



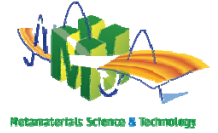
Active and Passive Metamaterials for the Infrared

2/18/2010

Igal Brener

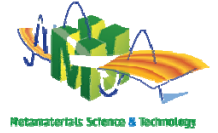
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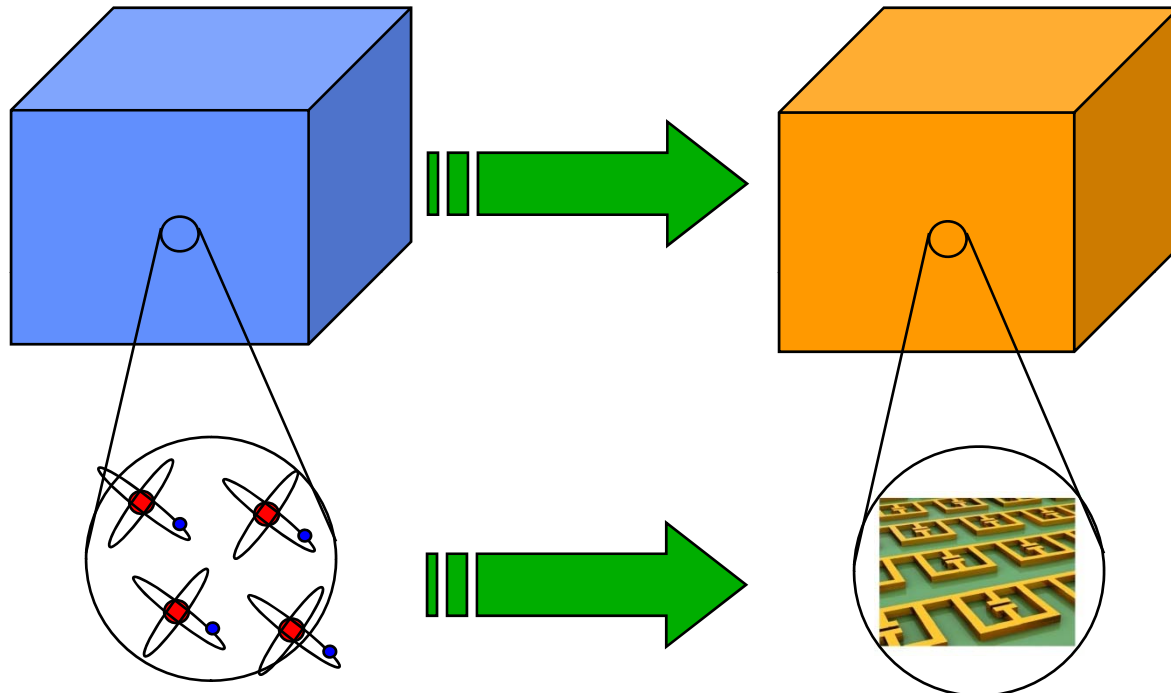
Outline

- **Introduction, metamaterials, scaling, etc**
- **Fabrication of IR 3D Metamaterials**
- **Optical modulators based on single layer metamaterials**
- **Hybridization between metamaterial resonances and material dielectric resonances**



What is a metamaterial?

μετα = meta = “beyond”



In a conventional material, the permittivity ϵ , & permeability μ are derived from the constituent atoms

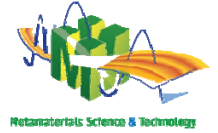
In a metamaterial, ϵ_{eff} , μ_{eff} are derived from “meta-units”
(bigger than atoms, $\ll \lambda$)

Absolute local control of ϵ and μ

after Pendry, JB, 'Negative refraction',
Contemporary Physics, 45:3,
191 - 202

refractive index: $n = \sqrt{\mu\epsilon}$

wave impedance: $\eta = \sqrt{\frac{\mu}{\epsilon}}$



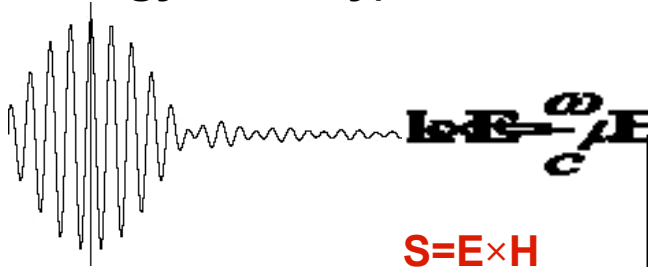
What is possible with Metamaterials?

- Rigorous solutions to Maxwell's Equations

$$n = -\sqrt{\epsilon\mu}$$

negative

Backwards propagation
(opposite phase & energy velocity)



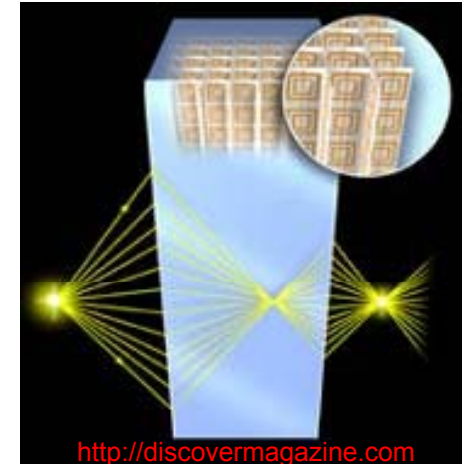
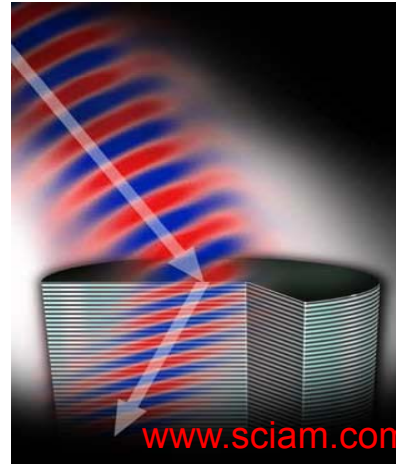
$$\mathbf{S} = \mathbf{E} \times \mathbf{H}$$

- active optical devices
- nonlinear components
- concentrators
- perfect absorbers
- photon funnels
- electromagnetic wormholes (LPI)

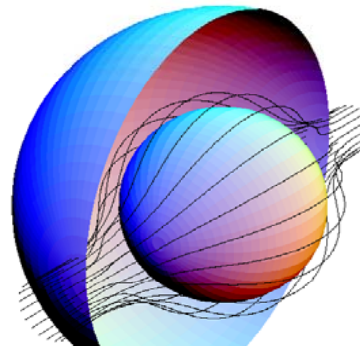


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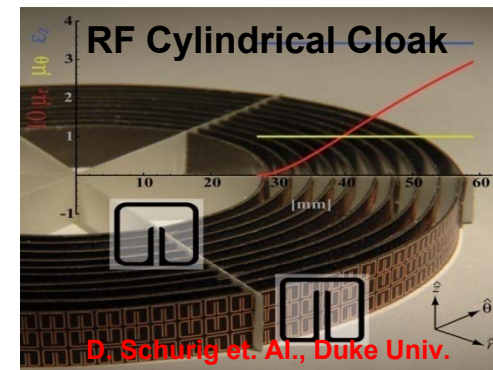
Negative Refraction & Perfect Lensing

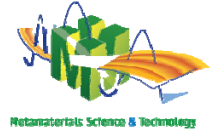


Electromagnetic Cloaking



from: Schurig, et al, OPTICS EXPRESS Vol. 14, 9794 2006

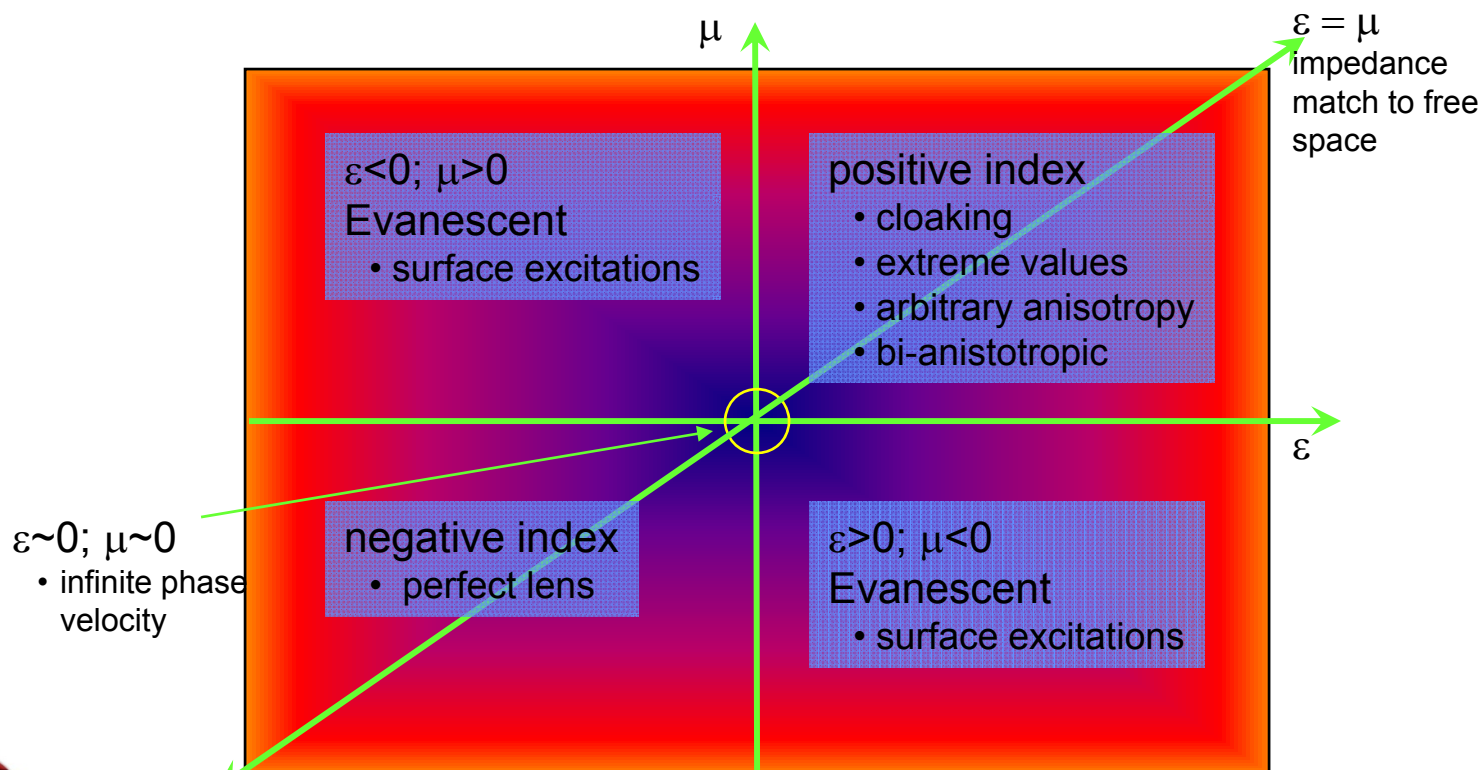




What ranges of ϵ and μ are interesting?

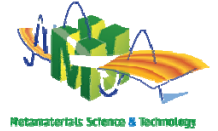
Can adjust ϵ , μ , and magneto-electric couplings (and their anisotropies) independently: highly multidimensional design space!

- Interesting applications occur in many regions of the $\epsilon - \mu$ space.
 - negative index
 - impedance match line
 - regions with ϵ and/or μ near zero
- Losses increases as we move away from $\epsilon=\mu=1$



$\epsilon \sim 0; \mu \sim 0$
• infinite phase velocity

$\epsilon = \mu$
impedance match to free space

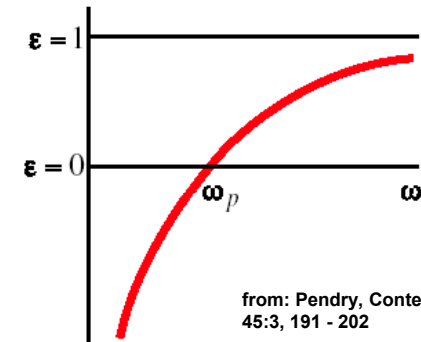
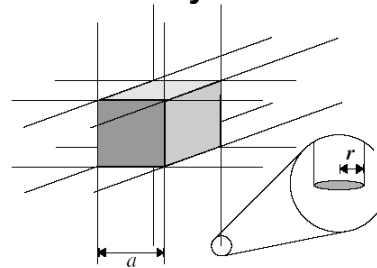


How to make a “Metamaterial”

Wire grid designs provide control over the electric permittivity (ϵ)

- Wire diameter and spacing $\ll$ operating wavelength
- Can tune the plasma frequency by diluting the electron density and also varying the electron effective mass.
- Negative values of ϵ are obtained below

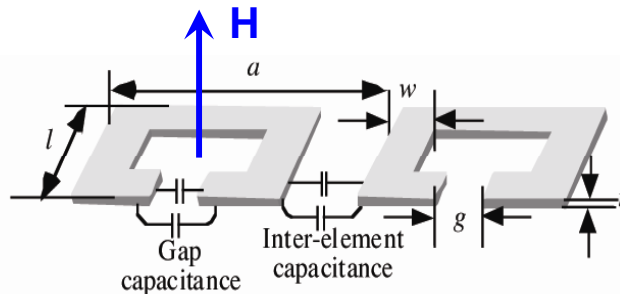
$$\omega_p = \sqrt{\frac{ne^2}{m^* \epsilon_0}}$$



from: Pendry, Contemporary Physics, 45:3, 191 - 202

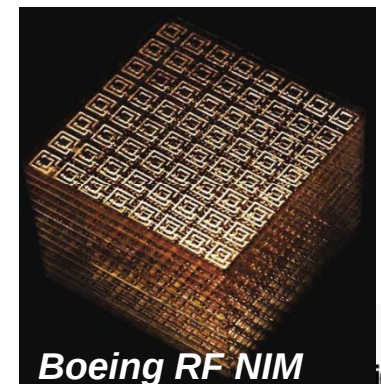
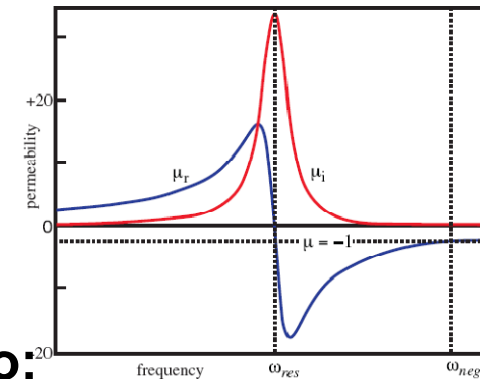
Split-ring resonator designs provide control over the magnetic permeability (μ)

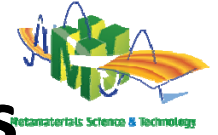
- Can be viewed as resonant RLC circuit
- Negative values of μ are possible



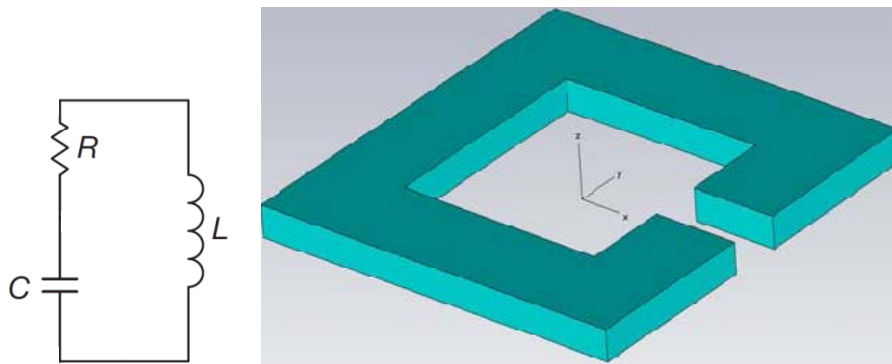
from: S. McMeekin, Proc. Of SPIE, V

Combine the two:



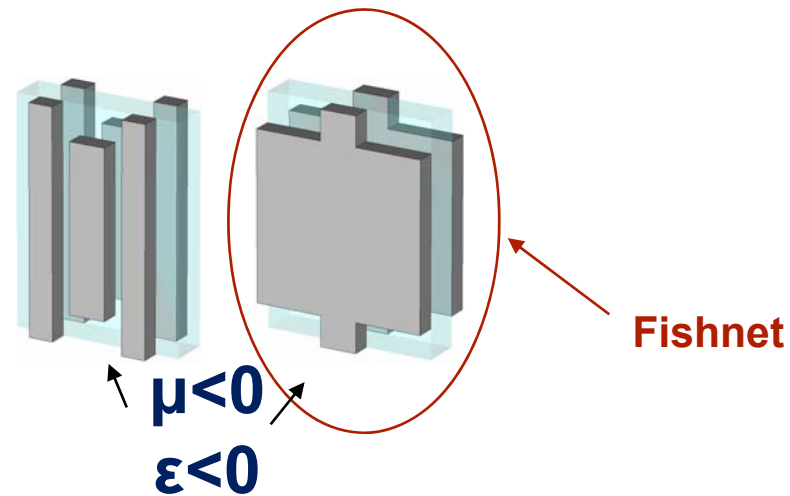
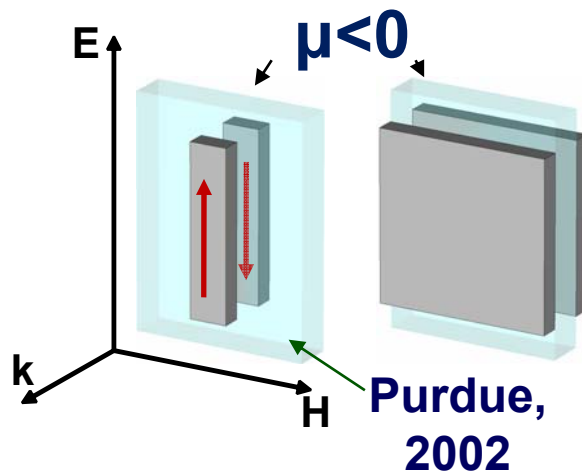


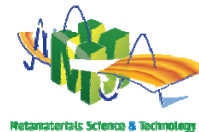
How to scale MM's to optical frequencies



Shrink resonators to the nanoscale

For magnetic behavior:

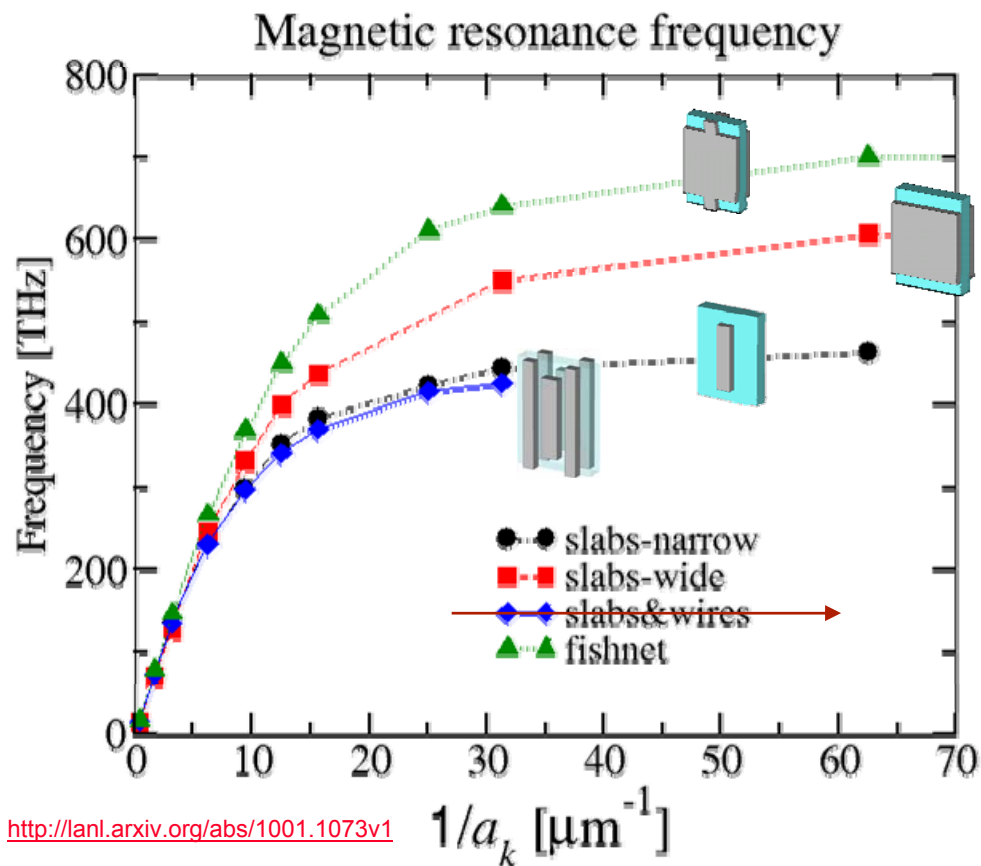




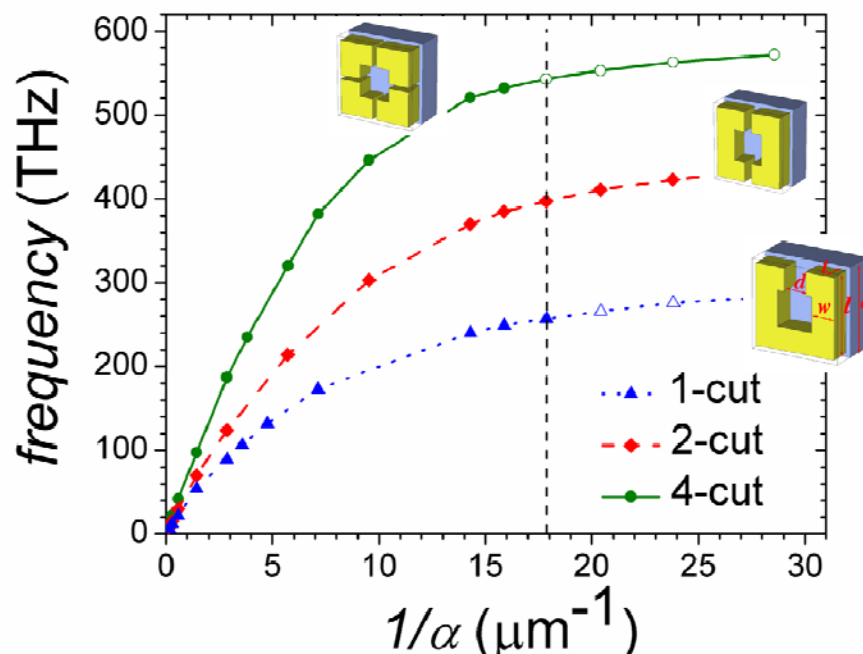
Scaling: saturation of magnetic behavior

Al metal

Glass substrate

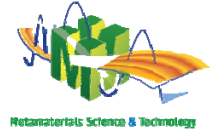


<http://lanl.arxiv.org/abs/1001.1073v1>



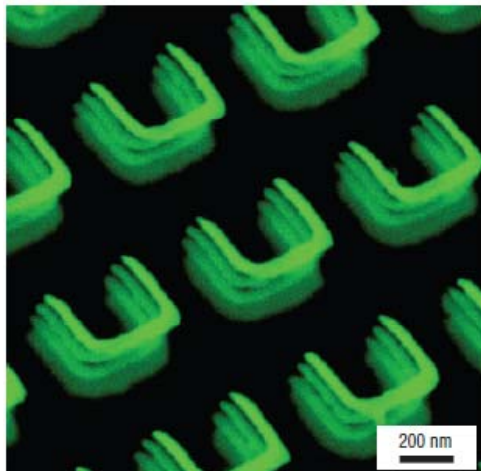
J. Zhou, Th. Koschny, M. Kafesaki, E. N. Economou, J. B. Pendry and C. M. Soukoulis, *Saturation of the magnetic response of split-ring resonators at optical frequencies*, Phys. Rev. Lett. 95, 223902 (2005).

Saturation of magnetic resonance frequency at small length scales ($a < 500$ nm)

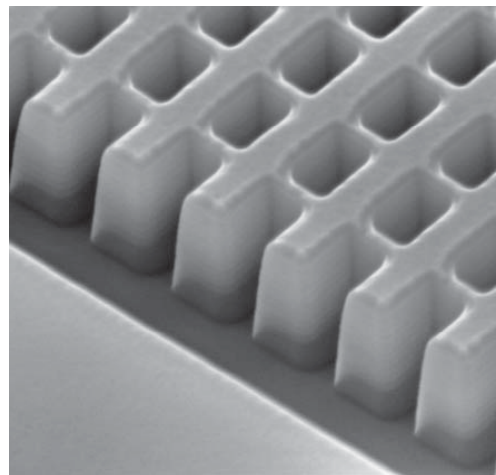


Scaling: Fabrication challenges

“stacked” designs

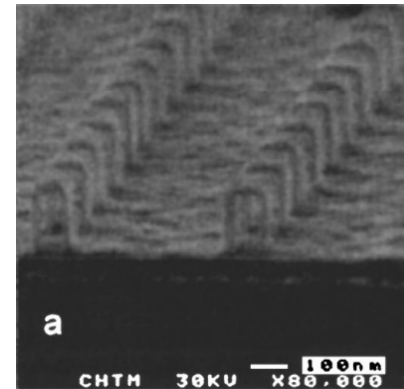


Giessen- Nature Mat **7**, 31, (2008)

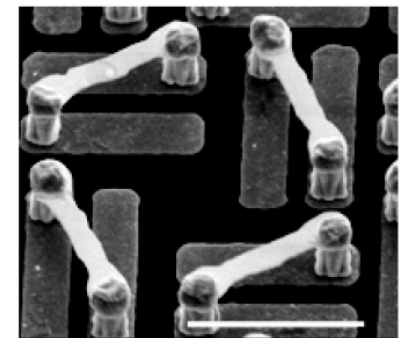


Zhang, Nature **455**, 376 (2008)

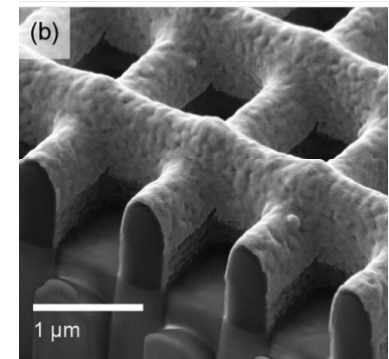
Out-of-Plane Current



Brueck - JOSA B **23**, #3, 434, (2004)

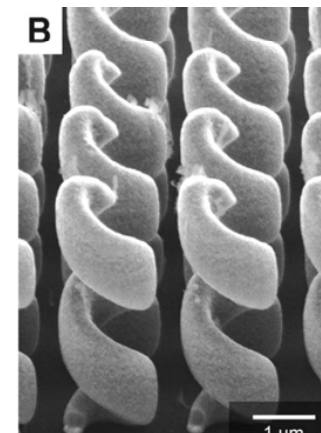


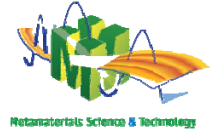
Zhang, PRL **102**, 023901, (2009)



Wegener, Optics Lett **34**, 16, (2009)

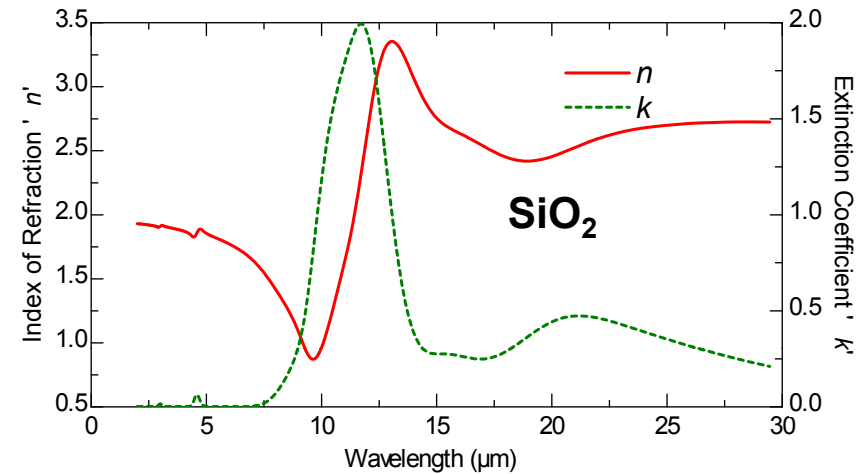
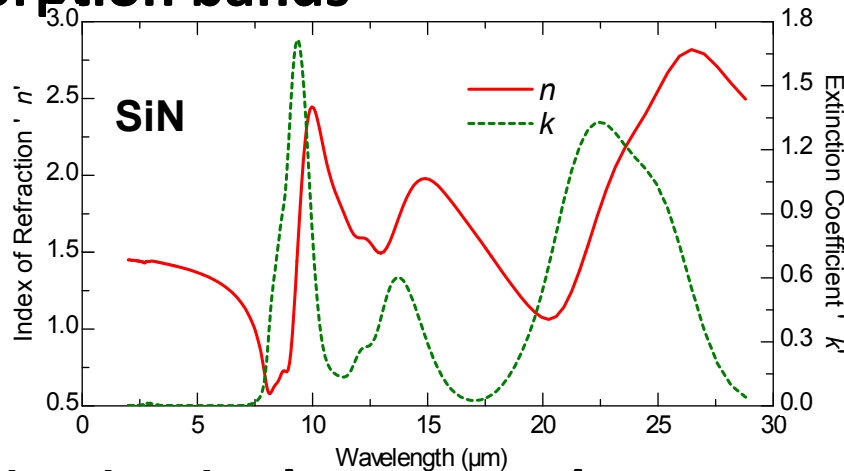
Direct Write



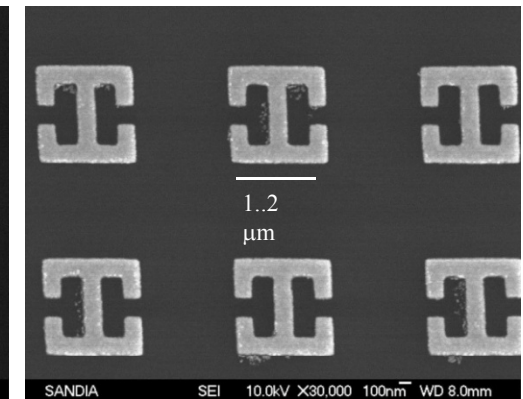
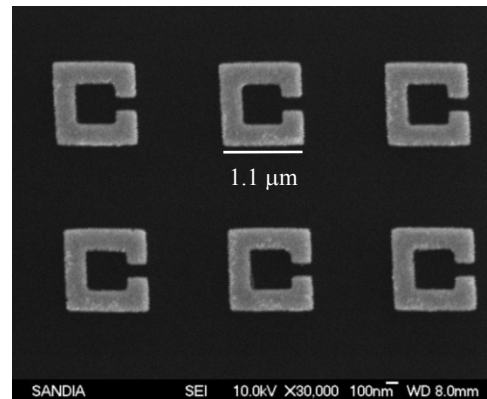


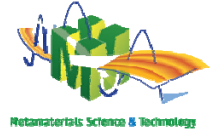
Issues for Metamaterials in the Infrared

- Many dielectrics have IR absorption bands



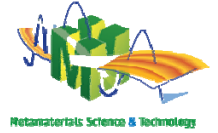
- Fabrication is challenging but doable
- For active metamaterials, need to achieve large background ϵ changes somehow





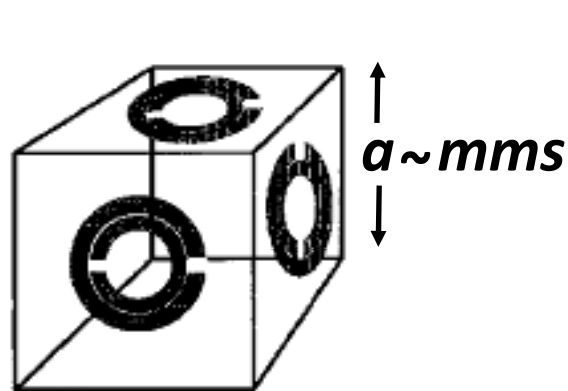
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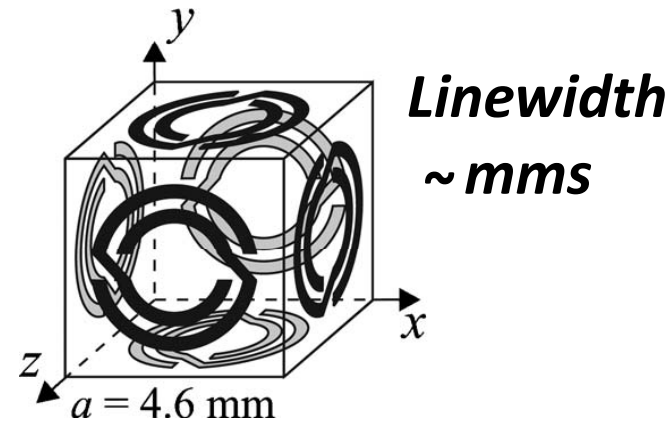


Path to true 3D IR Metamaterials

- 3D is easy in the RF ($1 < \epsilon_r < 300$, $1 < \mu_r < 30$)
- Would like to make the same structures in the IR



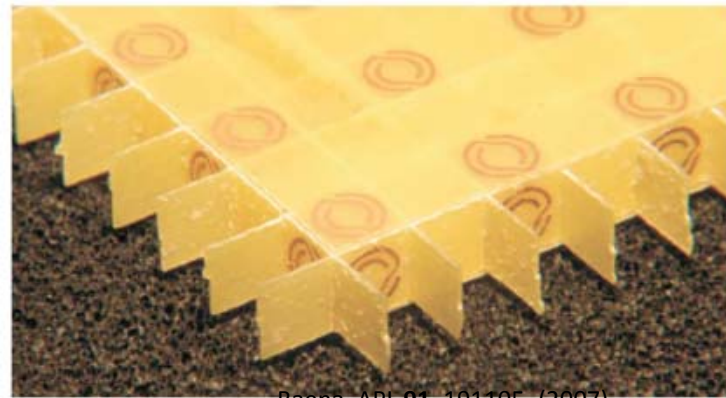
Pendry, IEEE Trans on Microwave Theory and Techniques **47**, #11, 2075 (1999)



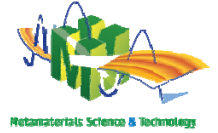
Baena, APL **91**, 191105, (2007)



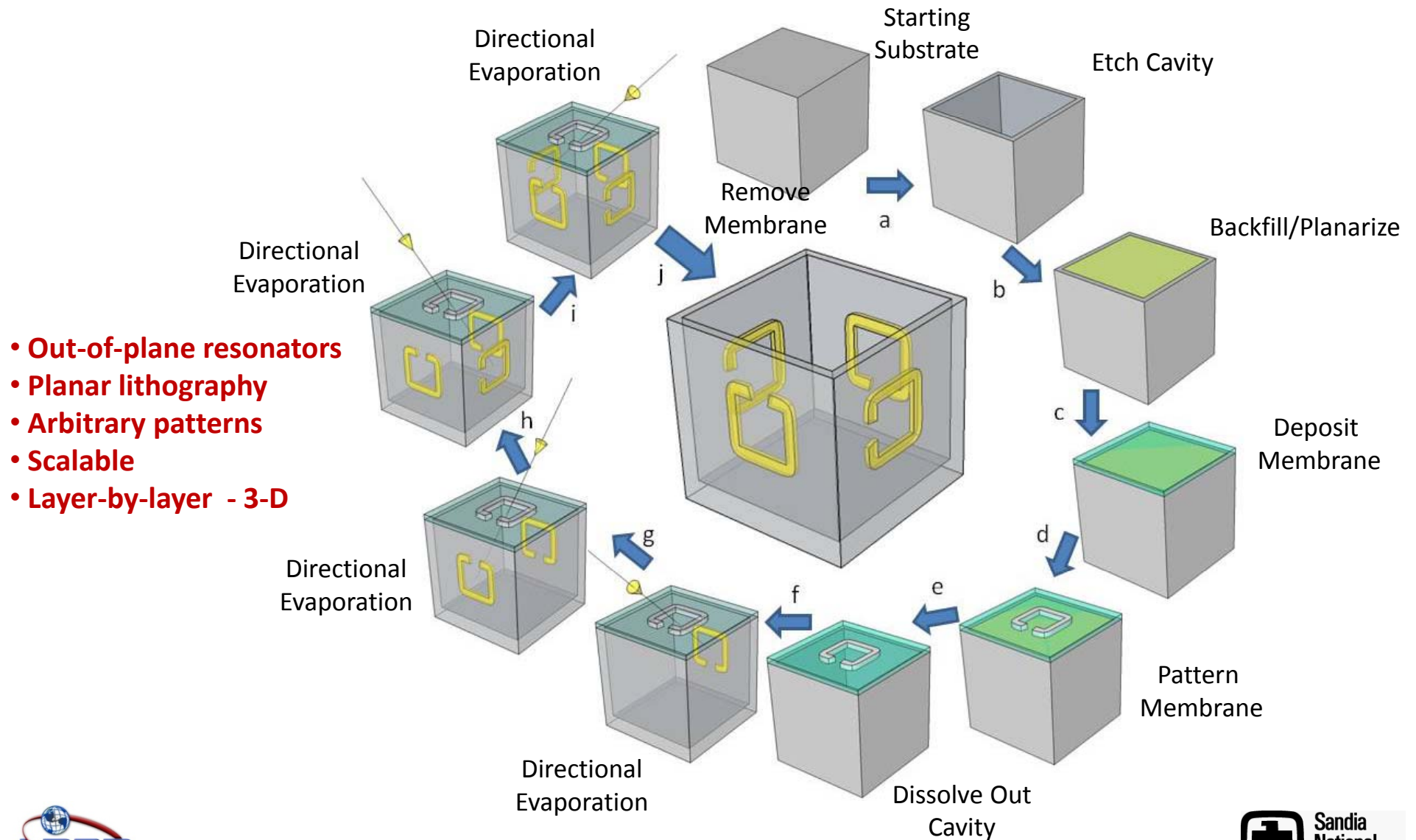
Schultz, Science **292**, 77, (2001)



Baena, APL **91**, 191105, (2007)



New Approach: Membrane Projection Lithography

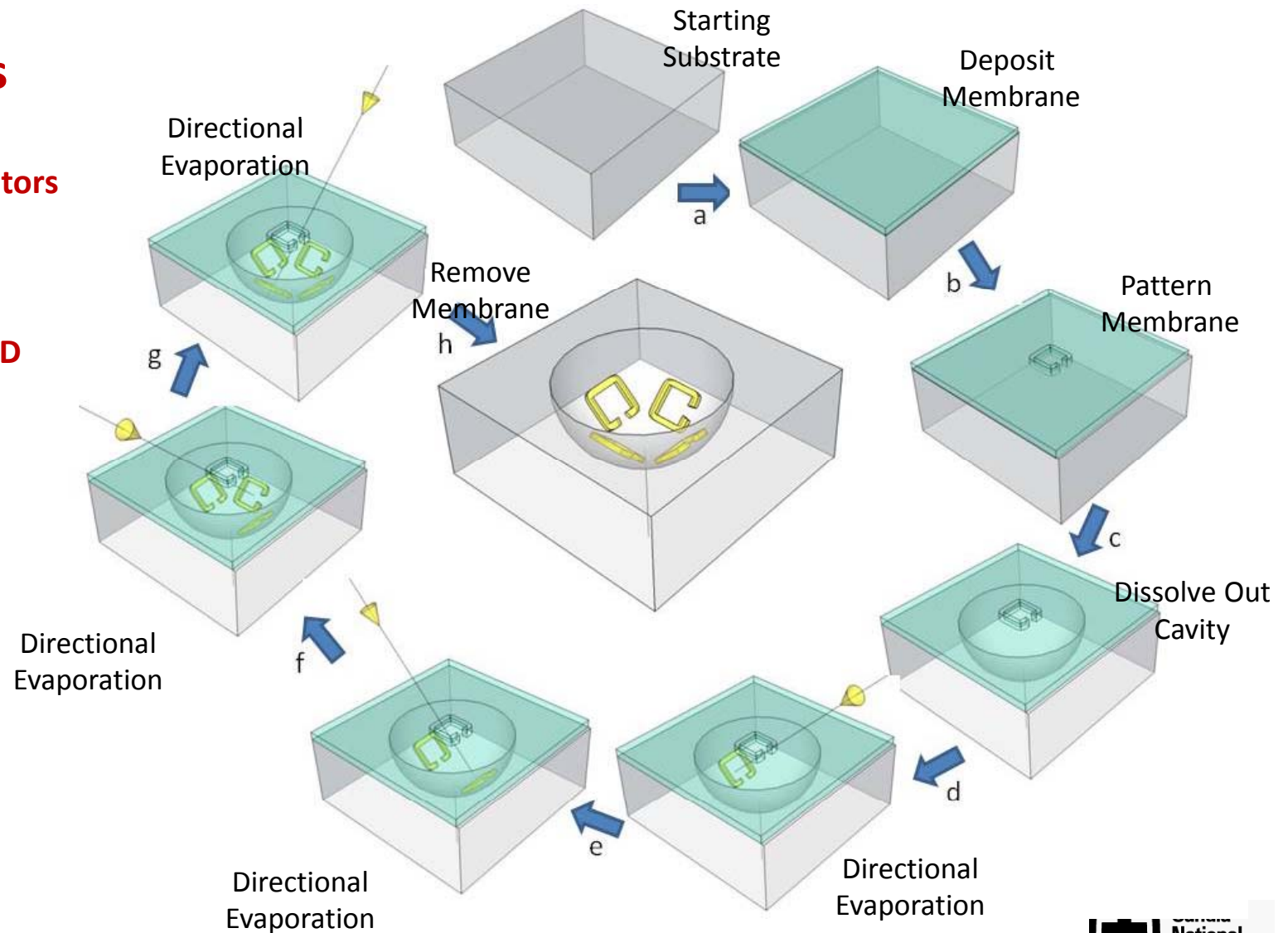


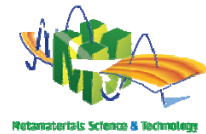


Self-Aligned MPL (SAMPL)

Advantages

- Self-Aligned
- Non-planar resonators
- Planar lithography
- Arbitrary patterns
- Scalable
- Layer-by-layer - 3-D

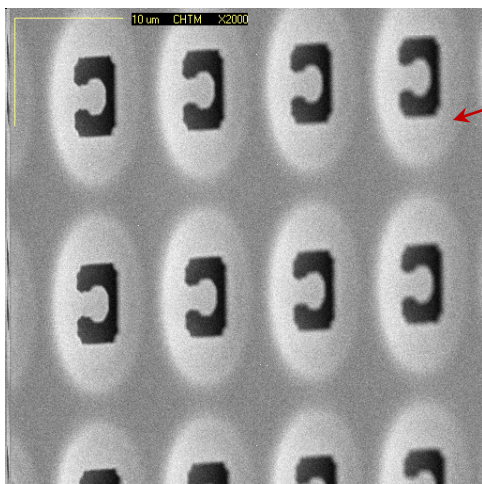




SAMPL – Examples

Contact Lithography

THz
Freqs.

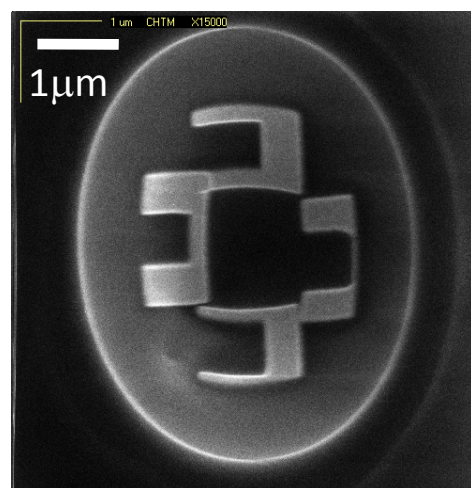
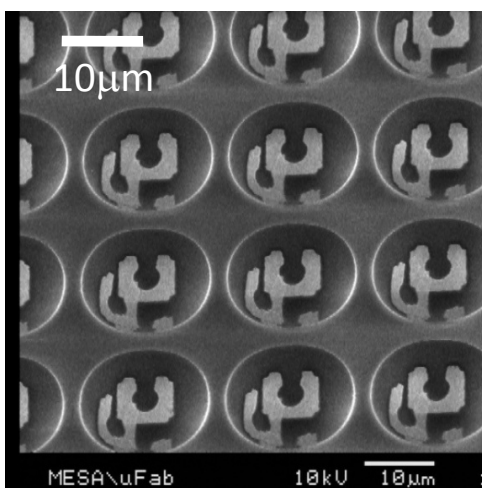
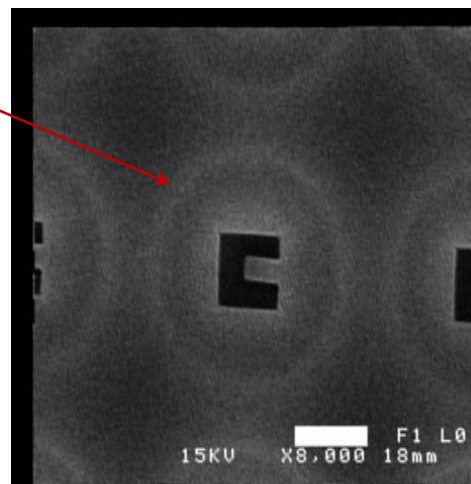


Halos
show
extent
of cavity

E-Beam Lithography

IR
Freqs.

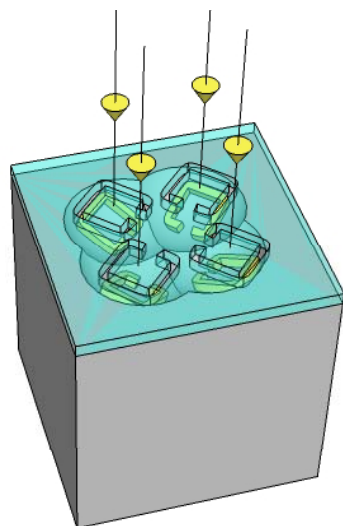
Suspended
Patterned
Membrane



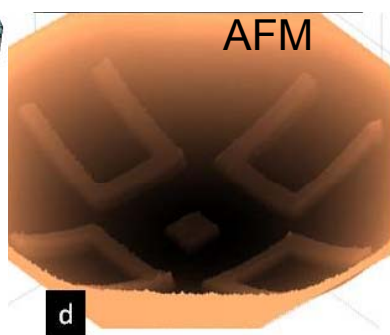
Au-SRRs
After
Liftoff



Fabrication of Out-of-Plane MM Resonators

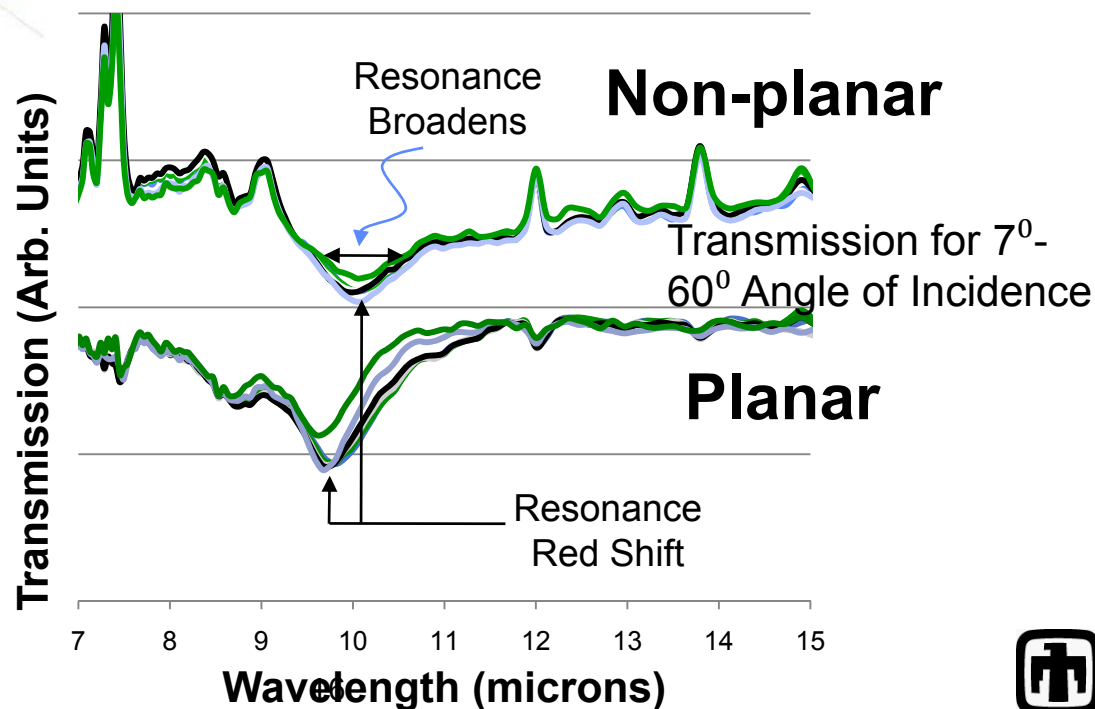
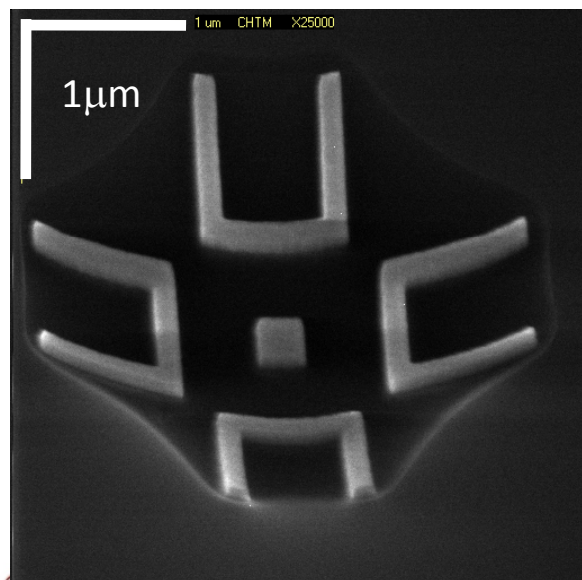
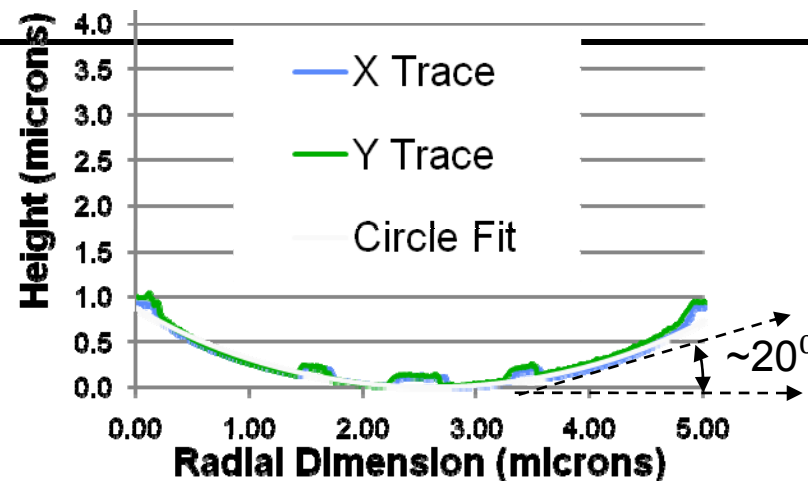


Single Evaporation Self-Aligned
Membrane Projection
Lithography



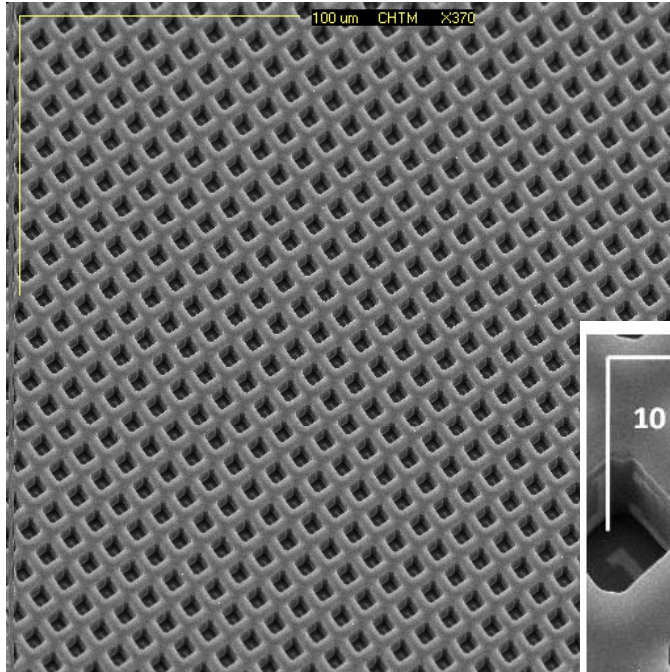
AFM

d

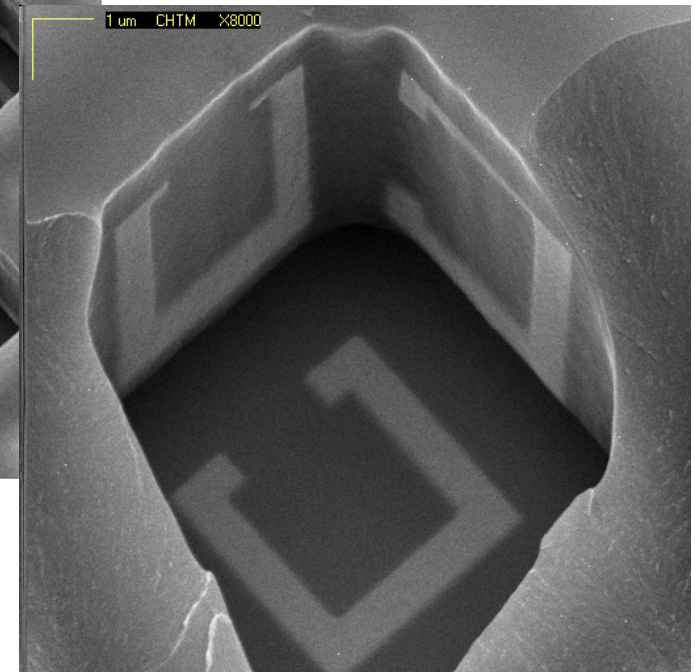
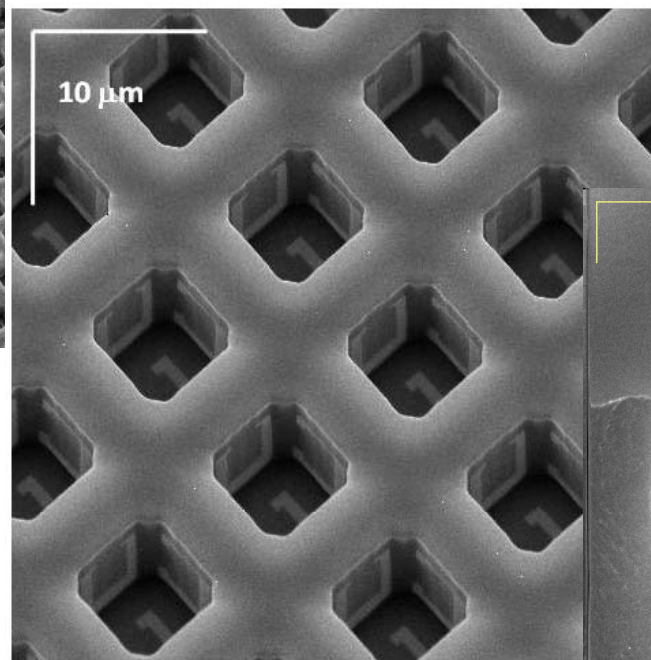




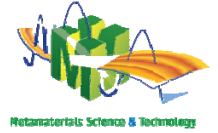
3D Metamaterials via MPL



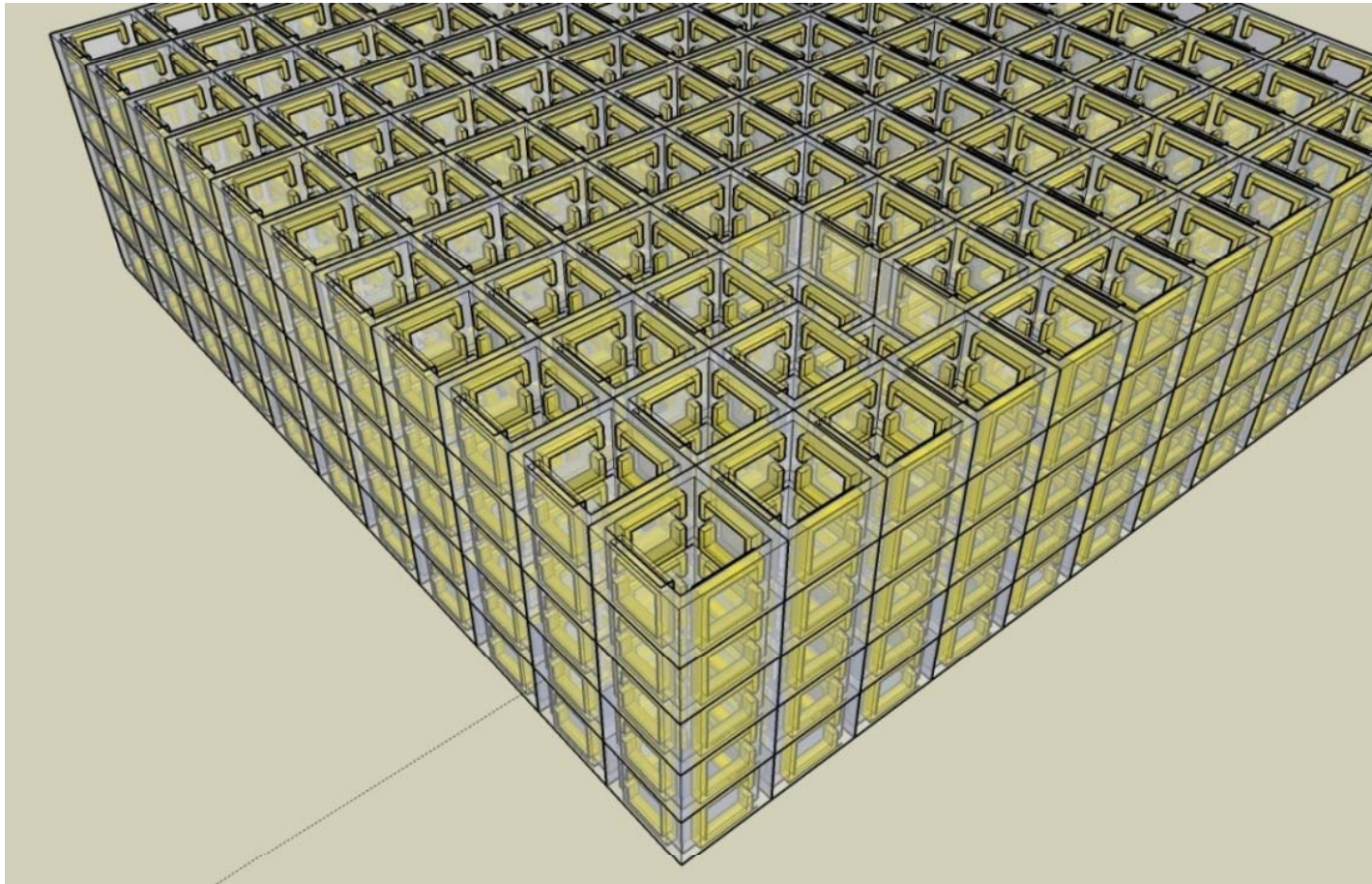
- Ti/Au SRRs on 4 sides and bottom
- Operating wavelength $\sim 40 \mu\text{m}$
- Characterization in progress



Pushing to smaller unit cell dimensions
to move into thermal IR



Layer-by-layer Route To 3D Material

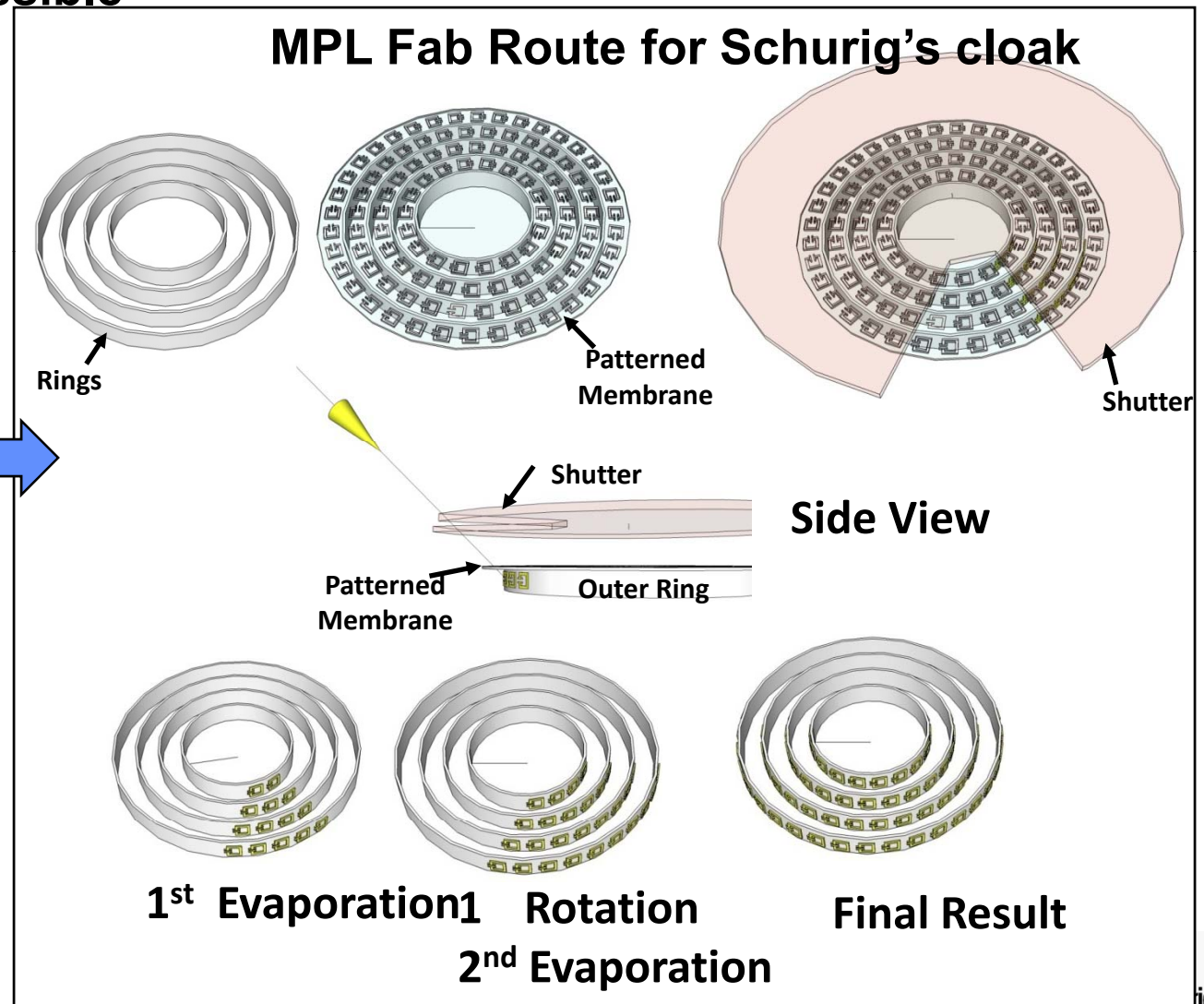
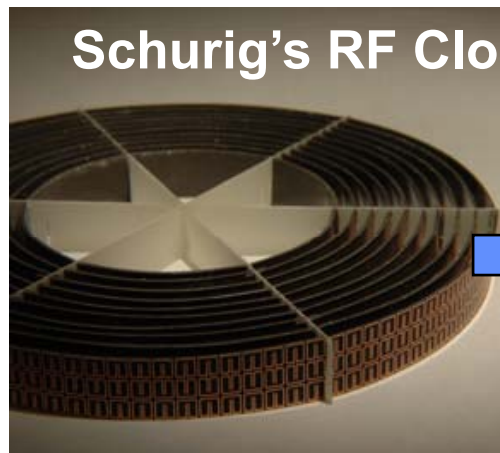


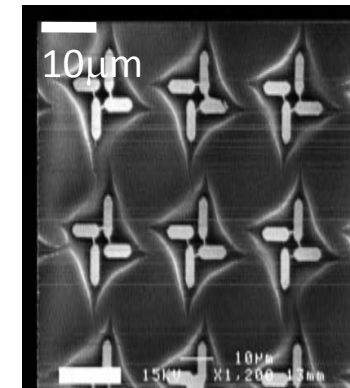
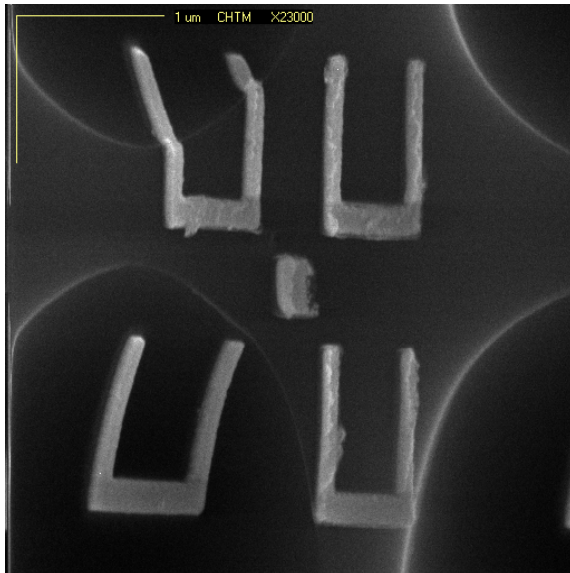


Beyond Homogeneous Metamaterials: Direct Fabrication of IR Metamaterial Devices



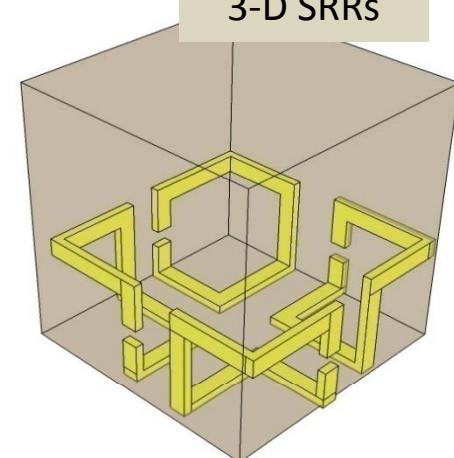
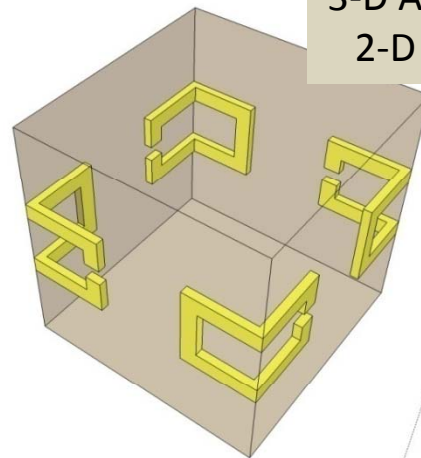
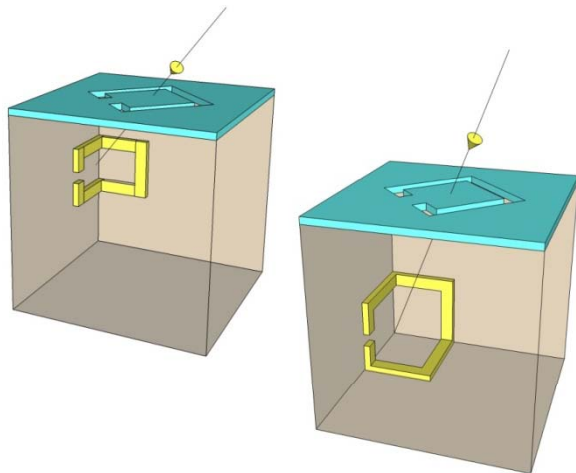
- MPL is not restricted to rectangular geometries
- Multilayer devices possible

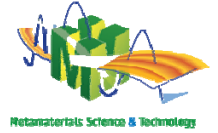




3-D Array of
2-D SRRs

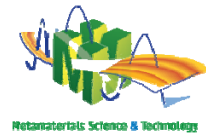
3-D Array of
3-D SRRs



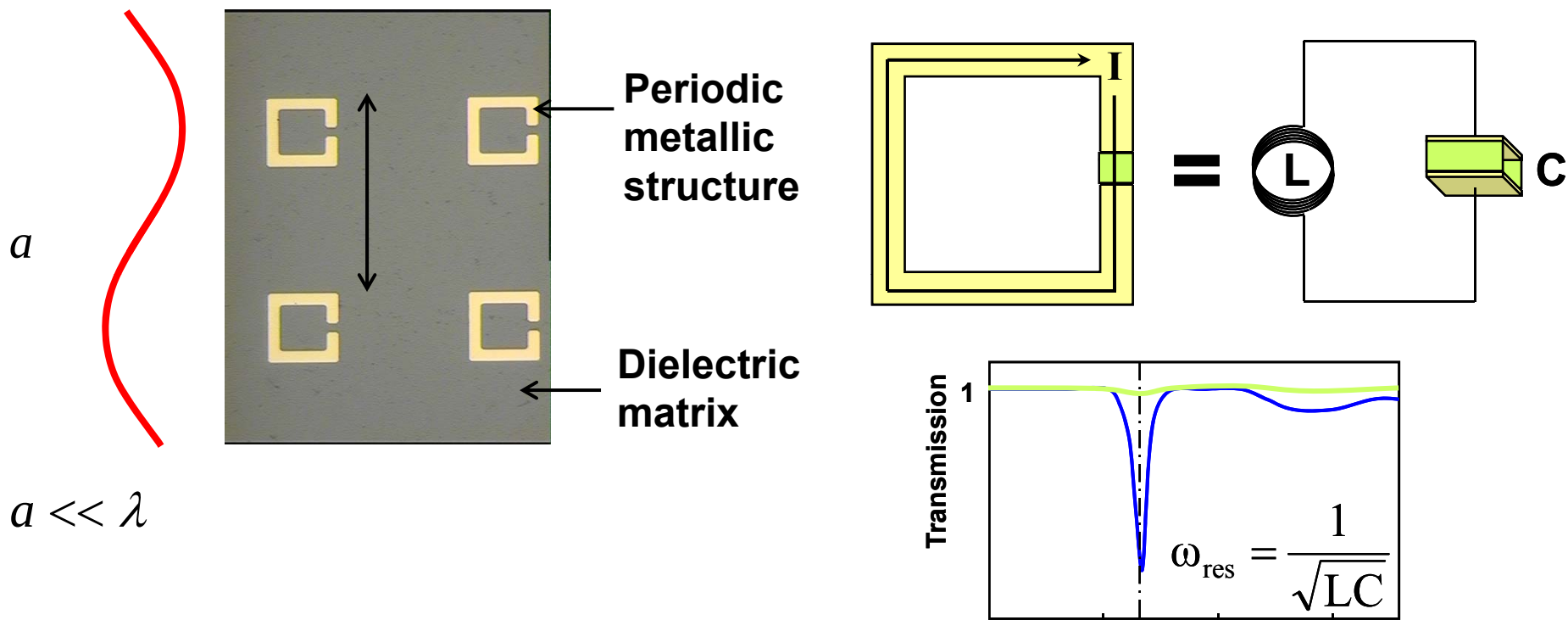


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Active metamaterials can be used as optical modulators



Modulation can be done optical or electrically:

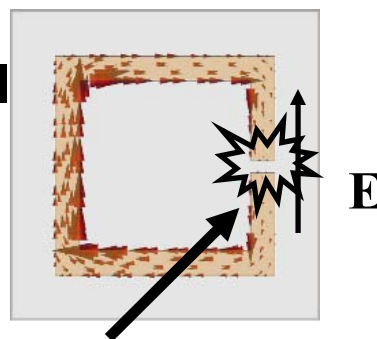


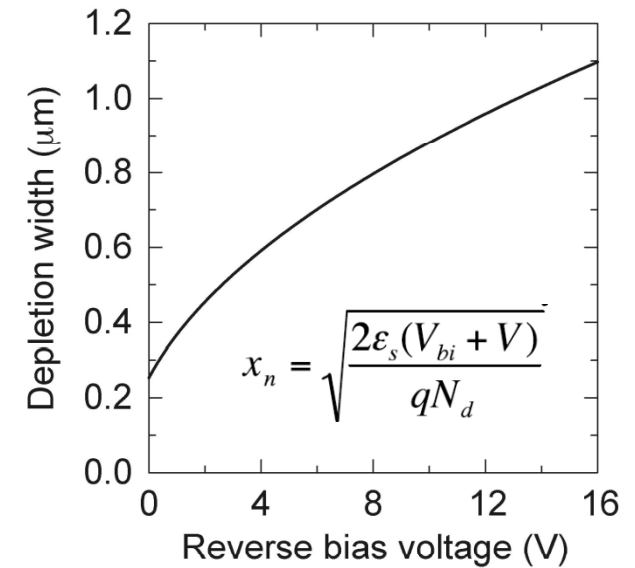
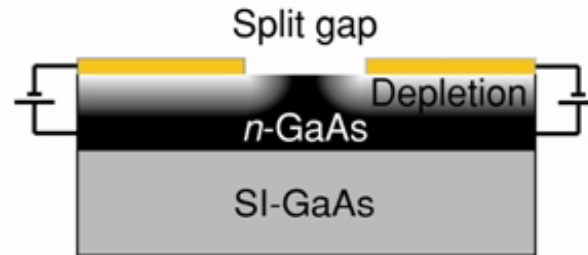
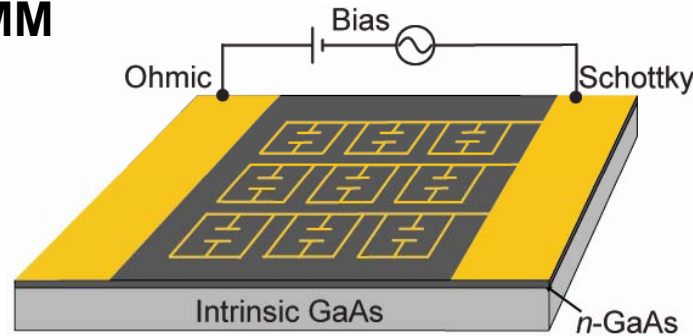
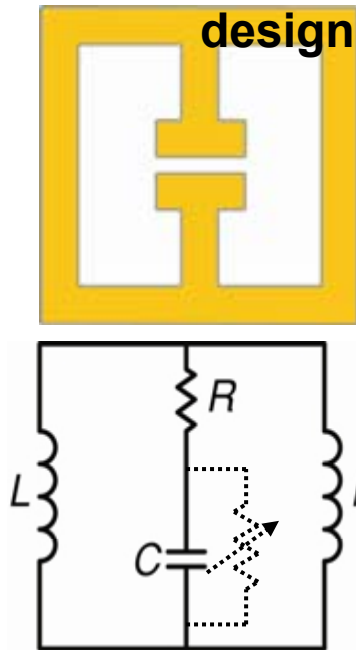
photo-excitation

W.J. Padilla et al, Phys. Rev. Lett. 96, 107401 (2006)
And many papers at this conference

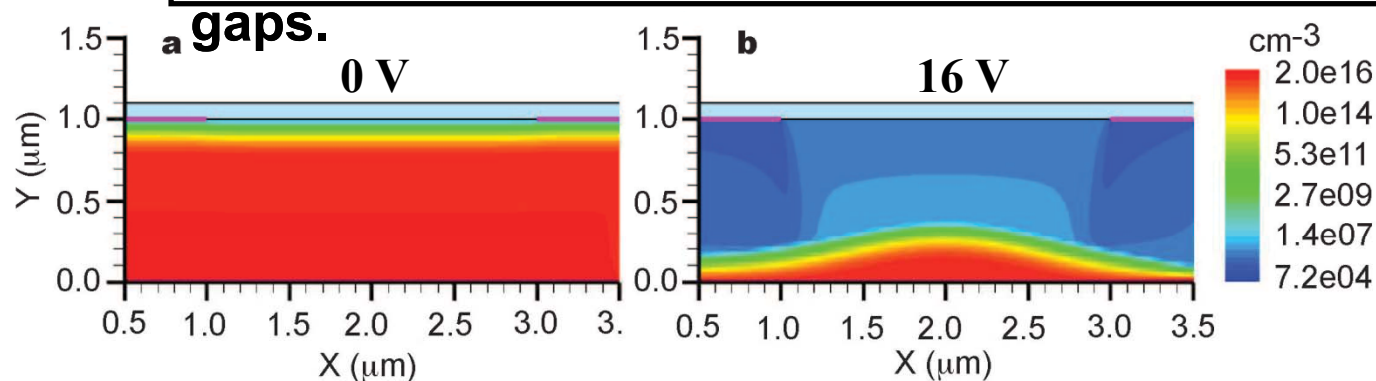


THz Electrical Switch/Modulator

Use “electrical” MM
design



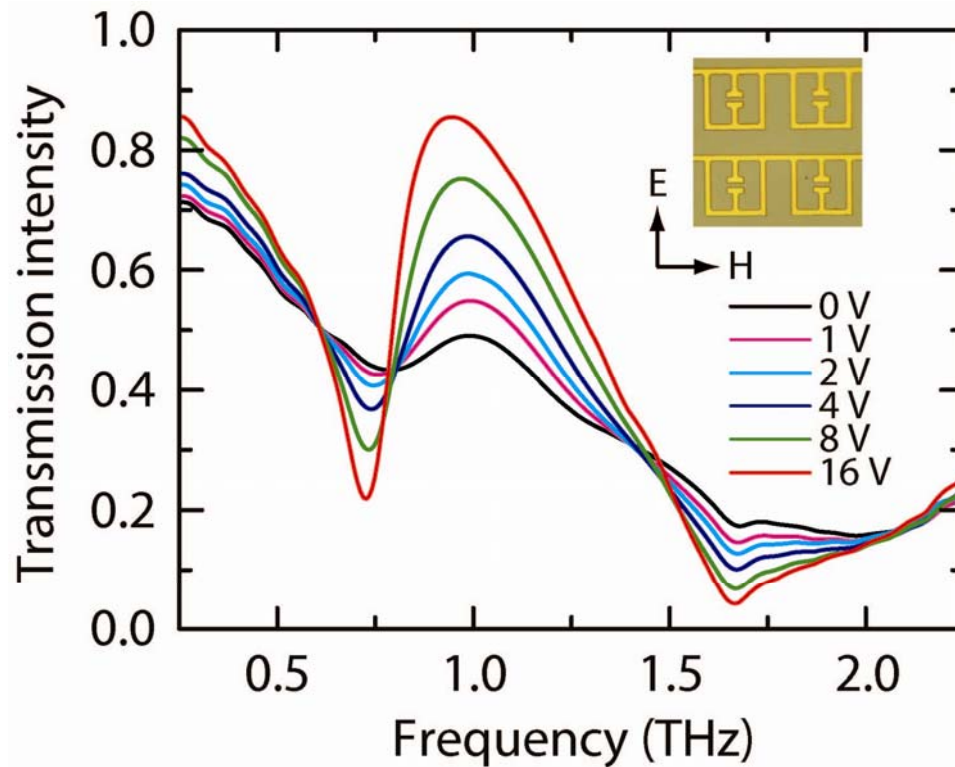
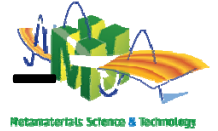
Principle: shunt on or off the capacitive split





Electrically Switchable THz Metamaterials

Early results

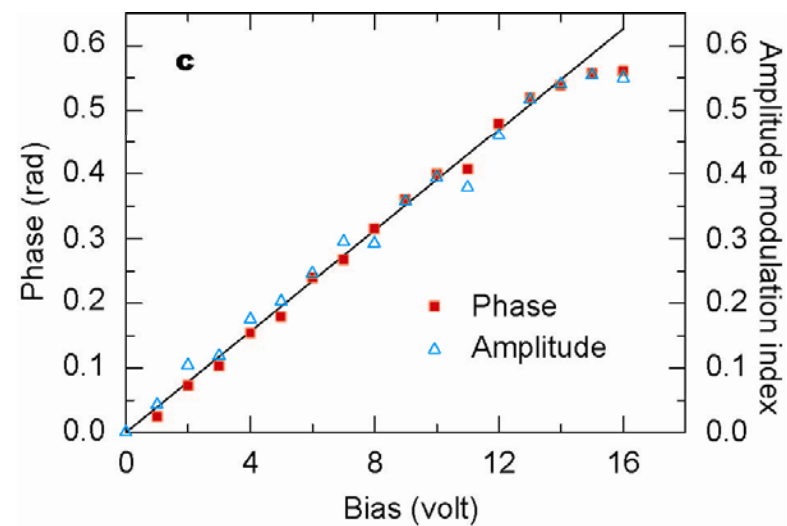
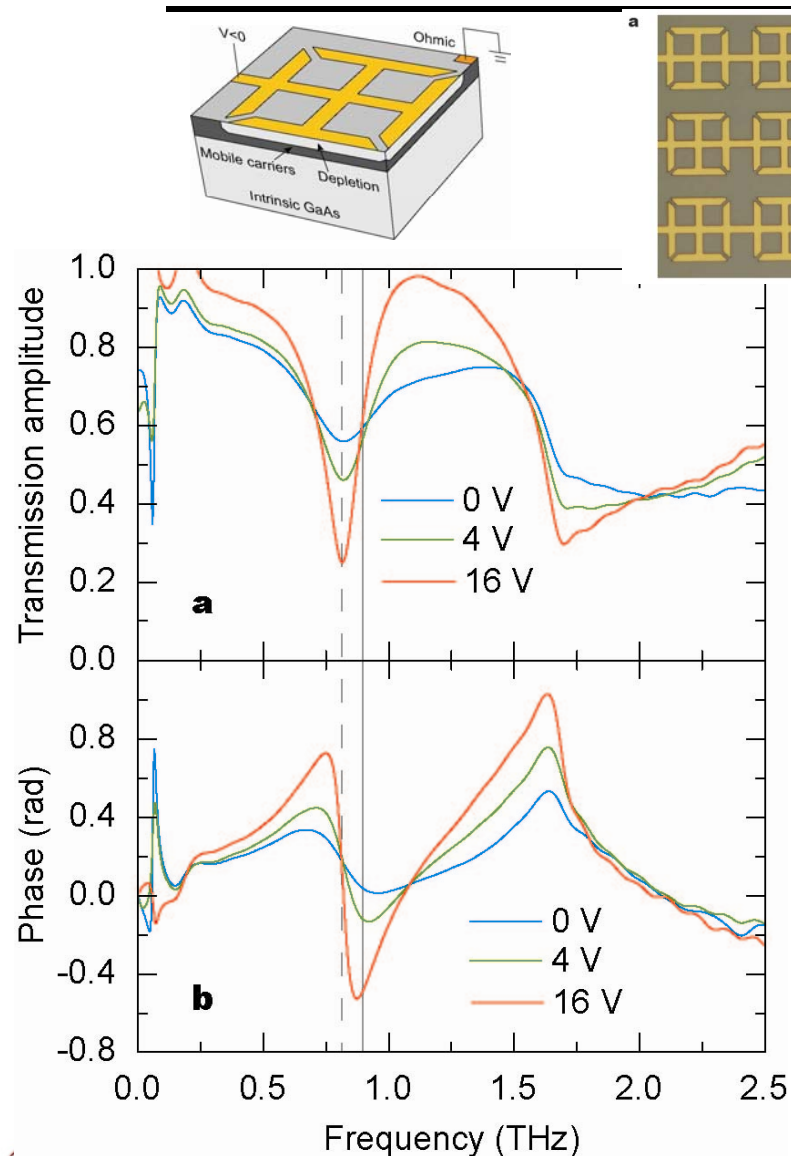


- Modulation depth: $M = (I_{0V} - I_{16V}) / I_{0V} = 50\%$
- Room temperature operation
- Modulation speed limited by total capacitance (10's MHz, can be higher)

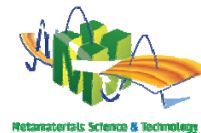
In order to shunt gap effectively, plasma frequency of doped layer needs to match the MM resonance frequency



Amplitude Switching and Phase Shifting



- Modulation depth better than previous design
- Transmission phase shifts by 0.56 rad for a single layer metamaterial.
- Amplitude switching and phase shifting are linked
- Linear dependence on voltage bias

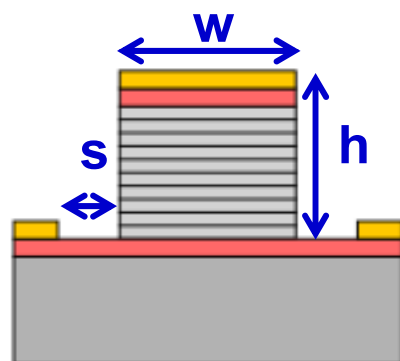
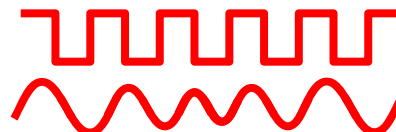
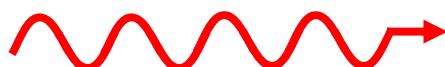
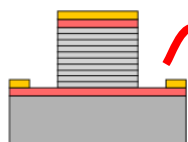


External modulators for THz Quantum Cascade Lasers (~2-3THz)

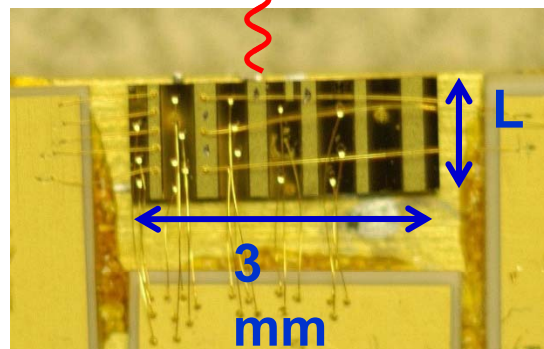
CW QCL

modulator

detector

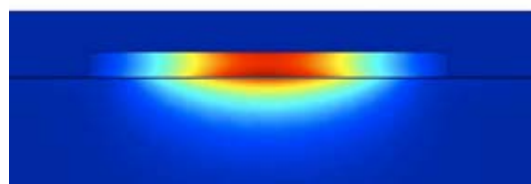


- Contact Metal
- N+ GaAs/LT-GaAs
- GaAs/AlGaAs SL
- Undoped GaAs

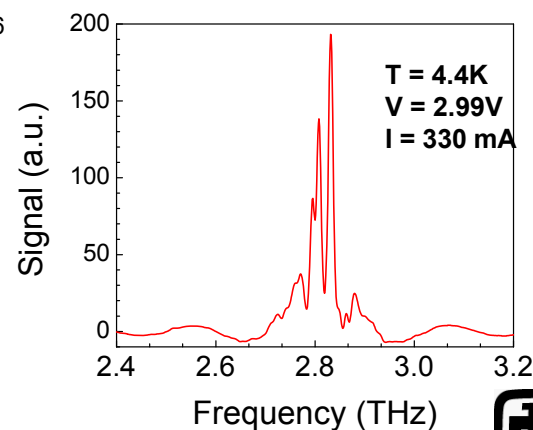
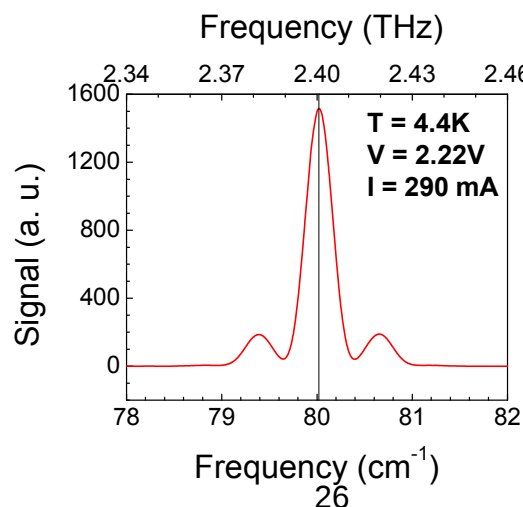


w

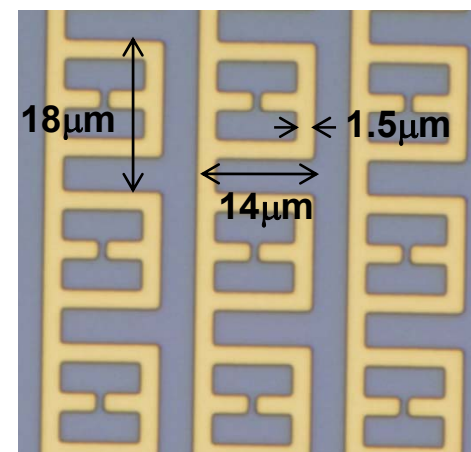
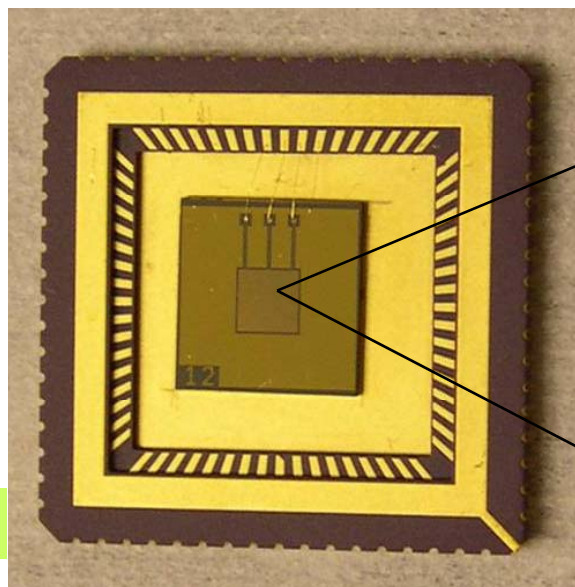
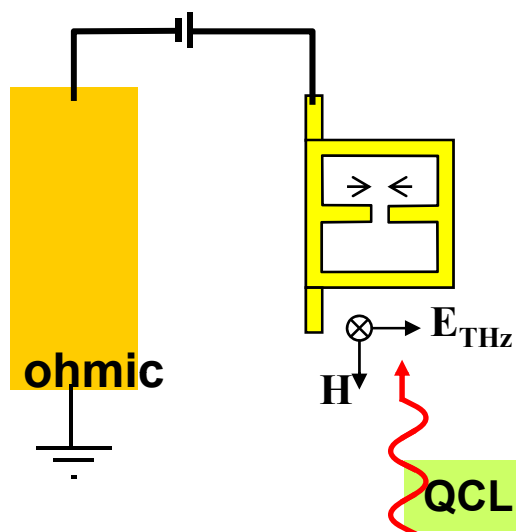
6 QCLs
integrated on a
chip



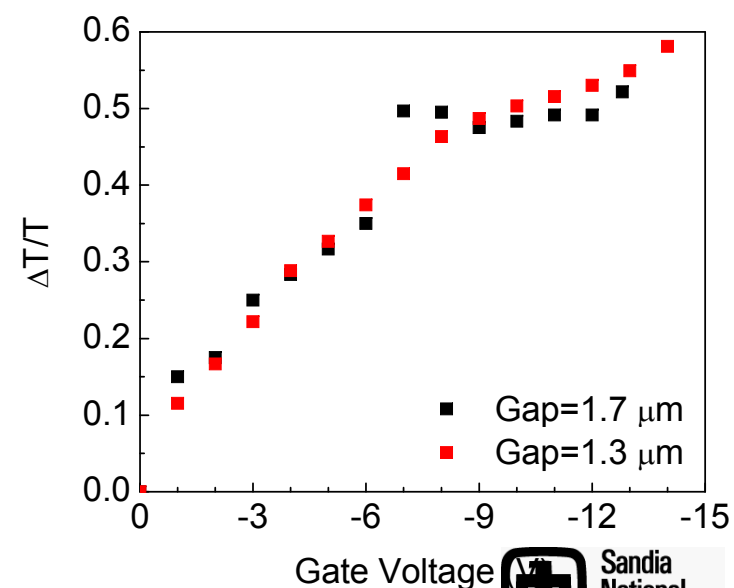
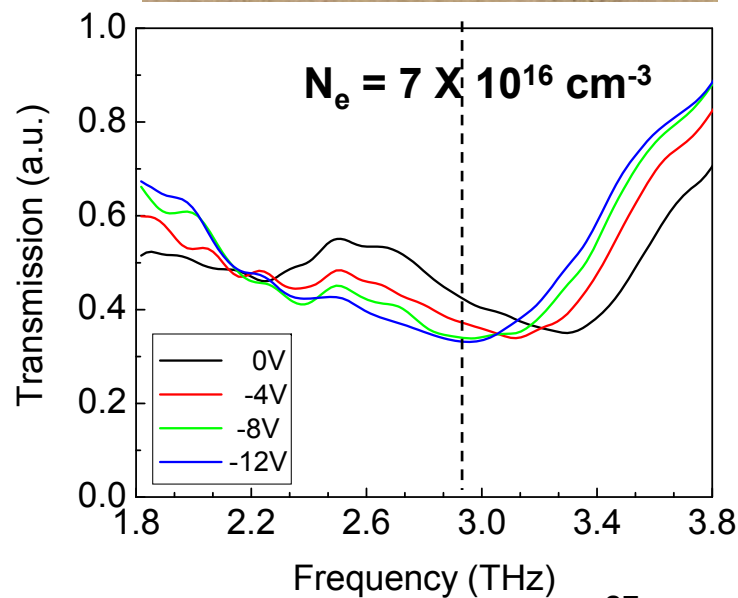
Demichel, *Opt. Exp.*, 14, 5335, 2006

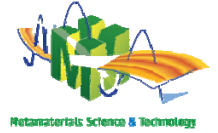


Metamaterials for electrical modulation of ~3THz Quantum Cascade Lasers

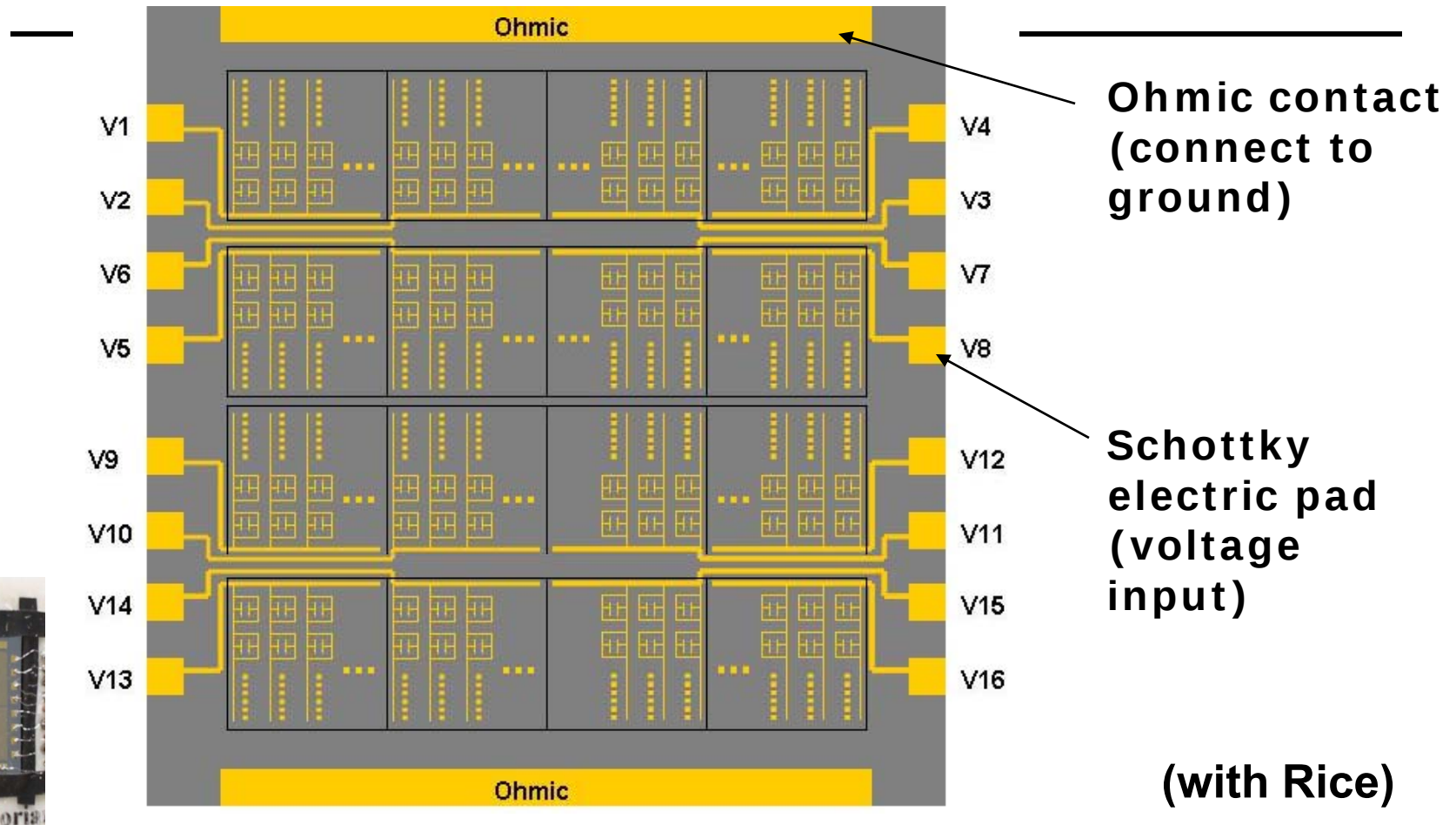


$N_e = 7 \times 10^{16} \text{ cm}^{-3}$
corresponds to
 $\omega_p \sim 2.5 \text{ THz}$





Multi-pixel metamaterial THz-SLM

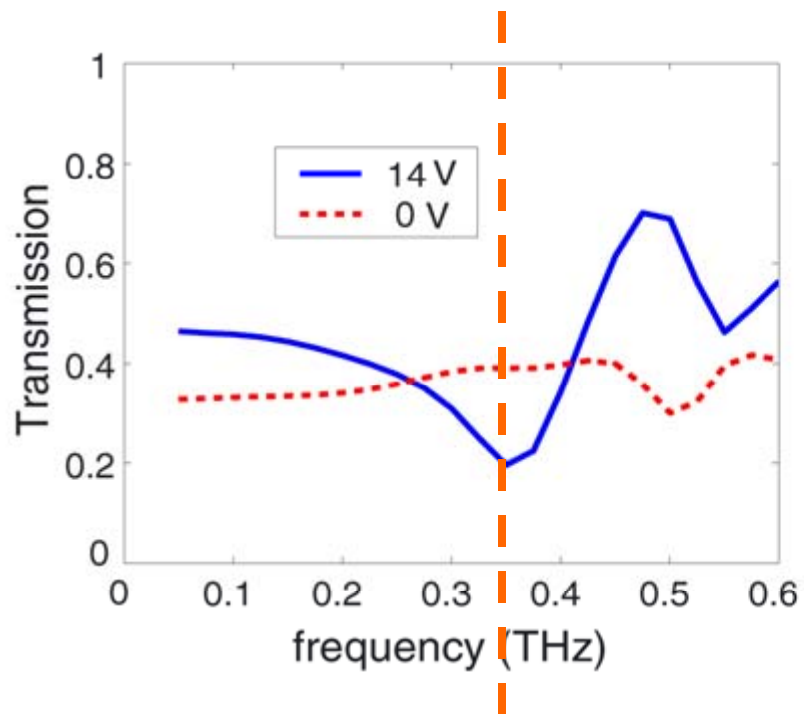


- 4×4 pixel array of split-ring resonator (SRR) elements
- Each pixel independently controlled by an external voltage

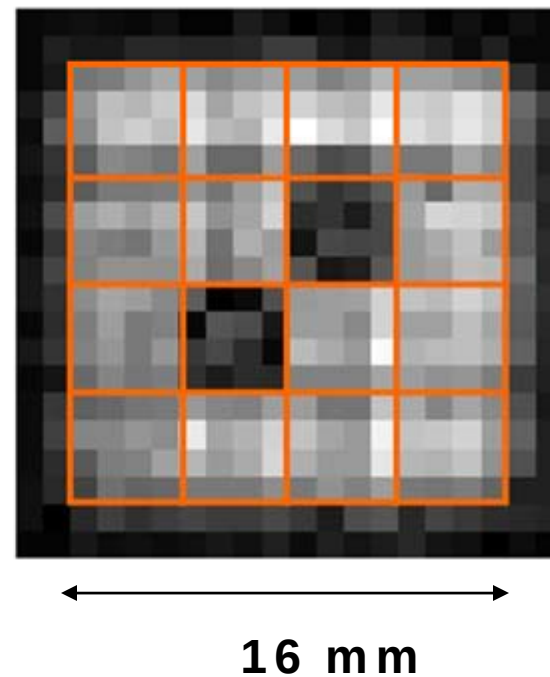


Uniform Spatial Modulation

Typical on / off transmission spectra of a THz-SLM pixel

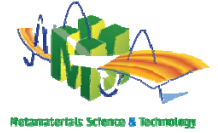


Transmission image of THz-SLM at 0.36 THz



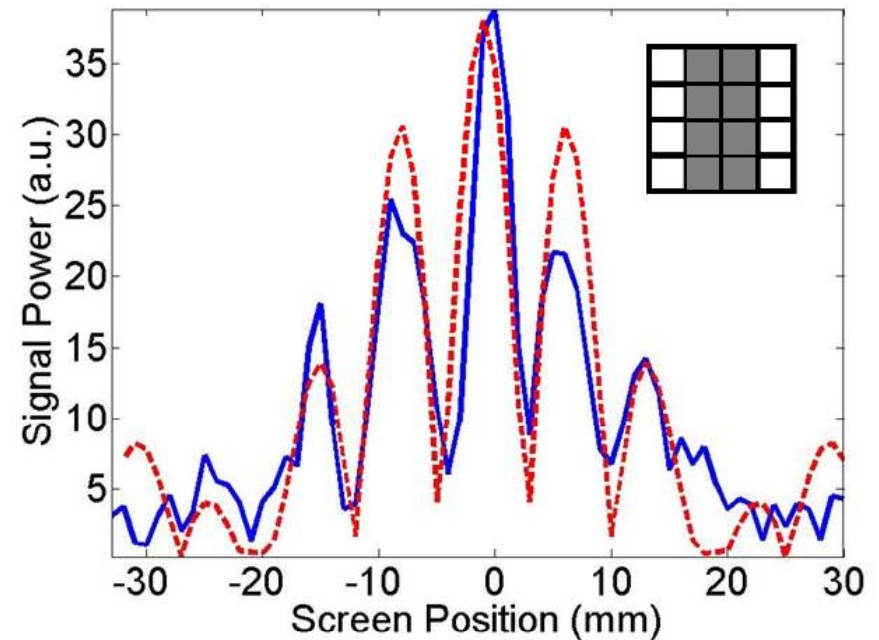
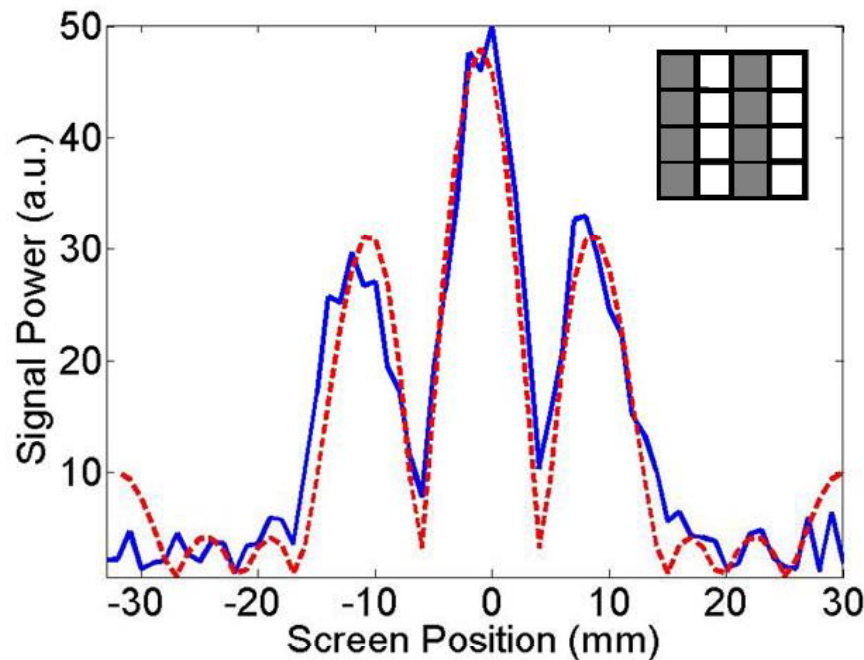
Resonant frequency at 0.36 THz

- ~40% modulation
- Uniform across 16 pixels



THz-SLM Switching Performance

- Double-slit experiments with THz-SLM
- Demonstration of fast dynamical modulation of THz beams



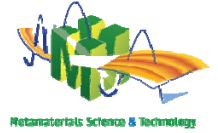
pixel modulated with
3kHz square wave

IB, ibrener@sandia.gov

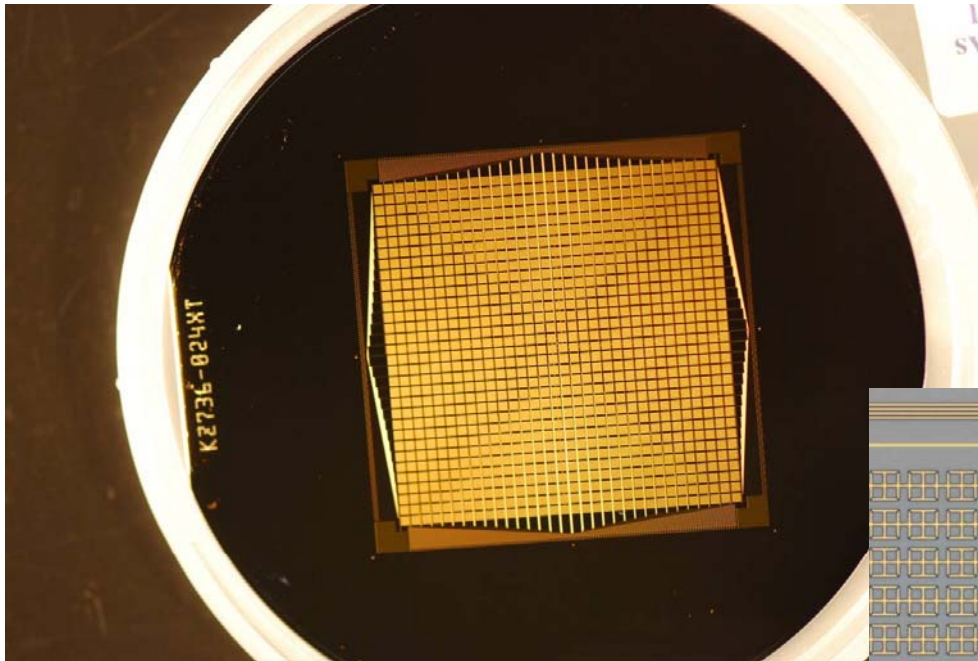


pixel without voltage bias

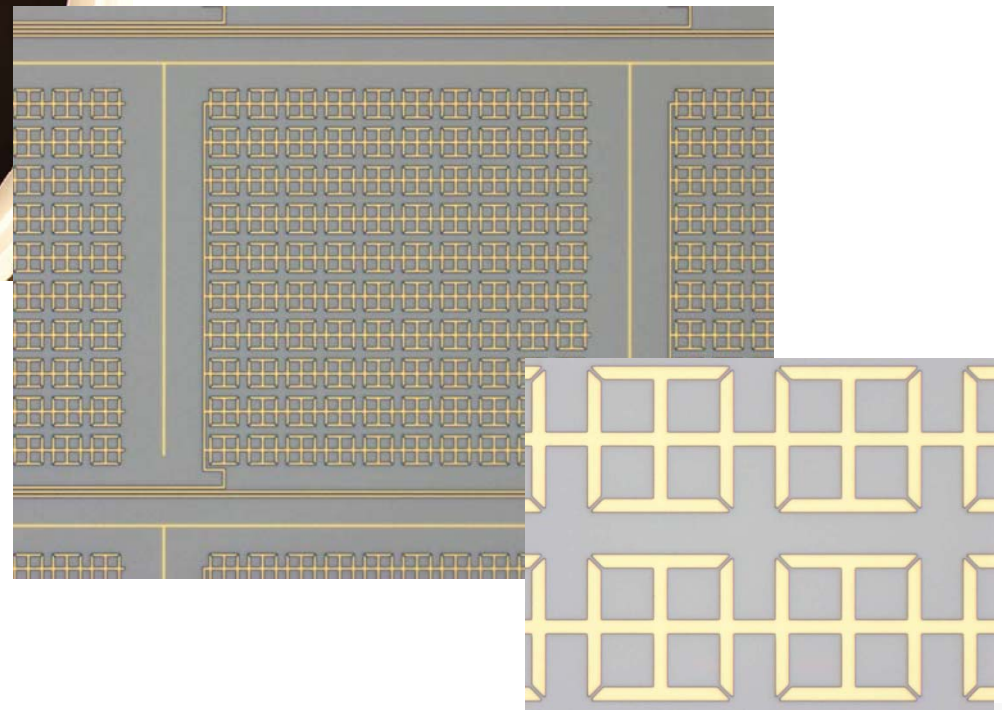
30



Towards bigger SLM's

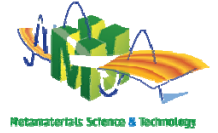


32x32 pixel array





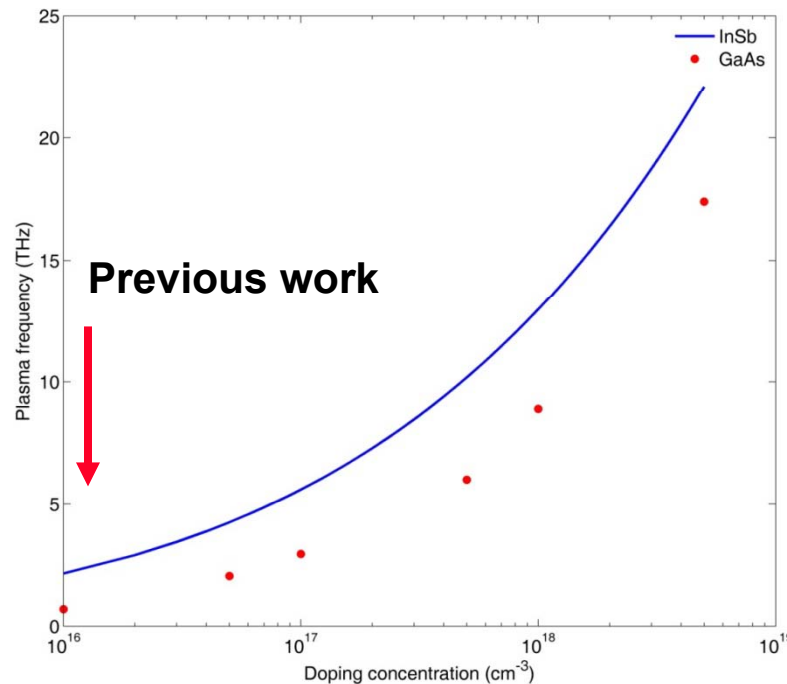
Scaling to higher frequencies (thermal IR, 30THz)



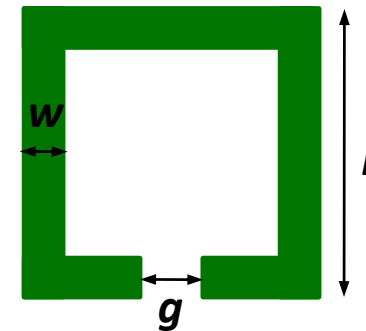
- **Issue 1:** need to raise plasma frequency increasing doping density or changing semiconductors
- **Issue 2:** requires nanolithography
- **Issue 3:** for high doping, depletion width decreases.

$$\omega_P \propto \sqrt{\frac{N_e}{m^*}}$$

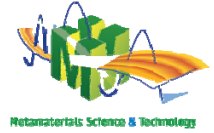
➡ (1) We need to be here



(2)

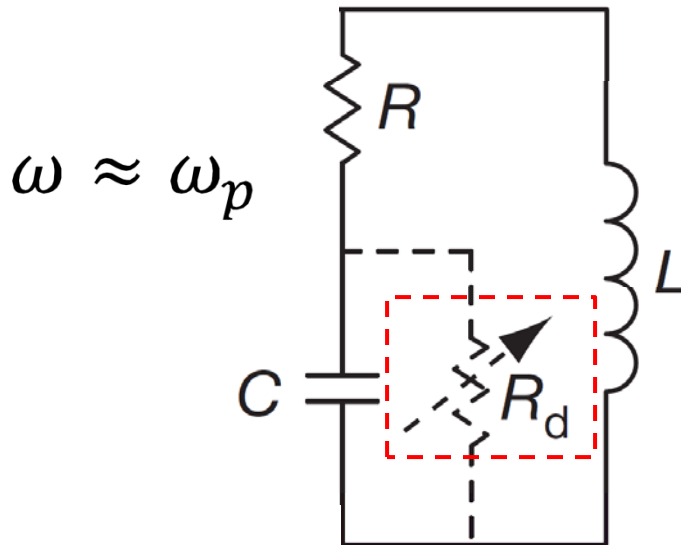


$l = 660 \text{ nm}$
 $w = 130 \text{ nm}$
 $g = 100 \text{ nm}$



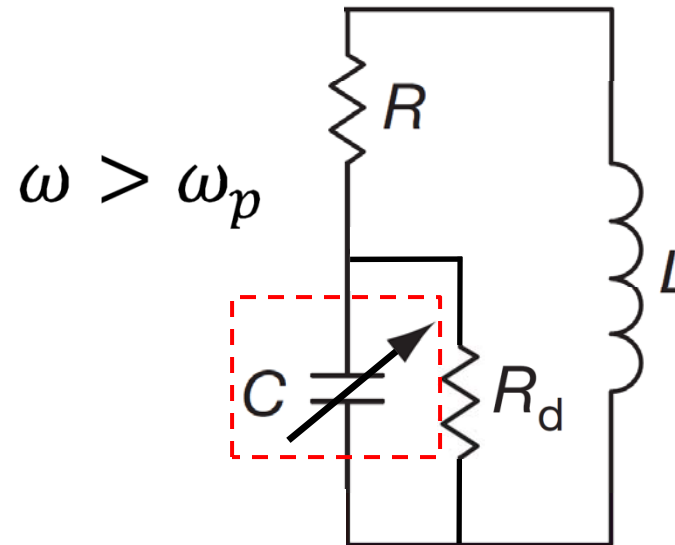
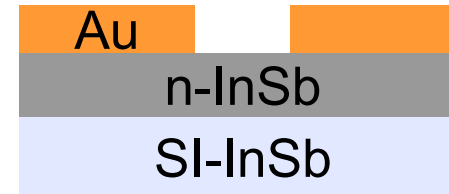
Scaling Tunable Metamaterials to the IR

Terahertz

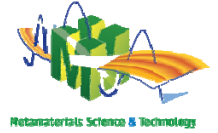


- Micron-sized features.
- Depletion layer resistance dependent on the carrier concentration.
- Amplitude modulation.

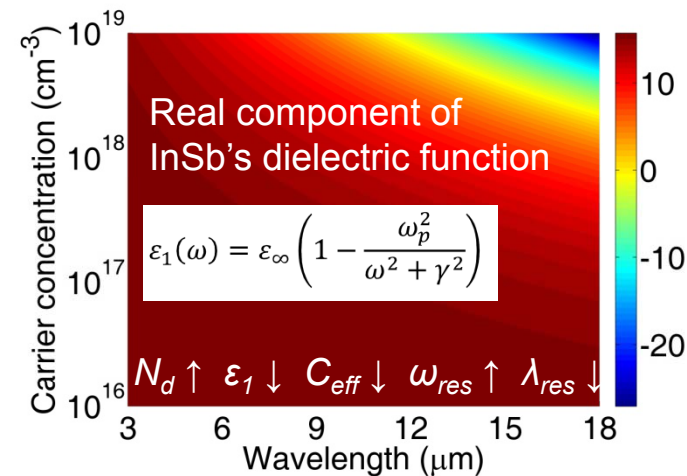
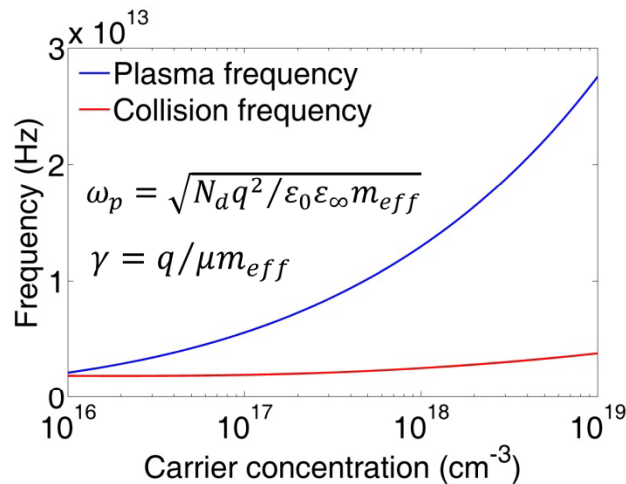
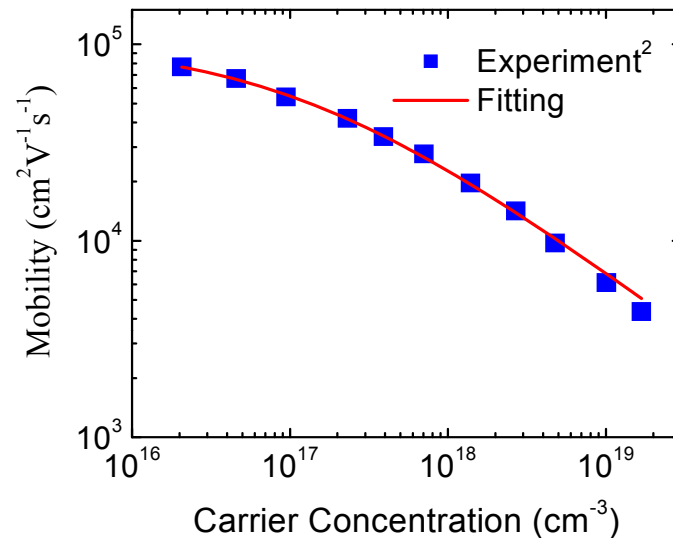
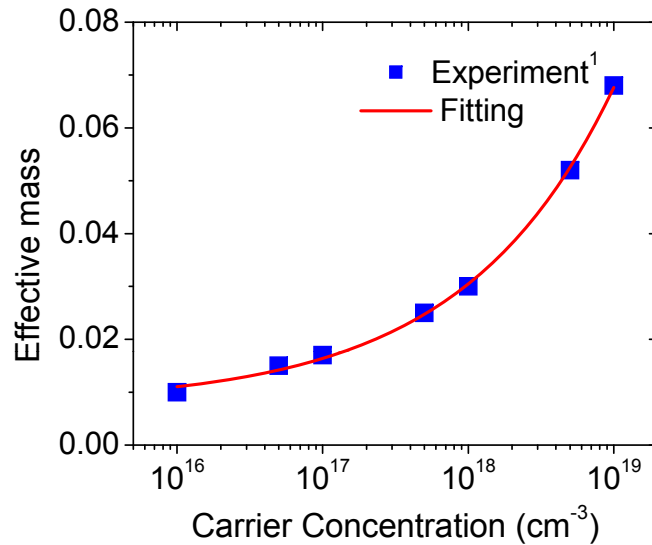
Mid-infrared

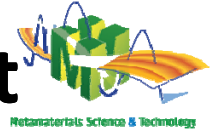


- Nano-sized features.
- Dielectric function of n-InSb dependent on the carrier concentration.
- Resonance shift.

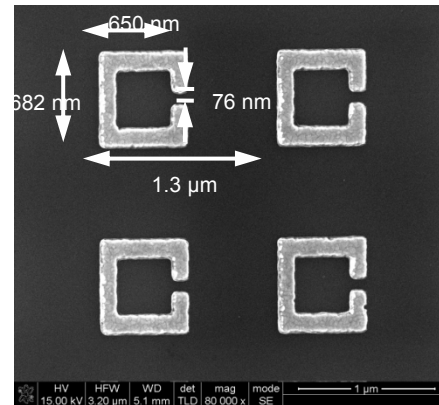


Dielectric Function of Doped InSb



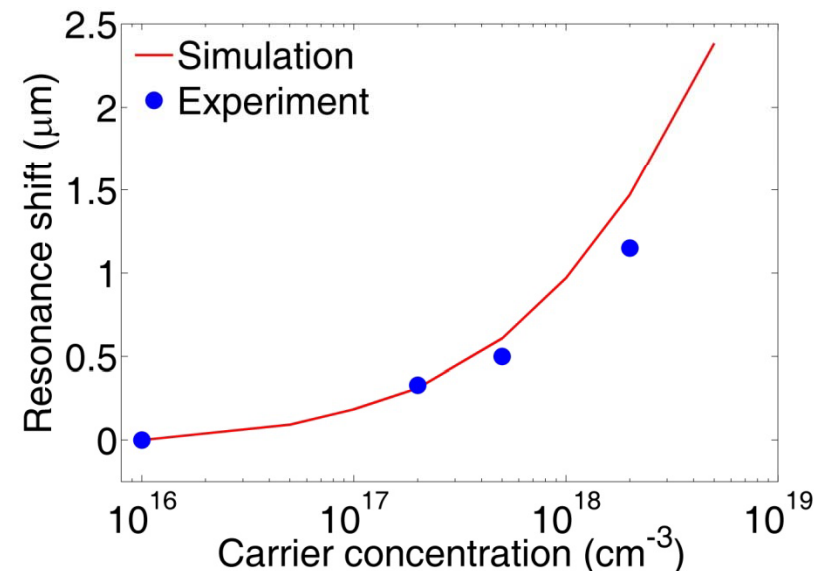
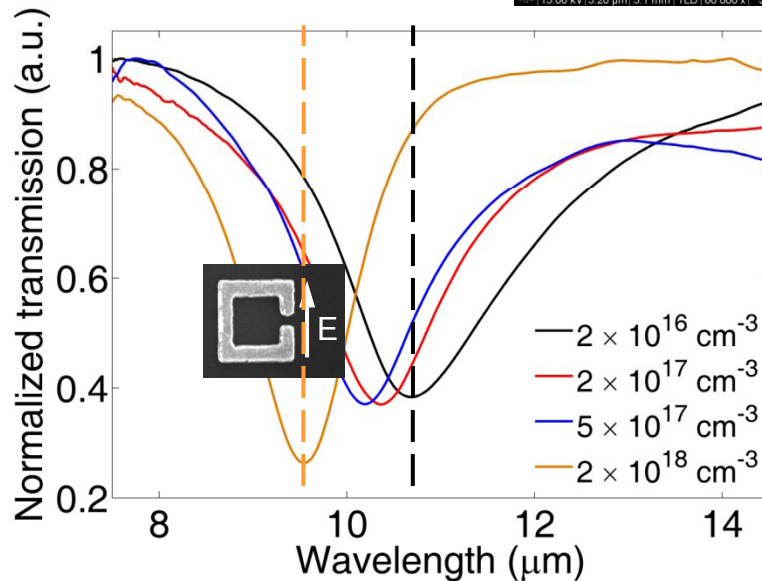


Fabrication and results: Doping Dependent Resonance

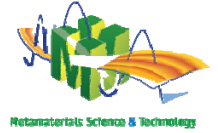


$$\Delta \lambda = 1.15 \mu\text{m}$$

- A thin n-type doped layer grown on semi-insulating InSb wafer.
- Spin coated with PMMA and exposed using EBL.
- Electron beam evaporation of Ti/Au.
- Lift-off in an acetone bath

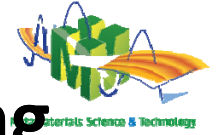


- Resonance shift of $1.15 \mu\text{m}$ is achieved by varying the carrier concentration of InSb epilayer from $1 \times 10^{16} \text{ cm}^{-3}$ to $2 \times 10^{18} \text{ cm}^{-3}$.

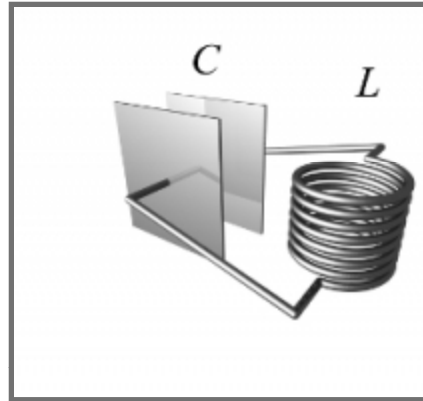
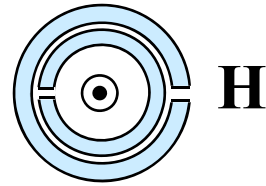


Outline

- **Introduction, metamaterials, scaling, etc**
- **Fabrication of IR 3D Metamaterials**
- **Optical modulators based on single layer metamaterials**
- **Hybridization between metamaterial resonances and material dielectric resonances**

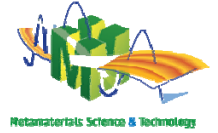


Metamaterial-Dielectric Resonant Coupling

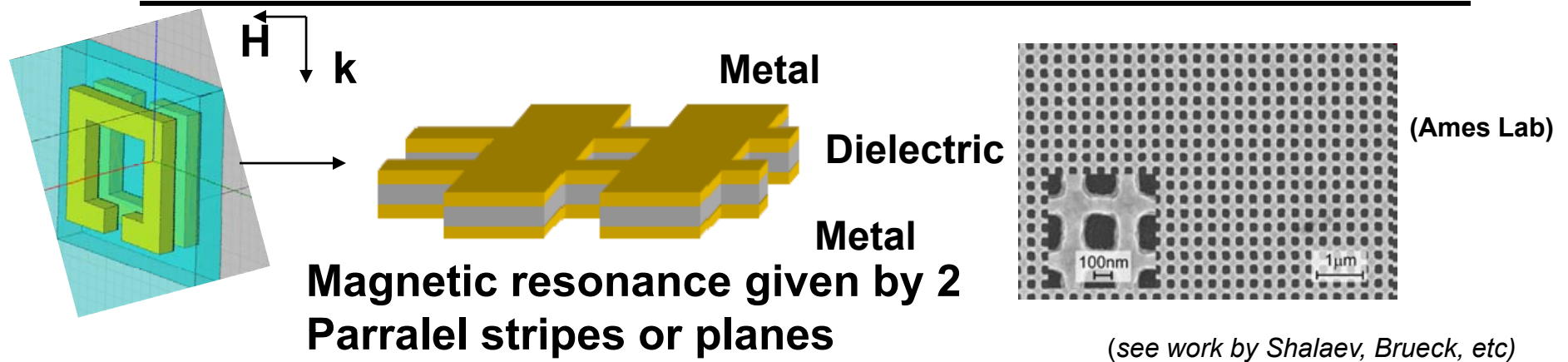


$$\omega_{\text{res}} = \frac{1}{\sqrt{LC}}$$

- We design some inductive loop to create a μ resonance
- This loop sits on top or is embedded in some dielectric
- What happens when there are resonances in these dielectrics? (i.e., phonons)

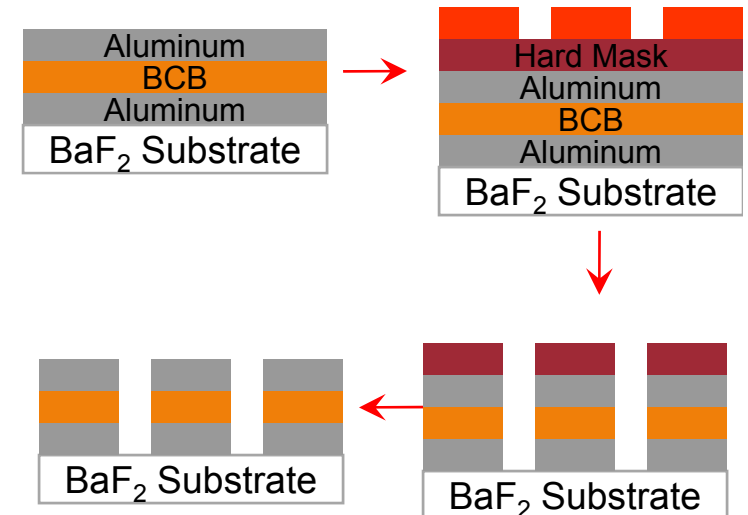
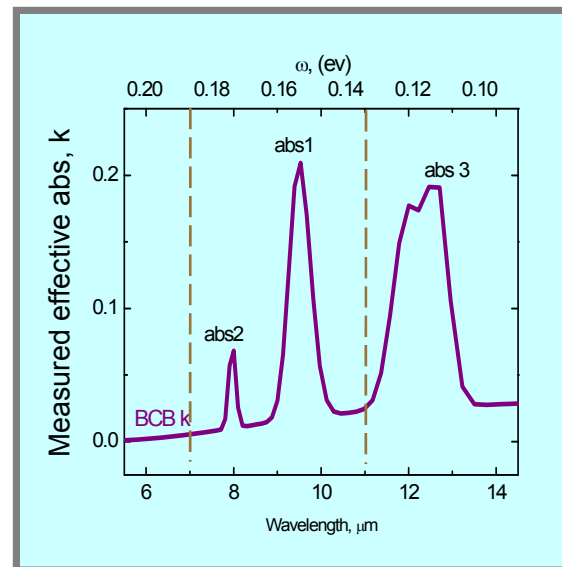


Example 1: IR Fishnets



- **Fabrication**
constrains dictates
use Aluminum and a
polymer (BCB)

(BCB absorption)

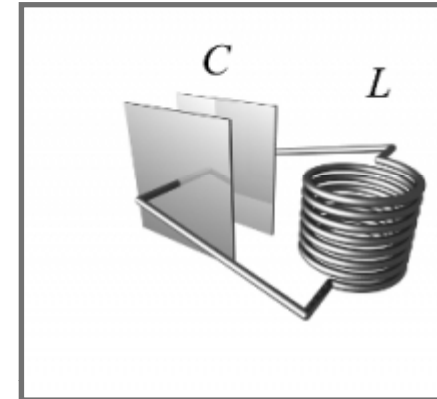




Modeling the dielectric-fishnet coupling



Can be modeled as
↔
Dipole absorber



The effective permeability can be described by a Lorentzian-like response

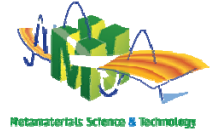
$$\mu_{eff} = 1 - \frac{F \omega^2}{\omega^2 - \omega_0^2 + i \omega \gamma_0}$$

- ω_0 - resonance frequency;
- γ_0 - linewidth;
- F is a fill factor.

$$\omega_0^2 = \frac{1}{LC} = \frac{1}{LC_0 \epsilon_{abs}}$$

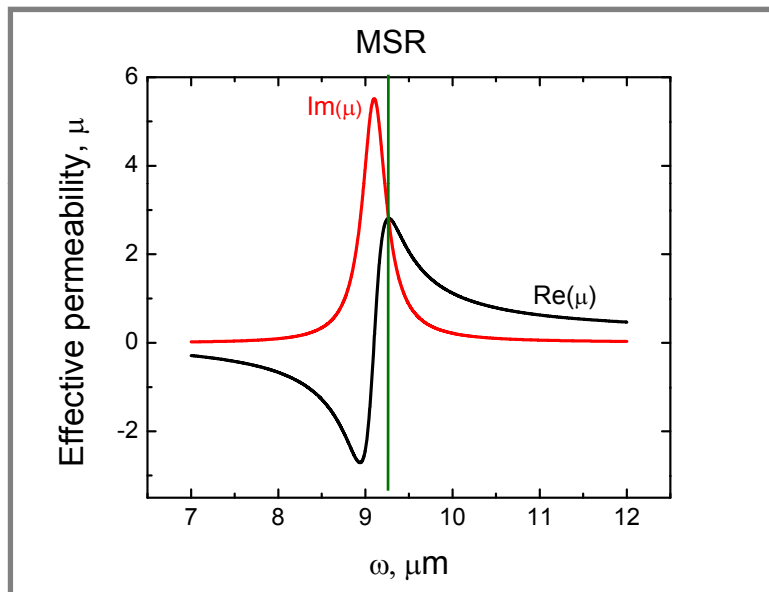
$$\frac{1}{\epsilon_{abs}} = 1 - A \gamma_1 \left\{ \frac{1}{\omega + \omega_1 + i \gamma_1} + \frac{1}{-\omega + \omega_1 - i \gamma_1} \right\}$$

- A - related to the oscillator strength;
- γ_1 - the inverse linewidth;
- ω_1 - the resonance frequency of the electric dipole transition.



Simple Physical Model

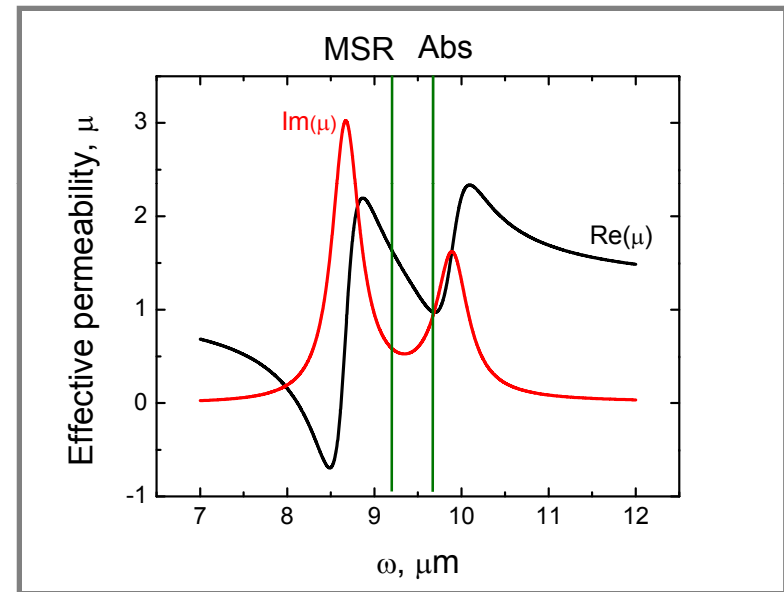
Without absorbing
dielectric media



$$F = 0.2; \gamma_0 = 0.33$$

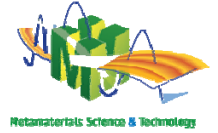
✓ *Metamaterial structural
resonance (MSR) at $9.1 \mu\text{m}$*

With absorbing
dielectric media



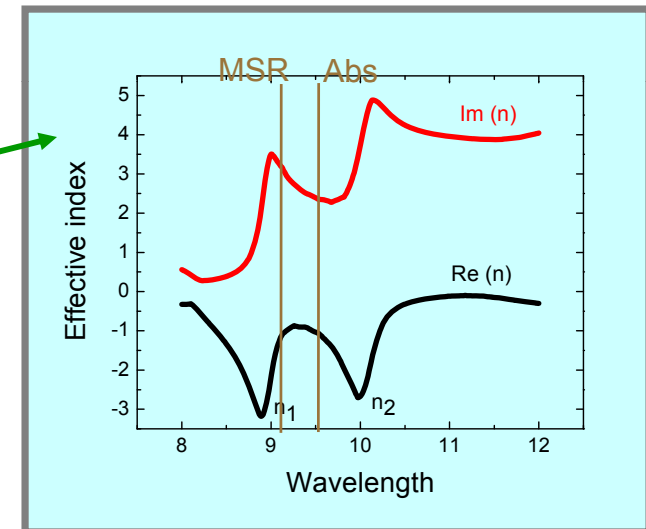
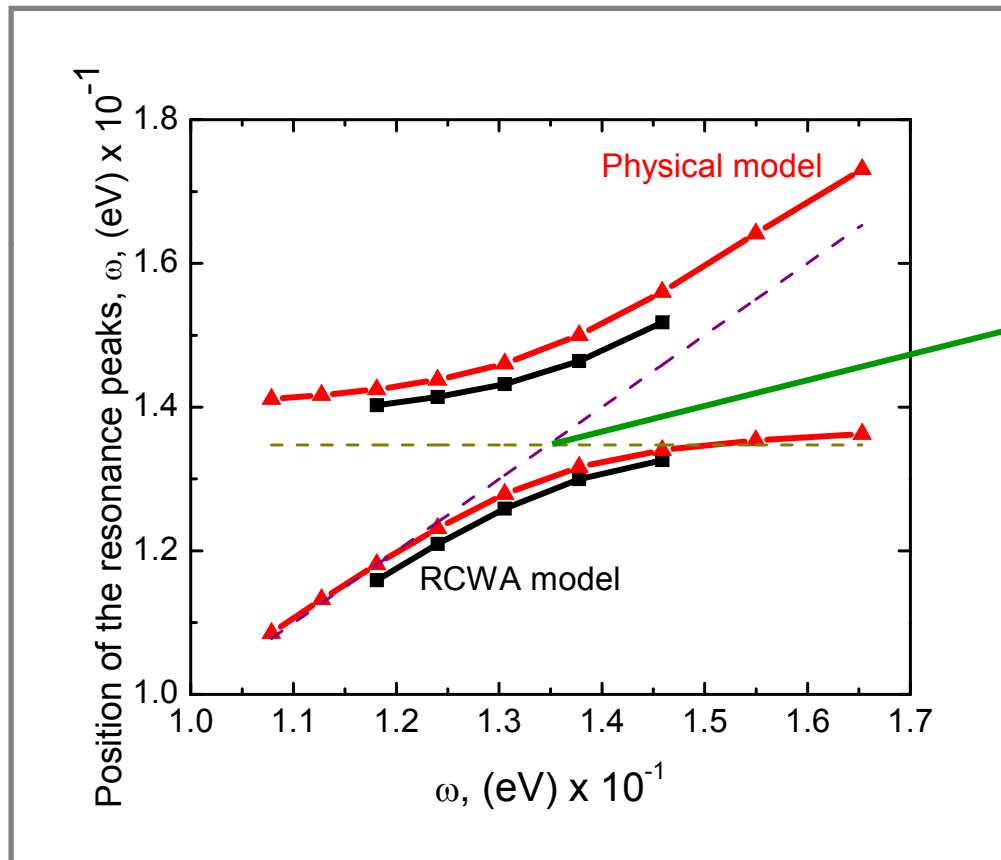
$$F = 0.2; \gamma_0 = 0.33; A = 8 \times 10^{-4}; \gamma_1 = 3.5 \times 10^{-3}$$

✓ *(MSR) at $9.1 \mu\text{m}$;
✓ Absorption peak at $9.5 \mu\text{m}$.*

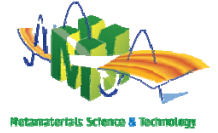


Theory and Modeling

- As the structural metamaterial resonance is tuned through the absorber resonance

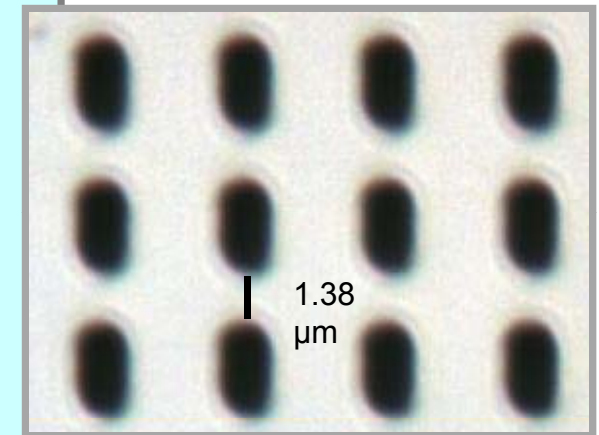
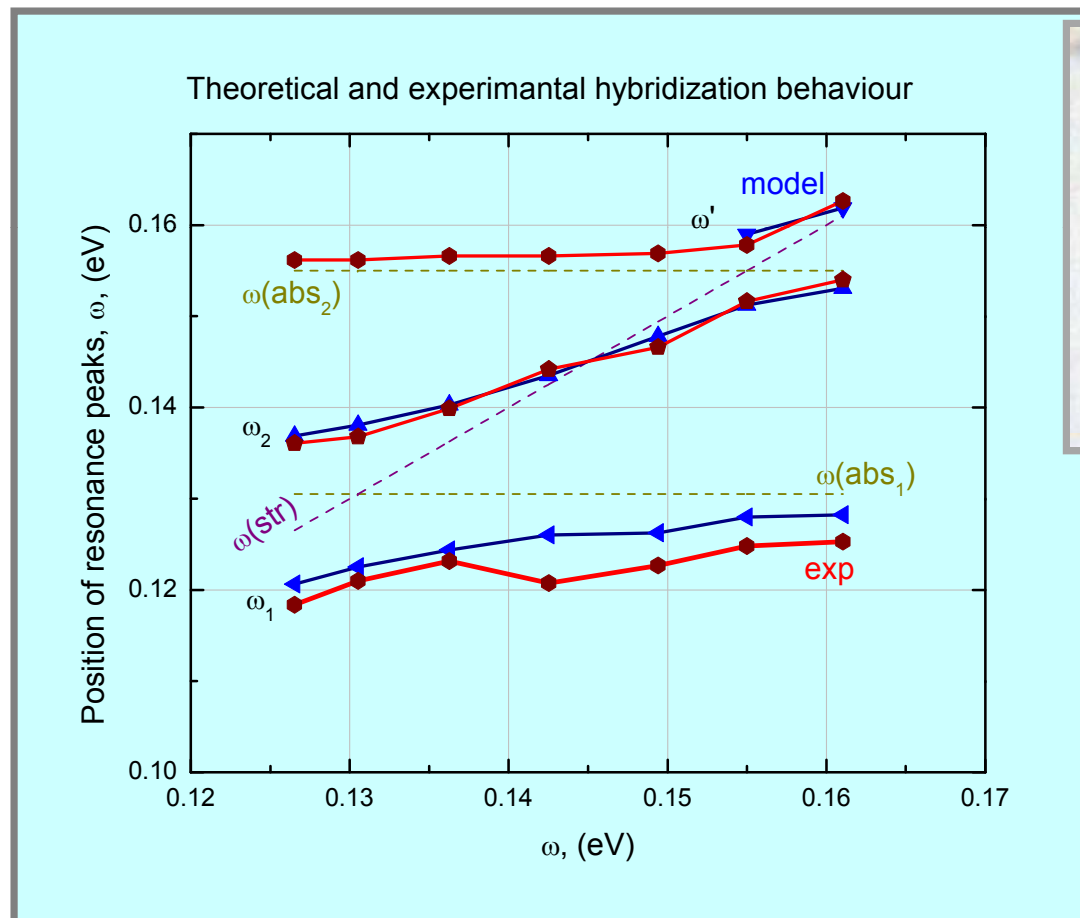


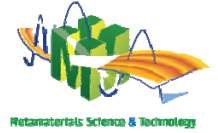
- ✓ We obtain hybridization of resonances with an anti-crossing behavior and sharing of oscillator strength (and 2 negative index peaks)



Experimental Data

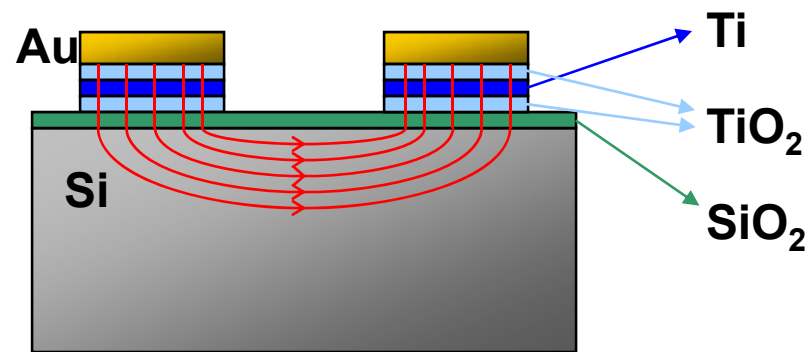
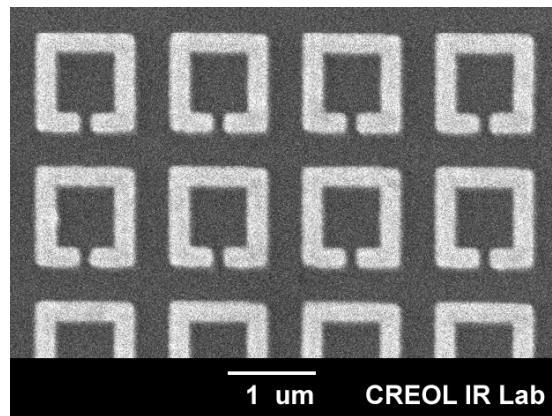
Verified expected hybridization behavior of the resonances obtained by scanning structural NIM resonance through absorption resonance.





Example 2: SRRs and oxide layers

- Oxides with strong IR phonon modes are always present in fabricated samples.
- Strong coupling will occur between phonon modes and surface-plasmon modes on the metamaterial elements.



Metallic split-ring resonator (SRR) elements on thin SiO₂ layer

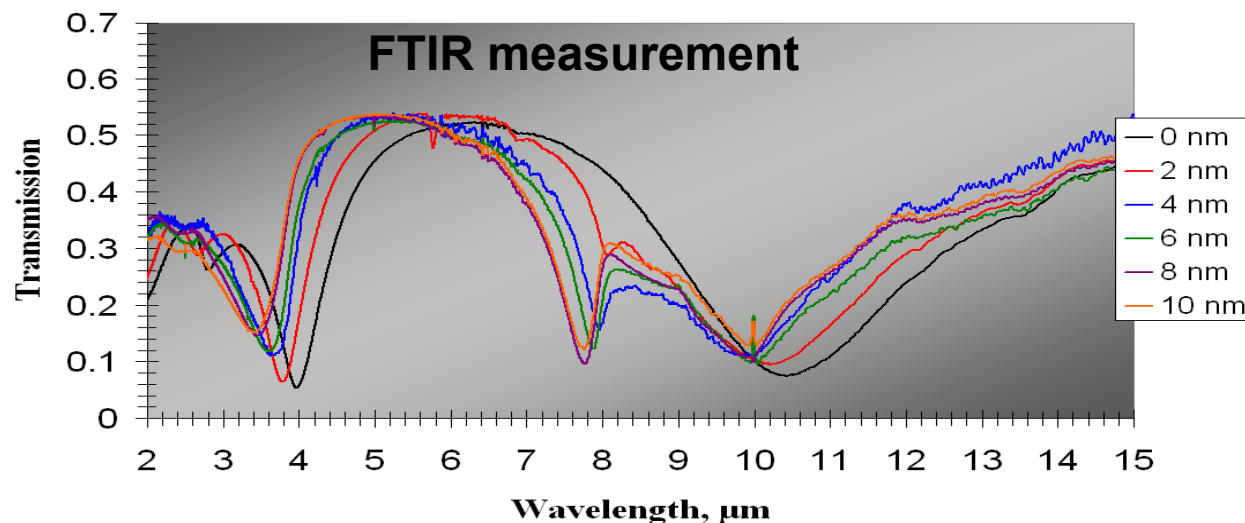
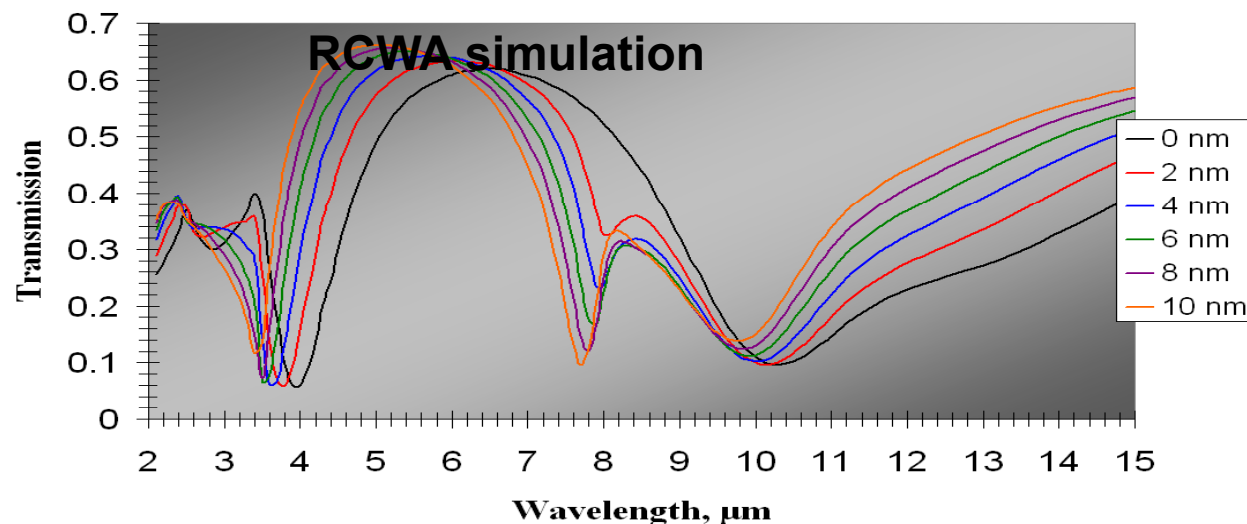


Effect of Thin Film Thickness

Both resonances shift to shorter wavelength with increasing oxide thickness.

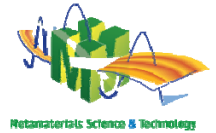
Si-O absorption band couples to SRR resonance and additional absorption feature is observed near 8 μm .

For a 10 nm or less SiO_2 film the Si-O loss band is not normally observed by FTIR.





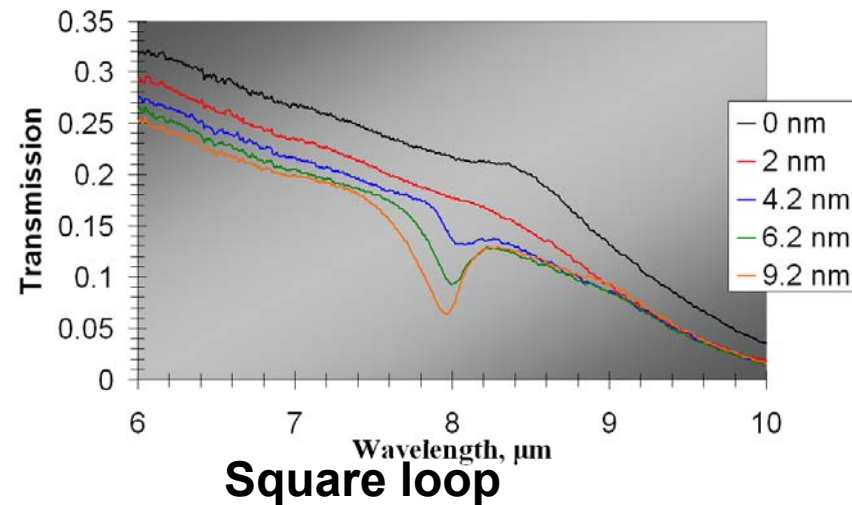
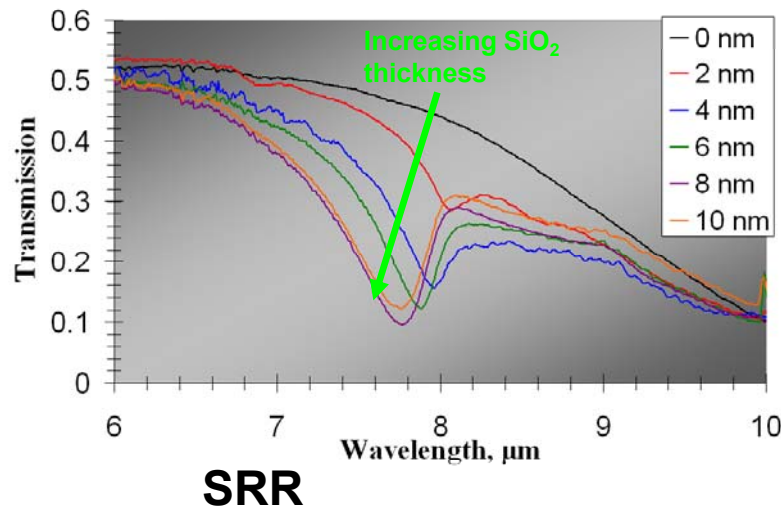
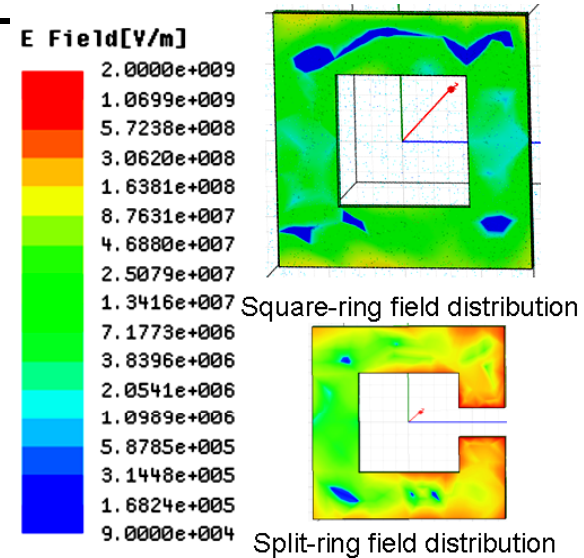
Coupling of Si-O Phonon Resonance with Structure Plasmon Resonance

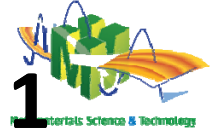


Si-O bond resonance couples with the resonance of the structure.

Coupling is seen more strongly in the SRR case.

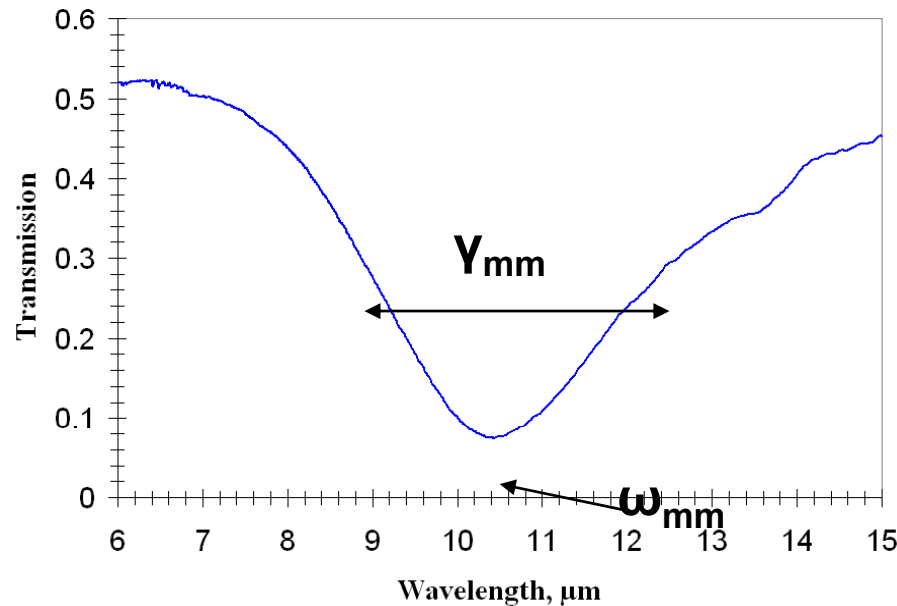
SRR has a stronger field strength at the oxide layer.





Strong coupling and polariton mode theory 1

All metamaterial elements may be described by a resonant frequency, ω_{mm} , and a damping frequency, γ_{mm} , that is defined as the full width half max of the spectral peak centered at ω_{mm} .



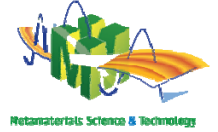
We can analytically determine ω_{mm} for SRR metamaterials using

$$\omega_{mm} = \sqrt{\frac{1}{LC}} = \sqrt{\frac{1}{L(C_g + C_f)}}$$

C_g = gap capacitance

C_f = fringing field capacitance

Shelton et. al. *Optics Express* **18**, 1076-1084 (2010)



Polariton Modes

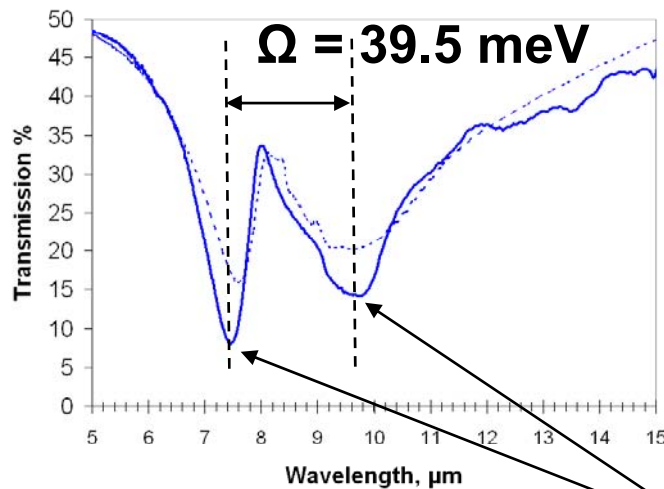
$$\frac{\partial^2 x_{mm}}{\partial t^2} + 2\gamma_{mm} \frac{\partial x_{mm}}{\partial t} + \omega_{mm}^2 x_{mm} = -Vx_n$$

When $\omega_{mm} = \omega_{on}$ the resonance splits into two modes.

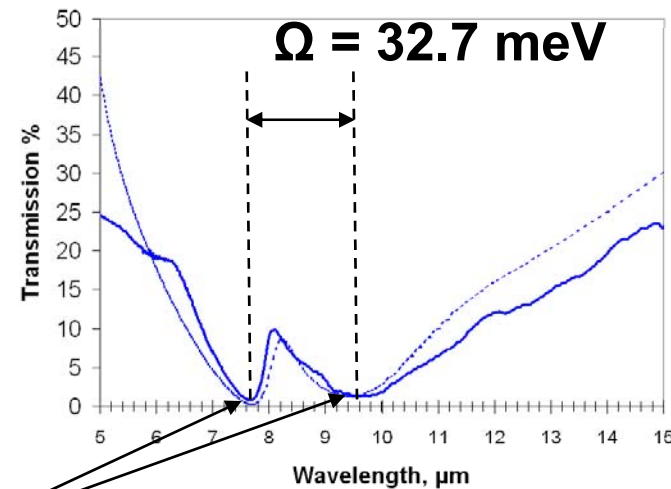
$$\frac{\partial^2 x_n}{\partial t^2} + 2\gamma_n \frac{\partial x_n}{\partial t} + \omega_{on}^2 x_n = -Vx_{mm}$$

This is shown below in an experiment with an SRR and a square loop.

The energy gap, Ω , between the modes is larger for the SRR.



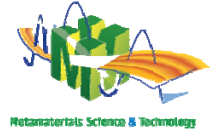
SRR



Square loop

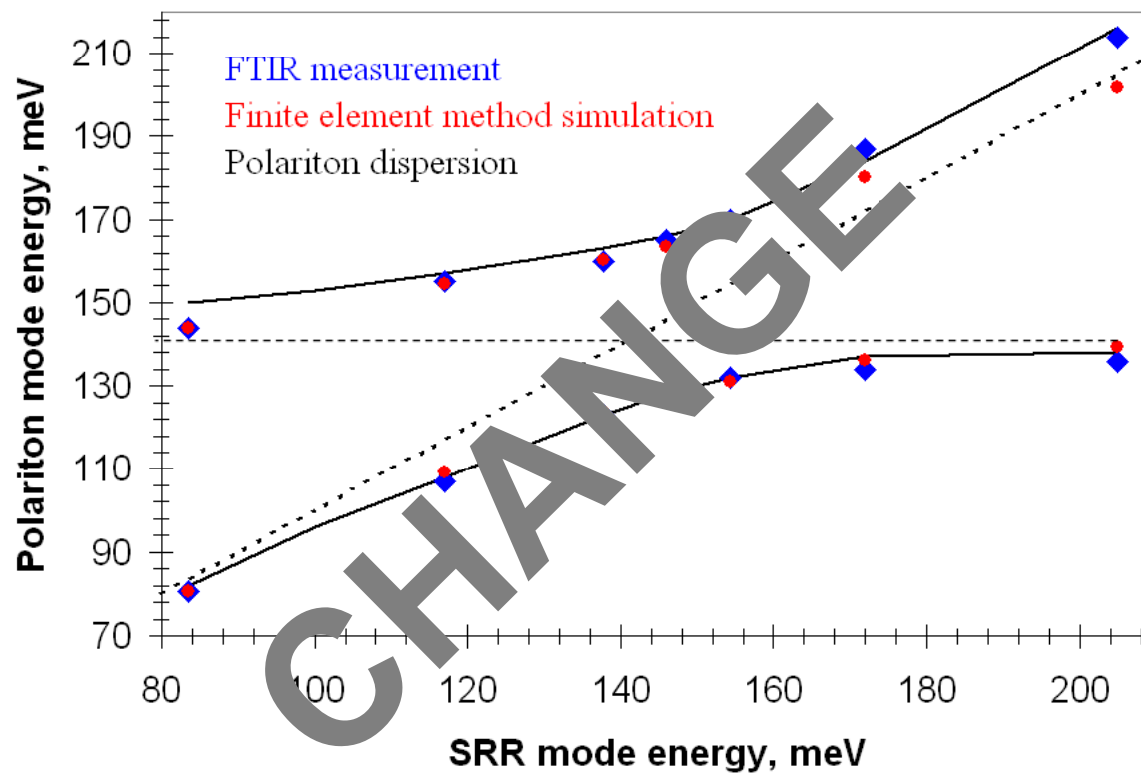
Eigenfrequencies, ω

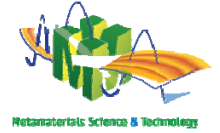
47



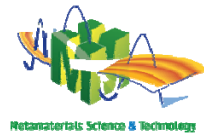
Polariton Dispersion Relationship

Plotting the eigenfrequencies of the polariton modes versus the resonant frequency of the uncoupled SRR we achieve agreement between the analytical model, FTIR measurements, and finite element method simulations.

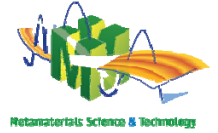




SLIDE about plasmon-dielectric coupling?



Summary



Acknowledgments

Design:

- Lori Babilio
- Larry Warne
- Dave Peters
- William Langston
- William Johnson

Active IR MMs:

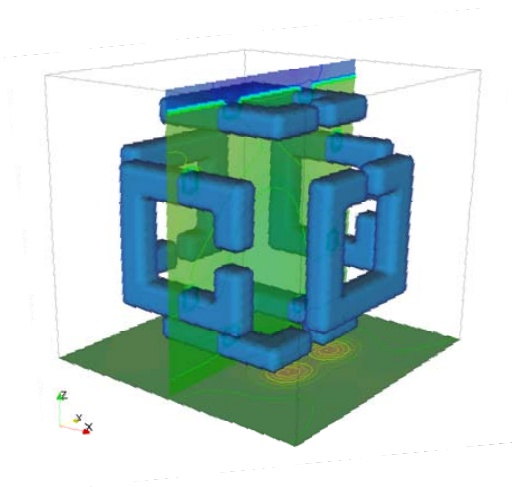
- Xiaoyu Miao
- Brandon Passmore
- Eric Shaner
- Aaron Gin

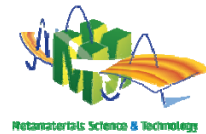
Materials:

- Paul Clem
- Shawn Dirk
- Kamiyar Rahimian
- James Carroll
- Jon Ihlefeld
- Alex Lee

Fabrication:

- Bruce Burckel
- Greg Ten-Eyck
- Joel Wendt
- James Ginn
- Eric Shaner
- Brandon Passmore
- Daniel Bender
- Rob Ellis

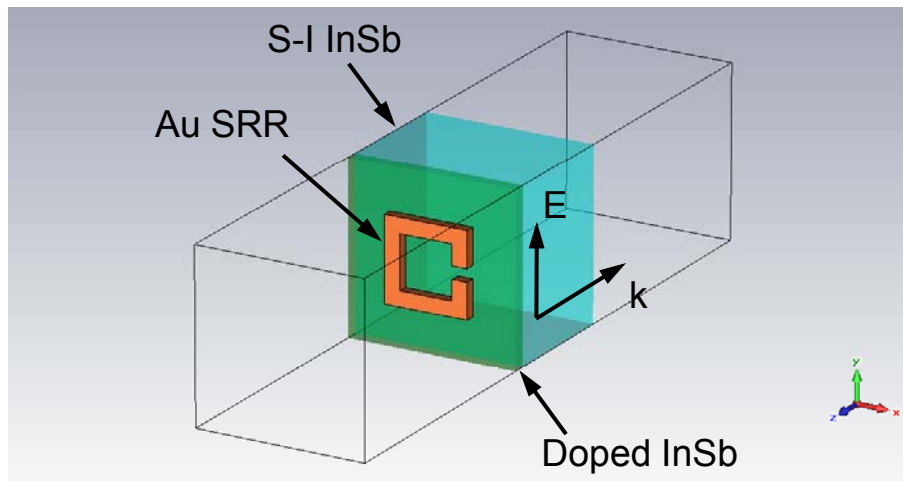
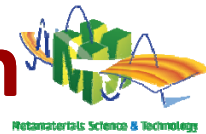




END

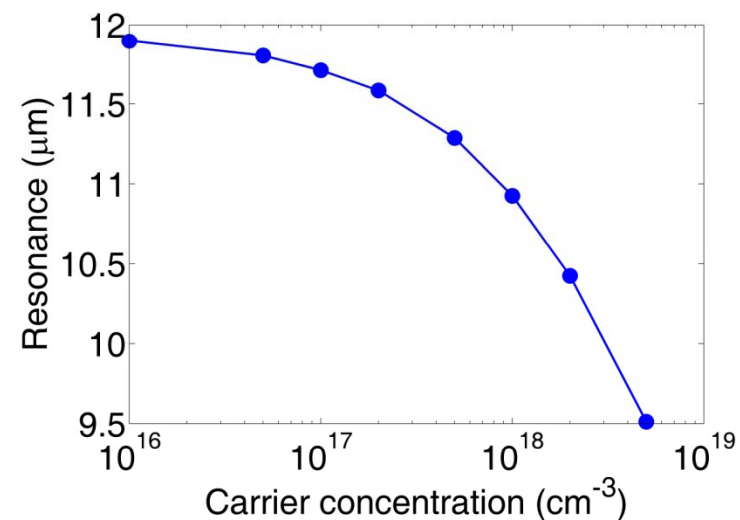
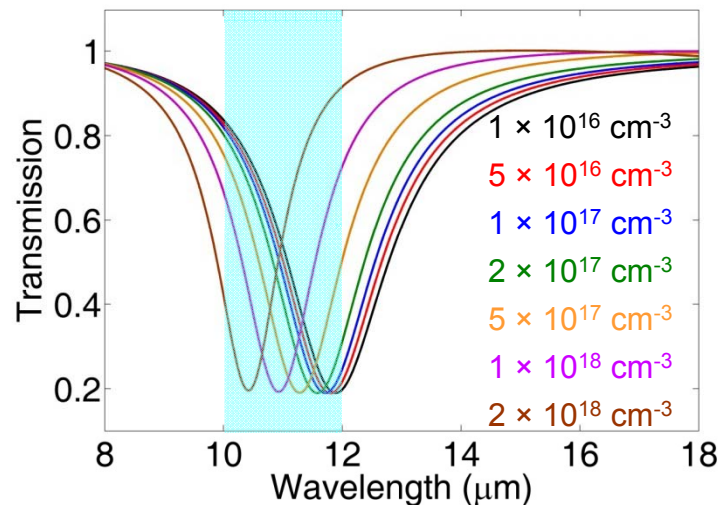


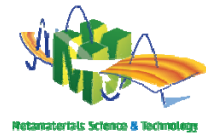
Finite Element Simulation of SRRs on InSb



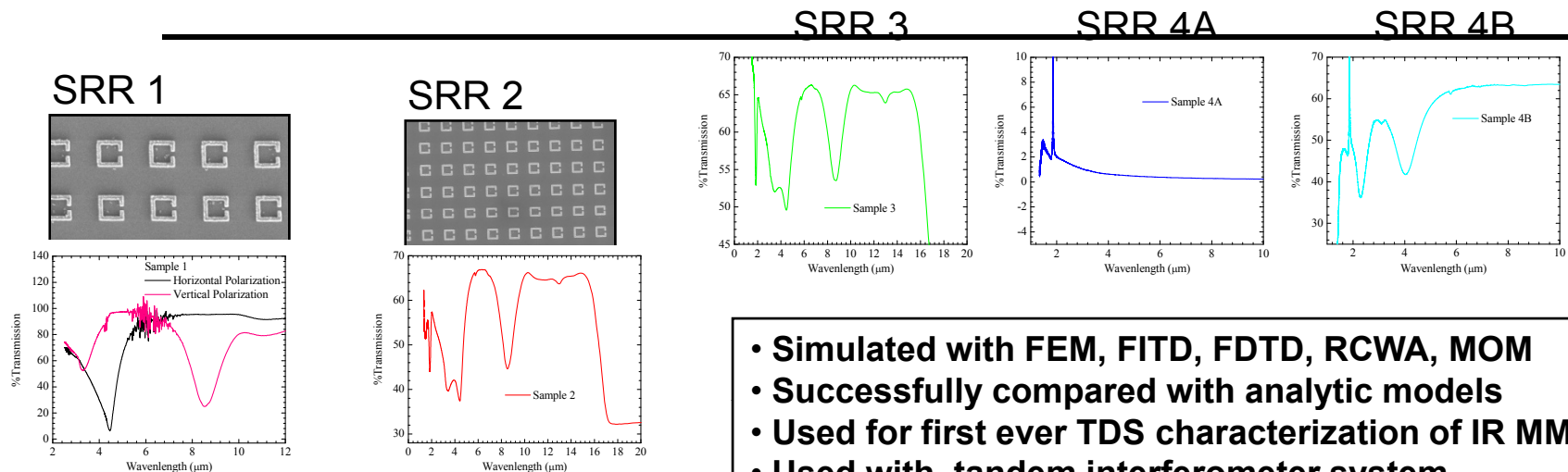
Design parameters:

- Arm length: 660 nm
- Arm width: 130 nm
- Gap: 100 nm
- Thickness: 80 nm

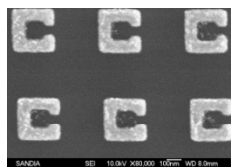
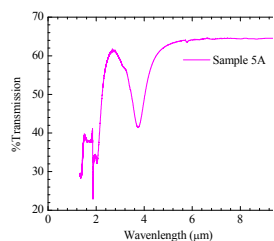




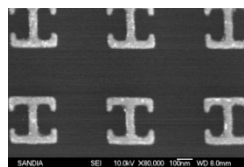
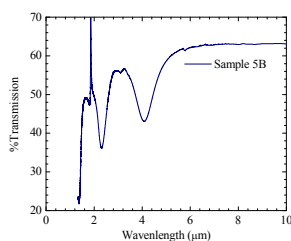
Jumpstart Metamaterial: Planar



- Simulated with FEM, FITD, FDTD, RCWA, MOM
- Successfully compared with analytic models
- Used for first ever TDS characterization of IR MMs.
- Used with tandem interferometer system
- Fabricated on semiconducting and BaF₂ substrates
- Fabricated a “graded” sample for UML: lenses

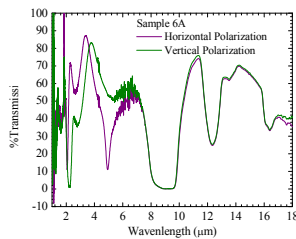


SRR 5A

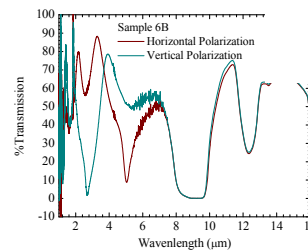


SRR 5B

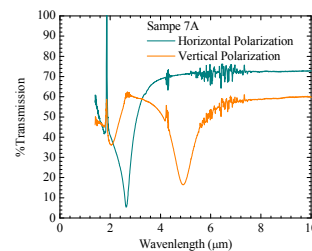
**4 conference papers
2 publications (submitted)**



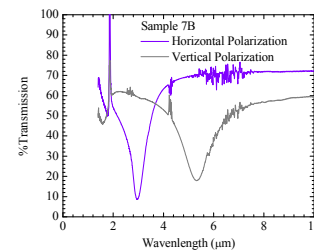
SRR 6A



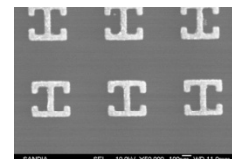
Sample 6B



Sample 7A

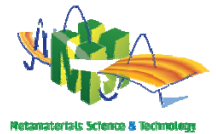


Sample 7B





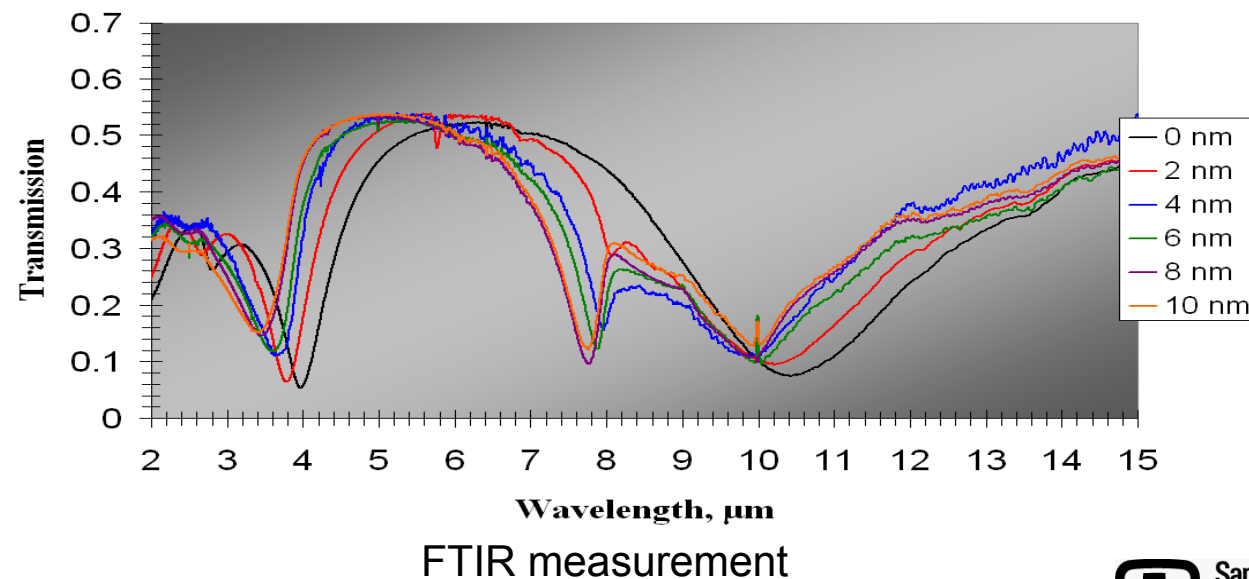
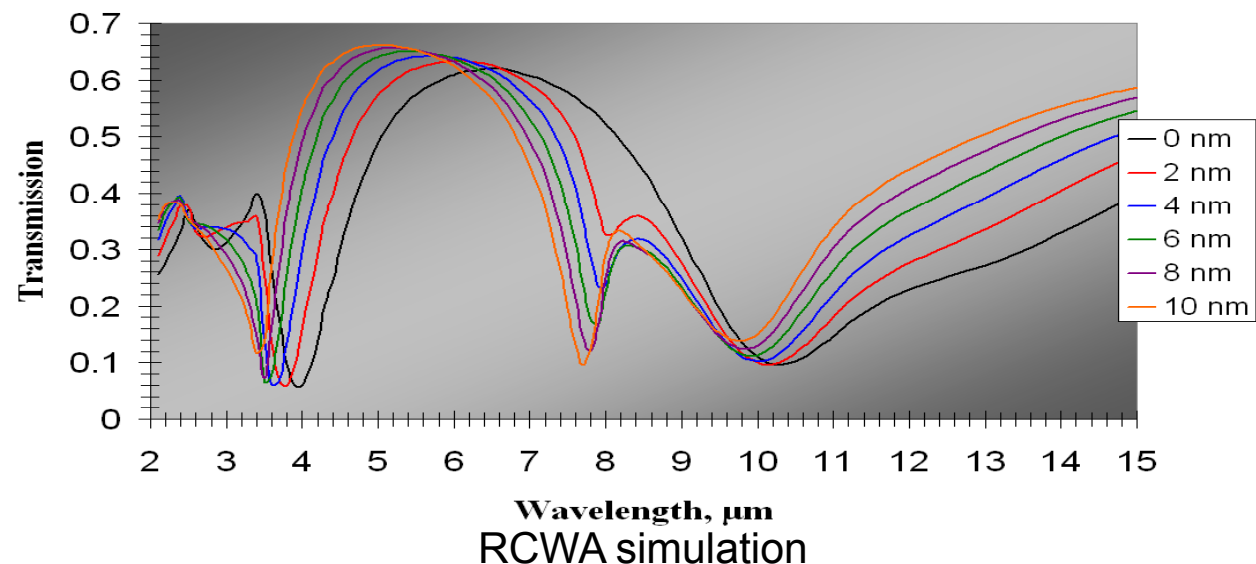
Comparison of Simulation and Measured Results for the SRRs

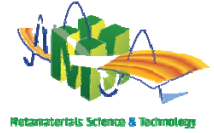


Both resonances shift to shorter wavelength with increasing oxide thickness

Si-O absorption band couples to SRR resonance and additional absorption feature is observed near 8 μm

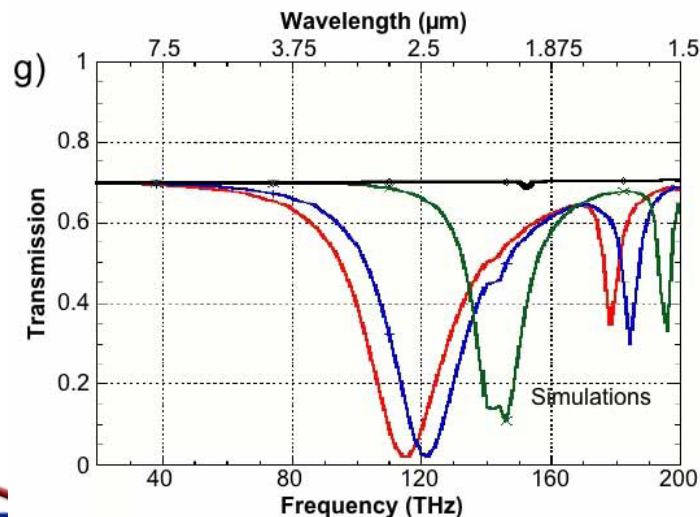
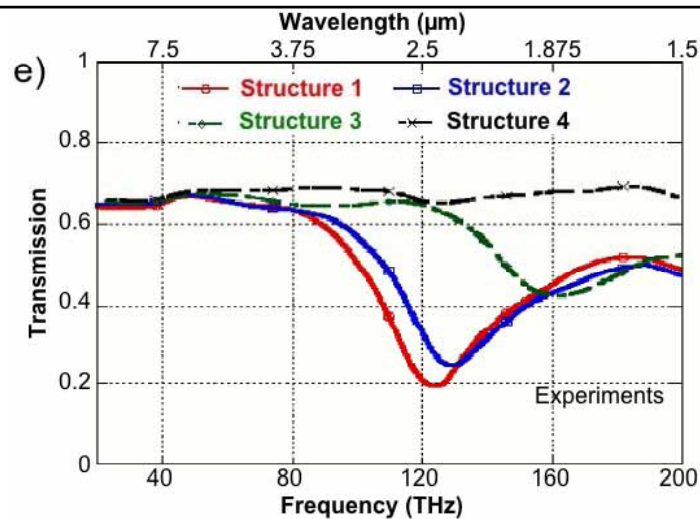
For a 10 nm or less SiO_2 film the Si-O loss band is not normally observed by FTIR





... not only for us, but also in the literature.

Kante, *et al.*, *Opt. Express*, **16** p 6774, 2008; Ti/Gold SRRs on Si; Similar blue shift of measured resonance.

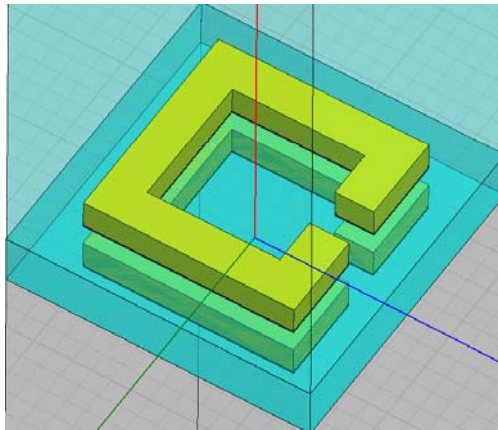
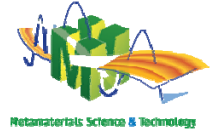


➤ We systematically ruled out obvious causes (e.g. dimensional inaccuracies)

➤ Question: Can thin oxides be causing these shifts?



Metamaterials on low dielectric, low loss substrates: SRR dimers on spin-coated PE



SRRd1

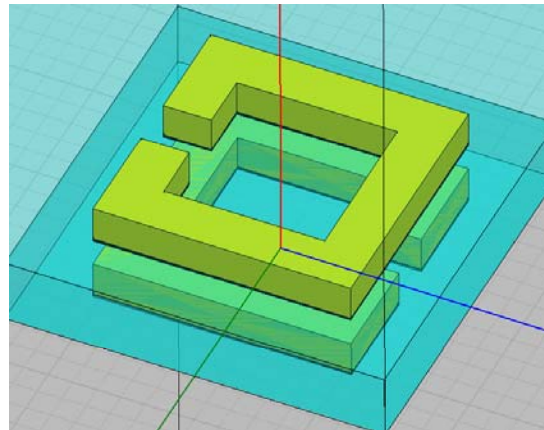
Element width =
100nm

Length = 540nm

gap = 100nm

Periodicity = 780nm

PE layer = 140nm



SRRd2

Element width =
100nm

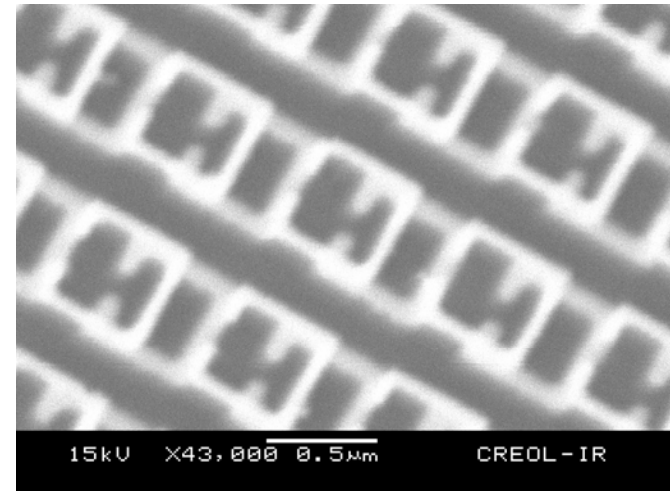
Length = 540nm

gap = 100nm

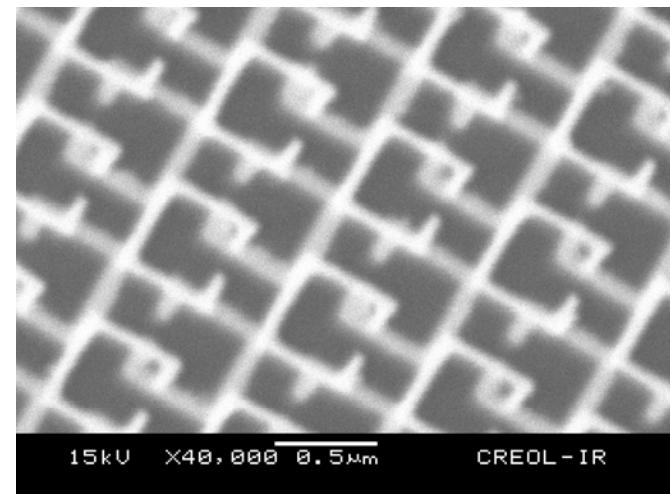
Periodicity = 780nm

PE layer = 140nm

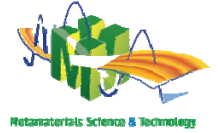
(with CREOL)



SRRd1 as fabricated

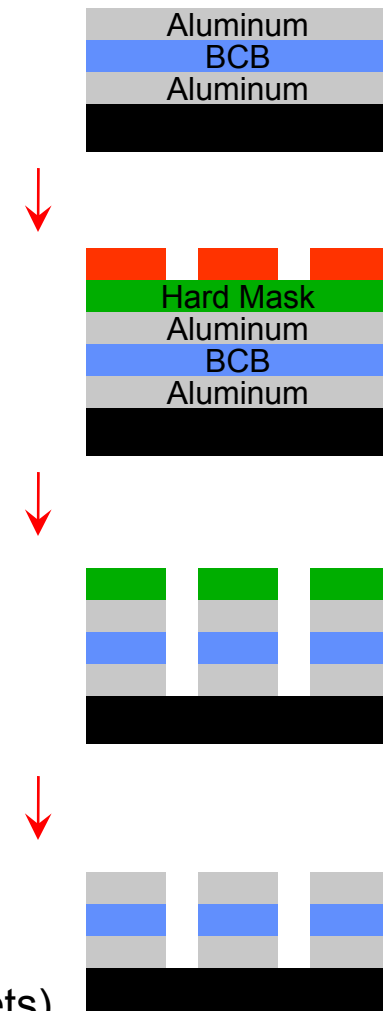


SRRd2 as fabricated



Fishnet Fabrication

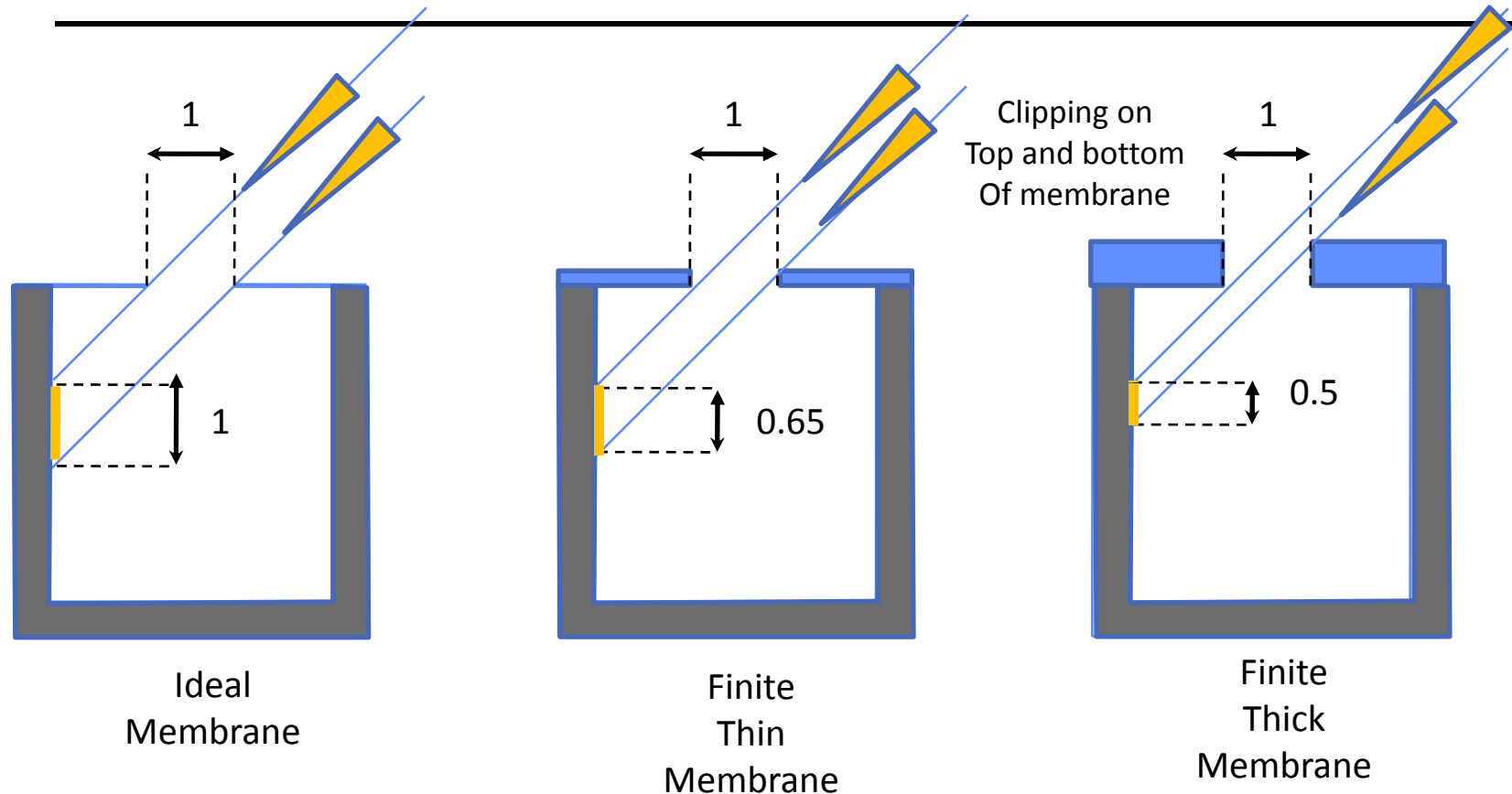
- E-beam deposited Al films, spin-on BCB
- Hard mask PECVD deposited SiO_2
- Standard lithographic processing used
- Cl_2 based ICP-RIE Aluminum Etch
- CF_4/O_2 RIE BCB Etch
- Hard mask removal



(very different process and materials from near IR/visible fishnets)



Impact of Membrane Thickness

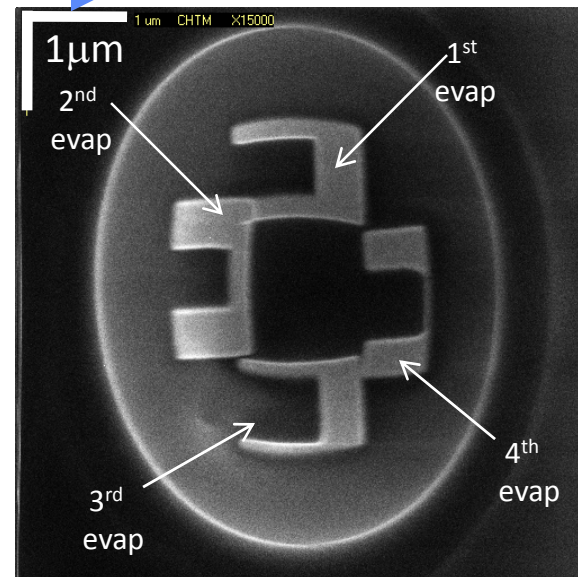
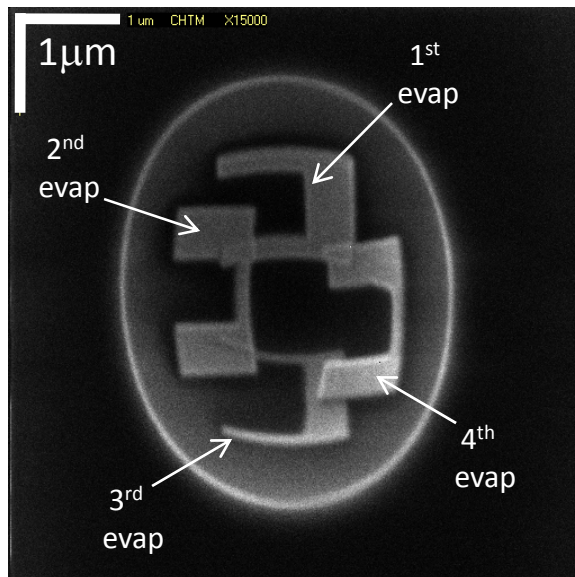
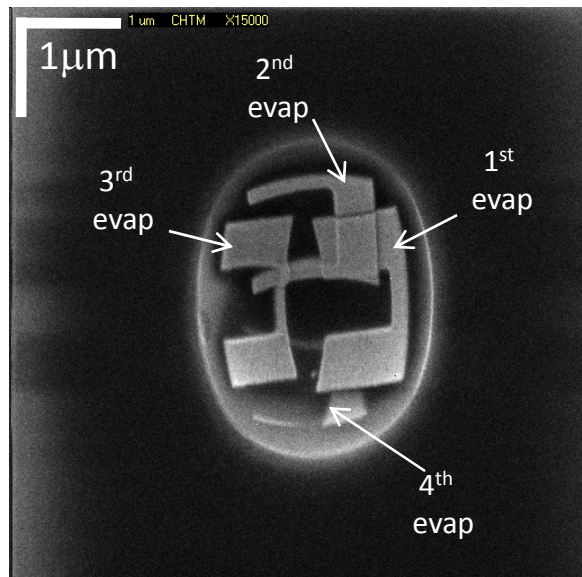
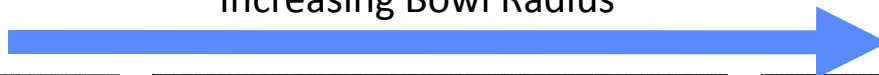


For evaporation at 45° , projected linewidth is decreased by the thickness of the membrane.

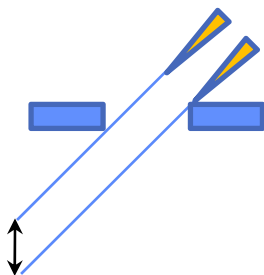


Curved SRRs via MPL

Increasing Bowl Radius

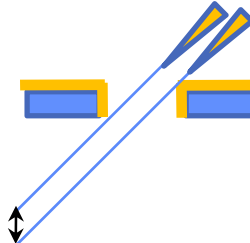


1st Evap



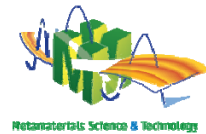
1st Evap linewidth inhomogeneity
due to membrane thickness

4th Evap



4th Evap linewidth inhomogeneity
due to membrane thickness
+ accumulated deposition

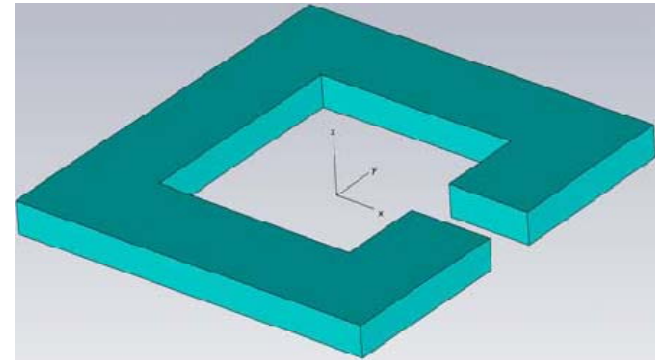
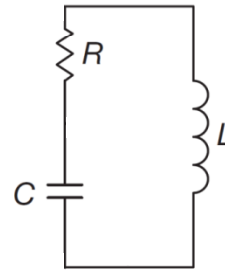
240nm total
deposition
through ~340 nm
clear aperture





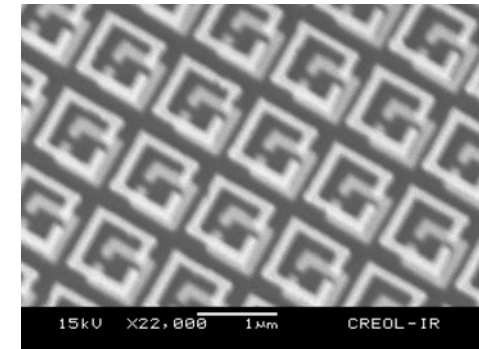
Most common paths to optical metamaterials

- Some metallic resonator on top of a dielectric



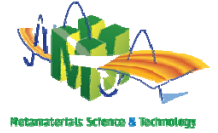
- Or “stacked” resonators

SRRs

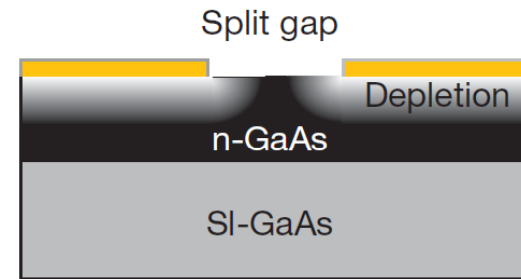
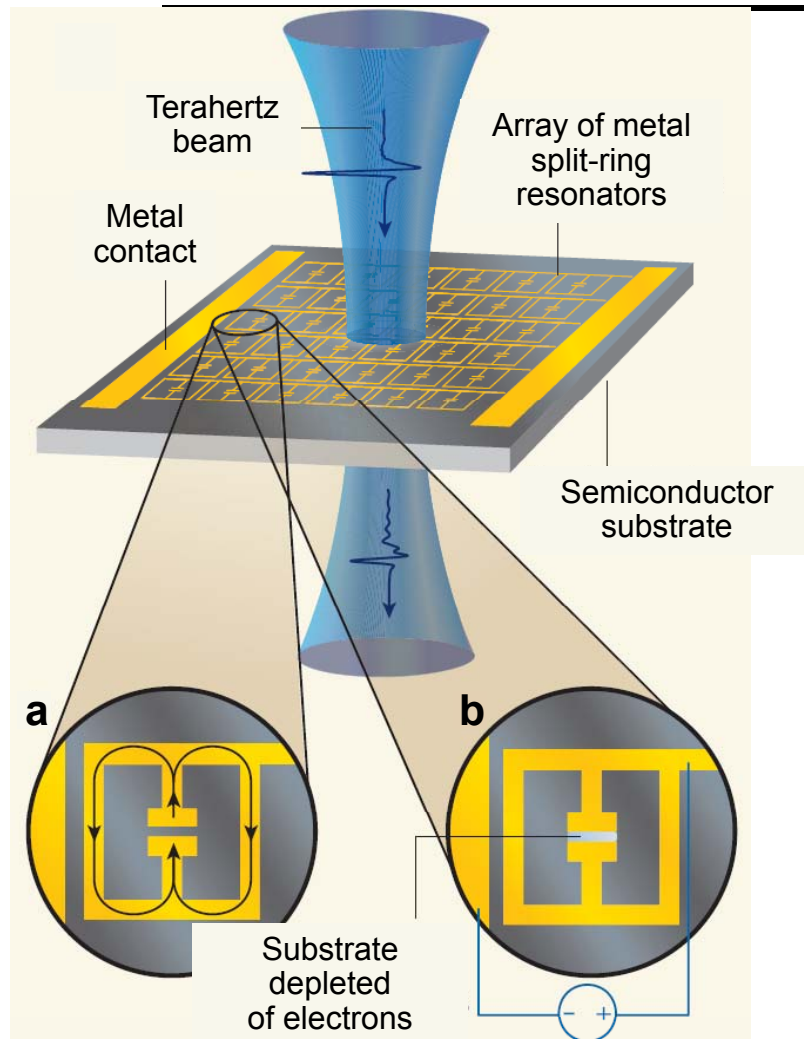


“Fishnets”

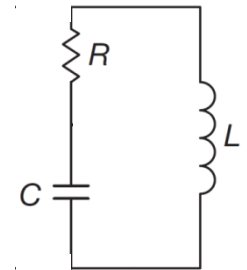




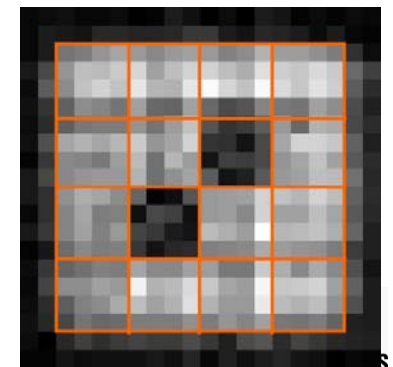
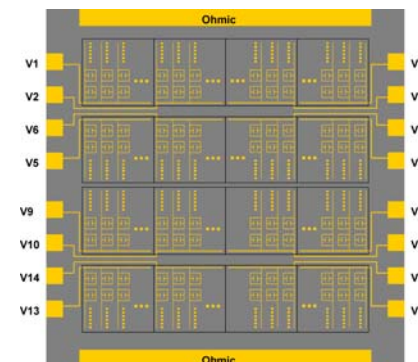
Tunable Metamaterials



Modulate transmission by depleting carriers in GaAs (Chen et al, Nature, 2006)

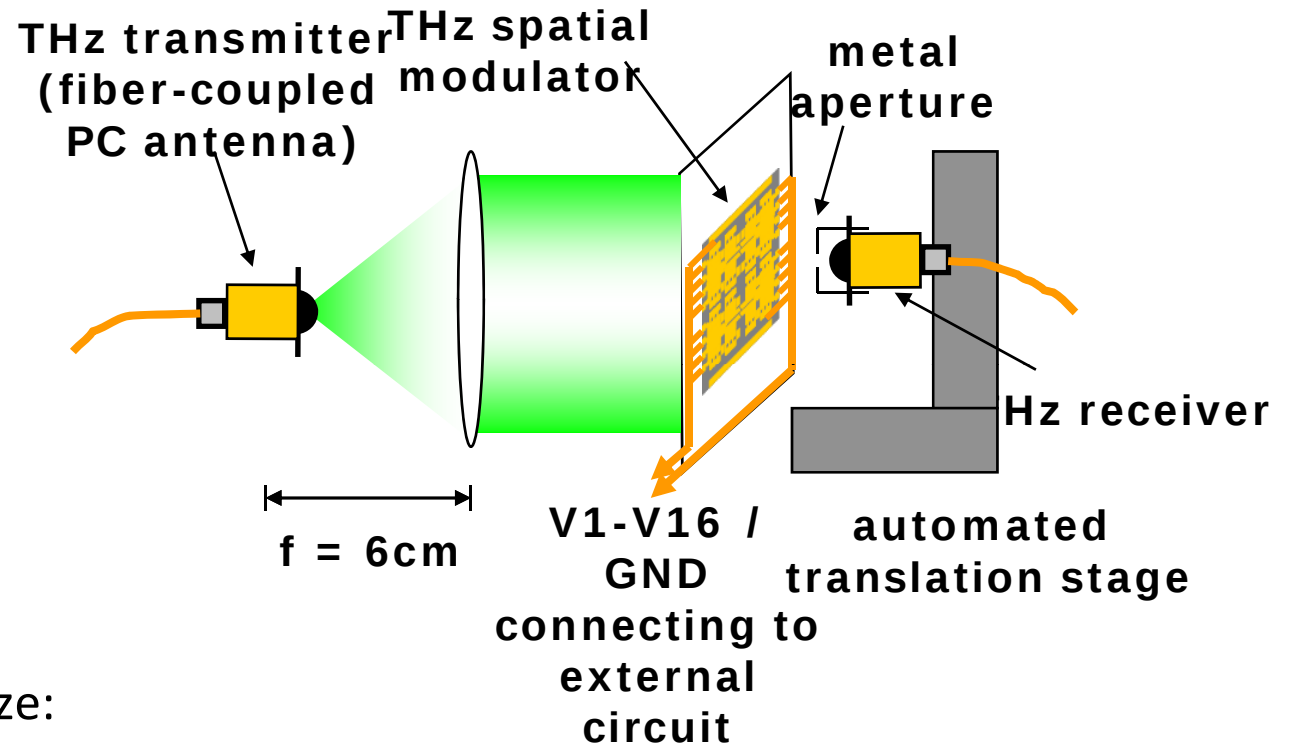
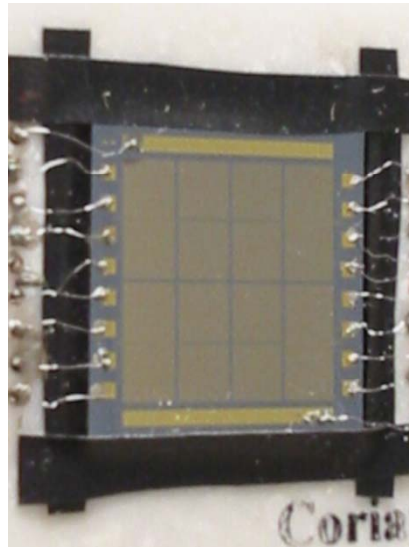


Example: multi-pixel array (ref)



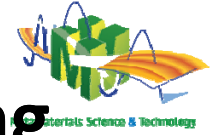


THz-SLM performance characterization



We characterize:

- Modulation Depth
- Crosstalk
- Switching performance
- Amplitude and phase response (THz-TDS)



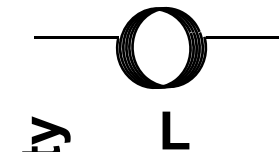
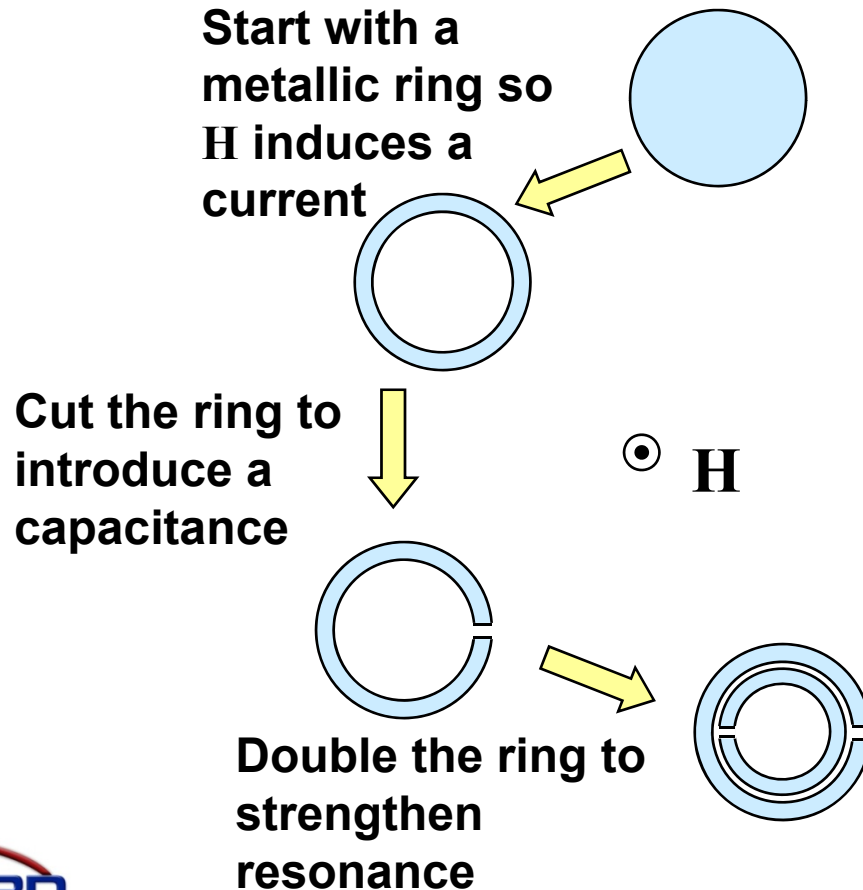
Metamaterial-Dielectric Resonant Coupling

refractive index:

$$n = \sqrt{\mu\epsilon}$$

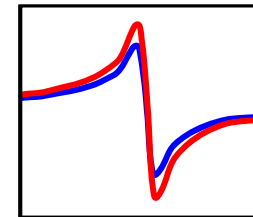
wave impedance: $\eta = \sqrt{\frac{\mu}{\epsilon}}$

Example: how to achieve $\mu < 0$



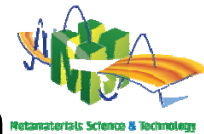
$$\omega_{\text{res}} = \frac{1}{\sqrt{LC}}$$

Permeability



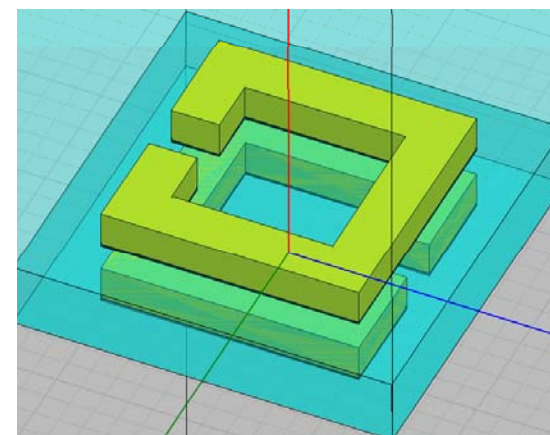
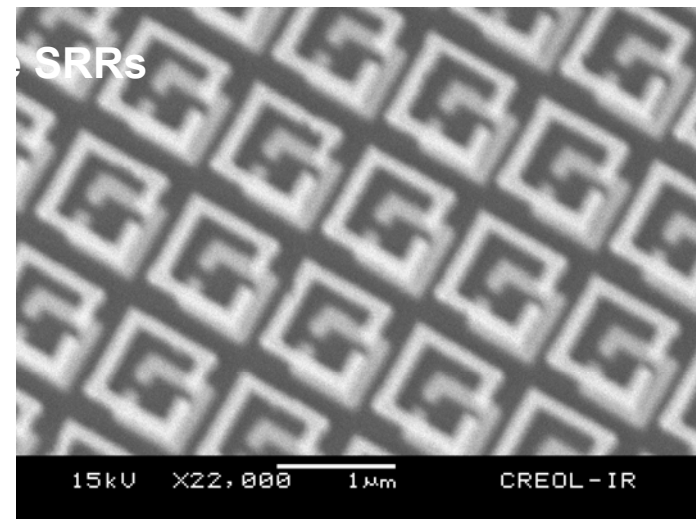
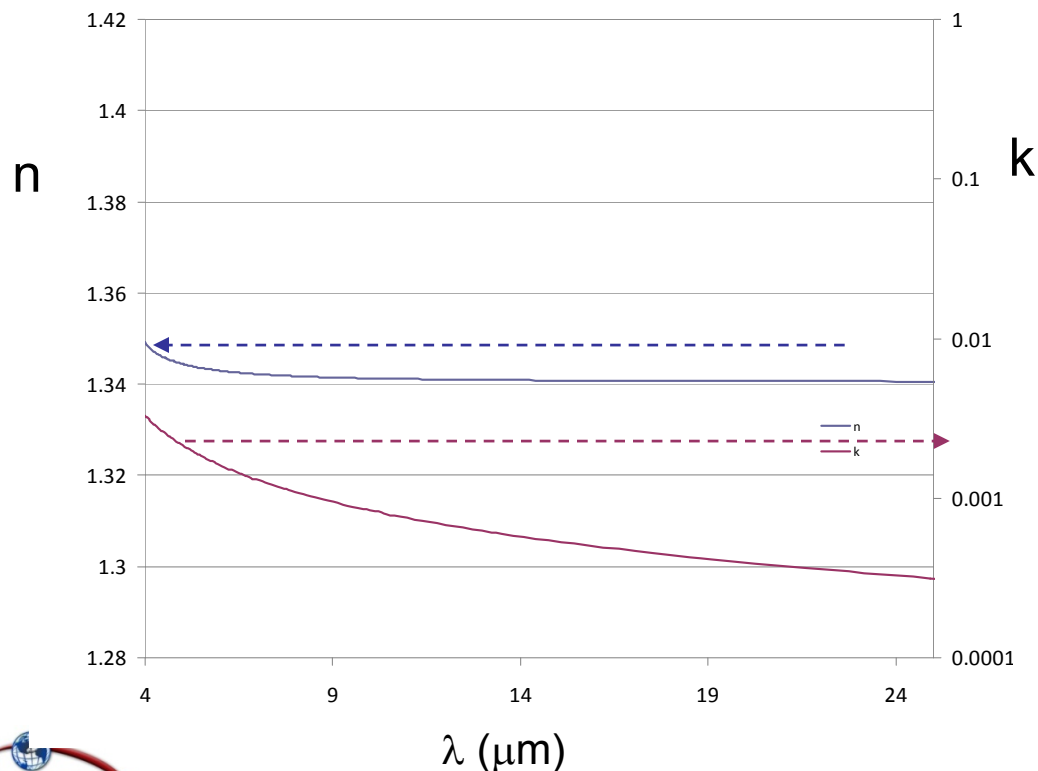
Frequency

J.B. Pendry et al., IEEE Trans.
Microwave Tech. 47, 2075 (1999).

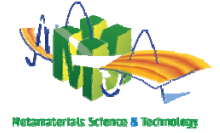


Solution to the dielectric matrix problem

- We developed spinnable polyethylene as a low loss dielectric matrix
- Example: a 2 layer metamaterial (SRRs) with a PE spacer.



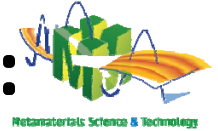
Element width = 100nm, Length = 540nm, gap = 100nm, Periodicity = 780nm, PE layer = 140nm



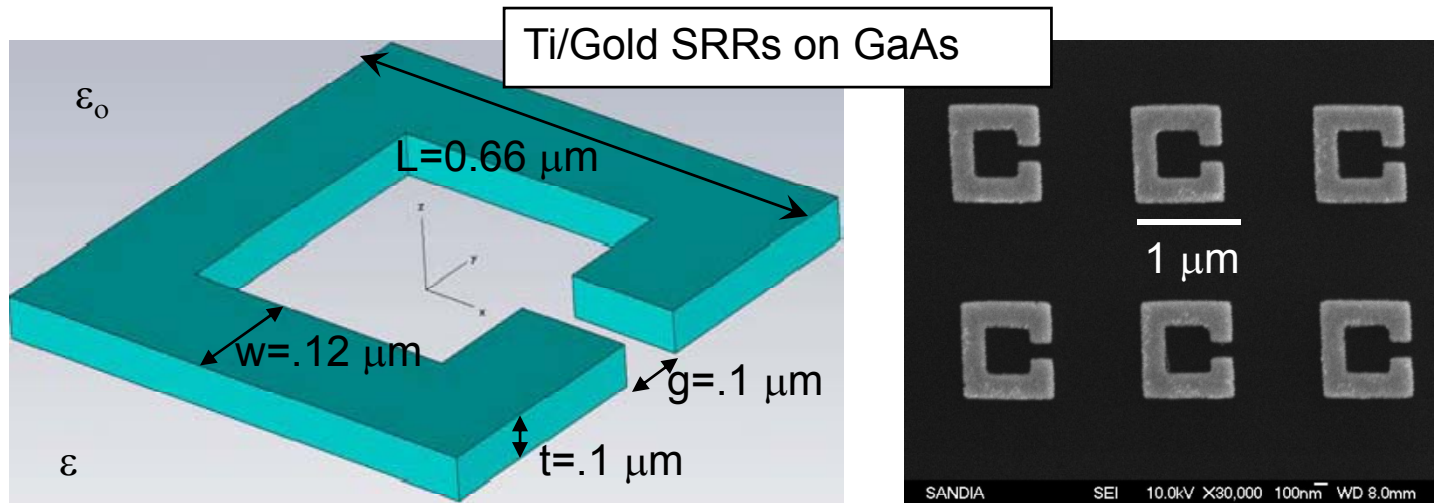
-
- **Metamaterials offer a scalable design environment for modifying the permittivity and permeability in ways not observed in nature. This allows the design of artificial materials with negative permeability and/or permittivity, and for example, negative refraction. In this talk I will present our progress towards 3D metamaterials for the infrared using state of the art nanofabrication. I will also show recent work on active metamaterials in the mid to far infrared. Finally, our group has recently observed the hybridization between metamaterial resonances and material dielectric resonances in the thermal IR, which will be presented in two different systems.**



IR transparent semiconductor substrates: the effect of oxides



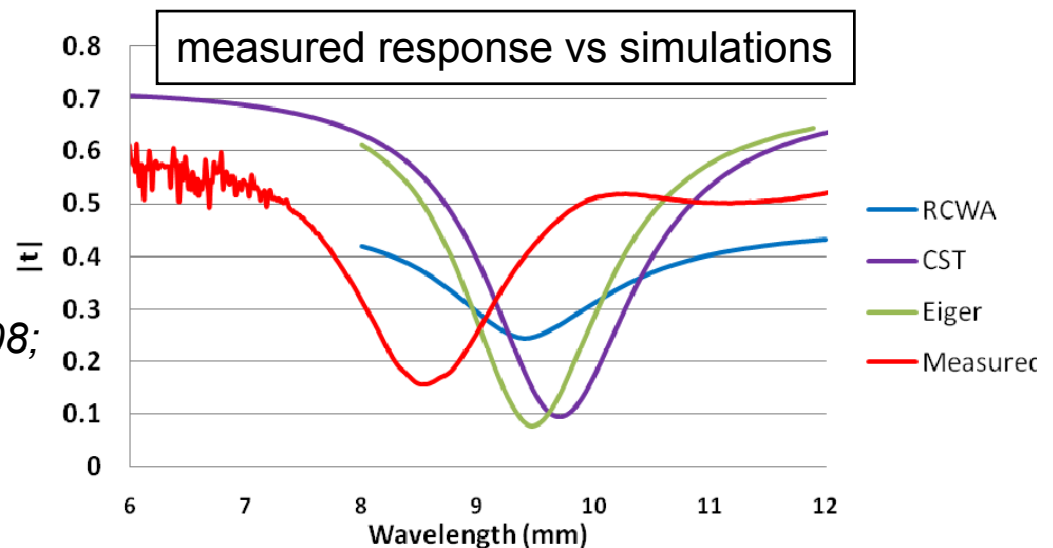
In collaboration with D. Shelton & Glenn Boreman, UCF/CREOL

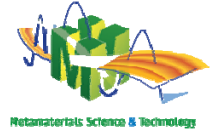


Problem: measured response did not match simulation.

- experimental resonance at shorter wavelength
- simulated with 4 different codes

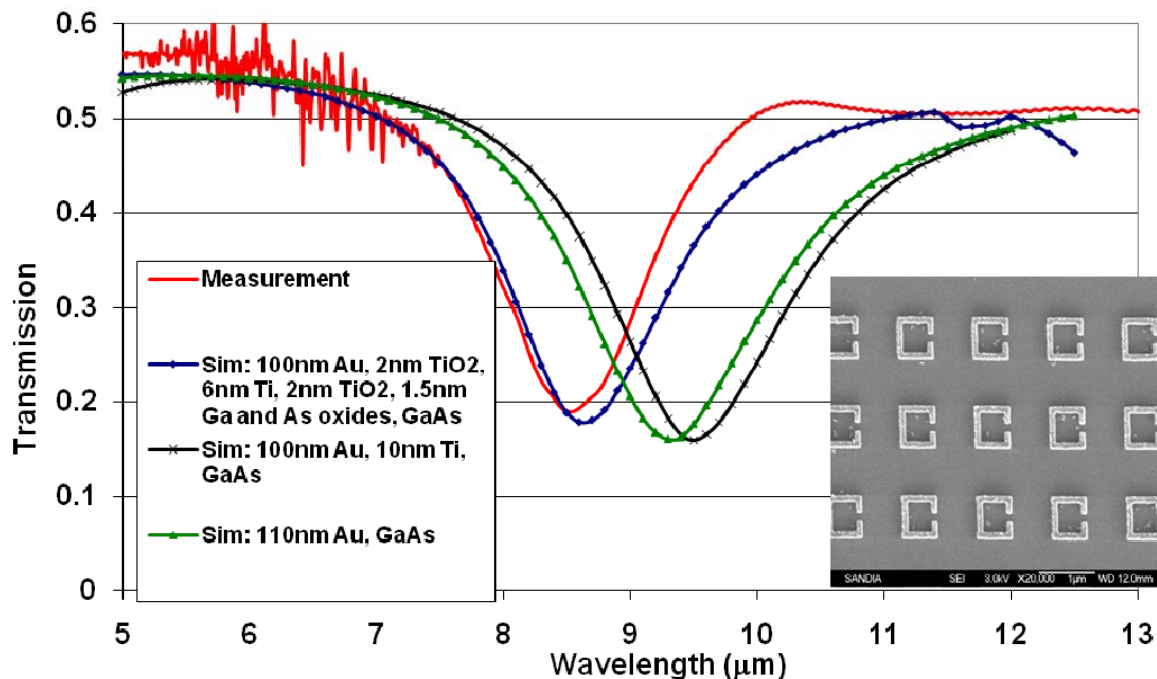
(Also reported before:
Kante, et al., Opt. Express, 16 p 6774, 2008;
Ti/Gold SRRs on Si; Similar blue shift of measured resonance.



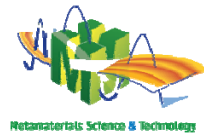


Can thin oxides be causing these shifts?: modeling

- Uses actual measured refractive index values, measured using IR ellipsometry.
- The Ti seed layer modeled as 1.5nm TiO₂, 2nm of Ti, and 1.5nm TiO₂.
- **Ti/TiO₂ seed layer produces accurate prediction of measured results with accurate element dimensions.**

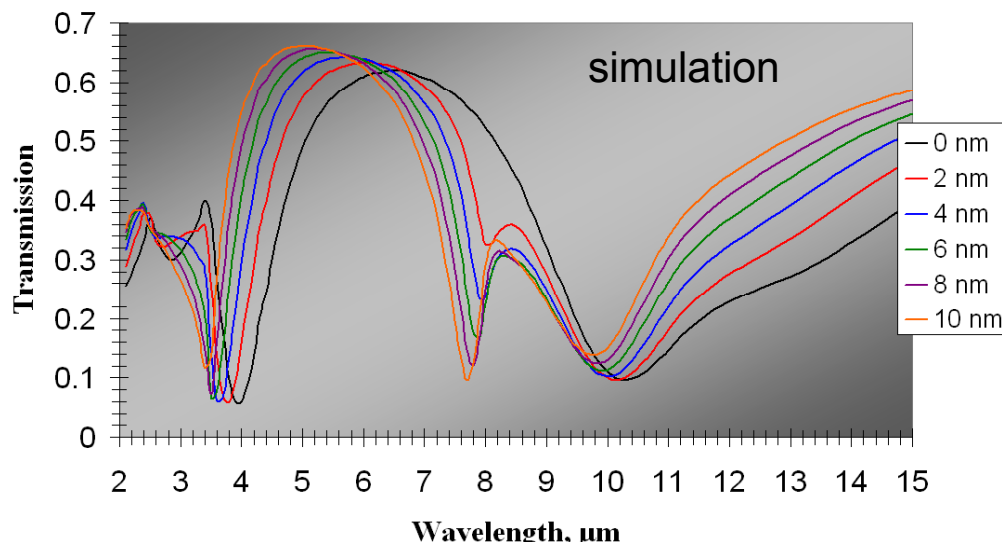
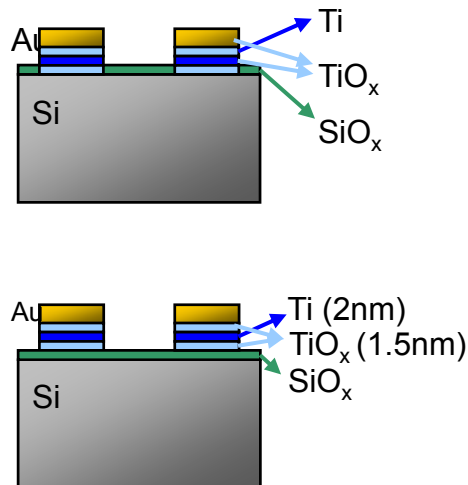


➤ Also constructed detailed circuit model that predicts blue-shift with increasing oxide thickness.

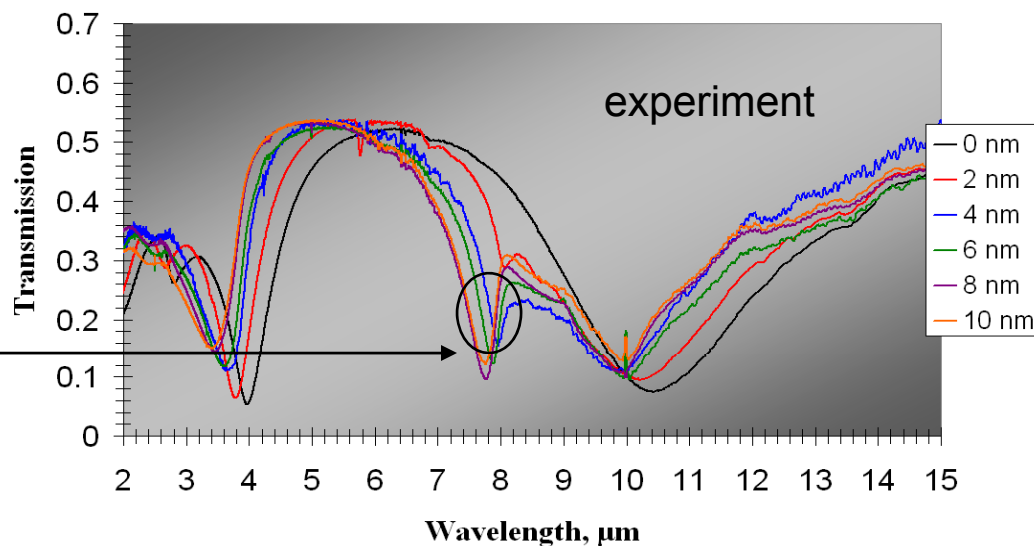


Experimental Verification: SRRs on Si with variable thickness oxides

Increasing blue shift observed with increasing oxide thickness

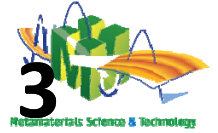


Low level SiO_2 absorption is resonantly enhanced (and hybridized)





Strong Coupling and Polariton Mode Theory 3



If the coupling strength coefficient, V , is known then the eigenfrequencies may be determined using

$$V^2 = \left(\omega_{mm}^2 - \omega^2 - i\gamma_{mm}\omega \right) \left(\omega_{0i}^2 - \omega^2 - i\gamma_i\omega \right)$$

Coupling strength may be determined experimentally from the energy gap between polariton modes, Ω , using

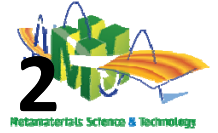
$$\Omega = \sqrt{4V^2 - (\gamma_{mm} - \gamma_n)^2}$$

We can experimentally test this theory by spectrally scanning ω_{mm} across ω_{0n} .

This can be done in multiple experiments by changing the unit-cell dimensions of an SRR, or with a tunable metamaterial.



Strong Coupling and Polariton Mode Theory 2



Similarly a phonon mode in the ceramic thin film may be modeled as having resonant frequency ω_{on} and damping frequency γ_{on} .

When ω_{on} is near ω_{mm} , and the ceramic thin film is within the near fields of the elements, strong coupling occurs resulting in polariton modes.

The eigenfrequencies of these new resonant modes may be calculated by modeling the system as damped harmonic oscillators.

$$\frac{\partial^2 x_{mm}}{\partial t^2} + 2\gamma_{mm} \frac{\partial x_{mm}}{\partial t} + \omega_{mm}^2 x_{mm} = -Vx_n$$
$$\frac{\partial^2 x_n}{\partial t^2} + 2\gamma_n \frac{\partial x_n}{\partial t} + \omega_{on}^2 x_n = -Vx_{mm}$$



Electromagnetic waves propagation is given by solutions to the wave equation

Wave equation: $\nabla^2 E = \epsilon\mu \frac{\partial^2 E}{\partial t^2}$

Solution: $E = E_0 e^{-i\omega t}$

