

From Modeling to Implementation of High Index Contrast Microphotronics

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Overview

Goals: To communicate the following . . .

- ☐ The importance of analytical intuition
- ☐ The importance of rigorous numerical design
- ☐ The ease of implementing numerical codes
- ☐ The need for both multiphysics and VLSI codes

Outline

- ☐ The Finite Difference Time Domain (FD-TD) Technique
- ☐ Mode Evolution Devices
- ☐ Filter Design and a Polarization Independent Microphotonic Circuit
- ☐ Some Special Cases: Periodic Boundary Conditions and Conductors
- ☐ A Multi-Physics Problem: Thermal Microphotonic Focal Plane Array (TM-FPA)

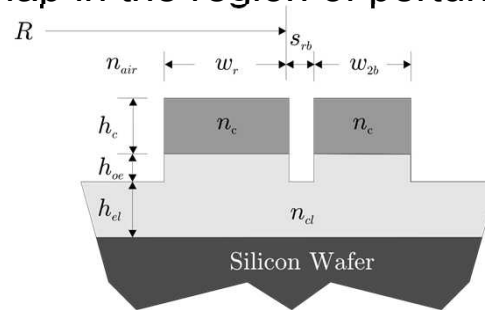


Analytic Intuition: Coupled Mode Theory

Coupled Mode Theory (CMT) Application

□ Between a pair of waveguides: The coupling between otherwise orthogonal modes is determined by the degree of the overlap in the region of perturbation

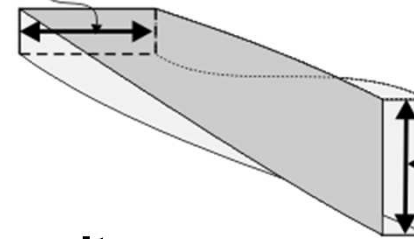
$$\kappa_{mn} = -j \frac{\omega}{4} \int_A \Delta \epsilon e_m^* \cdot e_n dA$$



□ Adiabatic Transition:

$$\kappa_{mn} = -j \frac{\omega}{4\delta\beta(z)} \int_A e_m^* \cdot e_n \frac{d}{dz} \epsilon(z) dA$$

Output E Field
Polarization



Input E Field
Polarization

Use CMT for intuition but not numerical results

- CMT is limited by number of modes considered
- Scattering, loss, and even coupling strength are generally off
- CMT will not provide generate non-intuitive results
- Computers have become sufficient fast to do rigorous numerical simulations

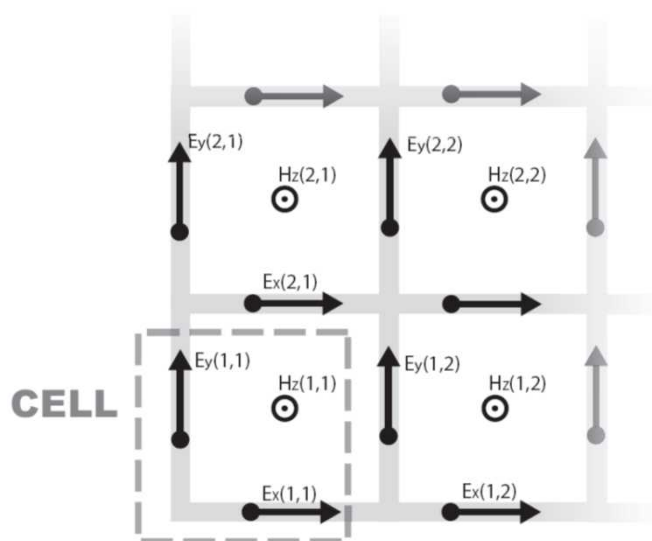


Finite-Difference Time-Domain Technique

Why choose FD-TD?

- ❑ Simple discretization of Maxwell's equations with no other approximations
- ❑ Why not Beam Propagation Method and/or Eigenmode Expansion?
 - Beam Propagation Method based on Paraxial Wave Equation (limited angles)
 - Eigenmode Expansion great for tapers, but not for abrupt transitions

How FD-TD is implemented



$$\frac{\partial E_x(z,t)}{\partial t} = -\frac{1}{\epsilon_0} \frac{\partial H_y(z,t)}{\partial z}$$

$$\frac{\partial H_y(z,t)}{\partial t} = -\frac{1}{\mu_0} \frac{\partial E_x(z,t)}{\partial z}$$

$$E_x(z', t' + \frac{\Delta t}{2}) = E_x(z', t' - \frac{\Delta t}{2}) - \frac{\Delta t}{\epsilon_0 \cdot \Delta x} \left(H_y(z' + \frac{1}{2} \Delta z, t') - H_y(z' - \frac{1}{2} \Delta z, t') \right)$$

$$H_y(z', t' + \frac{\Delta t}{2}) = H_y(z', t' - \frac{\Delta t}{2}) - \frac{\Delta t}{\mu_0 \cdot \Delta x} \left(E_x(z' + \frac{1}{2} \Delta z, t') - E_x(z' - \frac{1}{2} \Delta z, t') \right)$$

Finite Difference Time Domain Considerations

Commercial Code, Own Code, Open Source Codes

- ❑ Commercial codes tend not to be well parallelized or portable → limited utility
- ❑ FD-TD is easy to program with some guidance (book by A. Taflove)
- ❑ If you write your own code, you will always know what you is in the code
- ❑ Also, open source codes by (e.g. Steven Johnson's MEEP)

Computer Selection

- ❑ Why is FD-TD so slow? Memory bandwidth code, cores alone will not help
- ❑ Specfp benchmark *swim_m.f* www.spec.org a good metric of performance
 - 32-core SGI Altix 4700 Bandwidth System, *swim_m.f* (62.8 seconds)
 - 16-core IBM, *swim_m.f* (58.8 seconds)
 - 8-core Intel (i.e. Xeon Quad Cores), *swim_m.f* (834 seconds)
- ❑ What is the difference between these machines → Memory Bandwidth





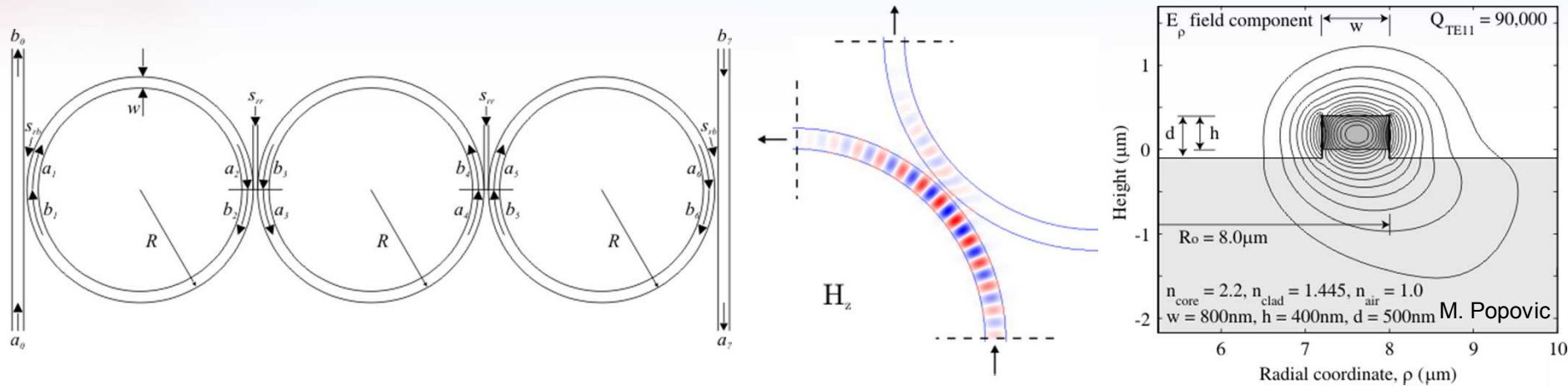
Microring-Resonator Based Filters and the first Polarization Microphotonic Circuit

**Michael R. Watts, Milos Popovic, Tymon Barwicz,
Peter Rakich, Luciano Socci, Hermann A. Haus,
Henry I. Smith and E. P. Ippen**

**Research Performed at the
Massachusetts Institute of Technology**

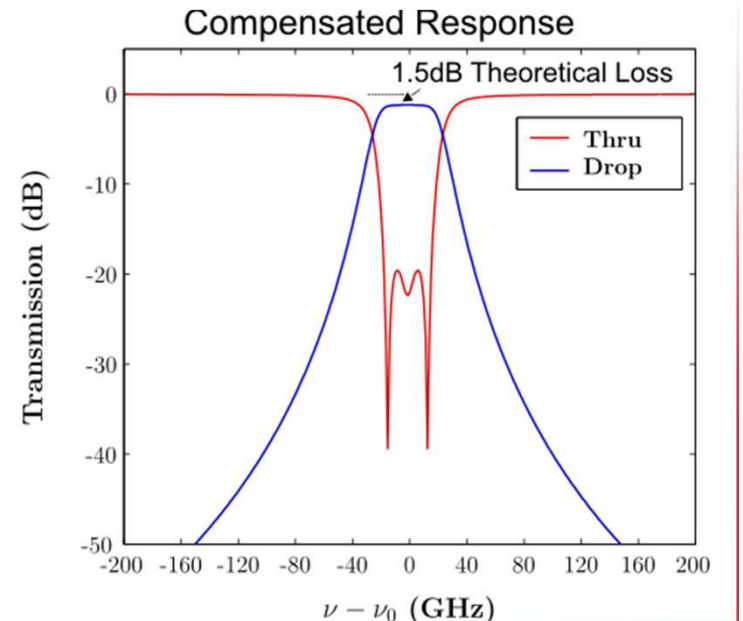


Implementation of FD-TD



Procedure

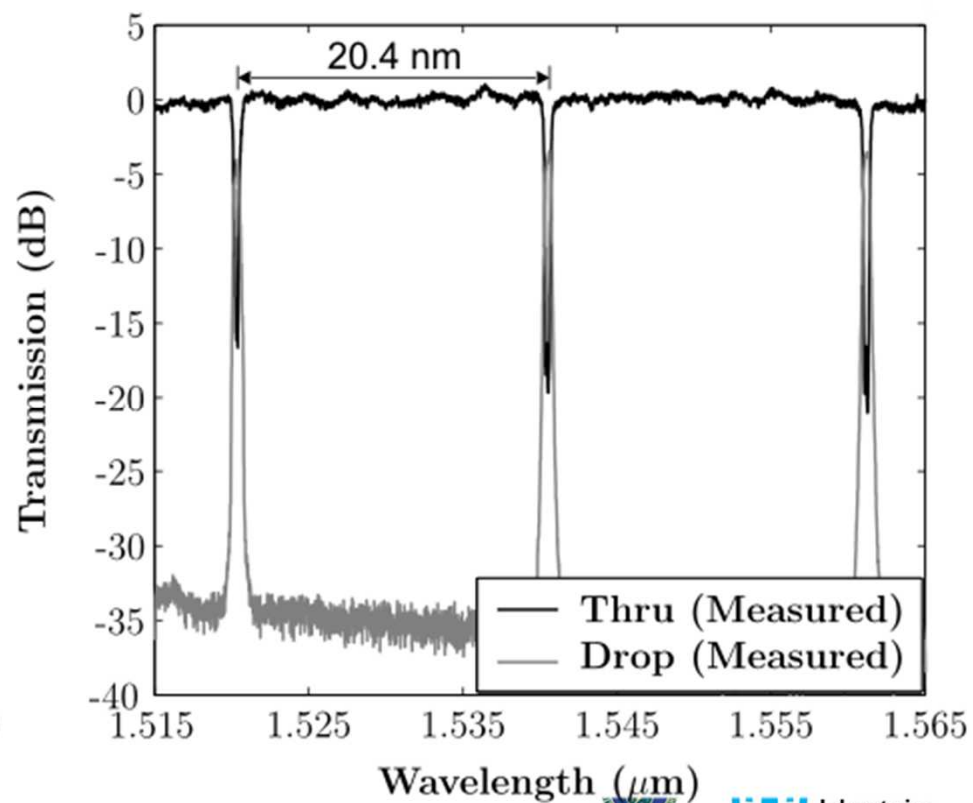
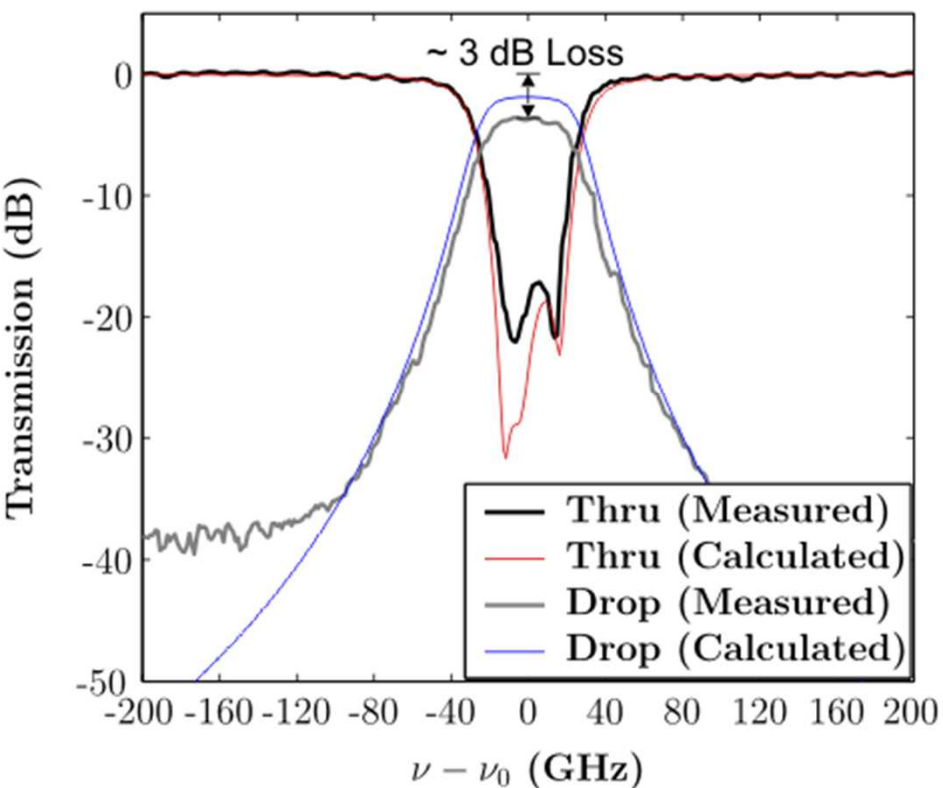
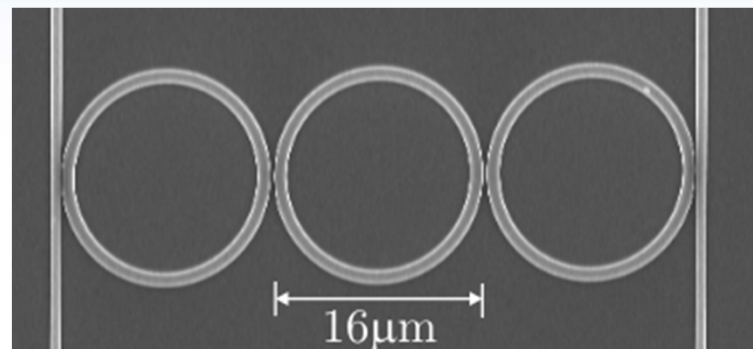
- ❑ Complex vector mode-solver to determine Q and find bus and ring waveguide modes
- ❑ Launch appropriate modes as Gaussian pulse
- ❑ Take Discrete Fourier Transforms (DFTs) & overlaps to determine complex scattering coefficients
- ❑ Use scattering coefficients in Transfer Matrix Method to generate filter response



Redesigned Filters

Improvements

- ❑ Advanced coupler design incorporated
- ❑ Higher-Q ring waveguide utilized
- ❑ Slightly wider bandwidth
- ❑ Achieved 3dB drop-port losses
- ❑ > 15 dB thru-port extinction





Mode Evolution Based Devices

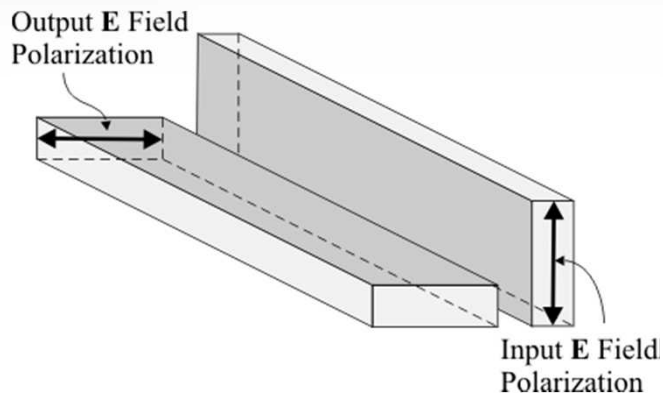
**Michael R. Watts, Minghao Qi, Tymon Barwicz,
Luciano Socci, Hermann A. Haus, Henry I. Smith
and E. P. Ippen**

**Research Performed at the
Massachusetts Institute of Technology**



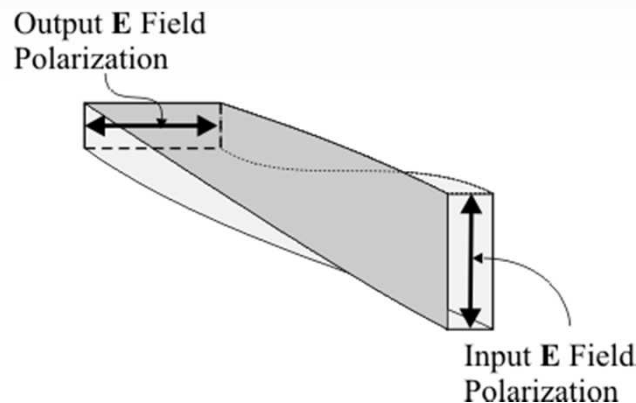
Example: Microphotonic Polarization Rotator

Mode Coupling



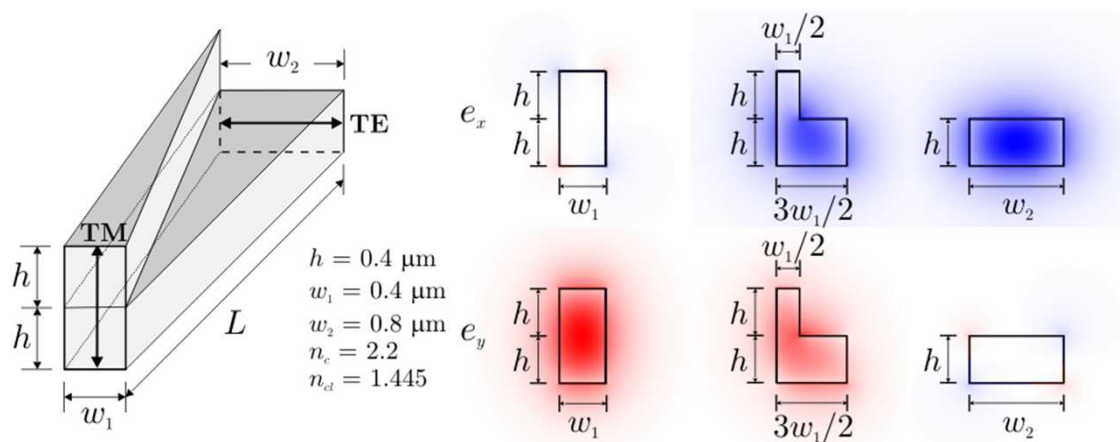
- ❑ **Requires:** Precise coupling & phase matching
- ❑ **Result:** Wavelength & fabrication sensitive

Mode Evolution



- ❑ **Requires:** Prevent mode coupling (max $\Delta\beta/\kappa$)
- ❑ **Result:** Inherently wavelength & fabrication insensitive
- ❑ **Challenge:** Implementing a twist on a chip

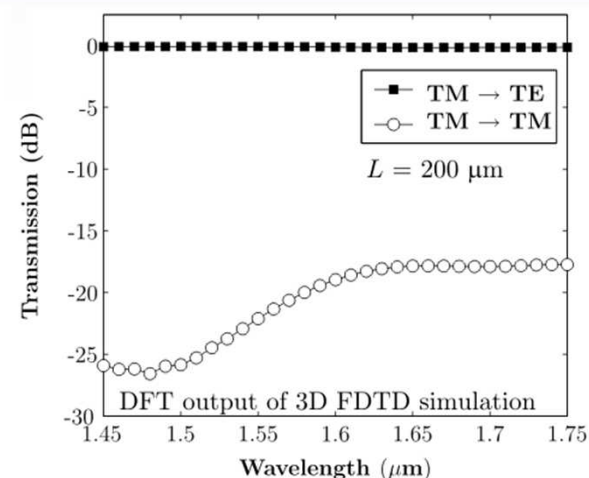
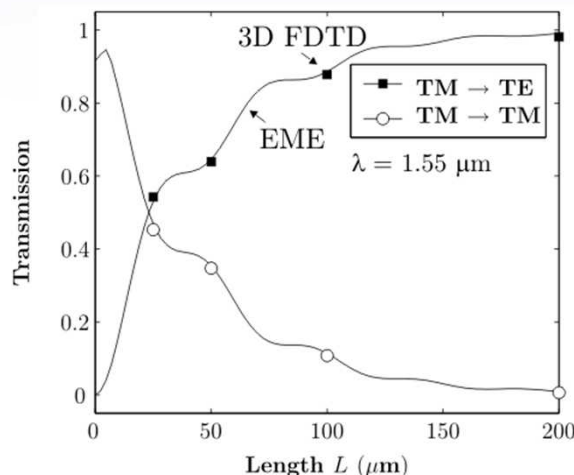
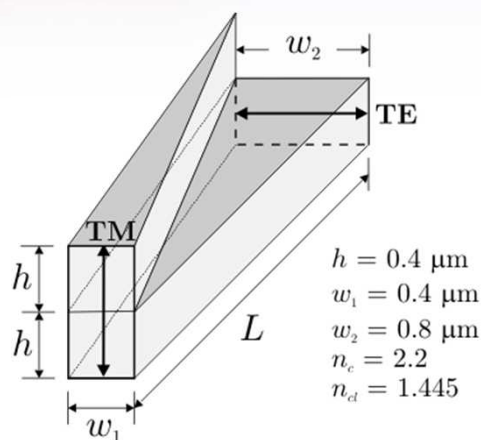
Mode Evolution Based Polarization Rotator



- ❑ Most confined mode aligned to geometric axis of guide (result of Gauss' Law)
- ❑ Large aspect ratio enhances $\Delta\beta/\kappa \rightarrow$ minimizes coupling
- ❑ Intuition indicates it should work, but rigorous simulations are required to confirm the design

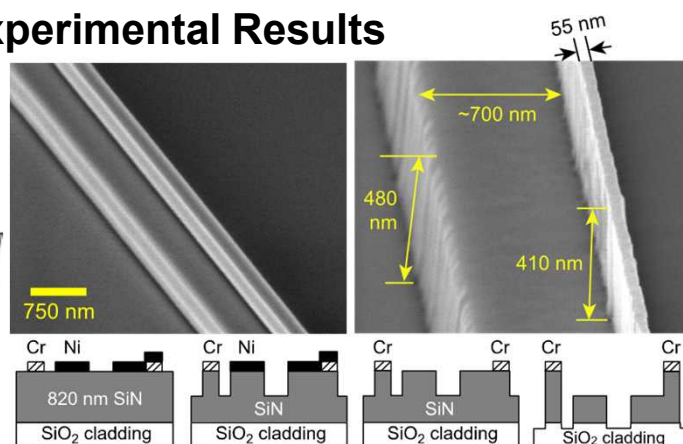
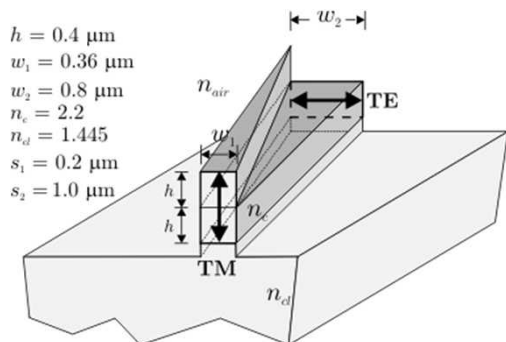
Design and Experimental Results

Polarization Rotator - Numerical Results

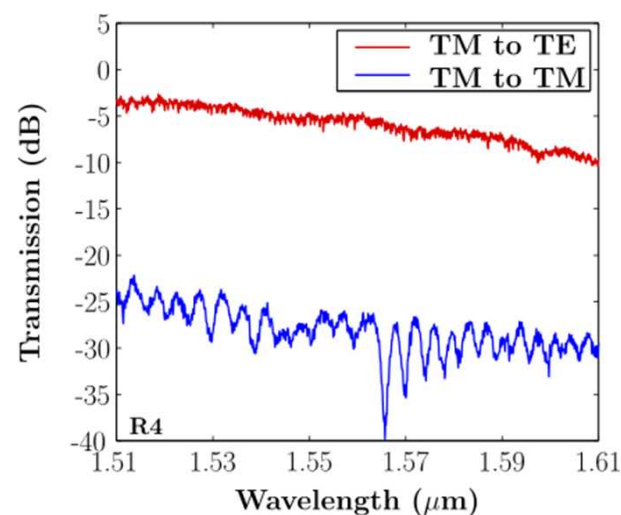


M. R. Watts and H. A. Haus, "Integrated mode-evolution-based polarization rotators," *Optics Letters* **30**, 138-140 (2005).

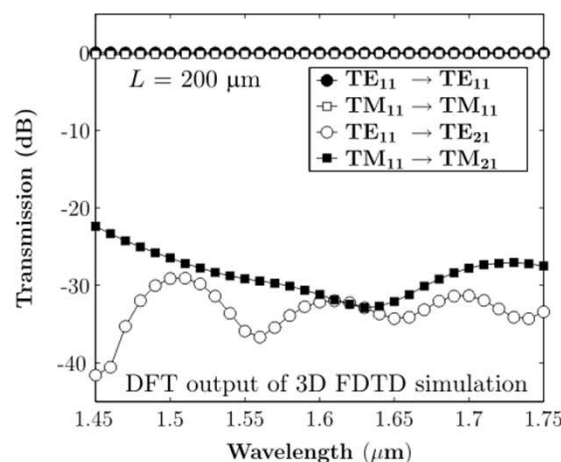
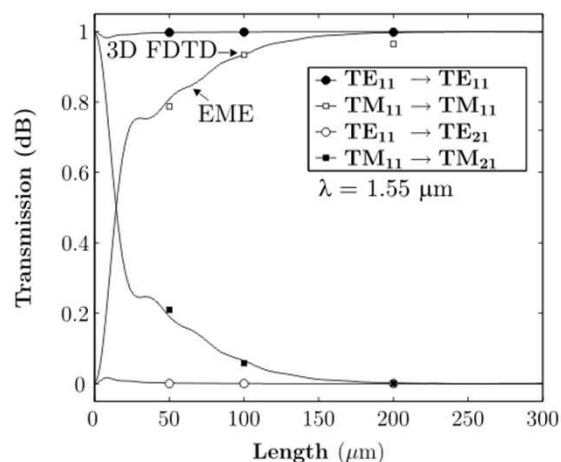
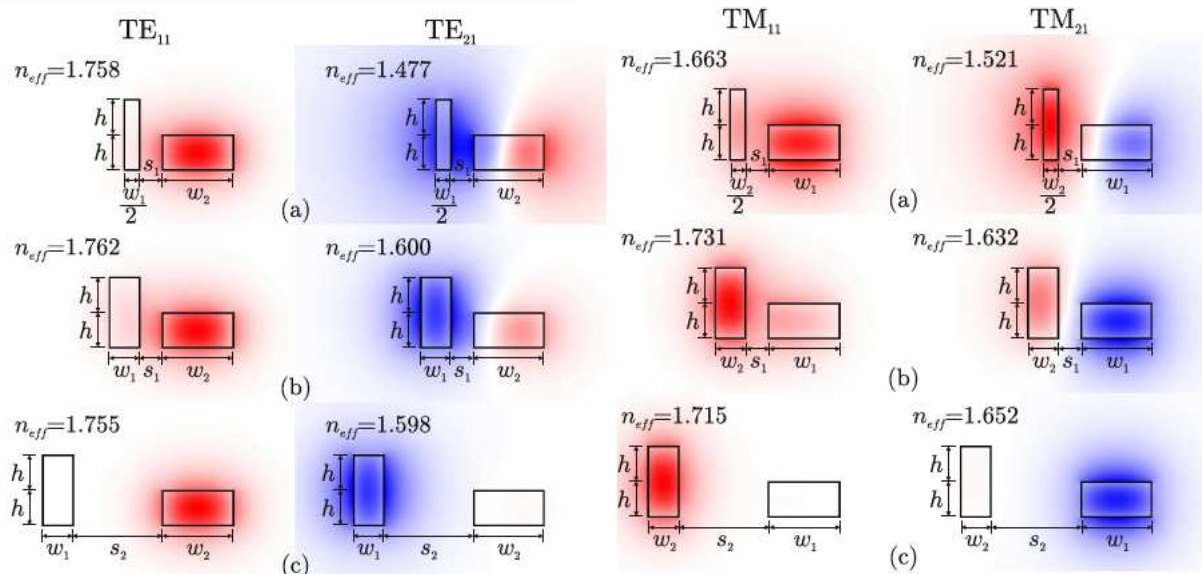
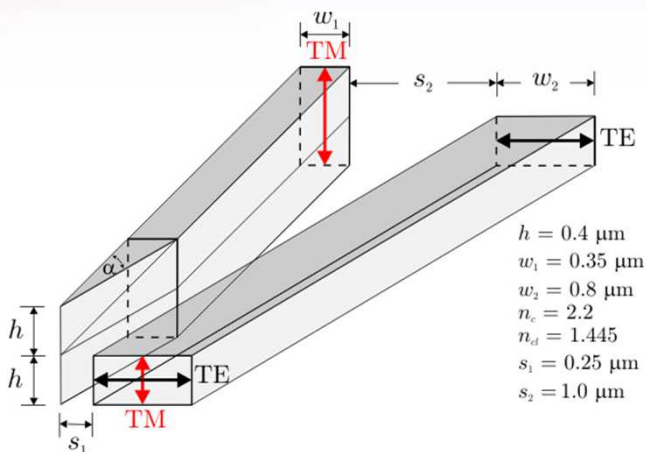
Polarization Rotator - Experimental Results



Fabrication performed by Minghao Qi



Mode Evolution Based Polarization Splitter



Polarization Splitter Design

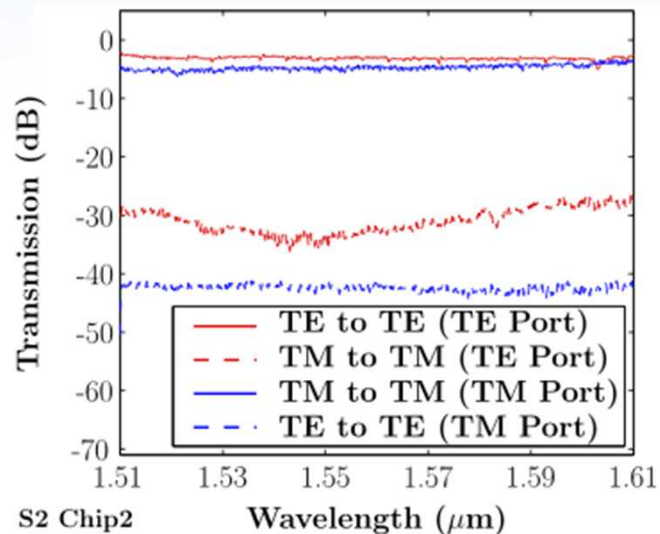
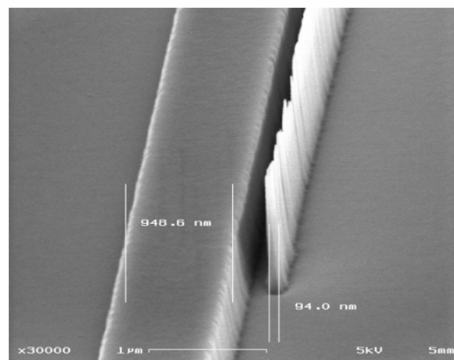
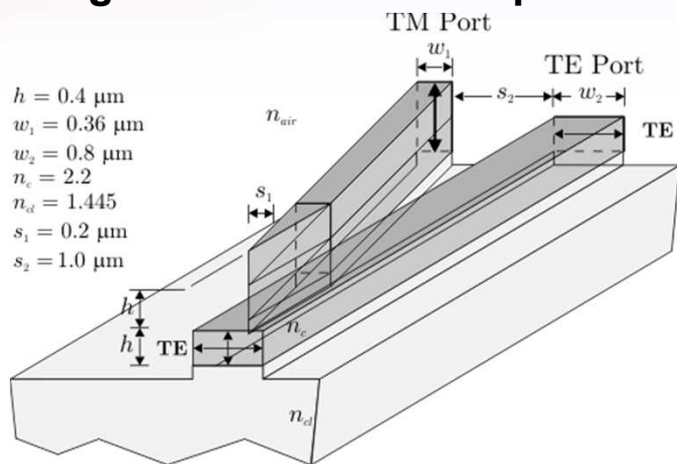
- TE₁₁ and TM₁₁ modes separate
- Large ratio of $\Delta\beta/\kappa$ by geometry
- Coupling between TM₁₁ and TM₂₁ modes limits device performance
- Splitter / Rotator can be combined

M. R. Watts, H. A. Haus, and E. P. Ippen "An integrated mode-evolution-based polarization splitter," to be published *Optics Letters*

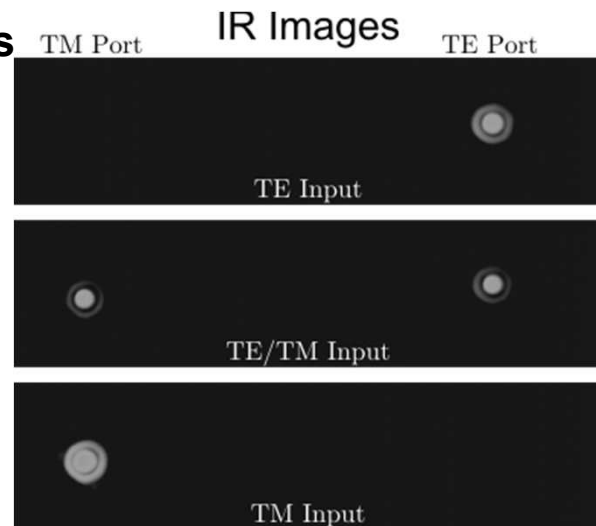
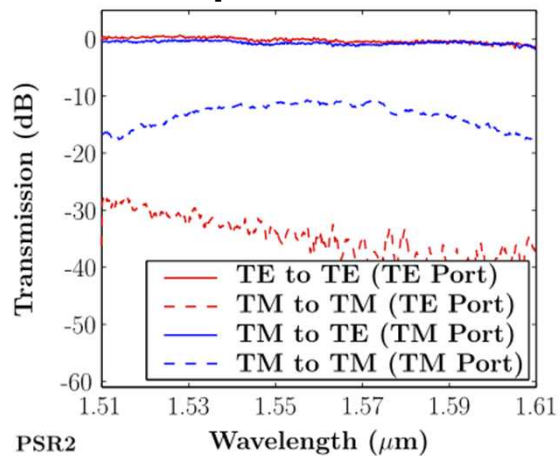
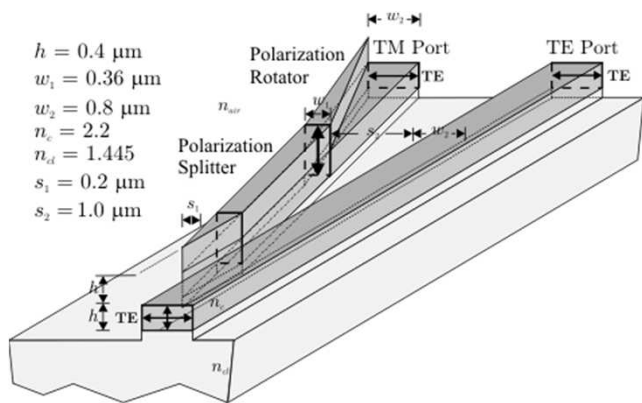


Polarization Splitter-Rotators

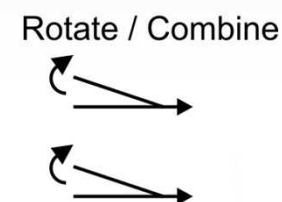
Integrated Polarization Splitter - Experimental Results



Integrated Polarization Splitter-Rotator - Experimental Results



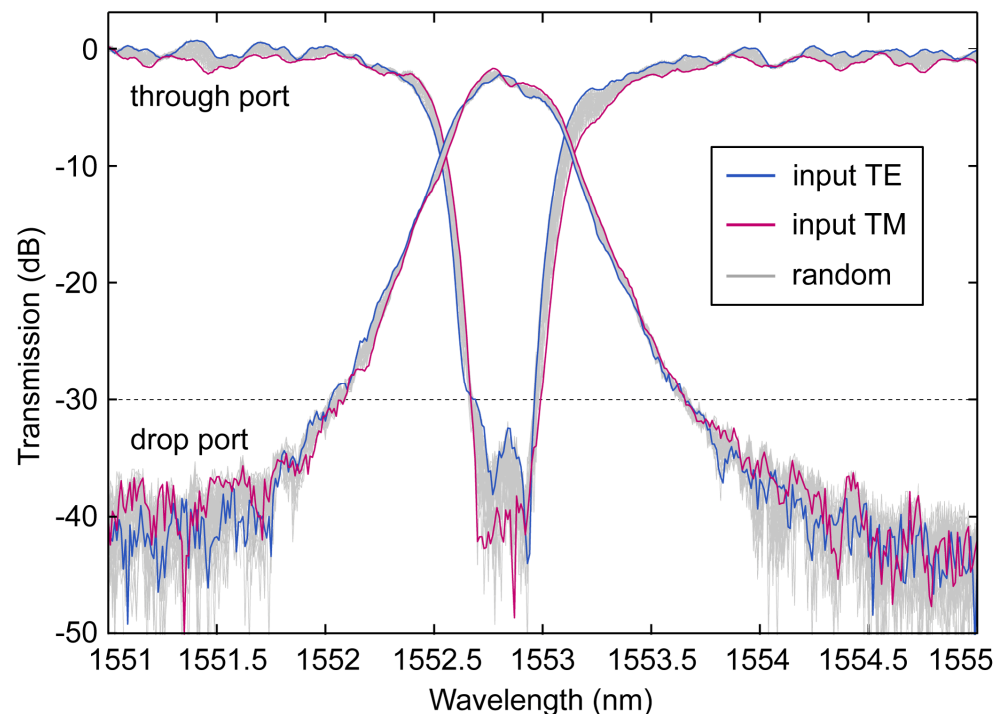
Integrated, P-Independent Optical Add-Drop



100 μm

Results

- ❑ Demonstrated polarization independence in terms of frequency matching and loss
- ❑ Matching of resonant frequencies to ~1GHz
- ❑ Worked on the 1st try with all devices on the chip





Some Special Cases of FD-TD: Conductors and Periodic Boundary Conditions

Michael R. Watts and David W. Peters

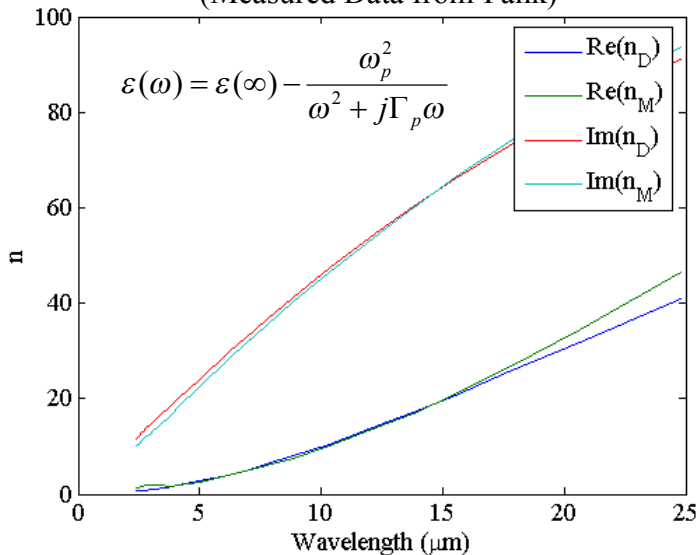
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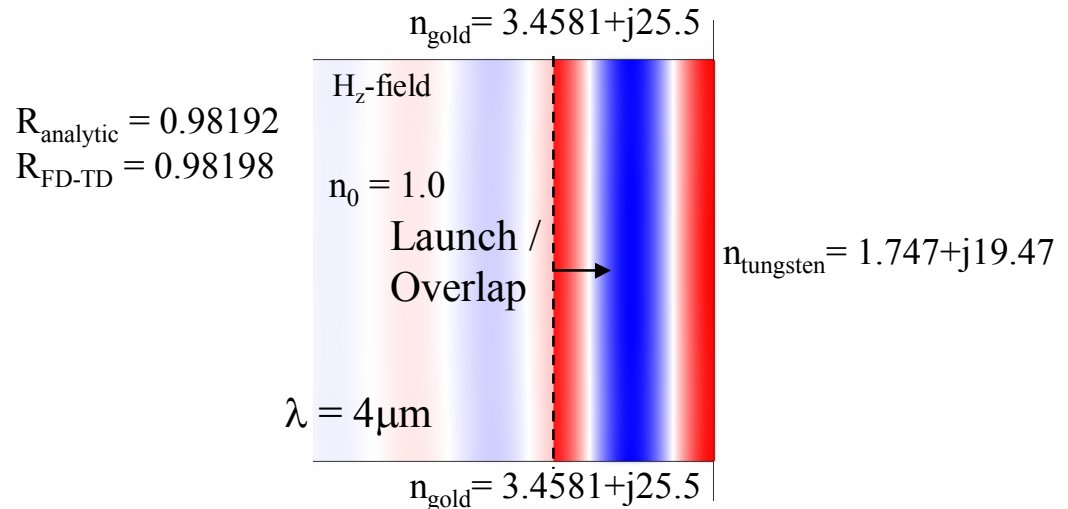
The Introduction of Metals

Tungsten Drude Model

(Measured Data from Palik)



Example: Reflection from Closed Metal Waveguide



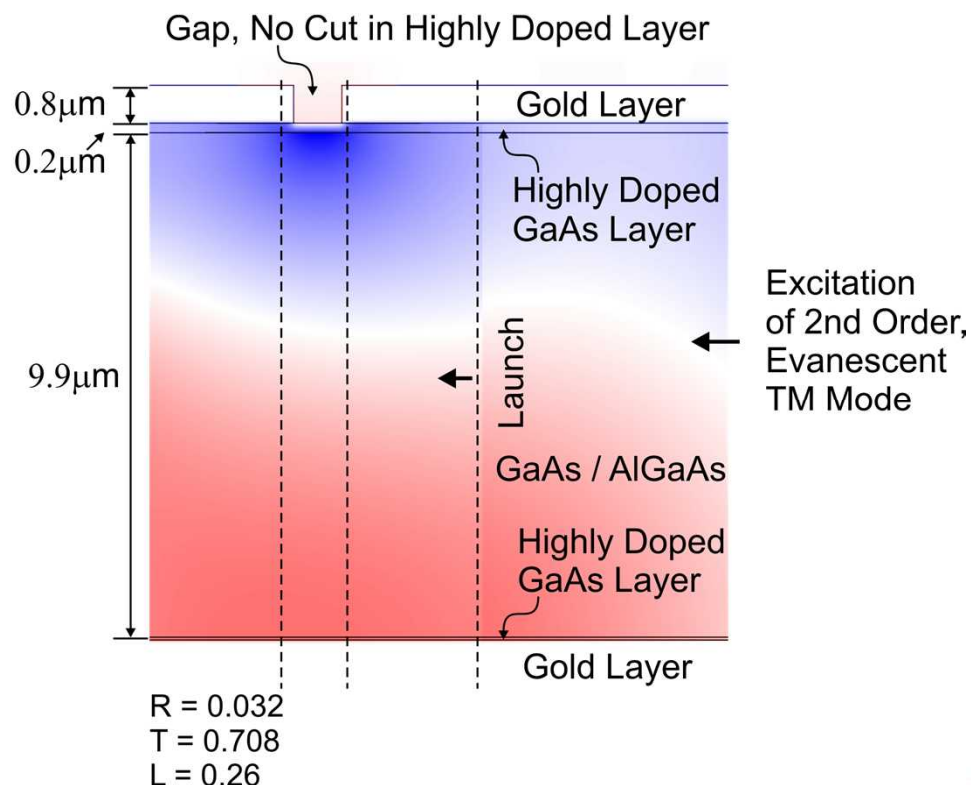
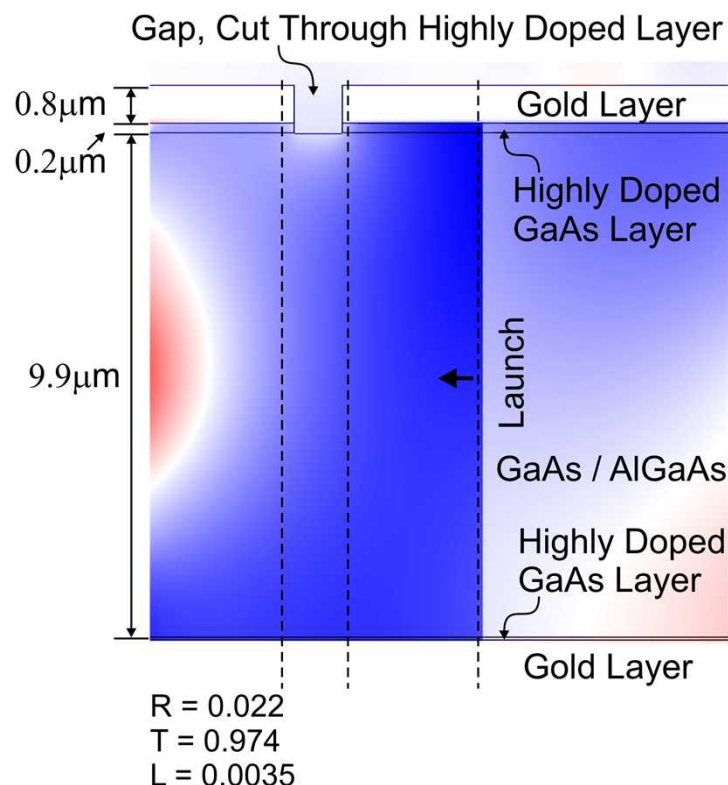
How do we implement metals

- ❑ Metals introduced by adding a terms for the current densities J_x , J_y , and J_z
- ❑ Note: Frequency dependent refractive index and conductivity
 - Dispersion accounted for by implementing the Drude Model
- ❑ Drude Model Accurately Models Complex Refractive Index in Mid-to-Long IR
- ❑ Analytic & FD-TD Reflection Coefficients Nearly Identical (0.98192 vs. 0.98198)

Simulation in the Terahertz Domain

Simulation of cut in contact of a Terahertz Quantum Cascade Laser

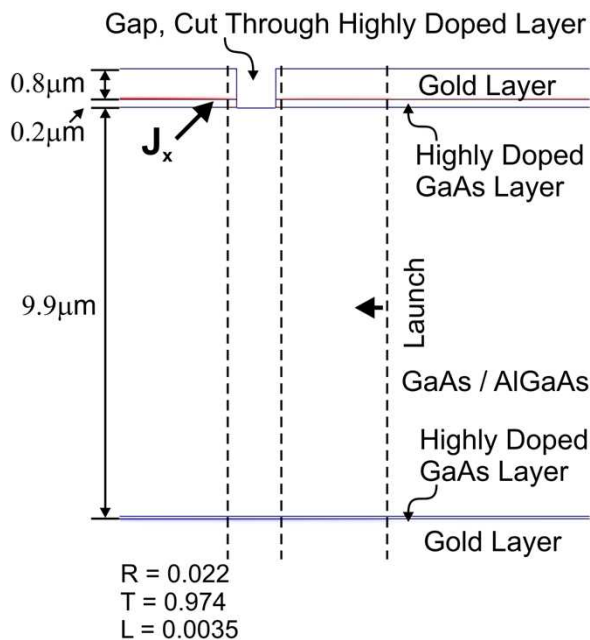
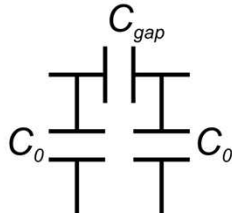
- ❑ Question: Do you cut through the highly doped GaAs layer or not?
- ❑ Intuition (Optics): Leaving highly doped GaAs layer intact will minimize radiation
- ❑ Answer: Leaving the highly doped GaAs layer intact can cause massive losses
- ❑ Why?



Well . . . Circuit Theory, Look at Jx

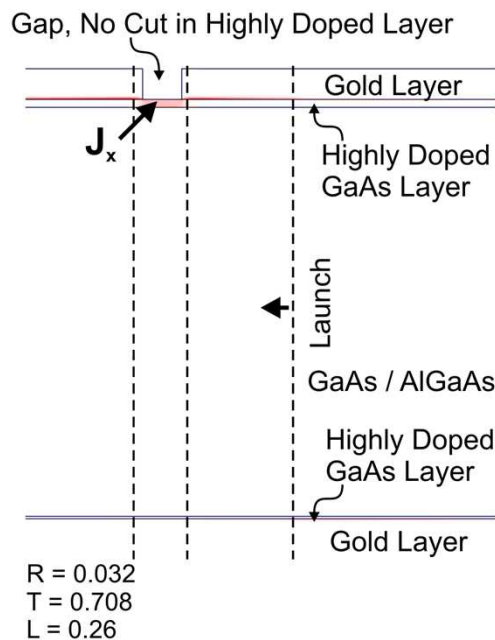
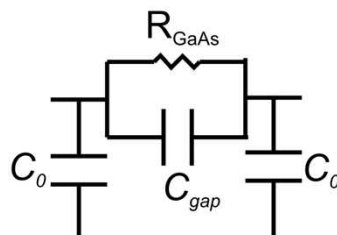
Case 1

Equivalent Circuit



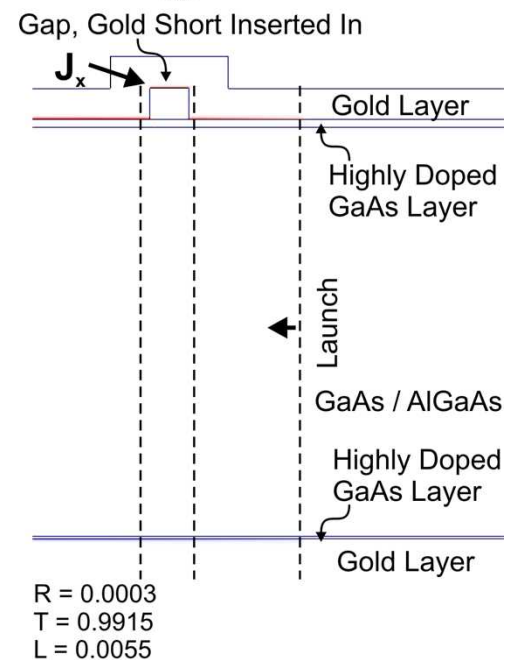
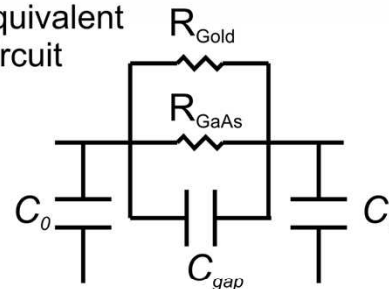
Case 2

Equivalent Circuit



Case 3

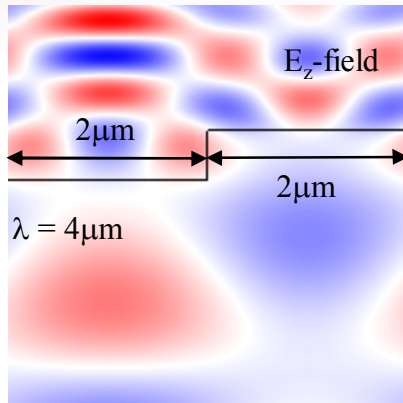
Equivalent Circuit



Note: Jx is depicted in Red and Blue

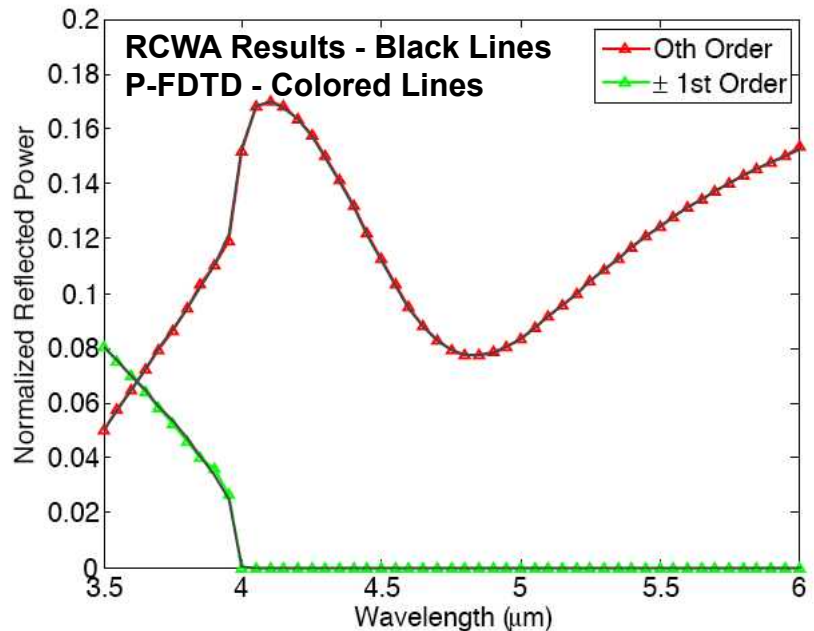
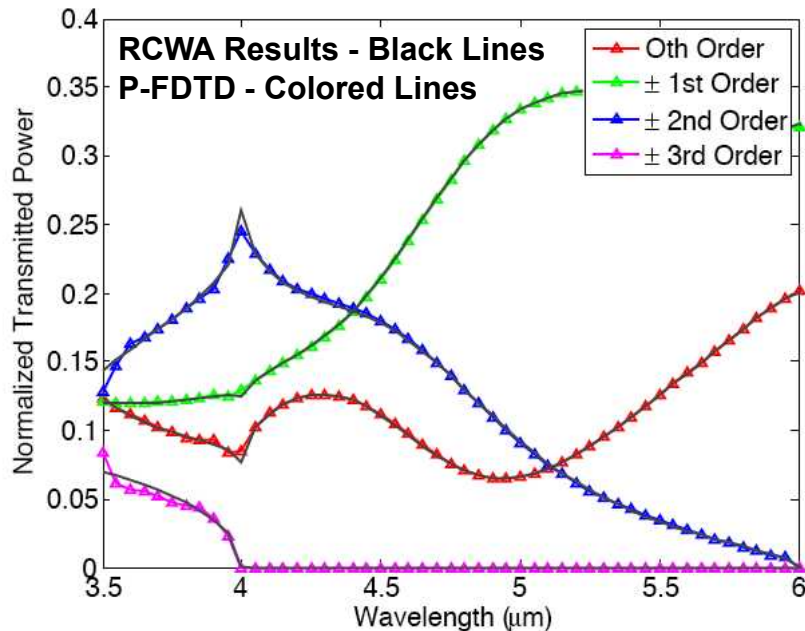



Periodic FD-TD



Periodic Boundary Conditions Introduced

- ❑ Normal incidence is straightforward
- ❑ Off-normal incidence requires substitution of variables that complicates the code a bit
- ❑ Agreement between RCWA and P-FDTD quite good



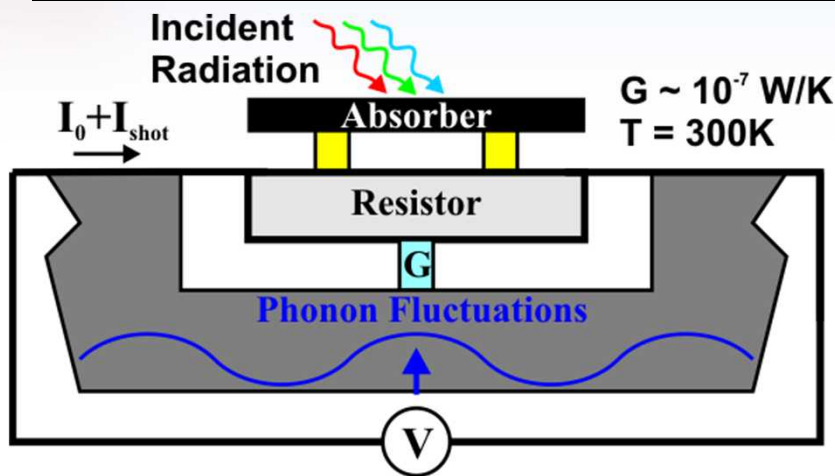


A Multi-Physics Problem: Thermal Microphotonic Focal Plane Array (TM-FPA) for Uncooled Thermal Imaging

**Michael R. Watts, Michael J. Shaw, Gregory N.
Nielson, Jeremy B. Wright, and Frederick B.
McCormick**



Limits to Room Temperature Bolometric Detection



$$S(t) = S_0 \left(\frac{P_{\text{abs}}}{G} \right) \left(\frac{dR/dT}{R} \right) \Delta T$$

$0.02/\text{K}$

Scale Factor

$$\frac{S(t)}{S_0 P_{\text{abs}}} = \frac{\Delta V}{V} = 2 \times 10^{-7} / pW$$

Bolometric Detection: Detect change in resistance due change in temperature

- ❑ Despite great strides in past decades, bolometric performance has plateaued
- ❑ Non-ideal thermal detector: Dissipating power in sensor, inducing temperature change

Fundamental Limits

- ❑ Shot Noise: (1) Measurement of current/voltage, and (2) induced thermal fluctuations
- ❑ Johnson Noise (Thermal Electron Fluctuations)
- ❑ Phonon Noise (Thermal Phonon Fluctuations)

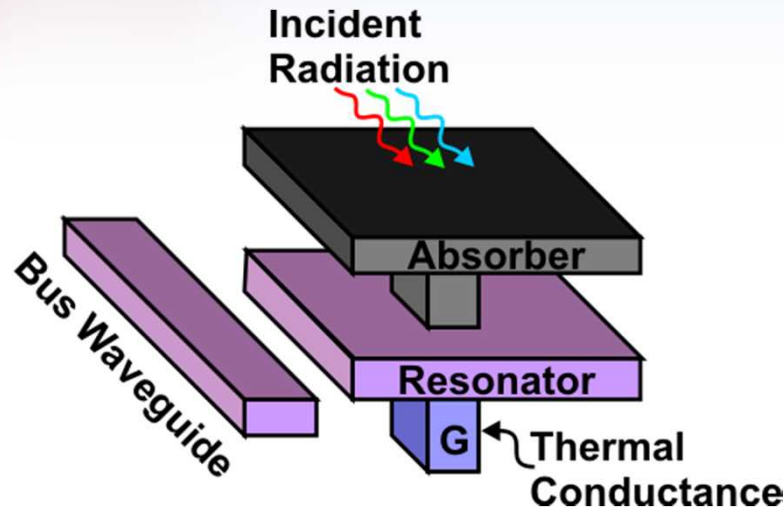
$$NEP = \sqrt{4k_B T P} = 4 \times 10^{-12} \text{ W} / \sqrt{\text{Hz}}, P = 1 \text{ mW}$$

$$NEP = \gamma \sqrt{4k_B G T} = 7 \times 10^{-13} \text{ W} / \sqrt{\text{Hz}} \quad \leftarrow \text{Fundamental Limit}$$

Practical Limits

- ❑ Best bolometers achieve $NEP > 2 \cdot 10^{-11} \text{ W}/\sqrt{\text{Hz}}$ (NETD $\sim 30\text{mK}$)
- ❑ Perturbing measurement / small scale factor
make bolometers susceptible to Johnson, $1/f$, etc.

Thermo-Microphotonic Detection



Scale Factor of the T-O Approach

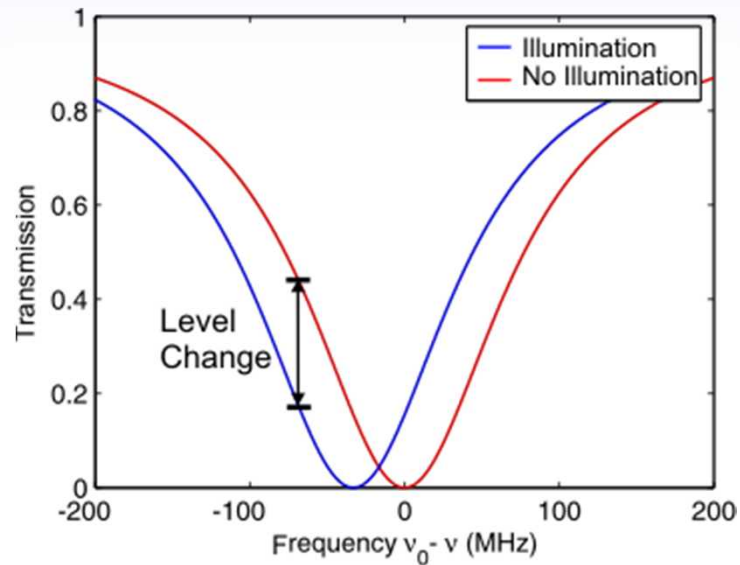
$$S(t) = \frac{S_0}{2} \frac{2}{\Delta v} \frac{dv}{dT} \frac{P_{abs}}{G} \Rightarrow \frac{S(t)}{S_0 P_{abs}} = \frac{Q}{G} \frac{dn}{n dT}$$

$$\frac{dv}{dT} = \frac{dv}{dn} \frac{dn}{dT} \approx \frac{v}{n} \frac{dn}{dT}$$

For $Q = 10^6$, and $G = 10^{-8}$ W/K in Si

$$\frac{S(t)}{S_0 P_{abs}} = \frac{\Delta V}{V} \approx 6 \times 10^{-3} / pW$$

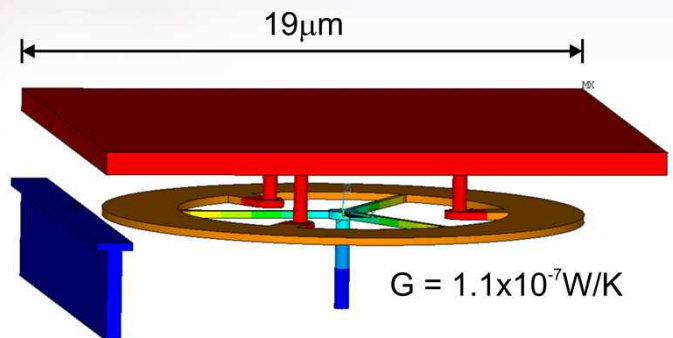
~30,000X Larger than bolometric approaches



Noise Limitations

- ☐ No Johnson noise
- ☐ Large scale factor min. impact of shot noise
- ☐ Fundamentally, limited only by Phonon Noise
- ☐ Measurement does not perturb sensor
- ☐ No metal paths back to substrate

Simulation of a Multiphysics Problem

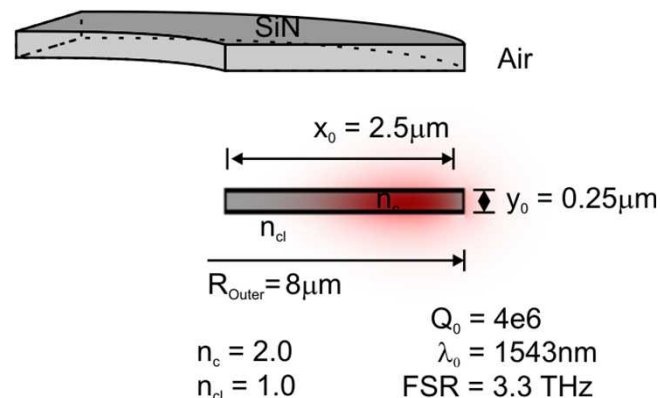


Thermal Design in Silicon Nitride

- ❑ Silicon nitride (200nm wide) tethers to minimize G
- ❑ ANSYS FEM predicts $G = 1.1 \times 10^{-7} \text{ W/K}$
- ❑ Thermal Time Constant $\tau \approx 2 \text{ ms}$
- ❑ Corresponding Phonon **NEP** = $7 \times 10^{-13} \text{ W}/\sqrt{\text{Hz}}$

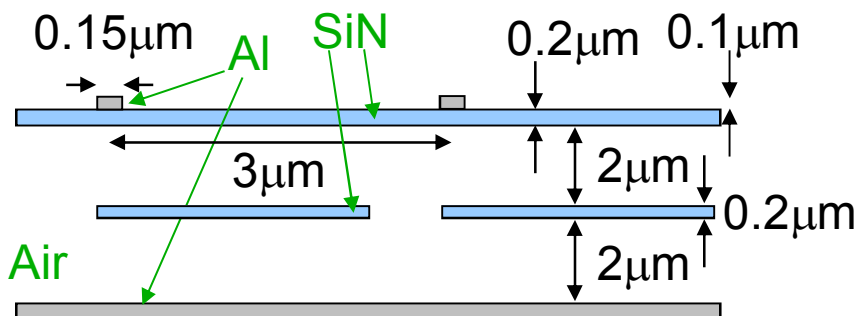
Microphotonic Design Considerations

- ❑ Sufficiently small bend radii ($R = 8\mu\text{m}$)
- ❑ High-Q ($>10^5$) demonstrated in SiN (M. Shaw, *Sandia*)
- ❑ Sufficiently large thermo-optic response ($\Delta f \sim 2 \text{ GHz/K}$)
- ❑ No significant nonlinearities

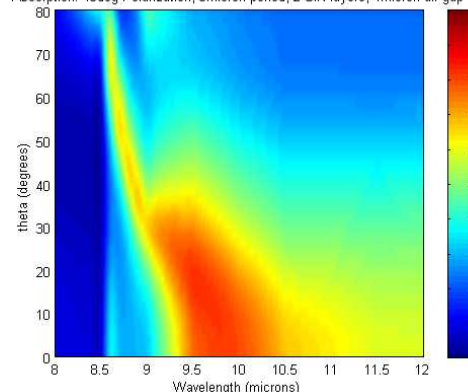


Antenna / Absorber Design (RCWA Analysis)

- ❑ Fortunately, silicon nitride absorbs from 9-12μm

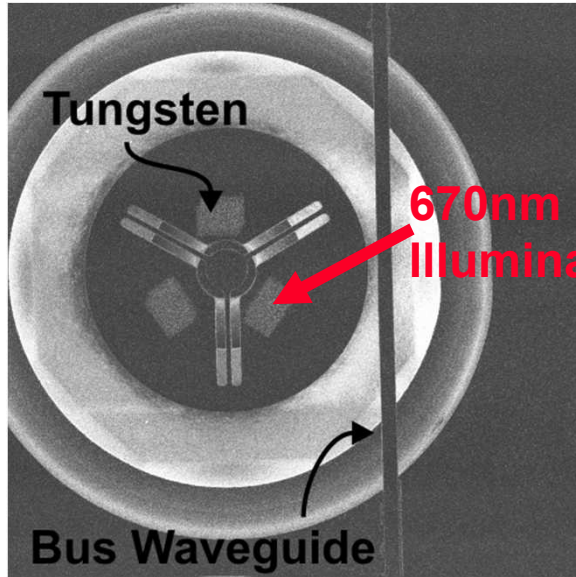


Absorption: 45deg Polarization, 3micron period, 2 SiN layers, 4micron air gap

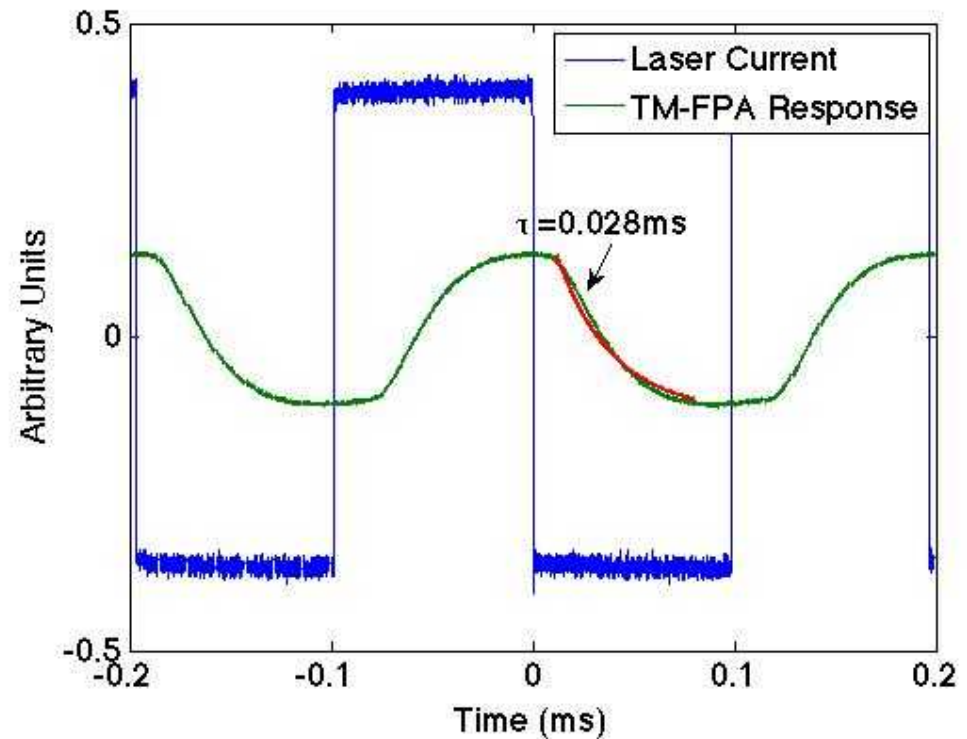


Initial Experimental Results

FIB Image of SiN Suspended Disk with Deposited Tungsten



Response to Illuminations by 670nm Laser



Preliminary Results

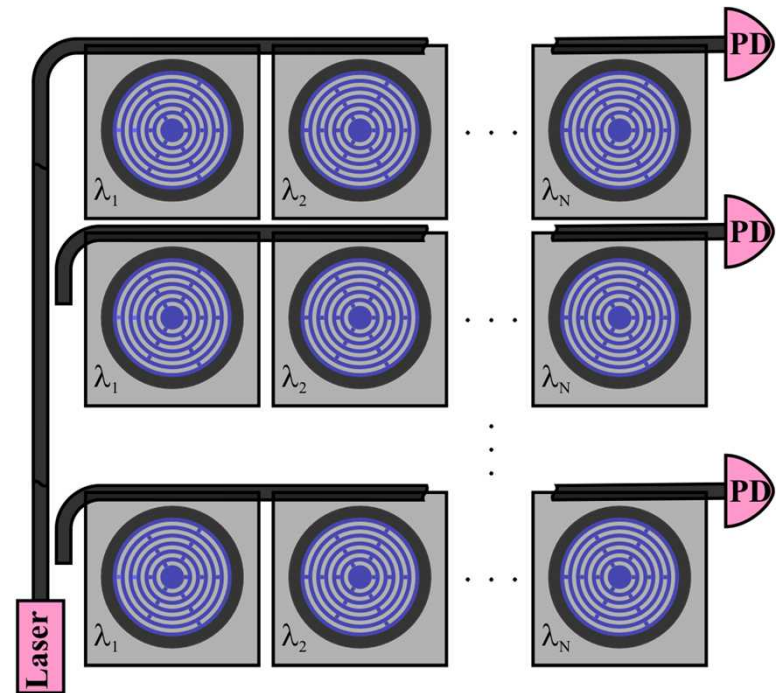
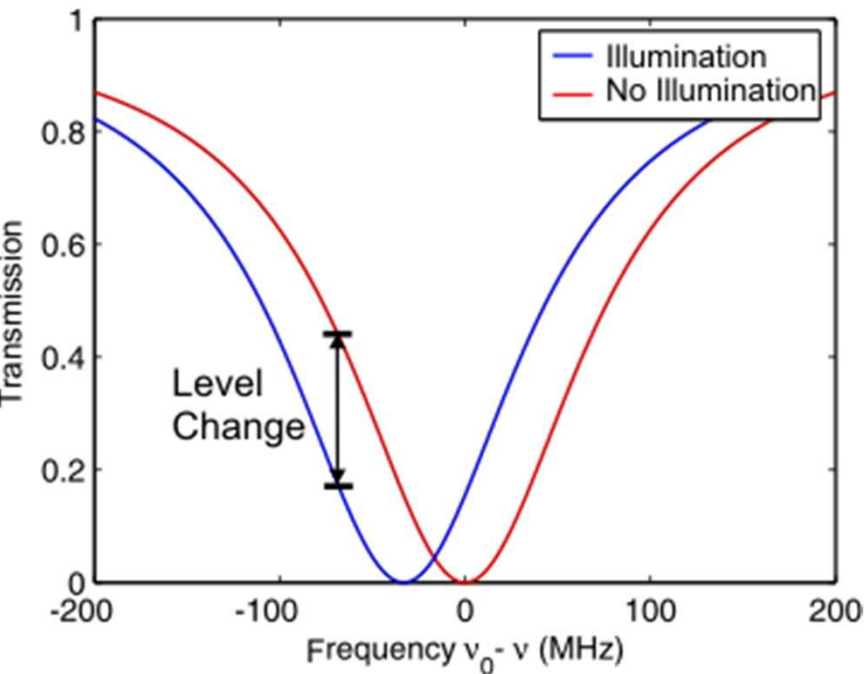
- ❑ Correct sign on thermo-optic shift
- ❑ Time Constant of $\sim 0.028\text{ms}$ indicating a conductivity of $G \sim 6 \times 10^{-6}$ (Limited by Air)
- ❑ Not yet prepared to comment on Signal-to-Noise Ratio

TM-FPA on a Large Scale

Like any Focal Plane Array, there is a desire to reach Millions of Pixels

- ❑ Approach: Use a WDM-based readout
- ❑ Is this reasonable?
- ❑ How do we model this in various states?
- ❑ Certainly, some challenges lie ahead to deal with complex VLSI microphotonic systems

Many Partially Overlapping Resonances



Summary and Conclusions

Design Approach

- ☐ Coupled Mode Theory for used for intuition
- ☐ 3D FD-TD / EME for electromagnetic simulations
- ☐ Transfer Matrix Method for large scale problems

Matching Numerical Models with Experiment

- ☐ Quite good on passive devices
- ☐ Active / multiphysics devices - not yet there
 - All domains simulated independently - very much imperfect
 - Quantum fluctuations not captured

Future Needs

- ☐ Need for multiphysics codes (electromagnetic, thermal, mechanical, electrical etc.)
 - Nice to see a time domain code with all effects captured & statistical noise sources
- ☐ Need for object oriented transfer matrix code for VLSI with device library capability

