

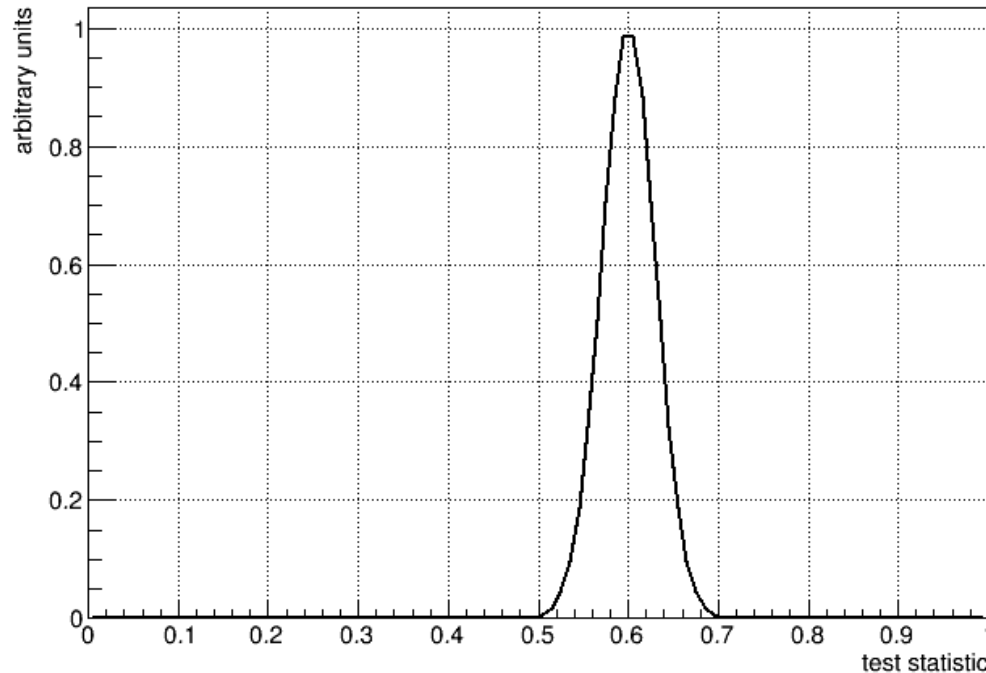
Measuring hydrogen-bearing and nuclear materials in containers

Peter Marleau

JOINT CSGAC-CISAC MEETING

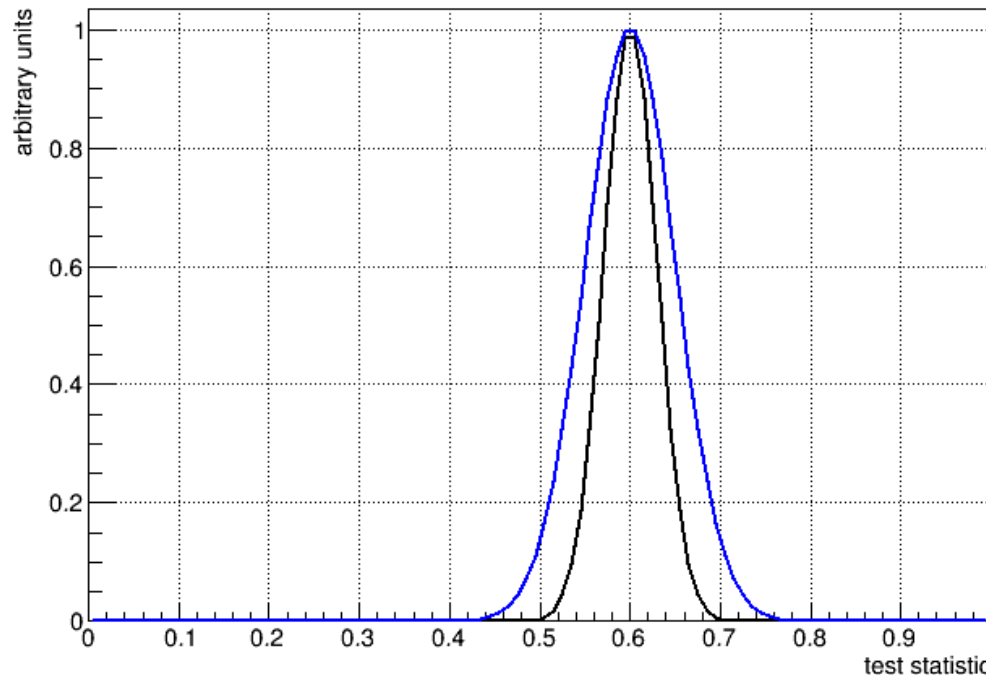
BEIJING
DECEMBER 7-8, 2015

Test Statistic Distribution



Whether it represents an ***attribute*** or a ***template*** comparison metric, verification performance always comes down to a test statistic distribution.

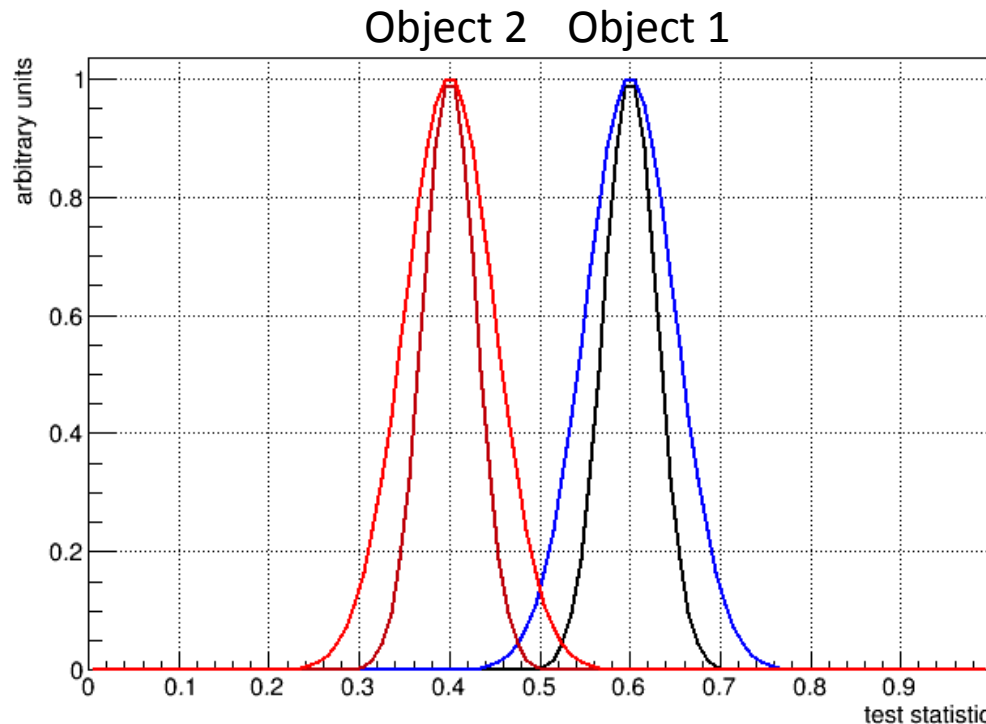
Test Statistic Distribution: statistics + systematics



The width is determined by:

1. Statistical variation (take more data).
2. Uncontrolled systematic variation (nuisance terms).

Test Statistic Distribution: discrimination



The ability to discriminate between two objects is determined by:

1. The difference in mean values (sensitivity of the measurement system to relevant characteristics).
2. The widths of the distributions (control those uncertainties).

Generic Nuisance Terms

Detection
system



Hydrogen-bearing + nuclear
material in container

- Some generic nuisance parameters:
 - Environment
 - Background
 - Variability in container
 - Walls/floor, other scatterers
 - Nearby sources
 - Detector characteristics
 - Response drifts
 - Temperature effects, etc.

Nuisance Terms – gamma-based

Detection
system



Hydrogen-bearing + nuclear
material in container

Detection System	Relevant Characteristics	Nuisance Terms
Gamma spectroscopy	Presence and isotopics of fissile material, mass (with assumptions)	Shielding (high-Z), self shielding, unknown configuration,
Gamma imaging	Configuration of fissile material (by isotope), configuration of intervening material (high-Z)	Position and orientation, shielding (high-Z), self shielding

Nuisance Terms – neutron-based

Detection
system

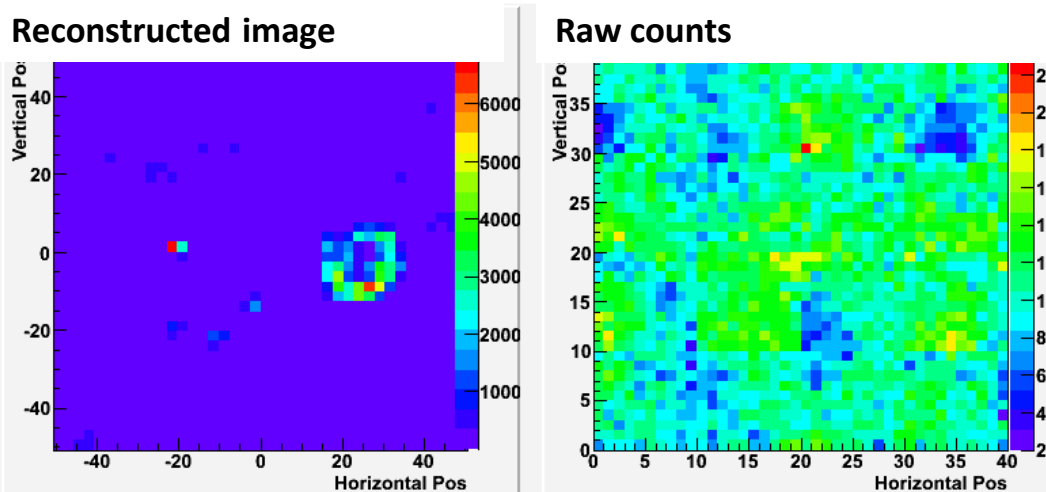


Hydrogen-bearing + nuclear
material in container

Detection System	Relevant Characteristics	Nuisance Terms
Fast neutron multiplicity	Presence of fissile material, fission rate, multiplication	Moderating materials (low-Z), absolute efficiency, unknown configuration
Thermal neutron imaging	Presence of fissioning material, configuration of moderating materials, configuration of intervening material (thermal)	Position and orientation, moderating and absorbing materials in container
Fast neutron imaging	Presence and configuration of fissioning material, configuration of intervening material (low-Z)	Position and orientation, scattering materials in object and container

Test Case: Neutron coded aperture imager

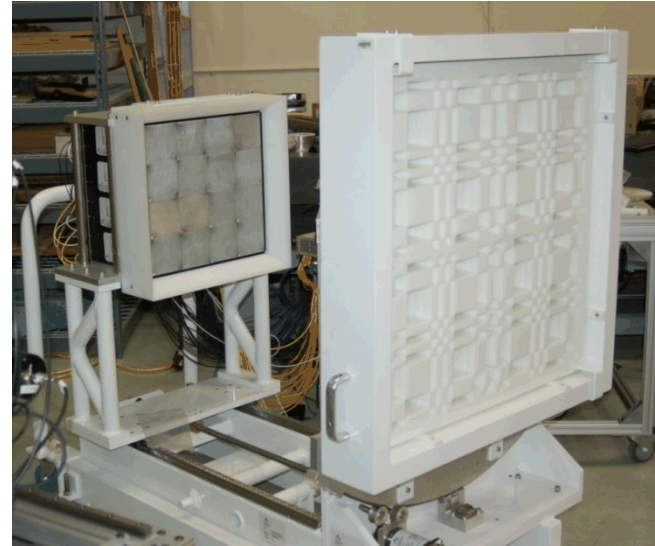
- ORNL/SNL fast neutron coded aperture imager developed for arms control treaty verification.
- Image plane consists of 16 organic scintillator pixelated block detectors
 - Each block consists of a 10x10 array of 1 cm. pixels.
 - PSD and pixel id accomplished by 4 photomultiplier tubes.
- Mask plane consists of 2.5 to 10 centimeters of HDPE.



Detector developed in collaboration with ORNL: P. Hausladen, J. Newby, M. Blackston

Example template matching process

- Take data
- Process data
- Reconstruct image
- Image registration vs template
- Pearson correlation vs template
- Compare PCC value to expected distribution
- Threshold $\Delta x/\sigma$, return pass or fail, confidence

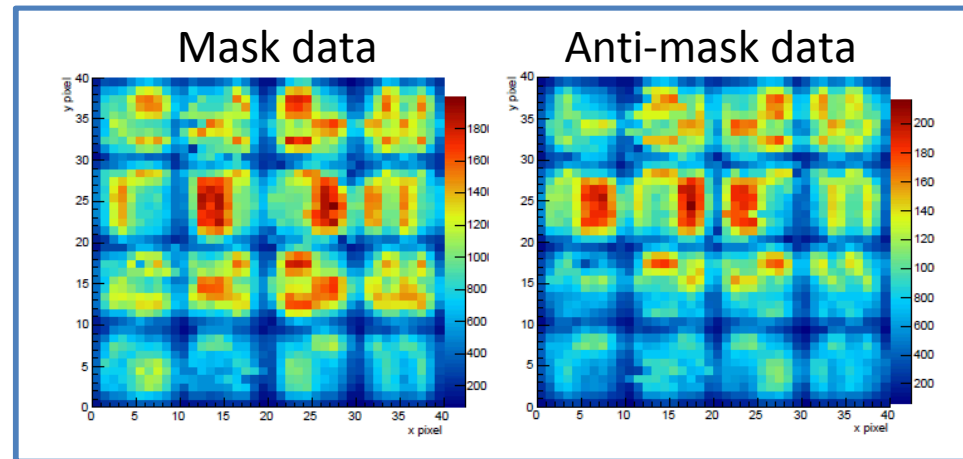


Each step is an opportunity to introduce systematic variation!

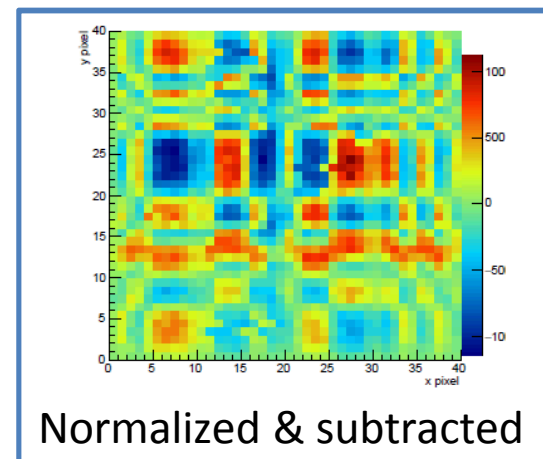
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Apply calibrations, select neutrons, reconstruct pixel, etc...



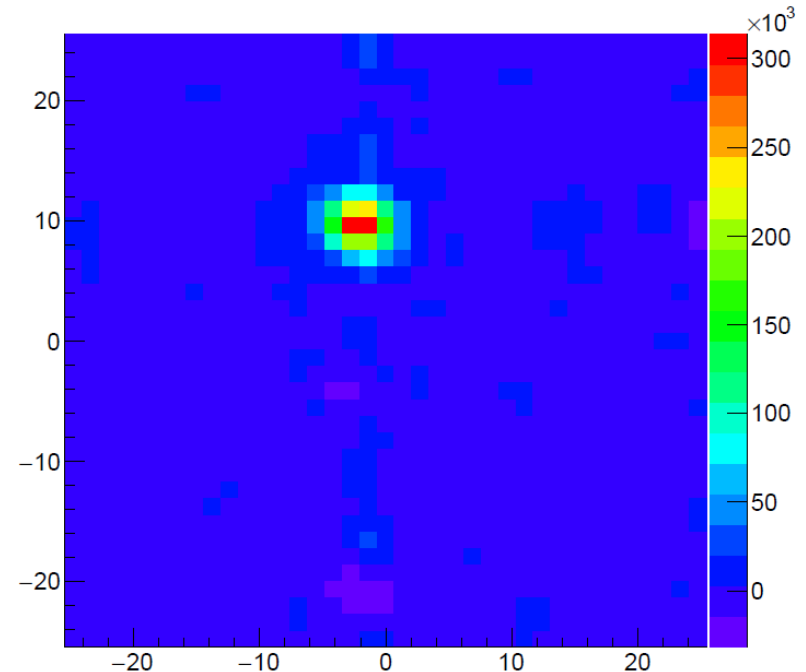
Divide by “void” to correct for efficiency



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Uses knowledge of mask pattern to reconstruct source distribution:

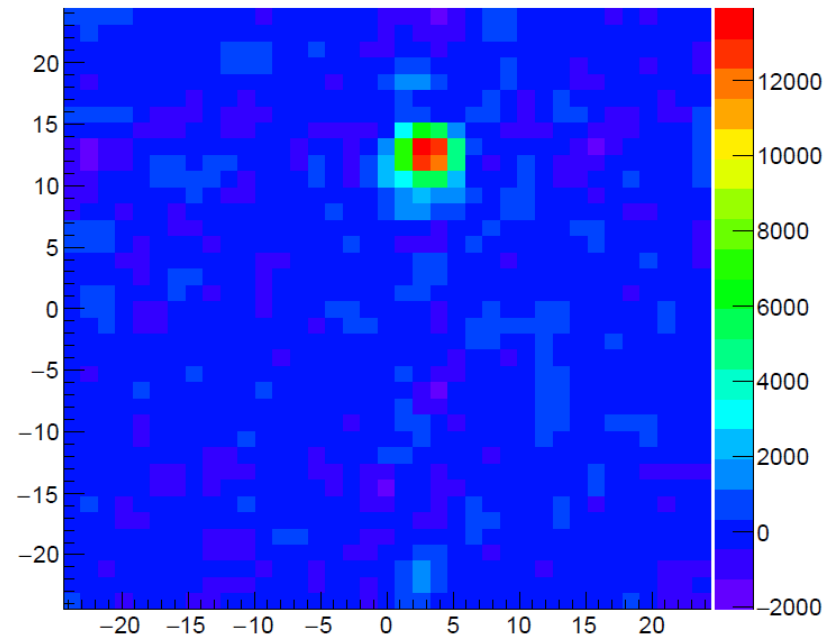


This is the template!

Example template matching process

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Repeat these steps for the confirmation measurement:

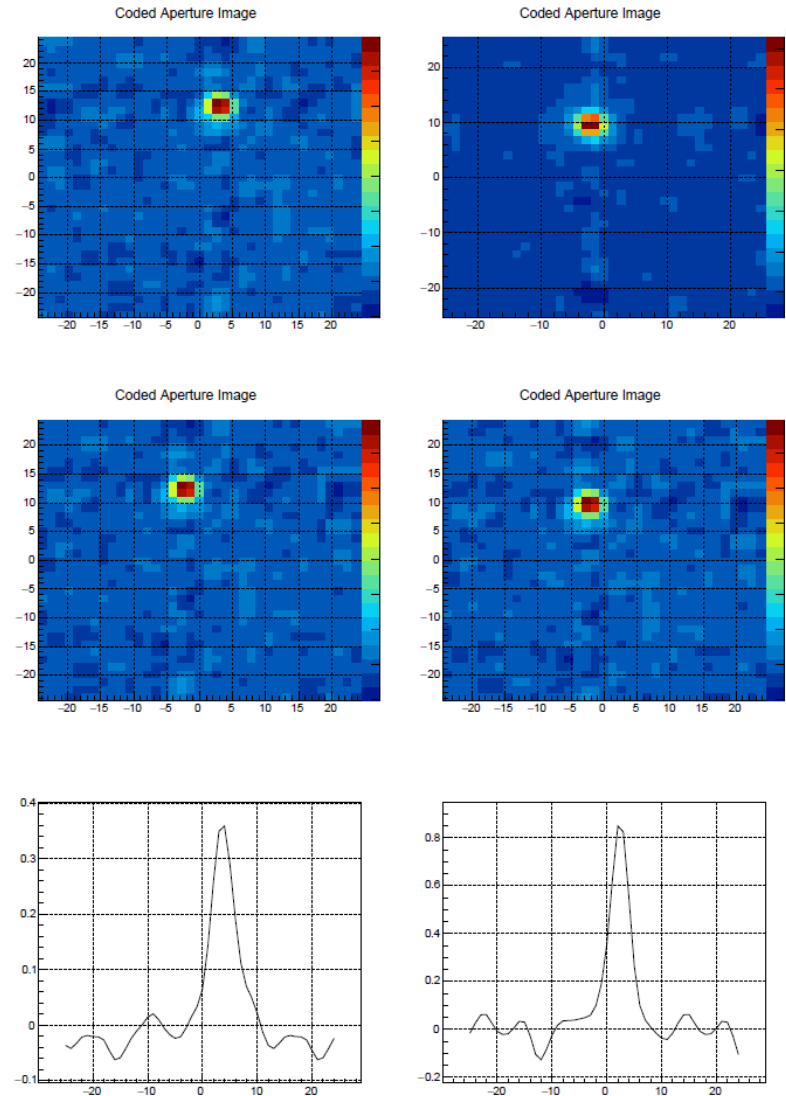


This is the confirmation measurement!

- Lower statistics
- Shift in location

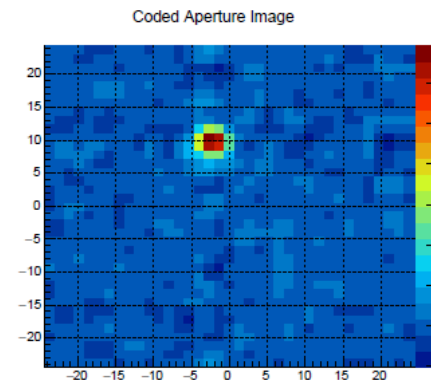
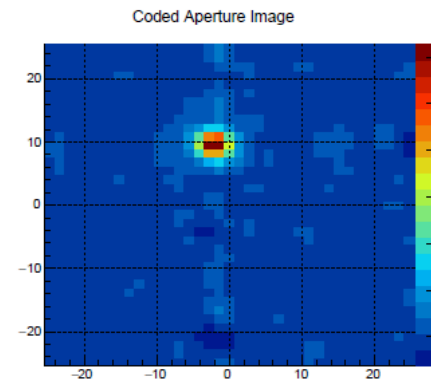
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Example template matching process

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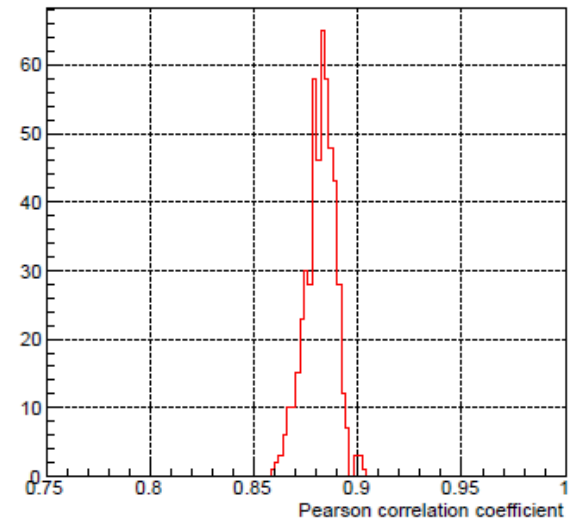
PCC = 0.849

Um... so what?

Example template matching process

- ~~Take~~ ^{Sample} data 500 times
- Process data
- Reconstruct image
- Image registration vs template
- Pearson correlation vs template
- Compare PCC value to expected distribution
- Threshold $\Delta x/\sigma$, return pass or fail, confidence

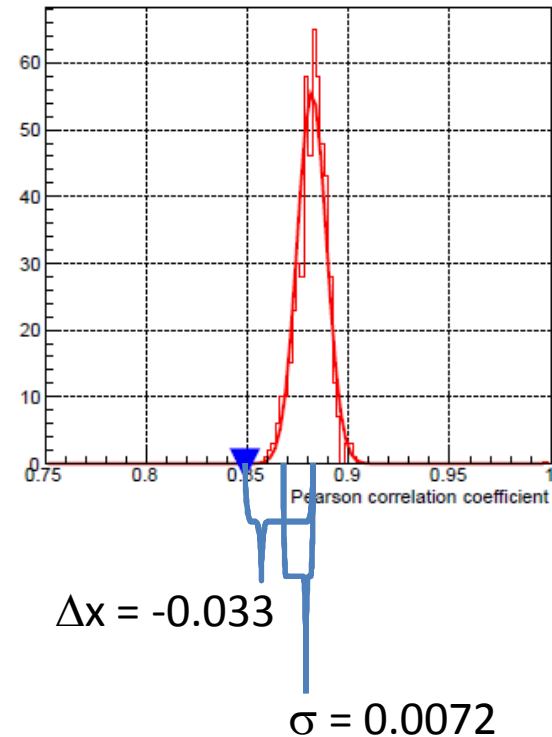
- Sample low-stats data many times from the template.
- Process through whole chain.



Expected PCC distribution accounting for statistical fluctuations only.

Example template matching process

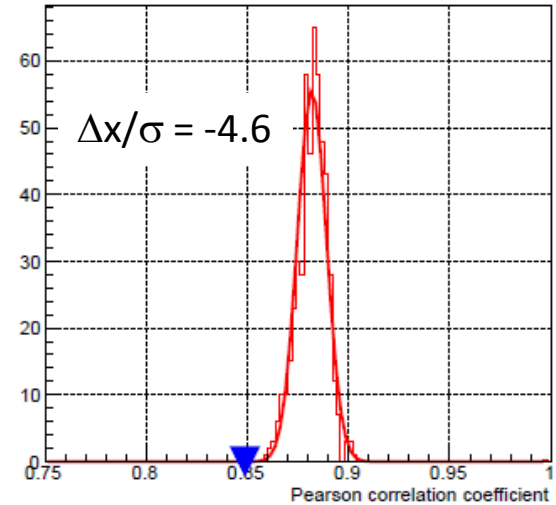
- Take data
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$$\Delta x/\sigma = -4.6$$

Example template matching process

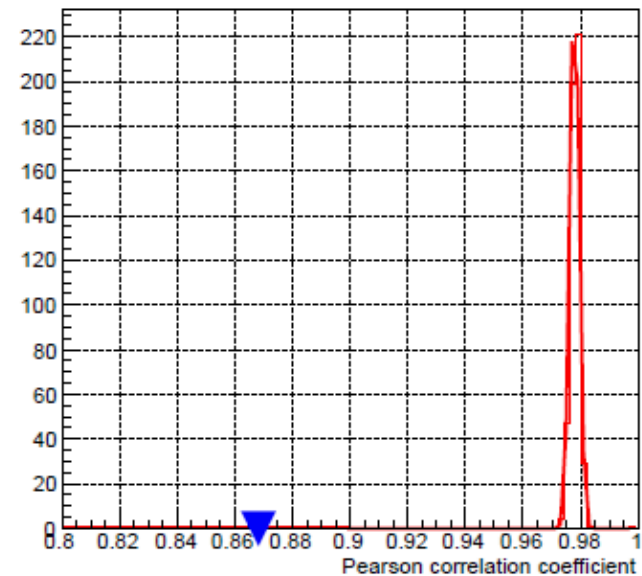
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- Uh-oh! Why are they different?
- We only accounted for statistical fluctuations, not real-life differences between measurements.
- Add a fudge factor:
 - Anything less than 10σ away passes.
 - $1 - (\text{Erf}((|\Delta x/\sigma| - 10)/3) + 1)/2 \gtrless 0.5$

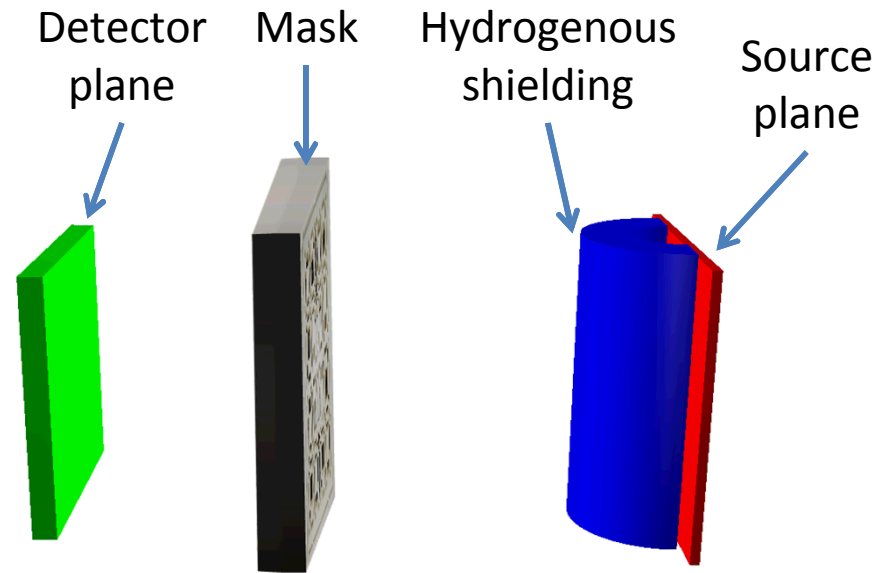
Second test object

- ~22x stronger Cf-252 source!
- Statistical spread of PCC distribution shrinks
- But systematic effects don't get better
- Our multiplicative fudge factor no longer covers...
- → False negative!

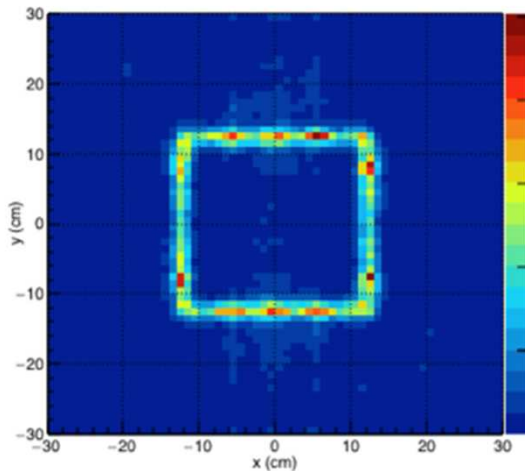


$$\Delta x / \sigma = -71$$

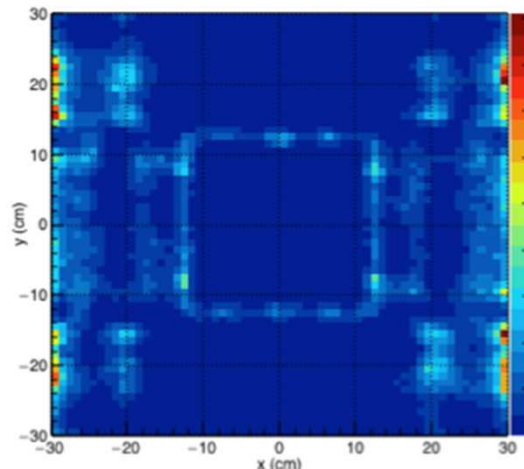
Container effects: toy model



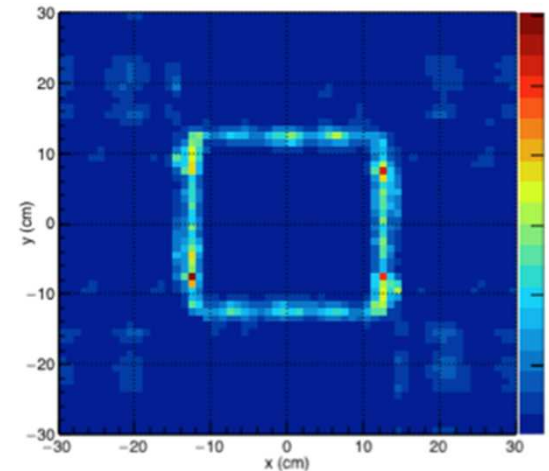
Reconstructed Image:
unshielded square source



Reconstructed Image:
shielded square source
without accounting for the
shielding



Reconstructed Image:
shielded square source
corrected for the shielding



Takeaways

- Many ways to implement template matching.
- Real life is not simple. Nuisance parameters are deadly.
- Making techniques robust is key.
- Some nuisance parameters:
 - Object characteristics
 - Position
 - Orientation
 - Material (isotopics)
 - Environment
 - Background
 - Variability in container
 - Walls/floor, other scatterers
 - Nearby sources
 - Detector characteristics
 - Response drifts
 - Temperature effects, etc.

Future directions

- It may not be exciting, but a nuisance parameter measurement campaign may be more important than an object measurement campaign.
- Some nuisance parameters:
 - Object characteristics
 - Position
 - Orientation
 - Material (isotopics)
 - Environment
 - Background
 - Variability in container
 - Walls/floor, other scatterers
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Backups

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- Threshold $\Delta x/\sigma$, return pass or fail, confidence

- Pearson correlation is a measure of similarity between two datasets:

$$r = r_{xy} = \frac{n \sum x_i y_i - \sum x_i \sum y_i}{\sqrt{n \sum x_i^2 - (\sum x_i)^2} \sqrt{n \sum y_i^2 - (\sum y_i)^2}}$$

- x_i & y_i are the binned template & test values
- Result r in $[-1,1]$
- PCC is invariant to scaling and shifting
 - No need to adjust for measurement time; S:B will still have an effect.

Account for sub-pixel position shift

- Our image registration technique finds best shift in pixel units.
- Sub-pixel shifts change pixel values in a non-Poisson way.
- Implement sub-pixel shifts in the sampling of template data to build distribution
 - Significantly “improves” match by accurately accounting for that effect
 - Results in a correct confirmation

