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MOUND LABORATORY-MONSANTO
Central File No. 52-10-65

OAK RIDGE NATIONAL LABORATORY ALMD52106501093

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CARBIDE AND CARBON CHEMICALS COMPANY

A DIVISION OF UNION CARBIDE AND CARBON CORPORATION

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OAK RIDGE, TENNESSEE

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10-16-52

NOTEBOOK NO. 1792

Assigned to: J. R. Parks

Department: Res. Dir. Div

Location: 9204-1 4-12

Date: 11-30-51

CF, INV. 5/16/53

This notebook is assigned to personnel performing research and development work and must be used for all original calculations, notes and abstracts from reports.

Assignee is responsible for the safe-guarding of this notebook in accordance with security regulations.

Do not use scrap paper. INV. 5-54 MSW

Be sure to record all personal conferences.

This notebook must be returned to Central Files–Bldg. 2068 when completed or upon termination of assignee.

Subject	Page

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VERNON ROYAL LINE
U. S. A.

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Date

$\alpha = \frac{\Delta k}{k}$ = excess reactivity

Machine calculated

Simple formula

inertia $\tau = 0.1$ s

HFE $\tau = 10$ s

	α_1	α_2	$\frac{T-\beta}{\tau}$	$\frac{P}{P_0}$ ③	$\frac{P}{P_0}$ I	$\frac{P}{P_0}$ (A)	$\bar{P}(s)$	$\bar{P}_{eq}$ I	$\bar{P}_{eq}$	$\bar{P}_{eq}$	$\bar{P}$
1	0	0	871	7470		9326	1700/2500		2686	0	2688
2	0.3	0	300	8360		4152	NO/1275		956	2.5	958.5
3	0	0.01	300	4760		4152	1860		956 (3.6)	17230	18186
4	0.3	0.01	300	4760	4250	4152	1860	1870	956	17230	18186
5	0	0	100	129		146	30		11.2 (0.4)	0	11.2
6	0.1	0	25	14.9		14.5	0.64		0.28	.0027	0.283
7	0.3	0	25	14.9		14.5	0.64		0.27	.0061	0.288
8	0	0.01	25	14.9		14.5	0.72		0.25	0.18	0.46
9	0.3	0.01	25	14.9		14.5	0.73		0.25	0.19	0.47
10		"	25	2.53	2.43	3	0.156	0.100	0.10	0.005	0.101
		"	5	4.71	4.43	15	0.25	0.24		0.20	0.34
11		"	50	36.2	36.8	76.9	2.8	2.5			
12		"	100	145.4		199.5	28.0				
14		"	250		1.44						
15		"	75		78.5						
16		"	125								
17											

$\alpha = \alpha_1 + \alpha_2 |\dot{P}|$ delayed neutrons accounted for

GROUP 1
Excluded from automatic downgrading and declassification

Const-pressure const pressure model

$$\dot{P} = \frac{1}{\tau}\left(\delta + \frac{dk}{dp}\rho\right)P - \frac{1}{\tau}P_0 + \frac{\beta}{\tau}\bar{P}^{P_0}$$

$$\dot{S} = \epsilon(P - P_0)$$ assume $\rho = \left(\frac{\partial \rho}{\partial S}\right)_P S$

neg. wt. exp.

initial cond. $t = 0$, $\delta = 0$, $P = P_0$, $S = 0$

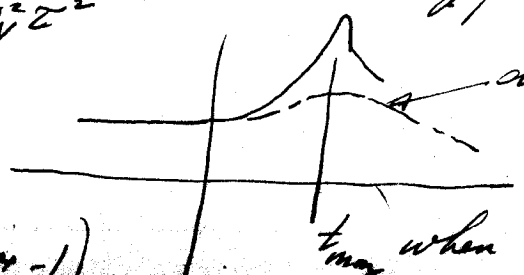
if $\frac{dk}{dp}$ is small $P = P_0 e^{\frac{\delta}{\tau}t}$

$t > 0$, $\delta = \delta$

until $\frac{dk}{dp}$ is sig.

$$\frac{P}{P_0} = 1 + \ln\frac{P}{P_0} + \frac{\delta^2}{2\epsilon P_0 \tau^2}$$

$$S = \epsilon P_0\left(\frac{e^{\frac{\delta}{\tau}t} - 1}{\frac{\delta}{\tau}} - t\right)$$



$$\delta = \frac{dk}{dp}\left(\frac{\partial \rho}{\partial S}\right)_P \frac{\epsilon P_0 \tau}{\delta}\left(e^{\frac{\delta}{\tau}t_{max}} - \frac{\delta}{\tau}t_{max} - 1\right)$$

t_{max} when the temp. effect just opposes the power increase

$$\frac{\delta^2}{2\epsilon P_0 \tau^2} = \frac{P}{P_0} - 1 - \ln\frac{P}{P_0}$$

SECRET

[redacted]

with delayed neutrons

$P = \frac{P_0}{\delta-\beta}\left[\delta e^{\frac{\delta-\beta}{\tau}t} - \beta\right]$ yr through approx solution on page 5.

The requirement is that $\dot{P} = 0$ when $\dot{s} = 0$ + algebra

$$\frac{P}{P_0} = 1 + \frac{\delta}{\delta-\beta}\ln\left(\frac{\delta-\beta}{\delta}\frac{P}{P_0} + \frac{\beta}{\delta}\right) + \frac{(\delta-\beta)^2}{2\omega_H^2\tau^2} + \frac{\beta(\bar{e}-\beta)}{2\omega_H^2\tau^2}\frac{P_0}{P} \quad \text{(Solution to)}$$

---

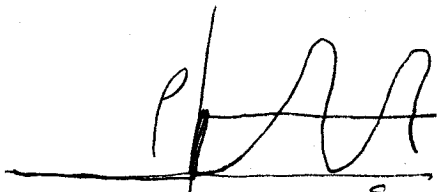
friction in pressurizer

$$\frac{1}{\omega_H^2}\ddot{P} + \frac{M}{\omega_H^2}|\dot{P}|\dot{P} + P = \left(\frac{\partial P}{\partial S}\right)_\rho S$$

for HRE μ is taken to be constant & the friction term is unimportant & negligible.

ω_H = reed frequency.

can well take S as source term



critical region when time for pulse range is comparable to ω_H

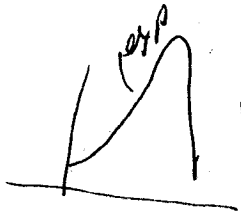
Solve for $P = -\frac{\epsilon P_0}{\tau}\left|\frac{\partial P}{\partial S}\right|_\rho \tau^2 \frac{\delta}{\delta-\beta}\left[\frac{e^{\frac{\delta-\beta}{\tau}t}}{1+\omega_H^2\tau^2} - 1 - \frac{\delta-\beta}{\tau}t\right]$ This does not satisfy initial cond.

if $\omega_H' C < \frac{\tau}{\delta-\beta}$ then $\mathcal{R}$ $\left(1 + \frac{(\delta-\beta)^2}{\omega_H^2\tau^2}\right)$

therefore we may put in the inertial correction in $\frac{P}{P_0}$ above.

$$E = \frac{2\delta_{prompt}}{\epsilon\left(\frac{\partial k}{\partial S}\right)_\rho}\left[1 + \frac{\beta^2}{\omega_H^2\tau^2}\right]$$ - energy release

bomb formula leave out β; $E \propto \frac{\delta^3}{\omega_H^2\tau^2}$



$\dot{P}_{max} = 0.4\frac{\delta-\beta}{\tau}P$

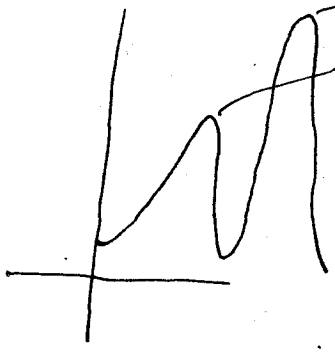
for pressure

$P_{rem} = P$ ... inertial ... frictional

$$P = P_i + P_f = \frac{e^{\bar{\nu}}}{\omega_H^2}\left|\frac{\partial P}{\partial S}\right|_\rho \epsilon\dot{P} + \frac{e^{\bar{\nu}}}{\omega_H^2}M(\epsilon|\dot{P}|\dot{P}\epsilon)\left|\frac{\partial P}{\partial S}\right|_\rho(P-P_0)$$

P [illegible]Signed

The max of P_i & P_f will not occur at same time hence ρ will have 2 max
$2^{nd} > 1^{st}$



see column in table $\bar{P}(CS)$
for stem model $\bar{P}_f$

Date

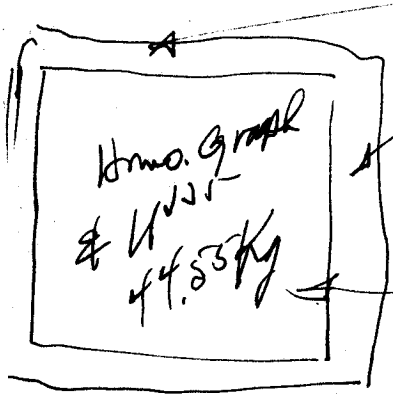
Critical Experiments

Be

21 x 21 x 23.22"
Mass 2V = 19.36 kg.
keff = 0.98
Ref = 1.1 cm.
% thermal = 10.7
Age to th. = 526 cm²

C

51 x 51 x 44.11"
Mass 2V = 57.092 kg (Graphite reactor)
keff = 0.991
M.C.F. = 0.15
% thermal = 27.4
age to th = 391 cm²



keffc of pseudo 1.02, no. self shield = 1.0 2V

self shield = σ_f eff / σ_f

$$-D\nabla^2\phi + \Sigma_a\phi = -\frac{\partial q}{\partial u} + S \qquad (A)$$

$$q = S^g \Sigma_s \phi$$

Core model → neutron diffusing or slowing down not both.

$$-D\nabla^2\phi + \Sigma_t\phi = \frac{q}{f} + S \qquad (B)$$

$$\frac{\partial q}{\partial u} + \frac{q}{f} = \Sigma_s\phi$$

A

$$\frac{\partial q}{\partial u} + \left(\frac{DB^2 + \Sigma_a}{\text{Num } \Sigma_t}\right)\frac{q}{f} = S$$

keff = 0.99 2

B

$$\frac{\partial q}{\partial u} + \left(\frac{DB^2 + \Sigma_a}{DB^2 + \Sigma_t}\right)\frac{q}{f} = \left(\frac{\Sigma_s}{DB^2 + \Sigma_t}\right)S$$

resonance escape & leakage probs. decreased.

reduces source neutrons

$$\phi(u) = \frac{q(u)}{f\Sigma_t} \qquad (A)$$

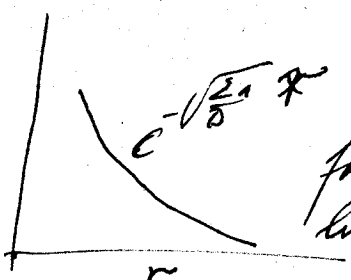
keff = 0.97

$$\phi(u) = \frac{q(u)}{f\Sigma_s + \rho(\Sigma_a + DB^2)}$$

Diagram of keff for 2V

Date

γ/γ correction



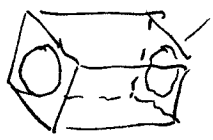
for away the source looks like a reduced strength S.

$(1-\frac{\gamma}{\gamma}\frac{\Sigma_a}{\Sigma_{tr}})S$

$-D\nabla^2\phi+\Sigma_a\phi=S$ is an approx to Boltzmann Eq.

the correction term can be important at a resonance ($\frac{\Sigma_a}{\Sigma_{tr}}$ large)

regions in reactassem.



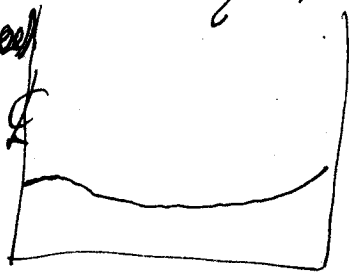
N = Cts/sec of foil R (experiment some ind scatter

$\frac{I_m}{A_m}\left\{\frac{N_{bare}-N_{cd\,cov}}{N_{cd\,cov}}\right. = \alpha\phi_{th}$

	exp.	Rcalc.
ind.	R = 0.40	0.17 ∈
Au	R = 0.46	0.17
$\frac{Ind}{Au}$ =	0.8	1.00

∈ due to using σ=17,0000 instead of 20,0000.

New Val. R_{av} = 0.12 (correct in taking into consideration self absorption the added σ is enough to bring R it back up.



Thick
I_m = 0.4 mil
A_m =

These could be in serious error due to self absorption

ind
reduced act $\frac{1}{2}$

no correction for depression due to foils in react.

How sig is $\frac{I_m}{A_m}$ to spectrum of neutrons in react.

fuel discs with Al. foil and covered with Cd cov. Cov with ind

Cd Ratio = $\frac{N_{bare}}{N_{cd\,cov.}}$; cd-ind ratio = $\frac{N_{bare}}{N_{cd\text{-}ind\,cov.}}$

	r_1		r_2
r_1	2.11 center	2.60 edge	cal. 2.72
r_2	3.40	3.90	2.96

Signed

3×3×1 ; k_{eff} ; spread over entire reactor, $(\frac{\pi}{2})^3$ correction.

self shielding ; Not quite center, essentially so.

danger coef. $\frac{\Delta k}{k}$ — exp. calc

Na -1" -.000068 , -.000002

Fe 1" -.00146 - -.00142

Fe ¼" - -.000162 -.00368

Ni ¼" -.00067 -.00070

Mo - ⅓" +.000030 +.00027 + why? Mo. heavy absorber of neutrons

Materials in blocks 2.875" sq.

Averaging should be specified since it is thought that the averages can be made

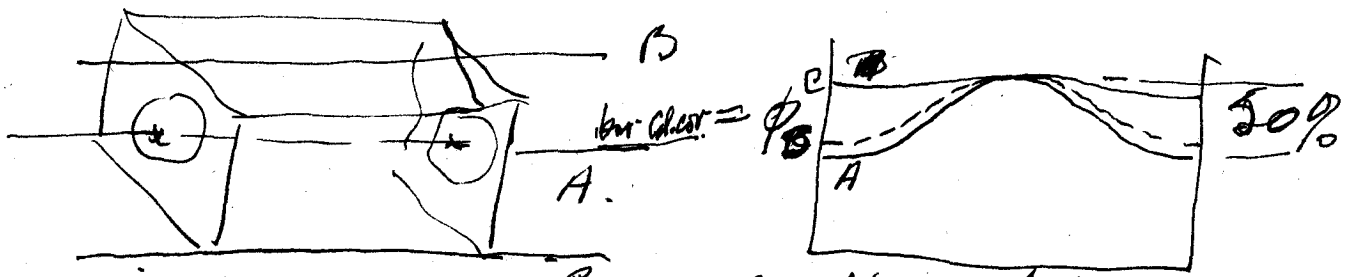
Take 5 min to discuss calc. of $\frac{\Delta k}{k}$; Mo is to be remeasured again.

Power vs position in reactor checks with Cosine law using 0.71 λ_t as extrapolation distance.

Other curves check well. λ_t was taken as the usual thermal neutron transport mean free path L.

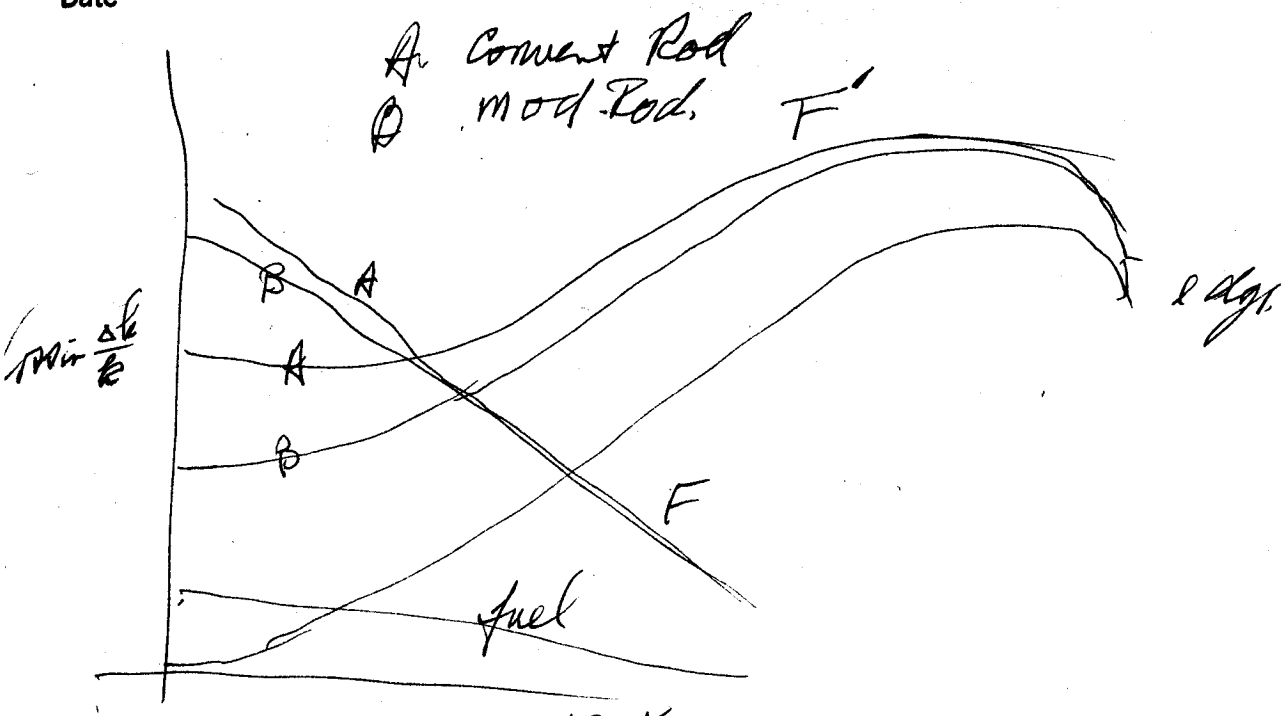
Should be some judicious choice like migration length $\sqrt{L^2+\tau}$

Traverses through graph blocks



$\frac{\Delta k}{k}$	Exp	Calc contains Σ_{2s}	Perturbation Σ_a Only
Na	-0.000066	-0.000002	
Fe 1"	-.00144	-0.00142	-0.00223
¼"	-.000[illegible]	-0.000368	-0.00056
Ni ¼"	-.00067	-0.00070	
Mo ½	-.00131	[illegible] -0.00060	-0.00096

reactor 27% thermal



$$F(x) = \frac{d}{dx} \int_0^x \int_0^x \sigma I(x', x'') P(x', x'') dx' dx''$$

I = importance function

$I = \cos^2 x$

Y-F10-78, C.B. Mills water-sol. $\int dv$ —
I corrected by one Horn.

Date

Xenon Poisoning

$$\overset{135}{52}Te \xrightarrow[<2m]{\beta^-} \overset{135}{53}I \xrightarrow[6.7h]{\beta^-} \begin{cases} 10\%\ \overset{135}{54}Xe \xrightarrow[15.6\ 42m]{\gamma} \\ 90\%\ \overset{135}{54}Xe \end{cases} \xrightarrow[9.2h]{\beta^-} \overset{135}{55}Cs \quad (T_{\frac{1}{2}} = 2.1 \times 10^6\ y)$$

$$N_{Xe} = R\left[\frac{1-S}{\lambda_{Xe}}(1-e^{-\lambda_{Xe}T})e^{-\lambda_{Xe}t} + \frac{1-S}{(\lambda_I-\lambda_{Xe})}(e^{-\lambda_I T}-e^{-\lambda_{Xe}T})e^{-\lambda_{Xe}t} + \frac{1-S}{\lambda_I-\lambda_{Xe}}(1-e^{-\lambda_I T})(e^{-\lambda_{Xe}t}-e^{-\lambda_I t})\right]$$

R = rate of formation of chain, (fis. sec^{-1})(yield)

$\lambda_{Xe} = \phi\sigma + \lambda$, sec^{-1}

T = OP. time of reac., sec

t = time after shutdown, sec.

S = % fis. that give Xe^{135} direct = $\frac{1}{1}$ Xe_{Dir} = 5% of Xe from I^{135}

Mass No

131 $\xrightarrow{17\%}$ 23m Sb $\xrightarrow{}$ 30h Te $\xrightarrow{}$ 25m Te $\xrightarrow{}$ 8.0d I $\xrightarrow{1\%}$ 12d Xe, $\xrightarrow{}\infty$ Xe

132 2m Sb $\xrightarrow{}$ 77h Te $\xrightarrow{}$ 2.4h I $\xrightarrow{}\infty$ Xe

133 44m Sb $\xrightarrow{82\%}$ 63m Te, $\xrightarrow{18\%}$ 2m Te $\xrightarrow{}$ 22.4h I $\xrightarrow{}$ 2.3d Xe, 5.27d Xe $\xrightarrow{}\infty$ Cs

134 0.8m Sb $\xrightarrow{}$ 44.5m Te $\xrightarrow{}$ 52.6m I $\xrightarrow{}\infty$ Xe

135 48s Sb $\xrightarrow{}$ [2m Te] $\xrightarrow{}$ 6.68h I $\xrightarrow{30\%}$ 15.3m Xe, $\xrightarrow{70\%}$ 9.2h Xe $\xrightarrow{}$ 2.1×10^{6}y Cs.

136 86s I $\xrightarrow{}\infty$ Xe

137 22.05s I $\xrightarrow{}$ 3.8m Xe $\xrightarrow{}$ 33y Cs

if D_s & T are assumed stationary Xe effects the thermal utilization $\frac{\delta h}{h} = \frac{f\phi\sigma\nu}{\phi\sigma+\lambda}$; ν = yield

Signed

Date

consumption of Xe by absorption

$$\frac{dN_{Xe}}{dt} = S + \lambda N_{Xe} - \phi\sigma N_{Xe}$$

$$(\lambda + \phi\sigma) = \lambda_{Xe}$$

Signed

time to Max

$$t_{max} = \frac{1}{\lambda'_{Xe} - \lambda_I} \ln\left[\frac{\lambda'_{Xe}(\lambda_{Xe} + \lambda_I - \lambda'_{Xe})}{(1-r)\lambda_{Xe}\lambda_I} - \frac{r}{1-r}\right]$$

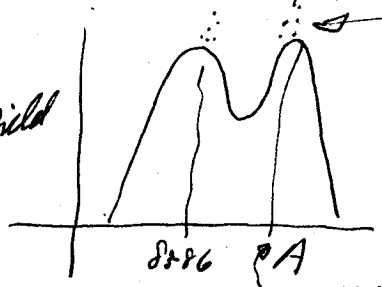
$\lambda_{Xe} = \phi\sigma + \lambda$

$\lambda'_{Xe} = \phi'\sigma + \lambda$

$r = \frac{\phi'}{\phi} = \frac{\ell'}{\ell}$

ϕ' = flux after shut down due to secondary processes ← up to now little known

β σ γ_f



a. radiochem.

i. activity + Mass spect.
diff. Chemistry

~~Xe~~, 132, 134 136 → related to 131 → to Ba

128, 127, 130 related to 131 through G.

	Thode	Poppas	Marker → to teh decayed days	
131	8.0	8.0	8.0	
128	4.47	4.47	4.6	Jaffe
130	6.74	6.1		
134	7.94	7.9	8.0	
7	6.30 (6.70)	6.4	~~8.6~~	6.9
6			6.6	
1	6.15			

Based on 2.8% I

I-131 2.8%
8.0%
5.8%
errors are due to this determination

best values

$(6.7 \pm 0.2\%)$

Pile experiments

shut pile down & observed $\frac{\Delta k}{k}$

fitted data to $\frac{\Delta k}{k} = \frac{\ell n}{\nu}\left(\frac{\sigma_{Xe}}{\sigma_f}\right)\frac{N_{xv}}{N_{xv-}} = ae^{-\lambda_I t} - be^{-\lambda_{Xe} t}$

fit result $= a = \frac{\ell n}{\nu}\frac{\sigma_x}{\sigma_f}\frac{\gamma_I P(1-s)}{N_{xv}(\lambda_I - \lambda_{Xe})}$; P = flux/sec.

20 a Mev/fission

$\frac{\sigma_{Xe}}{\sigma_f} = F(T)$

$\frac{\sigma_{Xe}}{\sigma_f}\gamma = 3.19 \times 10^{-2}$

T = temp reactor

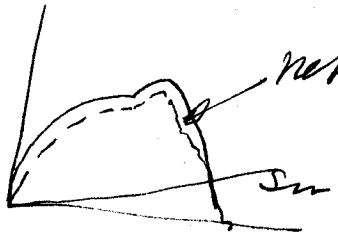
$\gamma = 5.1\%$

T = 0.01 w γ = 2.8%

Date

Brookhaven Free $\gamma = 18.5 \times 10^{4}$ b
Canada $= 18 \times 10^{4}$ b
BNL $= 16 \times 10^{4}$ b
corresp. $\gamma = \sqrt{\gamma} - 6.4$

Water — 0.720 Mg.
shut to t_{90} & followed $\frac{\delta k}{k}$ with Cal. control rod. with uniform poison
$t_{max} = 32.5$ min
$\frac{\delta k}{k}$ found $= 2.44\%$



$\frac{\Delta k}{k}$ $max = 2.87\%$
$(f = 0.687)$?

t_{max} used to calc. $\phi\sigma$ & $\frac{\delta k}{k}$ to get $\gamma = 6.7\%$

$\phi = 7.85 \times 10^{12}$; $\sigma = 2.90 \times 10^{6}$ b

$\gamma\sigma = 19.4 \times 10^{4}$ corresponds to 130°F, Temp Coeff.

distribution of poison taken as $\cos^2 r$; MTR to start in 3 wks.

Date March 12, 52

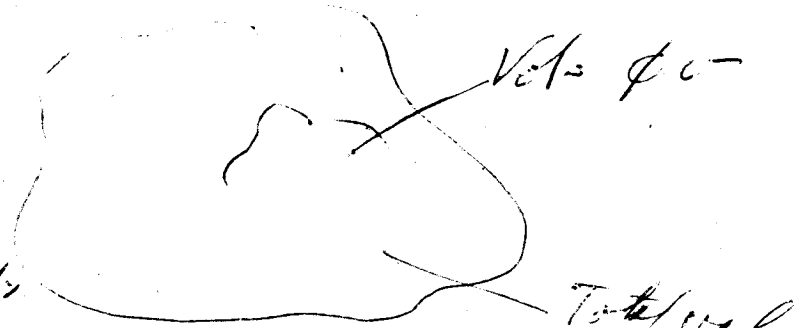
Solving Neutron —

Some New Ideas on Diffusion Theory Effects of Scattering

Small holes have a density effect on M, L, Z.

$$\int_0^\infty \frac{1}{\lambda} e^{-\frac{x}{\lambda}} dx = 1, \quad \bar{x} = \lambda, \quad \overline{x^2} = 2\lambda^2$$

$$M^2 = \alpha N \overline{Z^2}.$$



$\varphi(x, \Omega) dx$ = probability per chord x [illegible] for [illegible] any Ω

$\therefore \int x \varphi(x, \Omega) dx = \phi v$ for a given Ω

Then

$$\int \varphi(x, \Omega) dx = \frac{1}{\alpha} \int |\Omega \cdot n| \, d\Omega$$

$$\int |\varphi(x, \Omega) dx \frac{d\sigma}{\pi} = \int \int \frac{1}{2} |\Omega \cdot n| \frac{d\Omega}{4\pi} = \frac{1}{4}$$

Cauchy — $\bar{s} = \int dA \cos\alpha = \frac{1}{\pi} S$ (a convex body)

$V = \int dA \cos\alpha$ i

$\therefore \bar{r} = \frac{4V}{S}$. Calculate nuclear processes in the hole. $\frac{\text{Vol}}{\text{Surface}} \cdot \frac{S}{4} \cdot \bar{r} = \frac{1}{3} V$

Chord distribution function

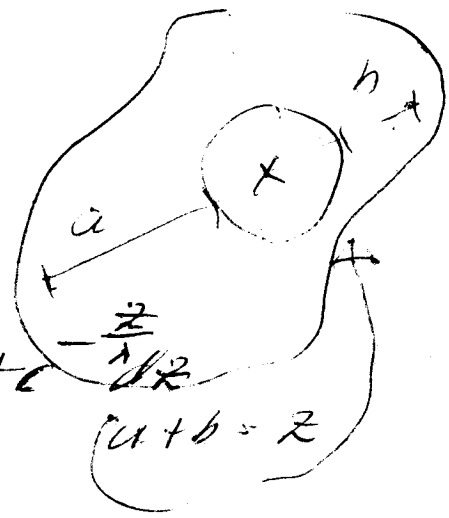
$\int \varphi \, d\Omega$

Signed

Date

Assume $\lambda \gg 1$, neutron hits only one hole

$\rho(x,\alpha,z)\,d\tau$ = (probability that it will hit a hole and add τ to x) $= \frac{z\,\rho(x,\alpha)\,dx}{\lambda}$



$$\int \rho\, d\tau = \frac{S z}{4\pi\phi}$$

$$y^2 = \int_{-z}^{z}\int_{0}^{2\pi}\left[\int_{0}^{\infty}(z+x)^2\rho\,dx + z^2\left(1-\int_{0}^{\infty}\rho\,dx\right)\right]\frac{d\alpha}{4\pi}\frac{1}{\lambda}\,dz$$

$$= 2\lambda^2 + 4\lambda^2\phi + \frac{1}{\lambda}\iint x^2\rho\,dx\,\frac{d\alpha}{4\pi}\,dz$$

now let $\eta = \dfrac{\overline{x^2}}{(\bar{x})^2} = \dfrac{\iint x^2\rho\,dx\,\frac{d\alpha}{4\pi}}{\left[\iint x\rho\,dx\,\frac{d\alpha}{4\pi}\right]^2} = \dfrac{\iint x^2\rho\,dx\,\frac{d\alpha}{4\pi}}{\frac{\phi^2\sigma^2}{S}}$

$$\iint \rho\,dx\,\frac{d\alpha}{4\pi}$$

Inverse radius $= \gamma = \frac{4\phi\sigma}{S}$

prob. / unit hitting hole $= e^{-\int\rho\,dx}$

" to hitting hole $= \rho\,dx\,e^{-\int\rho\,dx}$

" " n holes $= \frac{e^{-\int\rho\,dx}}{n!}\prod\rho(z,\ldots,x_i)\,dx_i$

$$y^2 = \left(z + \sum x_i\right)^2$$

$$= z^2 + 2z\sum x_i + \sum x_i^2 + \sum x_i x_j$$

$$\bar{x} = \frac{\int x\rho\,dx}{\int\rho\,dx} = \frac{\phi\sigma}{S}z$$

$$\overline{x^2} = \frac{\int x^2\rho\,dx}{\int\rho\,dx}$$

Signed

Date

$$\frac{\overline{\phi^2}}{\phi^2 \lambda^2} = 1 + 2\phi + Q\frac{r\phi}{\lambda} \qquad \phi >> s\lambda$$

$$\overline{\phi^2} = 1 + 2\phi + \phi^2 + Q\frac{r\phi}{\lambda} \qquad r << s\lambda$$

$$= 1 + 2\phi + \frac{\phi^2 \frac{2r}{\lambda}}{(e^{\frac{2r}{\lambda}} - 1)} + Q\frac{r\phi}{\lambda} \qquad r \sim s\lambda$$

all of this analysis depends on isotropy but Q is an average over ~~ϕ~~ assuming Maxwellian distribution

$$L_2^2 = \int_0^\infty \tfrac{1}{2} v M(v) dv \Big/ \int_0^\infty s v M(v) dv$$

Show that $\frac{L^2}{h_0^2}$ follows the formulas given here

$\frac{r}{\lambda}$	$\frac{\overline{h^2}}{h_0^2}$
0	1.44
1	1.53
2	1.67
6	2.20
∞	3.00

Two systems

fast leakage $= B^2 \tau$

slow " $= B^2 L^2$

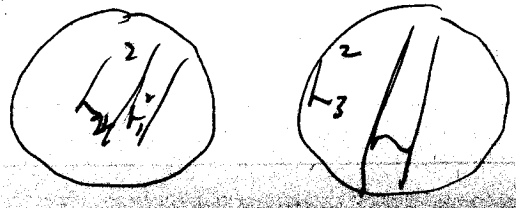
τ & L^2 increase & B^2 is decreased since $R_e = R_0 + 0.71\lambda_t$ is increased

plane gas leads to ∞ in L^2 & τ does not follow.

Material in hole

$L_0^2 \sim C_0 \frac{t}{\Sigma_0^2}$ in σ, h_1^2 in $\phi\sigma$

super proof



$$L_2^2 = L_1^2 = \frac{L_0^2}{\alpha^2}$$

$$L_3^2 = \frac{L_0^2}{1-\alpha^2} \qquad \Sigma_3 = (1-\alpha)\Sigma_0$$

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Date

$$L_4^2 = F(\lambda_0) L_3^2/(1-\alpha)^2$$

$$\Sigma_4 = \frac{1-\alpha}{F^{\frac{1}{2}}} \Sigma_3$$

$$\Sigma = \Sigma_4 + \Sigma_2$$

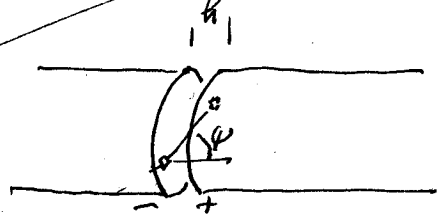
$$\frac{L^2}{L_0^2} = \frac{1}{\left(\frac{1-\alpha}{F^{\frac{1}{2}}} + \alpha\right)^2}$$

in limit correct
A.N. suggested close extrapolation
another
more exact solution using Behrens method.

$$\frac{L^2}{L_0^2} = \frac{1}{\left[\alpha + \frac{1-\alpha}{1+\Phi}\right]\left[\alpha + \frac{(1+\Phi)(1-\alpha)}{F}\right]}$$

Ted Walton suggested using perturbation method in introducing fields with material effect and flux

for power - or gash in reactor



$$\frac{\phi_0}{4} + \frac{\lambda}{6}\frac{\partial \phi}{\partial z} = \frac{1}{4\pi}\int [\phi_+(\rho') + \lambda \nabla \phi_1(\rho') \cdot \vec{n}] \text{ coupled}$$

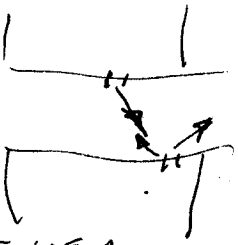
for edge flux is neglected

$$\frac{\phi'}{\phi} = \frac{3}{2\lambda} \frac{1-(\sigma_1 h) K_1(\sigma_1 h)}{1+(1+\sigma_1 h)e^{-\sigma_1 h}} + \frac{3}{5}(\sigma_1 h)(\sigma_2 h) e^{-\sigma_2 h}$$

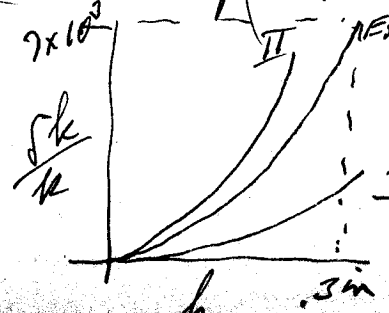
radial flux This is exchange along + loss to edge (radial dir.)

valid for h large

$$\sigma = \frac{2.40}{R}$$



to calculated with this great by introducing an fictitious absorption in grp to get right loss of neutrons



Signed

Stability

Paul Kasten — Boiling R.

1. Bubble build ups can limit power of R.

Bubbler formation decay function.

1) $\frac{dP}{dt} = \lambda_0[k(1-\beta)+k_c]P + \sum_i \lambda_i C_i \qquad \lambda_0 = \frac{1}{\tau_p k_c} \sim \frac{1}{\tau k_0}$

2) $\frac{dC_i}{dt} + \lambda_i C_i = \lambda_0 \beta k P$

$k_c = 1 + B^2 M^2 = 1 + \left[\left(\frac{\pi}{\lambda}\right)^2 + \left(\frac{2.405}{R}\right)^2\right]\left(\frac{M_0\rho_0}{\rho}\right)^2 ; \qquad M^2 = \frac{1}{3}D^2L^2 + \tau = M_0^2\left(\frac{\rho_0}{\rho}\right)^2$

Cylindrical reactor.

- Weinberg — pointed out that the reactor will not be critical during operation. Wigner & Ergen showed that the surface is a consequence at top.

$k = e^{\alpha/\rho}$; let $A = \left(\frac{\pi R}{2.405 \cdot L_0}\right)^2$

$k_c = 1 + \frac{k_0 - 1}{1+A}\left(\left(\frac{\rho_0}{\rho}\right)^2 + A\right)$; suppose $k = k_0 + \alpha T$ 3)

Now we can say that $\rho \sim P$; $V_0 = V_l + V_{steam}$

$\rho = \rho_l - \rho_0(\rho_l - \rho_0)$ st $\qquad M_0 = V_l\rho_l + V_{ST}\rho_{ST}$

$V_{ST} = F_1(P)$

$f_v = \frac{V_{Bub.}}{V_l + V_{Bub.}} = \frac{H}{H + F_2(P)}$ = 4) (H = Heat content of bubble)

6) $\alpha\frac{dT}{dt} = P(t) - K(T - T_{sat})$ { super heat — temp. of sat liquid; heat drawn from reactor. from bubbles

$\frac{dH}{dt} = K(T - T_{sat}) - \Phi_r^*$

λH $\qquad \lambda = \sec^{-1}$ time of leaving of bubbles

$T - T_{sat} = \frac{1}{\alpha}\int_0^\infty e^{-\frac{K}{\alpha}x}[P(t-x) + K(T_s - x)]dx$

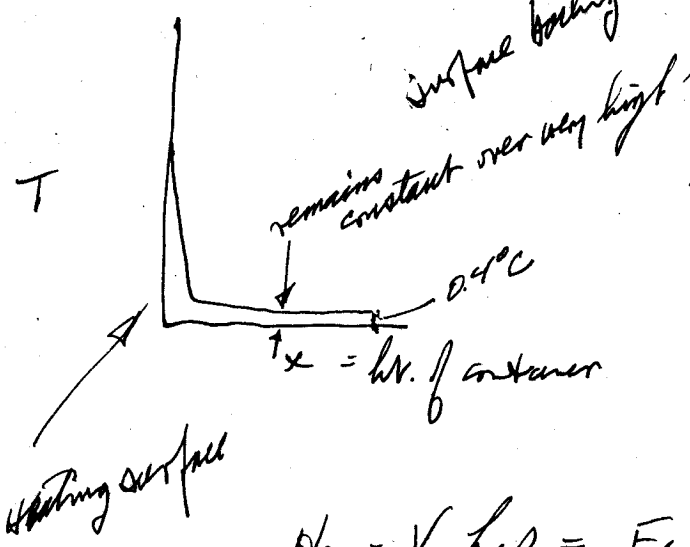
$= \frac{1}{\alpha}[g + Kq]$

$\dot{g} + \frac{K}{\alpha}g = P(t)$

$\dot{q} + \frac{K}{\alpha}q = T_s$

$\frac{dH}{dt} = \frac{K}{\alpha}[g + Kq - \alpha T_s] - \lambda H$

Signed



$$N_{ST} = V_{ST}\, t_f/\rho_a = F_t(P)$$

$$\left(\frac{dH_{ST}}{dP}\right)\frac{dP}{dt} = K(T-T_s) - P_c$$

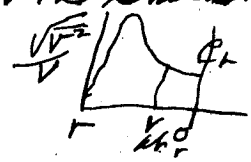
and $P_c = C_c\, g[t_{mt} - t_-] = F_c(P)$

Assumed given by $\Phi + \frac{\partial}{\partial}$

Appendix — Turbulence & Heat Transfer

Mean velocity profile generalized - curve

fluctuating " $\overline{u'v'} = f(r)$ - characterizes the statistical character of the curve.



Mixing length. $-l\sqrt{\overline{v'^2}}$ is a diffusivity like quantity

Analogies eddy diffusivity $\frac{}{H}$ = α eddy diffusivity momentum.

$$\tau = \rho \varepsilon_{zH} \frac{\partial \bar{v}}{\partial z} \quad ; \quad \tau_0 = \tfrac{1}{2}\rho C_D \bar{v}_{z=0}^2 \text{ reference velocity (lift force)}$$

$$\left(\frac{q}{A}\right)_{conv.} = -\gamma C_p \rho \varepsilon_{zH}\left(\frac{\partial T}{\partial z} + \Gamma\right), \quad \Gamma \text{ adiabatic rate.}$$

$$\left(\frac{\Phi}{A}\right)_{conv.} = h_c(t_s - t_f) \text{ reference plane}$$

Cross correlation & autocorrelation of fluctuating components u, v, w

$\overline{u^2}$, .., $\overline{uv}$, ... can characterize a turbulent situation.

These are modes of approach

California is working on the Hydroplane of the earth.

Major desert ∞ plane experiments

Signed

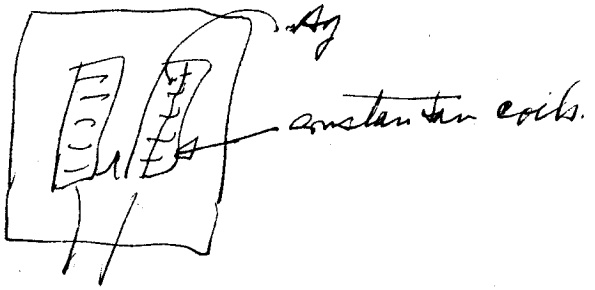
Date

Total in
Heat balance at earth's surface
evaporation in desert = 0
radiant RHS.

$$\left(\frac{q}{A}\right)_{th_o} = \left(\frac{q}{A}\right)_{conv.} + \left(\frac{q}{A}\right)_{e_o} + \left(\frac{q}{A}\right)_{g.r.} + \left(\frac{q}{A}\right)_{g_o}$$

conv. ↑ found; e_o ↑ reflect; g.r. ↑ leakage in; g_o ↑ leakage in

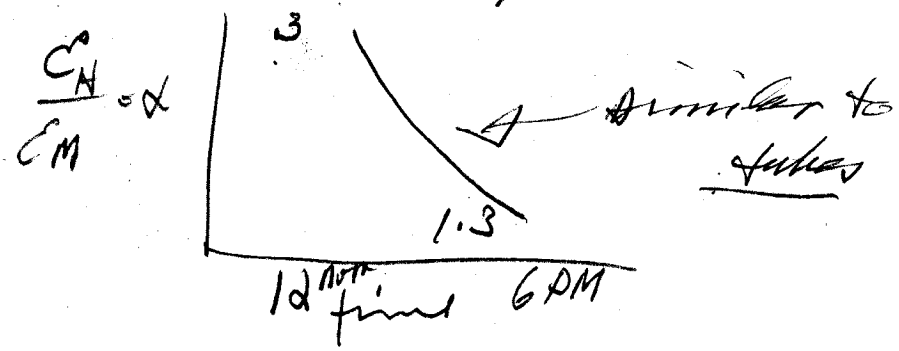
difference thermopile, constantan half plated with silver.



can be buried to get $\left(\frac{q}{A}\right)_{g_o}$, above ground to get

$$\left(\frac{q}{A}\right)_{th_o} - \left(\frac{q}{A}\right)_{g.r.}$$

to get temperatures near surface of earth, Thermopile, junctions .001 to .003" set to earth to 0.001" by Micrometer.



Signed

Date

P. Kasten.

discussion of $K(T-T_s)$ this is a flow of power into the bubbles

$$P_x = \frac{k}{h} A(T-T_s) + \frac{k_e A}{k_{fg}}(p-p_g)$$ unless diaphragm

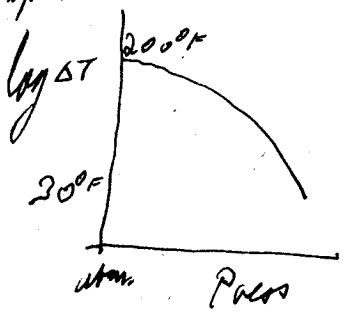
surface of Bubbles lat. transf. conv. "heat exchange"

$P = aT$ linear

or $Q_x = K(T-T_s)$ } Vol. boiling experiments with high K.T. resistance of liquid as a function of vol. dissipation of power. $M_i T$ — 4 ms delay time on pulse. } must develop superheat.

$\alpha_c A \sim .3$ s

superheat

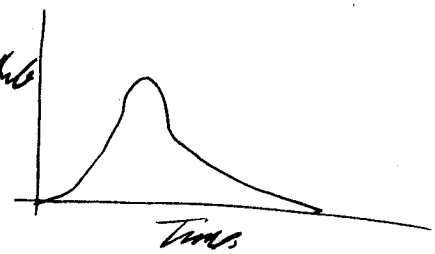


This gives

$$\frac{dH}{dt} + \lambda H = \mu G$$

$$\frac{dG}{dt} + \mu G = K(T-T_s)$$

$$\frac{dT}{dt} + K(T-T_s) = P(t)$$



in this stability depends on μ, stable if $\mu > 10^{-1}$ s

unstable if $\mu < 7$ s^{-1}

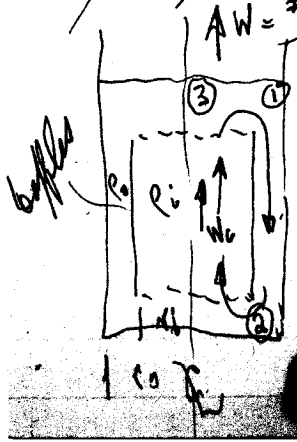
μ may depend on power; question on level of power - if to stable if $\mu > 0$.

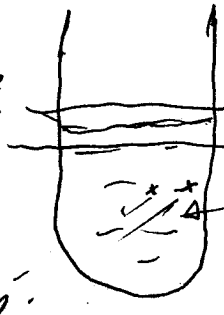
Pzmola. - Power removal

I control of mean density

I steam separation

I(a) circulation $v_H > v_{bubbles}$ flow pattern correlate





$v_H \{ P_1, P_2$

assume (1) uniform power density

(2) bubbles small ~ liq. compressible

(3) $A_{r_i} = A_{r_o}$ $\left(\frac{r_i}{r_o}\right) = \frac{1}{2}$

(4) mean $\vec{P}_i$, $\vec{P}_o$

Date

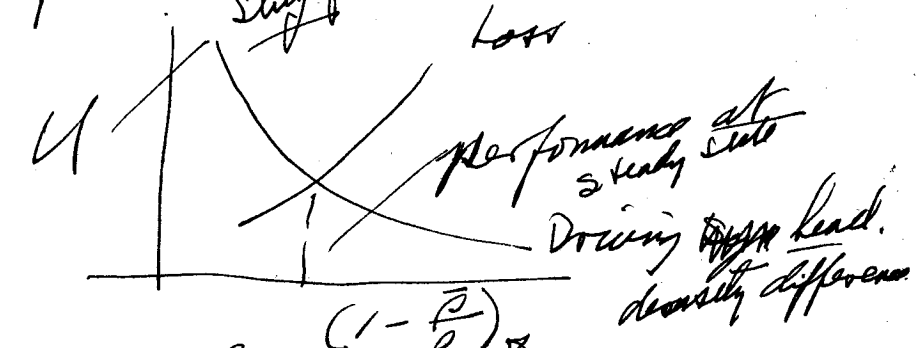
η = circ. ratio $= \frac{W_c}{W}$

Define η = fraction of bubbles that enter the down region.

$V_x = V_f + x(V_g - V_f)$ ← quality / steam vol. fractions

performance probable

$U_{(3)}$ vs $F_1\left(\frac{\rho_i}{\rho_0}\right)$ $F_2\left(\frac{\rho_f}{\rho_0}\right)$



$\alpha = \frac{\bar{\rho}}{\rho_f}$

Nuclear properties not calculated for this system

$W = W_c \alpha_3 (1-\eta) = \frac{W_c}{\eta}$; $\therefore \eta = \frac{1}{(1-\eta)\alpha_3}$

$P_{power} = \dot{q}'' V_{liquid(dry)} = W \eta_{fg}$

↳ mean power density

question of flow pattern — small bubbles imply turbulent flow.

$V_j = V_f + \omega_j V_{fg}$
$v_1 = V_f + \omega_j \eta (V_{fg})$

$V_{av} = \frac{V_1 + V_2}{2} = V_f + \omega_j V_{fg}\left(\frac{1+\eta}{2}\right) = V_2$

$P_0 = \frac{2}{V_1 + V_2}$, $\rho_i = \frac{2}{V_2 + V_j}\left(1 - \frac{\rho_i}{\rho_0}\right) = \pi_3 = \frac{4V_f + \omega_j V_{fg}(1+3\eta)}{4V_f + \omega_j V_{fg}(3+\eta)}$

$U_j = \frac{\eta W V_j}{A_i}$

$\omega_j = 4\frac{V_f}{V_{fg}}\left[\frac{1}{\frac{2(1-\eta)}{\sigma} + (3+\eta)}\right]$

$= \frac{P}{\eta_{fg} A_i} \frac{V_{fg}}{(1-\eta)}\left[\frac{\frac{2(1-\eta)}{\sigma} - (3+\eta)}{4} - 1\right]$; σ = measure of bunching in inner region — driving force

Head loss $= \frac{C U_j^2}{2g} = \frac{\Delta \text{pressure loss}}{\rho}$; ΔP = driving force $\times (1 - \frac{\rho_i}{\rho_0}) \rho_0 h$

Signed

$\nu_3 = 1 \frac{\text{light}}{c}$; Curves based on 20'ϕ × 20'ℓ.

$g_0 = \frac{2.6 \text{ kw}}{\text{liter}}$ fixed by boiler practice.

Dr. Weinberg MTR

load 3.66 kg 2v — 12.v (30 MWD)

ran 37v-MWD — last 3 days at 30 MW.

at 30 MW - shim rod removed more quickly

burn up 48v-g — Hoped for 2v-days op. at 30 mw.

(18.9%) $\frac{\Delta k}{k}$ - design, 12-13% in MTR (meas. with wires)

→ due to 0.73% Val/H_2O

Δ to 0% in D_2O > 2%

Δ Large Hole max to be

Xe

Tank

Bindup → 7.0%

N_0 0.6v-Val/H_2O

new load 3×9

in high burnup reactors

(flux) importance functions are important

Non uniform dist. → 1.5% of 7%.

Burnups calculated 1.09 gm dv/MWD } Hope this.

193 Mev/fission }

Moral - (check everything) will they do it

Detail — no second order process that prior the

Can a high reactivity reactor like the MTR be skimmed in the reflector rather than in the core.? June 15, 52.

How about tubes of circulated controlled concentration [redacted] boiled water, priming

Date

Wigner – diffusion & Multiple scattering

Boltzmann equation gives $\alpha f(r,\Omega)$

replace with $\phi_i(r)$ $i = 1-4$.

let $g(\Omega)$ = distribution

after scattering $g'(\Omega) = \int g(\Omega)\,\sigma(\Omega,\Omega')\,d\Omega$ ← $4\pi^{-2}$

$g(\Omega) \to g(R)$ R = Rotation

$\sigma(\Omega,\Omega') \to \sigma(R^{-1}S)$

$g'(S) = \int g(R)\,\sigma(R^{-1}S)\,dR$ ← Convolution (general)

$\mathcal{L}[\text{conv}] = \mathcal{L}[F]\,\mathcal{L}[g]$

$$\int \mathcal{D}^l(R)_{\alpha\beta}\,\mathcal{D}^{l'}(R^{-1}S)_{\alpha'\beta'}\,dR = \frac{8\pi^2}{2l+1}\,\delta_{ll'}\,\delta_{\alpha\alpha'}\,\delta_{\beta\beta'}\,\mathcal{D}^{l'}(S)_{\alpha'\beta'}$$

$$= \frac{8\pi^2}{2l+1}\,\delta_{ll'}\,\delta_{\beta\alpha}\,\mathcal{D}^{l'}(S)_{\alpha'\beta'}$$

$$= \frac{8\pi^2}{2l+1}\,\delta_{ll'}\,\delta_{\beta\alpha}\,\mathcal{D}^{l'}(S)_{\alpha'\beta'}$$

$$g(R) = \sum_{l\alpha\beta} g^l_{\alpha\beta}\,\mathcal{D}^l(R)_{\alpha\beta}$$

$$\sigma(R) = \sum_{l\alpha\beta} \sigma^l_{\alpha\beta}\,\mathcal{D}^{(l)}_{\alpha\beta}(R)$$

$$g'(R) = \sum_{l\alpha\beta} g'^l_{\alpha\beta}\,\mathcal{D}^l(R)_{\alpha\beta}$$

convolution is a transformation

$\mathcal{T}(V,\Omega) \to (V',\Omega')$ 3 dimensional inhomogeneous transf.

a 3×4 Matrix in Rotation $\begin{pmatrix} R_{ij} \\ b_i \end{pmatrix}$ $i=1\ldots3$, $j=1\ldots3$, $i=1\ldots3$

Now if $\sigma = a + b\mu$

$= a\mathcal{D}^0 + b\mathcal{D}^1_{00}$

$\sigma^0_{00} = a$, $\sigma^1_{00} = b$

In integration replaced by Matrix Multiplication.

Signed

Date

Weinberg — 206 Wheeler, K. Way, no body seems to know!

$\overline{\sigma} = \frac{\delta x \sigma_x}{\delta x}$ function of time.

Information Meeting Sept. 10, 11, 12, 2

Meets AM in each AM.

1. MTR - 10:00
2. EBR - 10:40
3. PM to #6 - 4:45 PM.
3. Room 206

Thurs. Qual. all day

Fri. Qual. all day.

$\frac{300}{200} \cdot 30 = 2\sigma$

$N\sigma_f = \frac{0.6 \times 10 \times 54}{2\sqrt{2}}$

Signed

Date

CRGP 5000 D. G. Hurst - ORNL.

Estimate of Total cross-section of accumulated Fission Prods.

DR-21 Feb. 52

W. B. Lewis - Reactivity changes. Predicted & observed in long irrad. & heat. recovery in NRX.

Hurst assumes that the end products of the chains are of imp. and 2nd order captures are unimportant

$$\frac{dx(A)}{dt} = \text{yield}(N\sigma_f)\phi - \sigma x \phi$$

$$x = \frac{\text{yield}(N\sigma)_f}{\sigma_x}\left[1 - e^{-\phi \sigma_x t}\right]$$

$0.1 \le T \le 1$

$\phi \sigma_a(av) T = t$

$T = 1 \sim 5600$ MWD/TON

$\frac{T}{t} = 1 = \frac{1}{\phi \sigma_a(av)}$ equiv to 5yrs at 10^{13} n cm^{-2} sec^{-1}

a1) $\sigma_x < 4\sigma_a \le 200$ b

$$x\sigma_x = \text{yield}(N\sigma)_f \frac{\sigma_x}{\sigma_a(av)} T$$

20% error

a2) $\sigma_x > 10\sigma_a$ (x loss not included)

$x\sigma_x = \text{yield}(N\sigma)_f$ 30% error sm.

$$\sigma_p = \underset{\text{case 1}}{\Sigma x \sigma_x} + \underset{\text{case 2}}{\Sigma x \sigma_x} = (N\sigma)_f \left\{ \frac{T}{\sigma_a(av)\,0} \sum 30\sigma_x + \frac{\Sigma}{2} \cdot 0 \right\}$$

$= \{0.053\,T + 0.01\sigma\}(N\sigma)_f$

- data taken from the usual charts & NBS circular

uncertainties that influence the σ_p

Zr 93	6%
Tc 99	6.2
Sm 147	0.17
Sm 149	
Pd 107	0.2
Cd 111	0.018
Cd 112	0.011
Cd 116	0.013

50 b/fiss

80 b/fiss Hanford

100 b/fiss NRX

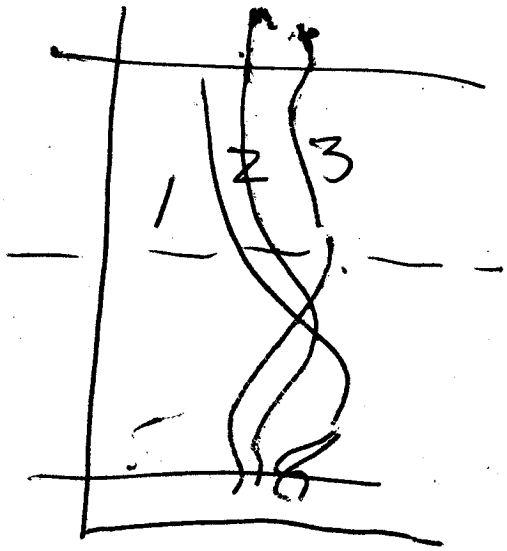
Signed

Date Sept 10, 52

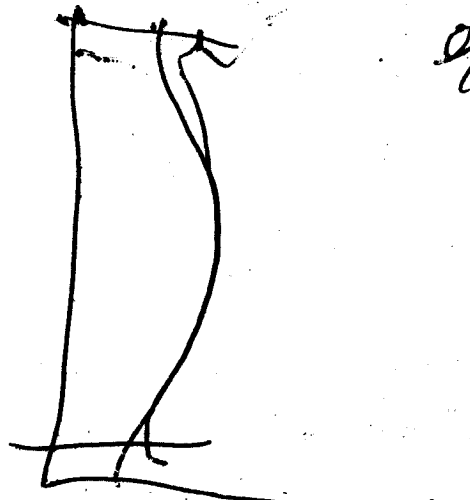
MTR CM-1670, 1650 gms.

Trial assem 3×9, 140 gm Δv- each
Vertical flup chst., wire
Shim rods $\frac{2}{3}$ way down. Co.
$\frac{1}{2}$ way out on 3×9

C-Δv-



Center rod



Extreme

Out in Be a cosine is formed.
3×9 Σ_{pb} = 7800 cm²

Gross temp coef.
$1.1 \times 10^{-4} \frac{\Delta k}{k}$ °F⁻¹
$0.8 \times 10^{-4} \frac{\Delta \rho}{\rho}$ °F⁻¹

Calibration
Complete Burnup
376 MWD 13% ~~Δk/k~~ Δk
Be fast reaction
Au-gives a -10 yrs
Pb

Signed

Date

Burn up + geometry gave 7% instead of 4% on 3×9

5×5 expect k. — 1.5%

Burn-out ~~4600~~ 475 MWD.

HB plugs removed 2.5.

16 gms Zr instead of 140 gm 3×9 $\frac{\partial k}{k}$ = 18%

flux used in fuel elements gives 2 gms of Li / fuel element

nets for 3%

Al/H_2O ~ 0.65 idle

~ 0.71 as built ~ 1.5%

~~Li~~ Be ~ 3%

Calculated 4% on Al on Al side — calc. wt. F = 1.44, meas ~ 1.2

apparently for the 3×9 lattice the wt factors approx ϕ^2

Also apparent from this, the assymmetry of the flux affected the burn up more than it does the flux in the outer regions the reflector.

Nat + D2O lattices

Cohen et al. North Ann.

λ flux averages (meas)

$\frac{1}{\ell^2} = \frac{\lambda}{3\Sigma_a} \frac{V_m}{V_f} F F_m$ ← disad. factors

$F_m = \frac{\phi_m}{\phi_f}$; $d = 2\sqrt{5}$ cm gives a spread in M for rod sizes

T to find 100 cm

cid to thor $\frac{20}{720\,cm^2}$ must be corrected for M effect

(1/2 to 1/5 cm)

Date

$\lambda = 2.7$ increase spread

$= 3.0$ spread greater in $> \frac{Vm}{Vu}$

$= 2.4 \pm .08$ " " in $< $ "

$\lambda = 2.58$ gives min spread of M(dia)

$\eta = 1.714 \pm .008$

$F = \frac{\bar{\phi}_m}{\phi_{su}}$ λ spreads because ϕ is peaked much higher in Mod than by diffusion theory.

The simple k_∞ formula applies well to finite reactors.

Normal water slightly enriched lattices.
BNL

$$B^2 = \left[\frac{2.405}{R+\lambda}\right] - \frac{1}{L^2}$$

h = relaxation length of lattice

$\tau = 33$ is asymptotic

σ_{in}	2 detectors	Al det.
Al	0.44	
Fe	0.82	shows that reduced by 10%.
Cu	1.0 V−	
Ag	1.71	
Sm	1.46	
Au	2.1	sum of cross section for high E events
Pb	0.89	and " " for low E "
U	3.V−	

Signed

Date

$\sigma_{in} = \pi(R^{max} + \lambda)^2\left(1 - \frac{1}{N}\right)$ N = no. of levels below E of neut. that can be excited in the coal nucleus.

Slowing down with Σ_a

$\frac{\Sigma_a}{\Sigma_s}$ has small variation in ΔE for collision Sept 17, 52

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