

Maximizing Efficiency in Two-Step Solar-Thermochanical Fuel Production

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Sandia National Laboratories

Sandia is a multi-program laboratory operated by Sandia Corporation, a Lockheed Martin Company, for the United States Department of Energy's National Nuclear Security Administration under contract DE-AC04-94AL85000.

Chasing Carnot, Stefan and Boltzmann

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Acknowledgements

James Miller and Anthony McDaniel
Sandia National Laboratories

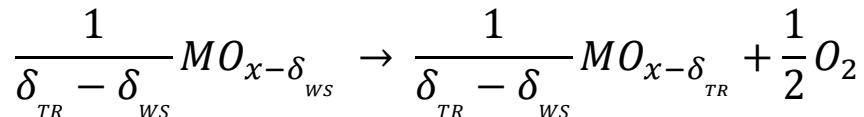
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Bucknell University

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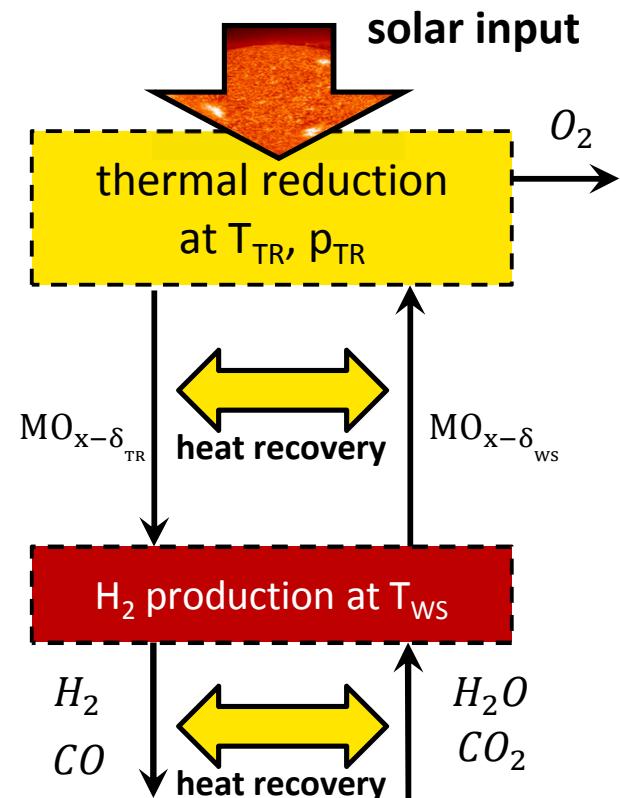
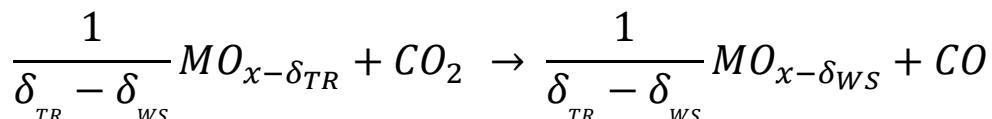
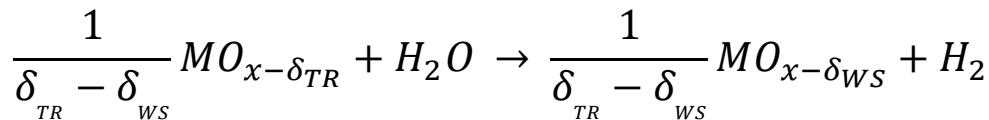
Two-Step Thermochemical Fuel Production

A theoretically simple process: “pouring water on a hot rock” ™

Thermal reduction



Water/CO₂ splitting

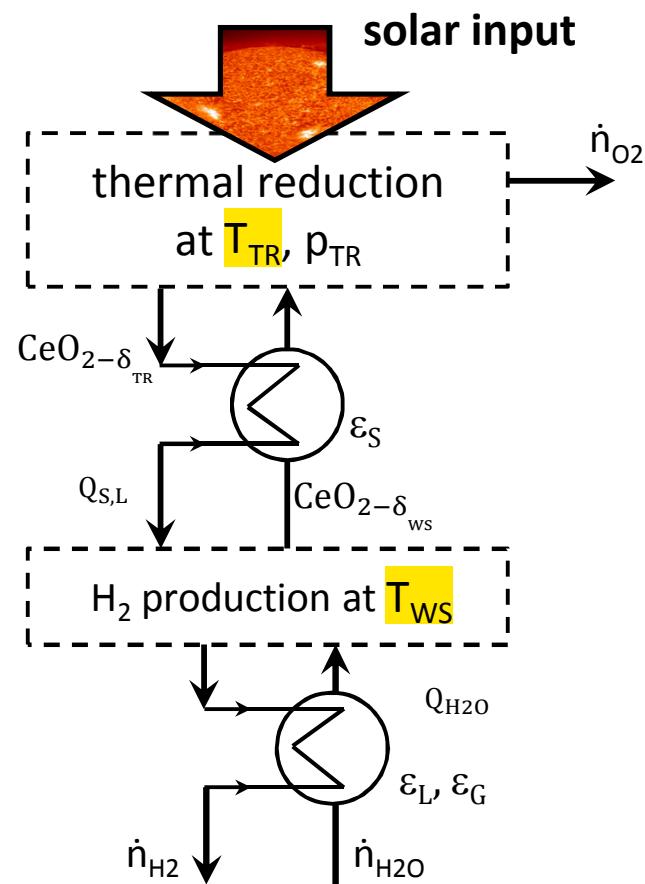
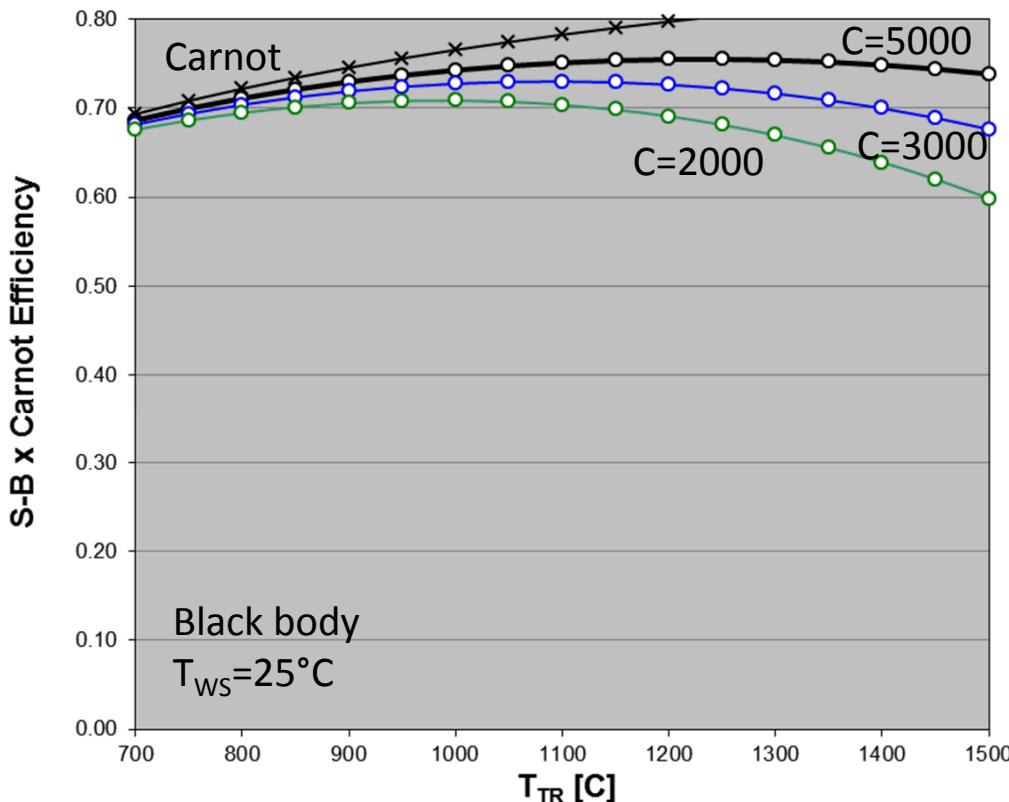


STC converts heat to chemical work.
The trick is doing it efficiently.

Solar Heat Engine: Thermodynamic Limits

Stefan-Boltzmann: $P_{rad} = \sigma T_{TR}^4$

Carnot: $\eta = \frac{T_{TR} - T_{WS}}{T_{TR}}$

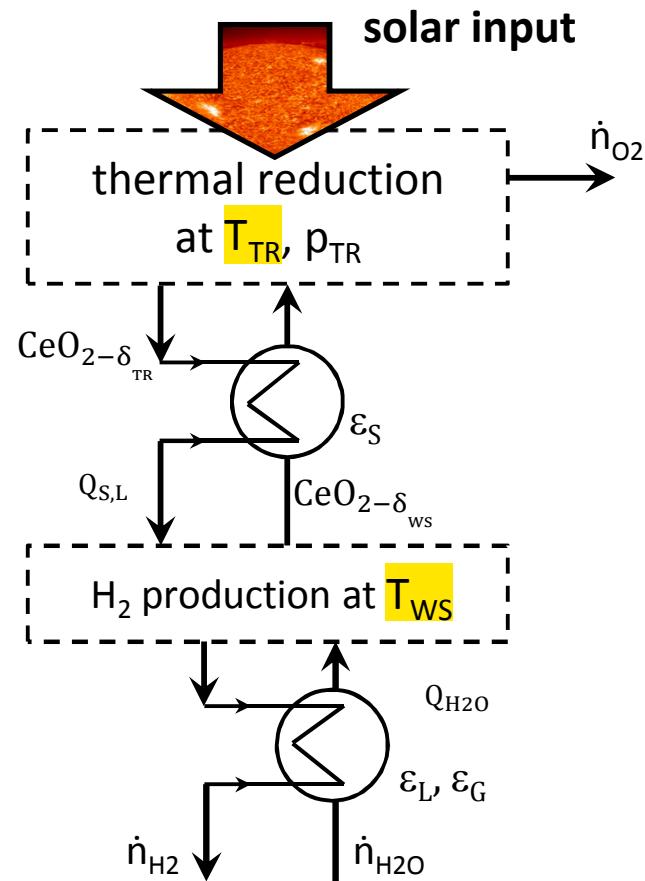
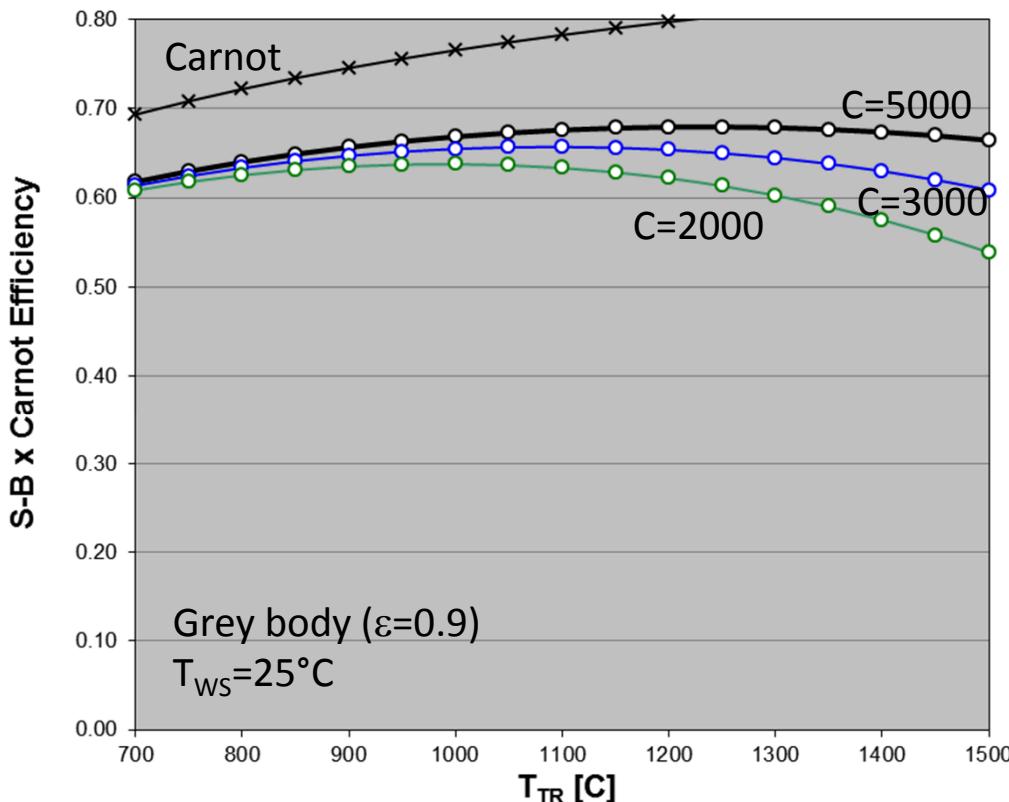


Doing well!

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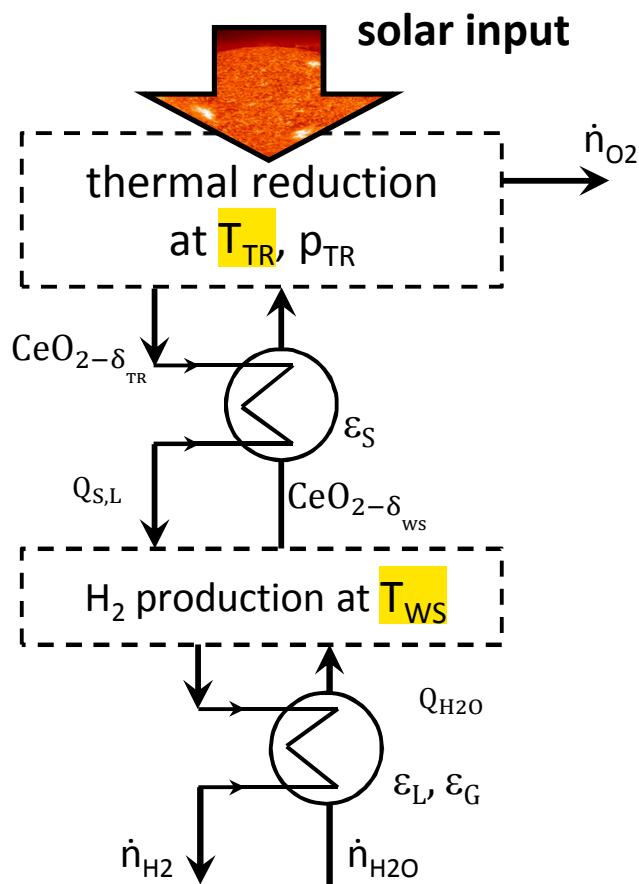
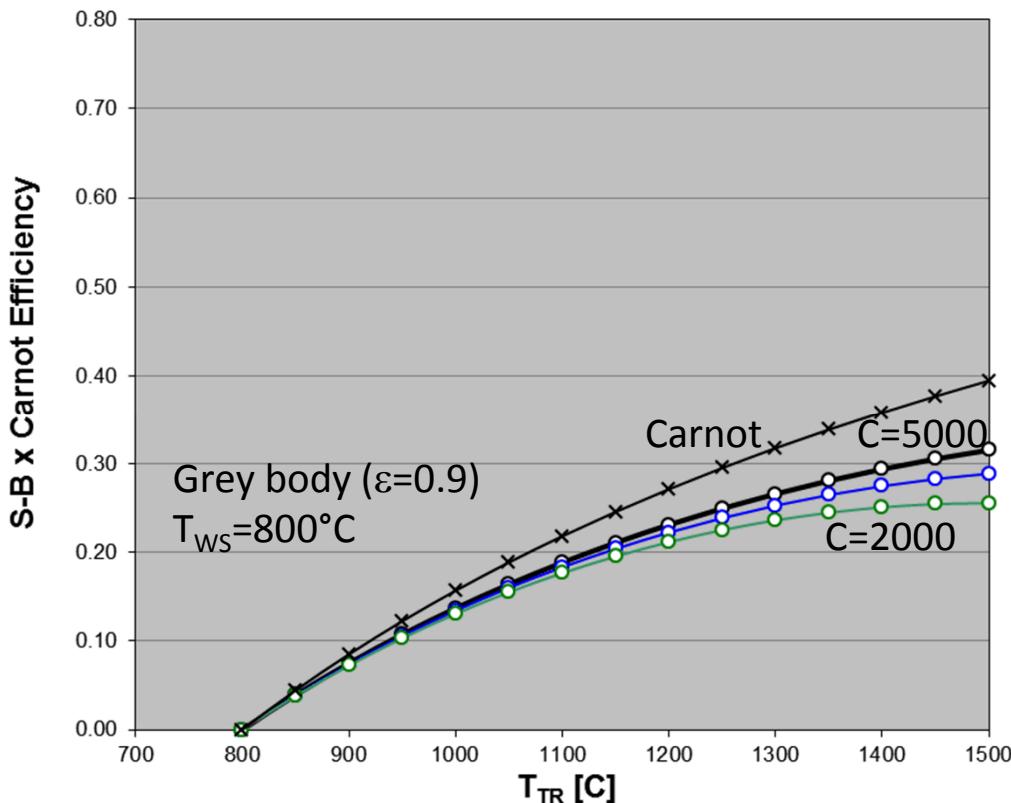


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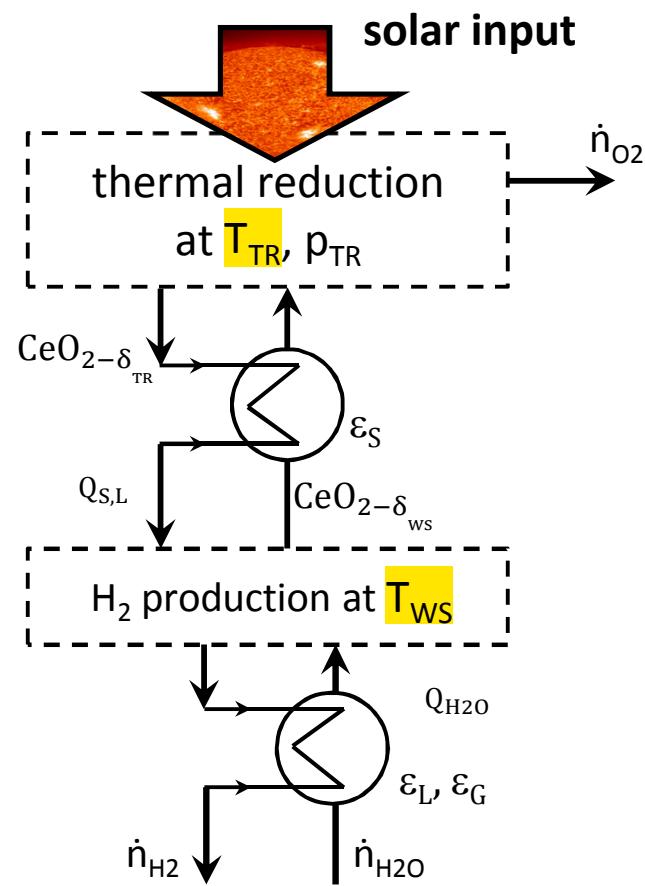
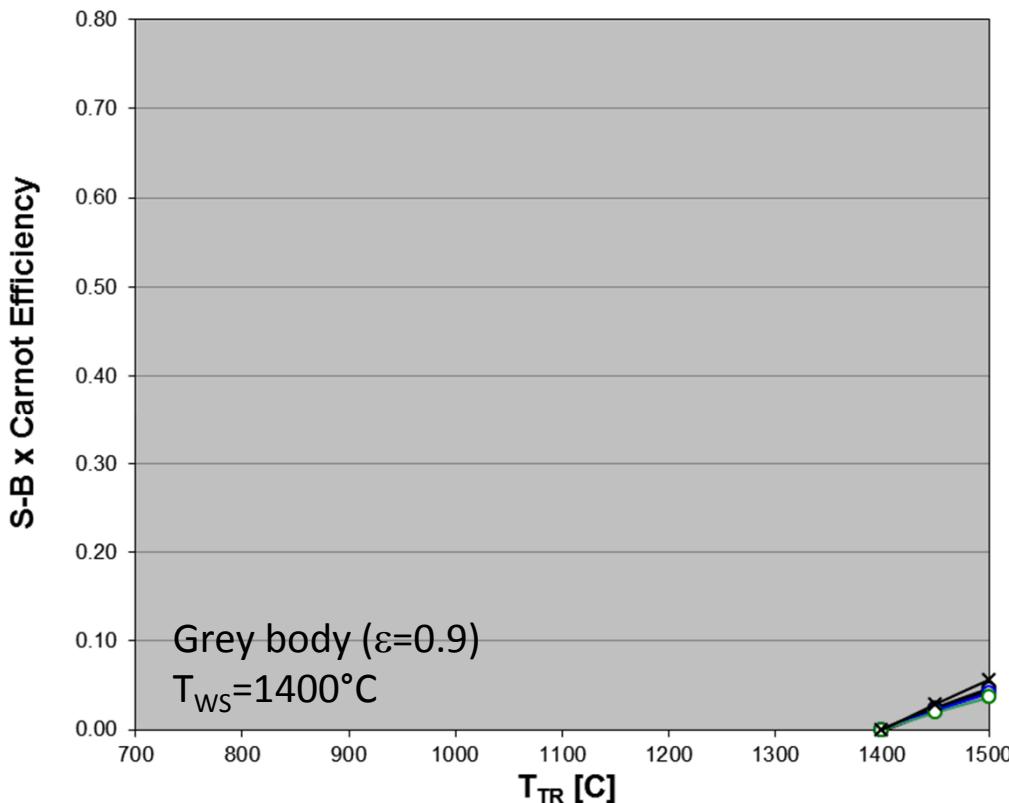


In trouble...

Solar Heat Engine: Thermodynamic Limits

Stefan-Boltzmann: $P_{rad} = \sigma T_{TR}^4$

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Specifics of Reactor Efficiency

$$\eta_R = \frac{\dot{n}_{H_2} HHV_{H_2}}{\dot{Q}_A}$$

$$\dot{Q}_{TH} = A\dot{Q}_A - P_{rad}$$

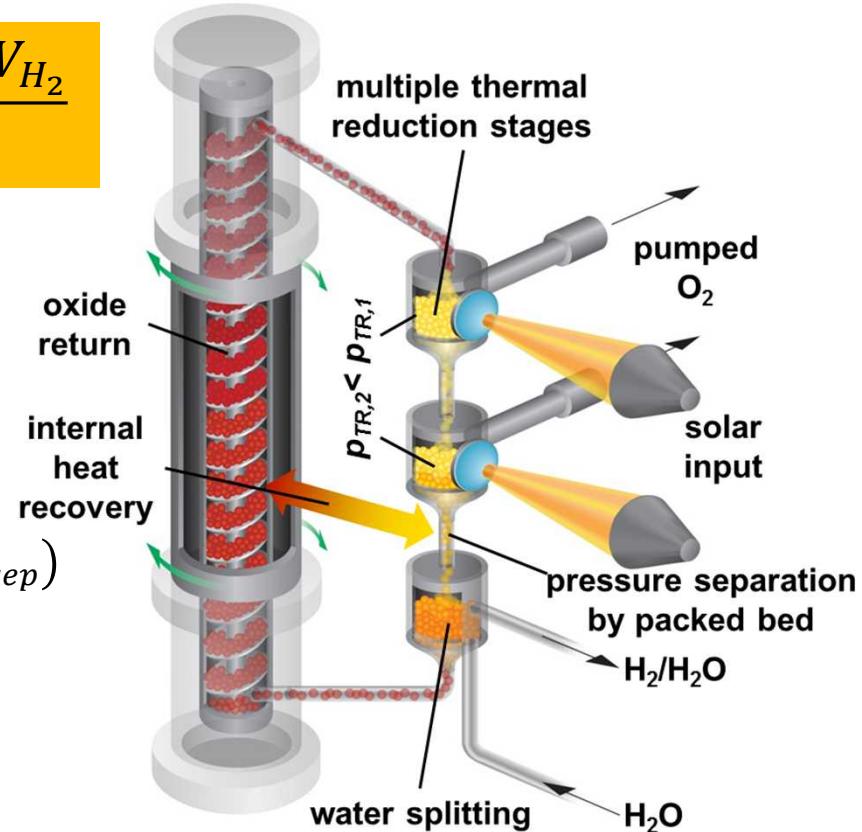
$$Q_{mol} = Q_{TR} + Q_S + Q_{AUX}$$

$$Q_{AUX} = (Q_{H_2O} + Q_{pump} + Q_{mech} + Q_{sep}) - (Q_{ROX} + Q_{S,L} + Q_{O_2})$$

$$\dot{n}_{H_2} = \frac{\dot{Q}_{TH}}{Q_{mol}}$$

$$Q_S = \frac{C_{p,S}}{\Delta\delta} \Delta T (1 - \varepsilon_S)$$

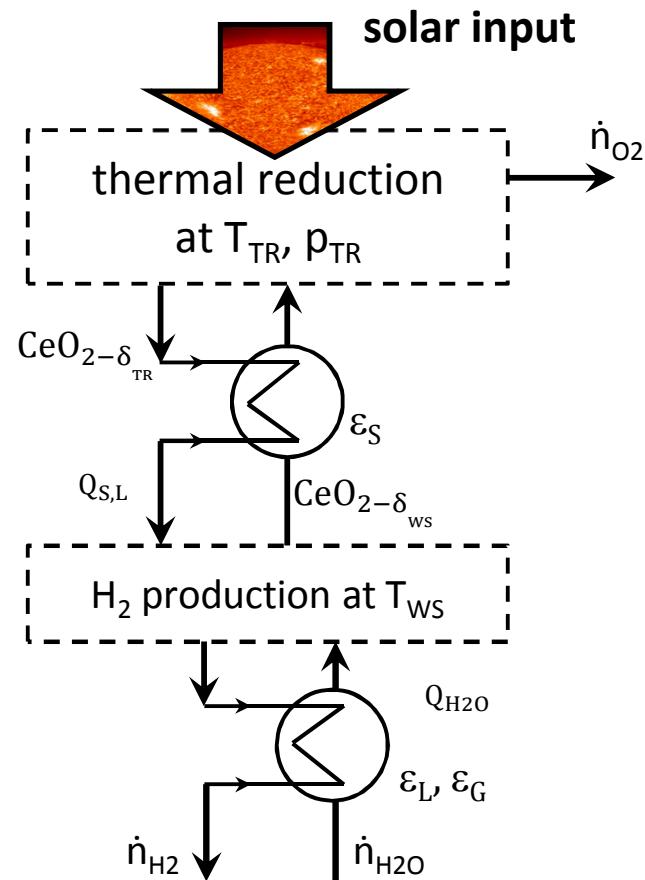
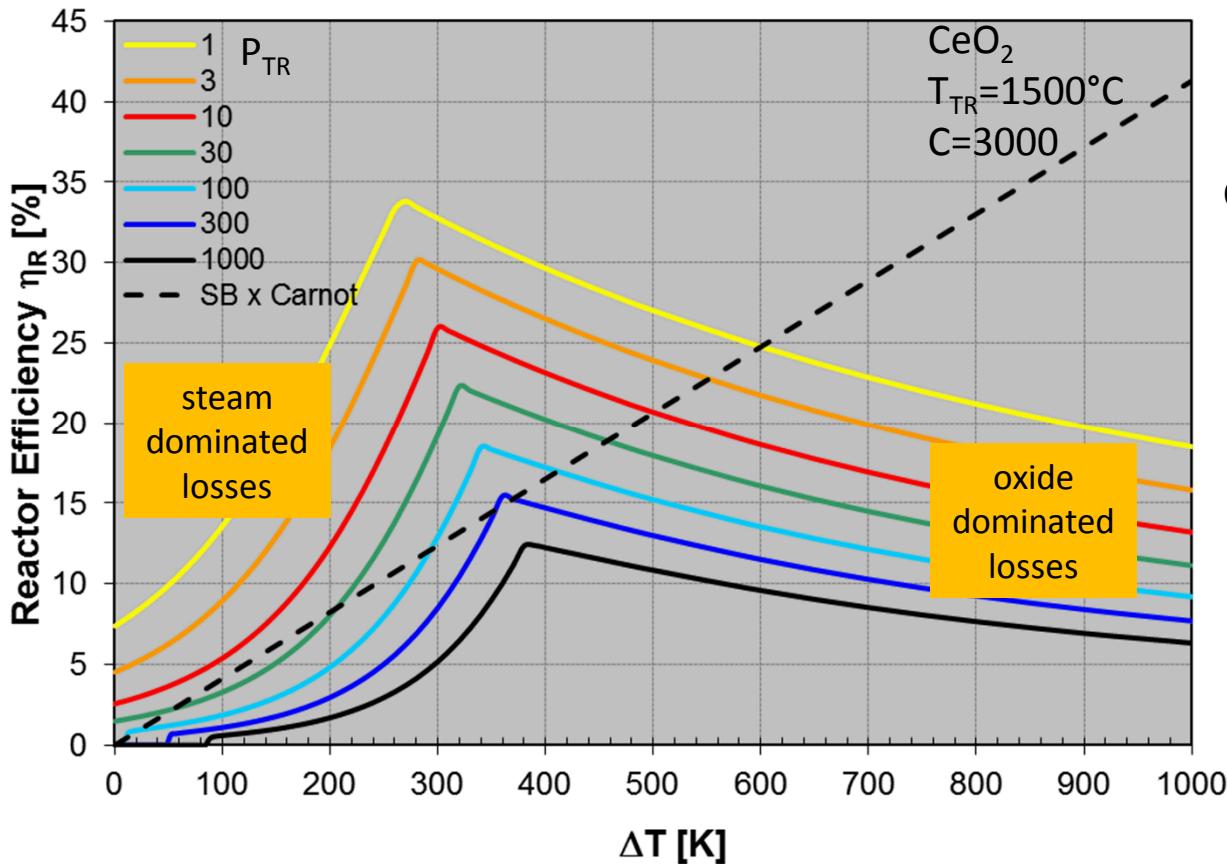
$$Q_{H_2O} = n_{w/h} [C_{p,L}(T_{bp} - T_0)(1 - \varepsilon_L) + \Delta H_{vp}(1 - \varepsilon_G) + C_{p,G}(T_{ws} - T_{bp})(1 - \varepsilon_G) + Q_{pump, vp}]$$



Includes all major energy requirements and losses

Efficiency Peak in (Un)expected Place

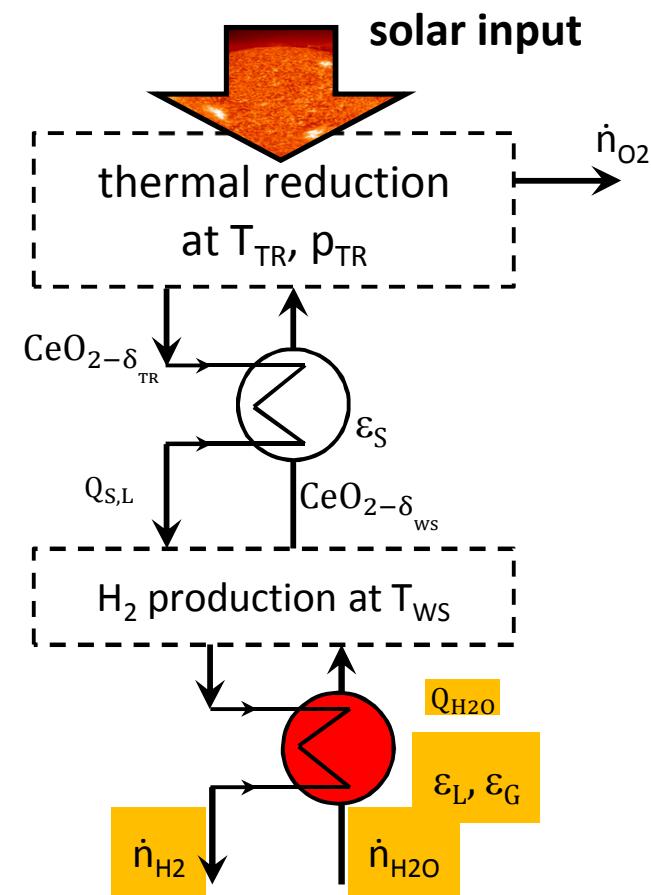
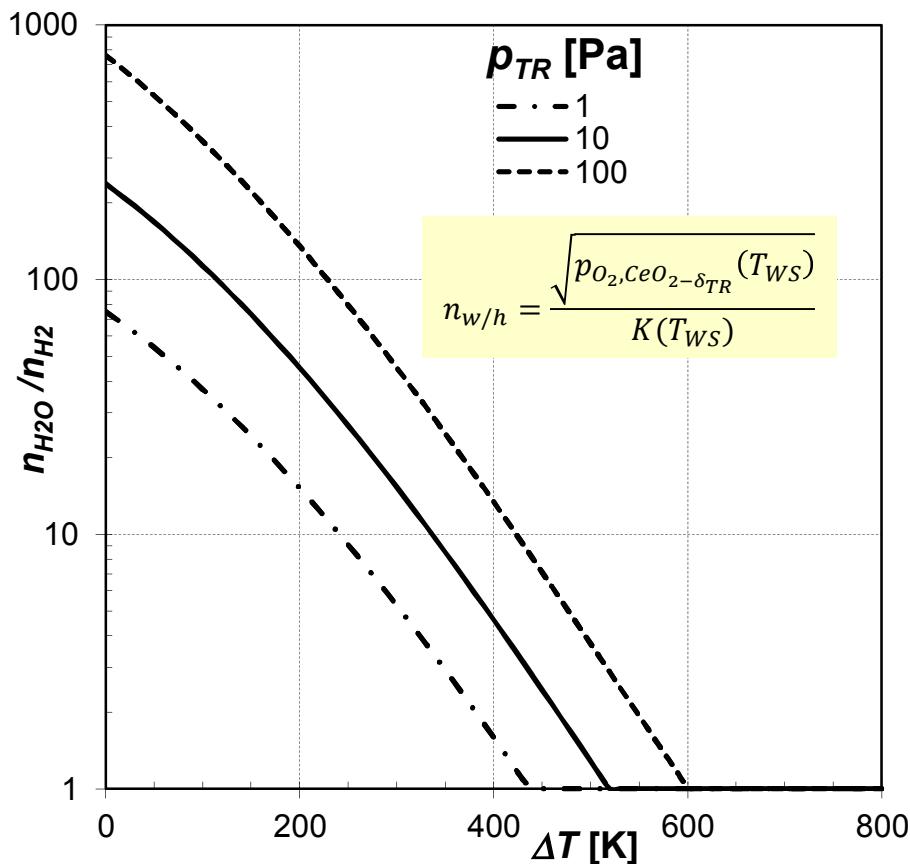
$$\eta_R = \frac{\dot{n}_{H_2} HHV_{H_2}}{\dot{Q}_A}$$



Peak efficiency: Oxide and steam heating loads are roughly equal.

Key Material Requirements: Steam

How much steam per mole H₂?



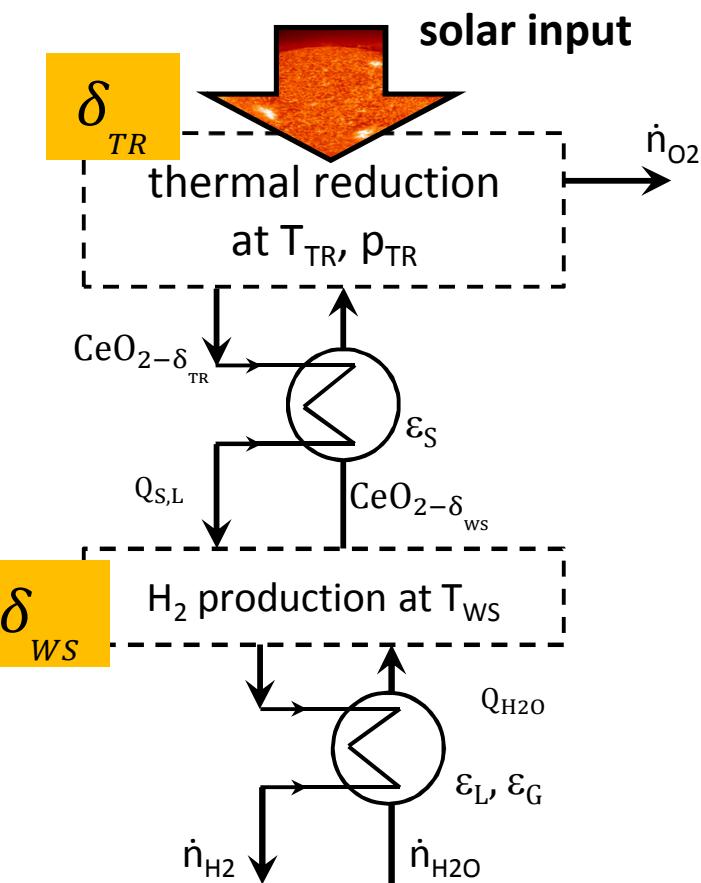
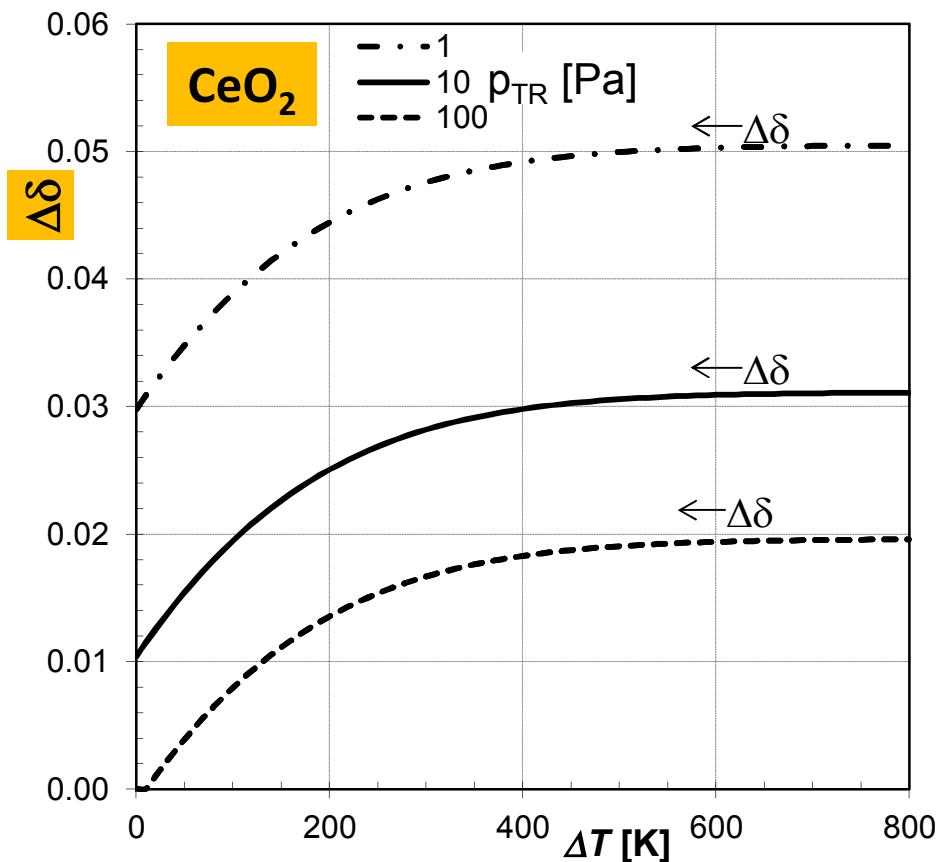
Low ΔT or high reduction pressure leads to a high steam/H₂ ratio

Key Material Requirements: Reactive Oxide

How much CeO_2 per mole H_2 ?

$$\delta_{TR} - \delta_{WS} = \Delta\delta$$

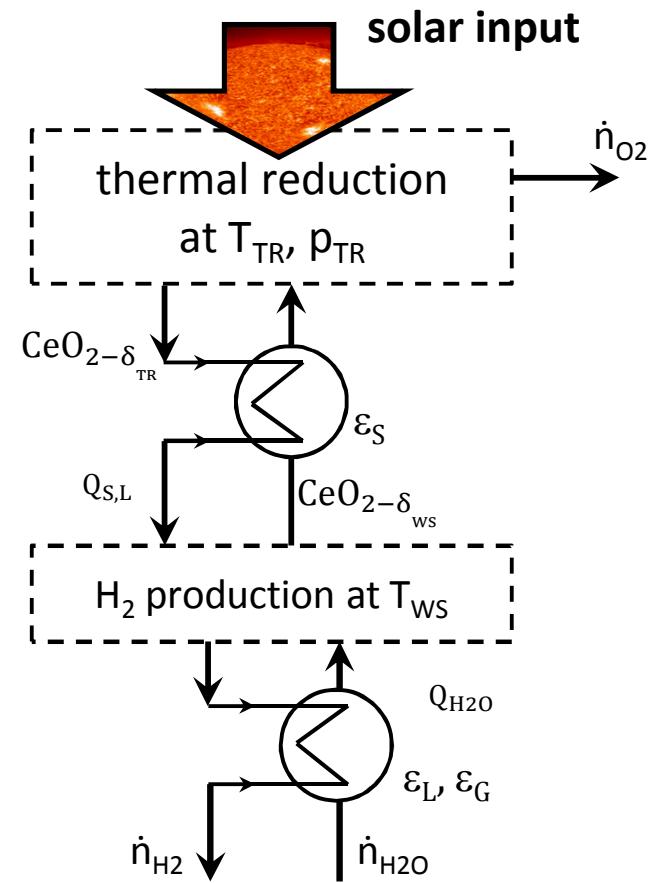
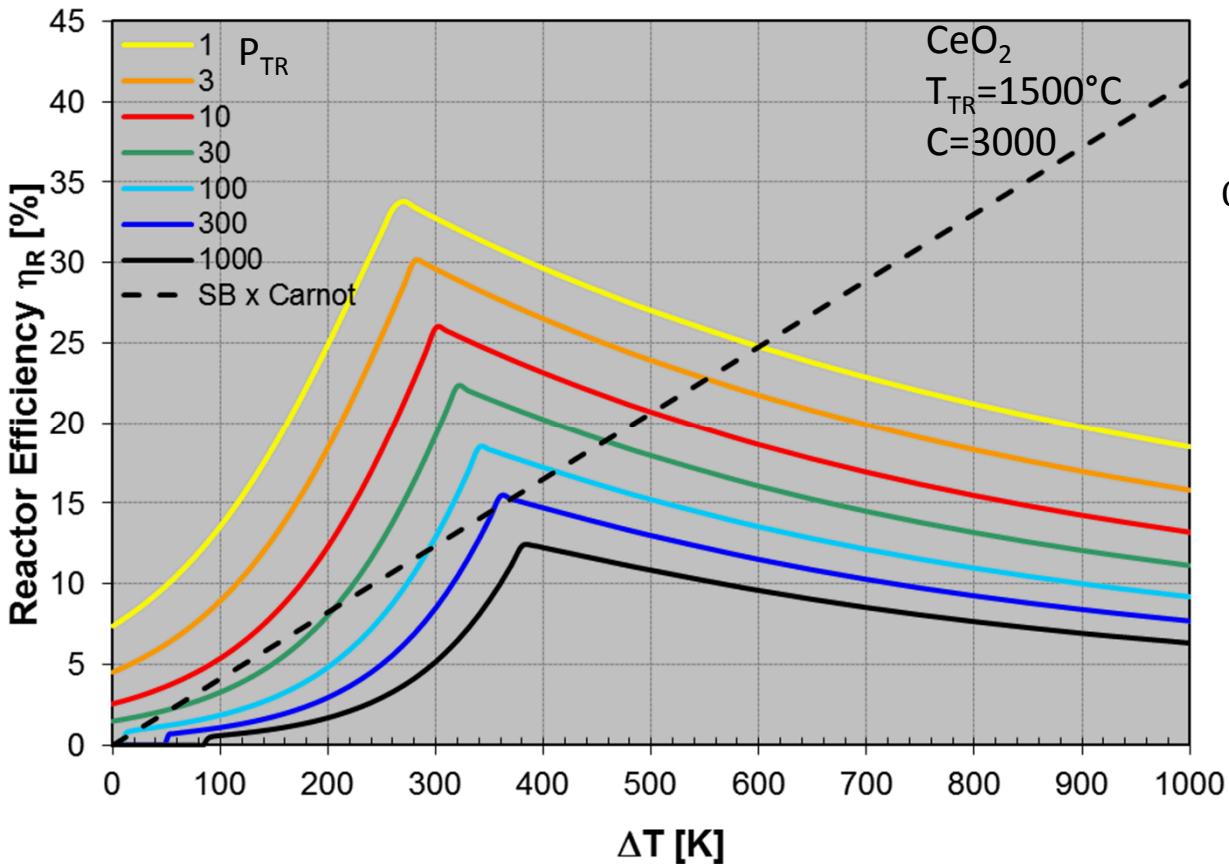
$$T_{TR} = 1773\text{K}$$



The reversible oxygen capacity can be very low!

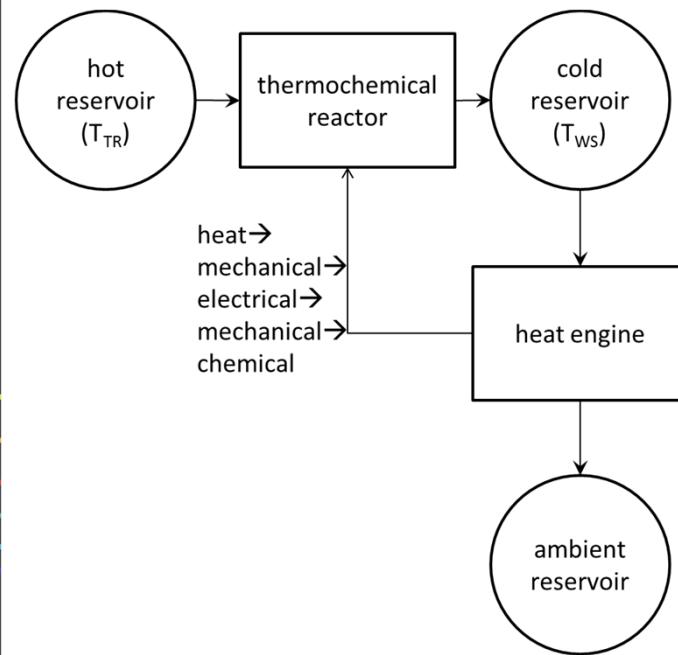
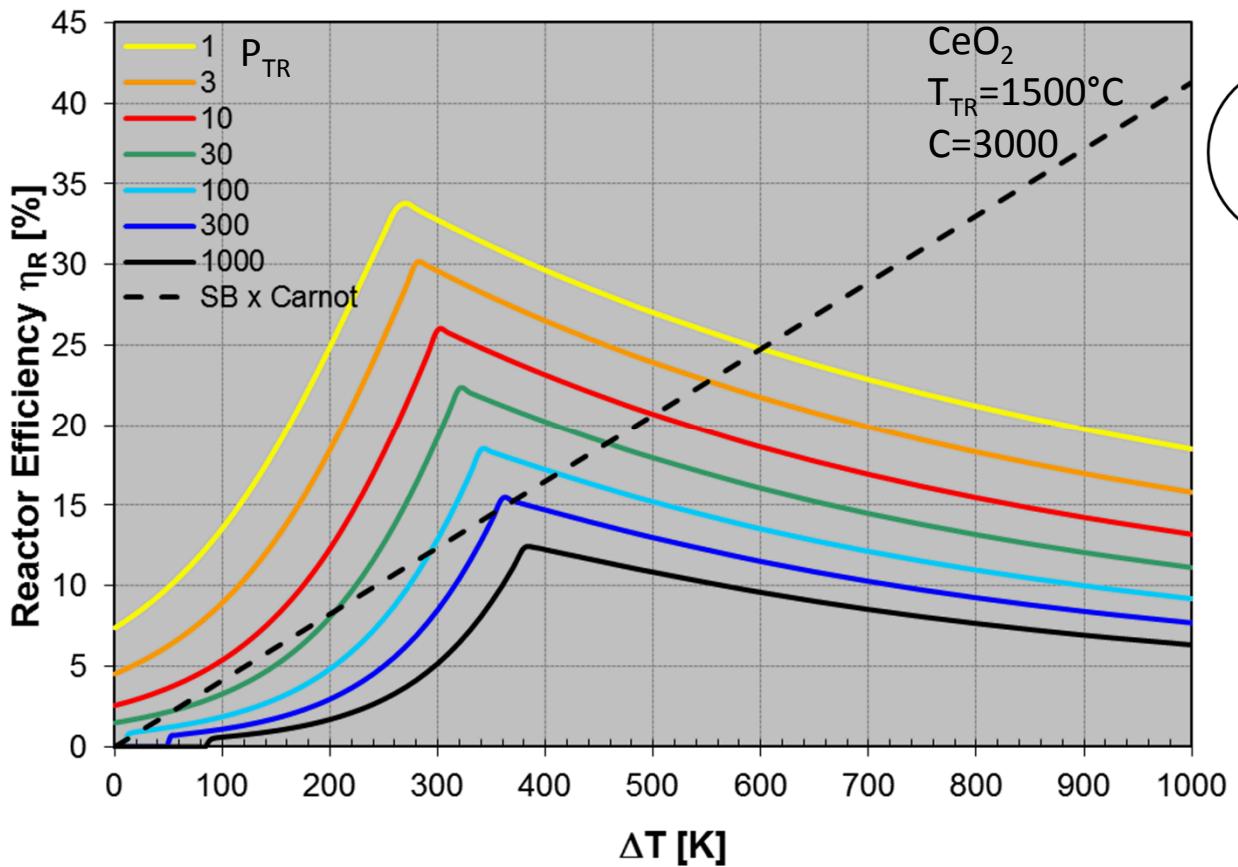
Efficiency Peak in (Un)expected Place

$$\eta_R = \frac{\dot{n}_{H_2} HHV_{H_2}}{\dot{Q}_A}$$



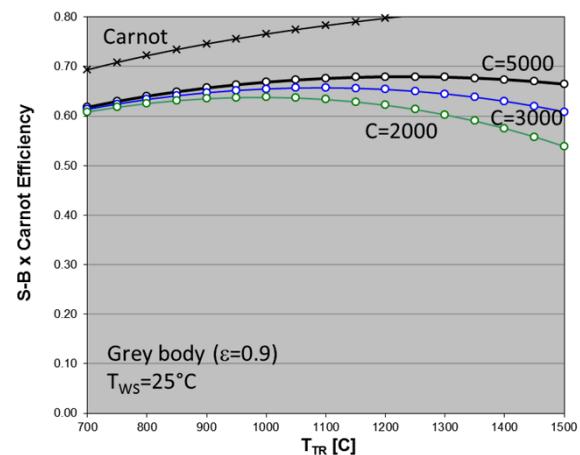
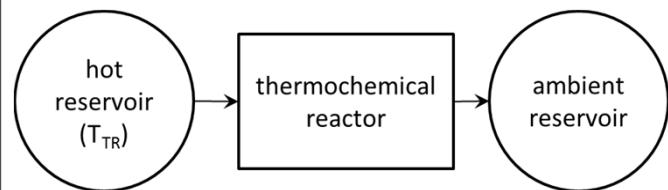
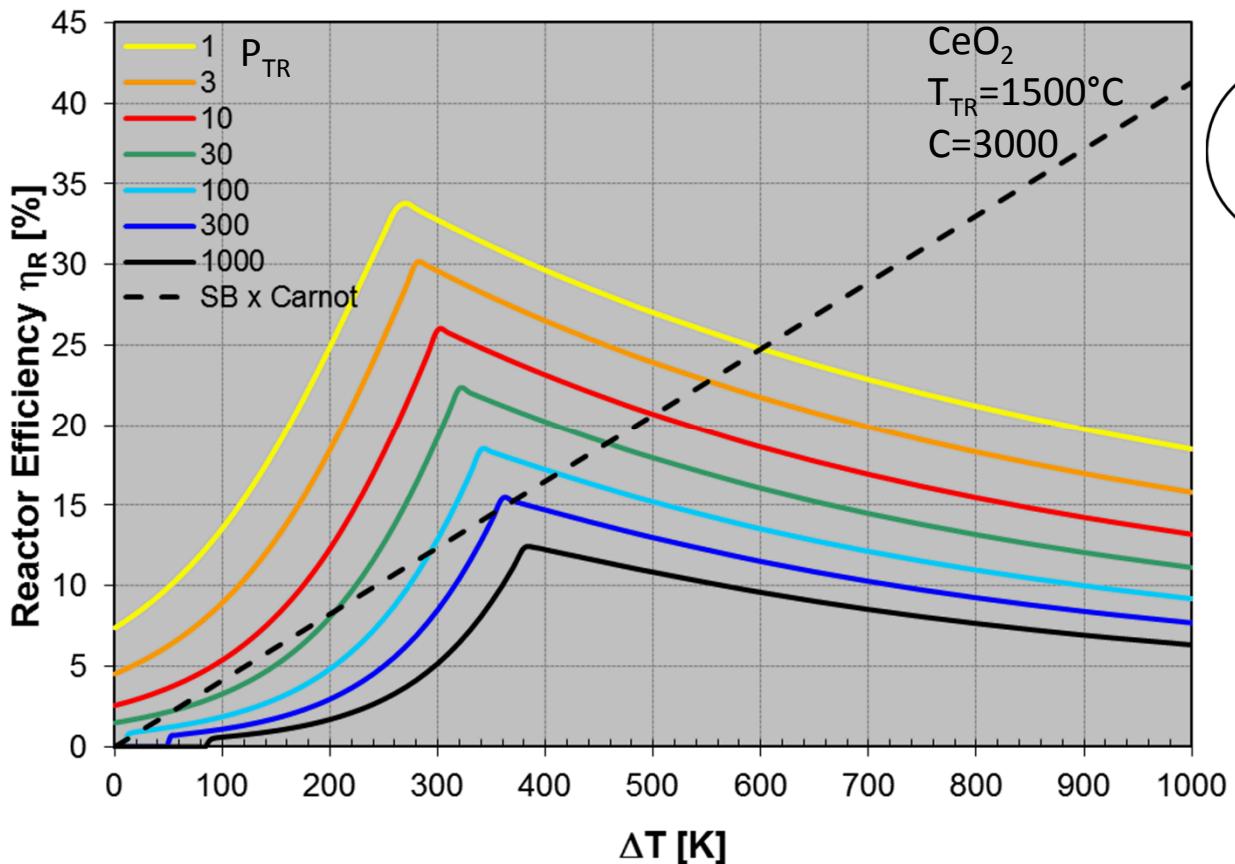
Carnot predicts efficiency terribly!
(But it's not his fault.)

T_{ws} is Not the “Real” Cold Reservoir...



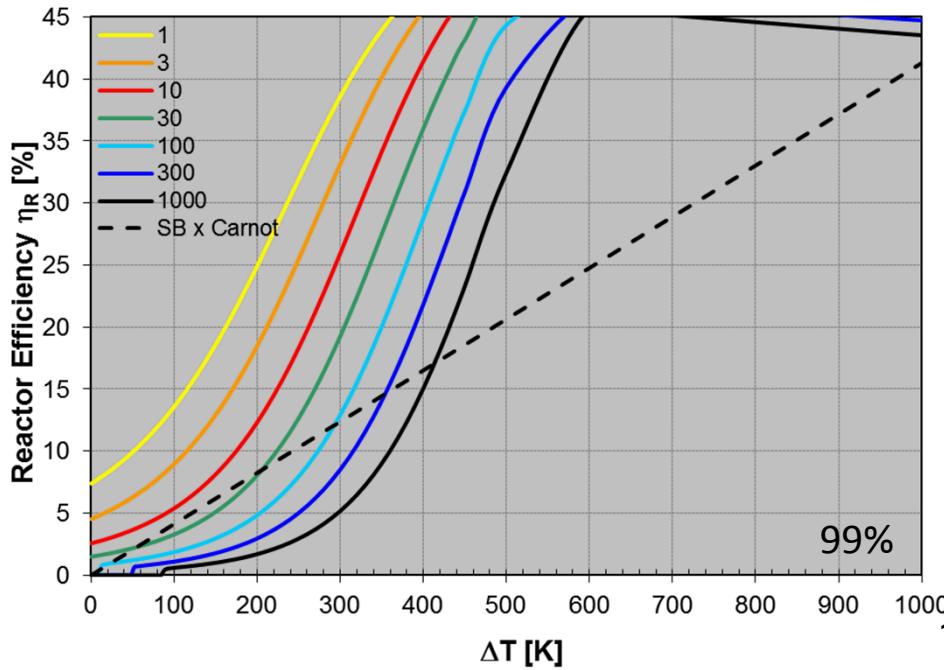
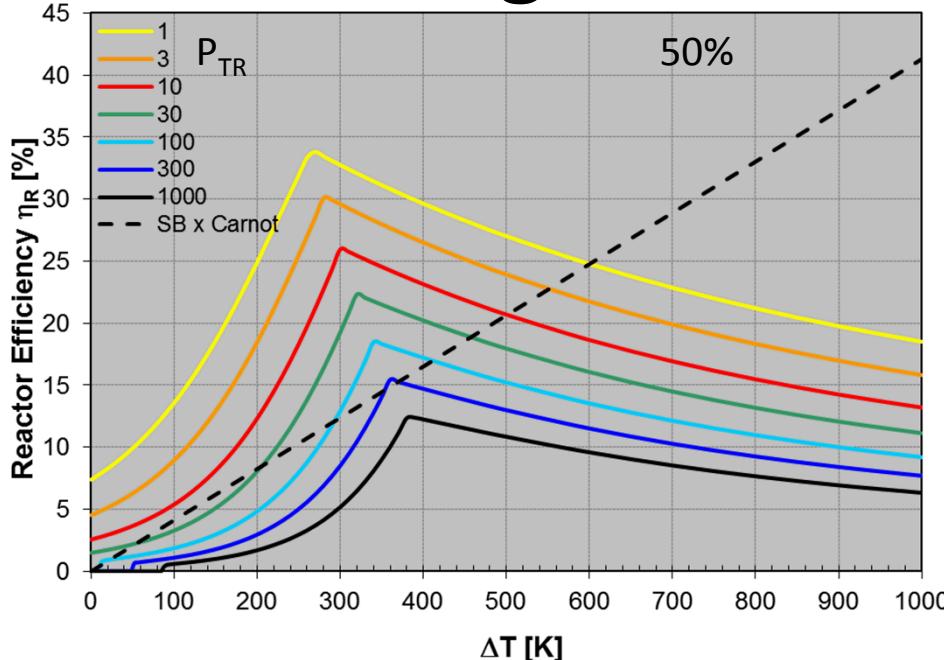
Carnot predicts efficiency terribly...
because of the explicit use of output heat for work.

...But it Should Be

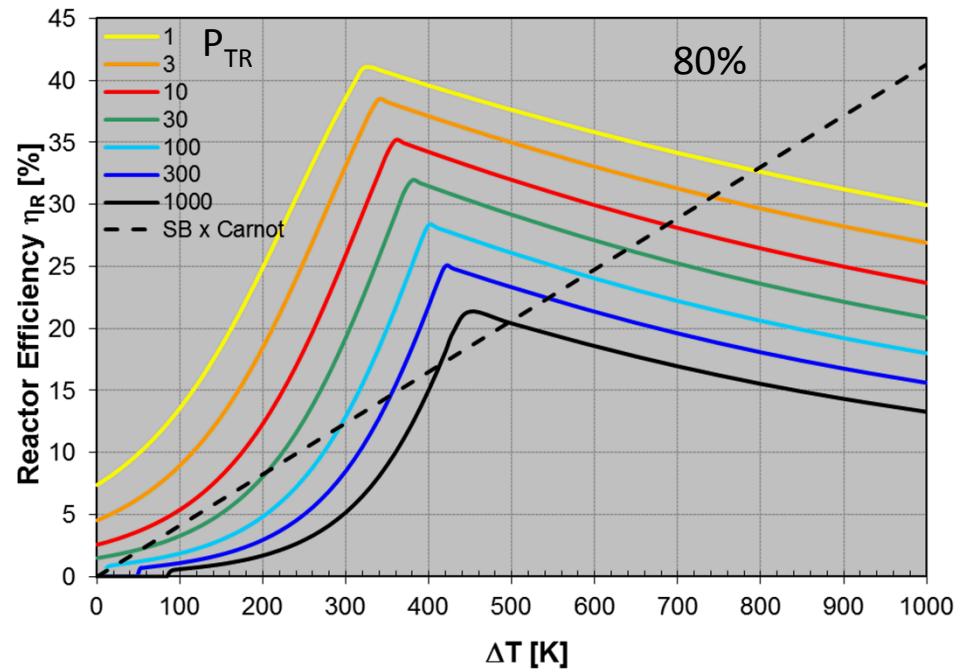


Lowering T_{ws} would approach the ideal Carnot process and increase efficiency.

Chasing Carnot: Solid Heat Recovery

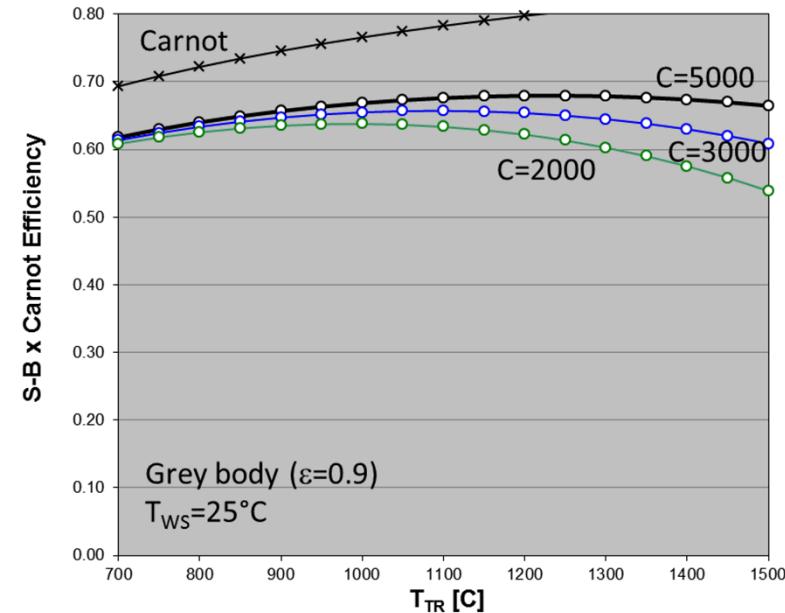
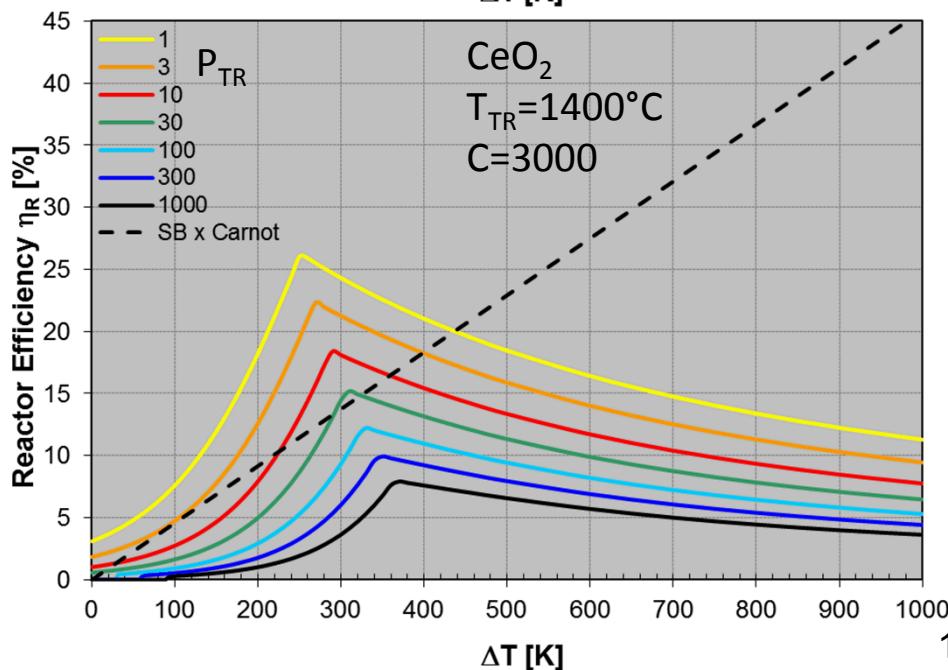
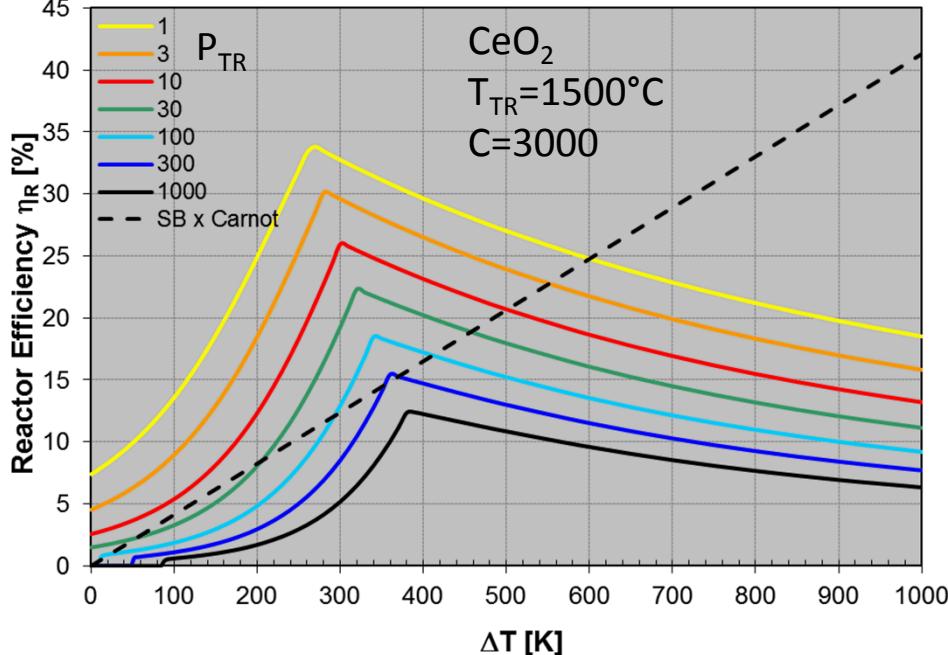


CeO_2
 $T_{TR}=1500^\circ\text{C}$
 $C=3000$



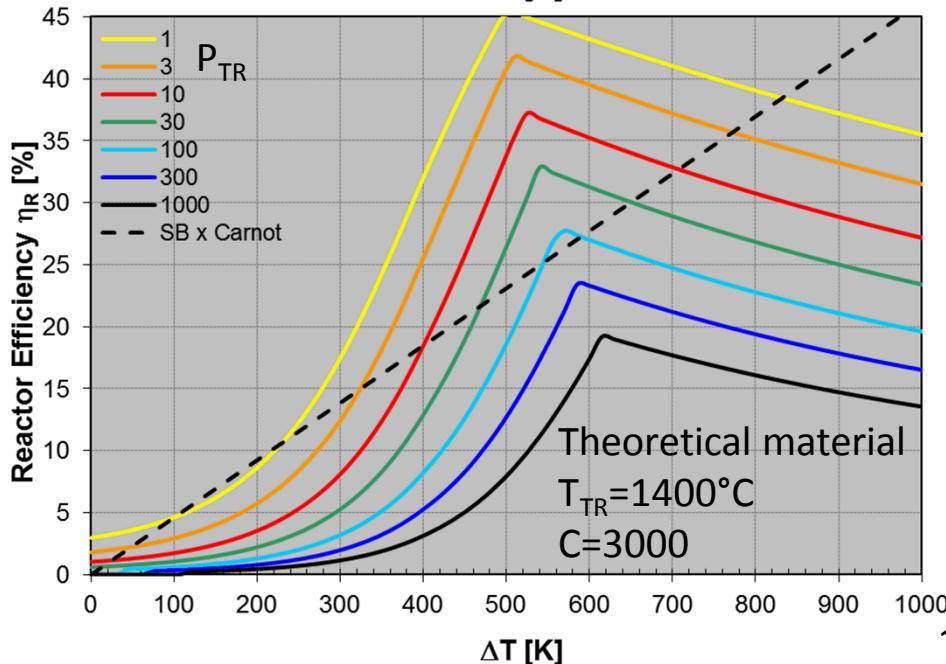
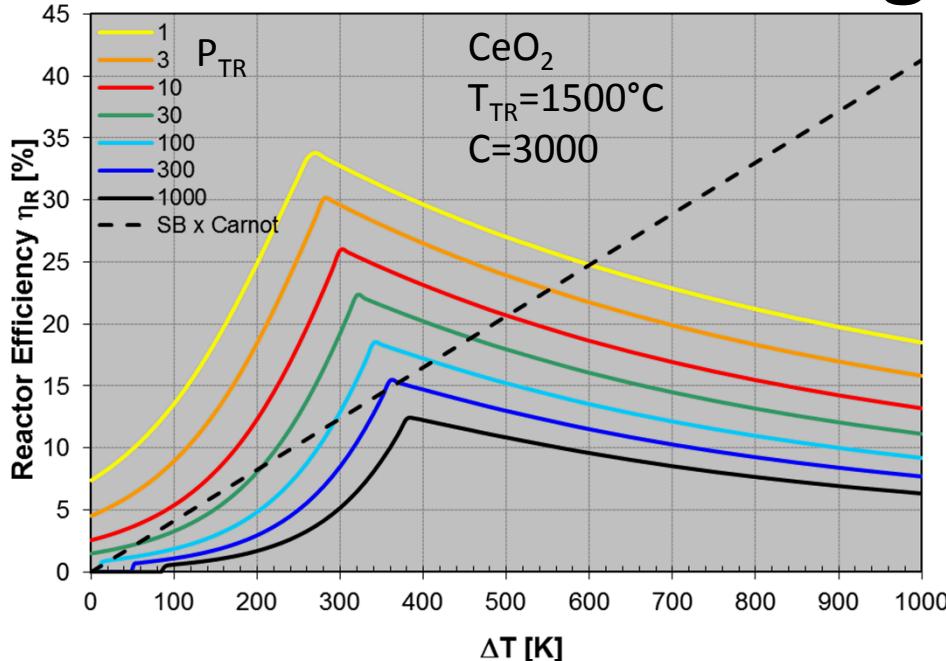
More heat recovery brings the process somewhat closer to the ideal Carnot cycle – at the cost of engineering unfeasibility.

Reactor Chasing Stefan-Boltzmann – No Gain



Decreasing T_{TR} decreases efficiency, despite the opposite theoretical prediction. The problem? CeO_2 .

Material Chasing Stefan-Boltzmann

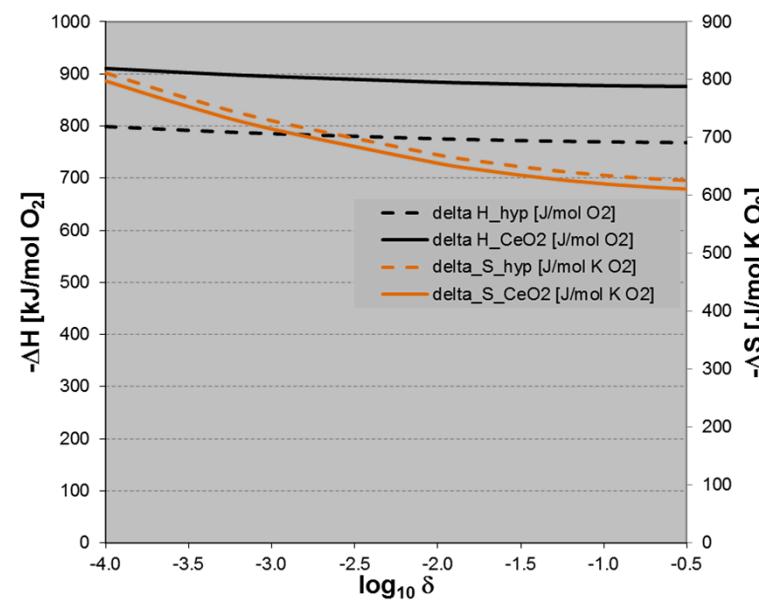


Theoretical material:

p_{TR} : ceria x 1000

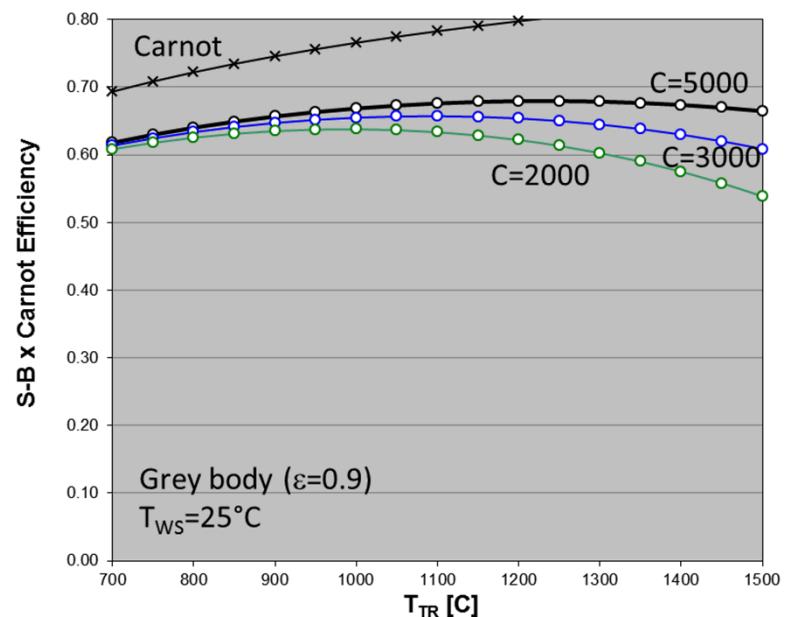
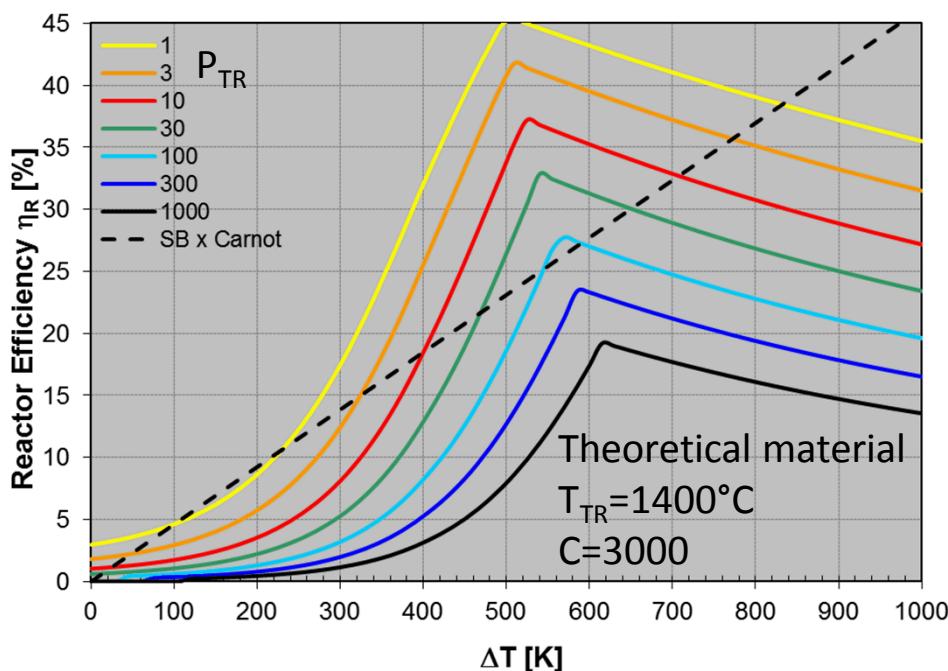
T_{TR} : ceria-100°C

c_p : 140 J/mol K (vs. 80 J/mol K for ceria)



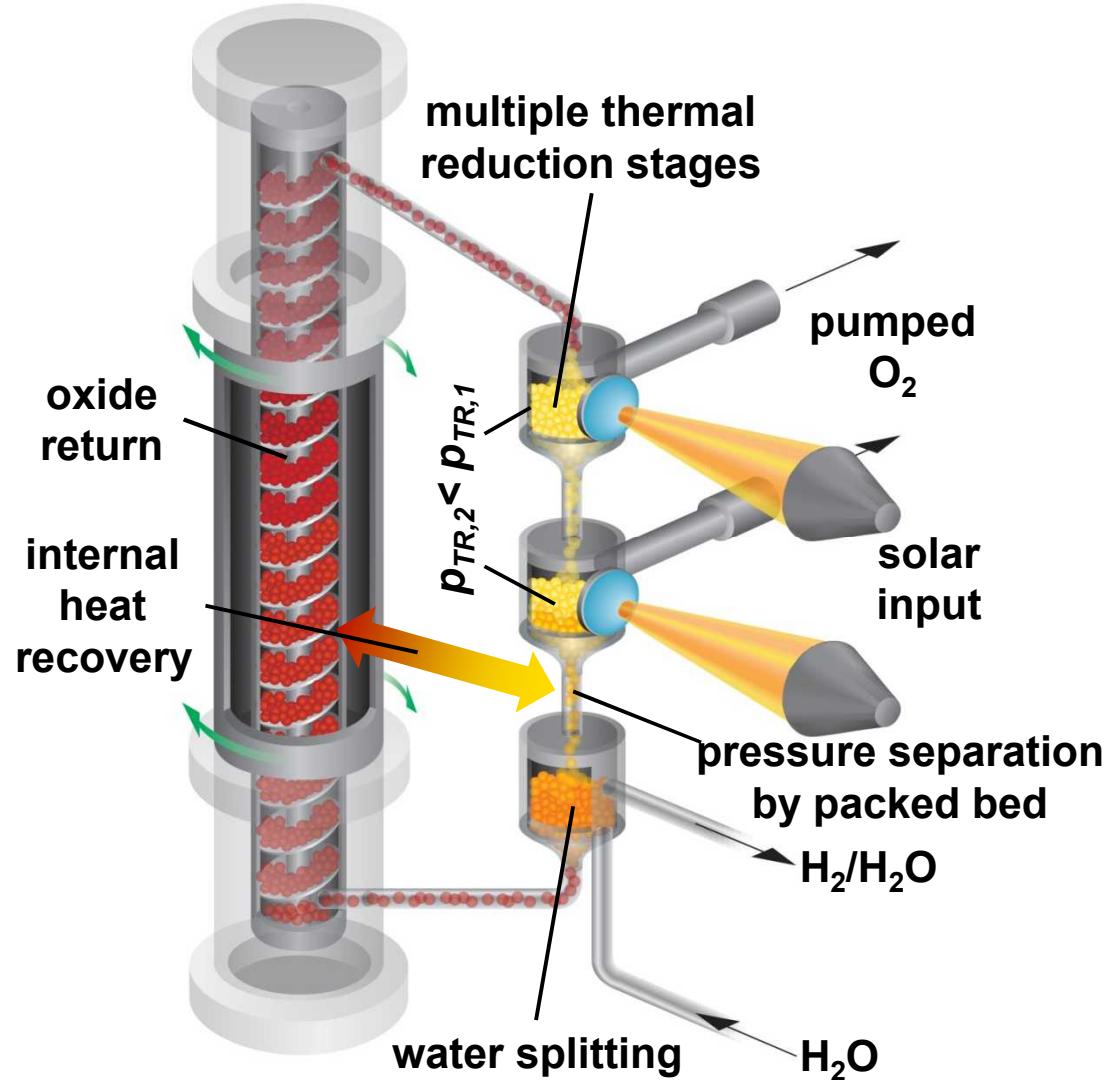
A material with the right thermodynamic properties can help approach the ideal Carnot cycle and increase efficiency.

Material Chasing Stefan-Boltzmann



A material with the right thermodynamic properties can help approach the ideal Carnot cycle and increase efficiency.

Staged Reduction Reactor for Low Pressure



Incrementally pumping O_2 reduces the overall flow volume and velocity

Summary/Interesting questions

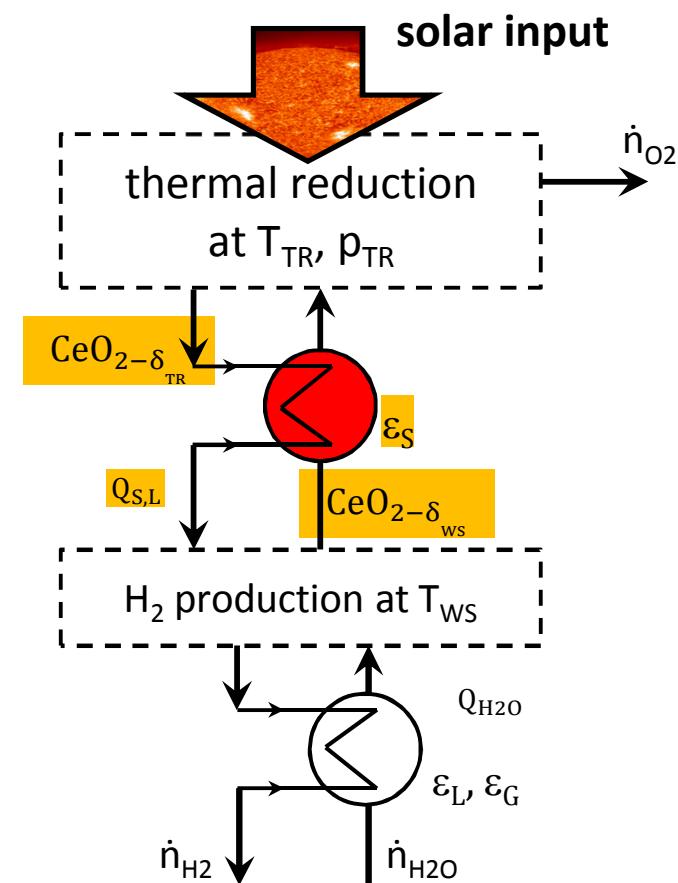
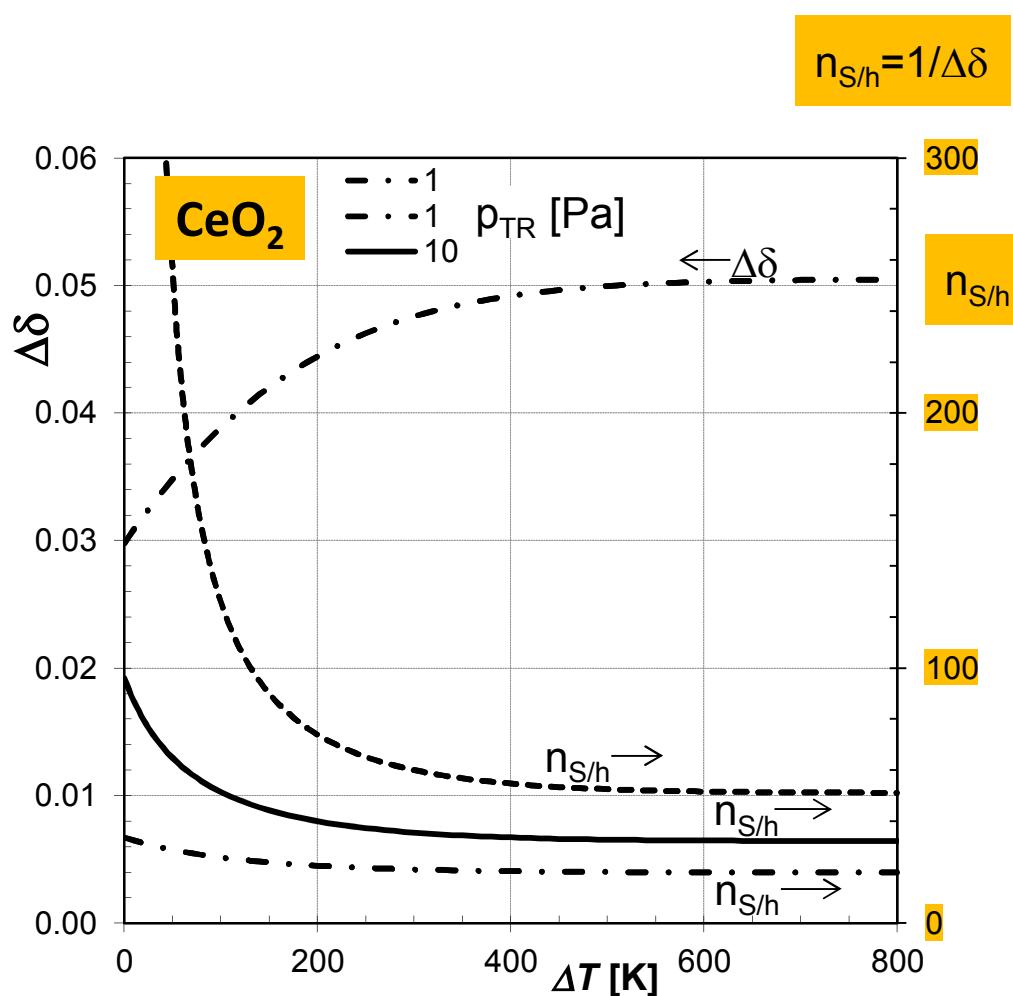
- Materials with low $\Delta\delta$ pose a mass flow challenge
- Optimal ΔT can be found to maximize efficiency
- Thermal reduction pressure limited by O_2 flow
- A $>10x$ pressure decrease feasible in staged reduction
- Best results by combining ΔT_{opt} , staged pumping and advanced reactive oxides
- Field design for multiple chambers?
- Operation control to maintain optimal ΔT for variable DNI?



Thank you

Key Material Requirements: Reactive Oxide

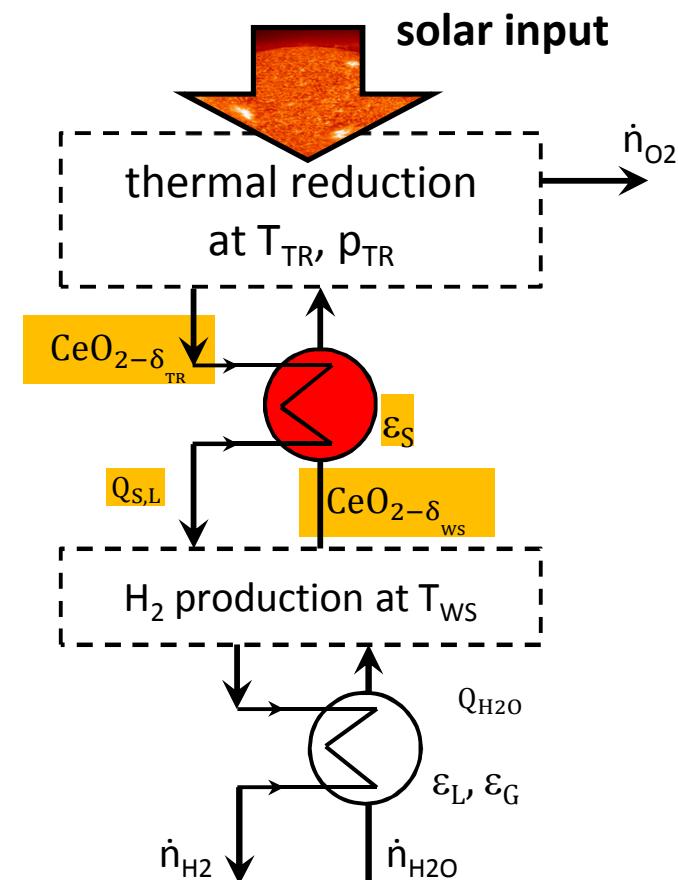
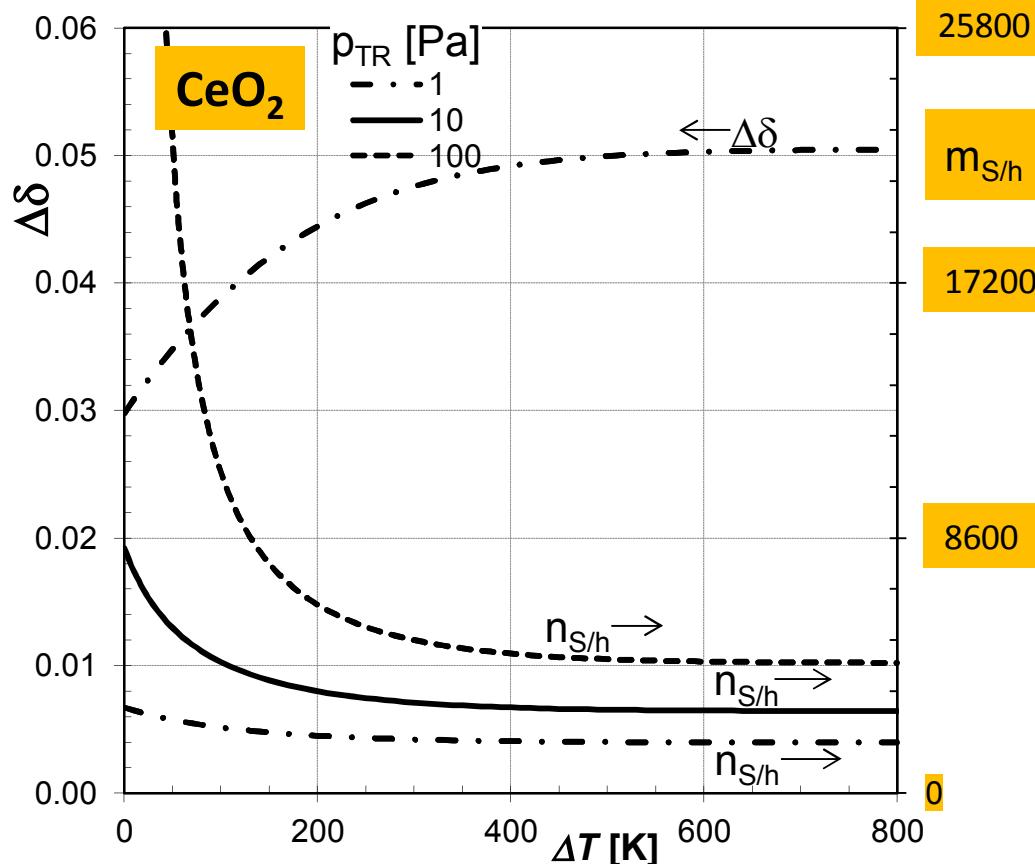
How much CeO_2 per mole H_2 ?



A low reversible oxygen capacity leads to a very high oxide/ H_2 ratio and excessive oxide mass flow and heat recovery requirements

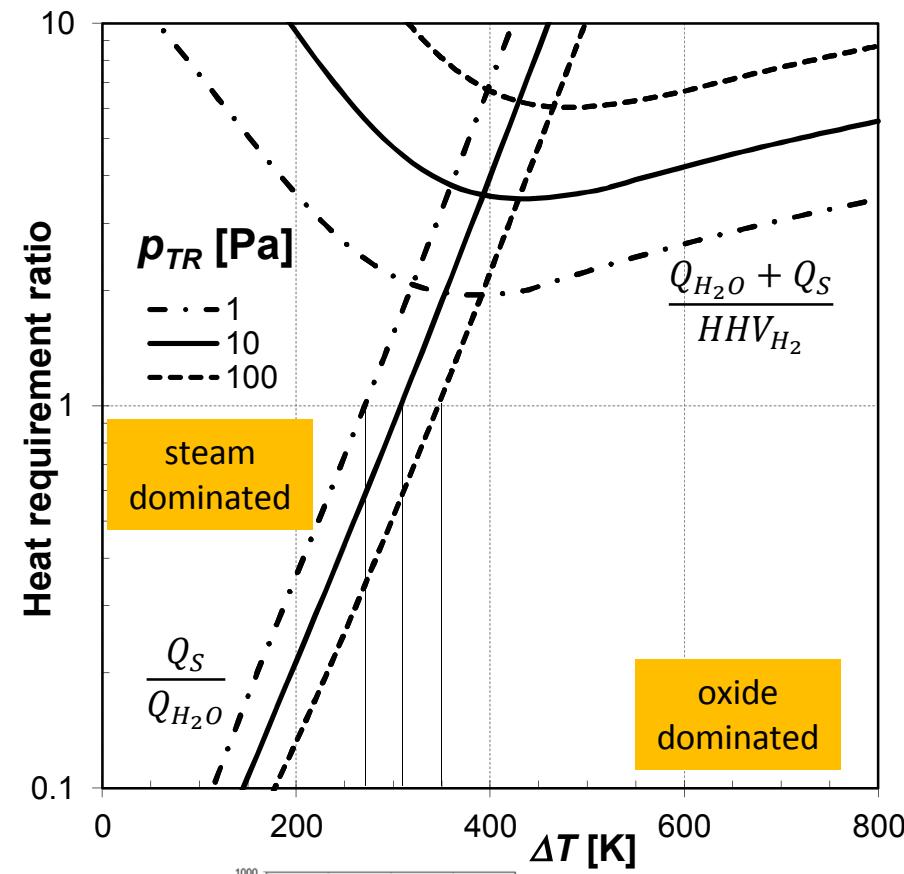
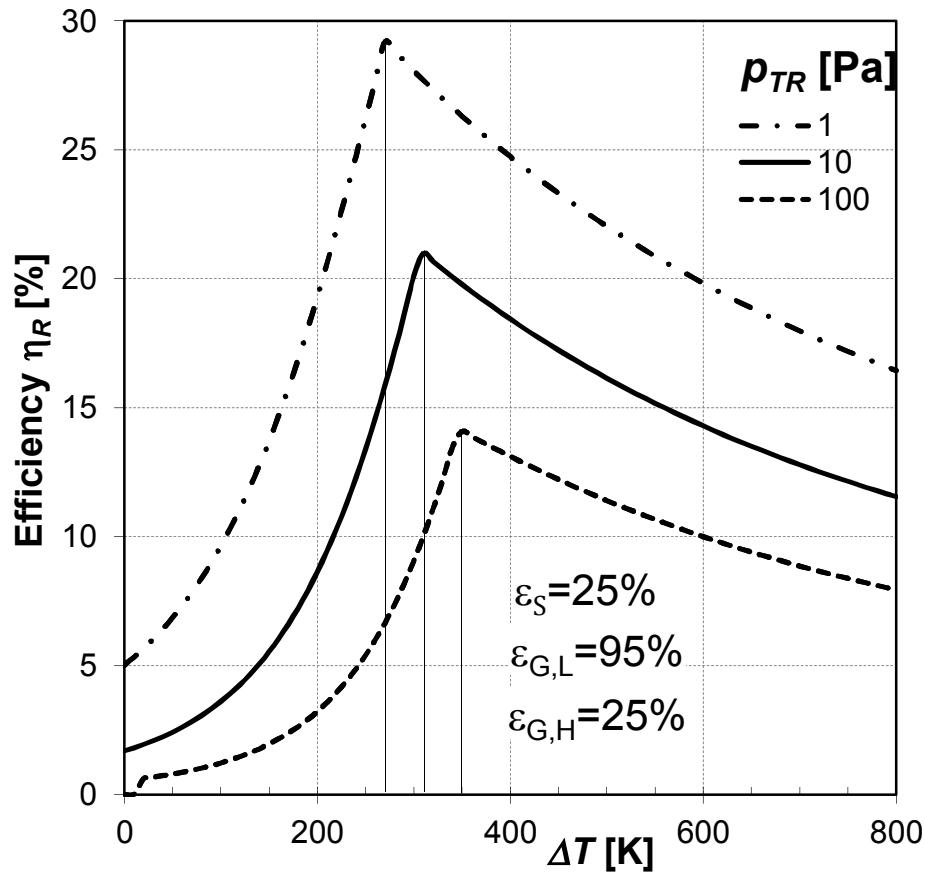
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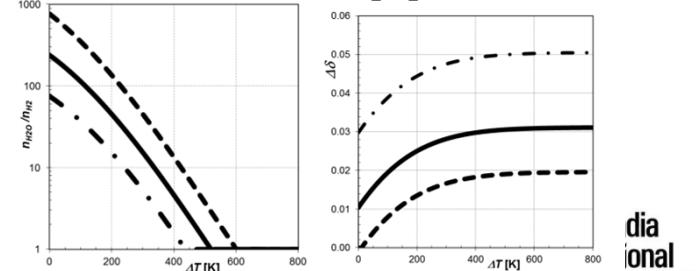
A low reversible oxygen capacity leads to a very high oxide/ H_2 ratio and excessive oxide mass flow and heat recovery requirements

Maximizing Efficiency: Solid/Steam Heating Balance and a Low Reduction Pressure



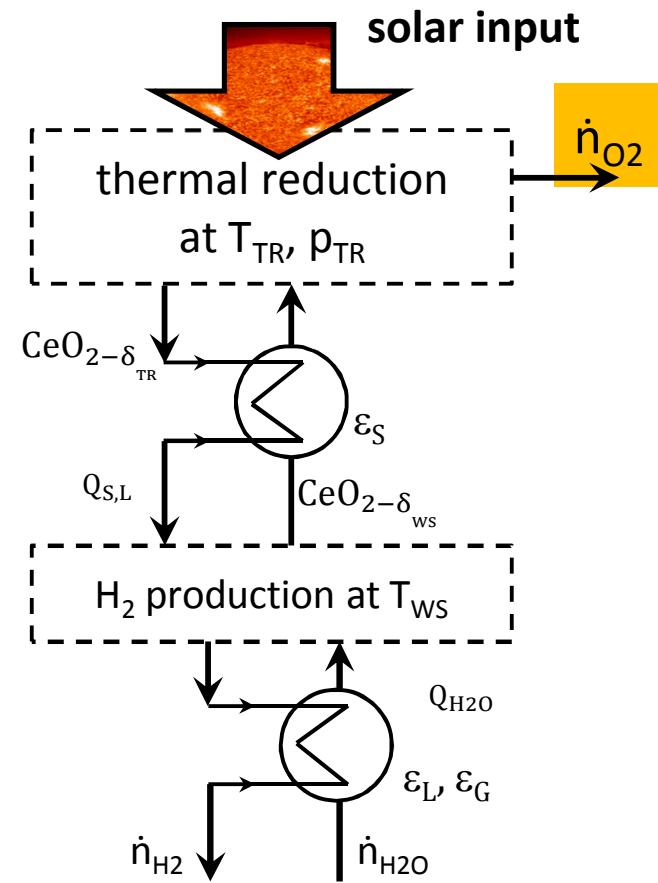
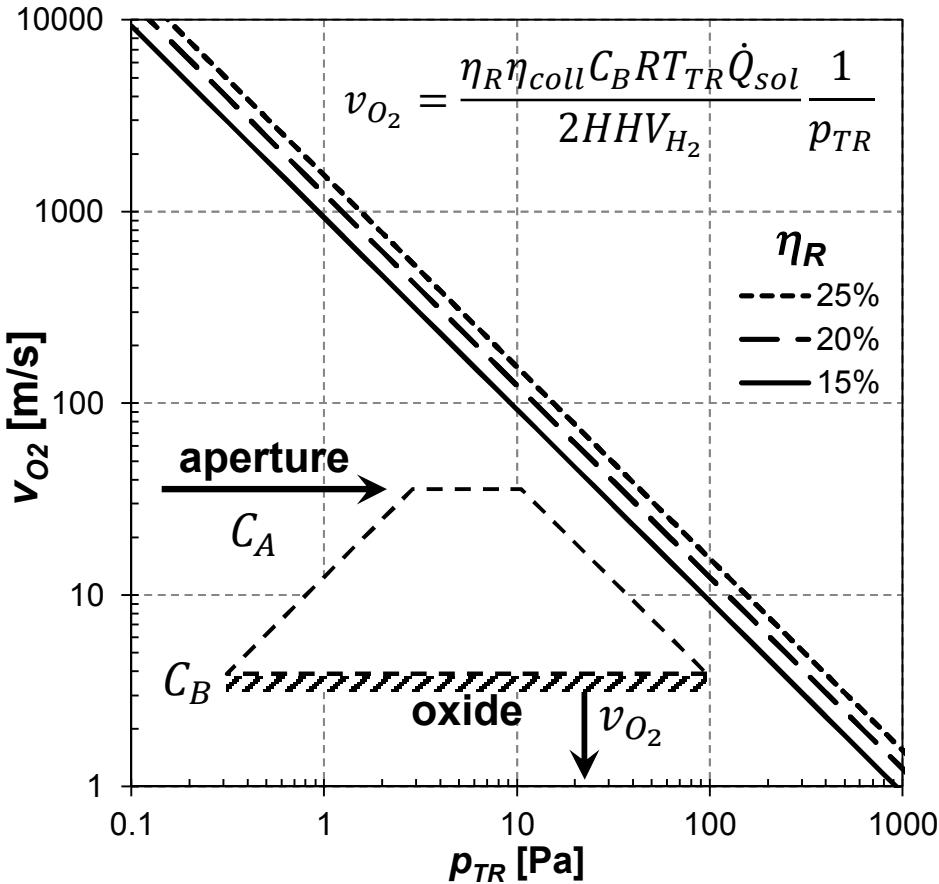
Efficiency is the highest when:

- Oxide and steam heating loads are roughly equal
- Thermal reduction pressure is low

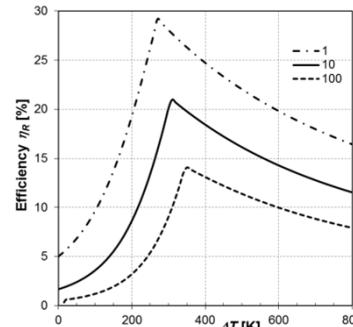


O₂ Pressure Limits: Flow Volume and Speed

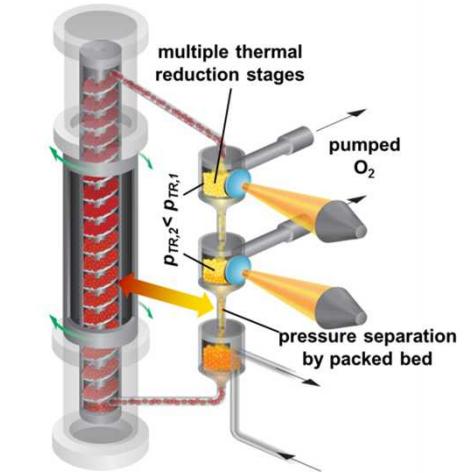
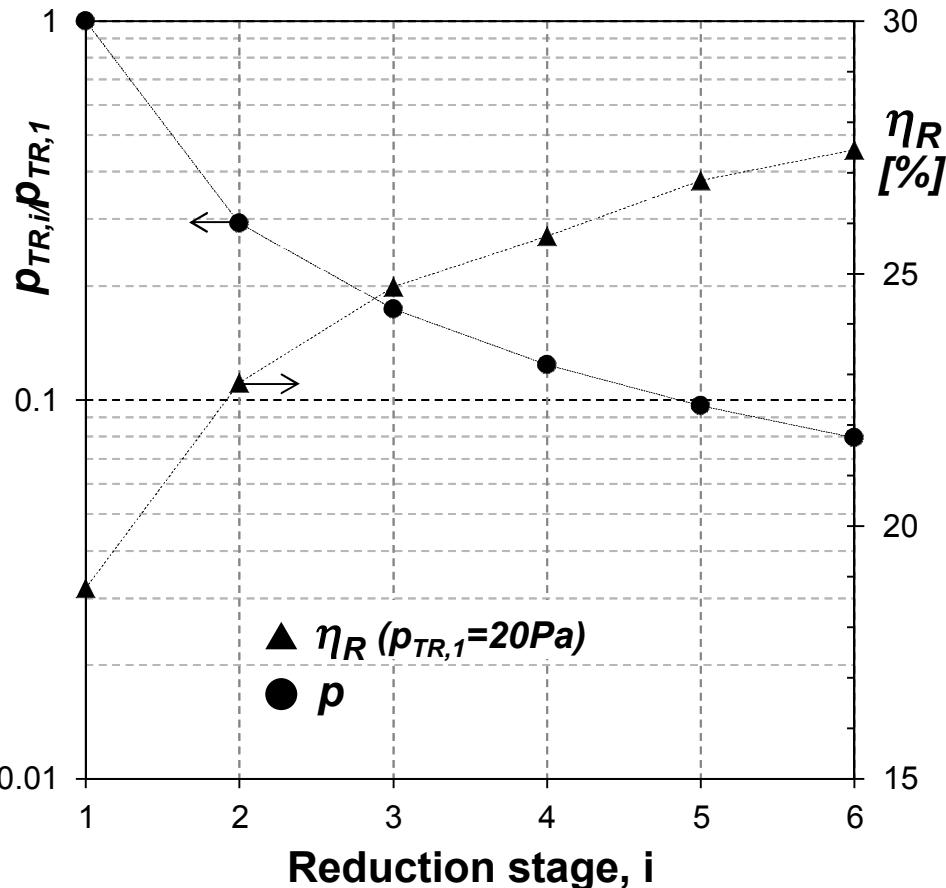
Is 1Pa accessible?



At low pressure required flow volumes and velocities are astronomical!



Staged Reduction for Low Pressure



$$p_{TR,i} = \dot{n}_{ox} R T_{TR} \frac{\delta_{TR,i} - \delta_{TR,i-1}}{2 \dot{V}_{O_2}}$$

Efficiency is the highest when:

- 10x pressure decrease possible with as few as 5 chambers
- Decreased pump work and size

Next Generation Redox Active Materials

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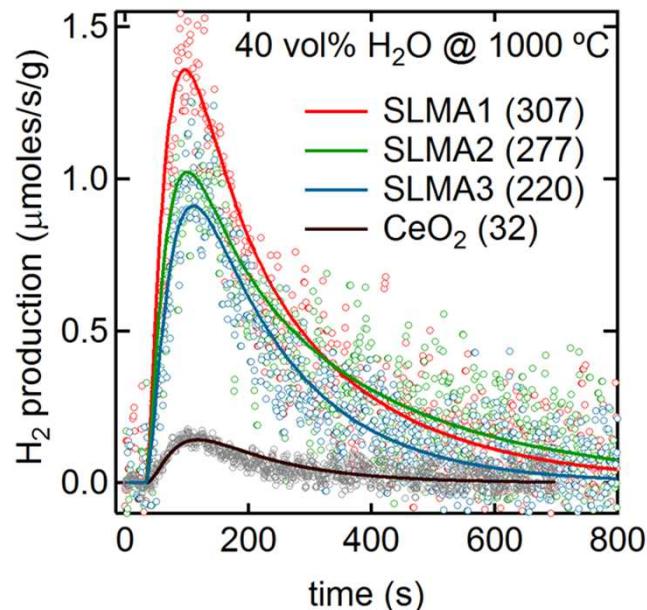
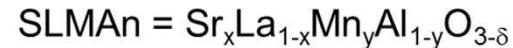
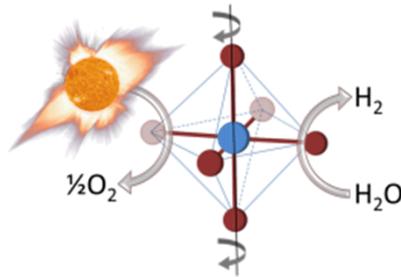
Sr- and Mn-doped $\text{LaAlO}_3-\delta$ for solar thermochemical H_2 and CO production†

Cite this: DOI: 10.1039/c3ee41372a

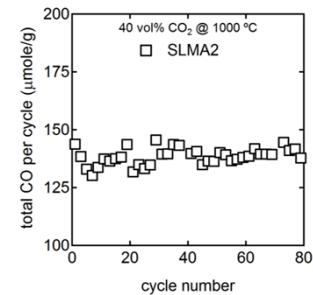
Received 22nd April 2013
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- Perovskite compounds split H_2O in a thermochemical cycle.
 - First of a kind observation, also demonstrated durability
- Kinetics benchmarked against CeO_2 .
 - Similarly fast oxidation rates
- Make $\sim 9\times$ more H_2 than CeO_2 at $T_{\text{TR}} = 1350$ °C.



Staged Reduction Reactor for Low Pressure

An improvement of an earlier moving packed bed concept

- Direct solar absorption
- Internal heat recovery between T_{TR} and T_{WS}
- Continuous on-sun operation
- Temperature and product separation
- Pressure separation (thermal reduction step vacuum pumping)
- Non-monolithic oxide
- Reaction kinetics decoupled from reactor operation

- Thermal reduction pressure (0.1-10Pa)
- Decreased solid-solid heat recovery requirement
- Decreased pump work requirement
- Compatibility with MW-scale plant

