

Treaty Verification without an Information Barrier

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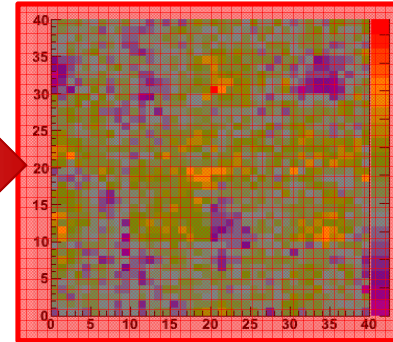
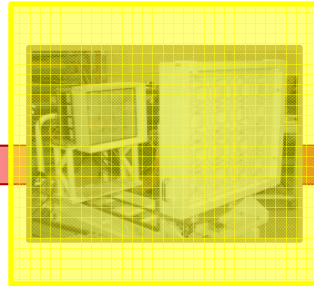
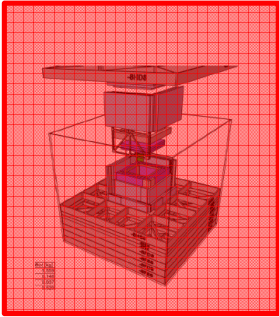
Mentors: Erik Brubaker & Nathan Hilton, Org: 8127

The problem

- Current treaty verification tests for delivery systems
- What if in the future, countries want to test if a warhead has been disarmed?
- Monitor wants to verify, host wants to preserve sensitive information on construction of objects.
- Many current proposed methods utilize an information barrier (IB)
 - IB: hardware or software

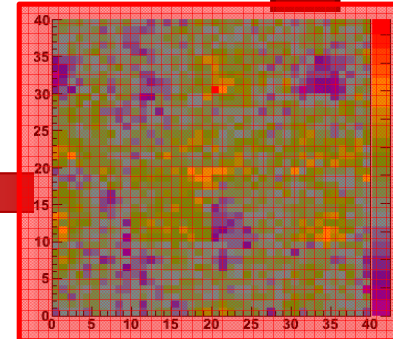
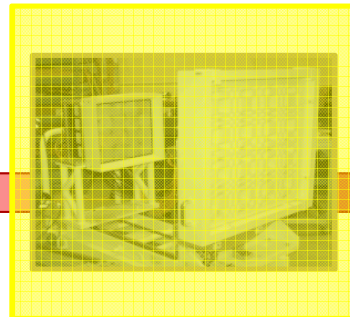
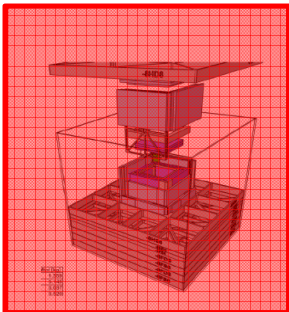
“Traditional” template matching

Trusted object



Calibration
data is
sensitive
IB required

Tested object

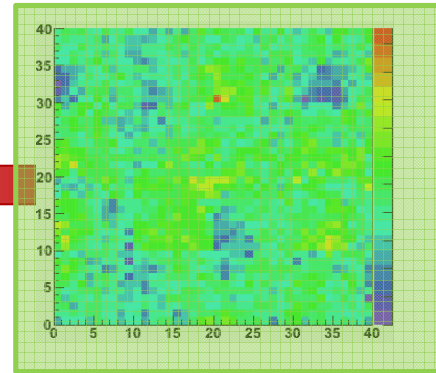
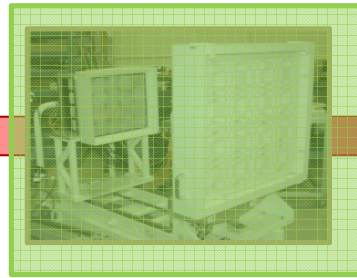
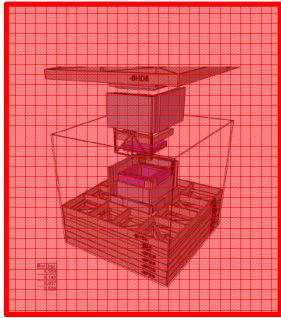


Tested
detector data
is sensitive
IB required



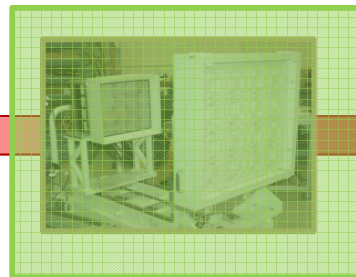
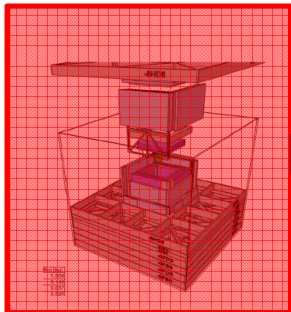
Our proposal

Trusted object

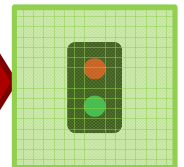


Hypothetical
observer stores
info sufficient for
confirmation but
not sensitive

Tested object



=?



Testing data is processed
event by event, only
updating test statistic.

Data not aggregated

Linear template observers

- Testing and training event data $\{A_n\}$ binned into data vector g ($P \times 1$).

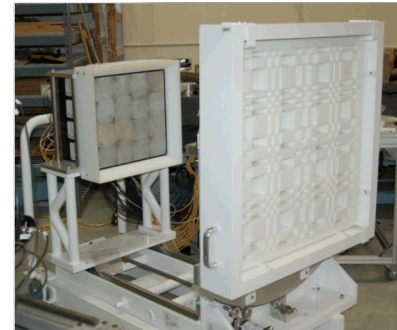
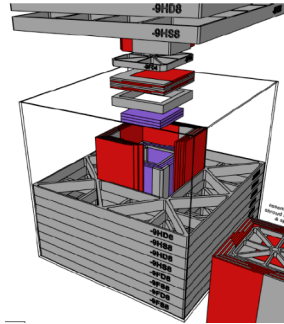
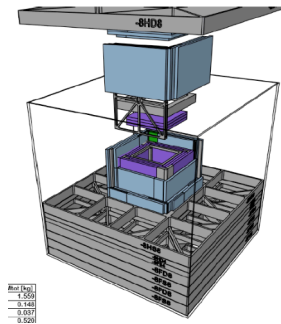
$$g_p = \sum_{n=1}^N f_p(A_n)$$

- Linear template W ($P \times 1$) acts on g_{test} , result is thresholded to make a decision

$$t_{test} = W^\dagger g_{test}, \quad t_{test} \lesseqgtr t_{thresh}$$

Experiment (simulation)

- Binary discrimination experiment using gamma spectra.
 - Distinguish objects 8 (Pu surrounded by DU) and 9 (Pu surrounded by HEU) developed by Idaho National Lab.
 - Fast-neutron coded-aperture detector with liquid scintillator.

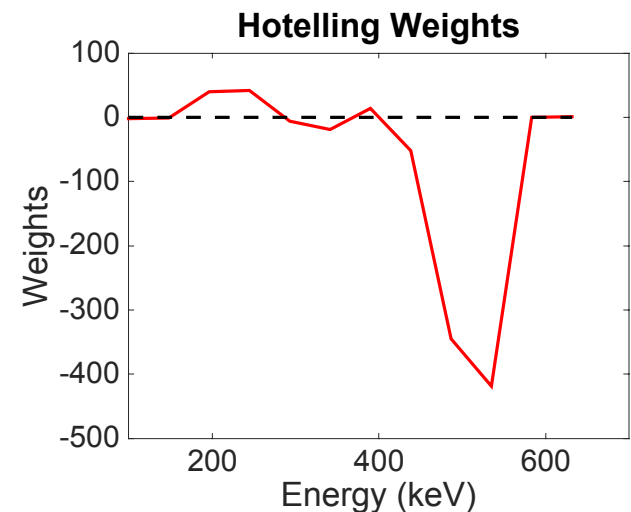
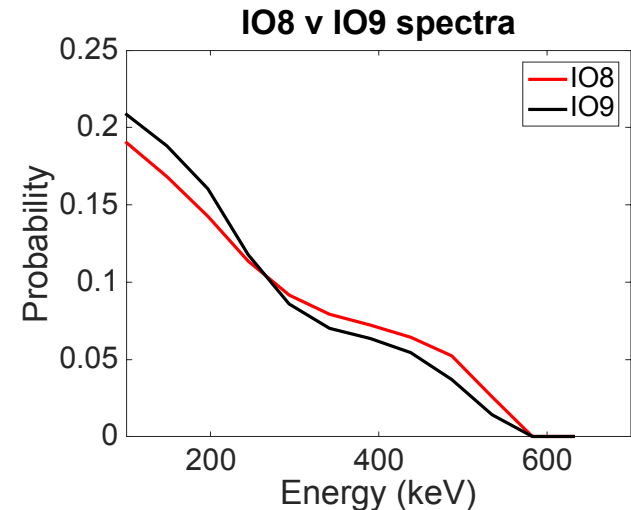


- Models created in GEANT4 toolkit to acquire testing and training data.

Hotelling observer

- Data on the inspection objects differ in their spectra and count rate.
- Hotelling observer is template W defined as:

$$W = K_g^{-1} \overline{\Delta g}$$
$$K_g^{-1} = \frac{K_1 + K_2}{2}$$
$$\overline{\Delta g} = \overline{g_2} - \overline{g_1}$$



Channelized Hotelling

- Channelize vector $g(P \times 1)$ with operator $T(Q \times P)$ into much smaller vector $v(Q \times 1)$

$$v = Tg$$
$$W_v = K_v^{-1} \overline{\Delta v}$$

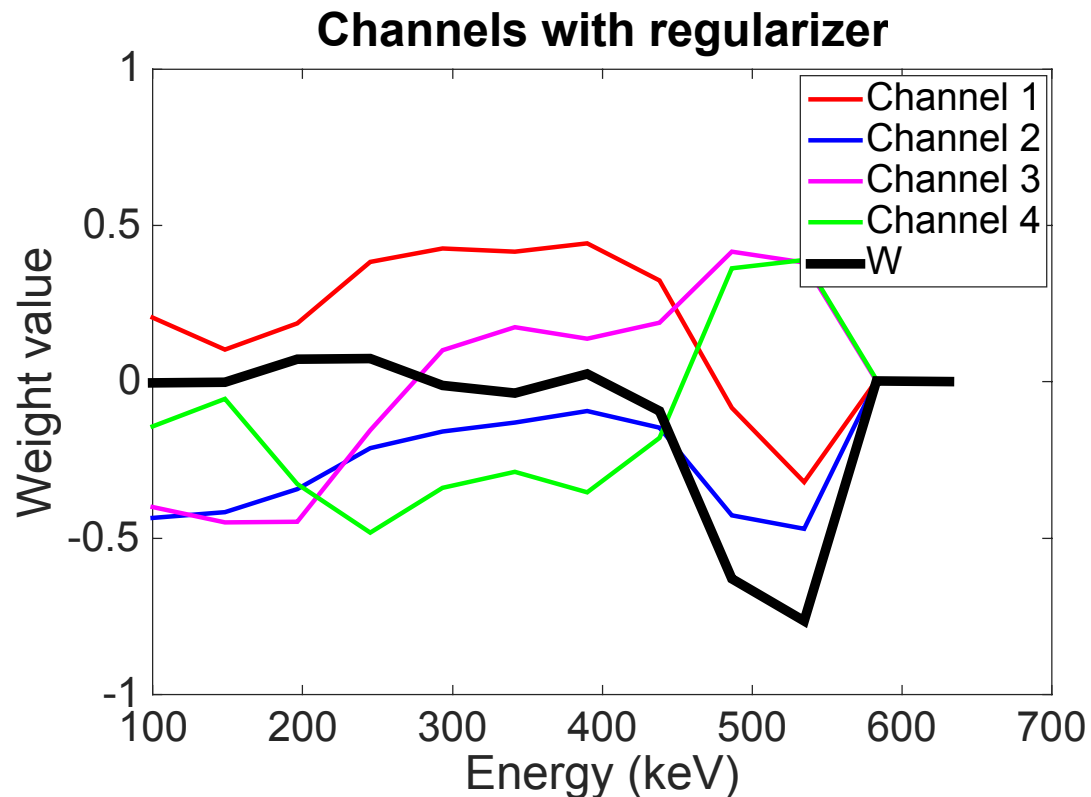
$$W_v^\dagger v_{test} \lesssim t_{thresh}$$

- Regularizer used in optimization to **limit channel performance**
- Taken **sensitive Hotelling template W** to **T** and **W_v** , neither are sensitive without other.

$$W = W_v T$$

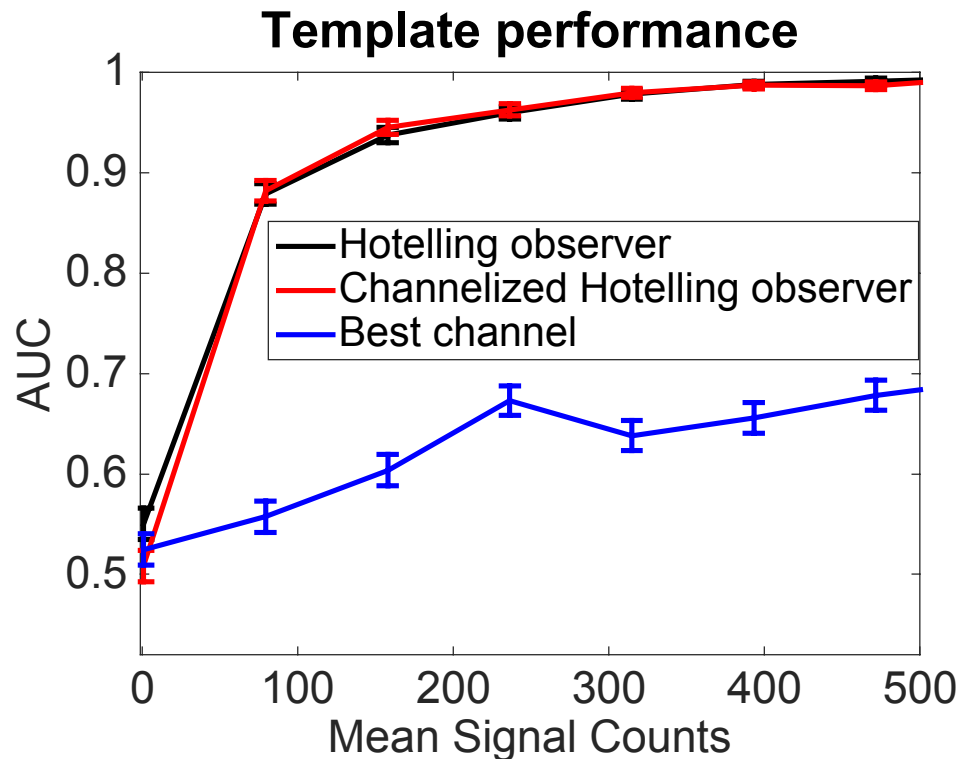
Channelized Hotelling in practice

- With regularizer, channels are different from the true Hotelling weights.



Channelized Hotelling in practice

- Hotelling and channelized Hotelling's ability to differentiate tested sources are equivalent.
- Each channel performs poorly.



Future work

- Development of a null hypothesis test (is this source A or not source A?)
 - Null hypothesis tests often based on distance metrics that can't be used with list-mode data
 - Is there an analogue to the Hotelling observer that we can use?
- Can a regularizing term prevent discrimination based on sensitive information?