

Solute Drag on Dislocations

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Overview

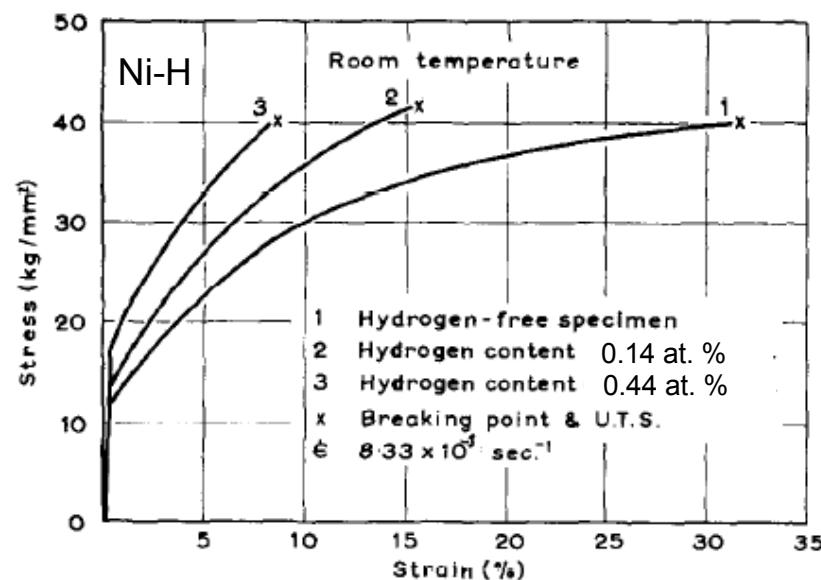
- What is solute drag and why do we care about it?
- Problem setup and solution methodology
- Results and future work

Solute drag is ubiquitous

- Plastic deformation = dislocation motion
- Mixing in *solute atoms* produces *solid solutions*
 - Alloying
 - Steel = Fe + C
 - Contaminants
 - Hydrogen embrittlement
- These solutes interact with dislocations and alter mechanical properties



<http://www.numodis.fr/tridis/TEM/index.html>



Boniszewski and Smith, Acta Metall. (1963)

Steady-state drag calculation



Concentration field calculation

$$\frac{\partial c}{\partial t} = -\nabla \cdot \mathbf{J} = 0$$

Finite difference and solve with Newton's method

Drag force calculation

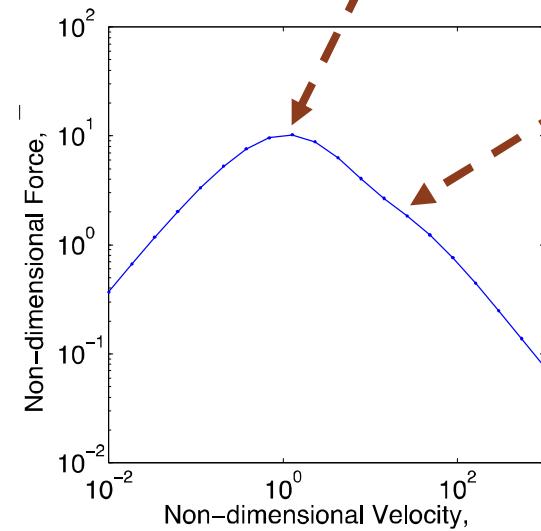
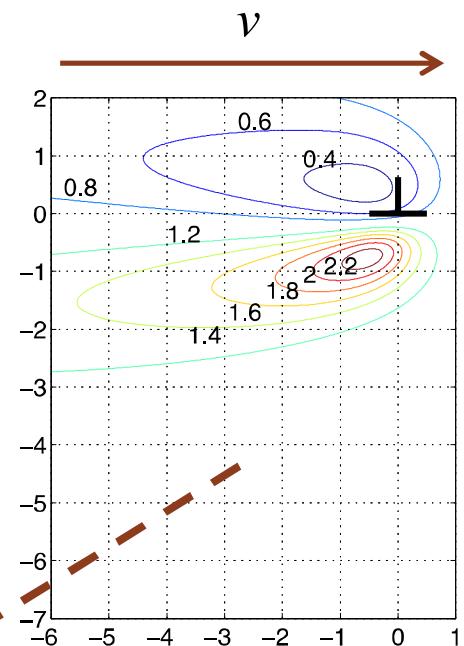
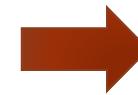
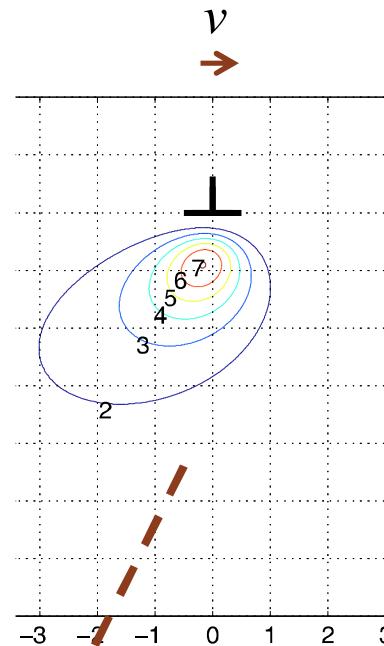
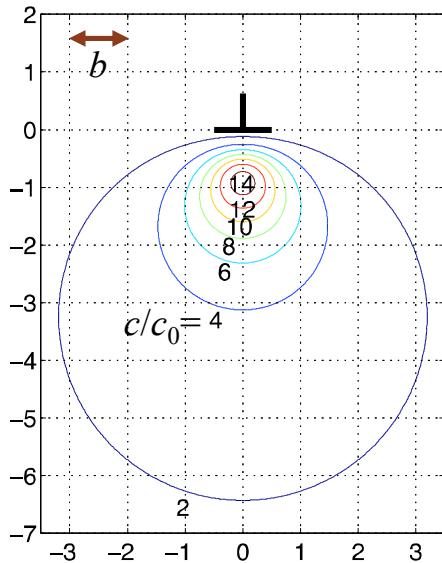
$$\sigma_{xy} = \int_{-\infty}^{\infty} \int_{-\infty}^{\infty} [c(x', y') - c_0] \sigma_{xy}^{\text{solute}}(x_c - x', y_c - y') dx' dy'$$

Stress field of a solute

Evaluate with adaptive quadrature in MATLAB

$$F = (\sigma_{xy} \mathbf{b}) \times \xi$$

Results



$$\bar{F} = \bar{F} \left(q, c_0, S, \theta, \frac{\hat{\gamma}}{\mu b}, \frac{a}{b} \right)$$

Non-dimensional Force Expression

Future work

- Consider transient cases
- Use drag expression to model solid solution strengthening with dislocation dynamics simulations

R. B. Sills and W. Cai, *Solute drag on perfect and extended dislocation*, In-Preparation.