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Title: Predicting Reaerosolization

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Kristin M. Omberg

Intended for: 4th National Bio-Threat Conference



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Title: Reaerosolization: What are the primary causes? Can we predict it?

Conference Topic: Detection, Characterization, and Clearance Sampling and Analysis: An Integrated Approach

Name: Brent Daniel

Contact: wdaniel@lanl.gov

Outdoor studies of the environmental persistence of bacteria have led to many interesting results. It turns out that the initial deposition of bacteria is not the end of the story! We examined both the ongoing daily deposition and aerosolization of bacteria for two weeks following an initial deposition event. Differences between samples collected in a clearing and those collected beneath a forest canopy were also examined. There were two important results: first, bacteria were still moving about in significant quantities after two weeks, though the local environment where they were most prevalent appeared to shift over time; second, we were able to develop a simple mathematical model that could fairly accurately estimate the average daily airborne concentration of bacteria over the duration of the experiment using readily available environmental information. The implication is that deposition patterns are very likely to shift over an extended period of time following a release, possibly quite significantly, but there is hope that we may be able to estimate these changes fairly accurately.

Predicting Reaerosolization

Brent Daniel, Kristin Omberg

Motivation

- How long does an exposed area remain contaminated?

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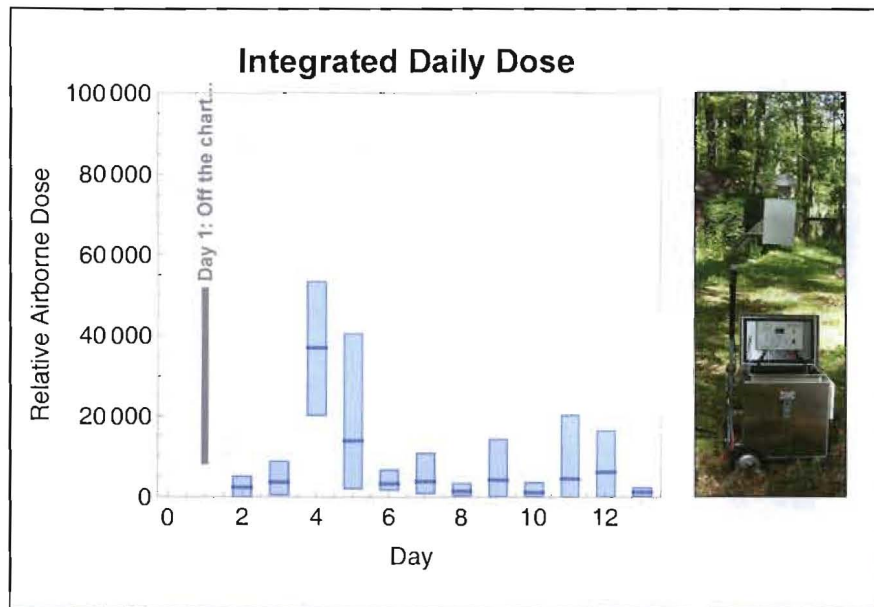
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- **If these quantities do vary over time, can they be predicted with enough accuracy to help guide/inform policy/response decisions?**

Approach



Empirical Observation

$$\frac{d\sigma}{dt} = u_g c - \frac{A\rho}{gh} u_* (u_*^2 - u_{*t}^2) \frac{\sigma}{\sigma_0}$$

$$\frac{dc}{dt} = -h^{-1} \frac{d\sigma}{dt} - L^{-1} u c$$

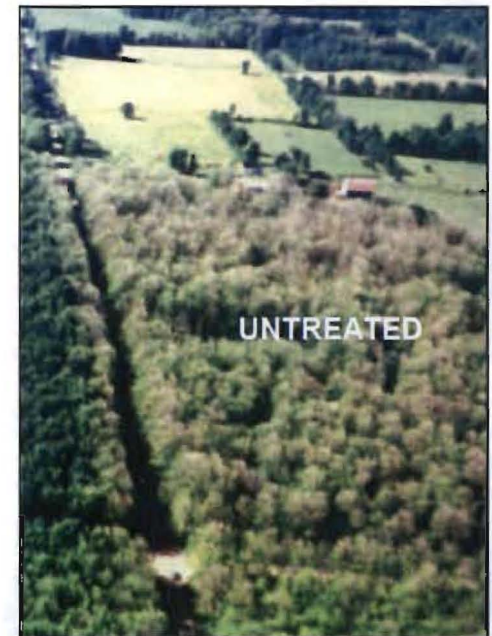
Theoretical Model

The Gypsy Moth

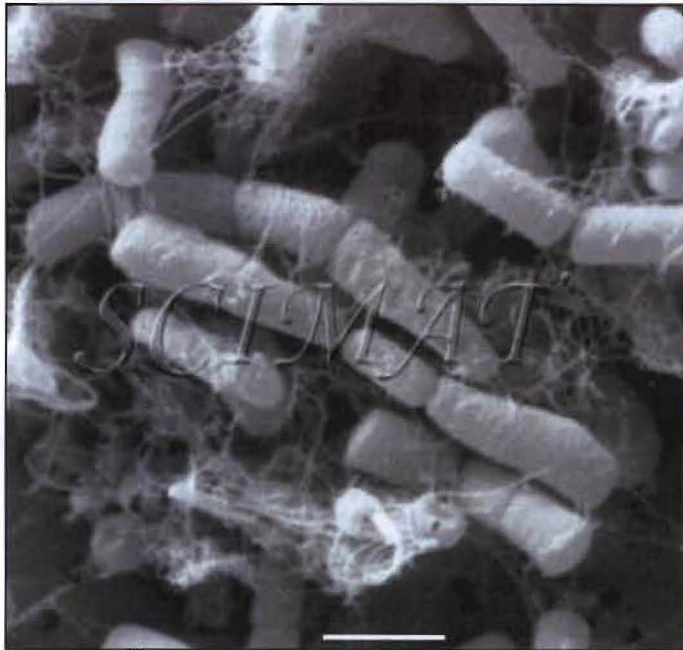


The Asian Gypsy moth (*Lymantria dispar*) is an invasive species that was introduced from Europe in the 1860s

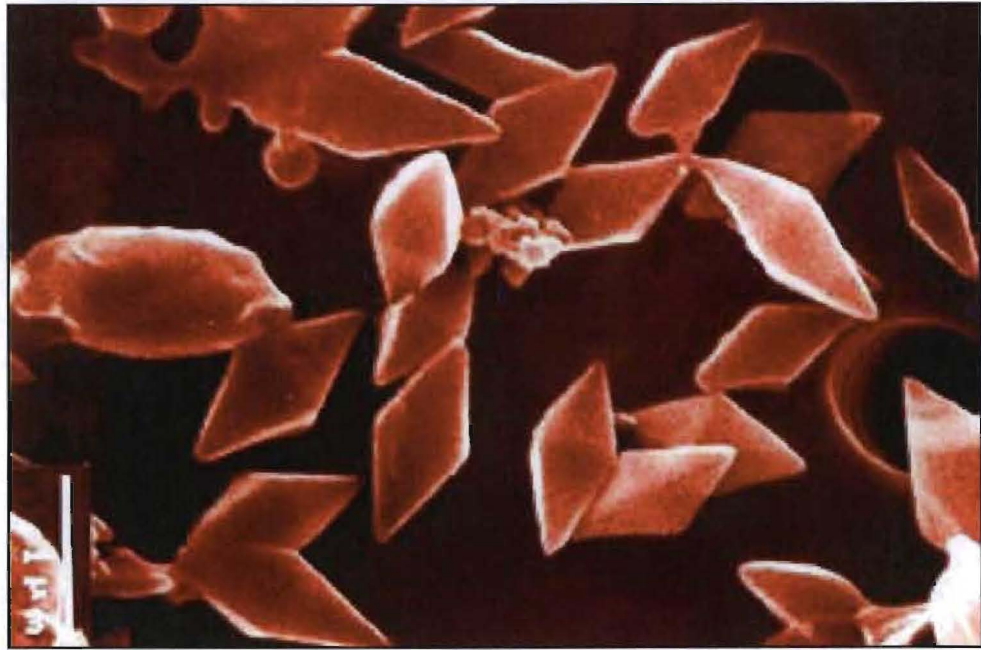
Native tree species haven't evolved defenses



Mitigation



Bacillus thuringiensis var. *kurstaki*



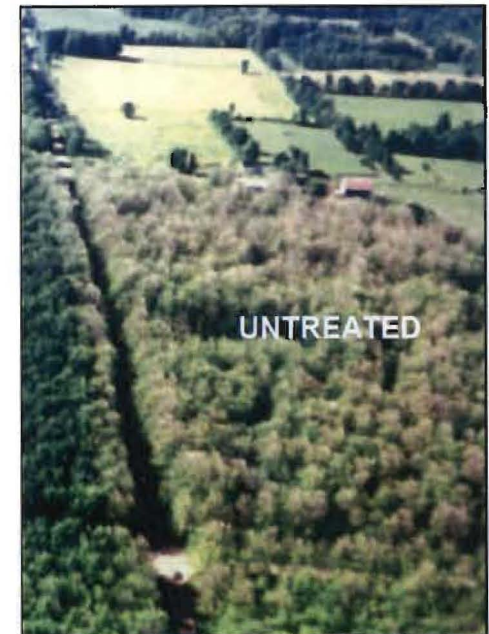
Bt toxin is pathogenic
to Gypsy Moths

The Gypsy Moth



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Experiment



A one square mile spray block in suburban Virginia



Close-up of study area

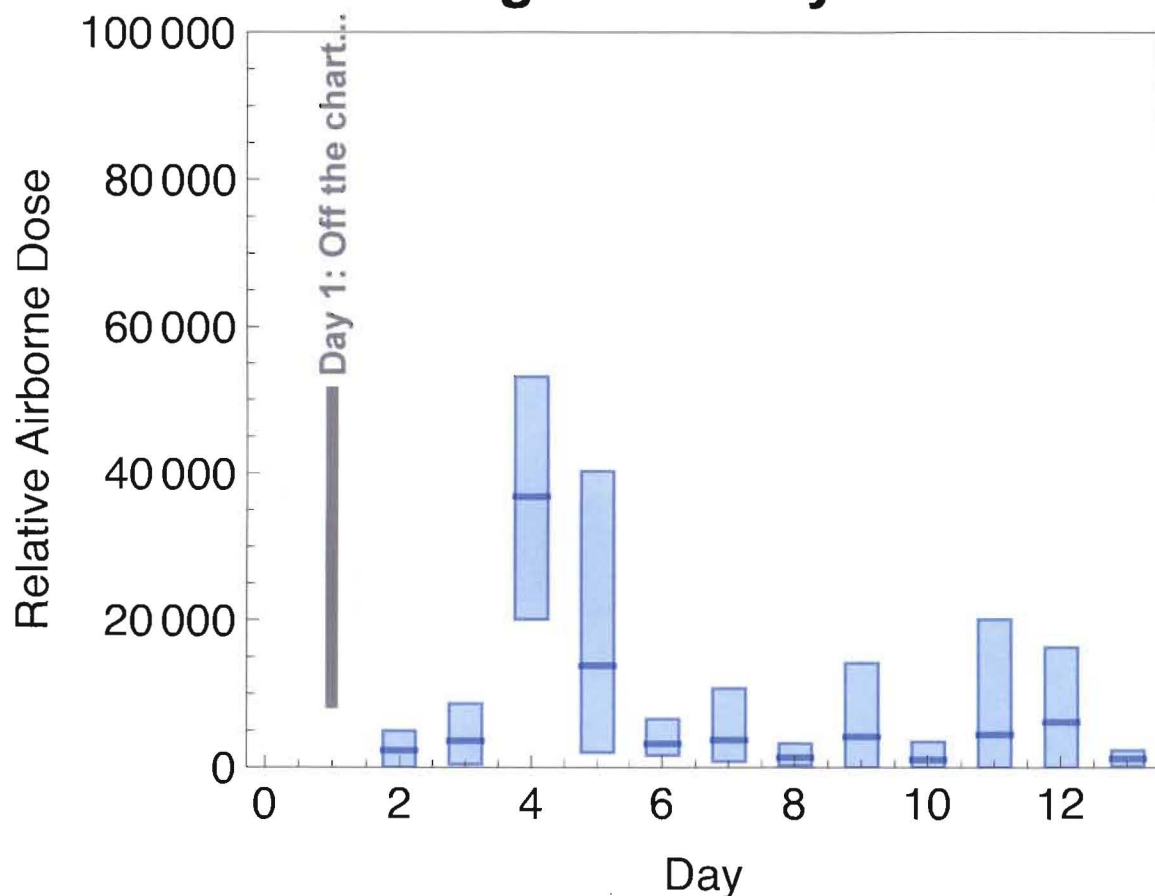
Experiment



Aerosol collectors used to measure daily airborne does. Samples collected every twenty-four hours for almost two weeks.

Empirical Observation

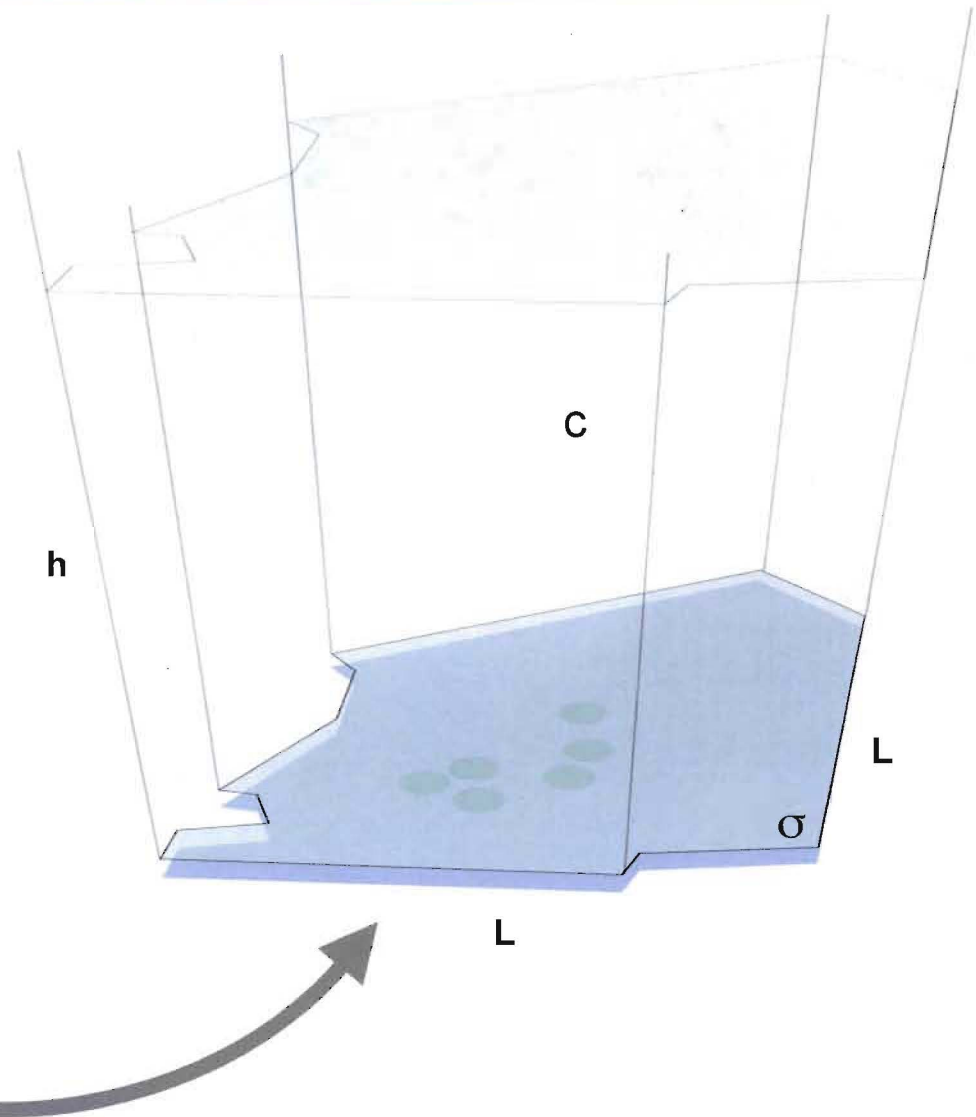
Integrated Daily Dose



- How long does an exposed area remain contaminated?
- Does material reaerosolize and present an inhalation risk?
- In what quantity? For how long?
- What environmental factors play a role?
- If these quantities do vary over time, can they be predicted with enough accuracy to help guide/inform policy/response decisions?

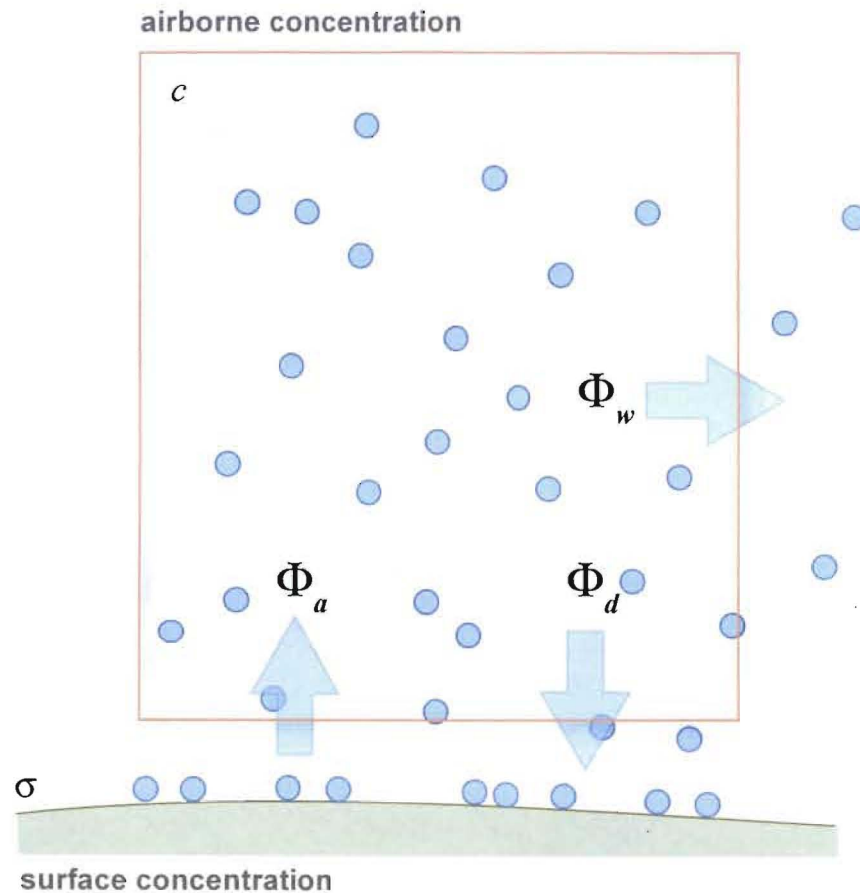
Theory

- How does the concentration in the volume above the contaminated area change over time?
- How does the surface concentration change over time?



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Material Conservation



Mass conservation in box

$$L^2 h \frac{dc}{dt} = L^2 \Phi_a - L^2 \Phi_d - L h \Phi_w$$

$$\frac{dc}{dt} = h^{-1} [\Phi_a - \Phi_d] - L^{-1} \Phi_w$$

Mass conservation at surface

$$L^2 \frac{d\sigma}{dt} = L^2 \Phi_d - L^2 \Phi_a$$

$$\frac{d\sigma}{dt} = \Phi_d - \Phi_a$$

Particle Flux

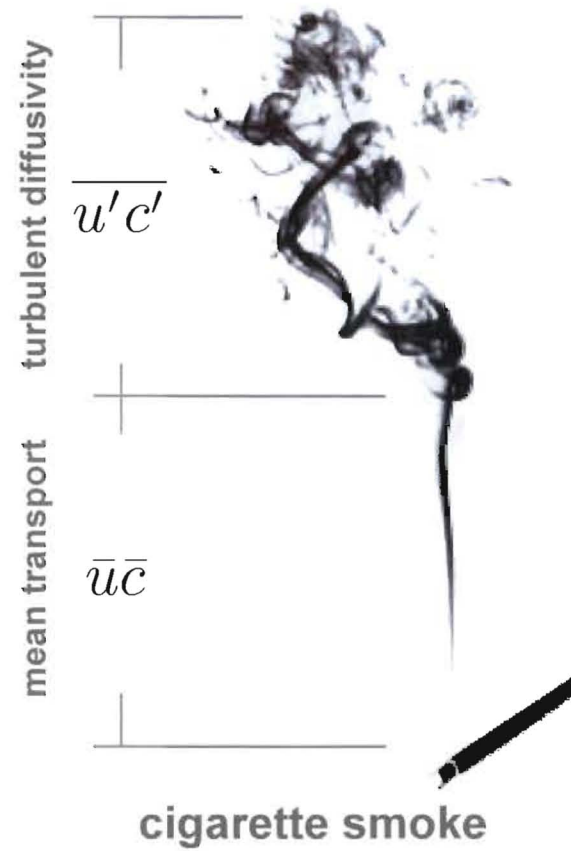
Now, we must define each of these fluxes. In general, the contributions come from the following terms:

$$\Phi = \bar{u}\bar{c} + \overline{u'c'} - u_g\bar{c} - D\frac{\partial\bar{c}}{\partial z}$$

Particle Flux

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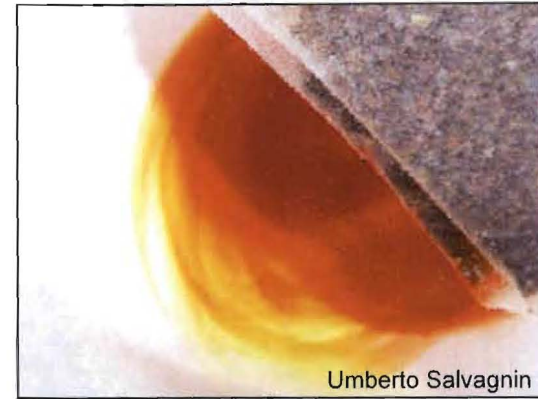
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Thermal diffusion



Gravity-driven settling

Particle Flux: Wind and Deposition

no vertical component

Wind: $\Phi = \bar{u}\bar{c} + \overline{u'c'} - u_g\bar{c} - D\frac{\partial\bar{c}}{\partial z}$

concentration
relatively uniform
near block center

minuscule on
time and length
scales we're
talking about

could be important;
largely serves to
reduce deposition
rate here

Deposition: $\Phi = \bar{u}\bar{c} + \overline{u'c'} - u_g\bar{c} - D\frac{\partial\bar{c}}{\partial z}$

minuscule on
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Particle Flux: Reaerosolization

$$\Phi_a = \frac{A\rho}{gh} u_* (u_*^2 - u_{*t}^2) \frac{\sigma}{\sigma_0}$$

From mass and momentum conservation of air/particle system

Labels for the first equation:

- particle availability (A)
- air density (ρ)
- particle surface density (σ)
- threshold friction velocity (u_{*t})
- gravitational acceleration (g)

$$u_* = \frac{ku}{\ln \left(\frac{z-d_0}{z_0} \right)}$$

From similarity theory

Labels for the second equation:

- von Karman constant (k)
- wind speed (u)
- surface roughness (z_0)
- wind observation height (z)
- friction velocity (u_*)

P.R. Owen, Journal of Fluid Mechanics **20**, 225 (1964)

D.A. Gillette, *et al.*, Earth Surface Processes and Landforms **21**, 641 (1996)

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Putting It All Together

Conservation Equations

$$\frac{dc}{dt} = h^{-1} [\Phi_a - \Phi_d] - L^{-1} \Phi_w$$

$$\frac{d\sigma}{dt} = \Phi_d - \Phi_a$$

$$\Phi_w = u_w c$$

$$\Phi_a = \frac{A\rho}{gh} u_* (u_*^2 - u_{*t}^2) \frac{\sigma}{\sigma_0}$$

$$\Phi_d = u_g c$$

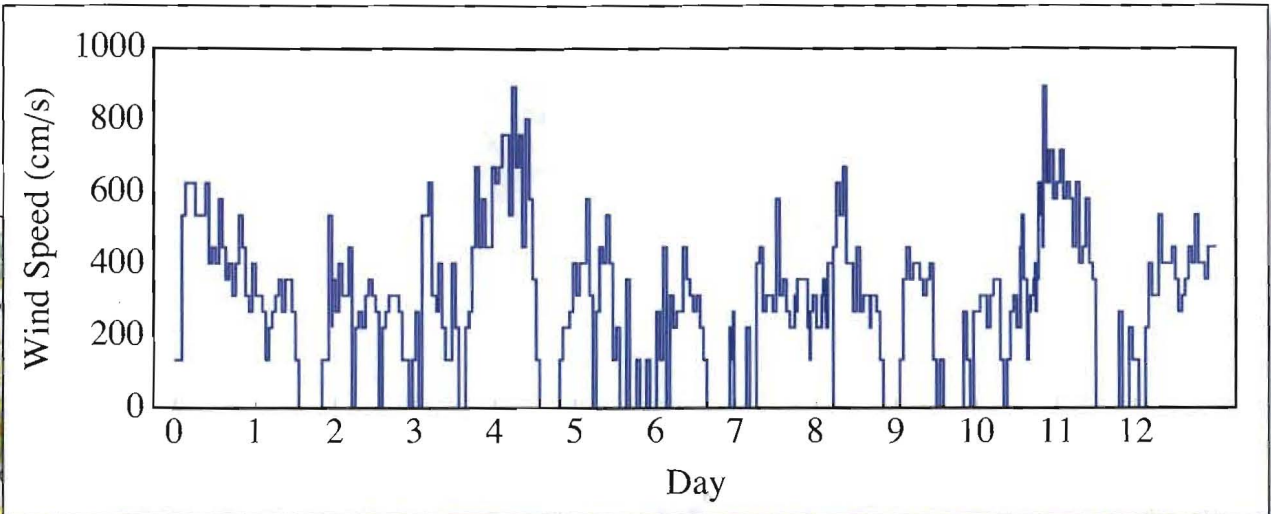
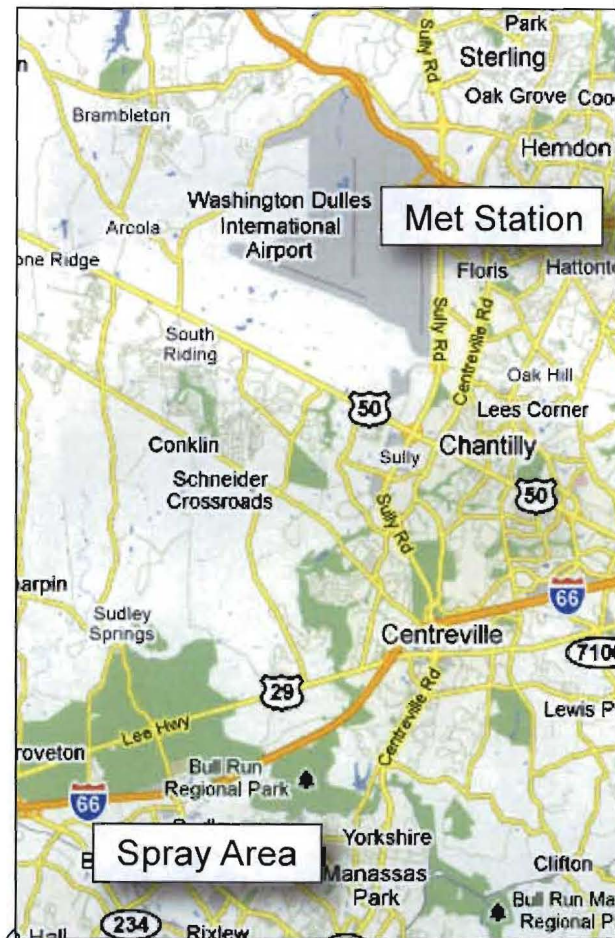
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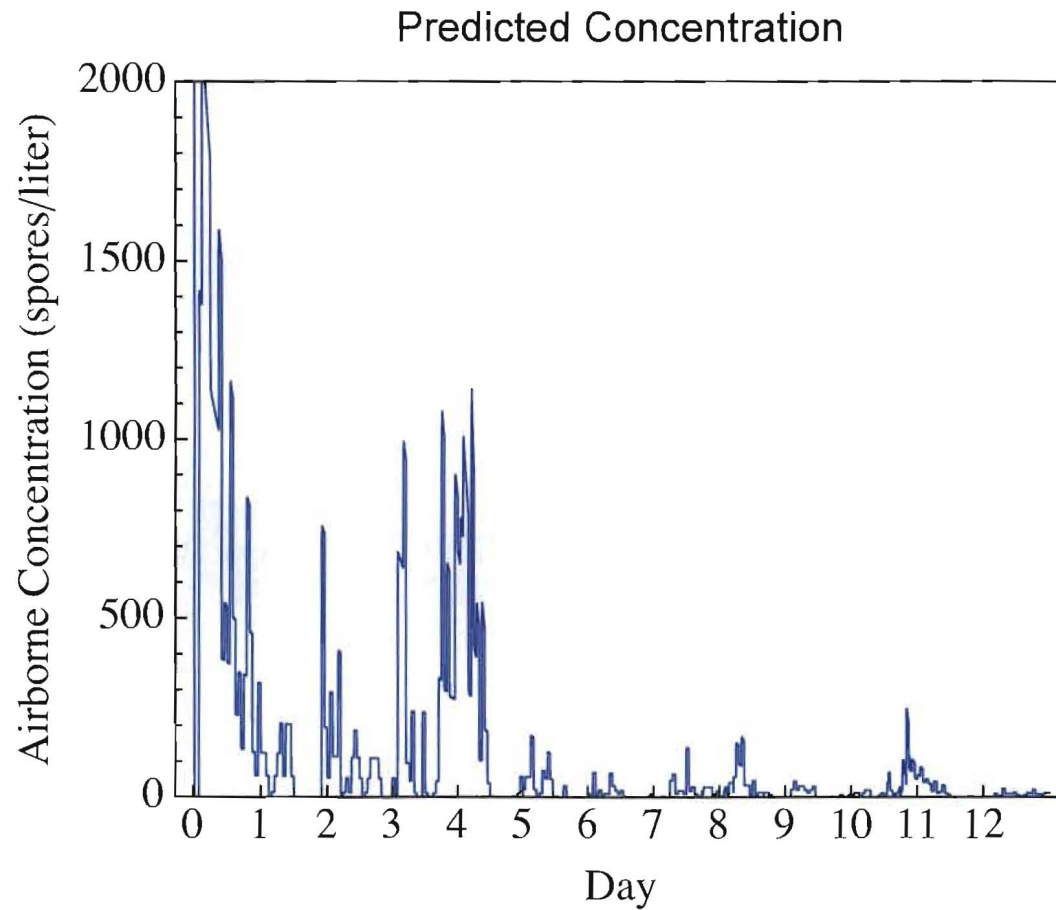
Constants

$$\begin{aligned} s_0 &= 0 \text{ spores / cm}^2 \\ c_0 &= 562 \text{ spores / cm}^3 \\ u_g &= 15 \text{ cm / s} \\ u_{*t} &= 12 \text{ cm / s} \\ h &= 2500 \text{ cm} \\ A &= 1.36 \end{aligned}$$

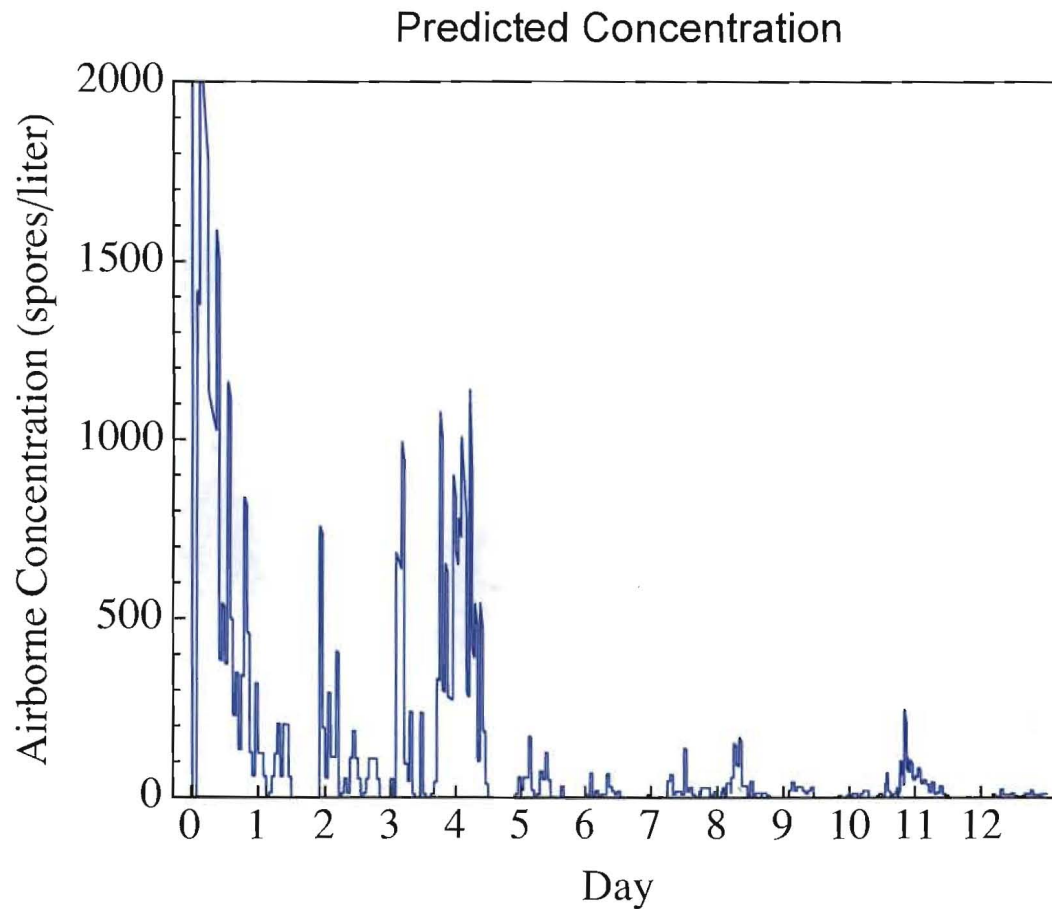
Meteorological Data



Airborne Concentration



Airborne Concentration



The dose is the airborne concentration integrated over the sample collection period:

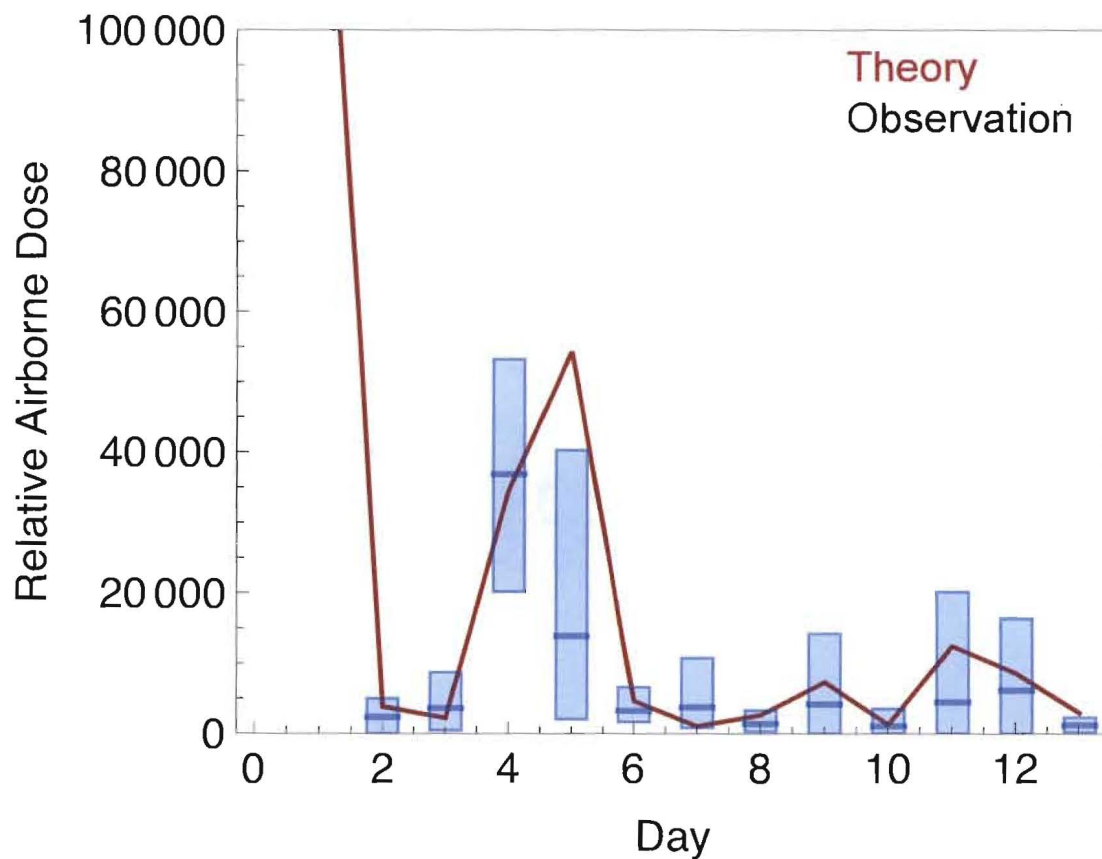
$$d = \int_t^{t+T} dt \, c(t)$$



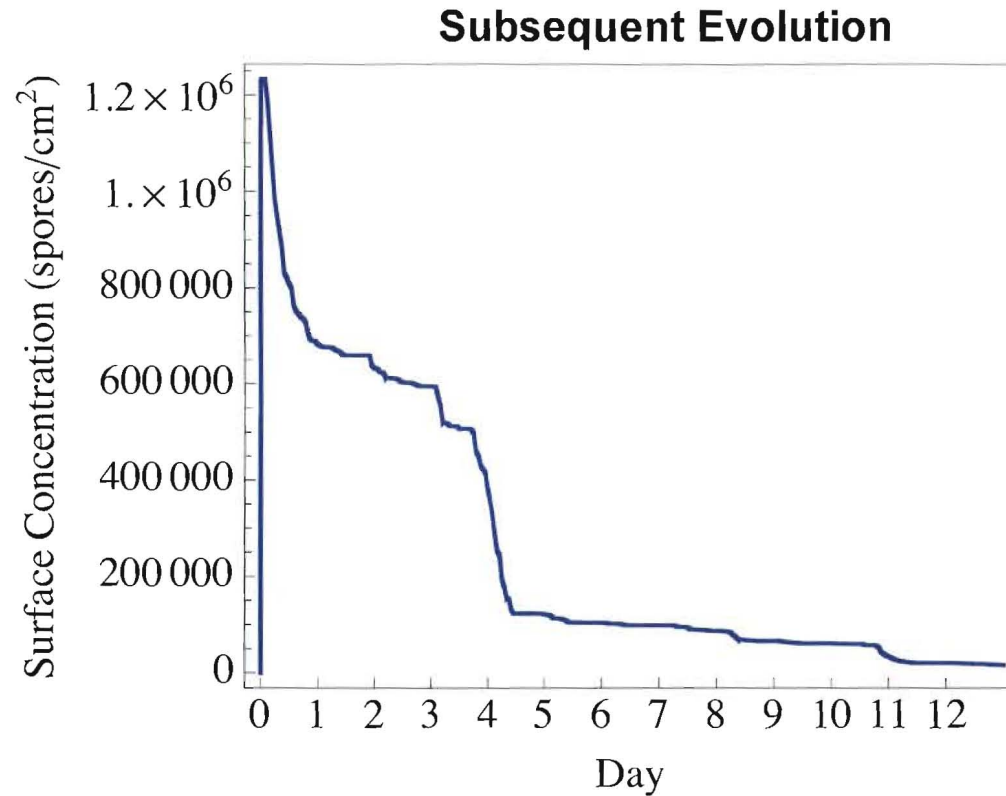
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Surface Concentration Estimates



Conclusions

- Deposited material can reaerosolize in significant quantities
- Contaminated area and associated remediation needs evolve daily
- Reaerosolization rate depends strongly on wind speed
- Relatively simple model can provide fairly accurate quantitative estimates of critical contamination metrics