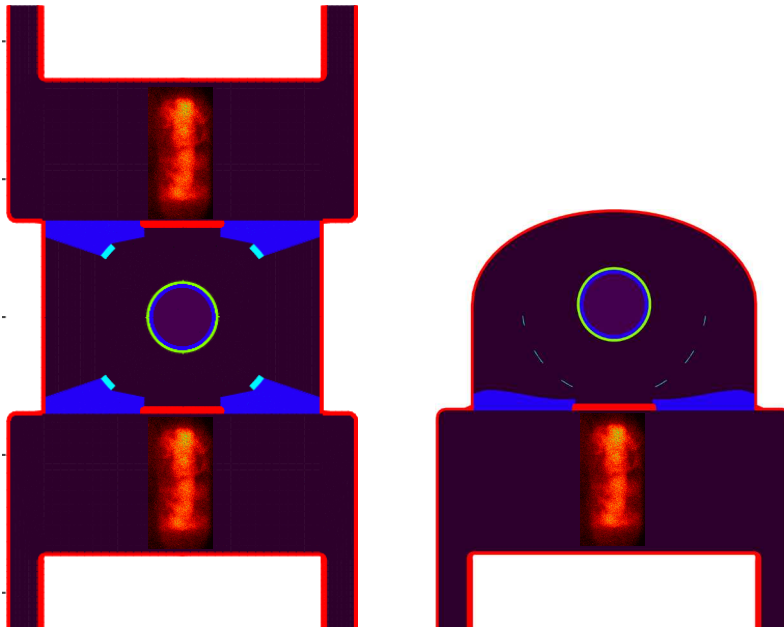


Application of variably-doped ablators to a single-sided drive ICF hohlraum

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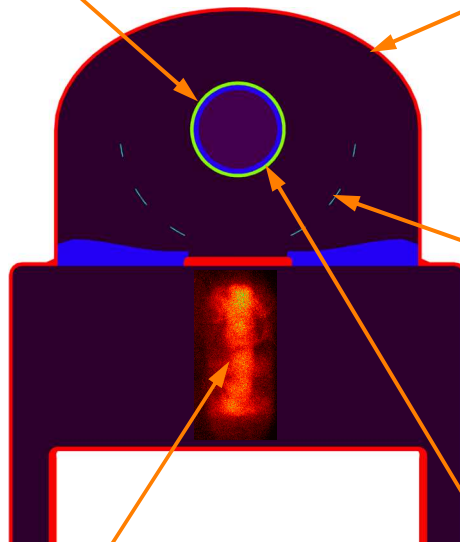


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Ignition of a high yield capsule in a single-sided hohlraum will require aggressive symmetry control

High yield ICF capsule



Hohlraum geometry
(dimensions, shaping)

Minimize P_2 , P_6 , P_8

Symmetry shield(s)
(position, com

Reduce P_1 , P_3

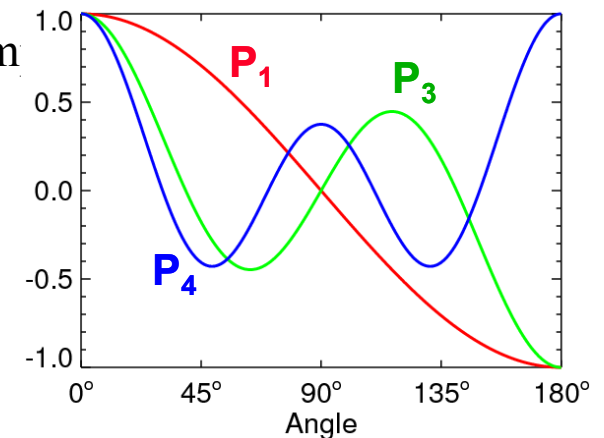
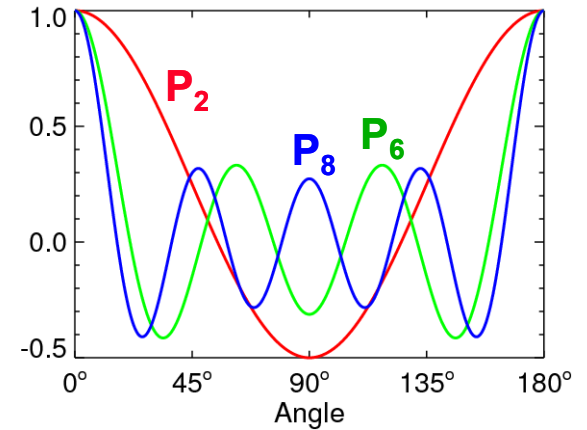
Minimize P_4

High power, high energy
z-pinch x-ray source

Capsule modifications

Compensates for residual asymmetry

Ignition in 2D capsule simulations

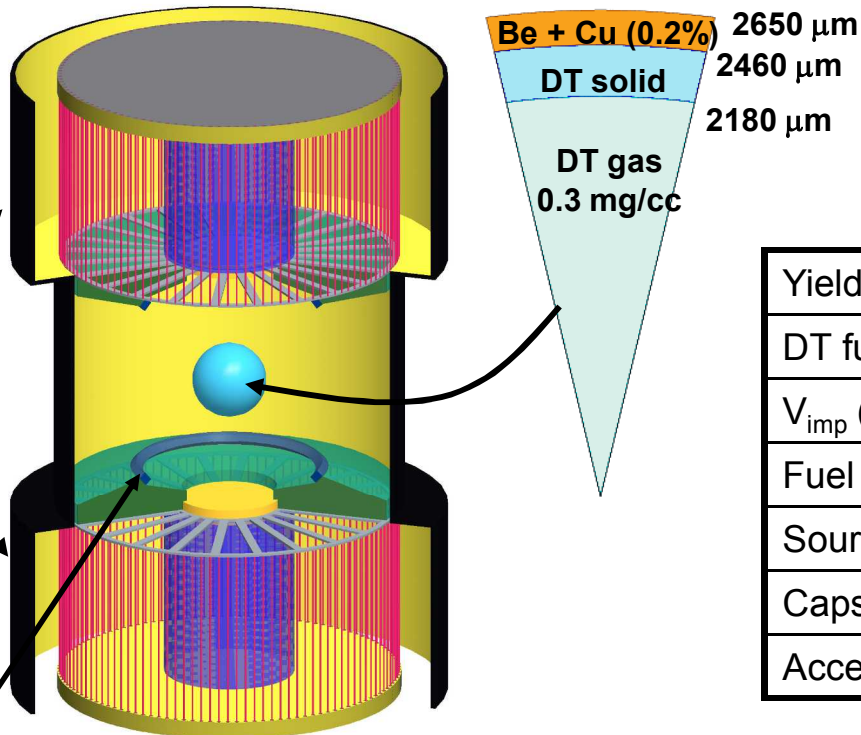


A reference design for a 2-sided z-pinch driven high yield system has been published¹

Double Z-pinch driven hohlraum

Primary hohlraums

P₄ symmetry shield

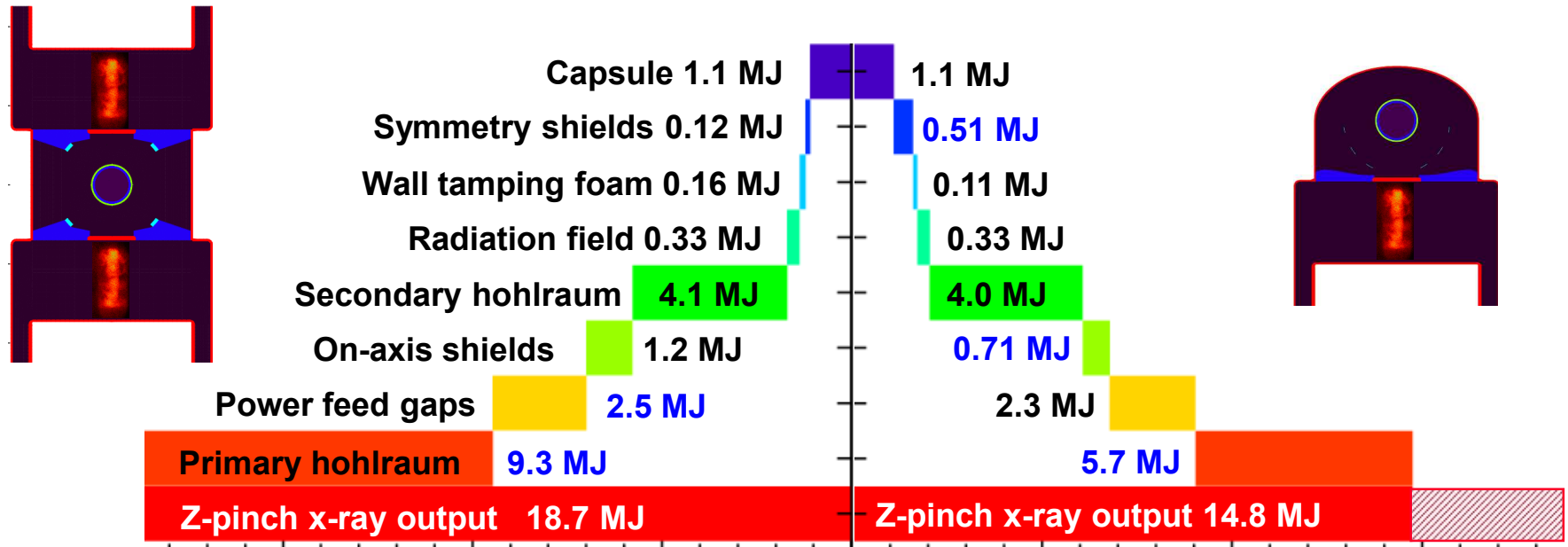


System parameters

Yield	520 MJ
DT fuel mass	4.74 mg
V_{imp} (cm/ μ s)	26.0
Fuel KE margin	29%
Source x-ray energy	19 MJ
Capsule absorbed energy	1.2 MJ
Accelerator stored energy	~400 MJ

Can a single-sided system be designed that allows high yield with higher efficiency ?

Preliminary LASNEX simulations show x-ray source energy savings with a 1-sided configuration



Advantages:

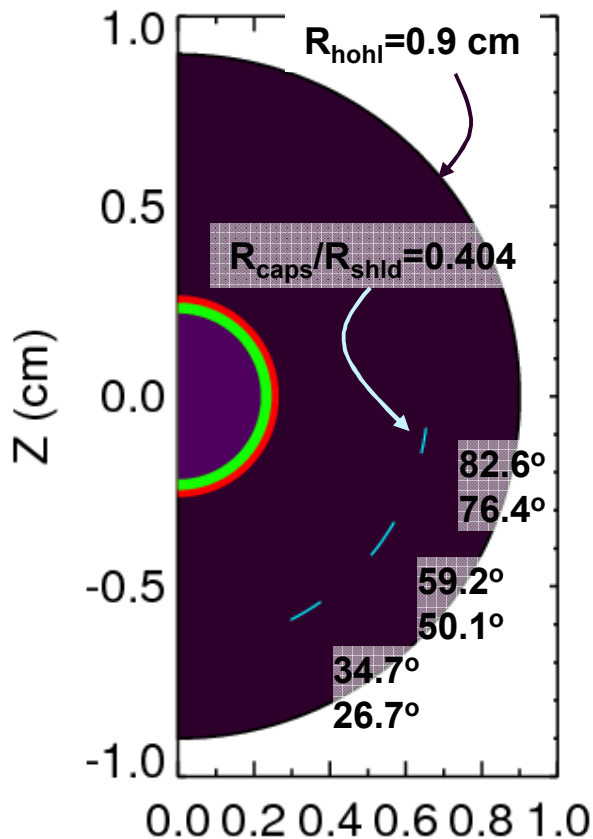
- Avoids mistiming or power imbalance issues associated with 2 pinch sources
- Simpler and more efficient pulsed-power accelerator design
- Better access for diagnostics, cryogenics, experimental packages

Issues:

- Higher performance required for the single z-pinch
- **Inherent $P_1 > 20\%$, P_3 of -8% , P_4 of -2% must be addressed**

Multi-dimensional optimization¹ of shields reduces $P_1 \rightarrow P_{10}$ to low levels in a model problem

Model problem



Hohlraum source asymmetry applied in P_1, P_3, P_4 :

At capsule, $P_1 = 25\%$, $P_3 = -8\%$, $P_4 = -2\%$

Viewfactor optimization procedure:

Shield Legendre mode content $a_{n,shield}$ are parameters
Solve equations for angular extent of shields
Call viewfactor routine to calculate flux to capsule
Evaluate mode content in flux at capsule, $a_{n,caps}$

Optimized shields give $P_1 - P_{10} < 1\%$ in both viewfactor and 2D LASNEX for the sphere-in-sphere model problem

However, recent 2D hohlraum simulations using these 3 shields show excessive perturbation of the hohlraum environment \rightarrow non-optimum symmetry control

(r,θ) variable doping¹ of the capsule ablator compensates for residual hohlraum asymmetry

Concept is to use high-Z dopant to achieve spatially uniform ablation pressure for a known non-uniform radiation flux distribution

Simulations found the ablation pressure P_{abl} as a function of $I=T_r^4$ and Au dopant fraction in Be ablator

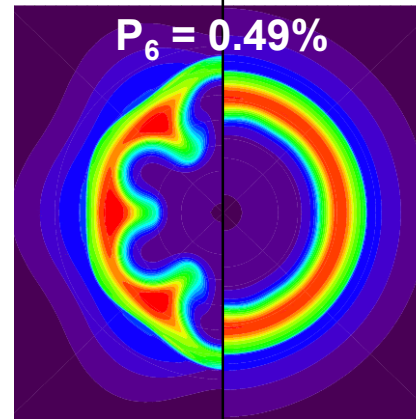
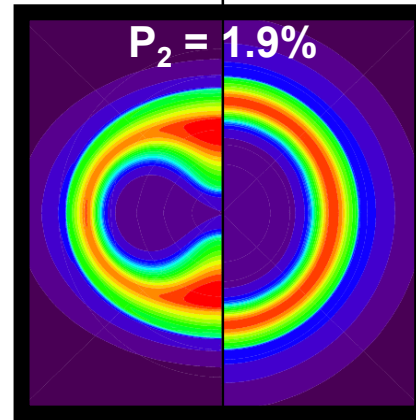
→ $f_{Au}(T_r, \delta I/I)$ at constant P_{abl}

Use 1D simulation to map the drive $T_r(t)$ onto depth of ablation front

→ Known asymmetry modes $P_n(t)$ determine $f_{Au}(r,\theta)$ in ablator

No variable doping

Variably doped



\mathcal{L}

Uncompensated capsule is near failure threshold.

Compensated capsule implosion is nearly spherical

⇒ much higher radiation asymmetries can be accepted as part of the target design

With higher order corrections, compensation for (individual) modes was successful for:

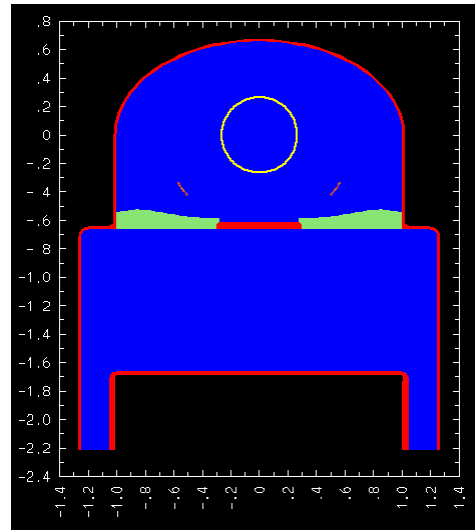
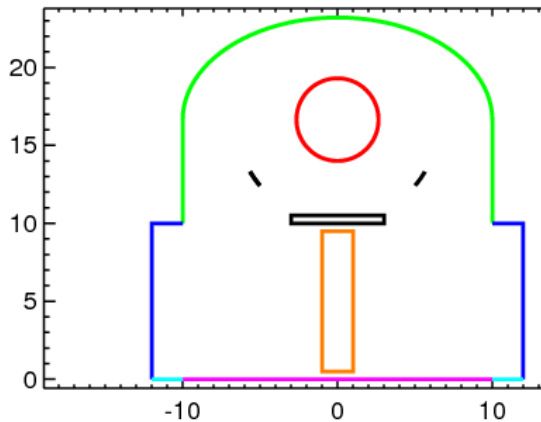
P_1	18.5 %	(1.2%)
P_2	20.0 %	(2.0%)
P_4	10.5 %	(1.5%)
P_6	8.5%	(0.48%)

Combine hohlraum shaping, shields, and variable ablator doping to symmetrize the implosion

Incorporate shields in viewfactor optimization of 1-sided hohlraum

Evaluate asymmetry in 2D LASNEX without capsule implosion

Design variably-doped capsule to compensate for residual asymmetry



Specify $f_{Au}(r, \theta)$ in ablator

Run 2D LASNEX capsule-only with time-dependent drive asymmetry

Evaluate implosion quality and ablation pressure asymmetry

Optimize $[\theta_1, \theta_2]$ range(s)

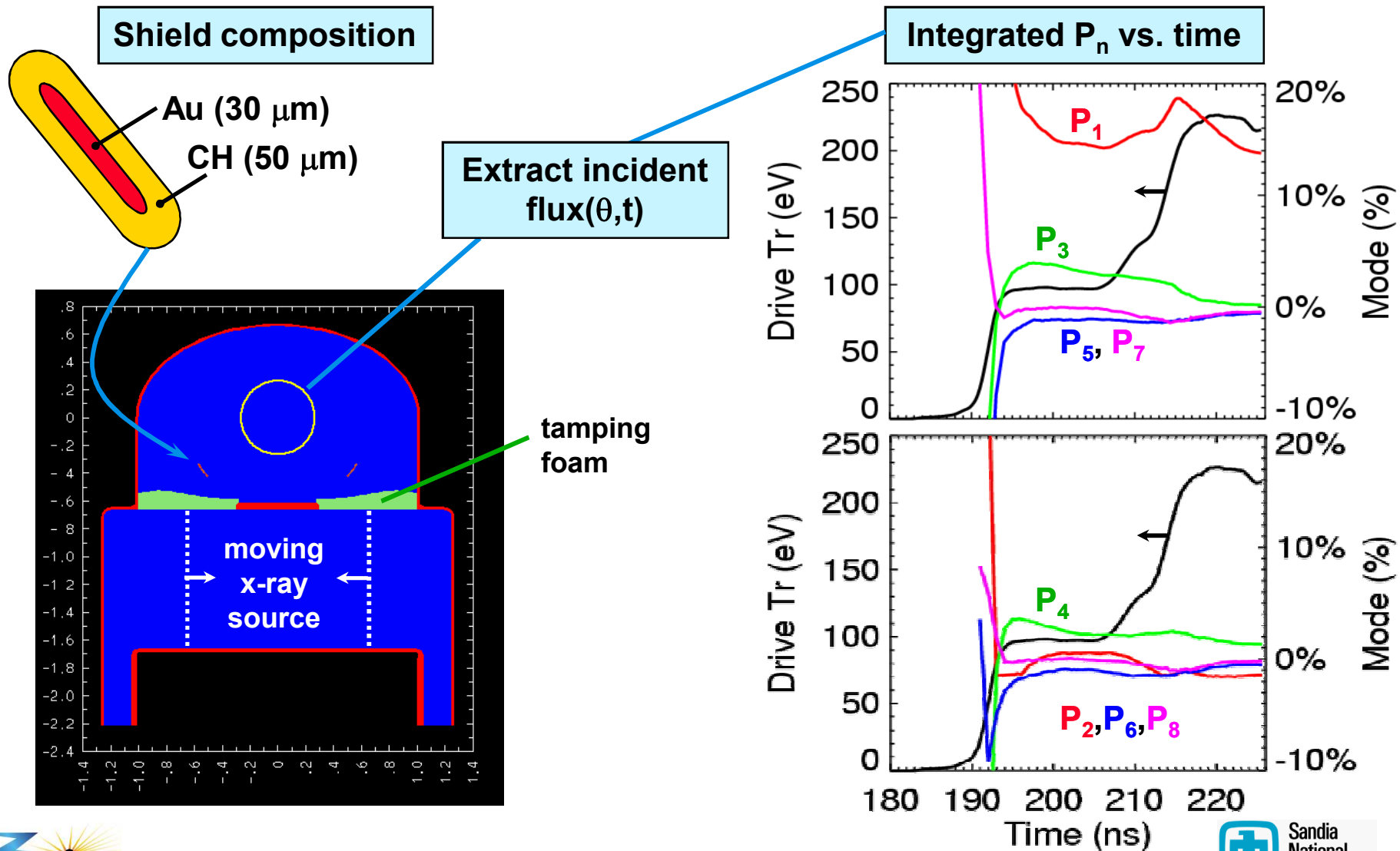
Iterations are fast

Imperfect guide

Most complete hohlraum physics

Model benchmarked at Z conditions

A single ring shield reduces P_1 from $> 20\%$ to 14% in 2D LASNEX simulations



The Be ablator is doped as a function of (r, θ) at levels from 0% to 0.2% Au to symmetrize implosion

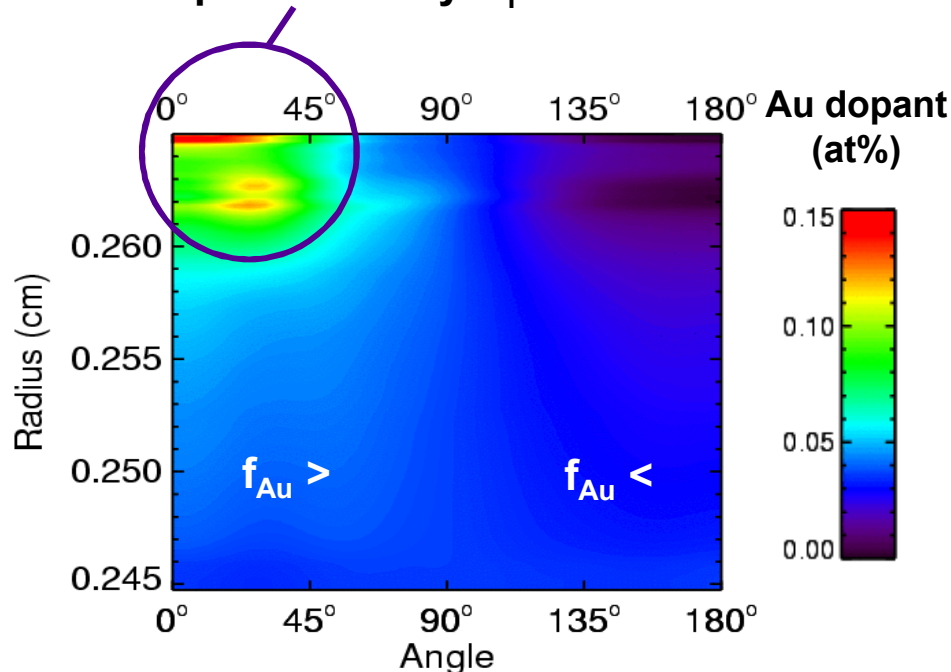
Use full knowledge of time-dependent asymmetry

Include time shift: dope for ablation front at time t according to asymmetry at time $t + 4$ ns

2D LASNEX capsule
density plots at ignition

low  high

Higher f_{Au} near bottom pole for early $P_1 > 0$



Doped for
asymmetry $P_n(t)$

Extra P_2 and
 P_5 doping

466 MJ

8.5% margin

22% hot spot rms

i6: 506 MJ

16% margin

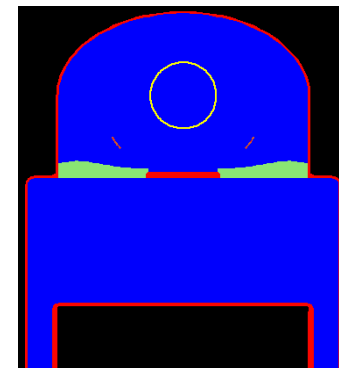
9.4% hot spot rms

Ignition of a high yield capsule in a single-sided hohlraum will require aggressive symmetry control

Current approach uses shields to reduce asymmetry to levels that can be compensated for using variable (r, θ) doping of the capsule ablator

A single ring shield in the secondary hohlraum reduces the P_1 asymmetry to 14% while also keeping other modes small

- further improvements may be possible
- not clear that shields alone can provide a full solution



Variable ablator doping is predominantly P_1 -shaped in θ , and is successful in producing ignition and full burn in 2D LASNEX simulations, using knowledge of time-dependent asymmetry

Single-sided hohlraum requires 20% less source x-ray energy than double-sided hohlraum driving the same capsule

More compact x-ray sources will allow even larger gains in efficiency for either 2-sided or 1-sided systems



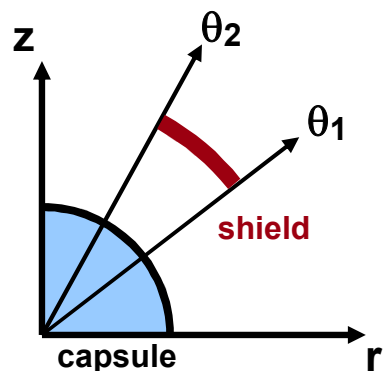
extras

Mode-selective shields are an important part of the double z-pinch high yield target design

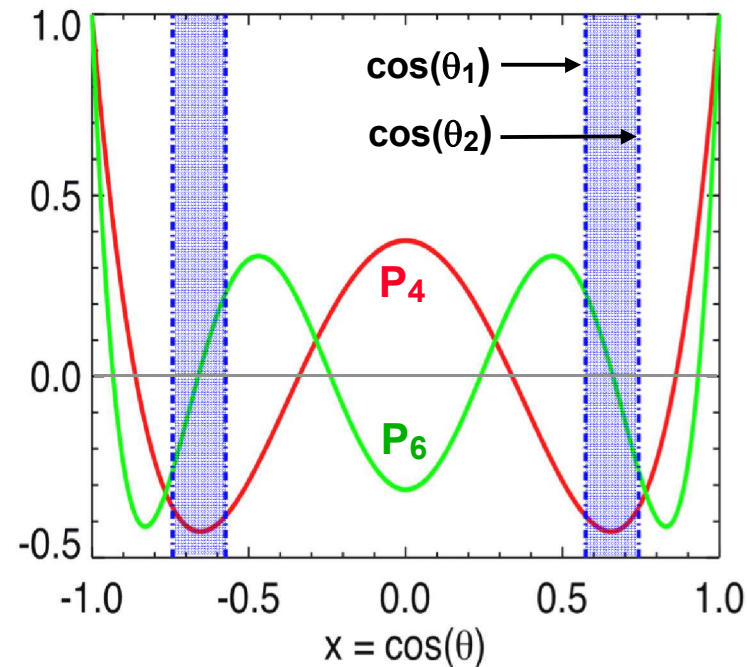
Control the Legendre mode content of transmission past the shield

Specify positive P_4 content to counteract inherent $-P_4$ flux in hohlraum

Specify zero P_6 content



$$x = \cos(\theta)$$
$$a_{6,shield} \propto \int_{-1}^1 T(x) P_6(x) dx = 0$$
$$a_{4,shield} = \frac{9}{2} \int_{-1}^1 T(x) P_4(x) dx > 0$$

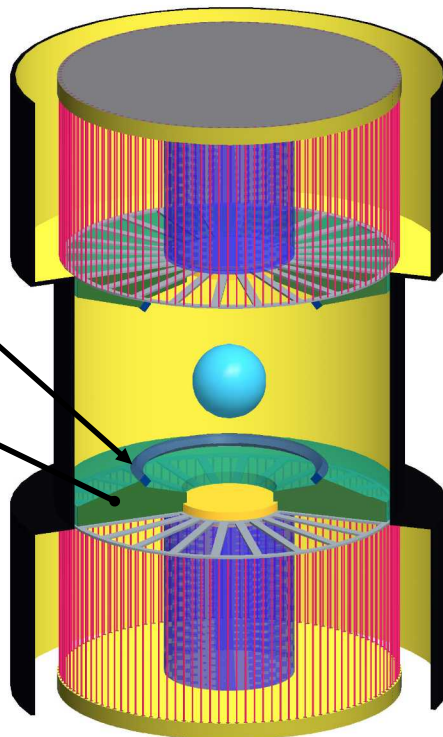


Family of (θ_1, θ_2) solutions with P_4 effect $\propto \Delta\theta$

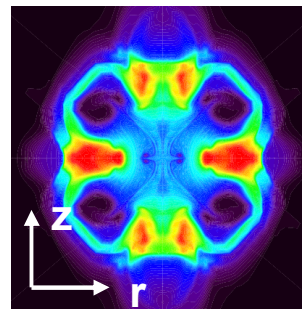
Mode-selective shields provided adequate symmetry control for 2D ignition & burn

P_4 symmetry shield
4.4° range
0.2 g/cc CH_2 (3% Ge)

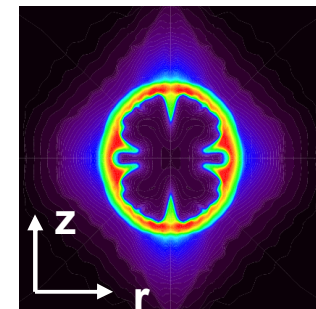
Tamping foam
5 mg/cc CH_2



Mode-selective shields minimize P_4
without enhancing P_6 or P_8



No structures
 $P_4 = -3.3\%$
Yield = 0.040 MJ



With P_4 shield
 $P_4 = -0.5\%$
Yield = 470 MJ

Result can be generalized to N shields to control 2N modes *in principle*

Geometric averaging reduces the effects of the inherent high-mode content of the shields

Example: applied asymmetry -5% P_4

Optimized shields minimize $P_{2,4,6,8,10}$

High resolution viewfactor result in red

Estimate $a_{n,shield} * f(n, R_{caps}/R_{shld})$ in green

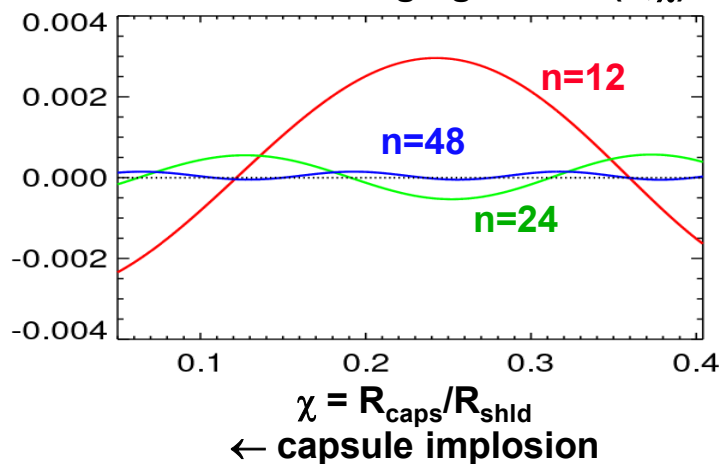
Time-varying R_{caps}/R_{shld}

As capsule implodes, χ decreases

Time-averaged geometric averaging

reduces average $a_{n,caps}$ for most modes

Geometric averaging factor $f(n, \chi)$



Simple estimate is good for $n > 10$

