

Electromechanical Emulation of Hydrokinetic Generators for Renewable Energy Research

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Renewable Energy Integration

- Stochastic/variable generation is integral to Microgrid research
- Advancing the technology readiness of new and advanced controls requires results in hardware
- Unfortunately ... hydrokinetic (and other renewable) generators don't fit in a conventional laboratory



Hydrokinetic Emulators are Key Components of the Secure Scalable Microgrid (SSM) Testbed

- Testbed includes
 - Programmable Loads
 - Programmable Generators/Emulators
 - Reconfigurable Bus
 - Power Electronic Converters
 - Networked Control
 - Automated Experiment Orchestration



Emulator Profile 1

Emulator Profile 2 (m/s)

Digital Resistor (Ω)

Bus voltage (V)

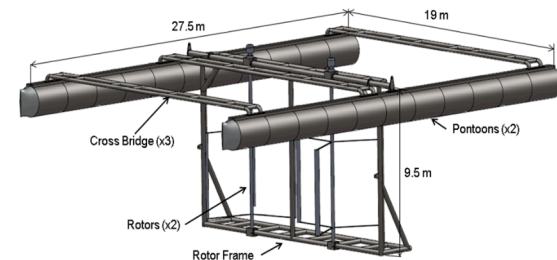
Currents into bus (A)

- Master Controller controls load profiles, system settings and the “weather”

System Presented Herein can Emulate two Types of Hydrokinetic Generation

- Emulator Hardware and Software Description

- River Turbine Emulation



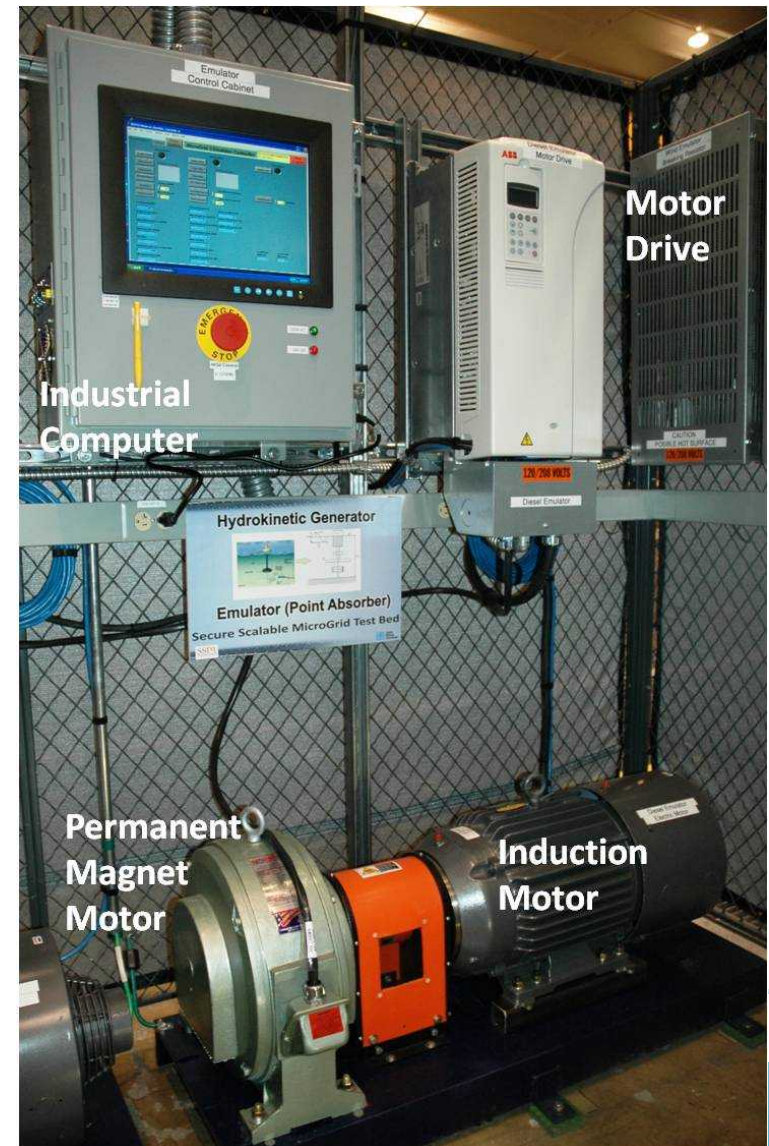
- Wave Energy Converter (Point Absorber) Emulation



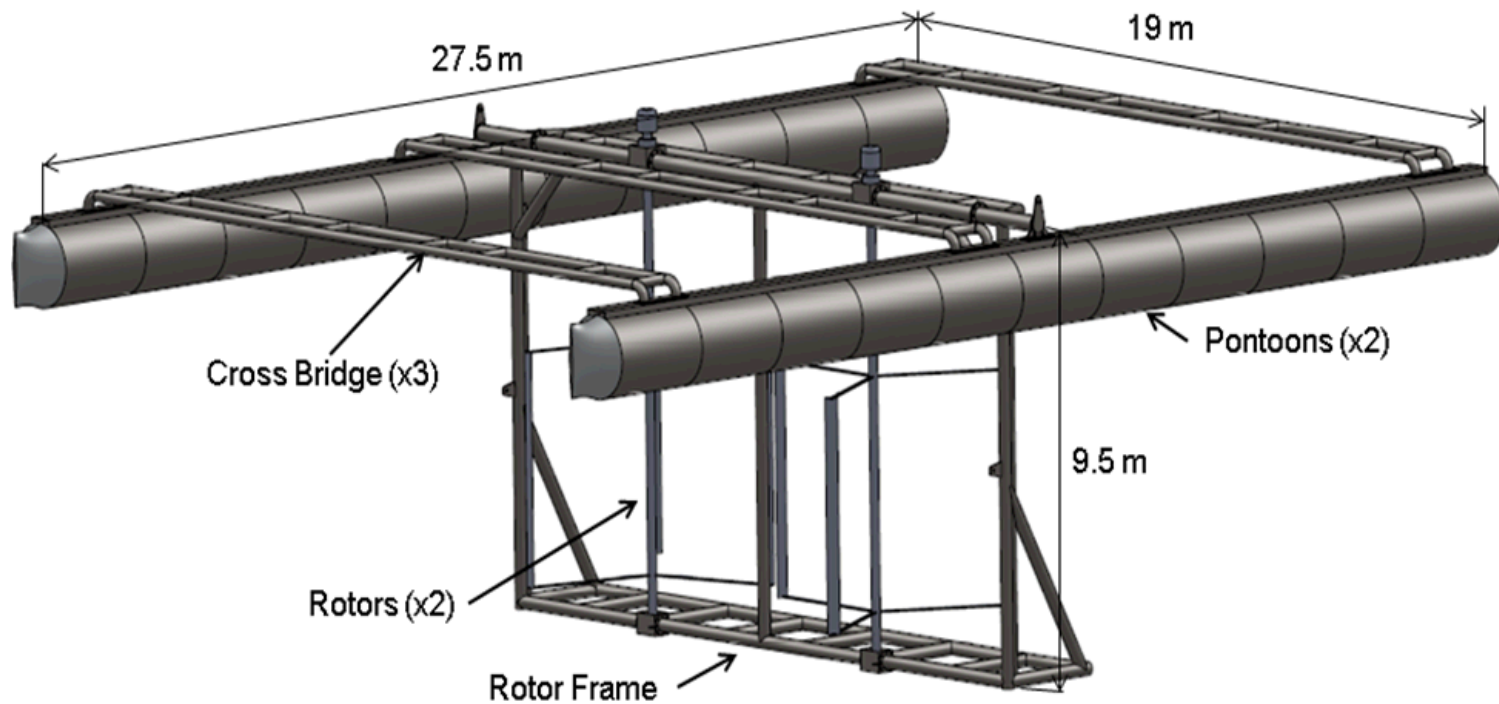
- Conclusions

The Emulator is Constructed of Commercial Hardware

- Baldor 15 HP Induction Motor with speed encoder
- ACS800 30HP ABB drive
 - DTC with 1% error when used with speed encoder
 - 24 msec timestep
 - 5 msec delay after register read
 - Brake Resistor
- 10 kW Georator 36-013-1 Permanent magnet alternator
- Computer runs LabVIEW 2011 with Mathscript RT toolkit



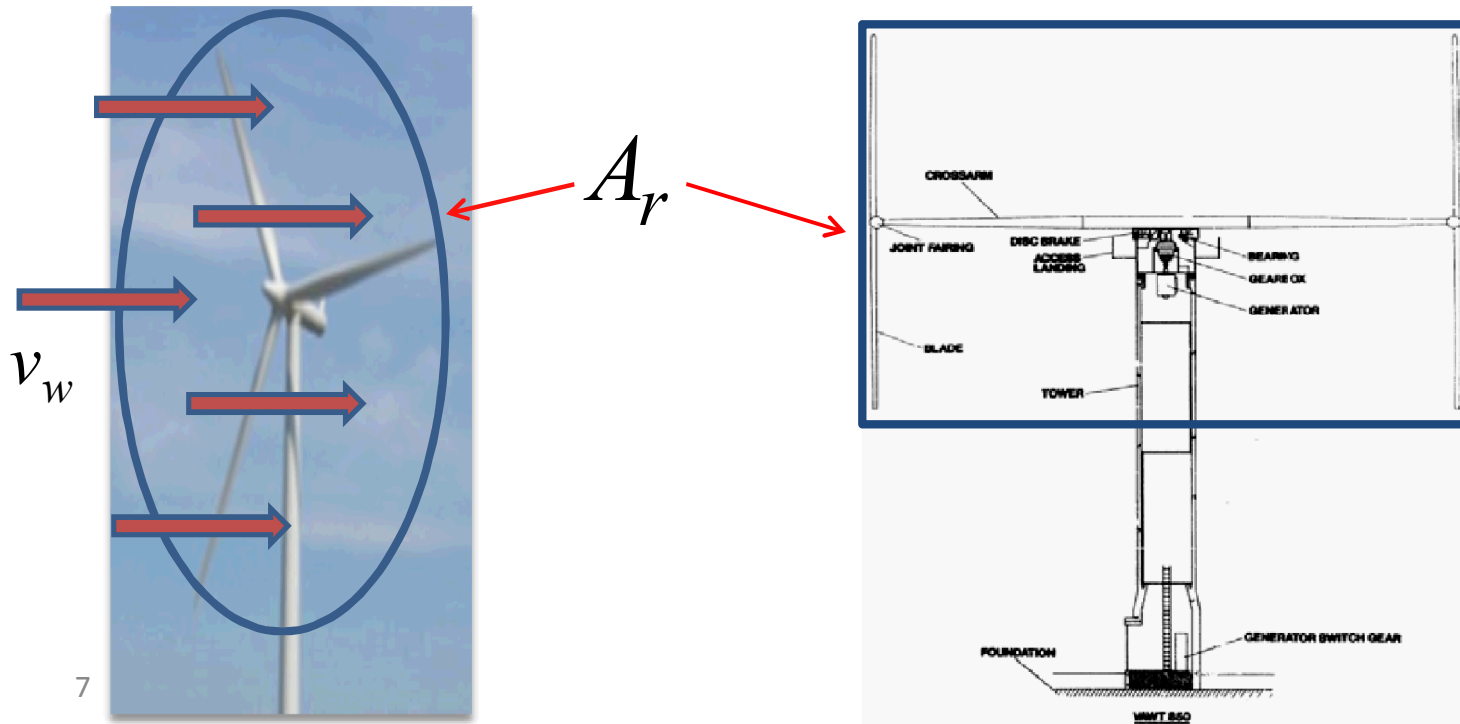
River Turbine Emulator



The River Turbine Mechanical Power Calculation is Equivalent to that of the Wind Turbine

- Average Power Equation is derived from the kinetic energy of the fluid flow and the power coefficient of the turbine

$$P_{turb} = \frac{1}{2} C_p (\lambda) \rho_w A_r v_w^3$$



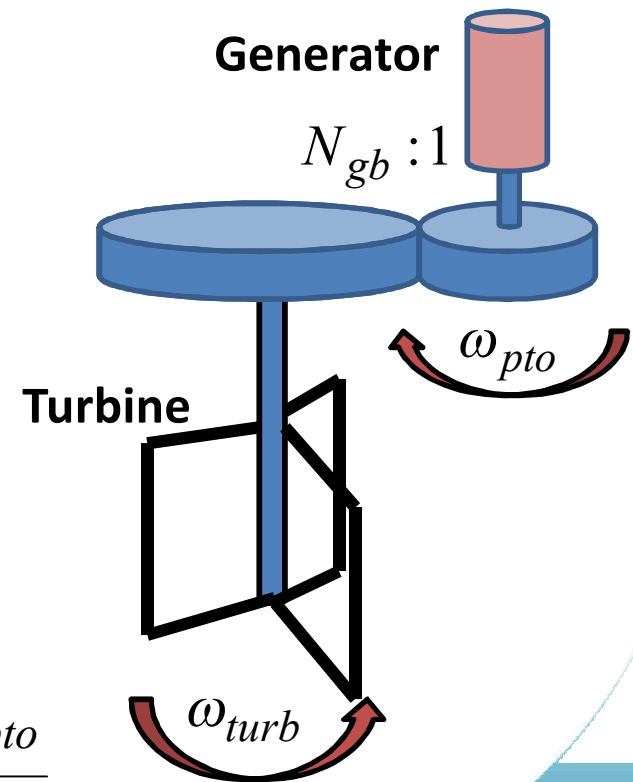
River Turbine Dynamical Model requires Greater Detail about System Components

- Dynamic response of the turbine depends on the inertias gearbox ratios and damping coefficients of the mechanical components

$$T_{turb} = \frac{P_{turb}}{\omega_{turb}} = \frac{C_p(\lambda) \rho_w A_r v_w^3}{2\omega_{turb}}$$

$$\frac{d}{dt} \omega_{turb} = \frac{T_{turb} - N_{gb} T_{pto} - B_{gb} \omega_{turb}}{J_{turb} + N_{gb}^2 J_{pto}}$$

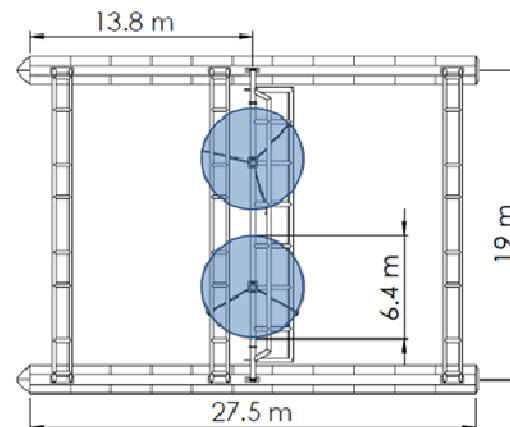
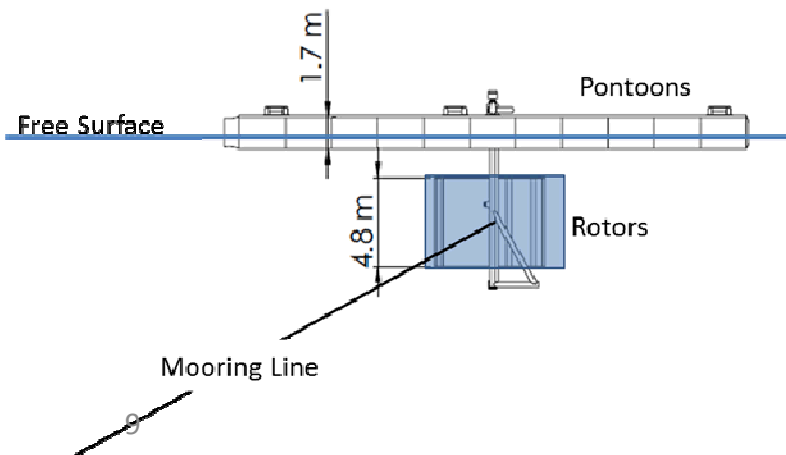
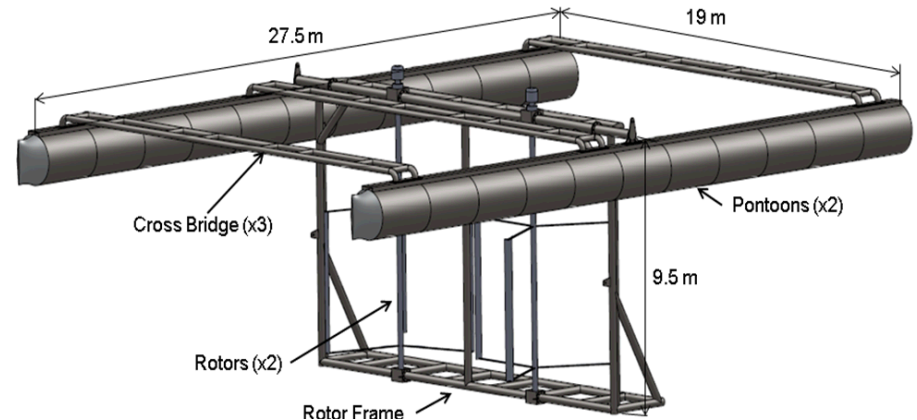
$$\frac{d}{dt} \omega_{pto} = \frac{\left(1 / N_{gb}\right) T_{turb} - T_{pto} - \left(1 / N_{gb}^2\right) B_{gb} \omega_{pto}}{\left(1 / N_{gb}^2\right) J_{turb} + J_{pto}}$$



River Turbine Model Parameters were Established from System Design

- **Reference Model 2, Cross-Flow River Turbine**

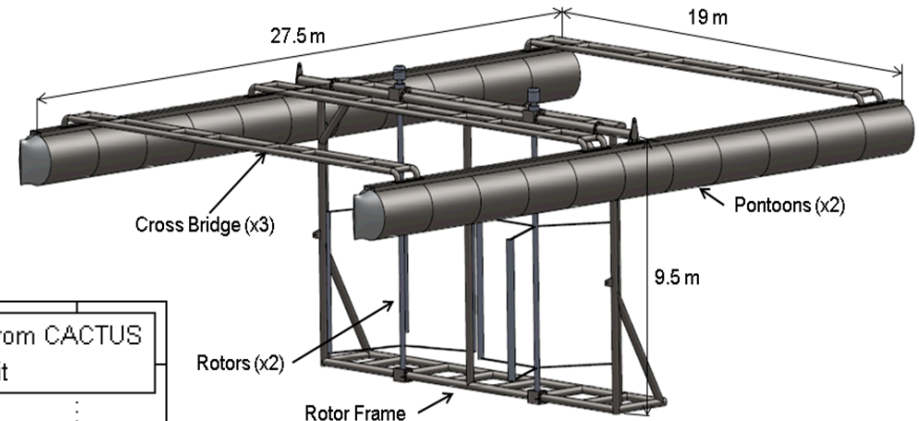
- Two 50 kW cross-flow turbines
- Each turbine is connected through a gearbox to a permanent magnet generator
- Turbine mass and dimensions used to estimate turbine inertia
- Gearbox published data used to determine inertia and damping



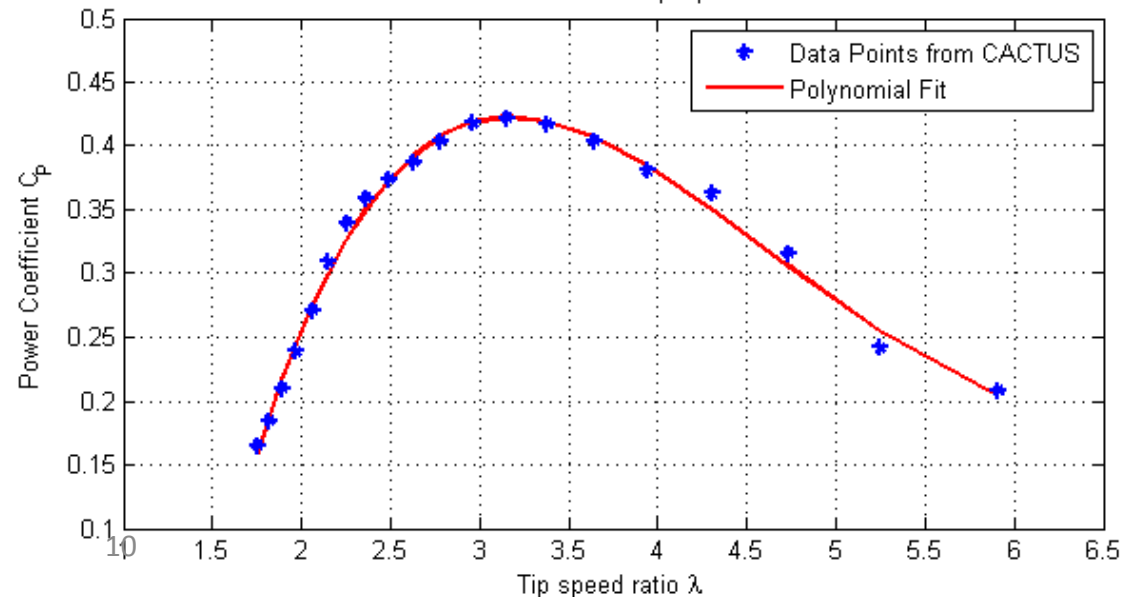
River Turbine Model Parameters were Established from System Design

- **Reference Model 2, Cross-Flow River Turbine**

- The power coefficient was determined by performing CACTUS (Code for the Analysis of Cross- and axial-flow TURbine Simulation) simulations



Power Coefficient vs Tip-Speed Ratio



Emulator Dynamics must “Match” River Turbine Dynamics

- Emulator Dynamics are given by

$$\frac{d}{dt}\omega_{em} = \frac{T_{im} - T_{gen} - B_{em}\omega_{em}}{J_{em}}$$

- Two scale factors are defined

$$P_{em} = k_{sc}P_{turb} \ , \quad n_{em} = \frac{n_{pto}R_{turb} \max(\omega_{em})}{N_{gb}\lambda^* \max(v_w)}$$

- To avoid the use of a torque sensor, a generator torque estimator is developed using the measured shaft speed

$$\frac{d}{dt} \begin{bmatrix} \hat{\omega}_{em} \\ \hat{T}_{gen} \end{bmatrix} = \begin{bmatrix} \frac{-B_{em}}{J_{em}} & \frac{-1}{J_{em}} \\ 0 & 0 \end{bmatrix} \begin{bmatrix} \hat{\omega}_{em} \\ \hat{T}_{gen} \end{bmatrix} + \begin{bmatrix} \frac{1}{J_{em}} \\ 0 \end{bmatrix} T_{im} + \begin{bmatrix} \kappa_{\omega} \\ \kappa_T \end{bmatrix} \Delta\omega_{em}$$

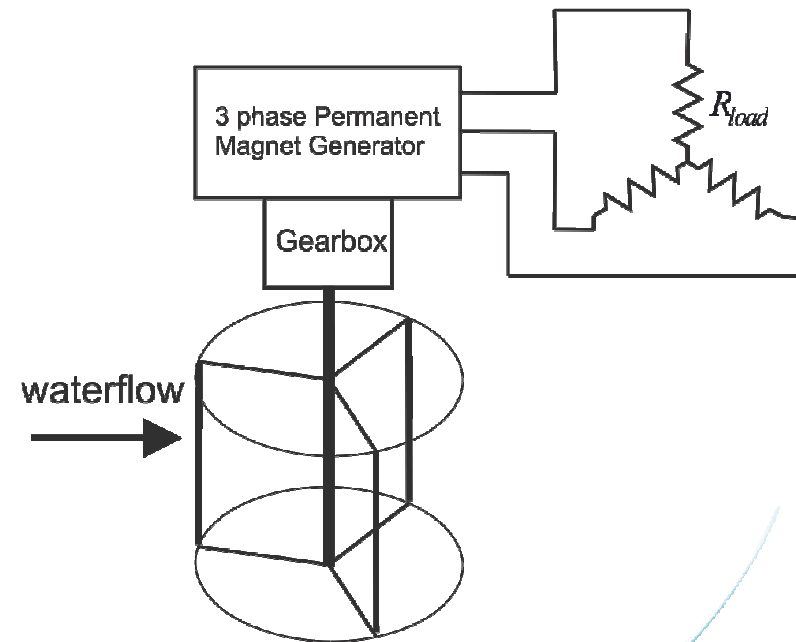
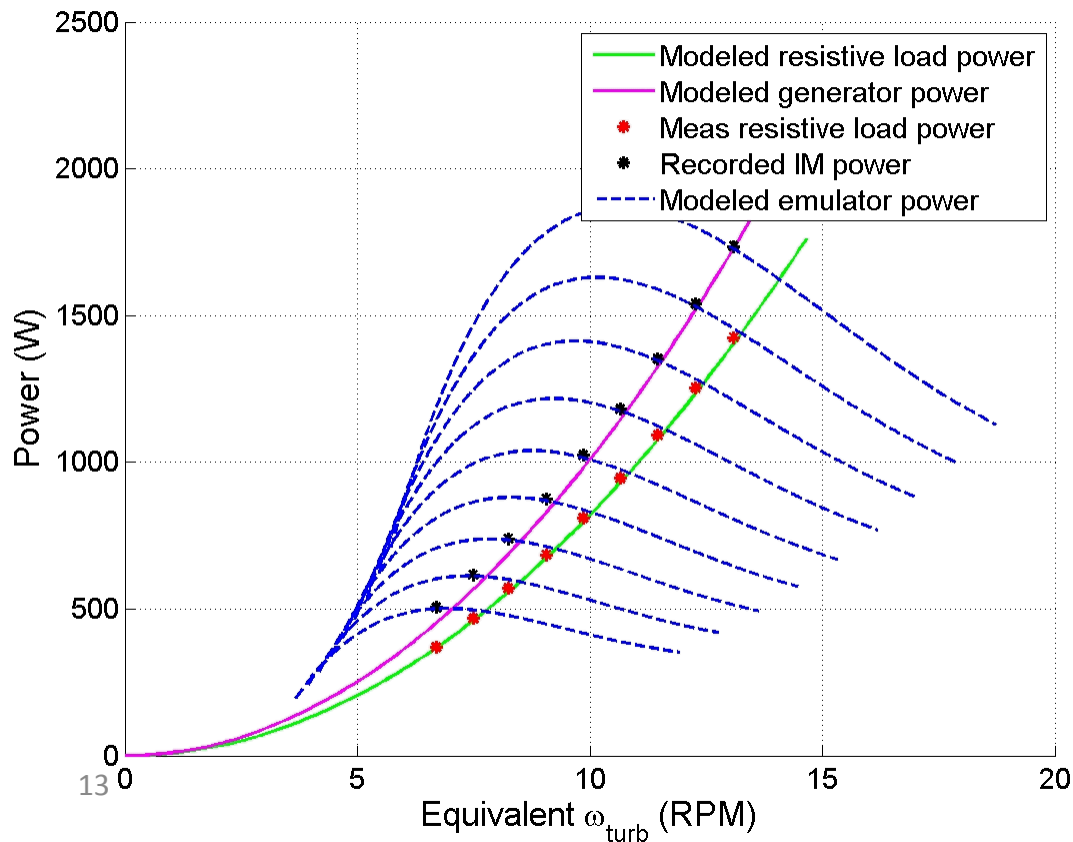
Emulator Dynamics must “Match” River Turbine Dynamics

- Emulator Parameters, Turbine Parameters, estimated generator torque and two scale factors are used to compute the torque command
- However, key system characteristics, including time constants are preserved

$$\begin{aligned} T_{im}^* = & \left(\frac{n_{em}}{n_{pto}} \cdot \frac{\left(1 / N_{gb}\right) J_{em}}{\left(1 / N_{gb}^2\right) J_{turb} + J_{pto}} \right) T_{turb} \\ & + \left(1 - \left(\frac{n_{em}}{n_{pto}} \right)^2 \frac{J_{em}}{k_{sc} \left(\left(1 / N_{gb}^2\right) J_{turb} + J_{pto} \right)} \right) \hat{T}_{gen} \\ & + \left(B_{em} - \frac{\left(1 / N_{gb}^2\right) B_{gb} J_{em}}{\left(1 / N_{gb}^2\right) J_{turb} + J_{pto}} \right) \omega_{em} \end{aligned}$$

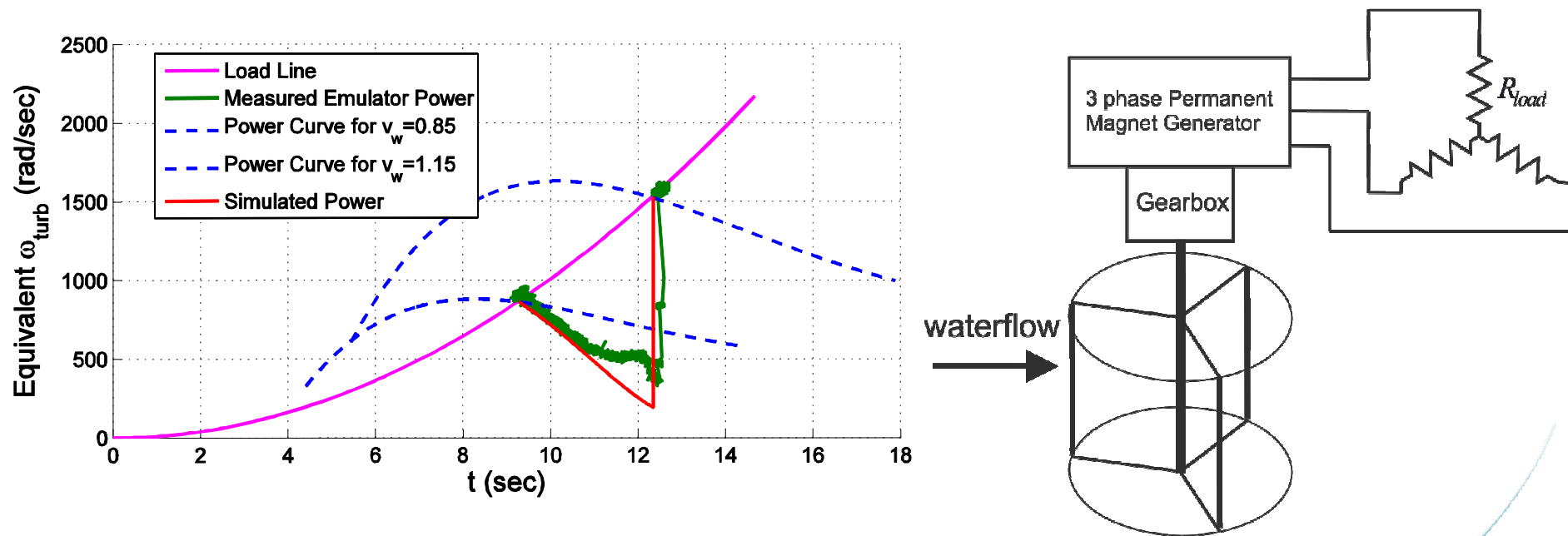
River Turbine Emulator Static Hardware Test Agrees with Analysis

- The 3- Φ load resistance is fixed, and the emulator is allowed to reach steady-state for several water velocities between 0.7 and 1.1 m/sec
- The mechanical power reported by the drive and the measured electrical power are compared to those predicted in analysis



River Turbine Emulator Dynamic Hardware Test Agrees with Simulation

- The 3- Φ load resistance is fixed, and the water velocity is stepped from 1.15 to 0.85 m/sec
- The rotor speed and measured mechanical power are compared to that predicted in Matlab simulation



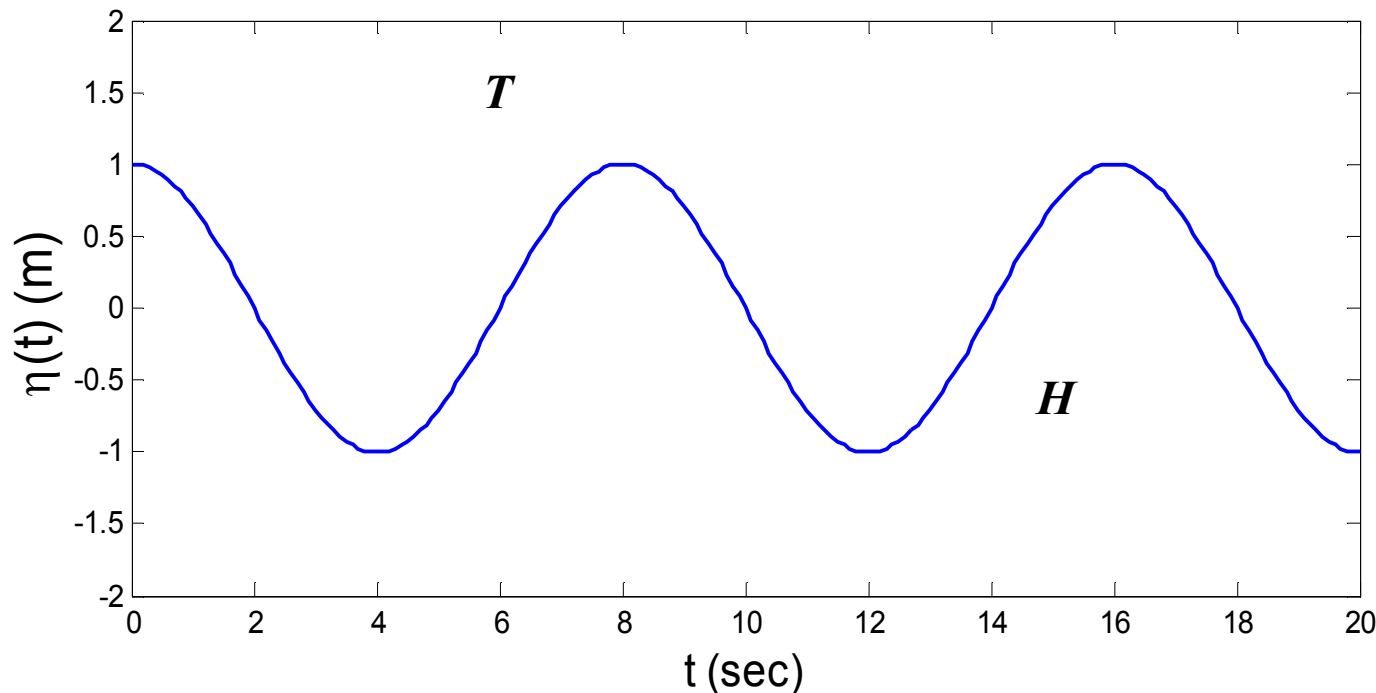
Point Absorber (WEC) Emulator



Ocean Wave Energy Depends on both the Potential and Kinetic Energy of the Water

- Power is given by the product of the wave energy flux and the capture width

$$P_{wave} = \frac{\rho_{sw} g^2 H^2 T}{32\pi} CW$$



The Point Absorber Dynamical Model Resembles a Mass-Spring-Damper system

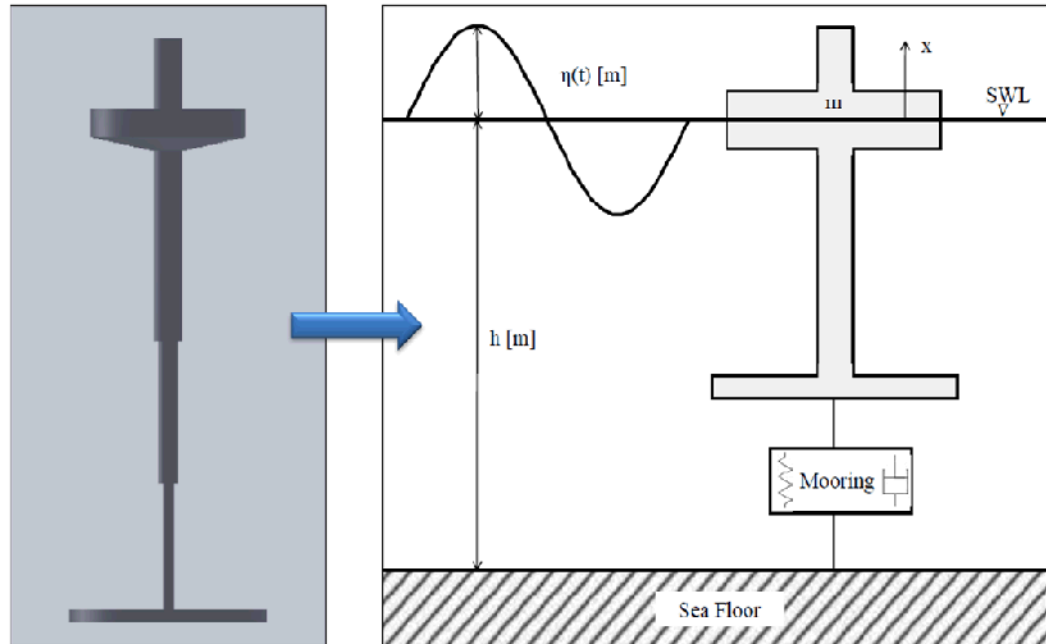
- Single Body Point Absorber is represented as a second order nonlinear noncausal system

$$(m + A(\infty))\ddot{x} = -B_{pto}\dot{x} - K_{hs}x + F_e - F_r - F_m$$

$$F_e(t) = \int_{-\infty}^{\infty} \eta(\tau) f_e(t - \tau) d\tau$$

$$F_r(t) = \int_{-\infty}^t \dot{x}(\tau) f_r(t - \tau) d\tau$$

$$F_m(t) = 8k_m x \left(1 - \frac{l_m}{(l_m^2 + x^2)^{1/2}} \right)$$



The Point Absorber Dynamical Model Resembles a Mass-Spring-Damper system

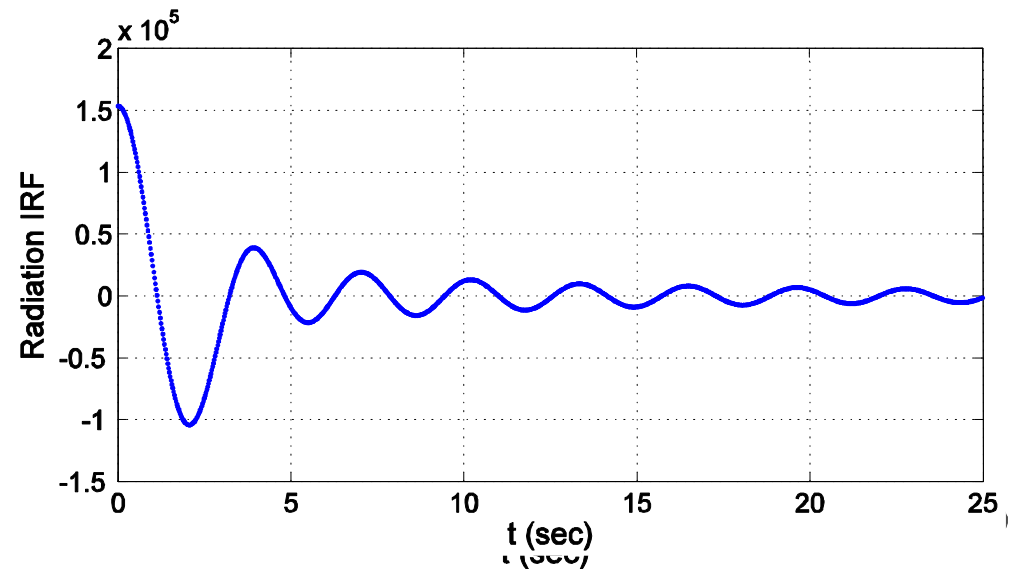
- Impulse Response is identified experimentally using wave tank testing

$$(m + A(\infty))\ddot{x} = -B_{pto}\dot{x} - K_{hs}x + F_e - F_r - F_m$$

$$F_e(t) = \int_{-\infty}^{\infty} \eta(\tau) f_e(t - \tau) d\tau$$

$$F_r(t) = \int_{-\infty}^t \dot{x}(\tau) f_r(t - \tau) d\tau$$

$$F_m(t) = 8k_mx \left(1 - \frac{l_m}{(l_m^2 + x^2)^{1/2}} \right)$$



The Point Absorber Linear Motion must be Converted to Rotational Power

- The equations of motion are expressed as two ODEs and solved numerically using trapezoidal integration (Mooring force neglected)

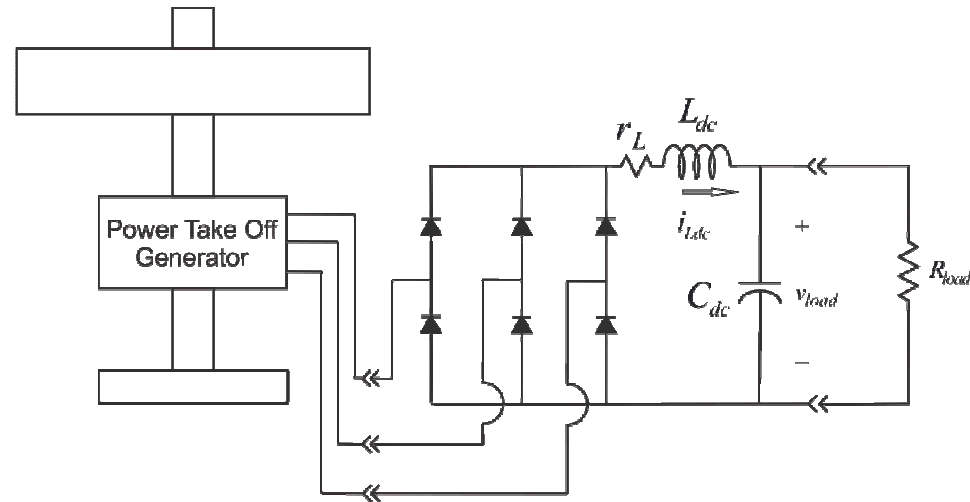
$$\frac{d}{dt}v_m = -\frac{B_{pto}}{(m + A(\infty))}v_m - \frac{K_{hs}}{(m + A(\infty))}x + \frac{F_e - F_r - F_m}{(m + A(\infty))}$$
$$\frac{d}{dt}x = v_m$$

- An idealized (loss-less) power take-off is considered that appears as additional viscous damping to the point absorber

$$T_{im}^* = k_{sc} \frac{B_{pto} v_m^2}{\omega_{em} + \varepsilon}$$

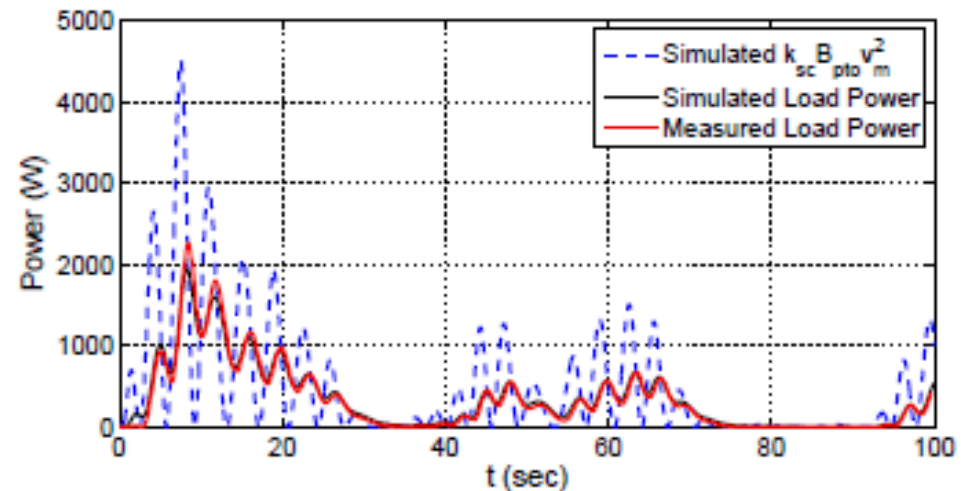
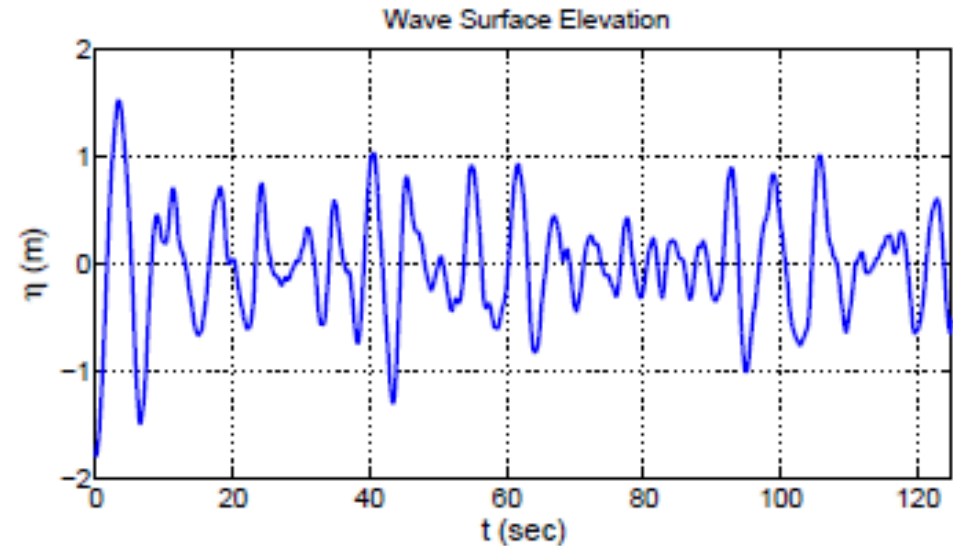
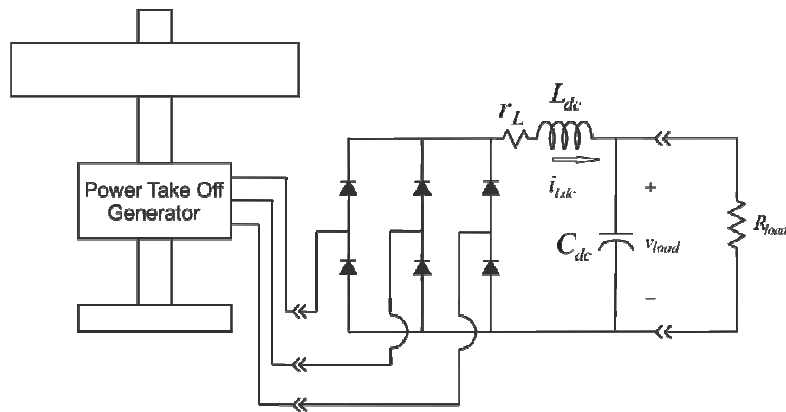
Point Absorber Emulator Hardware Tests Agree with Simulation

- The emulator generator is connected to a rectifier with LC output filter and DC resistive load
- Measured electrical output power was compared to that obtained in Simulink simulation
- A 125 second wave profile was needed for a 100 second experiment due to the non-causal FIR filter



Point Absorber Emulator Hardware Tests Agree with Simulation

- The emulator is tested for an irregular wave profile recorded from a data buoy time-series from Umpqua 46229 in June 2008



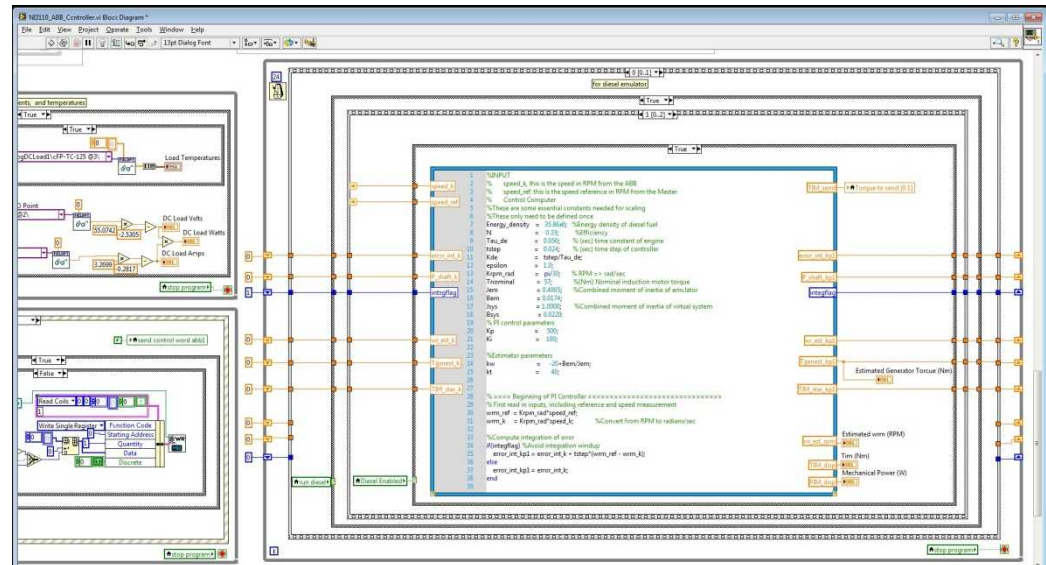
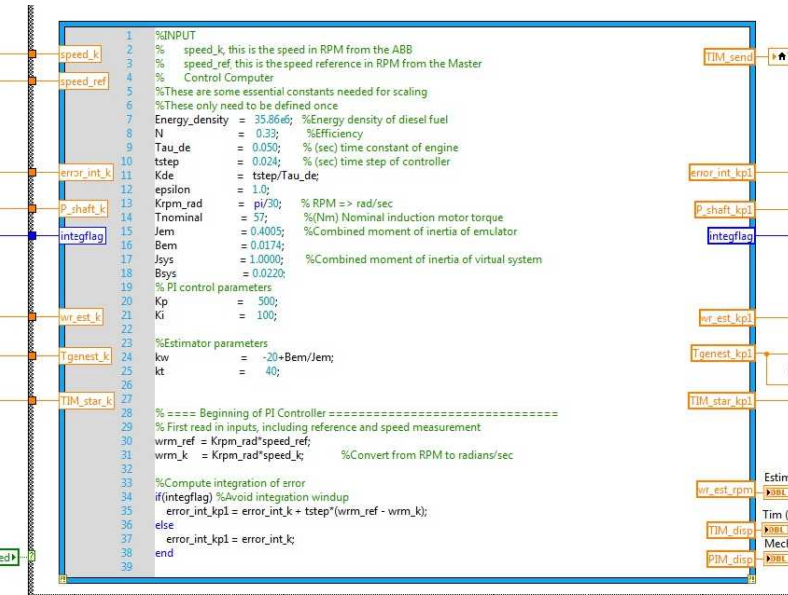
Conclusions and Future Work

- **A river turbine and a wave energy converter (point absorber) were emulated dynamically using a commercial motor drive**
- **These emulators are incorporated into a microgrid testbed that includes power converters, loads**
- **A patent application has been filed for this emulator method**
- **Future Work will includes**
 - Implementation of a two-body WEC model
 - Incorporation of a detailed hydraulic power take-off model
 - Testing of hydrokinetic control methods using the testbed

BACK UP SLIDES

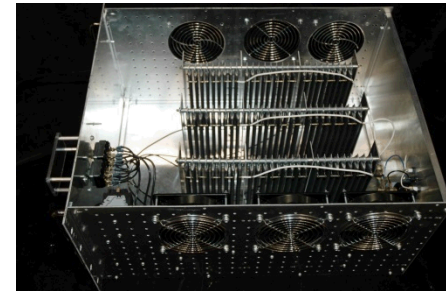
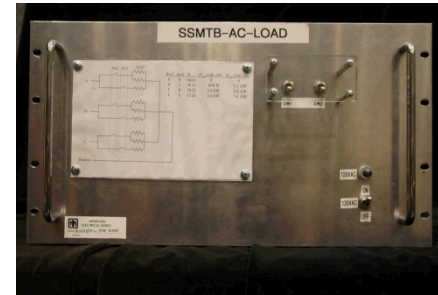
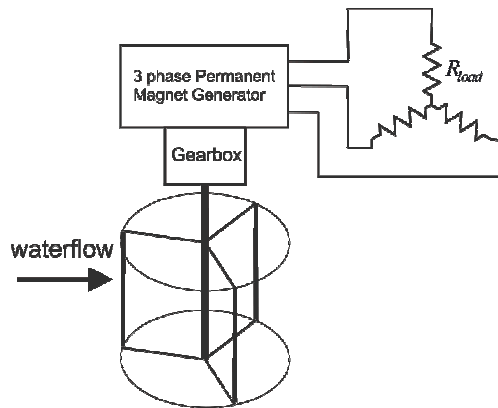
Emulator Control Software is Developed using LabVIEW and Matlab

- LabVIEW 2011 with Mathscript RT toolkit
- River Turbine Emulator coded in Matlab
- Point Absorber Emulator implemented using Matlab and LabVIEW FIR filters
- LabVIEW manages the network interface with the ABB drive

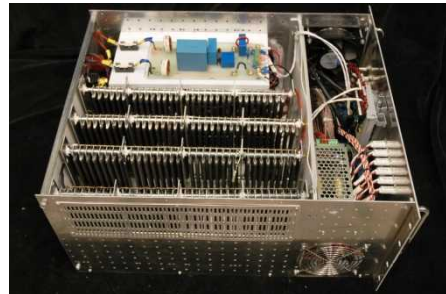
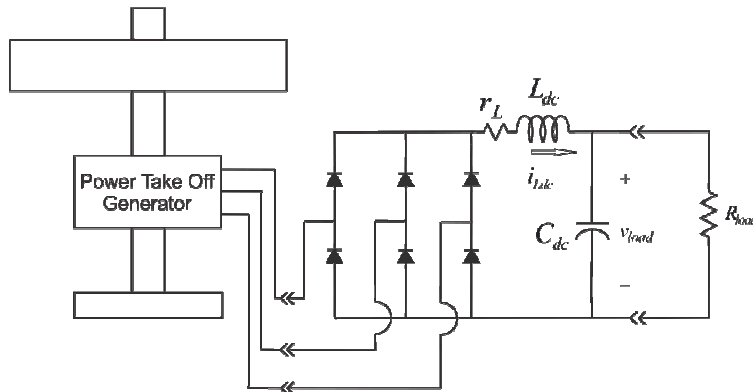


Additional Testbed Components were Used

- 3 Phase Wye-Connected Resistive Load

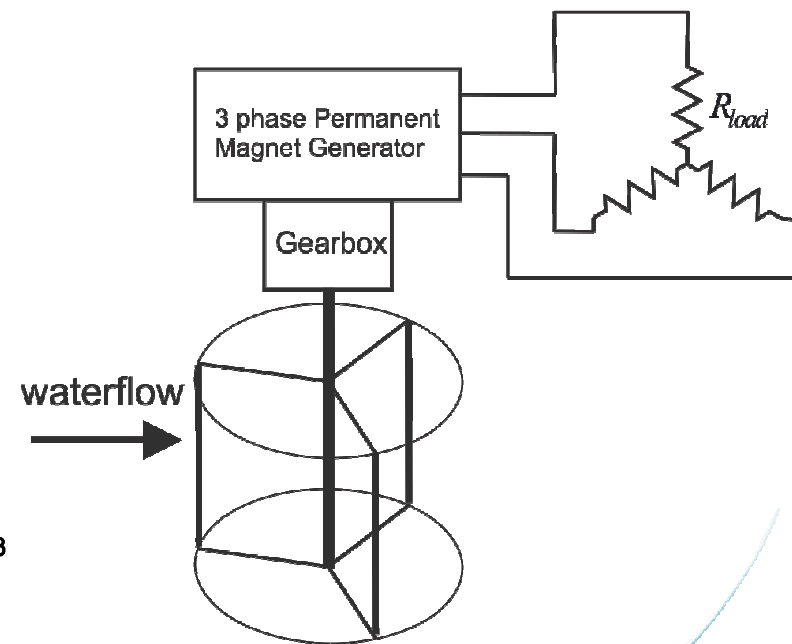
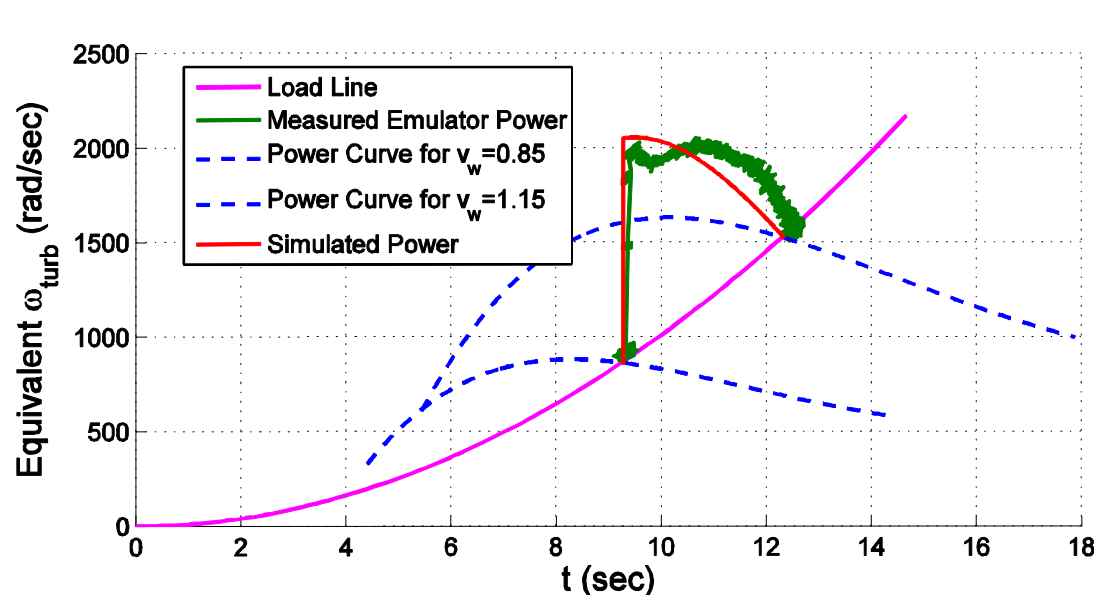


- Rectifier with LC filter



River Turbine Emulator Dynamic Hardware Test Agrees with Simulation

- The 3- Φ load resistance is fixed, and the water velocity is stepped from 0.85 to 1.15 m/sec
- The rotor speed and measured mechanical power are compared to that predicted in Matlab simulation



Point Absorber Emulator Hardware Tests Agree with Simulation

- The emulator is tested for a regular wave with a wave period of 6 seconds and a peak wave height of 1 meter

