

# Sensitivity to electronics error in coupled double quantum dot qubits

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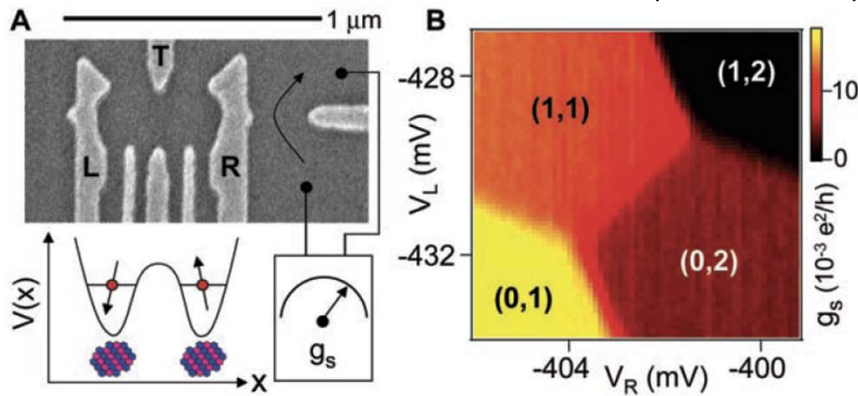
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# Controlled Phase / Coulomb gate

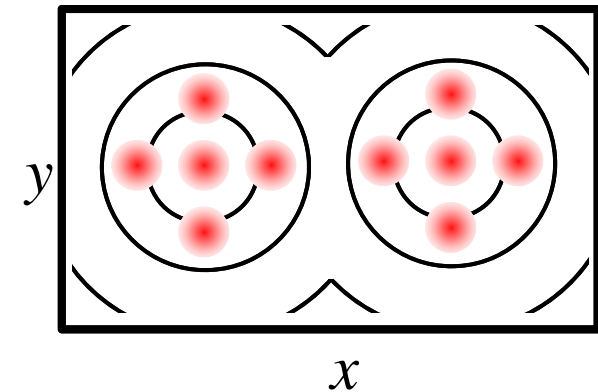
2-electron singlet & triplet encode quantum information

Petta et al., Science **309**, 2180 (2005)

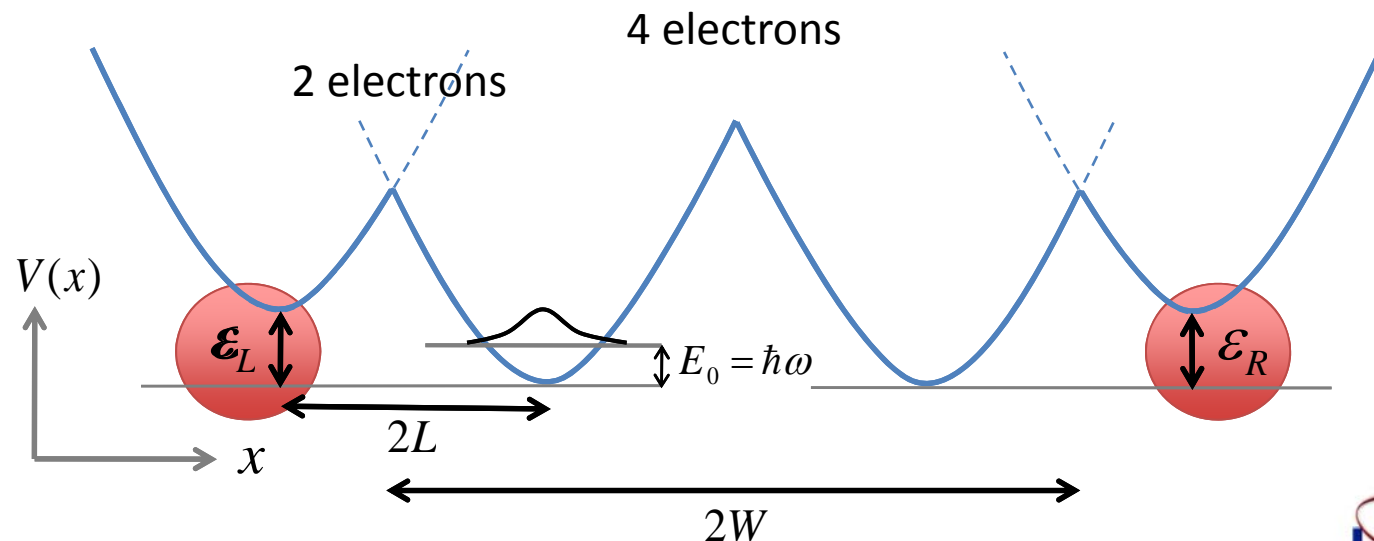


**Method:** Full-CI with Gaussian basis.

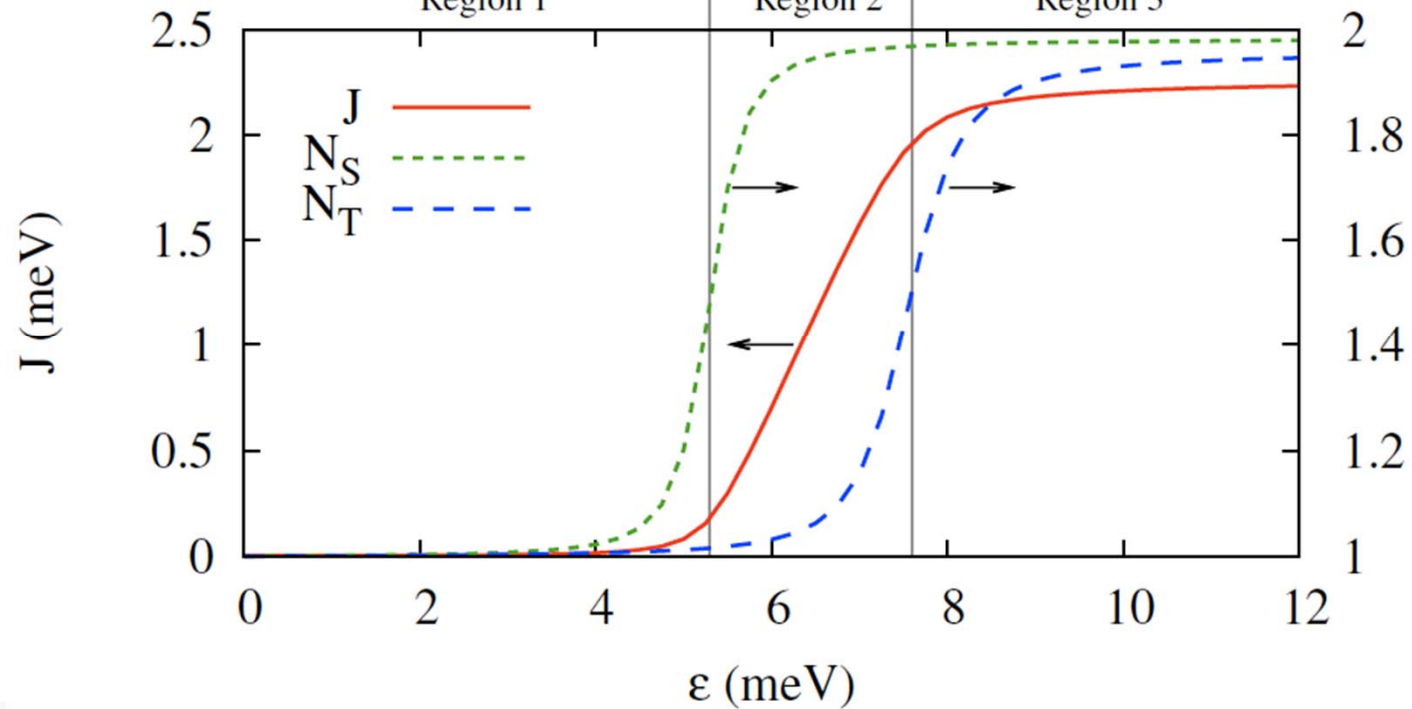
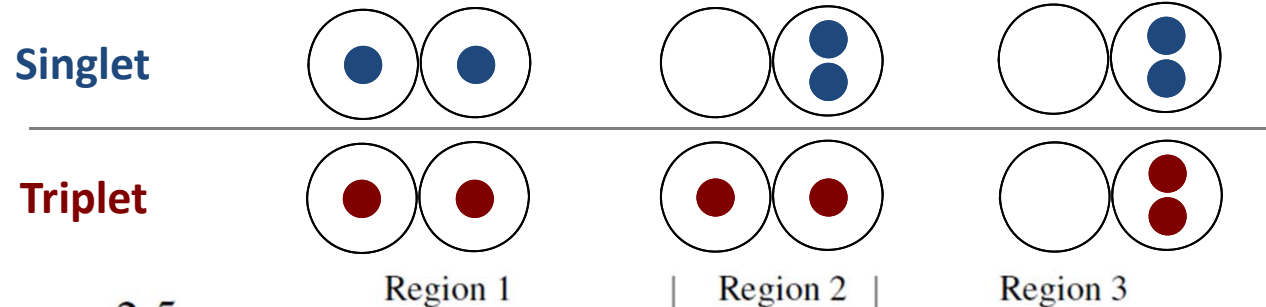
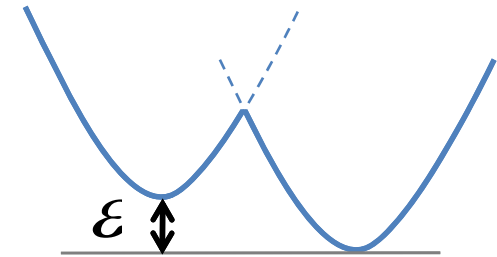
Spatial layout of basis elements:



Potential:



# Single DQD Physics

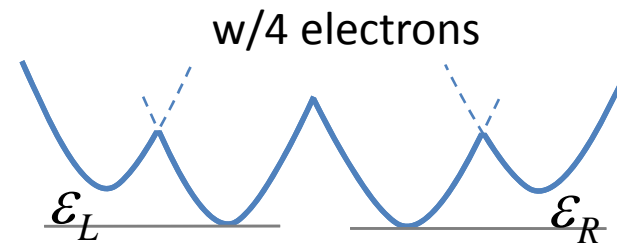


Number of electrons in right dot

# Two DQDs: Entanglement metric

Double DQD Hamiltonian in the singlet-triplet basis:

$$H = \begin{pmatrix} \langle SS| & \langle ST| & \langle TS| & \langle TT| \\ E_{SS} & & & \\ & E_{ST} & & \\ & & E_{TS} & \\ & & & E_{TT} \end{pmatrix}$$



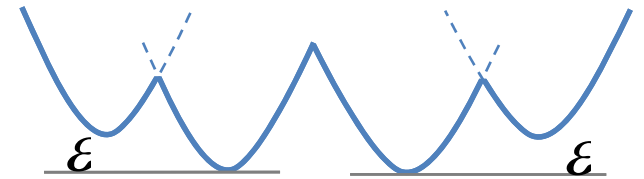
$$\text{Exchange energy of right DQD} = \begin{cases} J_R(|S\rangle) = E_{ST} - E_{SS} & \text{when left dot is singlet} \\ J_R(|T\rangle) = E_{TT} - E_{TS} & \text{when left dot is triplet} \end{cases}$$

$$\text{Two-qubit coupling energy } \Delta = J_R(T) - J_R(S) = (E_{TT} - E_{ST}) - (E_{TS} - E_{SS})$$

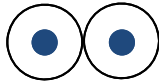
- Analogous to the exchange energy in a single-qubit rotation gate
- $\Delta / \hbar$  proportional to the speed of *controlled* rotation (Cphase)
- Nonzero  $\Delta$  means qubits are entangled

# Case1: Symmetric detuning

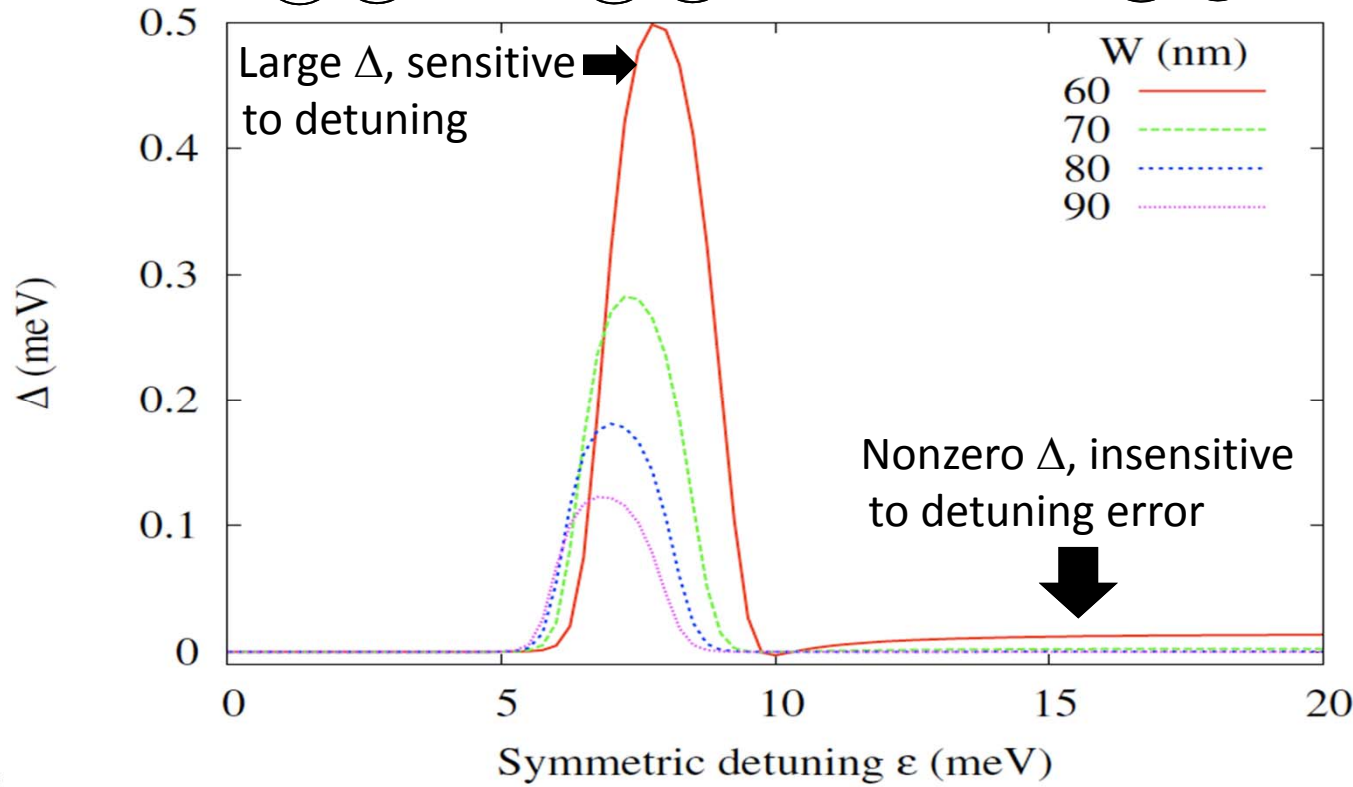
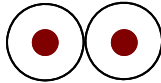
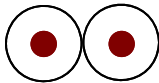
$$\mathcal{E} \equiv \mathcal{E}_L = \mathcal{E}_R$$



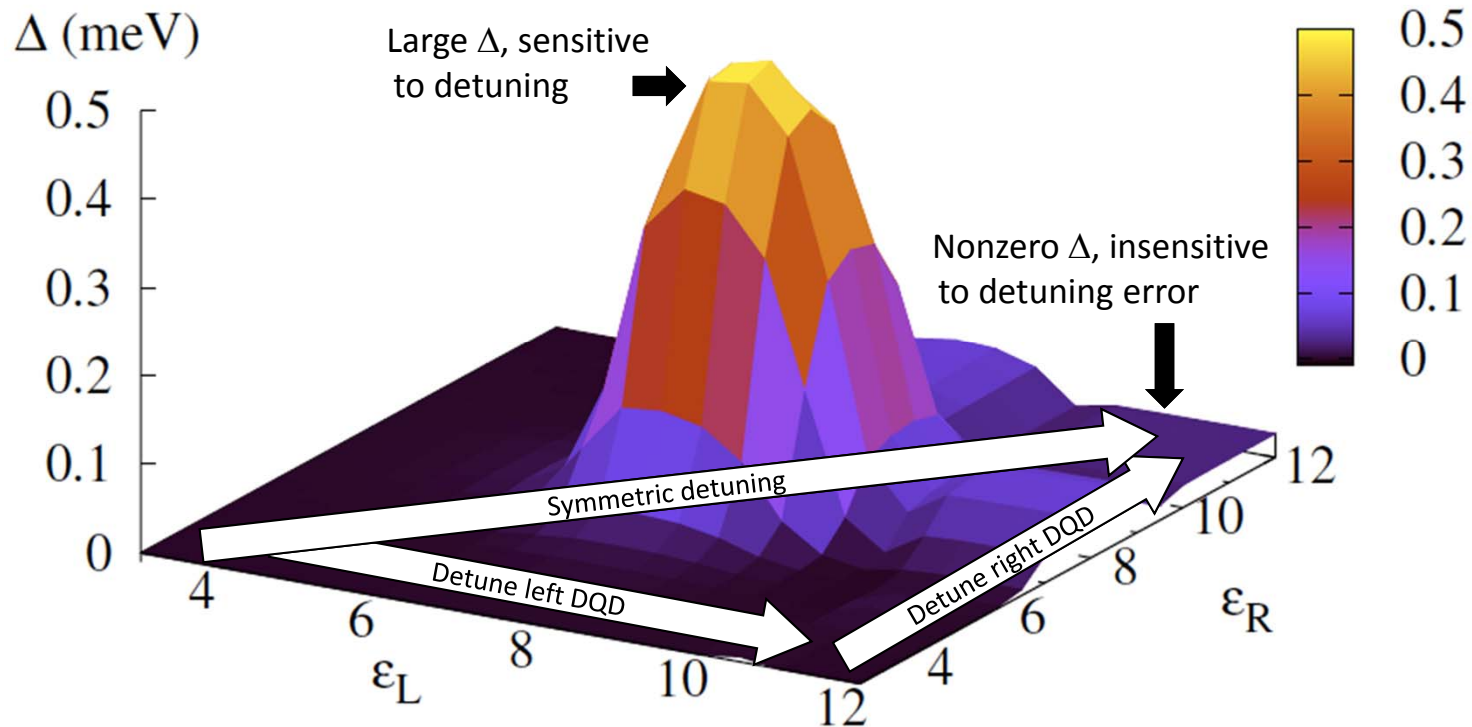
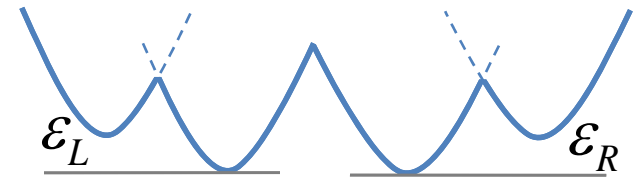
Singlet



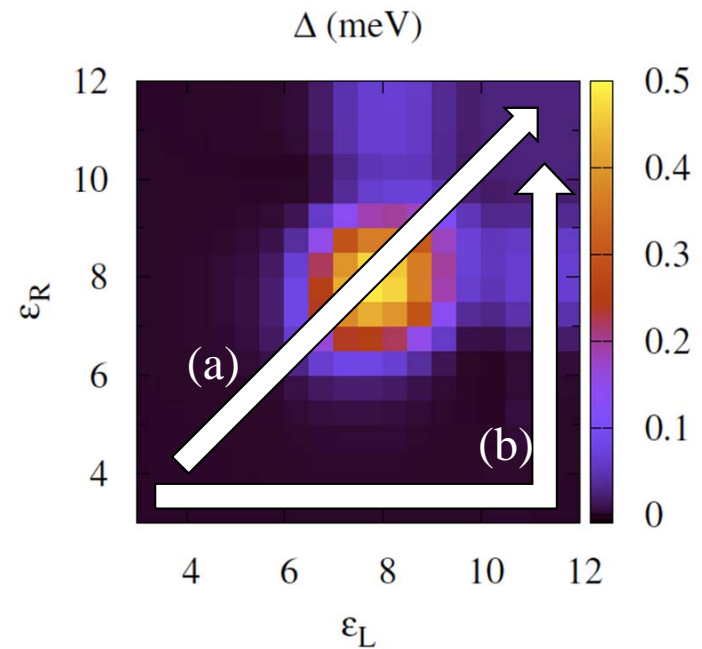
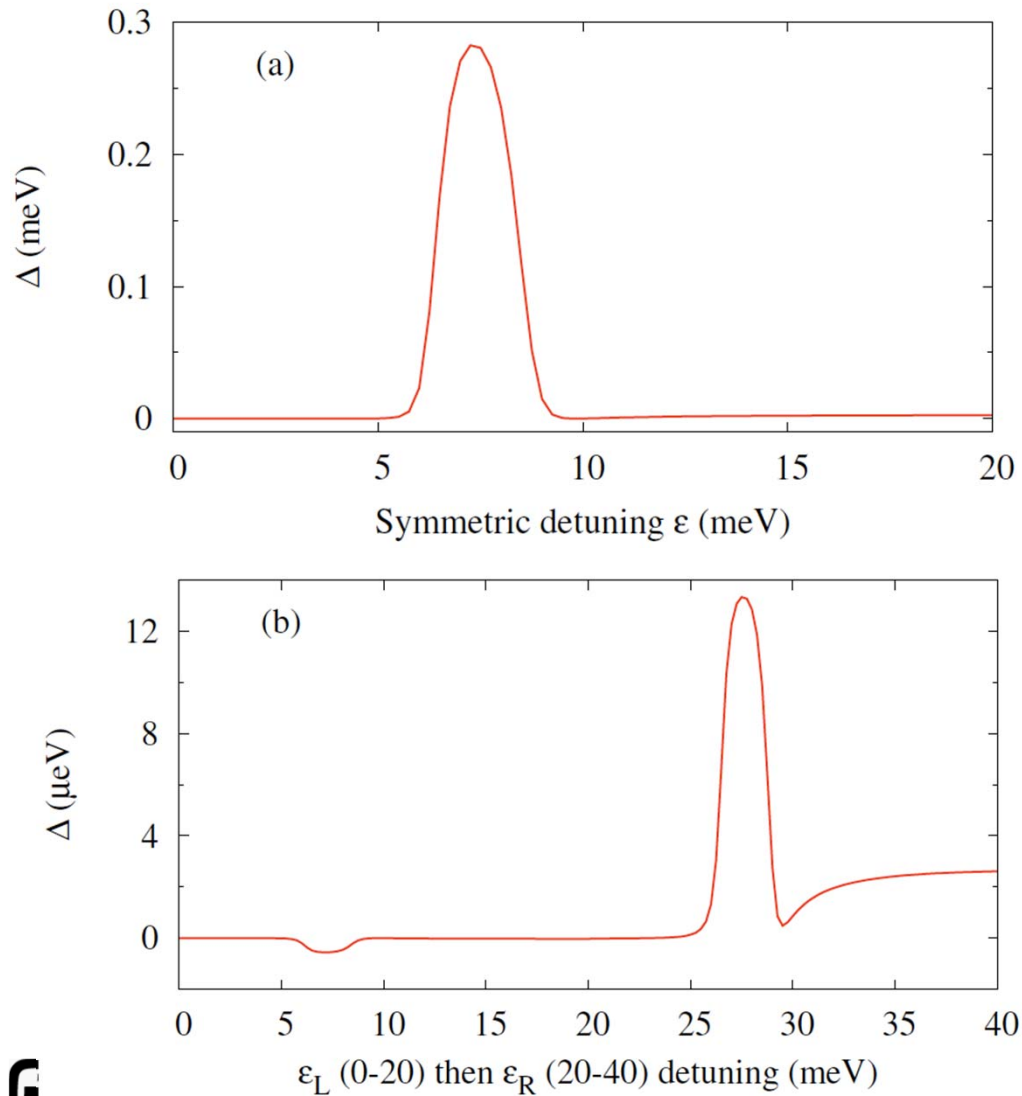
Triplet



## Case2: Asymmetric detuning



# Gate operation: btwn. on and off



# Summary / Conclusions

- Capacitive coupling between two singlet-triplet DQDs results in 2-qubit “Coulomb” gate  $\sim C\text{phase}$
- Coulomb gate can be operated in different regimes, with tradeoff between speed and detuning insensitivity
- Non-symmetric biasing opens up new possible operation regimes, and would be advantageous for operating in the high-detuning regime which is less sensitive to detuning noise.