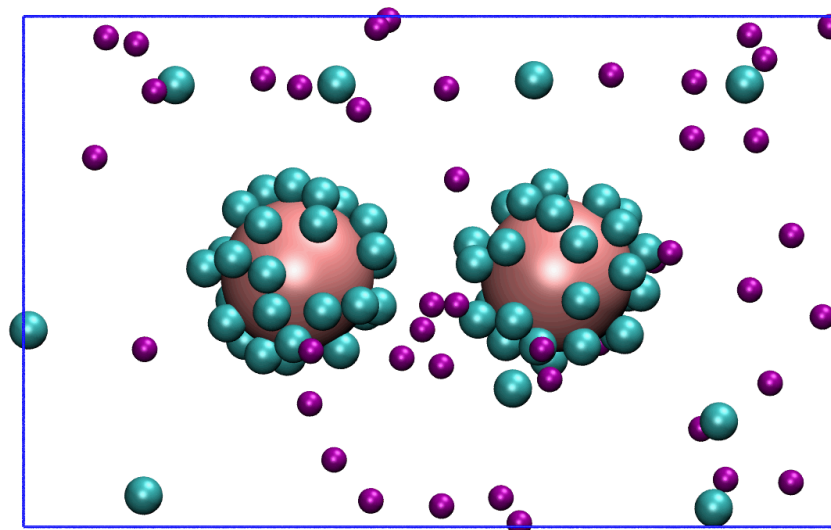


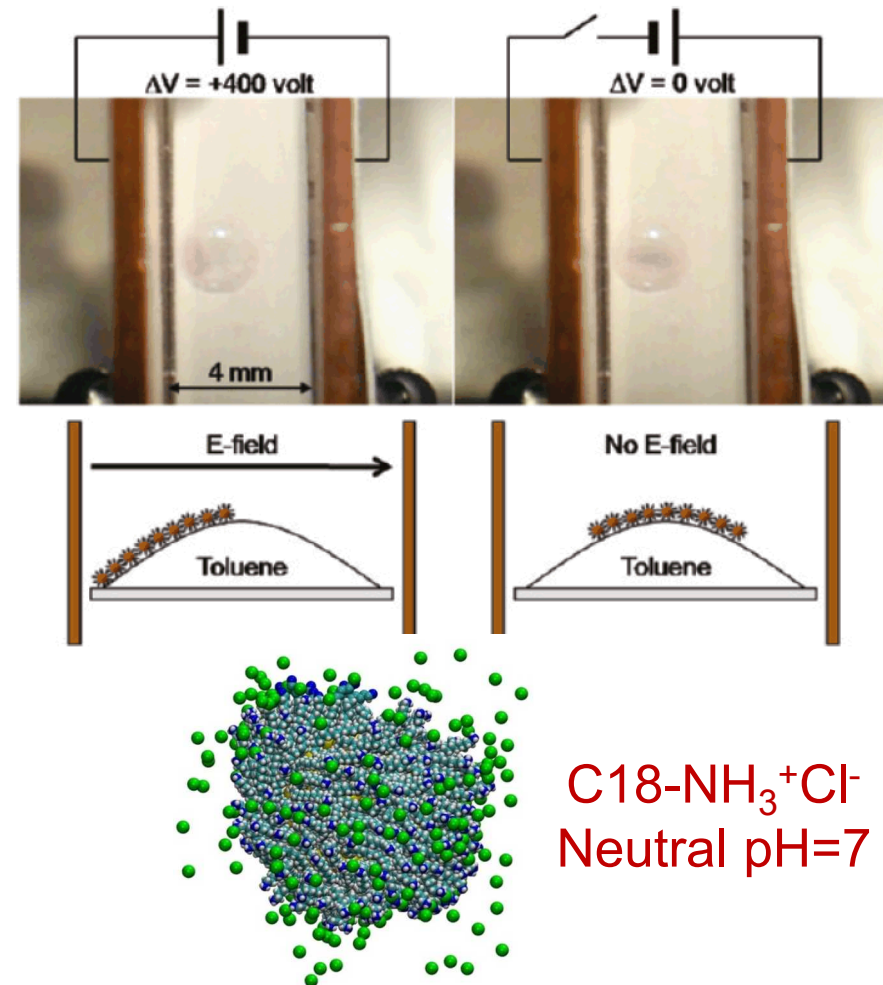
NANOPARTICLE INTERACTIONS IN ELECTROLYTE SOLUTIONS: A CLASSICAL DENSITY FUNCTIONAL THEORY AND MOLECULAR DYNAMICS STUDY

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Why study charged macroions?

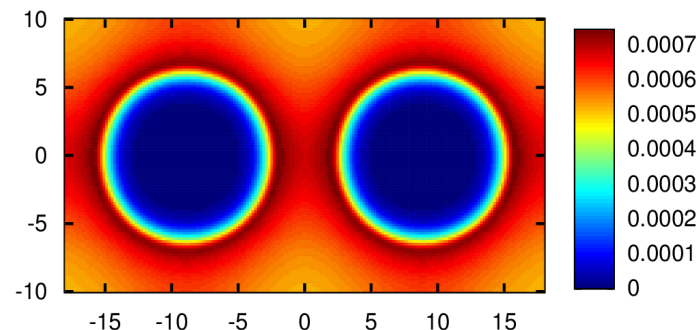
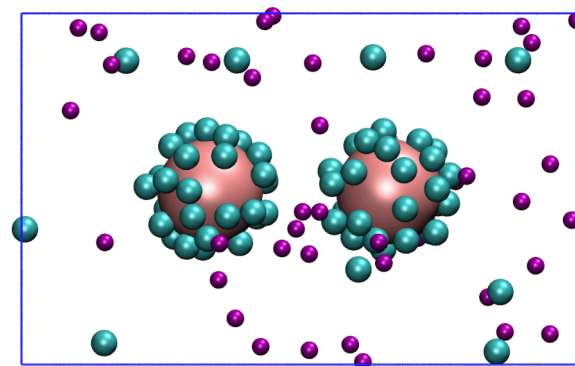
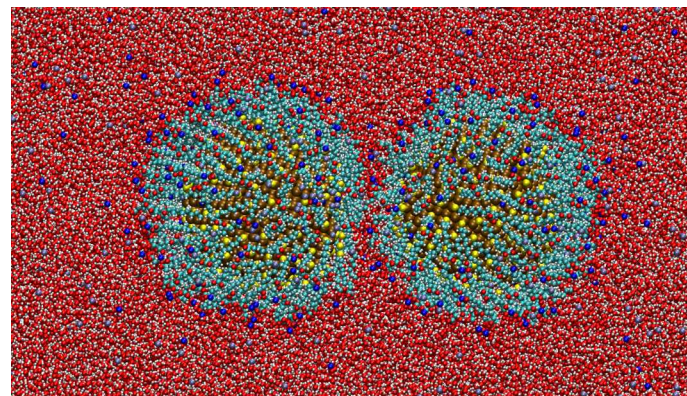
- Control over assembly
 - Manipulate individual NPs and assembled structures
- Dispersal / solution properties
 - Uncharged chains cluster => NPs insoluble in water
 - Charged end groups, chains are dispersed=> NPs water soluble
- Biomolecules (DNA)
 - Large charge + polyvalent salt = condensation or attraction



Bolintineanu, Lane, Grest.
Langmuir (2014)

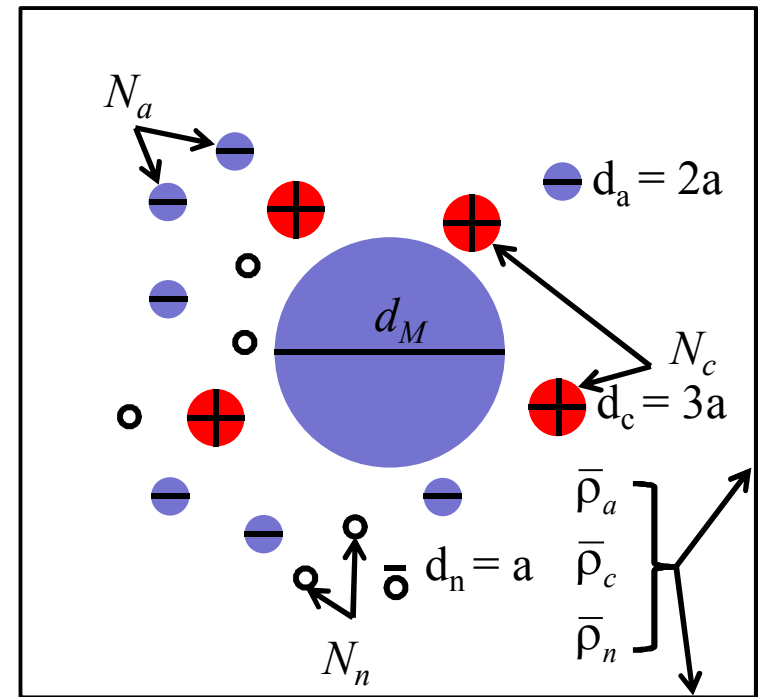
Why use a DFT approach?

- Atomistic molecular dynamics
 - 4nm decanethiol coated in water $\Rightarrow 7 \times 10^5$ atoms
 - Can simulate ~ 10 realizations
- Coarse-grained molecular dynamics (CGMD)
 - Charged 4nm “NPs” with counterions and coions in neutral fluid $\Rightarrow 2 \times 10^4$ particles
- Classical fluids DFT
 - 10X faster
 - Efficiently use 10X more cores
 - Free energy (FE) functional $F[\rho(r)]$



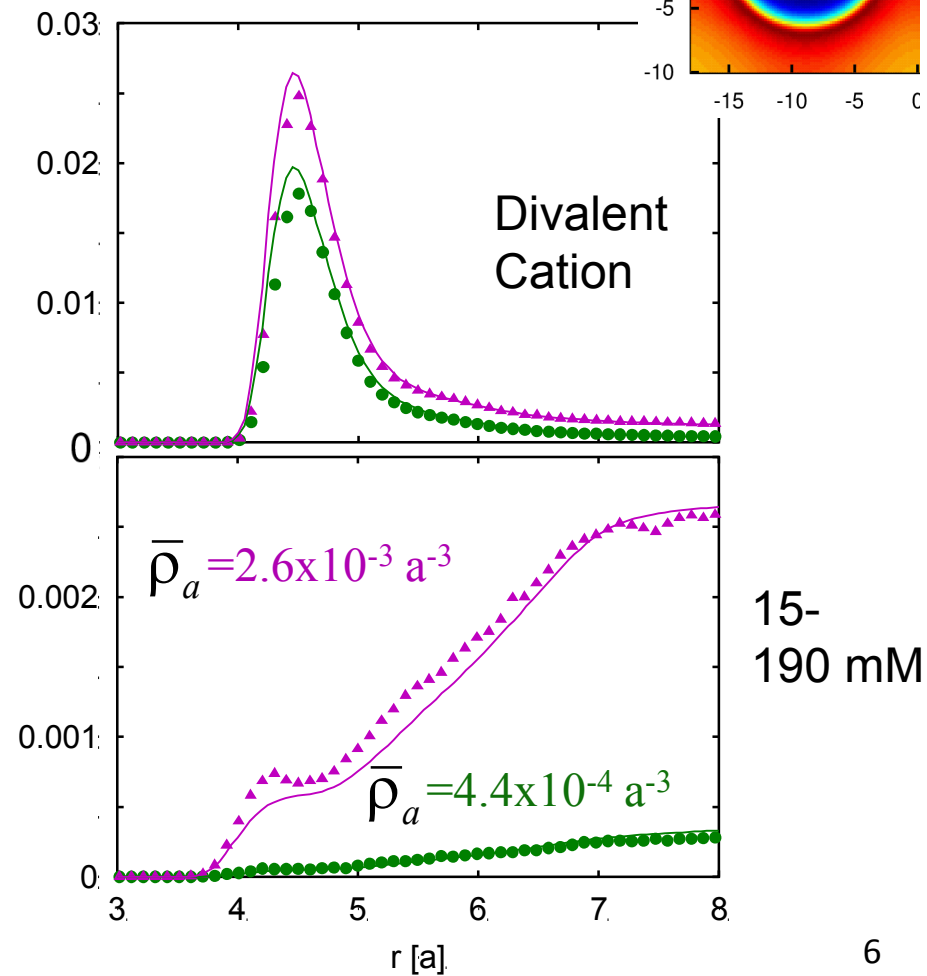
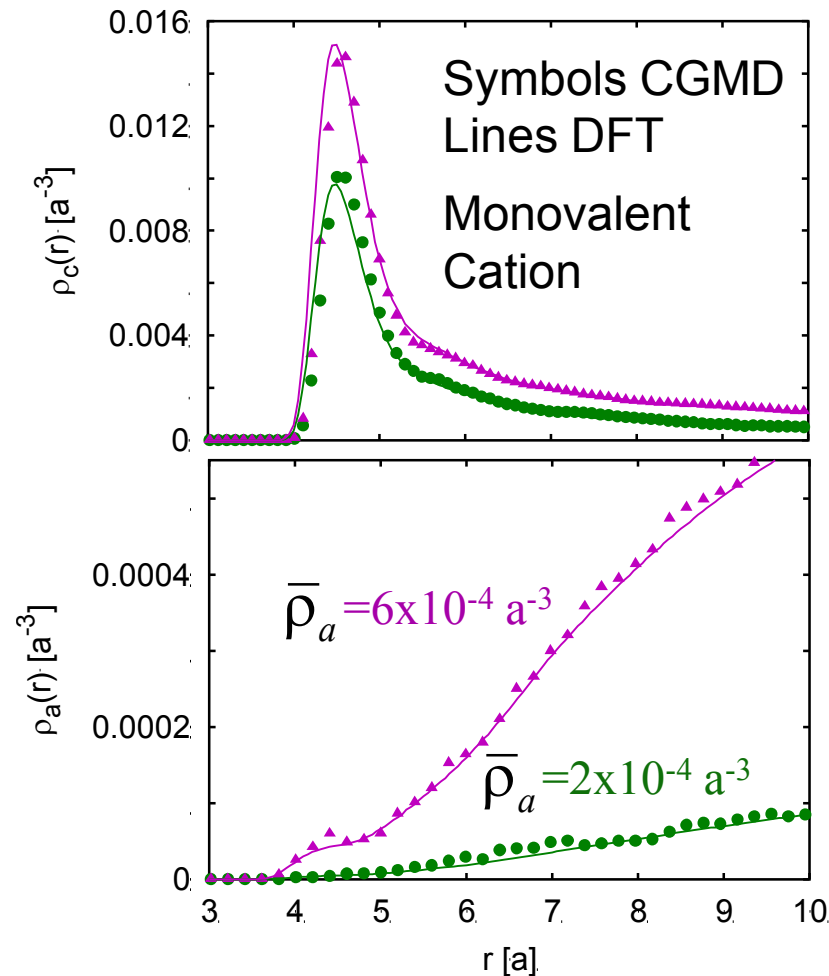
Model

- Nanoparticle diameter d_M , negative charge $q_M = \pi d_M^2 \sigma_M$
- $N_c (\rho_c)$ cations $d_c = 3a$, charge $q_c = 1e, 2e, 3e$
- $N_a (\rho_a)$ anions $d_a = 2a$, charge $q_a = -1e$
- $N_n (\rho_n)$ neutral particles $d_n = a$ ($=0.285\text{nm}$)
- Bjerrum length
 $\ell_B = 2.5a = 0.71 \text{ nm}$
- Moderate Coupling $3 < g < 300$
 $g = 2q_c^3 \ell_B^2 q_M / (e^4 d_M^2)$
- Interactions
 - Repulsive (cut & shifted) 12-6
 $\varepsilon = k_B T$



How good is a DFT approach?

- Ion density $\rho_a(r)$, $\rho_c(r)$ around $d_M=6a$ ($\approx 1.7\text{nm}$) $\sigma_M=0.1e/a^2$ macroion
 - Quantitative agreement

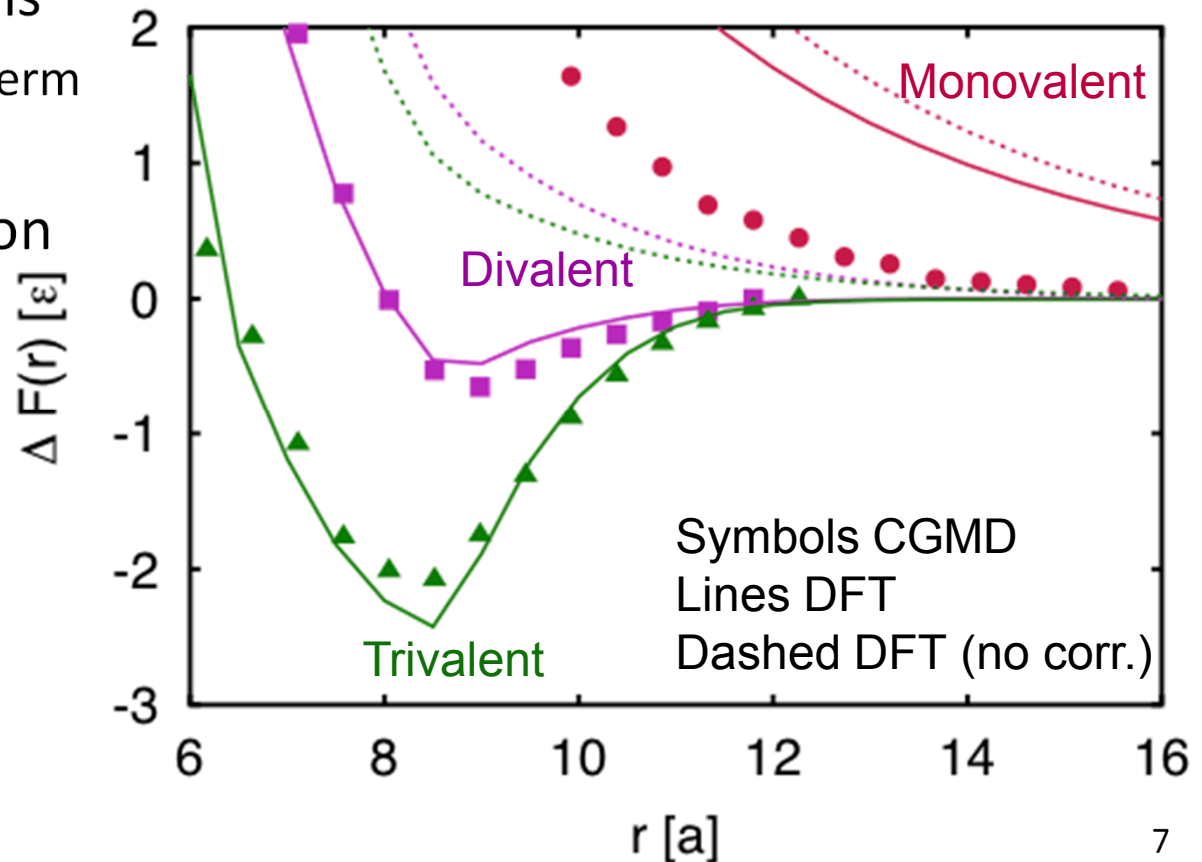
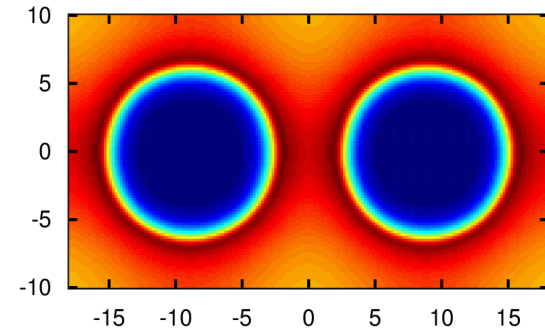


Macroion Interactions

- Ion valence increases coupling g , correlation importance
- Ion correlations drive attractive interactions
 - DFT ion correlation term produces attraction
- Qualitative Interaction agreement

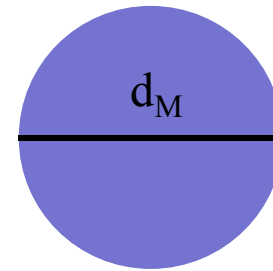
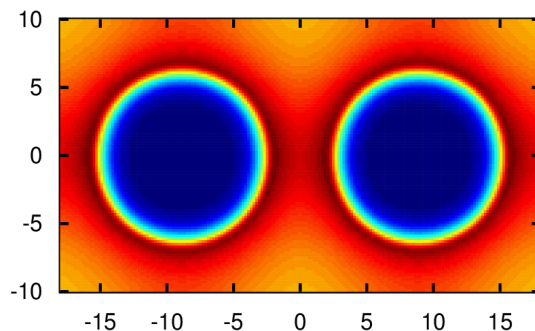
$$\sigma_M = 0.1 e/a^2$$

$$d_M = 6a$$



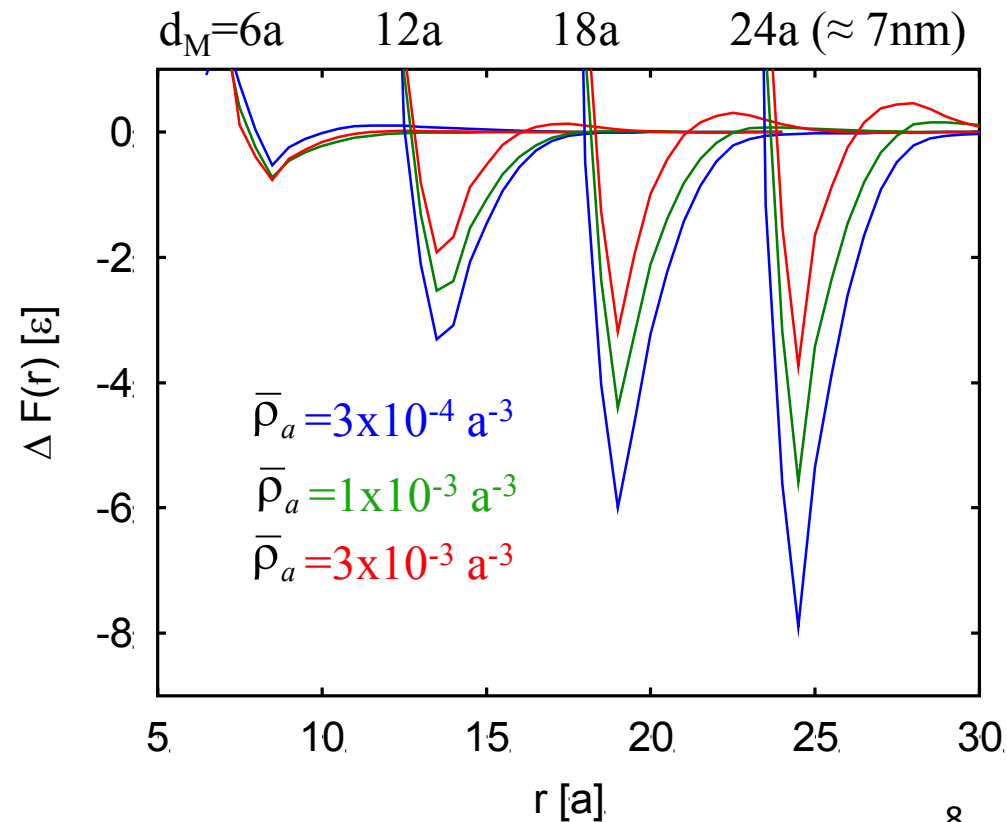
Macroion Diameter

- Depth of minimum increases with d_M
- But variation depends on ion density
- 8 kT minimum leads to aggregation
- Costly for CGMD, enabled by DFT model



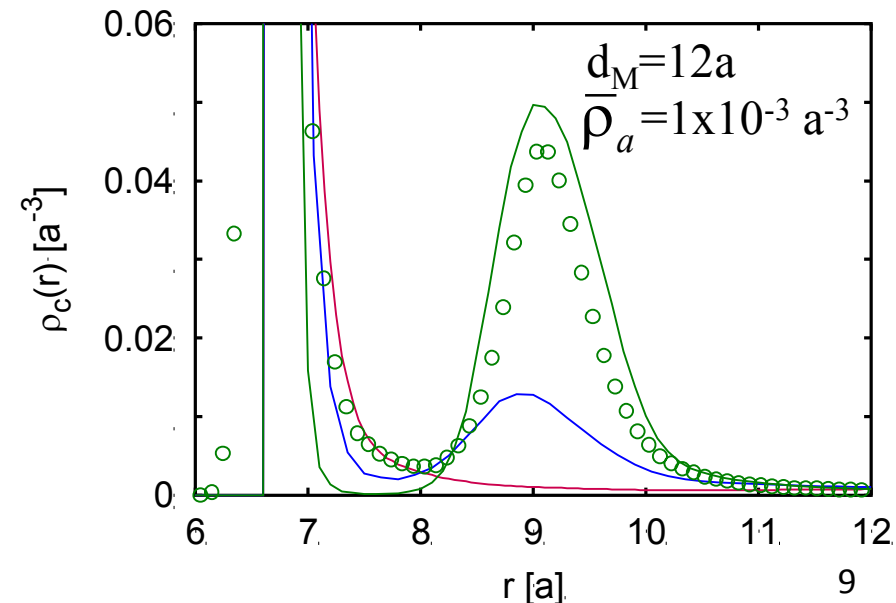
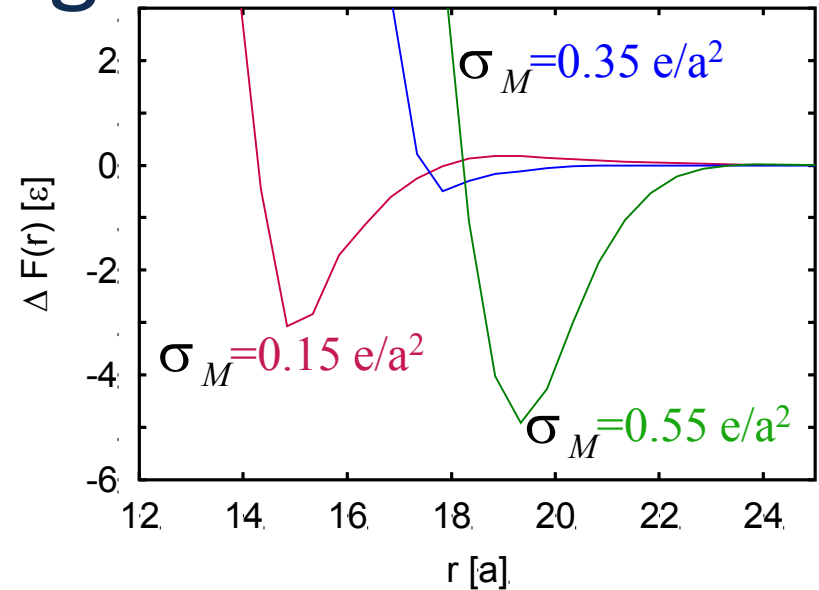
$$\sigma_M = 0.1e/a^2$$

$$q_c = 2e$$



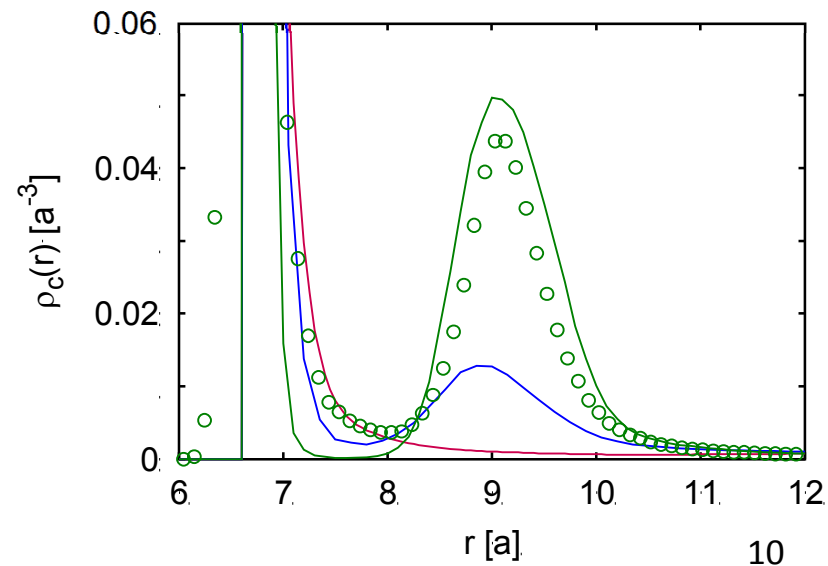
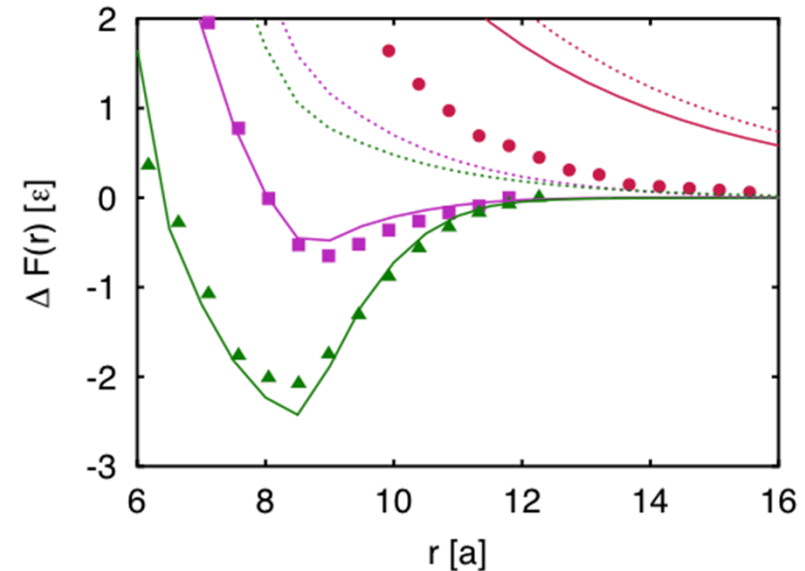
Macroion Surface Charge

- Both minimum depth and location vary
 - Larger equilibrium separation with increasing σ_M
- Counterion layering
 - Second peak develops as interaction minimum shifts
 - Weak interaction from small secondary peak
 - Deep minimum from large secondary peak
 - Secondary peak occurs in both CGMD & DFT



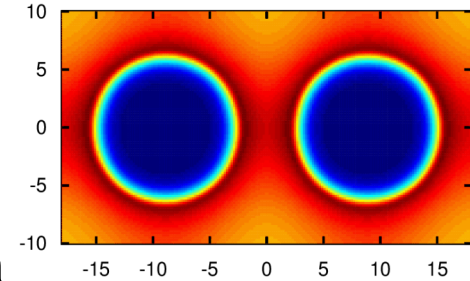
Charged Nanoparticles

- Classical Fluids DFT & CGMD agreement
 - Quantitative density
 - Qualitative interaction FE
- Counterion valence / correlations -> attraction
- Ion concentration, macroion diameter, and macroion charge all influence interaction FE
- Counterion layering at high surface charge
 - Nonmonotonic attractive well depth
 - Equilibrium separation changes



How good is a DFT approach?

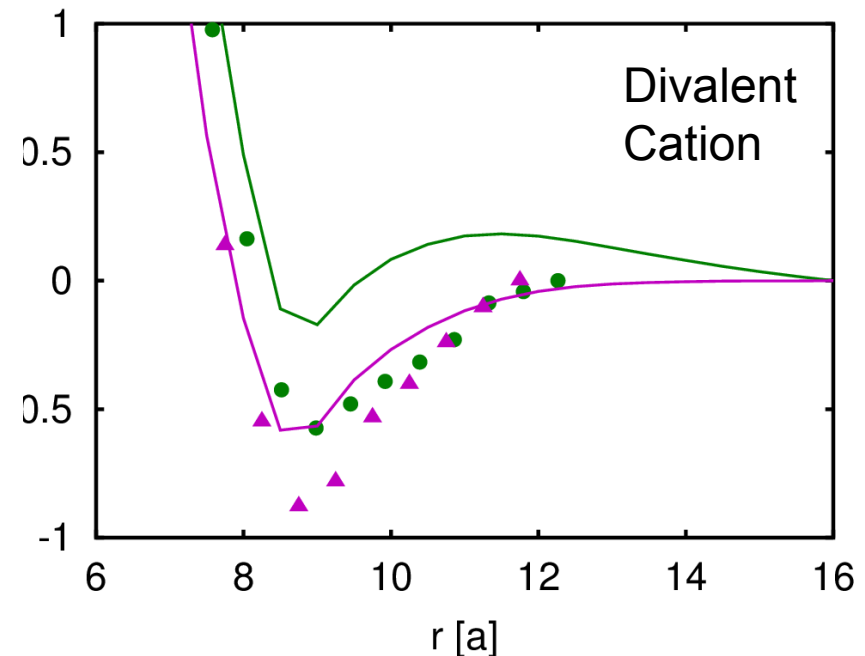
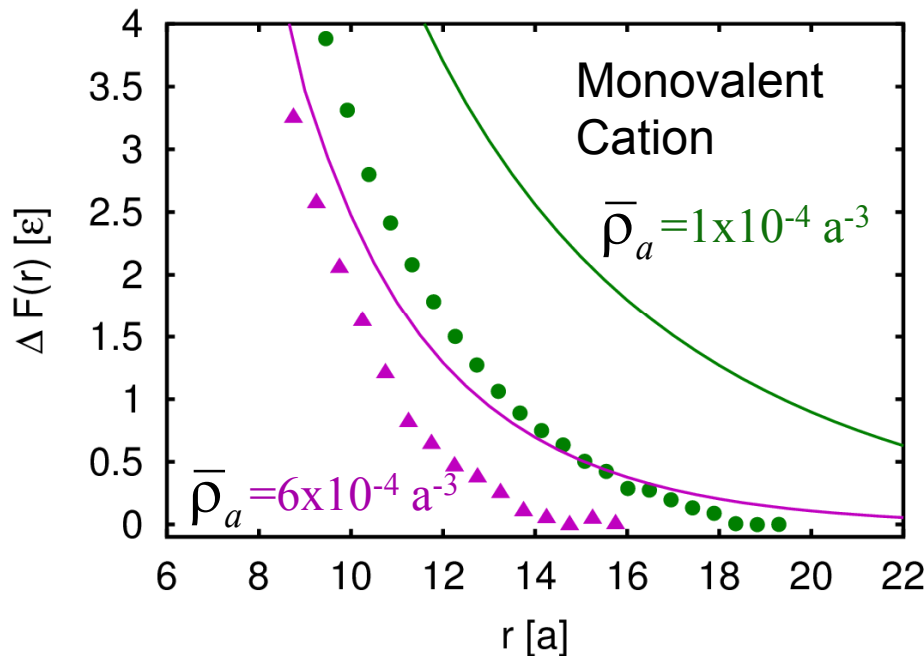
- Macroion-macroion interaction free energy
 - Qualitative agreement
 - Correct trends and order of magnitude for well depth



Symbols CGMD
Lines DFT

$$\sigma_M = 0.1 e/a^2$$

$$d_M = 6a$$



Macroion Surface Charge

- Interaction minimum ΔF_{\min} depends on surface charge σ_M
 - NP full coverage
 $4.7 \text{ e/nm}^2 \approx 0.35 \text{ e/a}^2$
 - Nonmonotonic in σ_M
 - Varies widely

