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Title: Extending $\langle TKE \rangle$ Measurements to $E_n=30$ MeV and Beyond

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Extending <TKE> Measurements to $E_n = 30$ MeV and Beyond

Informal Seminar on Uncertainty
Quantification of Experimental Data

Dana L. Duke, P-27

Feb. 18, 2014

ABSTRACT

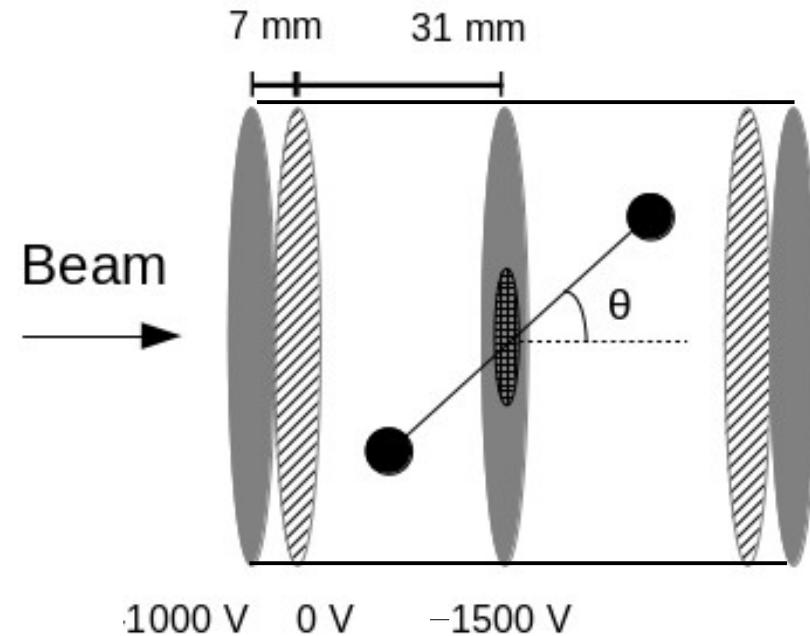
The majority of energy release in the fission process is due to the kinetic energy of the fission fragments. Average Total Kinetic Energy $\langle TKE \rangle$ measurements for the major actinides over a wide range of incident neutron energies were performed at LANSCE using a Frisch-gridded ionization chamber. The experiments and results of the $^{238}\text{U}(n,f)$ and $^{235}\text{U}(n,f)$ will be presented, including $\langle TKE \rangle(\text{En})$, $\langle TKE \rangle(\text{A})$, and mass yield distributions as a function of neutron energy. A preliminary $\langle TKE \rangle(\text{En})$ for $^{239}\text{Pu}(n,f)$ will also be shown. The $\langle TKE \rangle(\text{En})$ shows a clear structure at multichance fission thresholds for all the reactions that we studied. The fragment masses are determined using the iterative double energy (2E) method, with a resolution of $A = 4 - 5$ amu. The correction for the prompt fission neutrons is the main source of uncertainty, especially at high incident neutron energies, since the behavior of $\text{nubar}(A,\text{En})$ is largely unknown. Different correction methods will be discussed.

Introduction

- There is a need for more complete $\langle TKE \rangle(E_n)$ data for the major actinides.
- Opportunity arose to complete the work at LANSCE using a digitizer DAQ and the white neutron source at WNR.
- Work at LANSCE has collected experimental data for neutron induced fission ^{238}U , ^{235}U , and ^{239}Pu .
 - ^{238}U is being prepared for publication
 - ^{235}U is currently being analyzed
 - ^{239}Pu data has just finished being collected and is in preliminary analysis

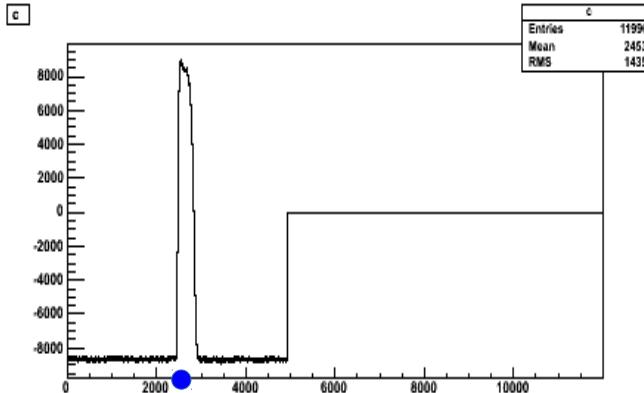
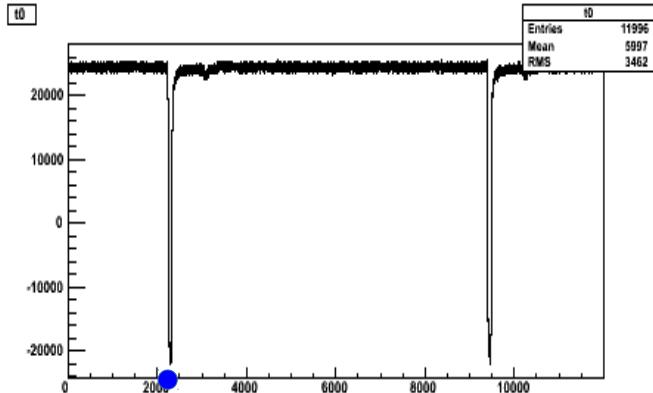
Experimental method : Ionization chamber

- The Frisch-gridded ionization chamber has been traditionally used to measure $\langle TKE \rangle$.
- Fission products ionize the gas, producing electrical signals within the detector.
- These signals are recorded to extract energy and angle of the fission products.

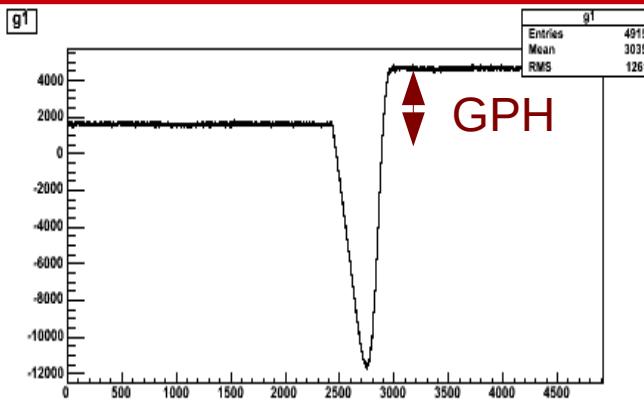
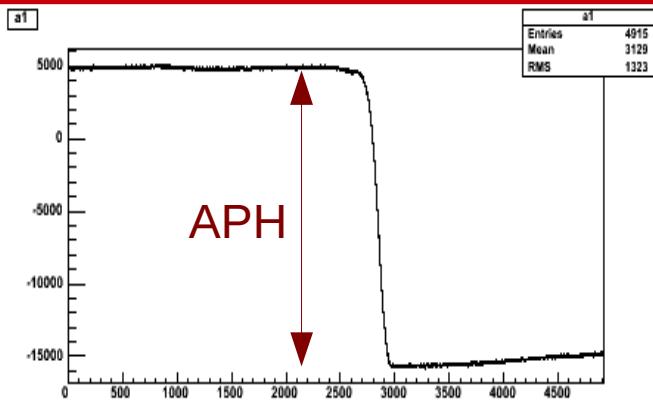


Anodes, grids, and a cathode all record signals from the fission event.

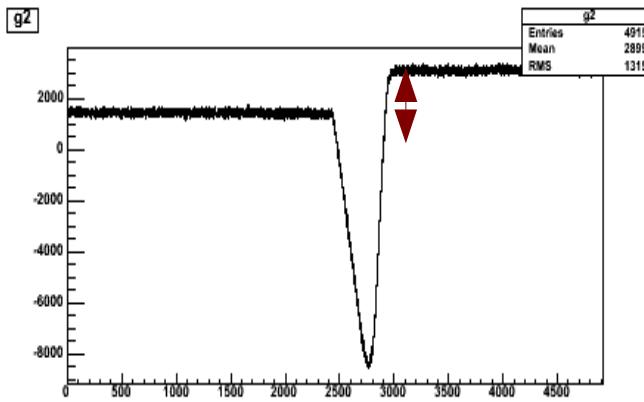
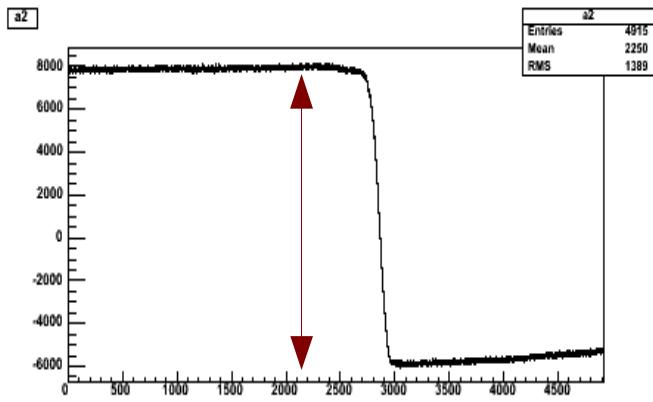
[Straede, C. et al. *Nuclear Physics A* , 1987, 462, 85 - 108]



E_n



(E_1, θ_1)



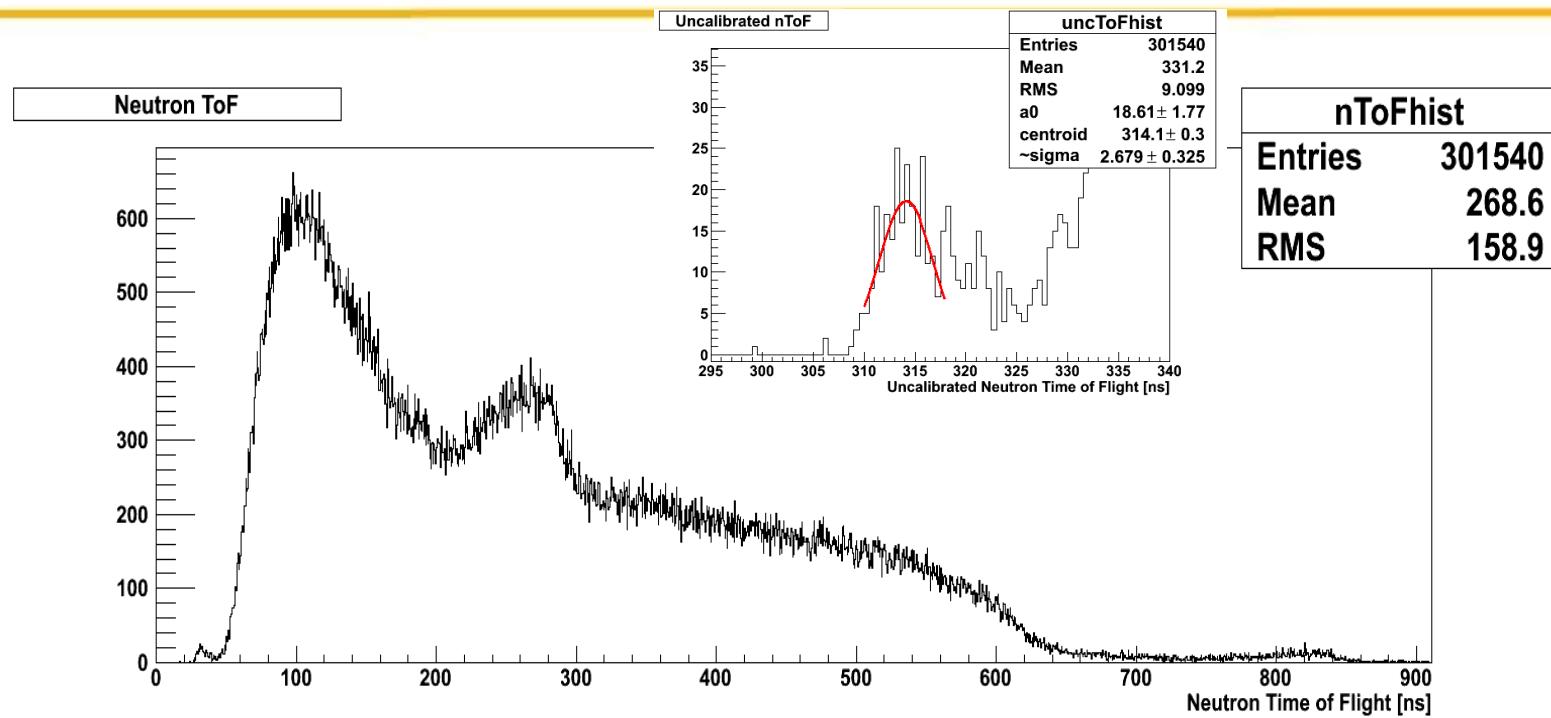
(E_2, θ_2)

Extracting the physics: E_n , angles, and energy

- Extract pulse heights and neutron time-of-flight from the wave forms.
 - Grid inefficiency and preamplifier gain correction
 - Angular emission (**calculate θ**)
 - Energy loss in the target and backing material
 - Pulse height defect (detector effect)
- Calibration to previous measurement (**calculate energy**) *
- 2E method (**calculate mass**)
 - Neutron sawtooth correction *

* Sources of systematic uncertainty

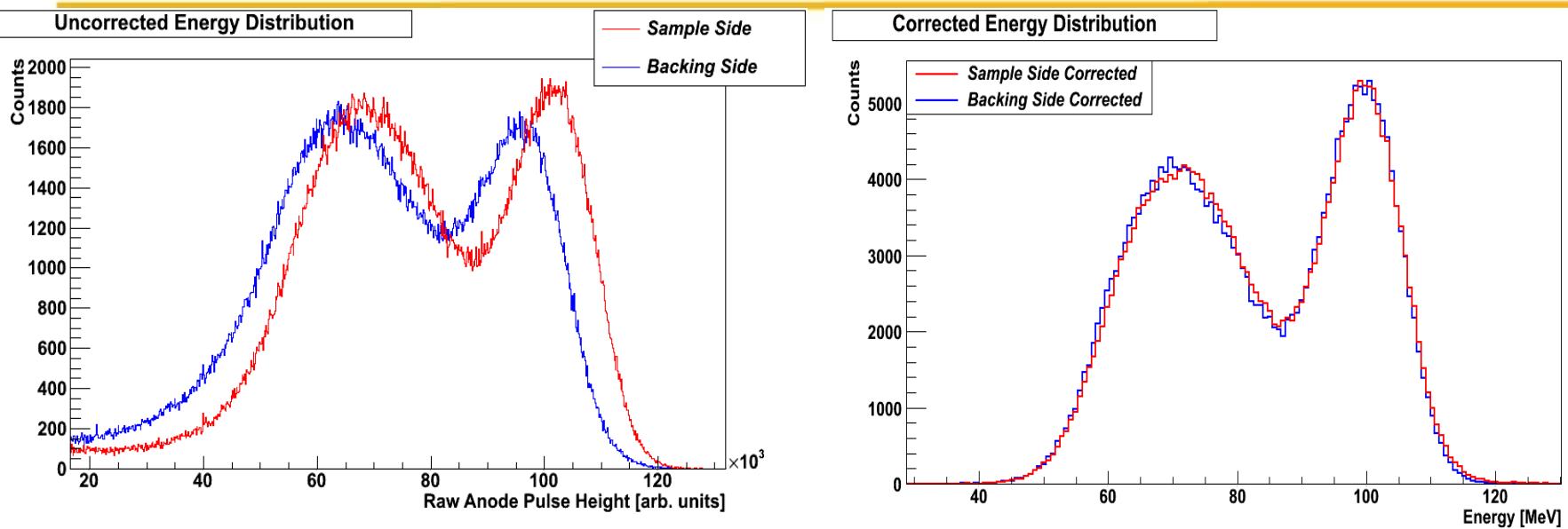
Calculate E_n – Neutron Time of Flight



- A neutron time-of-flight method is employed to deduce the incident neutron energies. Relativistic corrections are made. Uncertainty on neutron energies is determined by the width of the photo fission peak.
- This is a common analysis technique at WNR.

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Energy calibration



- The various correction for energy loss and angle are made until the anode pulse height (energy) overlay.
- The peaks are fit with Gaussians. Centroids of the light and heavy peak are compared with the average light and heavy product energies of a previous measurement to get a linear anode [channel] → energy [MeV] calibration equation.
- Uncertainties on the corrections goes into calibration uncertainty.

Energy calibration : notes

- Systematic uncertainty for the pulse height corrections are all part of the calibration uncertainty and includes pulse height defect (PHD).
- Uncertainty of the previous measurement is also incorporated.
- The uncertainty on the linear equation parameters is the systematic uncertainty on the fission product energies.

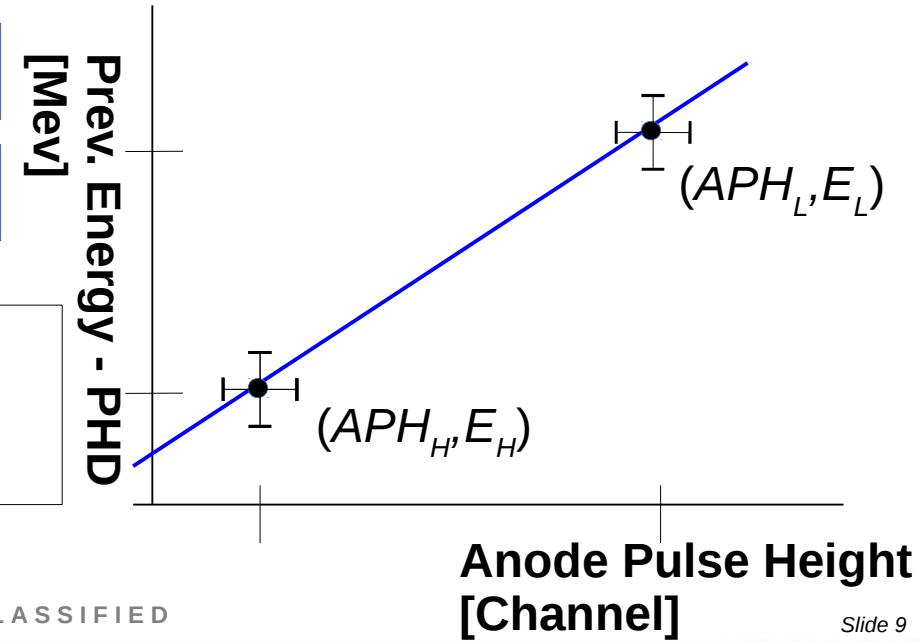
$$E = (m \pm \delta m) \cdot APH + (b \pm \delta b)$$

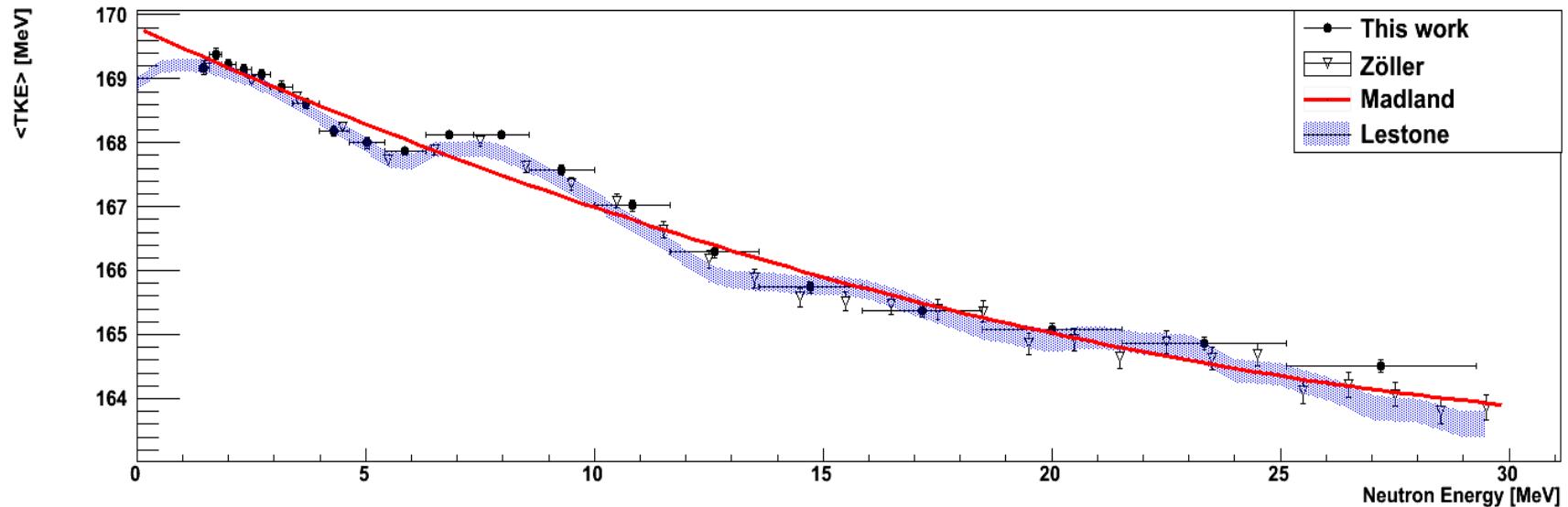
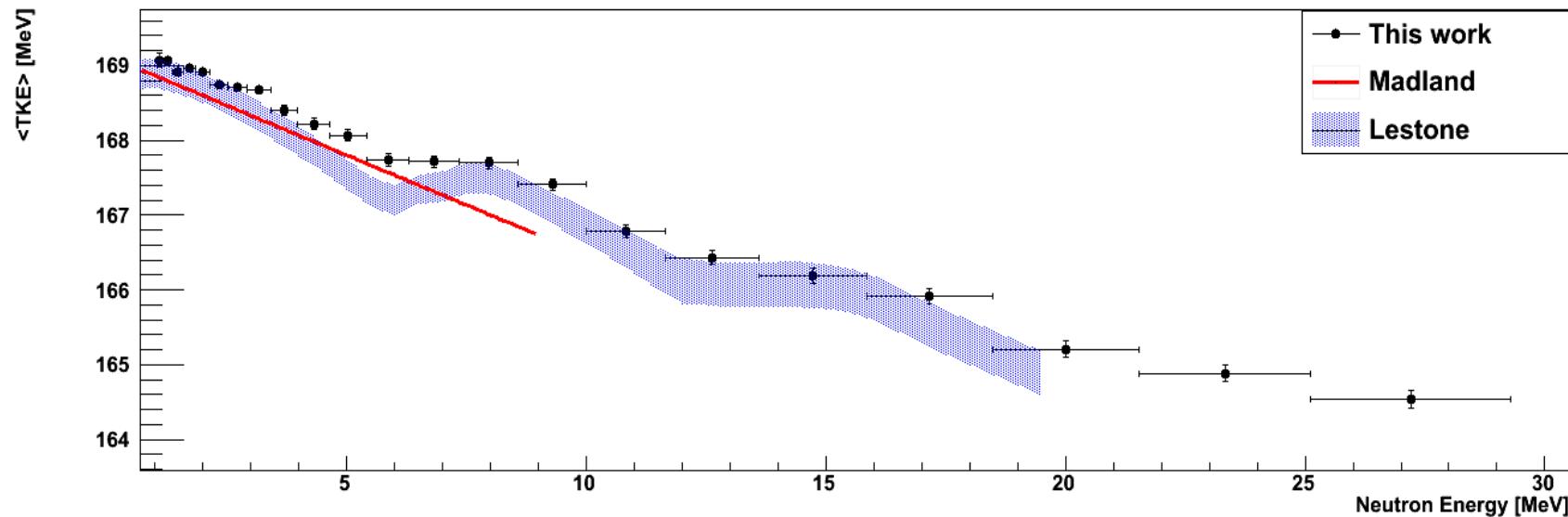
$$\delta E = \sqrt{(APH \cdot \delta m)^2 + (\delta b)^2}$$

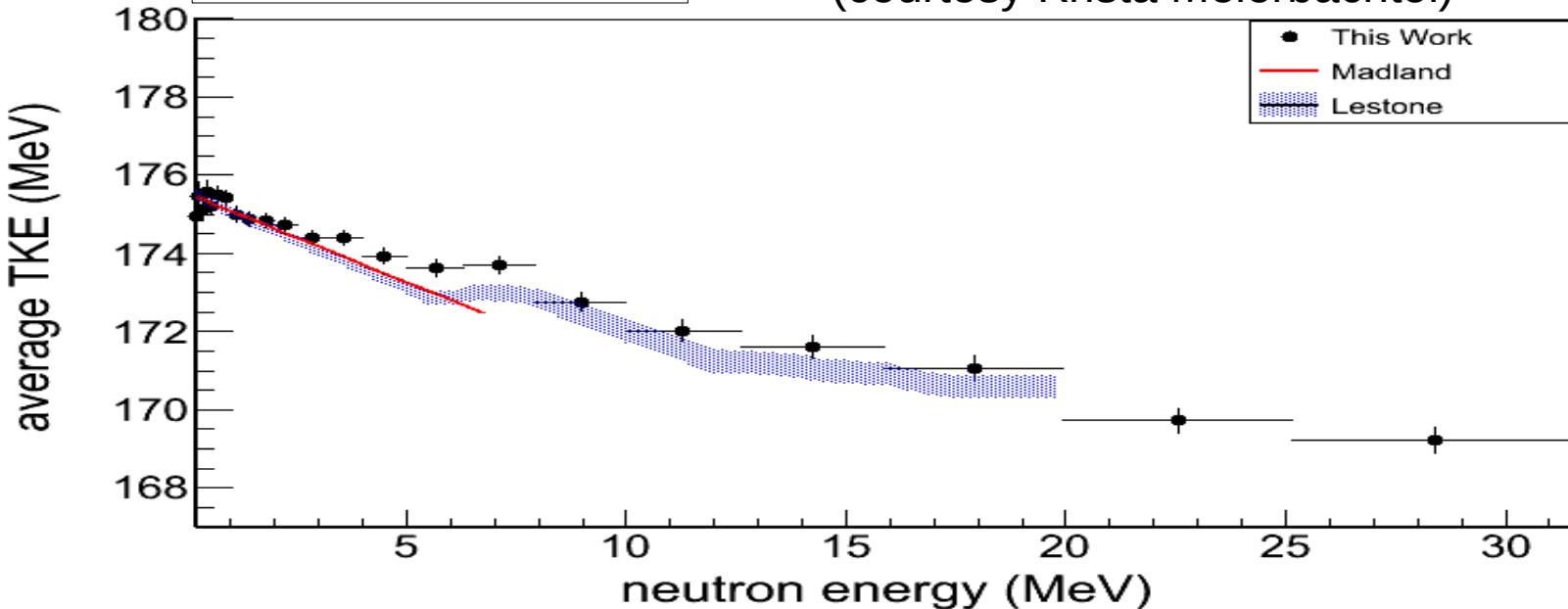
ex. $m = 0.93 \pm 0.004$

$b = 0.3 \pm 0.4$

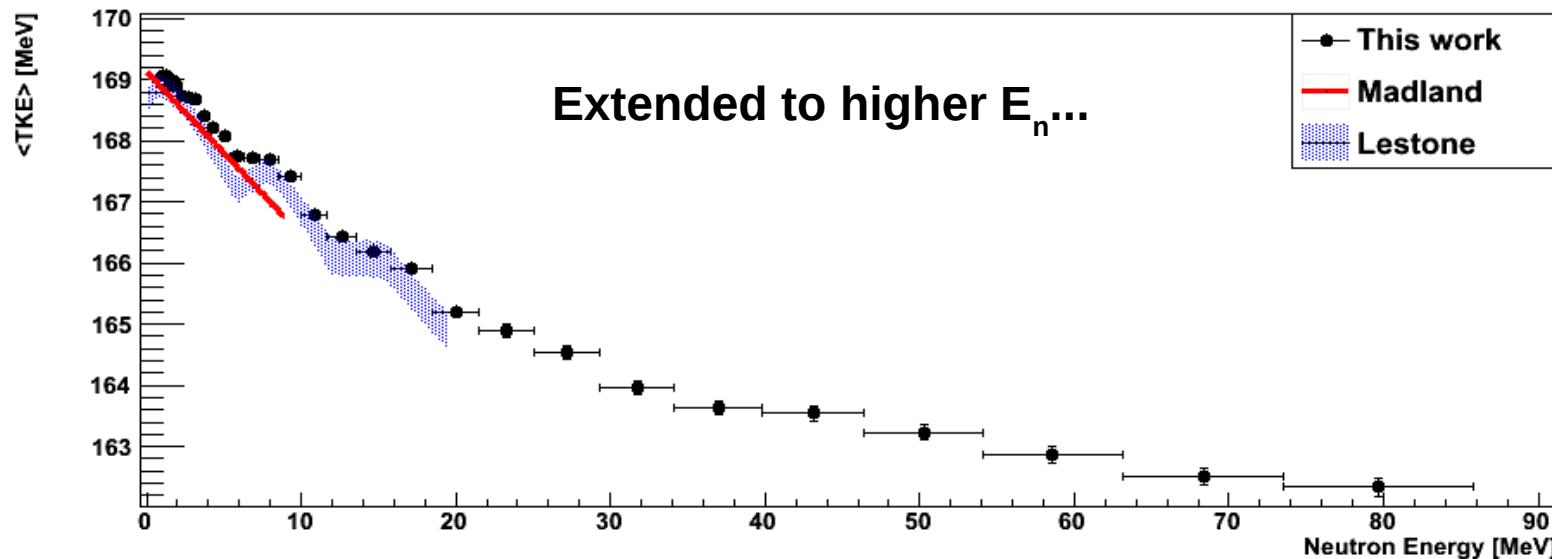
If $APH = 100 \text{ ch}$, $E = (92.7 \pm 0.6) \text{ MeV}$



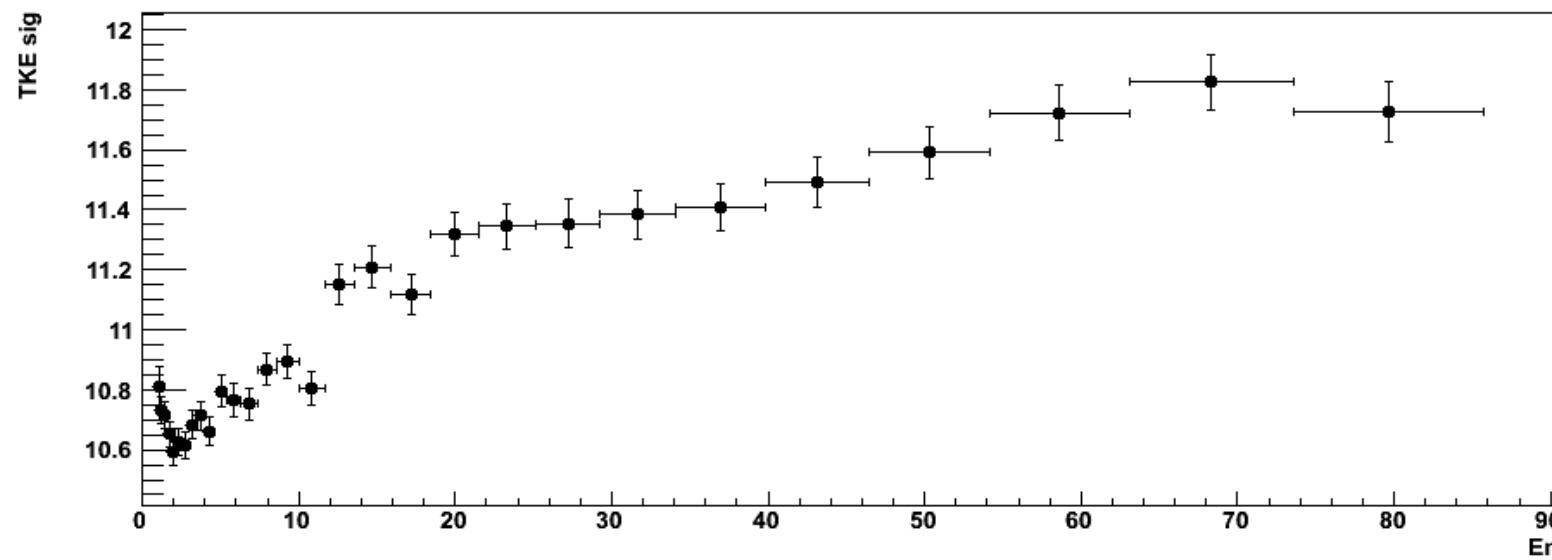
238U <TKE>**235U <TKE>**

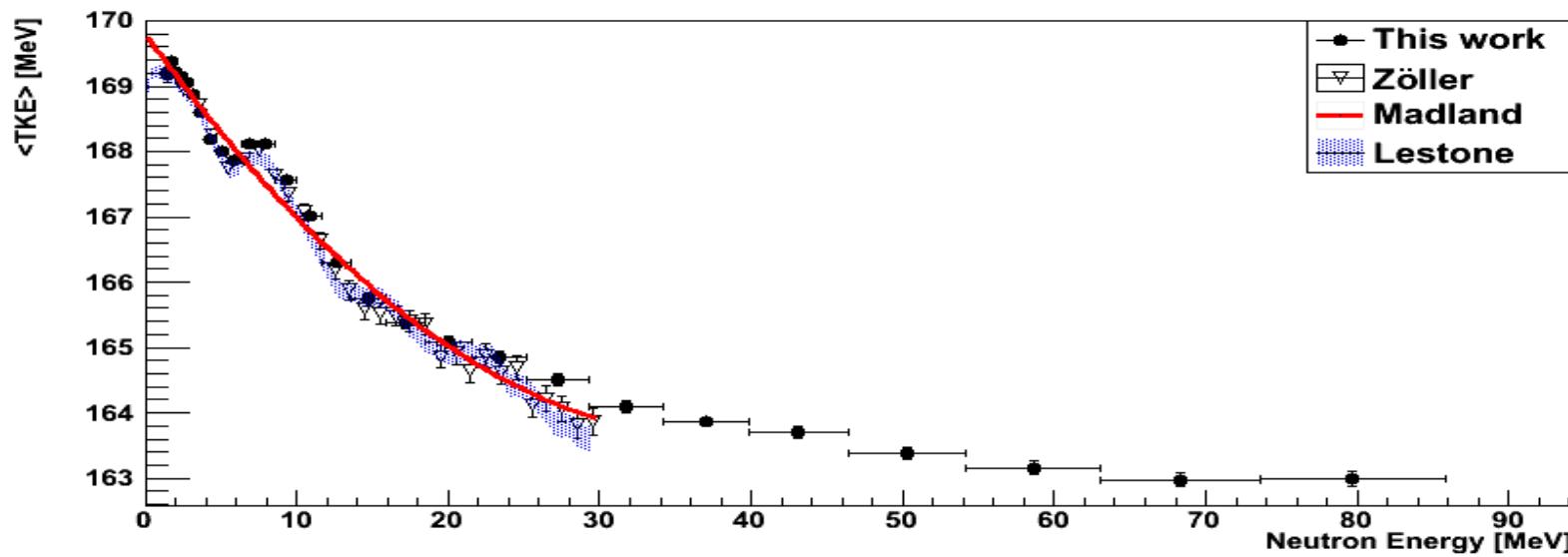
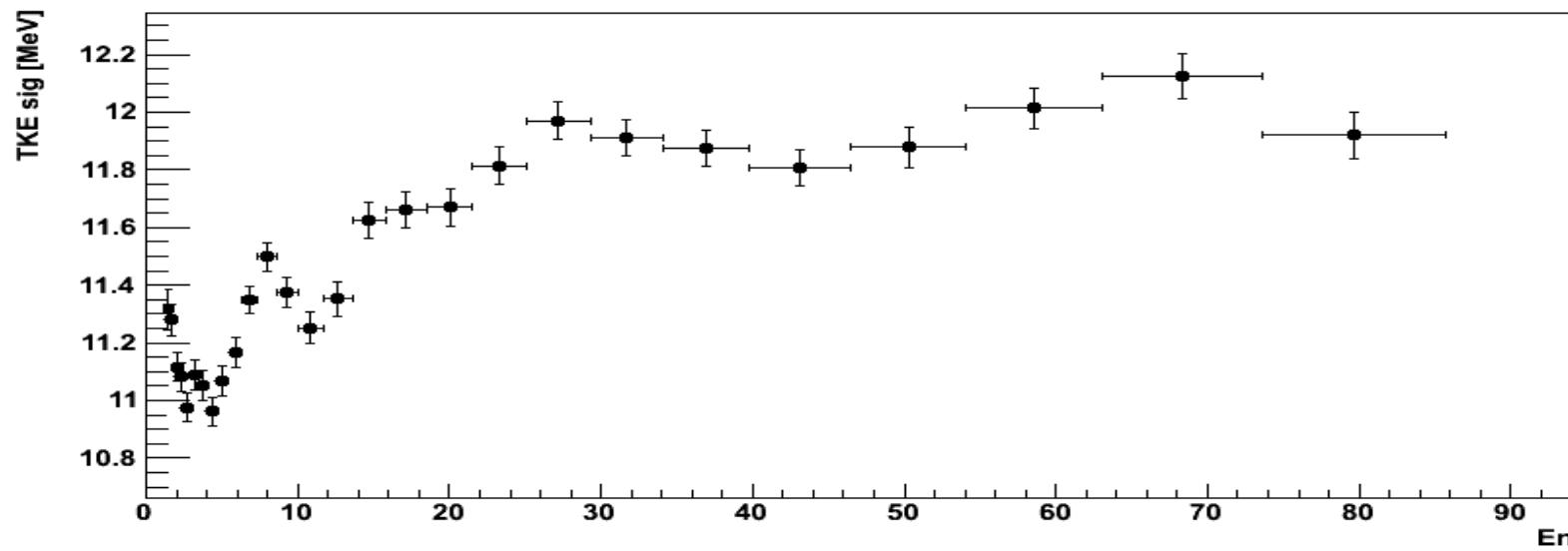


- The models of Lestone fit the data quite well in all 3 cases.
- For uranium, the statistical error of the $\langle\text{TKE}\rangle$ is based off the uncertainty in the fit parameters of the Gaussians.
- For plutonium, the statistical error is (currently) the standard deviation of the mean.
- Systematic uncertainty in $\langle\text{TKE}\rangle$ is about 0.5 - 1% and shifts the vertical position of the data.



TKE sigma



238U <TKE>**TKE Gauss Fit Sigma**

Calculating Fission Fragment Masses with 2E

1) Assume equal mass fragments: $m_i^{pre} = (M_{tar} + m_n)/2$

2) Correct for prompt neutron emission*: $m_i^{post} = m_i^{pre} - \nu(A, E_n)$

3) Correct energy for PHD*: $E_i^{post} = E_i^{cal} + PHD(m_i^{post})$

4) Calculate fragment masses using energies:

$$m_2^{pre} = \frac{(M_{tar} + m_n)E_1^{post}}{E_2^{post}(B) + E_1^{post}} \quad m_1^{pre} = \frac{(M_{tar} + m_n)E_2^{post}}{E_1^{post}/(B) + E_2^{post}} \quad B = \frac{m_2^{pre} \cdot m_1^{post}}{m_2^{post} \cdot m_1^{pre}}$$

5) Calculate fragment energies in lab frame: $E_i^{lab} = \frac{m_i^{pre}}{m_i^{post}} E_i^{post}$

6) Test for convergence: $|m_i^{pre}(\text{end}) - m_i^{pre}(\text{begin})| \leq 0.125$

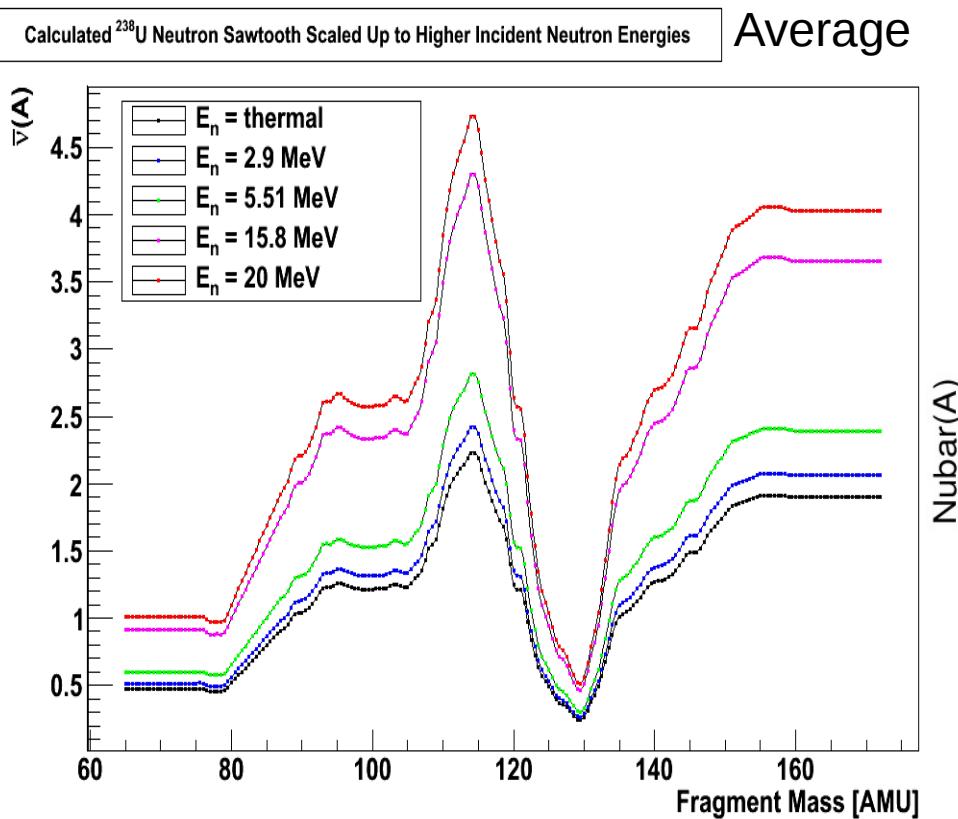
7) Start over at (2) if necessary.

Neutron sawtooth correction, nu(A,E_n)

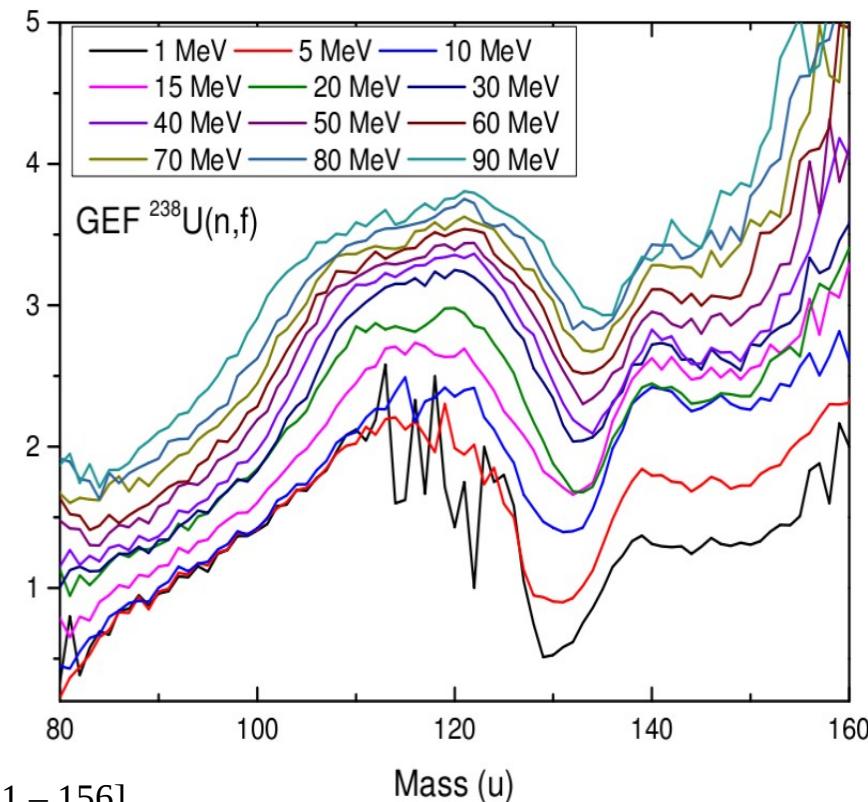
- To explore TKE(A), we calculate masses using the 2E method, which requires a correction for prompt neutron emission. $m_i^{post} = m_i^{pre} - \nu(A, E_n)$
- **Method 1: Average**
 - The sawtooth at thermal energies is “scaled” using a multiplicative factor determined by nubar. The number of emitted neutrons is shared equally between the two fragments.
- **Method 2: Heavy**
 - The sawtooth is simulated using GEF code for different incident neutron energies → Assumes the heavy fragment evaporates more neutrons.

Average vs. Heavy method

Calculated ^{238}U Neutron Sawtooth Scaled Up to Higher Incident Neutron Energies



Heavy



[Wahl, A. C. Atomic Data and Nuclear Data Tables , 1988, 39, 1 – 156]

[J. Terrell, Phys. Rev. 127 1962]

[Lestone, J. Nuclear Data Sheets , 2011, 112, 3120 – 3134]

[Al-Adili, A, et. al. Phys. Rev. C, 2012, 86, 54601-8]

EST. 1943

Operated by Los Alamos National Security, LLC for NNSA

Calculating Fission Fragment Masses with 2E

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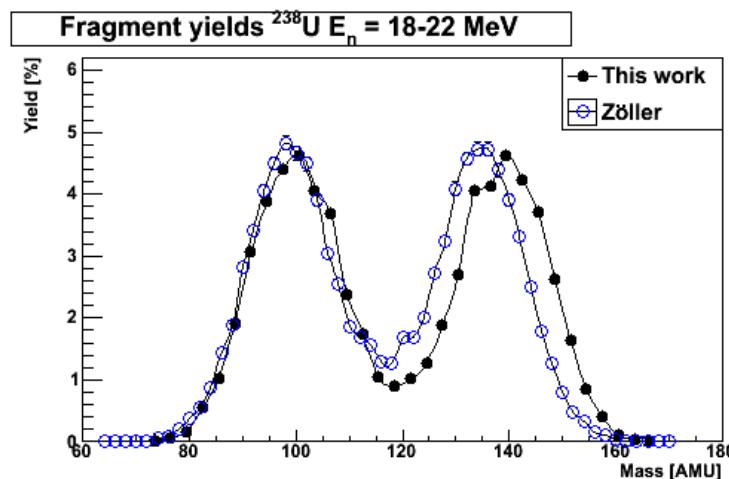
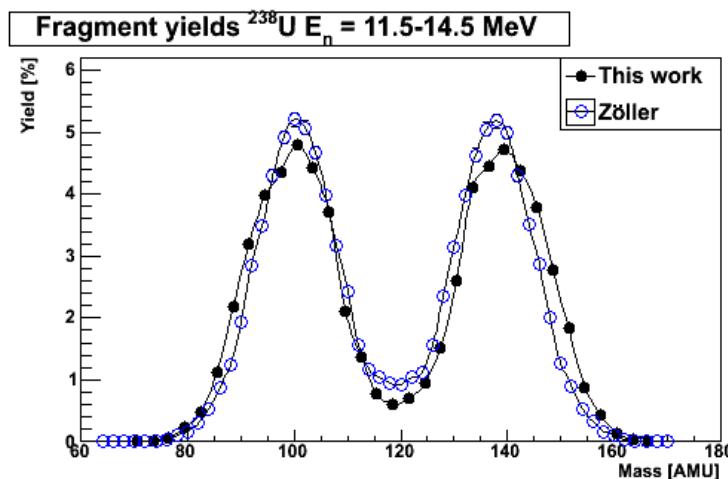
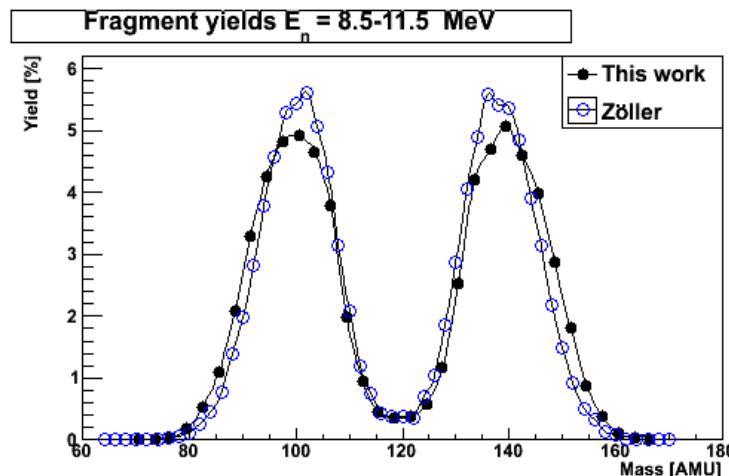
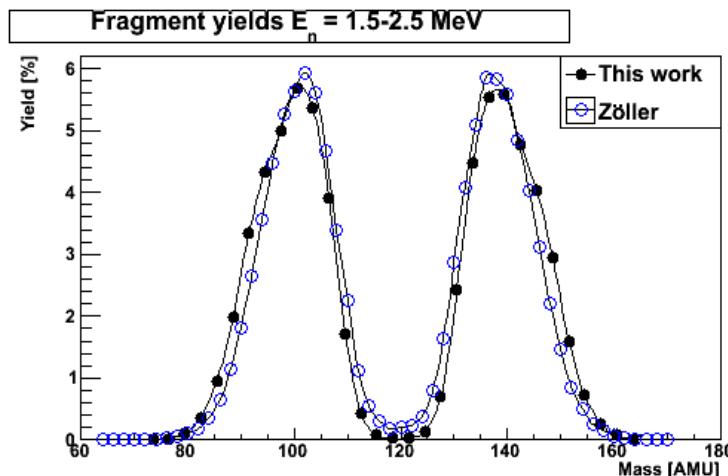
$$m_2^{pre} = \frac{(M_{tar} + m_n)E_1^{post}}{E_2^{post}(B) + E_1^{post}} \quad m_1^{pre} = \frac{(M_{tar} + m_n)E_2^{post}}{E_1^{post}/(B) + E_2^{post}} \quad B = \frac{m_2^{pre} \cdot m_1^{post}}{m_2^{post} \cdot m_1^{pre}}$$

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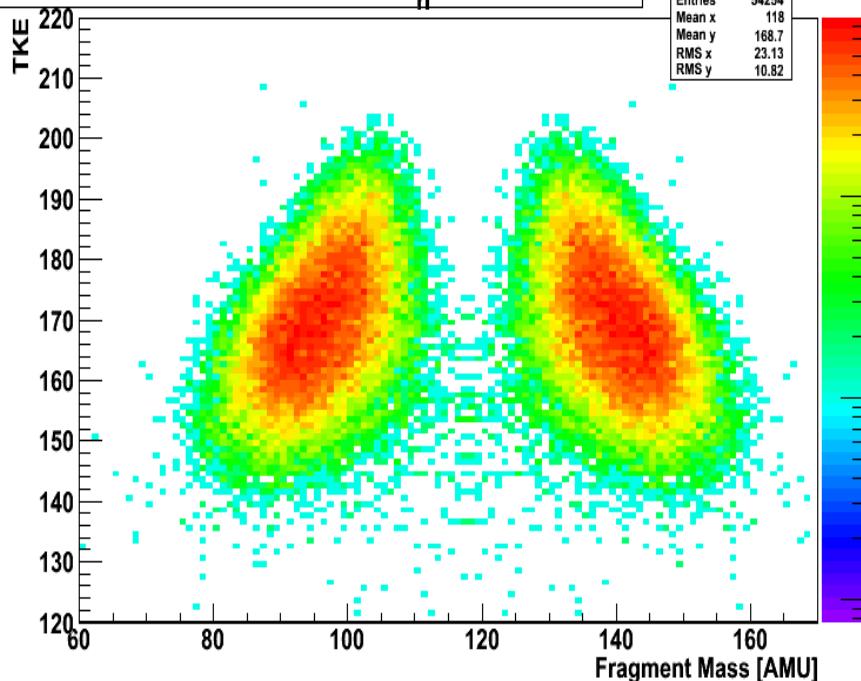
7) Start over at (2) if necessary.

Mass yields $^{238}\text{U}(n,f)$ – Average method

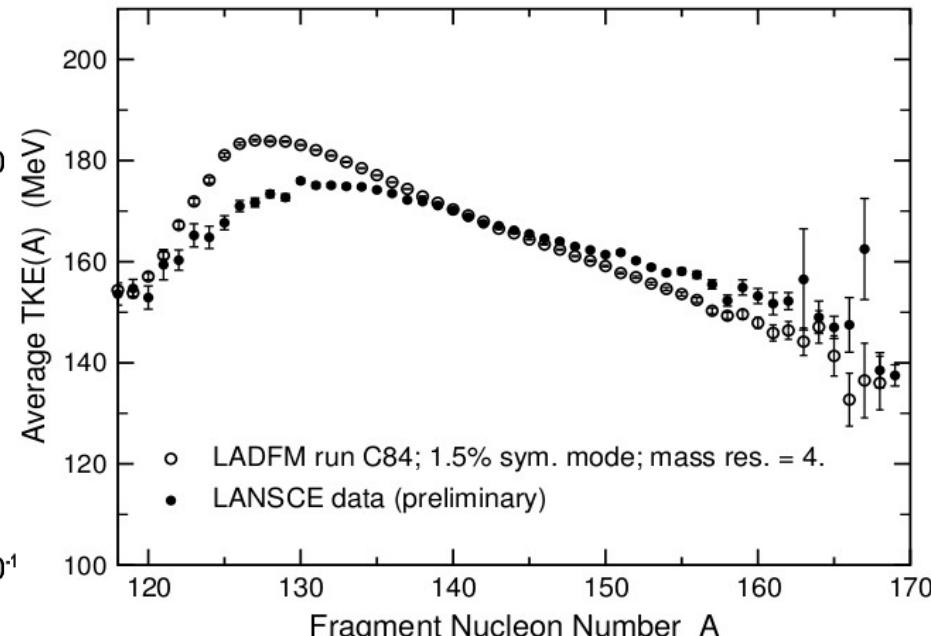


Average TKE(A, E_n) for $^{235}\text{U}(n,f)$

TKE v. Mass $^{235}\text{U}(n,f)$ E_n = 3.0 MeV



$^{235}\text{U}(n,f)$ E_n = 3.0 MeV
482,885 trajectories



- The mass resolution of the ionization chamber is 4-5 AMU, calculated by comparing to ENDF. [Mosby, S. et. al., NIM A, 2014, 757, 75 - 81]
- Results displayed here with model for 1 AMU. (courtesy Arnie Sierk)

Conclusions

- Models of the $\langle TKE \rangle(E_n)$ fit the data quite well.
- Sources of uncertainty in the 2E method are not quantified. We can do this, but we need your input.
- The mass yields and measurement at higher energies requires a better understanding of prompt neutron evaporation and what multichance fission processes are happening.