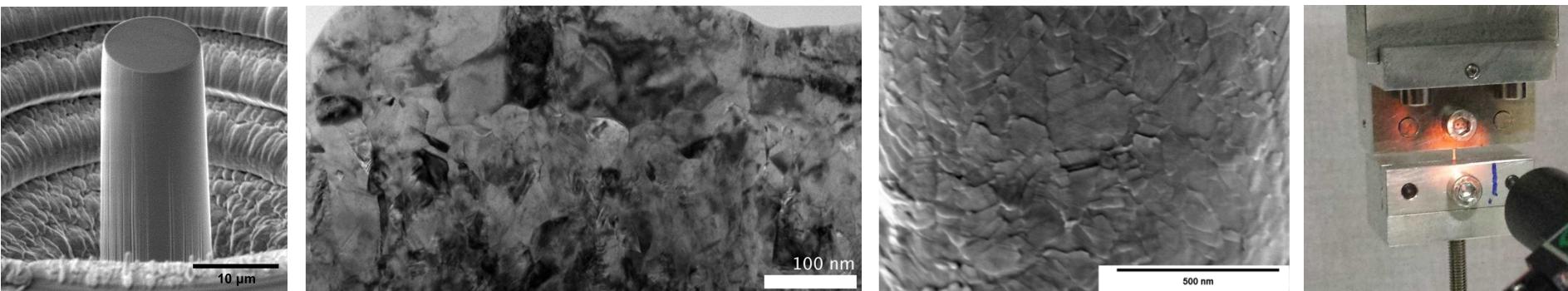


Exceptional service in the national interest



Nanomechanics and Nanometallurgy of Boundaries

Brad Boyce, Stephen Foiles, Khalid Hattar, Blythe Clark,
Fadi Abdeljawad, Dan Bufford, Tim Furnish, Chris O'Brien

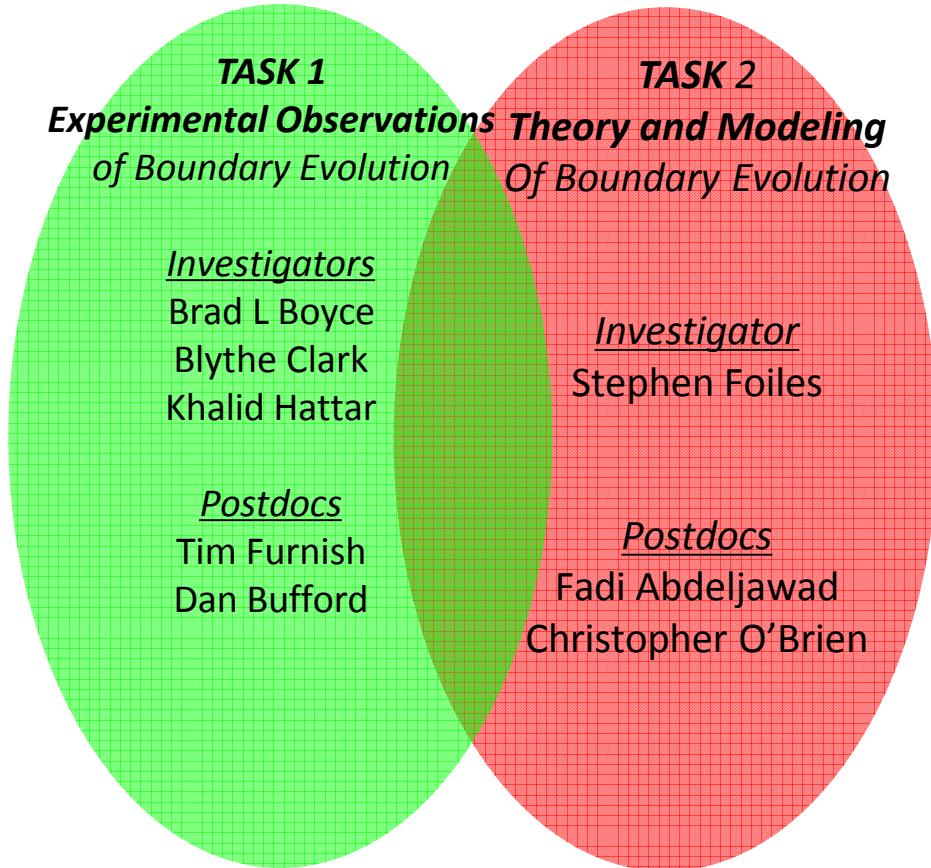
Sandia National Laboratories, Albuquerque, NM



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Team:

Nanomechanics and Nanometallurgy of Boundaries



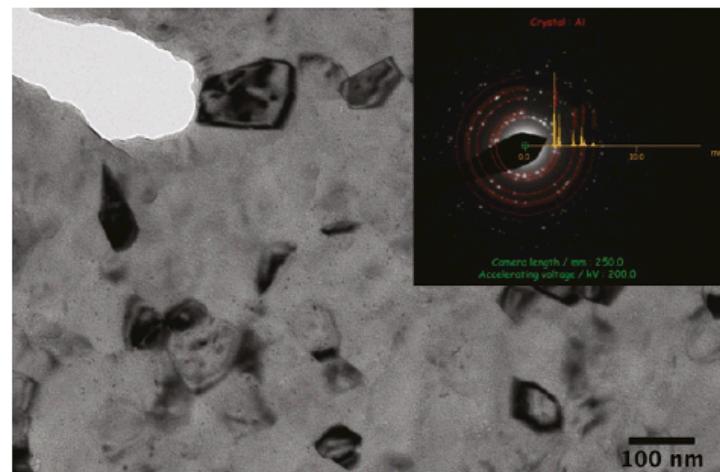
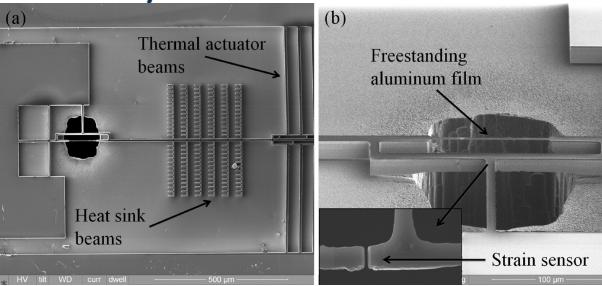
De Havilland Comet, 1953-4



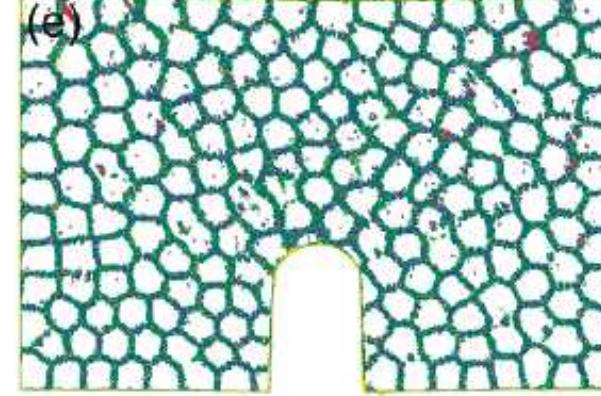
Is Stress Concentration Relevant for Nanocrystalline Metals?

Sandeep Kumar,[†] Xiaoyan Li,[‡] Aman Haque,^{*,†} and Huajian Gao^{*,‡}

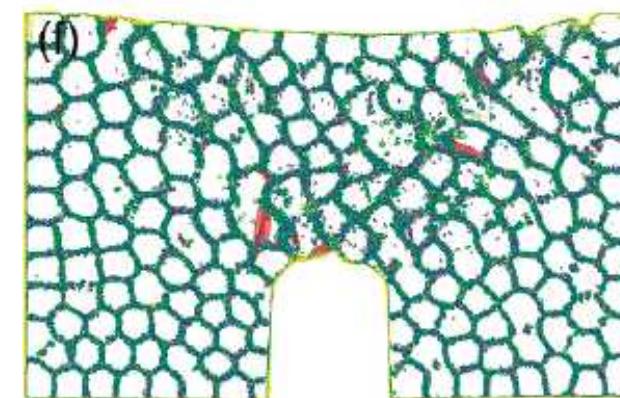
Nanocrystalline Al



5.13% strain



10.52% strain

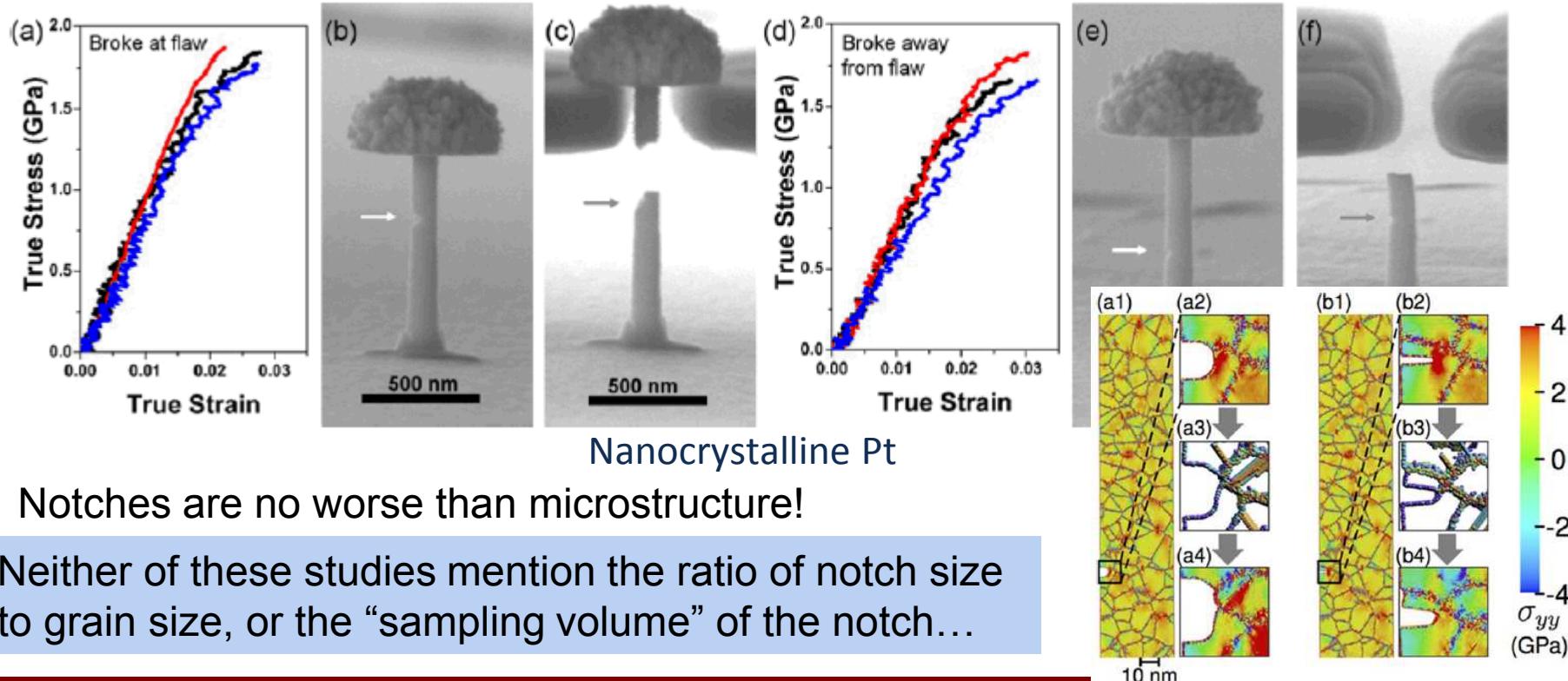


“experimental evidence of extreme stress homogenization”

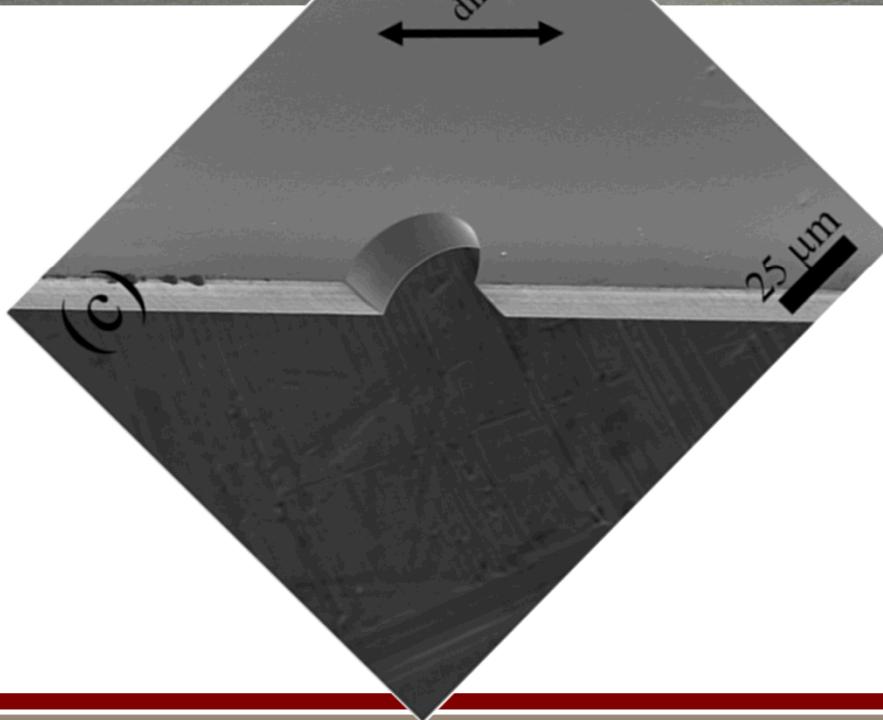
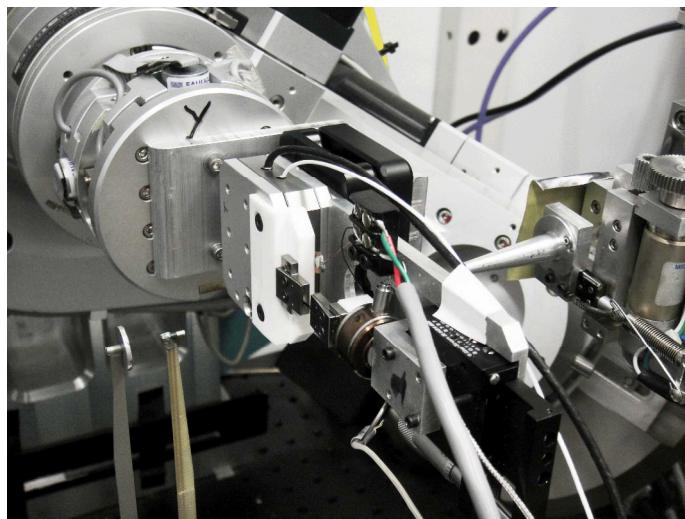
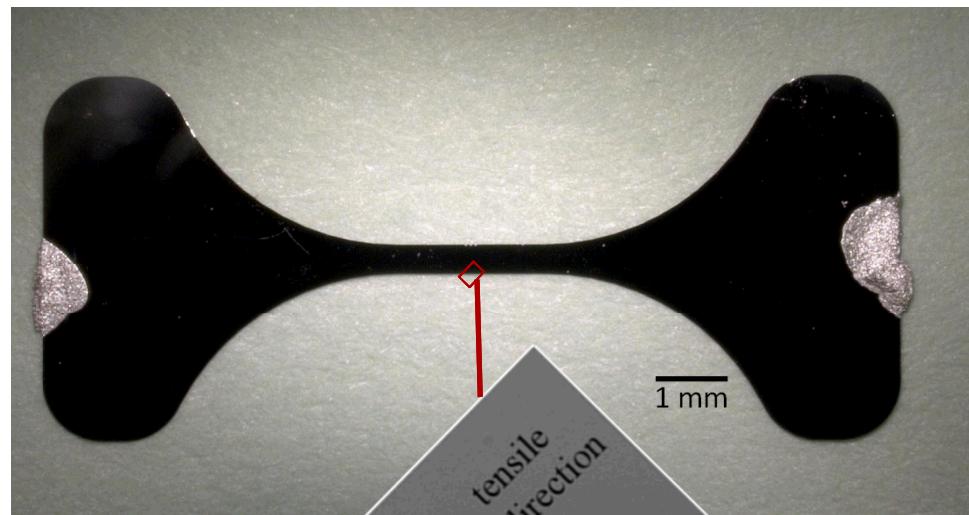
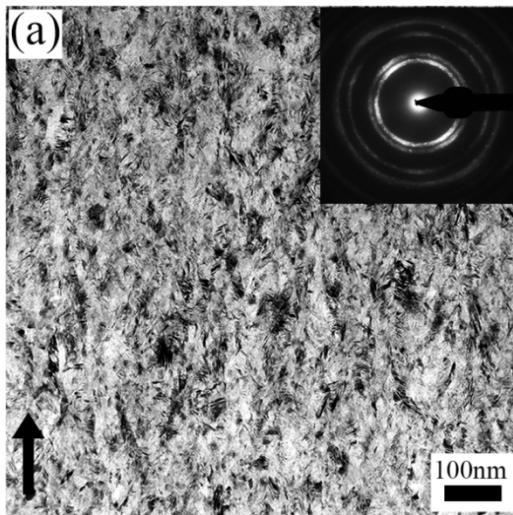
Microstructure versus Flaw: Mechanisms of Failure and Strength in Nanostructures

X. Wendy Gu,[†] Zhaoxuan Wu,[§] Yong-Wei Zhang,[§] David J. Srolovitz,^{||} and Julia R. Greer*,[‡]

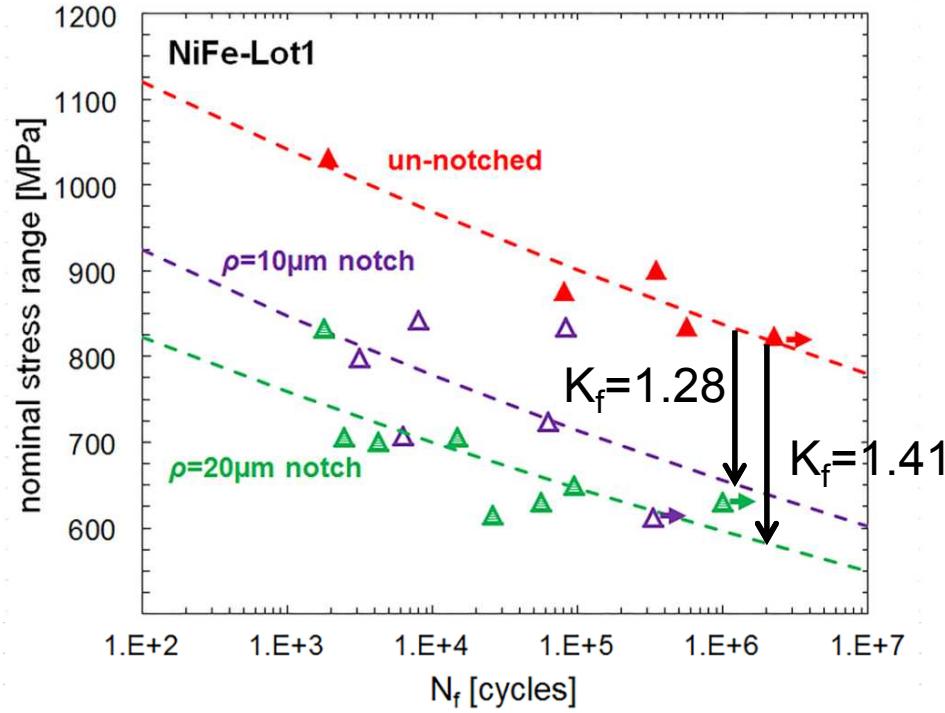
“no consensus exists on the effect of flaws on fracture at the nanoscale”



Nanocrystal Thin Film Notch Fatigue



Result: Effect of notch on S-N fatigue

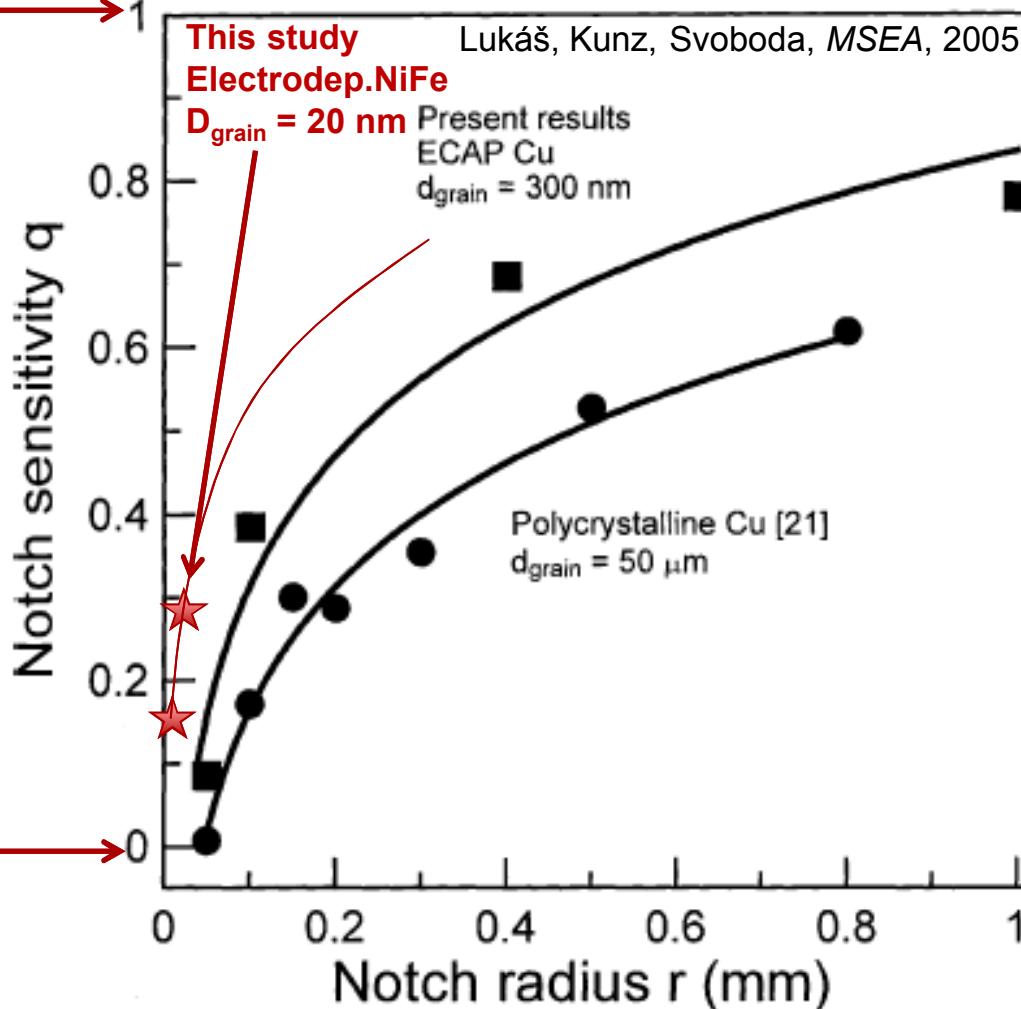


$$\Delta\sigma = A(N_f)^b$$

Notch effects diminish as two length scales converge

Notches obey
elastic stress
concentration
factor

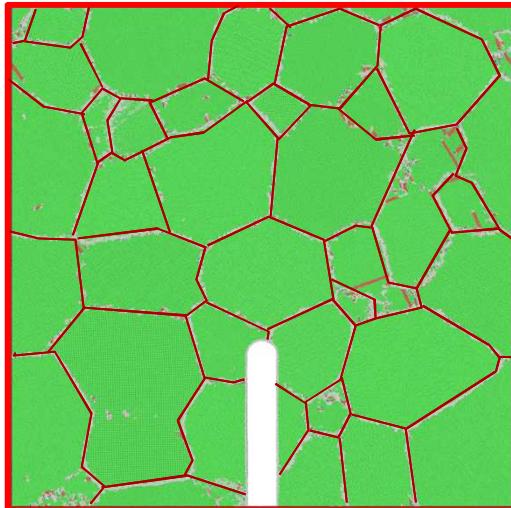
$$q = \frac{(K_f - 1)}{(K_t - 1)}$$



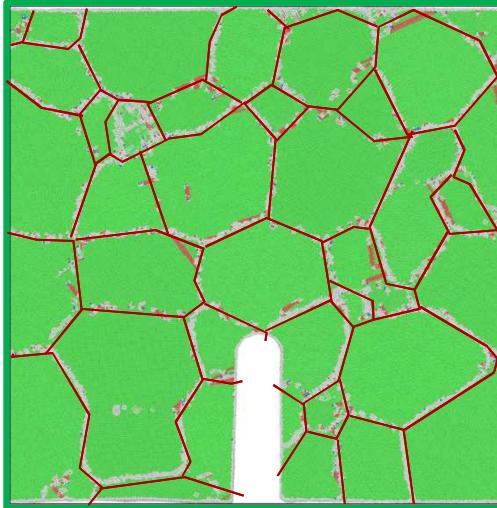
Nanocrystalline metals are **more** sensitive to stress concentrations than their coarse grained counterparts!!!

Models go where experiments can not: nominally identical grain topology but different grain sizes

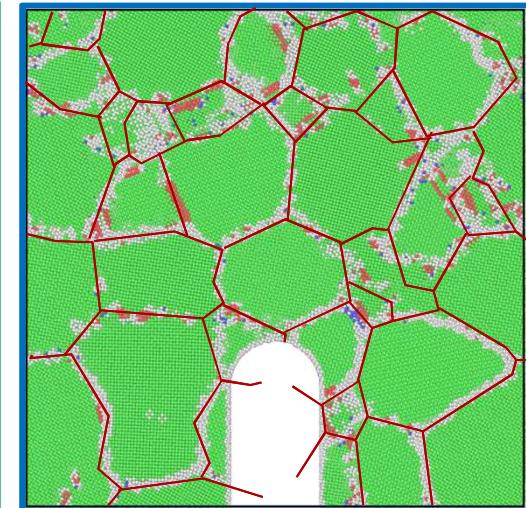
Grain size = 15 nm
Notch:grain = 1:3



Grain size = 10 nm
Notch:grain = 1:2



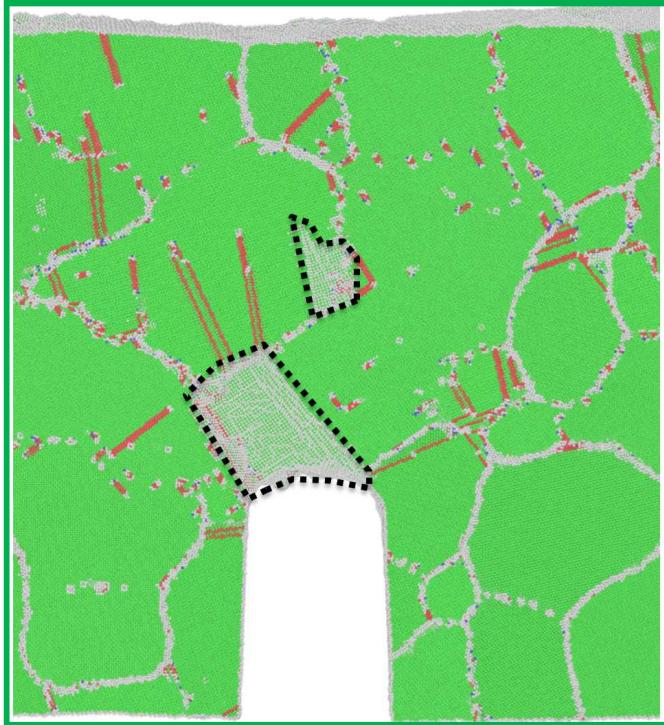
Grain size = 5 nm
Notch:grain = 1:1



 tensile axis

Unlike conventional Vornoi tessellation construction for virtual microstructure, a phase field approach to grain growth enables realistic grain curvature and triple junctions.

Do small grain sizes really provide “extreme stress homogenization”???



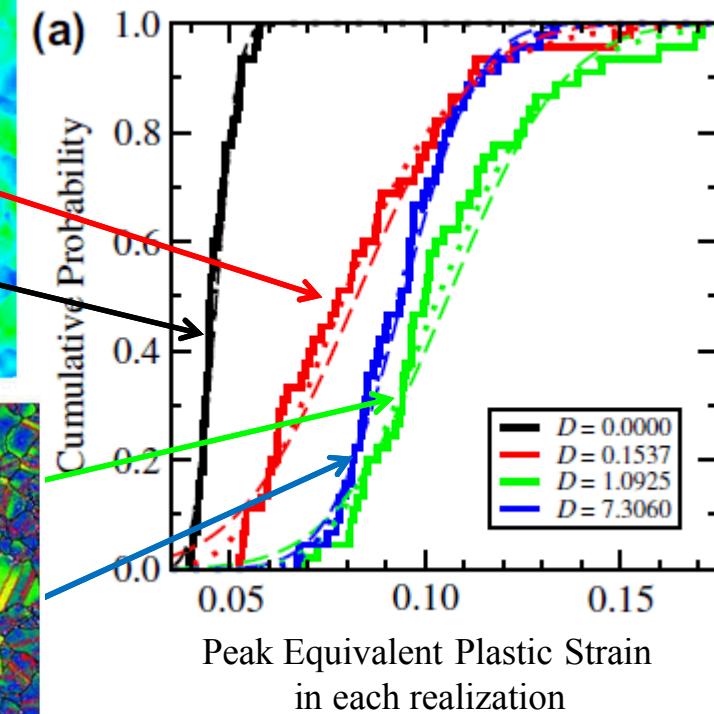
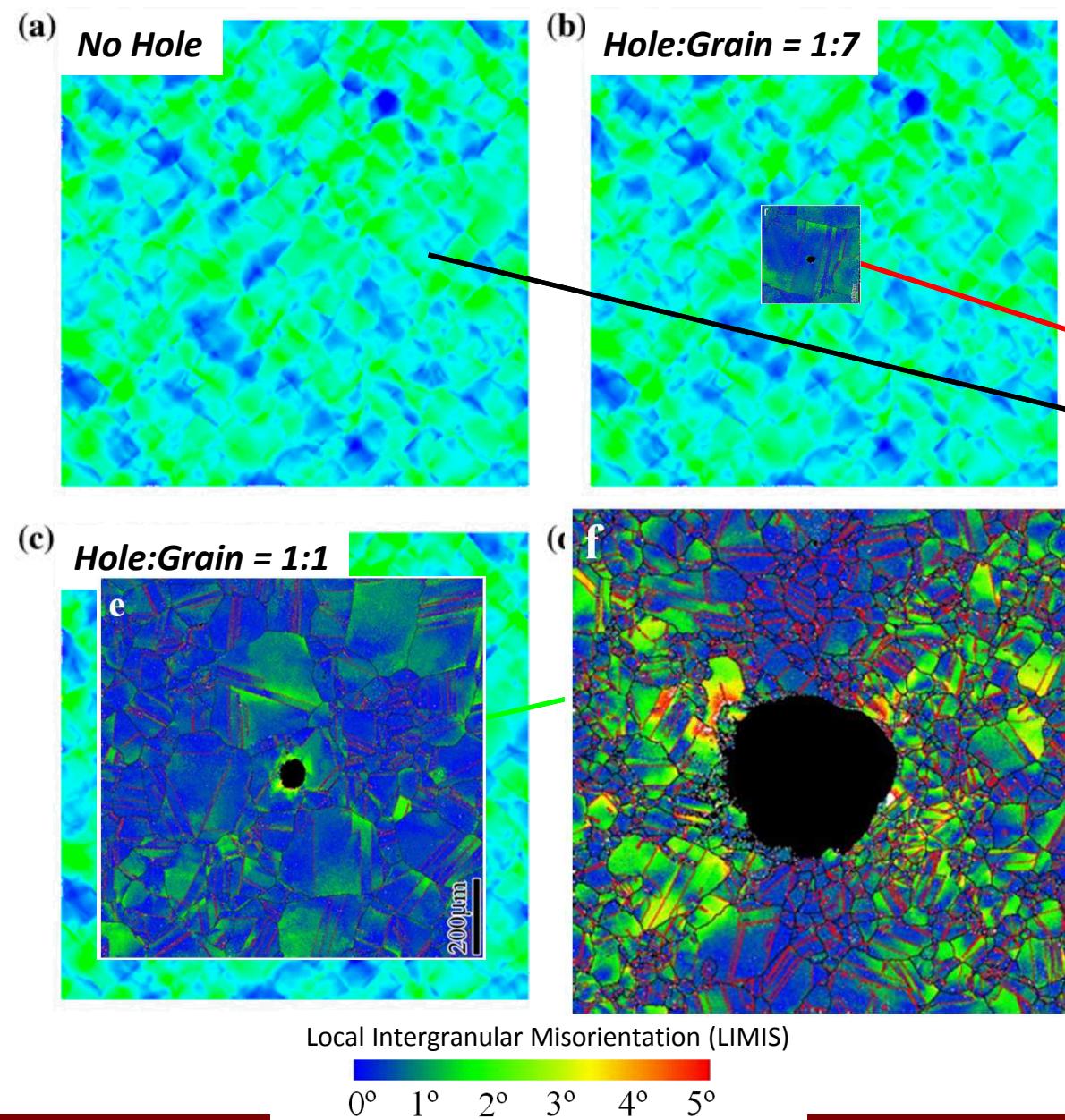
10 nm grain size



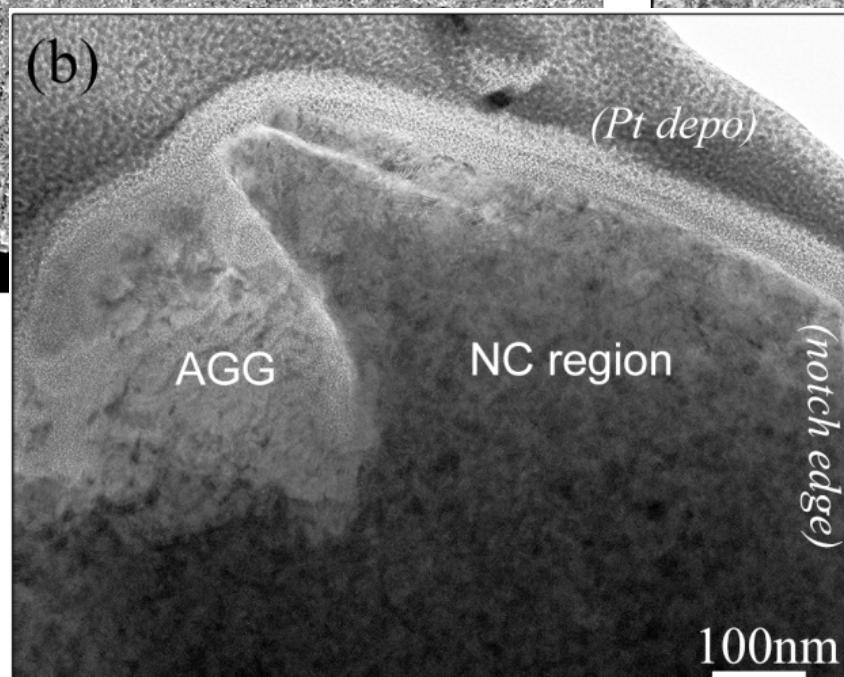
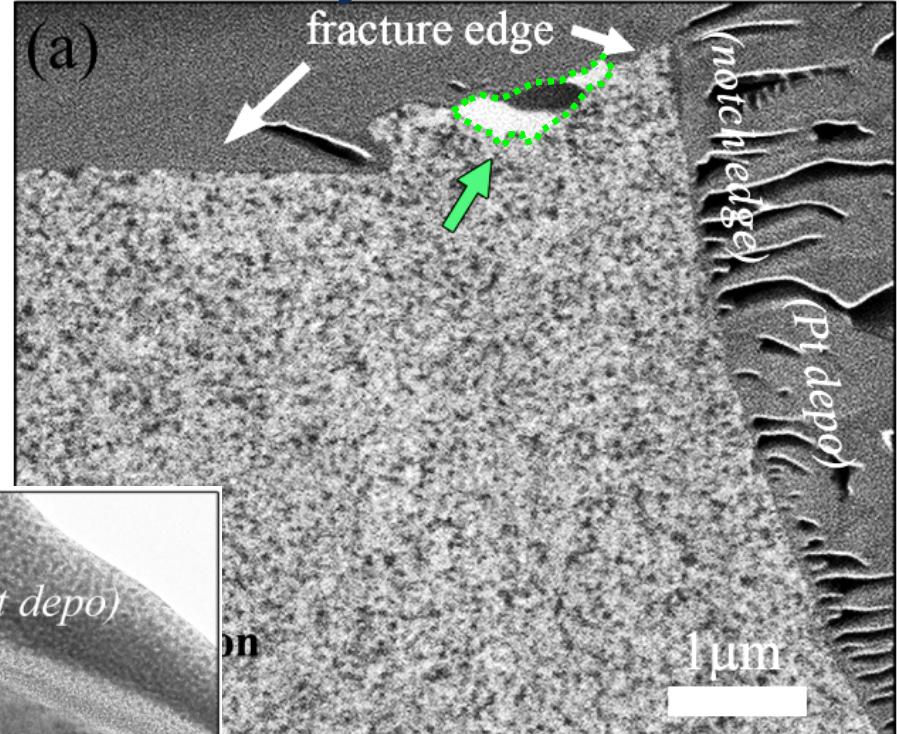
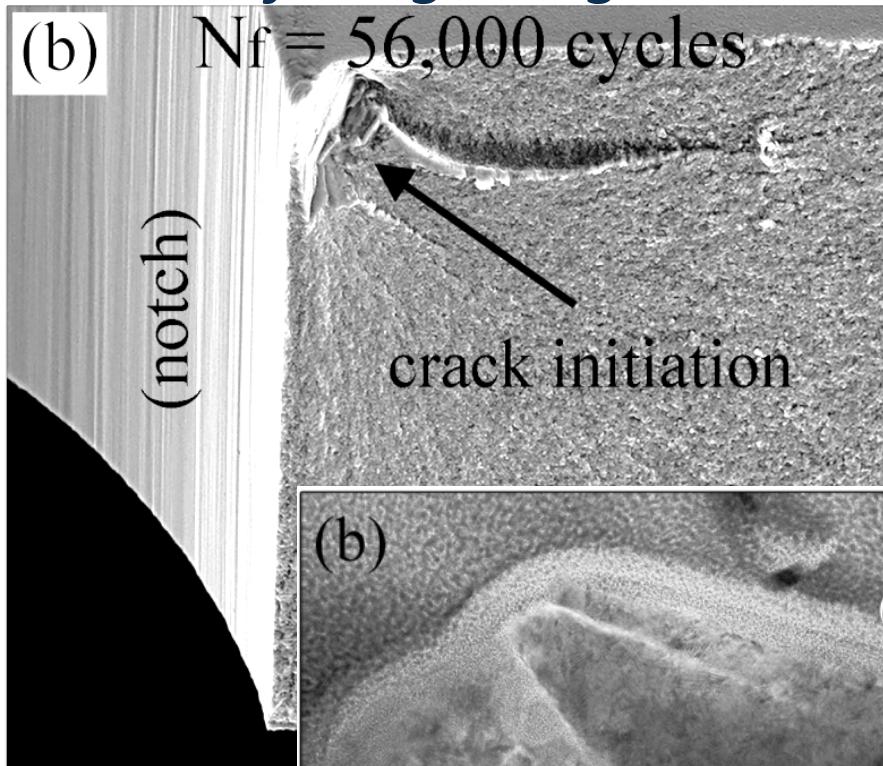
5 nm grain size

tensile axis


The ratio of two length scales matter!!!



Fractography and FIB cross-section confirm grain growth at the source of crack initiation

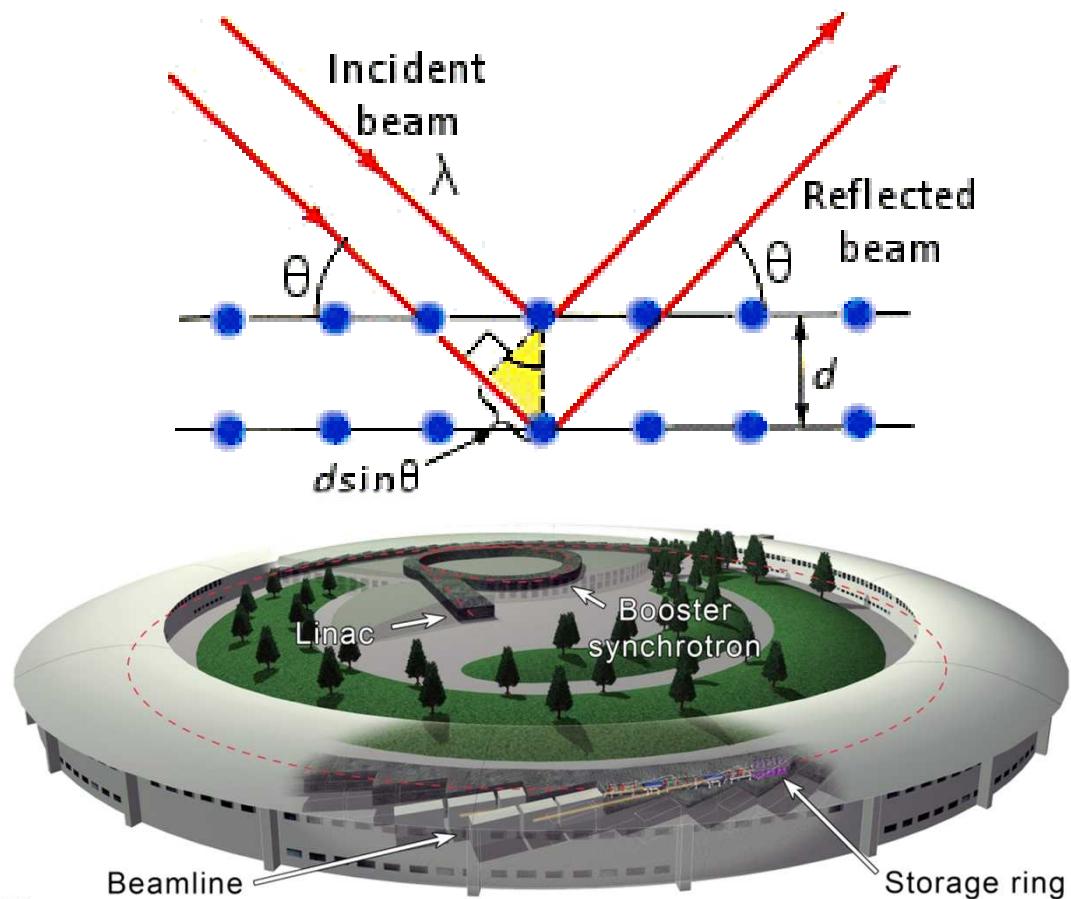


A nagging question: were these large grains caused by deposition or sample preparation, not fatigue?

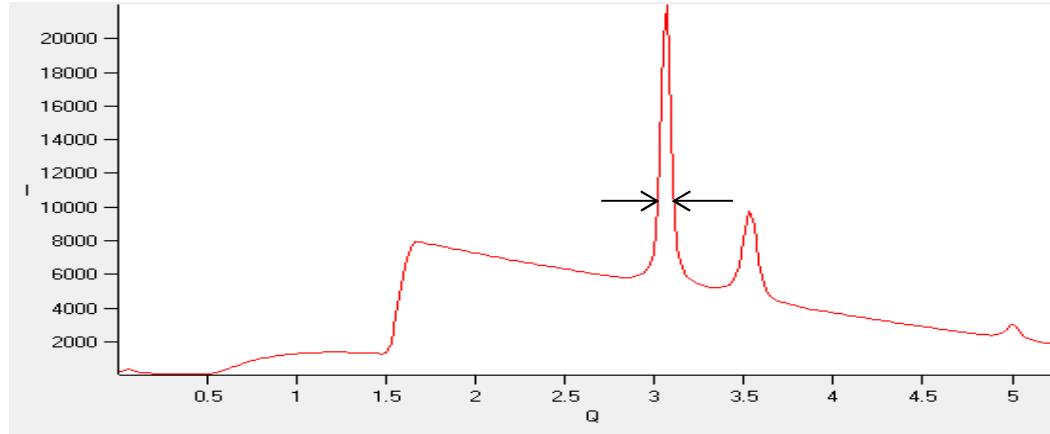
X-rays, Diffraction, & Synchrotrons



Wilhelm Konrad Roentgen's 1896 x-ray image of his wife's hand, Nobel Prize 1901



Diffraction-based grain size measurements rely on observation of peak broadening



Scherrer Formula (1918)

$$B \cos \theta = \frac{K \lambda}{d_{avg}}$$

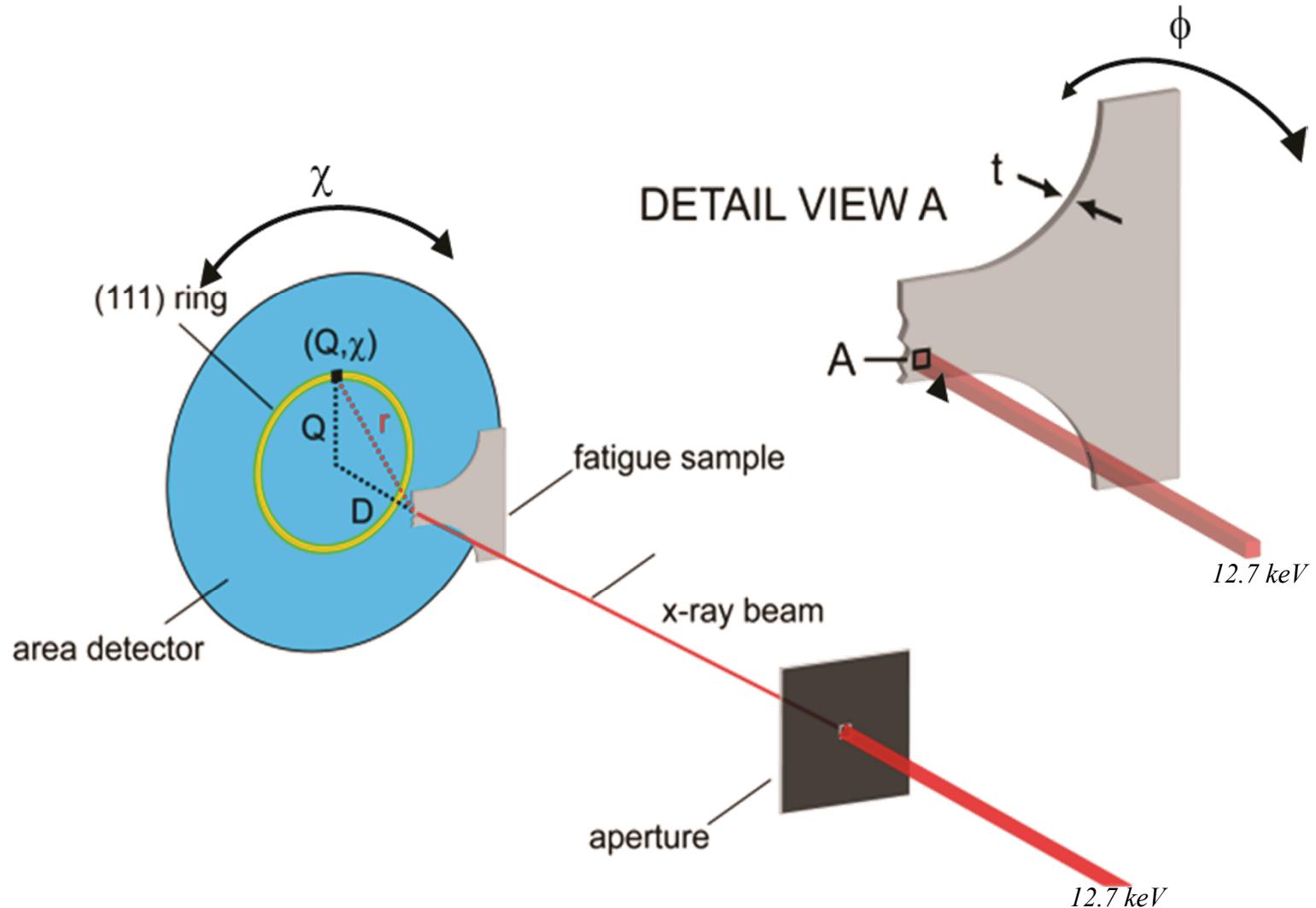
Williamson-Hall (1953)

$$B \cos \theta = \frac{K \lambda}{d_{avg}} + \eta \sin \theta$$

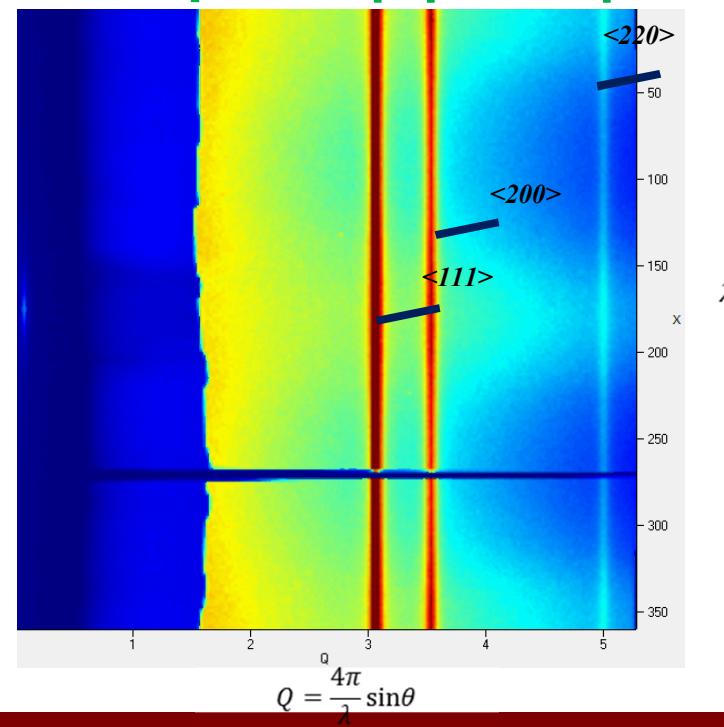
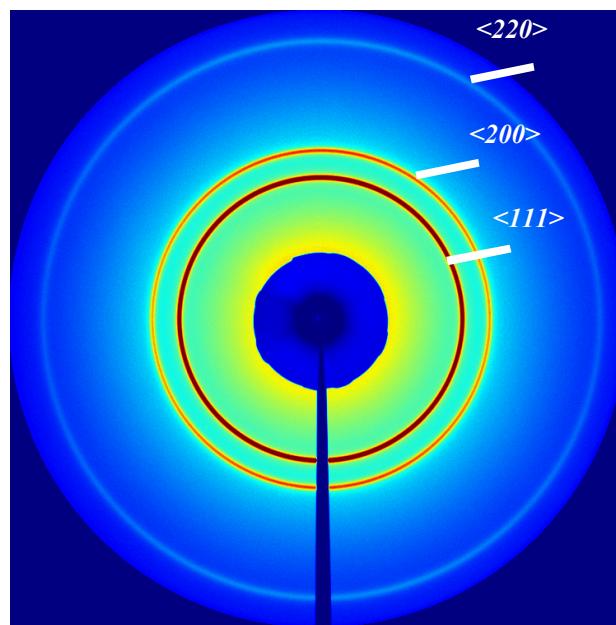
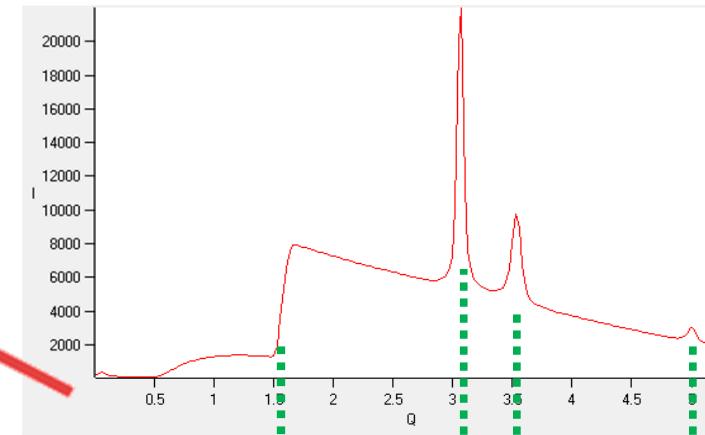
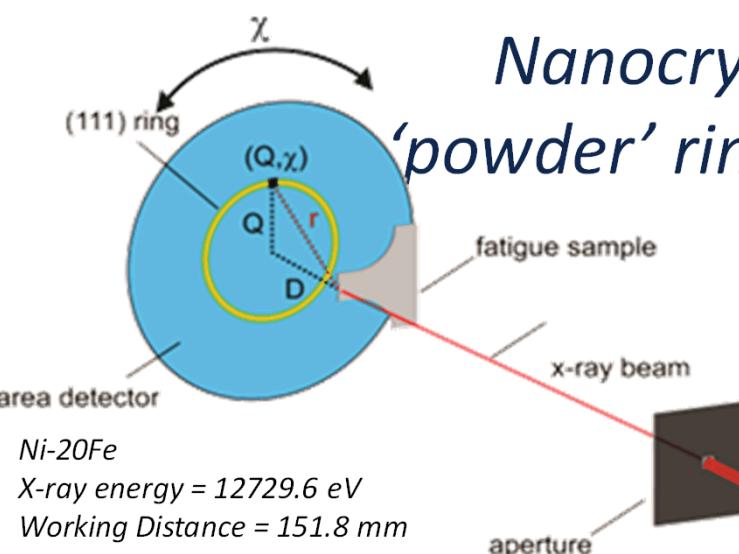
Warren-Averbach (1959)

$$A_L = A_L^S A_L^D = A_L^S \exp[-2\pi^2 L^2 g^2 \langle \varepsilon_{g,L}^2 \rangle]$$

Can we observe the large grains using in-situ transmission synchrotron x-ray diffraction?

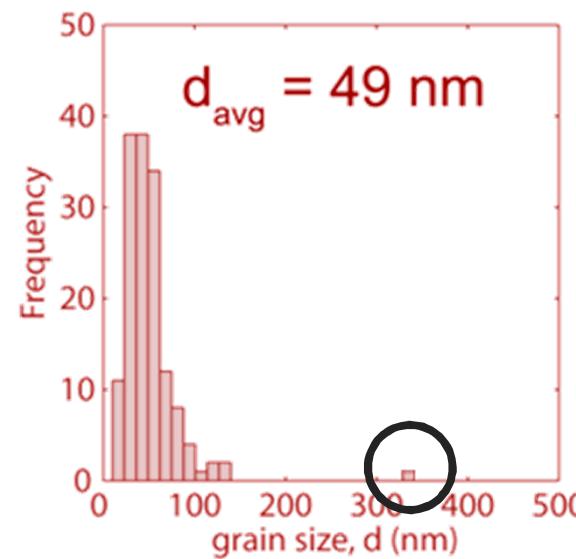
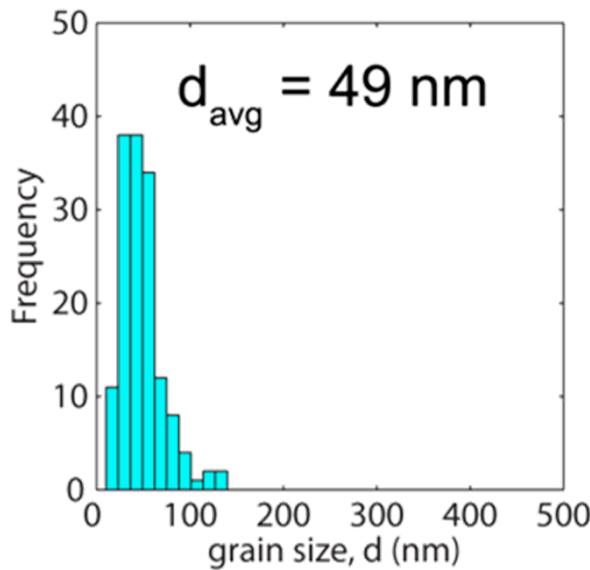
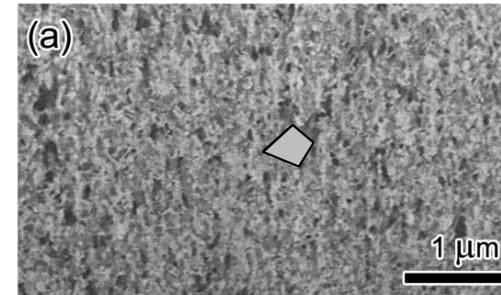
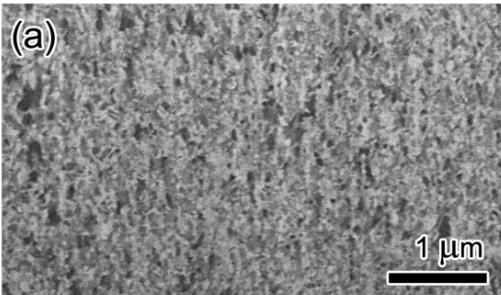


Nanocrystalline metals produce 'powder' ring pattern on area detector



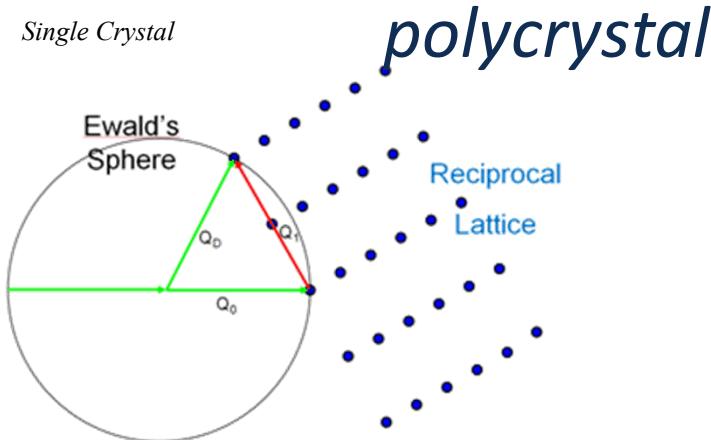
The crux of the problem: needle-in-a-haystack: the onset of abnormal grain growth has an imperceptible effect on the average grain size

Before abnormal grain growth After abnormal grain growth



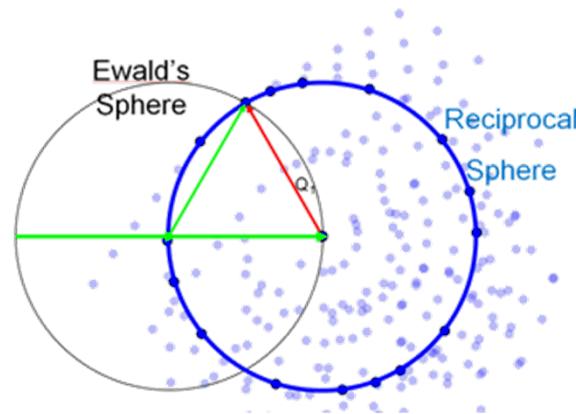
A hypothesis: a large grain in a sea of small grains should diffract like a single crystal superimposed on a polycrystal

Single Crystal

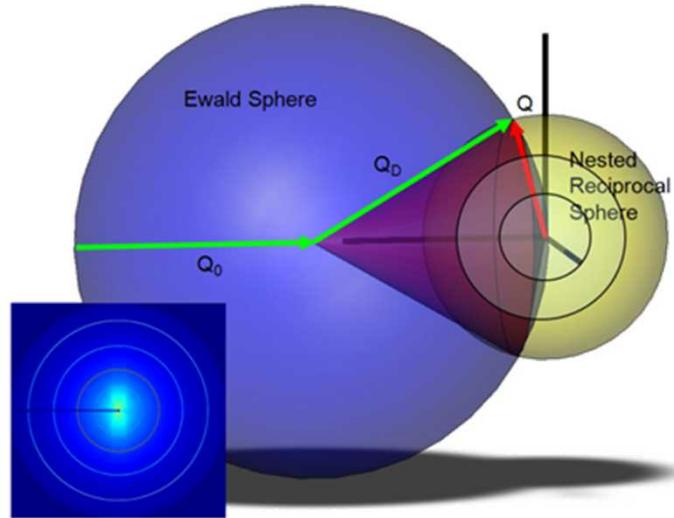


polycrystal

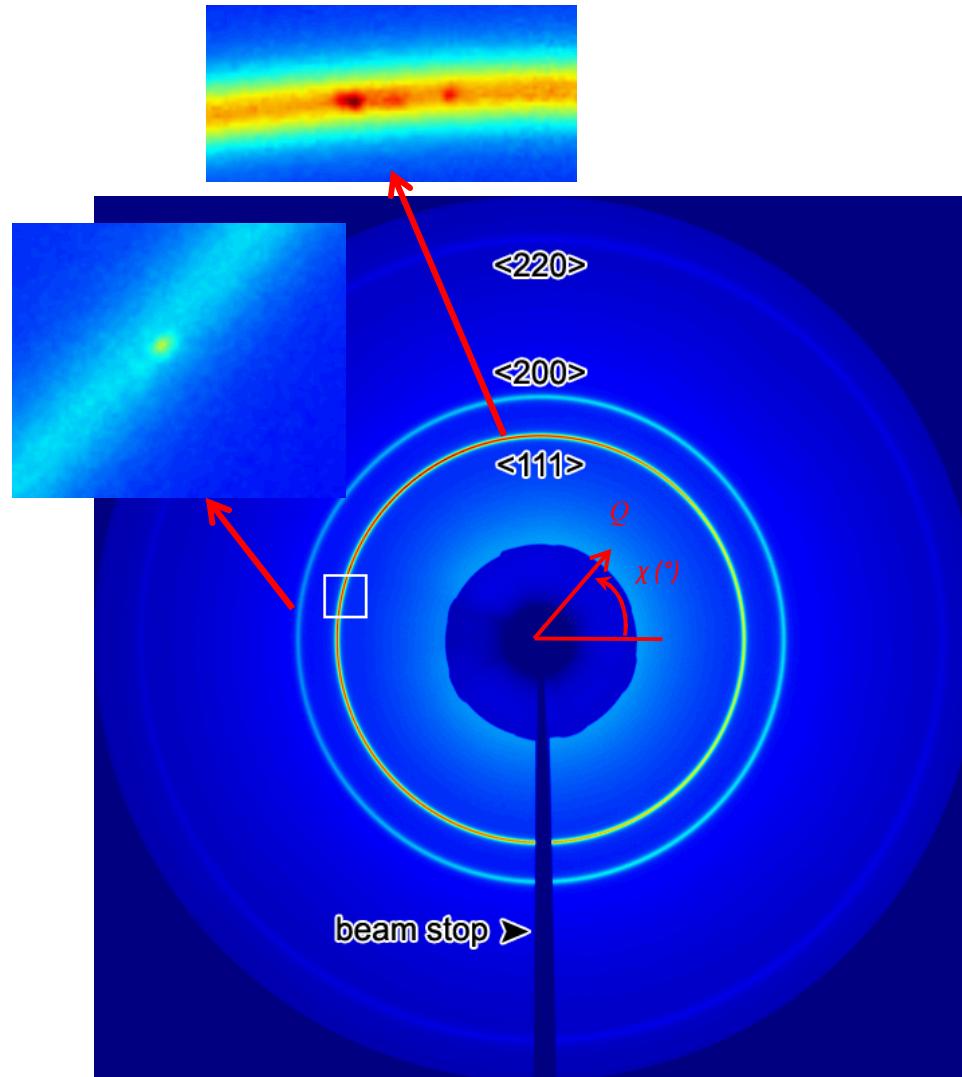
Oligocrystal



Polycrystal

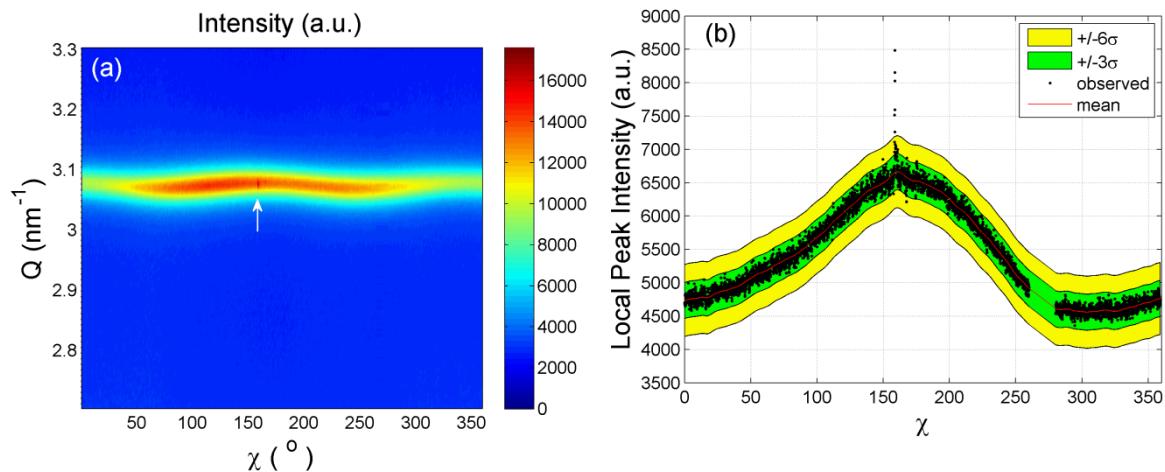
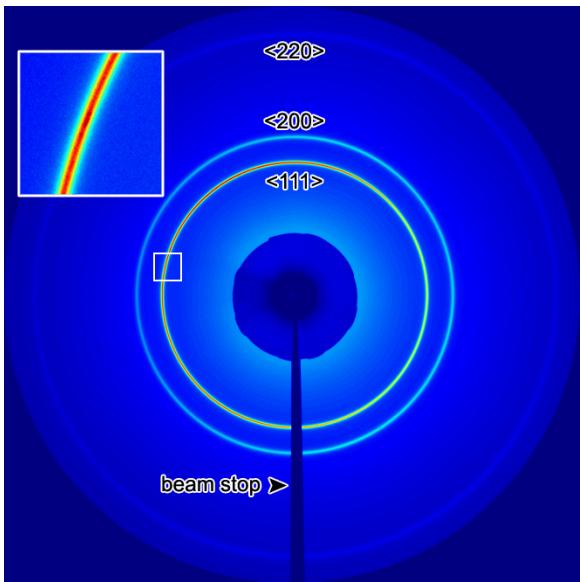


Preliminary Observation: A 'spike' in the diffraction ring.



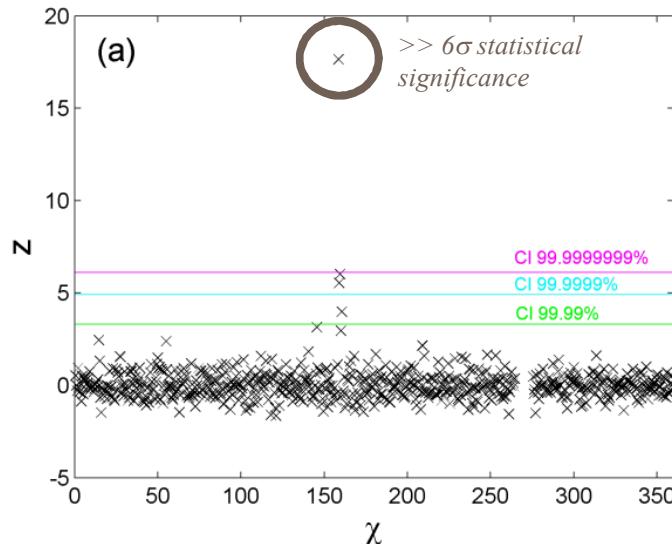
How do we know these spikes are truly statistically significant anomalies and not just noise?

An abnormal intensity spike is the single crystal signature that stems from an isolated large grain



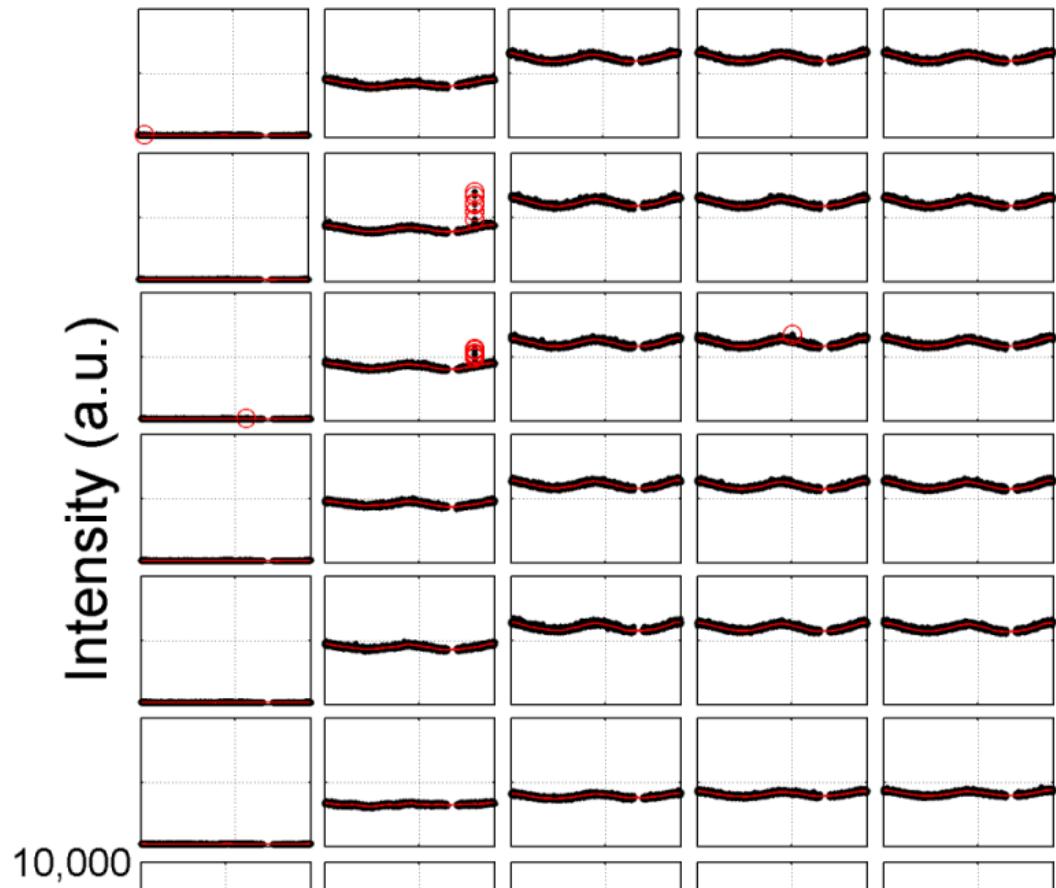
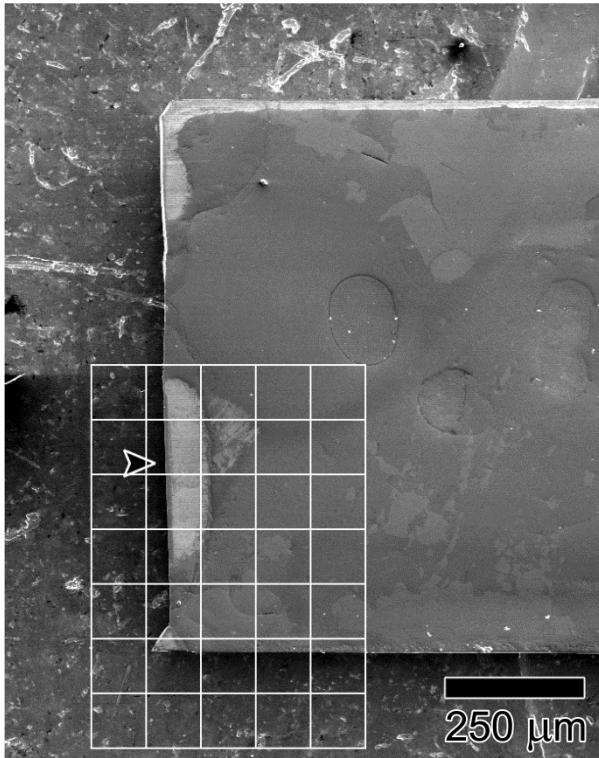
$$\sigma = \sqrt{\frac{1}{N} \sum_{i=1}^N (X_i - \mu_i)^2}$$

$$X_i = I(\chi_i) - \mu(\chi_i)$$



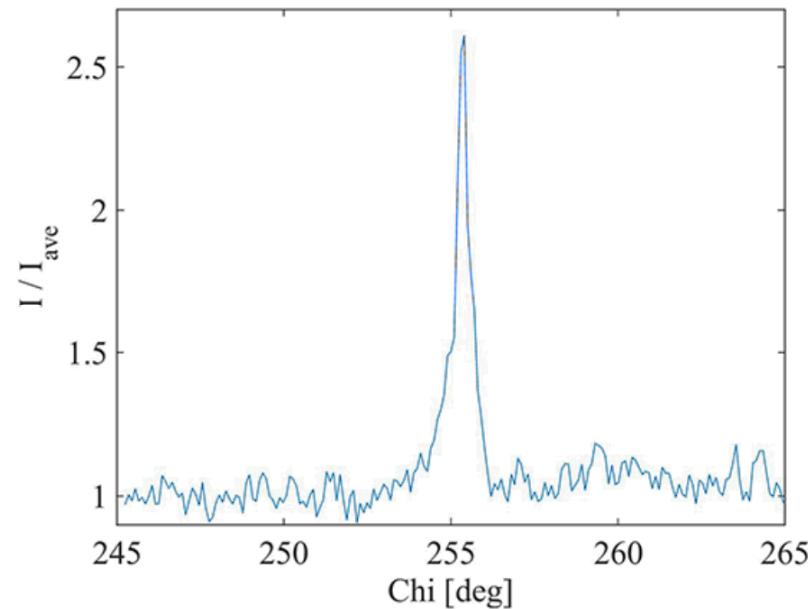
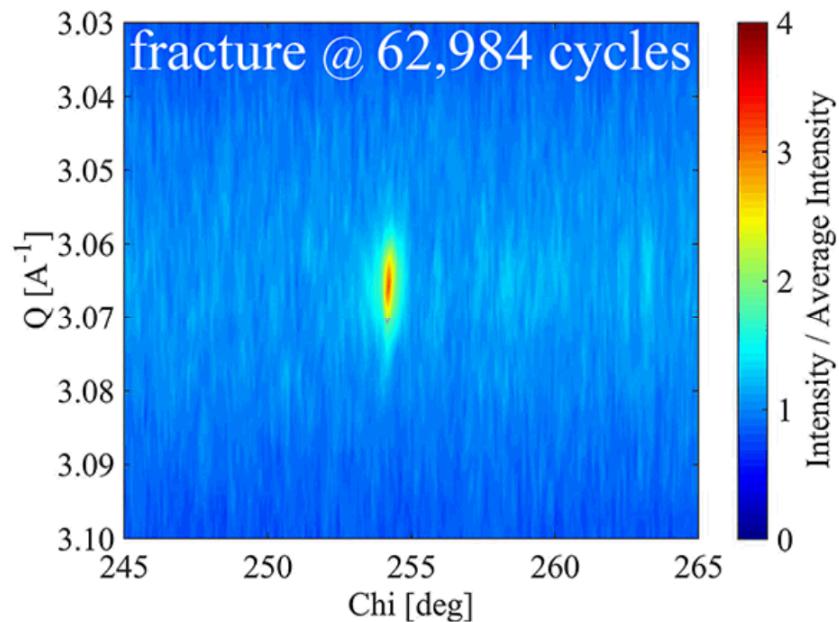
Confirmation: the intensity spike occurs in the known location of grain growth and nowhere else

(b) Sample 13f-A 100 μm (200) ring

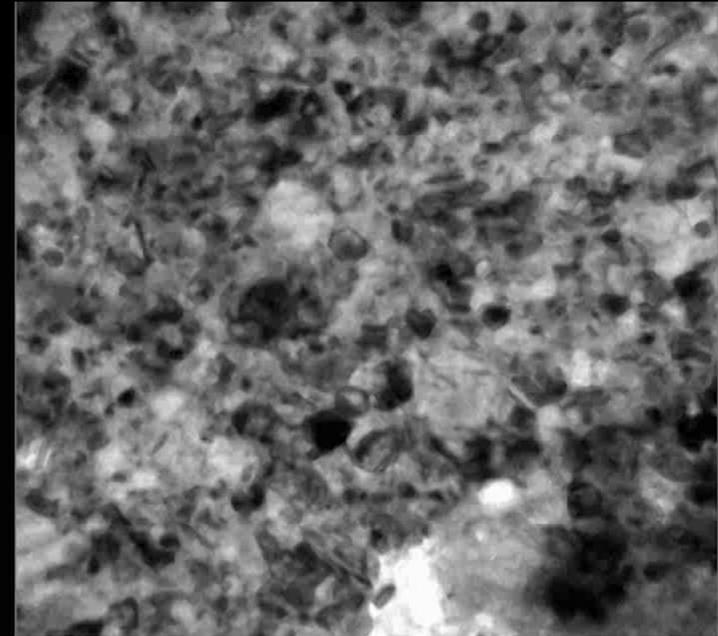


We've identified 1 large grain in a sea of 10×10^9 small grains. The large grain occupies $\sim 0.00001\%$ of the interrogation volume, and is identified with a statistical confidence $>> 99.999998\%$ (6σ).

The definitive experiment: Detecting the onset of grain growth during fatigue



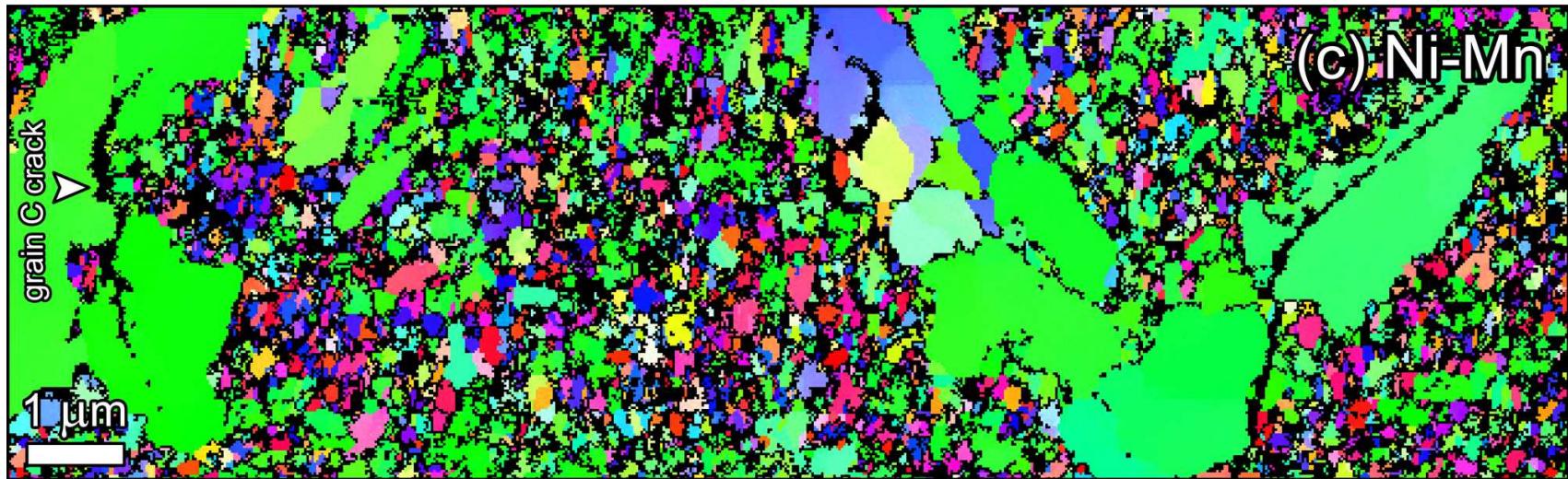
in situ
dynamic loading



HYSITRON™

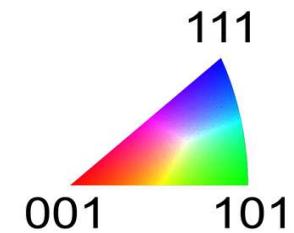
See Poster by Khalid Hattar: Observing grain growth through mechanical, thermal, and irradiation stimuli

How could abnormal grain growth occur at such low temperatures???

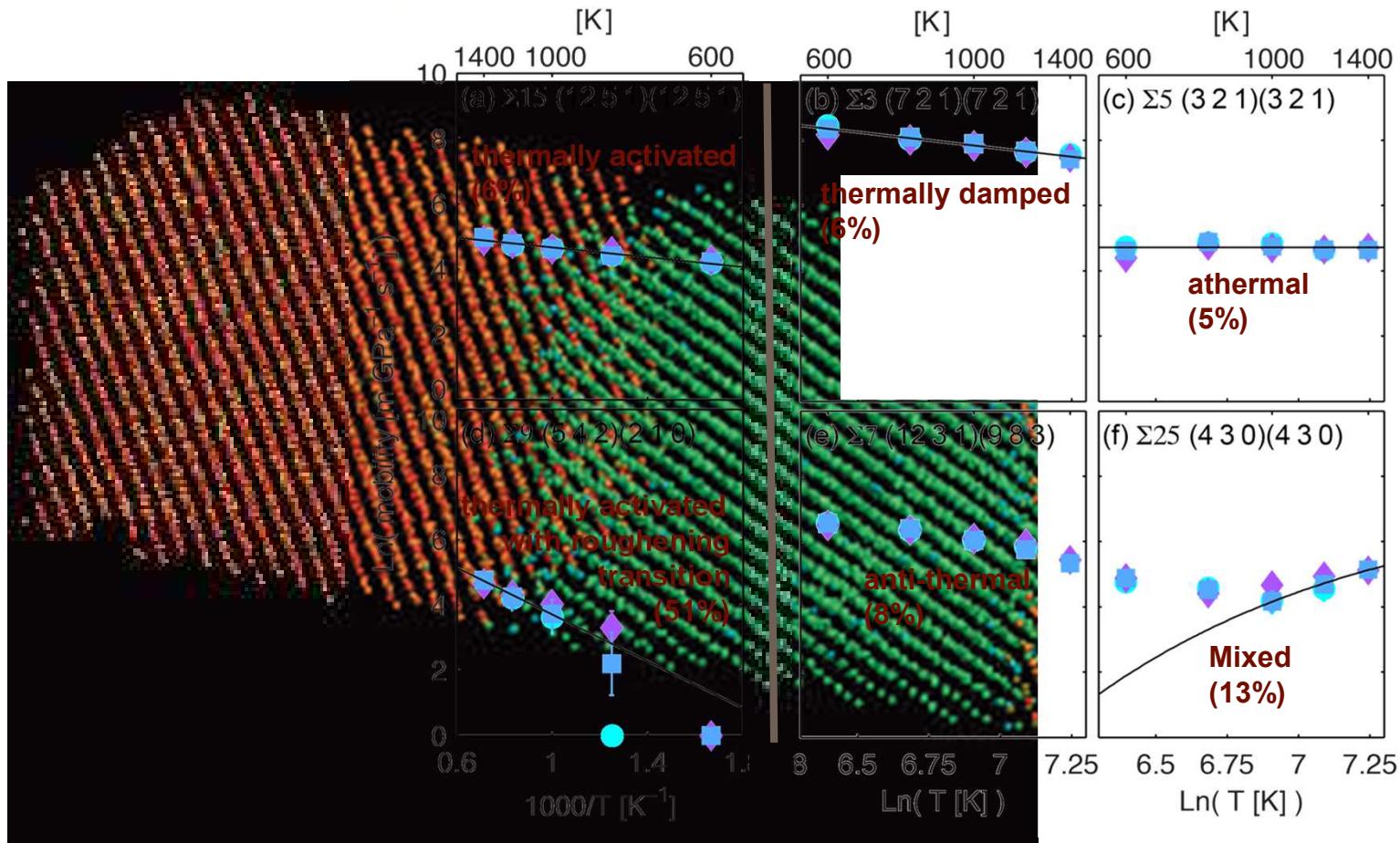


What causes these few grains to grow so quickly
at room temperature?

Hypothesis: a few grain boundary types have a
distinct mobility advantage



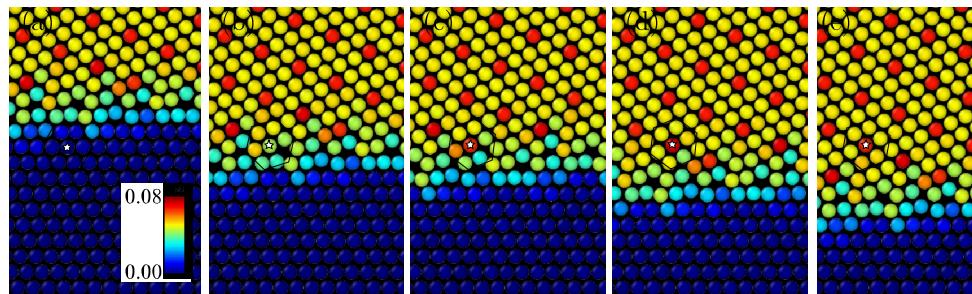
Hypothesis: a small fraction of grain boundaries have exceptional mobility



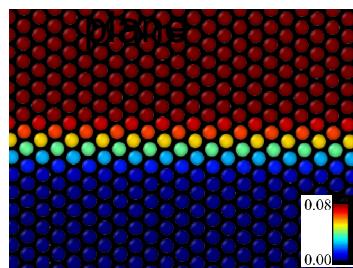
Mechanisms of antithermal grain boundary motion

- Commonly present in $\Sigma 3$ and $\Sigma 7$ boundaries, which contain a common (111) plane, but not all behave antithermally, nor is this motion mechanism exclusive to these orientations
- The mechanism is qualitatively different from that encountered in thermally activated boundaries
 - Mechanism is based on the coordinated motion of many atoms
 - Often involves shuffling or rotation on a common (111) plane (or nearly co-planar)
 - Often involving rotation around a common center, even out-of-plane
- The existence of out-of-plane coordinated motion may make it difficult to establish a simple rule governing whether or not a boundary moves in a non-thermally activated manner.

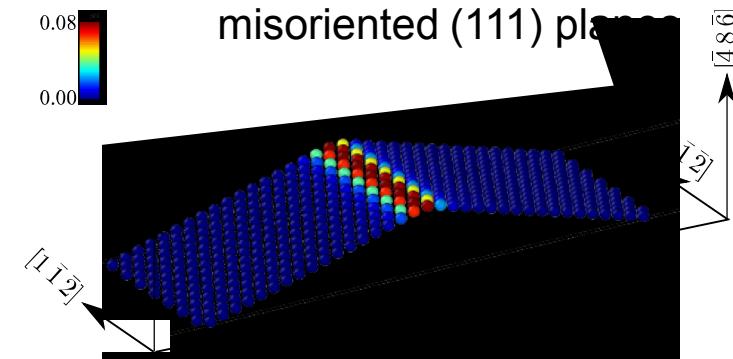
1. In-plane rotation about a fixed atom on a common (111) plane



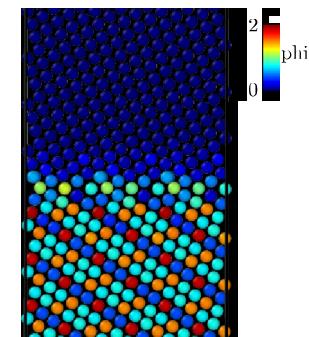
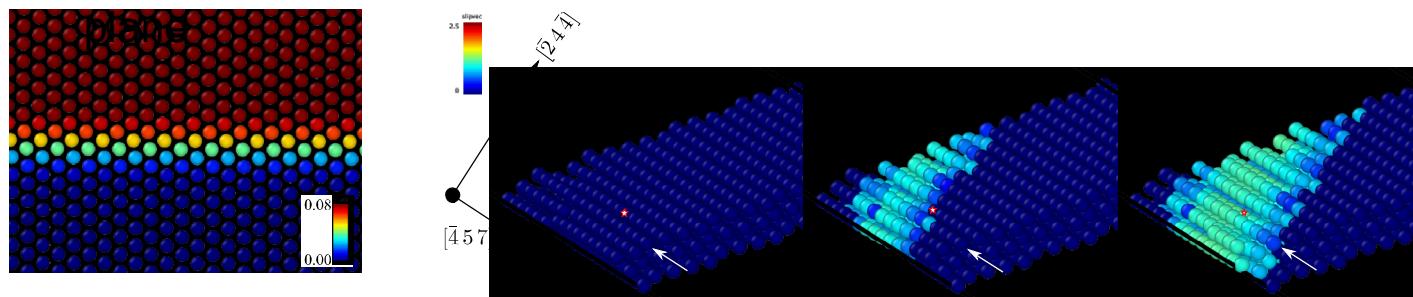
2. In-plane rotation without center on common (111)



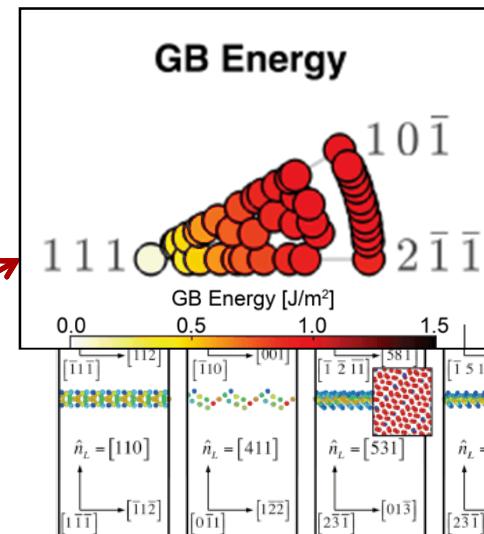
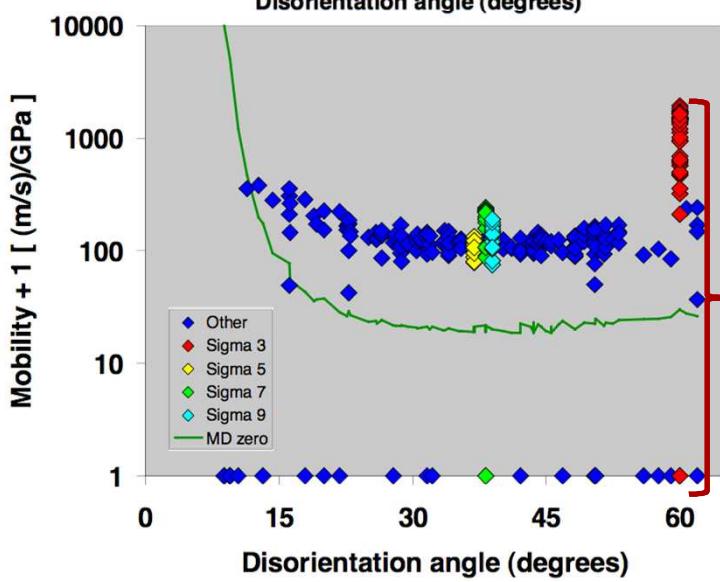
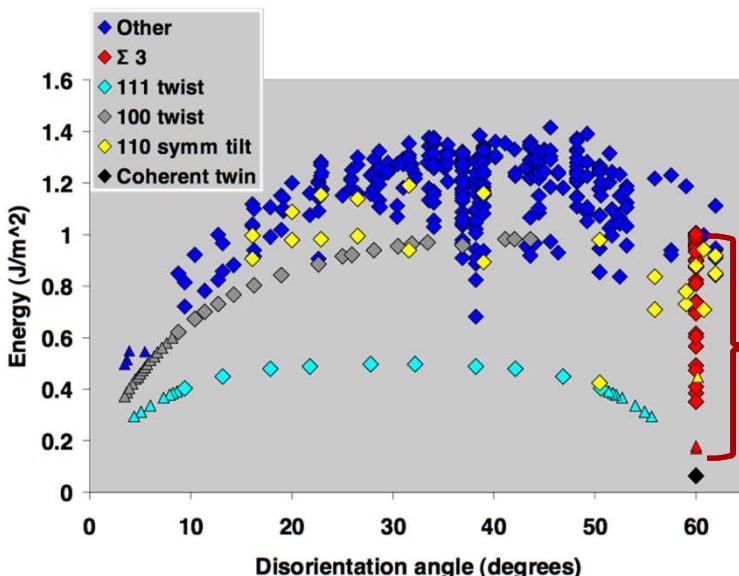
3. Rotation between two misoriented (111) planes



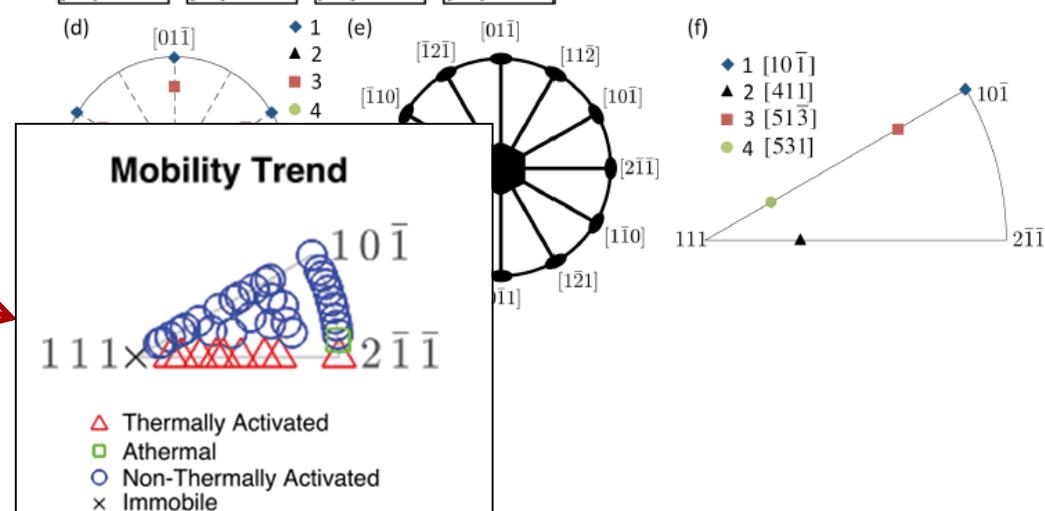
4. Out-of-plane rotation about a common center



From Someone Else's Work: Srikanth Patala and Eric Homer's revelation on representing grain boundary properties.



Fundamental Zone representation:
Prog. Mater. Sci., 2012



Summary

1. Stress concentrations **are** relevant for nanocrystalline metals, but when the feature size approaches the grain size, the effects can be swamped by microstructural effects.

For this reason, nanocrystalline metals actually have an **increased sensitivity** to notch effects!

2. A new x-ray diffraction modality combined with the localizing effect of notches allows the observation of dynamic abnormal grain growth during fatigue testing.

3. While there is still controversy about the mechanisms for low-temperature mechanically-driven abnormal grain growth, the cause is likely linked to the existence of a few 'special' anti-thermal grain boundary types which move by a coordinated motion of many atoms simultaneously.

