

Reducing Data Migration in the Context of Adaptive Partitioning for AMR

**The 19th IASTED International Conference on
Parallel and Distributed Computing and Systems 2007**

November 19, 2007

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Credits

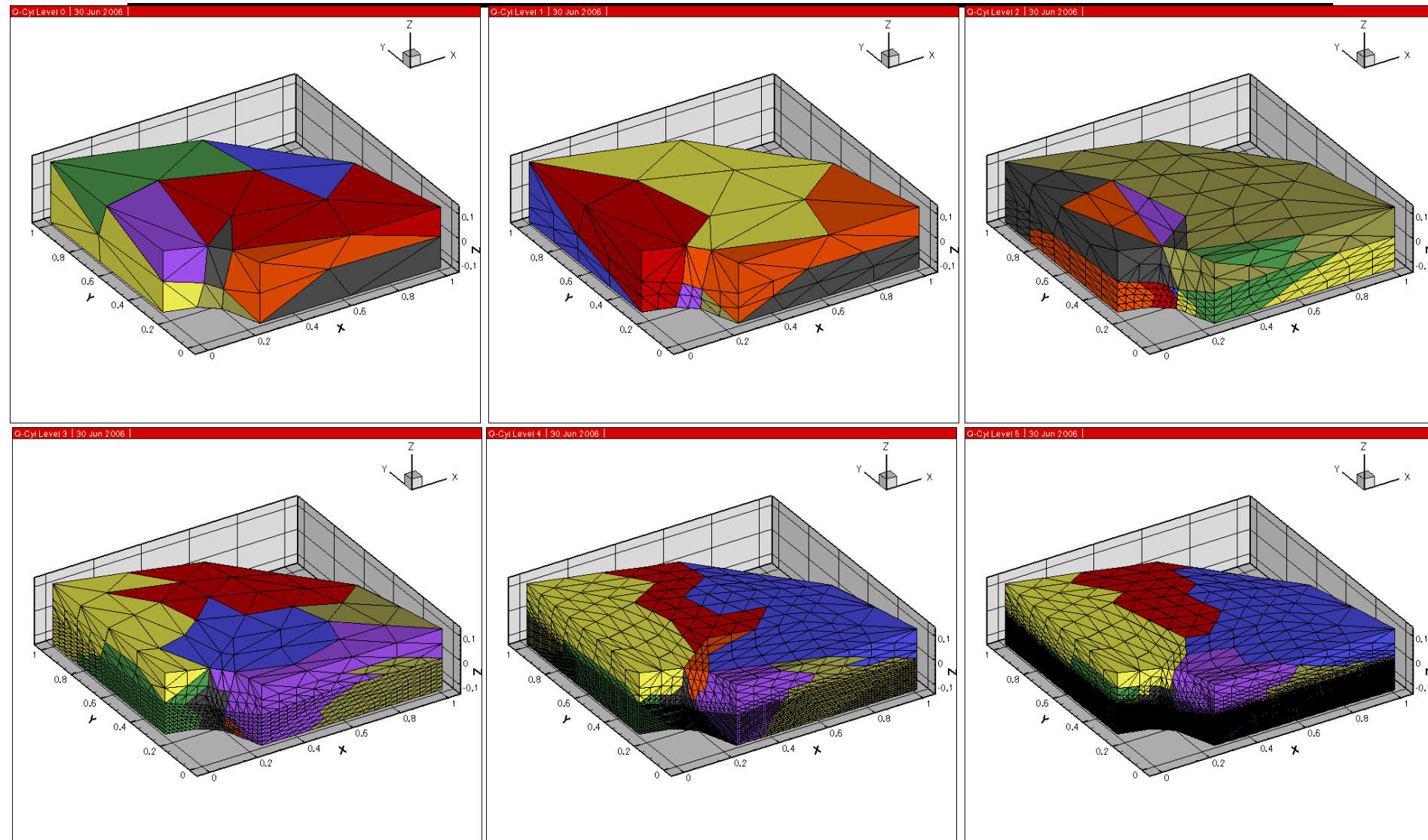
- **John Peterson, CFDLab, University of Texas**
- **Karen Devine, Richard Drake, and James Overfelt, Sandia, NM**
- **Henrik Johansson, Uppsala University, Sweden**
- **Charles Norton, Jet Propulsion Lab, NASA, CA**
- **Jaideep Ray, Sandia, CA**



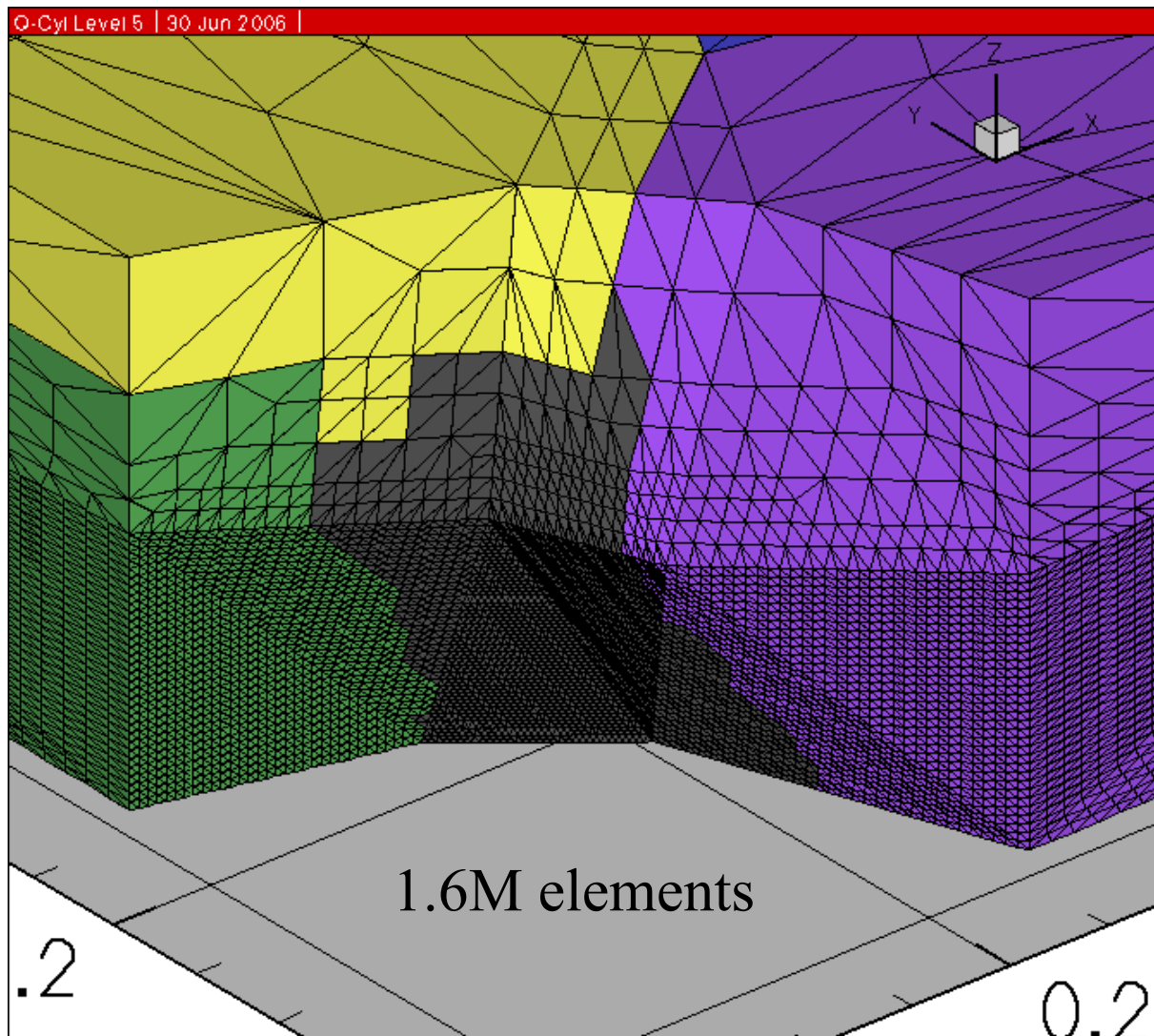
Outline

- **Adaptive mesh refinement (AMR)**
- **Parallel AMR: Performance, scalability, and adaptive partitioning (AP)**
- **Reducing data migration at algorithm switching: uniform starting points (USP) and switching penalties (SP)**
- **Hypothesis: AP w/ USP/SP outperforms both static partitioning and “regular” AP**
- **Experimental setup: Applications, partitioners, the simulator, the cost function, and parameter space**
- **Results, conclusion and future work**

AMR Case Study: Quake [Norton, Jet Propulsion Lab, NASA]



Quake: A Closeup

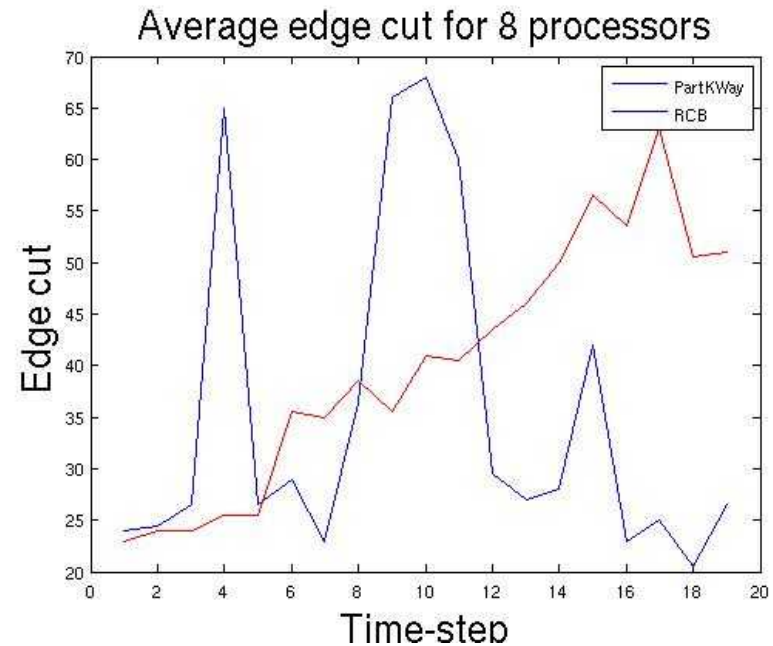
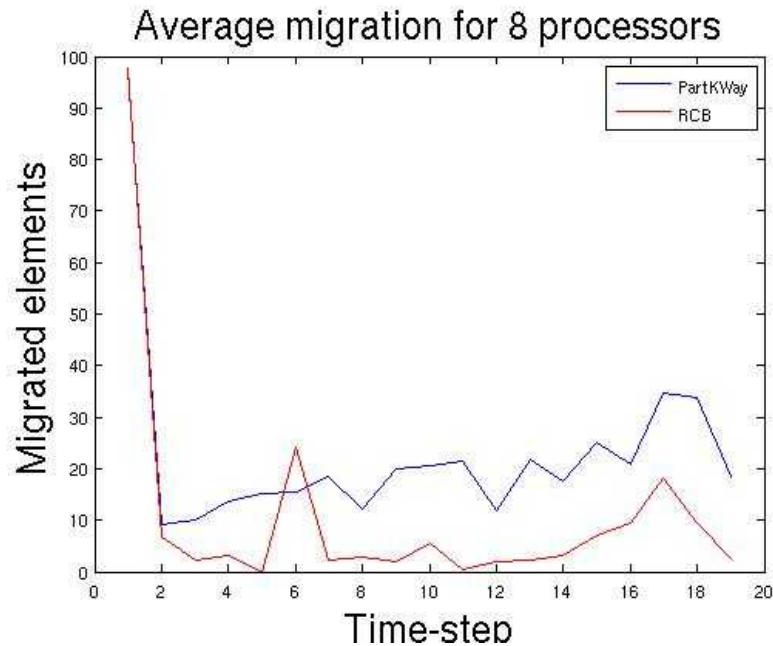




Data Partitioning and Scalability

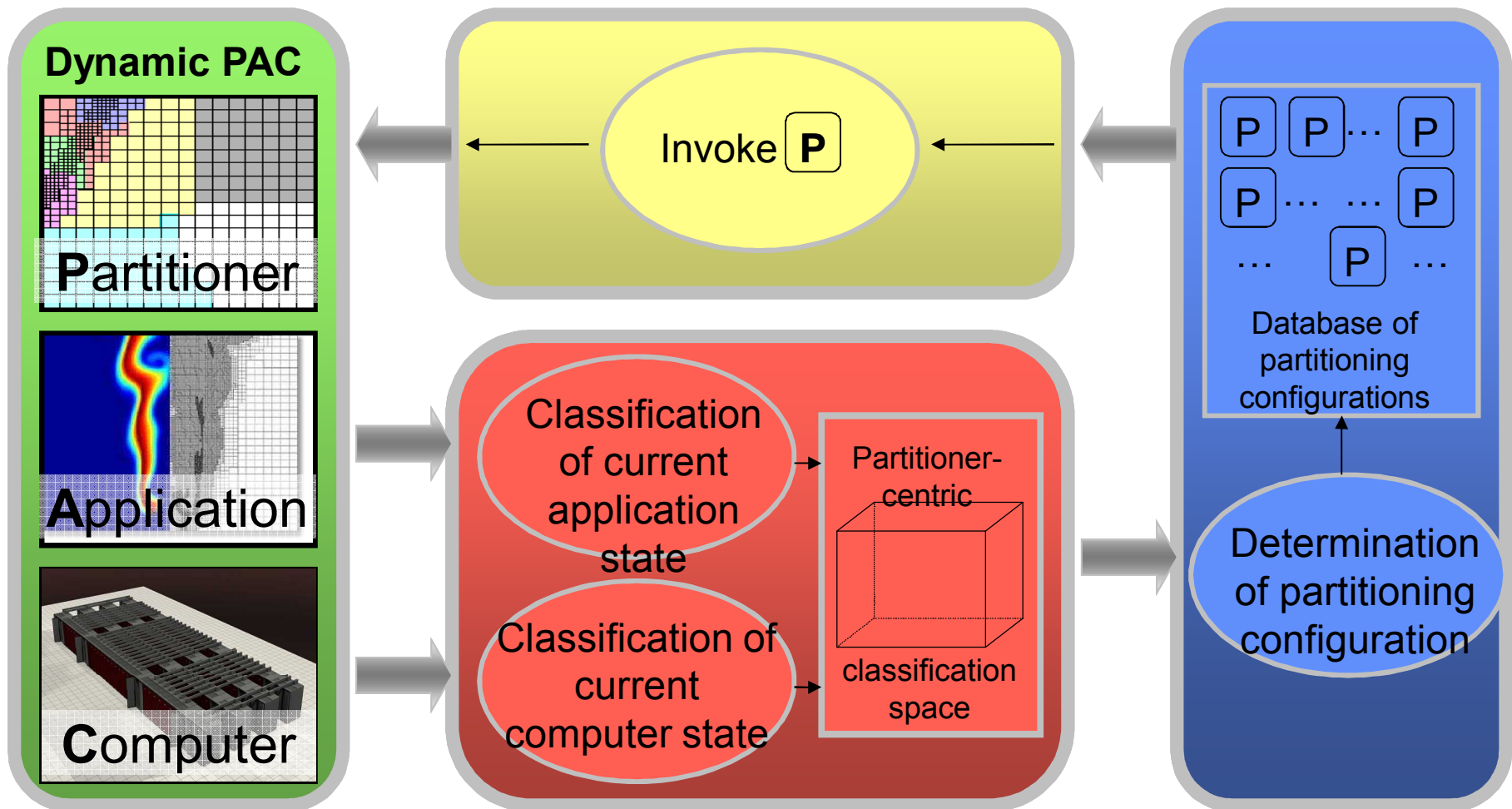
- **Solution features drive the mesh dynamics**
- **As the mesh changes, the partitioning requirements change**
- **Consider the current run-time state for selecting, configuring, and invoking the most suitable partitioning algorithm →**
- **Dynamically adaptive partitioning**
- **Considerable amount of work for *structured* AMR**
- **How to make effective for *unstructured* AMR?**

Example: RCB vs. PartKWay for Laser-Raster



→ To get the best possible parallel efficiency, we need adaptive partitioning

The Meta-Partitioner



Adaptive Partitioning: A Database Approach

Scientific application S with m timesteps: $S = \{s_1, s_2, s_3, \dots, s_m\}$ sequence of meshes

A set of n partitioning algorithms operating on S :

$$P_1(S) = \{\partial_1^1, \partial_2^1, \partial_3^1, \dots, \partial_m^1\}$$

$$P_2(S) = \{\partial_1^2, \partial_2^2, \partial_3^2, \dots, \partial_m^2\}$$

\vdots

$$P_n(S) = \{\partial_1^n, \partial_2^n, \partial_3^n, \dots, \partial_m^n\}$$

sequences of partitioned meshes



Cost function:
 $\text{Opt } (S, P) = \text{index min}_{\substack{i=1:n \\ j=2:m}} \Pi(\partial_j^i, \partial_{j-1}^i) = \{P_{o_1}, P_{o_2}, P_{o_3}, \dots, P_{o_m}\}$ sequence of partitioners

Adaptive partitioning: $A = \{P_{o_1}(s_1), P_{o_2}(s_2), P_{o_3}(s_3), \dots, P_{o_m}(s_m)\}$

Suspicious Metrics (Data Migration)

Scientific application S with m timesteps: $S = \{s_1, s_2, s_3, \dots, s_m\}$ sequence of meshes

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sequences of partitioned meshes

Quality
METRICS

Cost function:
 $\text{Opt } (S, P) = \text{index min}_{\substack{i=1:n \\ j=2:m}} \Pi(\partial_j^i, \partial_{j-1}^i) = \{P_{o_1}, P_{o_2}, P_{o_3}, \dots, P_{o_m}\}$ sequence of partitioners

Adaptive partitioning: $A = \{P_{o_1}(s_1), P_{o_2}(s_2), P_{o_3}(s_3), \dots, P_{o_m}(s_m)\}$



Data Migration Problem for Adaptive Partitioning

- **Partitioning algorithms fundamentally different→**
- **Their native mapping of data onto processors might be fundamentally different→**
- **At run-time, switching to a theoretically superior algorithm, might incur substantial data migration**



Remedies

- **Uniform starting point (USP)**
- **Switching penalties (SP)**



Uniform Starting Point (USP)

Create more predictable sequence differences by

- a) Selecting a scratch/remap technique P_k
- b) Forcing $\partial_1^1 = \partial_1^2 = \partial_1^3 \dots = \partial_1^n = \partial_1^k$

A set of n partitioning algorithms
operating on S :

$$P_1(S) = \{\partial_1^k, \partial_2^1, \partial_3^1, \dots, \partial_m^1\}$$

$$P_2(S) = \{\partial_1^k, \partial_2^2, \partial_3^2, \dots, \partial_m^2\}$$

$$P_n(S) = \{\partial_1^k, \partial_2^n, \partial_3^n, \dots, \partial_m^n\}$$

sequences of partitioned
meshes

→ Greater probability for ∂_i^t and ∂_j^t being more similar



Switching Penalties (SP)

Original function for estimating the cost of invoking partitioner i at timestep t :

$$\Pi(\partial_i^t, \partial_j^{t-1}) = \text{CCR} \times \text{loadimb}(\partial_i^t) + \text{ITR} \times \text{edgec}(\partial_i^t) + \text{migr}(\partial_i^t, \partial_j^{t-1})$$

P^I = Set of incremental algorithms

P^S = Set of scratch/remap algorithms

$$F(f) = \begin{cases} f & \text{for } P_i^I \rightarrow P^S \\ 1 & \text{otherwise} \end{cases}$$



Quality
METRICS

New cost function:

$$\Pi(\partial_i^t, \partial_j^{t-1}) = \text{CCR} \times \text{loadimb}(\partial_i^t) + \text{ITR} \times \text{edgec}(\partial_i^t) + F(f) \times \text{migr}(\partial_i^t, \partial_j^{t-1})$$

Uniform Starting Point + Switching Penalties

Scientific application S with m timesteps: $S = \{s_1, s_2, s_3, \dots, s_m\}$ sequence of meshes

A set of n partitioning algorithms operating on S :

$$P_1(S) = \{\partial_1^k, \partial_2^1, \partial_3^1, \dots, \partial_m^1\}$$

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sequences of partitioned meshes

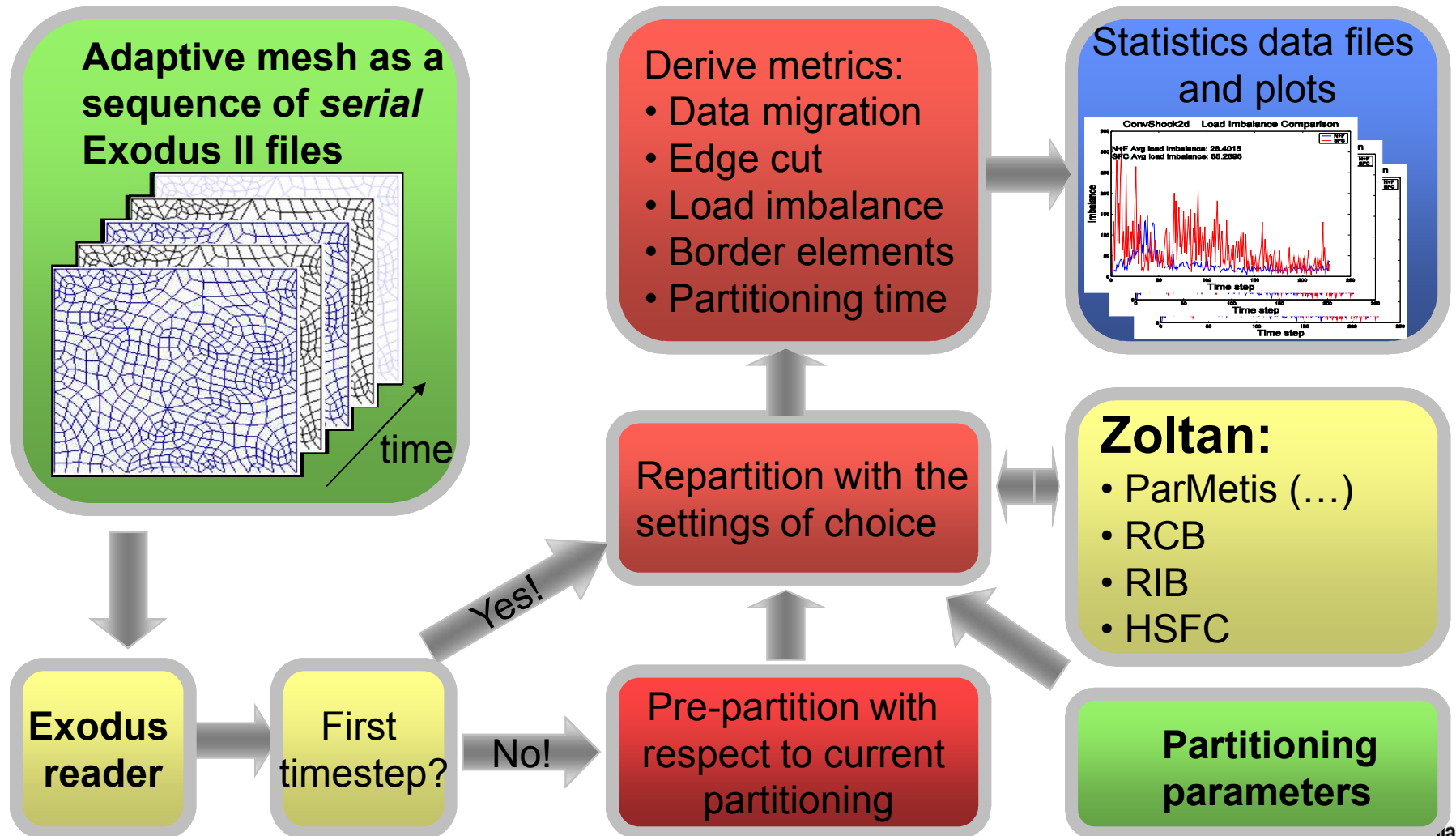
Quality
METRICS

Cost function:
 $\text{Opt}(S, P) = \text{index} \min_{\substack{i=1:n \\ j=2:m}} \Pi(\partial_j^i, \partial_{j-1}^i) = \{P_{o_1}, P_{o_2}, P_{o_3}, \dots, P_{o_m}\}$ sequence of partitioners

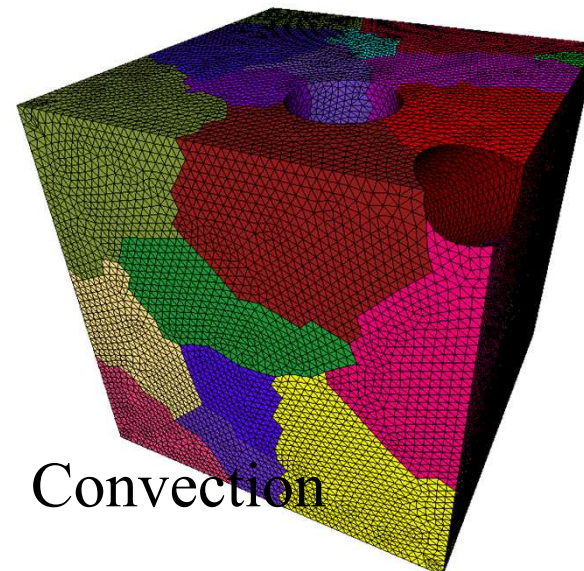
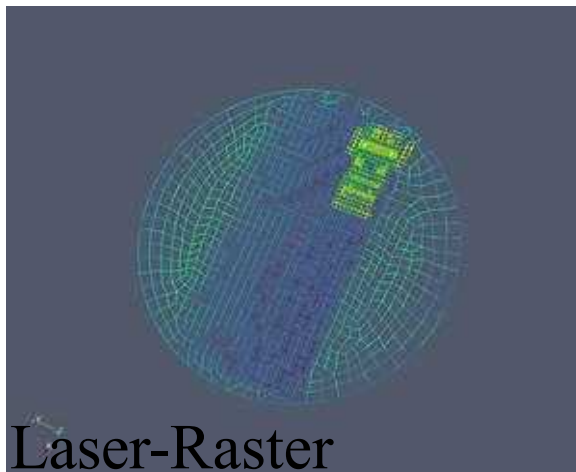
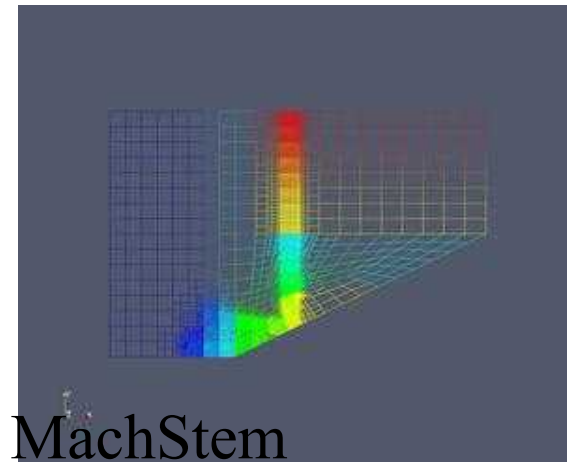
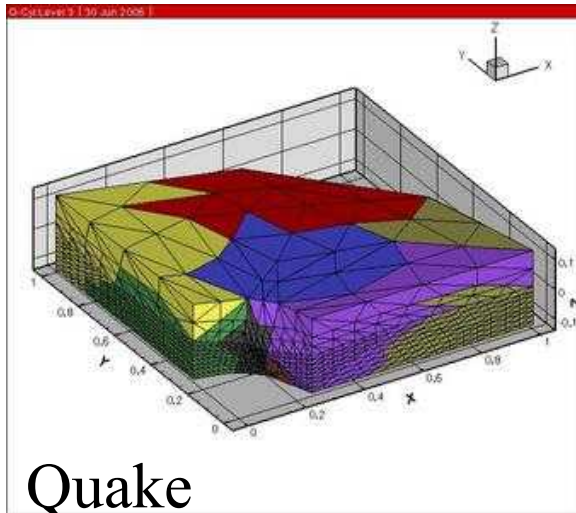
Adaptive partitioning: $A = \{P_{o_1}(s_1), P_{o_2}(s_2), P_{o_3}(s_3), \dots, P_{o_m}(s_m)\}$



The Parallel Mesh Application Simulator



Real-World AMR Applications





Application Specifics

Applic.	Elmnt	Dim	Steps	Avg E	Max E
Quake	Tetra	3	6	308K	1.6M
Mach-Stem	Quad	2	109	8.2K	13K
Laser-Raster	Cube	3	65	4.4K	10K
Conv.	Tetra	3	73	87K	94K



The Partitioners

- **Need partitioners from different classes with fundamentally different properties:**
- **RCB: Zoltan native; geometric**
- **RCB+Remap: Zoltan native; geometric; scratch/remap**
- **AdaptiveRepart: ParMetis; graph-based; incremental or scratch/remap (adaptive)**



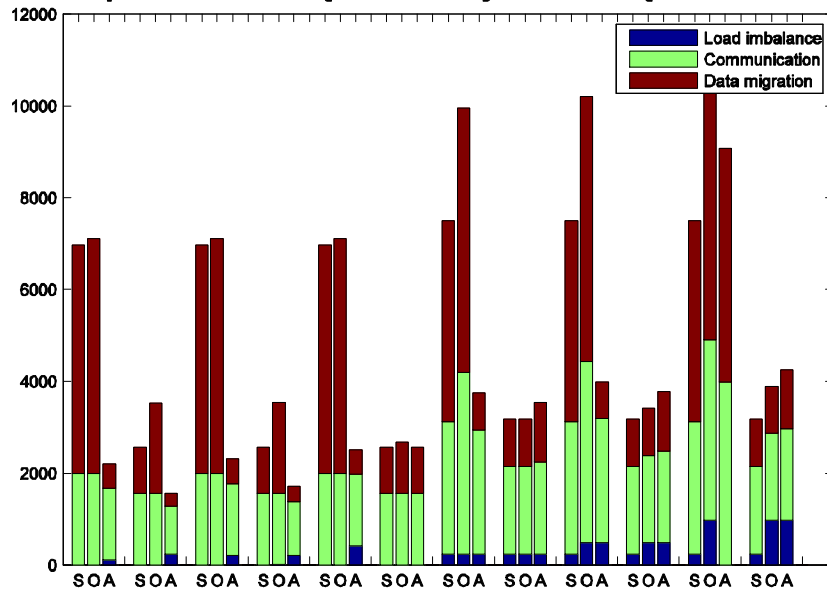
Experimentation

- Hypothesis: Adaptive partitioning with USP/SP is beneficial within our experimental parameters
- Measure partitioner impact with cost function
- Chose parameters for “equal contribution” →
- $f=1; 2; 4$; ITR=0.25; 0.5; CCR=0.25; 0.5; 1.0;
- Two sets of data; two sets of $\#p$
- Static: RCB, RCB+Remap, AdaptiveRepart →
- $\text{Opt}(f)$ (min cost for each timestep for f) →
- $\text{Adaptive}(f)$ (true adaptive for f , determined by Opt)

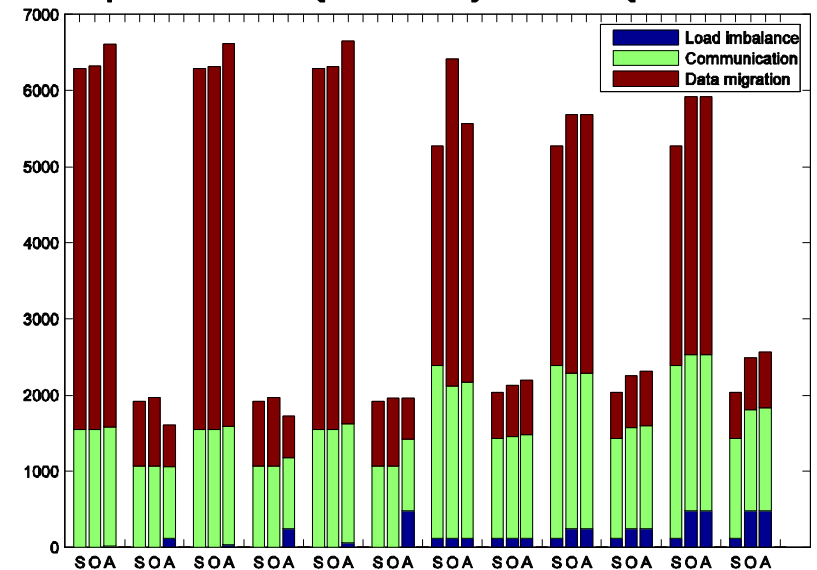


Results: Quake

Modeled Cost for Quake
with $p=32$; $ITR \in \{0.25, 0.5\}$; $CCR \in \{0.25, 0.5, 1.0\}$



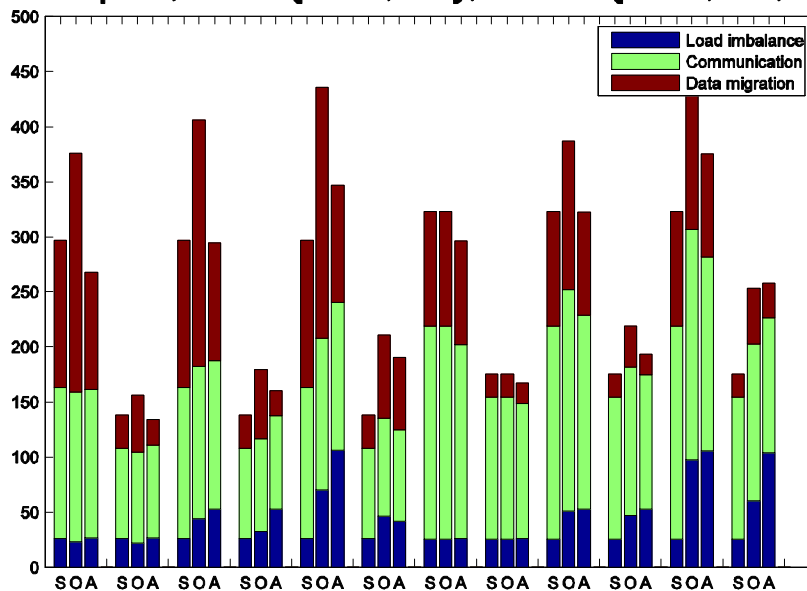
Modeled Cost for Quake
with $p=64$; $ITR \in \{0.25, 0.5\}$; $CCR \in \{0.25, 0.5, 1.0\}$



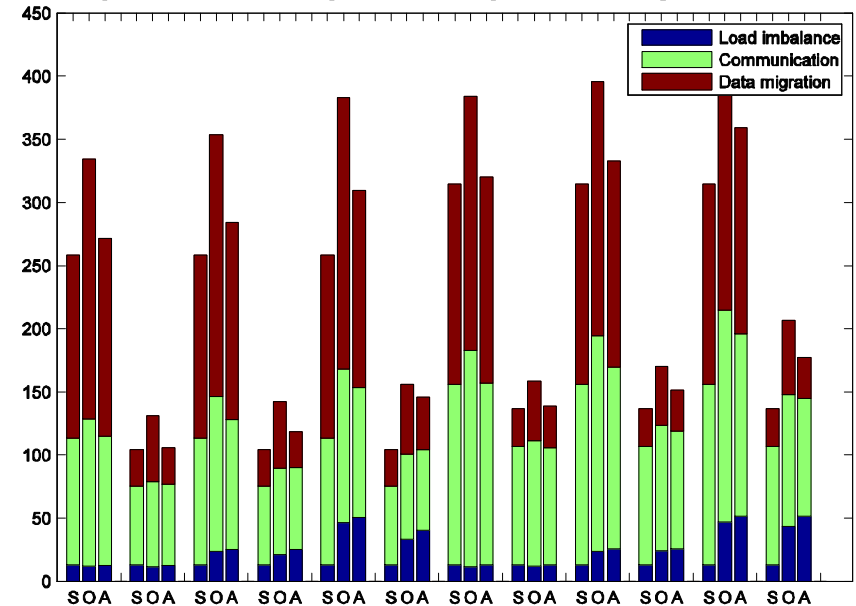


Results: MachStem

Modeled Cost for MachStem
with $p=8$; $ITR \in \{0.25, 0.5\}$; $CCR \in \{0.25, 0.5, 1.0\}$



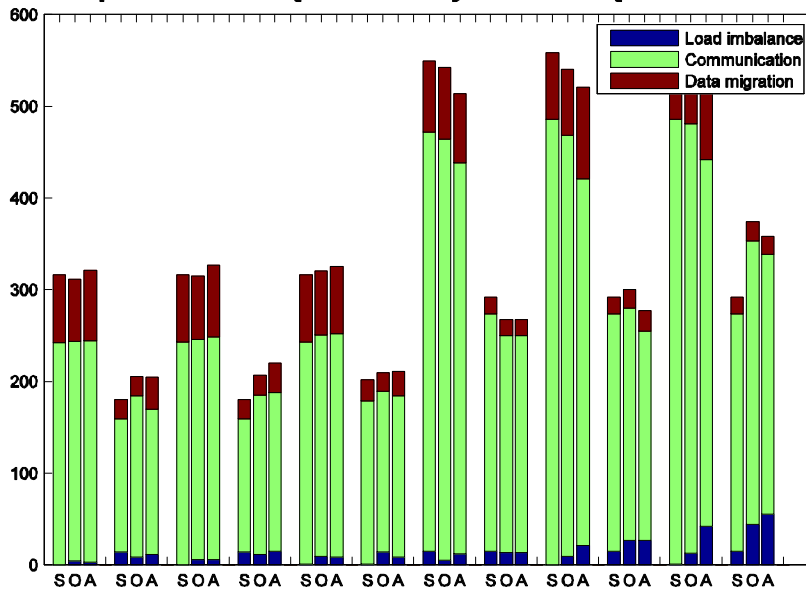
Modeled Cost for MachStem
with $p=16$; $ITR \in \{0.25, 0.5\}$; $CCR \in \{0.25, 0.5, 1.0\}$



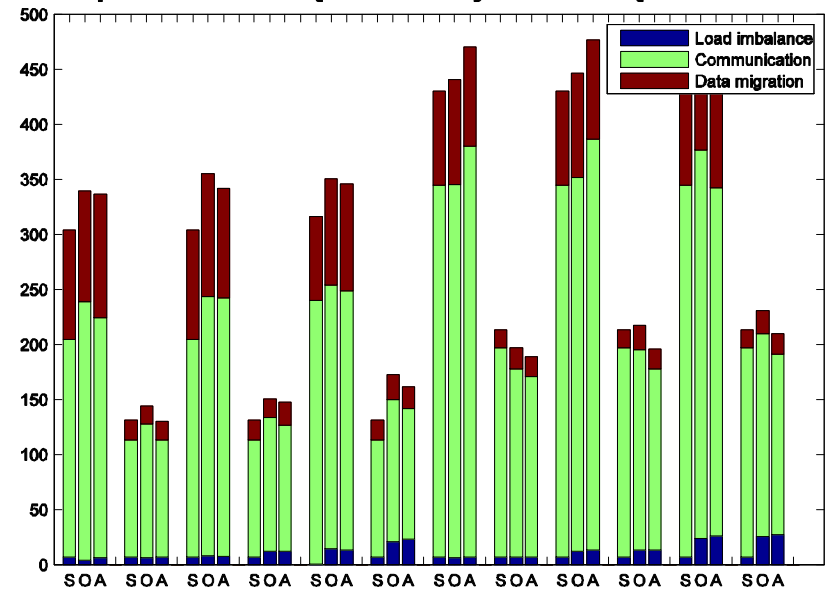


Results: Laser-Raster

Modeled Cost for LaserRaster
with $p=8$; $ITR \in \{0.25, 0.5\}$; $CCR \in \{0.25, 0.5, 1.0\}$



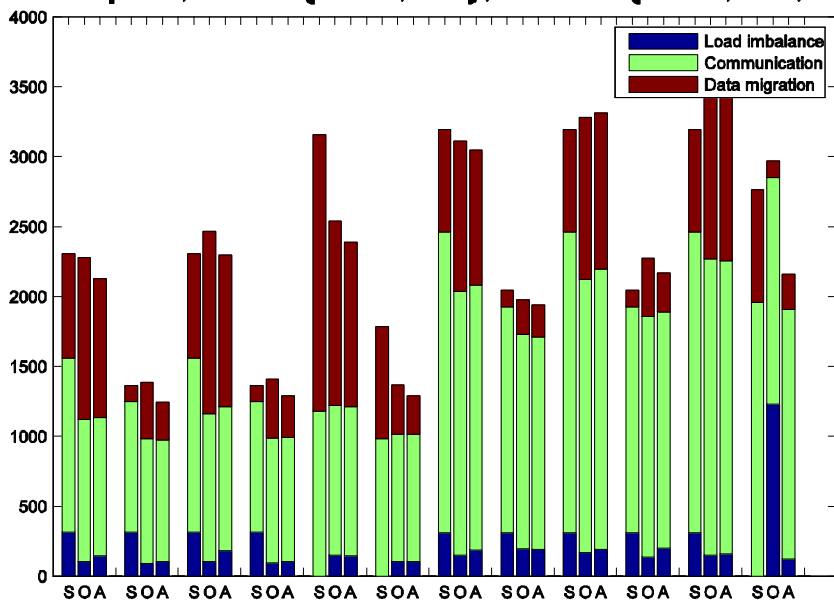
Modeled Cost for LaserRaster
with $p=16$; $ITR \in \{0.25, 0.5\}$; $CCR \in \{0.25, 0.5, 1.0\}$



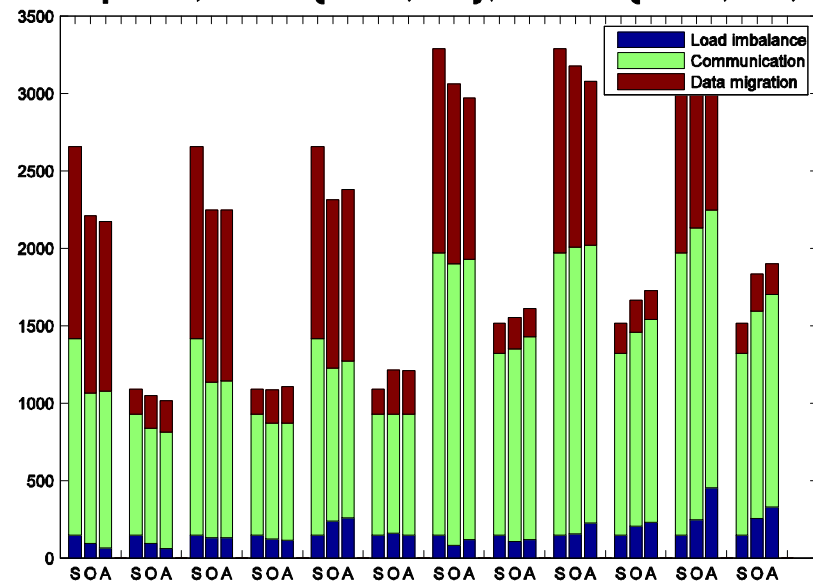


Results: Convection

Modeled Cost for Convection
with $p=8$; $ITR \in \{0.25, 0.5\}$; $CCR \in \{0.25, 0.5, 1.0\}$



Modeled Cost for Convection
with $p=16$; $ITR \in \{0.25, 0.5\}$; $CCR \in \{0.25, 0.5, 1.0\}$





Results: Summary

- Adaptive partitioning with USP/SP outperformed the best static algorithm in about 40% of the experiments
- AP with USP/SP generally improved on “regular” AP (about 75% of the experiments).
- Adaptive partitioning performs slightly better for 8 (32) processors than for 16 (64).
- No clear correlation between CCR, ITR, and f compared to the effectiveness of the AP.



Conclusions and Future Work

- **AP seems applicable in a variety of (hard to define) AMR conditions**
- **Future work includes (a) finding better ways to estimate data migration due to different native data mappings, and (b) gaining a better understanding of conditions beneficial for AP**
- **New hypothesis: Smarter migration estimation & leveraging better understanding of conditions → AP beneficial for vast gamut of application-computer combinations**



Questions?

- Read more on <http://hpcn.sandia.gov/~jsteens>