

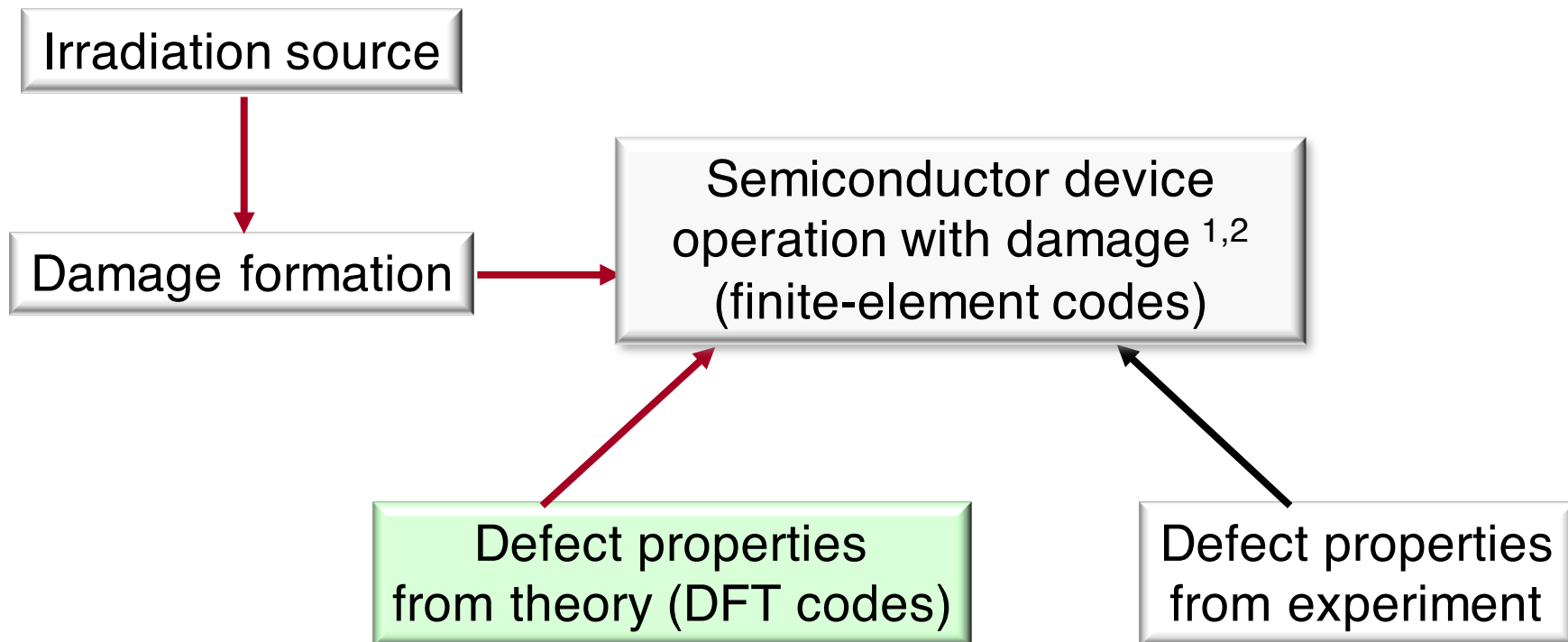
Migration Processes of the As Interstitial in GaAs and InGaAs

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Motivation

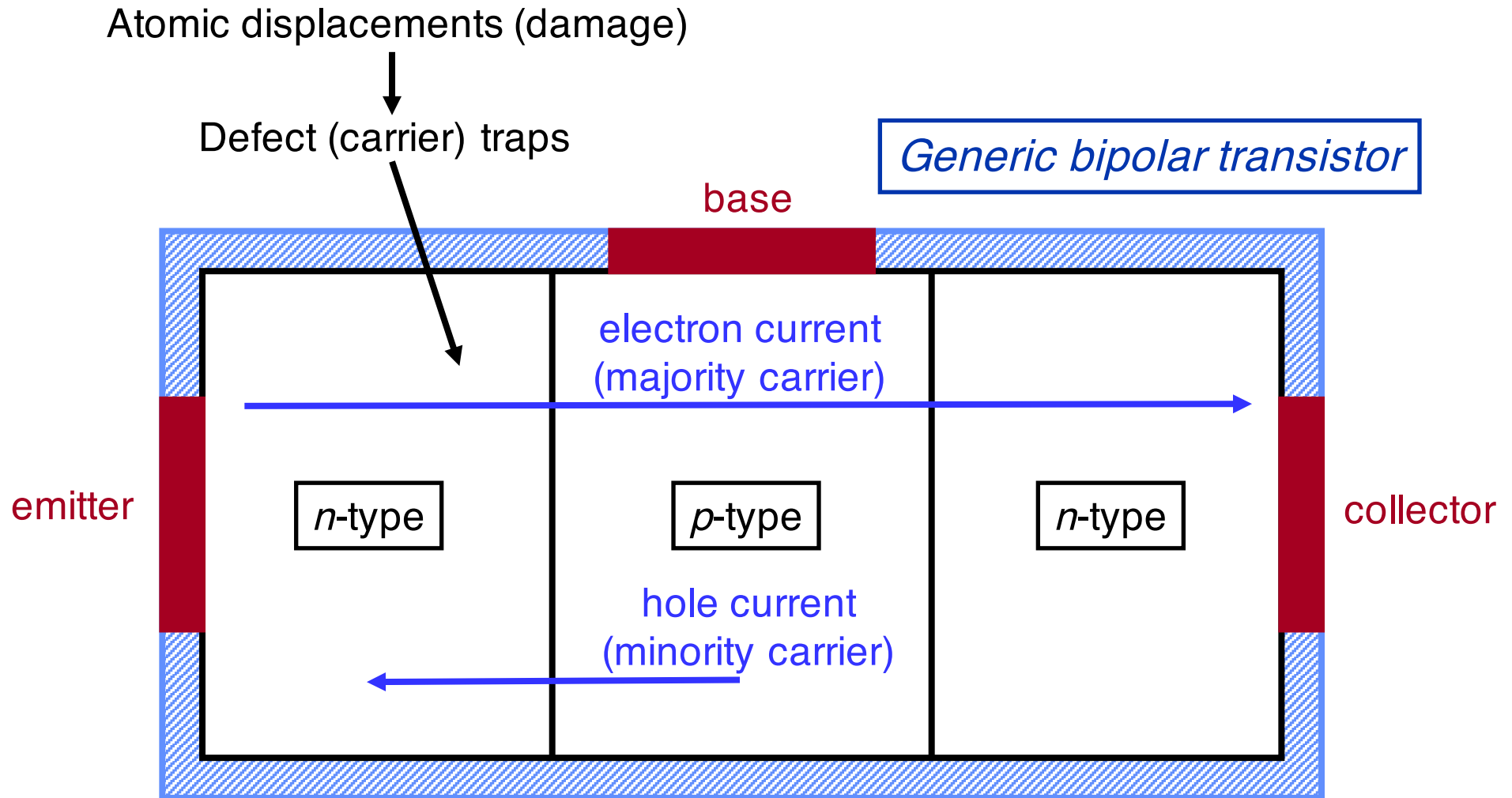
Sandia is developing new capabilities for predictive simulation of neutron-irradiated semiconductor devices, involving multiple loosely-coupled codes and including both thermal and current-induced annealing of the damage



1. S. M. Myers, P. J. Cooper and W. R. Wampler, J. Appl. Phys. **104**, 044507 (2008)

2. W. R. Wampler and S. M. Myers, J. Appl. Phys. **117**, 045707 (2015)

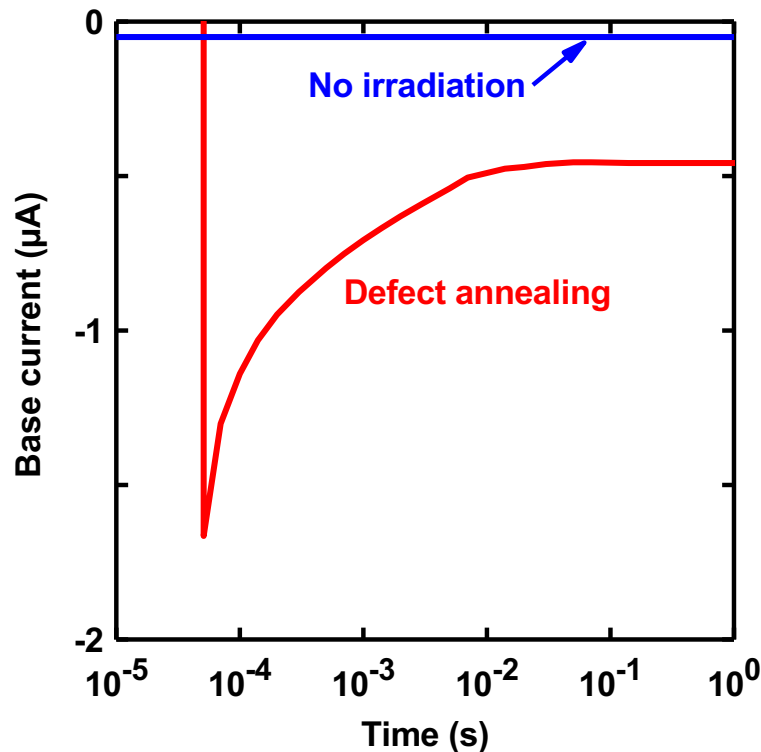
Background



Rapid gain changes occur due to the formation and subsequent annealing of defect traps, which cause carrier recombination and increased base current

Background

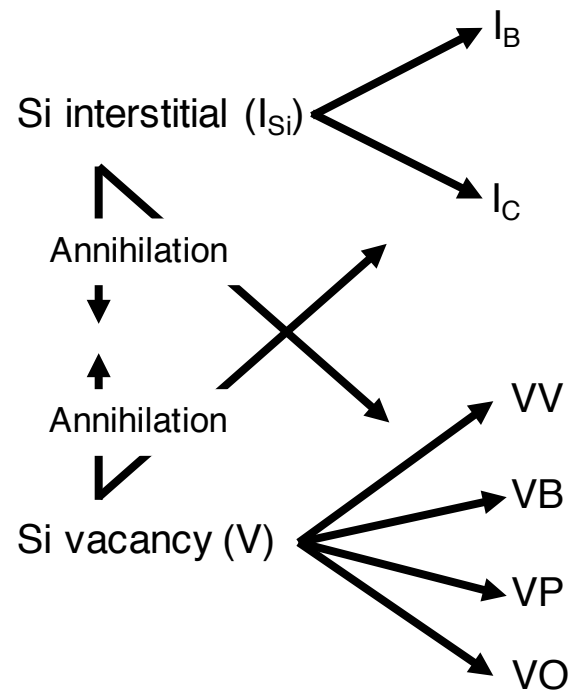
*Experimental data for
a Si bipolar transistor*



Defect traps in Si and their evolution

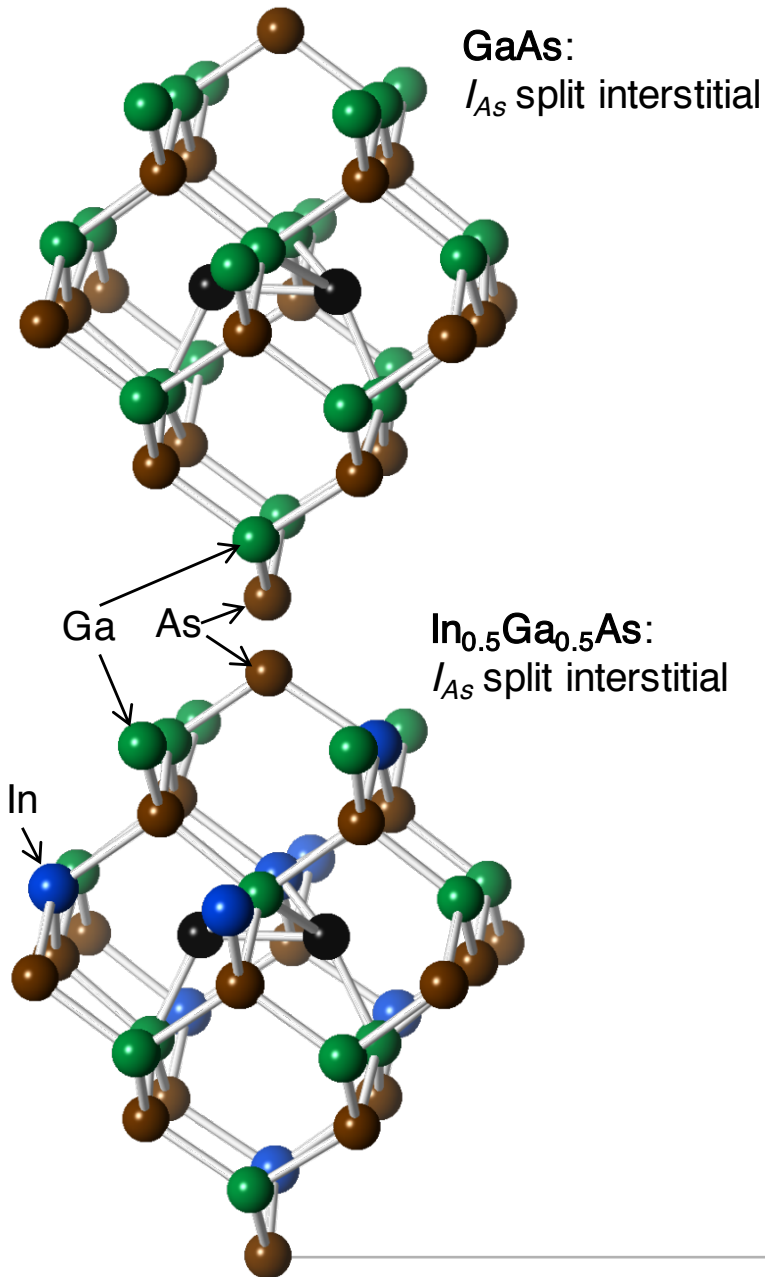
Primaries

Secondaries... and so on



The recovery toward the pre-irradiation base current is largely due to migration of the Si interstitial and its reactions with other defects, dopants and impurities

The As interstitial (I_{As}) in GaAs and InGaAs



Sandia has developed simulation capabilities for both Si and GaAs-based devices

The Si-device capability employs our earlier DFT/LDA results for Si interstitial migration

The GaAs-device capability uses our recent DFT/LDA results for I_{As} migration in GaAs

Current work is focused on understanding and predicting I_{As} migration in an $In_{0.5}Ga_{0.5}As$ alloy where configurational complexity fundamentally alters its behavior

Characteristics of I_{As} in GaAs

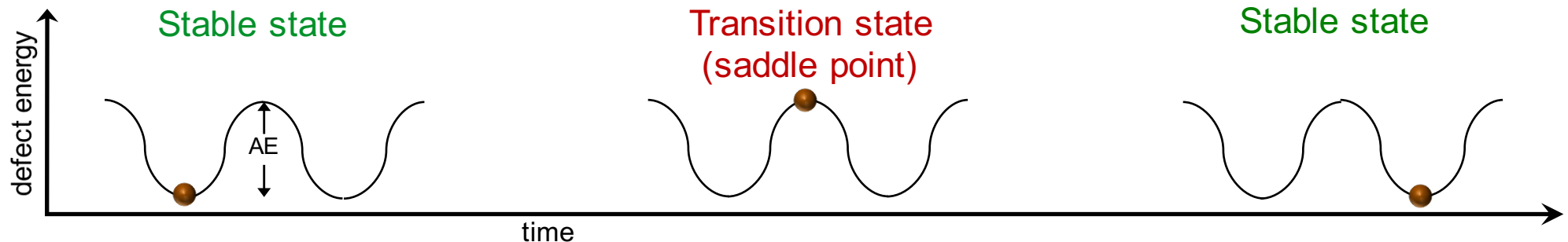
The structure and energy of I_{As} depend on its *charge state* (q)

I_{As} has multiple charge states and *levels* (denoted $q-1/q$), which are defined as the Fermi levels at which its charge-state changes

The charge states and levels of I_{As} control its relative carrier capture and emission rates (under study by Normand Modine), and thus its influence on device performance

I_{As} is believed to migrate via both *thermal* and *carrier-induced*³ processes

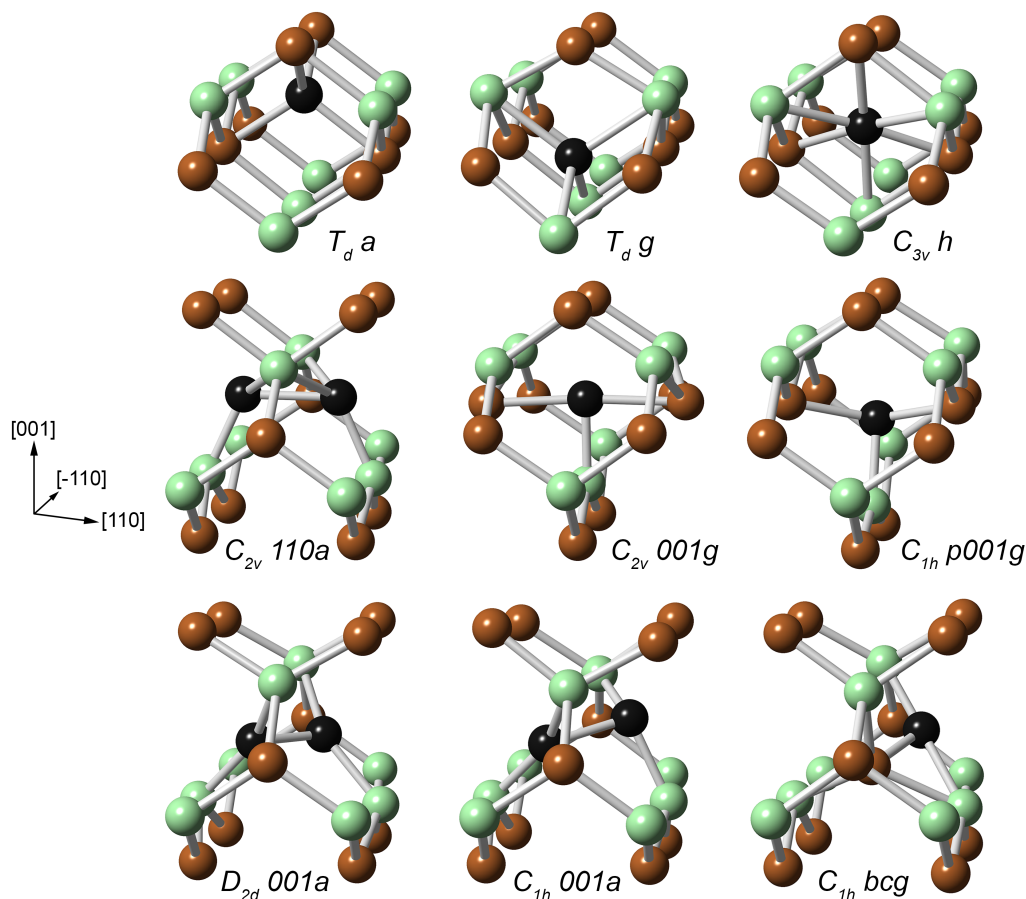
Thermal migration process with a site-independent activation energy (AE)



3. The first report of carrier-induced annealing in GaAs was from Sandia's Radiation Sciences Center:
C. E. Barnes, Phys. Rev. B **1**, 4735 (1970)

Identifying the migration processes

Candidate configurations



Procedure

- A *bounds analysis* ⁴ was used to identify the charge states of each candidate configuration
- For each charge state, the *dimer method* ⁵ was used to search for stable and transition states
- For each transition state, the dimer configurations were relaxed to the associated stable states
- For each transition-state/stable-state pair, the AE was calculated from their formation energies
- Cell-size effects were removed by extrapolating formation energies from 216-, 512- and 1000-atom supercells to the infinite-cell-size limit ⁶

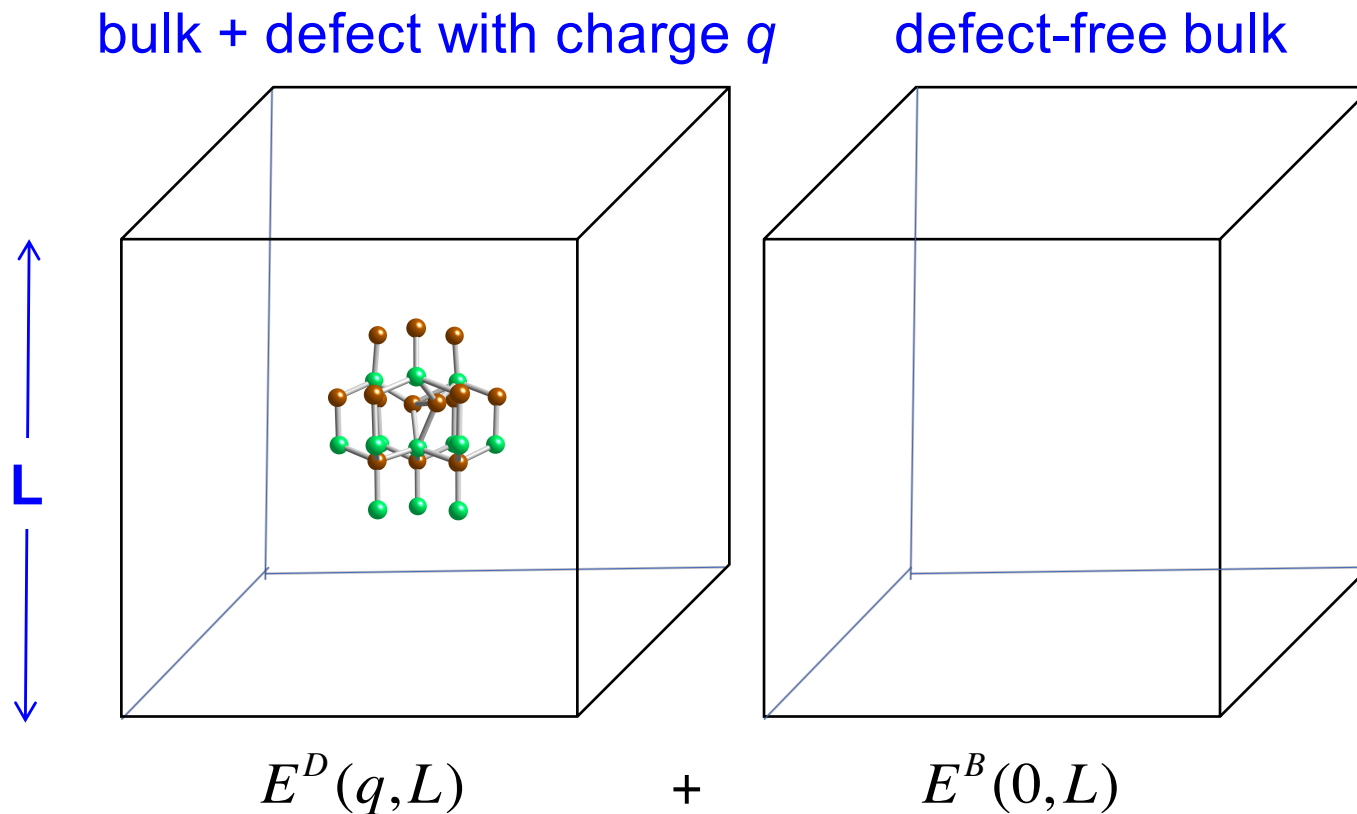
4. N. A. Modine, A. F. Wright and S. R. Lee, Comput. Mater. Sci. **92**, 431 (2014)

5. G. Henkelman and H. Jonsson, J. Chem. Phys. **111**, 7010 (1999)

6. G. Makov and M. C. Payne, Phys Rev. B **51**, 4014 (1995)

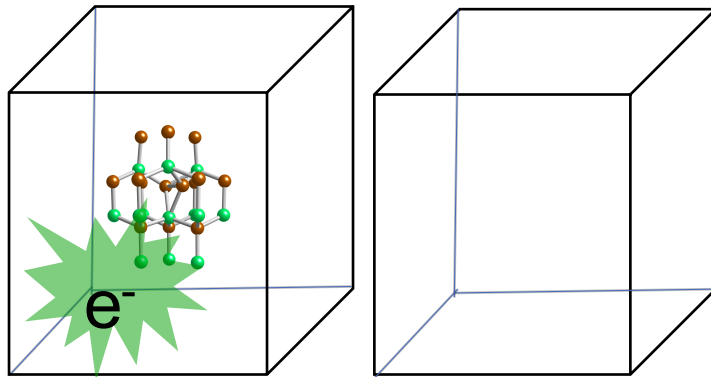
Bounds on DFT Defect Levels

Consider the combined energy of two independent, finite-sized cells...

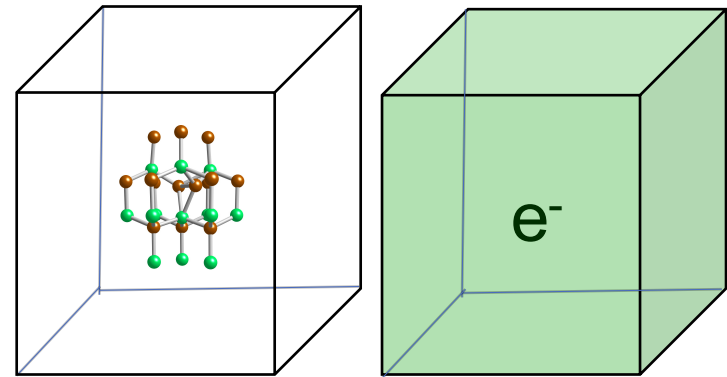


Bounds on DFT Defect Levels

Add an extra electron to one or the other of the cells...



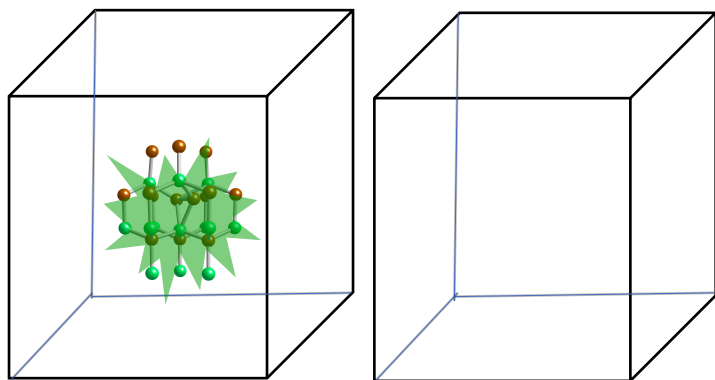
$$E^D(q-1, L) + E^B(0, L)$$



$$E^D(q, L) + E^B(-1, L)$$

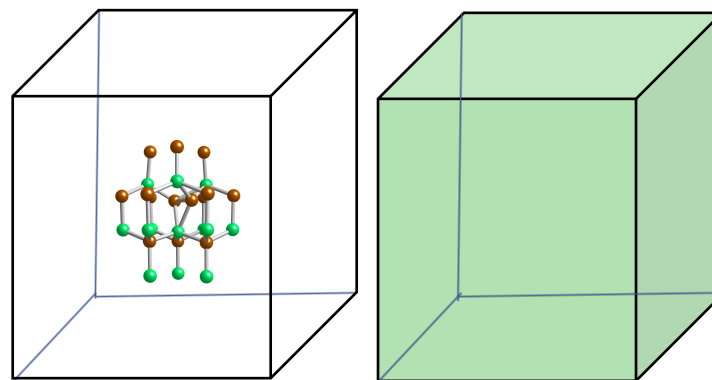
Bounds on DFT Defect Levels

If the electron is attracted to the defect;



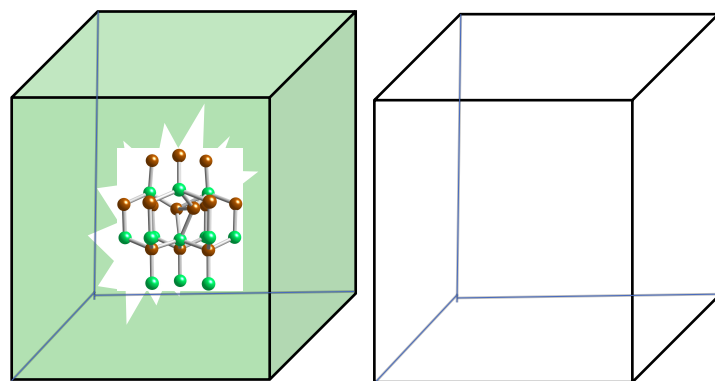
$$E^D(q-1, L) + E^B(0, L)$$

<



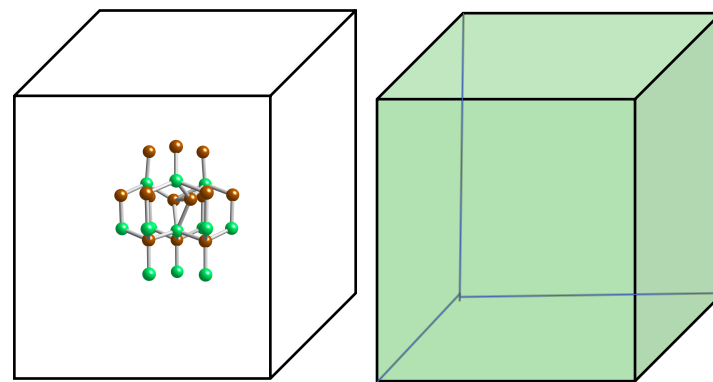
$$E^D(q, L) + E^B(-1, L)$$

If the electron is repelled by the defect;



$$E^D(q-1, L) + E^B(0, L)$$

<



$$E^D(q, L) + E^B(-1, L) + \delta(L)$$

Bounds on DFT Defect Levels

Rearranging, we get an approximate *upper bound* on the defect level:

$$\Delta^D(q-1/q, L) \leq \Delta^B(-1, L) + \delta(L)$$

Where the bound is the negative of the electron affinity:

$$\Delta^B(-1, L) \equiv E^B(-1, L) - E^B(0, L)$$

And the bound is exact in the limit of an infinite-sized cell:

$$\delta(L) \rightarrow 0 \quad \text{as} \quad L \rightarrow \infty$$

Similarly, adding an extra hole gives a *lower bound*:

$$\Delta^D(q+1/q, L) \geq \Delta^B(+1, L) - \delta(L)$$

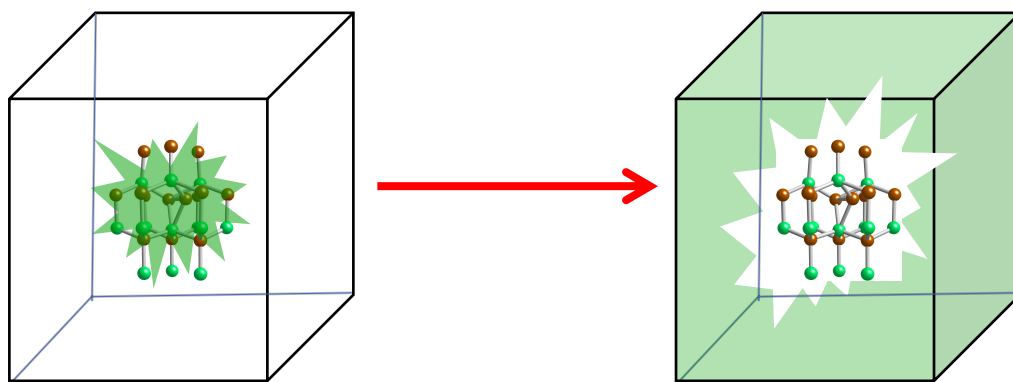
Where the bound is the negative of the ionization energy:

$$\Delta^B(+1, L) \equiv E^B(0, L) - E^B(+1, L)$$

Physical Meaning of the Bounds

If the $q-1/q$ defect level matches the upper bound, then the energy of the defect in charge state $q-1$ is the same as the energy of the defect in charge state q plus an extra electron in the bulk. This is unlikely to happen by accident.

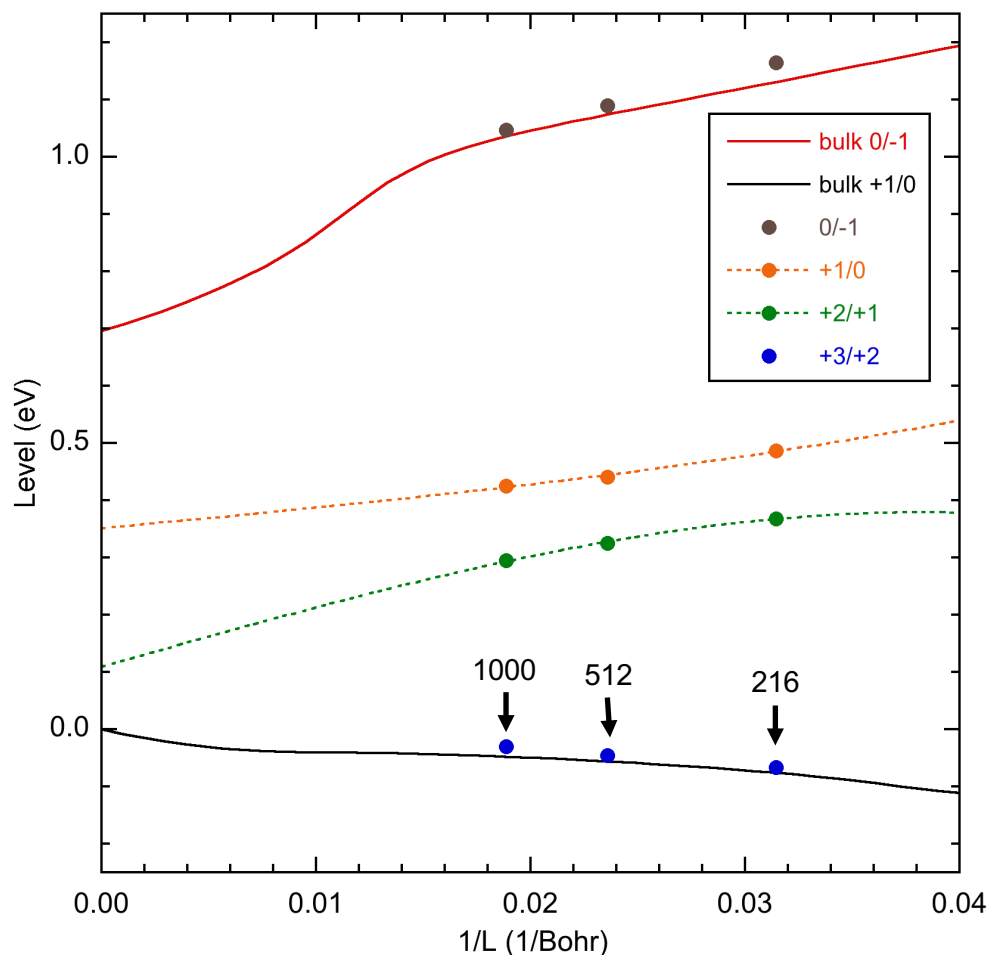
Instead, the defect in charge state $q-1$ is unstable and spontaneously converts to charge state q losing an electron to the bulk!



Likewise, if the $q+1/q$ level matches the lower bound, then the defect in charge state $q+1$ is unstable and spontaneously converts to charge state q losing a hole to the bulk.

Bounds analysis of the As antisite (As_{Ga}) in GaAs

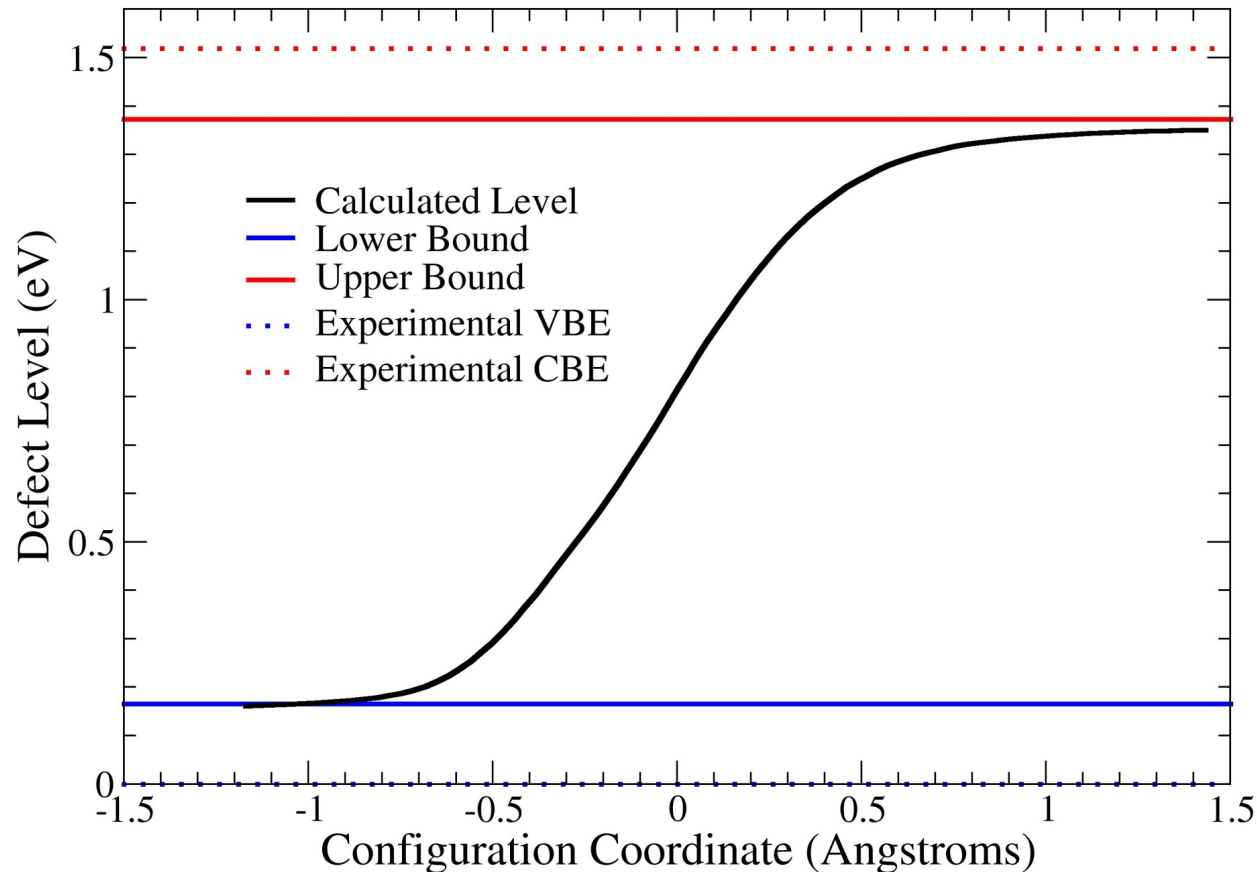
The bounds are seen to limit the charge states (and levels) of As_{Ga}



- The plots are As_{Ga} 0/-1, +1/0, +2/+1 and +3/+2 levels and Makov-Payne fits
- Results for the 0/-1 and +3/+2 levels are close to the bounds, meaning...
 - ✓ the (proposed) $q = -1$ state is $q = 0$ plus an electron in the conduction band
 - ✓ the (proposed) $q = +3$ state is $q = +2$ plus a hole in the valence band

Further evidence of the limiting-role of the bounds

The bounds limit the allowed movement of the $\text{As}_{\text{Ga}} + 1/0$ level due to ionic distortions (relevant to studies of non-radiative carrier capture)⁷



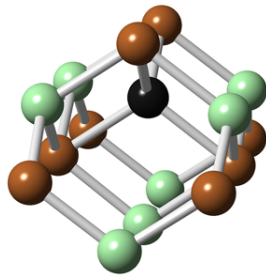
7. N. A. Modine, unpublished

Some Conclusions about the Bounds

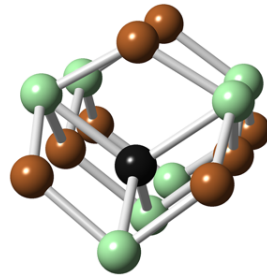
- *Help explain why DFT calculations with finite supercells can give good defect levels despite the band-gap problem*
- *Are a powerful tool to determine when a defect charge state is unstable (using a particular supercell and functional)*
- *Demonstrate (yet again) why more advanced functionals are needed for defect calculations*

Stable states

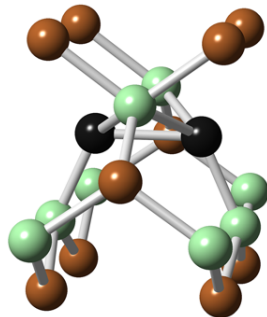
Stable-state configurations



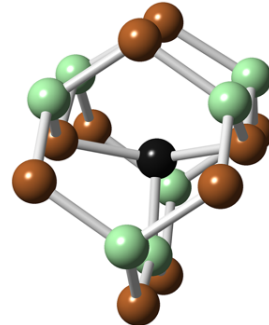
$T_d a : q = +3$



$T_d g : q = +3$

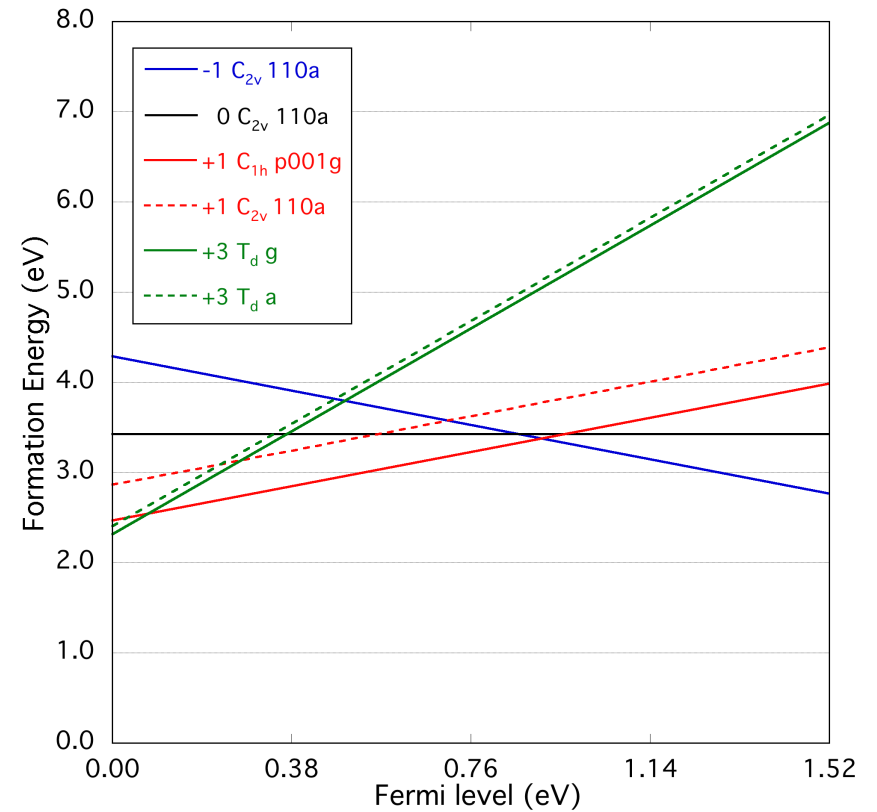


$C_{2v} 110a : q = -1, 0, +1$



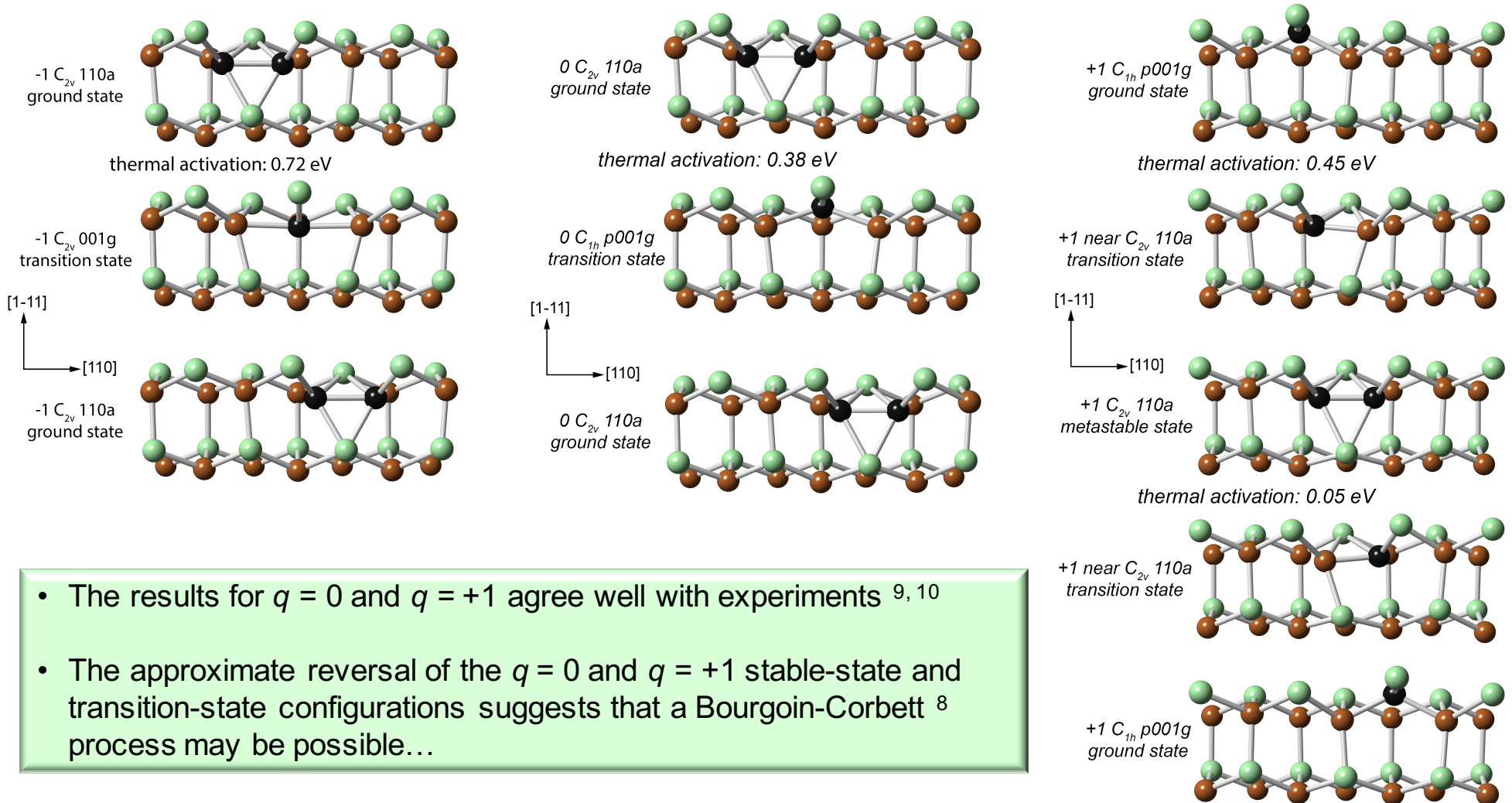
$C_{1h} p001g : q = +1$

Fermi-level dependence of the stable-state formation energies



(solid lines are ground states, dashed lines are metastable states)

Lowest-energy thermal migration processes



- The results for $q = 0$ and $q = +1$ agree well with experiments ^{9, 10}
- The approximate reversal of the $q = 0$ and $q = +1$ stable-state and transition-state configurations suggests that a Bourgoin-Corbett ⁸ process may be possible...

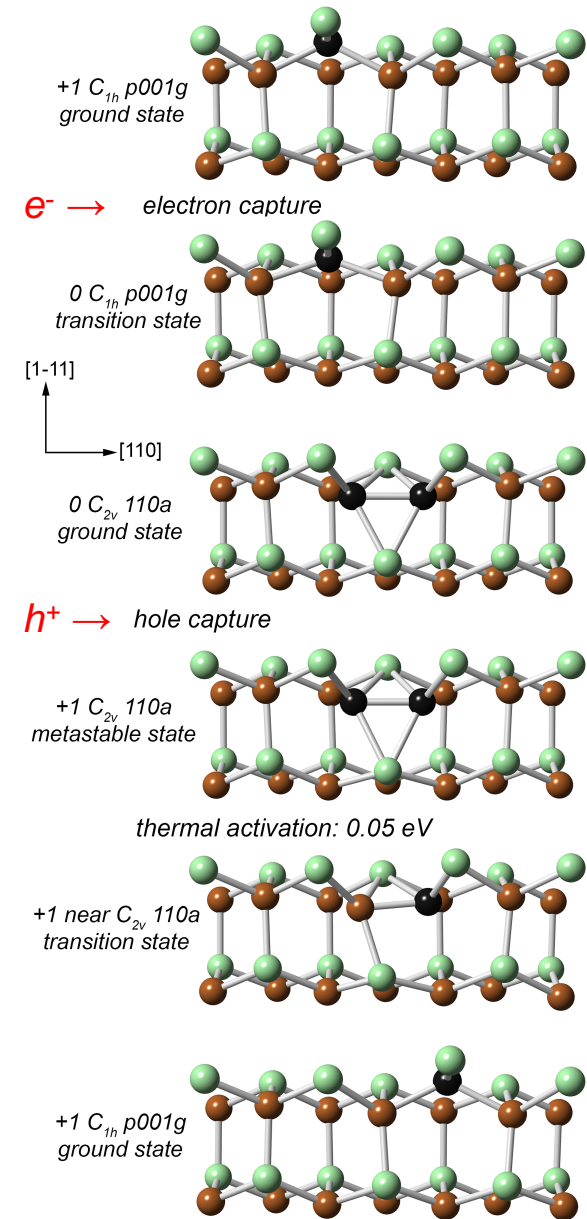
8. J. C. Bourgoin and J. W. Corbett, Radiation Effects **36**, 157 (1978)

9. R. F. Scholz and U. Gosele, J. Appl. Phys. **87**, 704 (2000)

10. D. Stievenard, X. Boddaert and J. C. Bourgoin, Phys. Rev. B **34**, 4048 (1986)

Bourgoin-Corbett migration processes

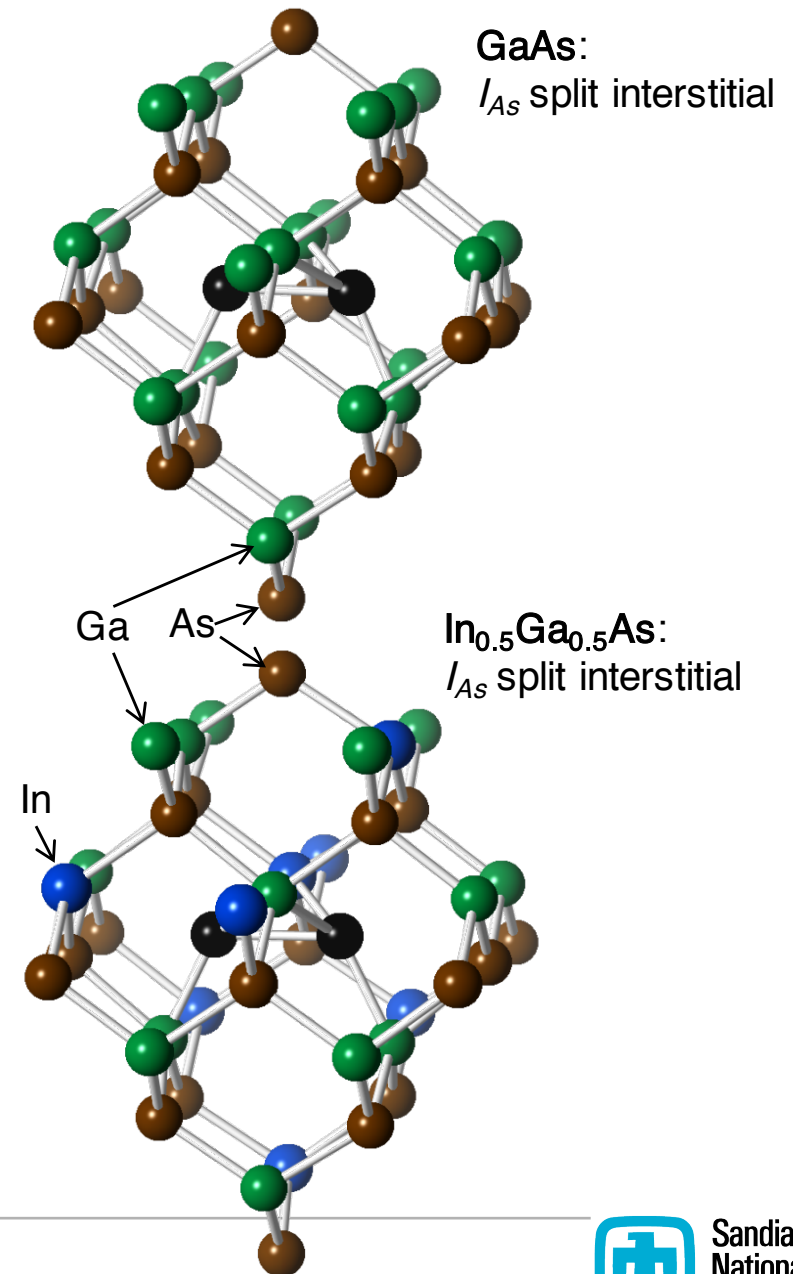
- Alternating capture of an electron and a hole is predicted to produce (nearly) athermal migration with a residual AE of 0.05 eV
- This result is consistent with the observation of carrier-induced annealing in gamma-irradiated GaAs diode by Barnes ⁸



New capability to simulate diffusion in an alloy

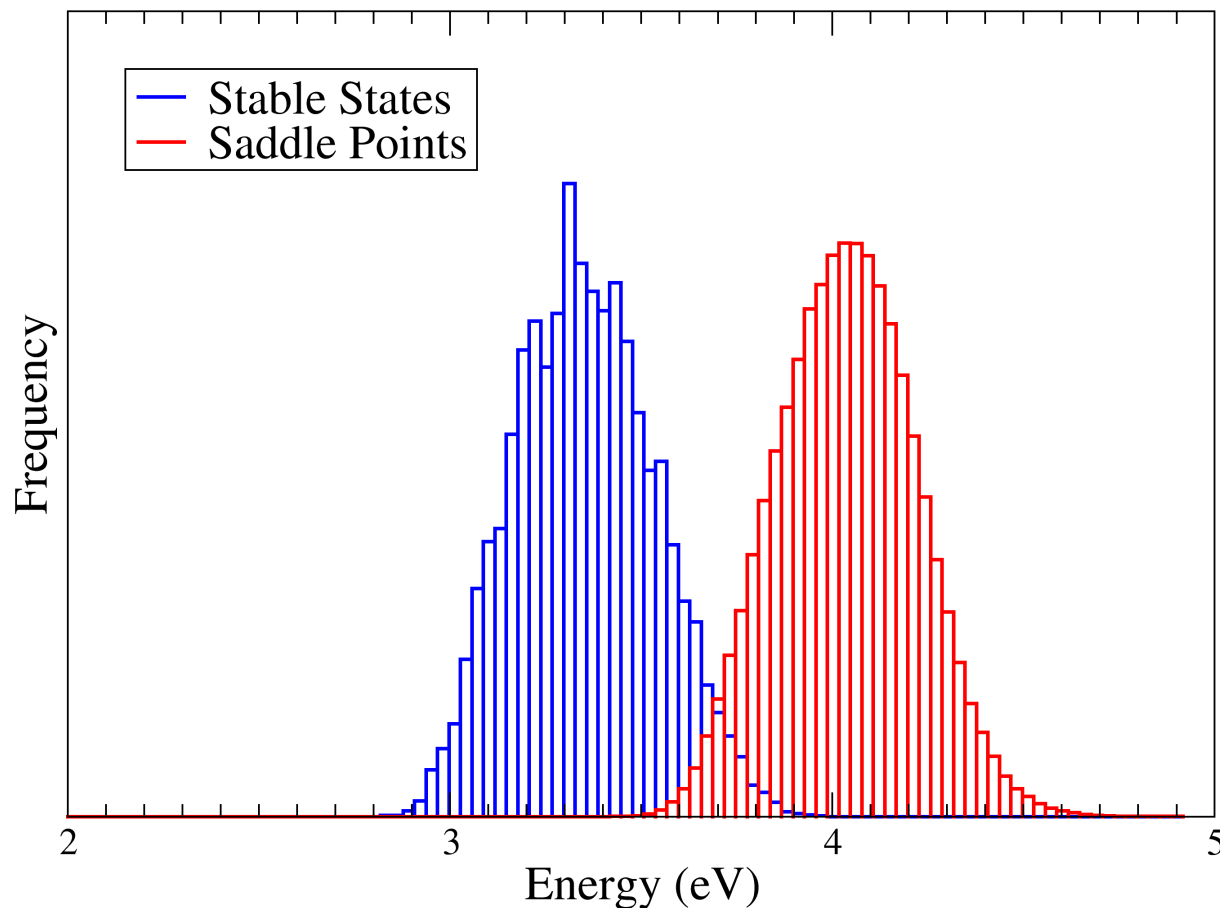
Why is this challenging? – Configurational complexity fundamentally alters defect energies and behavior – computational burden rises exponentially

- [Kinetic Monte Carlo \(KMC\)](#) simulations of defect diffusion in an alloy require rapid evaluation of defect energies at all relevant defect locations in the alloy
- [DFT](#) defect energies are sufficiently accurate to produce physically realistic simulations, but the computation time is orders-of-magnitude too large for direct use in KMC
- [Cluster Expansions \(CE\)](#) allows rapid evaluation of defect energies at arbitrary defect locations in an alloy
- CE coefficients are derived by fitting to a [training set](#) of defect energies calculated using DFT



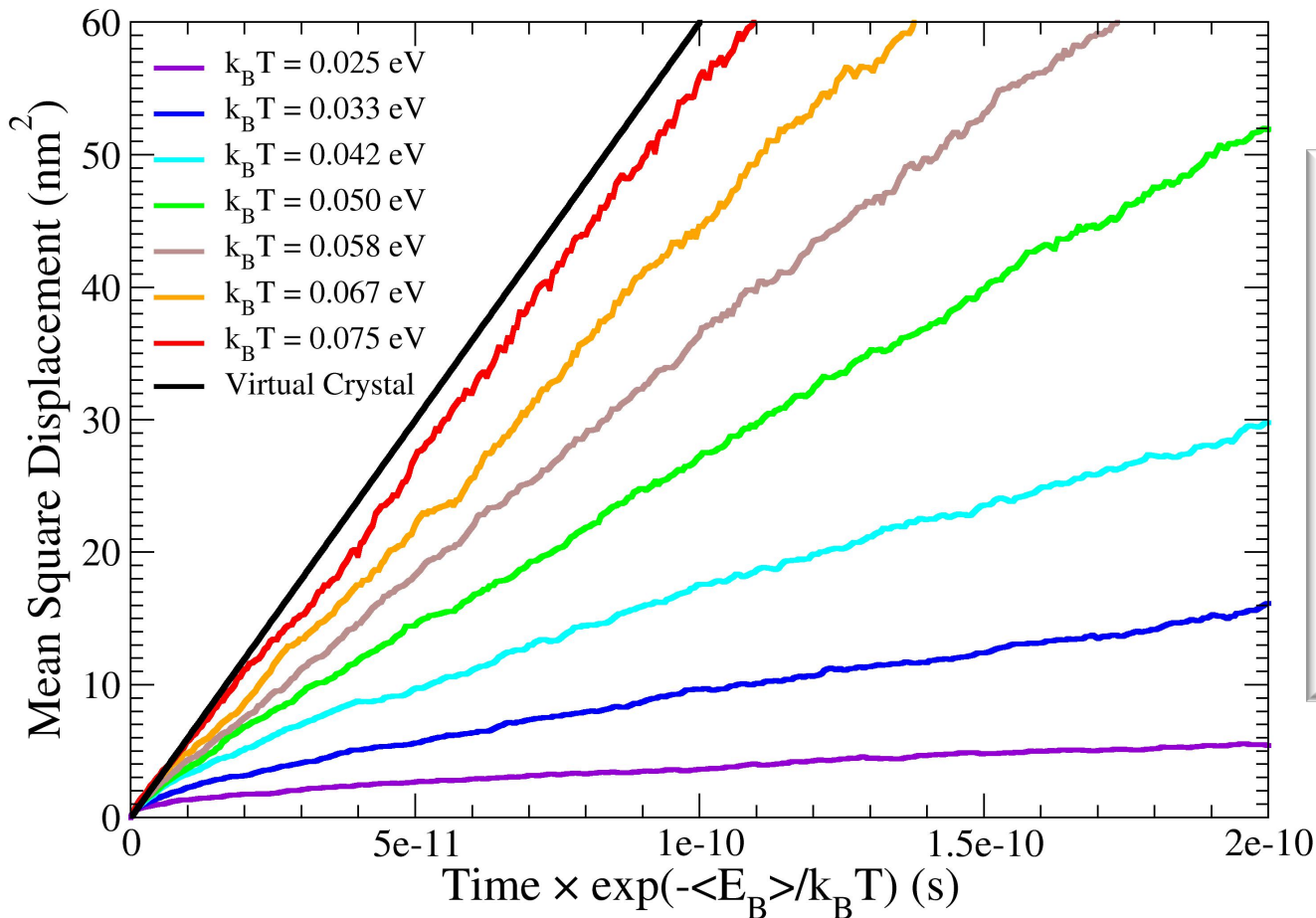
Results from Cluster Expansions ($q = -1$)

Histograms of stable-state
and saddle-point energies



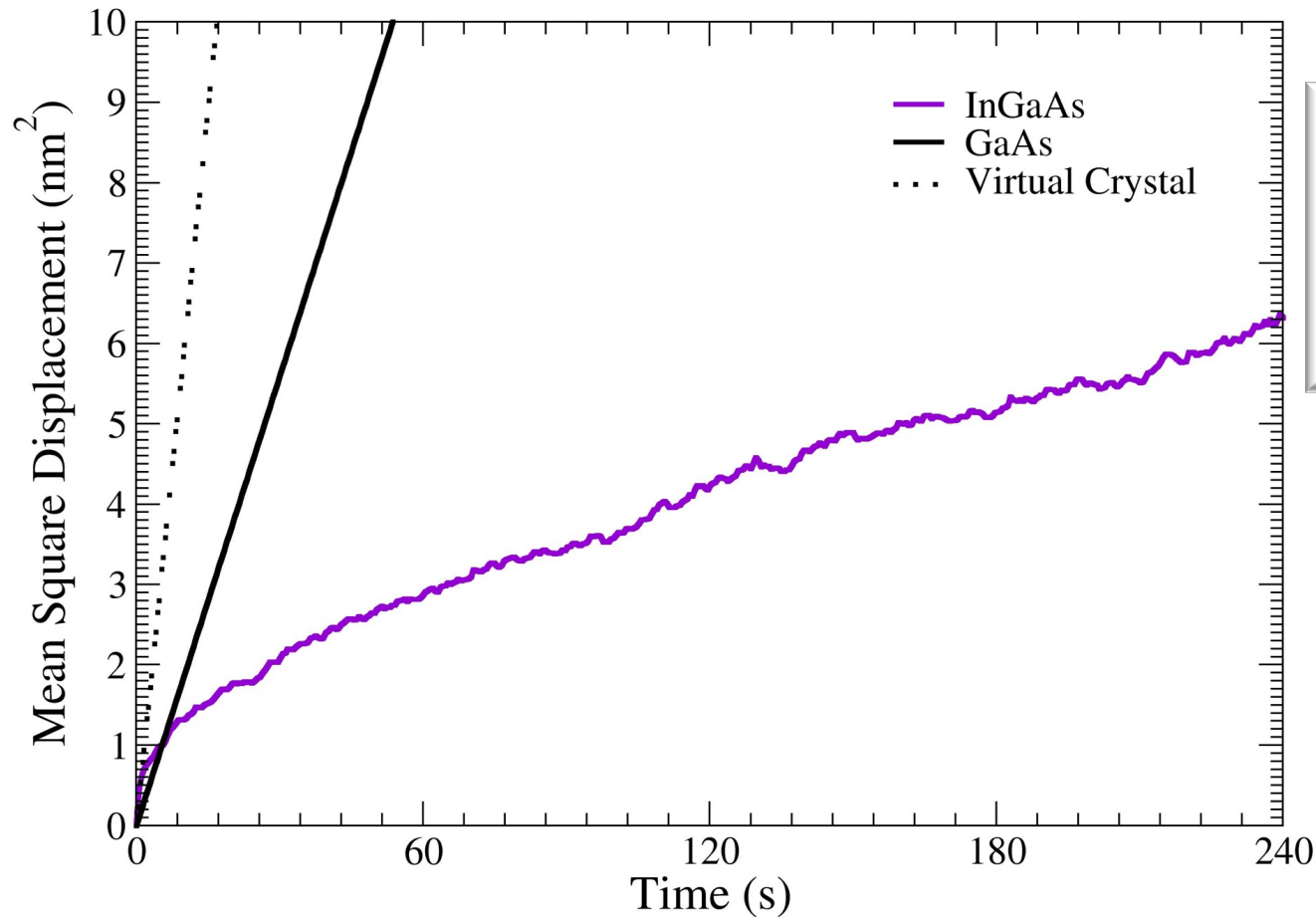
- Similar distributions for saddle point and stable state energies
- The difference between the average saddle point and stable state energies is similar to the barrier in GaAs (0.7 eV)
- The fact that the energies have distributions has a profound effect on defect diffusivities!

Temperature Dependence of Thermal Diffusion



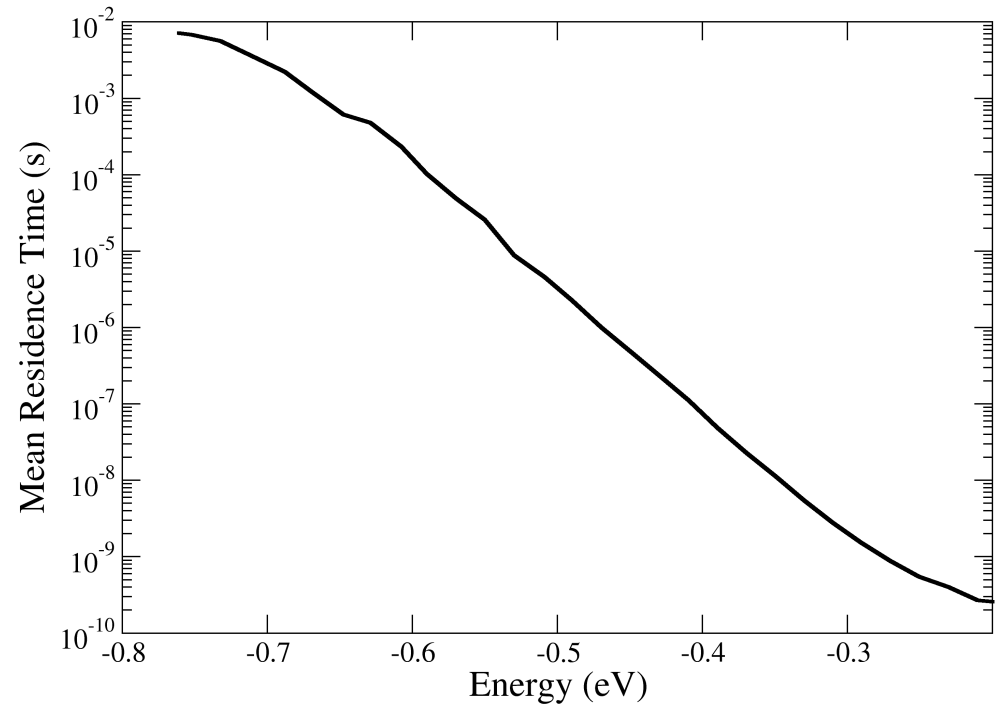
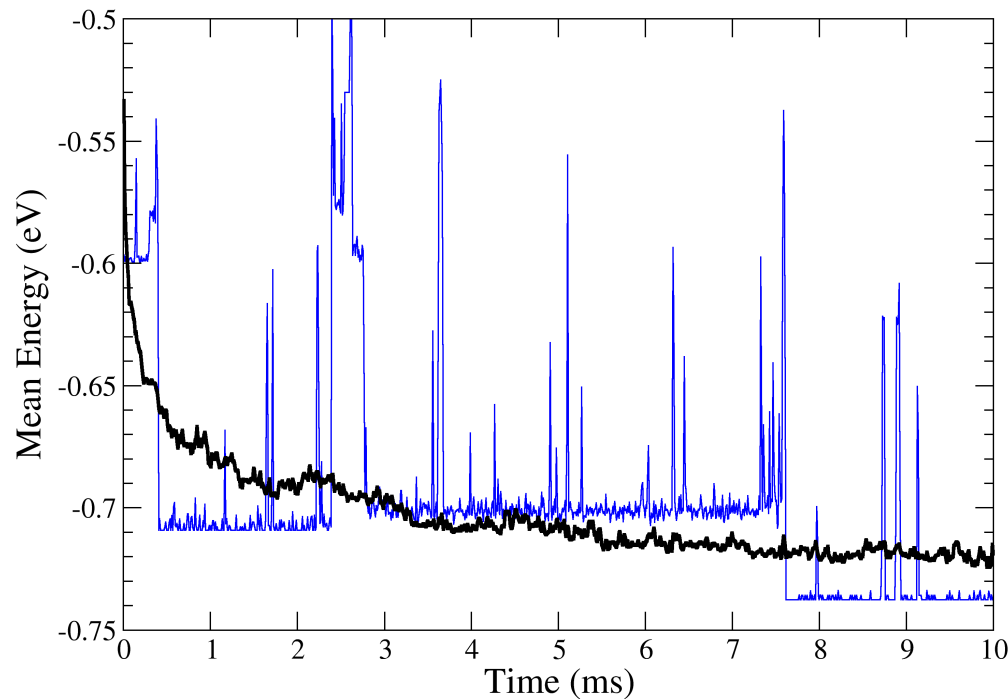
- We compare diffusion at different temperatures (T) by rescaling time
- In a homogeneous system, the rescaled rate of diffusion is then independent of T (labeled Virtual Crystal in the plot)
- In contrast, diffusion in the alloy is slowed by a large, T dependent factor

Temperature Dependence of Thermal Diffusion



- If we look closer, we see that the diffusion slows down with time
- This is not something that can be modeled with a single activation energy

Why Does Diffusion Slow Down?

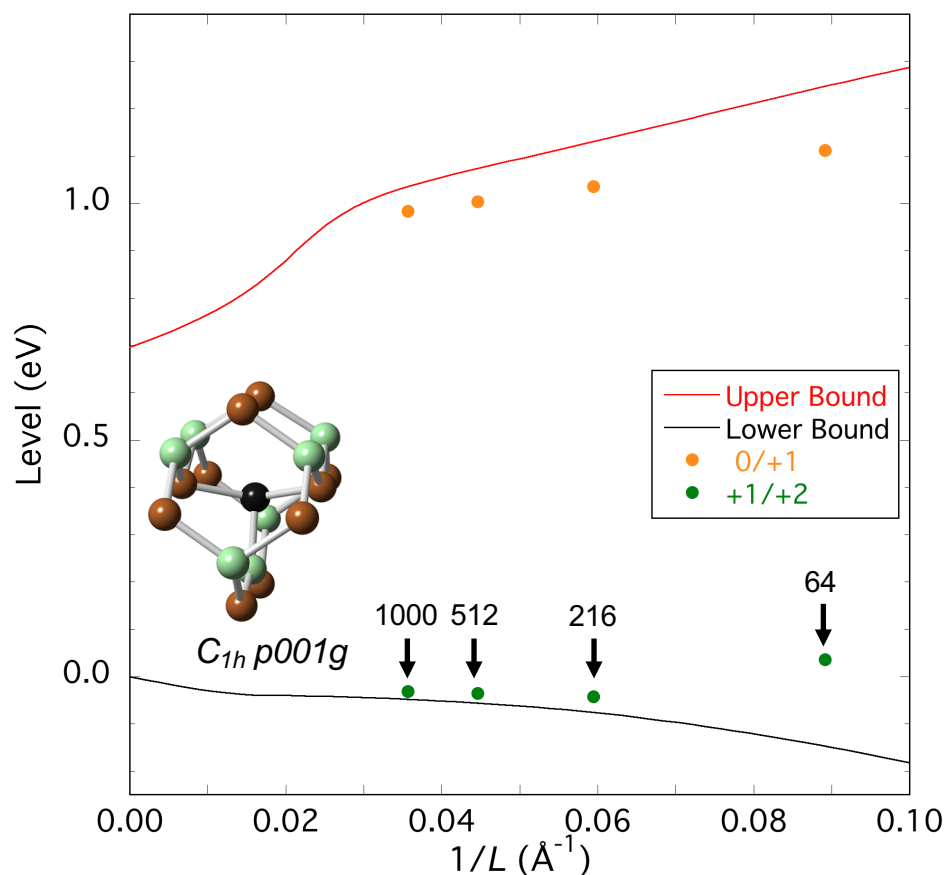


- As the defect diffuses, it finds lower energy sites in the alloy.
- Lower energy sites trap the defect for (exponentially) longer times.
- The fact that there is a distribution of stable-state energies fundamentally alters the diffusion of I_{As} in InGaAs.

Conclusions

- DFT calculations, even using functionals such as the LDA, are able to provide useful information about defects in binary semiconductors and enable predictive simulations of gain-degradation and recovery in semiconductor devices
- We have combined DFT with Cluster Expansions, and KMC to gain new insights into defect diffusion in semiconductor alloys
- A notable insight is that diffusion at normal temperatures will require explicit consideration of the alloy-site dependence of the stable-state defect energies

Why is there no $q = +2$ state?



- The bounds analysis clearly identifies a +1 charge state for $C_{1h} p001g$
- When an electron is added to the +1 state, it becomes partially de-localized (~25%) in the conduction band, allowing an estimate to be made of its formation energy
- When an electron is removed from the +1 state, the hole is mostly de-localized in the valence band (~55% in the 216-atom cell, ~70% in the 512-atom cell, and ~80% in the 1000-atom cell), not allowing an estimate to be made
- In a 64-atom cell, the +2 state is stable