

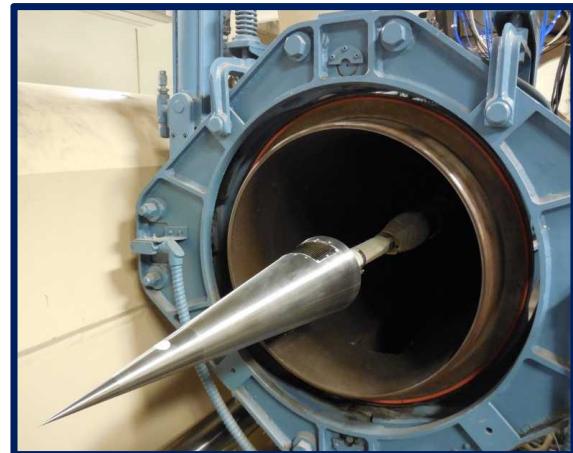
Fluid-Structure Interactions in High-Speed Flow

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Fluid-Structure Interactions

The potential for fluid-structure interactions occurs when there is a harsh loading environment.

Many potential high-speed applications:

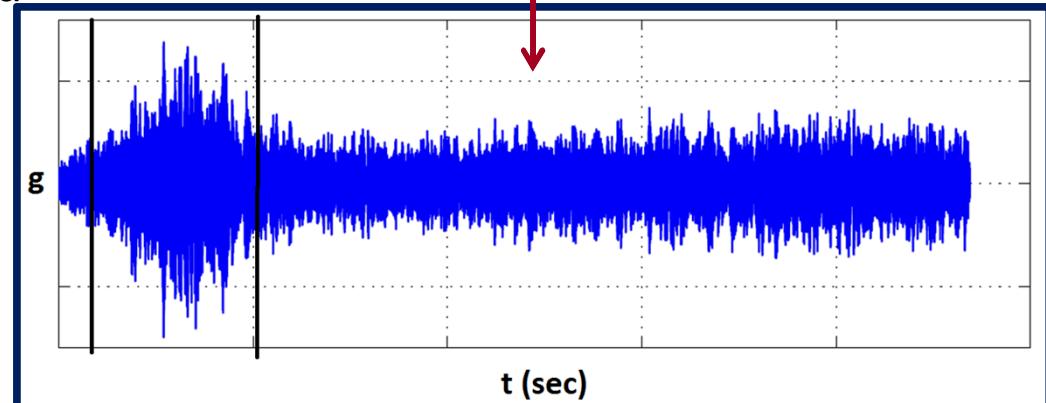
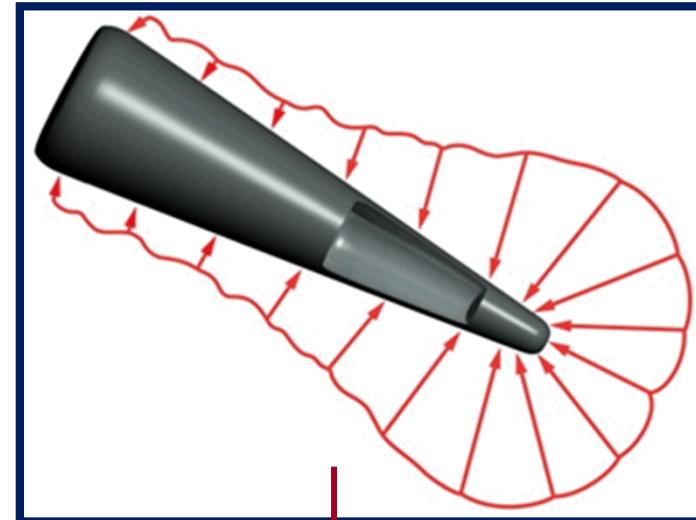
- Shock-wave boundary-layer interactions (SWBLI)
- Hypersonic reentry: boundary-layer transition
- Cavity flows: captive carry or store separation

Limited experimental work on these problems, especially at high speeds.

Motivation: Reentry-Vehicle Vibration

Vehicle vibration is a maximum when a reentry vehicle undergoes boundary layer transition.

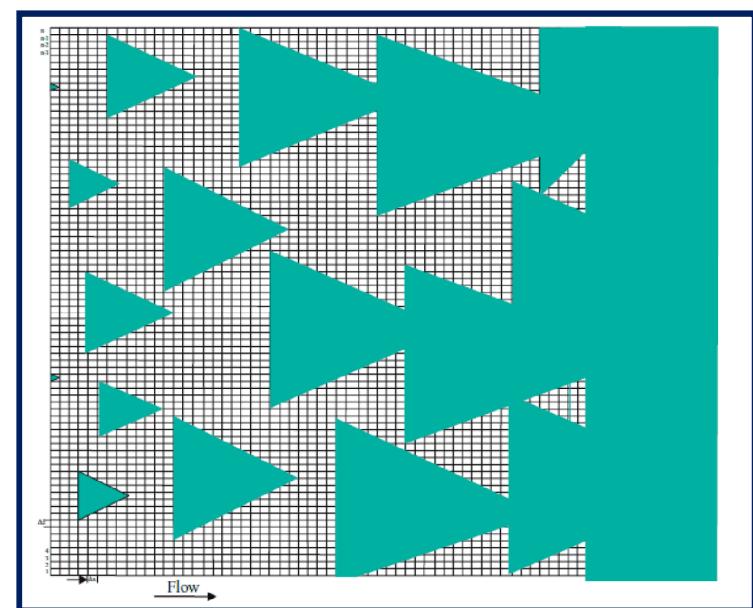
- Pressure fluctuations peak during boundary-layer transition.
 - Need to model fluctuations and spatial distribution as input to studying potential fluid-structure interactions.
- Need to understand physics behind fluid-structure interactions.



Characterizing Pressure Loading on Relevant Geometries

Initial work focused on developing more accurate models of the pressure fluctuations using a turbulent-spot approach.

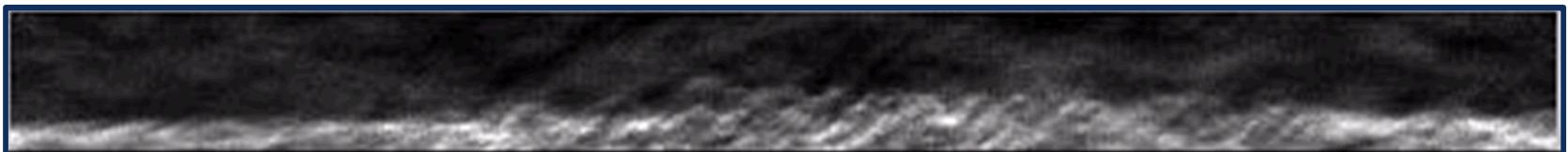
- At low speeds, the boundary layer switches between smooth laminar flow and turbulence.
 - Characterized by intermittency, burst rate, and average burst length at a given point.
- At hypersonic Mach numbers, second-mode waves are important and occur at the same time as turbulent spots during the transitional region.



Turbulent-spot model simulation, Vinod (2007).



Transitional Boundary Layer, Mach 5



Transitional Boundary Layer, Mach 8

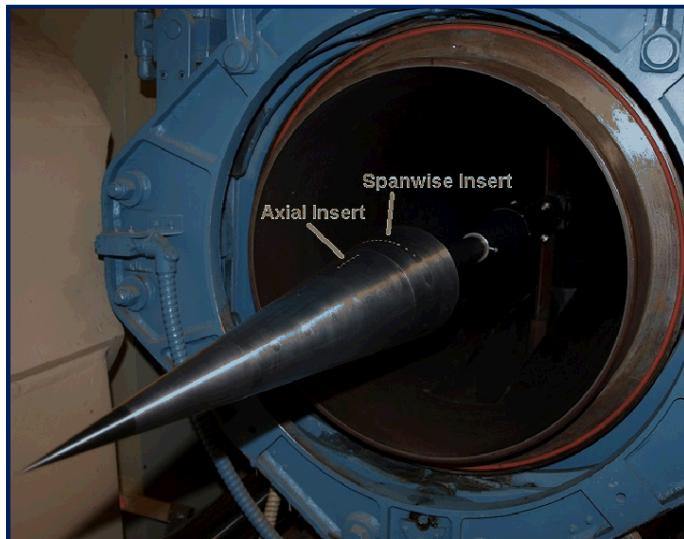
Experimental Setup

We want to study natural transitional boundary layers on a cone at Mach 5 and 8 to obtain transitional statistics.

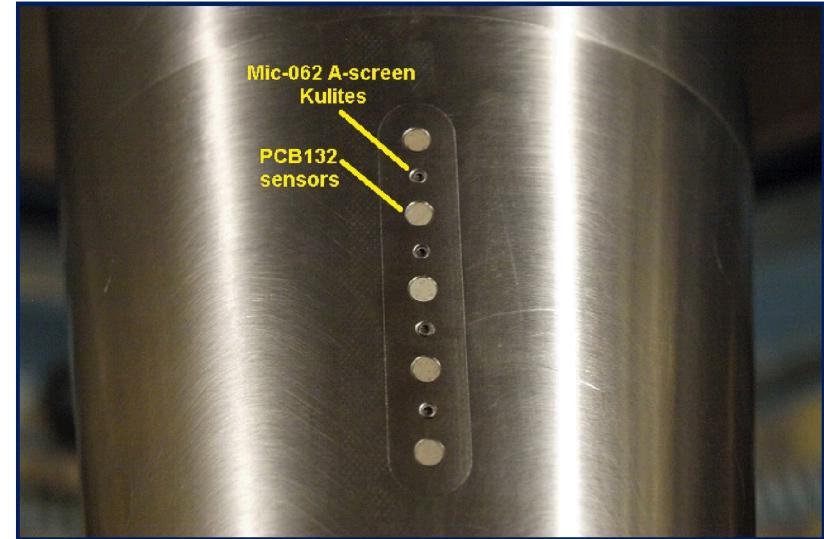
- Simultaneous schlieren imaging and high-frequency pressure measurements.

Seven degree stainless-steel sharp cone in Sandia's Hypersonic Wind Tunnel.

- Axial array with closely spaced high-frequency pressure transducers.
- Directly beneath schlieren viewing area.



Model installed in HWT.



Axial pressure-transducer array.

Mach 5 Measurements, $Re = 9.75 \times 10^6/m$



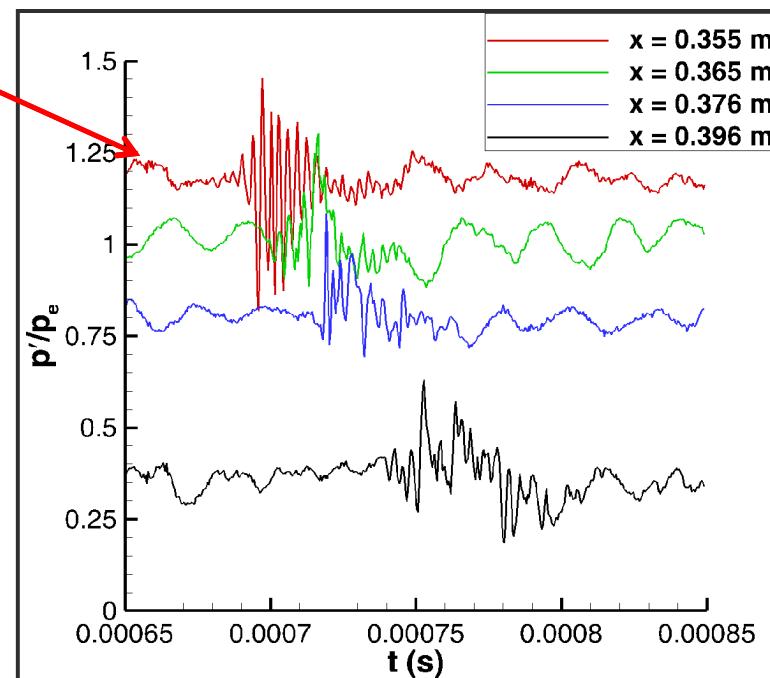
Schlieren Videos

Intermittent formation of second-mode wave packets that then break down to isolated turbulent spots.

- Observed in both schlieren videos and simultaneous pressure measurements.

Disturbances are surrounded by a smooth laminar boundary layer.

- To model this behavior, need to be able to distinguish instability waves from turbulence.



Pressure Traces

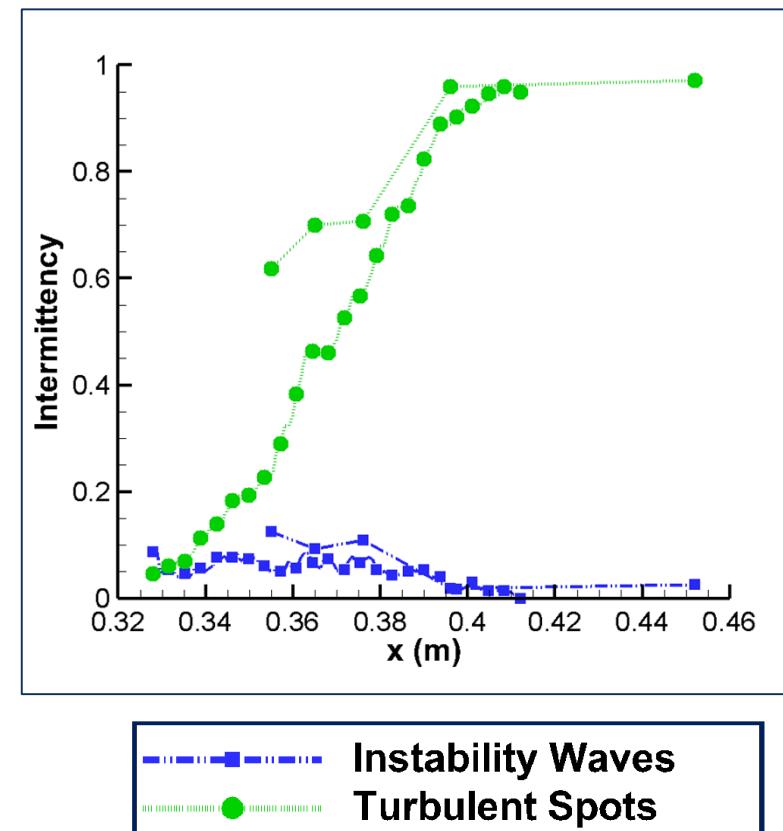
Mach 5 Transition Statistics

Developed techniques to separate waves from turbulence in both pressure measurements and schlieren videos.

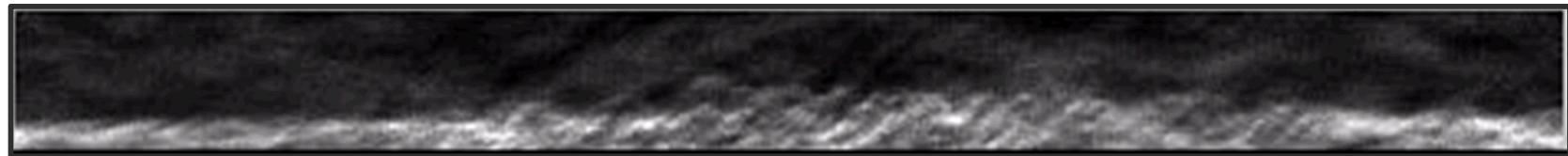
- Compute separate statistics for instability waves and turbulent spots.
- Both measurement techniques show reasonable agreement.

Waves remain a small part of transitional region.

Turbulent intermittency rises rapidly through transition.



Computation of Boundary-Layer Statistics, Mach 8, $Re = 9.74 \times 10^6/m$



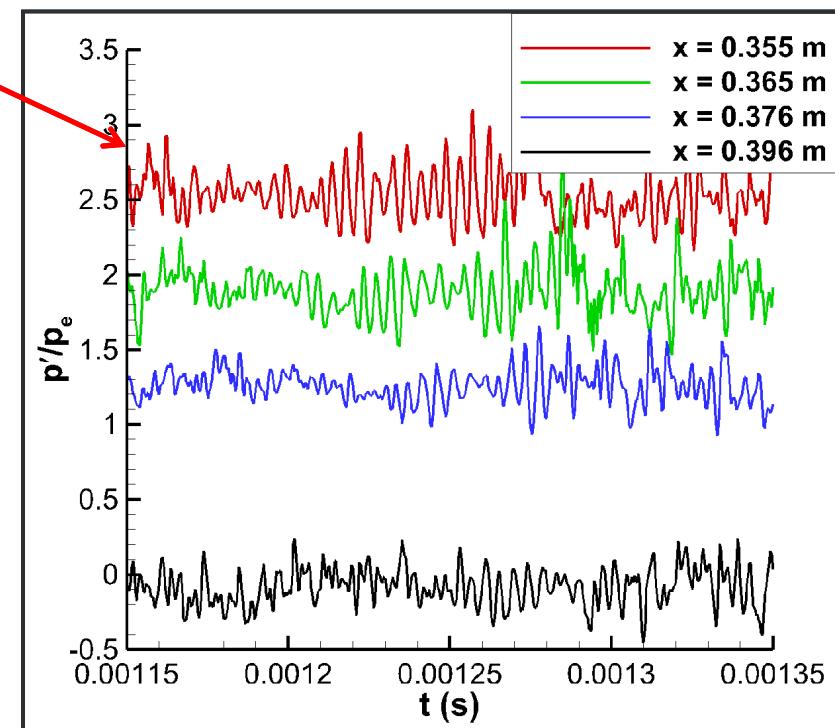
Schlieren Videos

Flow alternates between second-mode waves and turbulence.

- Smooth, laminar boundary layer not observed in transitional region.

Important to separate waves from turbulence in this case.

- Wavelet transform technique used to do this.
- Then, use this to compute boundary-layer intermittency and burst rates for waves and turbulence.



Pressure Traces

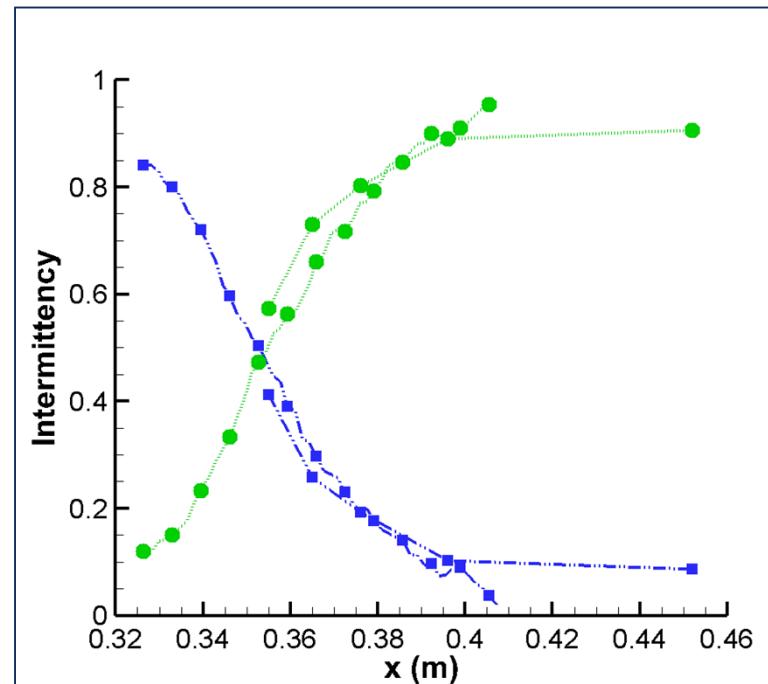
Natural Transition Statistics: Intermittency

Instability waves

- Significant part of the flow prior to development of turbulent spots.

Turbulent spots

- Gradually begin to dominate flow.
- Turbulent intermittency rises as instability wave intermittency decreases.

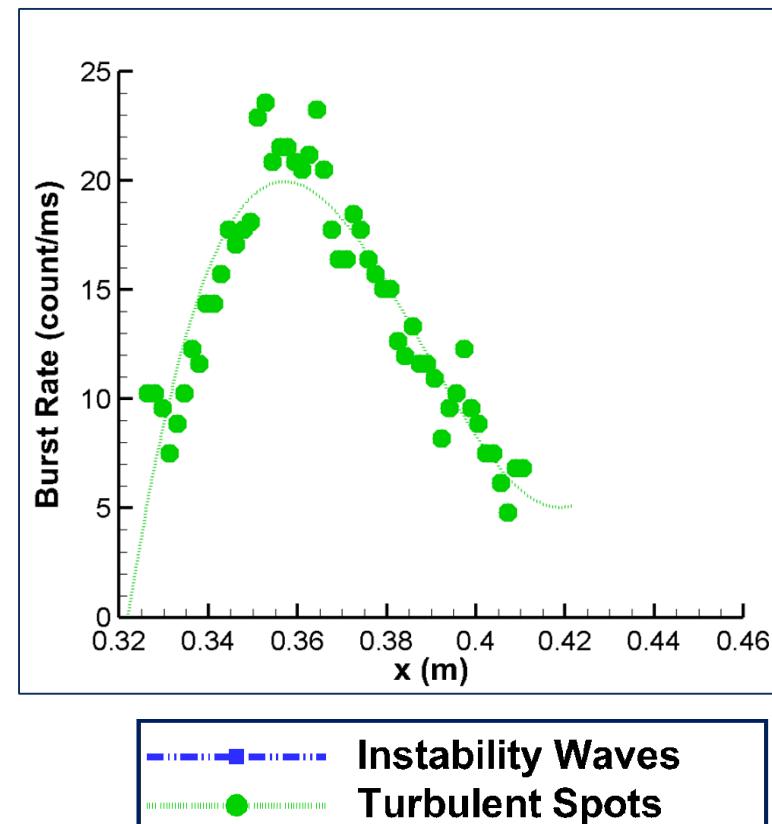


Instability Waves
Turbulent Spots

Natural Transition Statistics: Burst Rate

**Burst-rate computations
shows flow switches
between turbulence and
waves.**

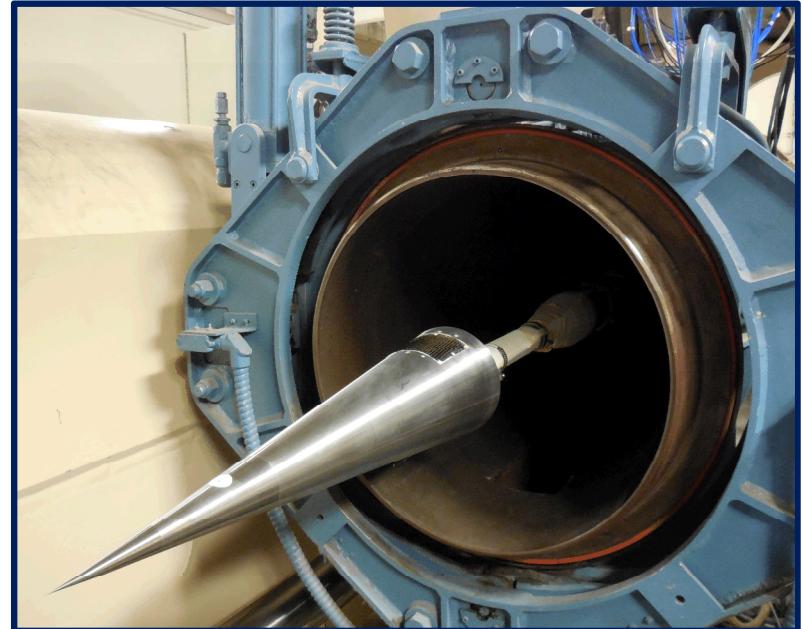
- Equal burst rate for instability waves and turbulence.
- High burst rate when intermittency is near 0.5.
- Burst rate decreases as spots merge into turbulence at locations further downstream.



Characterizing Structural Response to this Loading

We now have a better description of the fluid dynamics side of the problem.

Now we want to know how these disturbances couple to vehicle vibration!



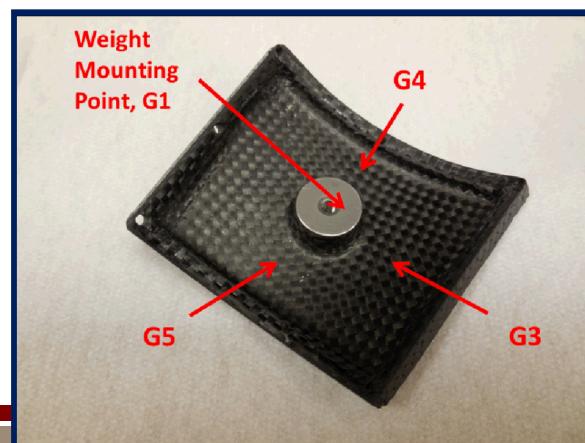
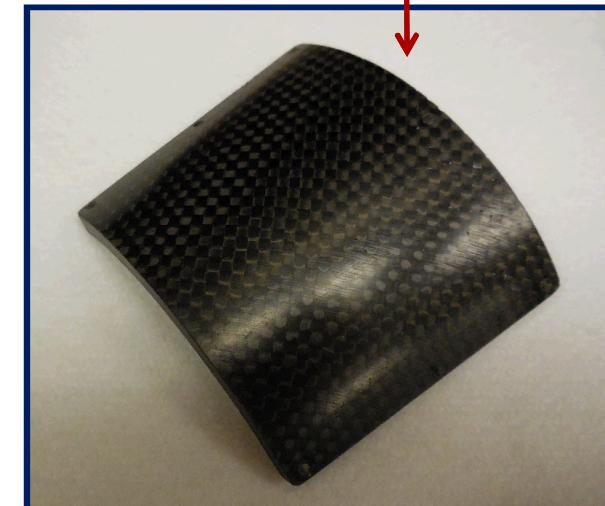
Experimental Design

Designed a cone with integrated thin panel that will vibrate from flow excitation.

- Thin plate becomes a sensor for the excitation loads produced by flow.
- Adjustable material and attached weights to fine tune structural natural frequencies.
 - Carbon-composite and stainless steel panels.
 - Aluminum, stainless steel, and tungsten weights.

Panel response measured with accelerometers on inside of panel.

- G1, triaxial accelerometer on weight.
- G5, uniaxial accelerometer upstream of weight.



Experimental Design

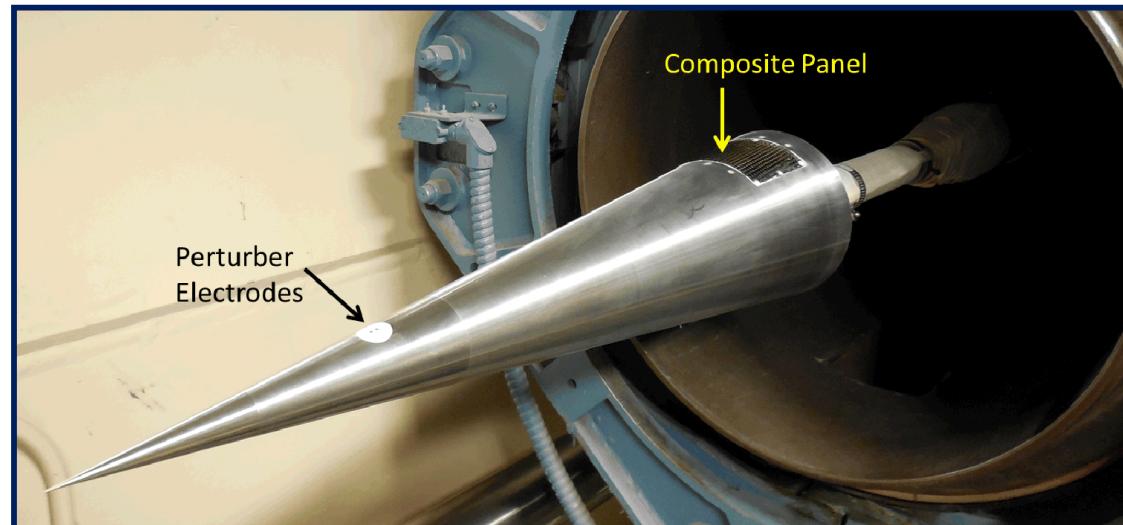
Pressure sensors upstream and downstream of panel were used to characterize the boundary layer.

- Schlieren measurements also acquired.

Developed a spark perturber to create controlled disturbances in boundary layer.

- Adjustable frequency up to 10 kHz.
- Initial plan was to match the perturbation frequency to the structural natural frequencies of the panel.

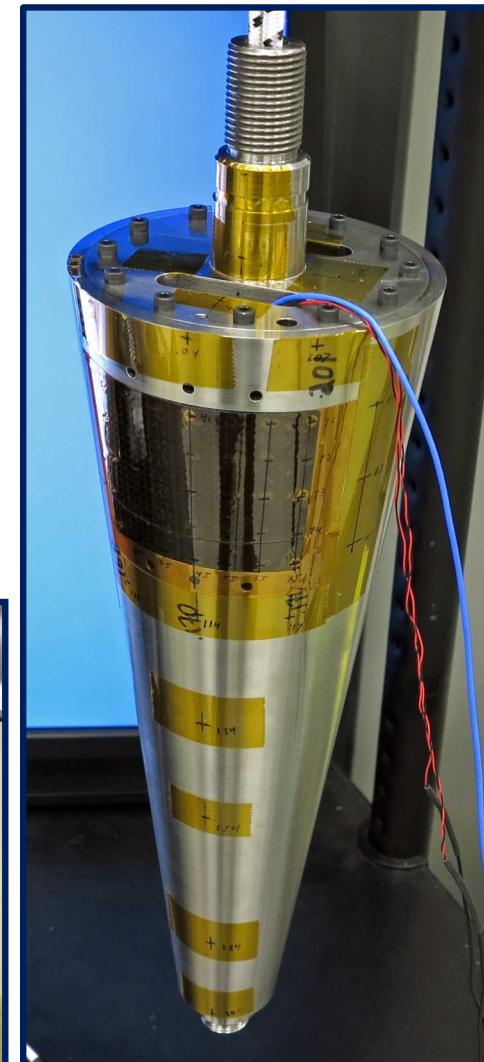
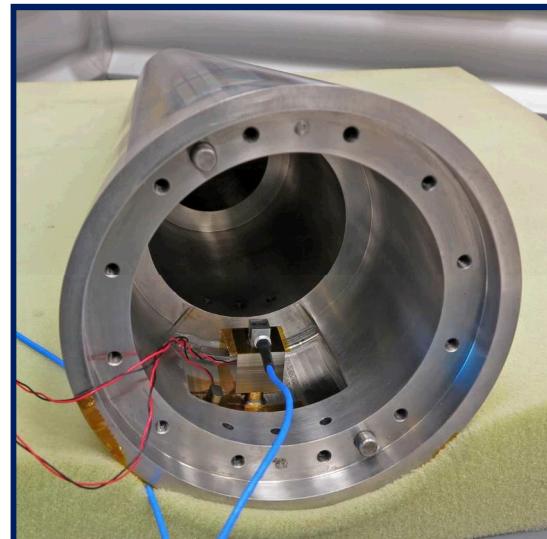
Controlled perturbation off for 15 s, and then on for 15 s during a run.



Structural Characterization

Hammer test was performed to determine the structural natural frequencies of the panel and model.

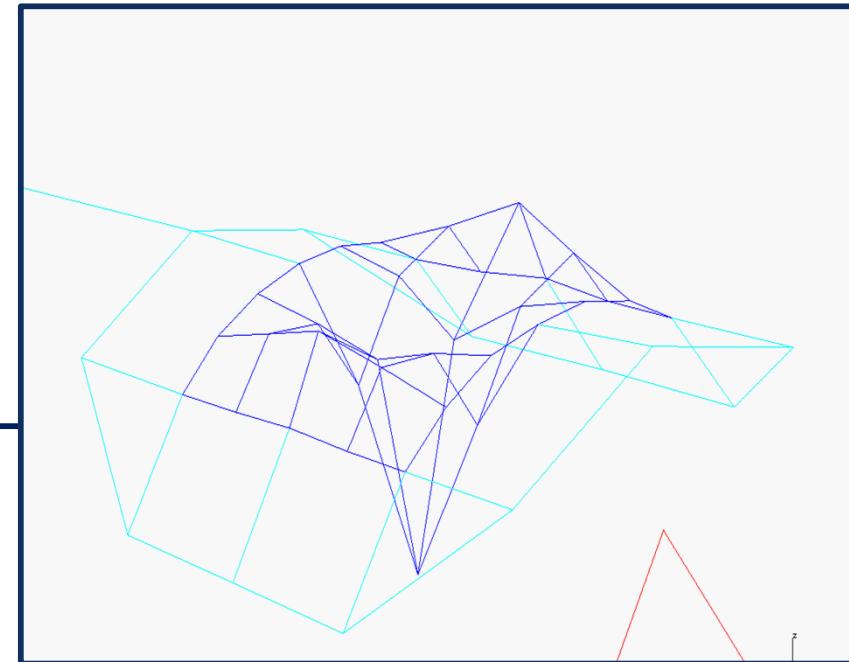
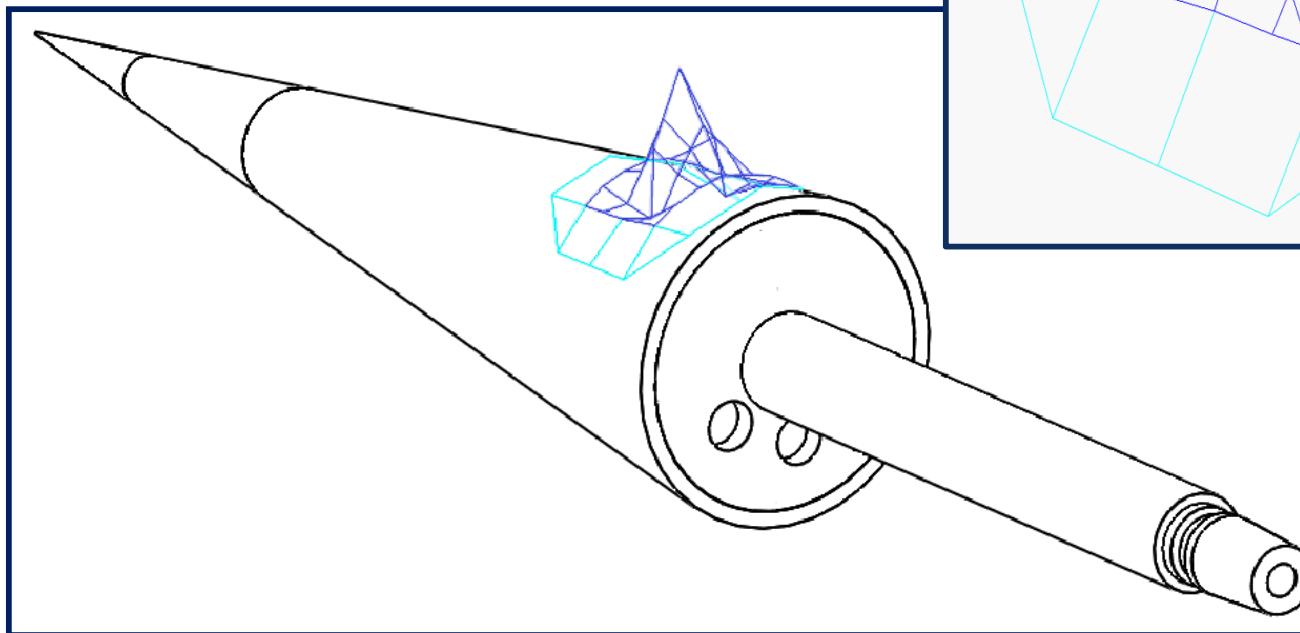
- Measure structural response to a known input.
- Generates a Frequency Response Function (FRF) in all three directions.
- Mode frequencies are obtained up to 10 kHz.
- Can also obtain mode shapes.



Three-lobe panel mode, P_z

Most apparent mode in vertical FRF

- Significant motion at center of panel.
- Smaller motion in spanwise direction, to either side of center.

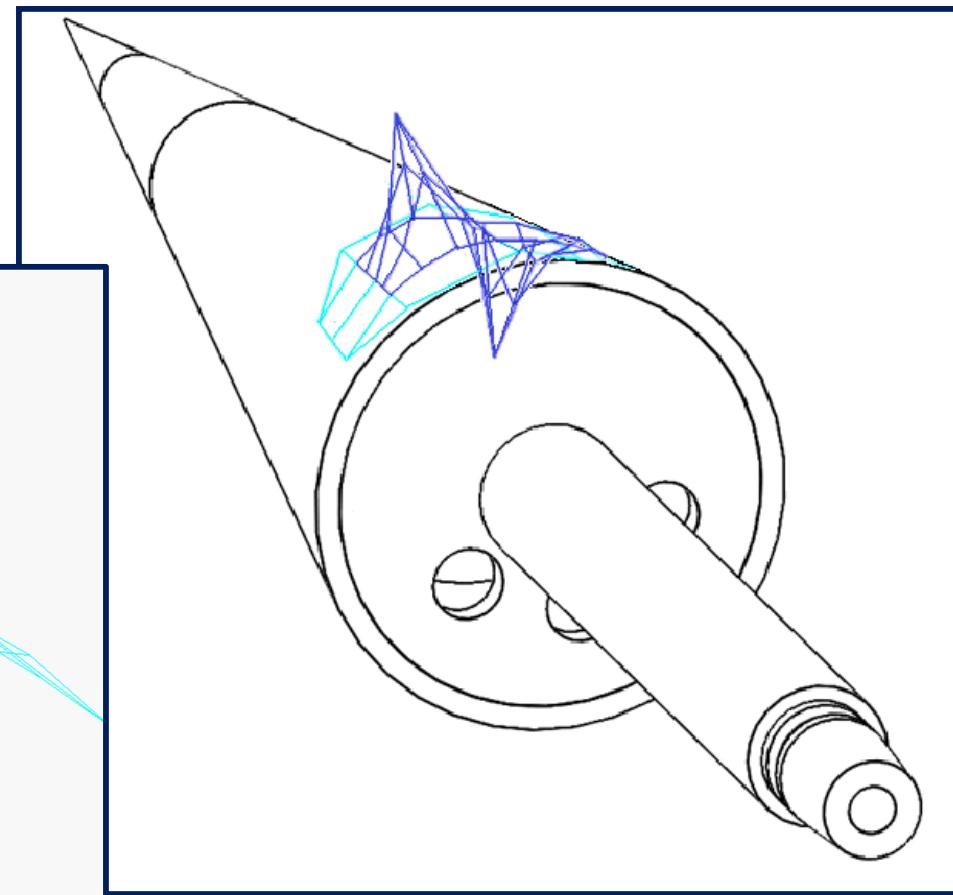
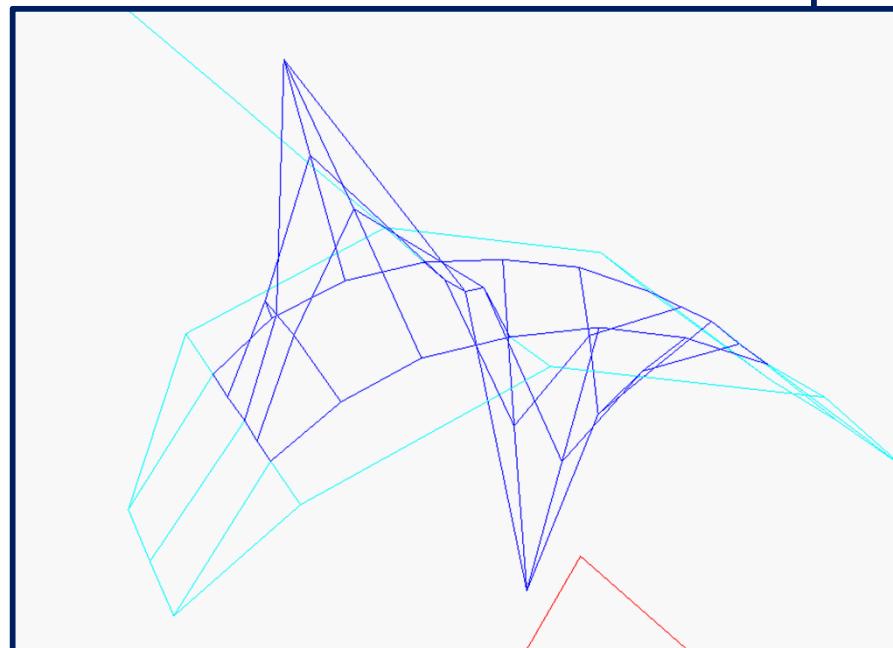


Two-lobe panel mode, P_y

Sinusoidal mode shape in spanwise (y) direction.

- Oscillates with time.
- Peak amplitude away from panel center.

Similar mode in axial (x) direction, P_x



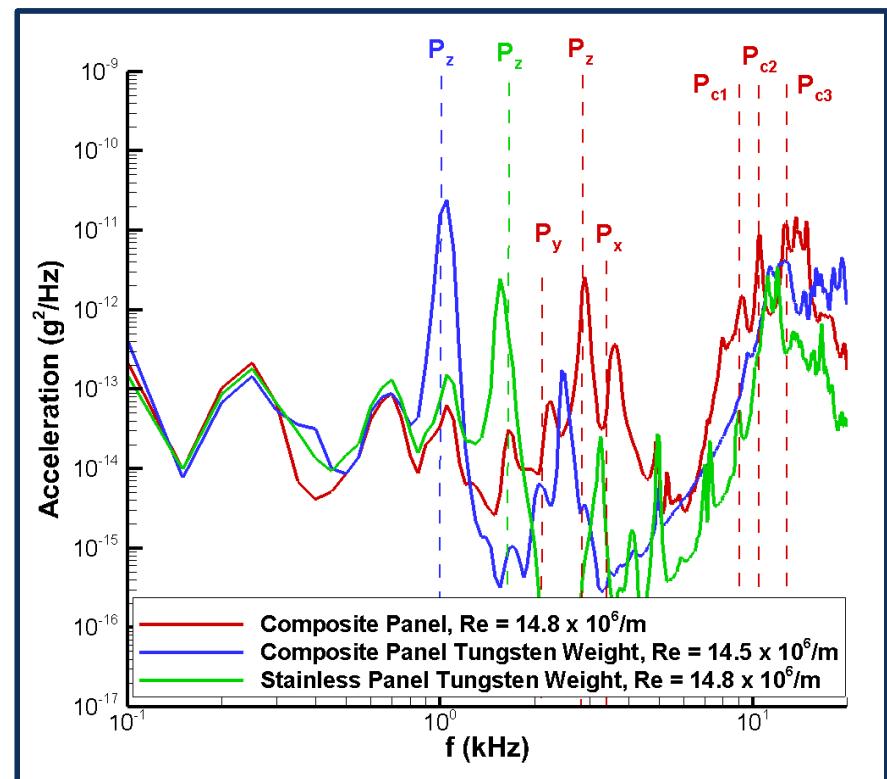
Panel Response to Turbulent Boundary Layers

Panel response shows many of the predicted structural natural frequencies.

- Boundary layer excites the panel modes in each direction.
- Can change frequencies of dominant modes by changing panel material and attached weights.

Higher-frequency panel response also occurs (P_{c1} - P_{c3}).

- Most apparent in G5 measurements in front of panel center.
- Also see coupling with dominant modes in other directions (P_x , P_y).



Vertical Acceleration, G5

Composite Panel Response to Natural Boundary Layer Transition

See an elevated response to transitional boundary layers.

- $Re = 6.6 - 9.8 \times 10^6/m$

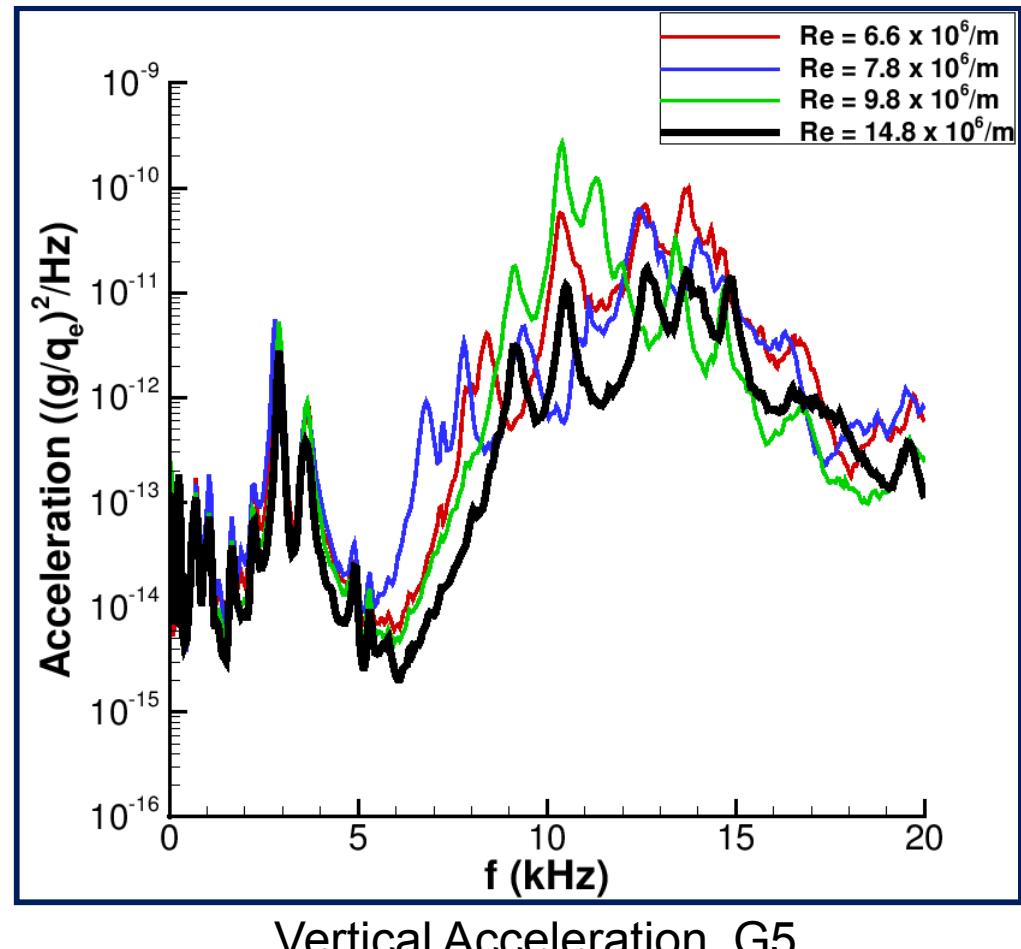
Lower response to turbulent boundary layers.

- $Re = 14.8 \times 10^6/m$

Largest differences occur at higher frequencies (5 – 20 kHz).

- This was unexpected!

We can gain more insight into this behavior from controlled disturbance experiments.



Perturber Effect on Boundary-Layer Statistics

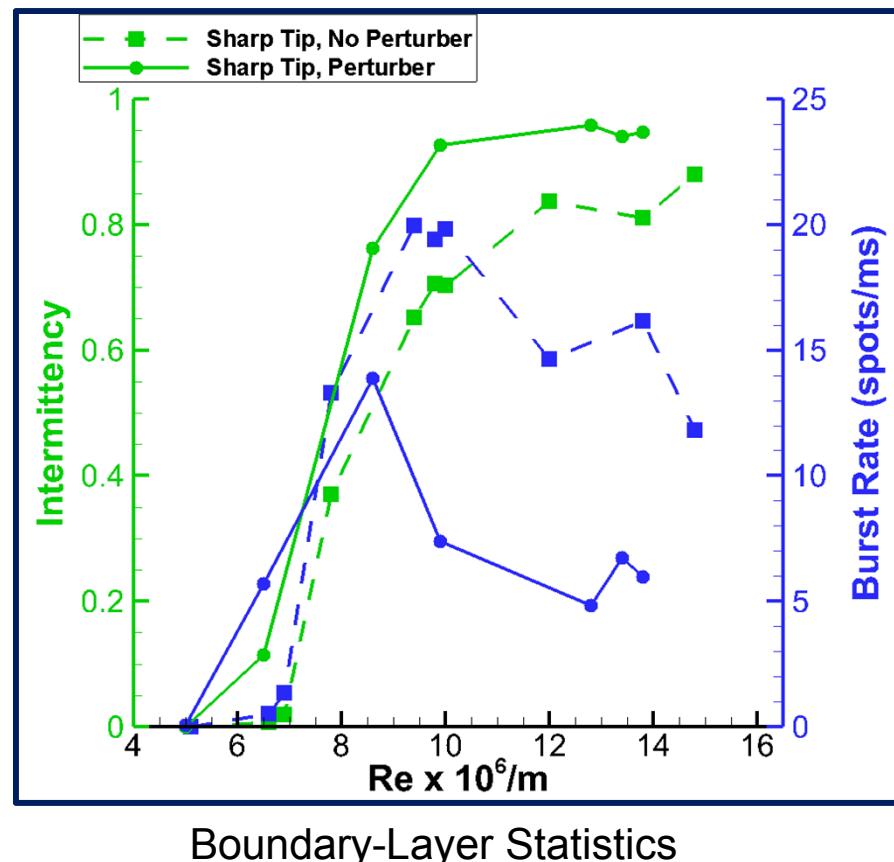


Consider effect of perturber operated at $f = 7.9$ kHz.

- At a given Reynolds number, the perturber creates:
 - Higher intermittency.
 - Higher burst rate at low Re , lower burst rate at higher Re .

~~Note the perturber does not change the transition to the boundary-layer state, instead it modifies the effects of natural transition.~~

How does this affect the panel vibration?

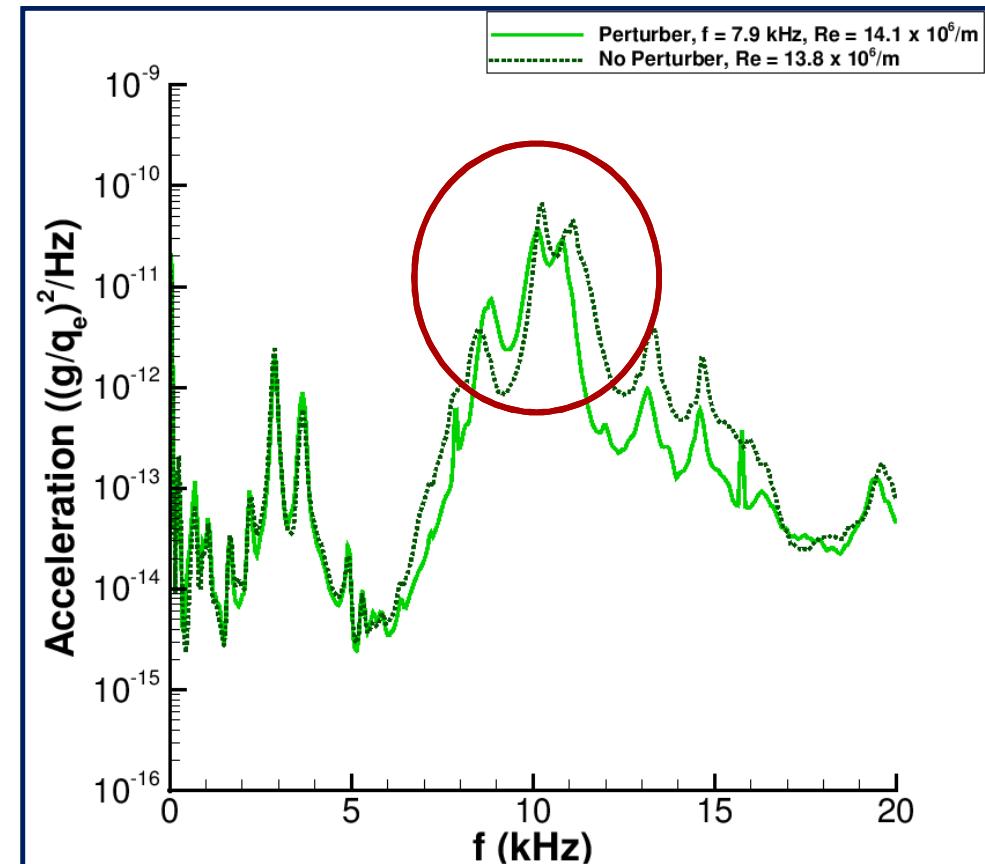


Carbon-Composite Panel Response With and Without Controlled Perturbations

Effect of perturber at high repetition rates (7.9 kHz):

- Similar response when the boundary layer remains laminar.
- Elevated response near 10 kHz during boundary-layer transition.
- Smaller response over a broad range of frequencies (5-20 kHz) once turbulent.

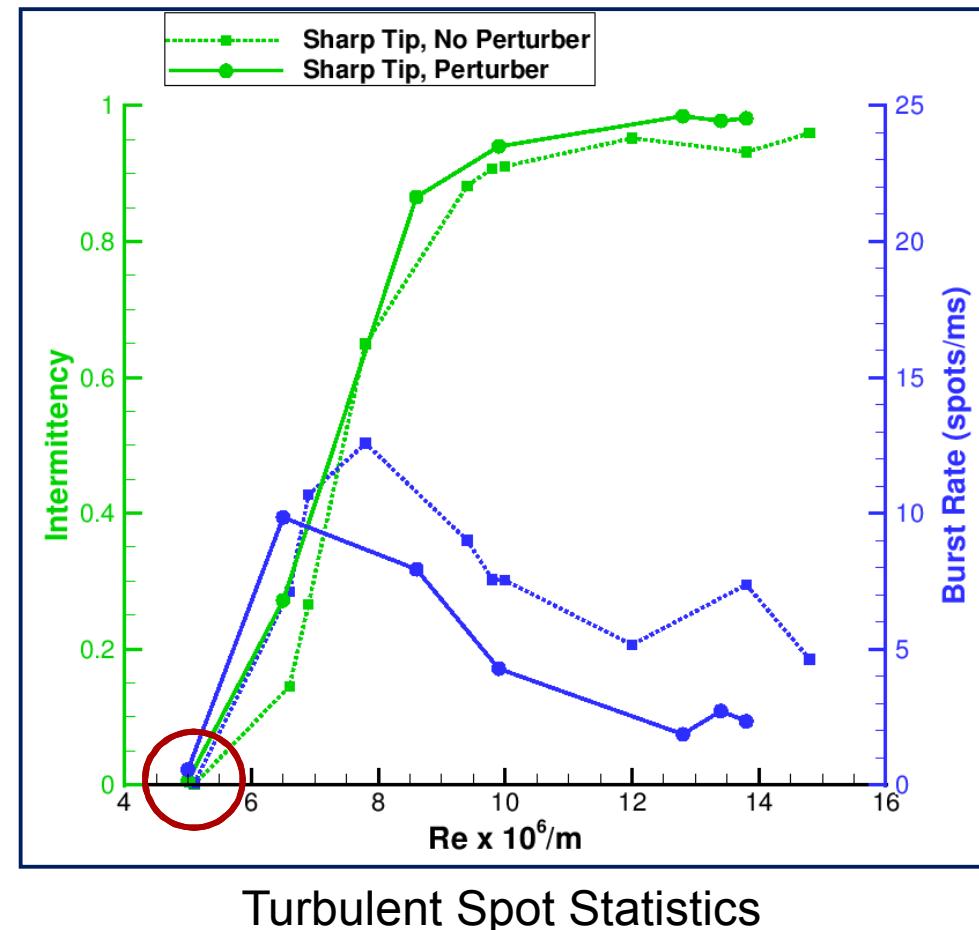
Effect can be explained by considering the boundary-layer statistics for these cases.



Carbon-Composite Panel Response to Controlled Perturbation

At low Re of $5 \times 10^6/m$, the intermittency and burst rate are zero, both with and without the perturber firing.

- Boundary layer is laminar (dominated by second-mode waves) in both cases.
- Panel response remains the same.



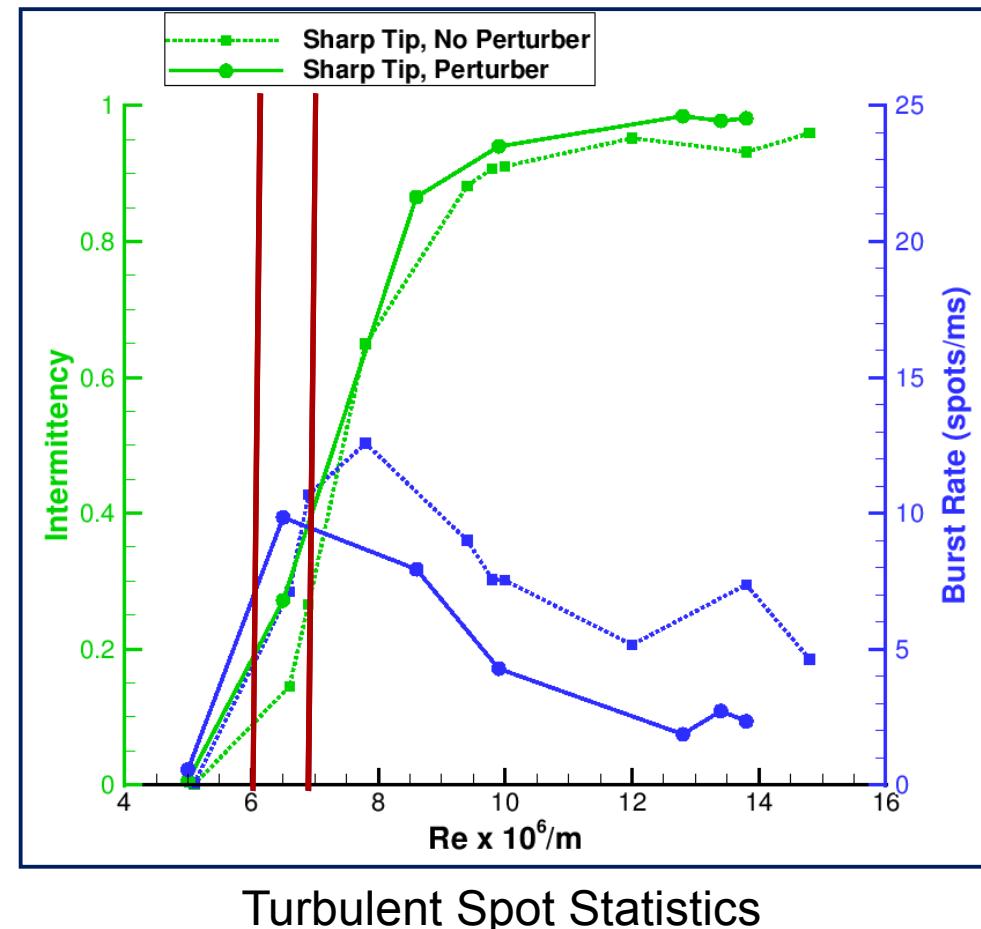
Carbon-Composite Panel Response to Controlled Perturbations

At a transitional Re of $6.5 \times 10^6/m$:

- Perturber increases intermittency from 0.15 to 0.3.
- Burst rate peak shifts to lower Re , and is actually higher than natural transition at this Re .

Burst rate is about 10 spots/ms with perturber firing.

- Expected to correspond to flow excitation with a distribution centered around 10 kHz.
- Consistent with elevated frequencies of vibration near 10 kHz.

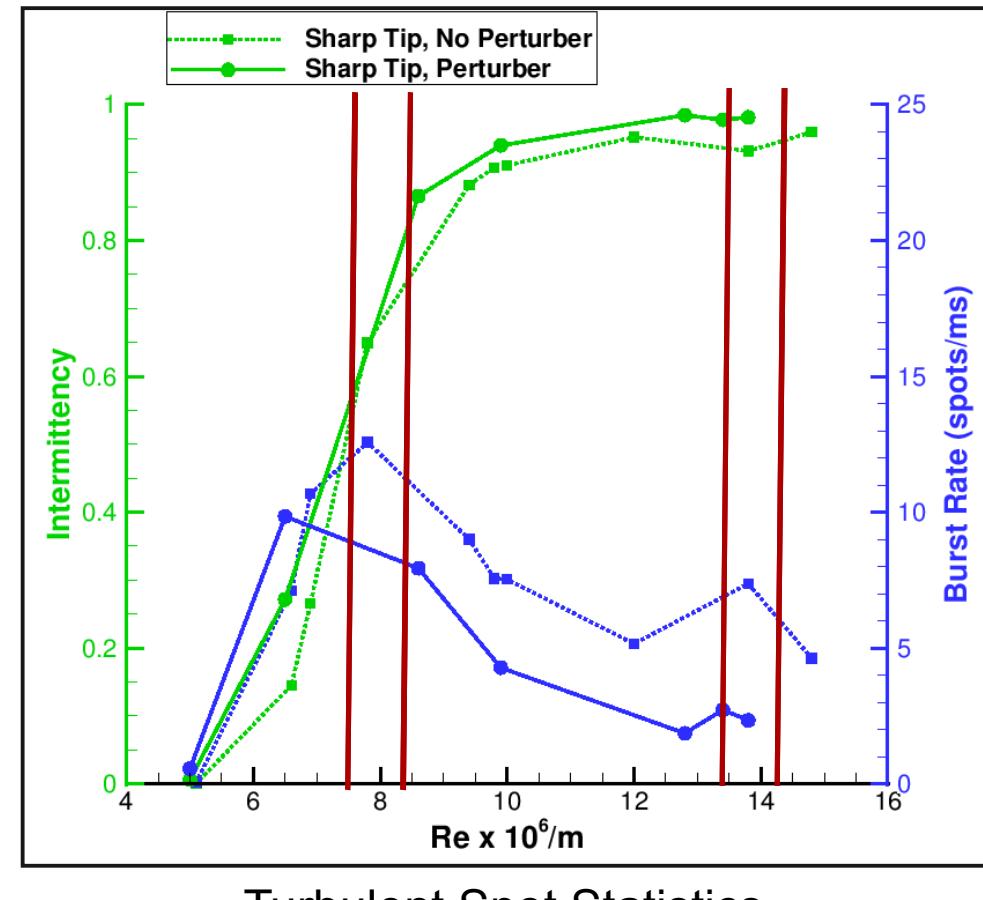


Carbon-Composite Panel Response to Controlled Perturbations

At a higher Reynolds number of $1.4 \times 10^6 \text{ m}$, the transition to turbulence is measured with no perturber firing.

- Intermittency is higher.

For a sharp tip, the flow is less intermittent. There is less intermittent switching between laminar and turbulent flow, consistent with a lower panel response.

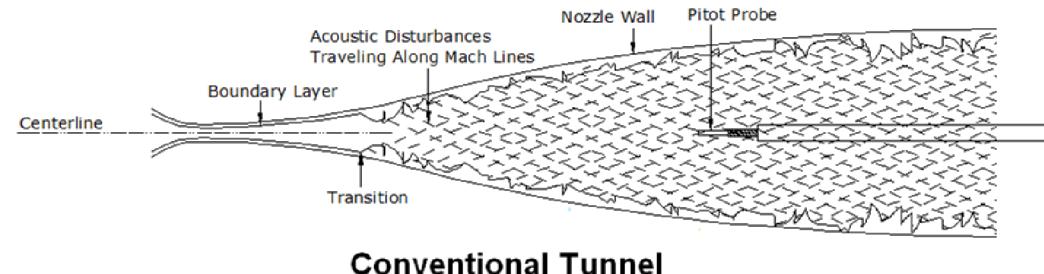


Turbulent Spot Statistics

Conventional vs. Quiet Tunnels

Conventional Tunnels:

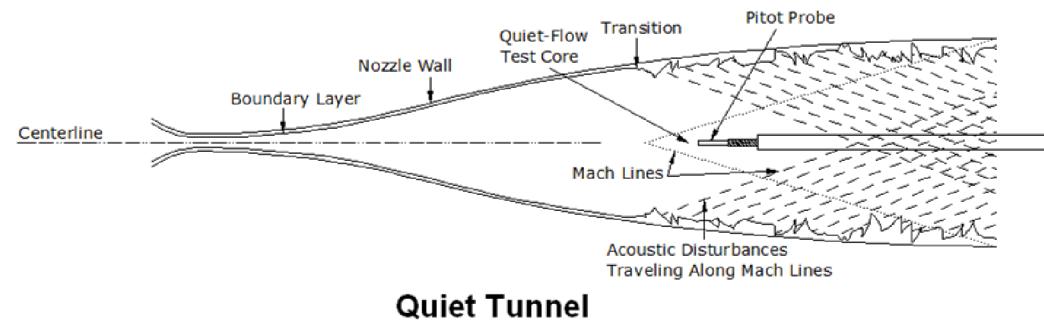
- High noise near 2-5% of the mean.
- Noise can cause much earlier transition than flight.



Conventional Tunnel

Quiet Tunnel:

- Low noise around 0.05%.
- Comparable to flight.



Quiet Tunnel

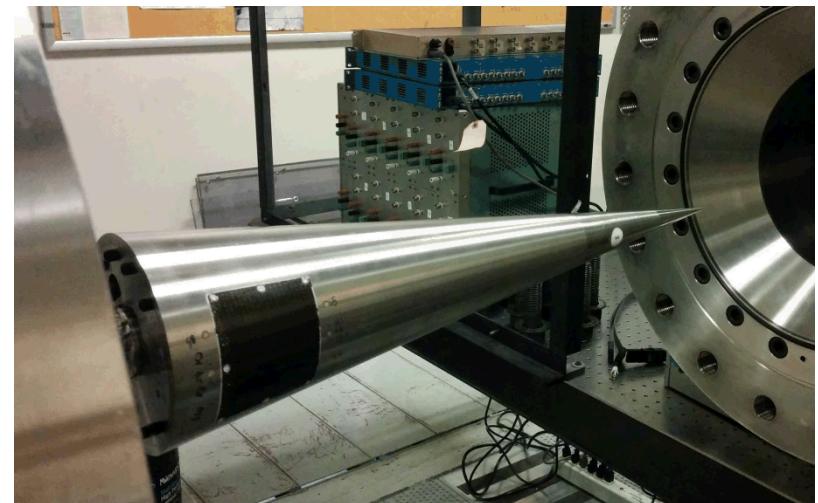
Schematic of difference between conventional and quiet tunnels, from Segura (2007).

Purdue Boeing/AFOSR Mach-6 Quiet Tunnel Test



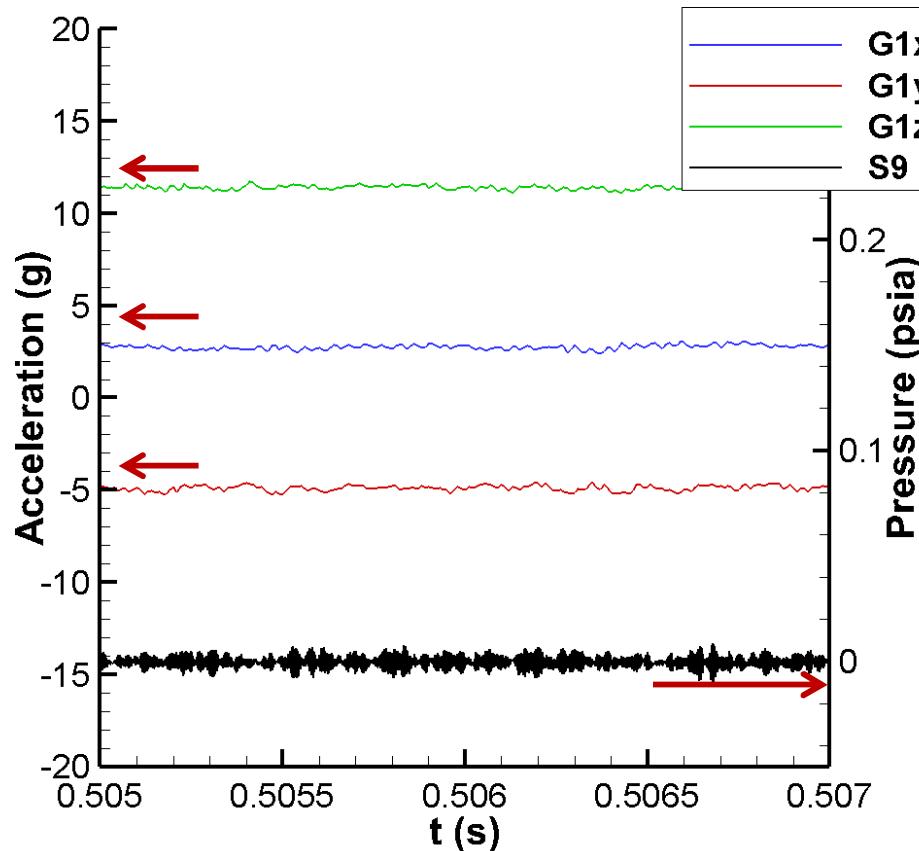
Under quiet-flow conditions:

- Boundary layer (without perturber) remains laminar even at maximum quiet Reynolds number.
- When the perturber is used, it is the only disturbance source.
- Can target different structural natural frequencies of the panel independently of natural transition.

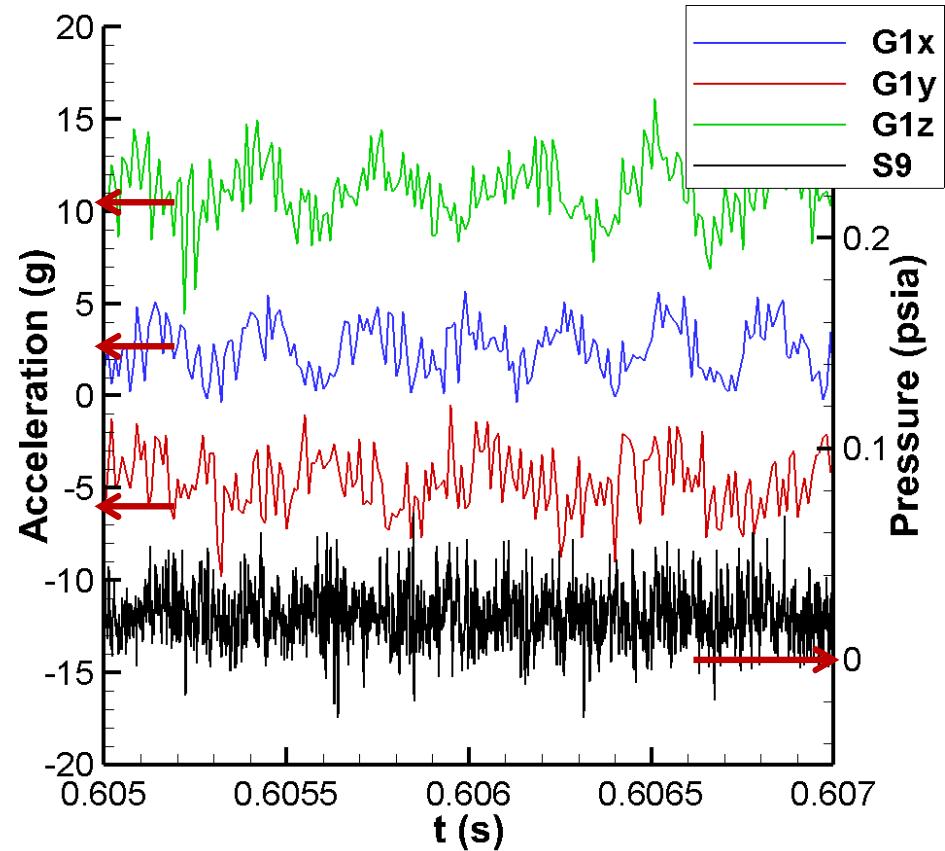


Panel Response to Laminar and Turbulent Boundary Layers

Laminar Boundary Layer



Turbulent Boundary Layer

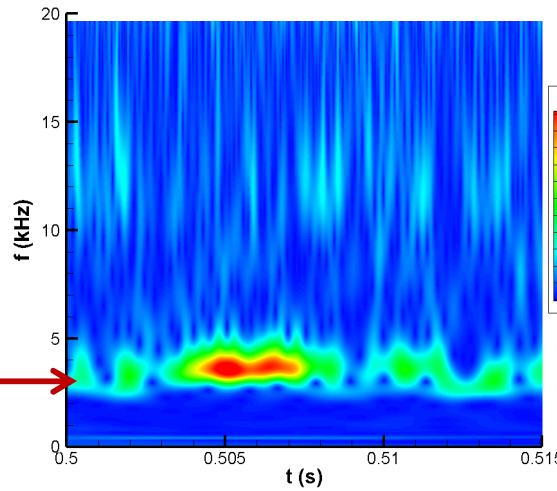


Turbulent Boundary Layer (Noisy Flow)

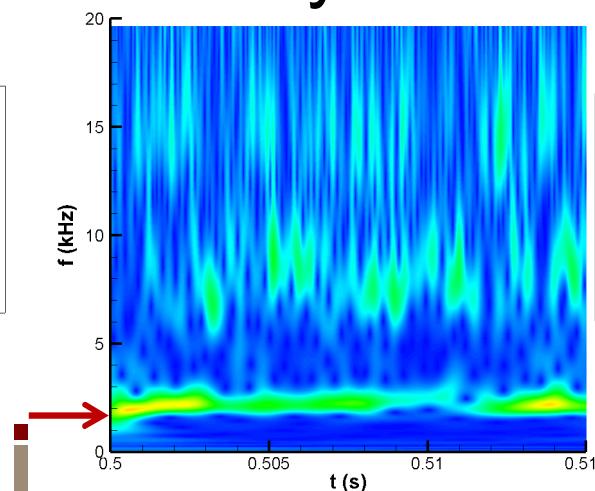
Broadband turbulent forcing causes dominant modes to respond

- **X-direction:** 2 lobe panel mode near 3.3 kHz
 - Also mode near 12.5 kHz
- **Y-direction:** 2 lobe panel mode near 2.1 kHz
 - Also modes near 7-8 and 15 kHz
- **X-direction:** 3 lobe panel mode near 2.8 kHz

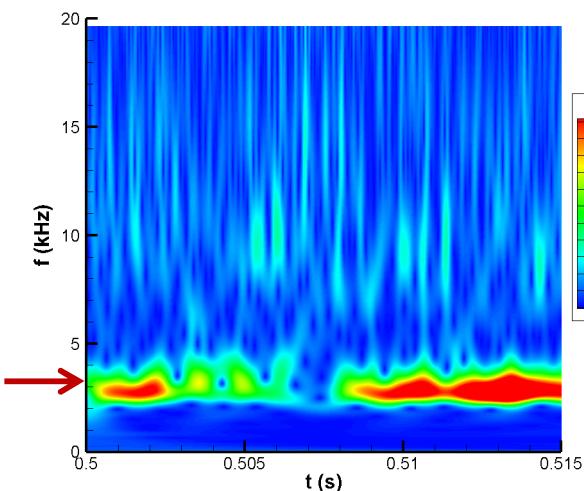
X



y



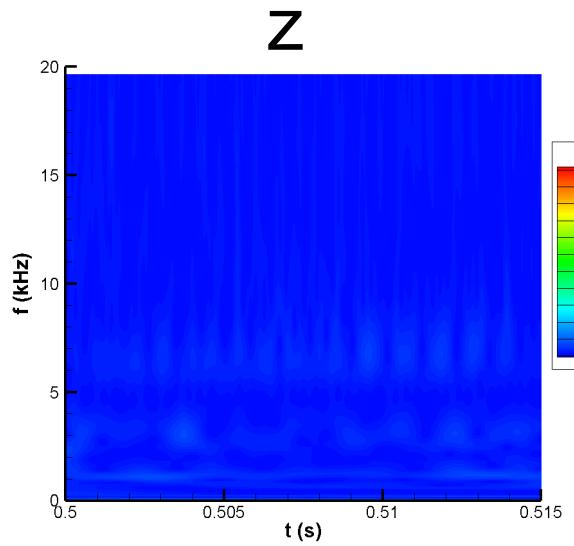
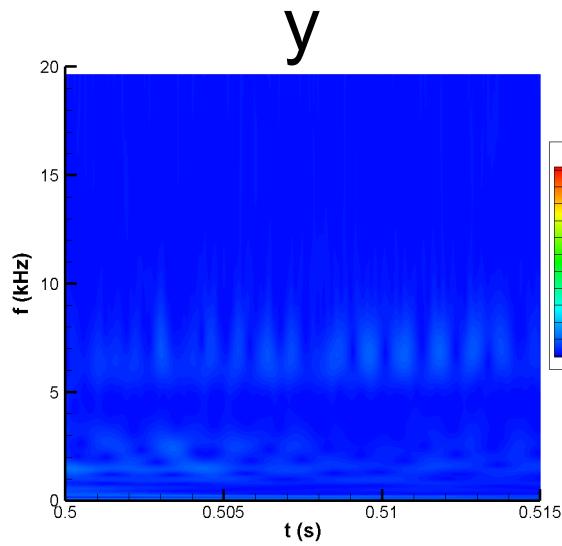
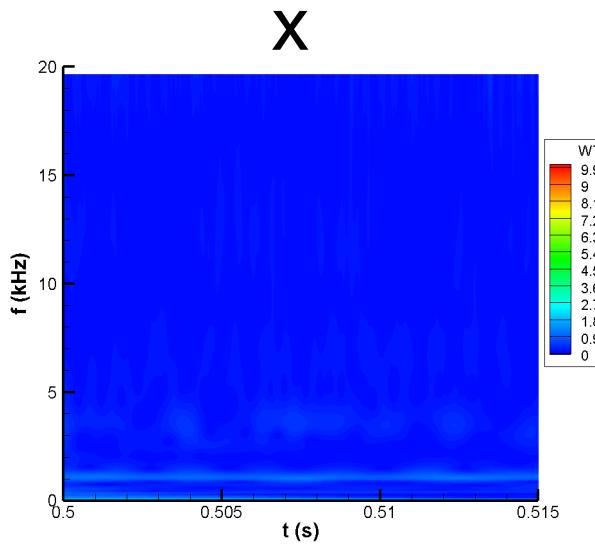
z



Laminar Boundary Layer (Quiet Flow)

Much lower levels of panel excitation

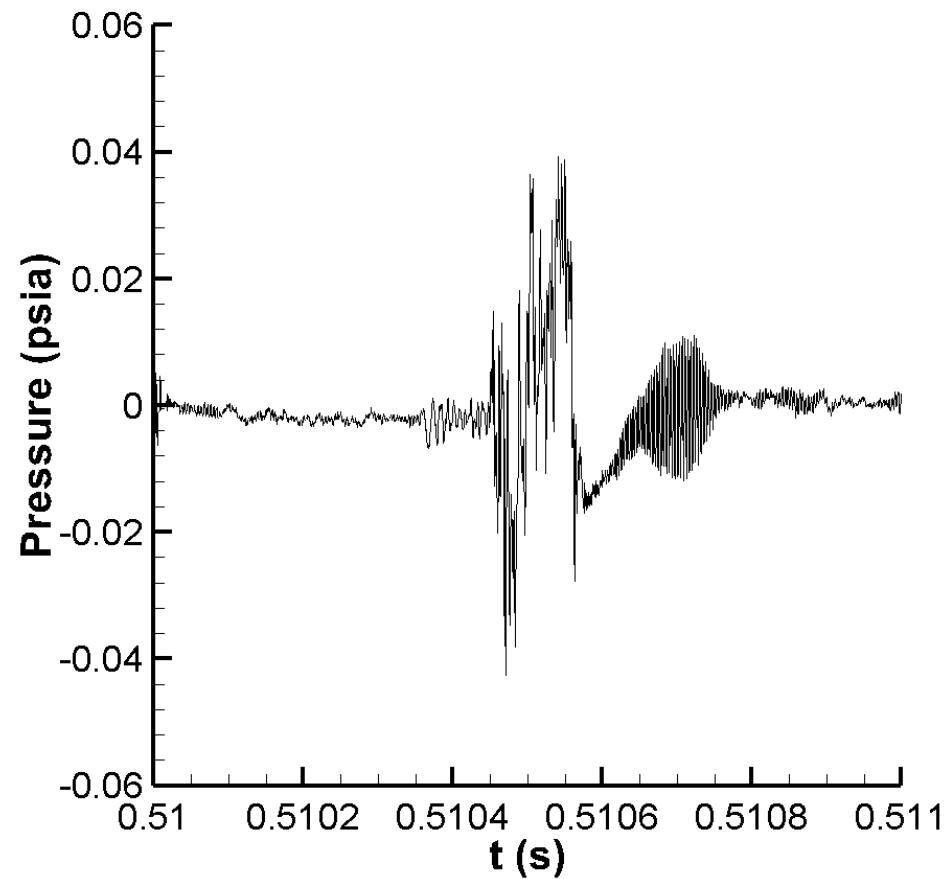
- Similar dominant modes as under turbulent flow
- Stronger low frequency vibration near 1 kHz



Controlled Spot Excitation in Quiet Flow

**Perturber operated at low repetition rate of 0.1 kHz.
Generates isolated turbulent spot in the boundary layer.**

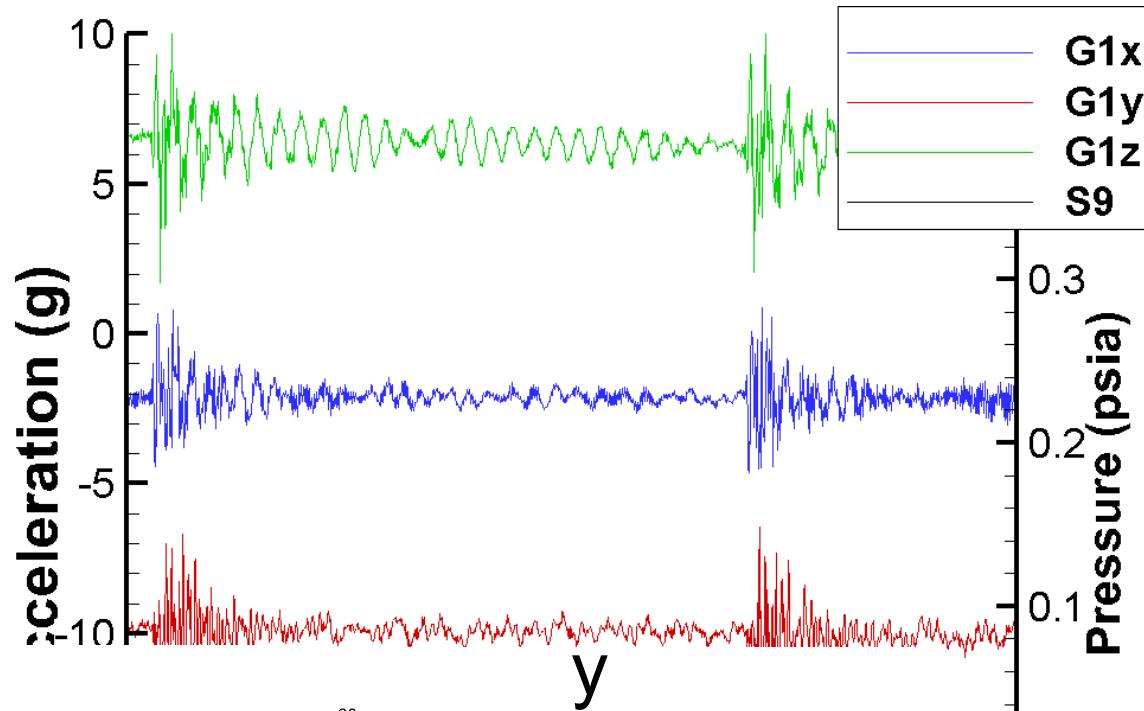
- Higher mean pressure within spot.
- Lower pressure laminar calmed region behind it.
- High frequency second-mode instability waves form at the end of the calmed region.



Controlled Spot Excitation in Quiet Flow

Panel shows
spot excitation

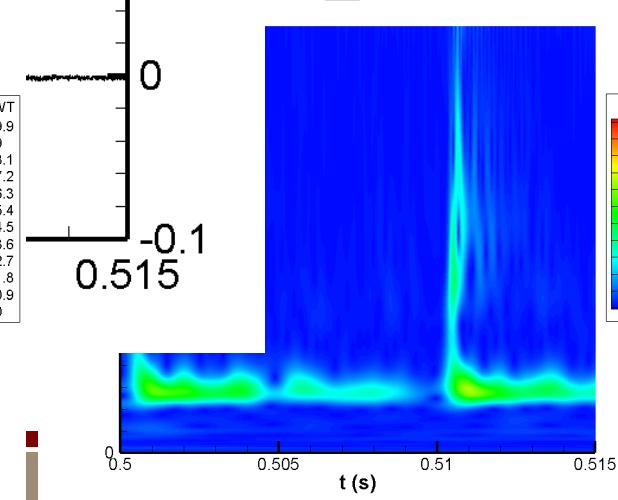
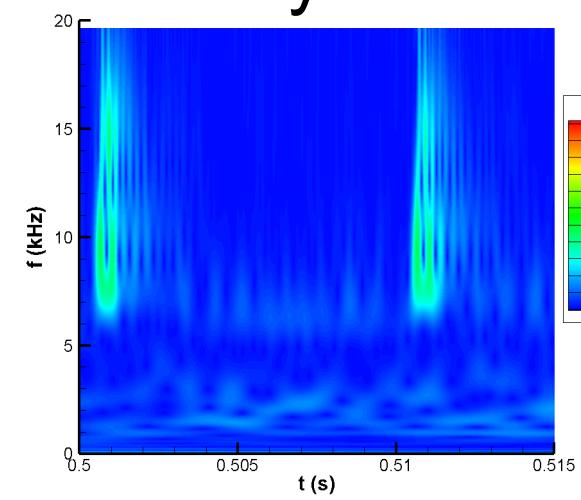
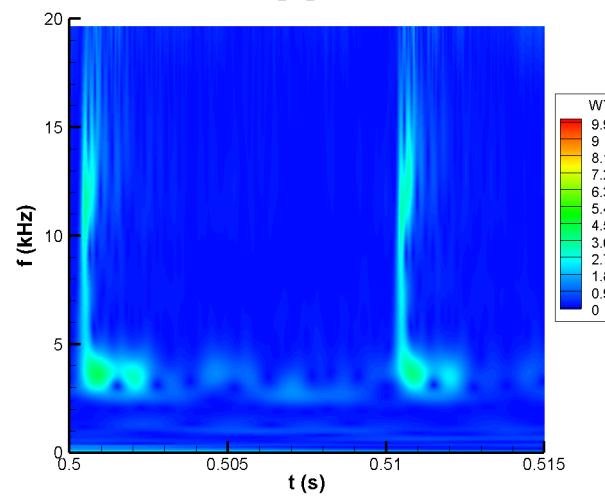
- Direct excitation
- Response to forcing



X

y

z



WT
9.9
9
8.1
7.2
6.3
5.4
4.5
3.6
2.7
1.8
0.9
0

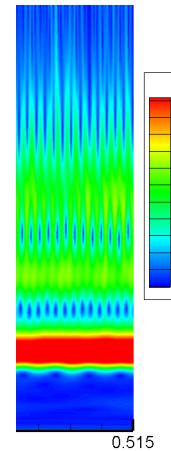
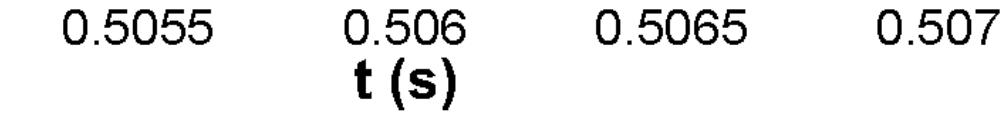
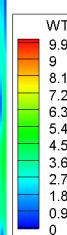
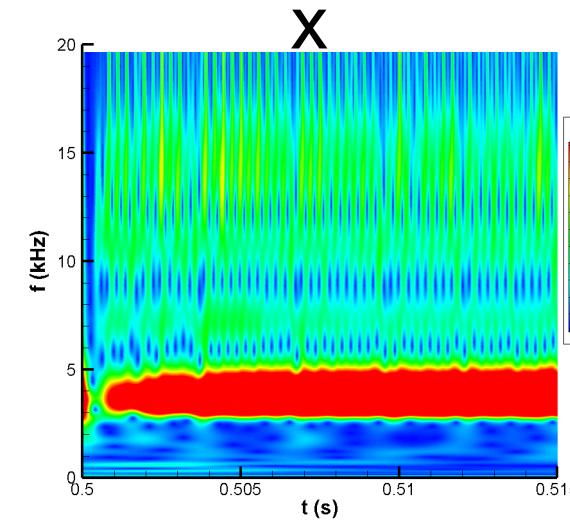
3.6 kHz forcing of dominant x-mode

X mode resonates very strongly

- Also forces panel resonance at same frequency in z (strong excitation) and y (weak excitation)

Y mode resonance is observed near the harmonic frequency

- 7.2 kHz panel mode dominant in the y direction

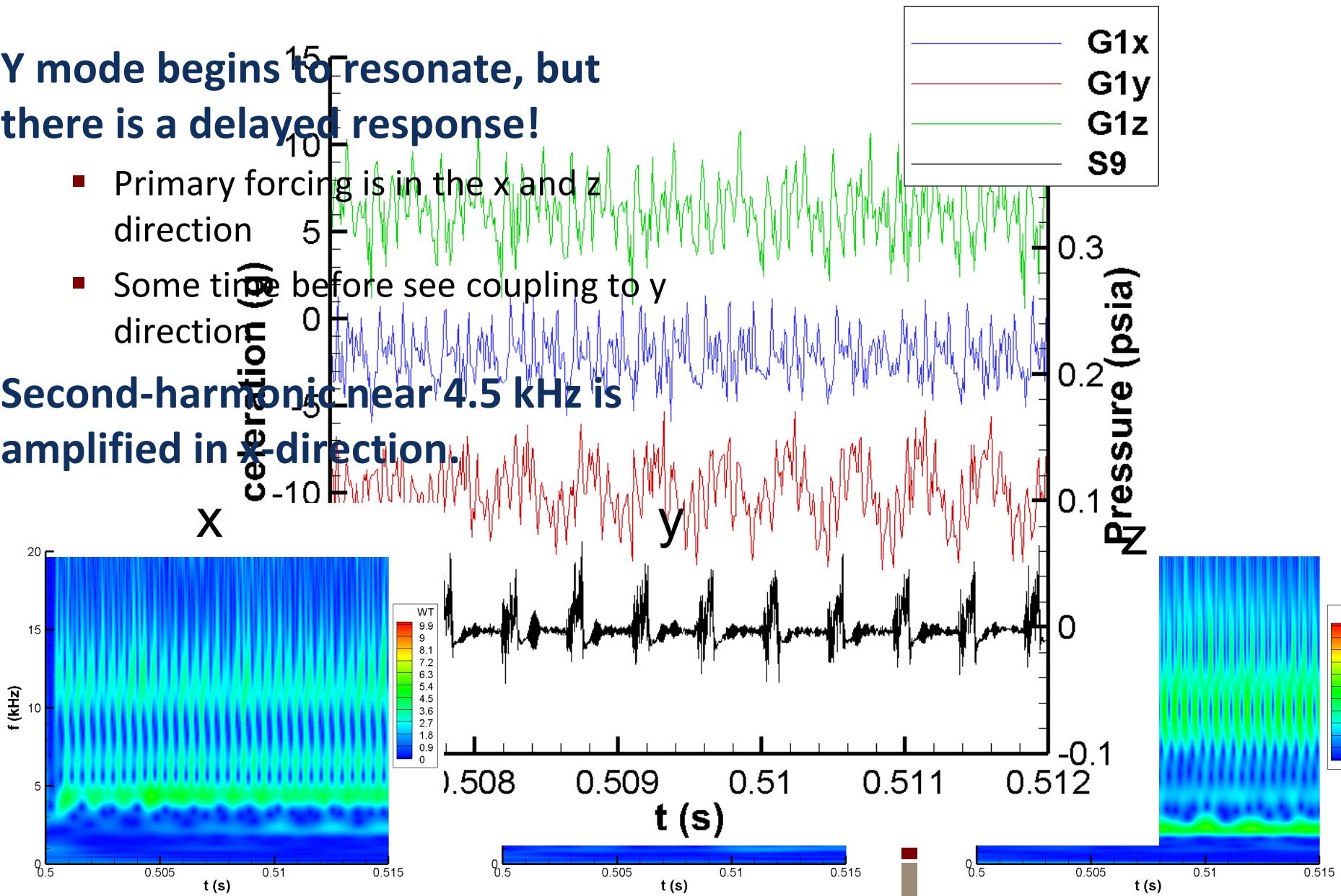


2.1 kHz forcing of dominant y-mode

Y mode begins to resonate, but there is a delayed response!

- Primary forcing is in the x and z direction
- Some time before see coupling to y direction

Second-harmonic near 4.5 kHz is amplified in x-direction.



2.9 kHz forcing of dominant z-mode

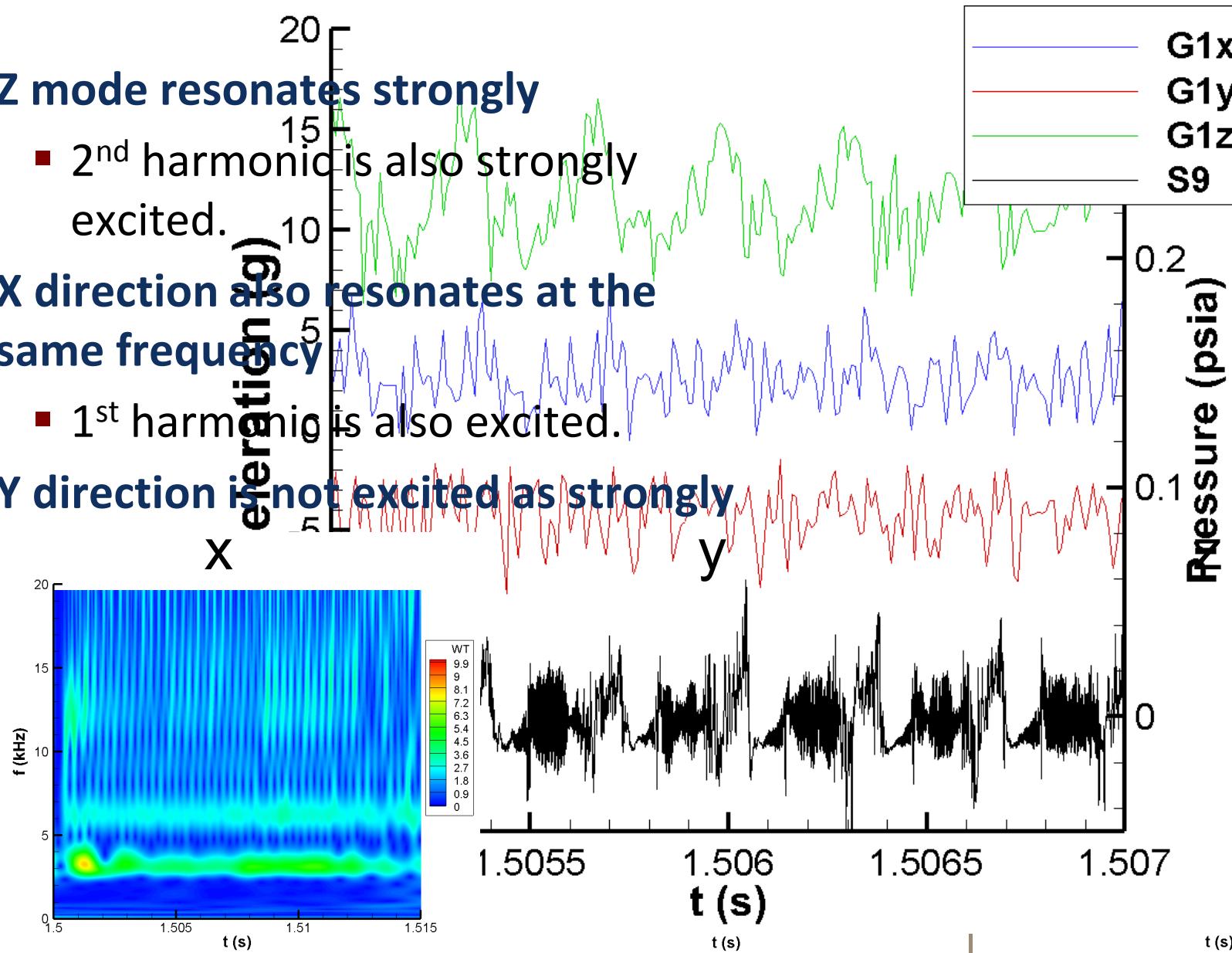
Z mode resonates strongly

- 2nd harmonic is also strongly excited.

X direction also resonates at the same frequency

- 1st harmonic is also excited.

Y direction is not excited as strongly



Future Work

Data shows we can use mode matching to force panel vibration in different directions.

- Still more analysis needed to understand and predict panel response, especially under turbulent boundary layers.
- Continued comparison to computations/modeling efforts as a validation case.

Future experiments will include Mach 5 testing at Sandia.

- Easier boundary layer to perturb than at Mach 8.
- Less tunnel noise to drive natural transition.
- Expected that perturber will be more of a driver for vibration at Mach 5 in comparison to Mach 8.

Motivation: Captive Carry

Weapons bays behave similarly to cavity flows.

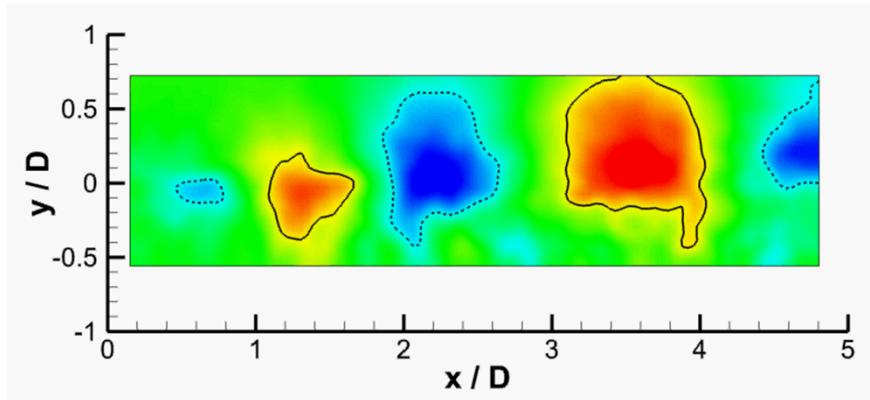
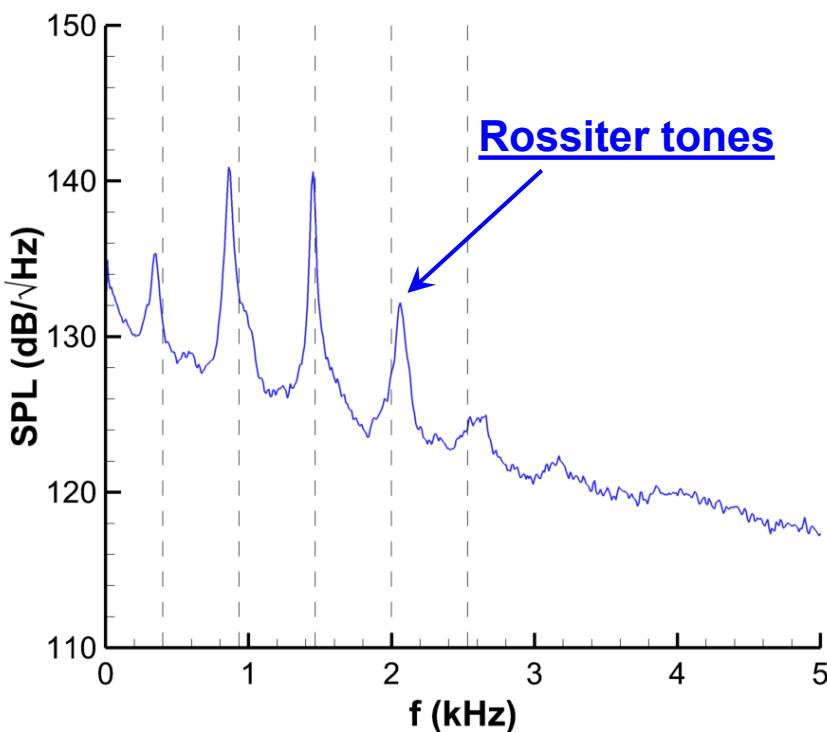
- Interaction of free shear layer and cavity walls produces resonant tones.
- Tones can have high sound pressure levels (SPL), up to 170 dB in some cases.

Fluctuations provide a driver for potential large vibrations of internal stores in weapons bays.



Response to Cavity Resonance?

- Interaction of free shear layer and cavity walls produces distinct dynamics and well known Rossiter (1964) tones



- Cavity flows have ***longitudinal pressure waves***
- Spanwise vorticity results in ***wall-normal gradients***

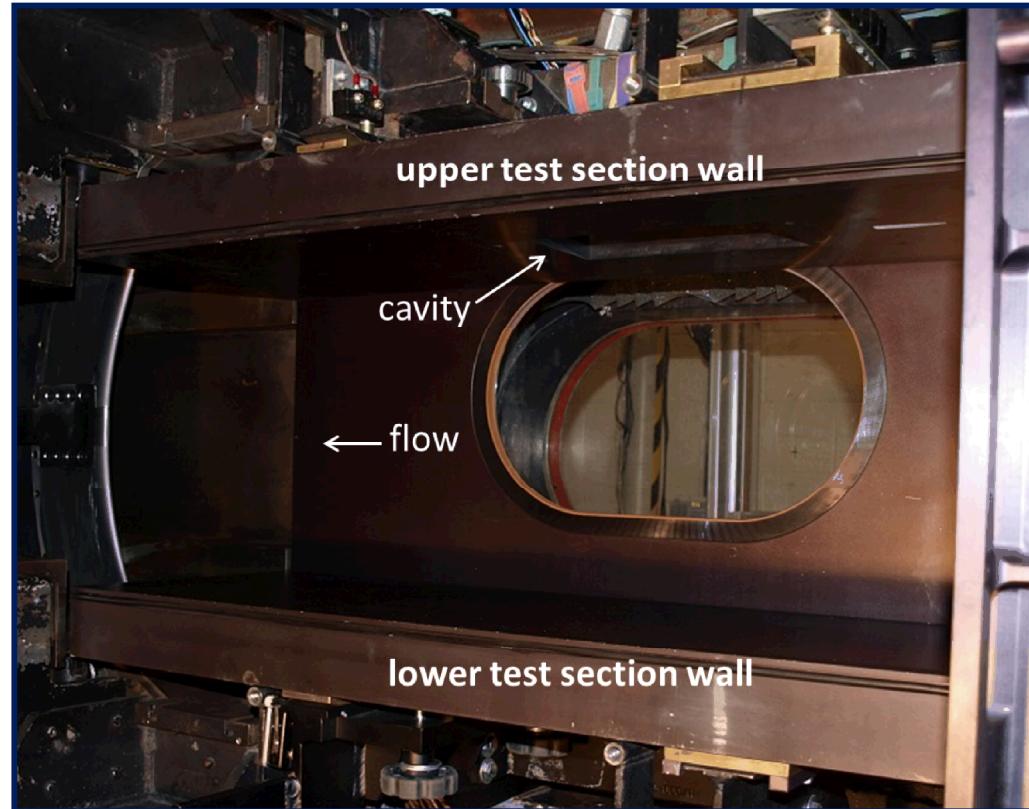
Experimental Approach

Trisonic Wind Tunnel

- Cavity integrated into flat-plate insert on test-section wall.
- Incoming turbulent boundary layer.
- $M = 0.6\text{--}0.9, 1.5, 2.0, 2.5$
- $Re \approx 10^7 / m$

Simple Rectangular Cavity

- $L/D = 5, 7$
- $L/W = 1, 2$



Experimental Approach

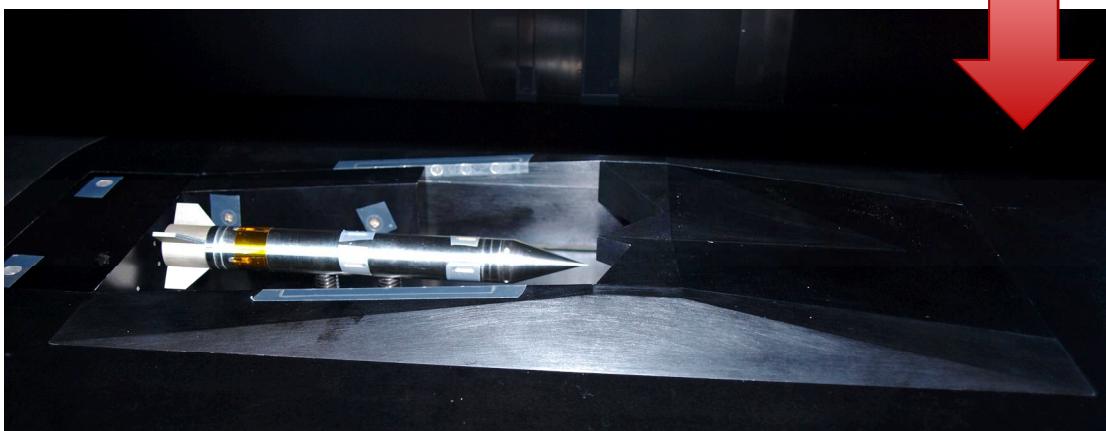
1) Simple Store in Simple Cavity



2) Complex Store in Simple Cavity



3) Complex Store in Complex Cavity



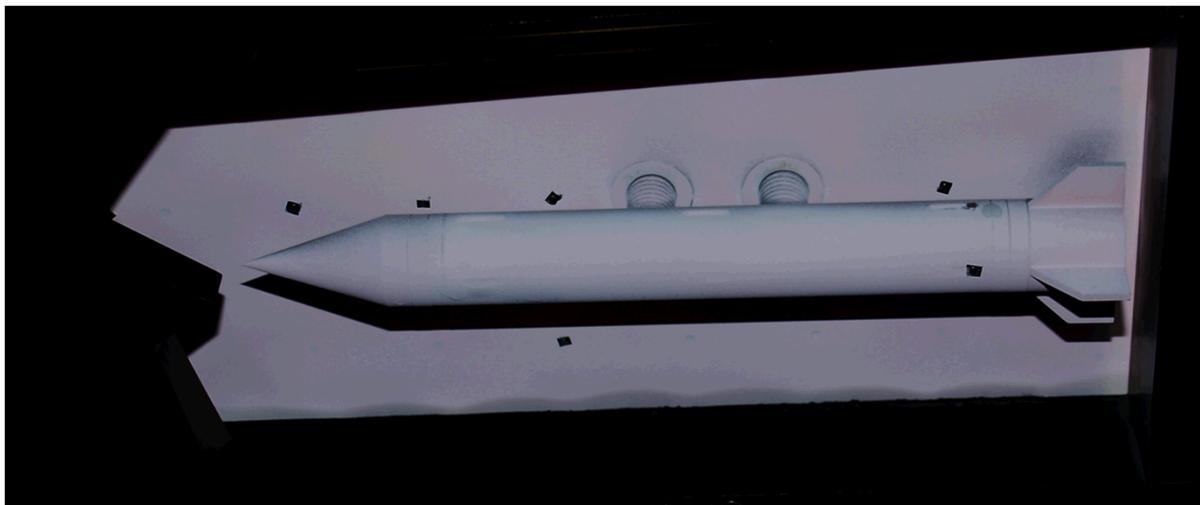
How and why does a fixed, captive store respond in this environment?

What happens when a cavity tone matches a store natural frequency?

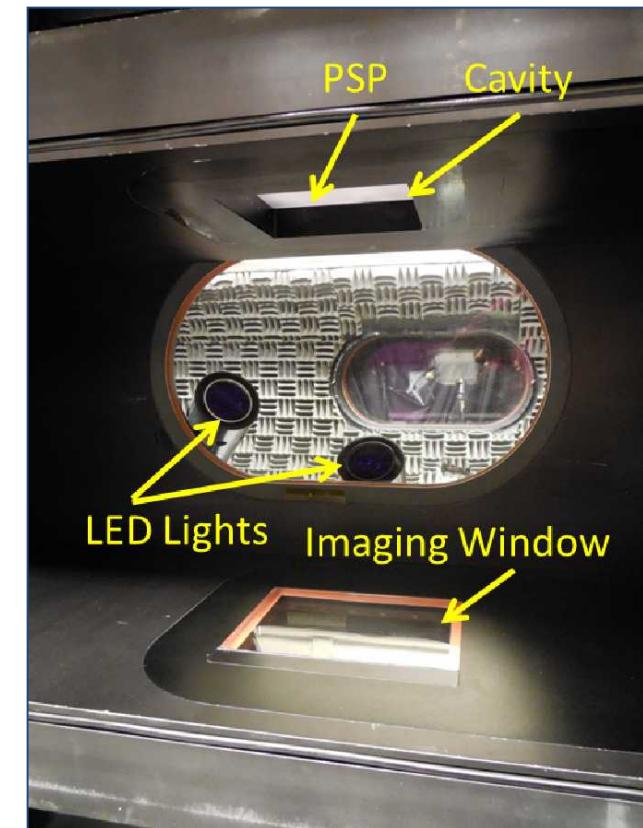
Time-Resolved Pressure Sensitive Paint (TR-PSP)

Used high frequency PSP from ISSI to characterize loading in cavity and on structures

- Photron SA-Z High-Speed Camera
 - Framing rate of 20 kHz.
- Excitation using ISSI 400-nm LEDs



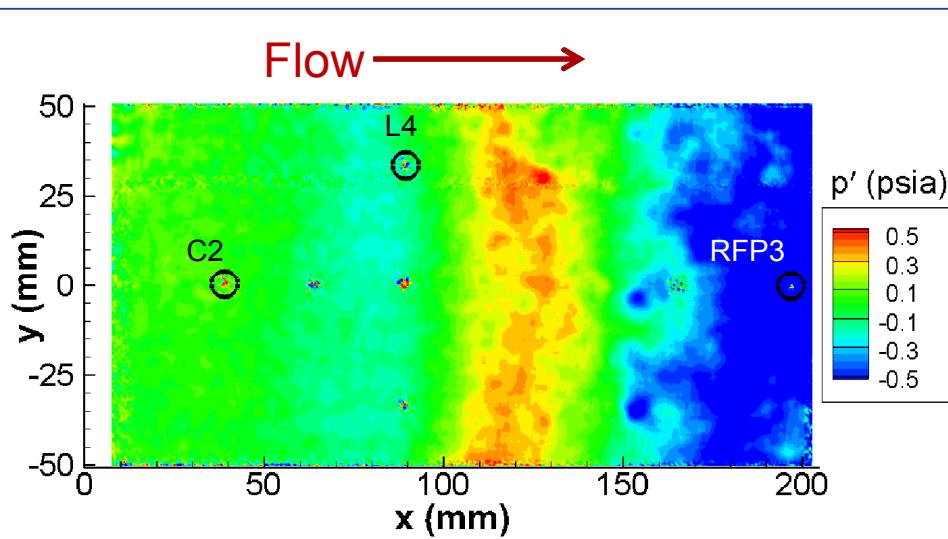
Model painted with PSP



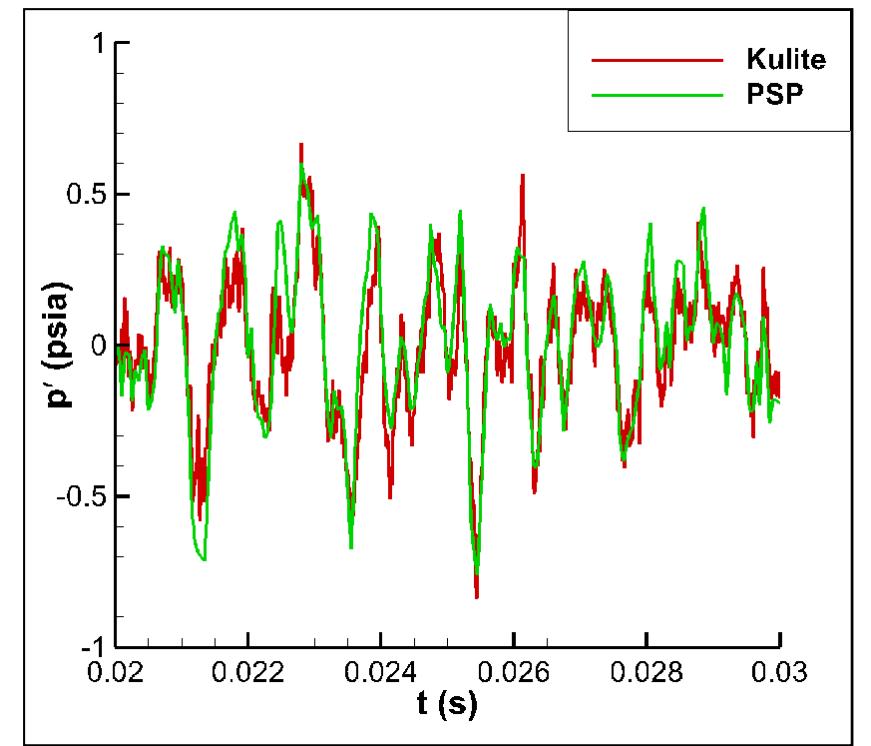
Time-Resolved Pressure Sensitive Paint (TR-PSP)

Results show reasonable comparison to Kulite pressure sensors throughout the cavity.

- Cavity resonance frequencies and amplitudes match well between pressure sensors and PSP.



Snapshot of PSP movie in empty cavity.



Comparison of Kulite pressure sensors and PSP.

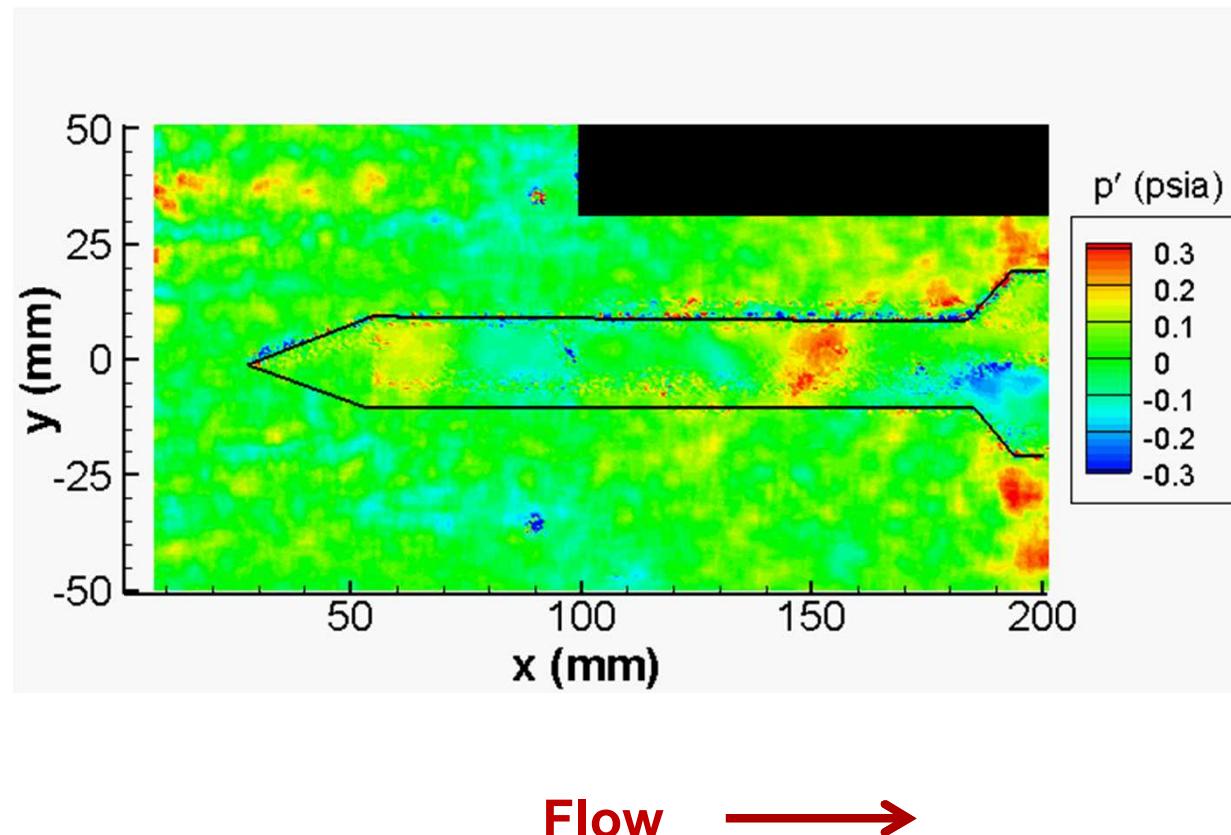
Time-Resolved Pressure Sensitive Paint

**PSP clearly shows
unsteady pressure field
throughout the cavity.**

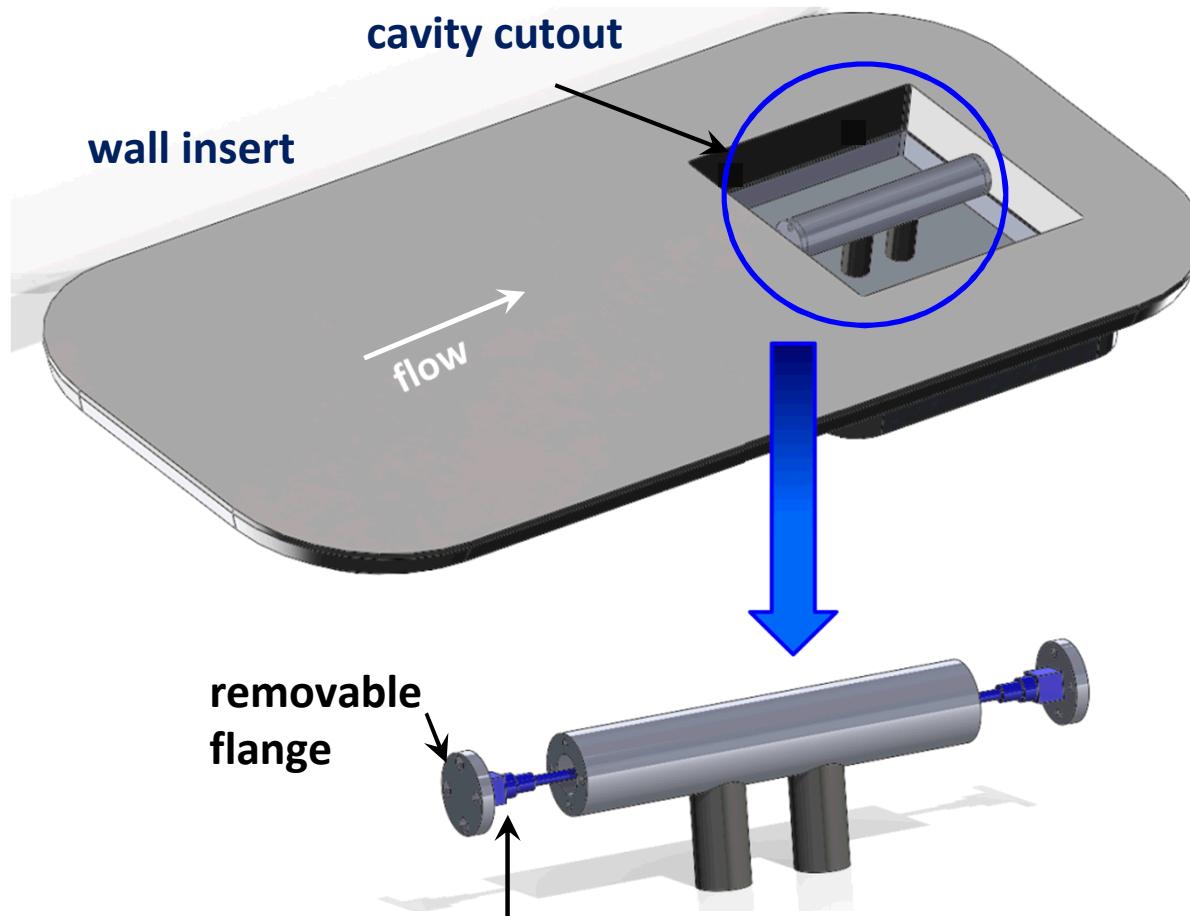
- Wealth of data showing changes with complex cavity features.

Coherent structures are observed passing along the store.

- How does this lead to store vibration in each configuration?



Simple Cavity FSI



Triaxial accelerometers
provided store response.

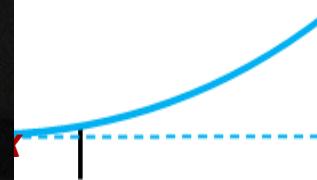
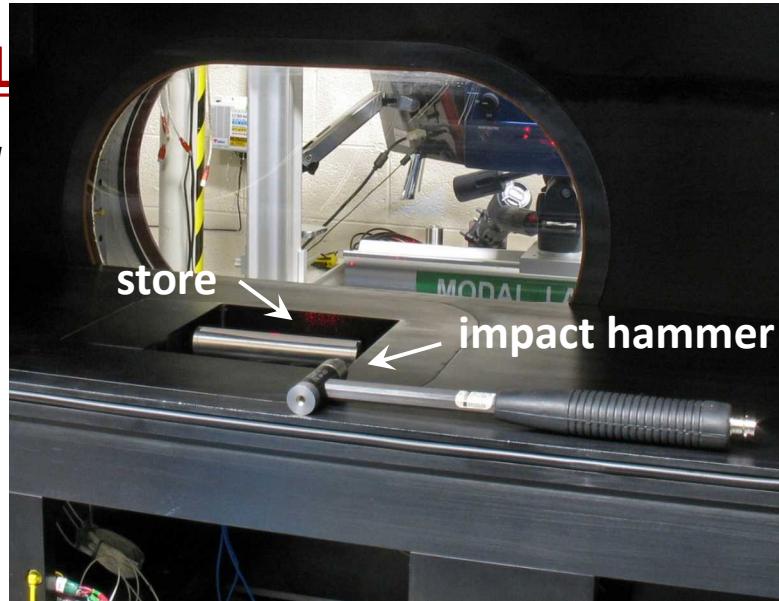
Store Natural Frequencies

Post Modes Impact Hammer Tests Cylinder Bending Modes

$Z_1 @ 1$

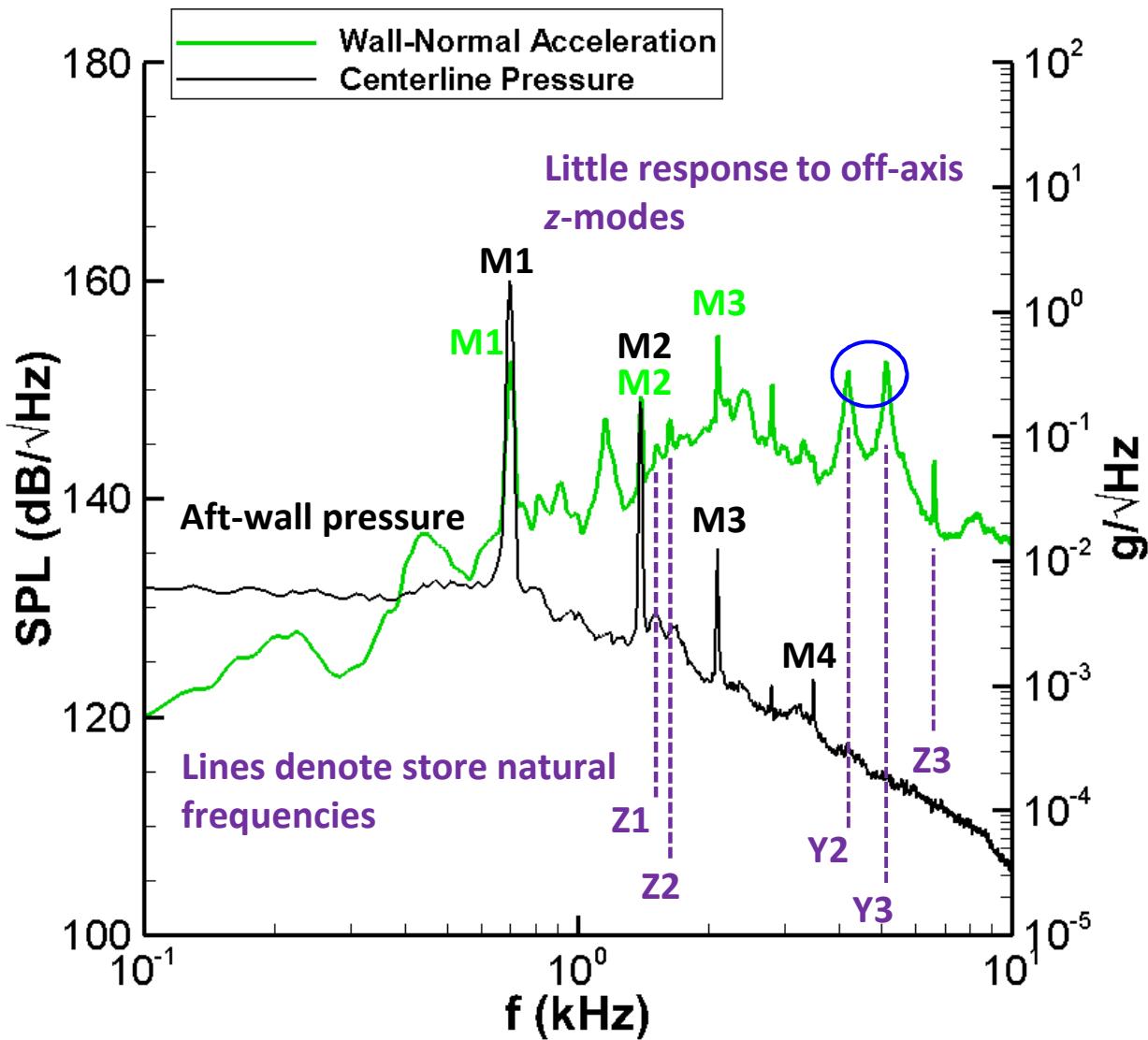
kHz

undeflected



5 natural frequencies measured below 10 kHz

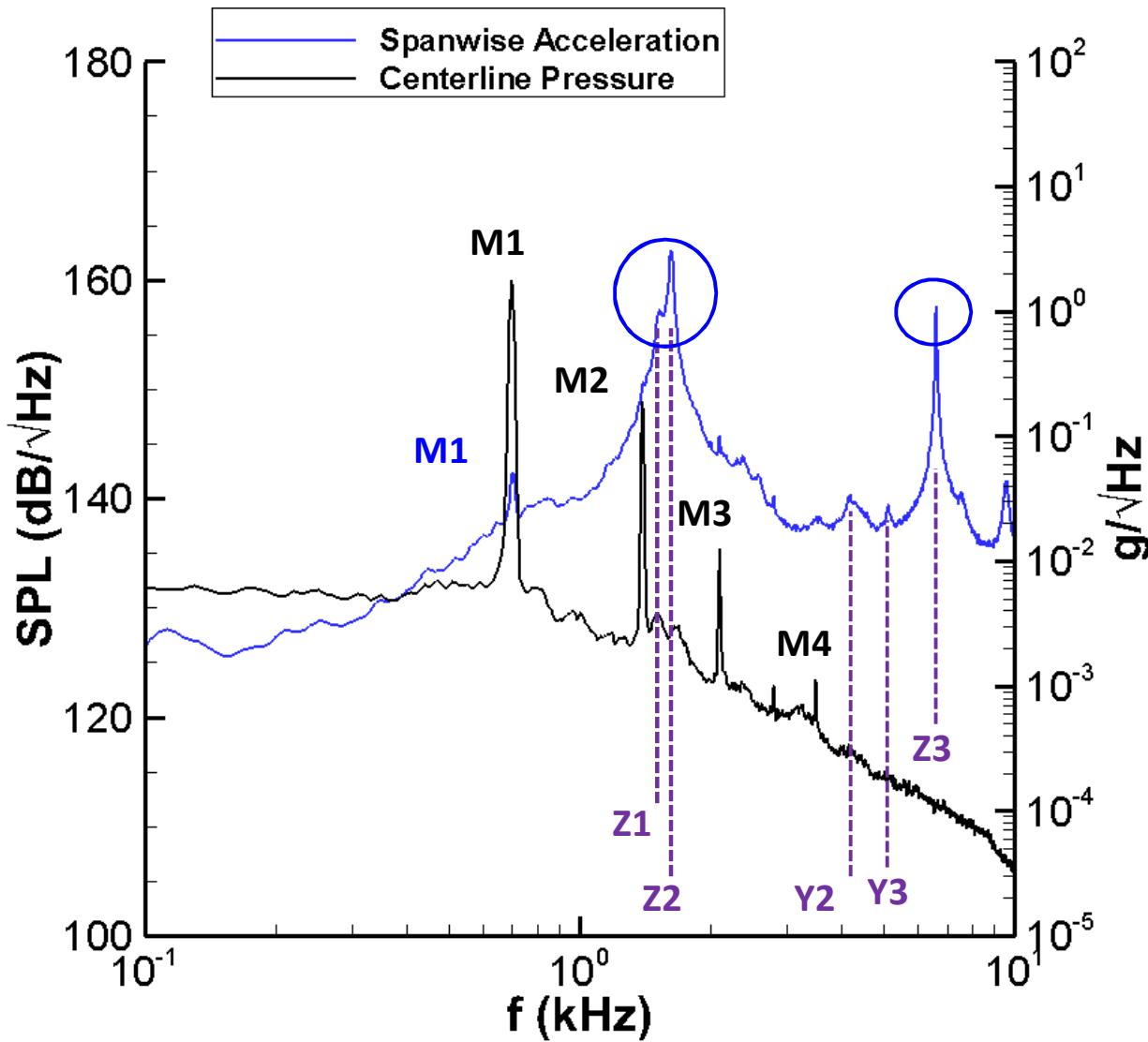
Simple Cavity FSI



- Response at cavity modes M1-M3.
- Response at wall-normal natural frequencies Y2 and Y3
- Similar behavior in x.

In x and y directions, store responds at on-axis natural frequencies and to cavity resonant modes

Simple Cavity FSI



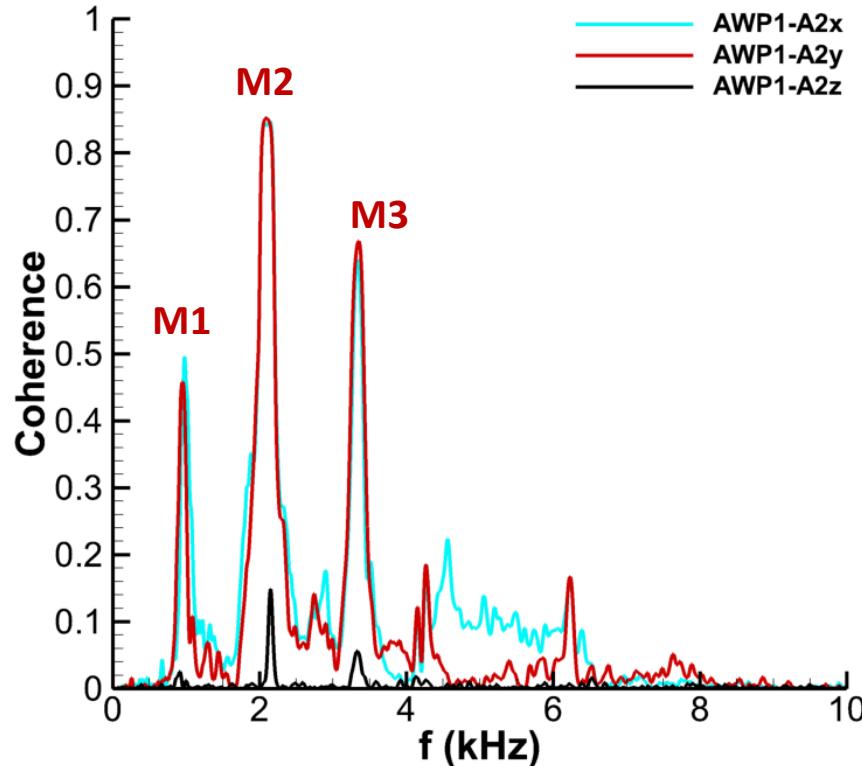
- Little response to cavity modes
- Clear response at spanwise natural frequencies $Z_1 - Z_3$

Every natural frequency of the store was excited.

Store responded to cavity tones in x and y only.

Simple Cavity FSI

Correlation of Pressure and Acceleration

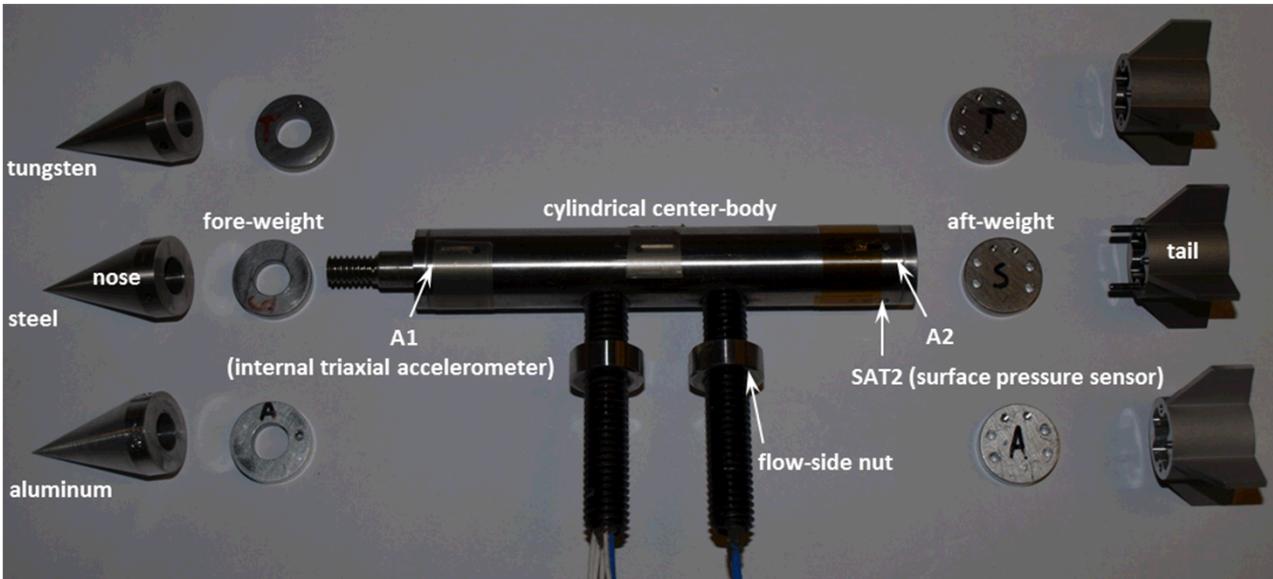


Strong response to cavity tones in streamwise and wall-normal directions, but little spanwise response.

Cavity resonance produces longitudinal and wall-normal gradients to drive the store in x and y . The lack of spanwise response indicates small gradients in z .

Simple store tests taught us a lot, but to go further we need an improved store.

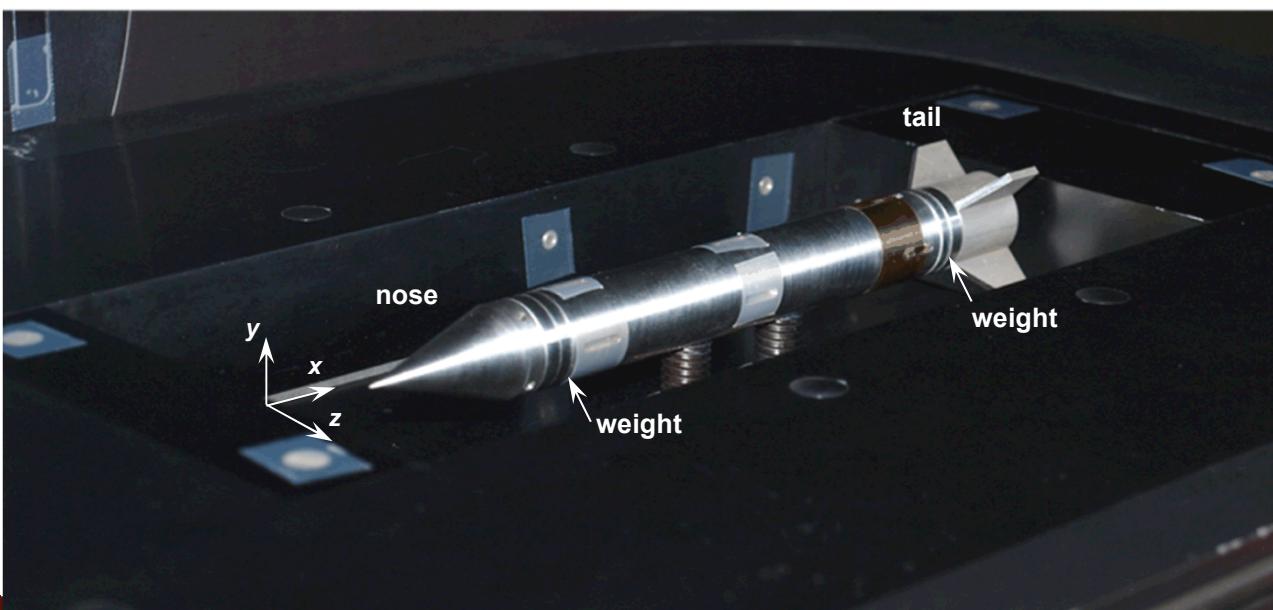
Complex Store



Coarse adjustments in natural frequencies of 100 – 400 Hz by varying nose and tail material.

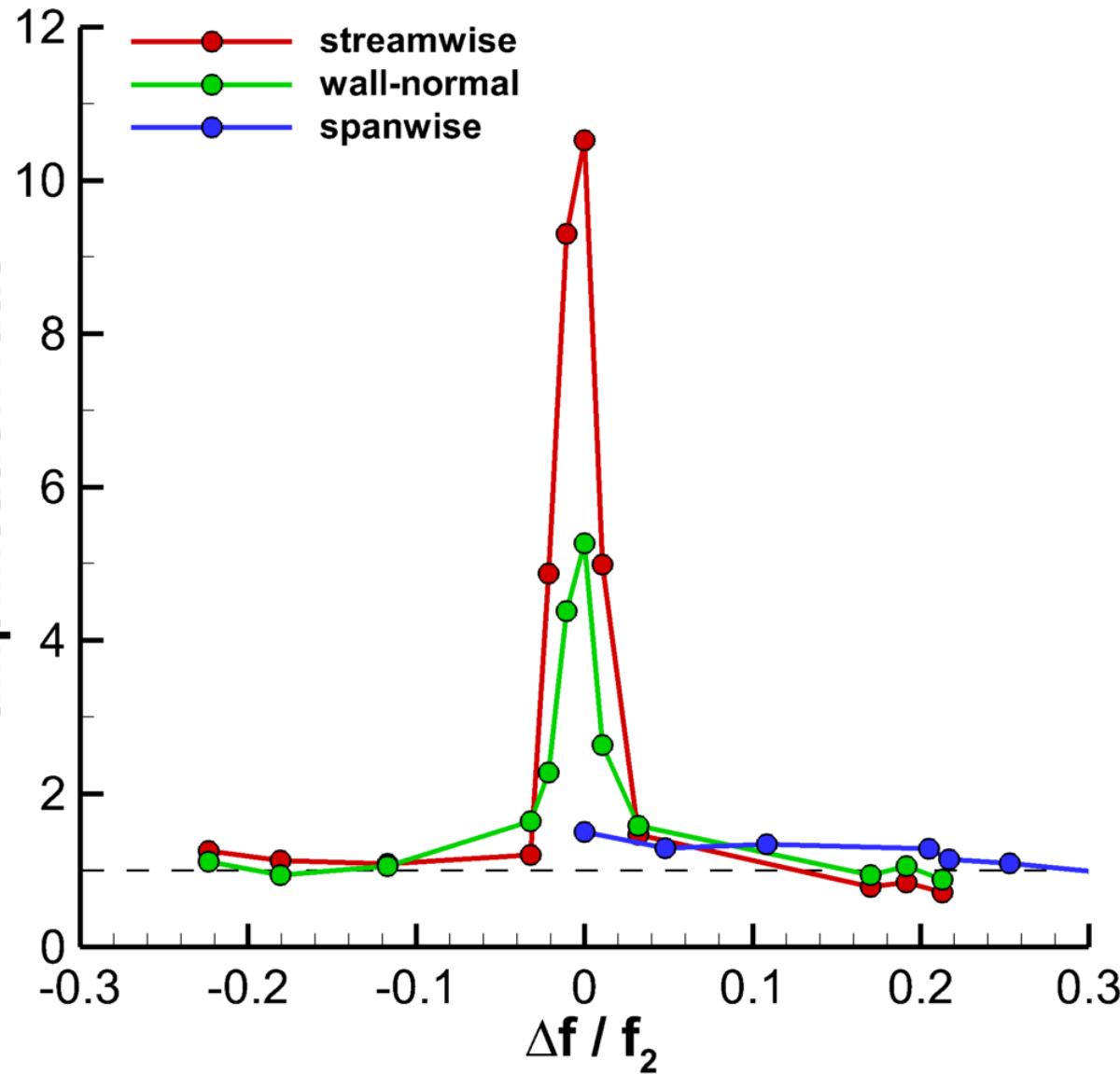
- Aluminum
- Steel
- Titanium

Fine adjustments of 10 – 100 Hz by varying smaller weights.



Study scenarios where a structural natural frequency matches a resonance cavity tone.

Mode Matching



Mode-match to a streamwise natural frequency:

Strong amplification

Mode-match to a wall-normal natural frequency:

Significant amplification

Mode-match to a spanwise natural frequency:

Minimal amplification

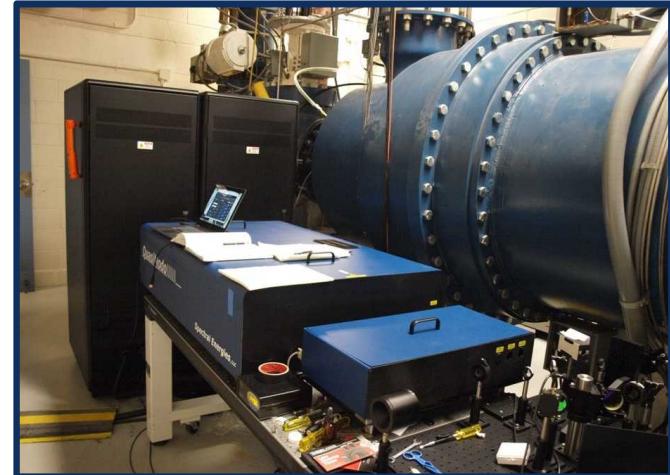
Time-Resolved Particle Image Velocimetry

Allows us to obtain PIV movies to provide temporally correlated velocity fields.

- Challenge: TR-PIV has been typically restricted to ≤ 16 kHz and a few mJ.
 - Inadequate for a high-speed wind tunnel.

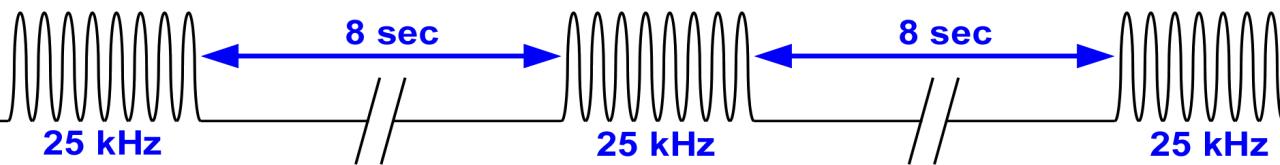
Pulse-Burst Laser:

- Manufactured by Spectral Energies, LLC.
- Bursts of pulses for 10.2 ms.
- Up to 500 kHz of pulse pairs, 20-500 mJ.
- But only one burst every 8 sec.



High-Speed Cameras

- Photron SA-X2.
- Two side-by-side for wider field of view.



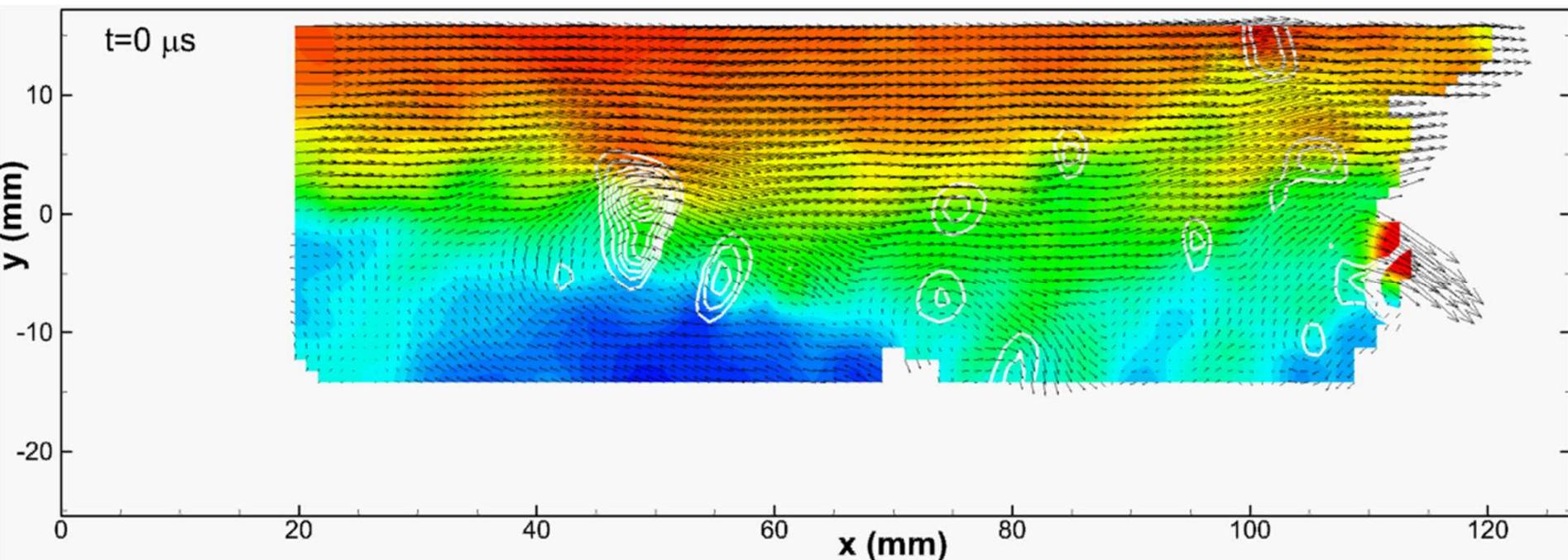
Time-Resolved Particle Image Velocimetry

A sample TR pulse-burst PIV movie

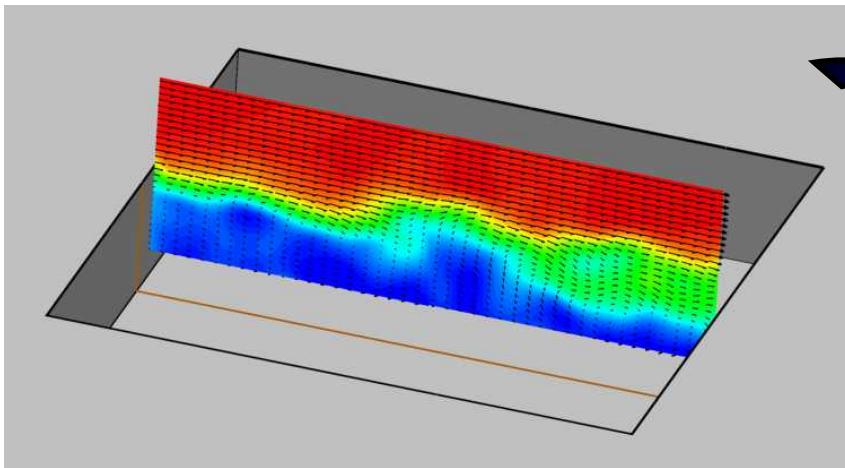
- This is a 10.2 ms movie with 256 vector fields acquired at 25 kHz.

We can visualize:

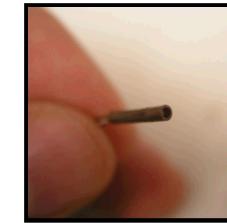
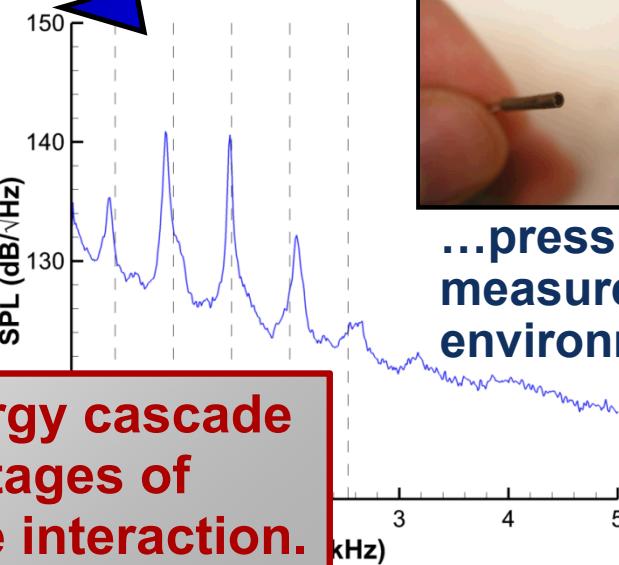
- Recirculation region shifting position.
- Unsteady shear layer flapping enhanced by recirculation events.
- Growth of shear layer structures and their recirculation.
- Ejection and impingement events at aft end of cavity.



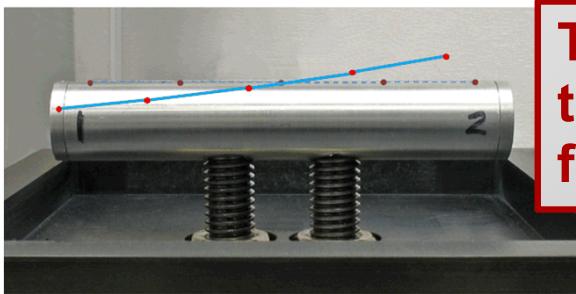
Bring all of these capabilities together



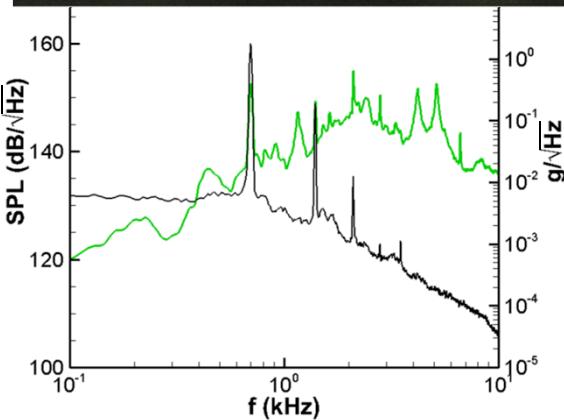
Pulse-burst PIV measures the flow structure...



...pressure sensors measure the acoustic environment...

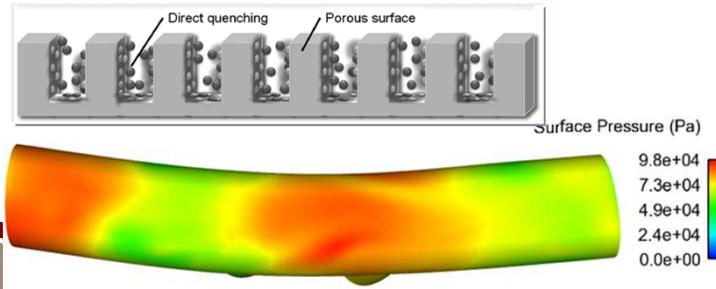


Track the energy cascade through the stages of fluid-structure interaction.



...and then we can measure the structural response.

...plus we will have high-speed Pressure Sensitive Paint for the store surface...



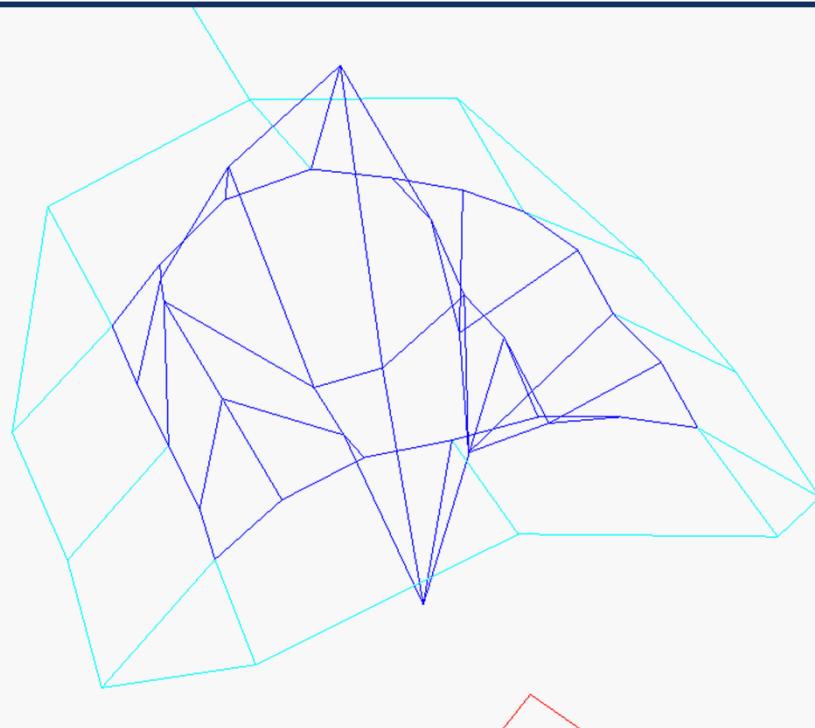
Backup Slides



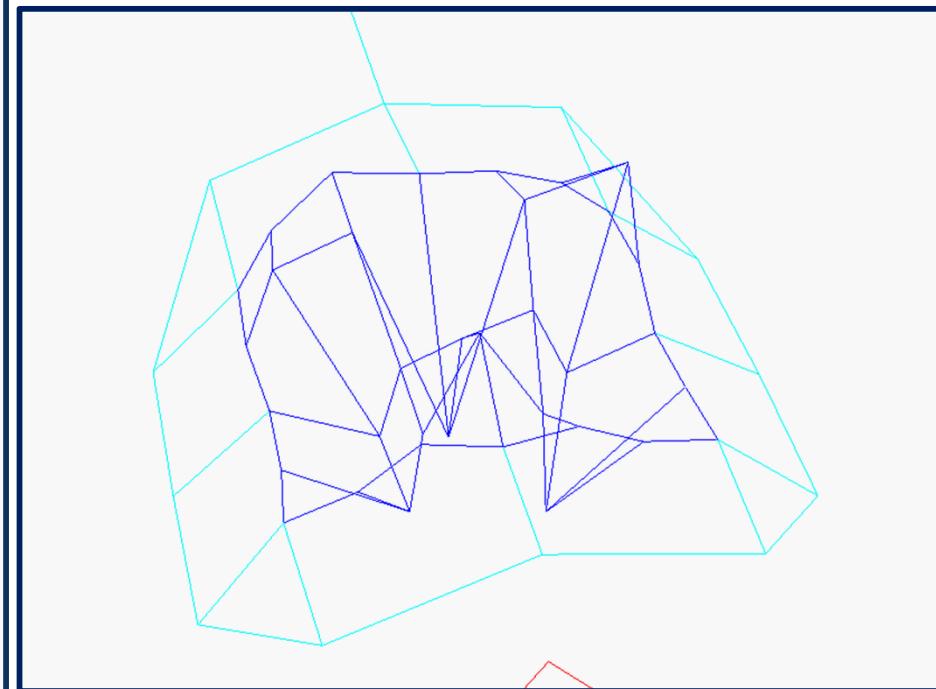
Higher-frequency panel modes, P_{c1-3}

More complex panel motion occurs at higher frequencies.

- Added uncertainty in characterizing these with hammer test.

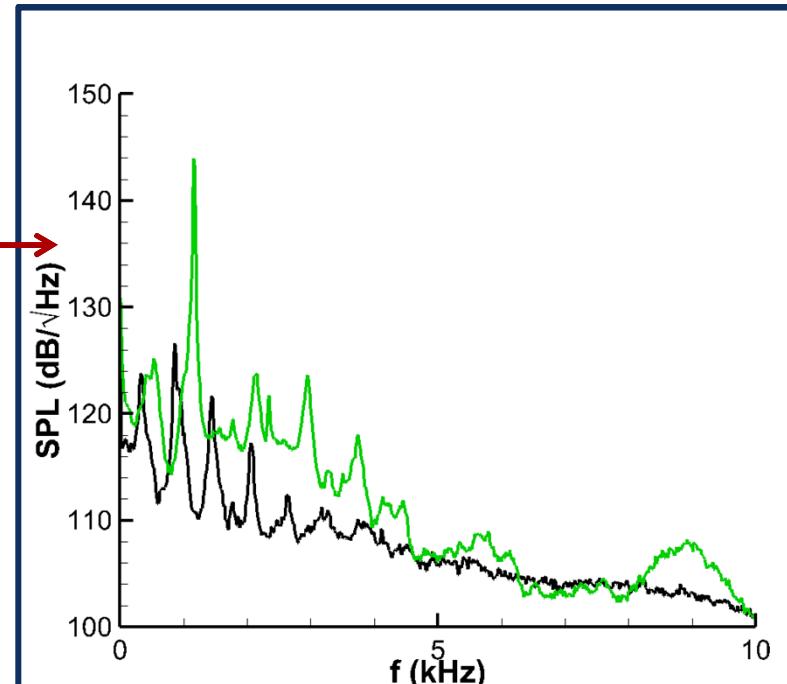
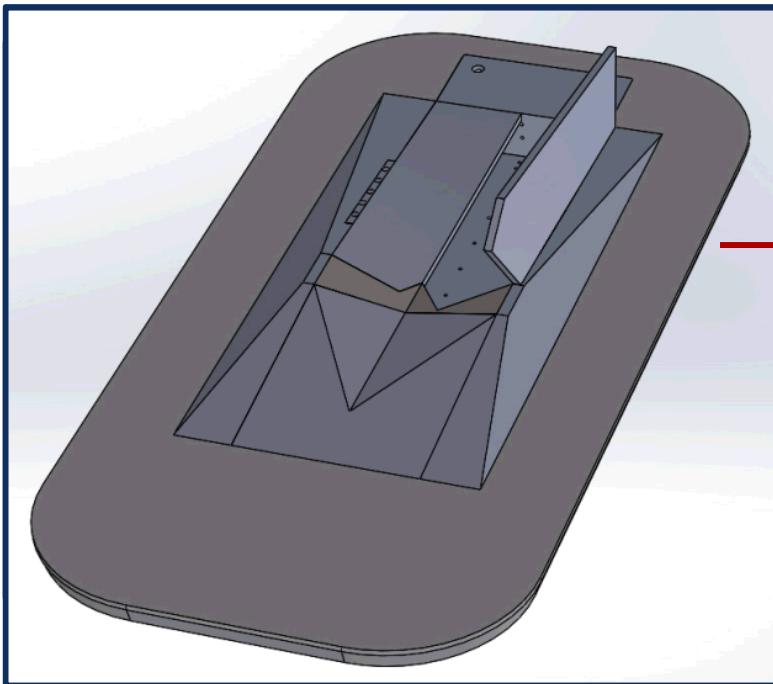


$f = 9.1$ kHz



$f = 12.7$ kHz

Motivation: FSI in Aircraft Bays



Most bays are represented by rectangular cavities for ground-testing studies.

- Greatly simplifies the actual bay and can underestimate the loading.

Geometric complexities present in flight geometry can couple with cavity resonance to produce a harsh aeroacoustic environment.

- e.g., Casper et al 2014, Ukeiley et al 2008