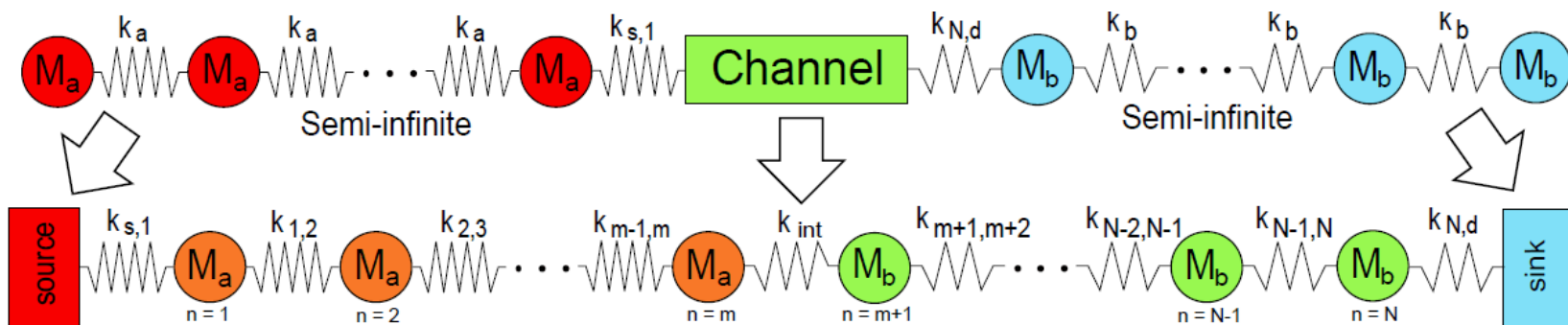


# 1D Non-Equilibrium Green's Functions

- Green's functions are a mathematical method for solving linear, inhomogeneous differential equations subject to specific initial and boundary conditions
- The system is described by a harmonic Newtonian system of equations
- We apply the method to calculate frequency dependent phonon transmission
- The source and sink are semi-infinite 1-D “bulk” materials
- The channel is explicitly described by a system of  $N$  coupled equations
- We investigate the effect of changing (1) impurity mass, (2) interface bonding, and (3) both, by reducing the channel to only include the feature of interest



## Slide 1

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**PN1**

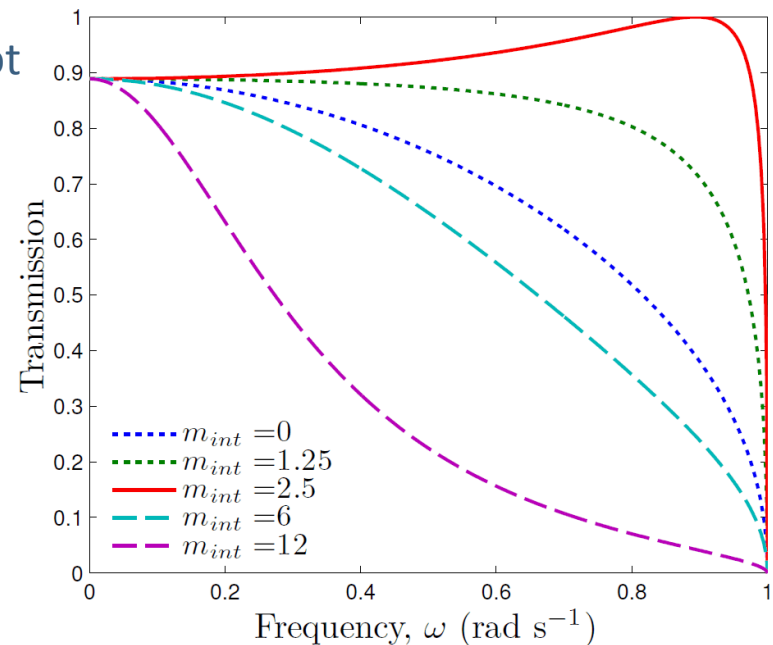
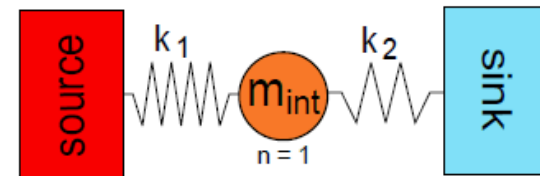
here is no mention on this slide of an impurity mass but we go directly to an optimal impurity mass on the next slide?

Pamela Norris, 9/9/2011

# Effect of Interface Impurity Mass

- Impurity mass PN2 which yields the maximum transmission is independent of spring constants on either side of the interface
- Maximizes all frequencies simultaneously
- When  $m_{int}$  goes to zero, transmission does not go to zero
- As  $m_{int}$  goes to infinity, transmission goes to zero, but at different rates for different frequencies

$$m_{int,max} = \frac{m_1 + m_2}{2}$$



## Slide 2

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**PN2**

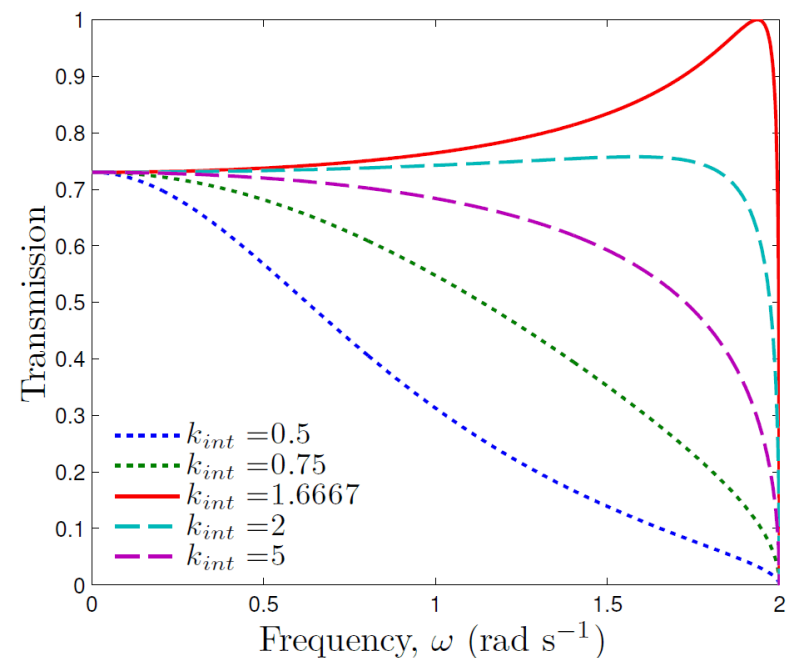
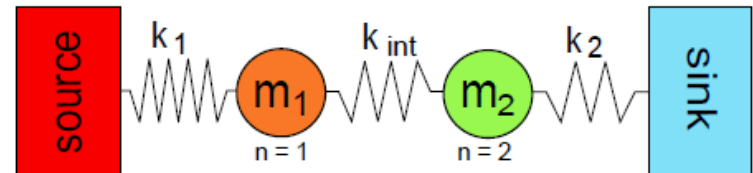
following up on comment from last slide---we need to introduce the impurity mass

Pamela Norris, 9/9/2011

# Effect of Interface Adhesion

- Interface adhesion which yields the maximum transmission is independent of mass and frequency
- All frequencies are maximized for the same choice of  $k_{int,max}$
- As  $k_{int}$  goes to zero so does the transmission
- As  $k_{int}$  goes to infinity transmission does not go to a maximum

$$k_{int,max} = \frac{2k_1k_2}{k_1 + k_2}$$



# Simultaneous Effects

- Choice of interface adhesion and mass depends on temperature regime at which the device will be operated

$$k_{int,max} = f(m_{int}, \omega)$$

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$$k_{int,max} = \frac{-2k_2m_2(k_1m_1 + m_{int}(m_{int} - m_1)\omega^2)}{-k_1m_1m_2 + k_2m_2(m_1 - 2m_{int}) + m_{int}(m_1 - m_{int})}$$

$$m_{int,max} = \frac{k_2m_2(2k_{int} + m_1\omega^2) - k_{int}(k_{int}(m_2 - m_1) + m_1m_2\omega^2)}{2(k_2m_2\omega^2 + k_{int}^2 - k_{int}m_2\omega^2)}$$

