



SAND2017-5236C

Direct Measurement of OH and HO₂ Formation in R + O₂ Reactions of Cyclohexane and Tetrahydropyran: Influence of Oxygenation in Cyclic Hydrocarbons

Ming-Wei Chen, Brandon Rotavera, Wen Chao, Jim Jr-Min Lin, Judit Zádor and Craig A. Taatjes

The 10th International Conference on Chemical Kinetics, Chicago, 23 May 2017

United States
quadrillion

120

100

80

60

40

20

0

2000

Trillion Btu

15,000

10,000

5,000

0

2000

2002

2004

2006

2008

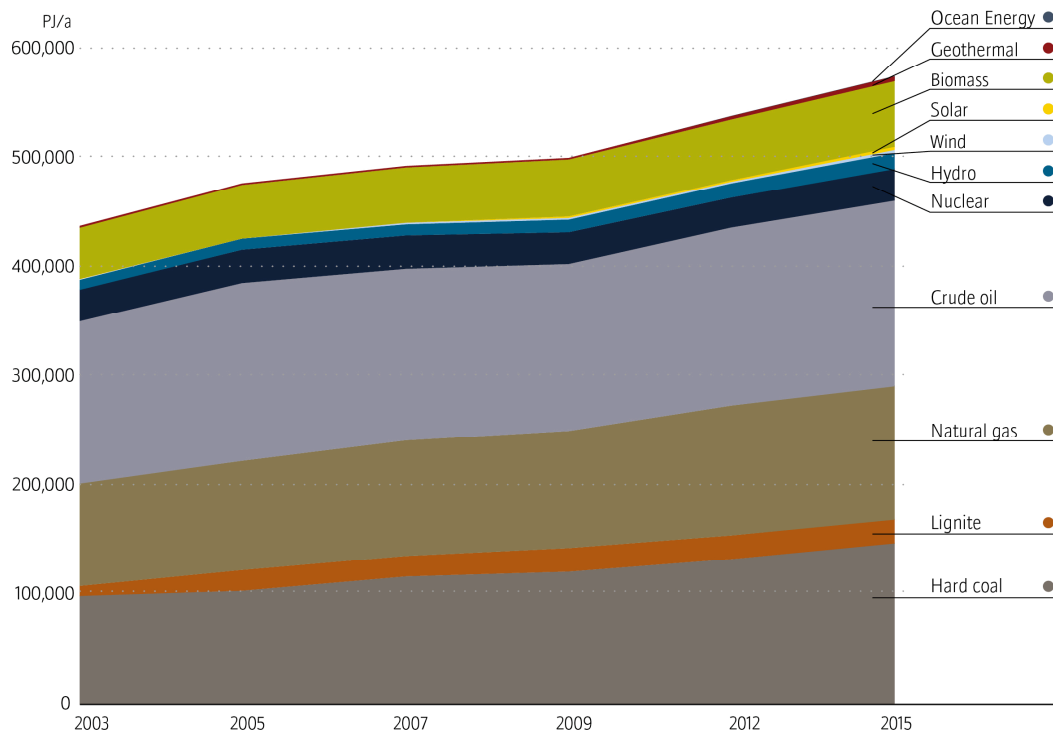
2010

2012

2014

2016

Global primary energy supply, 2003 – 2015



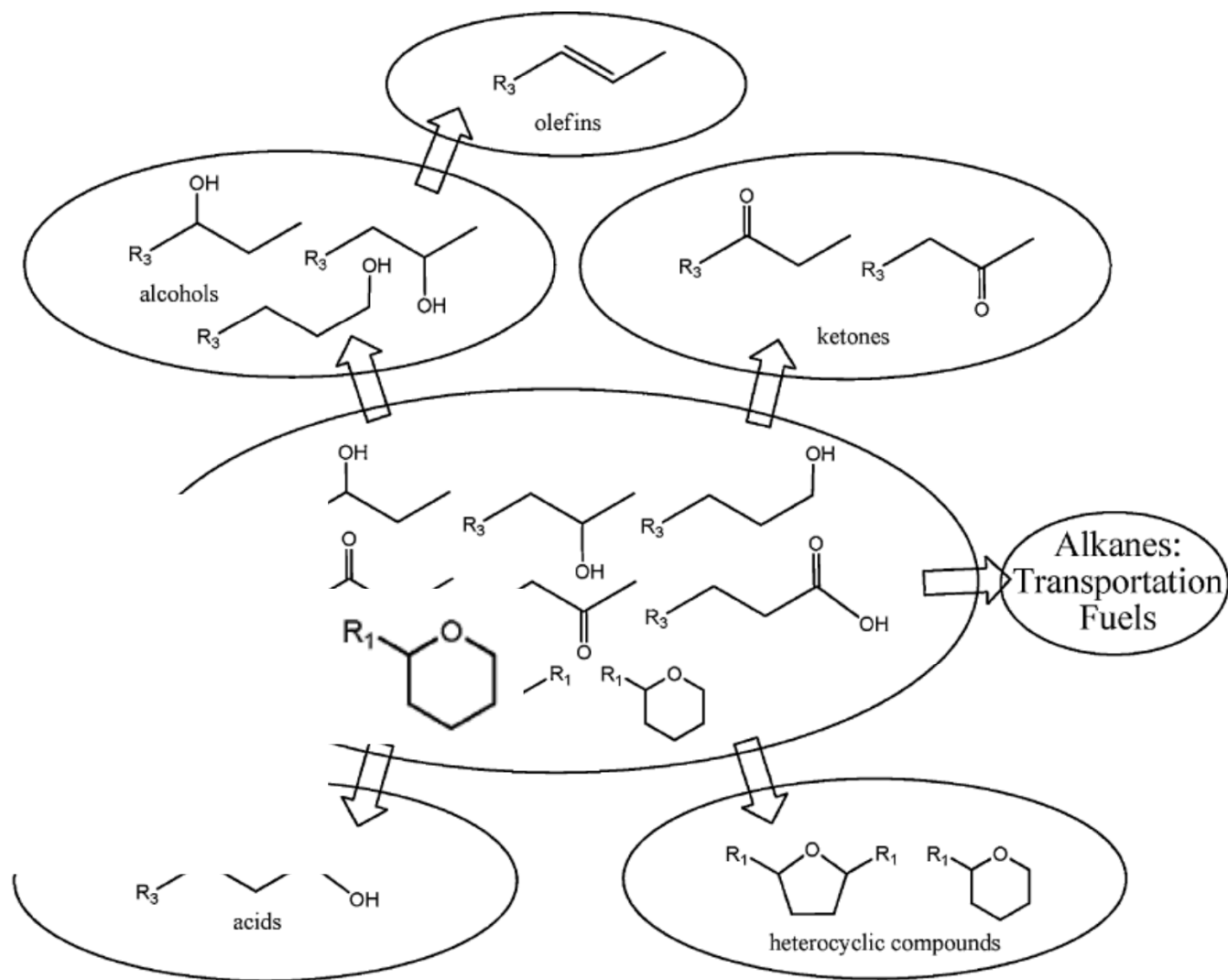
Renewables Global Futures Report Great debates towards 100 % renewable energy

Source: International Energy Agency, Paris/France, Data compilation: Dr. Sven Teske, UTS/ISF, Australia



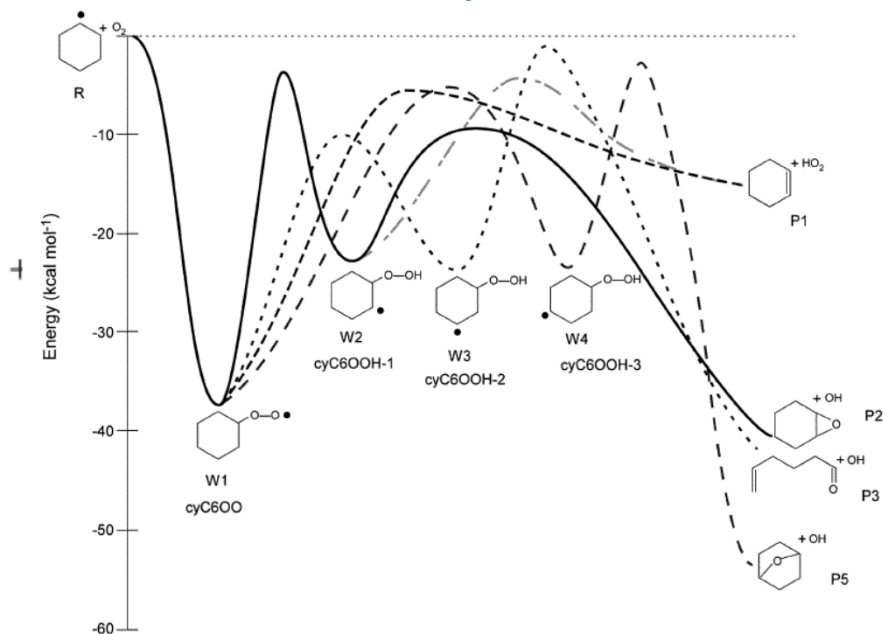
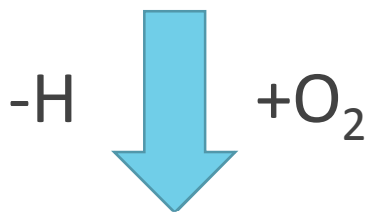
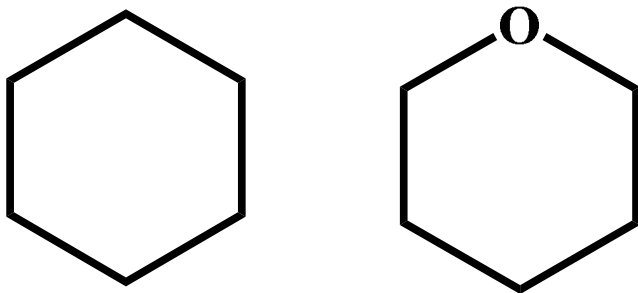
Data source:

Renewable Energy Policy Network for 21st century (REN21)
U.S. Energy Information Administration



R. M. West, et al., *Catalysis Today*, **147**, 115 (2009)





- Monoether analog of cyclohexane and core structure of sugars and polysaccharides.
- Cyclohexane oxidation was studied previously combining OH / HO₂ measurements and theory.
- Tetrahydropyran (THP) oxidation was studied recently by monitoring the alkene production.
- Quantitative, direct laser diagnostic method to explore the key intermediates formation in the low temperature combustion regime
- How oxygenation affect oxidation chemistry (and why)?

A. M. Knepp *et al.*, *Phys. Chem. Chem. Phys.*, **9**, 4315 (2007)

R. X. Fernandes *et al.*, *Phys. Chem. Chem. Phys.*, **11**, 1320 (2009)

B. Rotavera, *et al.*, *Proc. Combust. Inst.*, **36**, 597 (2017)

IR Absorption Experiment

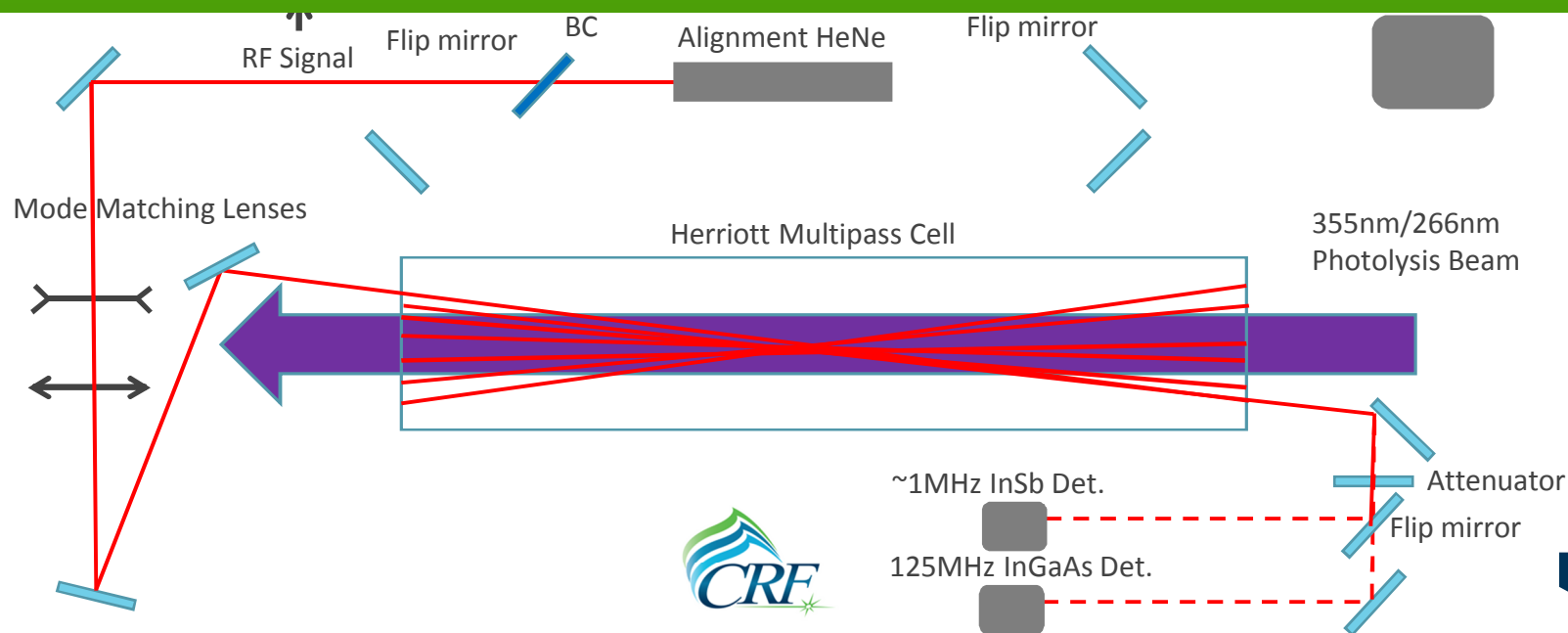
Total density of molecules = $2.6\text{--}3.9 \times 10^{17}$ molecules/cm³

Temperature = 500-750K

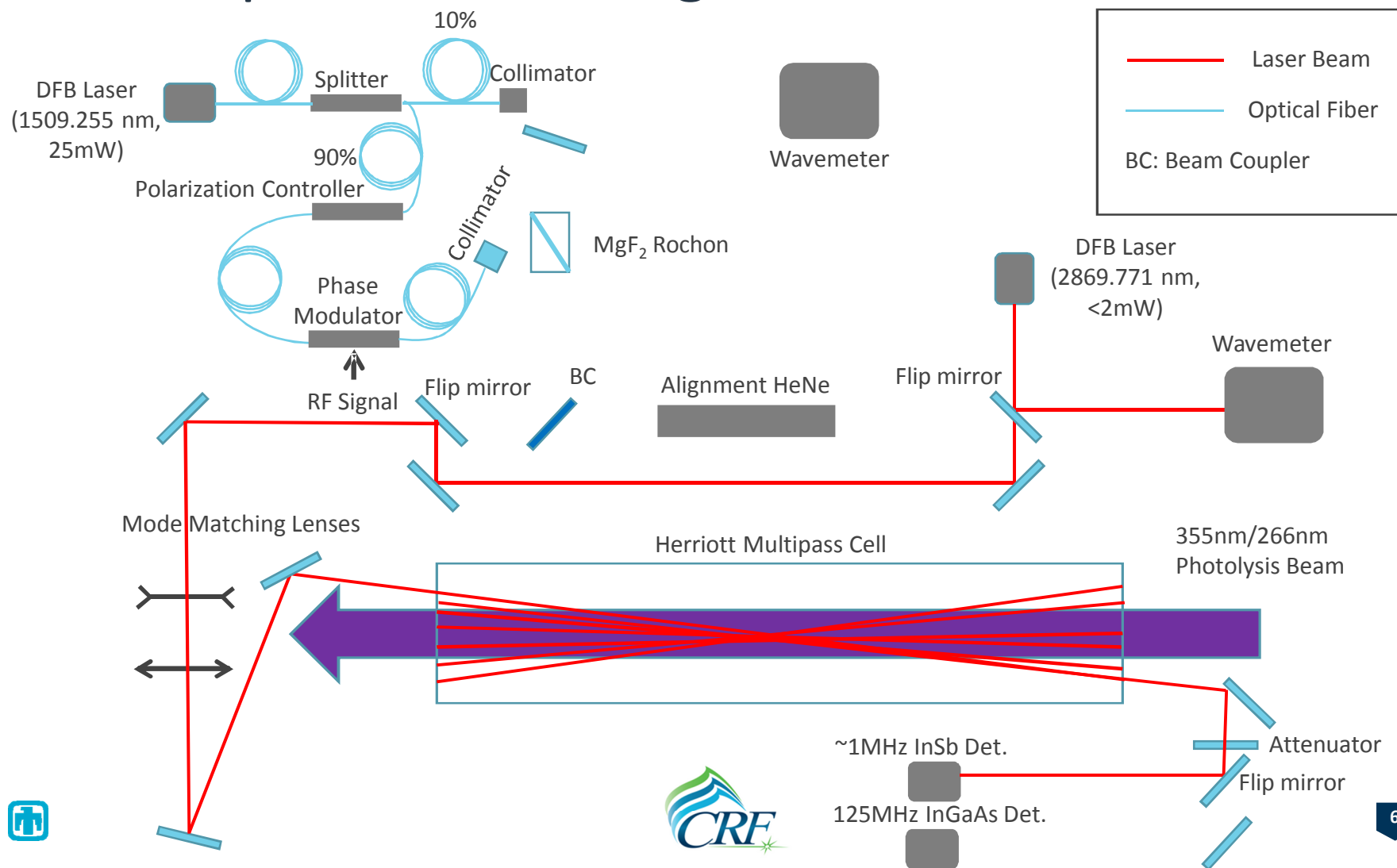
[Fuel] $\approx 1 \times 10^{15}$ molecules/cm³

[Cl]₀ $\approx 8 \times 10^{13}$ molecules/cm³ (From O₂Cl or Cl₂ photolysis)

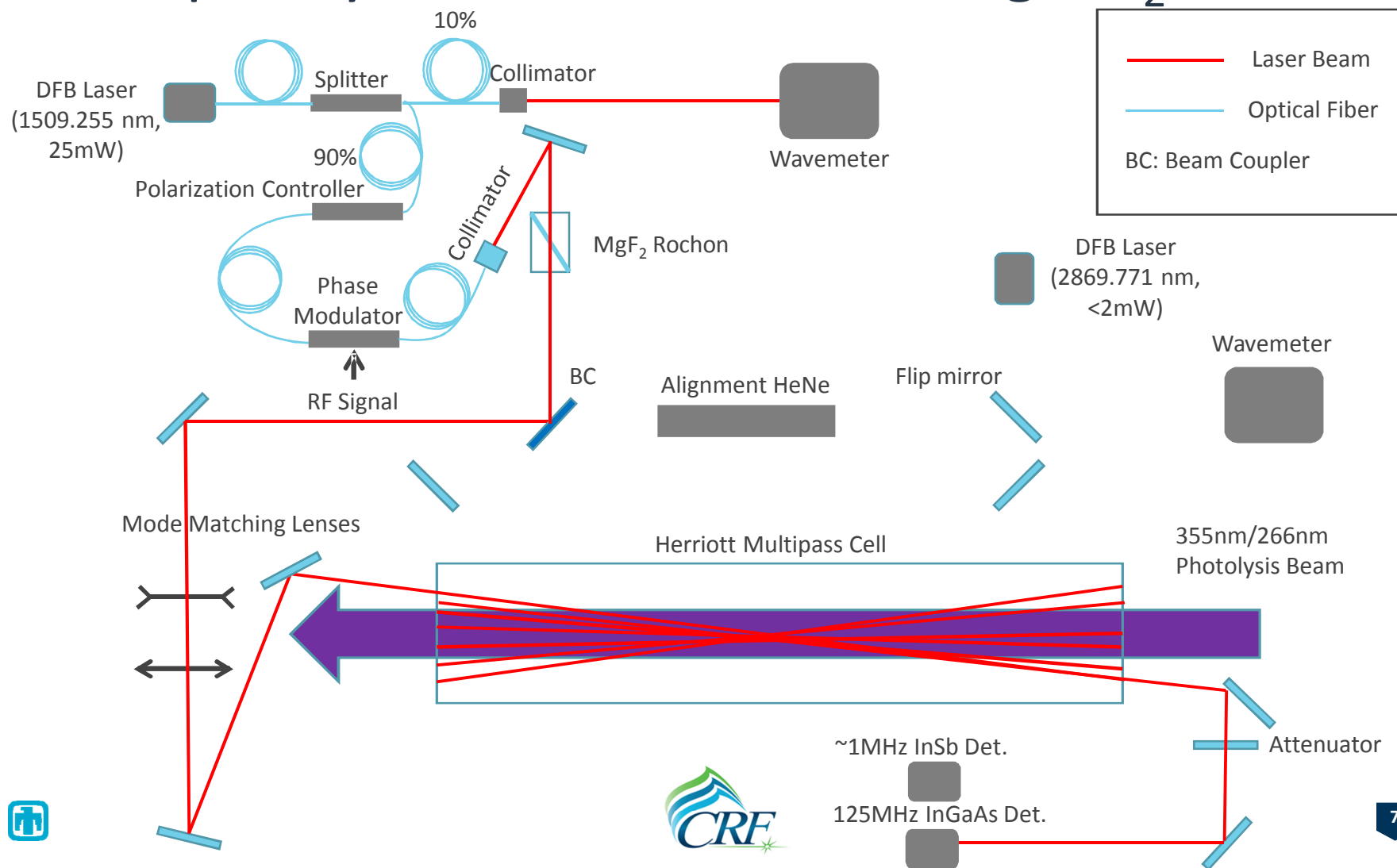
[O₂] $\approx 4 \times 10^{16}$ molecules/cm³



IR Absorption Experiment – Direct Absorption Measuring OH



IR Absorption Experiment – Two-Tone Frequency Modulation Measuring HO₂

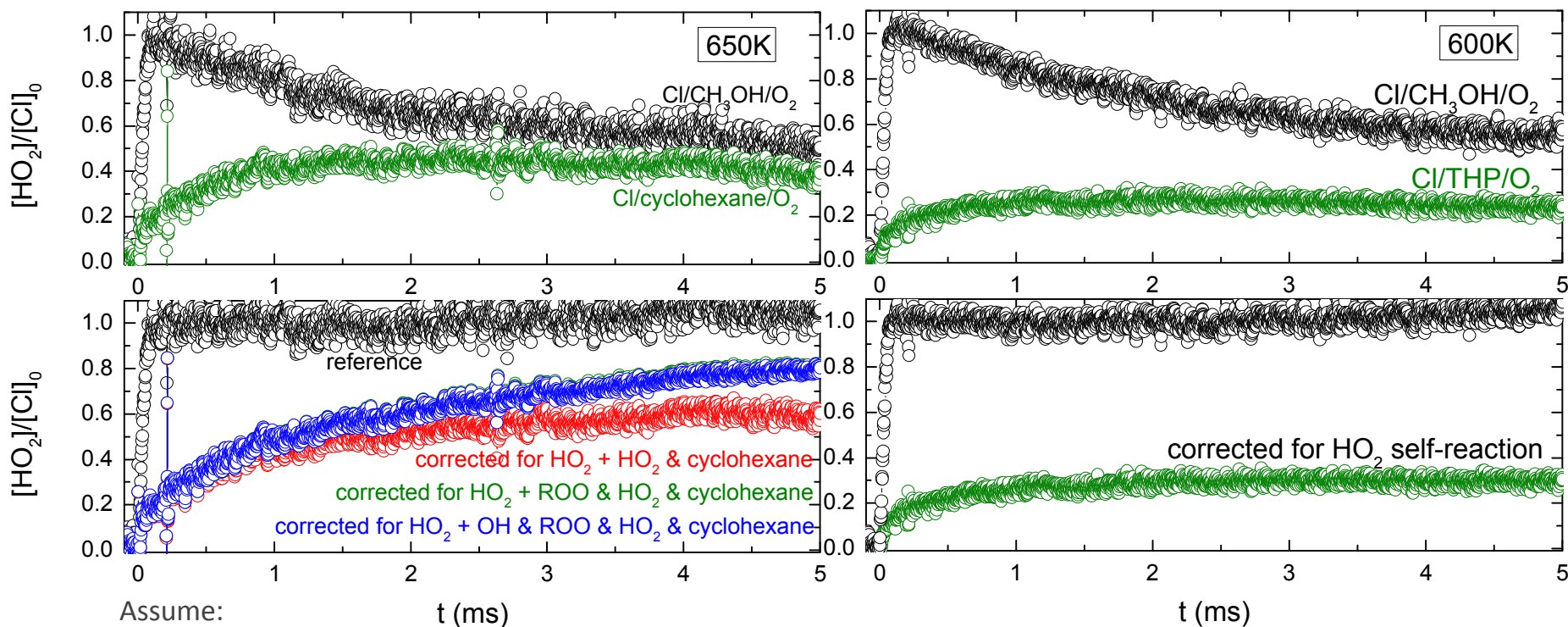


Integral Profile Correction – HO₂

$$\alpha \int_0^t R_{\text{production}}(t') dt' = I(t) + 2\alpha k_{\text{self}} \int_0^t [HO_2]_t^2 dt' + \alpha \int_0^t R_{\text{removal}}(t') [HO_2]_t dt' *$$

cyclohexane & methanol

tetrahydropyran (THP) & methanol



Assume:

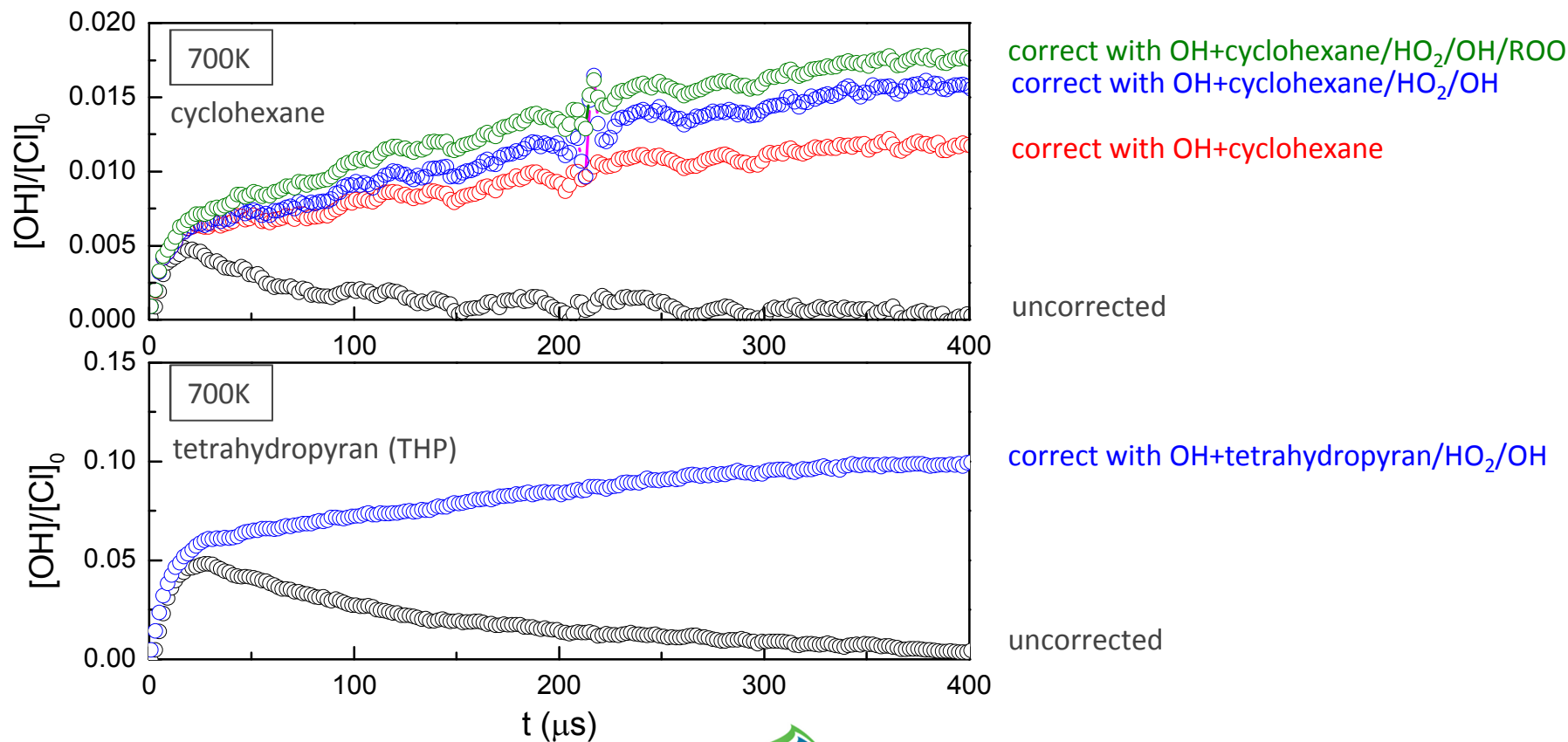
t (ms)

$$*[ROO] = [R]_0 - [HO_2] \approx [Cl]_0 - [HO_2]$$



Integral Profile Correction – OH

$$\alpha \int_0^t R_{production}(t') dt' = I(t) + 2\alpha k_{self} \int_0^t [OH]_t^2 dt' + \alpha \int_0^t R_{removal}(t') [OH]_t dt'$$



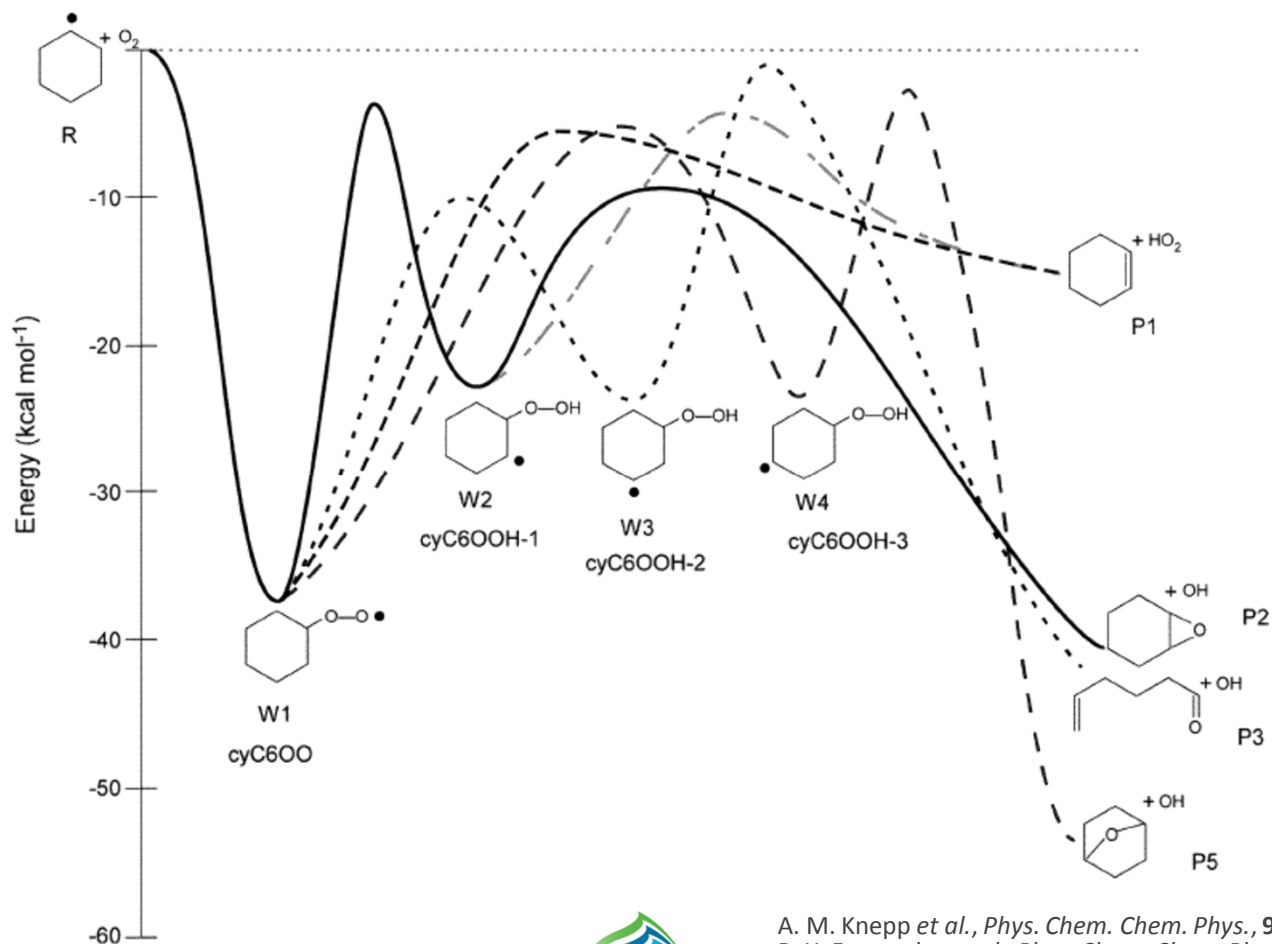
List of Rate Coefficients

Reaction	Rate coefficient (cm ³ /molecule/s)	Ref.
$\text{HO}_2 + \text{HO}_2 \rightarrow \text{O}_2 + \text{H}_2\text{O}_2$	$2.2 \times 10^{-13} \times e^{\frac{820}{T}} + 7.0 \times 10^{-10} \times e^{\frac{-6030}{T}}$	(1)
$\text{HO}_2 + \text{C}_6\text{H}_{11}\text{OO} \rightarrow \text{C}_6\text{H}_{11}\text{OOH} + \text{O}_2$	$2.61 \times 10^{-13} \times e^{\frac{1240}{T}}$	(1)
$\text{HO}_2 + \text{OH} \rightarrow \text{O} + \text{H}_2\text{O}$	$4.8 \times 10^{-11} \times e^{\frac{250}{T}}$	(1)
$\text{OH} + \text{OH} \rightarrow \text{O} + \text{H}_2\text{O}$	$1.65 \times 10^{-12} \times \left(\frac{T}{298}\right)^{1.14} \times e^{\frac{-50}{T}}$	(1)
$\text{OH} + \text{C}_6\text{H}_{12} \rightarrow \text{C}_6\text{H}_{11} + \text{H}_2\text{O}$	$3.97 \times 10^{-12} \times \left(\frac{T}{298}\right)^{1.64} \times e^{\frac{80}{T}}$	(1)
$\text{OH} + \text{C}_5\text{H}_{10}\text{O} \rightarrow \text{C}_5\text{H}_9\text{O} + \text{H}_2\text{O}$	$7.8 \times 10^{-12} \times e^{\frac{130}{T}}$	(2)

(1) A. M. Knepp *et al.*, *Phys. Chem. Chem. Phys.*, **9**, 4315 (2007)

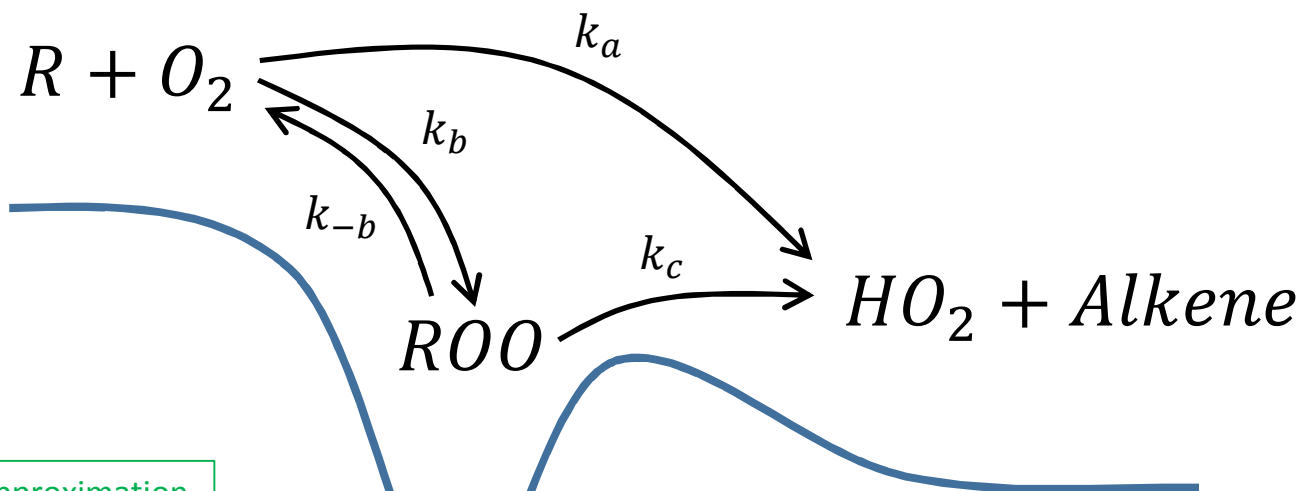
(2) J. Moriarty *et al.*, *J. Phys. Chem. A*, **107**, 1499 (2003)

Cyclohexyl + O₂ Reaction PES



A. M. Knepp et al., *Phys. Chem. Chem. Phys.*, **9**, 4315 (2007)
 R. X. Fernandes et al., *Phys. Chem. Chem. Phys.*, **11**, 1320 (2009)

Reduced Model – HO₂



Pseudo-first-order approximation

$$\frac{d}{dt}[R] = -\overset{k'_a}{\boxed{k_a[O_2]}}[R] - \overset{k'_b}{\boxed{k_b[O_2]}}[R] + k_{-b}[ROO]$$

$$\frac{d}{dt}[ROO] = \overset{k'_b}{\boxed{k_b[O_2]}}[R] - k_{-b}[ROO] - k_c[ROO]$$

$$\frac{d}{dt}[HO_2] = \overset{k'_a}{\boxed{k_a[O_2]}}[R] + k_c[ROO] - k_d[HO_2]^2$$

- Alkylperoxy-chemistry-centered reduced model.
- Solvable differential equations

By integral profile correction



Solution of Differential Equations

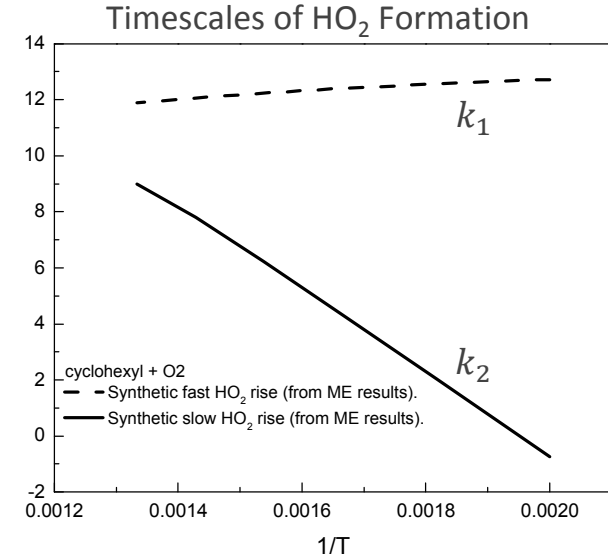
$$[HO_2]_t = A_1(1 - e^{-k_1 t}) + A_2(1 - e^{-k_2 t})$$

$$k_1 = \frac{k_a' + k_b' + k_{-b} + k_c + \sqrt{(k_a' + k_b' + k_{-b} + k_c)^2 - 4(k_b' k_c + k_a' k_{-b} + k_a' k_c)}}{2}$$

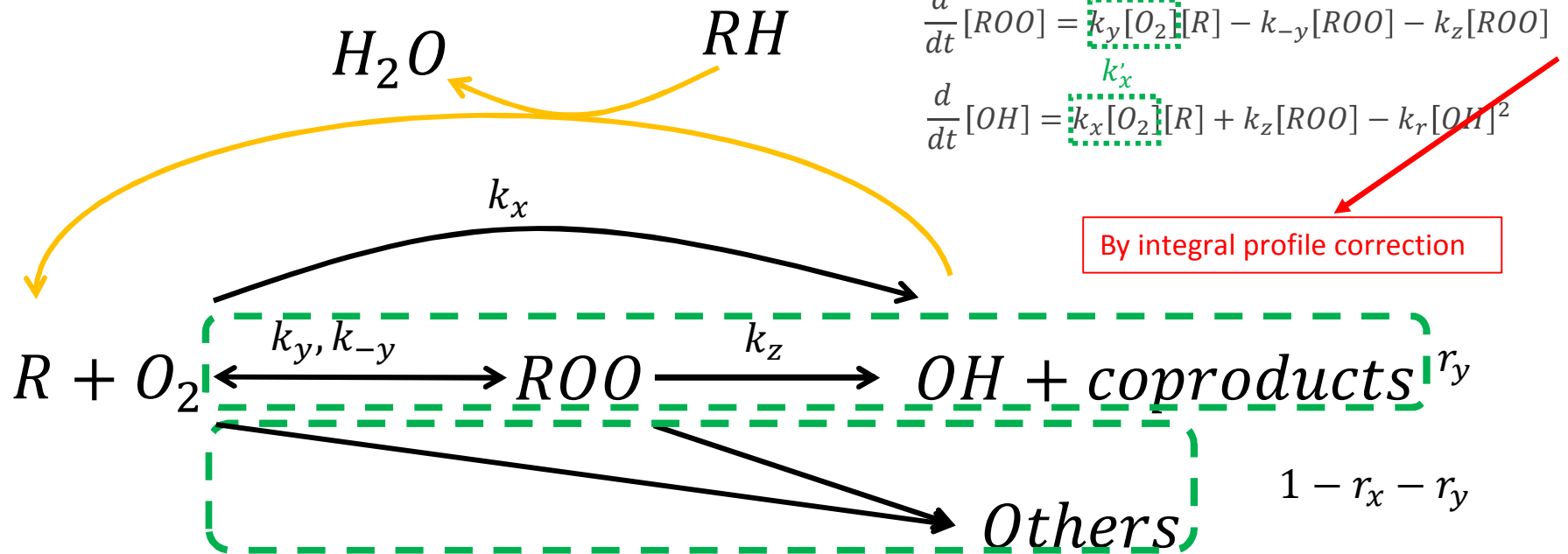
$$k_2 = \frac{k_a' + k_b' + k_{-b} + k_c - \sqrt{(k_a' + k_b' + k_{-b} + k_c)^2 - 4(k_b' k_c + k_a' k_{-b} + k_a' k_c)}}{2}$$

$$A_1 = \frac{A_0 \left(k_a' + k_b' + k_{-b} + k_c - \sqrt{(k_a' + k_b' + k_{-b} + k_c)^2 - 4(k_b' k_c + k_a' k_{-b} + k_a' k_c)} \right) \left(k_b' (2k_c - k_a') + k_a' \left(k_{-b} + k_c - k_a' - \sqrt{k_b'^2 + (k_{-b} + k_c - k_a')^2 + 2k_b' (k_{-b} - k_c + k_a')} \right) \right)}{4(k_b' k_c + k_a' k_{-b} + k_a' k_c) \sqrt{(k_a' + k_b' + k_{-b} + k_c)^2 - 4(k_b' k_c + k_a' k_{-b} + k_a' k_c)}}$$

$$A_2 = \frac{A_0 \left(k_a' + k_b' + k_{-b} + k_c + \sqrt{(k_a' + k_b' + k_{-b} + k_c)^2 - 4(k_b' k_c + k_a' k_{-b} + k_a' k_c)} \right) \left(k_b' (2k_c - k_a') + k_a' \left(k_{-b} + k_c - k_a' + \sqrt{k_b'^2 + (k_{-b} + k_c - k_a')^2 + 2k_b' (k_{-b} - k_c + k_a')} \right) \right)}{4(k_b' k_c + k_a' k_{-b} + k_a' k_c) \sqrt{(k_a' + k_b' + k_{-b} + k_c)^2 - 4(k_b' k_c + k_a' k_{-b} + k_a' k_c)}}$$

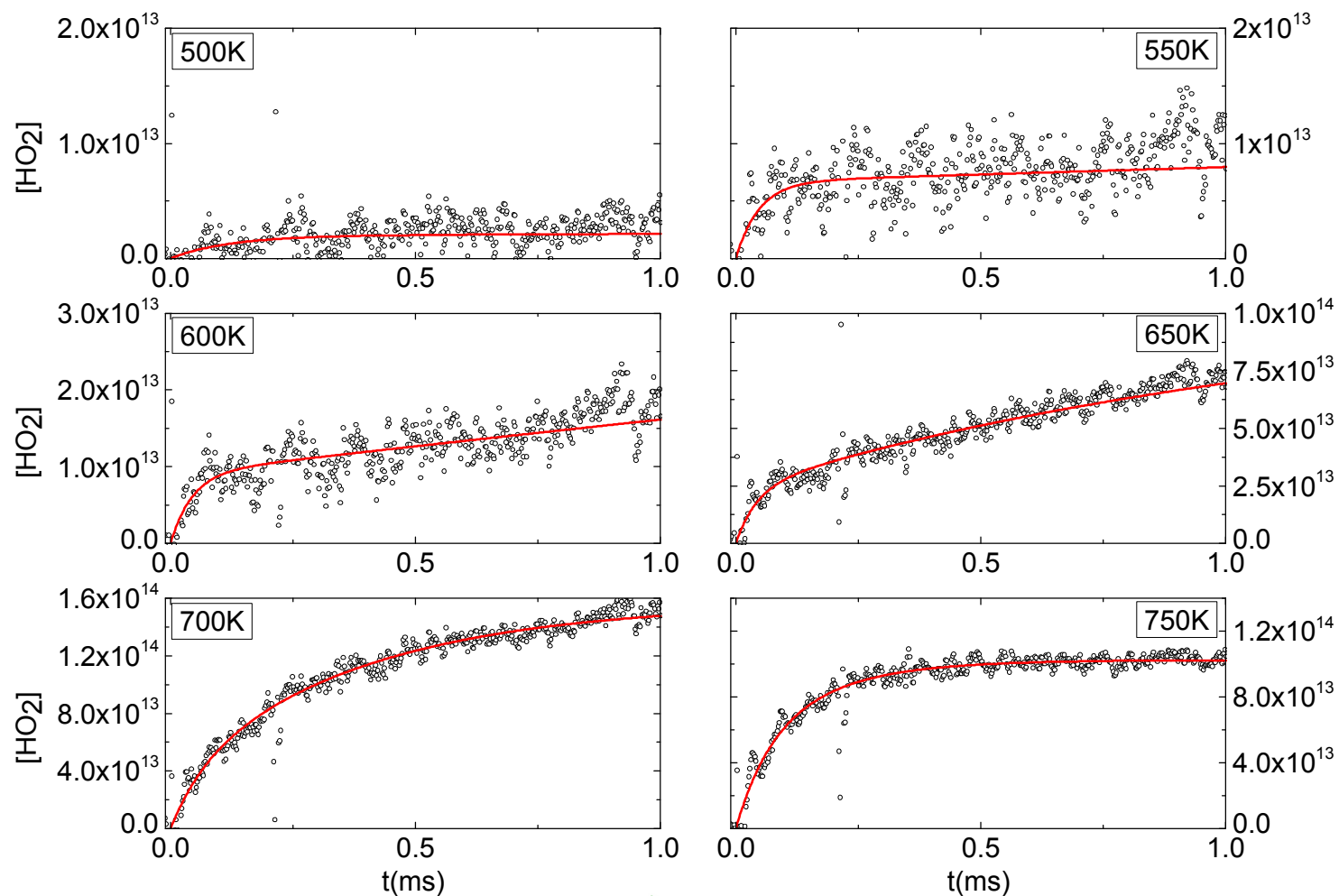


Reduced Model – OH



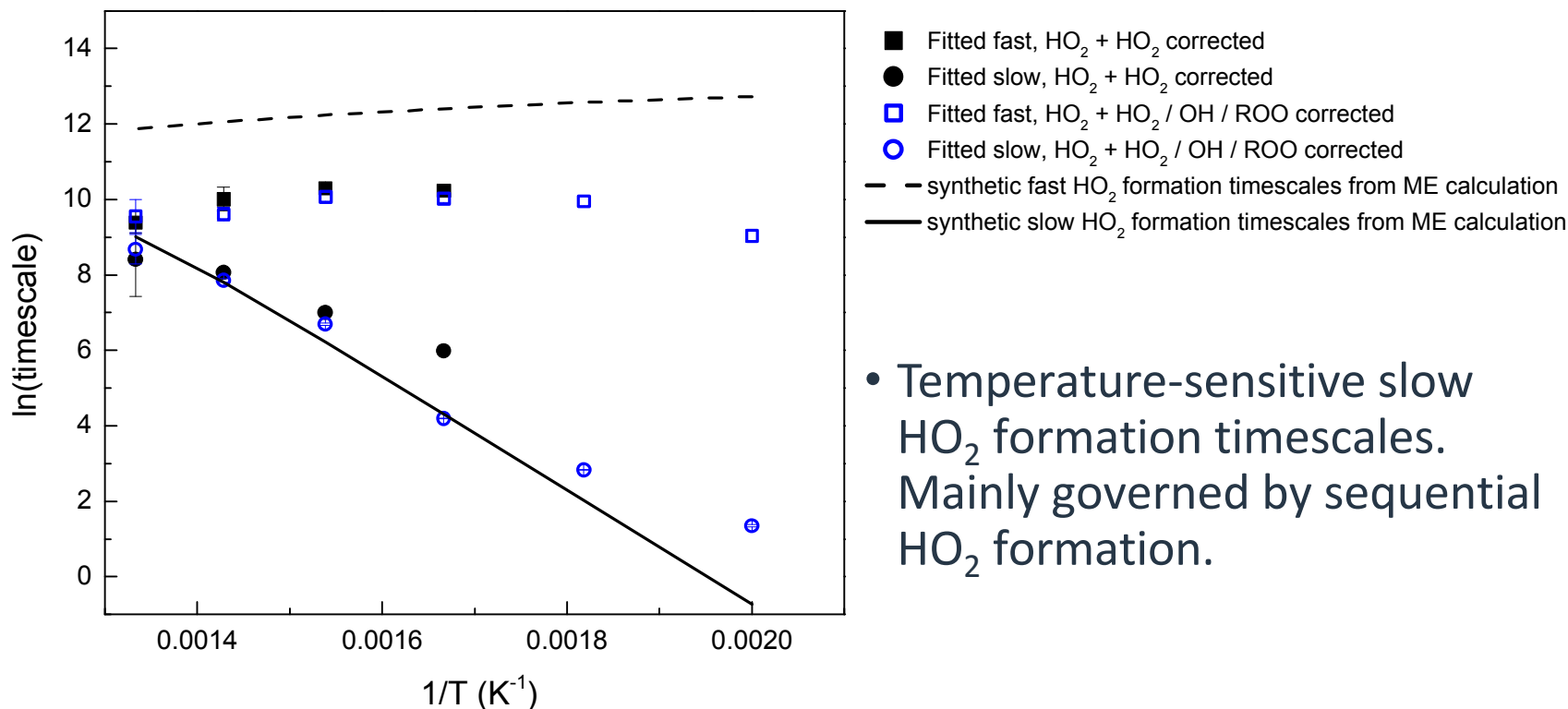
$$OH \text{ yield} = \sum_{i=1}^{\infty} r^i = -\frac{r}{r-1}$$

Fitting Examples (Cyclohexane Oxidation)



Cyclohexyl + O₂: HO₂ Formation Timescales

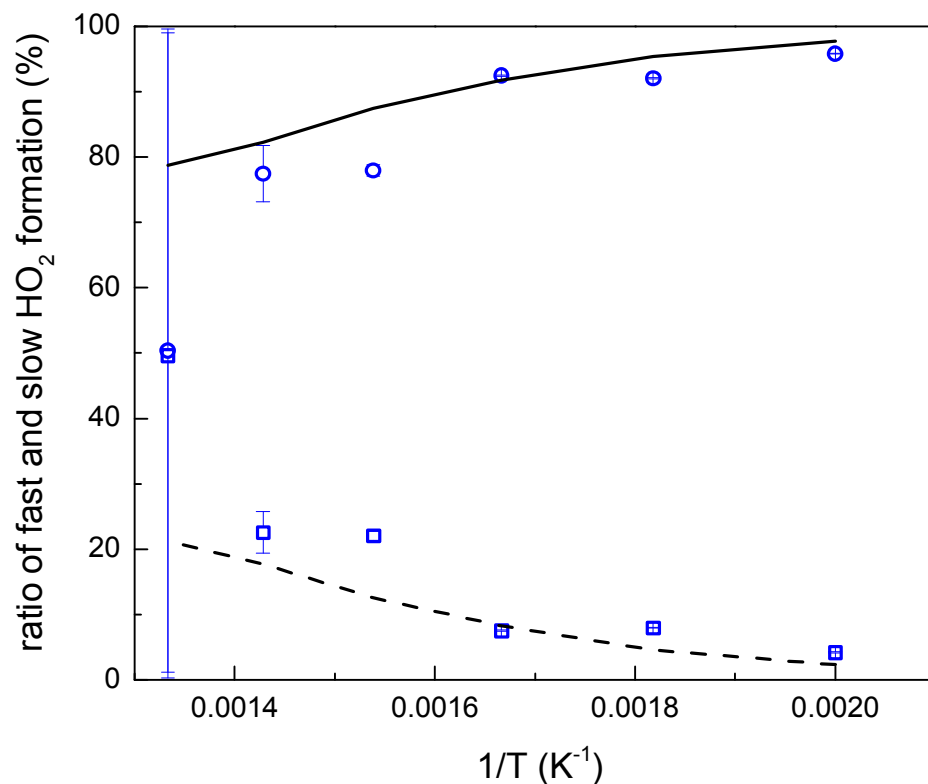
$$[HO_2]_t = A_1(1 - e^{-k_1 t}) + A_2(1 - e^{-k_2 t})$$



- Temperature-sensitive slow HO₂ formation timescales. Mainly governed by sequential HO₂ formation.

Cyclohexyl + O₂: Fast/Slow HO₂ Formation Ratio

$$[HO_2]_t = A_1(1 - e^{-k_1 t}) + A_2(1 - e^{-k_2 t})$$

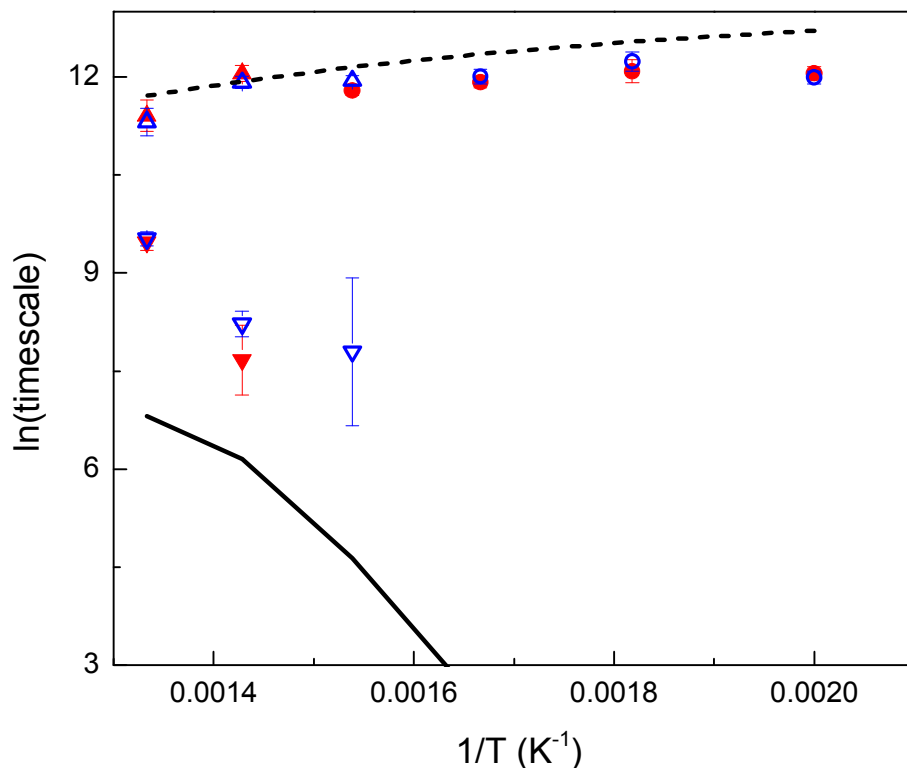


- experimental ratio of fast HO₂ formation.
- experimental ratio of slow HO₂ formation.
- - theoretical ratio of fast HO₂ formation.
- theoretical ratio of slow HO₂ formation.

- HO₂ integral profile correction includes HO₂ + HO₂ / OH / cyclohexyl peroxy.
- Good agreement with ratios computed from theoretical rate coefficients.
- At 750K, internal energy of reactants are high enough to make two timescales less distinguishable.

Cyclohexyl + O₂: OH Formation Timescales

$$[OH]_t = A_1(1 - e^{-k_1 t}) + A_2(1 - e^{-k_2 t})$$

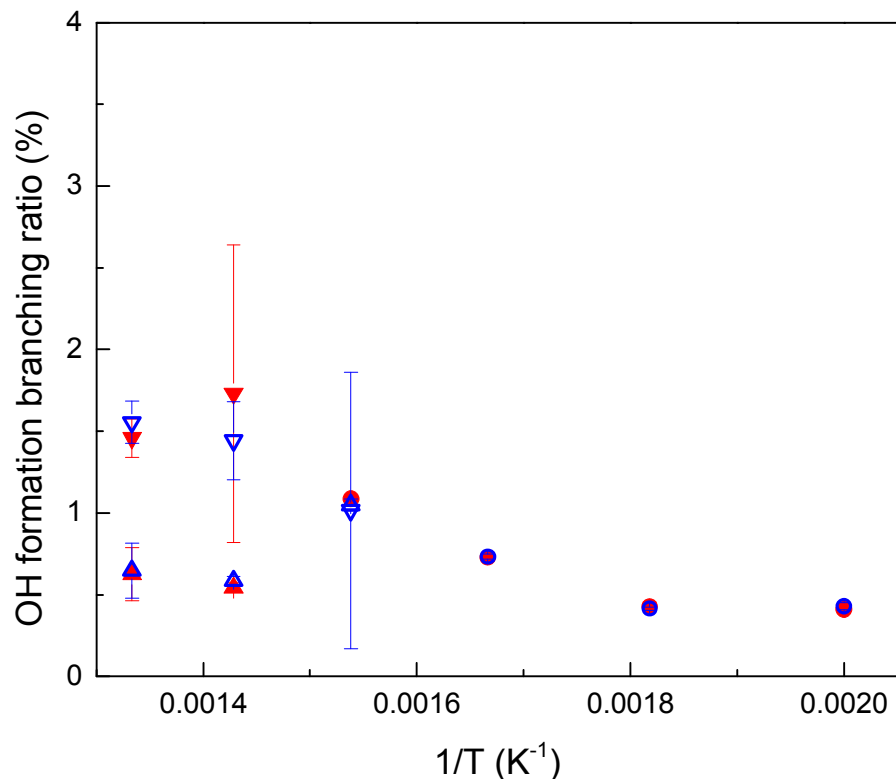


- fitted single-exponential timescale, OH + OH / HO₂ corrected
- ▲ fitted fast bi-exponential timescale, OH + OH / HO₂ corrected
- ▼ fitted slow bi-exponential timescale, OH + OH / HO₂ corrected
- fitted single-exponential timescale, OH + OH / HO₂ / ROO corrected
- △ fitted fast bi-exponential timescale, OH + OH / HO₂ / ROO corrected
- ▽ fitted slow bi-exponential timescale, OH + OH / HO₂ / ROO corrected
- - • theoretical fast OH formation timescale
- theoretical slow OH formation timescale

- Experimental and theoretical timescales have good agreement.

Cyclohexyl + O₂: OH Formation Yield

$$[OH]_t = A_1(1 - e^{-k_1 t}) + A_2(1 - e^{-k_2 t})$$



OH + OH / HO₂ corrected

- experimental single-exponential OH formation branching ratio
- ▲ experimental fast OH formation branching ratio
- ▼ experimental slow OH formation branching ratio

OH + OH / HO₂ / ROO corrected

- experimental single-exponential OH formation branching ratio
- △ experimental fast OH formation branching ratio
- ▽ experimental slow OH formation branching ratio

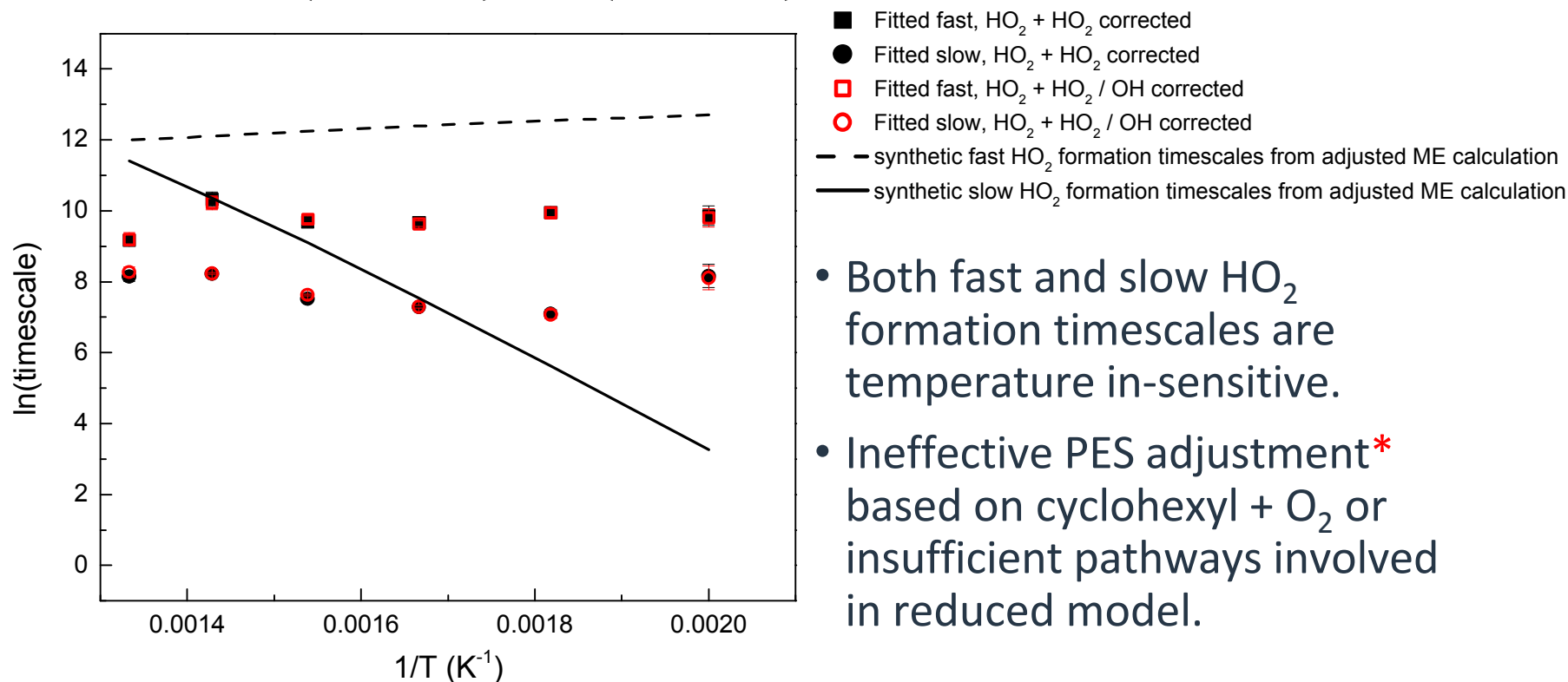
- Two distinct OH formation timescales started to appear at 650K and above.
- Sequential OH formation becomes major OH source at high temperature.
- Total OH yield doesn't exceed 3%.

$$OH \text{ yield} = \frac{A_1 \text{ or } A_2}{[Cl]_0} = \sum_{i=1}^{\infty} r^i = -\frac{r}{r-1}$$



THP-yl + O₂: HO₂ Formation Timescales

$$[HO_2]_t = A_1(1 - e^{-k_1 t}) + A_2(1 - e^{-k_2 t})$$

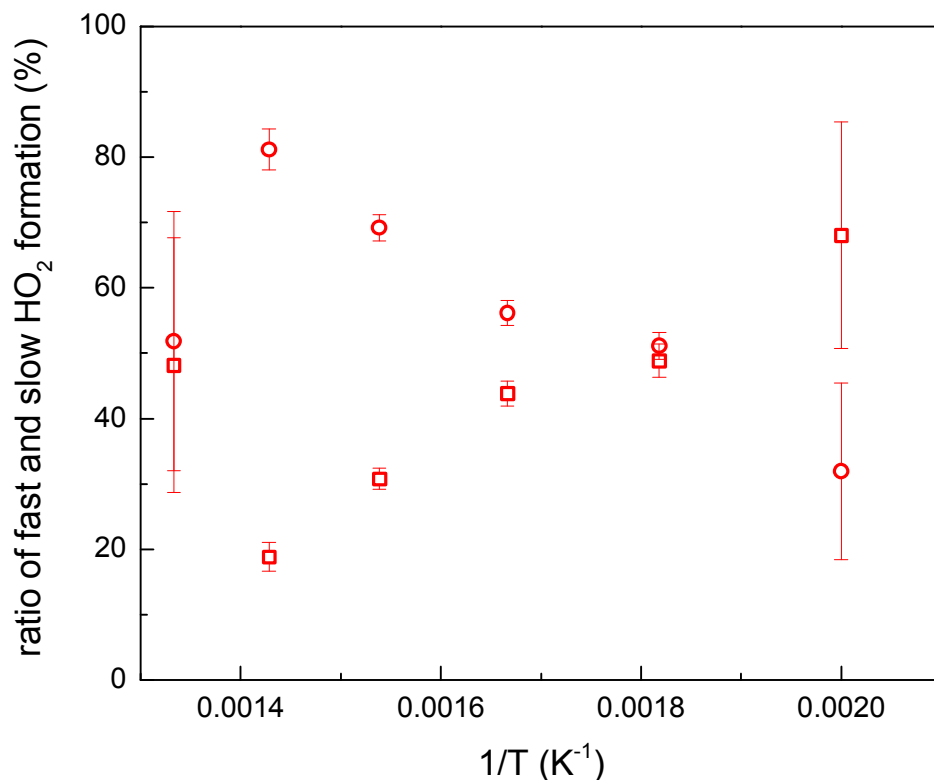


- Both fast and slow HO₂ formation timescales are temperature in-sensitive.
- Ineffective PES adjustment* based on cyclohexyl + O₂ or insufficient pathways involved in reduced model.

*PES adjusted from cyclohexyl + O₂ model by +2kcal/mol for ROO and -2kcal/mol for TS.

THP-yl + O₂: Fast/Slow HO₂ Formation Ratio

$$[HO_2]_t = A_1(1 - e^{-k_1 t}) + A_2(1 - e^{-k_2 t})$$



- experimental ratio of fast HO₂ formation.
- experimental ratio of slow HO₂ formation.

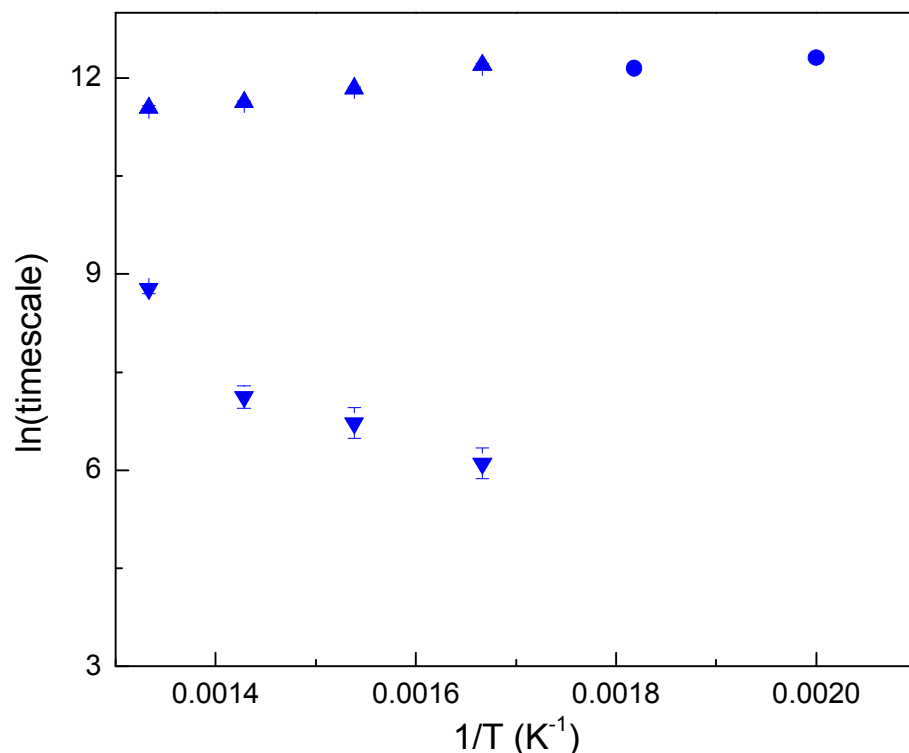
- Unlike cyclohexyl + O₂, the two HO₂ formation timescales are switching their importance at 550K.
- The two HO₂ formation timescales are undistinguishable at 750K.

*PES adjusted from cyclohexyl + O₂ model by +2kcal/mol for ROO and -2kcal/mol for TS.



THP-yl + O₂: OH Formation Timescales

$$[OH]_t = A_1(1 - e^{-k_1 t}) + A_2(1 - e^{-k_2 t})$$



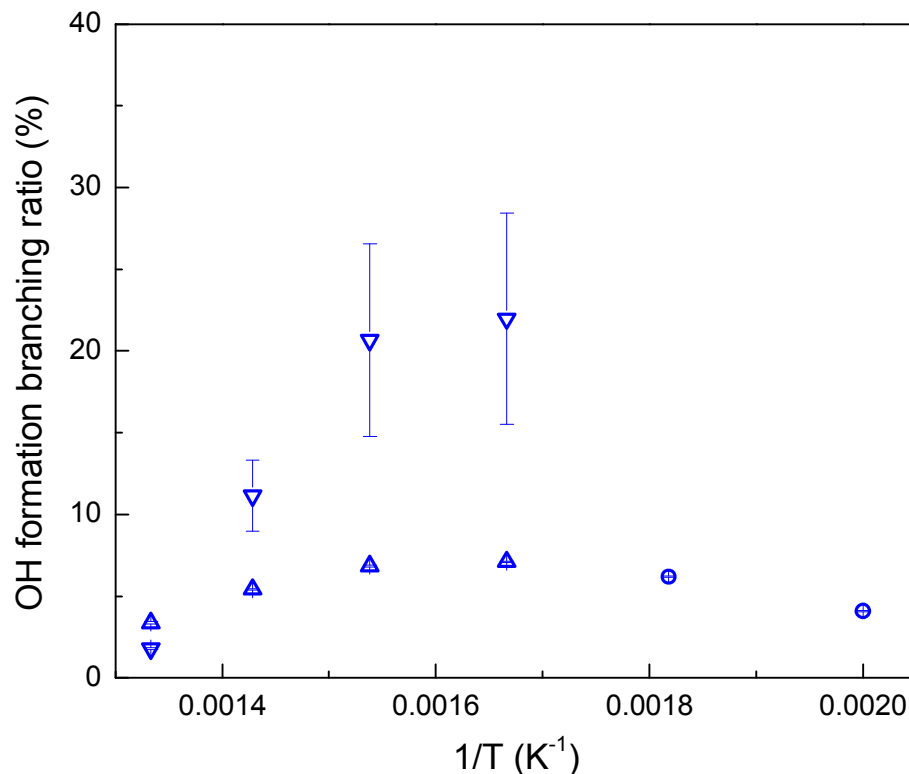
- fitted single-exponential timescale, OH + OH / HO₂ corrected
- ▲ fitted fast bi-exponential timescale, OH + OH / HO₂ corrected
- ▼ fitted slow bi-exponential timescale, OH + OH / HO₂ corrected

- OH formation shows two distinct timescales at 600K and above.
- The slow OH formation timescale has positive temperature dependence.

*PES adjusted from cyclohexyl + O₂ model by +2kcal/mol for ROO and -2kcal/mol for TS.

THP-yl + O₂: OH Formation Yield

$$[OH]_t = A_1(1 - e^{-k_1 t}) + A_2(1 - e^{-k_2 t})$$



OH + OH / HO₂ corrected

- experimental single-exponential OH formation branching ratio
- △ experimental fast OH formation branching ratio
- ▽ experimental slow OH formation branching ratio

- The slow OH formation reaches peak at 600K when the OH time trace shows two distinct formation timescales, but becomes lower as temperature increased.
- The max OH yield is ~30% among all temperatures, roughly 10 times higher than the OH production yield from cyclohexyl + O₂.

$$OH \text{ yield} = \frac{A_1 \text{ or } A_2}{[Cl]_0} = \sum_{i=1}^{\infty} r^i = -\frac{r}{r-1}$$

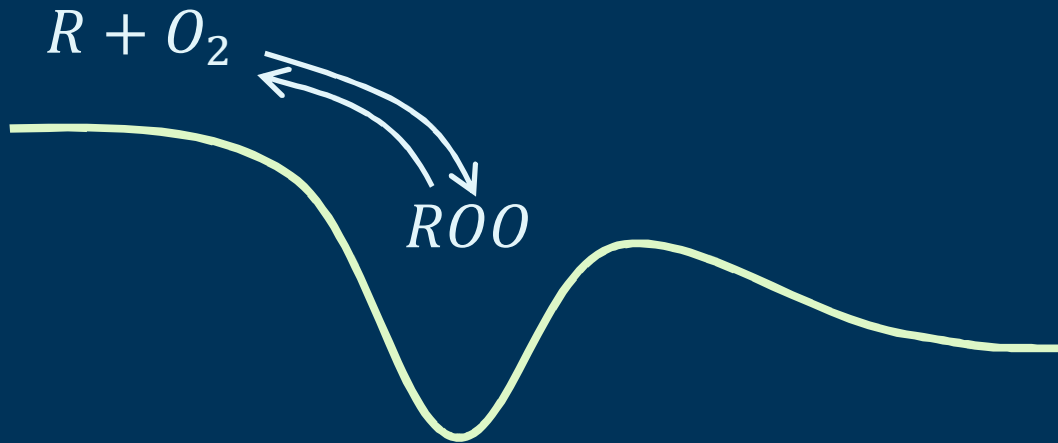


Conclusions

- Quantitative HO₂ and OH formation timescales from Cl-initiated cyclohexane and tetrahydropyran oxidation have been measured by our IR absorption flow system.

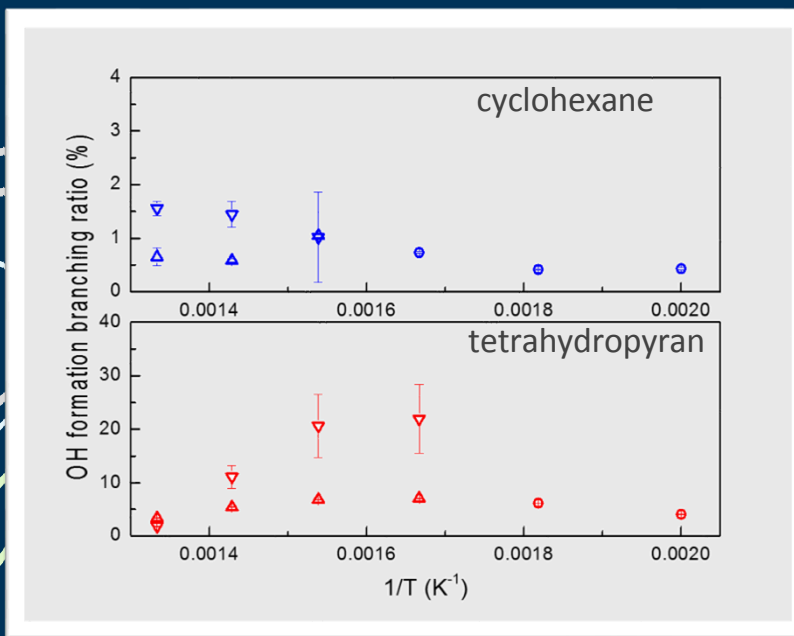
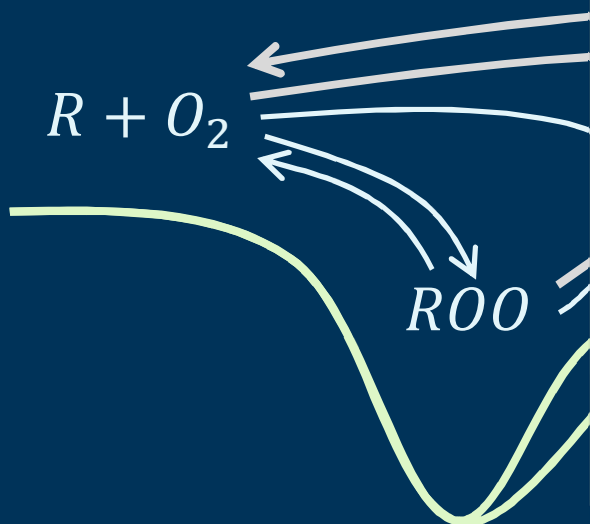


Conclusions



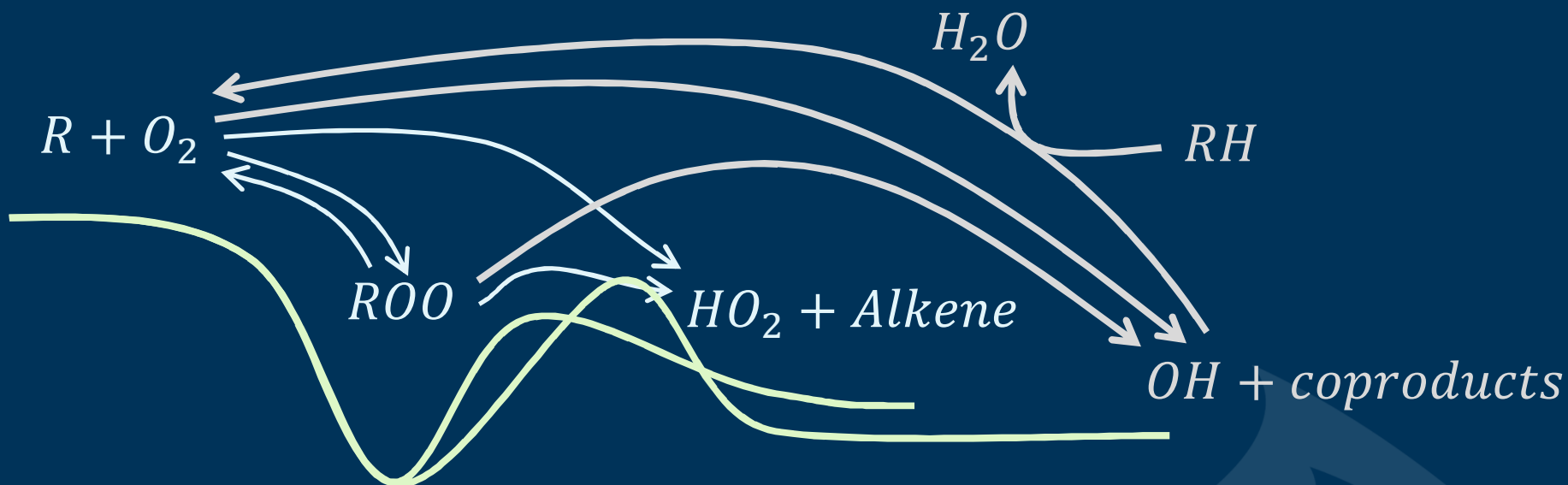
- Alkylperoxy-centered chemistry is proposed for a reduced model, and applied to analyze the experimental results.

Conclusions



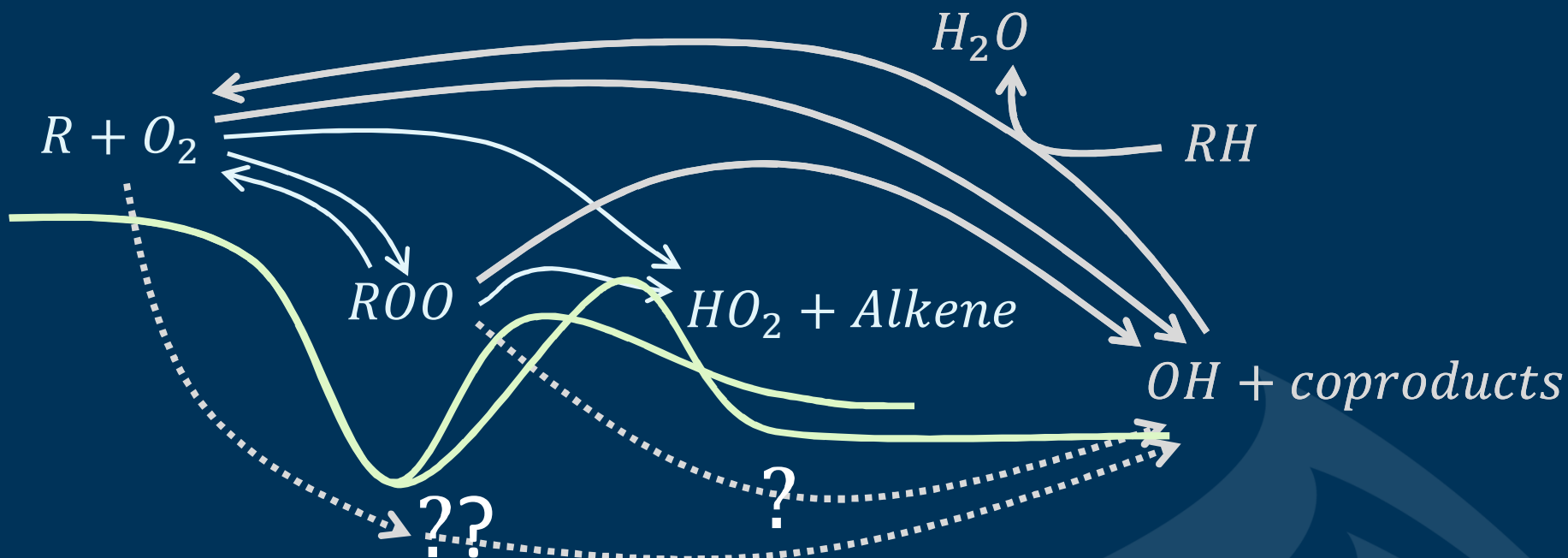
- Major differences of THP oxidation have been observed by measuring key intermediates, and compared with cyclohexane oxidation:
 - Slow (sequential?) HO_2 formation timescales is temperature-insensitive.
 - Contribution of slow (sequential?) HO_2 production is high at lower temperatures and suppressed at higher temperatures.
 - Slow (sequential) OH formation branching ratio has negative temperature dependence, after reaching the peak OH yield at 600K.

Conclusions



- The OH formation kinetics seems to influence the HO_2 formation kinetics. – But the temperature-dependent OH formation doesn't explain the temperature-independent sequential HO_2 formation.

Current and Future Works



- Some theoretical calculations may help to narrow down the possible pathways opened in the tetrahydropyran oxidation.
- Experimentally, we can test the change of HO_2/OH quantity from excess O_2 reacting with reactive intermediates. (Second O_2 addition)
- Insights from combination of laser & mass spectrometer experiments.

Acknowledgement

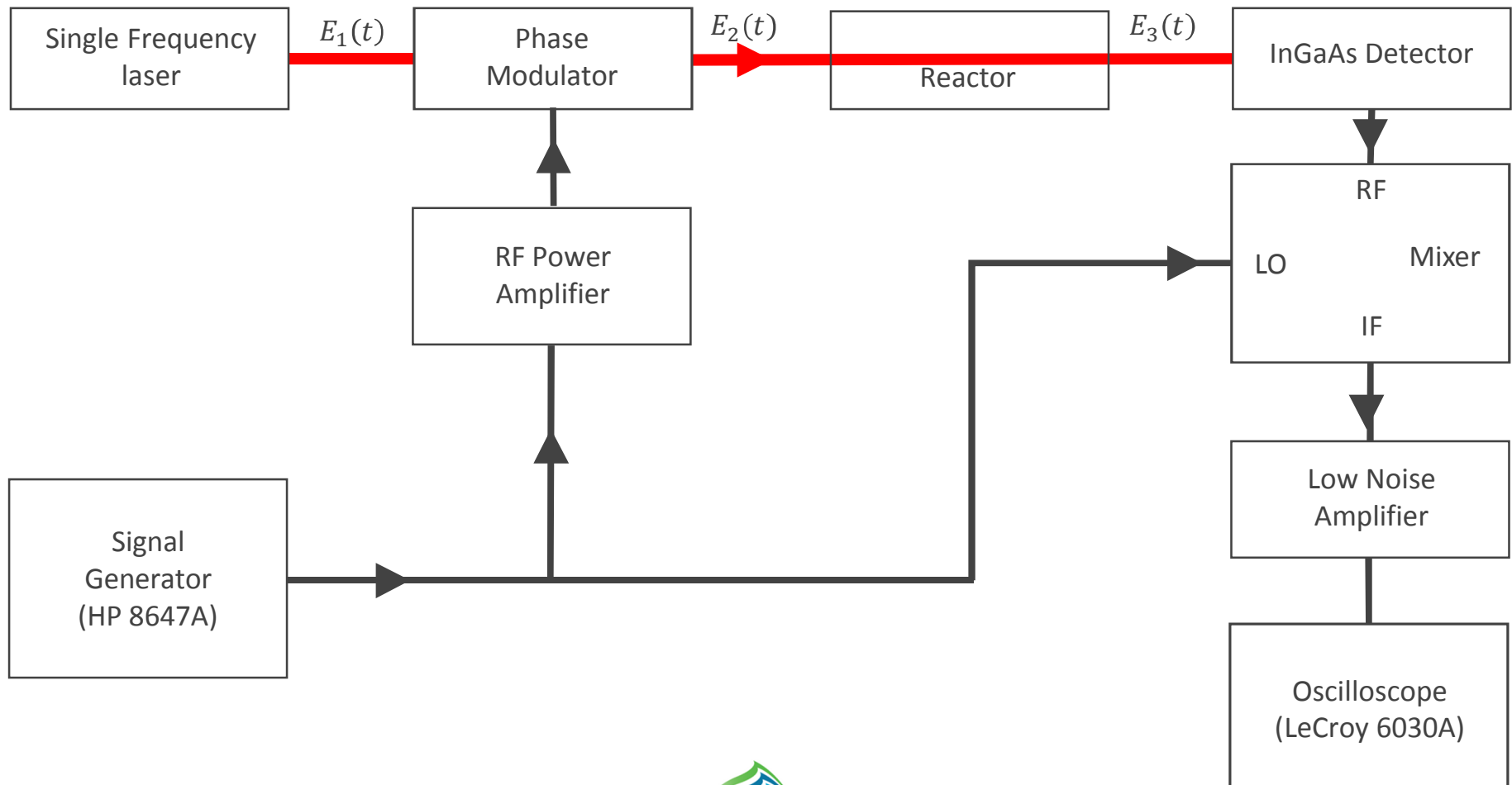
- Laser Chemistry Laboratory, Combustion Research Facility, Sandia National Laboratories.
- Dr. Craig A. Taatjes (supervisor, manager)
- Mr. Kendrew Au (technical support)
- Funding support:
- Division of Chemical Sciences, Geosciences and Biosciences, Office of Basic Energy Sciences (BES), U.S. Department of Energy (USDOE). (DE-NA0003525)

Your attention!!!



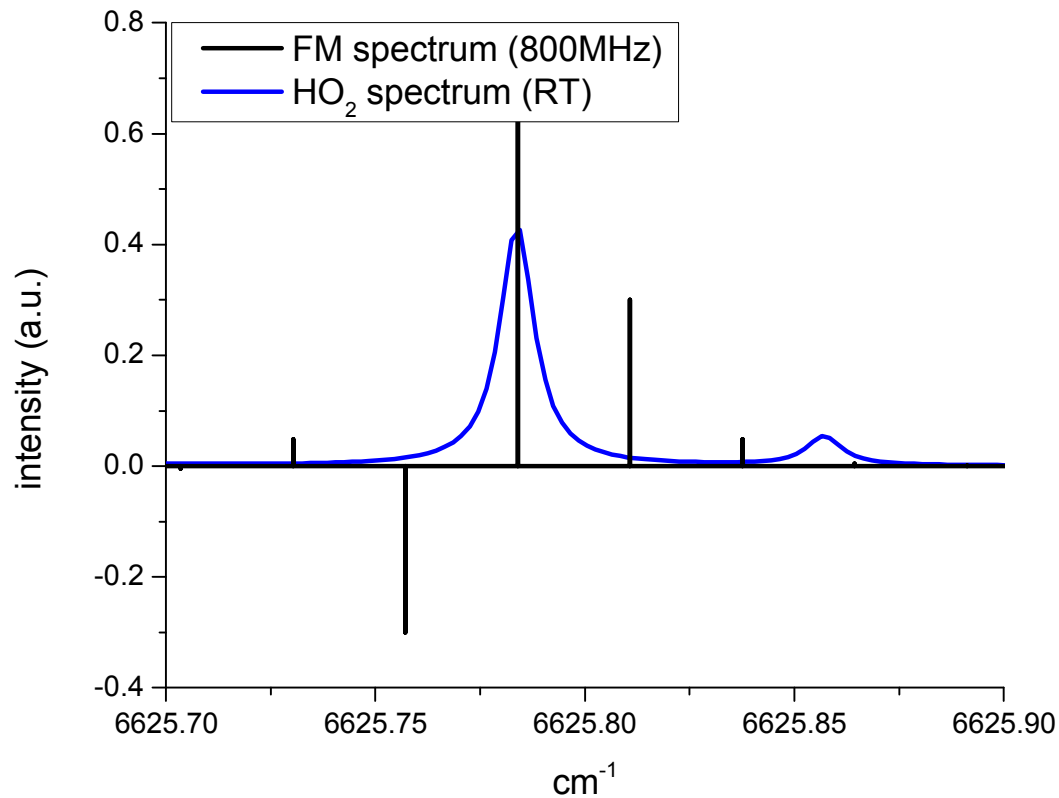


Frequency Modulation – Basic Layout

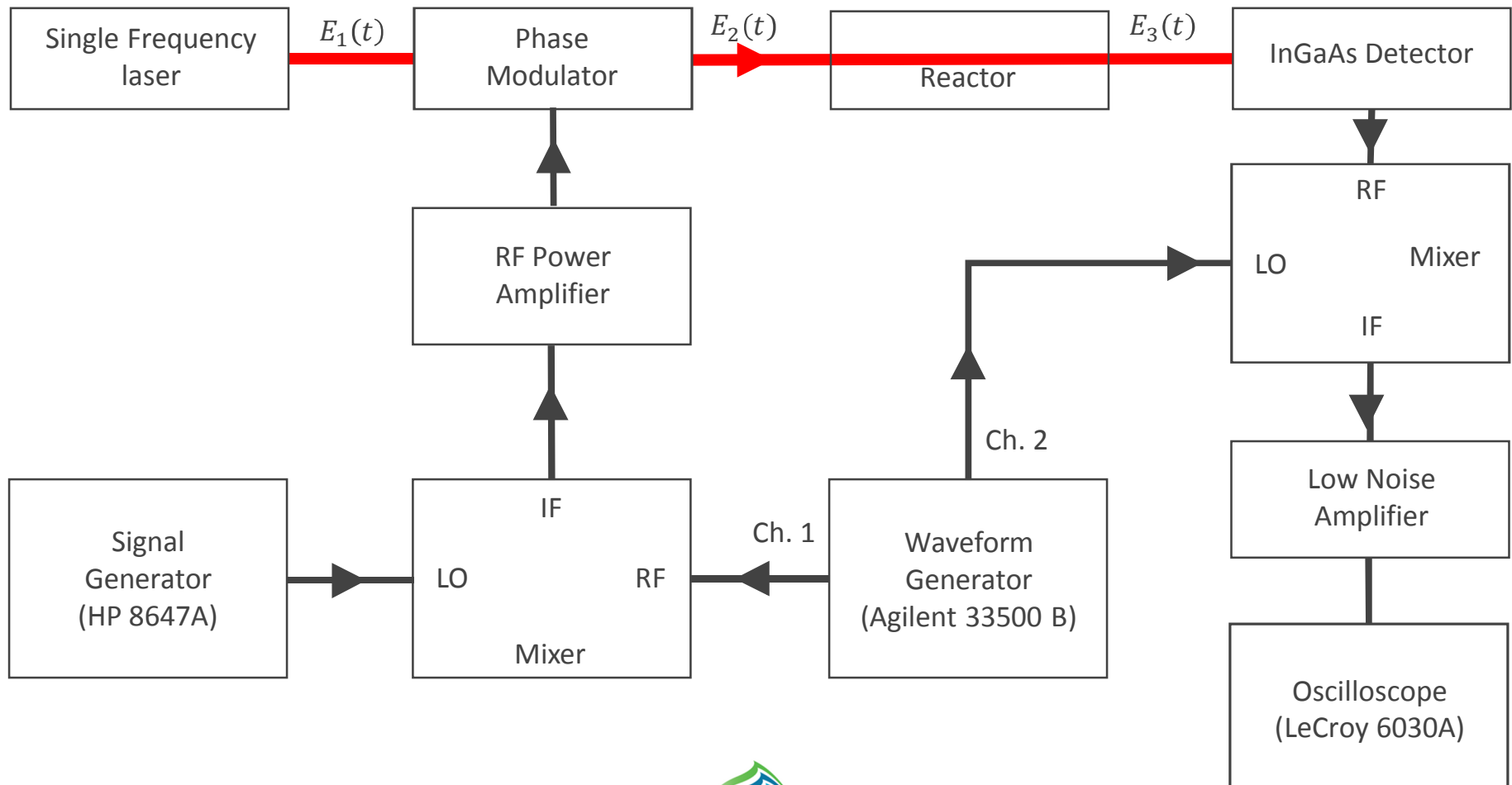


Frequency Modulation - Spectroscopy

$$E_2(t) = E_0 e^{i\omega_0 t} \sum_{n=-\infty}^{\infty} J_n(\beta) e^{in\omega_1 t} + c.c.$$



Two-Tone Frequency Modulation – Basic Layout



Two-Tone Frequency Modulation – Spectroscopy

$$E_2(t) = E_0 e^{i\omega_0 t} \sum_{n=-\infty}^{\infty} J_n(\beta_1) e^{in\omega_1 t} \sum_{m=-\infty}^{\infty} J_m(\beta_2) e^{im\omega_2 t} + c.c.$$

