

Improvement and Validation of a Transient Model to Predict Photovoltaic Module Temperature

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Abstract: Module temperature is modeled using a transient heat-flow model. Module temperature predicted in this fashion is important in the calculation of cell temperature, a vital input in performance modeling. Parameters important to the model are tested for sensitivity, and optimized to a single day of measured module temperature using simultaneous non-linear least squares regression. These optimized parameters are then tested for accuracy using a year's worth of data for one location. The results obtained from this analysis are compared with modeled data from a different site, as well as to results obtained using a steady-state model.

Models

The transient model [1] simulates module temperature as a balance between incoming heat and heat losses from electrical conversion, radiation, and convective heat transfer.

$$C_{\text{module}} \frac{dT_{\text{module}}}{dt} = q_{lw} + q_{sw} + q_{conv} - P_{\text{out}}$$

where:

$$C_{\text{module}} = \sum_m A \cdot \rho_m \cdot t_m \cdot C_m$$

$$q_{lw} = A \cdot \sigma \cdot \left[\left(\frac{1 + \cos \beta_{\text{surface}}}{2} \cdot \varepsilon_{\text{sky}} \cdot T_{\text{sky}}^4 \right) + \left(\frac{1 - \cos \beta_{\text{surface}}}{2} \cdot \varepsilon_{\text{ground}} \cdot T_{\text{ground}}^4 \right) - (\varepsilon_{\text{module}} \cdot T_{\text{module}}^4) \right]$$

$$q_{sw} = \alpha \cdot \phi \cdot A$$

$$q_{conv} = -(h_{c,\text{forced}} + h_{c,\text{free}}) \cdot A \cdot (T_{\text{module}} - T_{\text{ambient}})$$

$$P_{\text{out}} = C_{\text{FF}} \cdot \frac{E_e \ln(k_1 E_e)}{T_{\text{module}}}$$

The simpler steady-state model [2] uses the same weather data as does the transient model, and includes empirically-determined coefficients (a and b , both less than zero) to form a relationship between the weather inputs.

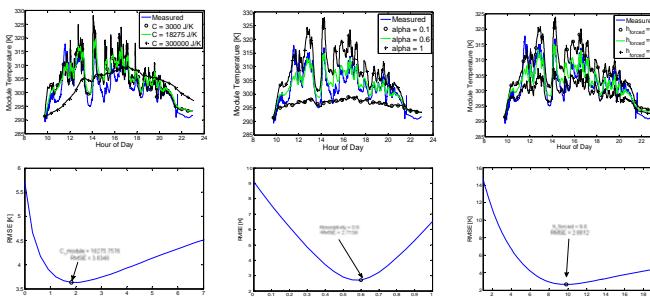
$$T_{\text{module}} = E \cdot \{e^{a+b \cdot WS}\} + T_{\text{ambient}}$$

Data

- One year's worth of data collected from tracking cSi modules in Lanai, HI, at 1-second intervals.
- Measured weather inputs include global horizontal and plane-of-array irradiance, wind speed, and ambient temperature.
- Measured module temperature data is used to quantify the accuracy of predicted module temperature.
- One month's worth of similar data collected in Albuquerque, NM at 1-minute intervals used to test for site-specific sensitivity.

Sensitivity and Optimization

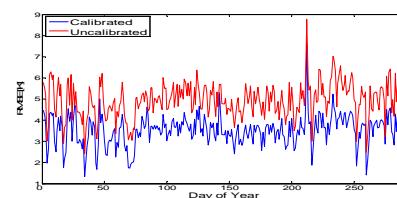
- Most important parameters to the model were found to be C_{module} , α , and $h_{c,\text{forced}}$.
- A relationship between $h_{c,\text{forced}}$ and wind speed was proposed, where $h_{\text{forced}} = \text{constant} \cdot h_{c,\text{forced}} = h_{\text{forced}} \times WS$
- Module temperature was simulated for a range of values for each parameter holding all else constant; to test $h_{c,\text{forced}}$ the coefficient h_{forced} took on different values.
- Data from a representative day in Lanai, HI was used for the simulation: March 25th, 2010.



- The 'best-fit' values (determined by lowest root mean square error) found from this simple study were used as initial conditions in the optimization analysis, which returned the following results using Matlab's built-in *lsqnonlin* function:

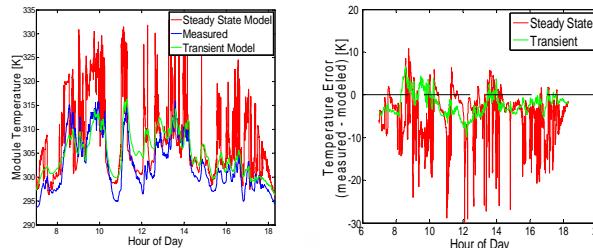
Parameter	Initial Value	Lower – Upper Bounds	Optimized Value
C_{module}	18,276 J/K	3,000 – 300,000	22,280 J/K
α	0.6	0 – 0.8	0.8
$h_{c,\text{forced}}$	9.8 \times WS	1 – 50	10.65 \times WS

- The model was tested using the optimized parameter values for most days in Lanai in 2010 for which there was data available; the RMSE between predicted and measured module temperature is shown below for each day of the year, using the initial values ('uncalibrated') and the optimized values ('calibrated').



Results

- The transient model was used to simulate one month's (March 2011) worth of module temperature data in Albuquerque, NM using the parameter values optimized for Lanai.
- The error between measured and modeled module temperature as determined by the RMSE is significantly higher than for Lanai, indicating a site-specific model calibration may be necessary.
- Using the same weather and temperature data collected for March 25th, 2010, the steady-state model was used to predict module temperature. The results between the two models and measured temperature are shown below.



- The negative bias in the temperature errors seen for the steady-state model will result in generally higher module temperatures and consequently lower predicted module efficiency.

Conclusions

- The transient model best captures the variability in module temperature compared with a steady-state model.
- The transient model works best when calibrated for a specific location.

References:

- A. D. Jones and C. P. Underwood, "A Thermal Model for Photovoltaic Systems." *Solar Energy* Vol. 70 No. 4, 2001.
- D. L. King, W. E. Boyson, and J. A. Kratochvil, "Photovoltaic Array Performance Model." Sandia National Laboratories Report, SAND2004-3535, 2004.