

# **Slit Imaging Studies of Plasma Spray Plumes**

**SNL Student Symposium 2007**

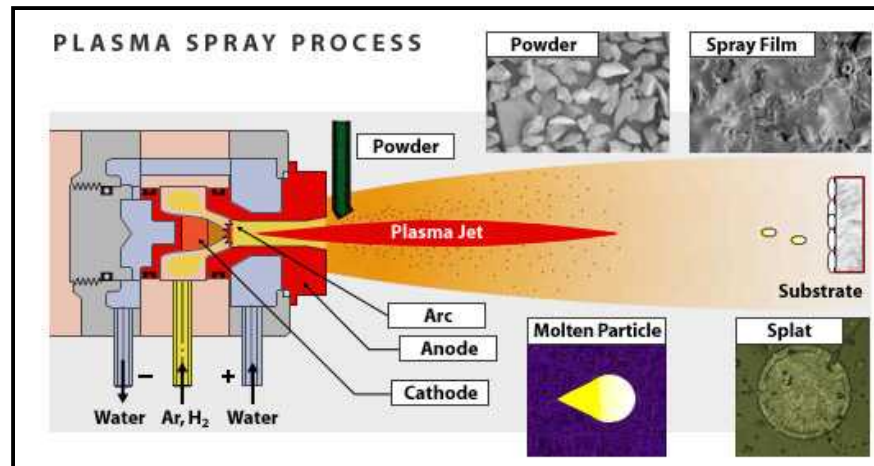
**August 7, 2007**

**Org. 1813 - Thermal Spray Research Lab**

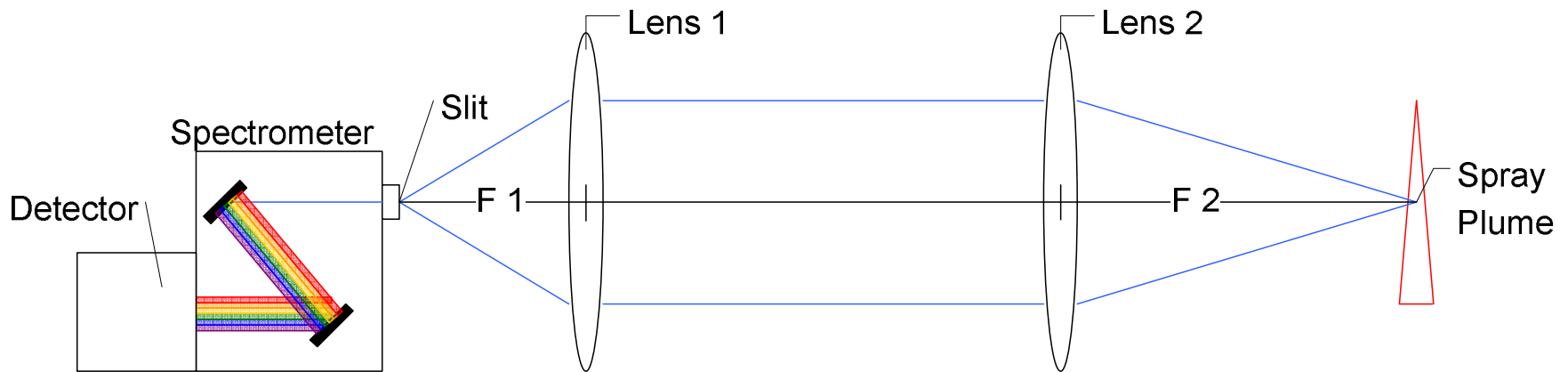
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# Project Goal

- **Develop thermal spray diagnostic technique**
  - Calculates radial temperature and particle density distribution
  - Can be calculated and analyzed with one measurement
  - Can be applied to a variety of thermal spray systems (i.e. flame spray, low pressure-plasma spray)



# Apparatus / Calibration



- 2 lens system to image plume onto slit
- Calibrate diode array using tungsten lamp
  - Compare known radiance with actual intensity collected

$$c'_n = \frac{\Omega A_s \tau \lambda_n L_n \Delta \lambda_n}{hcMS_n^0}$$



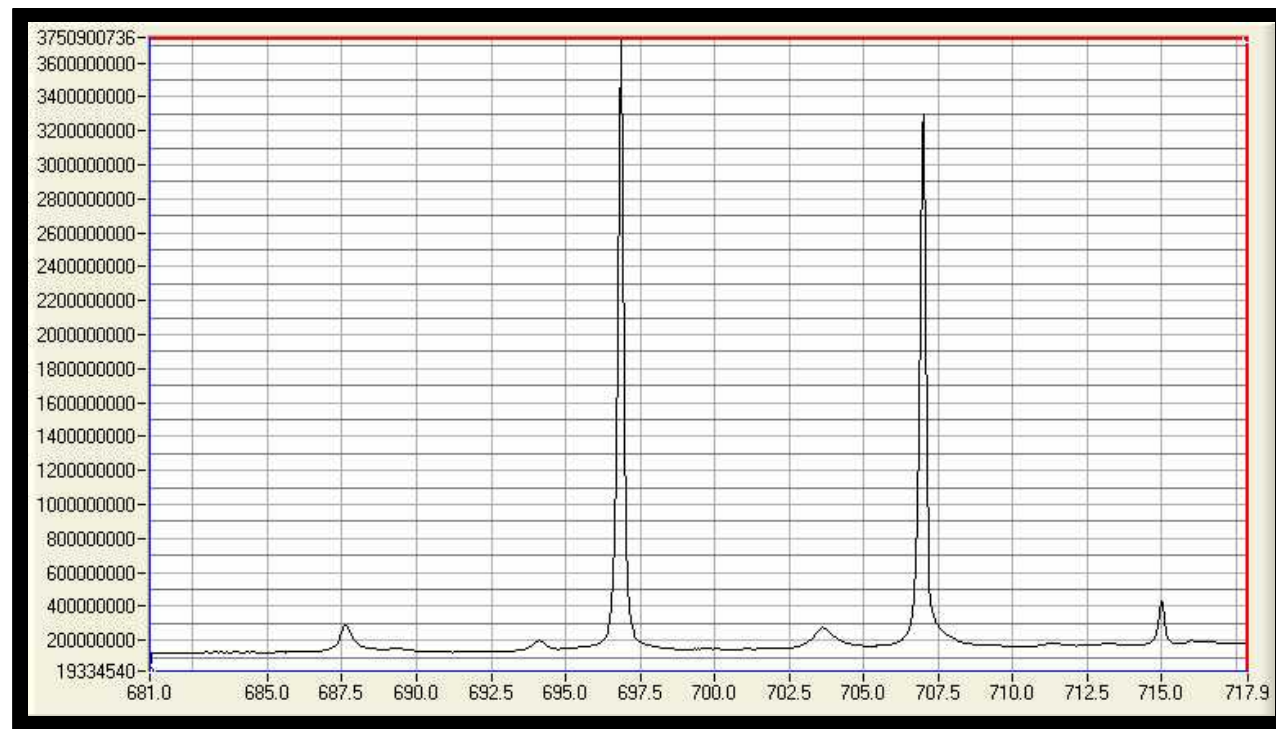
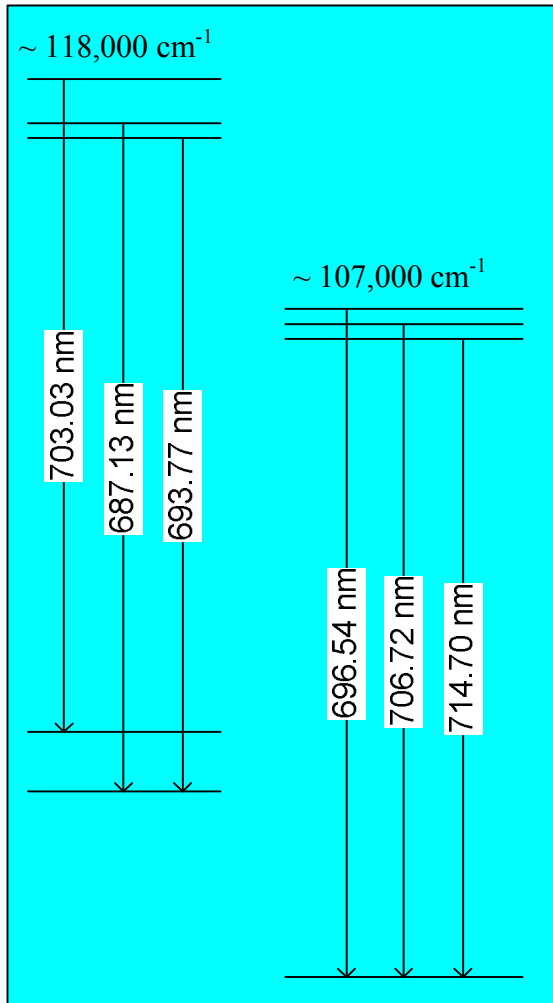
# Process

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- **Calibrate detector diode array using a source of known radiance**
- **Survey range of wavelengths to find appropriate range for measurement**
- **Use calibration curve to convert spectral intensity into number of photons**
- **Compare number of photons, degeneracy, transition energy, and Einstein coefficient to calculate number density**

INSERT AIR PLASMA PICTURE HERE

# Optical Multichannel Analyzer (OMA) Data





# Average Number Density

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- Detected intensity with calibration coefficients reveals number of photons for some solid angle
- Power emitted from the plume is proportional to the volume, number density, energy level and Einstein emission coefficient
- Solving for the number density

$$N_j = \frac{4\pi}{\Omega\tau V_S A_{jk}} \sum_n c'_n S_n^{jk}$$

- Assume thermodynamic equilibrium (Boltzmann distribution)

$$\frac{N_j}{g_j} = \frac{N}{Z} \exp\left(\frac{-E_j}{k_B T}\right) \quad Z \equiv \sum_i g_i \exp\left(\frac{-E_i}{k_B T}\right)$$



# Average Temperature

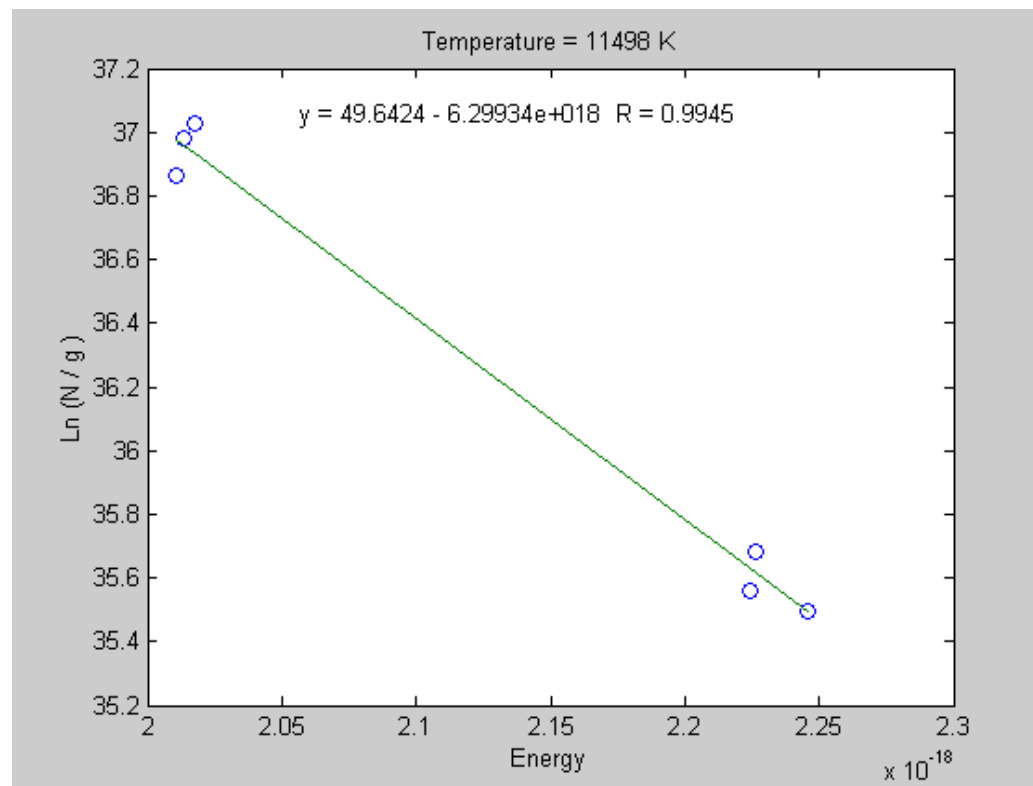
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- From intensity ratios of emission lines

$$\frac{N_j}{N_l} = \frac{A_{lm} \sum_n c'_n S_n^{jk}}{A_{jk} \sum_{n'} c'_{n'} S_{n'}^{lm}} = \frac{g_j}{g_l} \exp\left(\frac{-E_{jl}}{k_B T}\right) \quad T = E_{jl} \left[ k_B \ln \left( \frac{g_l A_{lm} \sum_{n'} c'_{n'} S_{n'}^{lm}}{g_j A_{jk} \sum_n c'_n S_n^{jk}} \right) \right]^{-1}$$

- From multiple emission lines

$$\frac{N_j}{g_j} = \frac{N}{Z} \exp\left(\frac{-E_j}{k_B T}\right) \quad \ln \left( \frac{4\pi \sum_n c'_n S_n^{jk}}{\Omega \tau V_S g_j A_{jk}} \right) = K' - \left( \frac{1}{k_B T} \right) E_j$$



gun Voltage	Argon (SLPM)	Helium (SLPM)	Current (A)	Copper Powder	Temperature (K)
23.2	50	0	700	N	9964
23.6	50	8	700	N	10050
23.8	50	8	800	N	10310
24.9	60	8	800	N	9458
24.9	60	8	800	Y	10070
29.3	60	12	800	Y	10180



# Radial Temperature Distribution

Slit Image

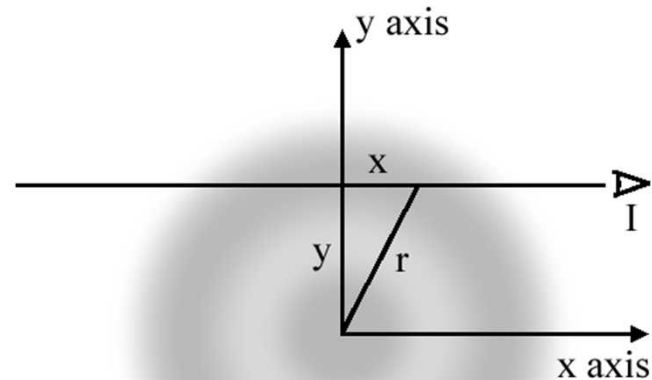
Plasma Plume

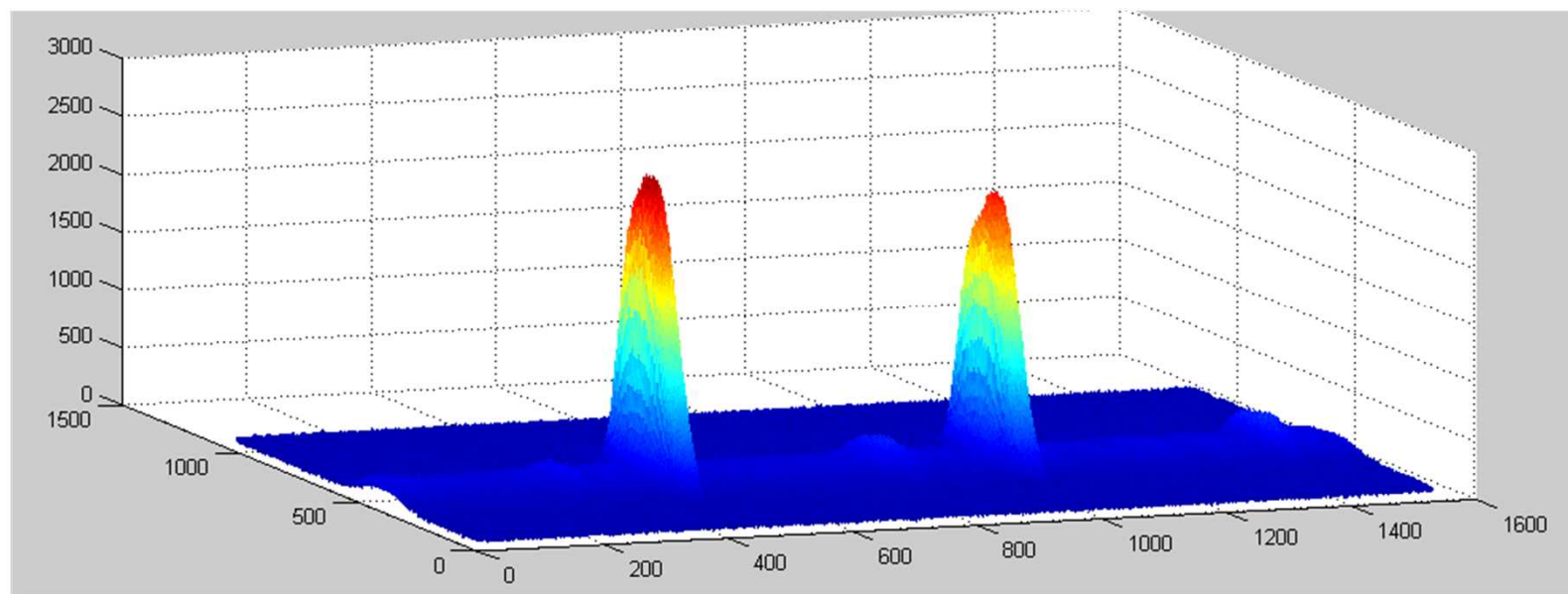
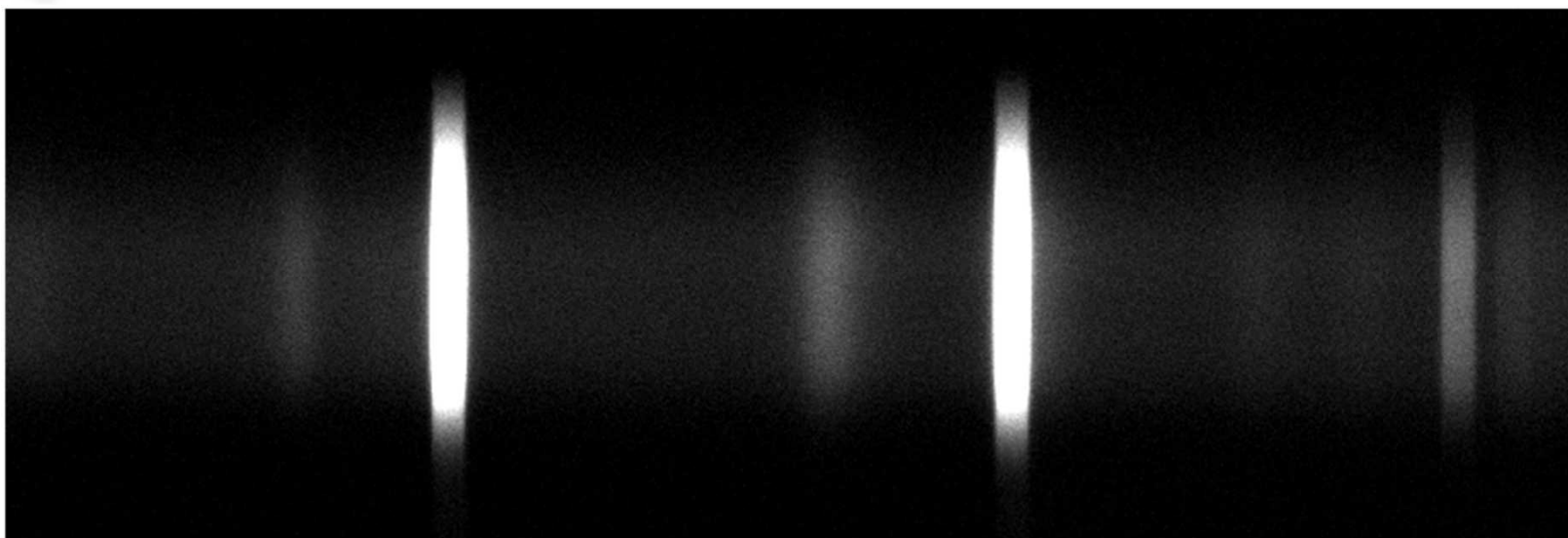
Intensity Peaks

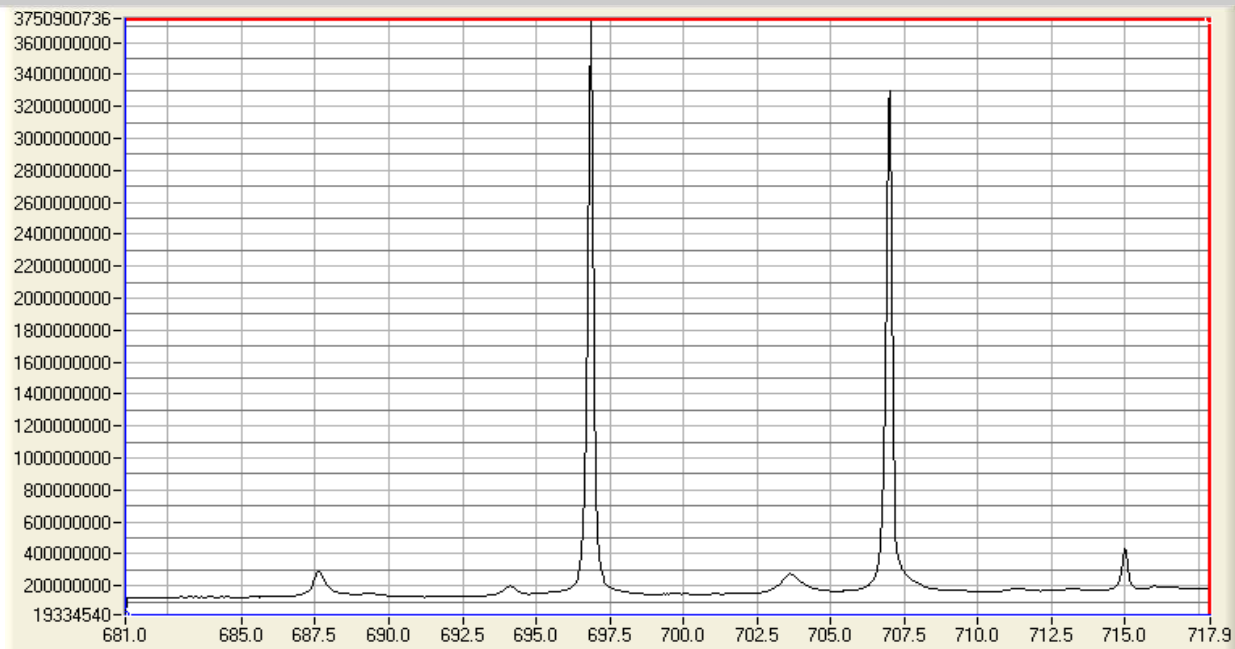
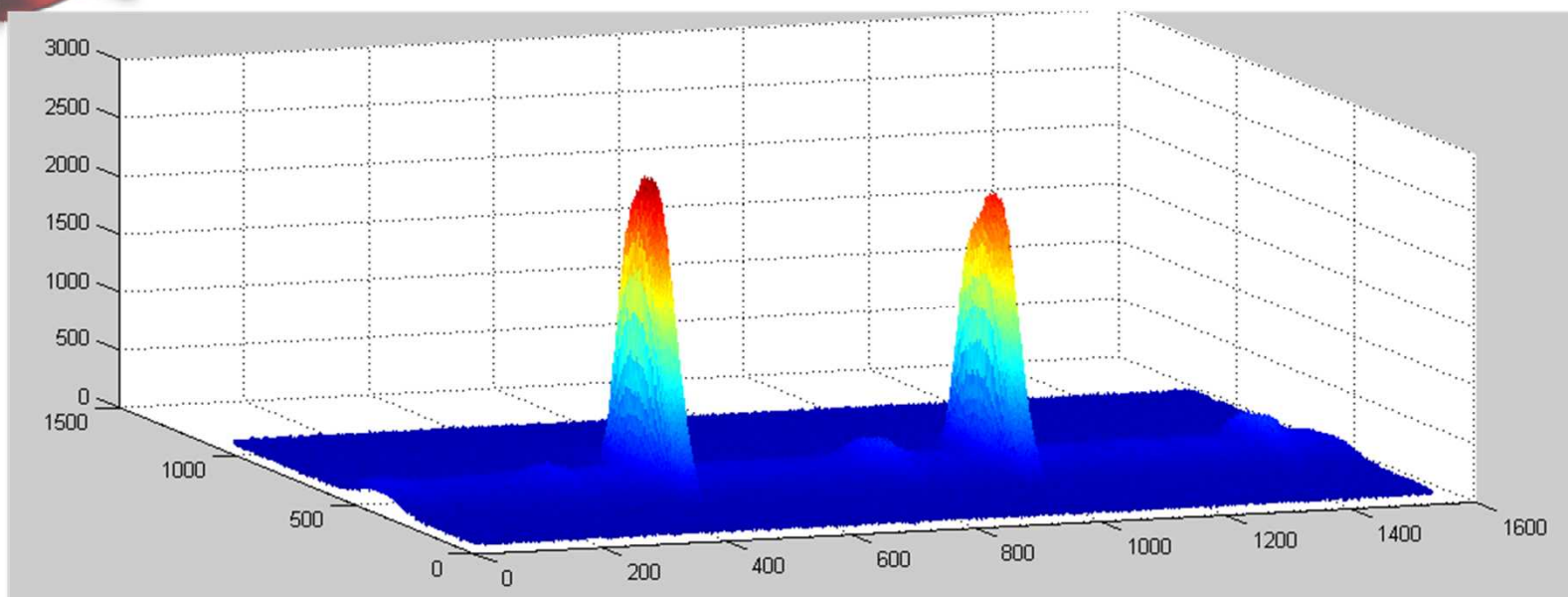
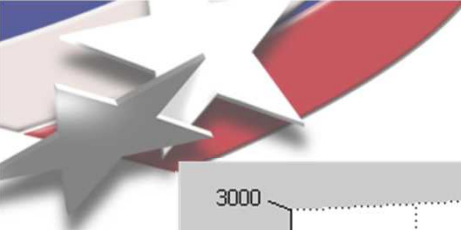
- **Abel Inversion integral to convert intensity across beam into radial distribution**

$$F(y) = 2 \int_y^{\infty} \frac{f(r)r \, dr}{\sqrt{r^2 - y^2}}.$$

$$f(r) = -\frac{1}{\pi} \int_r^{\infty} \frac{dF}{dy} \frac{dy}{\sqrt{y^2 - r^2}}.$$









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INSERT CHART/ PICTURE  
REGARDING RADIAL  
TEMPERATURE DISTRIBUTION



# Future Development

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- **Create robust diagnostic tool that can calculate radial temperature distributions in a plasma**
- **Apply spectroscopic technique to Low Pressure Plasma Spray**
  - **Ideal for this process because many diagnostic tools are not suitable for use in vacuum chamber**