



Active Dielectric and Metallic Metasurfaces: Strong Coupling, Tuning and Nonlinearities

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Materials with Negative Permittivity and Permeability

SOVIET PHYSICS USPEKHI

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JANUARY-FEBRUARY 1968

338.30

THE ELECTRODYNAMICS OF SUBSTANCES WITH SIMULTANEOUSLY NEGATIVE VALUES OF ϵ AND μ

V. G. VESELAGO

P. N. Lebedev Physics Institute, Academy of Sciences, U.S.S.R.

Usp. Fiz. Nauk 92, 517-526 (July, 1964)

I. INTRODUCTION

THE dielectric constant ϵ and the magnetic permeability μ are the fundamental characteristic quantities which determine the propagation of electromagnetic waves in matter. This is due to the fact that they are the only parameters of the substance that appear in the dispersion equation

$$\left| \frac{\omega^2}{c^2} \epsilon_{ij} \mu_{ij} - k^2 \delta_{ij} - k_i k_j \right| = 0, \quad (1)$$

which gives the connection between the frequency ω of a monochromatic wave and its wave vector $\mathbf{k}$. In the case of an isotropic substance, Eq. (1) takes a simpler form:

$$k^2 = \frac{\omega^2}{c^2} n^2. \quad (2)$$

Here n^2 is the square of the index of refraction of the substance, and is given by

$$n^2 = \epsilon \mu. \quad (3)$$

If we do not take losses into account and regard n , ϵ , and μ as real numbers, it can be seen from (2) and

II. THE PROPAGATION OF WAVES IN A SUBSTANCE WITH $\epsilon < 0$ AND $\mu < 0$. "RIGHT-HANDED" AND "LEFT-HANDED" SUBSTANCES

To ascertain the electromagnetic laws essentially connected with the sign of ϵ and μ , we must turn to those relations in which ϵ and μ appear separately, and not in the form of their product, as in (1)–(3). These relations are primarily the Maxwell equations and the constitutive relations

$$\left. \begin{aligned} \text{rot } \mathbf{E} &= -\frac{1}{c} \frac{\partial \mathbf{B}}{\partial t}, \\ \text{rot } \mathbf{H} &= \frac{1}{c} \frac{\partial \mathbf{D}}{\partial t}, \end{aligned} \right\} \quad (4)^*$$

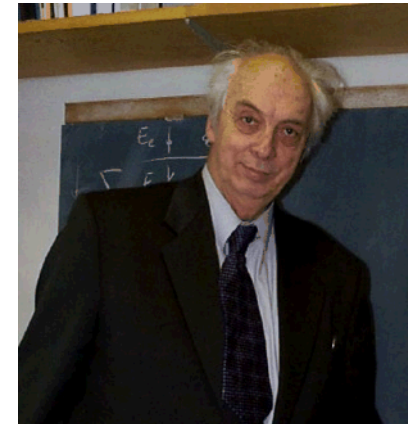
$$\left. \begin{aligned} \mathbf{B} &= \mu \mathbf{H}, \\ \mathbf{D} &= \epsilon \mathbf{E}. \end{aligned} \right\} \quad (4')$$

For a plane monochromatic wave, in which all quantities are proportional to $e^{i(\mathbf{k}\mathbf{z} - \omega t)}$, the expressions (4) and (4') reduce to

$$\left. \begin{aligned} |\mathbf{kE}| &= \frac{\omega}{c} \mu \mathbf{H}, \\ |\mathbf{kH}| &= -\frac{\omega}{c} \epsilon \mathbf{E}. \end{aligned} \right\} \quad (5)^\dagger$$

From these equations it follows that if

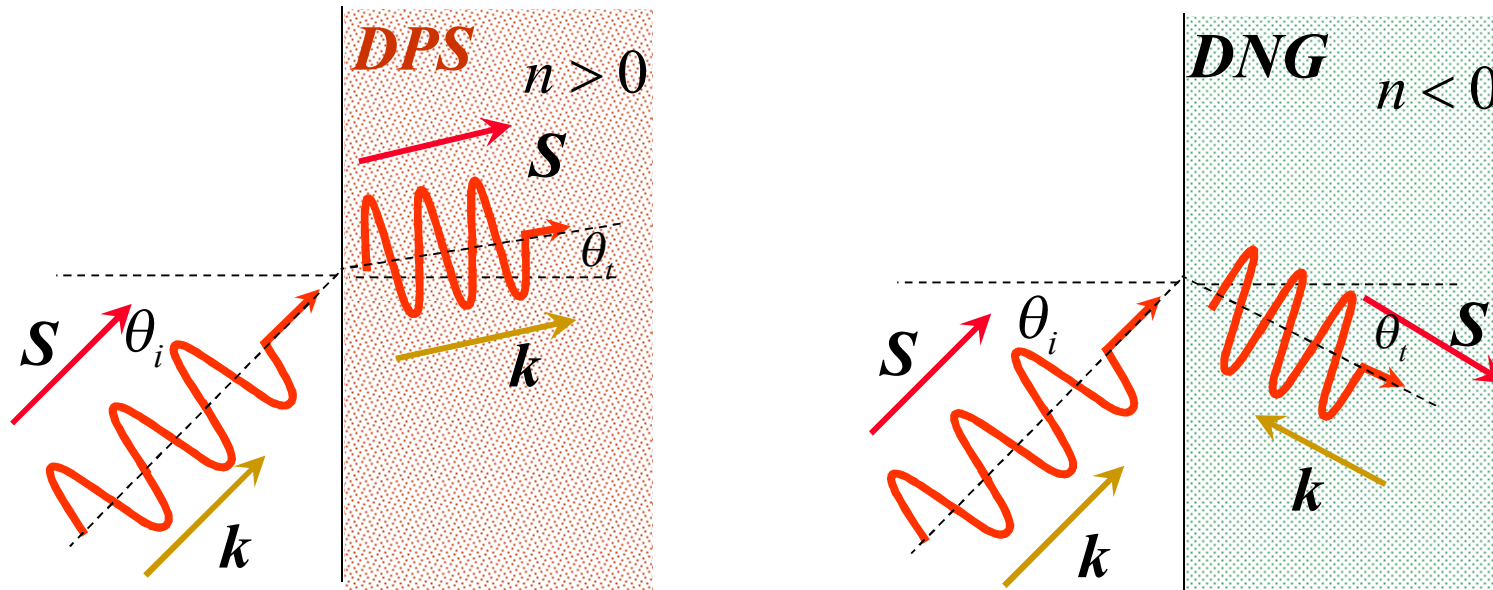
Viktor G. Veselago



<http://www.tkk.fi/Yksikot/Sahkomagnetiikka/kuvia/Veselago2.jpg>

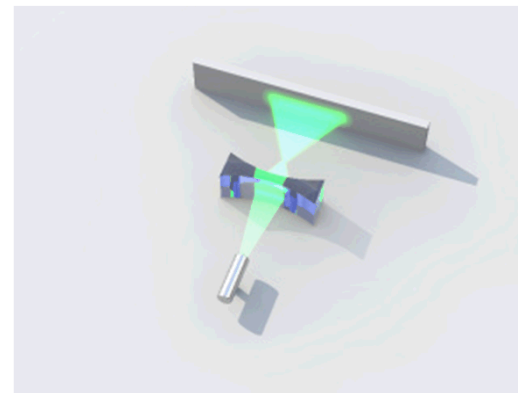
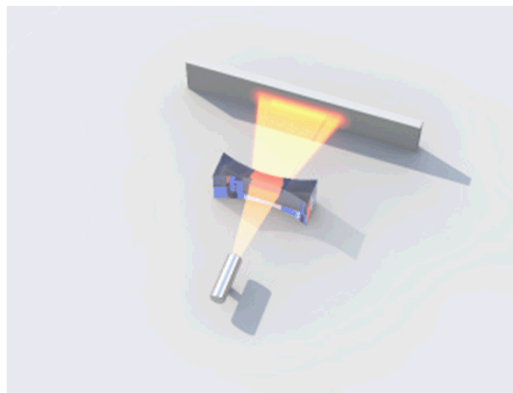
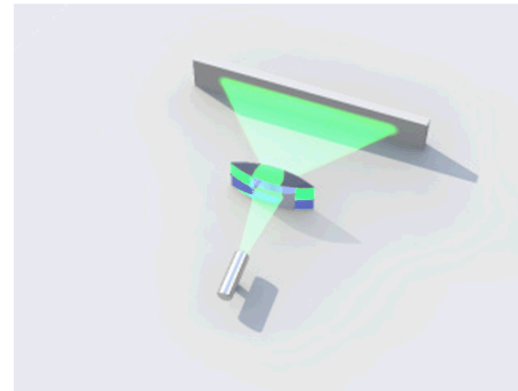
Negative Refraction

I *Viktor G. Veselago, Usp. Fiz. Nauk (1967)*



$$n_o \sin \theta_i = n_1 \sin \theta_t$$

Negative Refraction

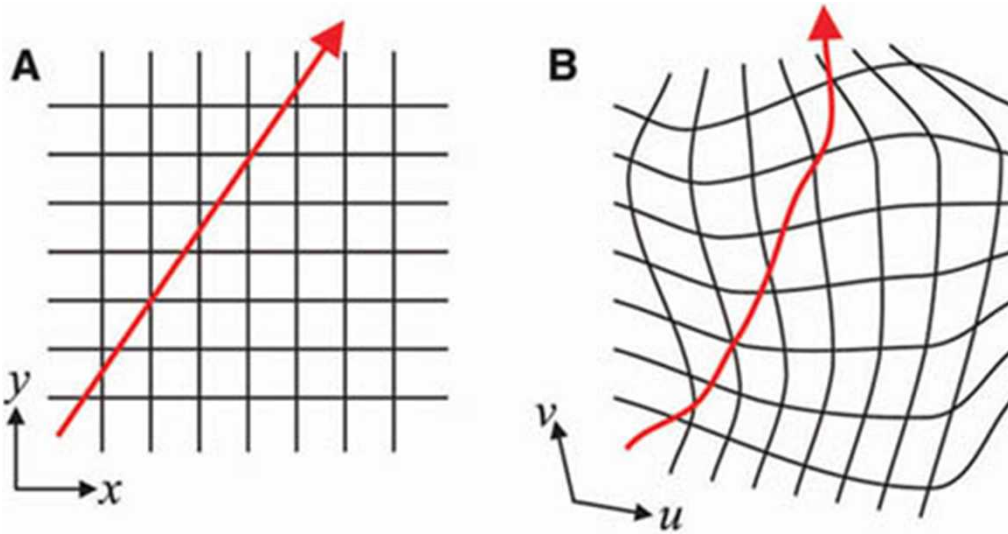


positive index of refraction
refraction

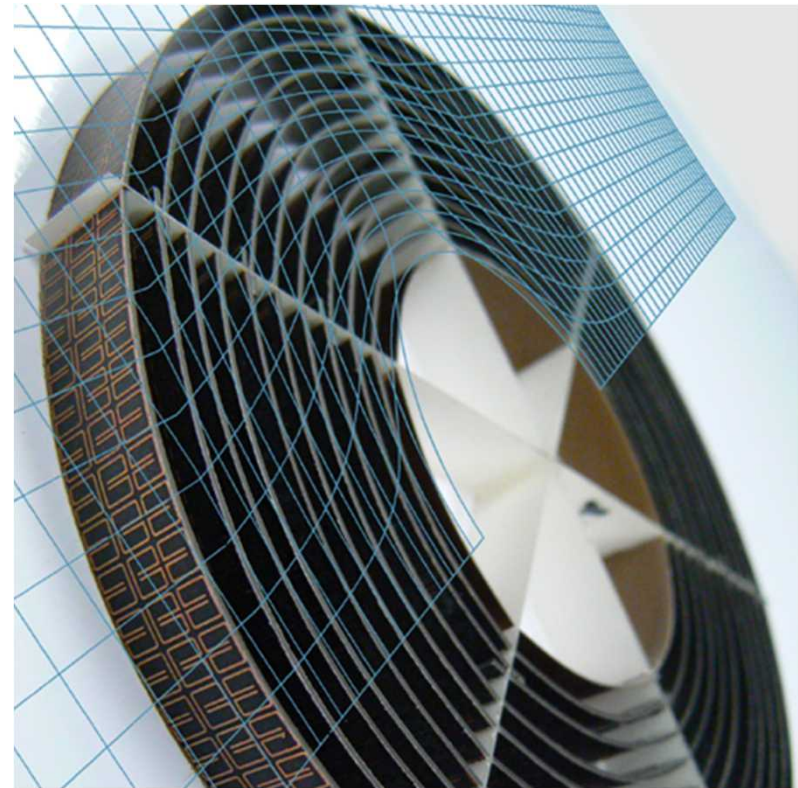
negative index of

<http://www.imagico.de/pov/metamaterials.php>

“Transformation Optics”



J. Pendry

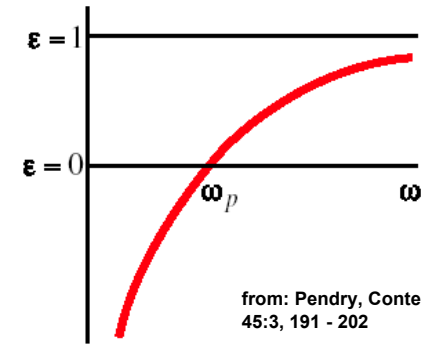
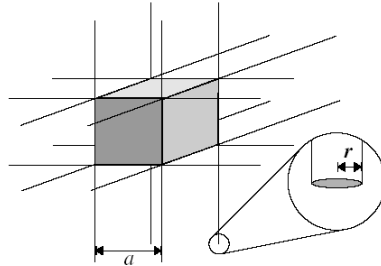


D. Smith, Duke

How to make a “Metamaterial”

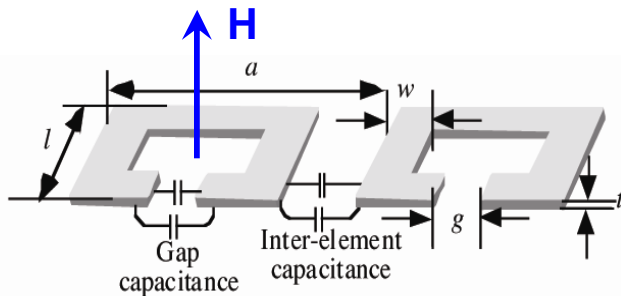
“Dilute” a metal to control electric permittivity (ϵ)

$$\omega_p = \sqrt{\frac{ne^2}{m^* \epsilon_0}}$$

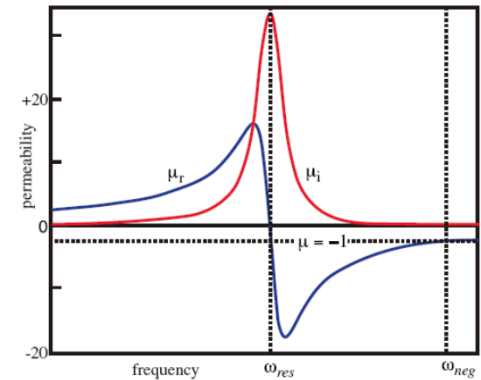


from: Pendry, Contemporary Physics, 45:3, 191 - 202

LC “Resonators” to control magnetic permeability (μ)

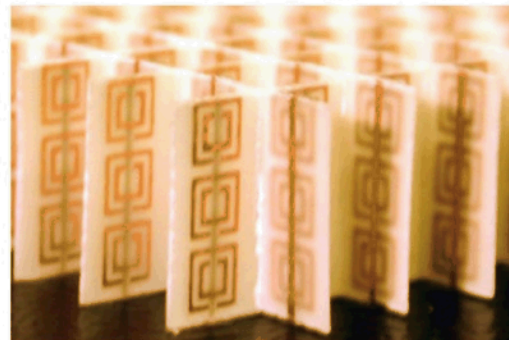


from; S. McMeekin, Proc. Of SPIE, Vol. 6581



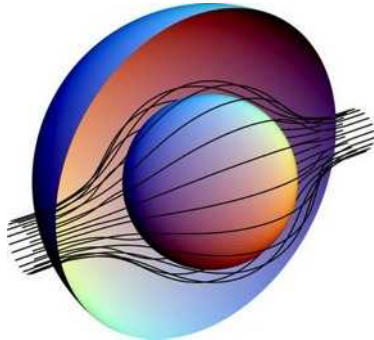
Combine the two:

http://www.multitel.be/newsletter/mn7_2005/images/nl3_Metamaterials_type1.jpg



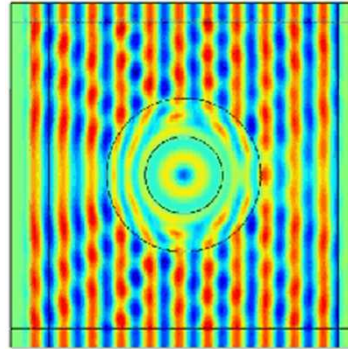
“New” Optics Enabled by Metamaterials

Cloaks



Pendry, et al., Science (2006)

cloak design



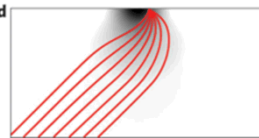
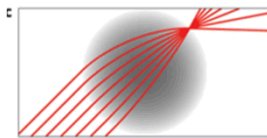
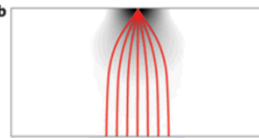
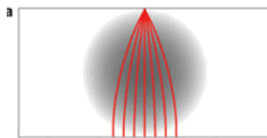
Schurig, et al., Science 314, 977 (2006)

**RF experimental
validation (2D)**

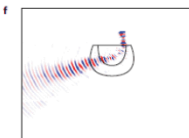
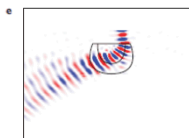
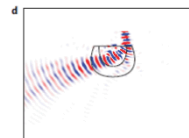
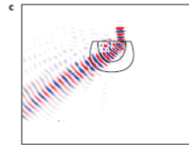
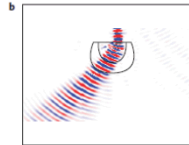
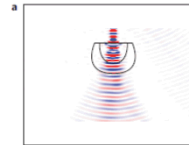
Other devices:

- Perfectly matched absorber
- Beam splitters
- Negative index lens
- Sub-wavelength imaging
-

Optics



**flattened Luneberg
lens design**



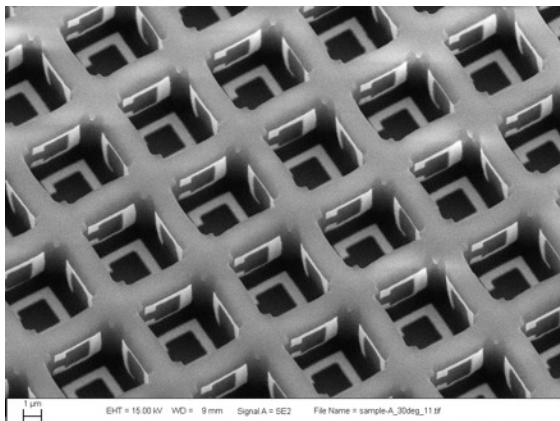
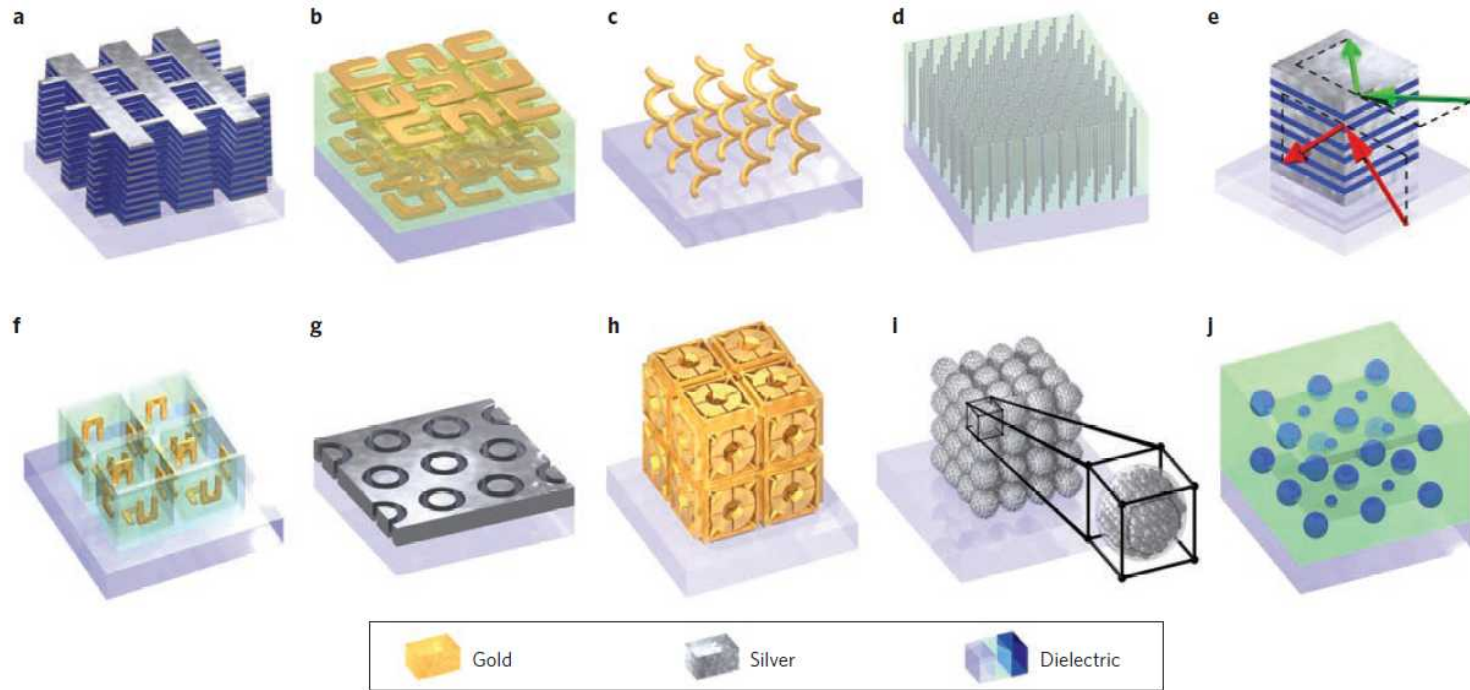
Kundtz and Smith, Nature Materials (2009)

**RF experimental
validation (2D)**

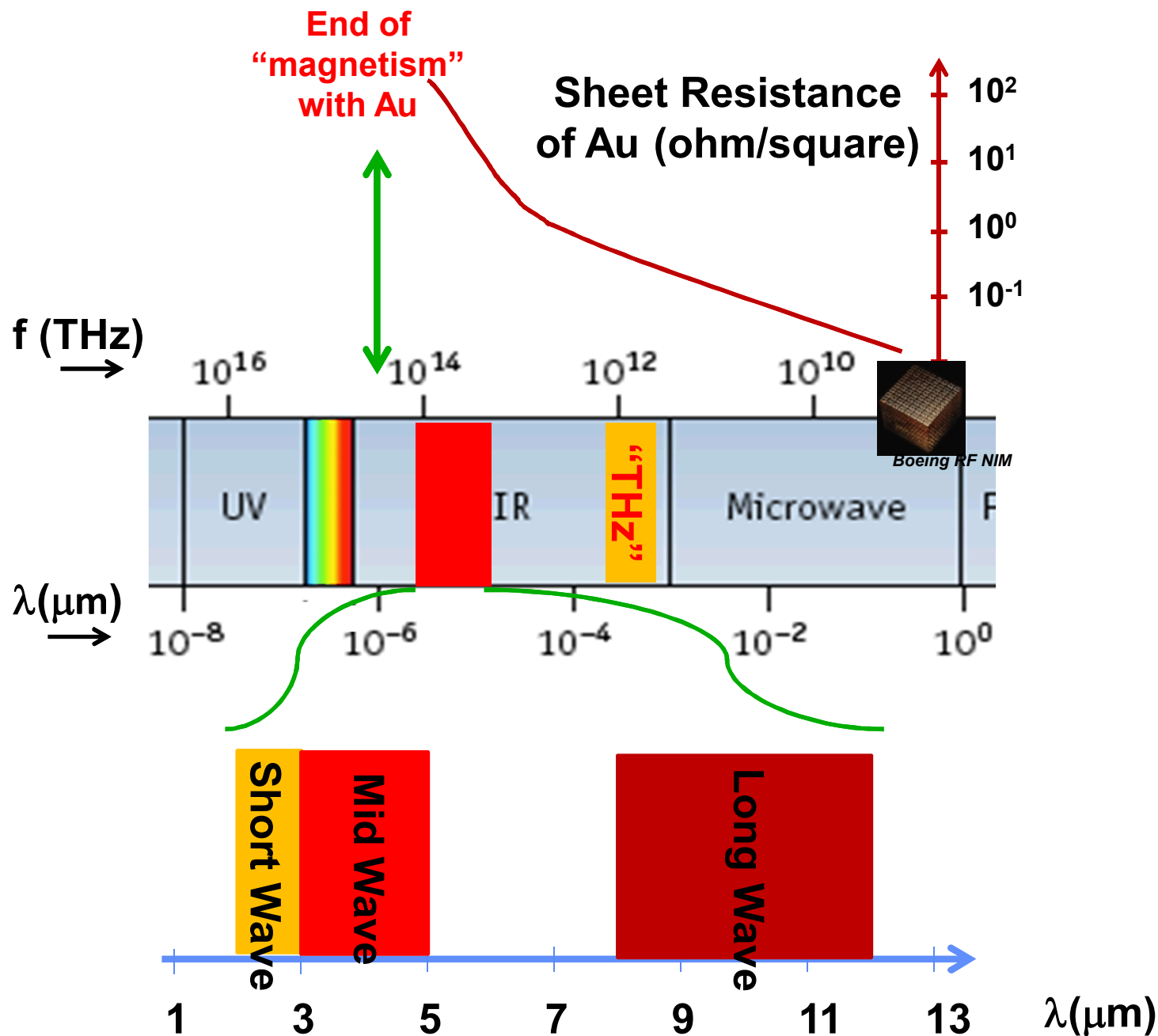
Optical transparency is a key requirement for many devices

Optical Metamaterials

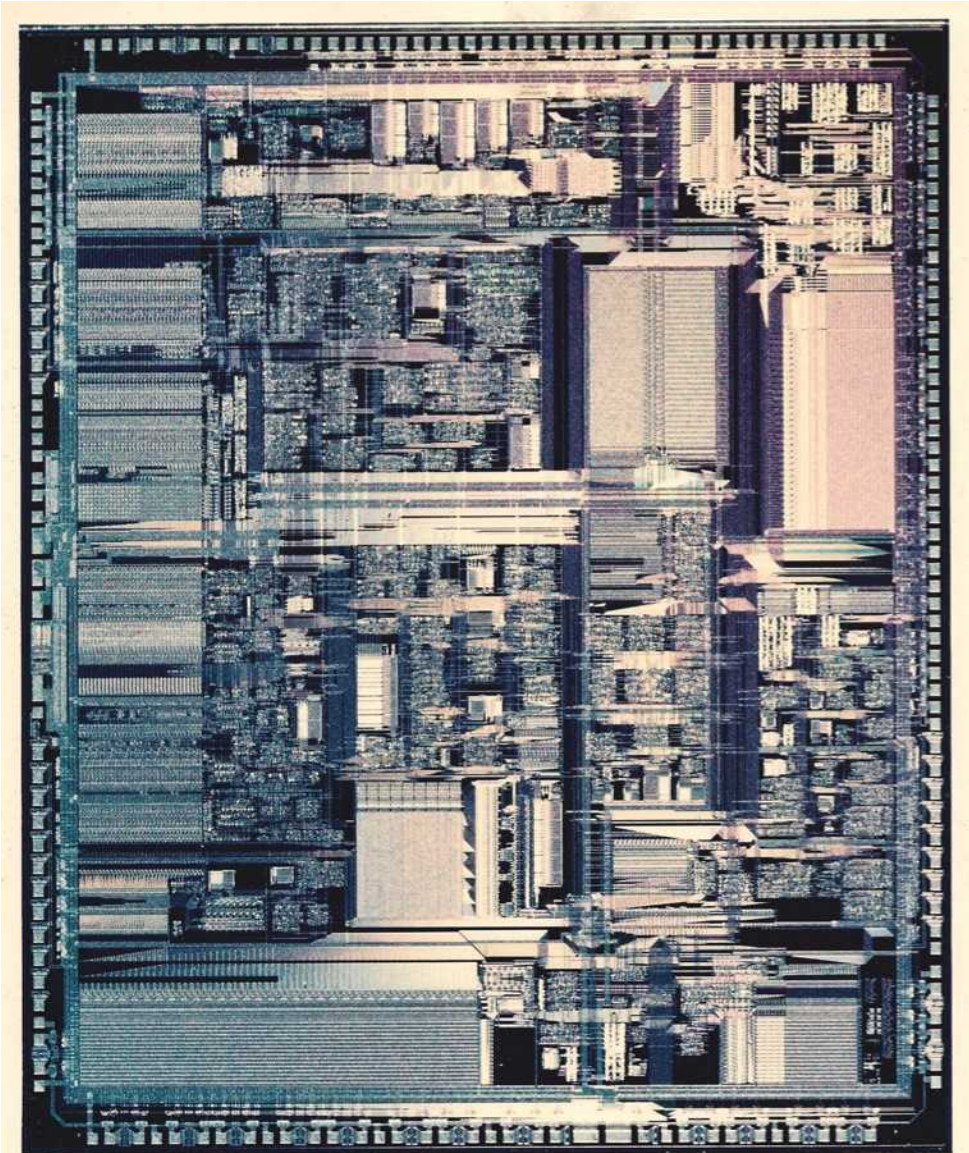
C. M. Soukoulis, M. Wegener, Nature Photonics (2011)



Burckel *et al*, Advanced Materials 2010



VLSI, National Semiconductors



NS32032: 1st 32 bit microprocessor



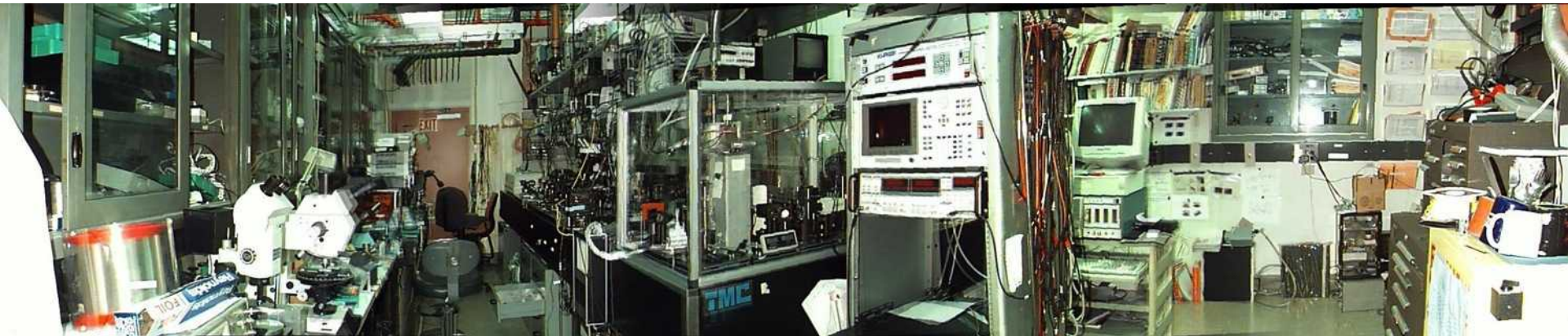
6 Engineers, a few 10K transistors

**Intel's 15-core Xeon IvyBridge-EX,
4.3 billion transistors!**

Bell Labs

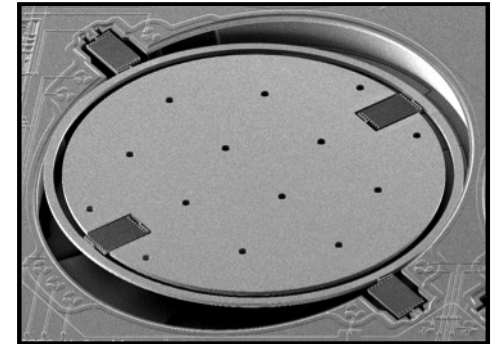
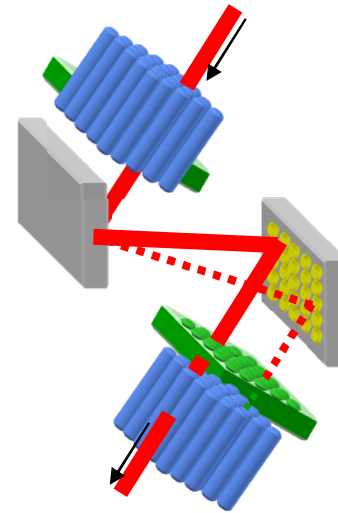


- **Ultrafast**
- **THz**
- **Fiber Telecom**



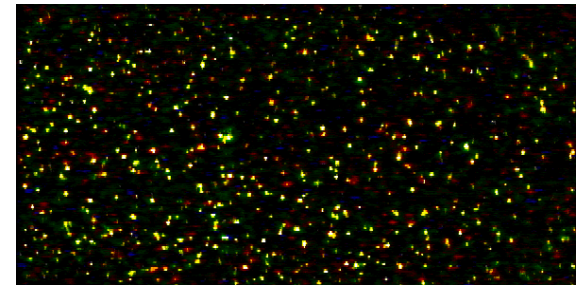
Tellium (2000-2002)

-All-Optical MEMS cross-connect



Praelux/Amersham/GE (2002-2004)

-Single molecule DNA sequencing
-High throughput microscopy

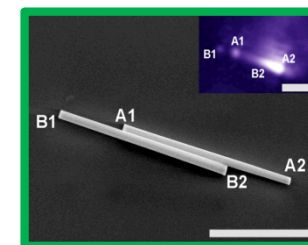
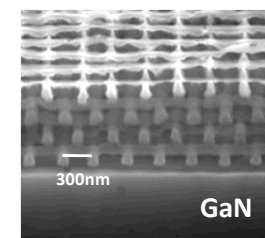
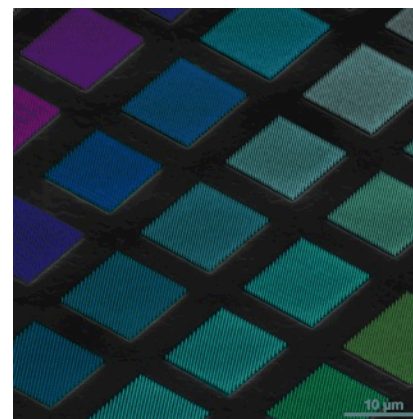




At Sandia: Other Activities in Nanophotonics

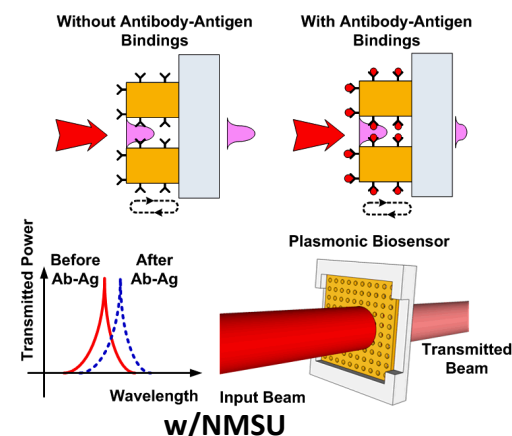
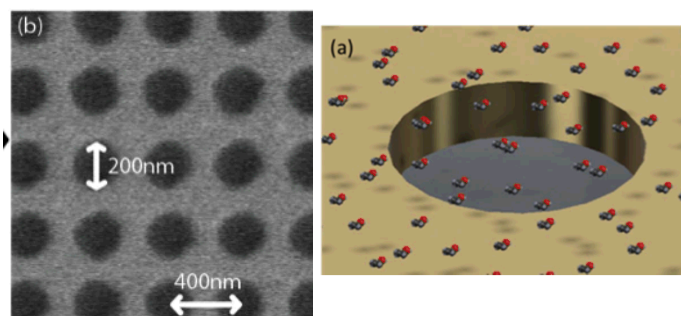
Solid State Lighting “Energy Frontier Research Center” (<2014)

- Enhanced Spontaneous Emission
- Nanowire Lasers (III-N)



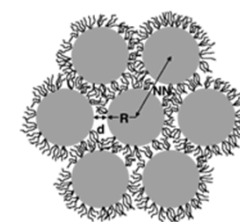
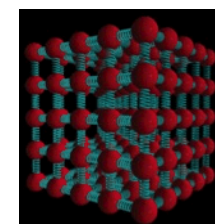
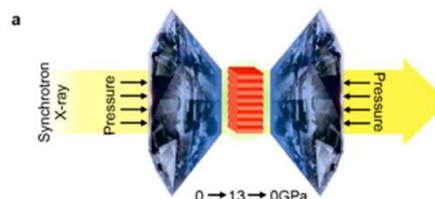
Plasmonics

- Sensors (gas)
- Biosensing



Nanophotonics, etc

- Energy transfer in QDs
- QD “solids”

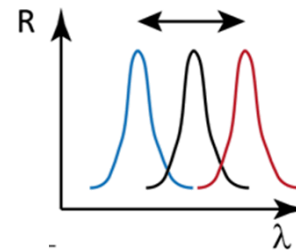
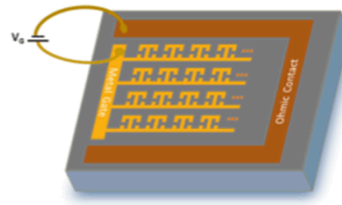


Outline

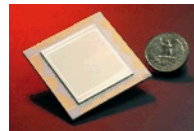
- **Metallic Metasurfaces**
 - Tuning
 - Strong Coupling
 - Nonlinearities
- **All Dielectric Metasurfaces**
 - Fundamentals
 - Optical Magnetism
 - Directional Emission, Fano Resonances, and third-harmonic Generation

Why Tunable Metasurfaces?

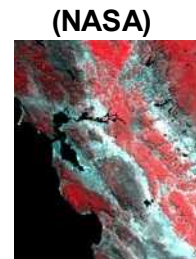
Potential for planar optical devices: modulators, tunable filters, etc.



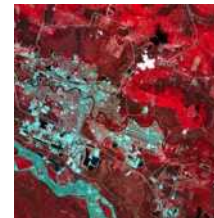
Examples: hyperspectral imaging



(JPL)



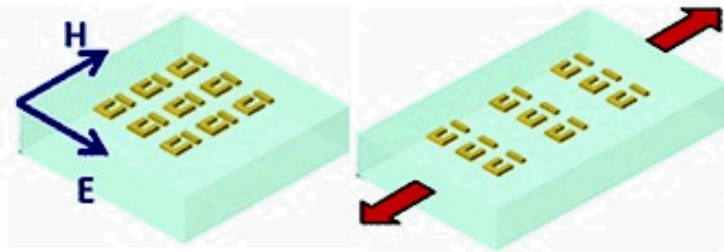
(Cedip)



Mechanical filters!

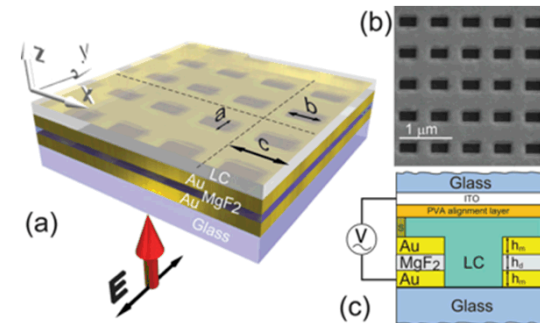
Examples of Tunable Metamaterials (Metasurfaces)

Mechanical movement or stretching



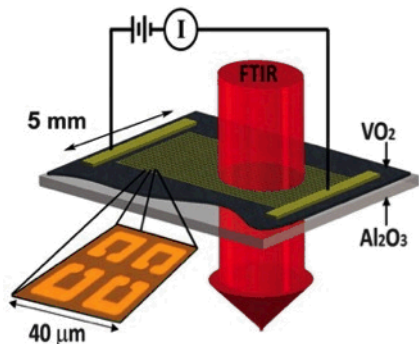
I. M. Pryce, Nano Lett (2010)

Re-orientation of liquid crystals



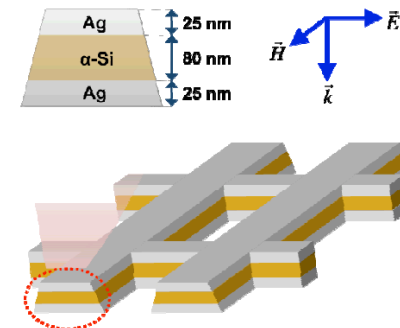
A. Minovich, APL (2012)

Phase transitions in VO_2



T. Driscoll, Science (2009)

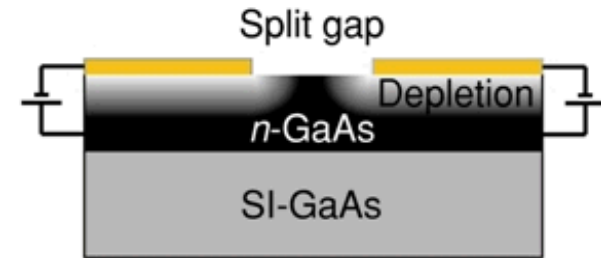
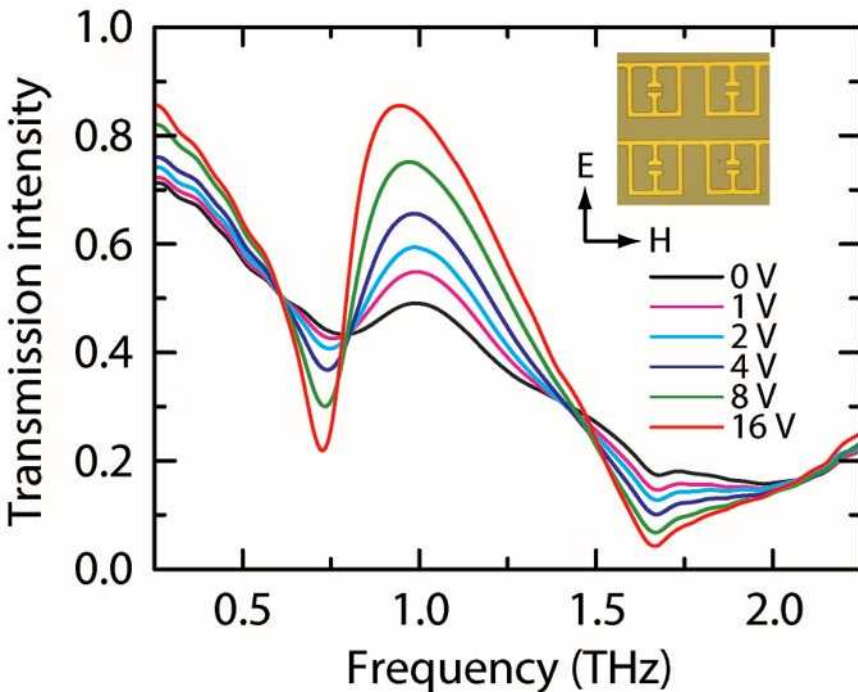
Optical free carrier generation



D.J. Cho, Opt. Express (2009)

- **Electrical tuning based on semiconductor device structures is more technologically appealing for practical, chip-scale applications**

Electrically Switchable THz Metamaterials: Controlling Interaction With Electrons



This works by increasing the damping (ϵ_2). Plasma frequency of doped layer needs to match the MM resonance frequency

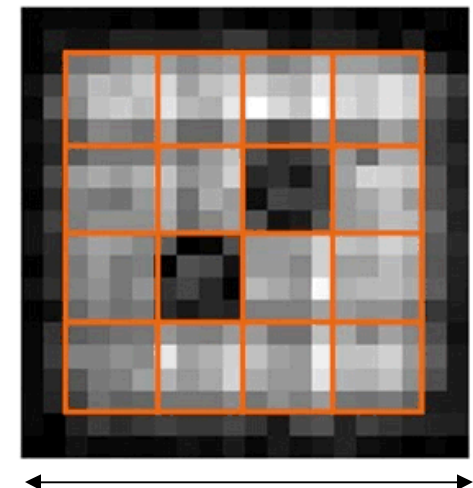
Chen, Nature 444, 597 (2006).

However: it doesn't scale well
to shorter wavelengths

0.36 THz, 4x4 SLM

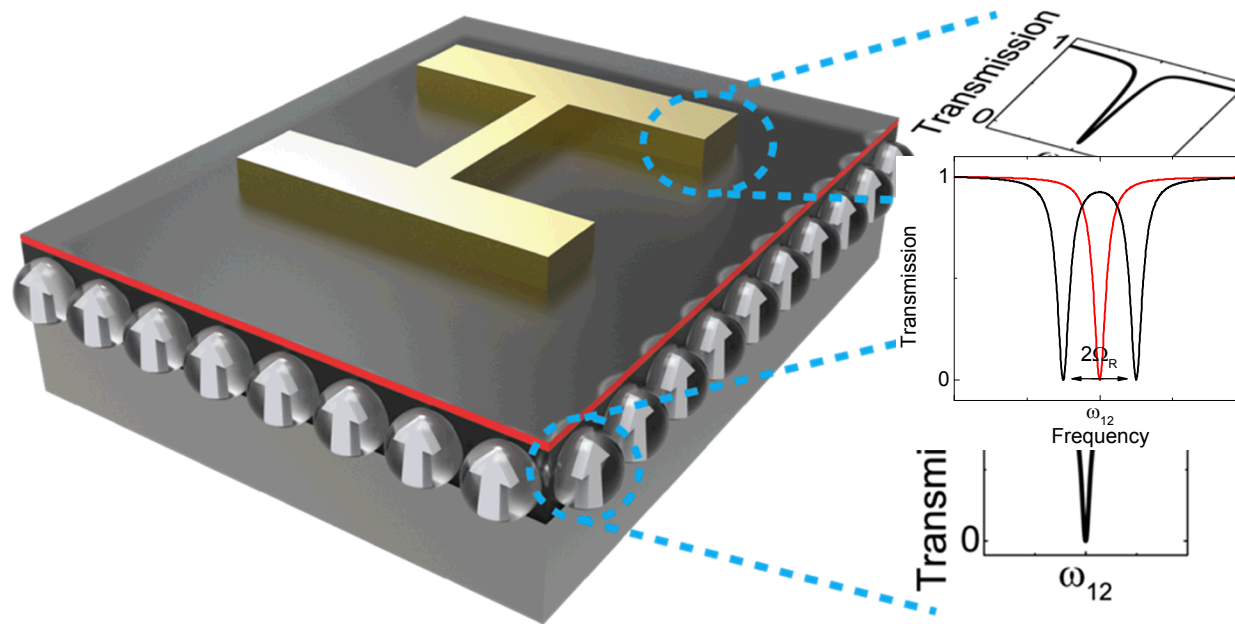
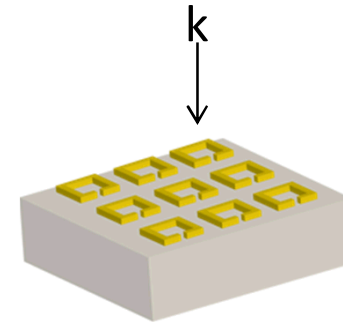
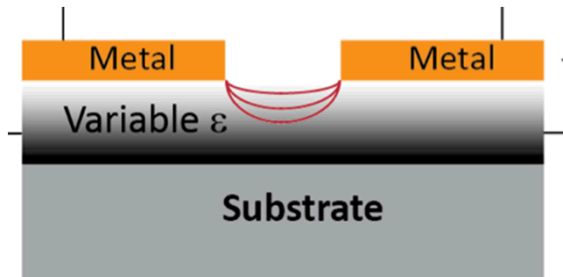
(With Rice Univ.)

Appl. Phys. Lett. 94, 213511
(2009)



16 mm

Planar Metamaterials Resonators: Strong Coupling

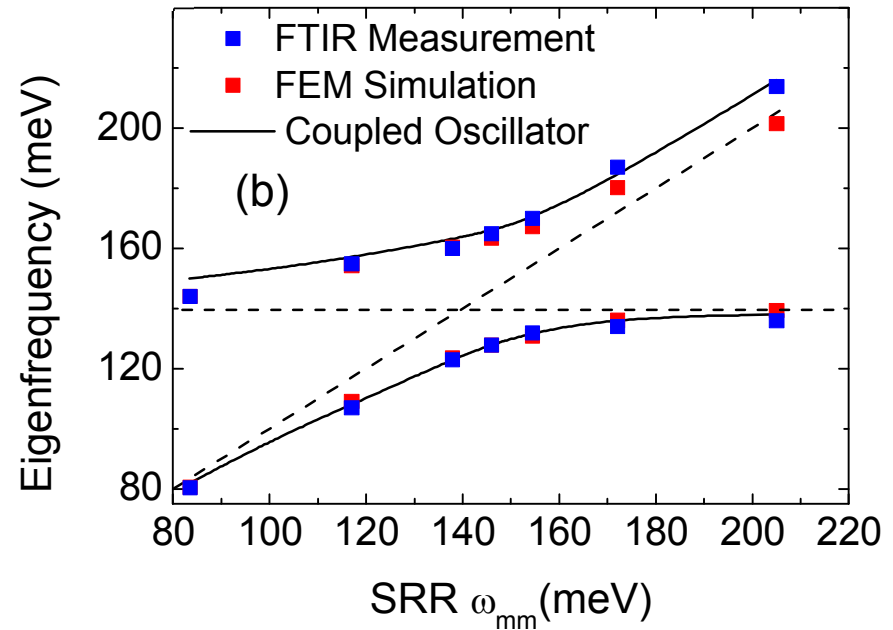
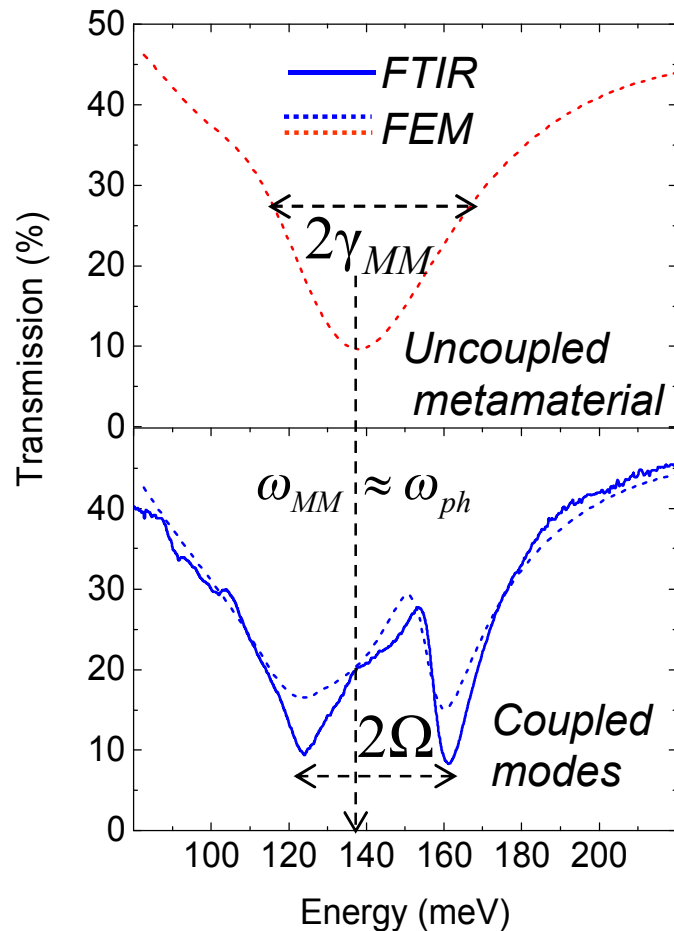
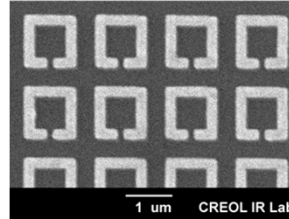
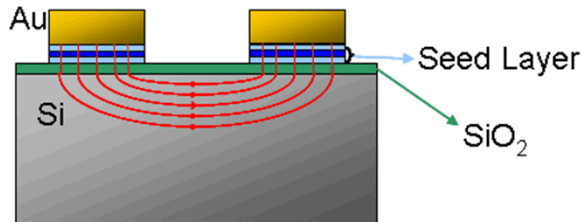


2D resonators (or metasurfaces):

- subwavelength
- large cross section
- Spectral response is extremely sensitive to local changes in ϵ
- Field decays from the metal surface exponentially into the substrate

Strong Coupling: MM & Phonons

Oxide is only 10nm!



$$V^2 = (\omega_{MM} - \omega - i\gamma_{MM}\omega)(\omega_{ph} - \omega - i\gamma_{ph}\omega)$$

Linewidth of phonon is comparable to MM

$$\Omega = \sqrt{4V^2 - (\gamma_{MM} - \gamma_{ph})^2}$$

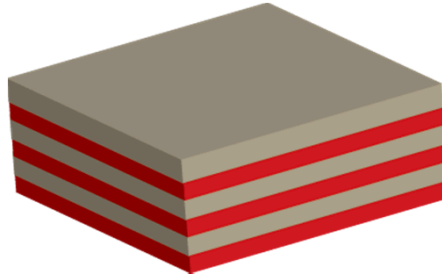
Strong Coupling to Inter-subband Transitions in Quantum Wells



Alex Benz

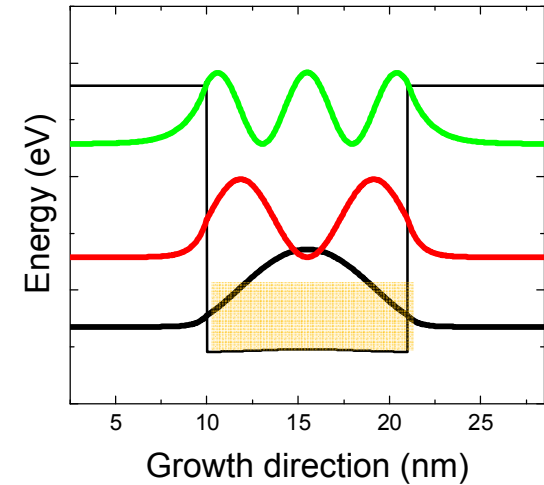
- Scalable (far IR to near IR), Mature, Versatile

Opt. Express 20, 6584 (2012),
APL 98, 203103 (2011)

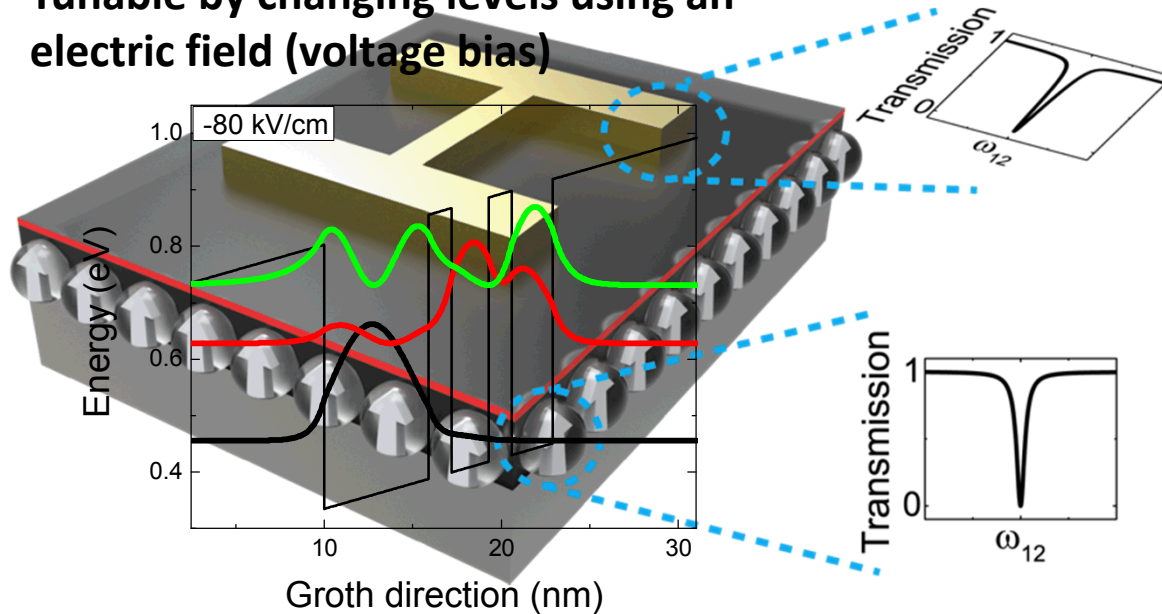


$\hat{z}$

$$\epsilon_{xx} = \epsilon_{yy} \neq \epsilon_{zz}$$

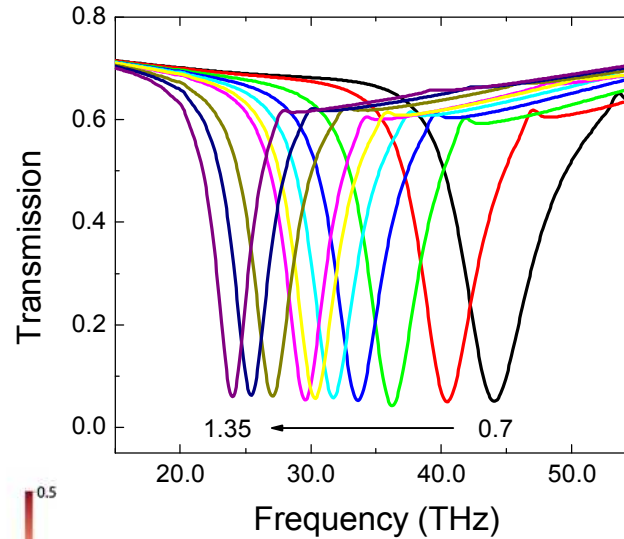
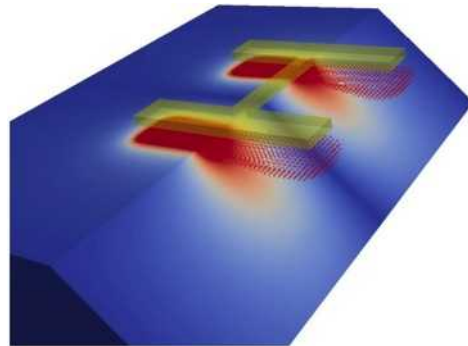
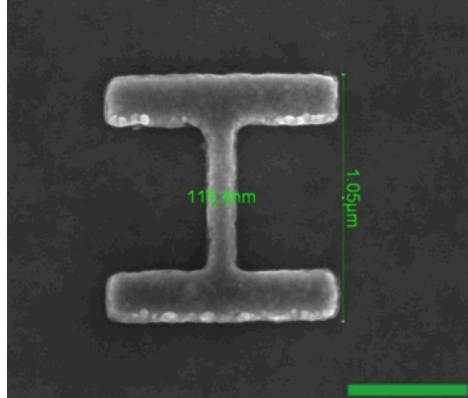


Tunable by changing levels using an electric field (voltage bias)

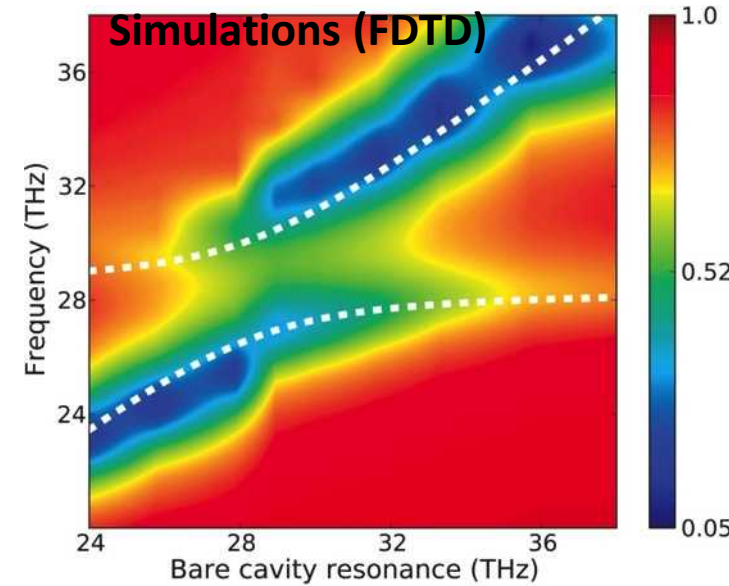


Strong Coupling Theory vs. Experiment

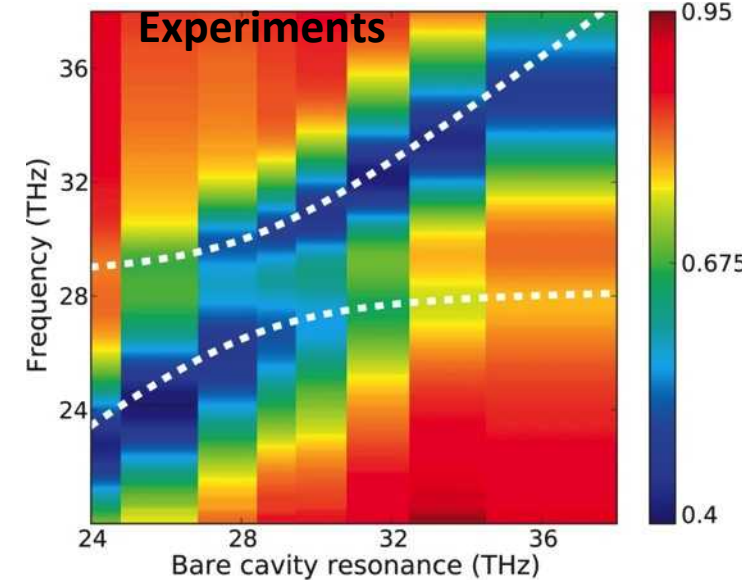
"Dogbone" resonators



Simulations (FDTD)



Experiments



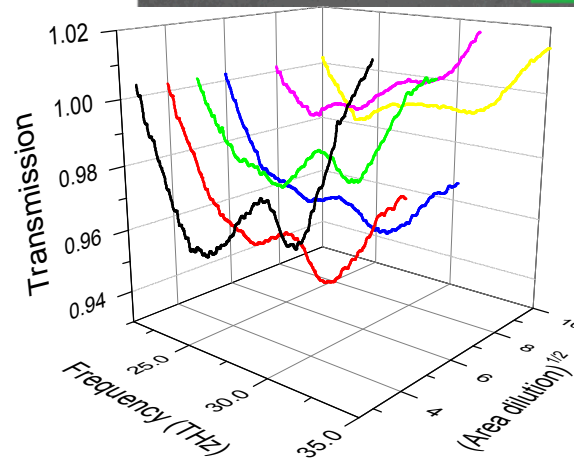
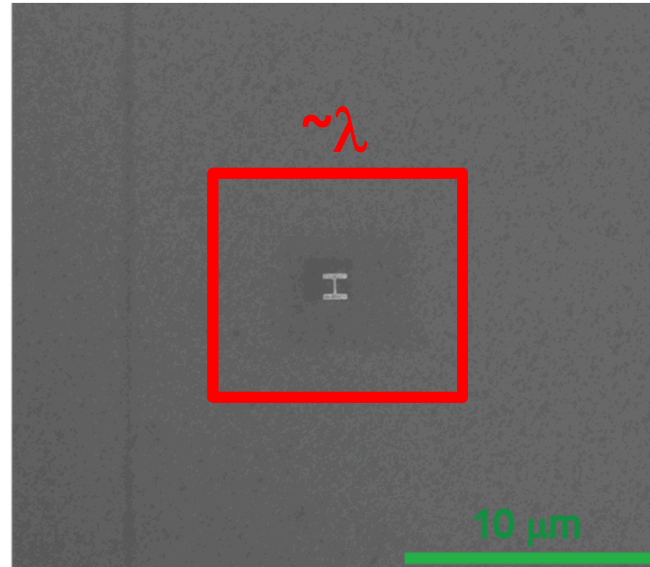
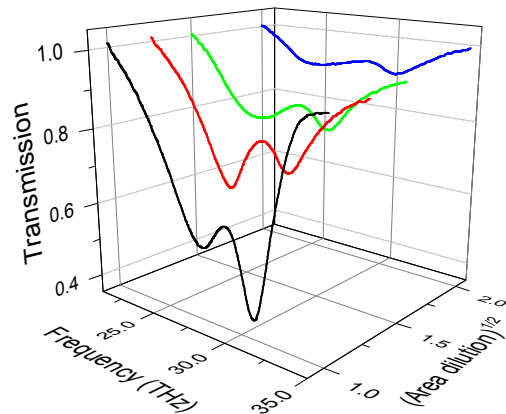
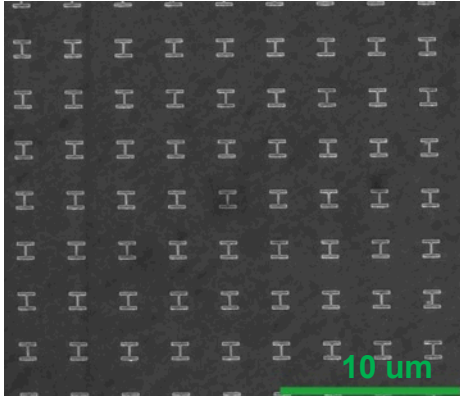
Rabi frequency depends on simple parameters

Plasma frequency

$$\Omega_R = \sqrt{f_W \omega_p} / 2$$

Geometry factor

This is a “Single Resonator” Behavior



Same Rabi splitting remains down to a single resonator!

Nature communications **4**, (2013)

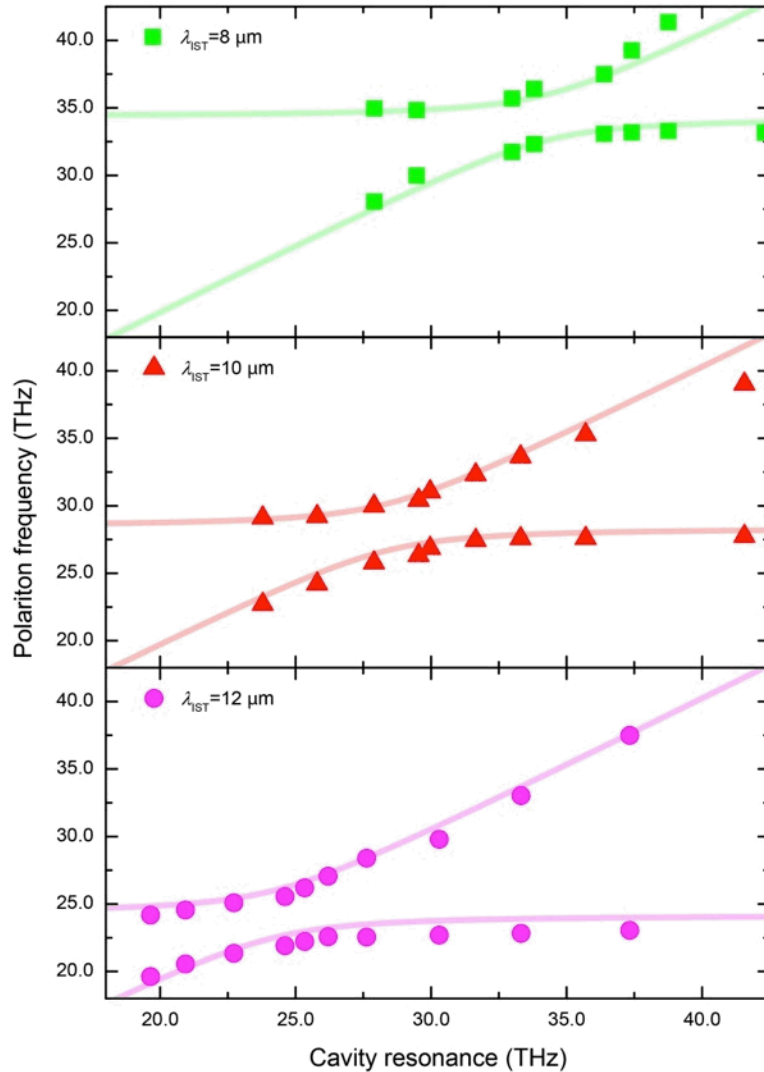
Area of a resonator * carrier density $\sim 1000\text{-}3000$ electrons!



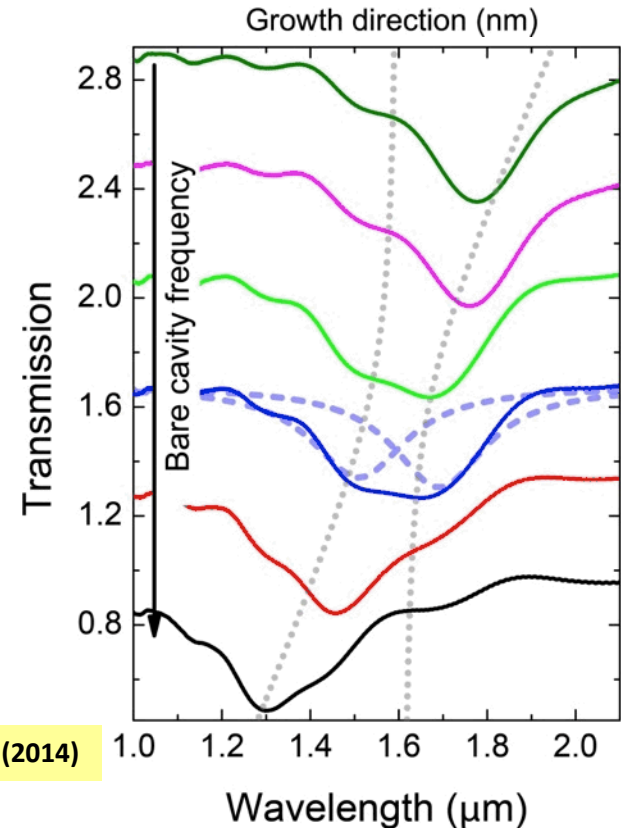
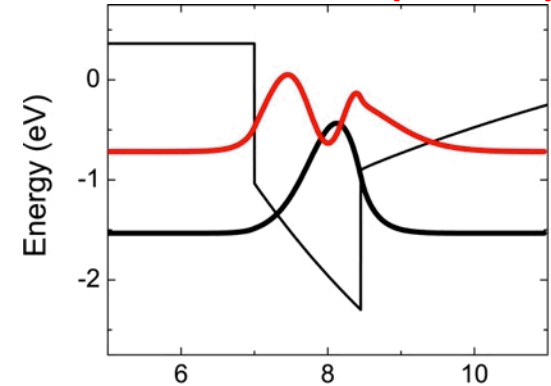
Alex Benz

From Mid-IR to Near IR

InGaAs QWs (mid IR)

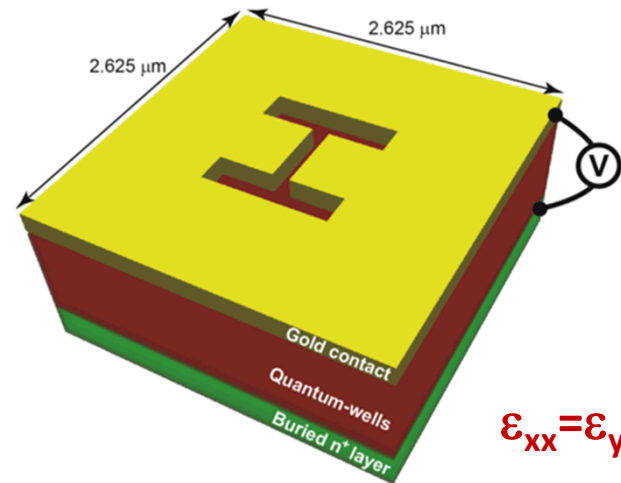


GaN QWs (near IR)

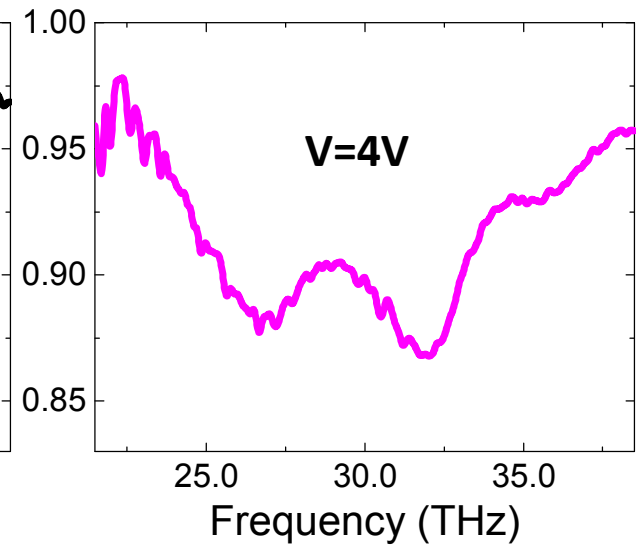
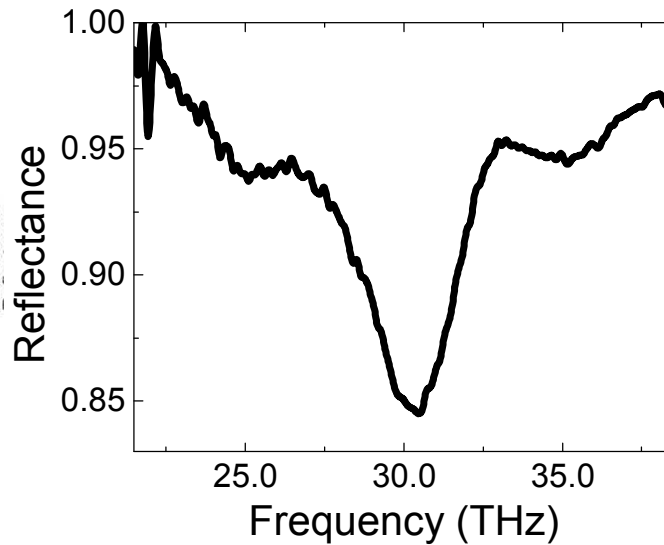
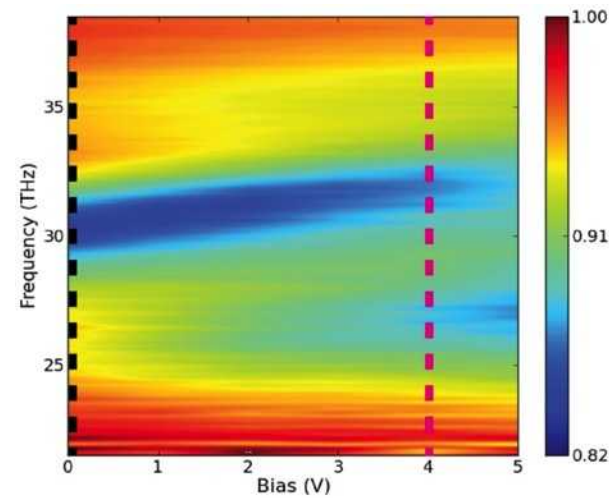
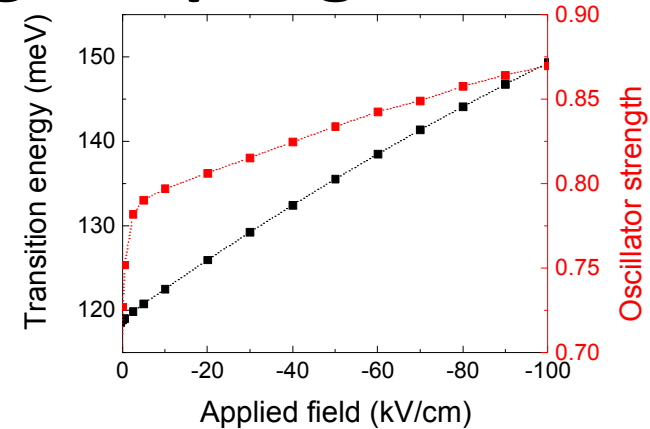
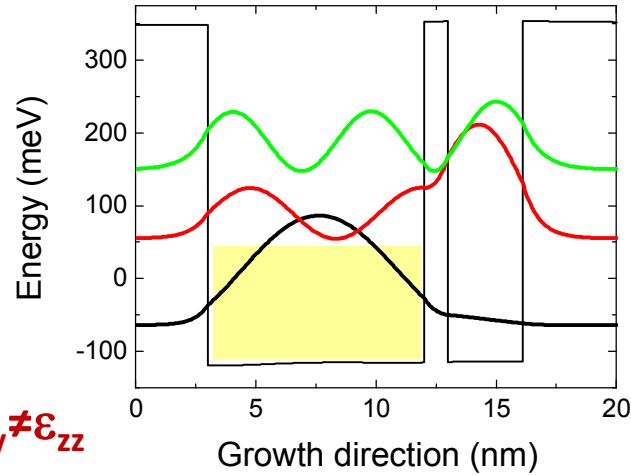


ACS Photonics (2014)

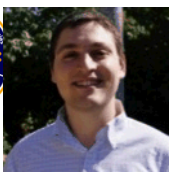
Electrically Tunable Strong Coupling



$$\epsilon_{xx} = \epsilon_{yy} \neq \epsilon_{zz}$$



Upper polariton shifted by 2.5 THz (~8% of center frequency)

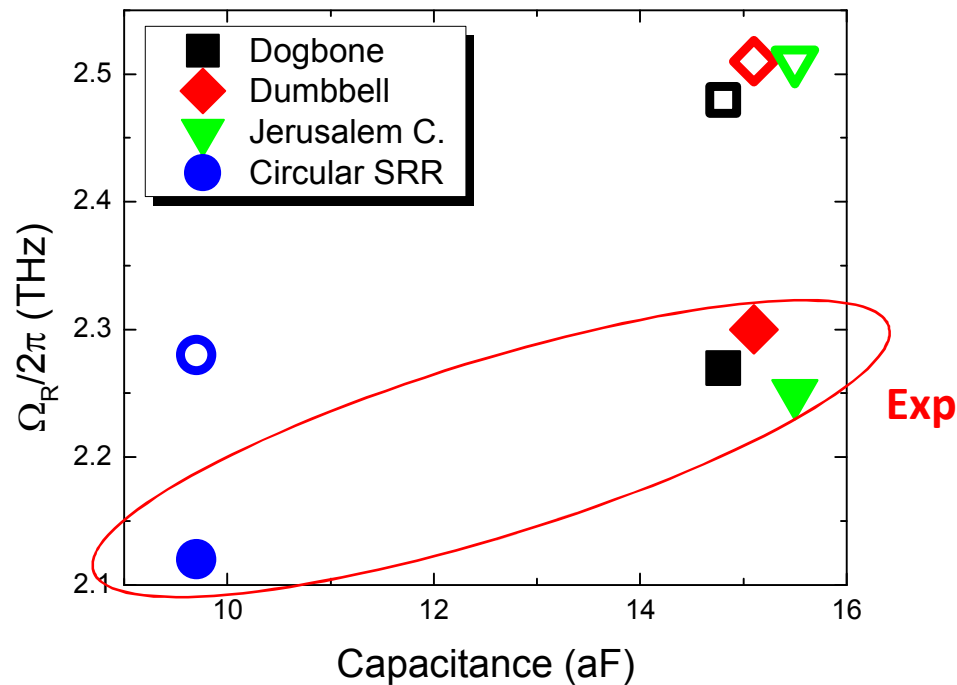
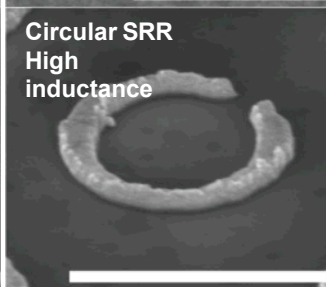
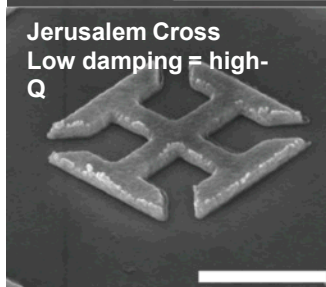
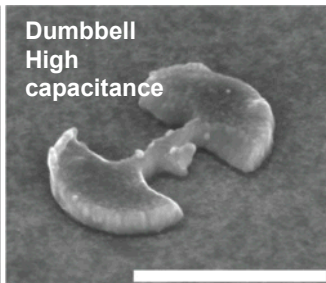
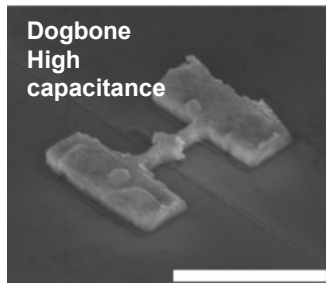
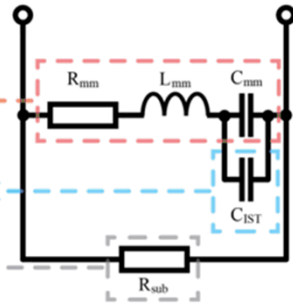
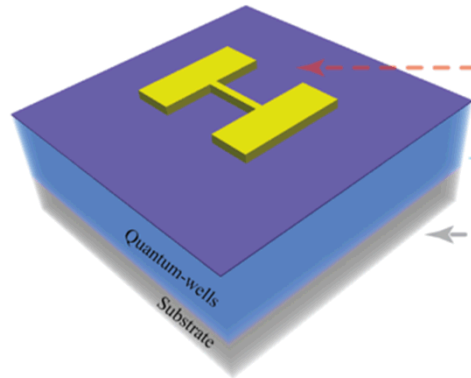


Salvo



Alex

Rabi Frequency vs. Geometry



Physical Review B9, 165133 (2014)
NanoLetters (2015)

- Larger capacitance leads to larger Rabi splitting

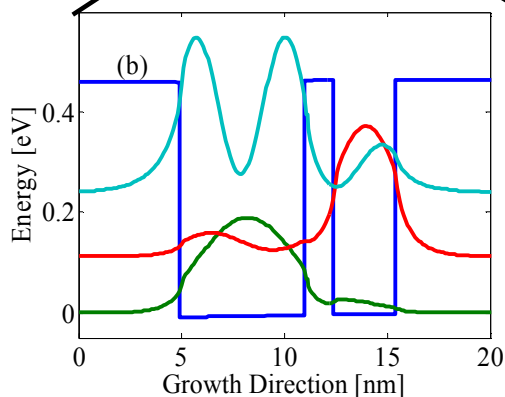
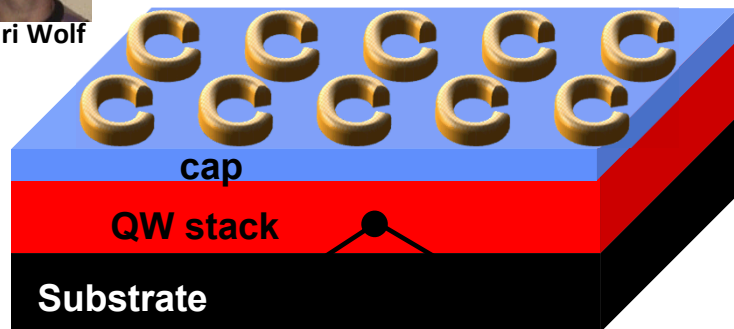


SHG From Strongly Coupled MMs and Intersubband Transitions

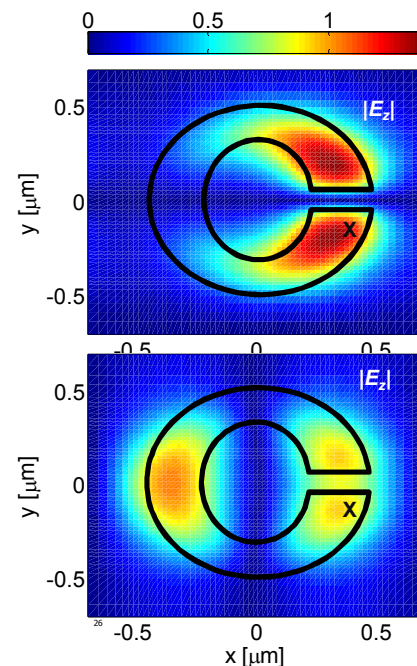
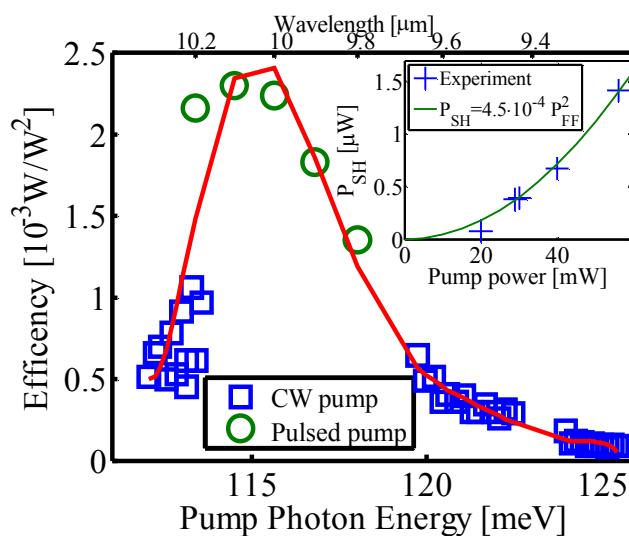
Resonators are designed to have resonances at 30 & 60 THz



Omri Wolf



3 levels are designed to create a $\chi^{(2)}$



High Efficiency with $\sim 700\text{nm}$ thickness!

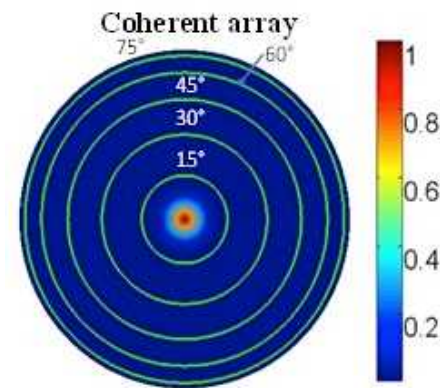
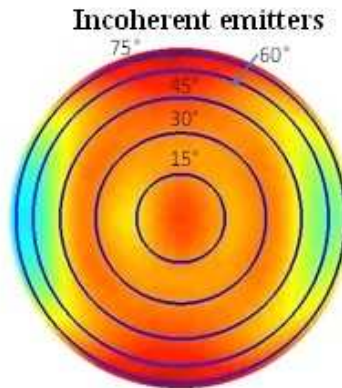
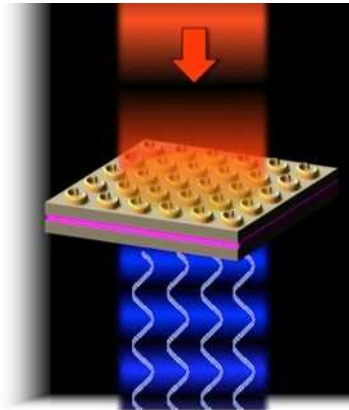


Spatial Coherence: each resonator acts as a point source of SHG



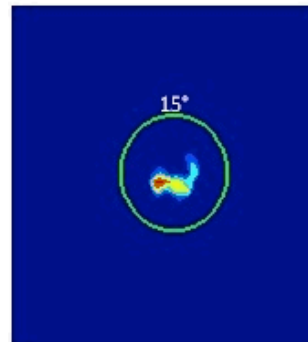
Omri Wolf

- We simulate the radiation pattern of two cases:
 - the nanocavities emit incoherently
 - the nanocavities are coherent and the relative phase of the emitted radiation is determined by the FF pump



Simulation

- The spatial coherence of the resonators is then proven experimentally:

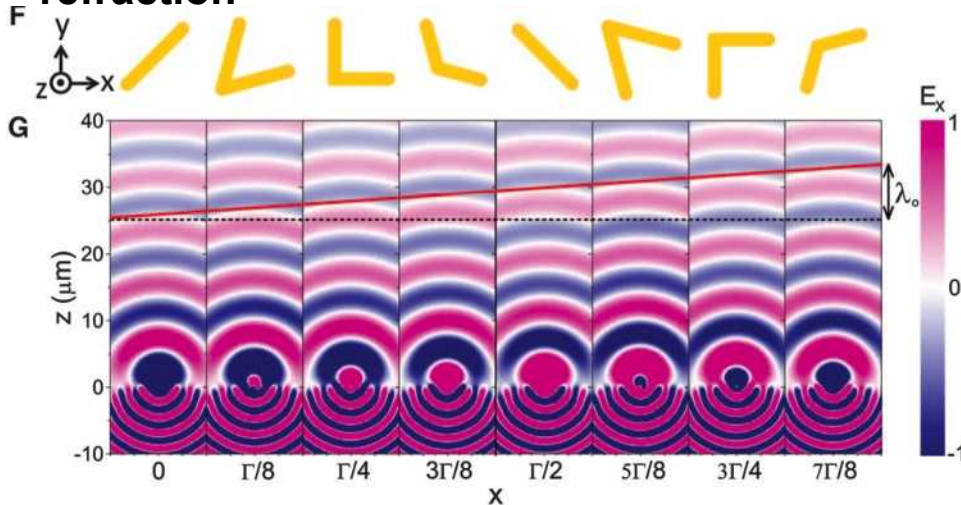


Experiment

All the resonators act as a collection of phase coherent sources of SH radiation

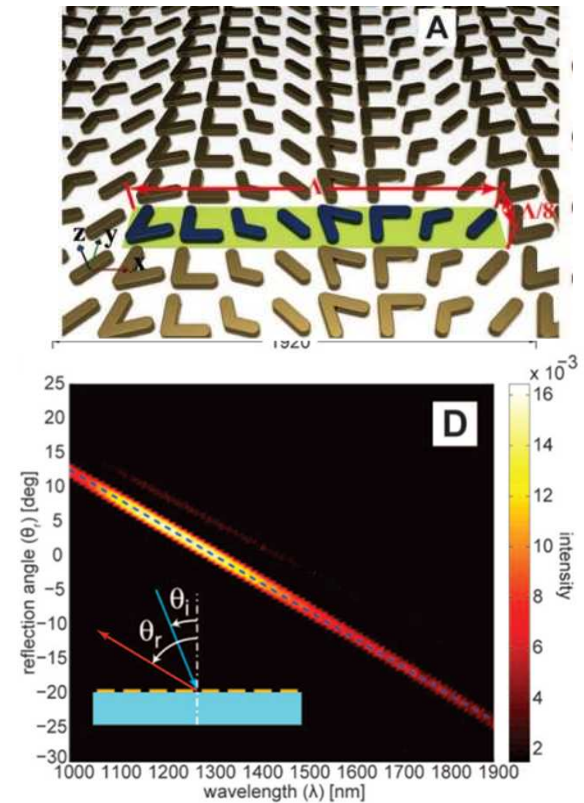
Beam Manipulation With Metasurfaces

Phase gradient to achieve anomalous refraction



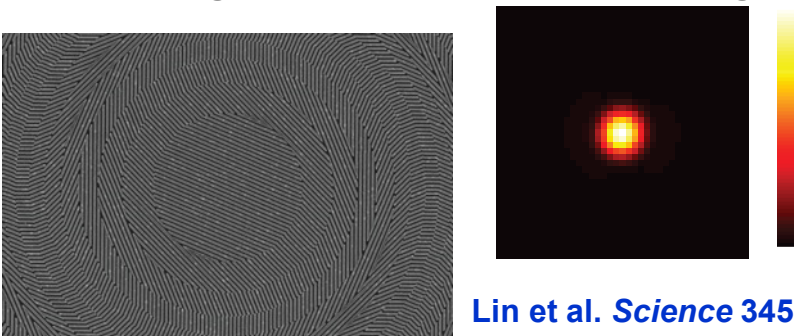
Yu et al. *Science* 334, 333 (2011)

Phase gradient to achieve anomalous reflection



Ni et al. *Science* 335, 427 (2012)

Phase gradient to achieve lensing



Lin et al. *Science* 345, 298 (2014)

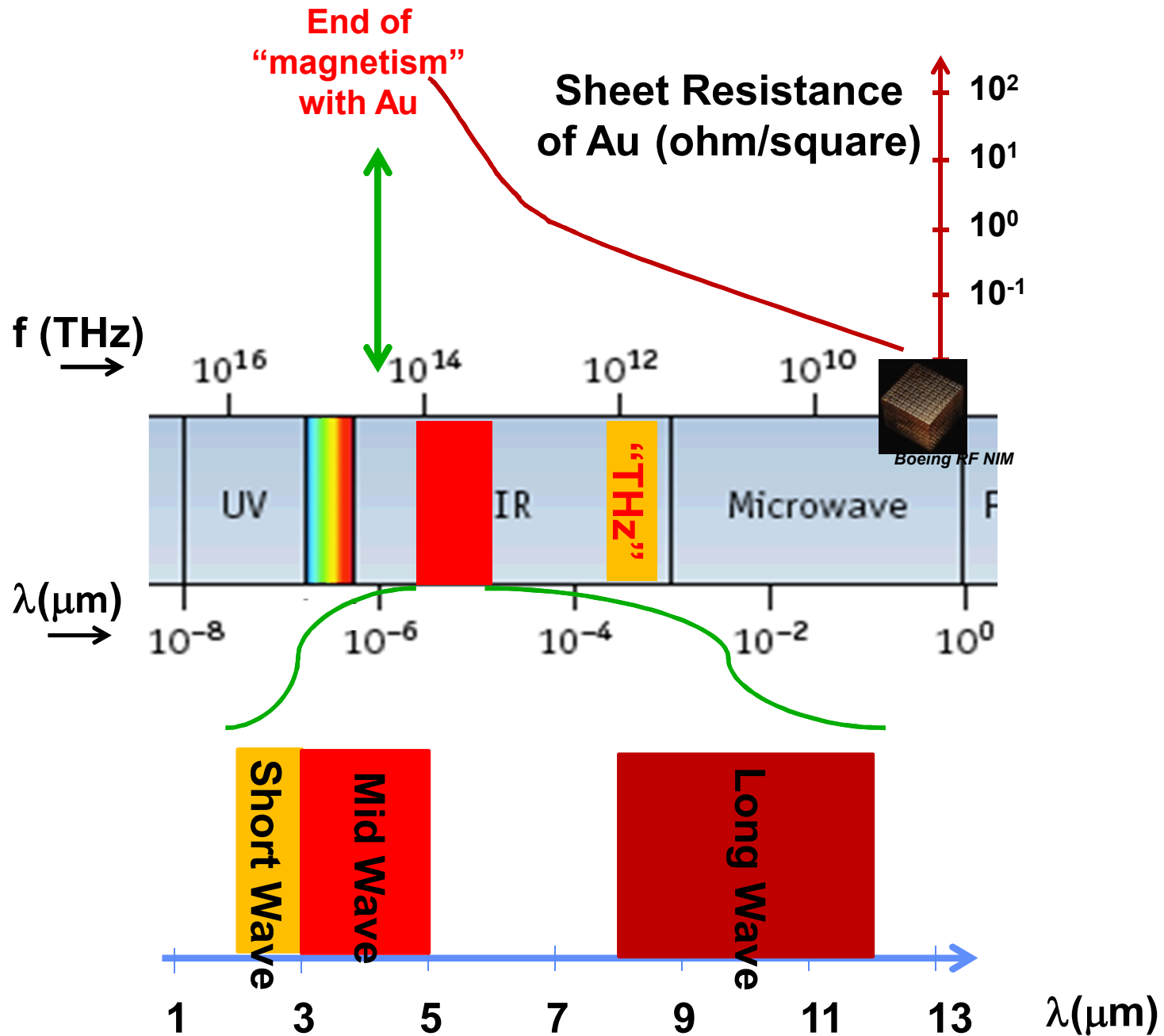
We can do this at the SH wavelength:
non-degenerate



Outline

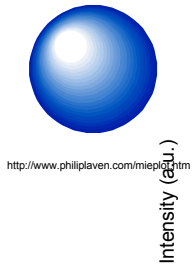
- **Metallic Metasurfaces**
 - Tuning
 - Strong Coupling
 - Nonlinearities
- **All Dielectric Metasurfaces**
 - Fundamentals
 - Optical Magnetism
 - Directional Emission, Fano Resonances, and third-harmonic Generation

What's wrong with metals? LOSS!!
(at higher frequencies (shorter wavelengths))

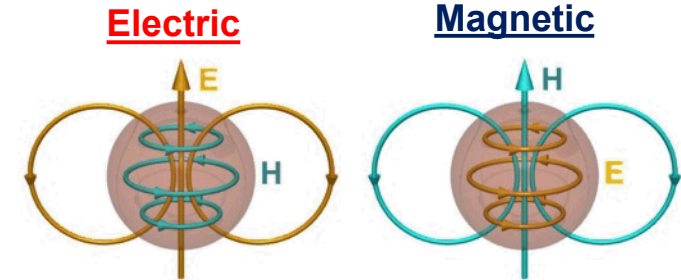
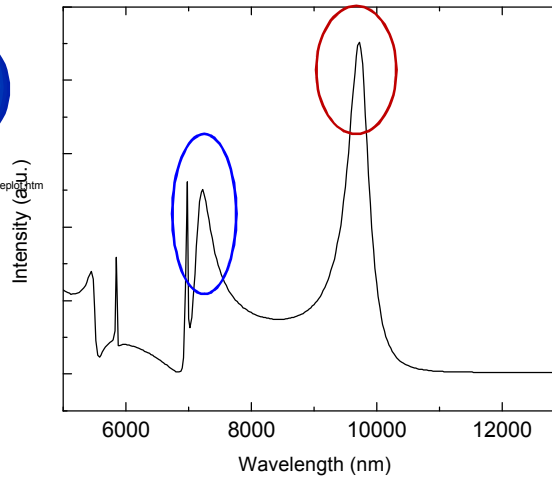


A Non-Metallic Path to Low Loss Metamaterials: Dielectric Resonators

Gustav Mie



<http://www.philipaven.com/mieplot.htm>



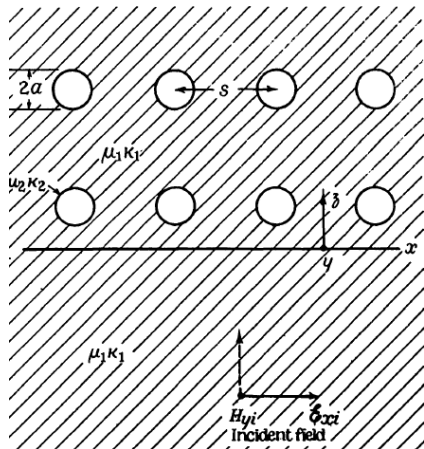
First (Primary) resonance is magnetic dipole for most materials; **Second is electric dipole**

Images: A. Miroshnichenko

THE ELECTRICAL CONSTANTS OF A MATERIAL LOADED SPHERICAL PARTICLES*

By L. LEWIN.†

(The paper was first received 4th March, and in revised form 27th September, 1946.)



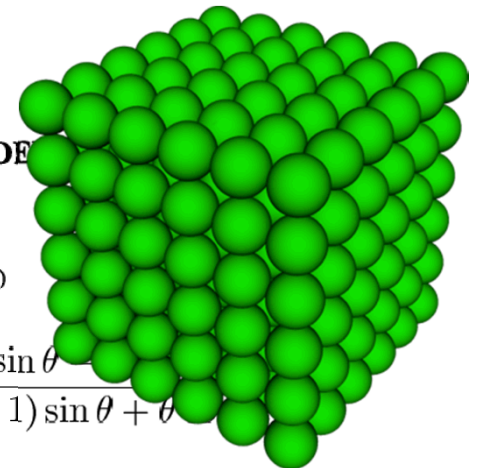
$$\mu'_{re} = \mu_{r1} \left(1 + \frac{3v_f}{\frac{F(\theta) + 2b_m}{F(\theta) - b_m} - v_f} \right)$$

$$\epsilon'_{re} = \epsilon_{r1} \left(1 + \frac{3v_f}{\frac{F(\theta) + 2b_e}{F(\theta) - b_e} - v_f} \right)$$

$$F(\theta) = \frac{2(\sin \theta - \theta \cos \theta)}{(\theta^2 - 1) \sin \theta + \theta}$$

$$\theta = k_0 a \sqrt{\epsilon'_{r2} \mu'_{r2}}$$

$$b_e = \frac{\epsilon_1}{\epsilon_2}, \quad b_m = \frac{\mu_1}{\mu_2}$$



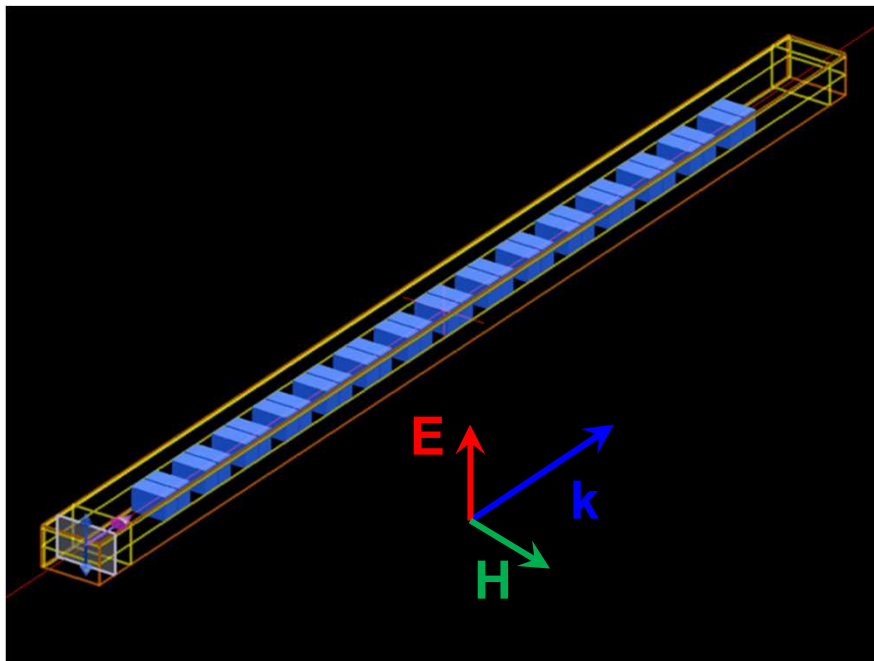


Full Wave Simulation of Propagation Through Split Cube Array

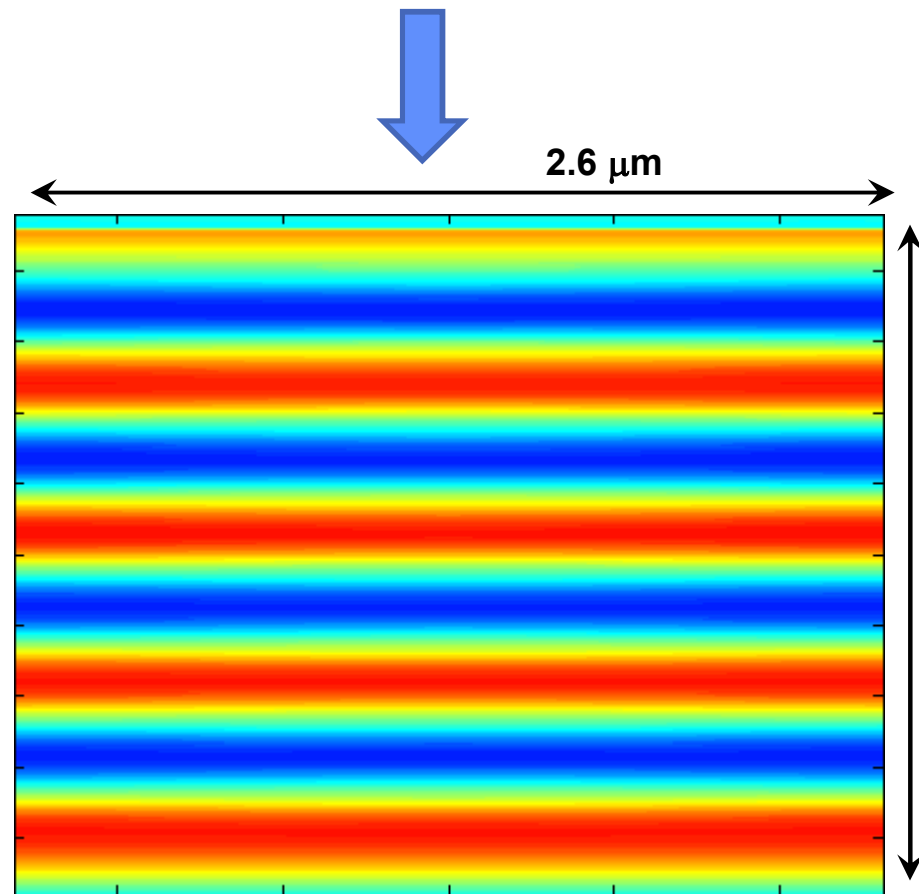
$\epsilon=32$, edge = $1.53 \mu\text{m}$, gap = 100 nm

H_x at top of unit cell ($z=1.3 \mu\text{m}$)
Incident waves

Lumerical FDTD

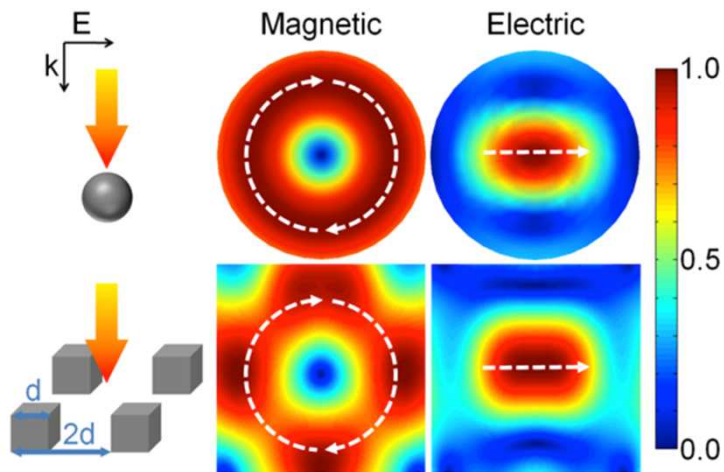
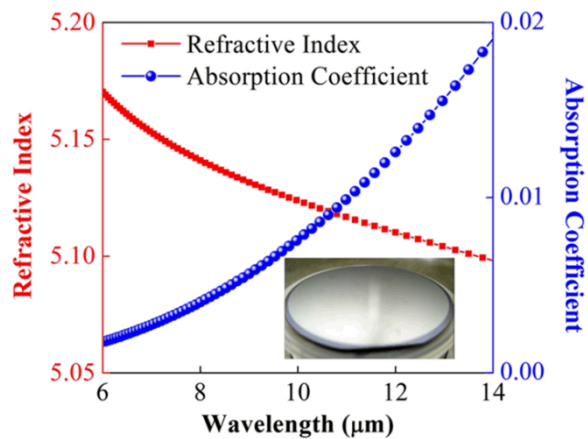


Periodic BC in x & z, 15 cubes thick in y

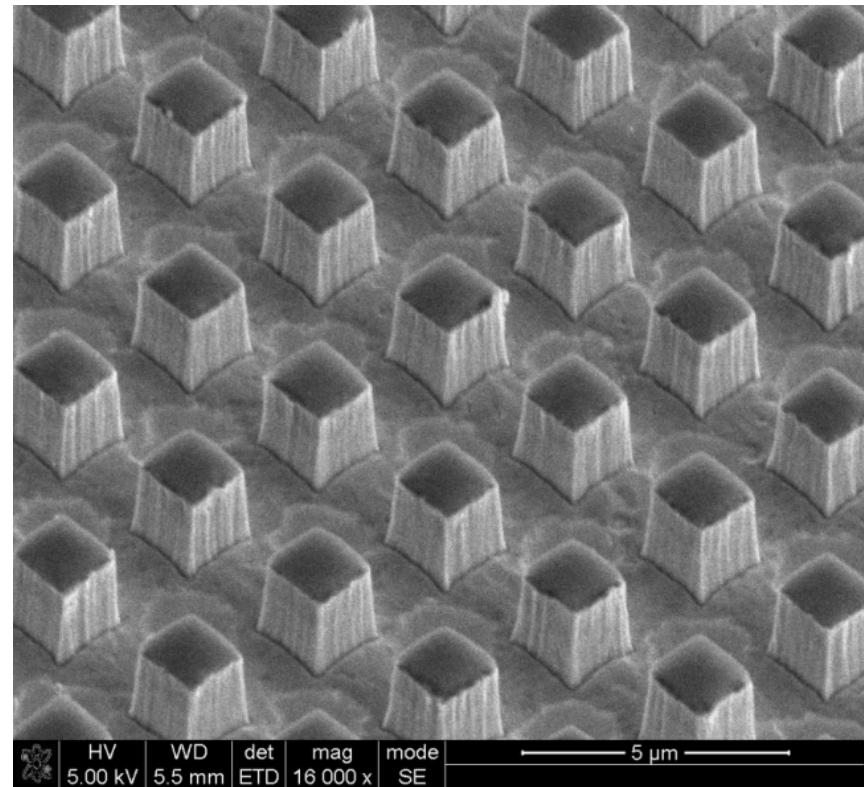




Dielectric Resonator IR Metasurface: Te/BaF_2



Mask + RIE etch

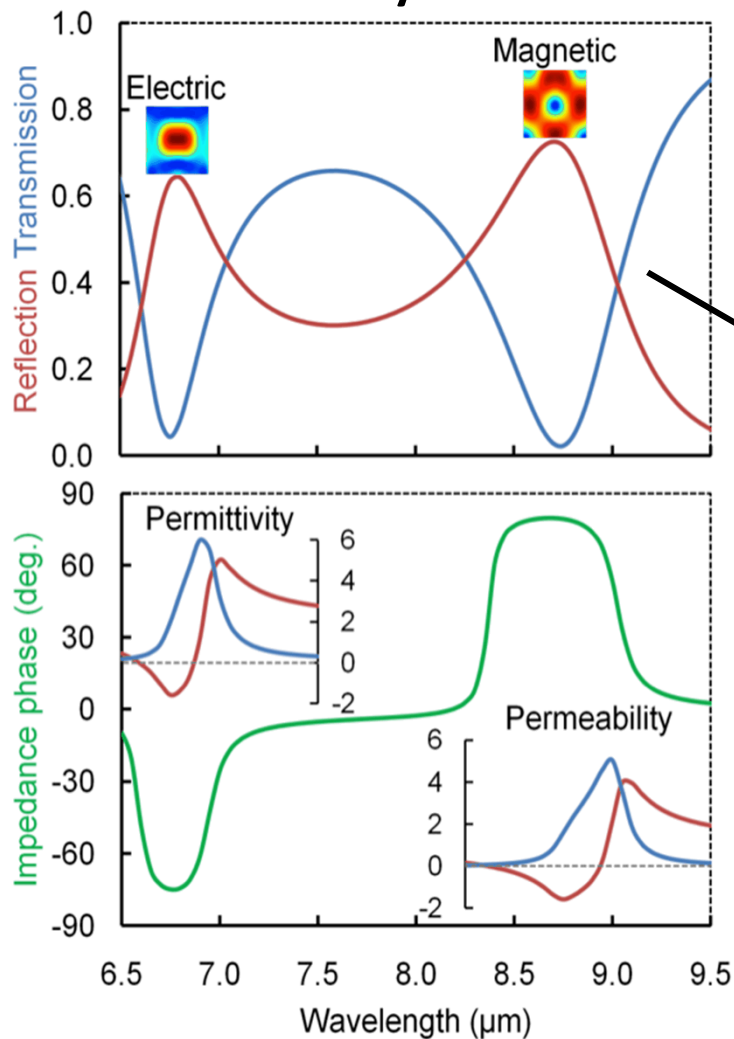


$1.53 \times 1.53 \times 1.7 \text{ mm}^3$
10 deg wall slope

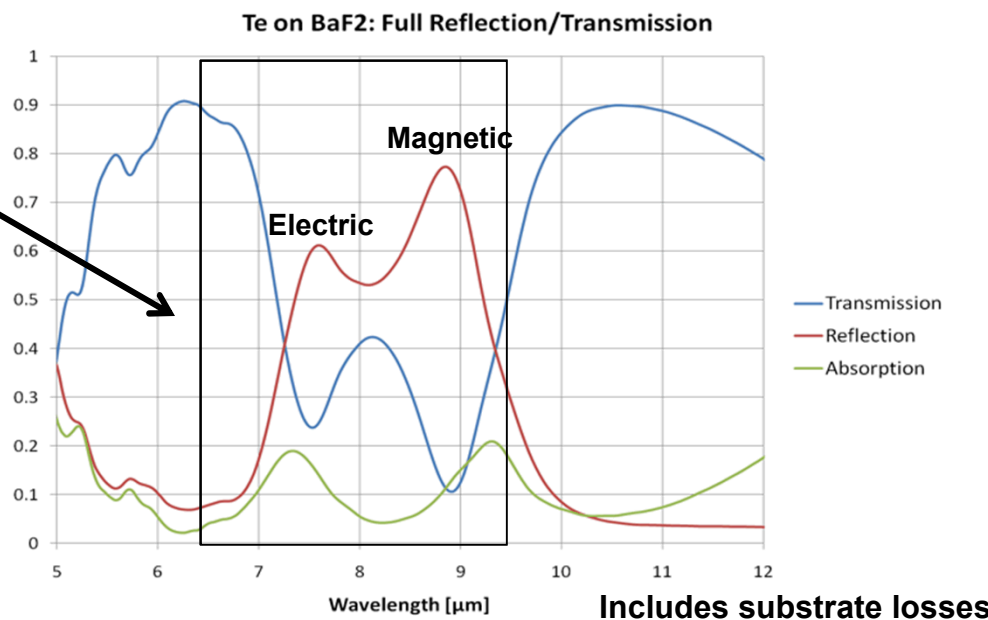


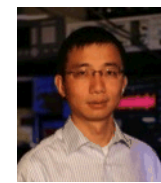
Dielectric Resonator IR Metasurface: Te/BaF_2

Theory



Experiments



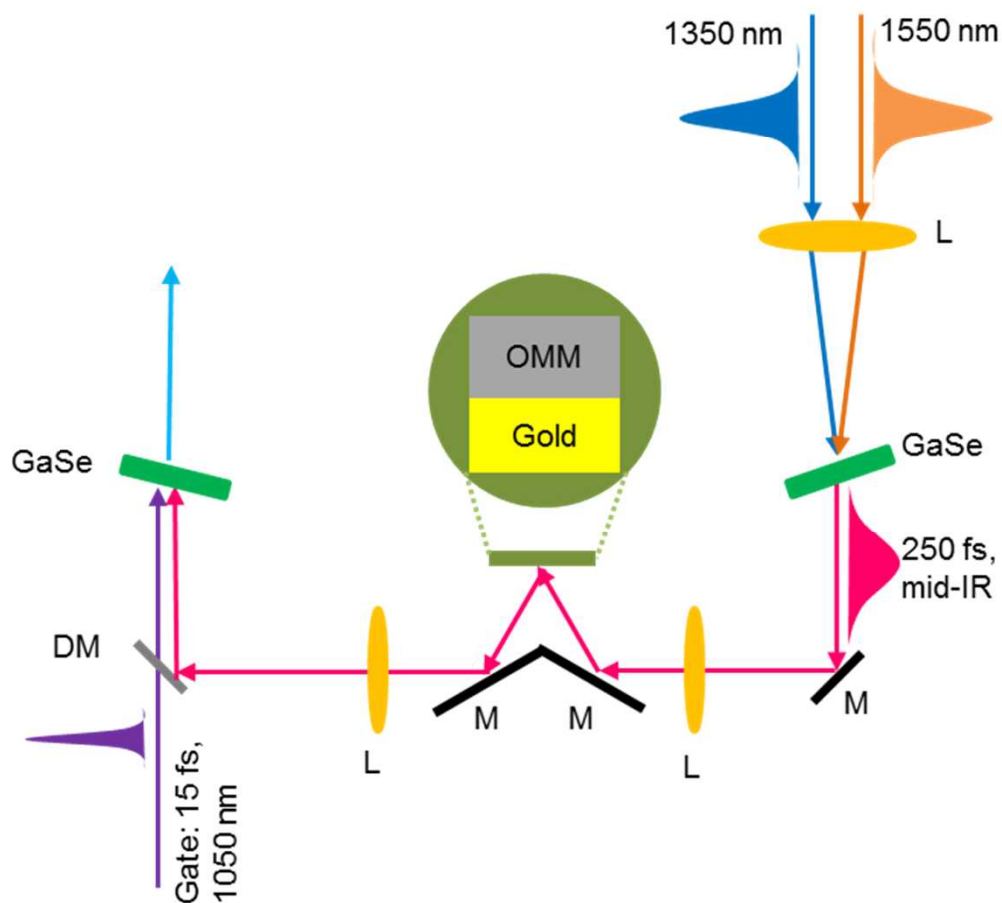
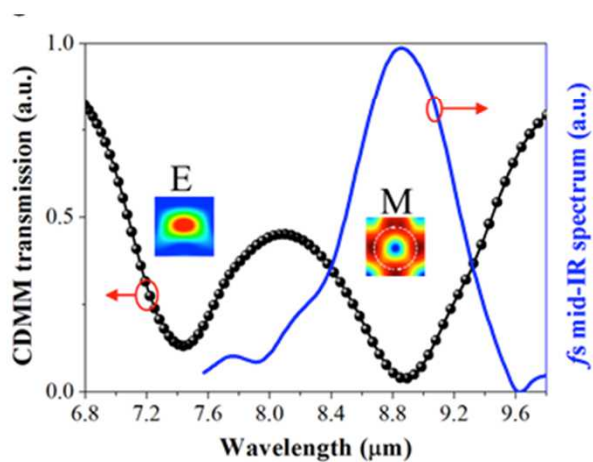
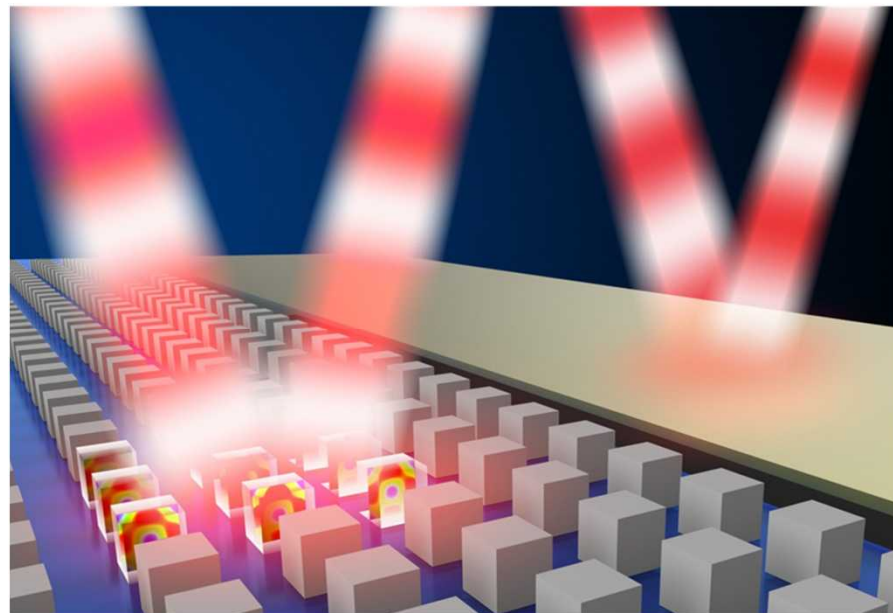


Sheng Liu

Proving Optical Magnetism: Measure Absolute Phase of Reflected Wave

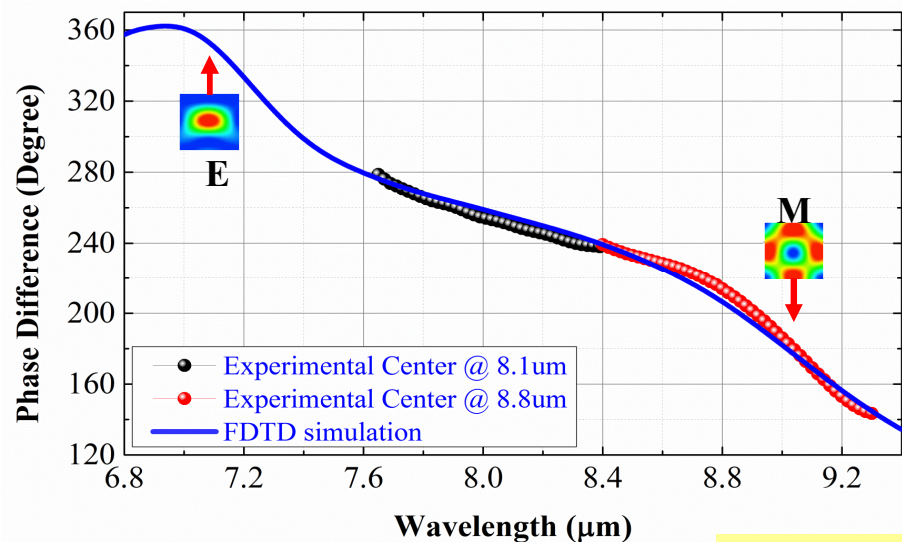
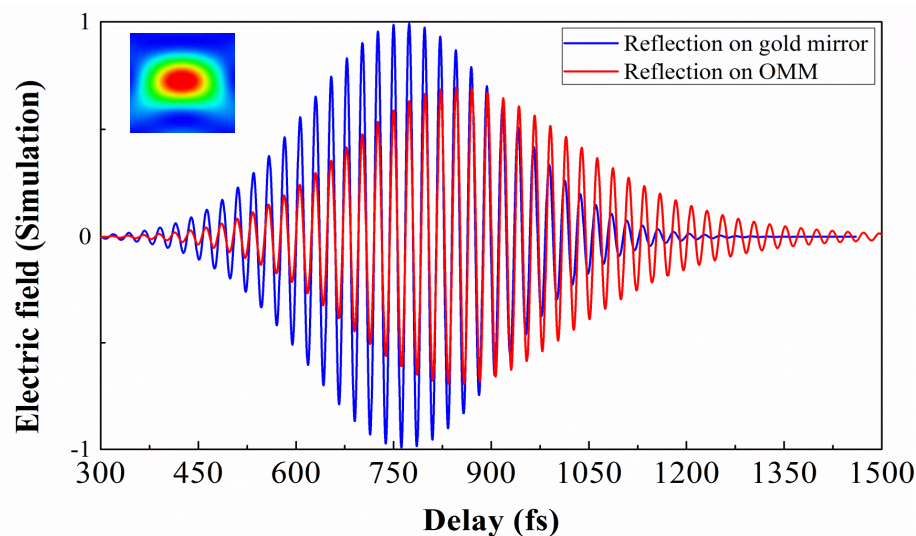
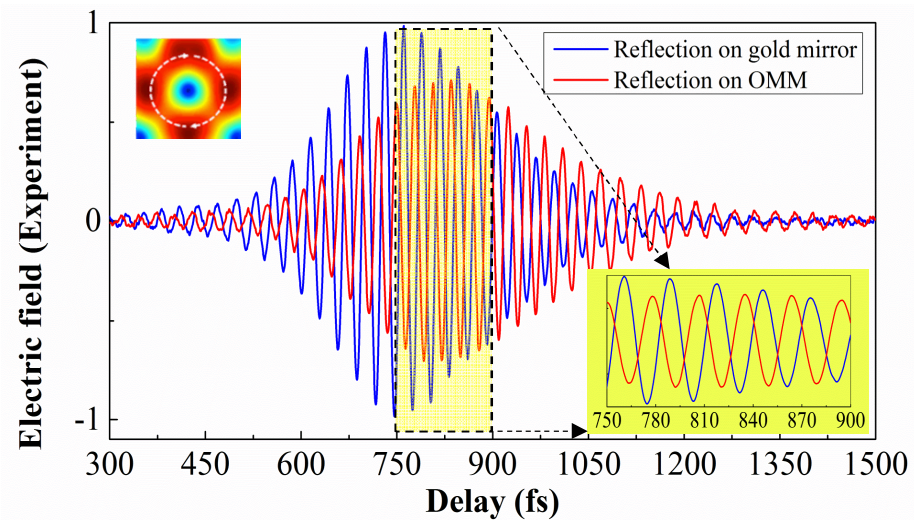
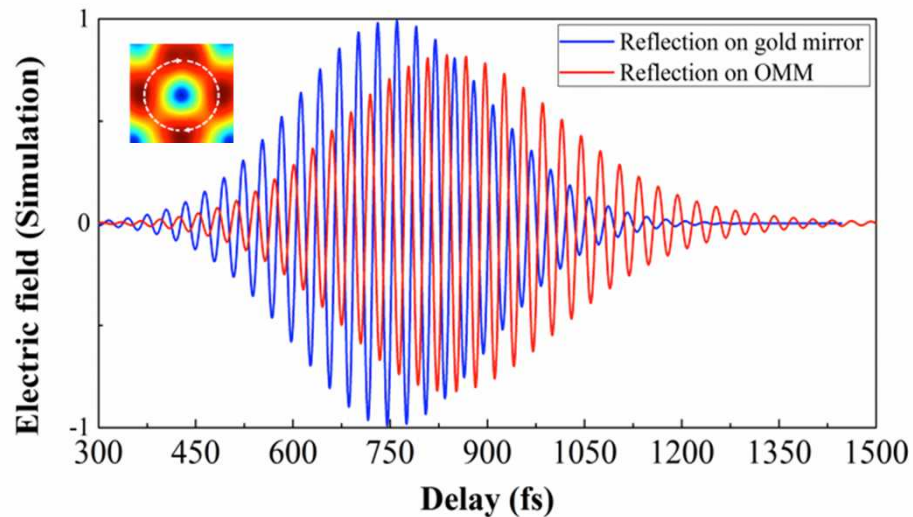
a

Phase-locked Time Domain Spectroscopy

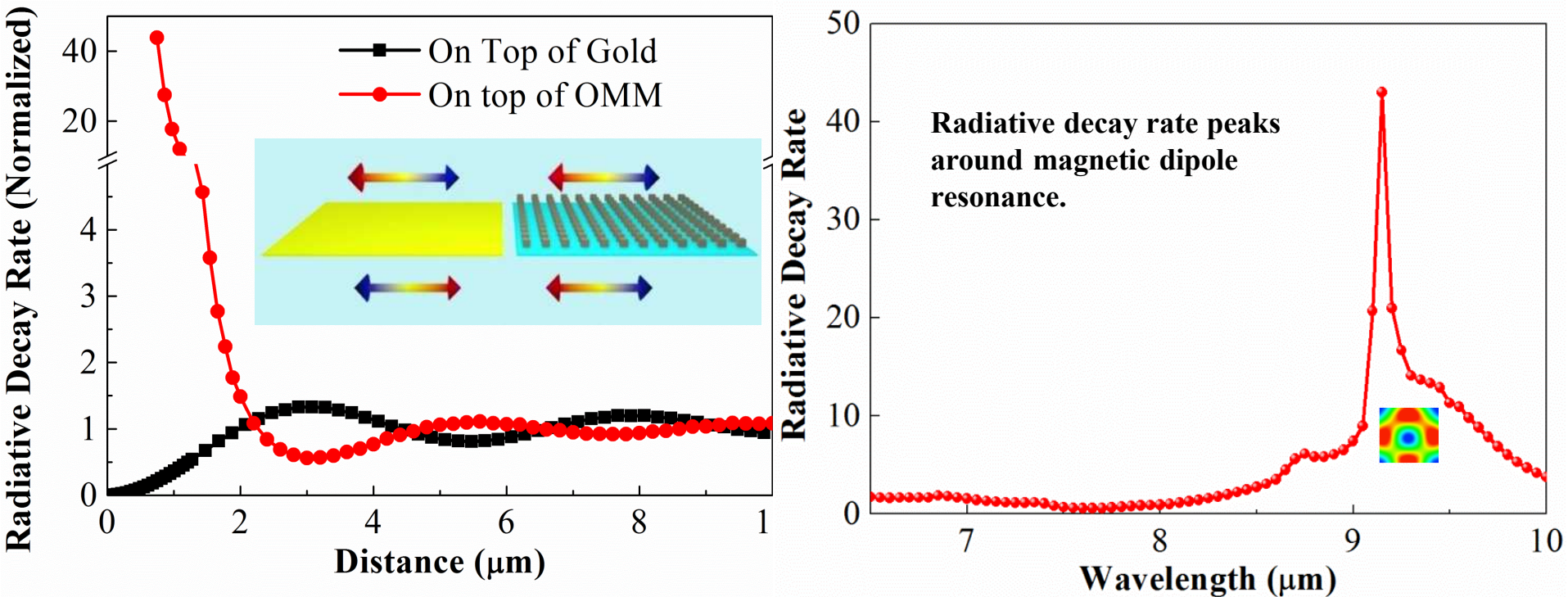




Experimental Demonstration of “Optical Magnetism”

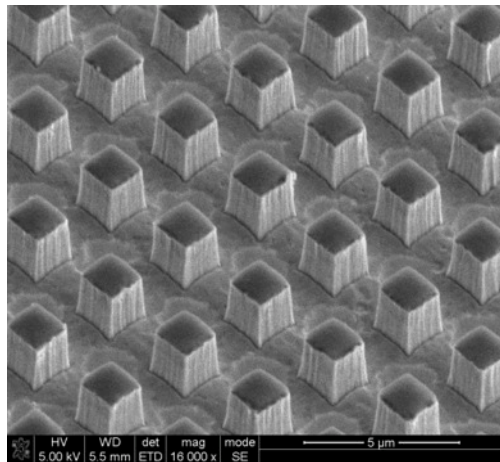


Radiative Decay Rate of a Transverse Electric Dipole Near Au and OMM Surfaces

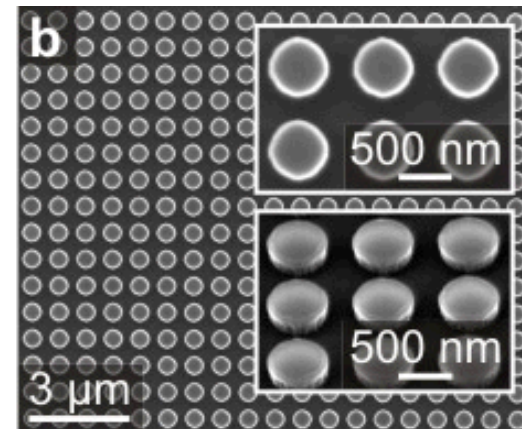


- Oscillatory dependence on distance is shifted by about half a period
- Dipole emission near the magnetic mirror is enhanced even for very small distances

Scaling Dielectric Resonators to the Near IR: Silicon Nanostructures

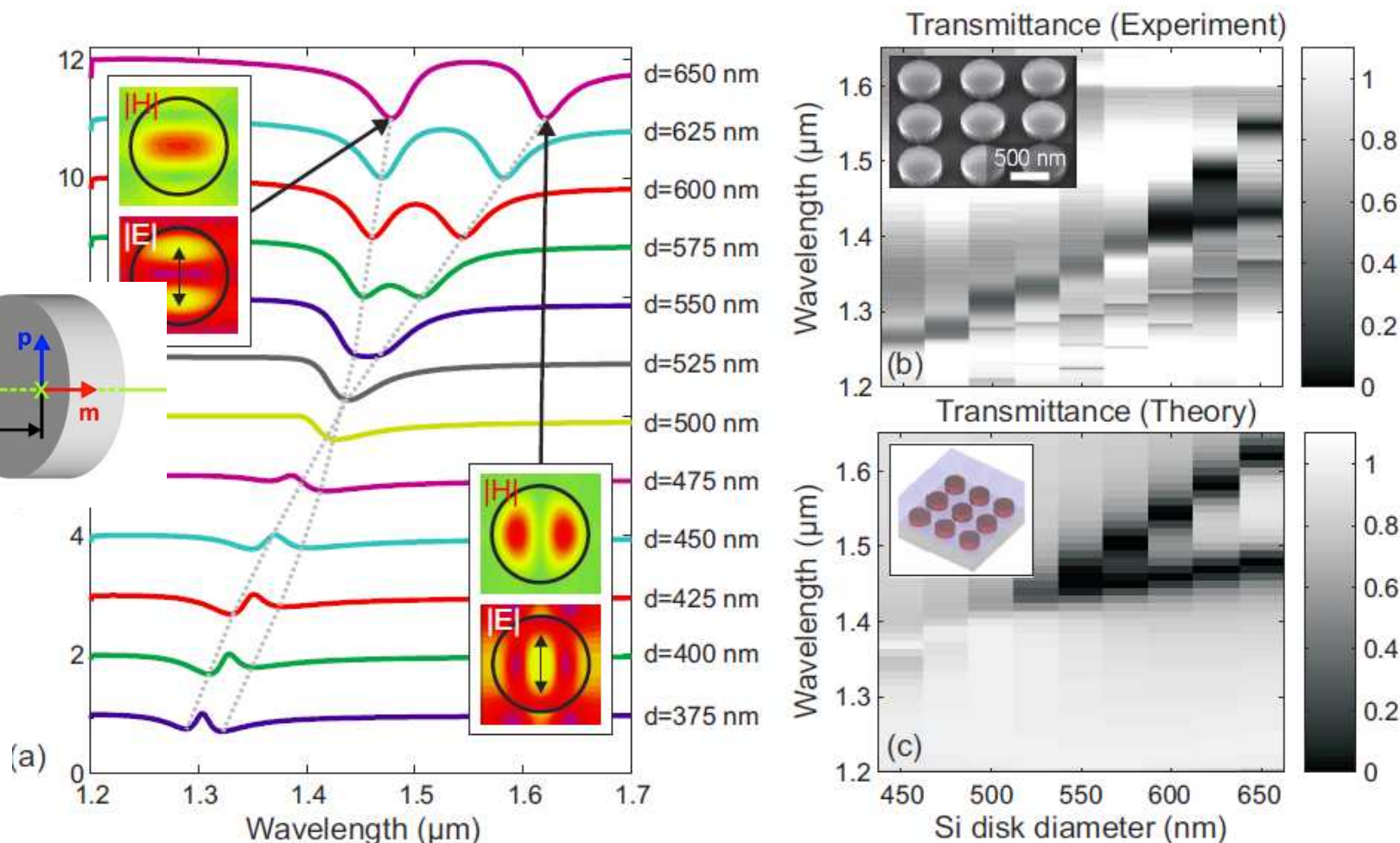


Tellurium: $n \sim 5$, Size $\sim 1.5 \mu\text{m}$
 $\lambda > 5 \mu\text{m}$



Silicon: $n \sim 3.5$, Size $< 200\text{-}500\text{nm}$
 $\lambda > 1 \mu\text{m}$

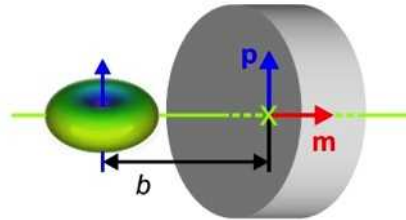
Scaling Dielectric Resonators to the Near IR: Silicon Cylinders (with I. Staude & Y. Kivshar, ANU)



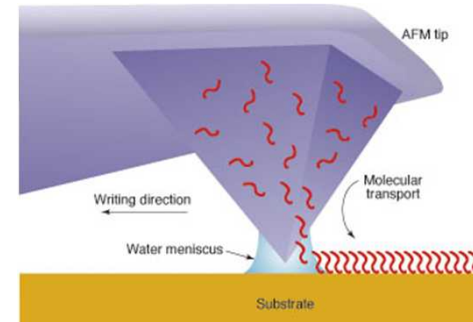
Changing the aspect ratio of the nanocylinder, changes relative position of E & H resonances

Integration with Quantum Dots

With J. Hollingsworth
and F. Darwood, LANL

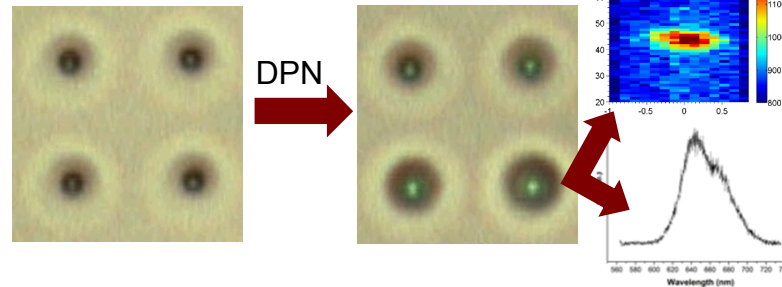


Dip-pen nanolithography



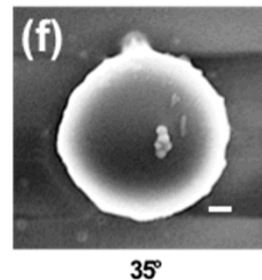
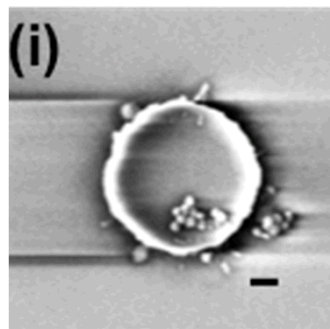
<http://str.llnl.gov>

Many QDs



QDs in protective polymer
coating selectively deposited
onto the tops of Si
nanoresonators

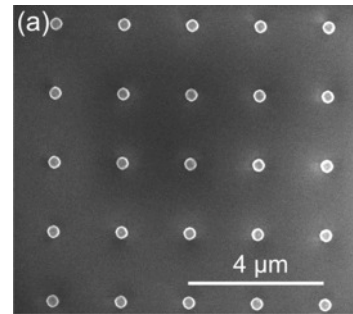
Towards Single QDs



(near-IR g-NQDs)
SEM: C. Sheehan, LANL

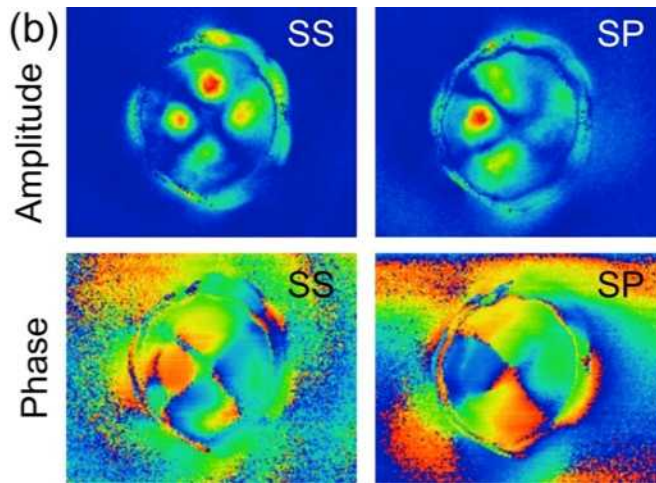
Near Field Imaging of Localized Modes

With Prof. Habteyes, UNM

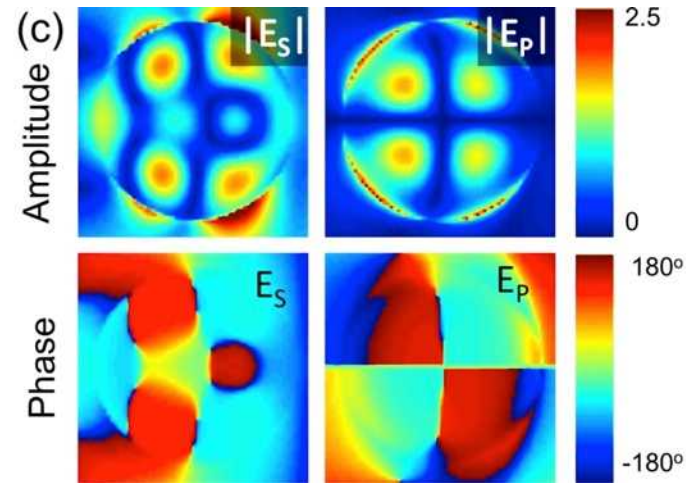


nanodisk diameter 412 nm,
nanodisk height 140 nm
 $\lambda=633\text{nm}$

Measurements



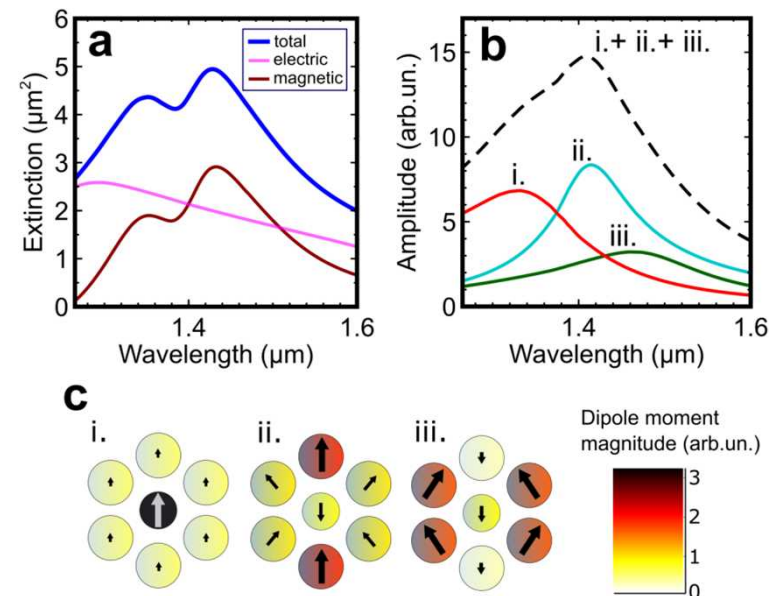
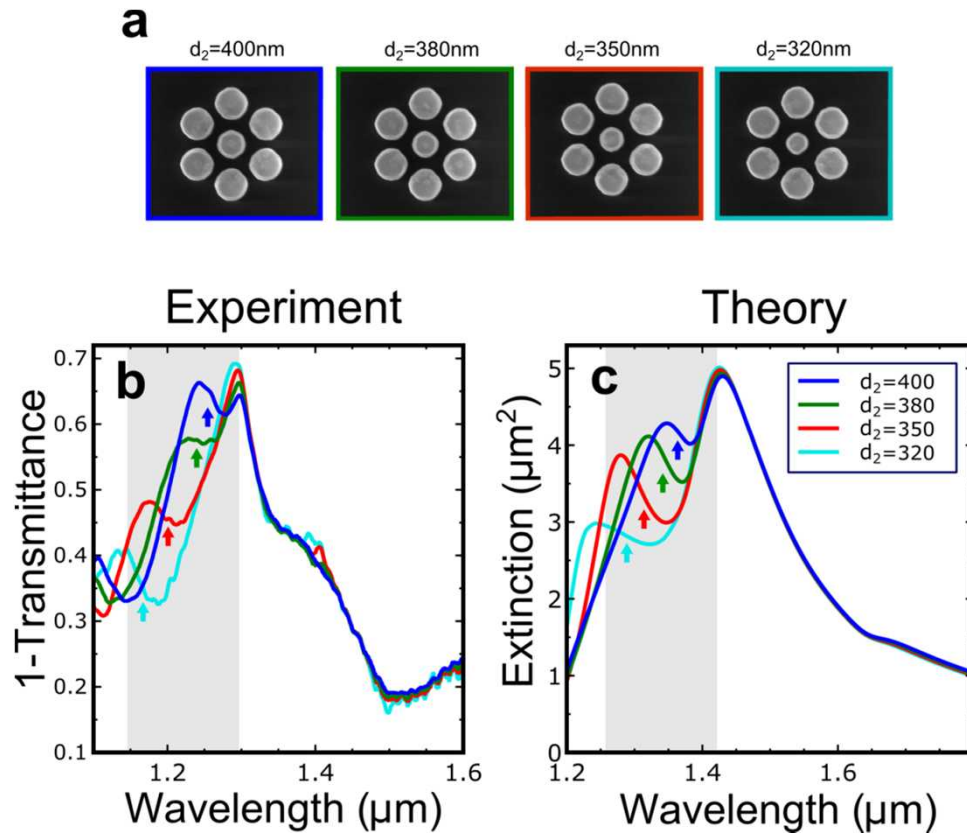
Calculated near-field amplitudes



Mostly electric quadrupole

Fano Resonances in All-Dielectric Nanoparticle Oligomers

(with I. Staude & Y. Kivshar, ANU)

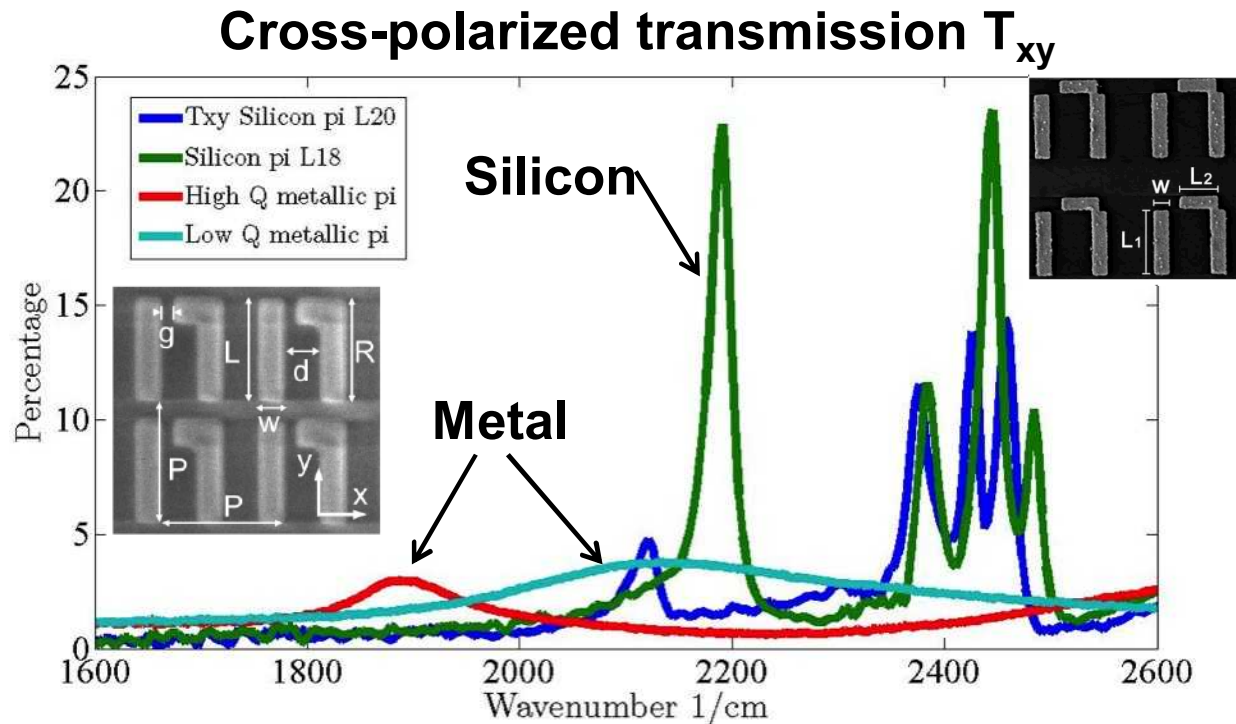
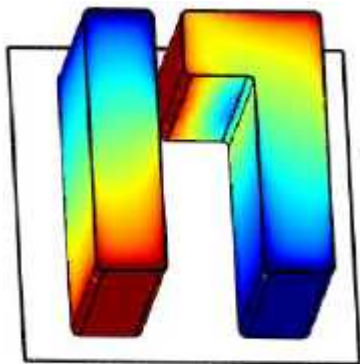
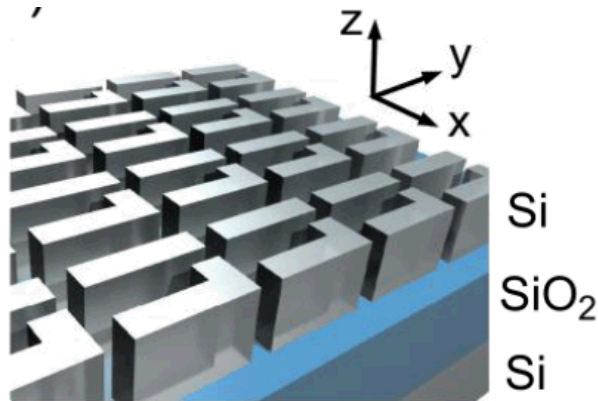


Small, 2013

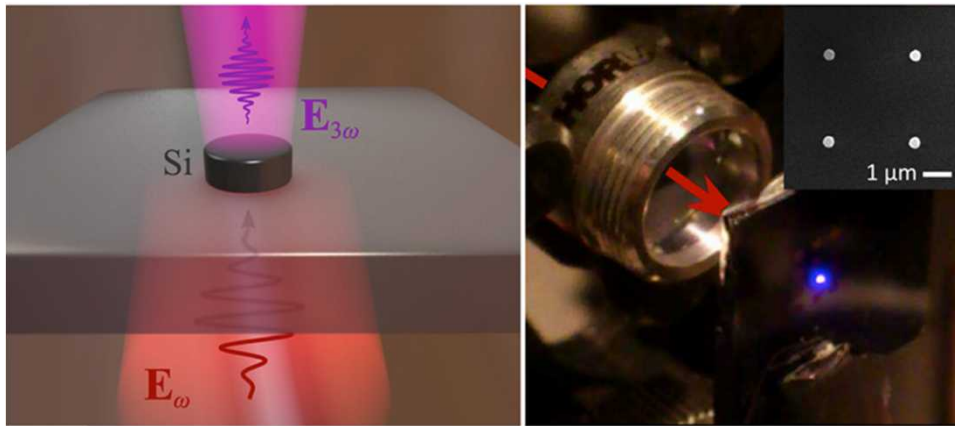


All-Dielectric Fano-Resonant 2D Chiral Metasurfaces:

Order of Magnitude Higher Q Than Similar Metallic
Metasurfaces (with G. Shvets, UT Austin)

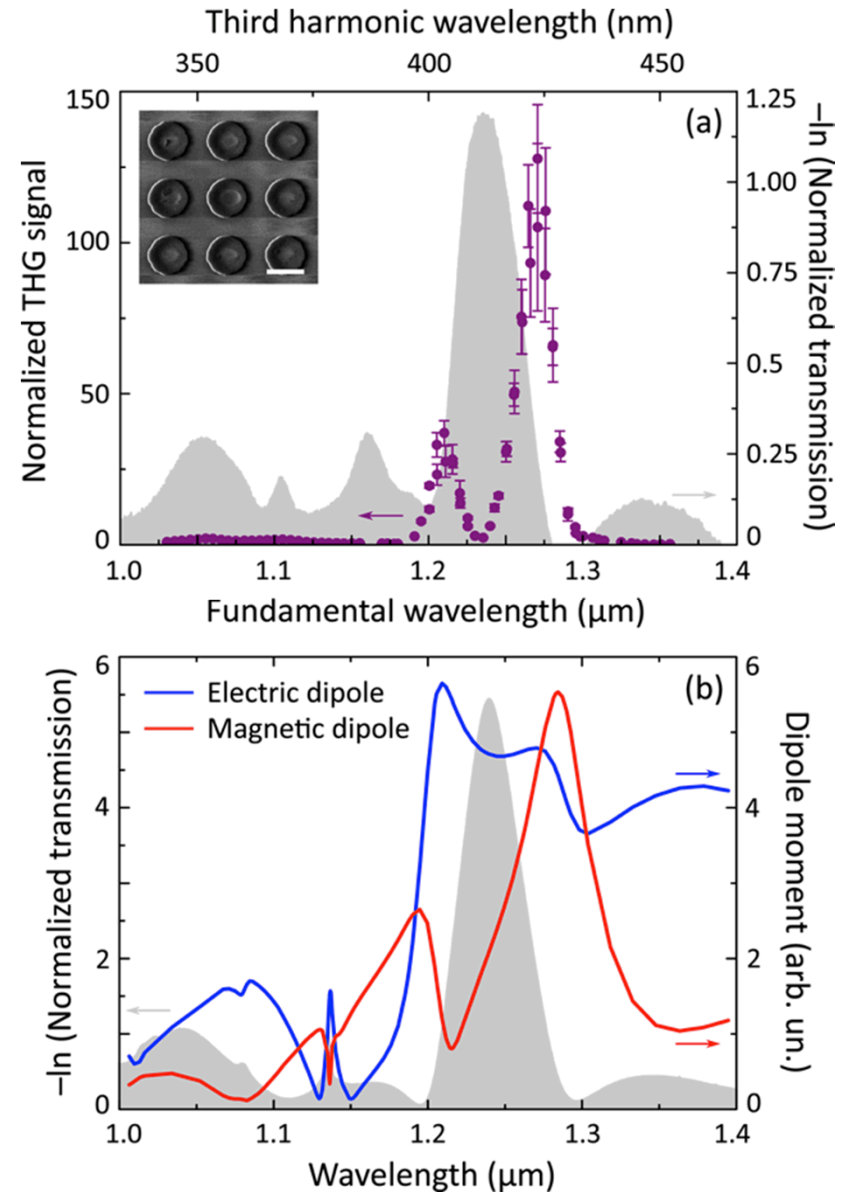


Third Harmonic Generation



(With ANU & Moscow State)

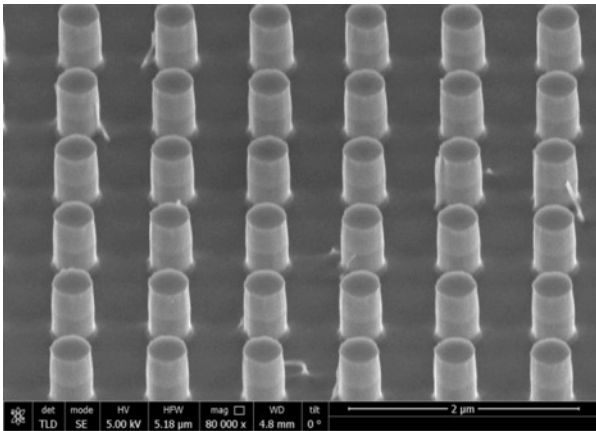
Nano Letters 2015.



Dielectric Metamaterials with III-V's?

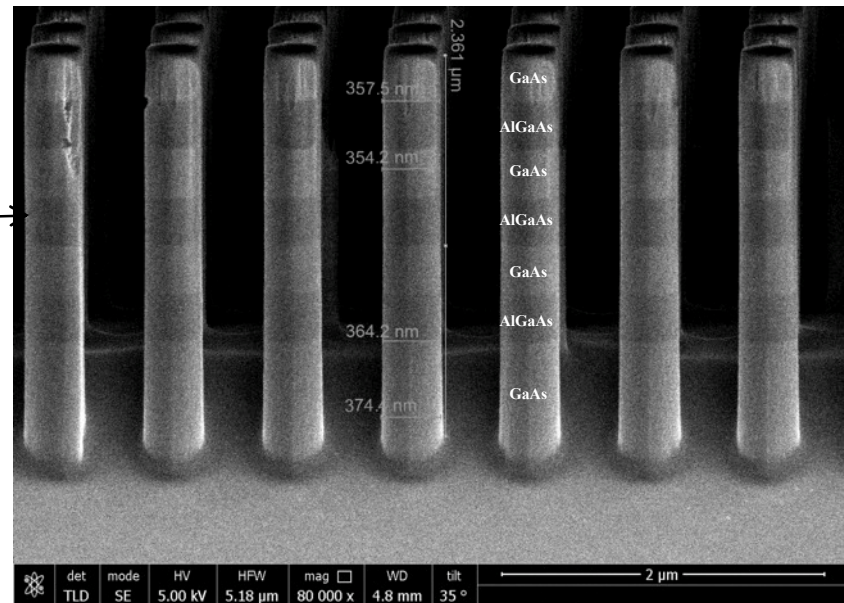


Sheng Liu



GaAs nanocylinders

Oxidized





Acknowledgments

Current Postdocs: Salvo Campione, Omri Wolf, Sheng Liu

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Center for Integrated Nanotechnologies: CINT



Center for Nanoscale
Materials
Argonne National Lab.

Molecular Foundry
Lawrence Berkeley National
Lab.

Center for Functional
Nanomaterials
Brookhaven National Lab.



Center for Integrated
Nanotechnologies
Sandia National Labs.
Los Alamos National
Lab.

Center for Nanophase Materials
Sciences
Oak Ridge National Lab.

- one of five U.S. Dept. of Energy Nanoscience Centers
- Between 150 and 300 active user projects

User facility: free to use

<http://cint.sandia.gov>

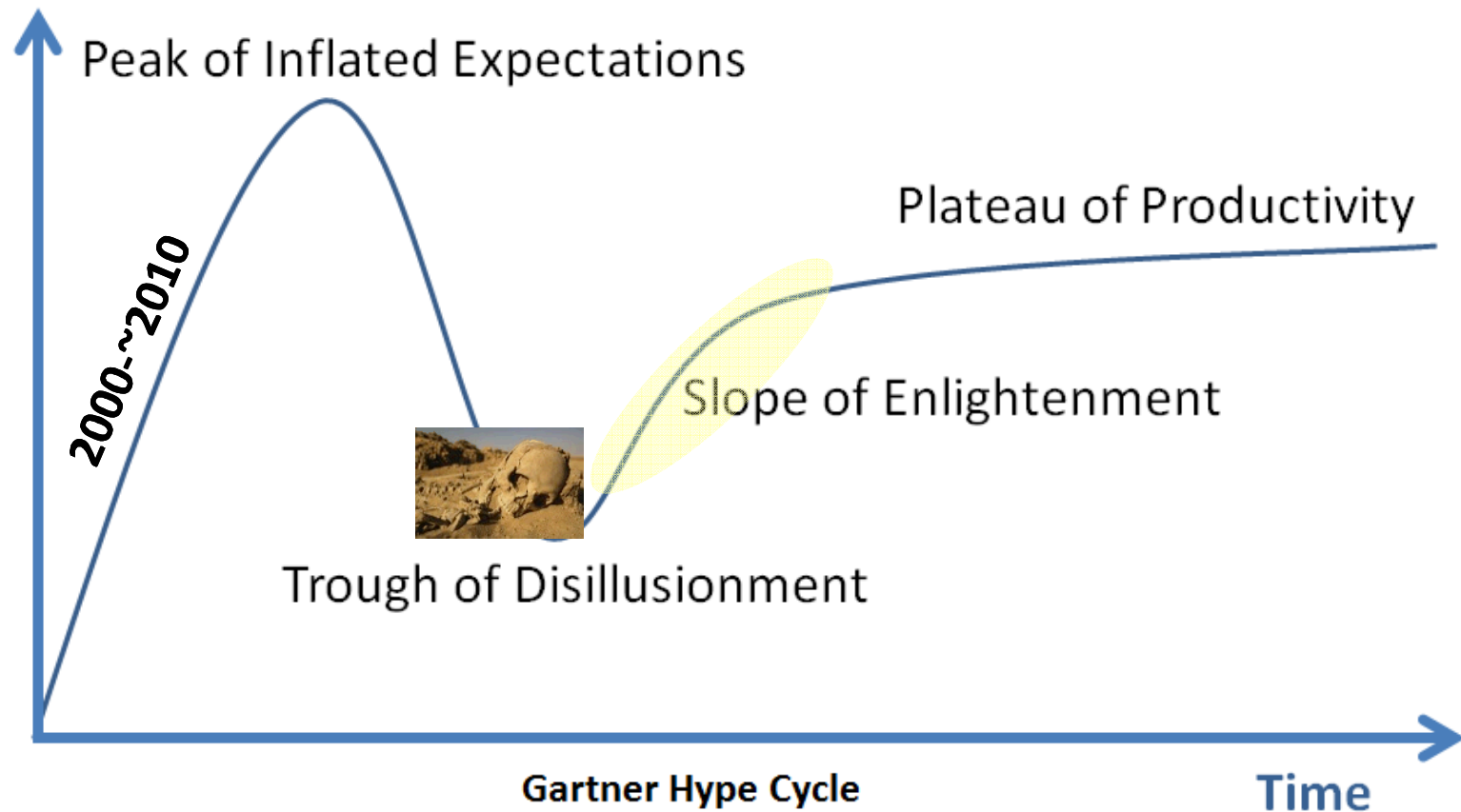


END



BACKUP

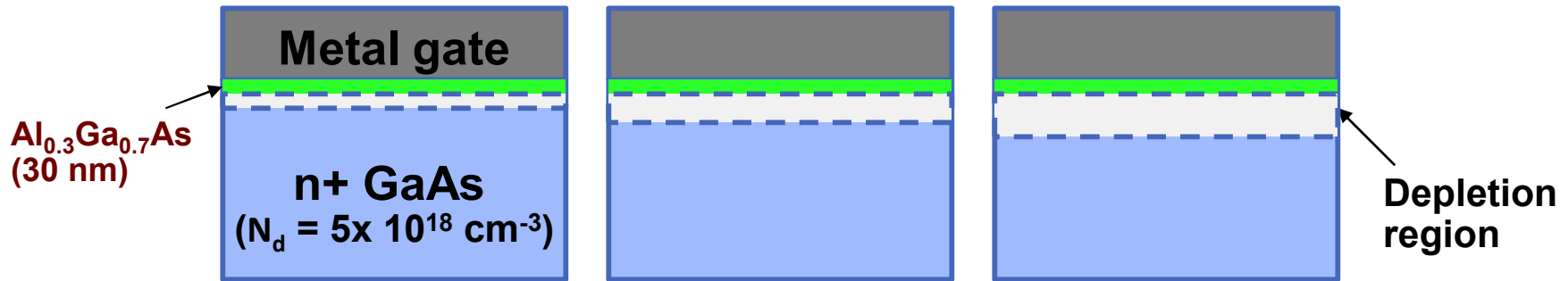
So What's the Future of Metamaterials?



Metamaterials “inspired” new directions. My own example:

3D Metamaterials >> Voltage tuning >> Planar MM resonators >> Strong coupling

Tuning MMs by Depletion of Carriers



Large changes in ϵ happen near the plasma frequency. Therefore increase N

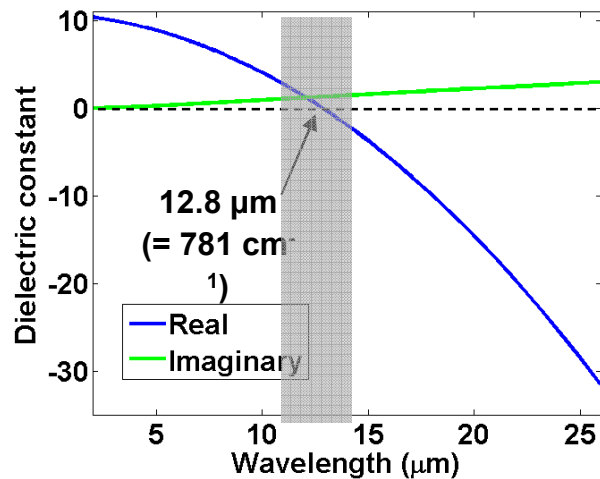
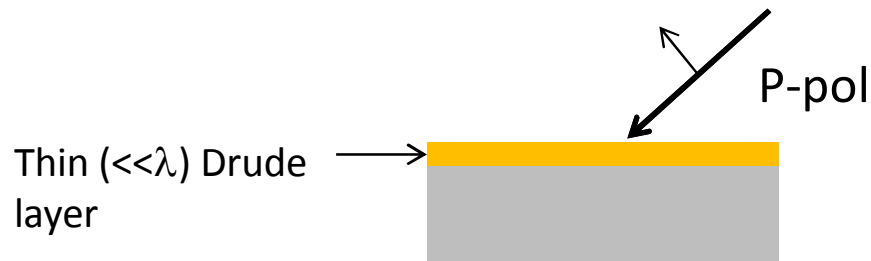
$$\omega_P \propto \sqrt{\frac{N_e}{m^*}}$$

Depletion width

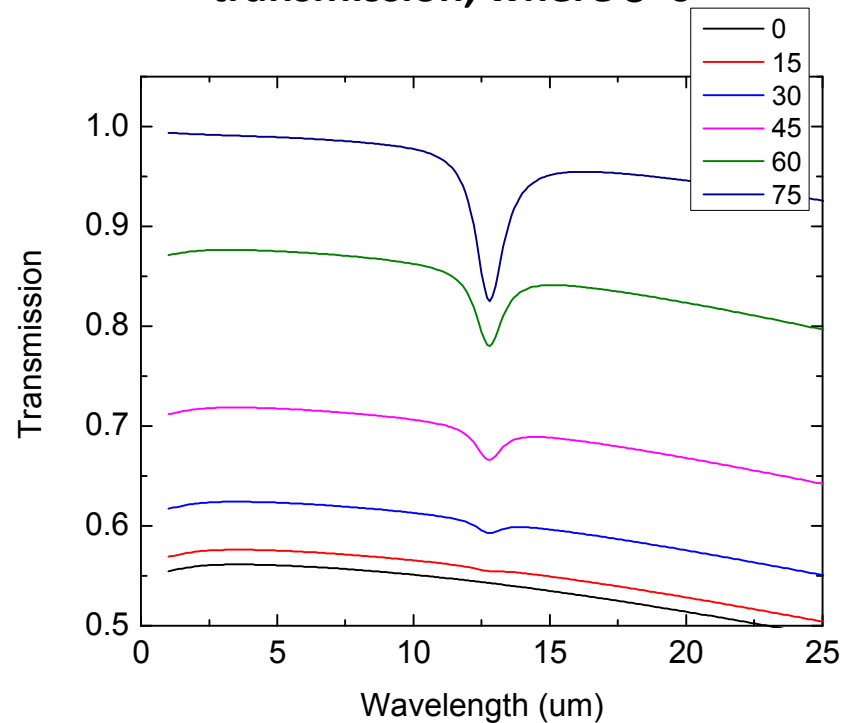
$$W_{depletion} = \left[\frac{2\epsilon_{GaAs}\epsilon_0}{qN_D} (-\phi_s) \right]^{1/2}$$

• Large N implies thin $W_{depletion}$ ->> Interaction $\downarrow$

Coupling Between Metamaterial Resonators and “Epsilon Near Zero” Waves

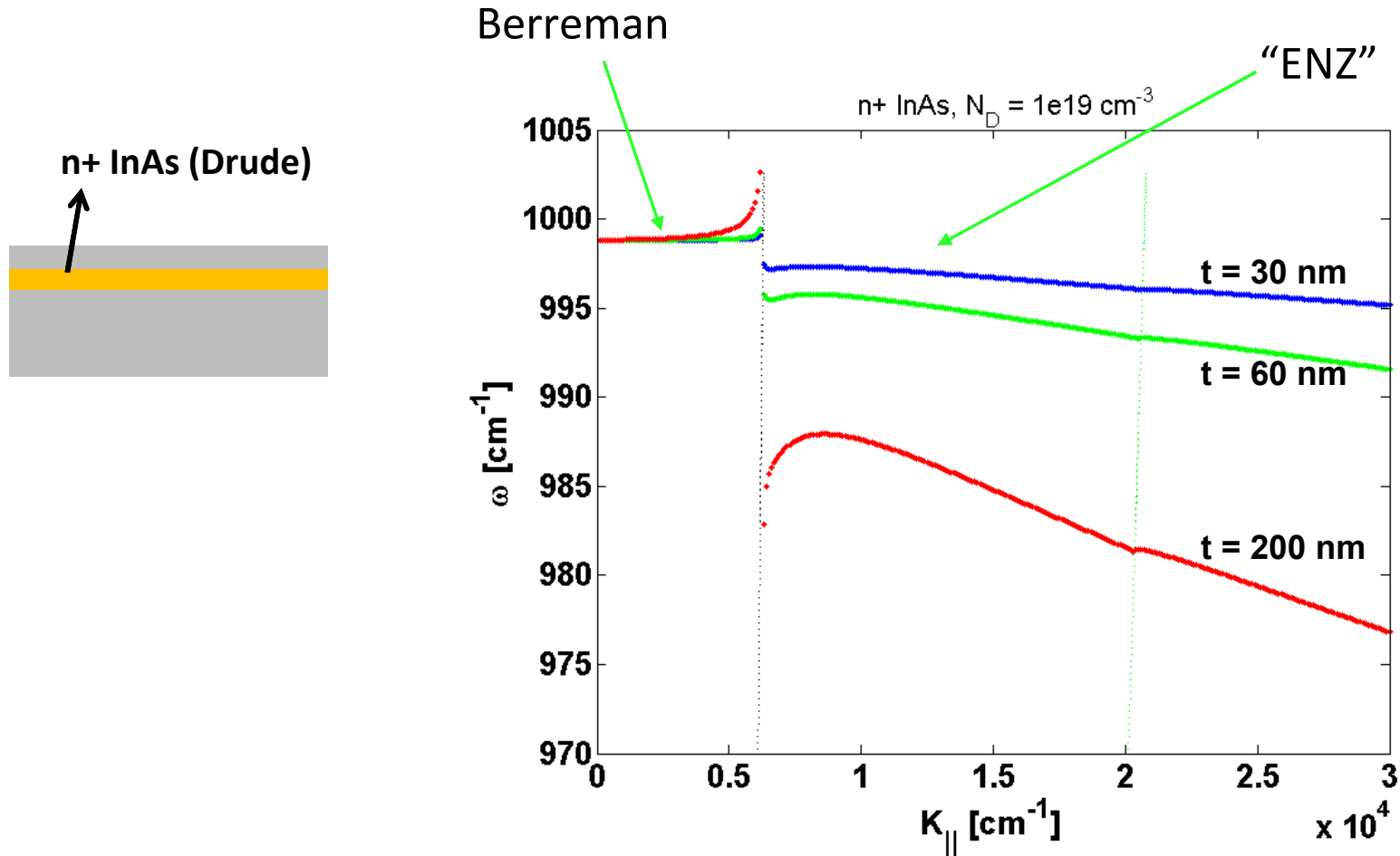


Transmission vs angle (p-pol):
A sharp dip is observed in transmission, where $\epsilon \sim 0$



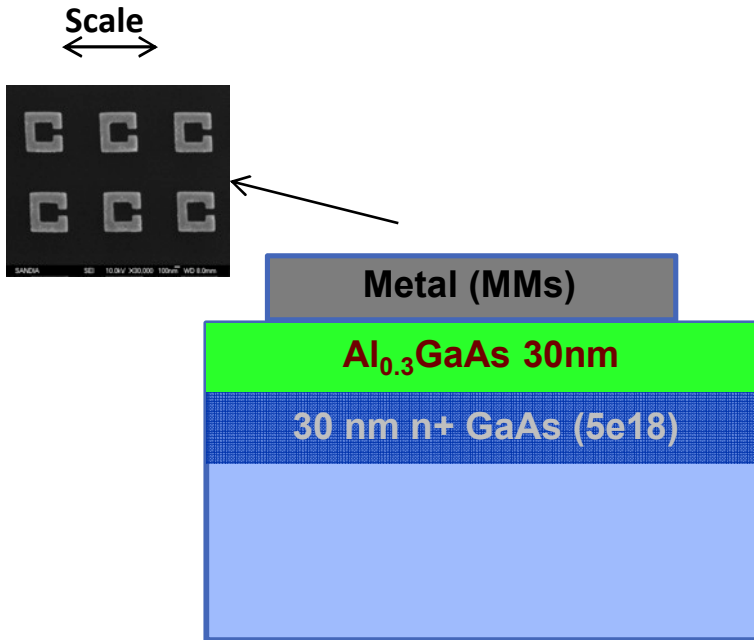
(“Berreman” dip)

Berreman mode vs ENZ mode in n+ InAs

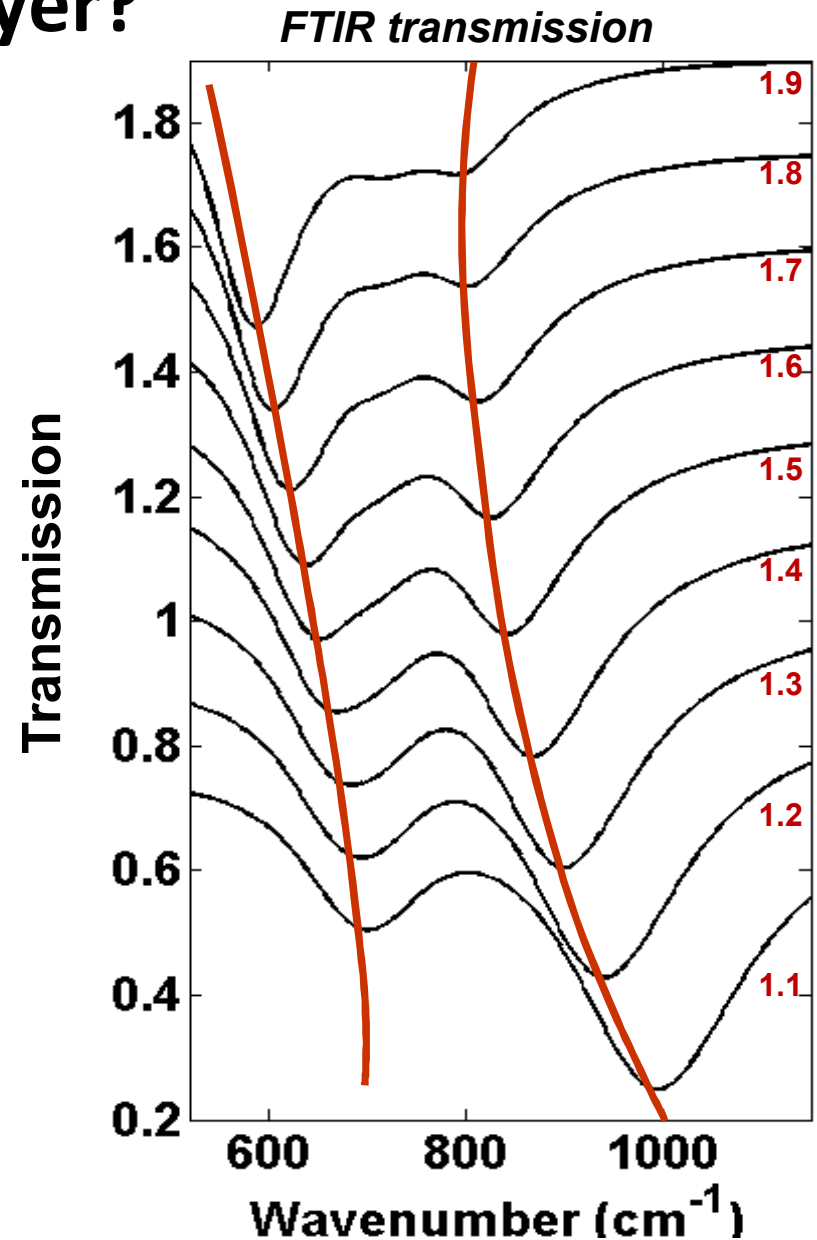


- Berreman mode is very flat for a thin doped layer and leaky into air
- ENZ mode does not couple to free space

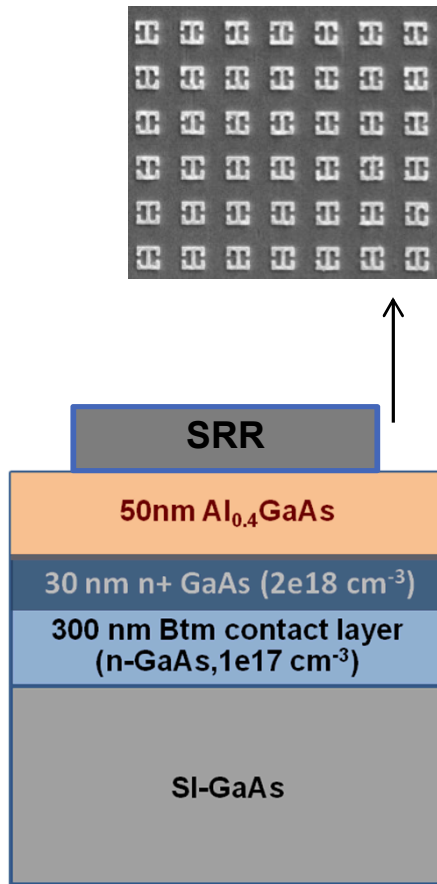
What Happens when MMs Resonate with $\epsilon \sim 0$ Layer?



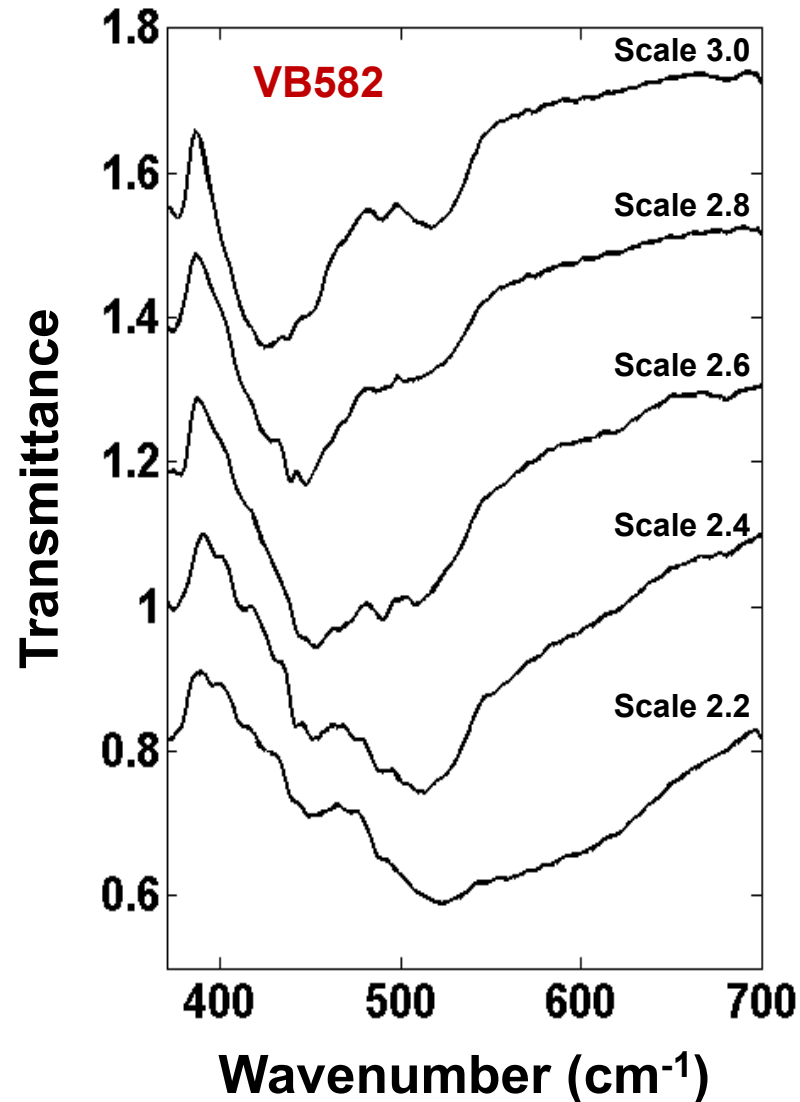
- Strong coupling between the MM resonance and ENZ waves!



ENZ Strong Coupling ($N_D = 2e18 \text{ cm}^{-3}$)

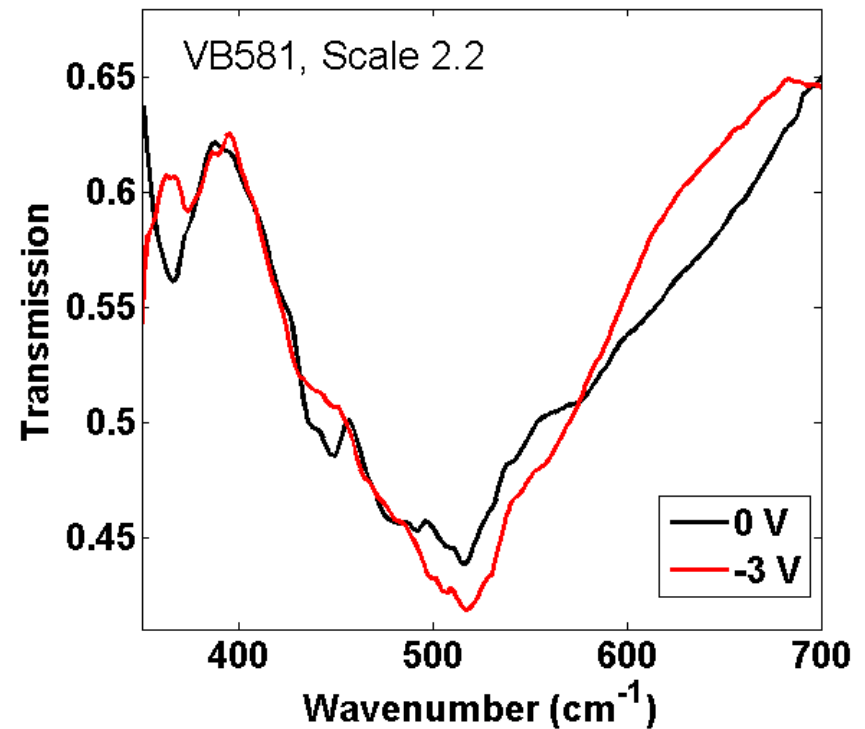
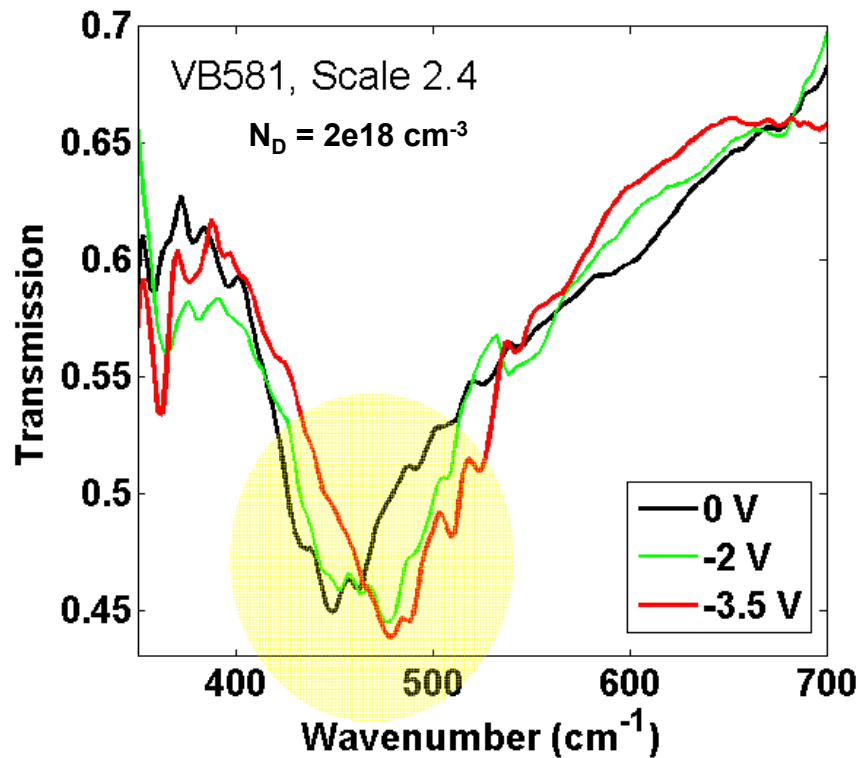


FTIR Transmission spectra





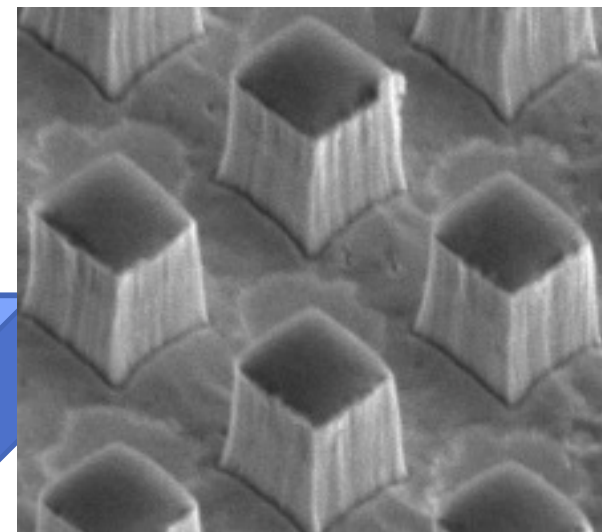
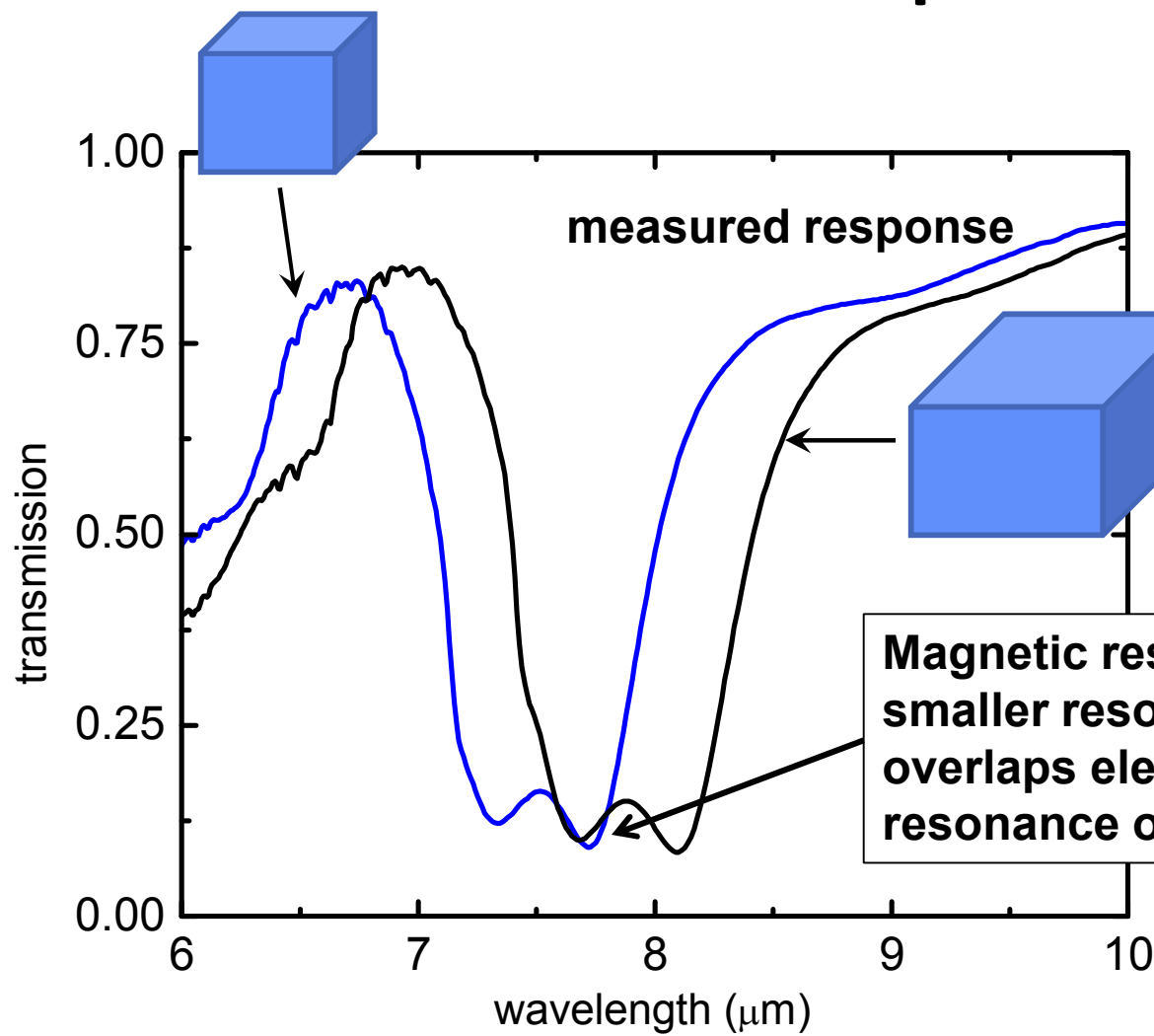
Electrical Tuning the Coupling to the ENZ Mode



Fundamentally different than tuning just by changing a local permittivity!

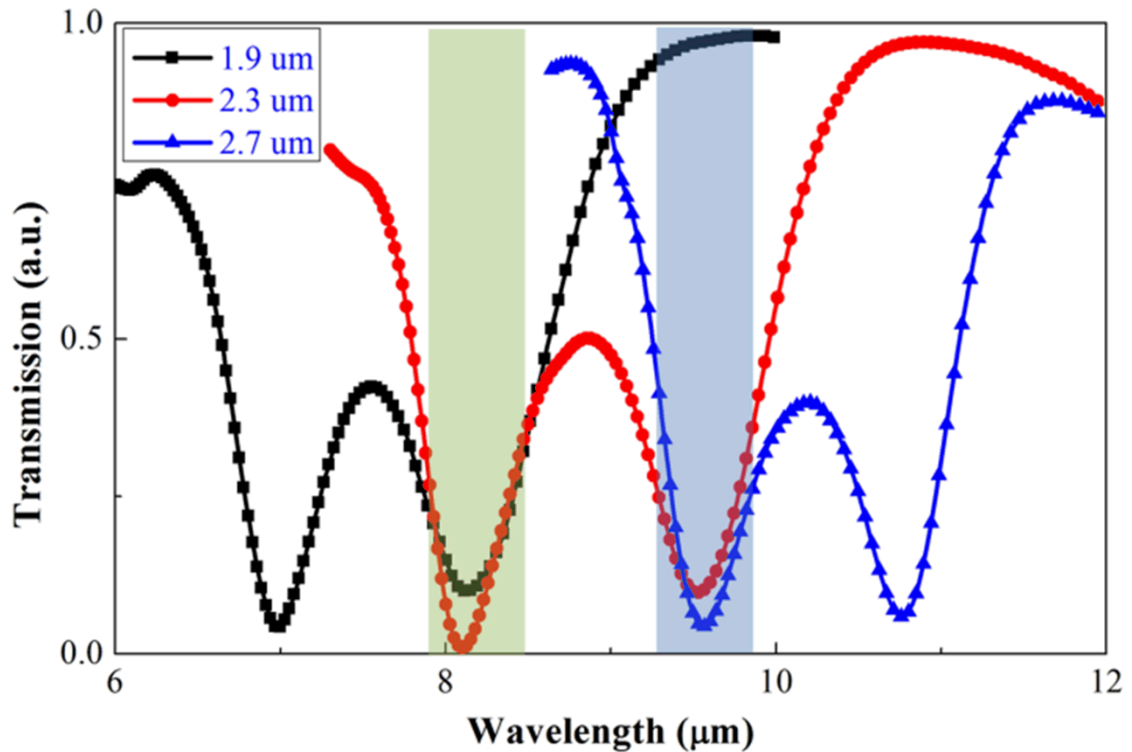
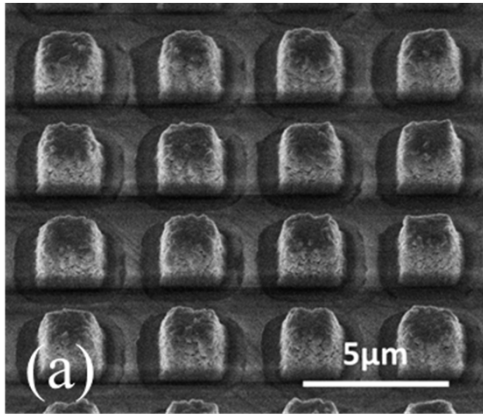


Te Resonators: Electric and Magnetic Mode Overlap



Magnetic and Electric resonances can overlap: different size cubes, or cubes with “cuts”

Te Resonators: Overlapping Electric and Magnetic Resonances



Te resonators using a single multiple deposition & liftoff process.

- Side: 1.7 μm , 2.3 μm and 2.7 μm with 50% duty cycle (height constant at $\sim 1.8 \mu\text{m}$).
- Shaded areas are the spectral regions where magnetic and electric resonances overlap.

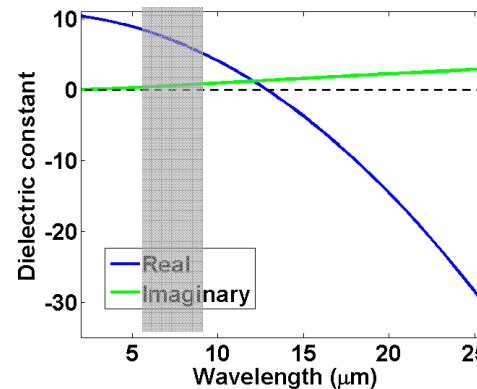


Interactions between MMs and Electrons in Doped Semiconductors

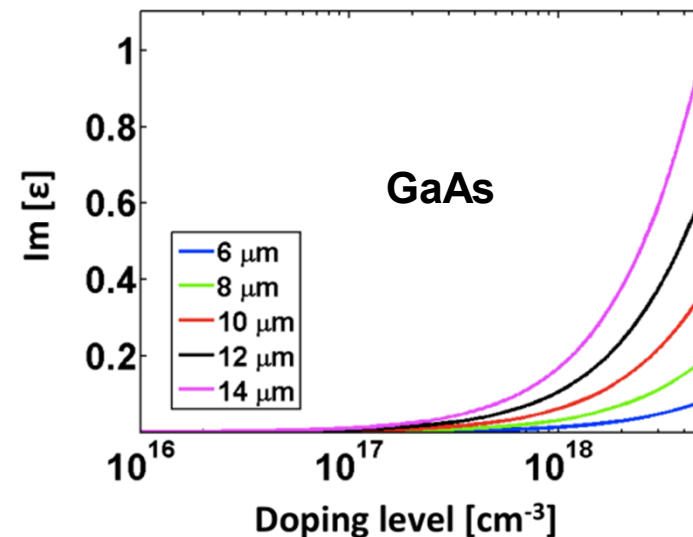
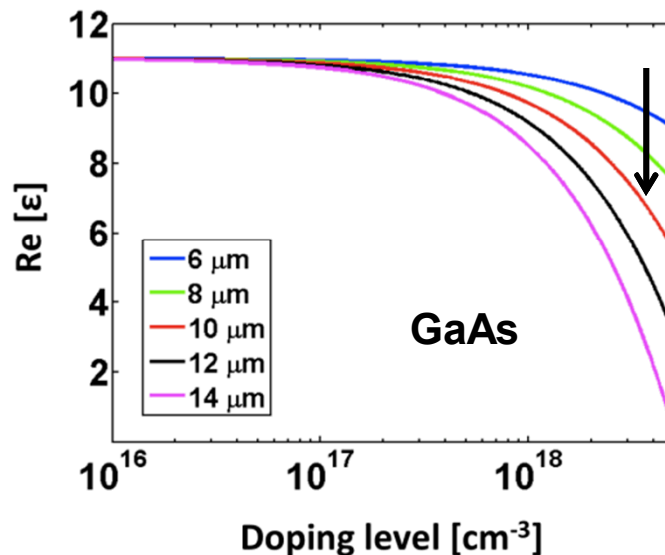
$$\varepsilon \approx \varepsilon_{\infty} \left(1 - \frac{\omega_p^2}{\omega^2 + i\omega\Gamma} \right) = \varepsilon_{\infty} \left(1 - \frac{\omega_p^2}{\omega^2 + \Gamma^2} + i \frac{\omega_p^2 \Gamma}{\omega(\omega^2 + \Gamma^2)} \right) \quad \Gamma = 1/\tau = \frac{q}{\mu m^*}$$

Drude (ex: n+GaAs, $5 \times 10^{18} \text{cm}^{-3}$)

$$\omega_p^2 = \frac{Nq^2}{\varepsilon_0 \varepsilon_{\infty} m^*}$$

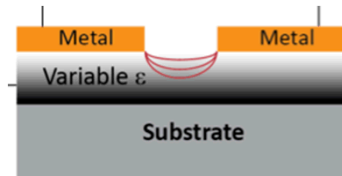


(a)



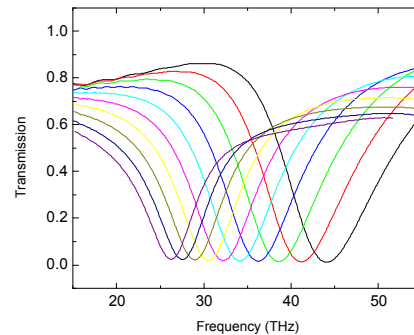
Examples of Tuning Mechanisms

Example, SRRs interact strongly with thin layers underneath

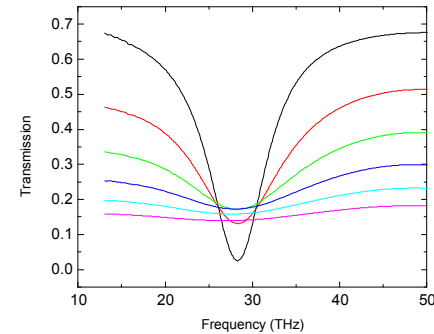


- Nonresonant

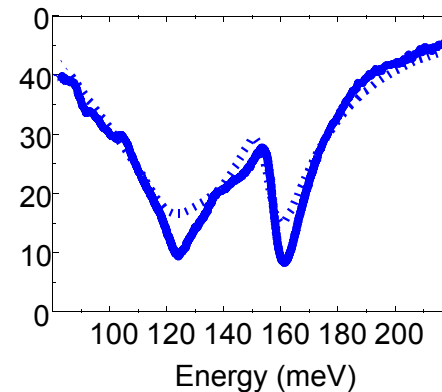
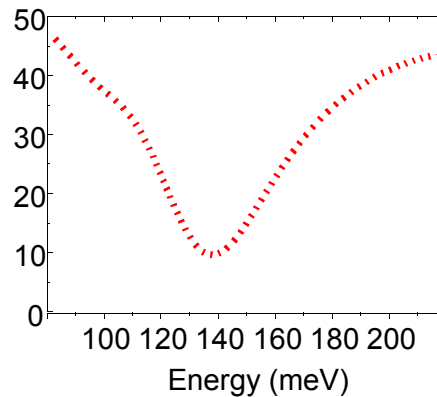
Change ϵ_1 (n)



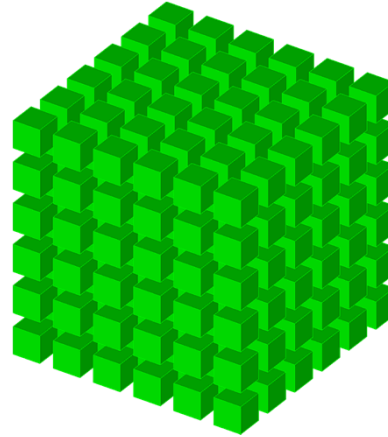
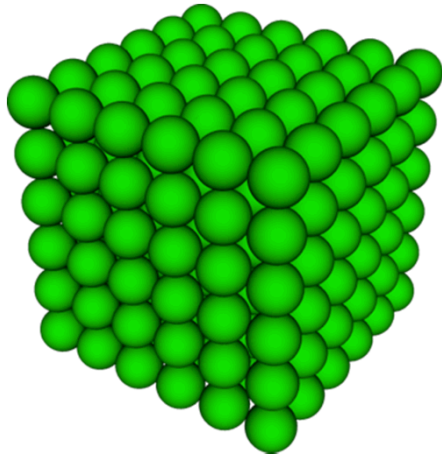
Change ϵ_2 (n)



- Resonant
(Create a dipolar resonance, example: phonon)

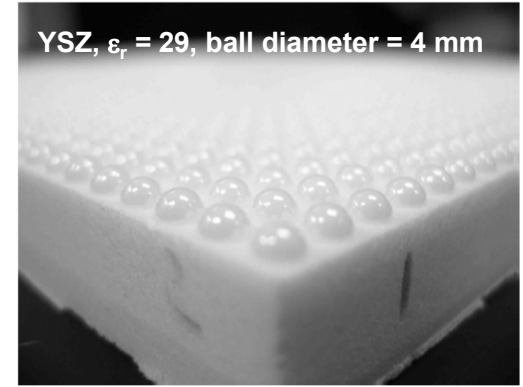


Arrays of High ϵ Resonators: Low Loss Metamaterials



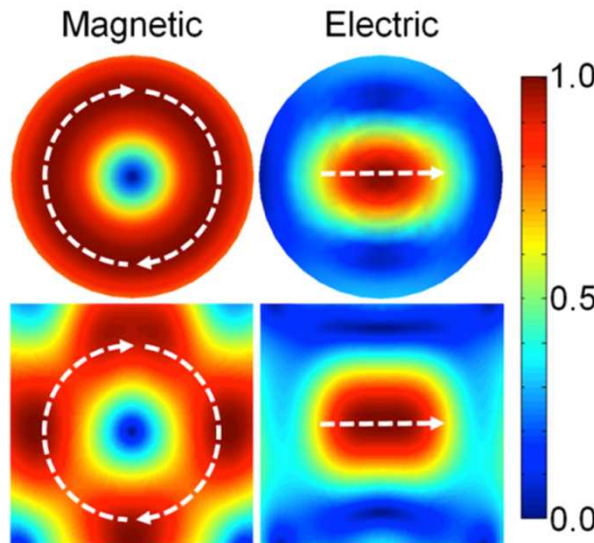
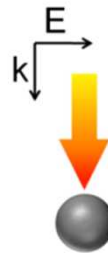
Works nice in the RF

YSZ, $\epsilon_r = 29$, ball diameter = 4 mm

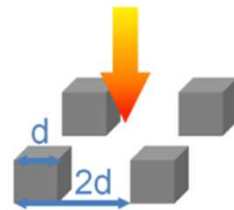


(negative ϵ , negative μ)

Spherical



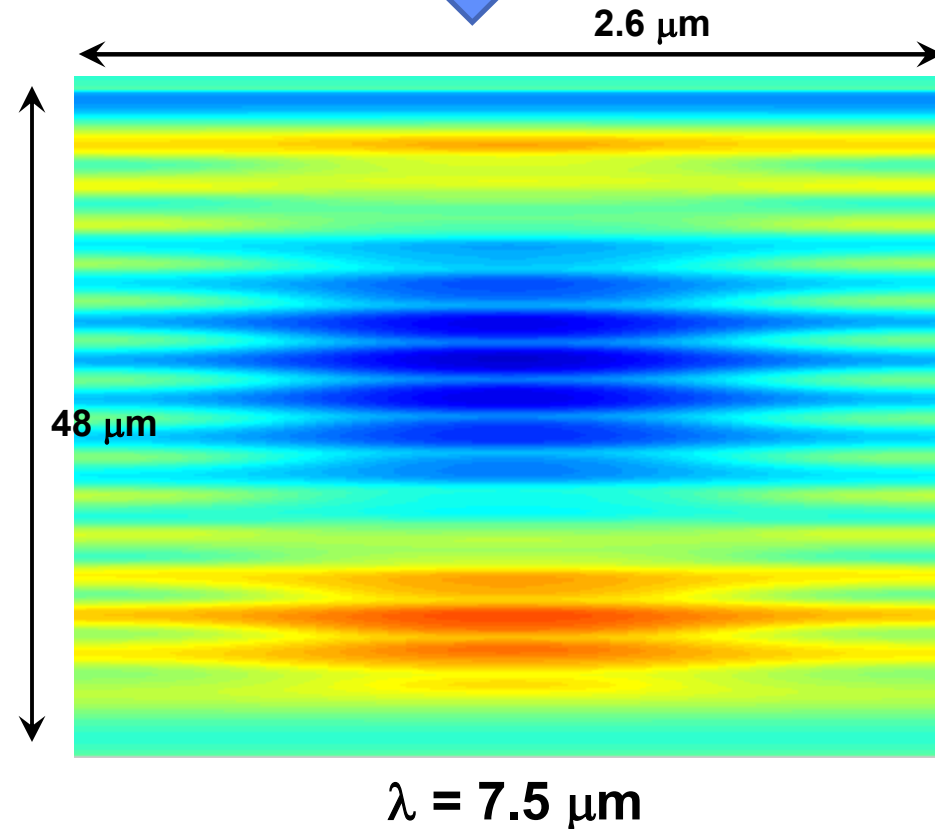
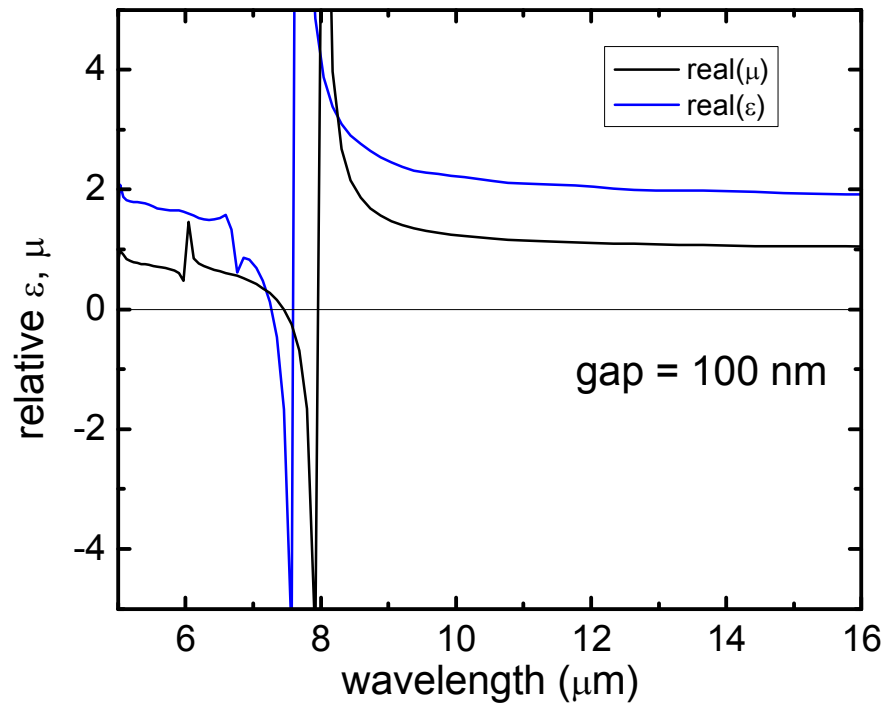
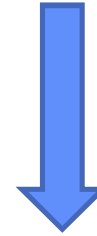
Cubic





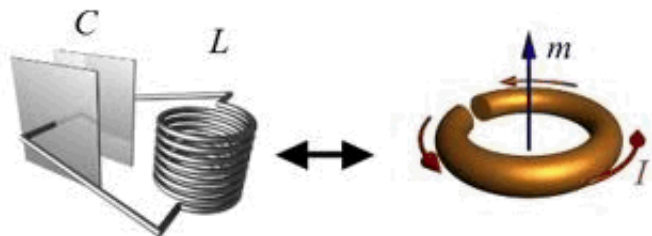
Magnetic Field Movie – 7.5 μm

Incident waves



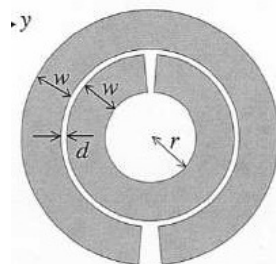
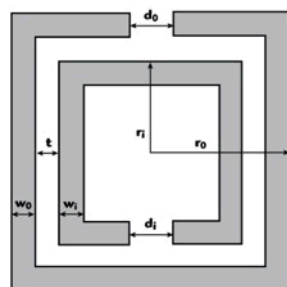
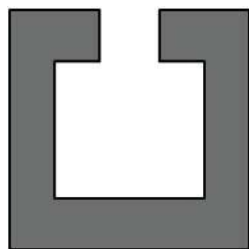
H_x at top of unit cell ($z=1.3 \mu\text{m}$)

Split-ring resonator



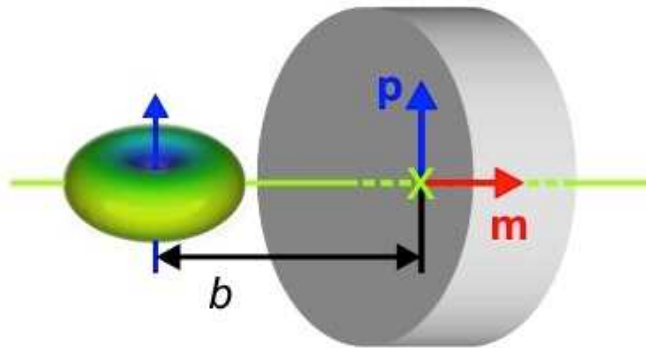
LC resonator: $\omega_R = \frac{1}{\sqrt{LC}}$

- Variants:

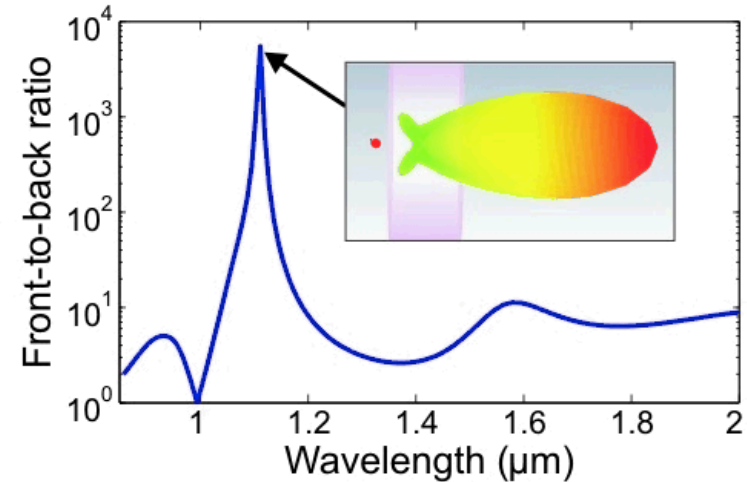


...

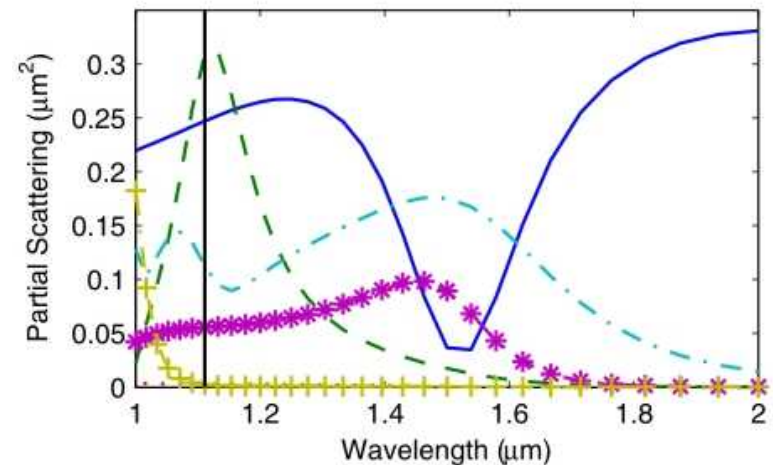
Importance of the Quadrupole Mode



- Silicon nanodisks: highly directional nanoantennas with giant front-to-back ratio
- Electric quadrupole mode essential to achieve high directivity



I. Staude *et al.*, *ACS Nano* 7, 7824, 2013.

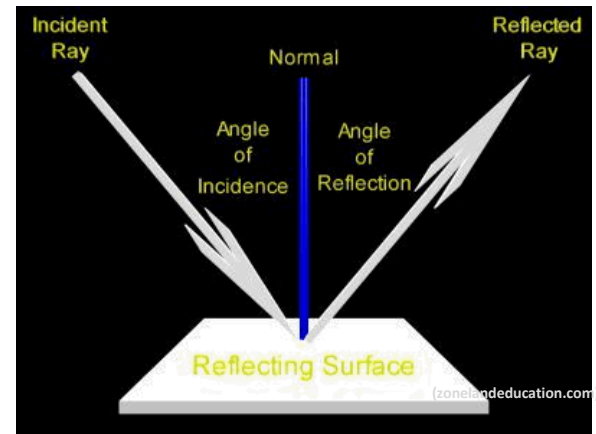


E. Rusak *et al.*, *submitted* (2014).

What is a “Mirror”?



“Regular” mirrors invert the phase of the reflected wave

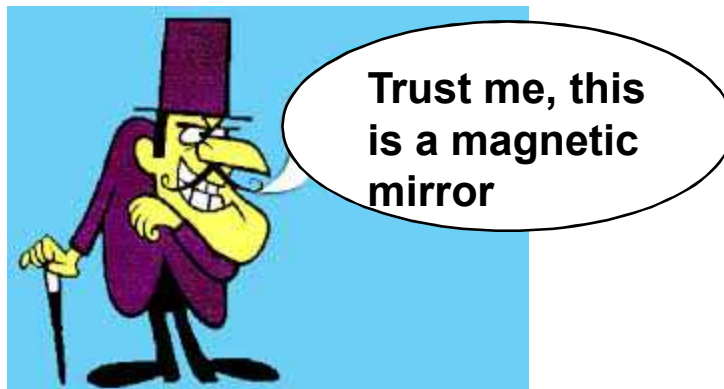
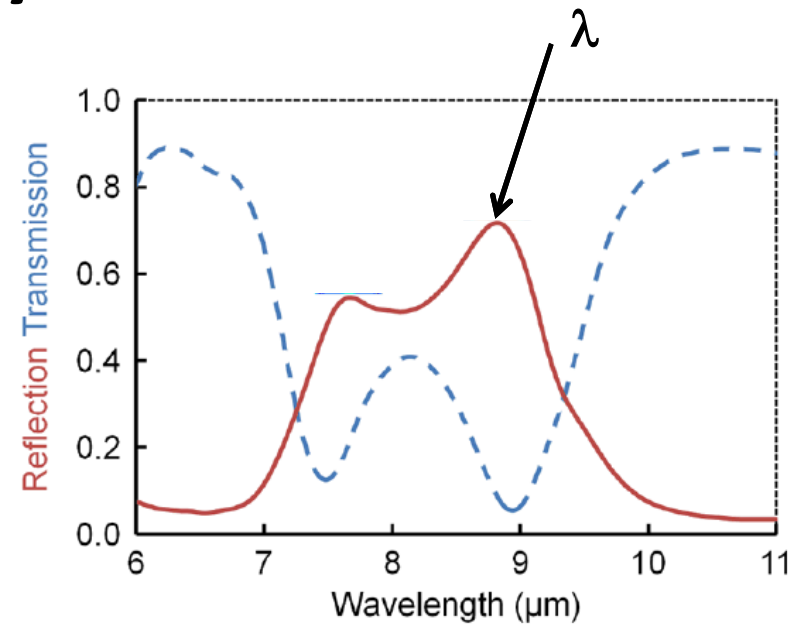
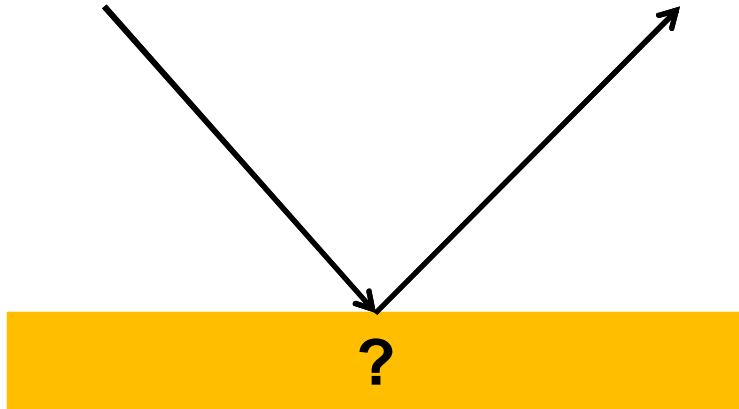


But.... we can make a “magnetic” mirror

How does it work, what does it do?



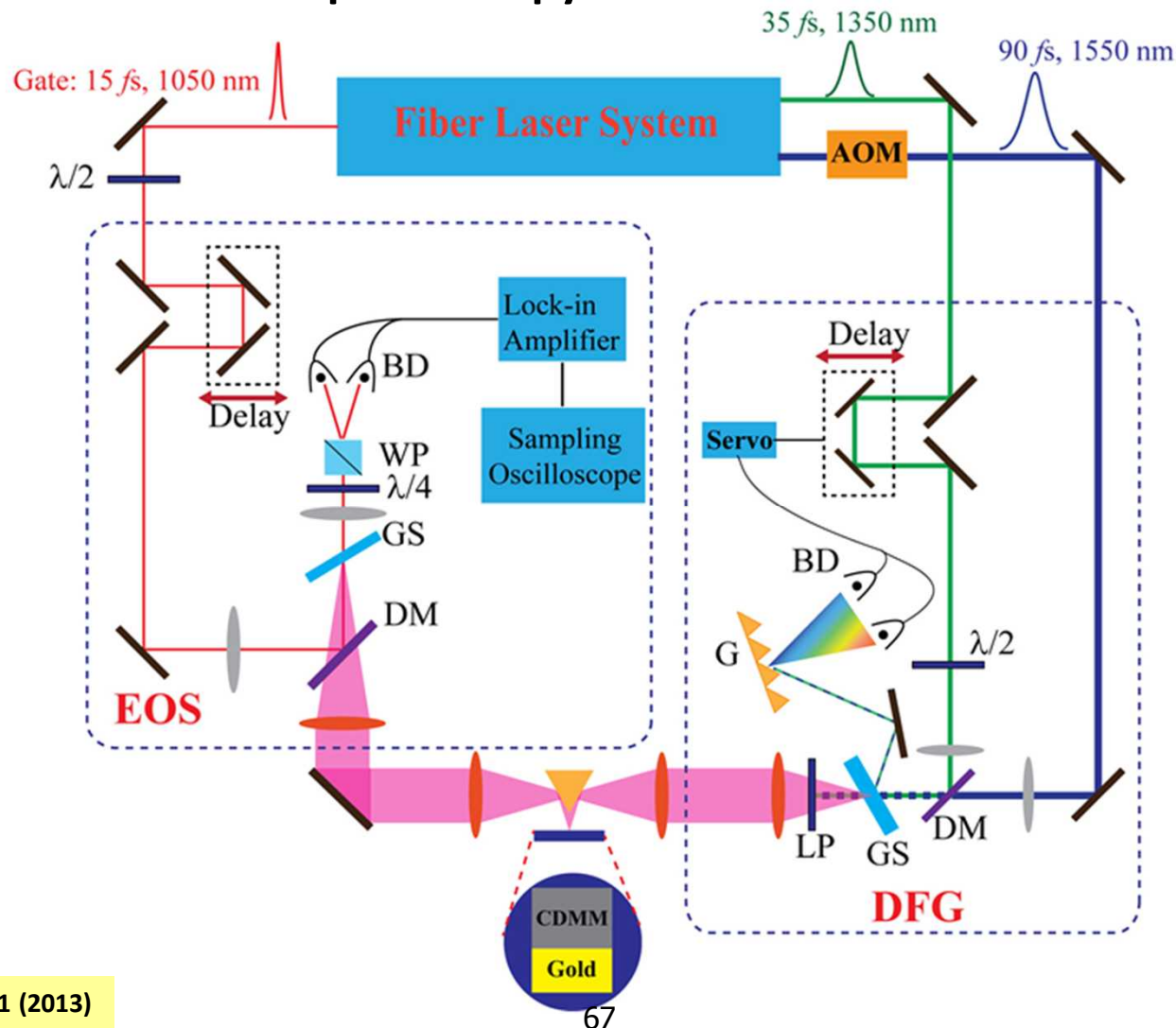
How much do you trust me?



Show me the phase.....

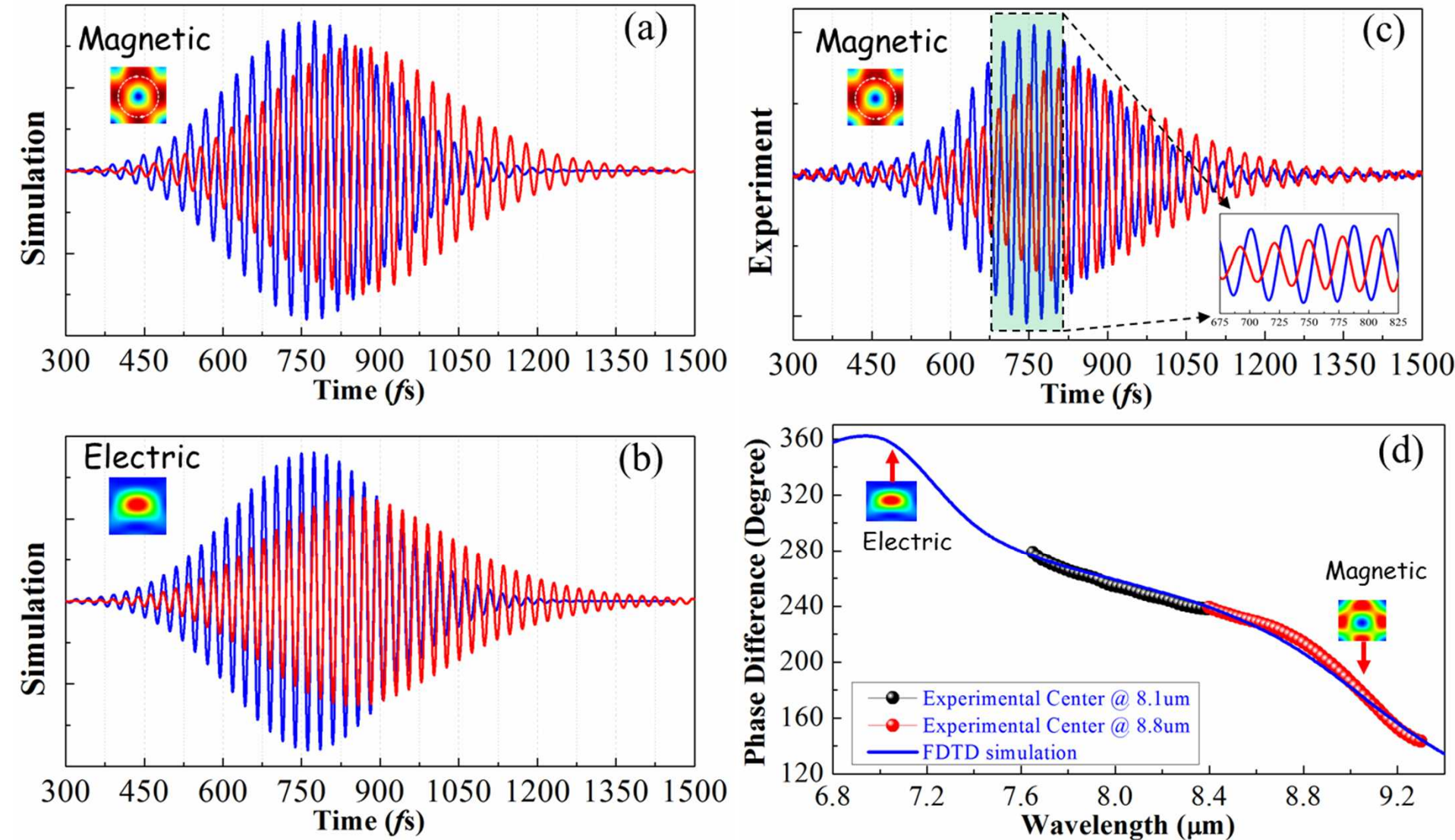
Proving Optical Magnetism: Measure Phase of Reflected Wave

Phase-locked Time Domain Spectroscopy

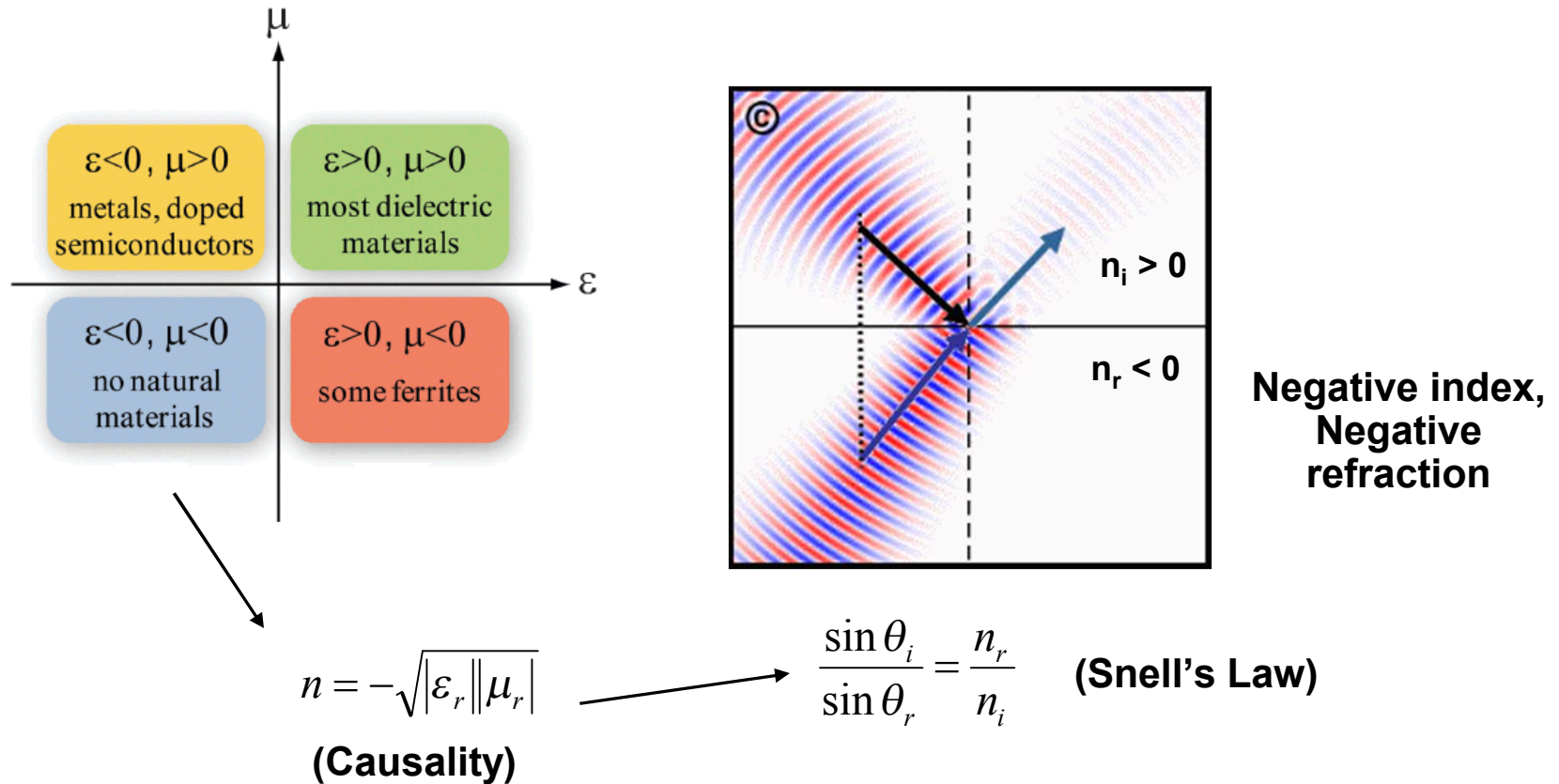




Experimental Demonstration of “Optical Magnetism”



Metamaterials: Exotic optical properties



- Superlensing, Cloaking, Chirality/Optical activity, Perfect absorption
- Enhanced nonlinear interaction, Optical force manipulation, Light emission control