

# Quantifying the Degree of Balance in Physical Protection Systems

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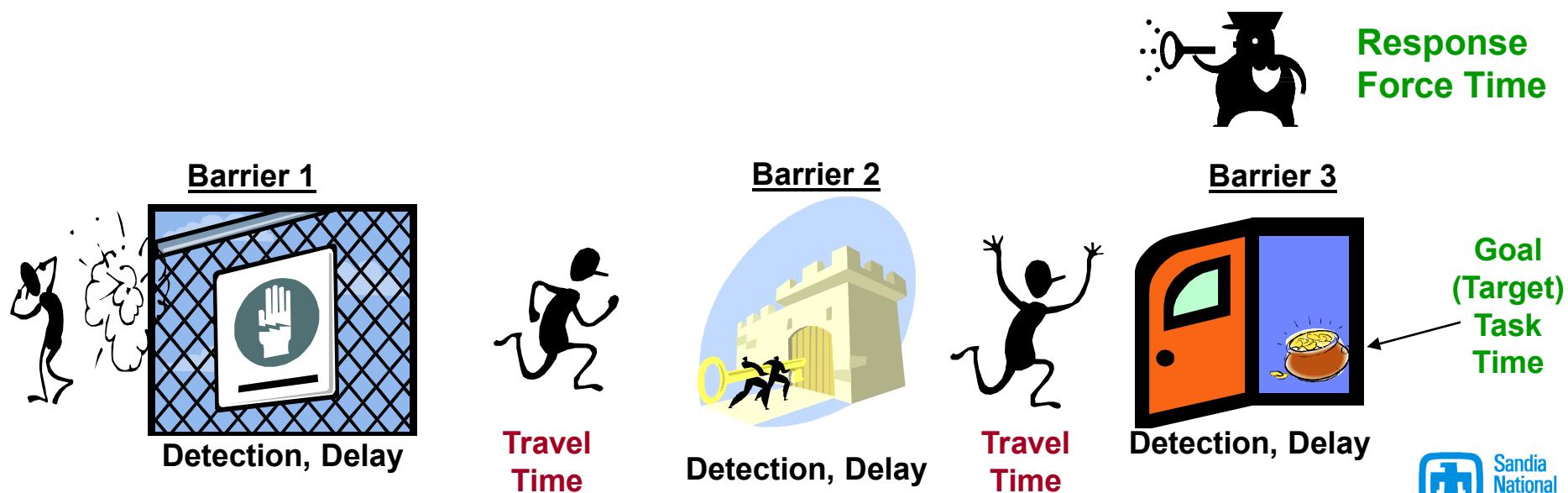


# Risk Assessment of Physical Security Systems

- Evaluation is based on “timely detection”

$P_E$  = Probability that the good guys can respond and neutralize bad guys before they accomplish their goal

- Each barrier has a task time (delay) and probability of detection
- Bad guys' optimal attack path depends on which elements can be defeated, given their physical attack skills and tools
- An attack path is attractive to an adversary if  $P_E$  is small





# What is a “Balanced Security System?

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- Balance: “A facility should not have tightly-locked doors but wide-open windows”
- A physical protection system is balanced when every attack path presents a similar level of difficulty, e.g.,
  - similar adversary resources required
  - similar probability of timely detection
  - similar likelihood of being neutralized...
- Mathematically:  $P_E$  for the 1-2 most advantageous attacks should not be dramatically lower than it is for the next several most attractive attack paths.
  - Simple in concept: Applied as a heuristic by scanning  $P_E$  for the several most attractive attack paths.
  - No accepted metric to express “balance” by calculation



# Desirable Characteristics for a Balance Metric

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- Should be based on existing, accepted security attack path attractiveness metrics (e.g.,  $P_E$ )
  - Should also support other attack path attractiveness metrics
- Consider several most attractive attack paths, but discount the multitude of unattractive attack paths
- Relatively independent of level of detail used in physical protection system analysis
  - The metric should be relatively insensitive to the total number of attack paths identified in the system analysis

# Simple Average

- Mean  $P_E$  over all attack paths

- Unweighted average  $P_E$  value

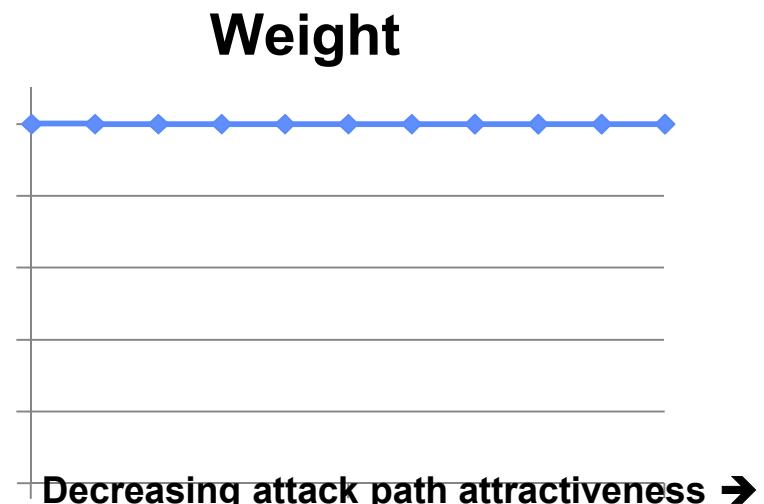
- Advantages:

- Simple to calculate and understand
  - Works with all known attack path attractiveness metrics

- Disadvantages:

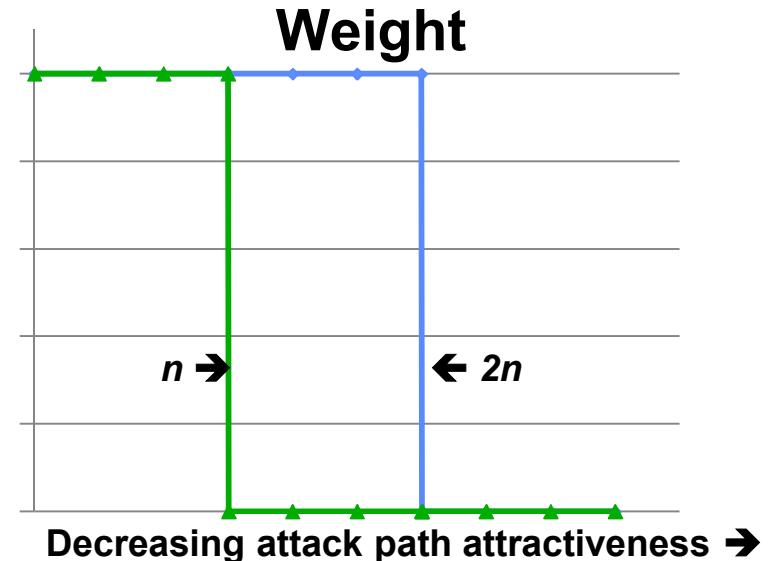
- Does not discount the multitude of unattractive attack paths, so...
  - Could be gamed by simply looking at more unattractive attack paths, and...
  - Sensitive to the total number of attack paths identified

*Relative contribution of each value to the overall average*



# Simple Moving Average

- Mean  $P_E$  over  $n$  most attractive attack paths
  - Unweighted average  $P_E$  value, but using only  $n$  most attractive attack paths
- Advantages:
  - Simple to calculate and understand
  - Works with all known attack path attractiveness metrics
  - Discounts the multitude of unattractive attack paths (harder to game)
  - Insensitive to the total number of attack paths identified
- Disadvantages:
  - Very sensitive to the value selected for the parameter  $n$

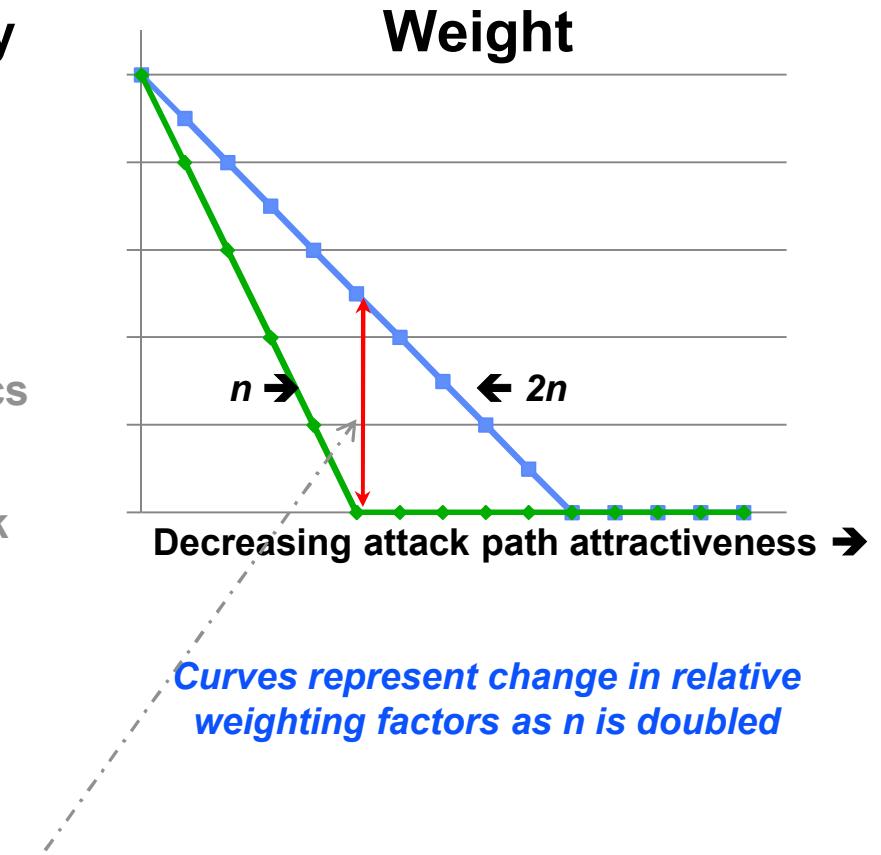


*Attack paths are sorted from most to least attractive to the adversary*

*Curves represent change in relative weighting factors as  $n$  is doubled*

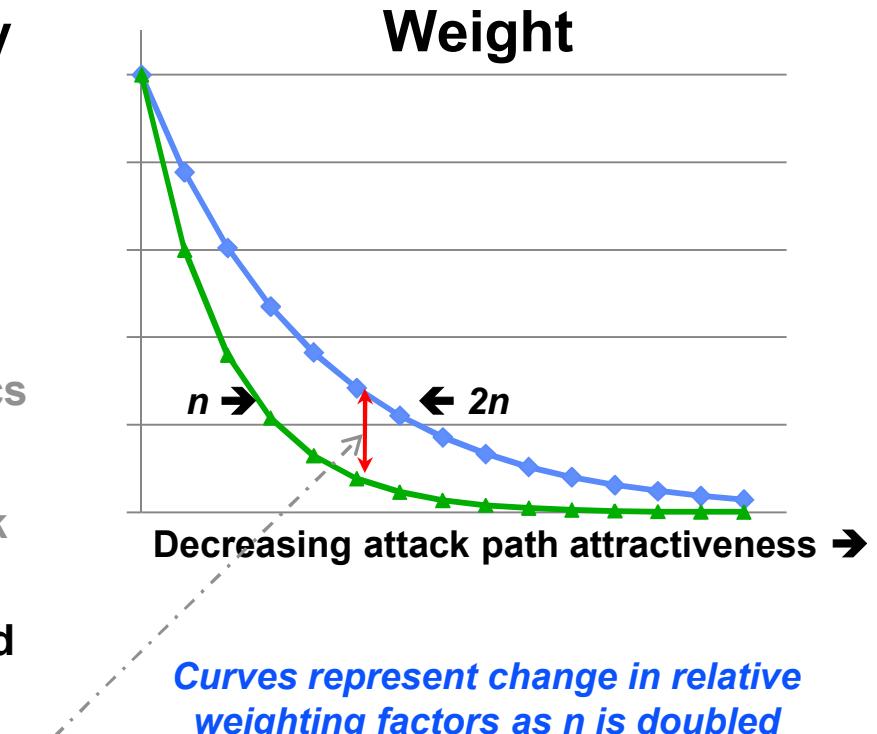
# Linear-Weighted Moving Average

- Weight decreases arithmetically for less attractive attack paths
  - Weighted average  $P_E$  value; weight decreases over first  $n$  attack paths
- Advantages:
  - Works with all attractiveness metrics
  - Discounts unattractive attack paths
  - Insensitive to total number of attack paths identified
  - Less sensitive to the value selected for the parameter  $n$
- Disadvantages:
  - Relative weights of specific attack paths can change radically as  $n$  is changed



# Exponentially-Weighted Moving Average

- Weight decreases exponentially for less attractive attack paths
  - All attack paths contribute to the metric, but most at a very low level
- Advantages:
  - Works with all attractiveness metrics
  - Discounts unattractive attack paths
  - Insensitive to total number of attack paths identified
  - Least sensitive to the value selected for the parameter  $n$
  - Relative weights of specific attack paths do not change dramatically as  $n$  is changed
- Disadvantages:
  - Harder to explain to the uninitiated



The weighting factor for the  $k^{\text{th}}$  term is

$$w = \alpha \cdot (1 - \alpha)^{(k-1)}$$

$$\text{where } \alpha = \frac{2}{n+1}$$



# Application

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- DOE Graded Security Protection Policy can be viewed as measuring *security balance* at Category I sites.
  - $P_E$  is averaged over 6 attractive attack scenarios
  - This is a simple moving average with  $n = 6$
- Comparing highest  $P_E$  to averaged  $P_E$  evaluates balance
  - Can be strongly sensitive to the value of  $n$  selected – averaged  $P_E$  would change significantly if  $n$  were 4, or 20, or...
- Using another weighted average reduces sensitivity...
  - ... but may have other policy implications
- Averaging adversary  $P_S = 1 - P_E$  would be a more robust metric for balance
  - Now, less attractive attack paths have higher  $P_E$  and lower weight
  - Using  $P_S$ , less attractive attack paths would have *both* lower  $P_S$  and lower contribution to weighted average calculation



# Summary

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- A security system should provide balanced protection
  - Currently assessed heuristically – no mathematical measure
- Linear- or exponentially-weighted averages are good metrics for balanced protection
  - Greater weight for most attractive attack paths → discount unattractive attack paths
  - Less sensitive to changes in weighting parameter
  - Works with  $P_E$  and other attractiveness metrics
- DOE Graded Security Protection Policy can be viewed as measuring security balance at Category I sites
  - Current metric highly sensitive to number of attack paths averaged
- A robust balance metric can help inform risk management decisions both within a site and across multiple sites