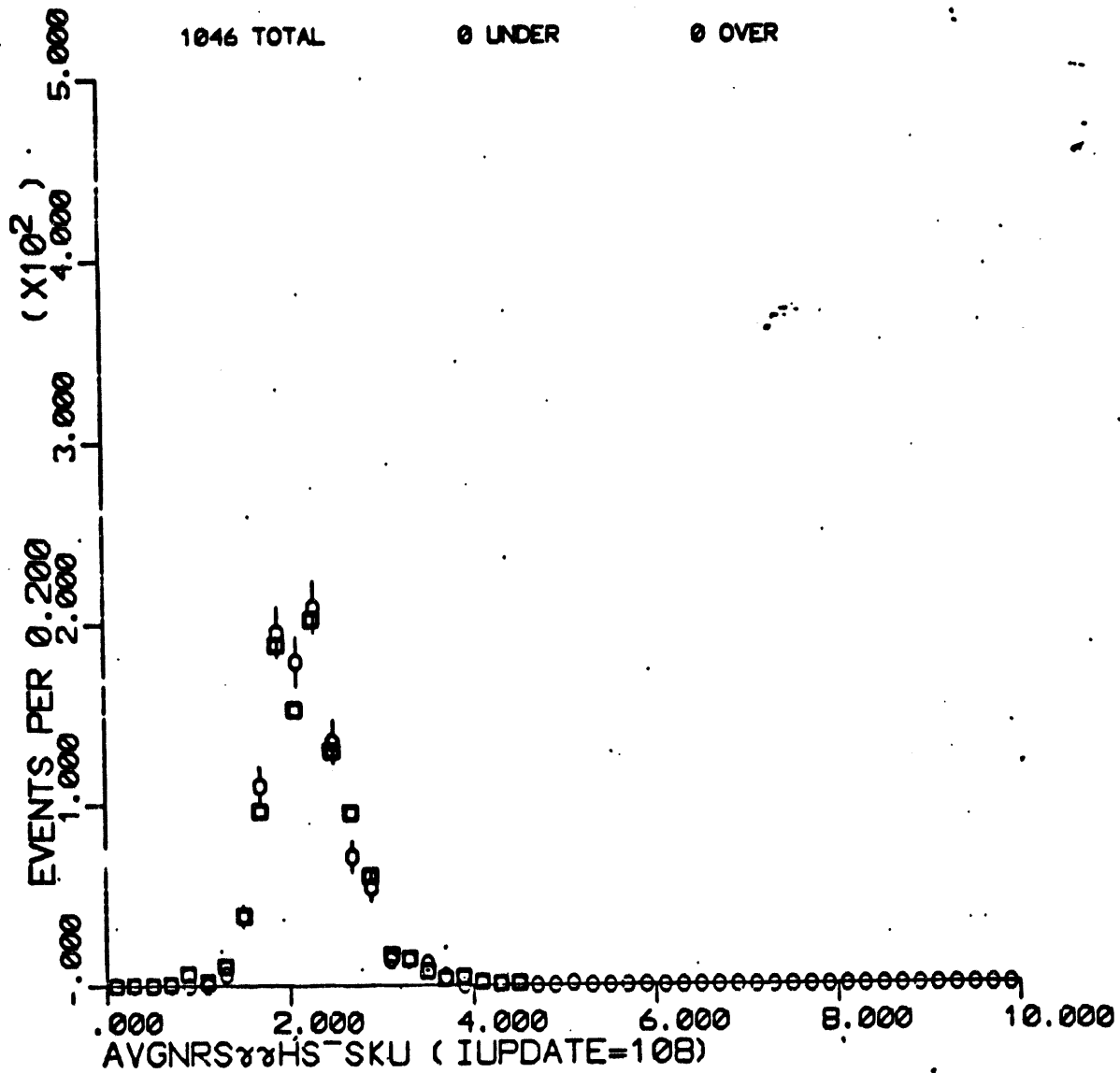
PLOTTED BY SYSTEM [ 1. 2]  
PROGRAM HCOPYHAVERAGE NUMBER OF HITS  
PER LAYER

FIGURE 6

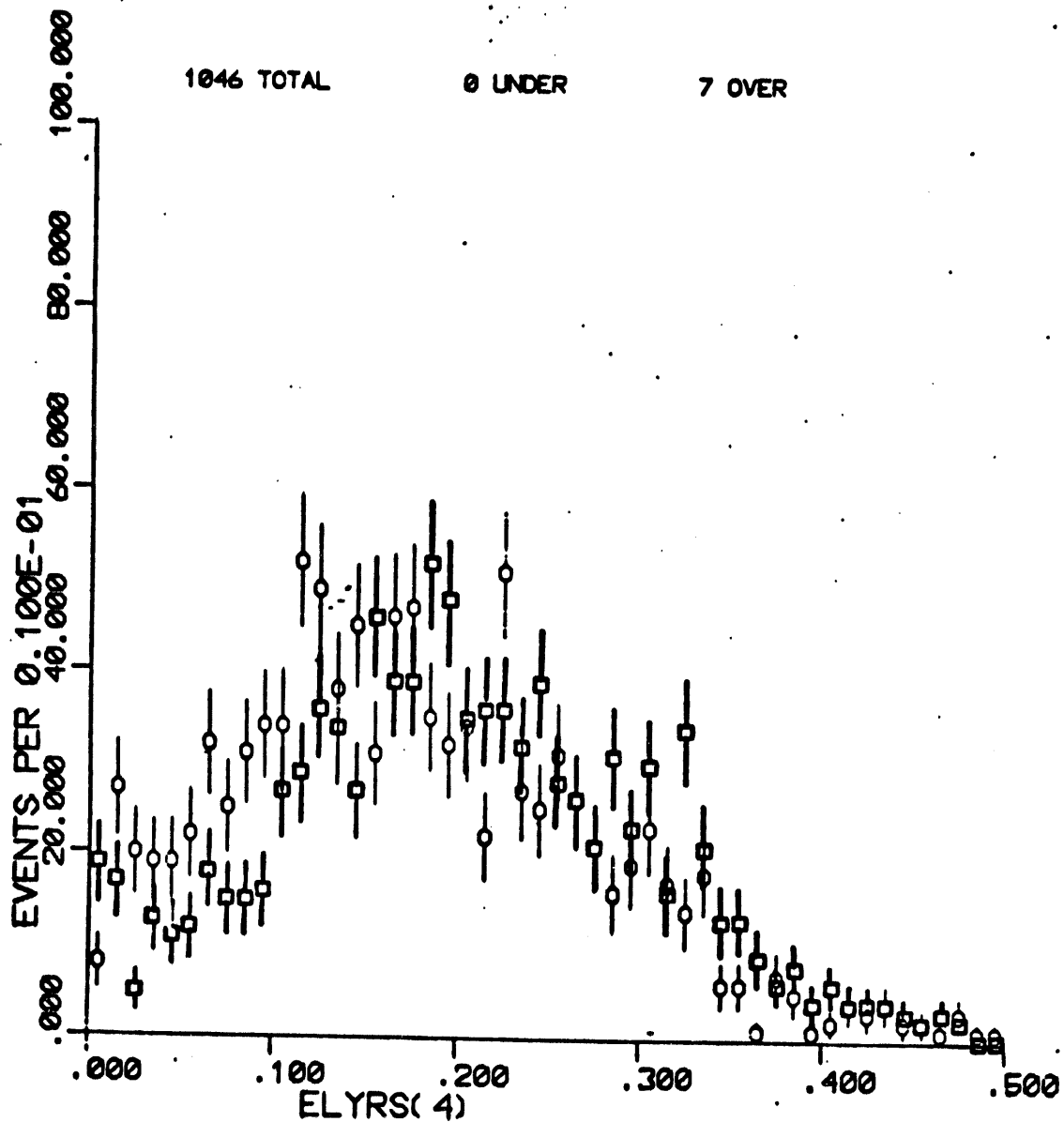
HISTOGRAM# 27 VARIABLE# 214

ELYRS(4)

SELECT ON CUT 30: GOOD MATCH

13-Mar-8223:29 COMPUTER RUN NO.

8500

PLOTTED BY SYSTEM [ 1. 2 ]  
PROGRAM HCOPTWENERGY IN LAYER FOUR  
(Out of 7)



OU-HEP MEMO 1

SSD RESULTS 1983

George R. Kalbfleisch

3/1/83

## Appendix C

### The SSD Prototyping and Testing Program

The SSD prototyping and testing program has basically three goals:

- a) Check charge collection,
- b) Check track point resolution,
- c) Check vertex reconstruction resolution.

All of the above checks have been made with the OU testing of five  $1 \text{ cm}^2$  LBL (Valton) detectors instrumented with 160 prototype amplifiers. The result is that the detectors perform as theoretically expected. A discussion of the basics, the amplifier design etc. is to be found in the 1981 Fermilab SSD Workshop.<sup>1</sup> A description of the Fermilab M5 beam test (May-June, 1982) is appended as a subappendix to this Appendix C.

In addition, OU and Ohio State have been cooperating on testing of  $8 \text{ cm}^2$  Centronic detectors (LAMPF beam test in progress, data taking to commence Nov. 27--Dec. 15, 1982). In addition, six  $25 \text{ cm}^2$  United Detector Technology and six  $25 \text{ cm}^2$  Centronic's detectors square in cross-section built on three inch silicon disks SSD's should be in hand in two or three months. At that time we will bench test them and subsequently beam test them. The ultimate twelve sided regular polygonal  $35 \text{ cm}^2$  (on 3" Si disks) SSD's should be specified and ordered early next year (with delivery expected late in the year).

The charge collection results are shown in Figures C-1 and Figure C-2.

Figure C-1 shows the charge distribution of 46 GeV/c pions compared to a Landau distribution convoluted with a 0.25 fc noise distribution. The shape and the magnitude of the charged collected (1.7 fc observed vs. 1.8 fc predicted) agree well. Figure C-2 shows 650 MeV/c protons in excellent agreement with the theoretical shape (Landau convoluted with a momentum spread of 7% and a noise of 0.25 fc). And the observed ratio of the pulse heights of 650 MeV/c protons to

550 MeV/c pions of  $2.7 \pm 0.2$  agrees well with the theoretical ratio of 2.6. Assuming that the spatial track point accuracy is given by the microstripe spacing (pitch) divided by the  $\sqrt{12}$ , the observed chisquare distribution for the fits of straight through beam tracks for all 3, 4, and 5 point 46 GeV/c pion tracks are shown in Figure C-3. The average ( $\chi^2/\text{DOF}$ ) for this data is  $1.2 \pm 0.2$ . This implies that the accuracy is within  $(10 \pm 10)\%$  of the theoretical pitch/ $\sqrt{12}$  value including residual misalignments of the detector array. The detector array was aligned better than  $\frac{1}{2}$  the pitch of 80 microns both rotationally and translationally.

The transverse resolution of through beam tracks extrapolated from the SSD's to the position of the veto counter is illustrated by the data in Figure C-4. The veto would ideally cast a rectangular shadow on the downstream SSD's. Beam divergence (corresponding to less than  $\leq 80 \mu$ ), the veto angular misalignment ( $\leq 60 \mu$ ), multiple scattering in the copper target pieces ( $\sim 40 \mu$ ) and the errors in the fitted parameters ( $\sim 20 \mu$ ) put a slope on the edge of the shadow of ( $\leq 110 \mu$ ). The data have a sloped box shape with a slope of  $\sim 100 \mu$ . However please note that the shadow edge goes from fully bright to fully dark in one stripe width!

Finally multiprong interactions are observed in the SSD's. A typical three track event is displayed in Figure C-5. The "dashes" represent the stripes each connected to its own amplifier. The letters of the alphabet represent proportionally the charge deposited on the appropriate strip for those stripes which have a signal larger than the pedestal plus three noise standard deviations. The numbered lines represent the tracks. One sees that the three tracks intersect nicely in a small region (triangle). The estimated vertex errors from the fitted track parameters are  $\pm .01$  mm transversely and  $\pm 0.4$  mm longitudinally. The transverse errors are roughly independent of the event

details for vertices close to the detector array. The longitudinal errors should be linear in the pitch, the reciprocal of the (largest) opening angle of the tracks, and the distance from the SSD array to the interaction point (i.e. vertex). Alternatively, the RMS deviation of the pairwise intersections of the tracks from the overall fitted vertex can be examined in lieu of the calculated transverse and longitudinal errors for events with 3 or more tracks. The RMS for the transverse direction averages  $20\mu$ , as compared to the track point standard deviation of  $\text{pitch}/\sqrt{12} = 23\mu$  in this set up. The RMS for the longitudinal direction depends strongly on the reciprocal of the opening angle and averages  $500\mu$  for an opening angle of 50 mr. Monte Carlo shows that bottom and charm decays from hadronic production at Tevatron energies will have an average opening angle between pairs of 70mr. The actual SSD's for E-653 will have a pitch of  $40\mu$ . Thus we expect an RMS longitudinal error in predicting vertices in the emulsion of E-653 of  $500/2/\sqrt{2} = 200\mu$ , as advertised in the proposal (Appendix J, page 12).

The above results show that SSD's perform as theoretically expected. We have gained needed experience in SSD's, low noise amplifiers, charge sharing, and the diverse software required to analyze the data from such a system. The SSD's are well understood. Thus we can proceed to prosecute this experiment, having SSD technology well in hand.

1. Asbifleisch, George R., "Status of Some of the Silicon Detector Development in the United States," in Silicon Detectors for High Energy Physics, Proceedings of a Workshop held at Fermilab, October 15-16, 1981, page 45.

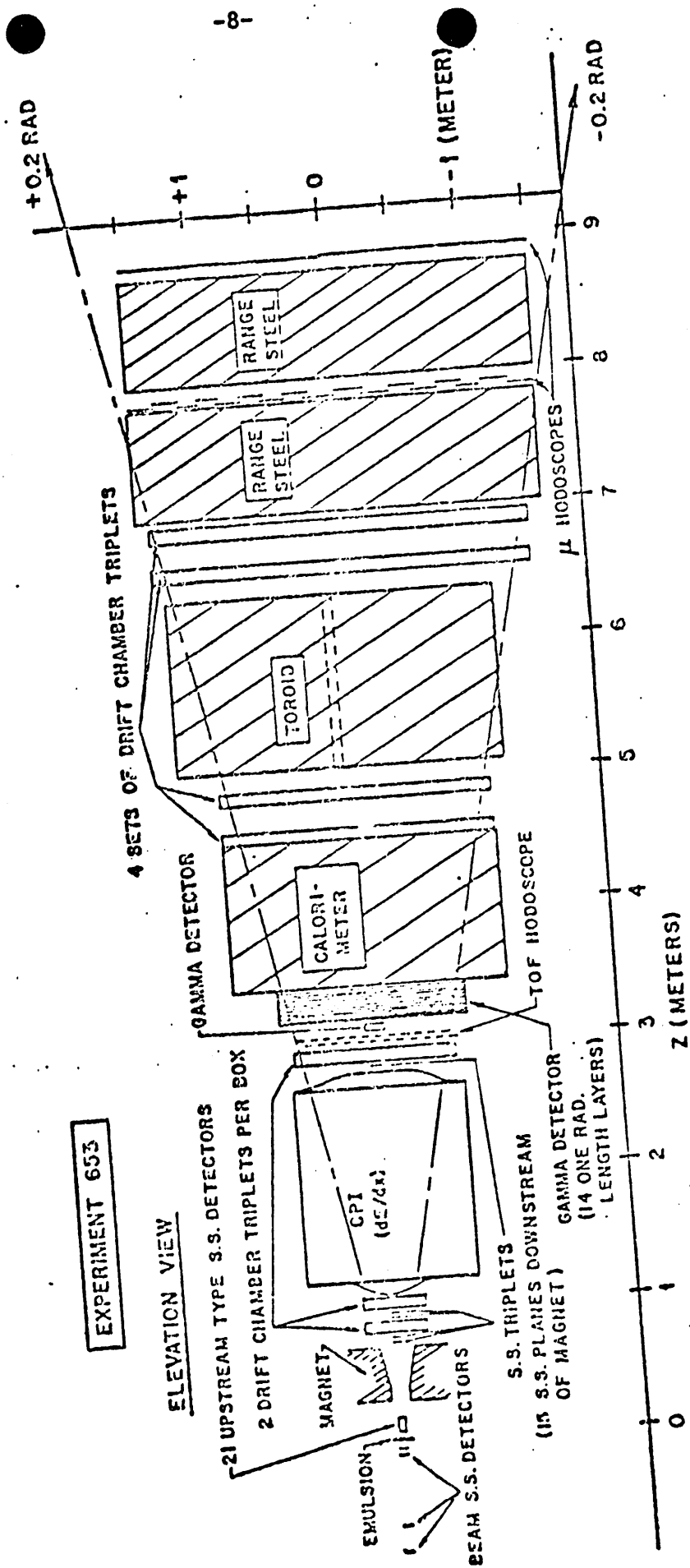
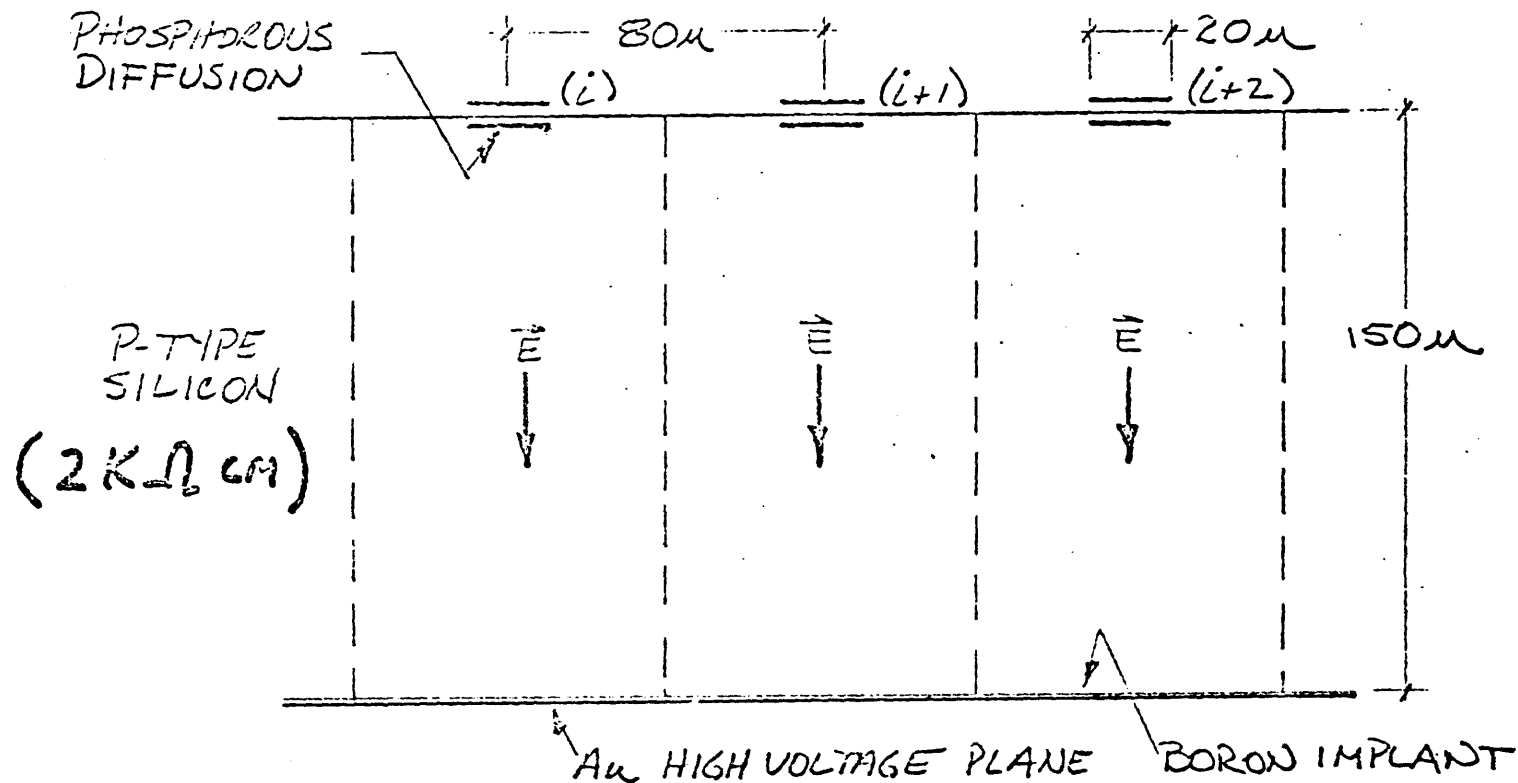


Figure 2.

# 8-LBL DEVICES

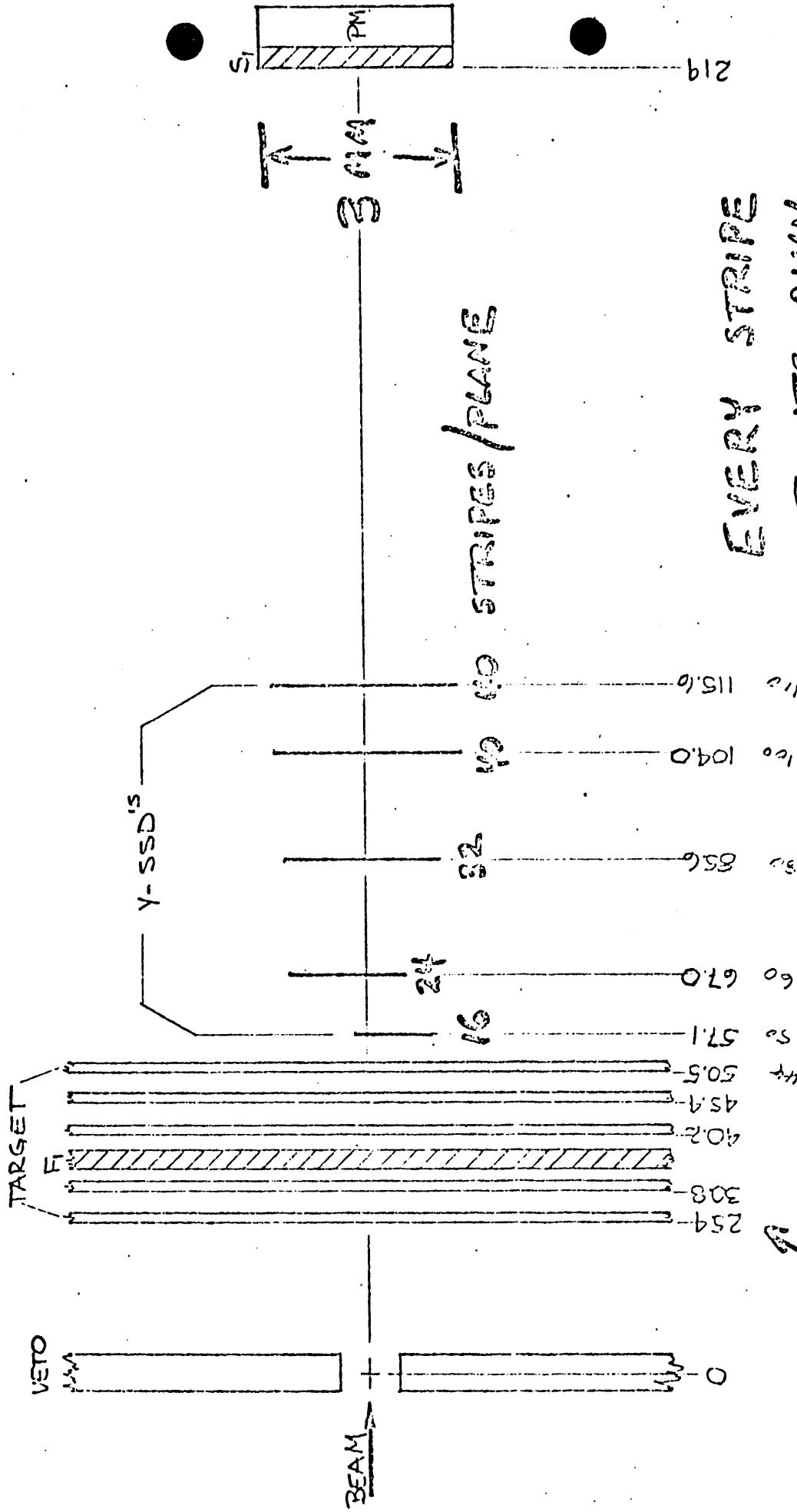


48 - 1 CM LONG STRIPES EACH

(Each stripe is 1 cm long)

# "M5" BEAM TEST

(FNAE)



EVERY STRIPE

TO ITS OWN

AMPLIFIER -

(156 TO 176).

SCALE  
mmx1  
mmx1

5 - 1/16" (1.6 mm)

THICK BRASS

FIT AGAIN--THROWING OUT A POINT ?

Y  
DELETE OR RESTORE OR SAVE <D,R,S>

S  
FIT AGAIN--THROWING OUT A POINT ?

N  
\*\*\*VX\*\*\*-EV,NT,XV,DXV,ZV,DZV= 21 3 -0.015 0.010 40.849 0.535

Z (X) -1  
20 MM ++++++3+++++1+++++  
30 MM ++++++3+++++1+++++  
32 MM ++++++3+++++1+++++  
34 MM ++++++3+++++1+++++  
36 MM ++++++3+++++1+++++  
38 MM ++++++3+++++1+++++  
40 MM ++++++3+++++1+++++  
42 MM ++++++3+++++1+++++  
44 MM ++++++1+++++2+++++

TARGET

Z=60MM

1 3 2  
X - - 3 X - - - - - 50 MM  
2 3  
2 X 3 - X -  
2 3  
2 - - 3 - - 80 MM  
2 3  
2 - - 3 X - - 100 MM  
2 3  
X - - - X - - X - 110 MM

SSD<sub>A</sub>

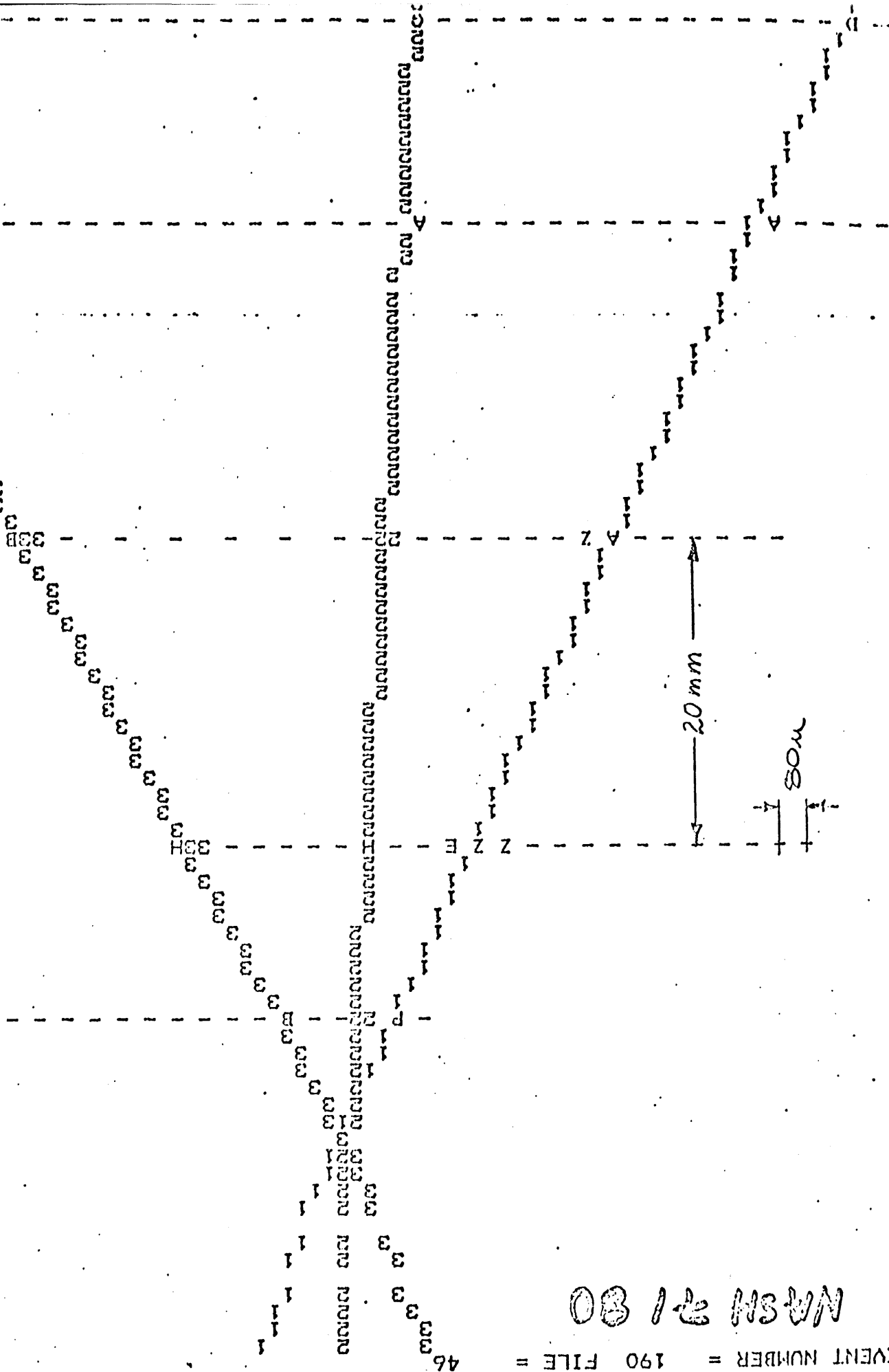
\*\*\*\*\*  
\*\* FILE 57 EVENT 21  
\*\* TRACK ZMID INTER SLOPE CHISQ # HITS  
\*\* 1 80.000 -9.750 -0.235 19.615 4.000  
\*\* 2 80.000 4.355 0.091 4.222 3.000  
\*\* 3 80.000 10.638 0.293 22.024 4.000  
\*\* XV= -0.015 +- 0.010 MM.  
\*\* ZV= 40.849 +- 0.535 MM.  
\*\*\*\*\*

N  
AGAIN WITH ANOTHER FILE  
N



Figure C-5

A typical 46 GeV/c 3 prong event as seen in the 5 LBL microstripe array.



08 71 80

EVENT NUMBER = 190 FILE =

46



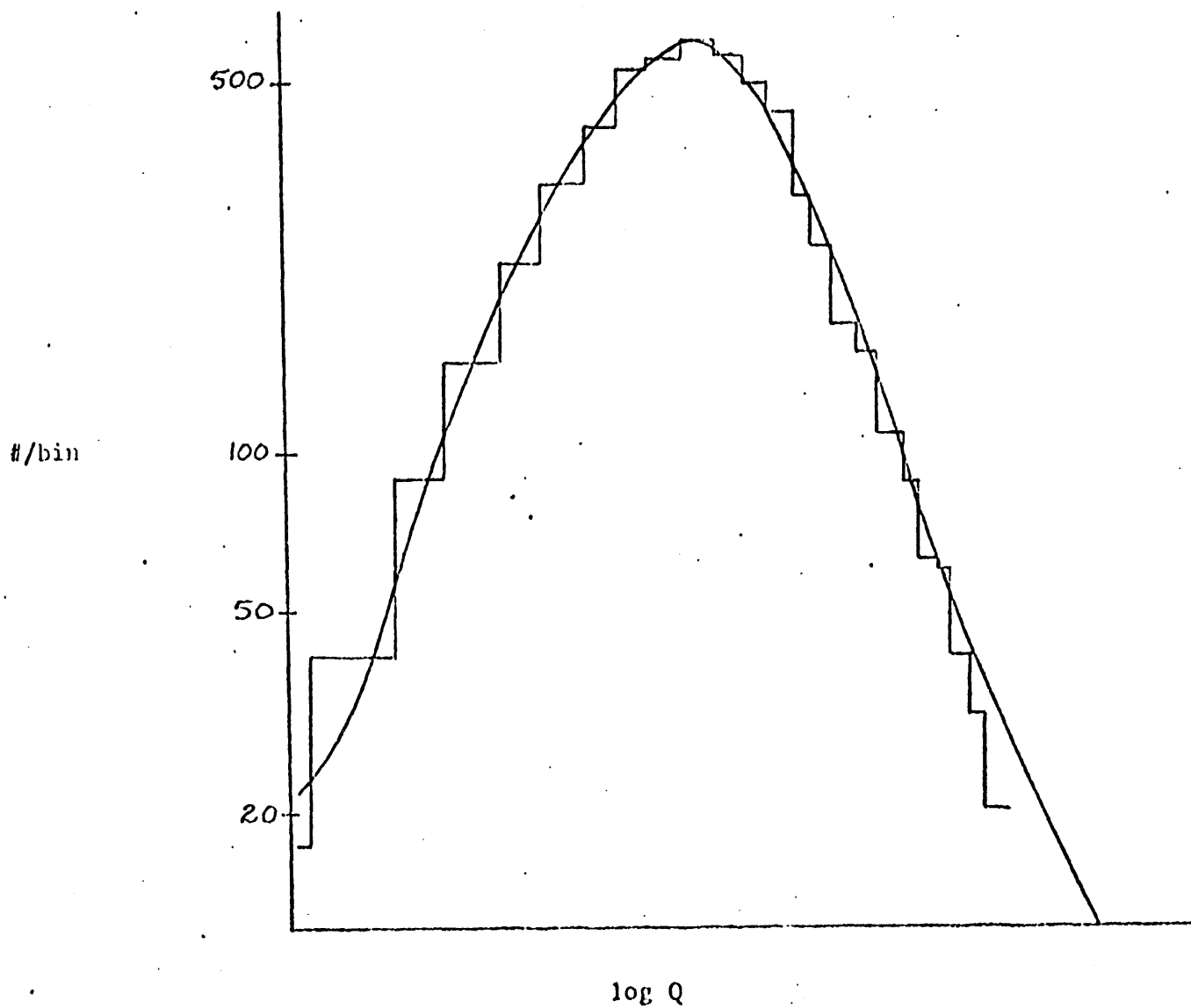


Figure C-1  
Charge Distribution  
6196 Tracks, 46 GeV/c Pions

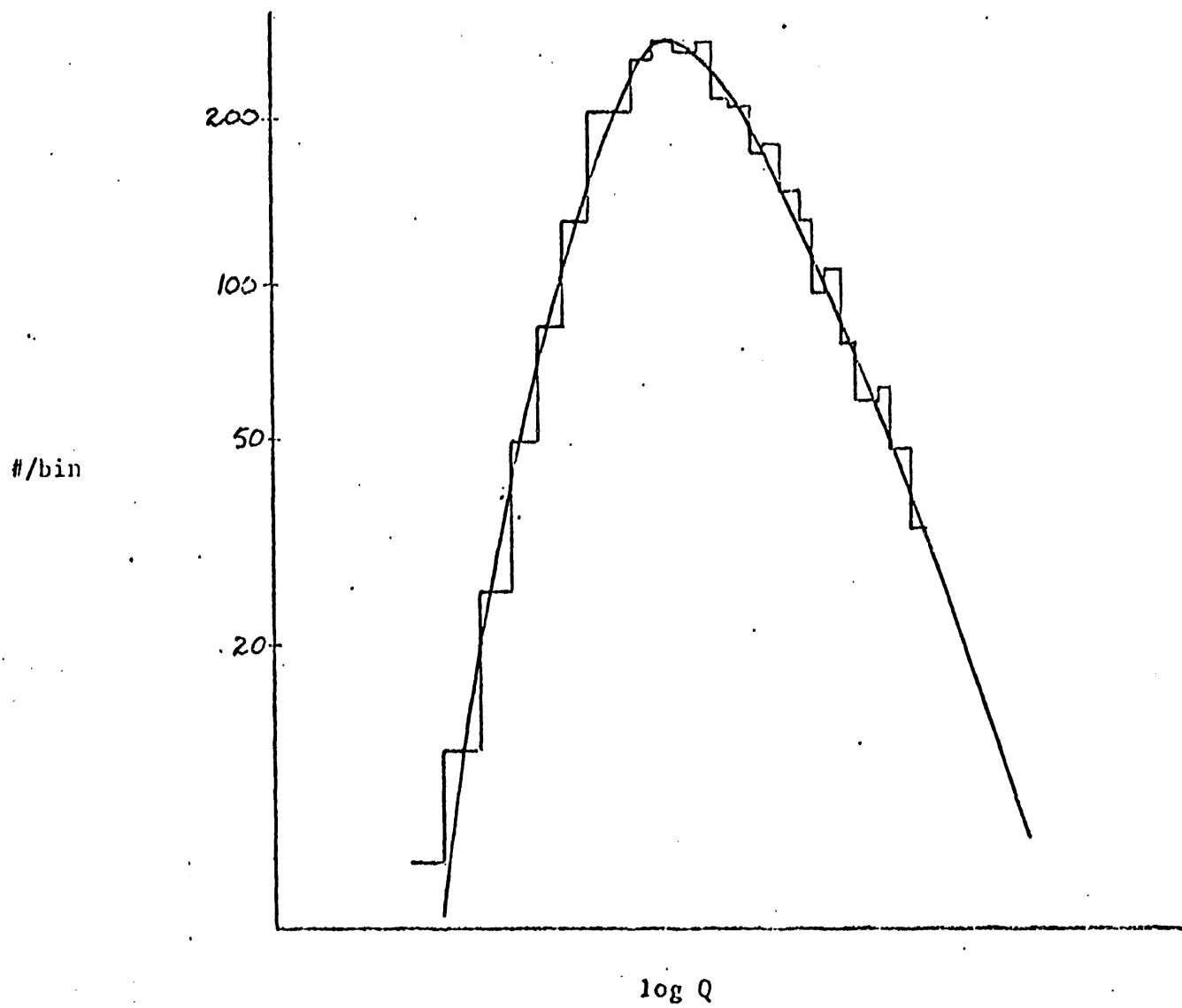
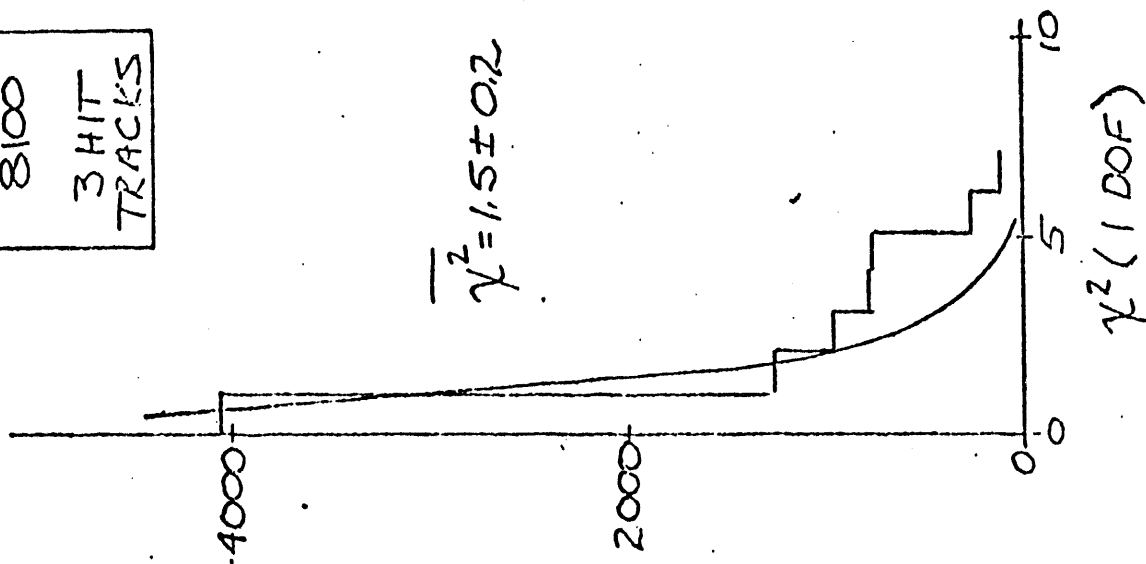


Figure C-2  
Charge Distribution  
3905 Tracks, 650 MeV/c Protons

# $\chi^2$ Distributions

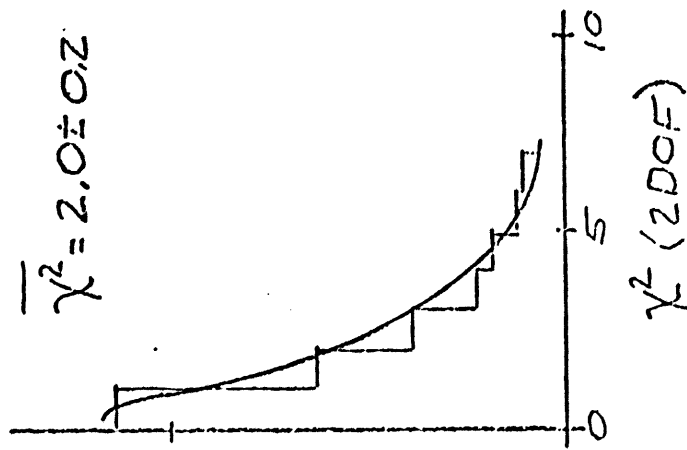
8100  
3 HIT  
TRACKS

$$\overline{\chi^2} = 1.5 \pm 0.2$$



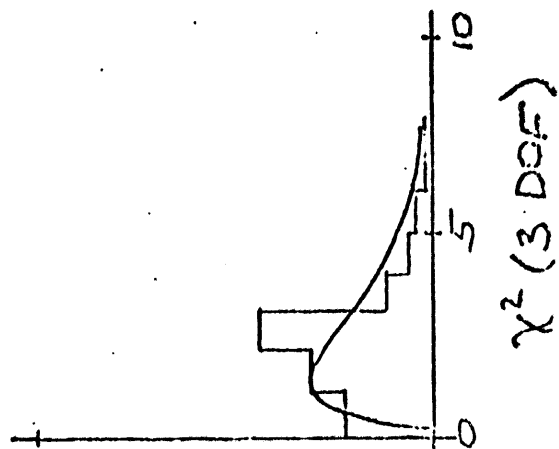
5600  
4 HIT  
TRACKS

$$\overline{\chi^2} = 2.0 \pm 0.2$$



2700  
5 HIT  
TRACKS

$$\overline{\chi^2} = 2.6 \pm 0.2$$



AVERAGE  $(\chi^2 / \text{DOF}) = 1.2 \pm 0.2$

11,378 TRACKS

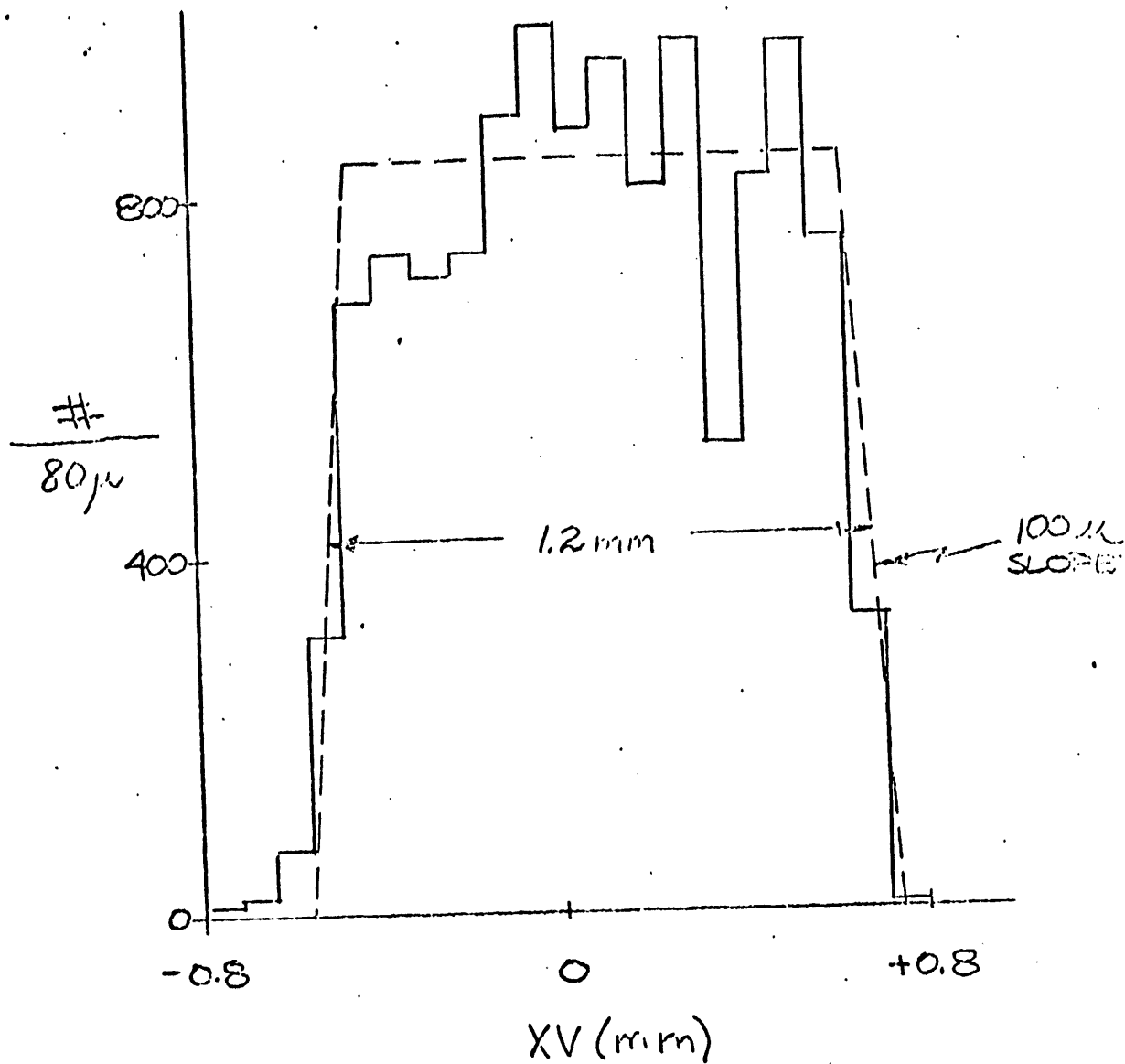
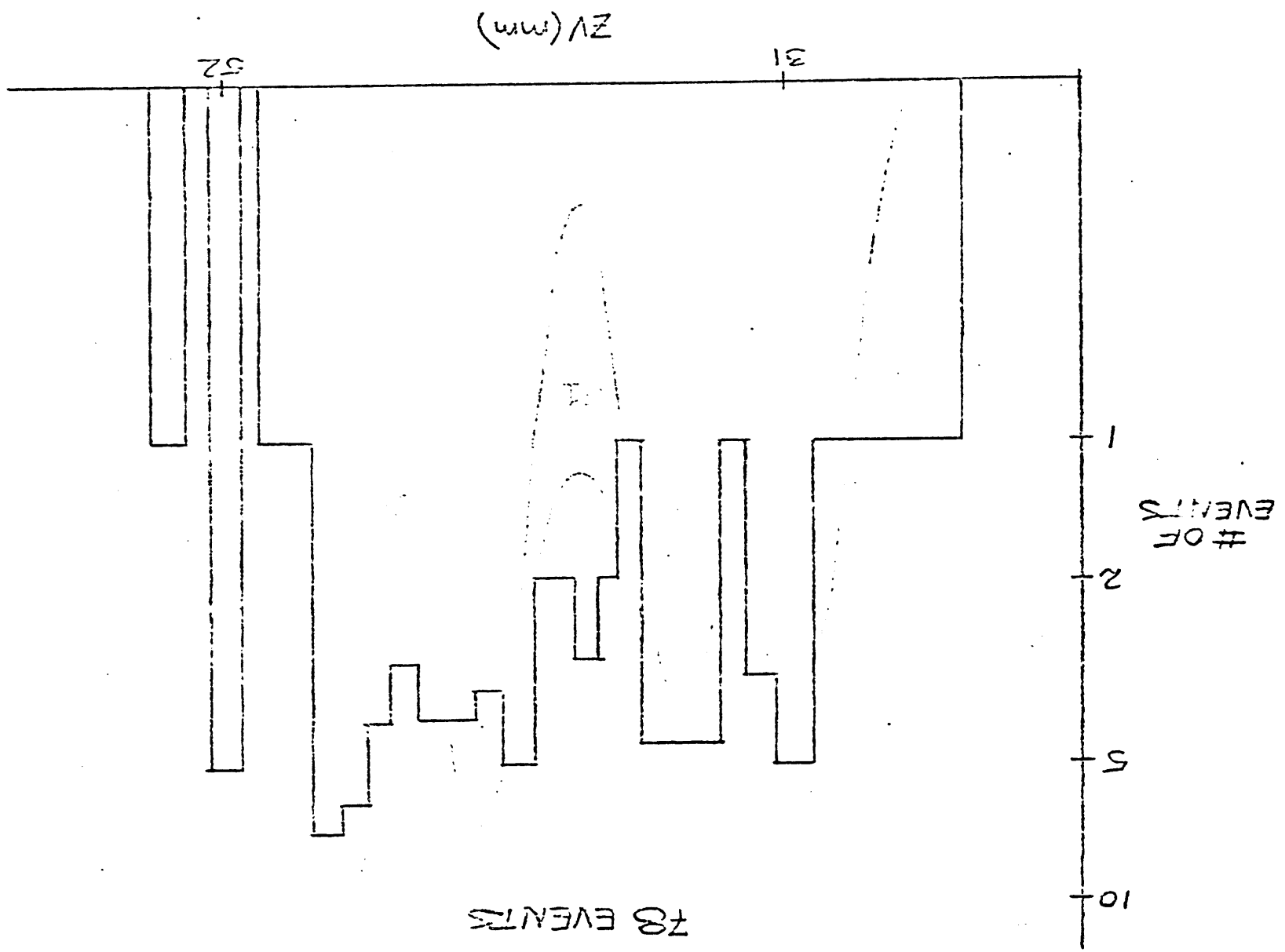


Figure C-4

Transverse position of 46 GeV/c pion tracks at the 3-positions of the VETO counter (its "shadow").



THE OHIO STATE TEST OF 1 (OF 3)  
CENTRONICS (LONDON) DETECTORS  
USES CAPACITIVE CHARGE  
DIVISION READOUT INTO 2 AMPLIFICS.

THE RAW  $Q = Q_1 + Q_2$  DISTRIBUTION  
HAS (AS SHOWN) A

FWHM  $\approx 50\%$ .

HOWEVER, WHEN EACH  $Q_i$  IS  
CORRECTED FOR BRIDGING EFFECTS  
OF THE CAPACITANCES TO "GROUND"

THE FWHM BECOMES  $26\%$ .

VS. EXPECTED  $23\%$ .



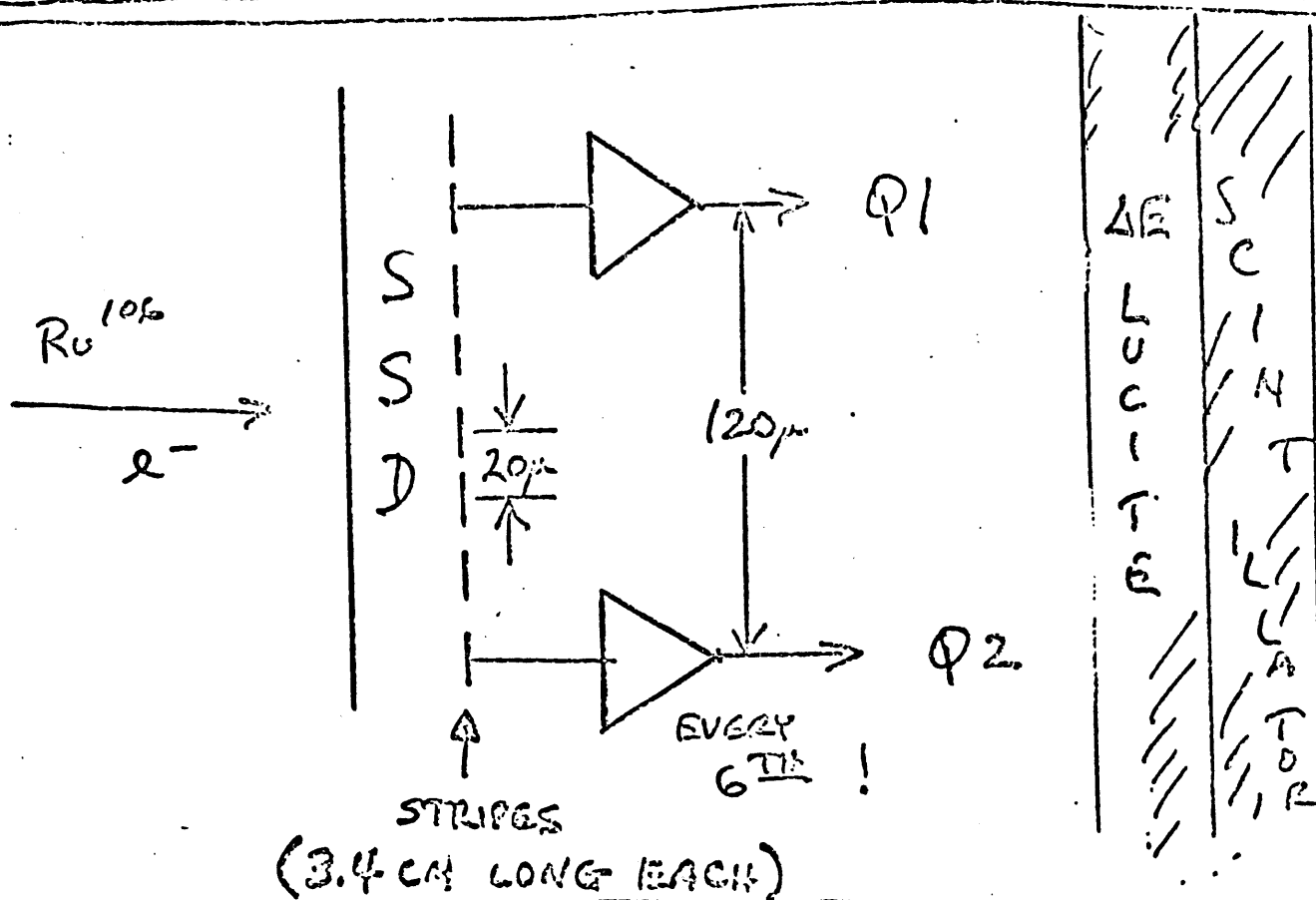
# OHIO STATE (REAY)

SPRING  
1982

CENTRONICS + 2 CHANNELS AMPLIFIER

$$\sigma_{A+D} \sim .05 \text{ fc (300 ELECTRONS)}$$

$$\Rightarrow S/N > \frac{50}{1} !!$$



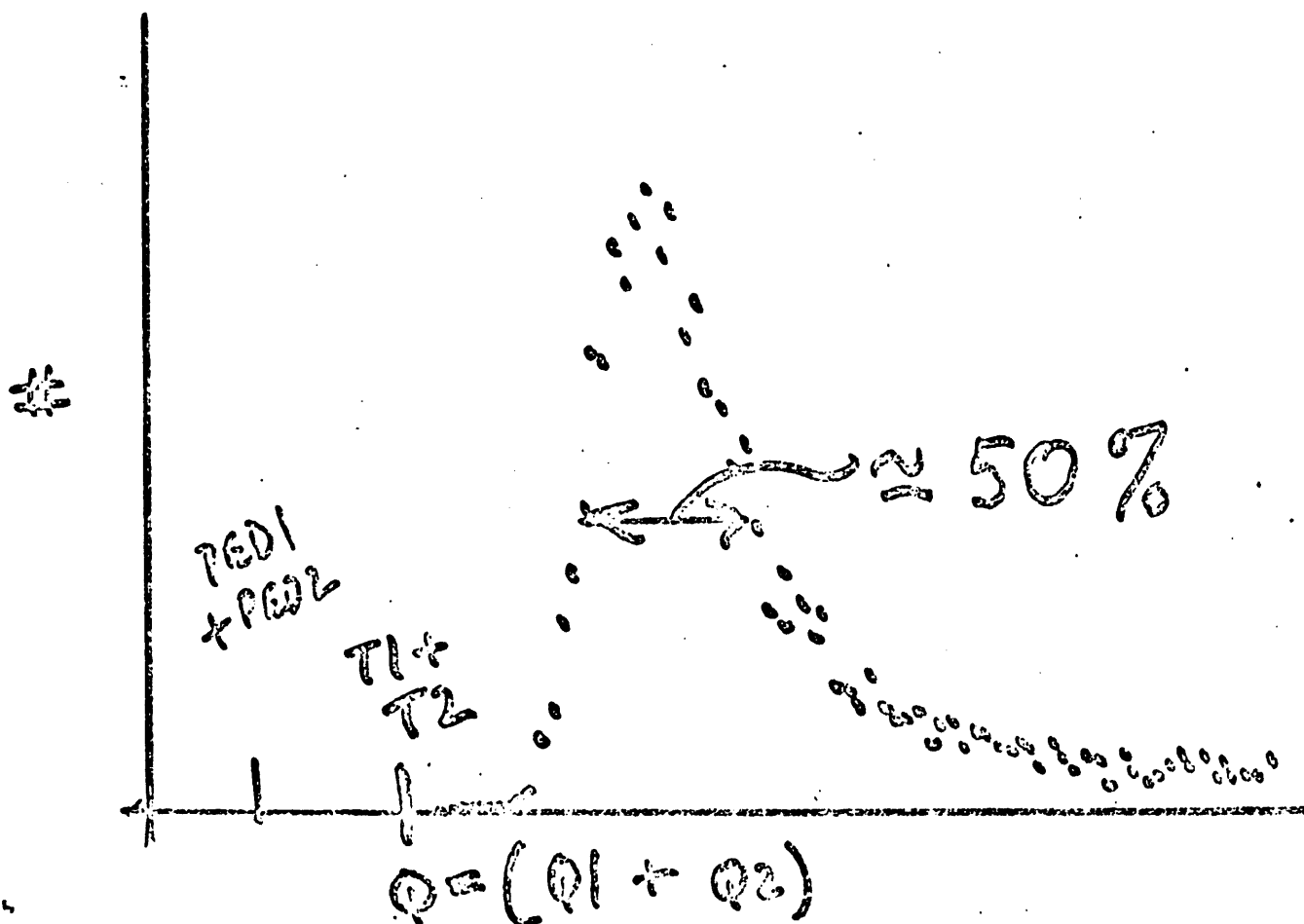
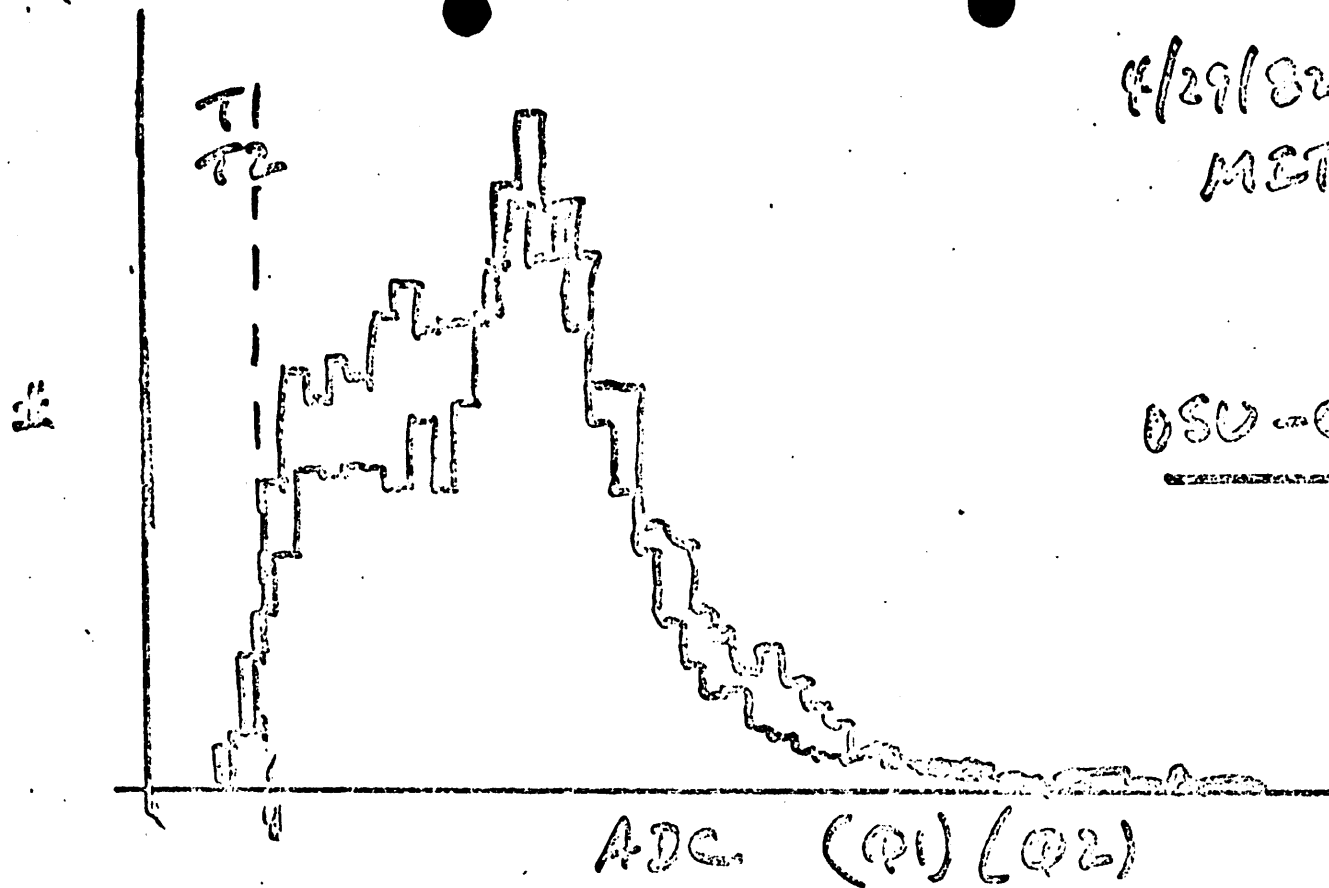
TRIGGER:  $\left\{ \begin{array}{l} \textcircled{1} = (Q1 \geq T1) \cdot S \\ \textcircled{2} = (Q2 \geq T2) \cdot S \end{array} \right\} \rightarrow \text{ADC}$

$$\Sigma_1^1 = \textcircled{1} + \textcircled{2} \rightarrow \text{TOTAL } \Phi \text{ (SOFTWARE)}$$

CORRELATION:  $(Q1 + Q2) \underline{IS} (Q1 - Q2)$

4/29/82 <sup>(45)</sup> EME  
MET

OSU - CERN

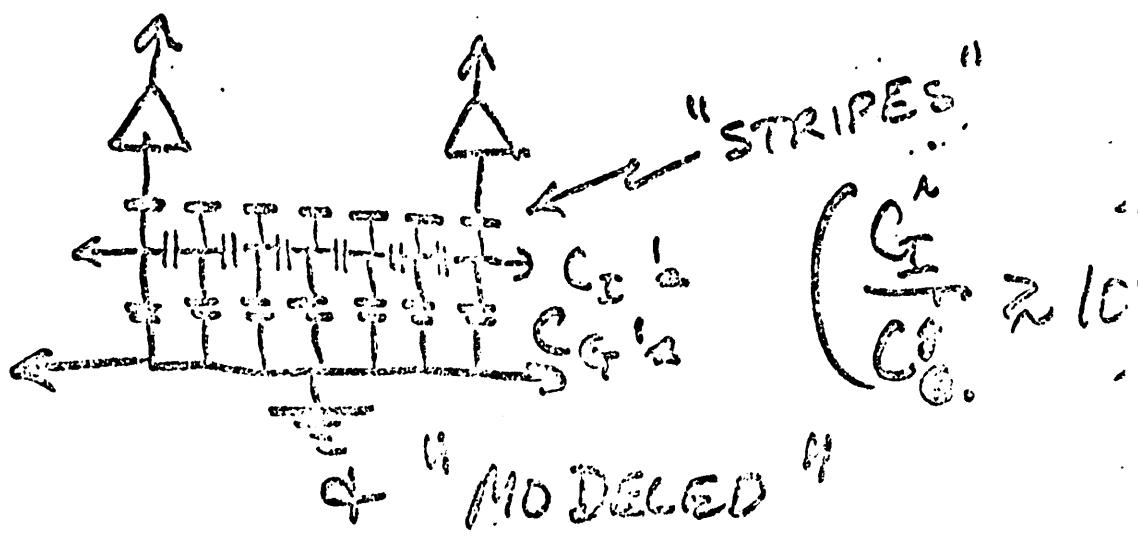
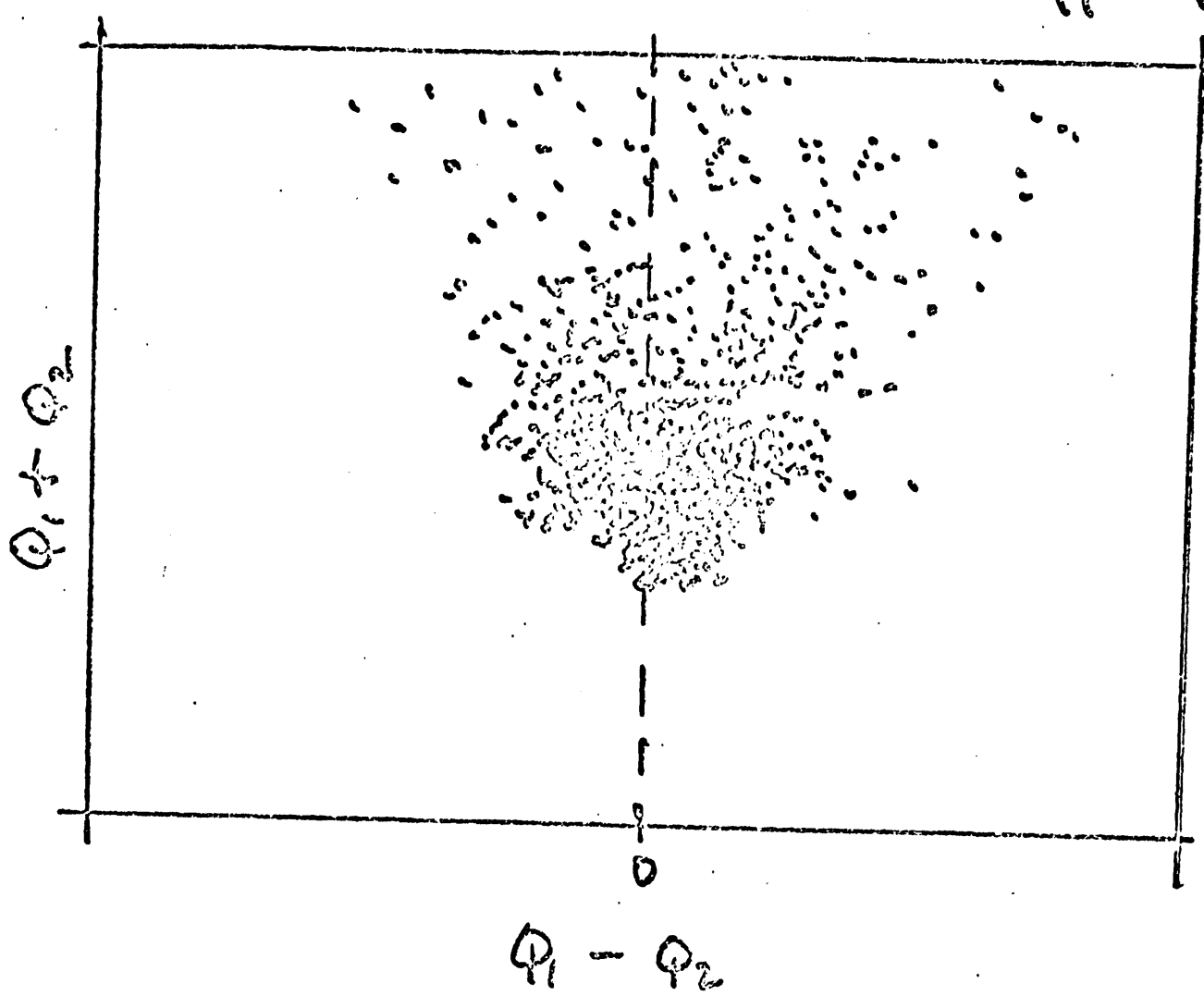


(5/5)

OSU - CENTRON

4/29/82

GRK  
MEH



June 10, 1982

Enclosure 1  
of Appendix C

(LBL - J. Walton, R. Ely  
OU-HEP - G. R. Kalbfleisch, P. Skubic, S. Willis, T. Nicol, R. Palmer, J. White,  
M. Ho, D. Maher, F. Maher, K. Palmer, L. Palmer, R. Sirochman)

OU-HEP and LBL-Berkeley have continued prototype SSD testing. Eight devices were made in April 1982 at LBL. Two of these are still at LBL for bench testing, one was accidentally broken and the other five are being tested in the M5 beam at Fermilab (E653, May 15-June 14, 1982). Some preliminary results from 2000 triggers of some 50,000 taken (or to be taken) are presented here.

SSD's

These April 1982 devices are 3 cm diameter 150 $\mu$  thick p-type (2 K $\Omega$  cm resistivity) silicon wafers, with 48 stripes (each 10 mm long) 20 $\mu$  wide spaced on 80 $\mu$  centers. Forty stripes are wire bonded to the P.C. card fanout (see Appendix I E-653 Proposal June 1981). The devices which were wired to the 160 channel amplifier setup at OU had few faults. Of 240 stripes examined two had disconnected wire bonds, and (due to crossover-fanout problems from the silicon disks at 2 x 80 = 160 $\mu$  spacing at 20 mil (1000 $\mu$ ) standard P.C. card traces) 7 pairs were shorted together. Thus 99 percent of the stripes worked.

Amplifiers

In setting up at M5 test beam in short order in mid-May, some amplifier channels failed or were too noisy and it was not possible to fix some of them. The SSD's were arranged in five planes on four quadrants (quadrant four has two detectors (1 and 2) on it). There are 152 stripes (16, 24, 32, 40, and 40 stripes were on planes 1, 2, 3, 4, 5 respectively) of the Y-SSD's connected (with 140 working channels) and in addition 8 - 1mm pitch x-stripes on a crossed SSD. The standard deviation of the noise of the amplifiers is less than 0.2fc (femto-coulombs; i.e., <1200 electrons) with the SSD's connected and the bias voltage (greater than a few volts) turned on. The devices were run with -80 volt bias generally (the 150 $\mu$  thickness fully depleted).

The Layout

An elevation view of the layout is shown in Fig. 1a. The data from the X-SSD and the East/West (E/W) counters has not been used in the analysis so far. A beam of 46 GeV/c pions from M5 triggered the data taking. The VETO counter has a  $1.0 \pm 0.1$  mm high (by 12 mm long) hole to define the beam size incident on the  $\leq 3.2$  mm (by 10 mm long) active area of the SSD's and target. The target is five

layers of 1.6 mm brass (1 mm x 3cm) spaced by 4.8 mm respectively as shown in Fig. 1a. A trigger was provided by  $F1 \cdot S1 \cdot \overline{VETO}$  to gate 168 channels of MCS 2280 ADC's, readout by a CROMEMCO computer onto 5" diskettes. An event is displayed in Fig. 1b. The VETO hole, SSD's 1-5 and S1 were aligned (translationally and rotationally) with a transit. Some alignment data runs were made to check it. Some few small adjustments were made. Final adjustments will be made in the final analysis in the software.

#### Preliminary Data Analysis

Some 2000 events have been partially analyzed at this time. A scattergram of the hits on SSD plane 4 vs SSD plane 5 is shown in Fig. 2. The enhancement on the diagonal from stripes 13 through 27 represents the shadow of the  $1.0 \pm 0.1$  mm high hole of the VETO on planes 4 and 5. The fifteen stripe width (13 to 27) is  $15 \times 0.08 = 1.2$  mm. The narrowness perpendicular to the diagonal shows that the alignments (translational and rotational) of the VETO and planes 4 and 5 are all good to 1 stripe width (80 $\mu$ ) over their 10 (to 12) mm lengths.

A scan for (interaction) event candidates (2 or more tracks pointing to the target with at least 3 points each) was made. These tracks were fitted and a vertex found (XV and ZV); an example was shown above in Fig. 1b. Plots of XV and ZV should show the height of the hole in the veto counter and the position of the brass target pieces respectively. The resolution DXV is better than 0.02 mm. The resolution DZV depends inversely on the opening angle of the tracks as well as on how far upstream the event occurred (the average opening angles get smaller for interactions occurring farther upstream). Please remember that the maximum opening angle is very small (averaging some 25 milliradians (less than 2 degrees!)).

The distributions in XV and ZV are shown in Fig. 3a and 3b. We see the VETO hole (Fig. 3a) and the downstream brass pieces (Fig. 3b) clearly. The upstream brass pieces are not resolved yet (horizontal bars in Fig. 3b represent the average DZV at the ZV). With greater statistics in the final analysis of the total sample we can cut on the larger opening angles (smaller DZV's) and see all the brass pieces. The slopes of the edges of the XV and ZV peaks will give an experimental measure of the resolution to compare to the (theoretical) calculated values (such as those printed out in Fig. 1b). At this level of statistics such agreement appears to exist.

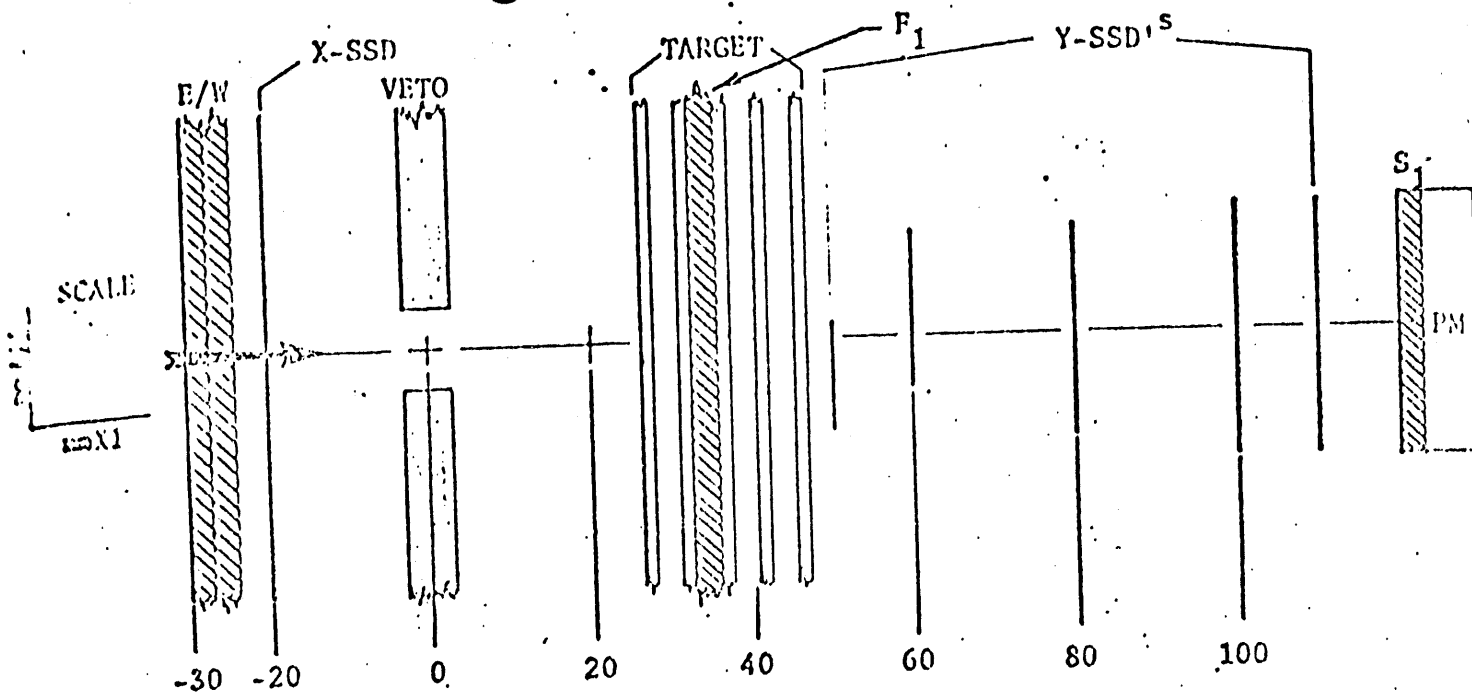


FIGURE 1A

AGAIN--THROWING OUT A POINT ?

OR RESTORE OR SAVE (D,R,S)

AGAIN--THROWING OUT A POINT ?

X--EV, NT, XV, DXV, ZV, DZV= 21 3 -0.015 0.018 40.849 0.535

2 XX> -1  
20 MM ++++++3+++++2+++++1+++++  
36 MM ++++++3+++++2+++++1+++++  
32 MM ++++++3+++++2+++++1+++++  
34 MM ++++++3+++++2+++++1+++++  
36 MM ++++++3+++++2+++++1+++++  
38 MM ++++++3+++++2+++++1+++++  
40 MM ++++++3+++++2+++++1+++++  
42 MM ++++++3+++++2+++++1+++++  
44 MM ++++++3+++++2+++++1+++++

TARGET

50 MM  
80 MM  
100 MM  
110 MM

```
*****
**      FILE 57  EVENT 21
** TRACK  ZMID  INTER  SLOPE  CHISO  # HITS
**   1    00.000  -9.750  -0.235  19.615  4.000
**   2    00.000   4.355   0.091   4.222  3.000
**   3    00.000  10.680   0.293  22.024  4.000
**   XV=  -0.015  -+   0.018
**   ZV=  40.849  -+   0.535
*****
```

WITH ANOTHER FILE

FIGURE 1B

AGAIN WITH ANOTHER FILE

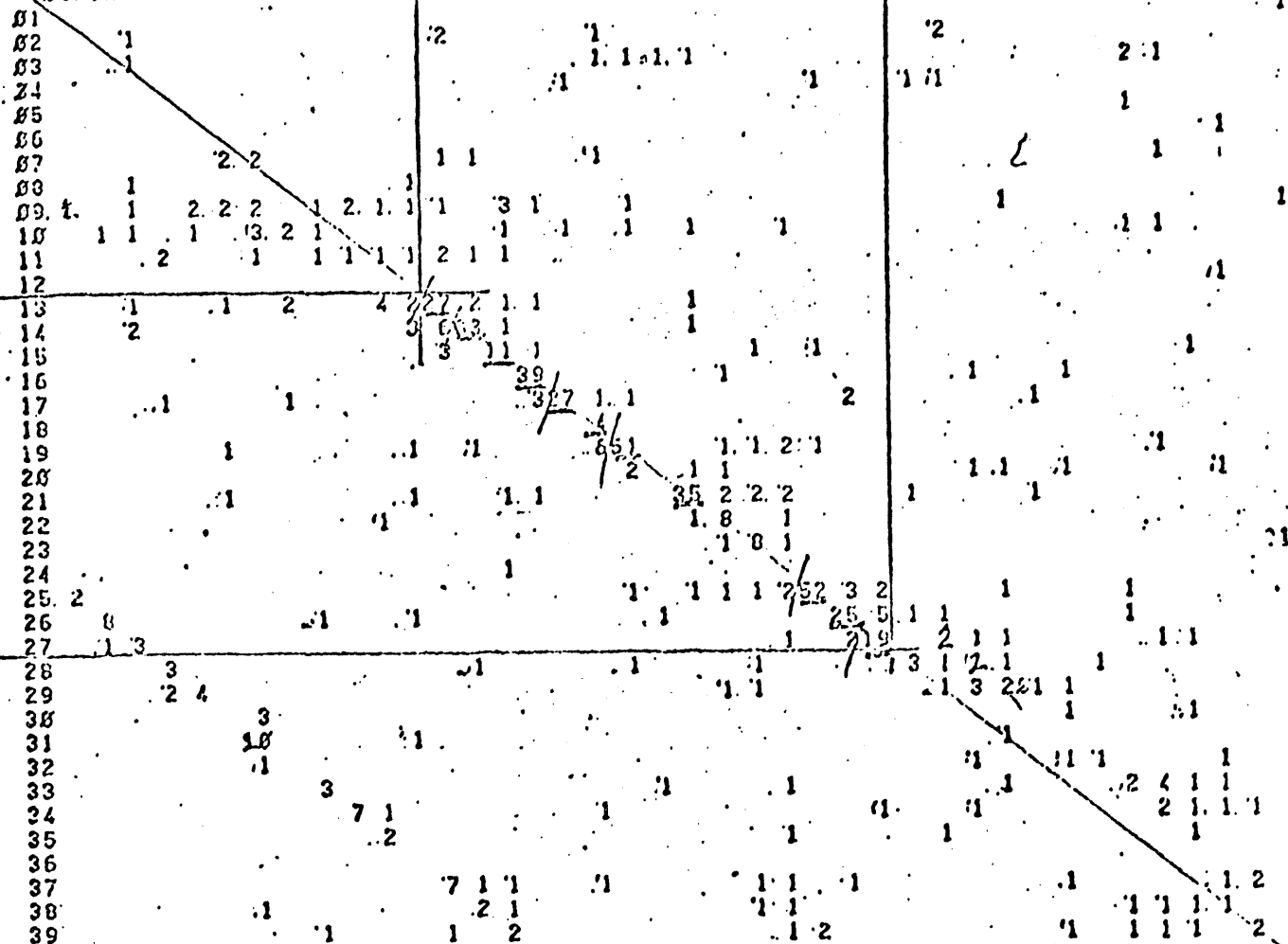
DISKFILE?

68 + 11 + 12 + 13 + 14 + 15 + 16 + 17 + 18 + 19 + 20 + 56,  
SCATTERGRAM

PLANE 2 >

PLANE 1

01 02 03 04 05 06 07 08 09 10 11 12 13 14 15 16 17 18 19 20 21 22 23 24 25 26 27 28 29 30 31 32 33 34 35 36 37 38 39 40



SINGLE HIT EVENTS-PLANE

39	554	312	356	119	39	472	78	1259	1824
69	339	2038	3694	822	1598	1923	436	3484	1952
213	629	429	159	2933	1076	1848	546	624	675
668	595	666	744	155	48	703	358	547	8

SINGLE HIT EVENTS-PLANE

57	710	469	392	313	313	817	155	272	398
118	668	2198	3810	1576	3114	1691	1384	2011	157

FIGURE 2

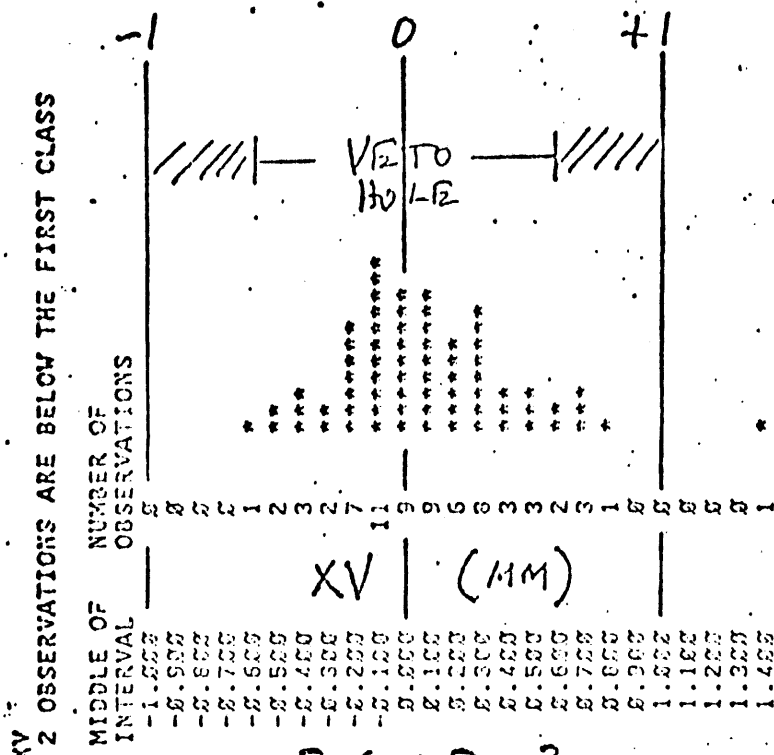


FIGURE 3a

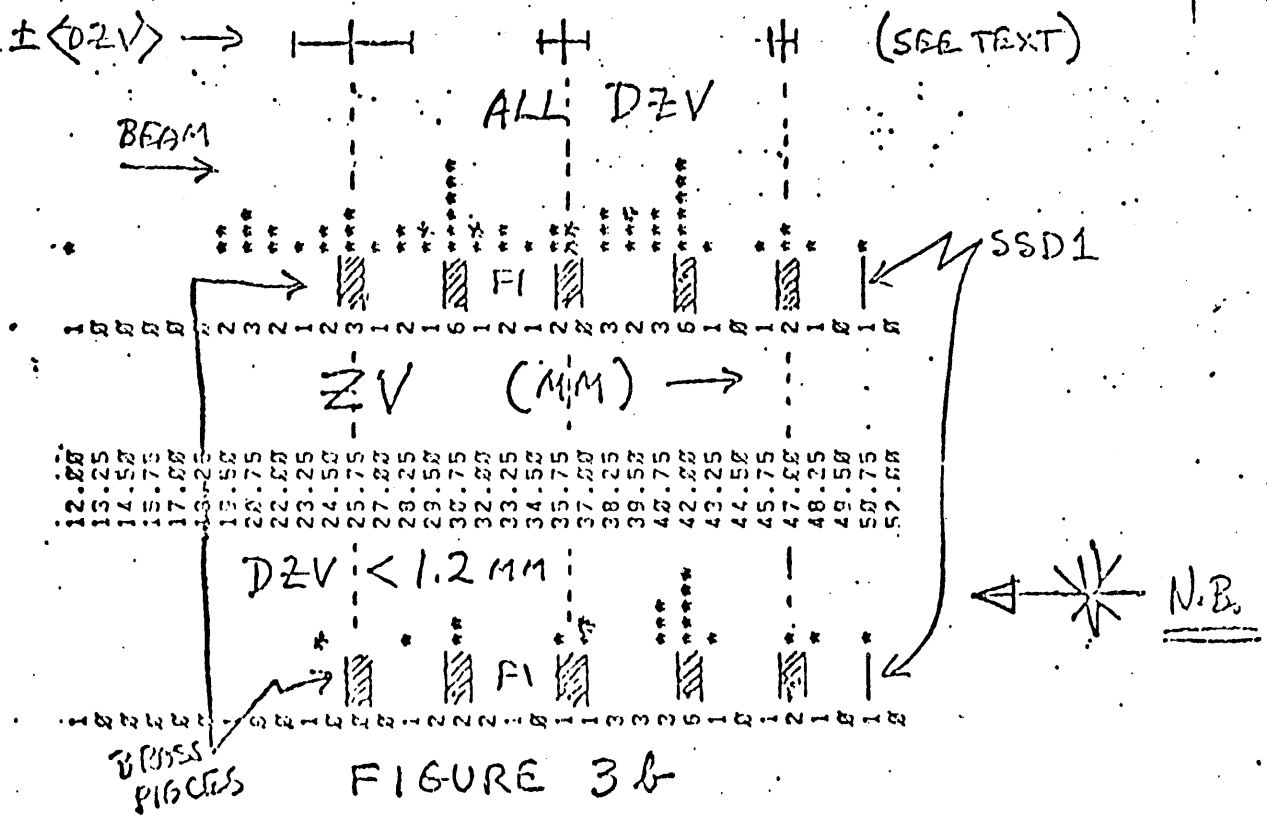


FIGURE 3b



OU-HIEP MEMO #4

(GRK)

May 16, 1983

(REV. 5/29/83)

# Beam Testing of Centronic Charge Sharing SSD's

Three  $24 \times 36 \text{ mm}^2$  Centronic detectors, 20 micron pitch (12 micron stripes and 8 micron gaps), bonded out every third stripe (alternate sides) and 300 microns thick were tested in 650 MeV/c proton and 600 MeV/c pion beams at LAMPF, Los Alamos (December 1982).

Figure 1 a. show the pulse height from one arbitrary stripe compared to the sum of pulse heights ( $Q_1+Q_2$ ) for hit pairs. We see that charge sharing occurs. The  $Q_{12}$  signal is incomplete (80 percent) and somewhat wider than expected (10-20 percent). Figure 1 b. shows the collected charge from  $Q_{12} + Q_{23}$  neighbors (the stripes adjacent immediately either side) compared to the expected distribution (Landau including noise and beam momentum spread). The  $Q_{123}$  pulse height is 25 percent greater than  $Q_{12}$  alone, and the  $Q_{123}$  pulse shape and width agree with theory.

Three point proton and pion tracks (the three detectors were spaced 7 and 7 mm apart respectively) are being studied.

The deviation of the position coordinate of the middle plane from a line joining the hits on the outer planes has a distribution with a standard deviation (sigma) of 18 microns for protons, and 14 microns for pion tracks.

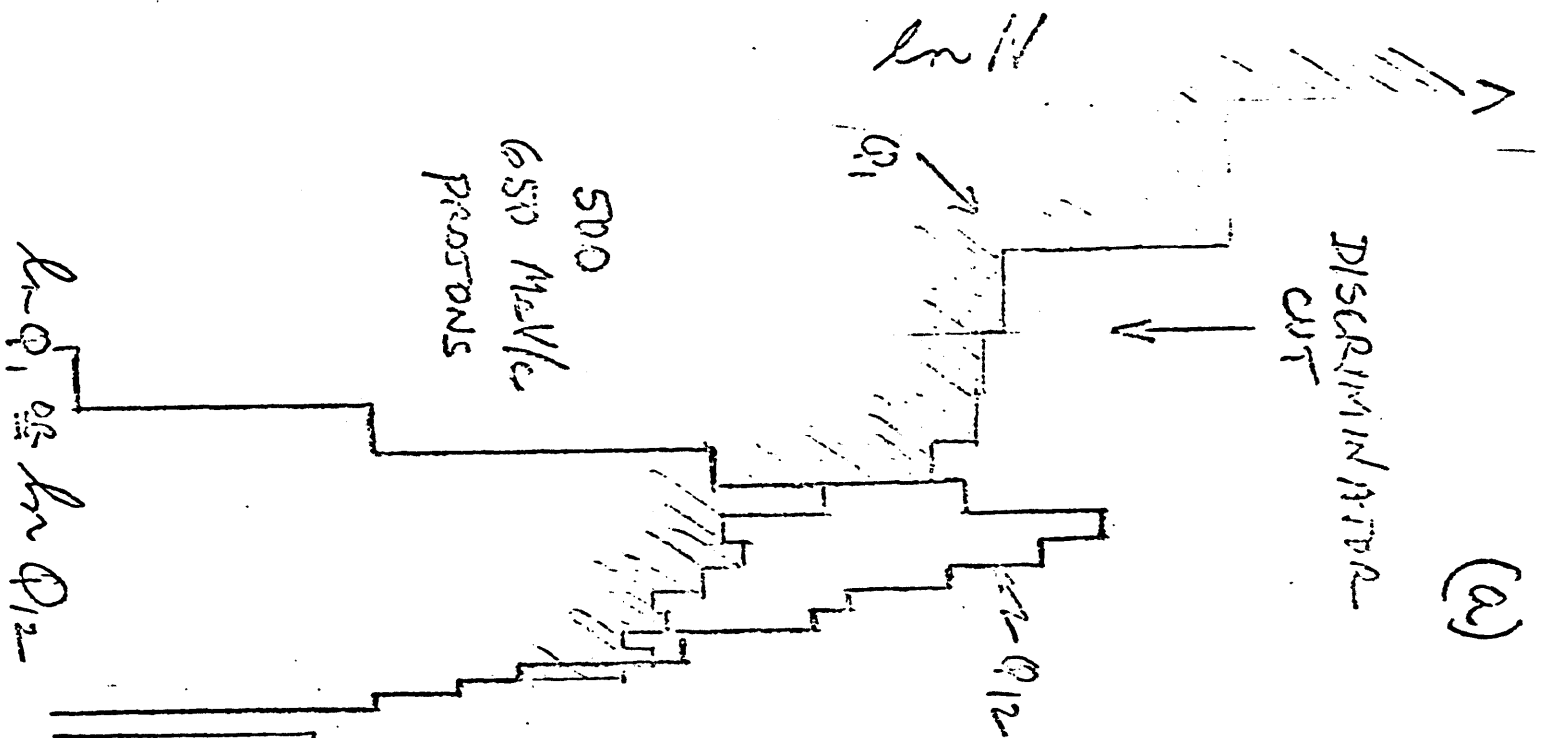
This compares with an expected sigma of:

$$\begin{aligned}\sigma(\text{proton}) &= (1.5 \sigma_m^2 + \sigma_{MS}^2 + \sigma_A^2 + \sigma_{CS}^2)^{1/2} = \\ &= (1.5 \times 6^2 + 10^2 + 4^2 + 5^2)^{1/2} = 14 \text{ microns},\end{aligned}$$

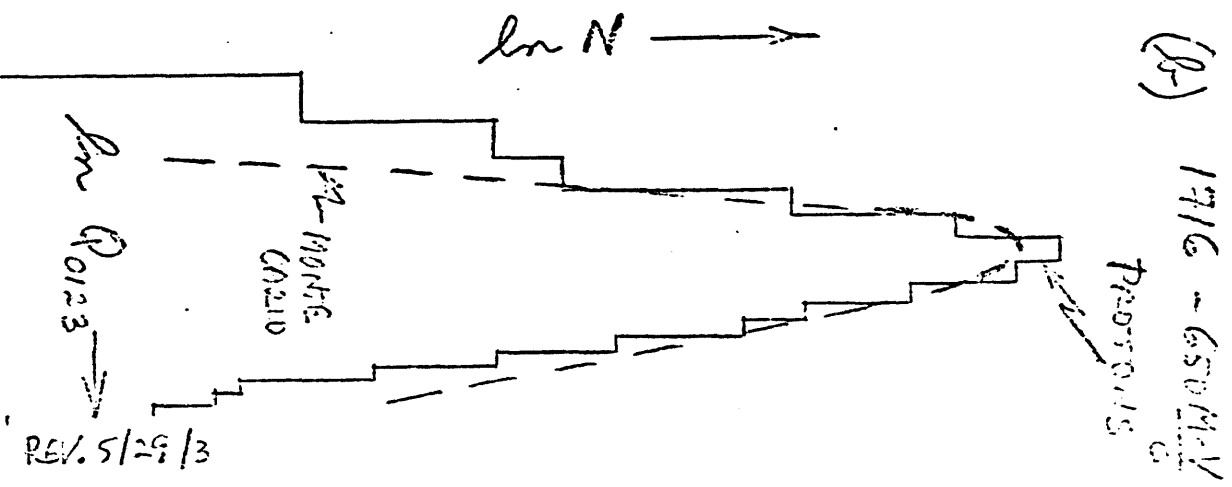
and  $\sigma(\text{pion}) = (1.5 \times 6^2 + 5^2 + 4^2 + 5^2)^{1/2} = 11 \text{ microns}$ ,  
where  $\sigma_m$  = measurement sigma,  $\sigma_{MS}$  = multiple scattering sigma,  $\sigma_A$  = alignment error and  $\sigma_{CS}$  = error from the simple charge sharing algorithm. Or, "unfolding", we find " $\sigma_m$ " less than or equal to 11 (9) microns for protons (pions) respectively. We note that the hit efficiency is better than 98 percent.

We see from the charge collection and track deviations that charge sharing occurs, although we have not yet achieved the theoretical optimum spatial resolution.

(a)



(b)



REV. 5/29/3

Figure 1  
Normal vs. Charge Q via Charge Division  
Readout (Electronic Detectors)

## Further Results on the LBL SSD's

A set of five LBL 1cm long x 48 stripes at 80 micron pitch, with every stripe readout and 150 microns thick were tested at 46 GeV/c at Fermilab and with 650 MeV/c protons and 550 MeV/c pions at LAMPF during summer 1982. Most of these results were presented at L. Ledermans 10-25-82 E-653 Director's Review.

The track point accuracy (via chi-square distributions) was shown to obey the  $(\text{pitch}/(12)^{1/2})$  standard deviation within ten percent. The charge collection was shown, see Figure 2, to match the theoretical Landau+noise+momentum spread expectation, when the 10-20 percent collected by the neighbors was added in (ie Q012 shown is bigger and narrower than the Q1 distribution alone). The VERTEX RECONSTRUCTION was discussed, but it was not documented in detail.

46 GeV/c pions interacting in five copper sheets 1.7 mm thick spaced 5.0 mm apart and starting 5 mm from the most upstream SSD were recorded. These events were scanned for on an online VAX display and interactively fitted to straight line tracks. The largest opening angles subtended by the array (3 mm at a distance of 6.5 cm) is 50 milliradians (about 3 degrees). The X and Z of the vertex were calculated by the intersection of the 2,3 and 4 tracks of each event. A crude propagation of errors gave DX and DZ also. A Monte Carlo of the five copper target pieces and the DZ distributions gives the predicted Z vertex distribution. The experimental distribution of the 194 events having DZ less than 1.2 mm (as calculated) are compared to the Monte Carlo<sup>a</sup> in Figure 3. The agreement is satisfactory. Thus, as concluded at Leon's Review, vertex reconstruction as claimed in our proposal can be done.

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a) The errors DZ have been increased in the Monte Carlo by a factor of 1.25.

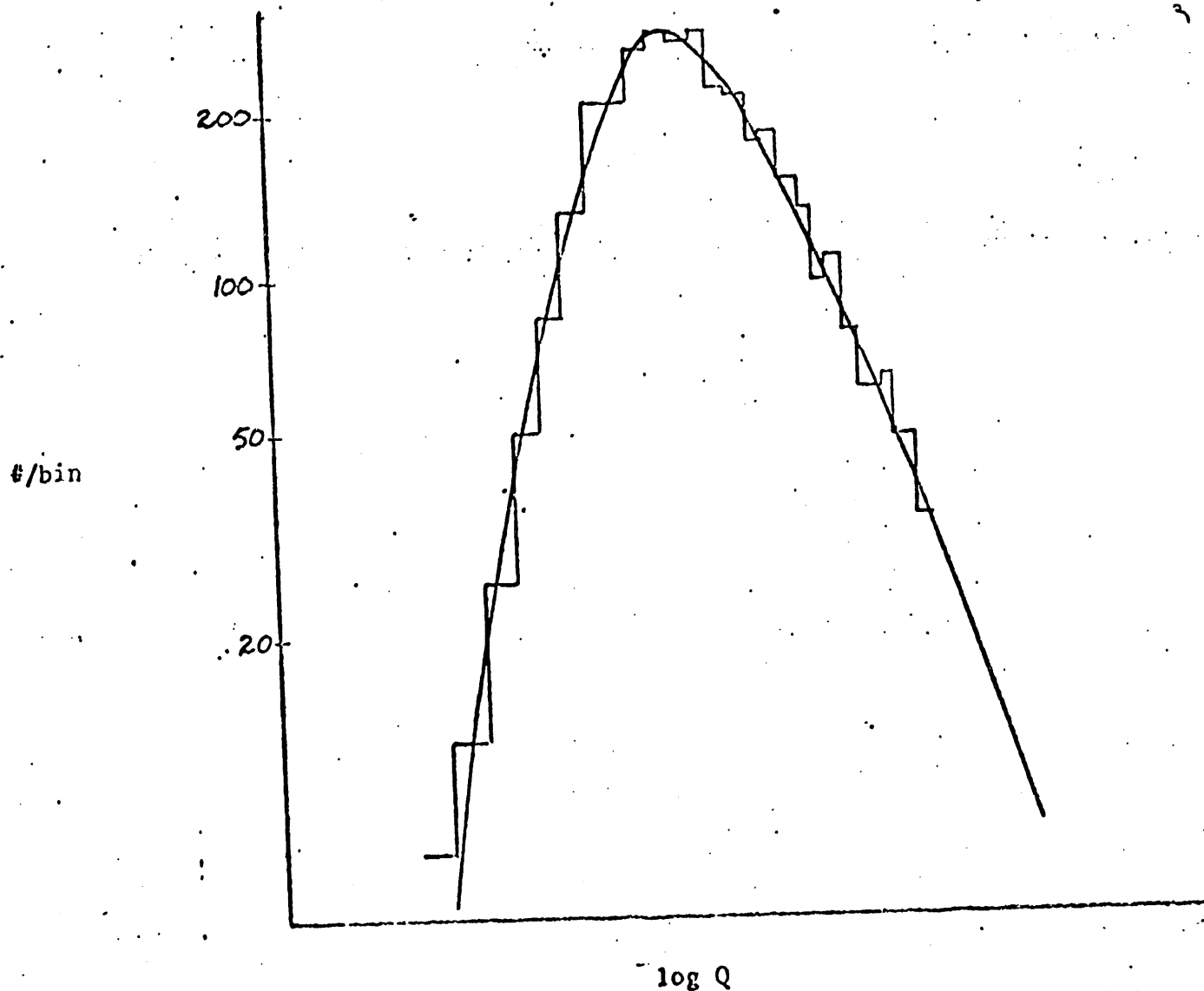


Figure 2  
Charge Distribution (Q012)  
3905 Tracks, 650 MeV/c Protons  
(LBL - EVERY LINE READOUT)

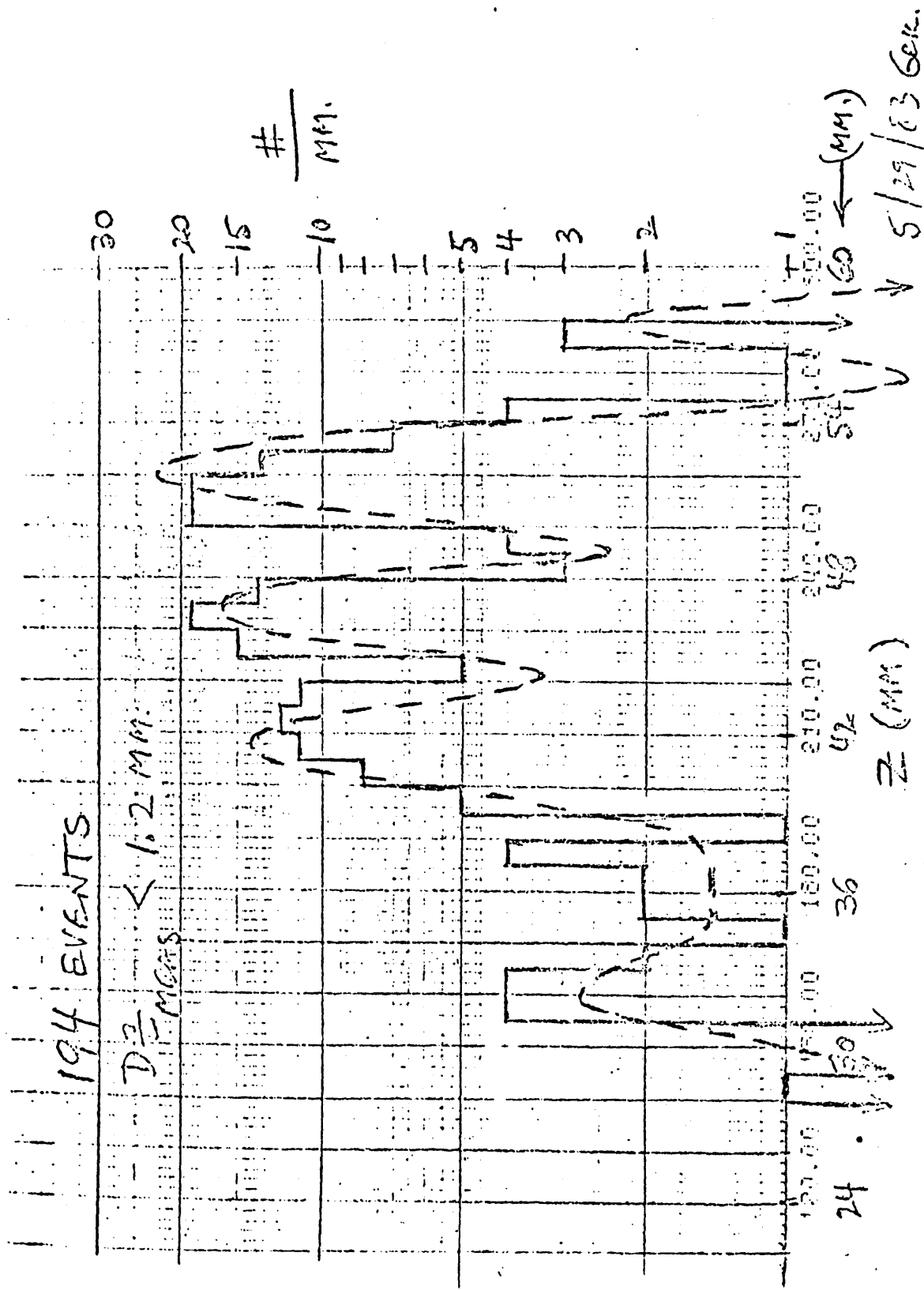


FIG. 3 - "LBL" VERTICES

OU-HEP MEMO #10

TIME-OF-FLIGHT SCINTILLATOR TESTS

S. Willis and S. Wold

9/16/83

## TIME-OF-FLIGHT SCINTILLATOR TESTS

Tests of attenuation lengths and light output were made on three types of scintillator being considered for use in the E653 time-of-flight system.

- |           |                      |
|-----------|----------------------|
| 1. NE102A | 2" x 2" x 67"        |
| 2. PS12   | 1.75" x 2.375" x 35" |
| 3. PS10   | 1" x 4" x 35"        |

The attenuation length measurement setup consisted of the scintillator being tested, with a phototube on each end (56AVP), and a trigger counter, 8" x 3", also with a phototube on each end. The two trigger tubes were put in coincidence, and the trigger counter placed crosswise on the scintillator at various distances from the ends. Because much of the trigger counter did not overlap the scintillator, the pulse height distribution was quite wide, although it was adequate for the purpose.

The pulse height was measured at five points along each scintillator, and the signals at both ends were analyzed. The attenuation lengths here are the averages of those found from each end.

- |           |        |
|-----------|--------|
| 1. NE102A | 138 cm |
| 2. PS12   | 68 cm  |
| 3. PS10   | 157 cm |

From these results, the PS10 scintillator appears to be slightly better than the NE102A. However, all three pieces were received from the manufacturers with two sides cast and two rough; the rough sides were polished by the shop, but the results were not very good. The PS10 piece has the 4" sides cast, so a smaller fraction of light is lost in reflections along the length than in the NE102A. Since the NE102A looks similar to the PS10, it is probably somewhat



better. (This agrees with the manufacturers' data). Attempts to repolish the NE102A were not particularly successful.

The light output measurements were made with an improved trigger setup and a different phototube, Amperex XP2230, on the tested scintillator. This measurement was only performed on the NE102A. The trigger consisted of two small scintillators, one above and one below, the tested scintillator. These two were put in coincidence, and were arranged so that particles had to traverse the entire thickness of the scintillator. This gave a very nice Landau distribution of pulse heights. Then the end of the scintillator was covered, leaving a small hole. Few enough photons came through this hole that the number of photoelectrons could be measured by the width of the peak. The results are as follows:

<u>Hole</u>	<u>FWHM/peak</u>	<u>N(PE)</u>	<u>N(PE)/mm<sup>2</sup></u>
4 x 4 mm	0.87	6.7	0.42
5 x 6 mm	0.61	13.4	0.45

Averaging these two and extrapolating to the full 50 x 50 mm area of the end of the scintillator gives 1100 photoelectrons. The number which go into the 2" round phototube is 850. The pieces for E653 will be 1.5" instead of 2"; the number of photoelectrons arriving at the phototube in that case is 650.

The attenuation length of this scintillator was remeasured using this trigger; the result was 147 cm, in agreement with the previous measurement.

OU-HEP MEMO #12

OU Analysis of Centronics Charge Sharing SSD's

By

G. R. Kalbfleisch and L. Palmer

Fall 1983

## OU Analysis of Centronics Charge Sharing SSD's

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by

Dr. G.R. Kalbfleisch and L. Palmer

Sept. 16, 1983

revised Oct. 3, 1983

Data Analysis of three 24mm x 36mm x 300 micron Centronic detectors, 20 micron pitch (12 micron stripes and 8 micron gaps), bonded out every third stripe (alternate sides) which were tested in 650 MeV/c proton and 600 MeV/c pion beams at Lompf, Los Alamos (December 1982) has concluded at OU. Areas of interest in this Analysis include: checking of pulse heights of single stripes, hit pairs and hit quads vs theoretical values; resolution of three point proton/pion tracks; and characterization of Centronic devices by charge sum/difference plots of hit pairs.

### Charge Collection on Centronic Detectors

Plots 1 and 2 show the pulse height for the sum of pulse heights ( $Q1 + Q2$ ) for proton and pion hit pairs (a 10 sigma cut imposed on proton pairs and a 5 sigma cut imposed on pion pairs) with no pair/quad having a dead neighbor. The pair and quad plots were generated from all proton and pion data at appropriate sigma cuts. Plots 3-6 show a breakdown of pulse heights for proton and pion hit pairs "Inside" and "outside" describe the position of a particle with respect to the instrumented vs non-instrumented stripes ("inside" is between or near two non-instrumented stripes while "outside" is near an instrumented stripe). Notice

that "inside" plus "outside" add to give the hit pair plots (shown in plots 7 and 8). Plots 9 and 10 show the collected charge from Q12 + Q03 neighbors forming proton and pion hit quads for all proton and pion runs. The Q12 signal for protons is nearly complete (same height as Q0123) but somewhat wider than Q0123 signal. The Q12 signal for pions is slightly incomplete and also somewhat wider than Q0123. Q0123 pulse height for protons and pions are plotted with theory plots with pulse heights dashed and with theory shown as solid lines on plots 11 and 12 (theory curves are of 650 MeV/c protons and 600 MeV/c pions with .19 fc noise folded in). Included with the pion plot are the theory curves with larger noise values folded in (.30 fc and .38 fc as shown). Notice that the quad plots agree fairly well with the theory plots but are slightly wider than theory predicts (especially in the pion case).

#### Characterization of Centronic Devices

Plots 13 (proton) and 14 (pion) are scatterplots of Centronics detector #1 (#2 is similar while #3 is nearly dead) for  $Q1 + Q2$  vs  $Q1 - Q2$  with no charge sharing algorithm correction ( $x=1$ , where  $x$  is the value multiplied by the member of a hit pair with the least charge). These plots show the sum of the gain corrected charge of adjacent (neighboring) stripes which pass a sigma cut plotted against the difference in charge for the pair. Charge sharing for protons occurs but only about 30 percent of the time (i.e. 30 percent of observed pairs had a neighbor with greater than 10 percent of the collected charge). Pions show charge sharing only about 35 percent of the time (i.e. 35 percent of observed pairs had a neighbor with greater than 10 percent of the collected charge). Notice that other charge

sharing algorithm correction values have the effect "smearing out" the scatterplot (see plots 15-17 for protons and 18-20 for pions) and result in charge sharing percentages as follow:

proton	$x=\sqrt{2}$	=>	32 %
	$x=2$	=>	42 %
	$x=4$	=>	53 %

pion	$x=\sqrt{2}$	=>	44 %
	$x=2$	=>	53 %
	$x=4$	=>	68 %

Large values of  $x$  (2 and 4) are unphysical and inconsistent with charge collection ratios which are close to theory without the correction. Plots 21-24 show  $\text{mean}(Q1 - Q2/Q1 + Q2)$  vs  $\text{sigma}(Q1 - Q2/Q1 + Q2)$  for protons and pions at various correction values for the charge sharing algorithm. These plots show on average that most channels behave the same way (i.e. those clustering around a mean value of zero give uniform  $(Q1 - Q2/Q1 + Q2)$  values over the range of -1 to 1 as indicated by the sigma shown). Those means outside of the cluster are weak or neighbors of dead channels as they appear as always "on" (high mean values) or always "off" (negative mean values).

Since the method described above cannot be explained physically other tests were made on the data and cuts involving the position of  $Q1-Q2$  vs  $Q1+Q2$  as well as the sigma of  $(Q1-Q2/Q1+Q2)$  were made. Plot 25 shows  $Q1-Q2$  vs  $Q1+Q2$  as a scatterplot with points above 2500 and points below 1200 on the  $Q1+Q2$  axis removed. This had little or no effect on the "horns" of the histogram of  $Q1-Q2/Q1+Q2$  as shown. Plots 26 and 27 show plots of  $Q1-Q2$  vs  $Q1+Q2$  for values of  $Q1$  and  $Q2$  with the sigma of  $(Q1-Q2/Q1+Q2)$  greater

than 0.55 (determined from plot 21). Notice that these plots are better than the  $x=1$  plots (plots 13, 14) for both protons and pions insofar as charge sharing occurs to a greater extent (45 percent for protons compared to  $x=1$  case of 30 percent for protons). Notice also that the sigma cut plots are for centronics #2 since when the cut was imposed both centronics #1 and centronics #3 displayed few or no channels which passed the cut. This is not surprising for centronics #3 since it has few good channels but is rather unexpected for centronics #1 since it has nearly as many "good" channels as centronics #2.

#### Proton and Pion "Window" analysis

Plots 28-30 and diagrams 1 and 2 describe the three centronic detectors over a region of non-dead channels (the non-dead "window"). This window was found by removing individual channels which did not have a statistically good charge pulse shape or which were dead completely. Diagrams 1 and 2 show typical proton and pion 3 point track displays (upper is a coarse display while lower is a blowup of the event). The blowups show charge sharing occurring on centronics #1 and #3 while no charge sharing occurs on plane #2 (for both protons and pions - coincidental). Charge pair sum vs

charge pair difference plots are shown for all "window" protons (plot 28) and pions (plot 29) and it can be seen that charge sharing occurs in this region approximately 5 percent more often than in general (35 percent for protons and 40 percent for pions with no charge sharing algorithm correction factor). Plots 30 a and b show mean  $(Q1-Q2/(Q1+Q2))$  values verses  $\sigma(Q1-Q2/(Q1+Q2))$  for protons and pions in the "window". Notice that this small "window"

still has some useful channels.

### Resolution of Centronic Detectors

The "window" region needs to be used for the determination of the resolution of the Centronic detectors (since a region of good channels over all three detectors is necessary). Three point proton and pion tracks (detectors were spaced 7 and 7mm apart respectively) have been studied in this "window". Plots 31a and 32a show the deviation of the position of a hit pair on centronics 2 from hit pairs on centronics 1 and 3 versus the number of the active scintillator for the 3 point track. The general slope of the plots can be attributed to the orientation of the 3 scintillators. The deviation of the position coordinate of the middle plane from a line joining the hits on the outer planes then has a distribution with standard deviation (sigma) of 15.3 microns for proton tracks, and 14.9 microns for pion tracks. This compares with an expected sigma of:

$$\begin{aligned} \sigma(\text{proton}) &= (1.5^2 \sigma_M^2 + \sigma_S^2 + \sigma_A^2 + \sigma_C^2)^{1/2} = \\ &= (1.5^2 6^2 + 10^2 + 4^2 + 5^2)^{1/2} = 14 \text{ microns} \end{aligned}$$

$$\text{and } \sigma(\text{pion}) = (1.5^2 6^2 + 5^2 + 4^2 + 5^2)^{1/2} = 11 \text{ microns}$$

where  $\sigma_M$  = measurement sigma,  $\sigma_S$  = multiple scattering sigma,  $\sigma_A$  = alignment error and  $\sigma_C$  = error from the simple charge sharing algorithm.

On "unfolding", we find " $\sigma_M$ " less than or equal to 5 (10) microns for protons (pions) respectively. We note the hit efficiency is better than 98 percent. Thus the resolution of 3 point proton tracks is slightly better than theory, while 3 point pion track resolution is slightly worse. In both cases the use of a "correction factor" in the charge

sharing algorithm had no positive effect (see plot 31b for correction of  $x=2$  for protons and plot 32b for  $x=\sqrt{2}$  for pions ( $x$  is described in the Characterization section)).

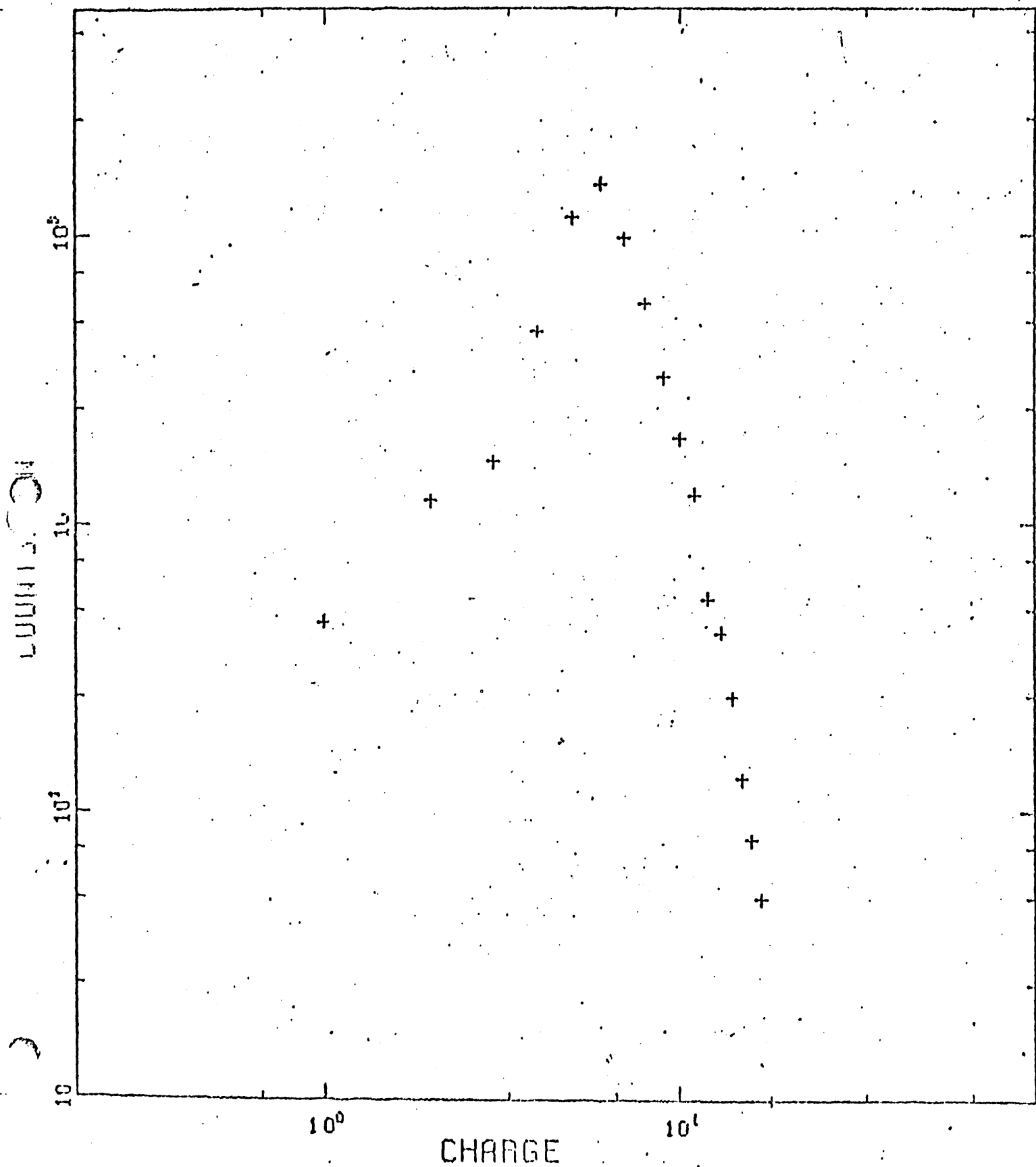
#### Data Analysis Program

Diagram 3 shows a flow control diagram of the data analysis program used at OU. The initialization portion of the program sets runtime parameters, defines a reorganization map, reads a pedestal file, and reads a gain file. The main loop reads an event, reorganizes the raw data, calls the statistics package (if desired), and enters the hit analysis subroutine. The hit analysis subroutines checks each active stripe and decides if any pair or quad hits are present and further if these pairs or quads form a 3 point track after charge sharing has been determined. Results of the run are displayed as the main loop exits by subsequent calls to the statistics and histogram packages. The program is written entirely in fortran and program listings are available under separate cover.



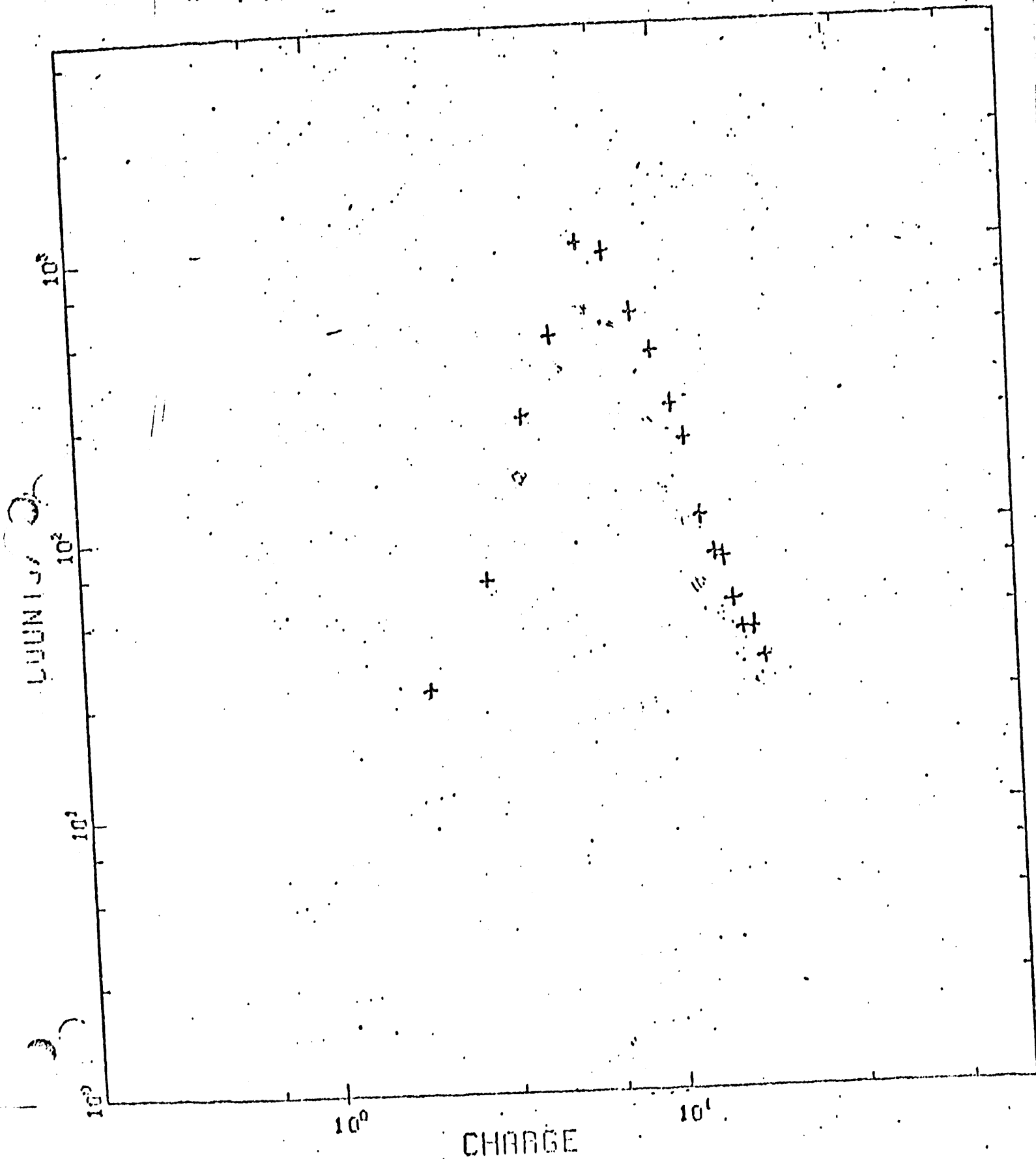
#1

P PAIRS [261+262+271+272]



#2

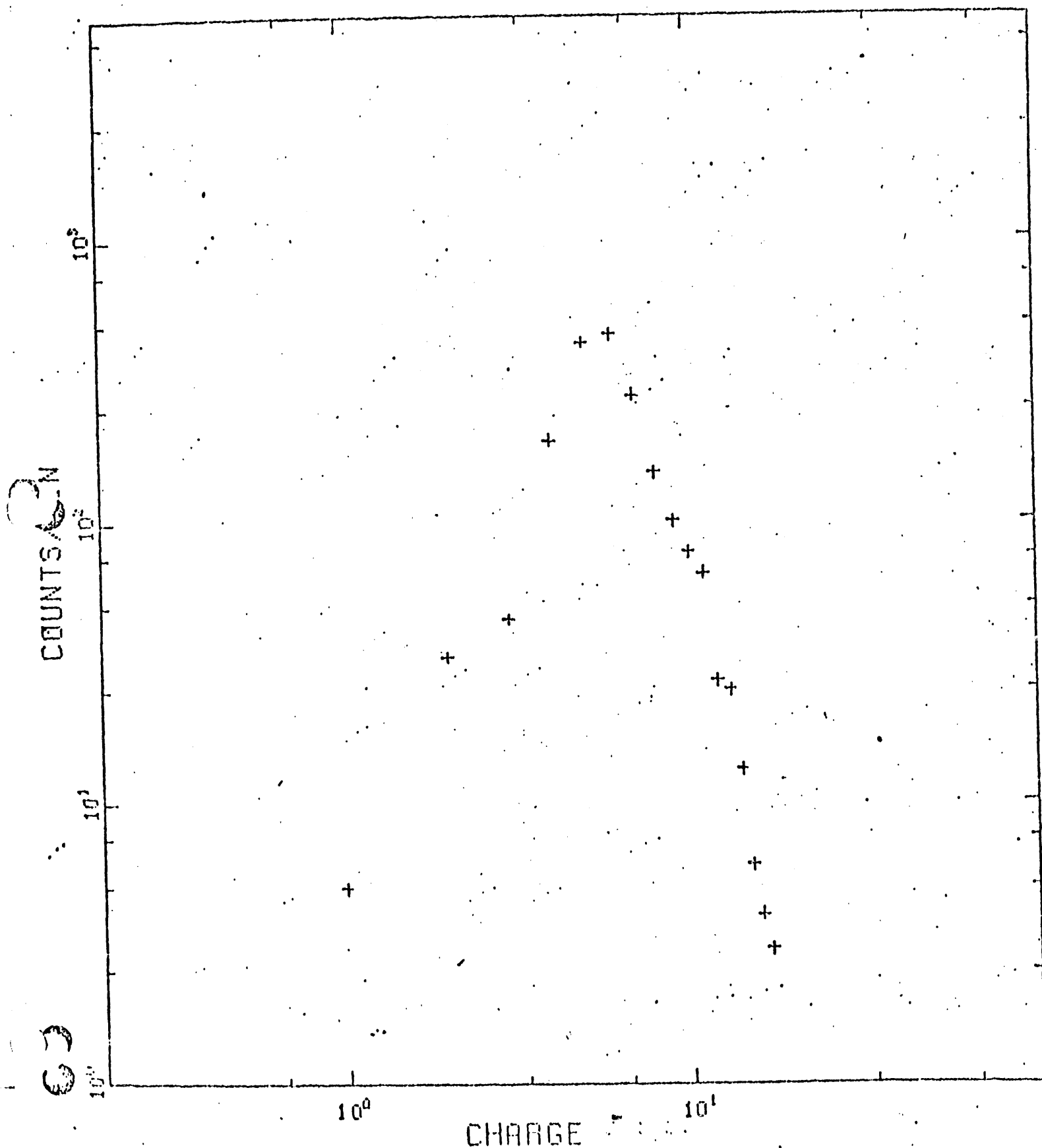
Log-log Plot of  
π PAIRS [261+262+271+272]



#13

Log-log Plot of

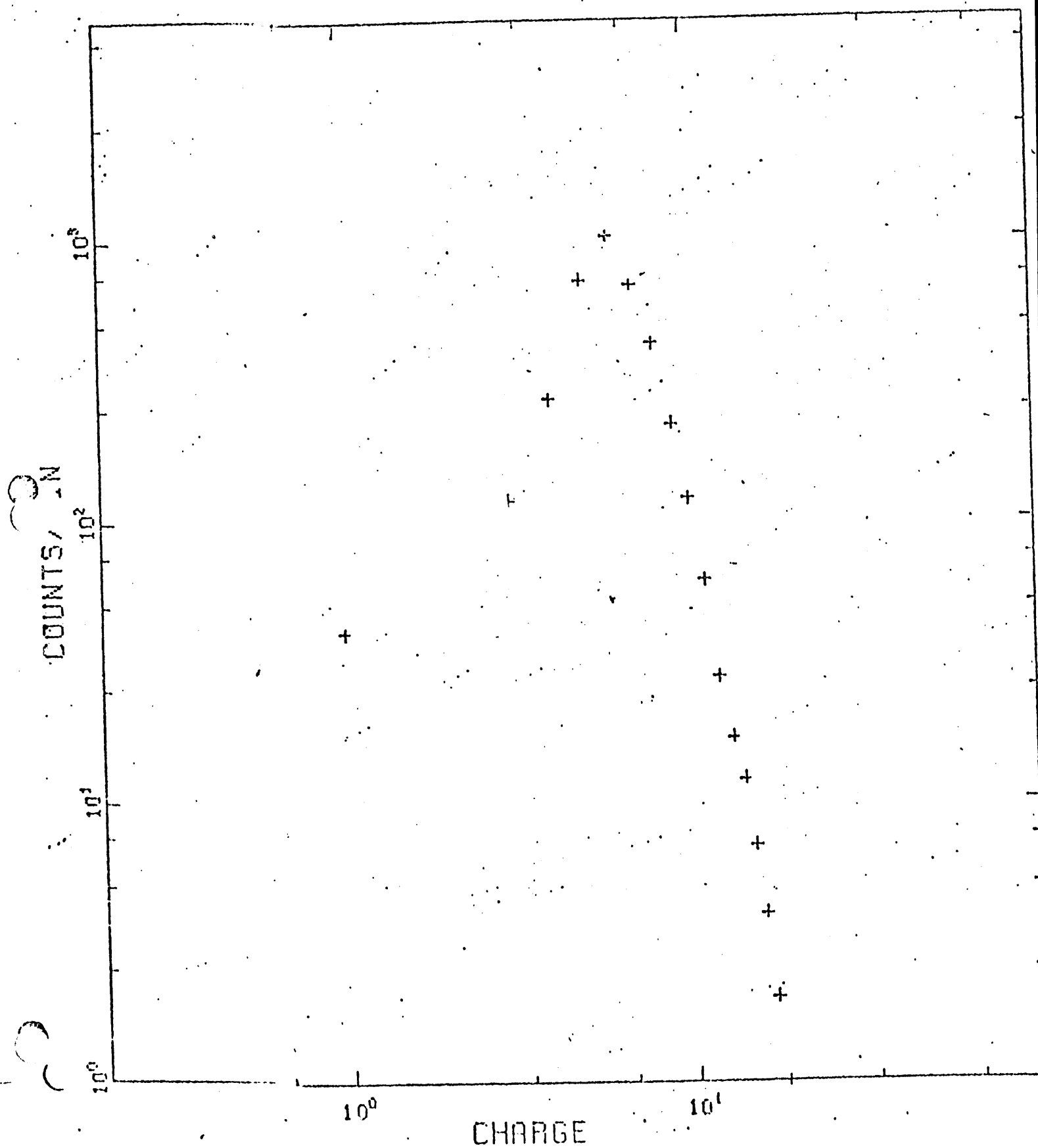
10SIGMA P [261+262] INSIDE\*



\* Carbonate at 1 day old

#4

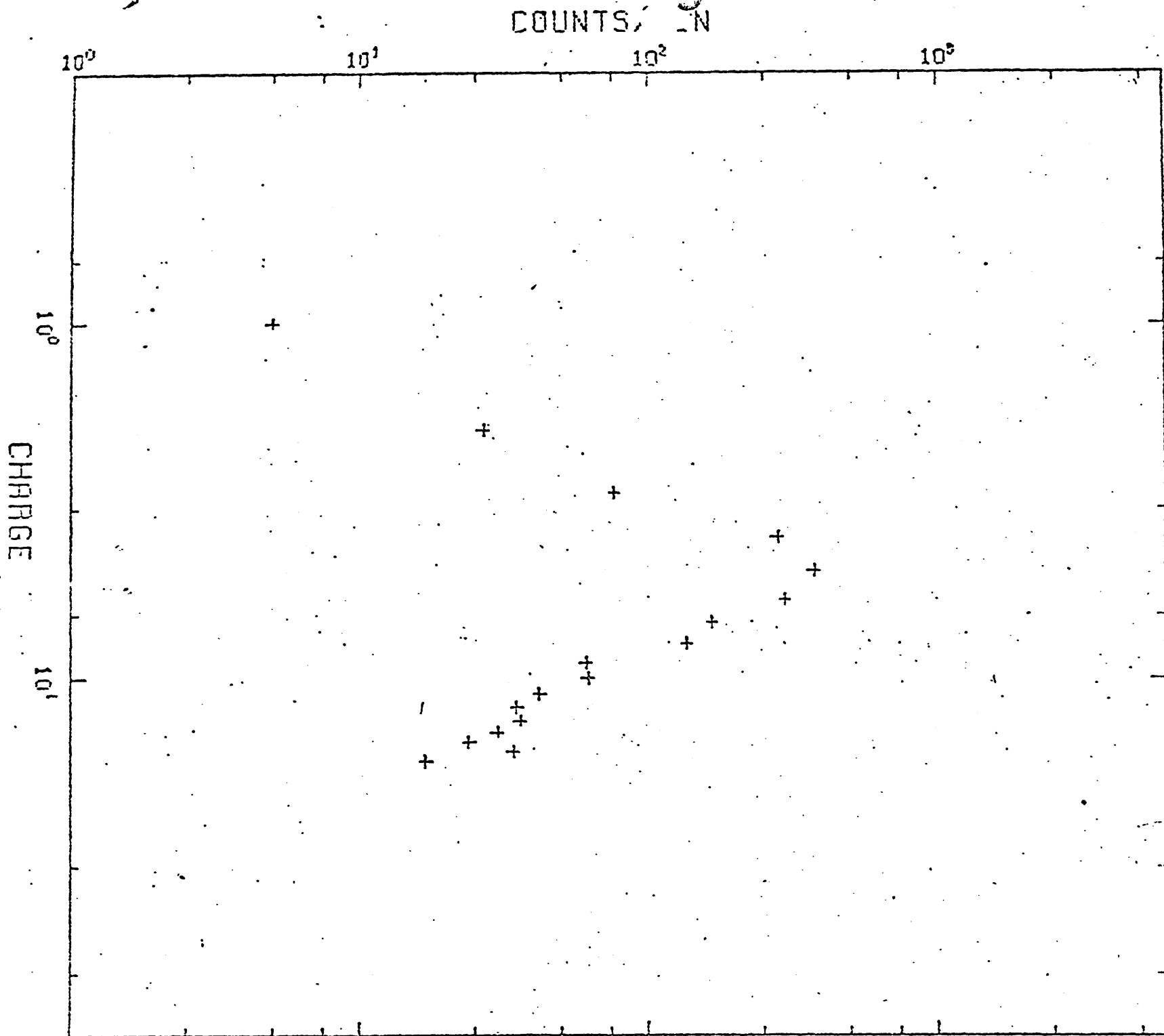
Log-log Plot of  
10 SIGMA P [271+272] OUTSIDE \*



#HS

5 SIGMA  $\leftarrow$  [261+262] INSIDE \*

$\log - \log$  Plot of

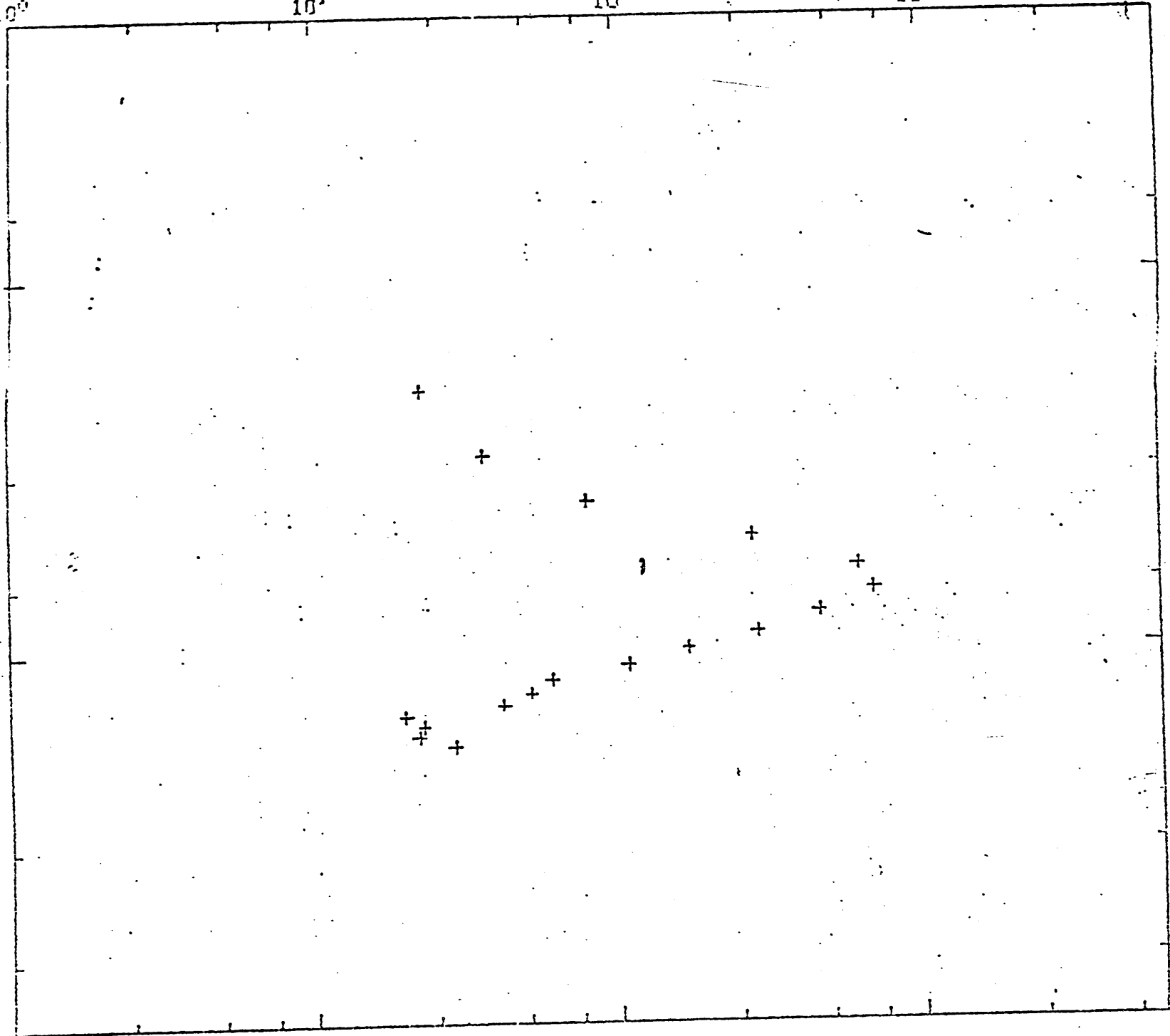


COUNTS/N

CHARGE

5 SIGMA  $\mu$  [271+272] OUTSIDE\*

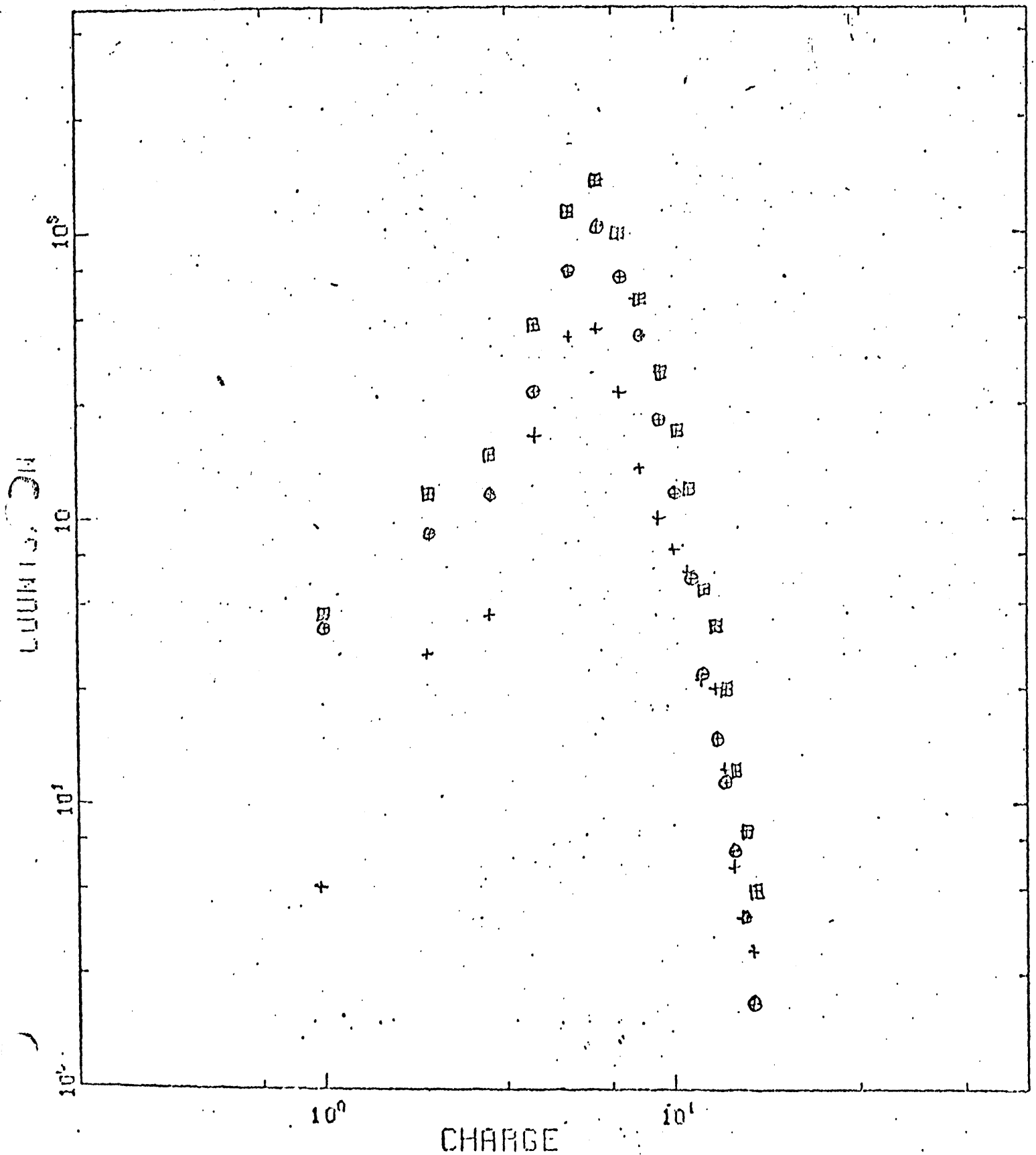
log-log Plot of



44-1

# Log-log Plot of 10 Sigma Proton Pairs

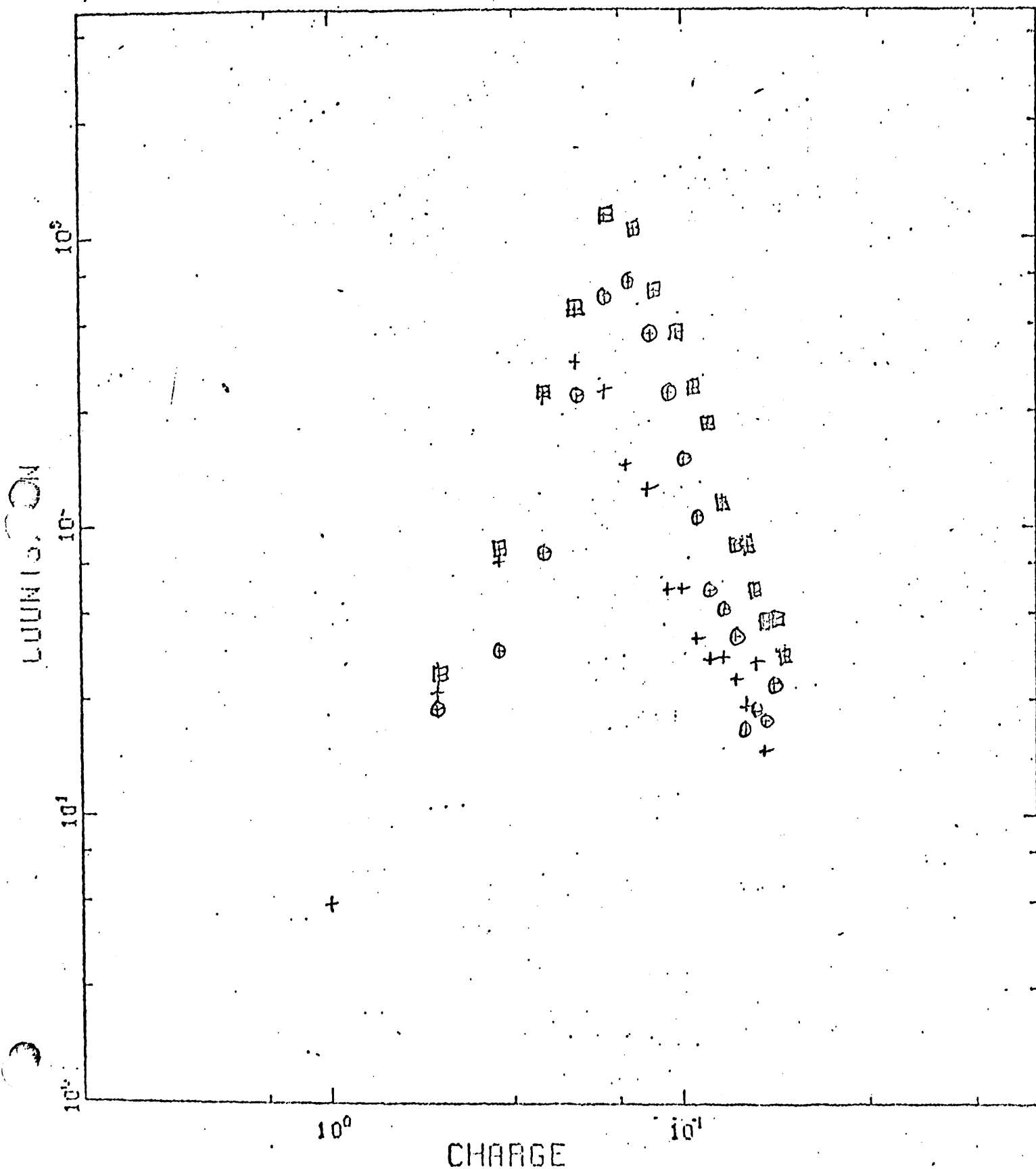
$\boxplus$  - Total  
 $\oplus$  - outside  
 $+$  - inside



#8

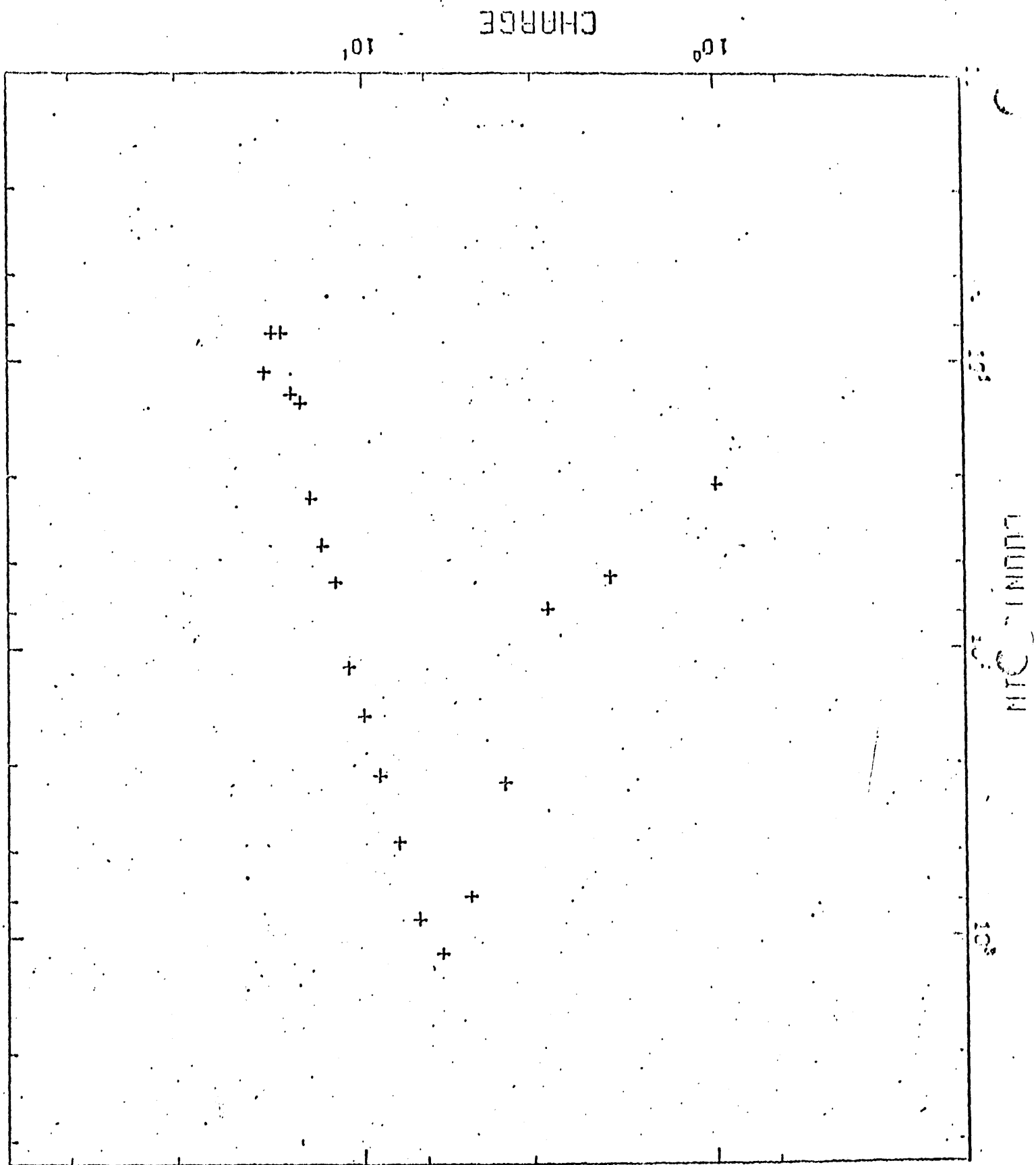
# Log-log Plot of Sigma Pion Pairs

■ - Total Pair  
 ⊕ - Outside Pair  
 + - Inside Pair



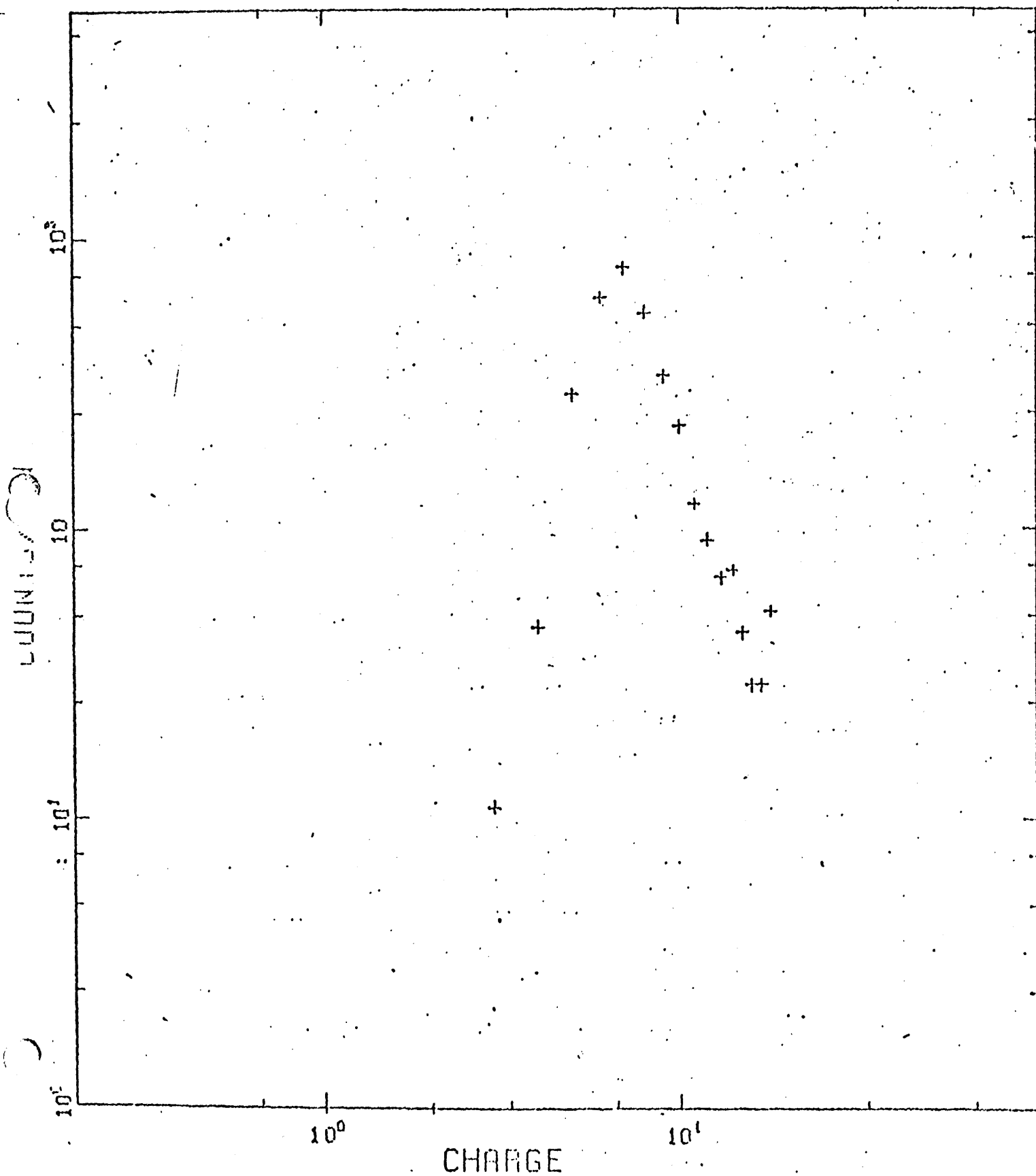


P QUADS [264+265+274+275]



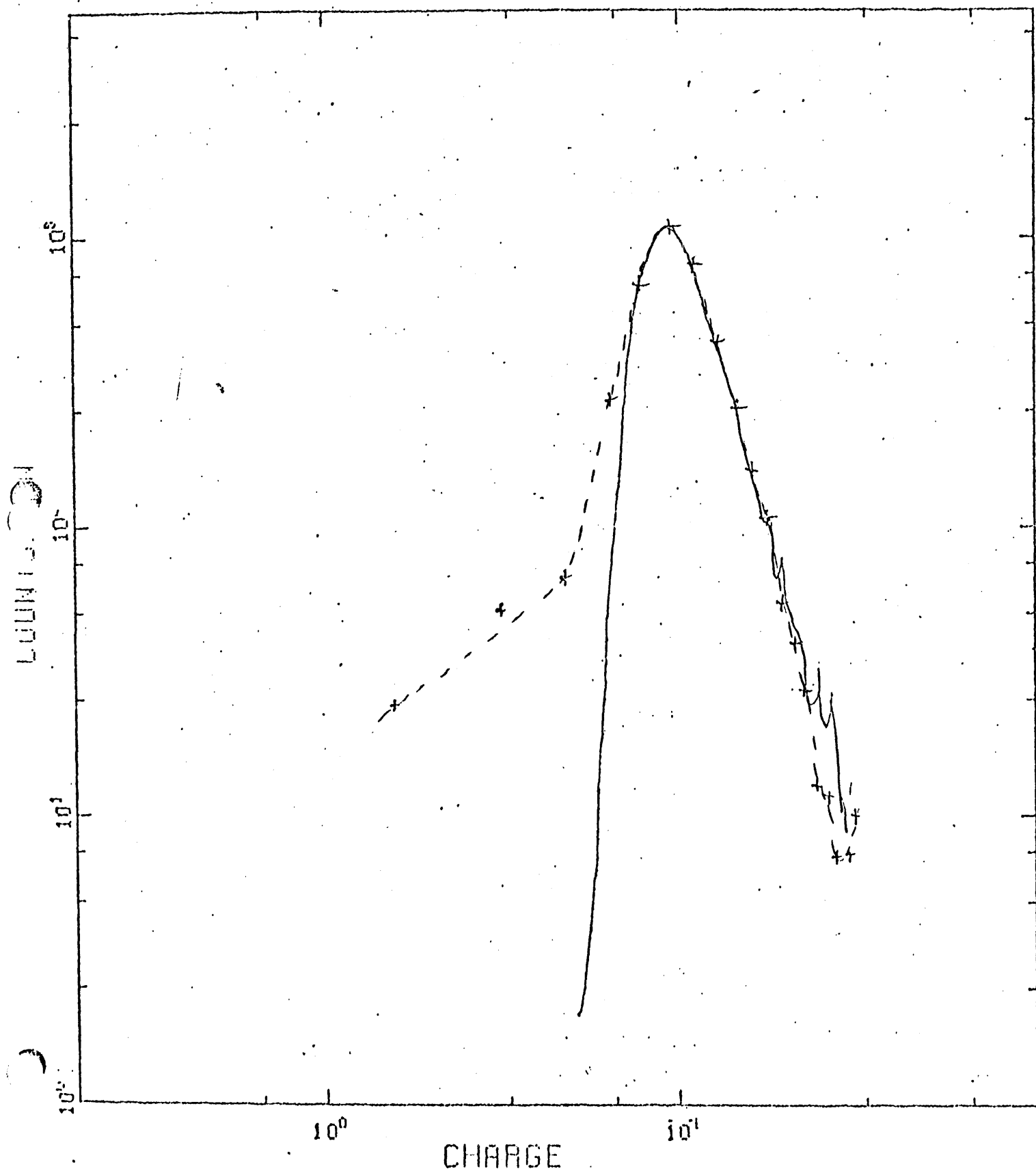
#10

$\pi$  QUADS [264+265+274+275]

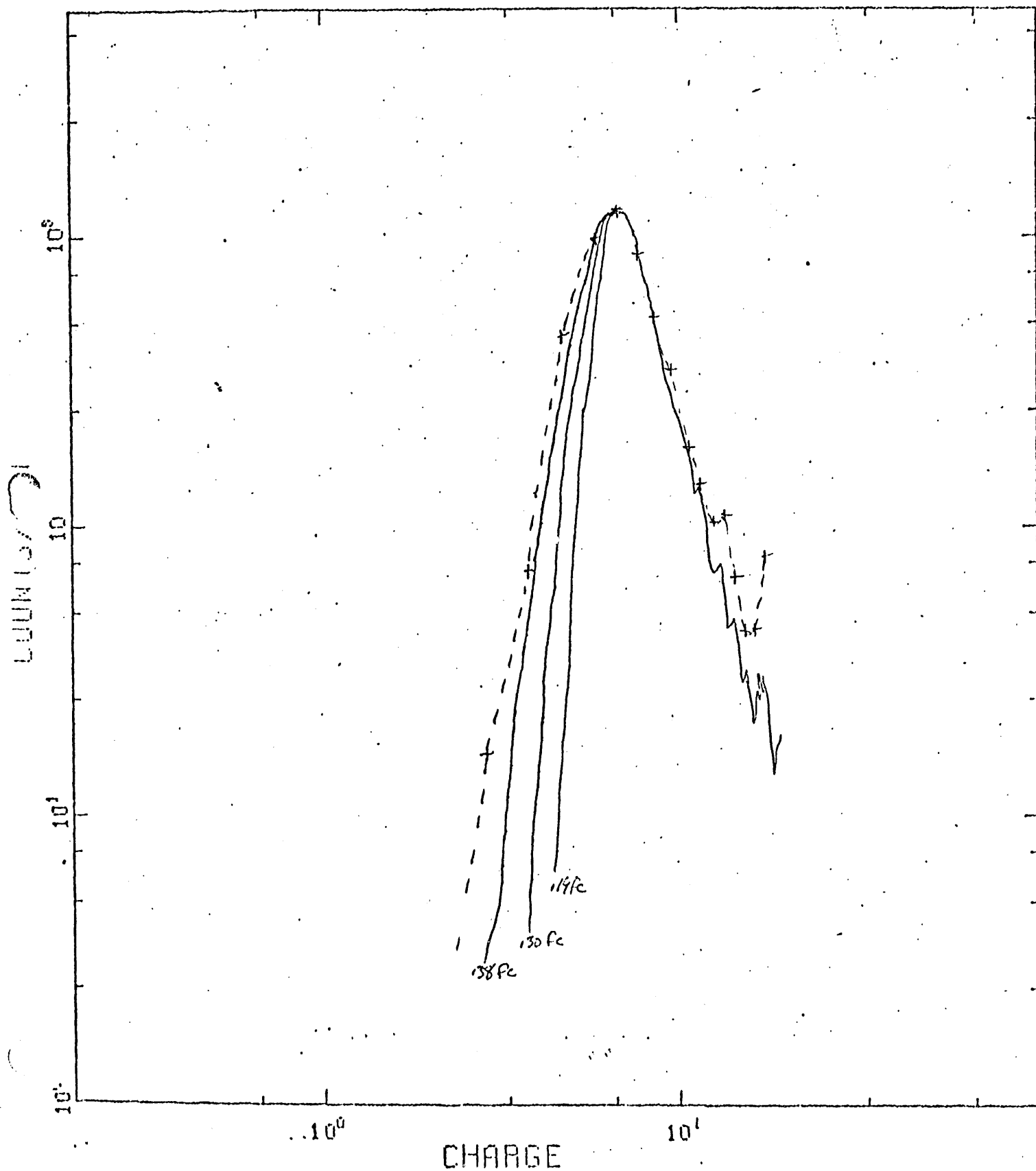


Protons 105 Quads - - - + -

650 MeV/c Protons (noise = .19 pc) —



Pion 50 Reads - + -  
 600 MeV/c PIONS (noise = .19 f.c.  
 .30 f.c.  
 .39 f.c.)



Centronics #1

$Q_1 + Q_2$

3600.      -2400.      -1200.      0.      1200.      2400

$$Q_1 - Q_2$$

All Protons 105

$$X = 1$$

Scatter plot of  $Q_1 + Q_2$  vs  $Q_1 - Q_2$

5 Histogram of  $Q_1 - Q_2 / Q_1 + Q_2$

CC EACH \* REPRESENTS 10 OBSERVATIONS

NUMBER OF  
OBSERVATIONS

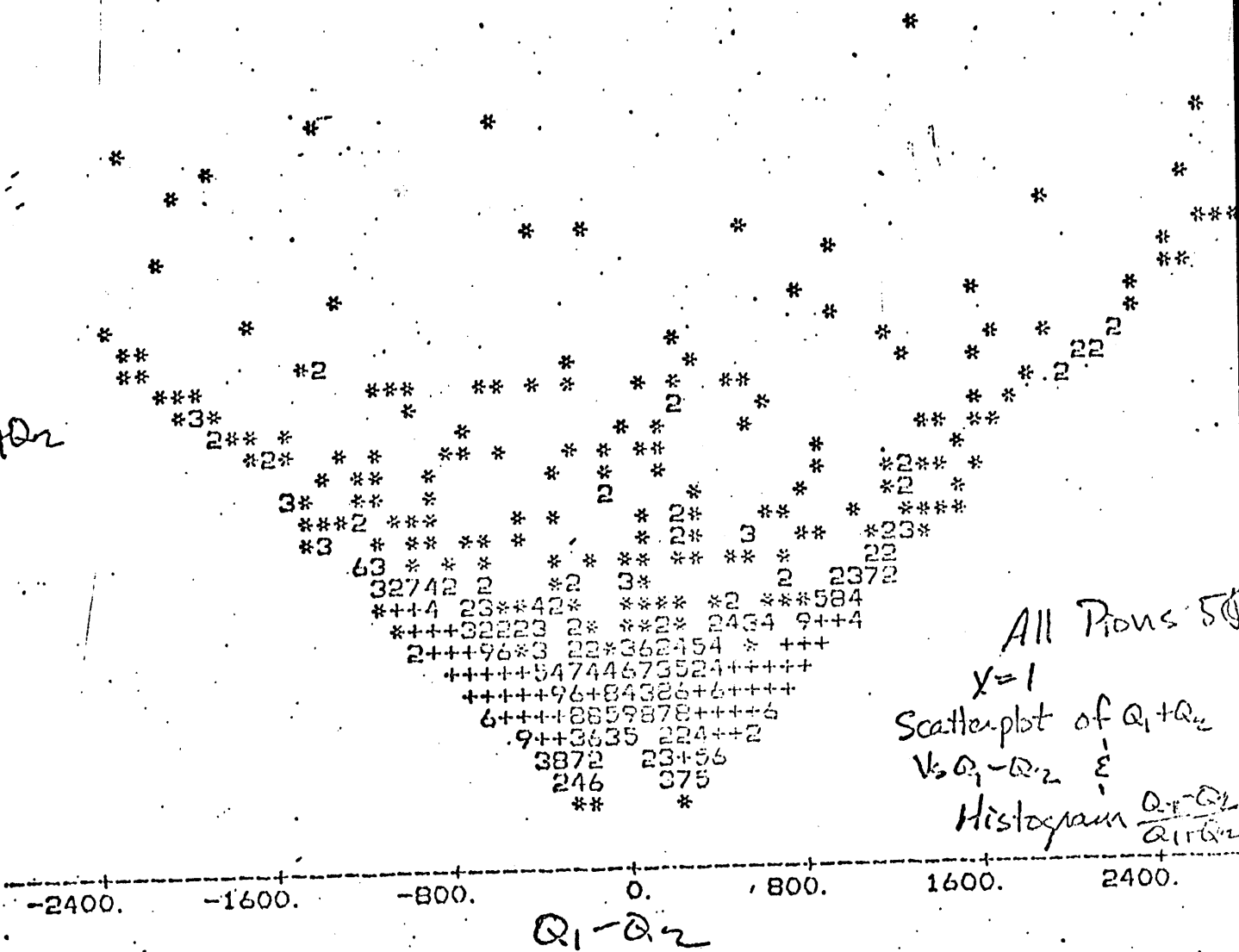
$$Q_1 - Q_2$$

0102

#14

# Centronics #1

$Q_1 + Q_2$



All Pions 50  
X=1  
Scatter plot of  $Q_1 + Q_2$   
vs  $Q_1 - Q_2$   
Histogram  $\frac{Q_1 - Q_2}{Q_1 + Q_2}$

MIDDLE OF  
INTERVAL

NUMBER OF  
OBSERVATIONS

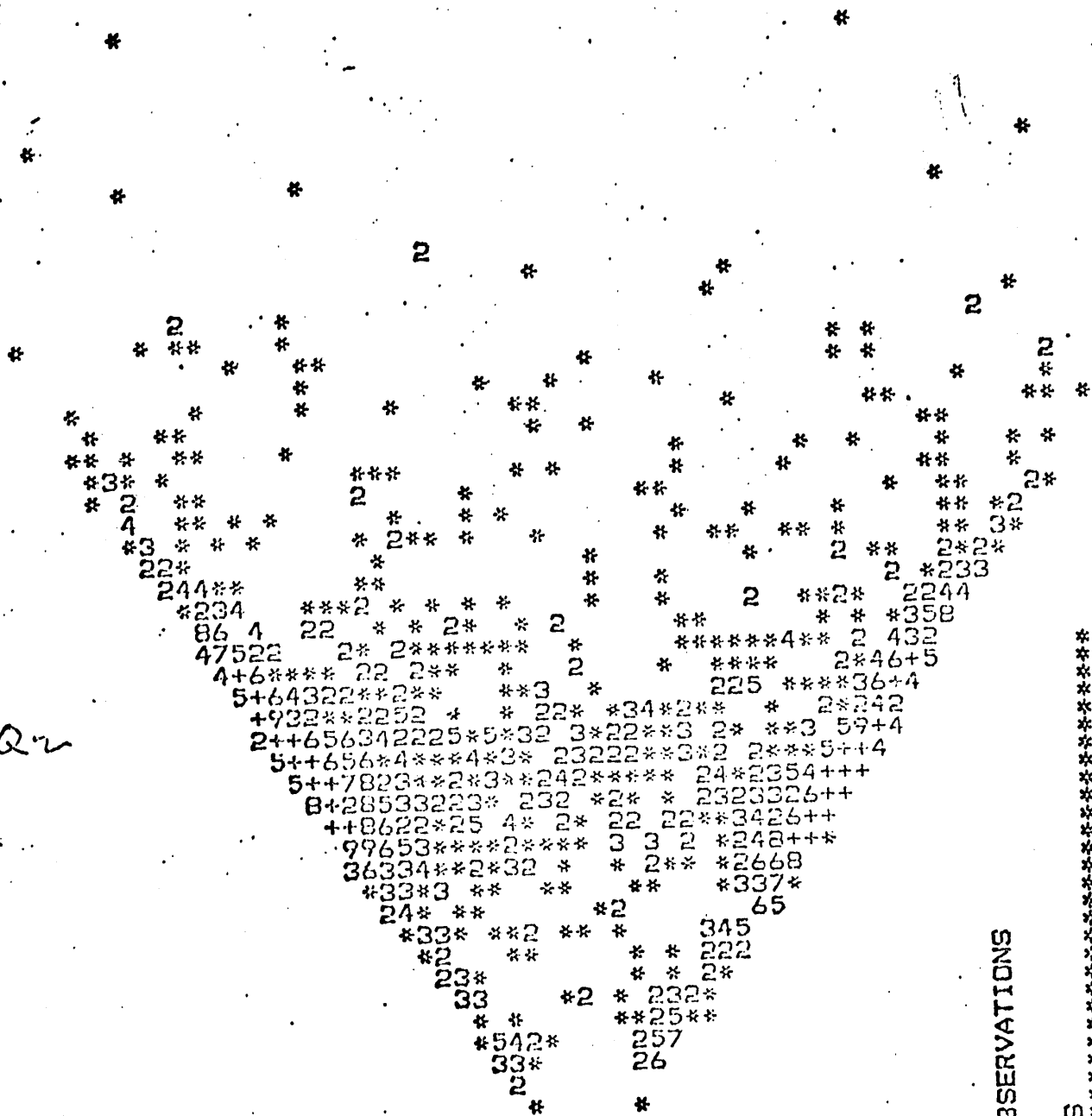
-1.000  
-0.900  
-0.800  
-0.700  
-0.600  
-0.500  
-0.400  
-0.300  
-0.200  
-0.100  
0.000  
0.100  
0.200  
0.300  
0.400  
0.500  
0.600  
0.700  
0.800  
0.900  
1.000

102  
240  
136  
86  
72  
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$\frac{Q_1 - Q_2}{Q_1 + Q_2}$

# Centronics #1


$$Q_1 + Q_2 + \dots + Q_n$$

-----+-----+-----+-----+-----+

1600.      -2400.      -1200.      0.      1200.      2400.

$$Q_1 - Q_2$$

All Protons 105

$$X = \sqrt{Z}$$

Scatterplot of  $Q_1 + Q_2$  vs  $Q_1 - Q_2$

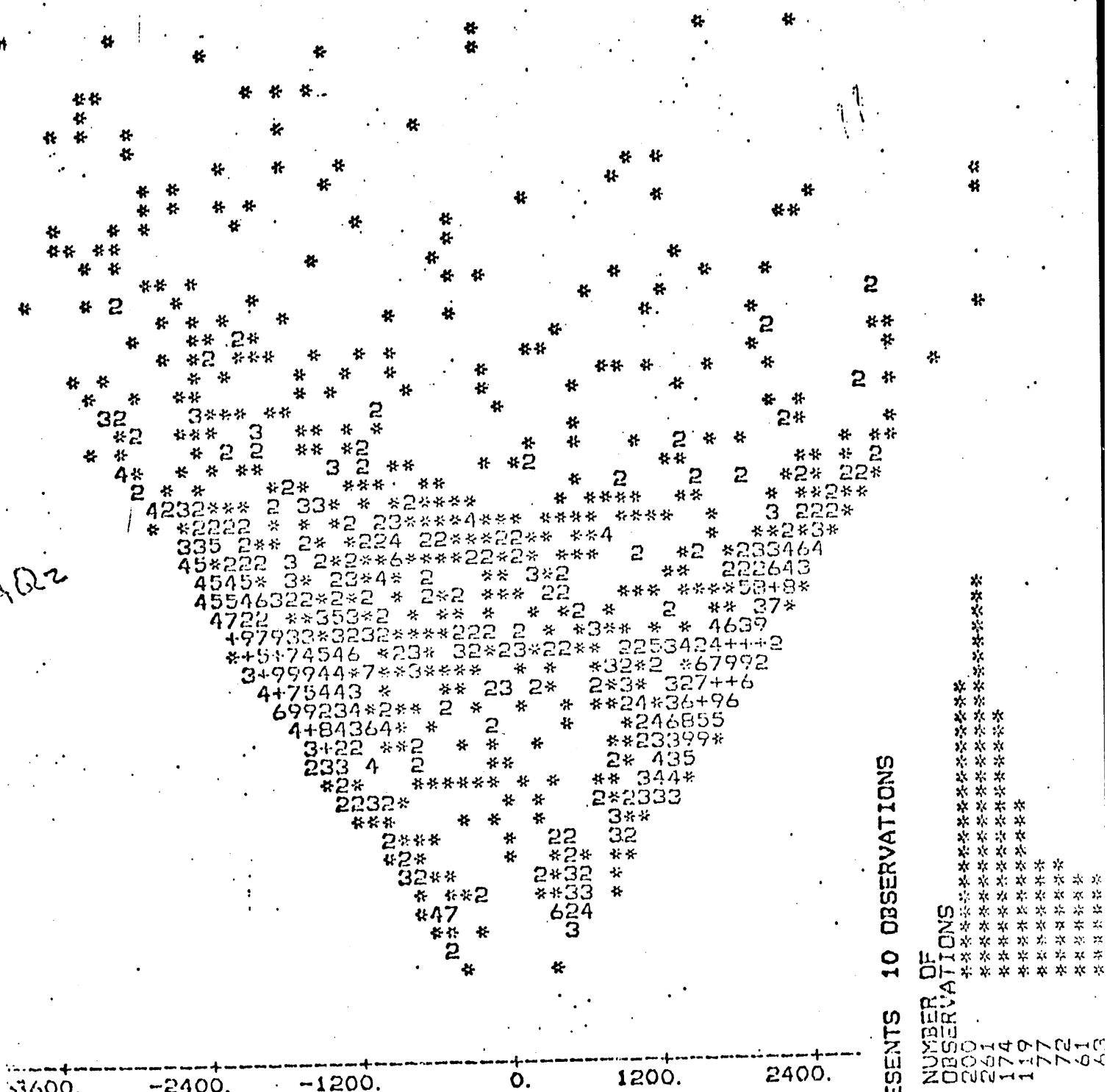
§ Histogram of  $Q_2/Q_{tot}$

3 EACH \* REPRESENTS 10 OBSERVATIONS

	MIDDLE OF INTERVAL	NUMBER OF OBSERVATIONS
1	1.5	1
2	2.5	1
3	3.5	1
4	4.5	1
5	5.5	1
6	6.5	1
7	7.5	1
8	8.5	1
9	9.5	1
10	10.5	1
11	11.5	1
12	12.5	1
13	13.5	1
14	14.5	1
15	15.5	1
16	16.5	1
17	17.5	1
18	18.5	1
19	19.5	1
20	20.5	1
21	21.5	1
22	22.5	1
23	23.5	1
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28	28.5	1
29	29.5	1
30	30.5	1
31	31.5	1
32	32.5	1
33	33.5	1
34	34.5	1
35	35.5	1
36	36.5	1
37	37.5	1
38	38.5	1
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66	66.5	1
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68	68.5	1
69	69.5	1
70	70.5	1
71	71.5	1
72	72.5	1
73	73.5	1
74	74.5	1
75	75.5	1
76	76.5	1
77	77.5	1
78	78.5	1
79	79.5	1
80	80.5	1
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82	82.5	1
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87	87.5	1
88	88.5	1
89	89.5	1
90	90.5	1
91	91.5	1
92	92.5	1
93	93.5	1
94	94.5	1
95	95.5	1
96	96.5	1
97	97.5	1
98	98.5	1
99	99.5	1
100	100.5	1

$$\begin{array}{r} Q_1 - Q_2 \\ \hline Q_1 + Q_2 \end{array}$$

Centronics #1



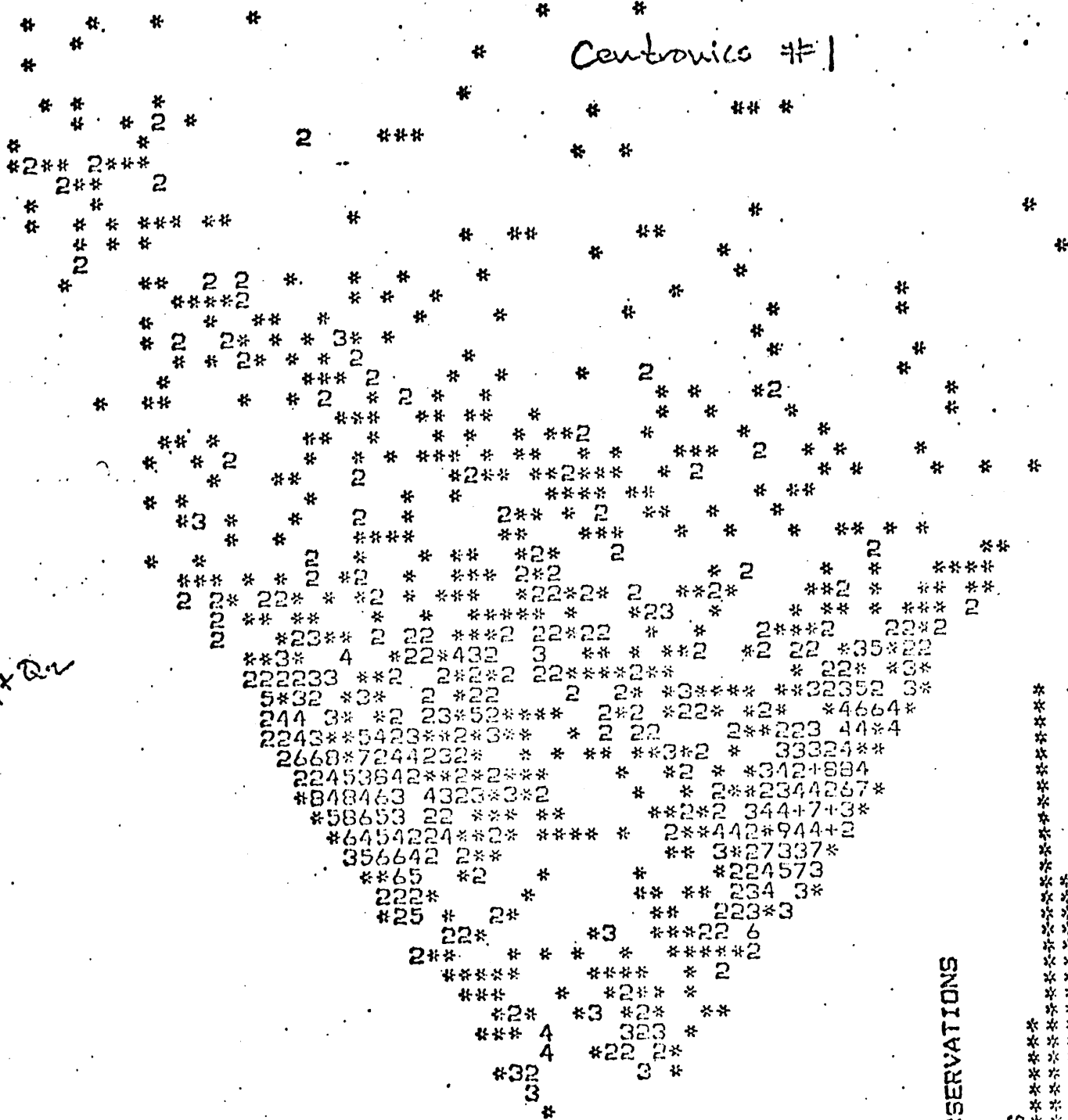
C3	EACH * REPRESENTS 10 OBSERVATIONS	MIDDLE OF INTERVAL	NUMBER OF OBSERVATIONS
		1.0	209
		1.5	251
		2.0	174
		2.5	119
		3.0	77
		3.5	72
		4.0	61
		4.5	43

$\frac{Q_1 - Q_2}{Q_1 + Q_2}$

All Protons 105  
 $X=2$   
 Scatterplot of  $Q_1 + Q_2$  vs  $Q_1 - Q_2$   
 Histogram of  $Q_1 - Q_2 / Q_1 + Q_2$



Centronics #



Q. x Q. 2

CC3 10 OBSERVATIONS

NUMBER OF  
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MIDDLE OF  
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$$\frac{Q_1 - Q_2}{Q_1 + 2}$$

-3600.      -2400.      -1200.      0.      1200.      2400.

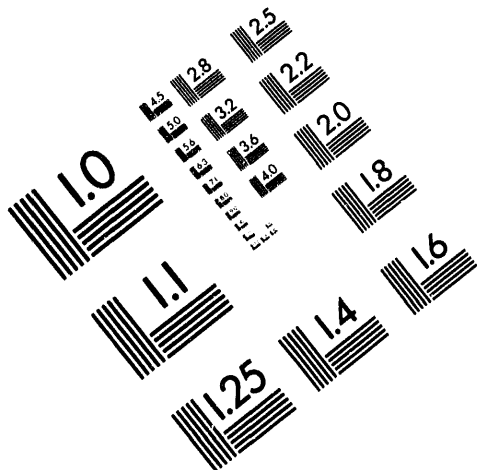
$$Q_1 - Q_2$$

All Rotars 105  
X=4

$$x = 4$$

Scatterplot of  $Q_1 + Q_2$  vs  $Q_1 - Q_2$

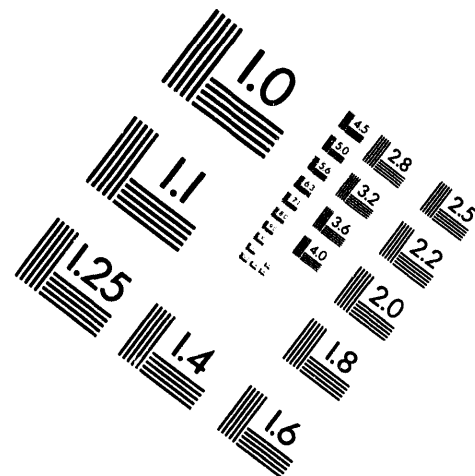
1. Histogram of  $R_1, R_2, \dots, R_n$



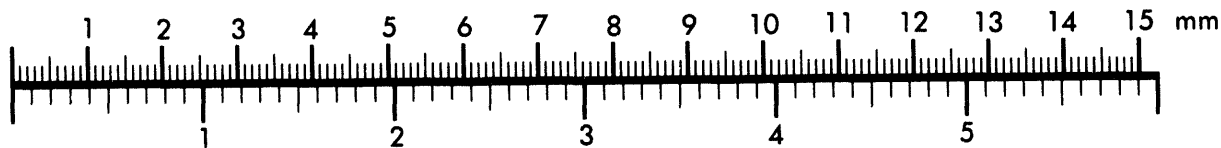
**AIM**

**Association for Information and Image Management**

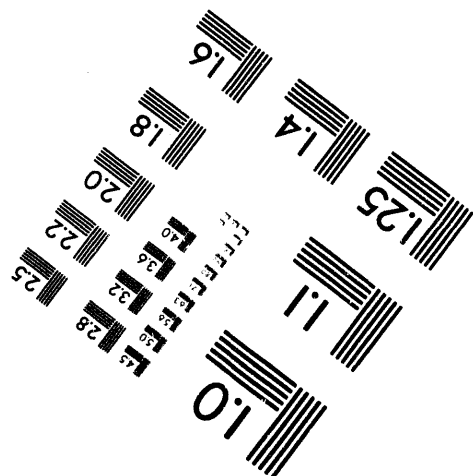
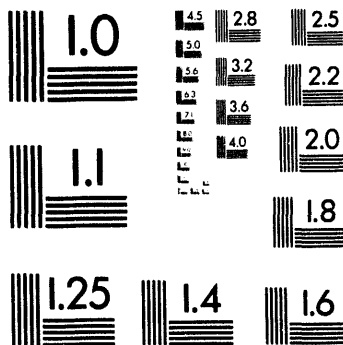
1100 Wayne Avenue, Suite 1100  
Silver Spring, Maryland 20910  
301/587-8202



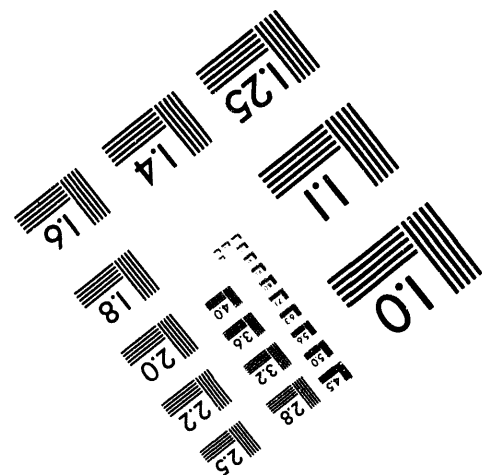
**Centimeter**



**Inches**



MANUFACTURED TO AIIM STANDARDS  
BY APPLIED IMAGE, INC.

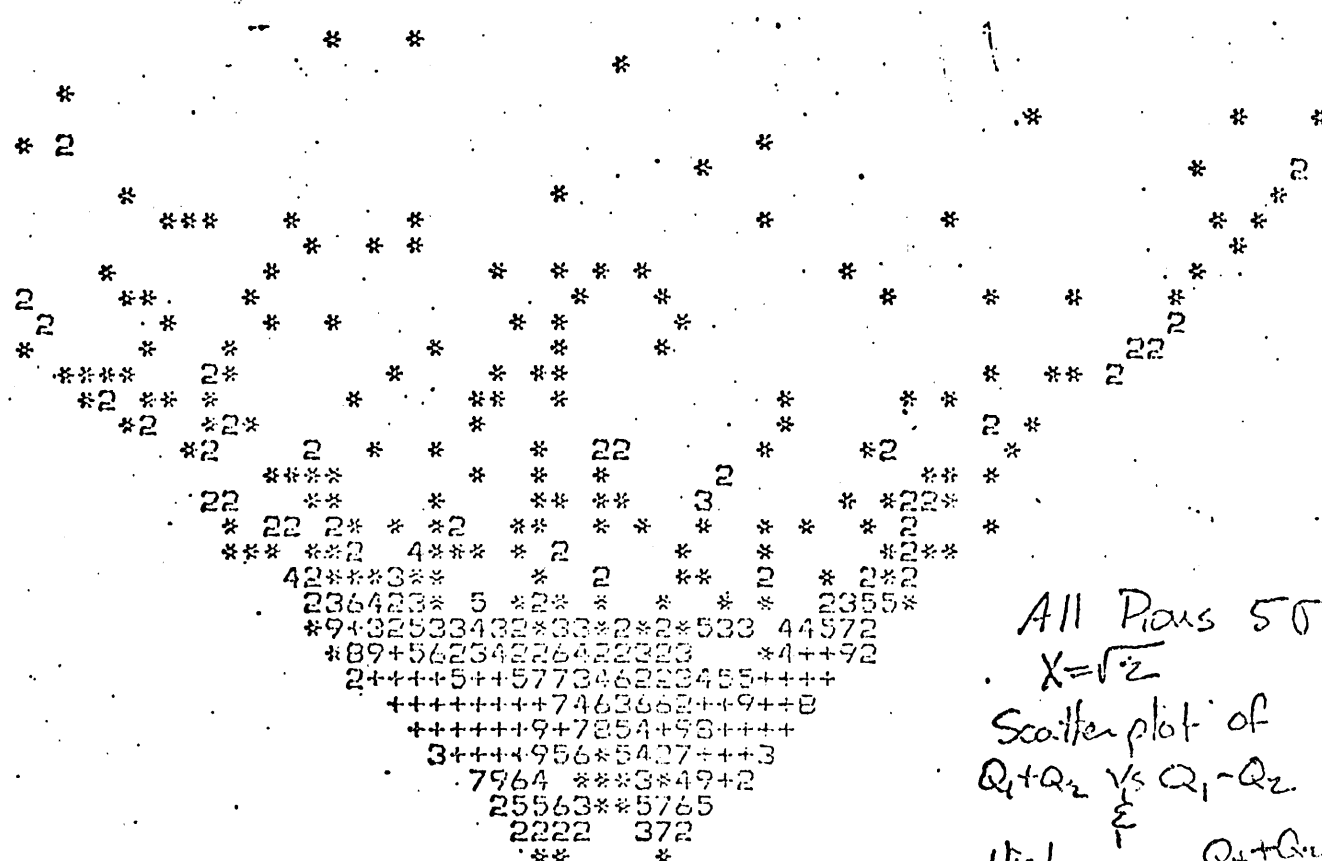


**2 of 2**

#16

Centronics #1

$Q_1 + Q_2$



All Pairs 50

$X = \sqrt{2}$

Scatter plot of  $Q_1 + Q_2$  vs  $Q_1 - Q_2$

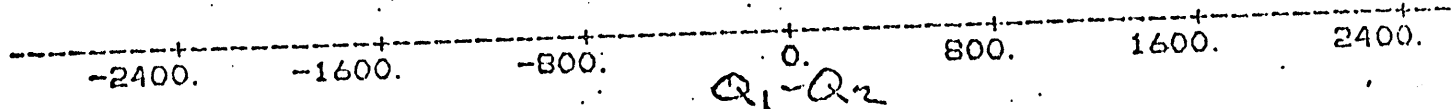
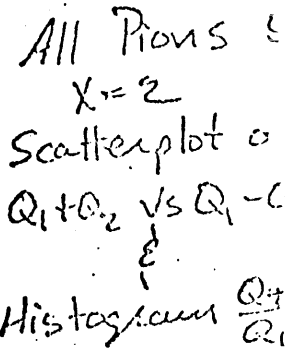
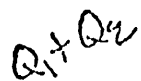
Histogram  $\frac{Q_1 + Q_2}{Q_1 - Q_2}$

-2400. -1600. -800. 0. 800. 1600. 2400.  
 $Q_1 - Q_2$

MIDDLE OF INTERVAL	NUMBER OF OBSERVATIONS	
-1.000	57	*****
-1.0.900	200	*****
-1.0.800	139	*****
-1.0.700	118	*****
-1.0.600	72	*****
-1.0.500	70	*****
-1.0.400	62	*****
-1.0.300	38	*****
-1.0.200	53	*****
-1.0.100	43	*****
0.0.000	36	*****
0.0.100	30	*****
0.0.200	30	*****
0.0.300	30	*****
0.0.400	36	*****
0.0.500	47	*****
0.0.600	47	*****
0.0.700	75	*****
0.0.800	145	*****
0.0.900	194	*****
1.0.000	77	*****

$\frac{Q_1 - Q_2}{Q_1 + Q_2}$

Centronics #1



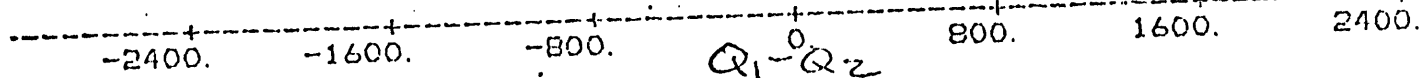
MIDDLE OF INTERVAL	NUMBER OF OBSERVATIONS	
-1.000	39	*****
-1.0.900	152	*****
-1.0.800	142	*****
-1.0.700	119	*****
-1.0.600	103	*****
-1.0.500	87	*****
-1.0.400	81	*****
-1.0.300	76	*****
-1.0.200	59	*****
-1.0.100	51	*****
0.0.000	37	*****
0.0.100	37	*****
0.0.200	34	*****
0.0.300	33	*****
0.0.400	45	*****
0.0.500	42	*****
0.0.600	58	*****
0.0.700	98	*****
0.0.800	125	*****
0.0.900	152	*****
1.0.000	50	*****

$$\frac{Q_1 - Q_2}{Q_1 + Q_2}$$

Centronics

$Q_1 + Q_2$

All Rows 50  
 $X=4$   
 Scatterplot of  
 $Q_1 + Q_2$  vs  $Q_1 - Q_2$   
 $E$   
 Histogram  $\frac{Q_1 - Q_2}{Q_1 + Q_2}$



MIDDLE OF  
INTERVAL

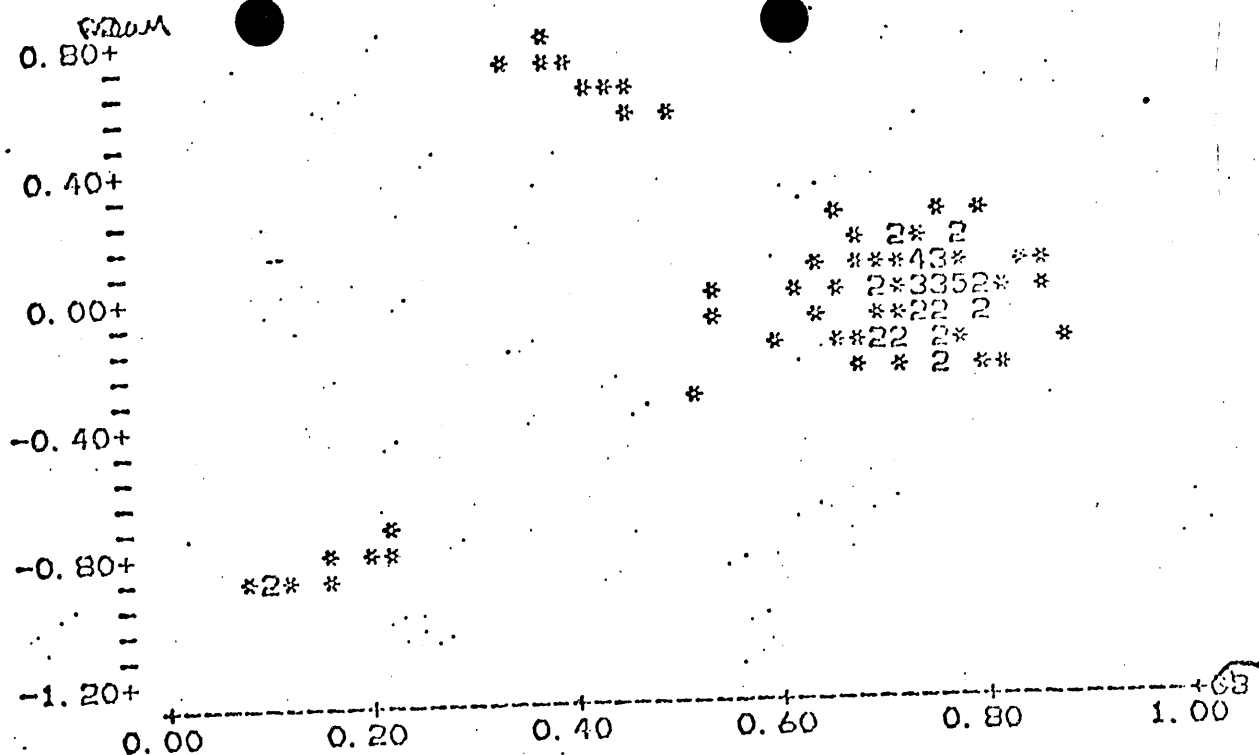
NUMBER OF  
OBSERVATIONS

$\frac{Q_1 - Q_2}{Q_1 + Q_2}$

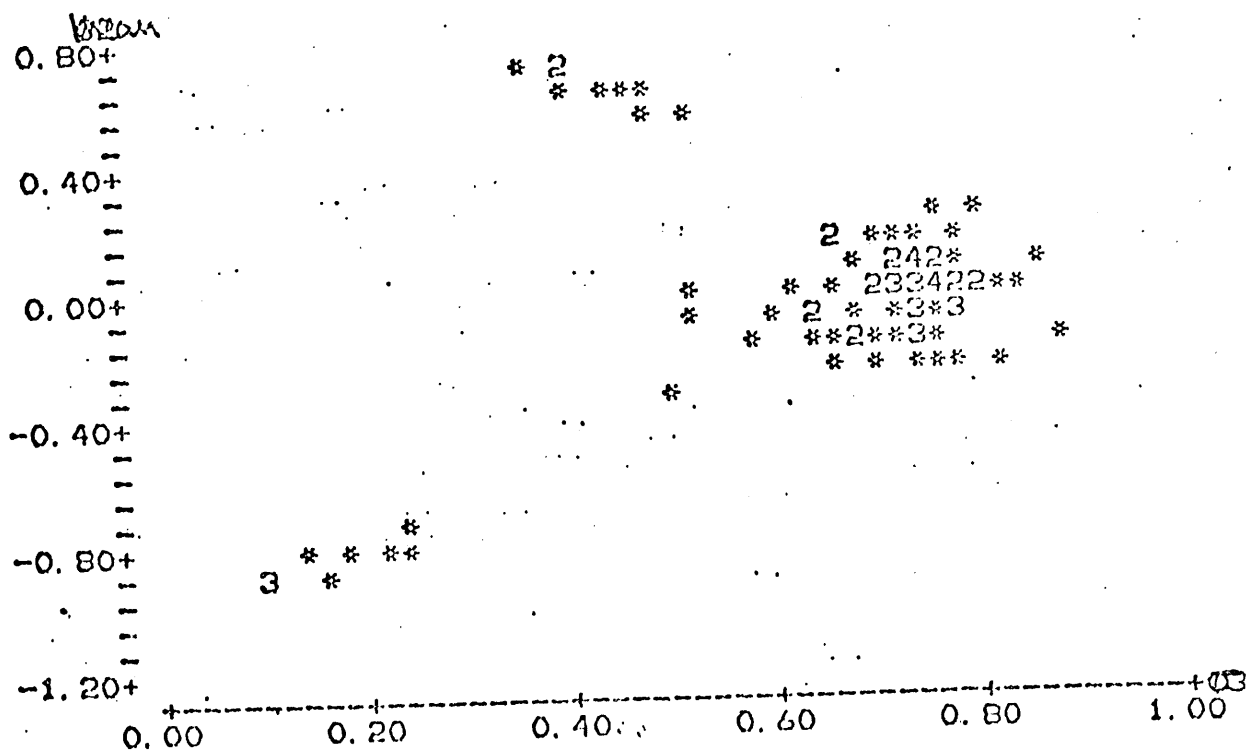
-1.000	21	*****
-0.900	79	*****
-0.800	136	*****
-0.700	128	*****
-0.600	127	*****
-0.500	108	*****
-0.400	101	*****
-0.300	76	*****
-0.200	68	*****
-0.100	71	*****
0.000	68	*****
0.100	68	*****
0.200	45	*****
0.300	55	*****
0.400	61	*****
0.500	75	*****
0.600	79	*****
0.700	79	*****
0.800	88	*****

#F21

All Protons 120

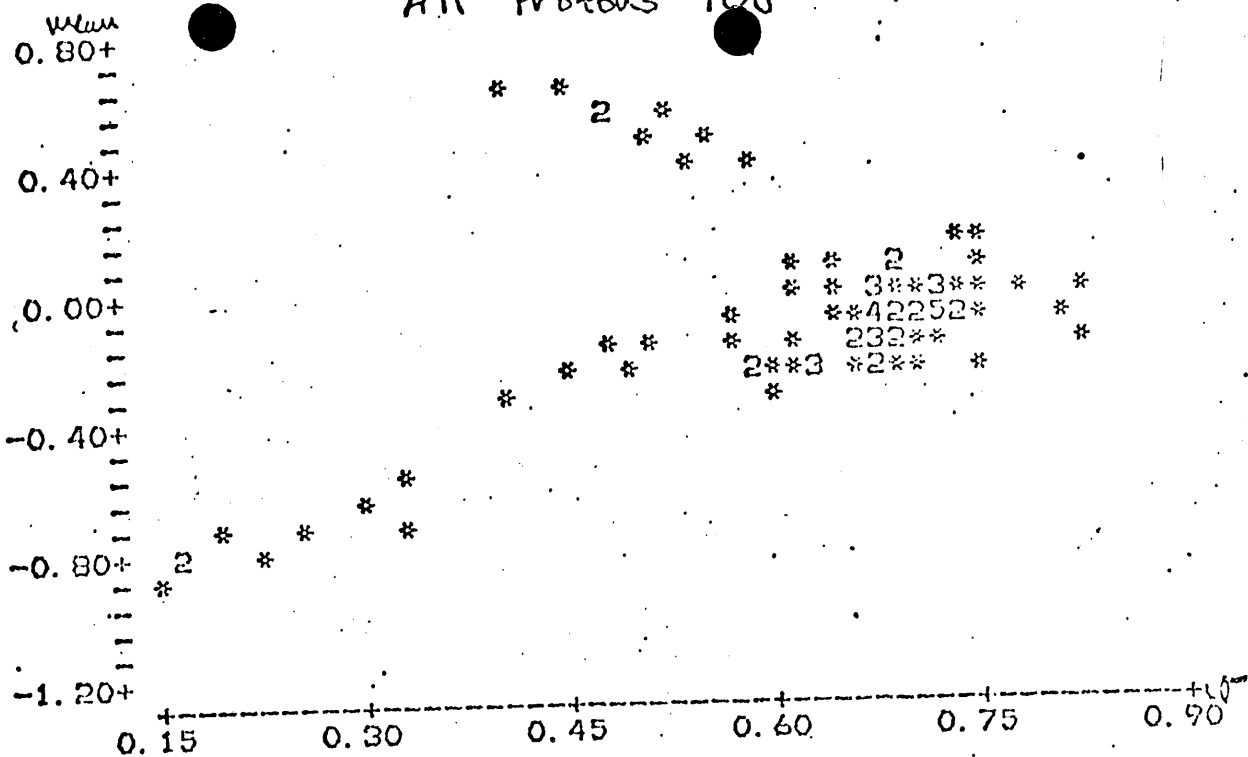


Plot of mean  $\left(\frac{Q_1-Q_2}{Q_1+Q_2}\right)$  vs  $\sigma \left(\frac{Q_1-Q_2}{Q_1+Q_2}\right)$  by channel  
for  $X=1$

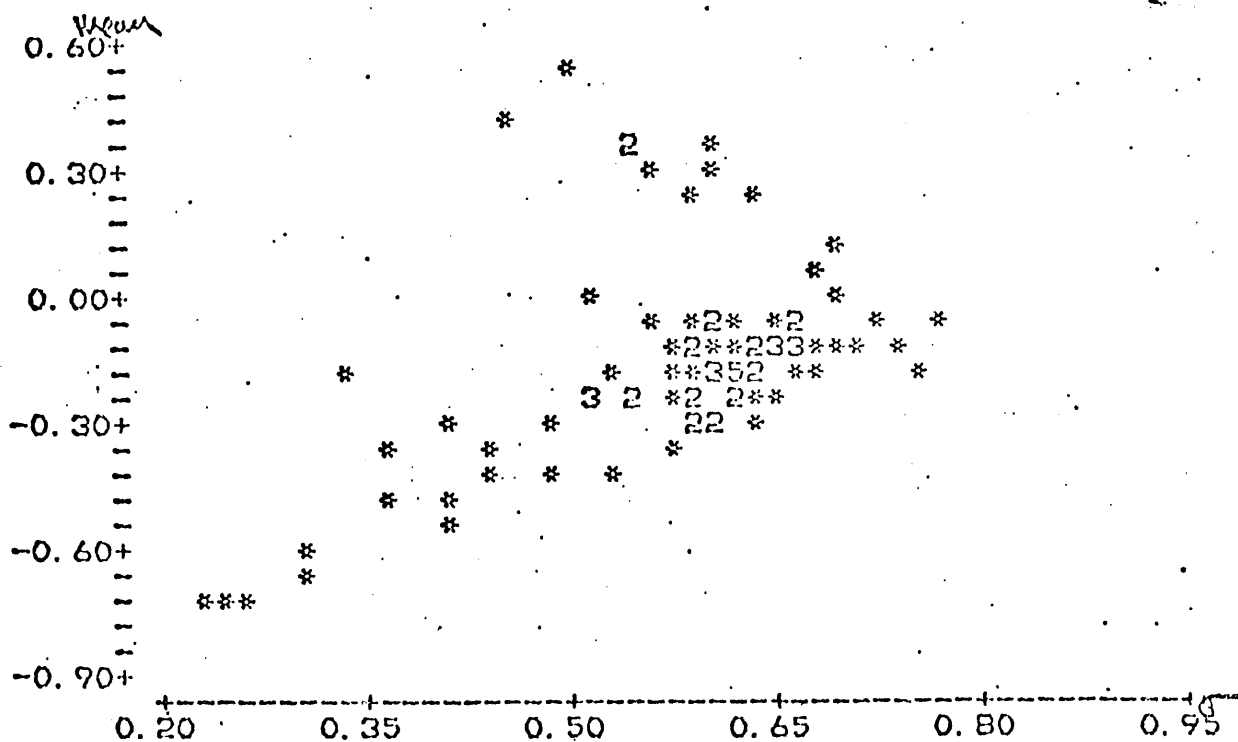


Plot of mean  $\left(\frac{Q_1-Q_2}{Q_1+Q_2}\right)$  vs  $\sigma \left(\frac{Q_1-Q_2}{Q_1+Q_2}\right)$  by channel  
for  $X=\sqrt{2}$

All Protons 10's

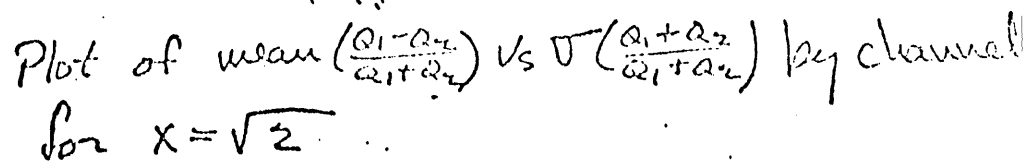
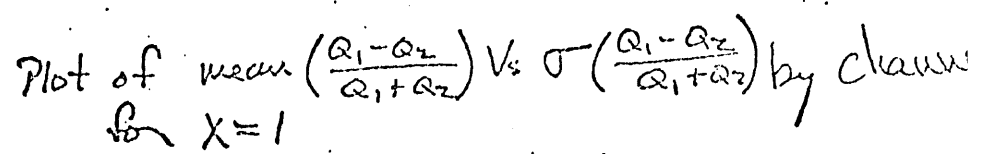


Plot of  $\text{mean}\left(\frac{Q_1 - Q_2}{Q_1 + Q_2}\right)$  vs  $\sigma\left(\frac{Q_1 - Q_2}{Q_1 + Q_2}\right)$  by channel  
for  $\chi = 2$



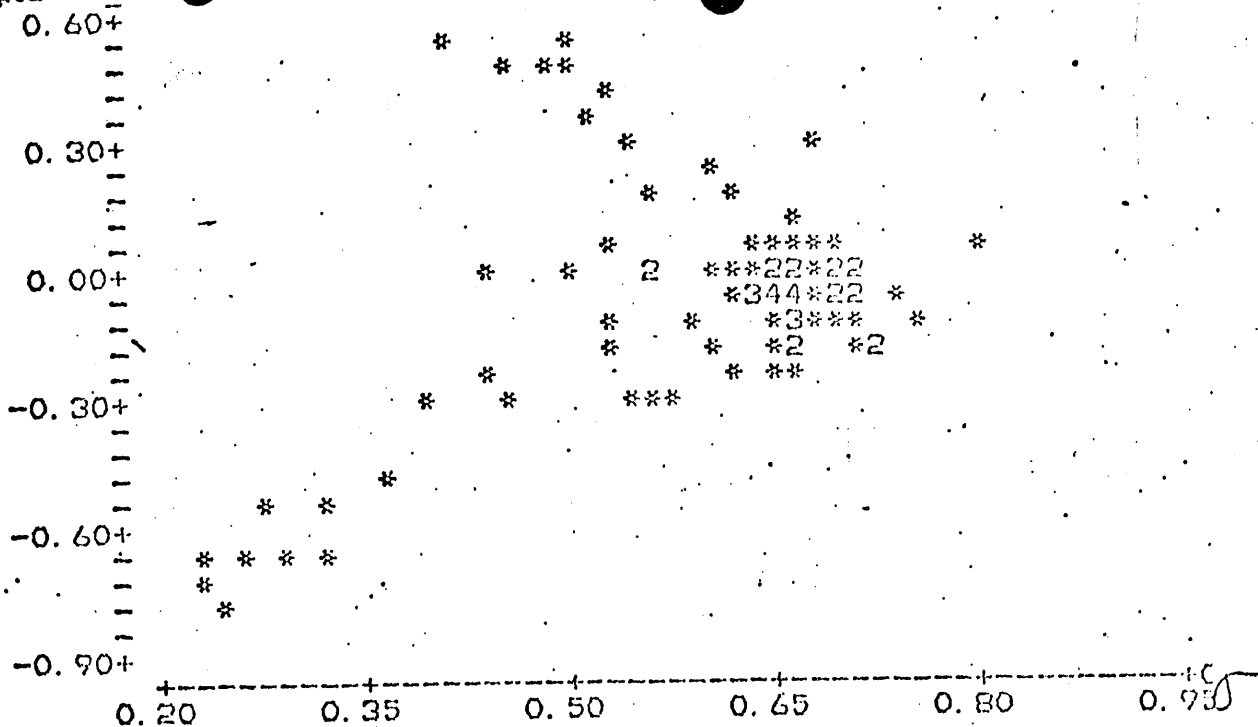
Plot of mean  $\left(\frac{Q_1 - Q_2}{Q_1 + Q_2}\right)$  vs  $\sigma\left(\frac{Q_1 - Q_2}{Q_1 + Q_2}\right)$  by chance  
for  $X=4$





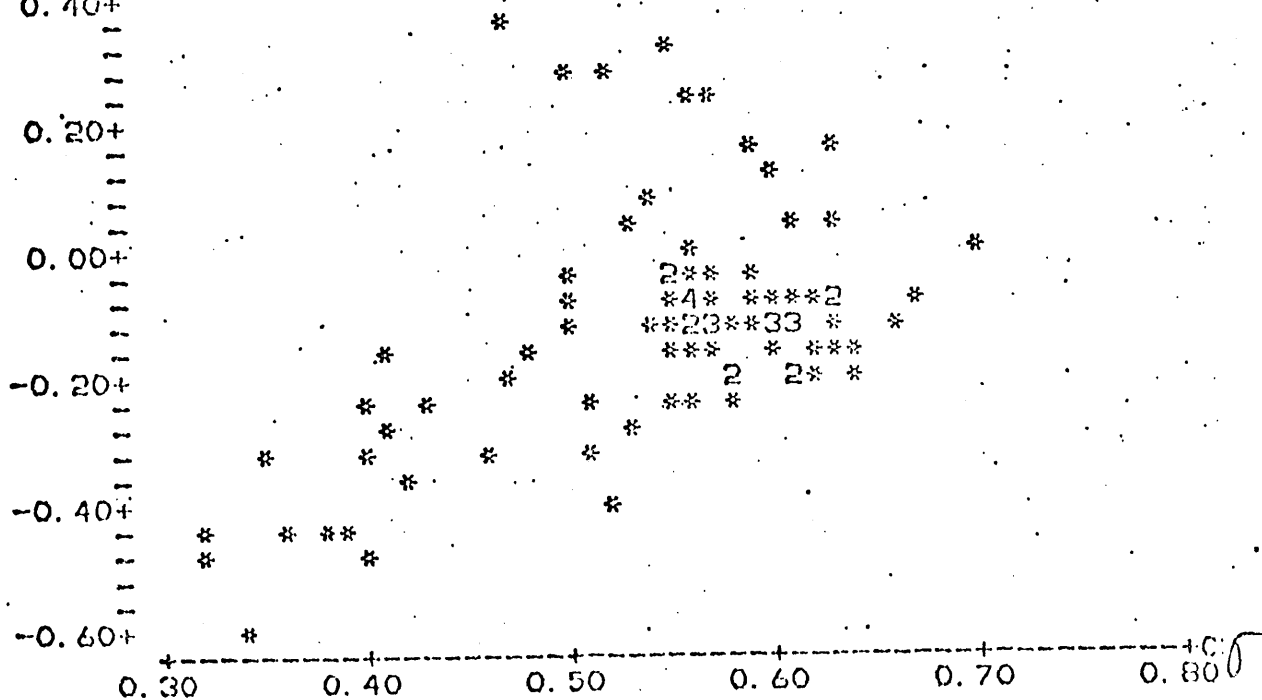
mean  
0.60+

All flows SU



Plot of  $\text{mean} \left( \frac{Q_1 - Q_2}{Q_1 + Q_2} \right)$  vs  $\sigma \left( \frac{Q_1 - Q_2}{Q_1 + Q_2} \right)$  by channel  
for  $x=2$

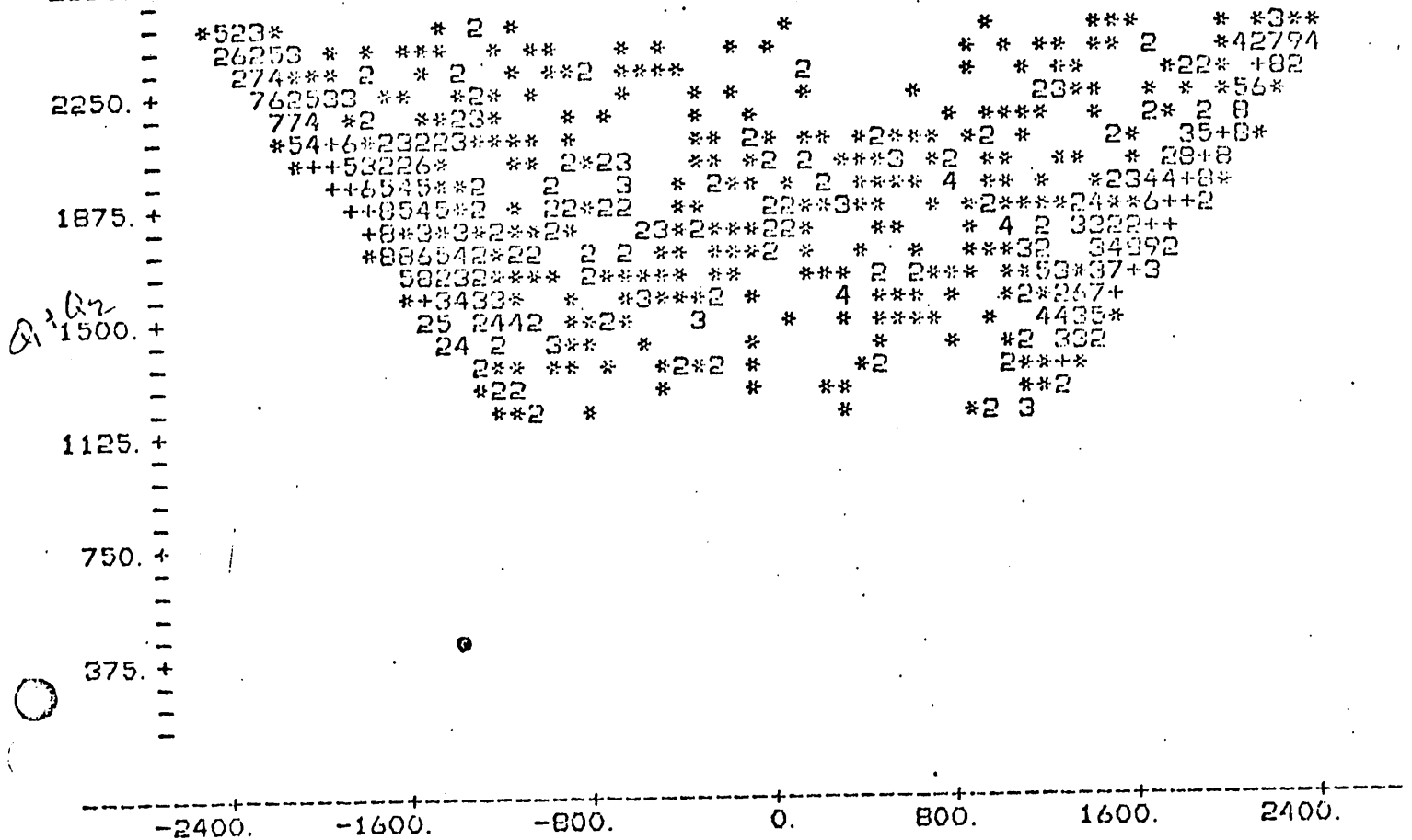
mean  
0.40+



Plot of  $\text{mean} \left( \frac{Q_1 - Q_2}{Q_1 + Q_2} \right)$  vs  $\sigma \left( \frac{Q_1 - Q_2}{Q_1 + Q_2} \right)$  by channel  
for  $x=4$

100 Protans over interval 1200 - 2500  
for  $Q_1 + Q_2$

Centronics #1



$Q_1 - Q_2$   
Scatterplot of Protans  $Q_1 - Q_2$  vs  $Q_1 + Q_2$

EACH \* REPRESENTS 10 OBSERVATIONS

MIDDLE OF INTERVAL	NUMBER OF OBSERVATIONS	
-1.000	255	*****
-0.800	157	*****
-0.600	68	*****
-0.400	55	*****
-0.200	43	*****
0.000	43	*****
0.200	40	*****
0.400	43	*****
0.600	52	*****
0.800	119	*****
1.000	284	*****

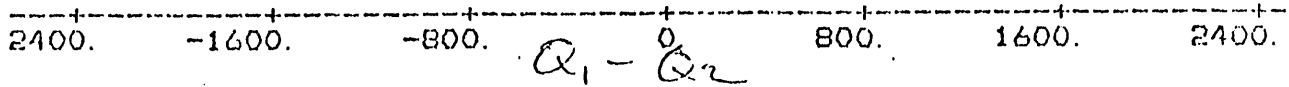
Histogram of  $\left(\frac{Q_1 - Q_2}{Q_1 + Q_2}\right)$  for  
Interval 1200 - 2500 for  $Q_1 + Q_2$

#26

100 Protons with  $\sigma(\frac{Q_1 - Q_2}{Q_1 + Q_2}) > .55$   
(for Centronics #2)

$Q_1 + Q_2$

Scatter plot  
of  $Q_1 - Q_2$  vs  $Q_1 + Q_2$



EACH \* REPRESENTS 10 OBSERVATIONS

MIDDLE OF INTERVAL	NUMBER OF OBSERVATIONS	
-1.000	287	*****
-0.800	189	*****
-0.600	109	*****
-0.400	94	*****
-0.200	84	*****
0.000	94	*****
0.200	96	*****
0.400	105	*****
0.600	102	*****
0.800	188	*****
1.000	282	*****

Histogram  
of  
 $(Q_1 - Q_2)$   
 $Q_1 + Q_2$

#27

50 Pious with  $\text{Sima}(\frac{Q_1 - Q_2}{Q_1 + Q_2}) > .55$

$Q_1 + Q_2$

\* for Centronics #2

400. -1600. -800. 0. 800. 1600. 2400.

$Q_1 - Q_2$

Scatterplot of  $Q_1 - Q_2$  vs  $Q_1 + Q_2$

EACH \* REPRESENTS 5 OBSERVATIONS

MIDDLE OF INTERVAL	NUMBER OF OBSERVATIONS	
-1.000	120	*****
-0.900	190	*****
-0.800	118	*****
-0.700	43	*****
-0.600	60	*****
-0.500	53	*****
-0.400	44	*****
-0.300	43	*****
-0.200	54	*****
-0.100	49	*****
0.000	46	*****
0.100	46	*****
0.200	38	*****
0.300	40	*****
0.400	58	*****
0.500	41	*****
0.600	50	*****
0.700	72	*****
0.800	123	*****
0.900	181	*****
1.000	101	*****

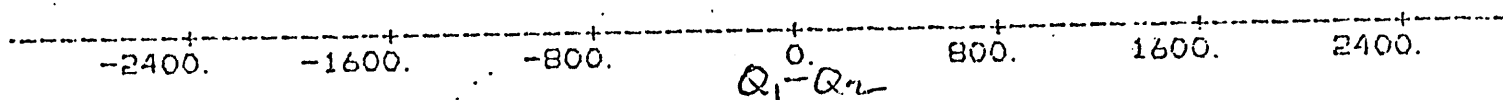
Histogram of  $(\frac{Q_1 - Q_2}{Q_1 + Q_2})$

#28

Centronics #1, #3

$Q_1 + Q_2$

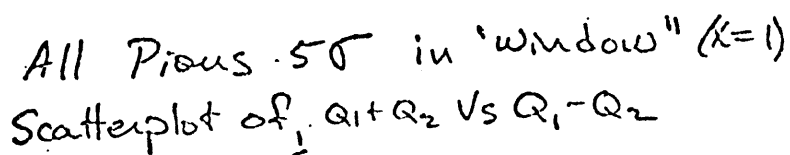
All Probins in  
"window" ( $X=1$ )  
Scatterplot of  
 $Q_1 + Q_2$  vs  $Q_1 - Q_2$   
Histogram of  $\frac{Q_1 + Q_2}{Q_1 - Q_2}$



$\frac{Q_1 - Q_2}{Q_1 + Q_2}$

MIDDLE OF INTERVAL	NUMBER OF OBSERVATIONS	
-1.000	72	*****
-0.900	67	*****
-0.800	41	*****
-0.700	27	*****
-0.600	20	*****
-0.500	21	*****
-0.400	16	*****
-0.300	12	*****
-0.200	11	*****
-0.100	6	*****
0.000	16	*****
0.100	20	*****
0.200	11	*****
0.300	13	*****
0.400	15	*****
0.500	18	*****
0.600	16	*****
0.700	20	*****
0.800	32	*****
0.900	102	*****
1.000	70	*****

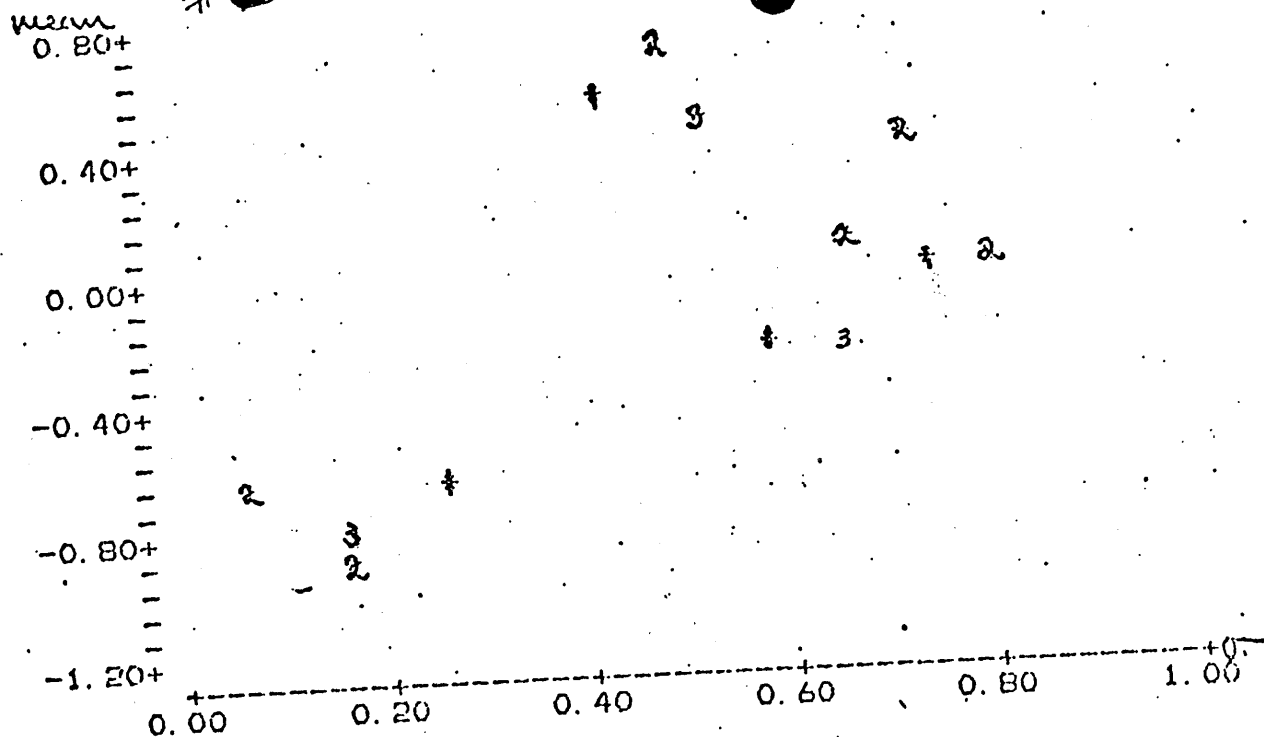
Centronics #1, #2, #5



Histogram of  $Q_1 Q_2 / Q_1 + Q_2$

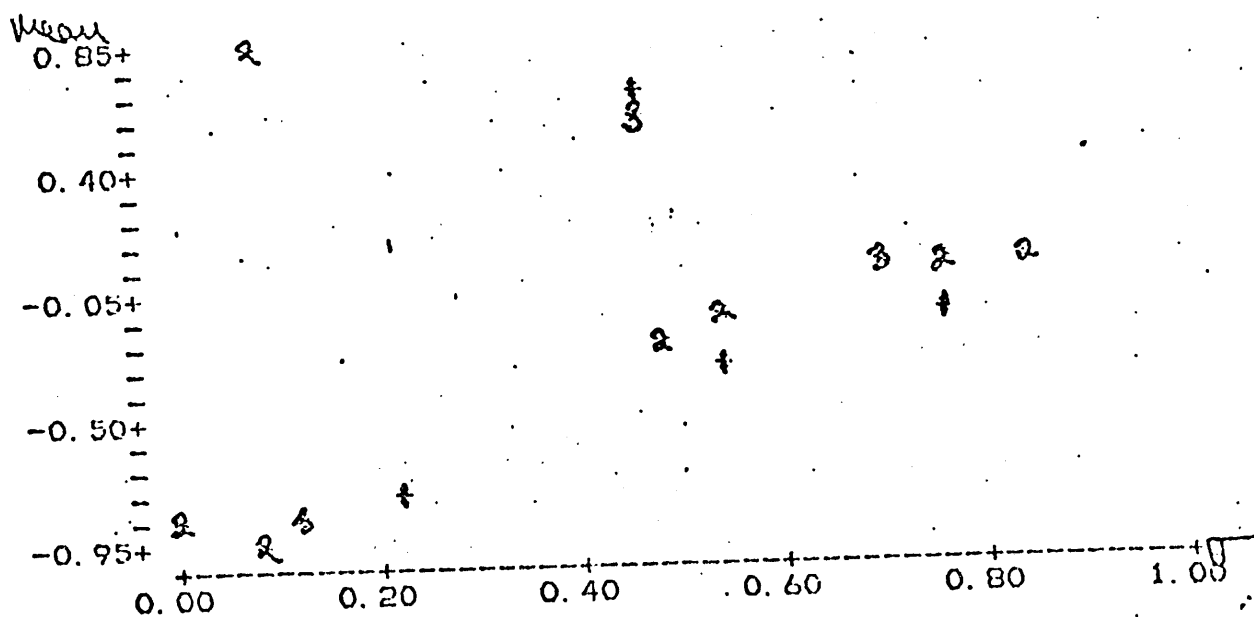
MIDDLE OF INTERVAL	NUMBER OF OBSERVATIONS	
-1.000	30	*****
-1.0.900	65	*****
-1.0.800	36	*****
-1.0.700	32	*****
-1.0.600	20	*****
-1.0.500	9	*****
-1.0.400	10	*****
-1.0.300	13	*****
-1.0.200	17	*****
-1.0.100	11	*****
0.0.000	11	*****
0.0.100	16	*****
0.0.200	12	*****
0.0.300	7	*****
0.0.400	9	*****
0.0.500	11	*****
0.0.600	13	*****
0.0.700	21	*****
0.0.800	35	*****
0.0.900	57	*****
1.0.000	36	*****

$$\frac{Q_1 - Q_2}{Q_1 + Q_2}$$



(A)

All Pions 50 m "window" (X=1)  
 (over centronics #1, #2, #3)  
 Scatterplot of  $\text{mean} \left( \frac{Q_1 - Q_2}{Q_1 + Q_2} \right)$  vs  $\sqrt{\left( \frac{Q_1 - Q_2}{Q_1 + Q_2} \right)}$



(B)

All Protons 105 m "window" (X=1)  
 (over centronics #1, #2, #3)  
 Scatterplot of  $\text{mean} \left( \frac{Q_1 - Q_2}{Q_1 + Q_2} \right)$  vs  $\sqrt{\left( \frac{Q_1 - Q_2}{Q_1 + Q_2} \right)}$



Blow up showing charge sharing  
Position (Q).

# A typical "window" event (50 Run)

EVENT # = 333.000  
ON CHANNELS  
16 57 102 213 252

476. 707. 624.  
605. 204. 387.  
642.  
51.  
256.  
403.

NN(1-8)=

0 0 3 3 1 1 1 1

```

+ + + + L + * + + + + + + + + + + + + + * + + + + * * * H + + +
+ + + + M + + + + + + + + + + + * + + + + + * * + + + * * *
+ + + + M + + + + + + + + + + + + + + + + + + + + + + + + + + +
+ + + + B + + + + + + + + + + + + + + + + + + + + + + + + + + +
* + * + + + I + * * + * * * + + + + + + + + + + + + + + + + + + +
+ * * * * K + * * + * * * + + + + + + + + + + + + + + + + + + +
1 2 3 4 5 6 7 8 9 10 11 1

```

A sample event (Run 4 out 333) showing the 3 centronic detectors with hits (A-Z) and dead channels (\*). Notice the "window" where three point tracks can be found is limited to a small region (around region 2-3).

A Blowup of Region ③ Above showing a 3 point track with charge sharing occurring on centronics #1 & centronic

DELTA X = 2ND - AVG 1ST 3RD = 0.59 AND LOSS-CORR. = 1.52

```

- - - - - X - Q - - - - - + - - - - - * - - - - - + - - - - - + - - -
- - - - - + - - - - - - Q - X - - - - - + - - - - - - - - - - - + - - -
- - - - - - - - - - - Q - - - - - X - - - - - + - - - - - + - - - - - + - - -
- - - - - - - - - - - Q - X - - - - - + - - - - - * - - - - - * - - - - - + - - -

```

Plot of Scint vs delta (x=1)

Scint  
8.0+

\*\*\* 2 \*\*\*\*\* \* #332\*\*\*2

$\mu = 5.87$   
 $\sigma = 1.5$   
 $\sigma_c = 1.57$

7.0+

\* 22 \* \*\*2\* #2\*3\* \*2

$\mu = 3.92$   
 $\sigma = 1.39$   
 $\sigma_c = 1.46$

6.0+

\* #2\* #22\* #4\* \*

$\mu = 2.60$   
 $\sigma = 1.70$   
 $\sigma_c = 1.17$

5.0+

2 2 \*5 #2\*3242\*2

$\mu = 1.35$   
 $\sigma = 1.35$   
 $\sigma_c = 1.18$

4.0+

3\*\*22 32\*2\*\*2\*22\* \*

$\mu = 1.62$   
 $\sigma = 1.29$   
 $\sigma_c = 1.179$

3.0+

-4.0 -1.6 0.8 3.2 5.6 8.0 +delta

(A)

X=1

$\langle \sigma \rangle = 1.55$   
 $\langle \sigma \rangle_c = 1.33 \times 10 \mu$

Resolution Plots (All Protons 105)

Plot of Scint vs delta (x=2)

Scint  
8.0+

\* \*\* #2\* \* 3\* 332\*\*

$\mu = 5.7$   
 $\sigma = 2.6$   
 $\sigma_c = 1.1$

7.0+

\*\* 2 \*\*\*2 3\* 222\* \*\*\*

$\mu = 4.26$   
 $\sigma = 2.18$   
 $\sigma_c = 1.10$

6.0+

\* 3\* \* #2 3 \* #22

$\mu = 2.85$   
 $\sigma = 1.65$   
 $\sigma_c = 1.60$

5.0+

\*\*\*\*\*242 22\*\*\*\*\*2\* \*\* \*

$\mu = 1.14$   
 $\sigma = 1.5$   
 $\sigma_c = 1.50$

4.0+

\*\* \* 4224222\*\* \*\*\* \*\*

$\mu = 1.15$   
 $\sigma = 1.55$   
 $\sigma_c = 1.35$

3.0+

-4.0 -1.6 0.8 3.2 5.6 8.0 +delta

(B)

X=2

$\langle \sigma \rangle = 1.98$   
 $\langle \sigma \rangle_c = 1.68 \times 10 \mu$

Plot of Scint# vs delta (for x=1)

Scint  
8.0+

2\*\*3\*\*\*222227234322\*2  $\mu = 5.11$   
 $\sigma = 1.16$   
 $\sigma_c = 1.49$

7.0+

\*2 2\*\*\* #3\*\*33 \*\*2\*4 \*222

$\mu = 3.94$   
 $\sigma = 1.77$   
 $\sigma_c = 1.77$

6.0+

2\*33\*52225243447\*35\*243

$\mu = 2.85$   
 $\sigma = 1.71$   
 $\sigma_c = 1.49$

5.0+

\*3\* 437232\*292584\* \* 2\*2

$\mu = 1.27$   
 $\sigma = 1.38$   
 $\sigma_c = 1.38$

4.0+

\* \*2524433475825 264\*4 \*\*

$\mu = -1.77$   
 $\sigma = 1.71$   
 $\sigma_c = 1.50$

3.0+

-4.0 -1.6 0.8 3.2 5.6 8.0 delta

(A)

X=1

$\langle \sigma \rangle = 1.64$   
 $\langle \sigma \rangle_c = 1.49 \times 10^4$

Resolution Plots (All Pious 50)

Plot of Scint# vs delta (x=sqrt(2))

Scint  
8.0+

\*\*2\*\*\* 22\*33552 5223\*3

$\mu = 5.11$   
 $\sigma = 1.16$   
 $\sigma_c = 1.49$

7.0+

3 2\*\*\* \*22\*4\* 22\*23 \*\*\*3 \*

$\mu = 3.94$   
 $\sigma = 1.77$   
 $\sigma_c = 1.77$

6.0+

2 42 7\*4343333554\*\*5242\*

$\mu = 2.85$   
 $\sigma = 1.71$   
 $\sigma_c = 1.49$

5.0+

\*32 32824 5\*43757\* \*\*3\*

$\mu = 1.27$   
 $\sigma = 1.38$   
 $\sigma_c = 1.38$

4.0+

\* \*8\*6242467554\* 7342 \*\*

$\mu = -1.77$   
 $\sigma = 1.71$   
 $\sigma_c = 1.50$

3.0+

-4.0 -1.6 0.8 3.2 5.6 8.0 delta

(B)

X =  $\sqrt{2}$

$\langle \sigma \rangle = 1.67$   
 $\langle \sigma \rangle_c = 1.52 \times 10^4$

Plot of Scint# vs delta (for x=1)

Scint  
8.0+

\*3\*\*\*222227234322\*2  $\mu = 5.61$   
 $\sigma = 1.64$   
 $\sigma_c = 1.49$

7.0+

\*2 2\*\*\* \*3\*\*33 \*\*2\*4 \*222

$\mu = 3.94$   
 $\sigma = 1.77$   
 $\sigma_c = 1.77$

6.0+

2\*33\*52225243447\*35\*243

$\mu = 2.85$   
 $\sigma = 1.71$   
 $\sigma_c = 1.49$

5.0+

\*3\* 437232\*292584\* \* 2\*2

$\mu = 1.27$   
 $\sigma = 1.38$   
 $\sigma_c = 1.38$

4.0+

\* \*2524433475825 264\*4 \*\*

$\mu = -0.77$   
 $\sigma = 1.71$   
 $\sigma_c = 1.50$

3.0+

-4.0 -1.6 0.8 3.2 5.6 8.0 +delta

(A)

X=1

$\langle \sigma \rangle = 1.64$   
 $\langle \sigma \rangle_c = 1.49 \times 10^4$

Resolution Plots (All Pious 5 $\sigma$ )

Plot of Scint# vs delta (x=sqrt(2))

Scint  
8.0+

\*\*2\*\*\* 22\*33552 5223\*3

$\mu = 5.6$   
 $\sigma = 1.64$   
 $\sigma_c = 1.49$

7.0+

3 2\*\*\* \*22\*4\* 22\*23 \*\*\*3 \*

$\mu = 3.94$   
 $\sigma = 1.77$   
 $\sigma_c = 1.77$

6.0+

2 42 7\*4343333554\*\*5242\*

$\mu = 2.85$   
 $\sigma = 1.71$   
 $\sigma_c = 1.49$

5.0+

\*32 32824 5\*43757\* \*\*3\*

$\mu = 1.28$   
 $\sigma = 1.40$   
 $\sigma_c = 1.40$

4.0+

\* \*8\*6242467554\* 7342 \*\*

$\mu = -0.77$   
 $\sigma = 1.74$   
 $\sigma_c = 1.74$

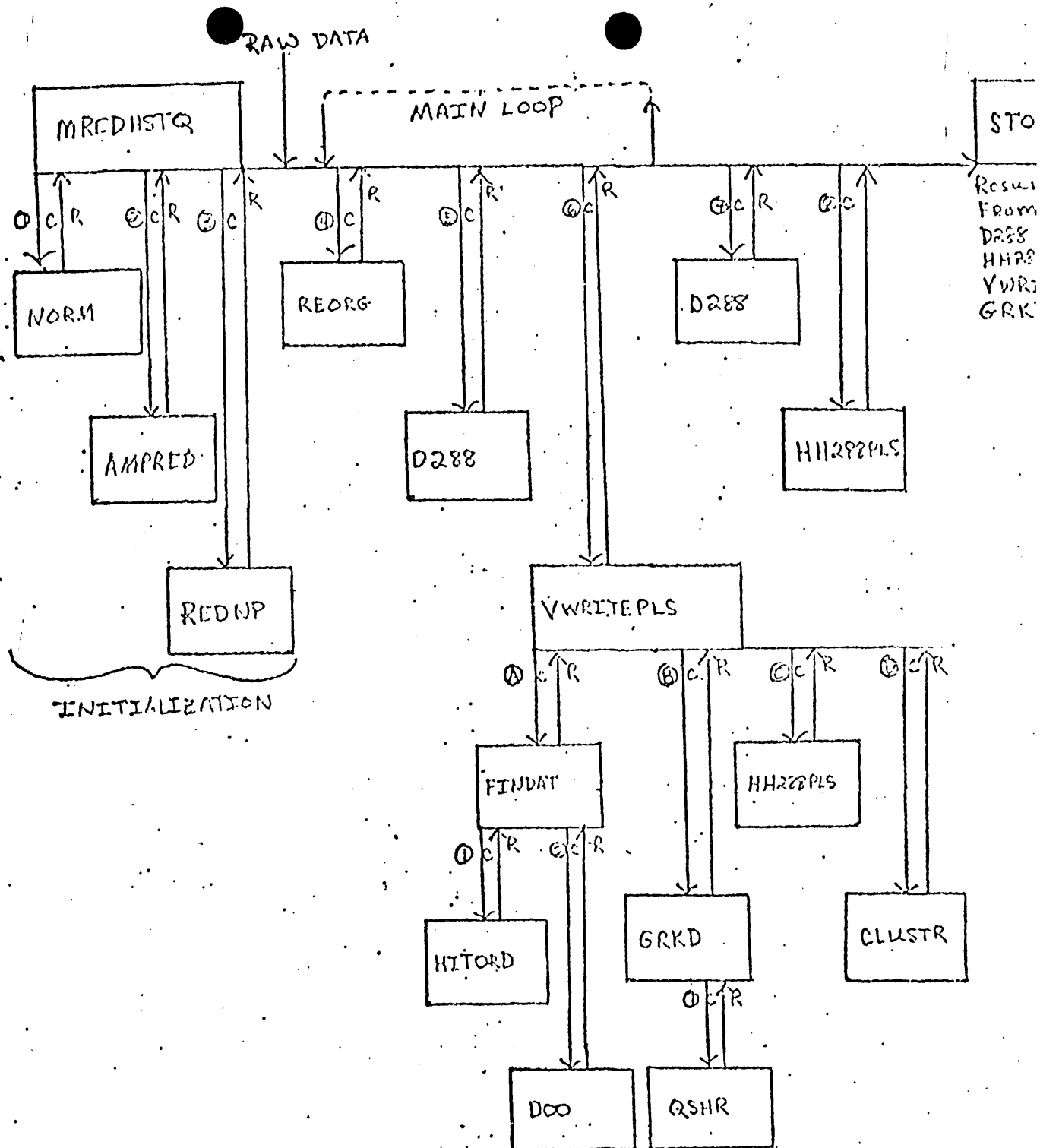
3.0+

-4.0 -1.6 0.8 3.2 5.6 8.0 +delta

(B)

X =  $\sqrt{2}$

$\langle \sigma \rangle = 1.67$   
 $\langle \sigma \rangle_c = 1.52 \times 10^4$



FLOW CONTROL OF DATA ANALYSTS PRGM.

MREDHSTQ4

Diagram 3

OU-HEP MEMO #13

HADRON CALORIMETER

By

Patrick Skubic  
Anthony Aldrich  
Tariq Jaffry

September 16, 1983

DUHSD MEMO #13  
HADRON CALORIMETER

9/16/83

#### DETECTOR DIMENSIONS

The full size detector will be 91" x 91" in active area. Each gap will contain one layer of plastic tubes interleaved between two layers of copper clad G-10. Alternate layers will be rotated 90 degrees. Each layer will consist of 3 chamber modules each 30.2" x 91" in active area. Pads will be etched into the G-10 boards to provide correlated X-Y position and energy measurements with a tower geometry.

Fig.1 shows the layout for one single-gap layer including a possible pad arrangement. Each layer will require twelve 30" x 45" G-10 boards. Fig.2 shows a blow-up of the pad pattern in the central 30"x 30" region.

#### P.C. BOARD FABRICATION

We have designed a system which makes it necessary for us to make giant p.c. boards. Each layer requires 12 p.c. boards of size 30" x 45". Sample tests were run using different methods, but the use of screen printing guarantees the reproducibility of pattern. Our present prototype test chamber is a combination of routed boards and screen printed boards. P.C. board fabrication is a process which will involve these steps:

- i) screen printing
- ii) etching

#### PREPARATION FOR SCREEN PRINTING



Pattern Drawing: It was made on IBM 3081 computer system on NorthBase

(size 30" x 45")

Art Work: Precision slit tapes were used to make the art work, later a master negative was made which can be used to make the desired size print.

Screen Printing: It is a stencil printing process which uses a precision woven fabric stretched tightly over a frame. Onto this frame, or screen, is adhered a stencil which dictates the image to be printed via blocked or open areas of the screen. The image is transferred to the G-10 sheet by forcing resist-ink through the open areas using a squeegee. On fully automatic printing 10mil lines with 10mil spaces can be imaged, whereas our screen printer can go only down to 20 mil line with 30mil space.

Ink: Initially we used "Dexter Hysol plating resist PR-3011-black", but this being viscous creates problem in forcing the ink through the screen. So later we decided to mix a thinner made by the same company called, "50-916 Retarder (AD 2003).

Distributors:

- 1) Earnest W. Dorn CO. INC. Denver, Colo. 303-791-2511
- 11) Oliver Sales Co. Dallas, Tx. 214-231-1522

ETCHING:

Ferric Chloride: cheap chemical, but waste treatment is expensive, copper can not be extracted easily from used solution, need polypropylene containers.

amount of solution required

to etch all G-10 sheets      = 170 gal  
   = at 31.47% ferric chloride  
   = and 68.531% water by vol  
operating temperature                      room temperature

Ferric chloride is available in powder form.

Hydrogen Peroxide Based Etchant: Designed by Shipley company of Dallas

person to contact:      Bill Roach  
Tele:                      1-800-527-3730

100 gallon bath make up requires:

D.I. water	68 gal
hydro-etch 371M	25 gal
50% hydrogen peroxide	7 gal

operating temperature      115 F      but less than 120 F

Dangers: Above 120 F hydrogen peroxide may decompose.

Its a corrosive acid solution.

Waste Treatment: Need to be studied.

Osco-Super-Etch: Designed by "Lou Griffin" of Oliver Sales Co. Dallas.

Tele:                      214-231-1522  
contact                  Lou Griffin

100 gallon bath make up requires:

Osco-Super- Etch make up	84% by vol
Osco-Super- Etch replenisher	10% by vol
Osco-Super- Etch stablizer	6% by vol

operating temperature      126 F - 130 F

Waste Treatment: If solution is cooled down from the normal operating temperature, etched copper is recovered as metallic copper or copper

sulfate pentahydrate crystals. Amount of solution required approx. 200 gal

#### EXPERIMENTAL TESTS OF PROTOTYPE DETECTOR

The experimental detector consisted of 22 1.2cm x 183cm plastic tubes glued sandwiched in between 1oz, 1/16" G-10. The outputs of 8 central tubes and the pads etched in the G-10 directly above the tubes were read out. The outputs from the tubes were ganged together and the resulting signal was amplified 40x by channel one of a Lecroy 612 amplifier. One output was attenuated 6 db and then feed into channel one of a Lecroy 2285A ADC. The other output went into input A of a Chronetics 151 dual discriminator. The threshold was 50mv and the gate width was 50ns. The outputs of one or more pads were ganged together and amplified 40x by channel two of the 612 and the amplifier output went into channel two of the 2285A.

A gas mixture of 50% Argon - 50% Ethane bubbled through ethyl alcohol at room temperature was used. Fig.3 shows typical pictures of the qvt pulse height distribution for tube proportional signals at an operating voltage of 2.5Kv. Fig. 4 shows the integrated charge for minimum ionizing electrons from a Ruthenium (Ru 106) beta source versus high voltage before amplification for a typical tube. Due to the finite resistivity of the tubes (approx. 20 kilo ohms/sq.) charge will flow from one pad to an adjacent one along the tubes. Fig 5(a) shows the charge flow versus position for limited streamer signals measured with the smallest pads (see Fig 5(b) ).

A 1/32" thick piece of scintillator mounted on a phototube was placed in front of the beta source positioned over the center of a pad. The phototube output went into input B of the 151. The threshold was 220mv and the gate was 50ns. The discriminator outputs for the proportional tube and the phototube went into a majority coincidence set at level two. The coincidence output went into a 151 to shape the pulse to 400ns and the 400ns pulse was the gate for the 2285A ADC. Thus we required the 2285 to read only signals generated by a particle causing a coincidence pulse between the scintillator and proportional tube. This is what is referred to as a double trigger on tube and scint. in the tables.

The largest pad is 8 x 8cm, next to largest pad is 4 x 4cm, next to smallest pad is 2 x 2cm, and smallest pad is 1 x 1cm. The output of the pads and tubes were timed with the gate pulse so that the gate pulse enveloped all of the signal from the tube and pad. Each test run consisted of reading the amplified signal of one or more pads ganged together and the outputs of the eight tubes ganged together. To find the noise of each test run set up, the coincidence was set to level 1 so that only the phototube output generated the gate pulse and the voltage of the phototube was raised 200 volts. In this way the gate was generated by noise which let the 2285A read only noise pulses.

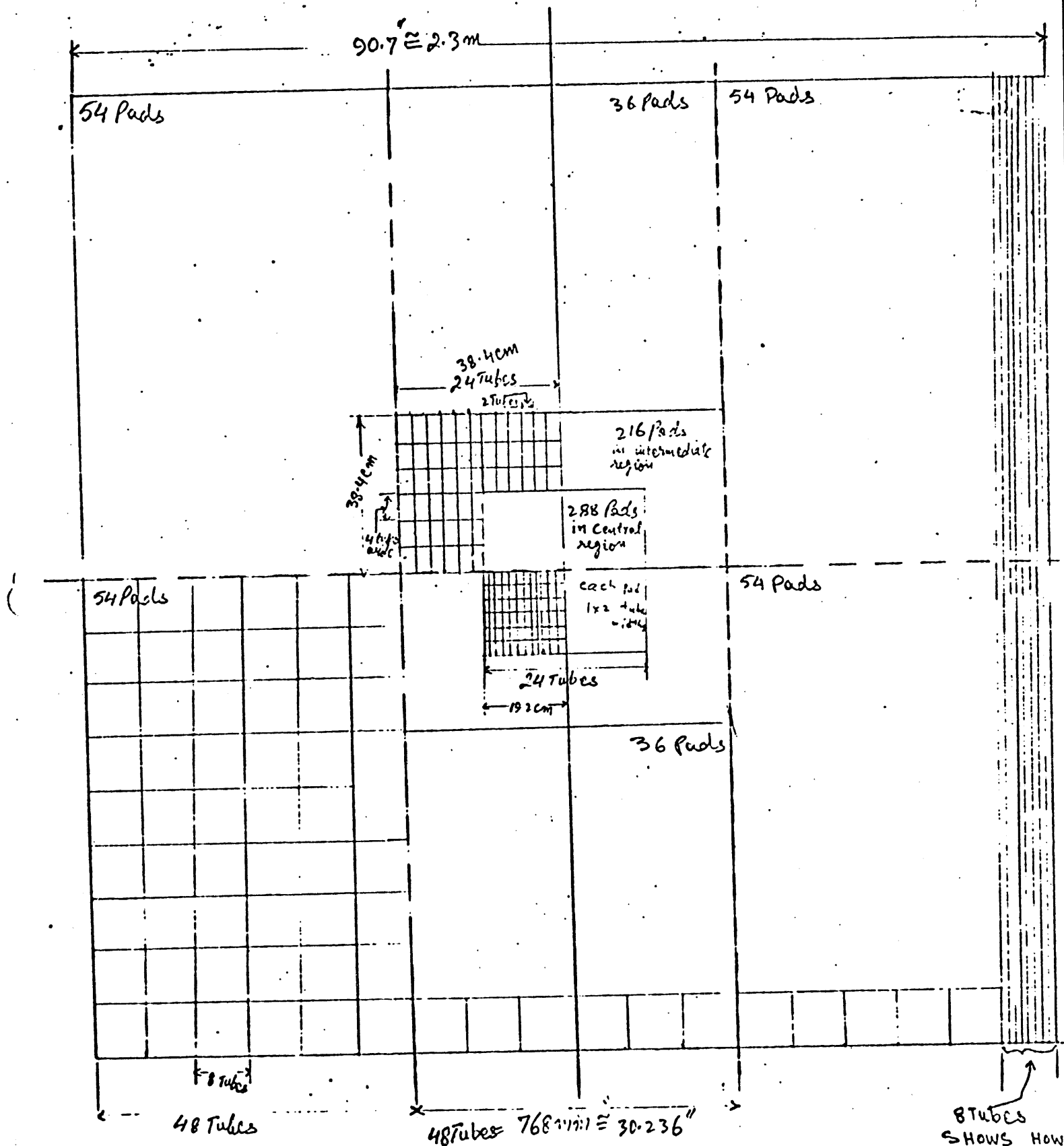
During all of the test runs the wire in the proportional tubes was kept at a voltage of +2.5kv and the tube walls were grounded. The eight tubes generally drew .8 microamperes with the source on and .3 to .4 microamps with the source off. The peak integrated charge for various pad combinations is summarized in tables I and II. The table labeled Horizontal assembly is the data taken with the detector on its edge and the table labeled Vertical assembly includes the data taken with the

detector hanging from one end. Note that the peak signal is ~4 times minimum ionizing because of scattering caused by the G-10 boards. Charge collection improves as the size of the pad increases. For the largest pads, the pad signal approaches 50% of the tube signal.

#### NEW TUBES

We have recently received shipment of full sized tubes which will be used in the final detector. One tube has been tested. Fig. 6 shows the current vs high voltage curve for the new 11mm x 16mm x 2.4m tube. Space charge build-up causes discharge at lower voltages with the source on the tube. The integrated charge distribution for minimum ionizing electrons is shown in Fig. 7 for the new tube at 2.5 Kv where a 612 amplifier was used with a gain of x47.

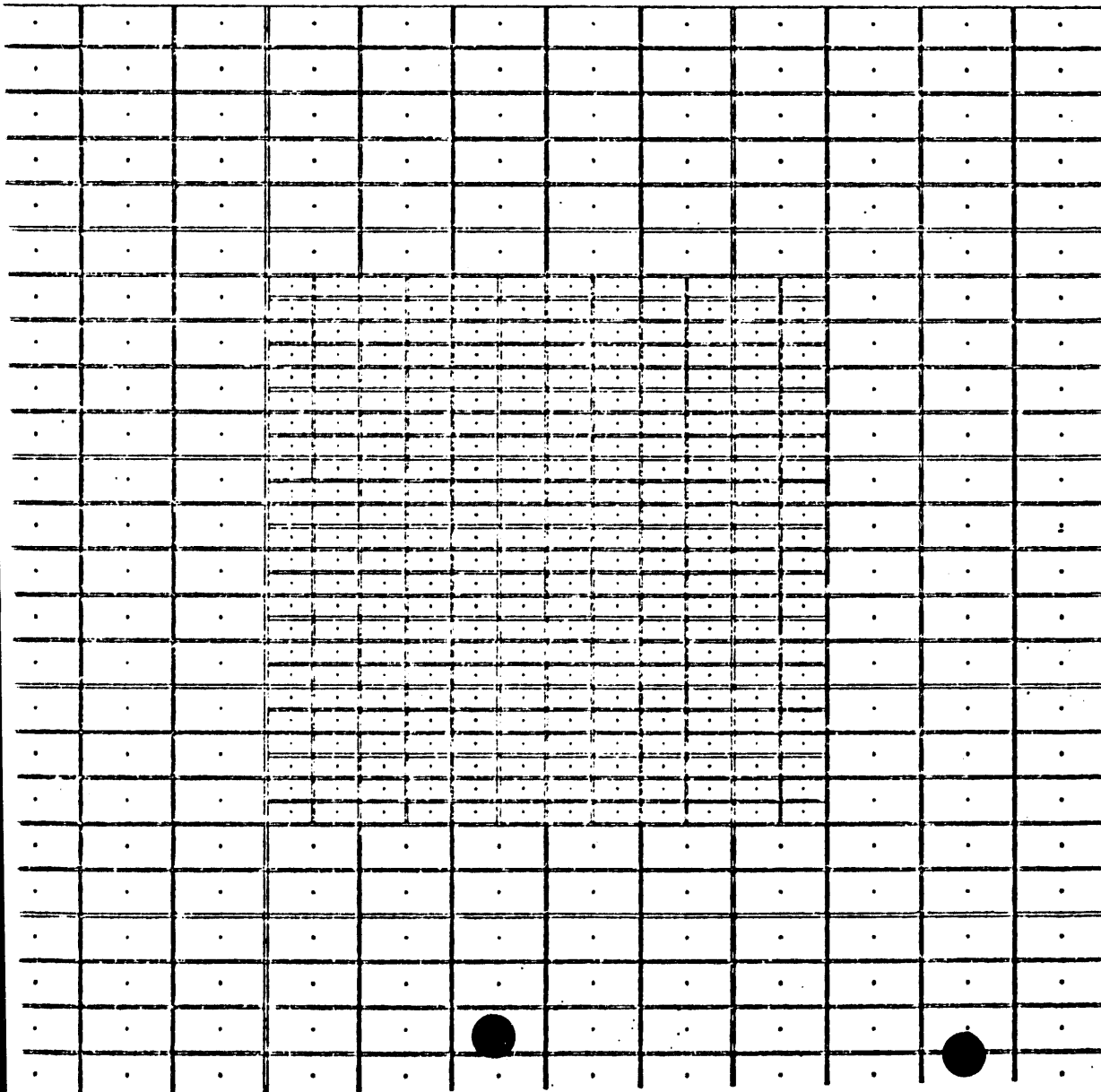
THE DRAWING SHOWS THE OVERALL SIZE OF LAY<sup>IN</sup> AND THE DESIGN/SIZE OF SEGMENTATION IN EACH REGION  
 DOTTED LINE SHOWS SEPARATION OF <sup>SMALL</sup> BOARDS



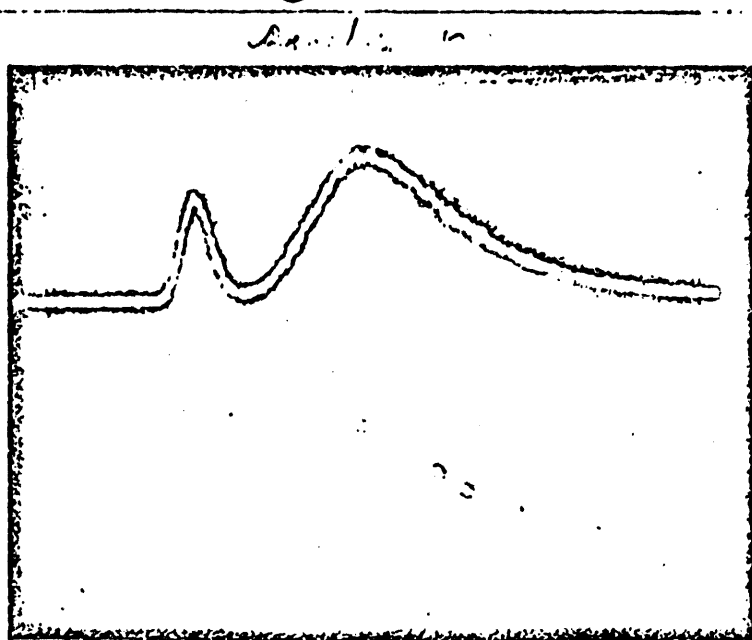
8 Tubes  
 SHOWS HOW  
 WILL BE LAID  
 ON THE BOARD

- # of large Pads = 288 — outer region
- # of intermediate Pads = 216 — intermediate region
- # of small Pads = 288 — central region

Fig. 2



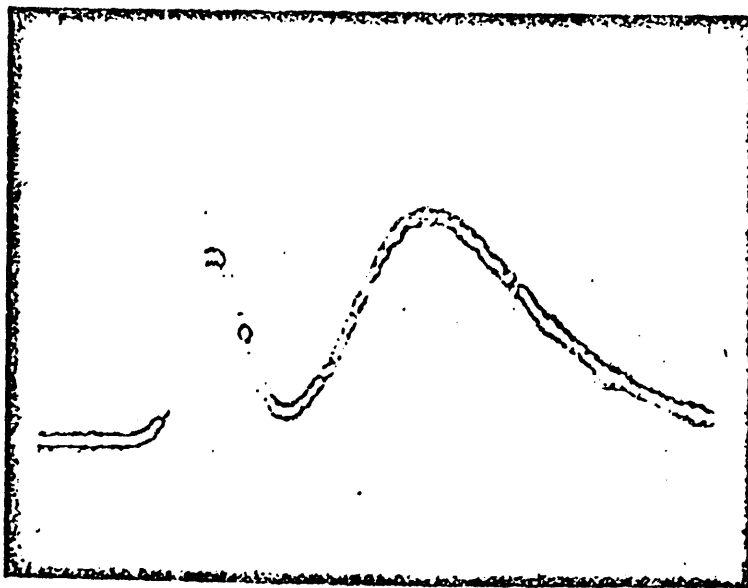
W. J. Allen on position 7 2/10/50



position 7

peak 137  
 $\delta$  peak 126, 147  
 peak 243  
 $\delta$  peak 205, 317  
 valley 167  
 position 8  
 peak 140  
 $\delta$  peak 129, 148  
 peak 219  
 $\delta$  peak 190, 269  
 valley 163

Antenna on position 9 voltage 2.5 kv



peak 140  
 $\delta$  peak 130, 150  
 peak 210  
 $\delta$  peak 186, 247  
 valley 164

Fig. 3

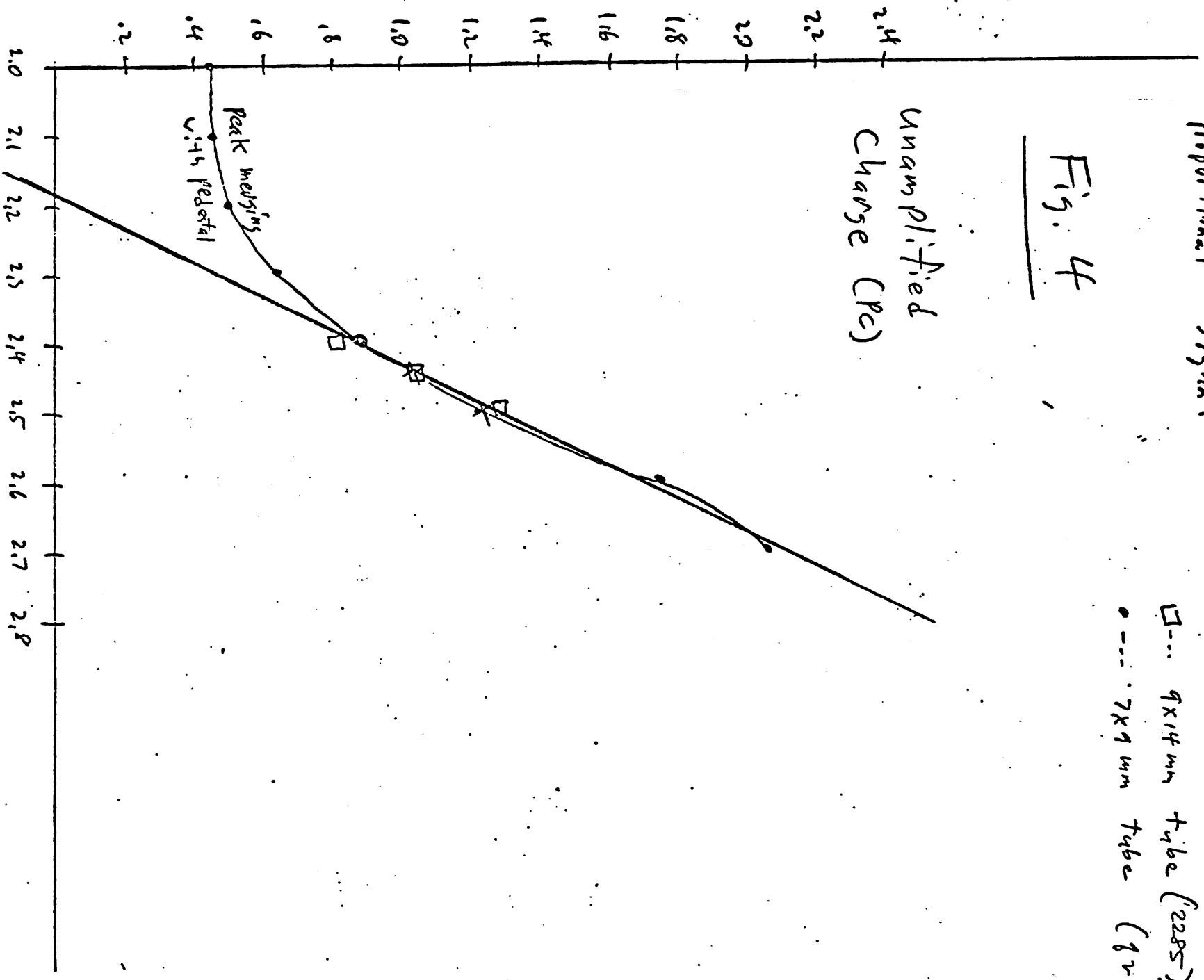


Tube #3 (see page 151)  
Proportional Signal

□--- 9X14 tube (2285)  
○--- 7X1 tube (124)

Fig. 4

unamplified  
Charge (Pc)



voltage (V)

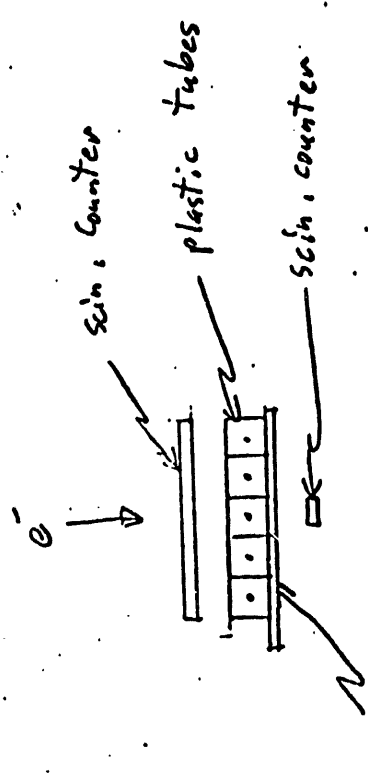
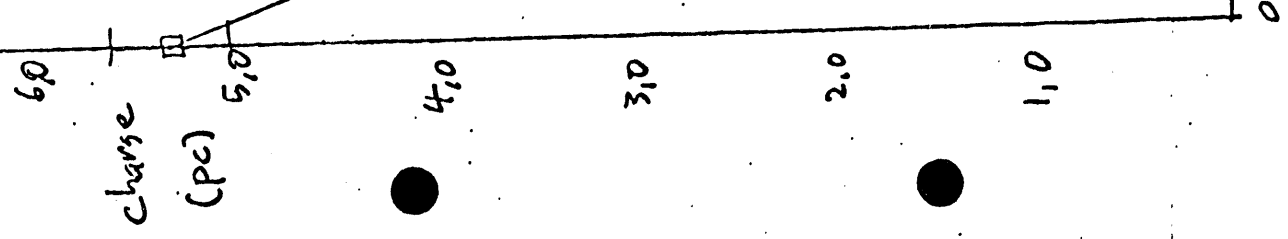
Fig. 5(a)

7 x 10 mm ID Tube  
 10 x 10 mm Pads with 3 mm gap  
 150 ns gate

Integrated Pad Charge

VS

Distance from  $R_{106}$  Source



K-E  
10 X 10 TO THE CENTIMETER  
KEUFFEL & ESSER CO. NEW YORK

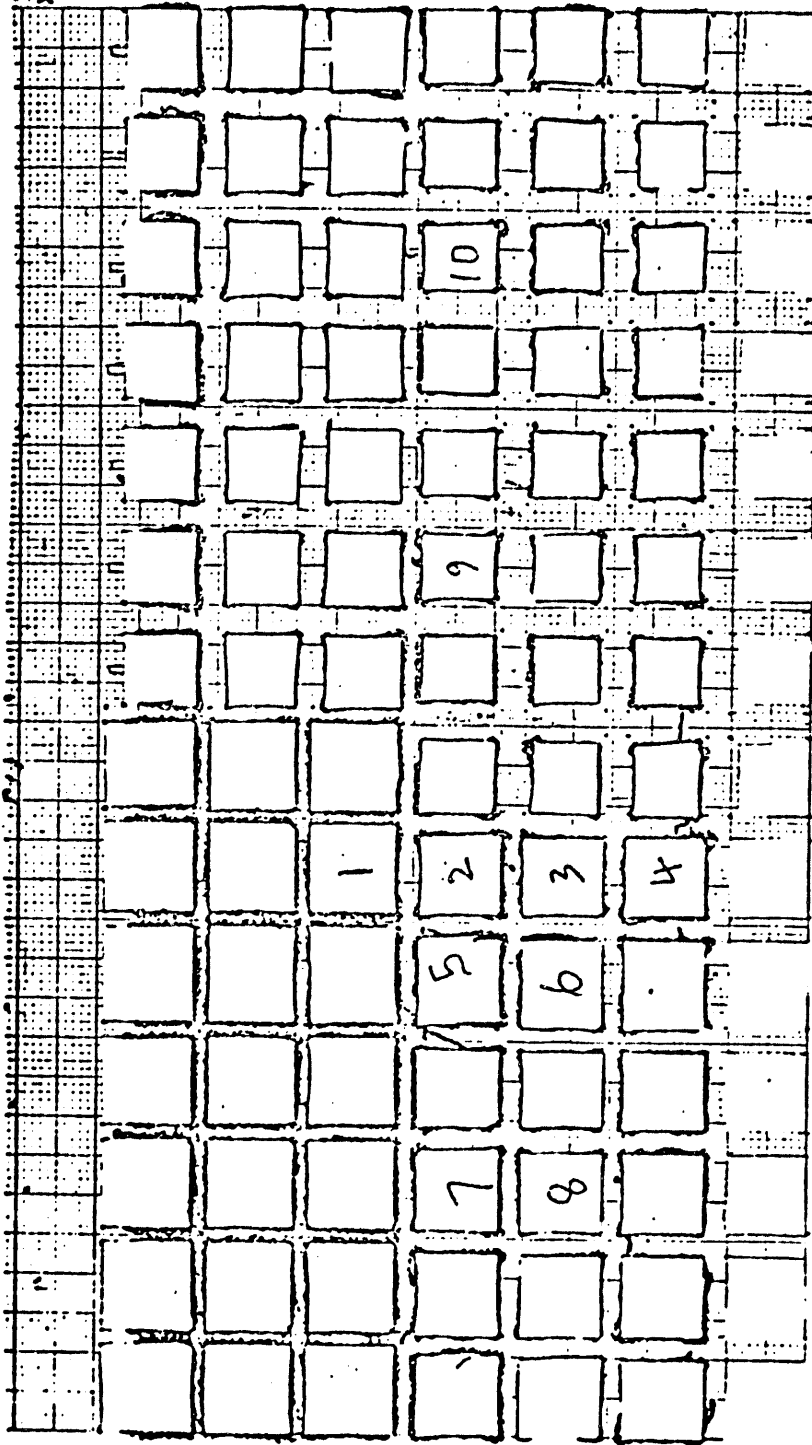
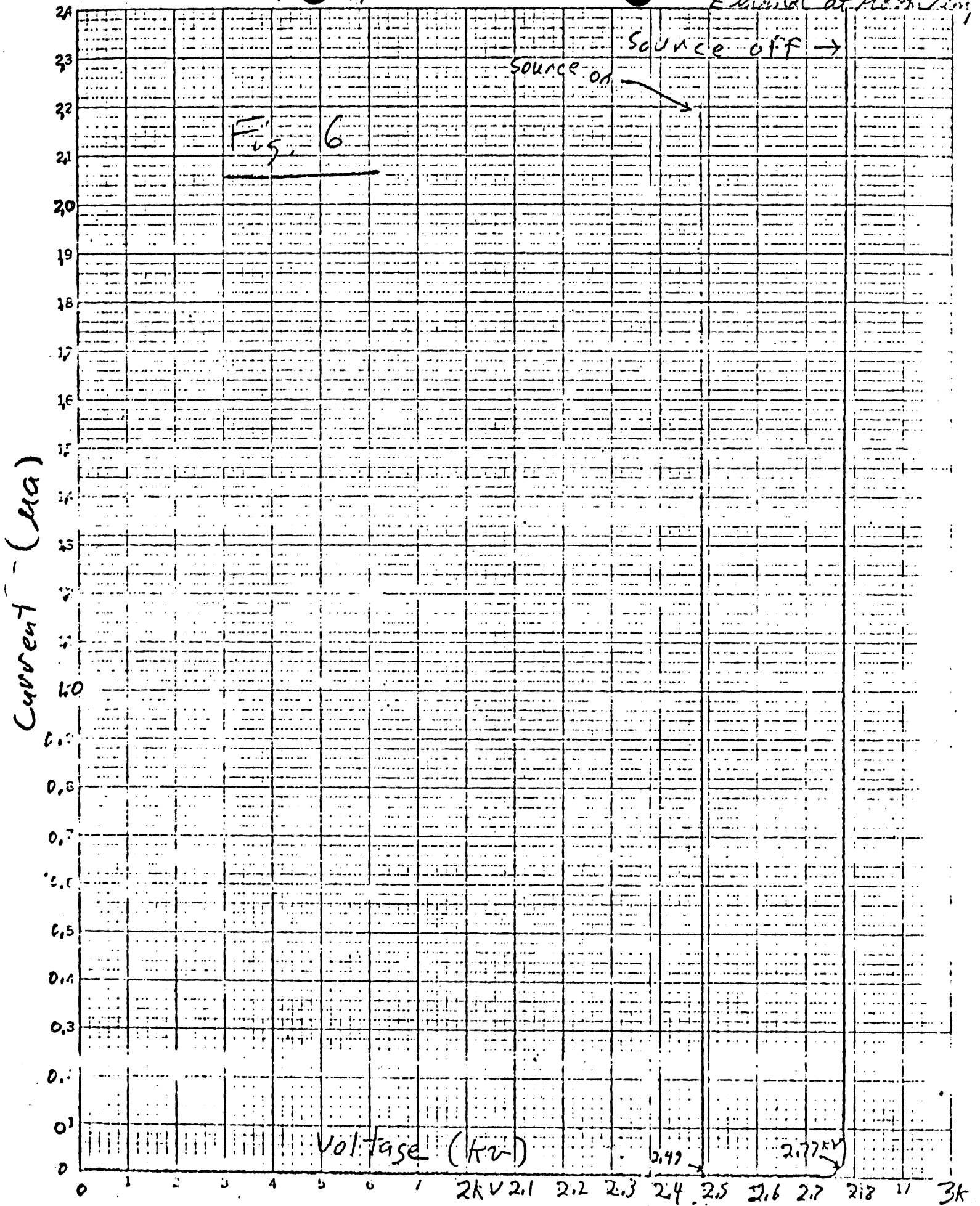


Fig. 5(b)

Current vs. voltage plot  
for large new tubes

30/50

11/24/20  
batteries thoroughly  
checked at 10:30 AM



gain 40 .6.0 db on tube

[illegible]

— 111 —

2,545

lowest pad.  
highest pads  
highest pads  
next to largest pad

" " "  
" " "  
" " "

next to smallest pad

0 400.77 .77 .02  
 7 519.92 .25 .01  
 8 450.95 1.31 .04  
 HAT CHANNEL(1-8,REG.,9-11,LEFT,MID,RIGHT)? 2

0.5> 0  
 1.5> 0  
 2.5> 0  
 3.5> 0  
 4.5> 0  
 5.5> 0  
 6.5> 0  
 7.5> 0  
 8.5> 0  
 9.5> 0  
 10.5> 0  
 11.5> 0  
 12.5> 0

612 amp gain = x 47  
 HV = 2.5 kv

(50 ADC ch./BIN)  
 ~ 0.1 pc / ADC ch.

13.5> 12\*\*\*\*\*  
 14.5> 34\*\*\*\*\* ← pedestal  
 15.5> 16\*\*\*\*\*  
 16.5> 2\*  
 17.5> 0  
 18.5> 1  
 19.5> 2\*  
 20.5> 14\*\*\*\*\*  
 21.5> 22\*\*\*\*\*  
 22.5> 60\*\*\*\*\*  
 23.5> 66\*\*\*\*\*  
 24.5> 53\*\*\*\*\*  
 25.5> 75\*\*\*\*\*  
 26.5> 77\*\*\*\*\* ← min. ion. proportion  
 27.5> 62\*\*\*\*\* peak ≈ 60 pc  
 28.5> 79\*\*\*\*\*  
 29.5> 58\*\*\*\*\*  
 30.5> 53\*\*\*\*\*  
 31.5> 45\*\*\*\*\*  
 32.5> 37\*\*\*\*\*  
 33.5> 33\*\*\*\*\*  
 34.5> 32\*\*\*\*\*  
 35.5> 20\*\*\*\*\*  
 36.5> 17\*\*\*\*\*  
 37.5> 15\*\*\*\*\*  
 38.5> 13\*\*\*\*\*  
 39.5> 13\*\*\*\*\*  
 40.5> 14\*\*\*\*\*  
 41.5> 11\*\*\*\*\*  
 42.5> 7\*\*\*  
 43.5> 7\*\*\*  
 44.5> 2\*  
 45.5> 1  
 46.5> 2\*  
 47.5> 5\*\*  
 48.5> 0  
 49.5> 34\*\*\*\*\*

Fig. 7

(new tube)

Ru<sup>106</sup> Source

RE HISTOGRAMS(Y/N)? N

AGAIN...?(Y/N)...

\*\*\* at address 2DB8 \*\*\*

user8

OU-HEP MEMO #14

OU-HEP's AMP with LRS Hybrid

By

Tom Thiel  
John A. White  
G. R. Kalbfleisch

November 10, 1983



OU-HEP MEMO #14

OU-HEP's AMP with LRS Hybrid

Tom Thiel, John A. White and G. R. Kalbfleisch  
11-10-83

*dfk*

- A. We are using LRS HQV-810-3 (OSU's hybrid H8) preamp and our own design 10115-delay line shape-10115 mid-stage amp. Various choices and tested values of components have been made. We expect to use 400 ns shaping and 350 ns gating times in final version. These tests have all been made with 300 ns shaping and 200 ns gate. The theoretical improvement of  $\text{SQRT}(200/350)$  is not expected; our measurements indicate will get only a factor of 0.9 improvement over the data given here.

We were concerned that calibrations with TEST PULSING only would not necessarily agree with an absolute calibration with a source (or other beam) on a detector. We report here results with test pulsing on crossing board trace test capacitor (0.18 pf average) with inline input with 1.1pf external test pulse capacitor and with a 20 mm<sup>2</sup> 300 micron thick fully depleted (at 100 volts) N-type Enertec detector, with and without a Ru-106 beta source. The peak value of charge for this detector is expected to be 3.4 fc.

- a) with amplifier only, 0.18 pf TP, sigma(noise)= 0.10 to 0.14 for 8 channels  
= 0.125 fc average  
b) with detector connected " " = 0.16 to 0.22 fc  
0.195 fc average  
(implies detector equivalent noise=0.15 fc,  
reverse bias current is supposedly very low, na's)

- c) calibration (amp ch #10= hybrid ch #3)  
496 ch/fc amp. only using 0.18 pf TP cap  
486 " + detector conn. "  
466 " only using 1.1 pf TP cap  
412 " via 3.4 fc Ru-106 absolute

- d) 2 channels--comparison .18TP, 1.1TP and Ru-106. NOISE SIGMA's
- |                            | 0.18 pf(no det) | +detect | Ru-106  |
|----------------------------|-----------------|---------|---------|
| amp ch #10, hybrid ch#3--- | 0.12 fc         | 0.20 fc | 0.22 fc |
| " #11, " #2---             | 0.12            | 0.19    | 0.21    |
- ( 0.19 vs. 0.21 )

Thus, TP and source calibrations agree within 10-20 percent.

- B. We have not had any trouble with blowing out channels on H8 hybrid, without using any special precautions. Long term failure modes, heating problems, etc. are of course unknown yet to us. We have crudely looked at some "cross-talk" numbers, easily 10 percent or more in our present test board. We don't know yet if its hybrid, or PCB layout or both. We will address this in detail when we get our first true proto-type PCB layout made (in a few weeks at most we hope). We expect to place order for hybrids with LRS next week since it appears that we can manage with them (?is revision? for protection diode inside hybrid package?). Will start getting all components on order, stand included, for amplifier boards. No news yet back from Colin Willburn on production of 10 beam SSD's.

**DATE**

**FILMED**

**9/14/94**

**END**