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## NUMERICAL SIMULATION OF STRESS WAVE PROPAGATION FROM UNDERGROUND NUCLEAR EXPLOSIONS\*

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### ABSTRACT

This paper presents a numerical model of stress wave propagation (SOC) which uses material properties data from a preshot testing program to predict the stress-induced effects on the rock mass involved in a Plowshare application. SOC calculates stress and particle velocity history, cavity radius, extent of brittle failure, and the rock's efficiency for transmitting stress. The calculations are based on an equation of state for the rock, which is developed from preshot field and laboratory measurements of the rock properties.

The field measurements, made by hole logging, determine in situ values of the rock's density, water content, and propagation velocity for elastic waves. These logs also are useful in judging the layering of the rock and in choosing which core samples to test in the laboratory. The laboratory analysis of rock cores includes determination of hydrostatic compressibility to 40 kb, triaxial strength data, tensile strength, Hugoniot elastic limit, and, for the rock near the point of detonation, high-pressure Hugoniot data.

Equation-of-state data are presented for rock from three sites subjected to high explosive or underground nuclear shots, including the Hardhat and Gasbuggy sites. SOC calculations of the effects of these two shots on the surrounding rock are compared with the observed effects. In both cases SOC predicts the size of the cavity quite closely. Results of the Gasbuggy calculations indicate that useful predictions of cavity size and chimney height can be made when an adequate preshot testing program is run to determine the rock's equation of state. Seismic coupling is very sensitive to the low-pressure part of the equation of state, and its successful prediction depends on agreement between the logging data and the static compressibility data. In general, it appears that enough progress has been made in calculating stress wave propagation to begin looking at derived numbers, such as number of cracks per zone, for some insight into the effects on permeability. A listing of the SOC code is appended.

### 1. INTRODUCTION

The important engineering effects associated with an underground (non-cratering) Plowshare application are the increase in permeability of the reservoir rock, the height of the chimney, and the amount of seismic energy generated by the nuclear explosion. A fundamental goal of the Plowshare

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program is to predict these effects when an explosive of known yield is detonated at a given depth in a given medium.

This paper presents results from a numerical technique called SOC which calculates the propagating stress field in the medium surrounding an explosive source and the resultant effects on the medium. We attempt to relate directly predicted changes in the medium, namely fracturing and cavity size, to permeability change and chimney height. Seismic coupling is obtained from the calculated displacement history of a particle in the elastic region.

Part 2 of the paper describes a general numerical approach to stress wave propagation. Part 3 discusses the material properties needed to relate stress to deformation in an equation of state. These properties are obtained by preshot field and laboratory measurements. Part 4 compares SOC numerical solutions with experimental observations for sites where nuclear or high explosive shots were made. The SOC calculations are based on material properties obtained from laboratory tests on selected rock samples. A listing of the SOC code is given in the Appendix.

## 2. THE NUMERICAL MODEL

A wave is a time-dependent process that transfers energy from point to point in a medium. A wave propagates through a medium because of a feedback loop that exists between the various physical properties of the medium that are changed by the energy deposition.

The cycle followed in calculating stress wave propagation is presented in Fig. 1. We start at the top of the loop, with the applied stress field. The

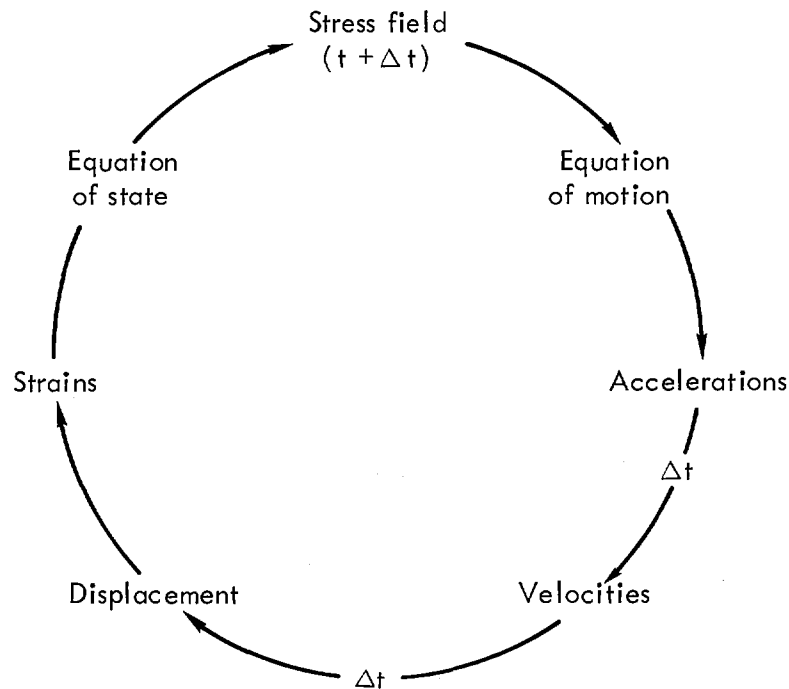


Fig. 1. Cycle of interactions treated in calculating stress wave propagation.

equation of motion provides a functional relation between the stress field and the resulting acceleration of each point in the medium. Accelerations, when

allowed to act over a small time increment  $\Delta t$ , produce new velocities; velocities produce displacements, displacements produce strains, and strains produce a new stress field. Time is incremented by  $\Delta t$  and the cycle is repeated. The analysis of this loop is provided by a computer program, SOC, which solves the equations of continuum mechanics for spherical symmetry by finite difference methods.

## 2.1 Equation of Motion

The fundamental equations of continuum mechanics (conservation of mass, linear momentum, and angular momentum) combine to produce the following equation of motion for spherical symmetry, taken from Keller<sup>1</sup>:

$$\rho \dot{u} = -\left(\frac{\partial P}{\partial R} + \frac{4}{3} \frac{\partial K}{\partial R} + 4 \frac{K}{R} + g\right), \quad (1)$$

where  $\rho$  is the density,  $\dot{u}$  is the particle acceleration,  $g$  is a body force used to include gravity effects, and the stress tensor in the spherically symmetric coordinate system is written as the sum of an isotropic tensor and a deviatoric tensor,

$$\begin{bmatrix} T_{RR} & 0 & 0 \\ 0 & T_{\theta\theta} & 0 \\ 0 & 0 & T_{\phi\phi} = T_{\theta\theta} \end{bmatrix} = \begin{bmatrix} -P & 0 & 0 \\ 0 & -P & 0 \\ 0 & 0 & -P \end{bmatrix} + \begin{bmatrix} -\frac{4}{3}K & 0 & 0 \\ 0 & \frac{2}{3}K & 0 \\ 0 & 0 & \frac{2}{3}K \end{bmatrix}. \quad (2)$$

We see from equation (2) that

$$P = -\frac{1}{3} (T_{RR} + 2T_{\theta\theta}), \quad (3)$$

$$K = \frac{T_{\theta\theta} - T_{RR}}{2}.$$

Equation (1) is differenced by establishing a Lagrangian coordinate system ( $j$ ) in the material. These coordinates move with the material and assume discrete values:  $0, 1, 2, \dots, j-1, j, j+1, \dots$ . This coordinate system divides the material into volume elements or zones, with the mass in each zone remaining constant. At zero time each Lagrangian coordinate ( $j$ ) has a unique Eulerian coordinate  $R_j^0$ ; after  $n$  cycles, corresponding to a time  $t^n$ , the Eulerian coordinate is  $R_j^n$ .

Equation (1) is transformed into the Lagrangian ( $j$ ) coordinate system. Each stress component ( $\Sigma$ ) in this equation is a scalar function of position ( $R$ ) and time ( $t$ ). If the Eulerian coordinate ( $R$ ) is considered to be a function of  $j$  and  $t$  then we can write

$$\frac{\partial \Sigma}{\partial j} = \frac{\partial \Sigma}{\partial R} \frac{\partial R}{\partial j}. \quad (4)$$

Equation (4) is easily solved for  $\partial \Sigma / \partial R$ .

The time derivative of velocity simplifies considerably in the Lagrangian system since  $j$  is independent of time. In the Eulerian system we have

$$\dot{u} = \frac{\partial u}{\partial t} + \frac{dR}{dt} \frac{\partial u}{\partial R}, \quad (5)$$

while in the Lagrangian system we have simply

$$\dot{u} = \frac{\partial u_j}{\partial t}. \quad (6)$$

Using equations (4) and (6), we obtain the following first-order difference approximation to the equation of motion (superscripts denote cycle, subscripts denote Lagrangian coordinate, and  $R_j^n - R_{j+1}^n > 0$ ):

$$u_j^{n+\frac{1}{2}} = u_j^{n-\frac{1}{2}} - \Delta t^n \left( \frac{\Delta P / \Delta j}{\rho(\Delta R / \Delta j)} + \frac{4}{3} \frac{\Delta K / \Delta j}{\rho(\Delta R / \Delta j)} + B + g \right), \quad (7)$$

where

$$\frac{\Delta P}{\Delta j} = P_{j-\frac{1}{2}}^n + Q_{j-\frac{1}{2}}^{n-\frac{1}{2}} - P_{j+\frac{1}{2}}^n - Q_{j+\frac{1}{2}}^{n-\frac{1}{2}},$$

$$\frac{\Delta K}{\Delta j} = K_{j-\frac{1}{2}}^n + QK_{j-\frac{1}{2}}^{n-\frac{1}{2}} - K_{j+\frac{1}{2}}^n - QK_{j+\frac{1}{2}}^{n-\frac{1}{2}},$$

$$2\rho \frac{\Delta R}{\Delta j} = \frac{M_{j-\frac{1}{2}}^n}{V_{j-\frac{1}{2}}^n} (R_{j-1}^n - R_j^n) + \frac{M_{j+\frac{1}{2}}^n}{V_{j+\frac{1}{2}}^n} (R_j^n - R_{j+1}^n),$$

$$\frac{B}{8} = \frac{K_{j+\frac{1}{2}}^n + QK_{j+\frac{1}{2}}^{n-\frac{1}{2}}}{R_j^n + R_{j+1}^n} \left( \frac{V_{j+\frac{1}{2}}^n}{M_{j+\frac{1}{2}}^n} \right) (1 - \xi) + \frac{K_{j-\frac{1}{2}}^n + QK_{j-\frac{1}{2}}^{n-\frac{1}{2}}}{R_{j-1}^n + R_j^n} \left( \frac{V_{j-\frac{1}{2}}^n}{M_{j-\frac{1}{2}}^n} \right) \xi,$$

$$\xi = \frac{R_j^n - R_{j+1}^n}{R_{j-1}^n - R_{j+1}^n}.$$

The following quantities are calculated at the beginning of the problem in the generator (see Appendix 2) and are saved.

$$V_{j+\frac{1}{2}}^0 = (R_j^0)^3 - (R_{j+1}^0)^3, \quad (8)$$

$$DV_{j+\frac{1}{2}}^0 = (\mu_{j+\frac{1}{2}}^0) (V_{j+\frac{1}{2}}^0), \quad (9)$$

$$V_{j+\frac{1}{2}}^0 = DV_{j+\frac{1}{2}}^0 + V_{j+\frac{1}{2}}^0, \quad (10)$$

$$M_{j+\frac{1}{2}} = \rho_{j+\frac{1}{2}}^I V_{j+\frac{1}{2}}^0, \quad (11)$$

where  $\rho_{j+\frac{1}{2}}^I$  is the input material density and  $\mu_{j+\frac{1}{2}}^0$  is the volume compression due to the overburden pressure.

Equation (7) provides a functional relation between the existing stress gradients (which are obtained from the values of stress in each zone and the positions of these zones at time  $t^n$ ) and the acceleration of each meshpoint. This acceleration when allowed to act over a small time increment  $\Delta t^n$  changes the velocity of each meshpoint ( $j$ ) to  $u_j^{n+\frac{1}{2}}$ .

## 2.2 Strain Calculation

After the motion of the material under the influence of the existing stress field has been calculated from equation (7), we must now find how this motion alters the stress field.

If we assume that the medium is isotropic, then the stress-strain relation (Hooke's law) has the following form for spherical symmetry:

$$\dot{T}_{RR} = \lambda \frac{\dot{V}}{V} + 2\mu \frac{\partial u}{\partial R}, \quad (12)$$

$$\dot{T}_{\theta\theta} = \dot{T}_{\phi\phi} = \lambda \frac{\dot{V}}{V} + 2\mu \frac{u}{R}, \quad (13)$$

where  $\lambda$  and  $\mu$  are the Lamé constants and  $V$  is the volume.

From the conservation of mass we have

$$\frac{\dot{V}}{V} = \frac{\partial u}{\partial R} + 2 \frac{u}{R}. \quad (14)$$

The dot represents a time derivative along a particle path. This will allow us to write the stress-strain relation in incremental form where strain changes will be referred to the current configuration of the element.

We use equation (3) to find  $\dot{P}$  and  $\dot{K}$ :

$$\dot{P} = -k \frac{\dot{V}}{V} \left( \text{where } k = \lambda + \frac{2}{3} \mu \text{ is the bulk modulus} \right), \quad (15)$$

$$\dot{K} = \mu \left( \frac{u}{R} - \frac{\partial u}{\partial R} \right). \quad (16)$$

The total volumetric strain is defined as

$$\mu = \frac{V^0 - V}{V}, \quad (17)$$

and equation (15) is replaced by

$$P = f(\mu, e), \quad (18)$$

where  $e$  is the specific internal energy. The determination of  $f(\mu, e)$  represents a major part of the equation-of-state work, and will be discussed in the equation-of-state section of the paper.

The strain components given by equations (16) and (17) are calculated in the code using time-centered coordinates at  $n + \frac{1}{2}$  as follows (all subscripts at  $j + \frac{1}{2}$  are deleted):

$$R_j \equiv R_j^{n+\frac{1}{2}} = R_j^n + \frac{1}{2} \Delta t^{n+\frac{1}{2}} u^{n+\frac{1}{2}},$$

$$\Delta R_j^{n+1} = \Delta R_j^n + \Delta t^{n+\frac{1}{2}} u_j^{n+\frac{1}{2}},$$

$$R_j^{n+1} = R_j^0 + \Delta R_j^{n+1},$$

$$\begin{aligned}
\Delta V^{n+\frac{1}{2}} &= \Delta t^{n+\frac{1}{2}} \left\{ 3 \left[ \left( R_{j+1} \right)^2 u_{j+1}^{n+\frac{1}{2}} - \left( R_j \right)^2 u_j^{n+\frac{1}{2}} \right] + \left( \frac{\Delta t^{n+\frac{1}{2}}}{2} \right)^2 \left[ \left( u_{j+1}^{n+\frac{1}{2}} \right)^3 - \left( u_j^{n+\frac{1}{2}} \right)^3 \right] \right\} \\
&= V^n - V^{n+1}, \\
DV^{n+1} &= DV^n + \Delta V^{n+\frac{1}{2}} = \left( R_j^0 \right)^3 - \left( R_{j+1}^0 \right)^3 - V^{n+1}, \\
V^{n+1} &= V^0 - DV^{n+1} - DV^0, \\
V^{n+\frac{1}{2}} &= V^{n+1} + \frac{1}{2} \Delta V^{n+\frac{1}{2}}, \\
\mu^{n+1} &= \frac{DV^{n+1} + DV^0}{V^{n+1}} = \frac{V^0 - V^{n+1}}{V^{n+1}}, \tag{19}
\end{aligned}$$

$$\left( \frac{\Delta K}{\mu} \right)^{n+\frac{1}{2}} = -\frac{1}{2} \left( \frac{\Delta V^{n+\frac{1}{2}}}{V^{n+\frac{1}{2}}} + 3 \frac{\left( u_j^{n+\frac{1}{2}} - u_{j+1}^{n+\frac{1}{2}} \right) \Delta t^{n+\frac{1}{2}}}{R_j - R_{j+1}} \right). \tag{20}$$

The last two equations above represent the strain terms that are used in the code to calculate  $P^{n+1}$  and  $K^{n+1}$  respectively.

### 2.3 Calculation of Mean Stress (P)

In the code the calculation of mean stress depends on the state of the material. During shock loading, equation (18) becomes

$$P_H^{n+1} = f_H(\mu^{n+1}), \tag{21}$$

where  $f_H$  is determined from hydrostatic compressibility and Hugoniot measurements on core samples.

The calculation during release depends on the maximum internal energy that has been deposited in the zone. If  $e_{j+\frac{1}{2}}^{\max} > e_V^I$  then  $P^{n+1}$  is calculated using a set of gas tables developed by Butkovich<sup>2</sup> in which  $P$  is listed as a function of energy with density as the parameter. The quantity  $e_V^I$  is the vaporization energy which is related to the difference between the shock-deposited internal energy and the area under the Hugoniot (the shaded area in Fig. 2). The vaporization energy is obtained from the equation in Fig. 2, where  $P_V$  is the pressure value for which the shaded area is just equal to the vaporization "waste heat" for the material (2800 cal/g for  $\text{SiO}_2$  in this case).

If  $e_f^I \leq e^{\max} < e_V^I$  where  $e_f^I$  is the melt energy, then the pressure on release is calculated by

$$P^{n+1} = P_H^{n+1} + \Gamma(e^n - e_H),$$

where

$P_H^{n+1}$  is the Hugoniot pressure,  
 $e^n$  is the internal energy at  $t^n$ ,

$$e_H = \frac{1}{2} P_H^{n+1} \frac{\mu^{n+1}}{1 + \mu^{n+1}},$$

$$\Gamma = \Gamma^I \left[ \frac{e^{\max} - e_f^I}{e_v^I - e_f^I} \right].$$

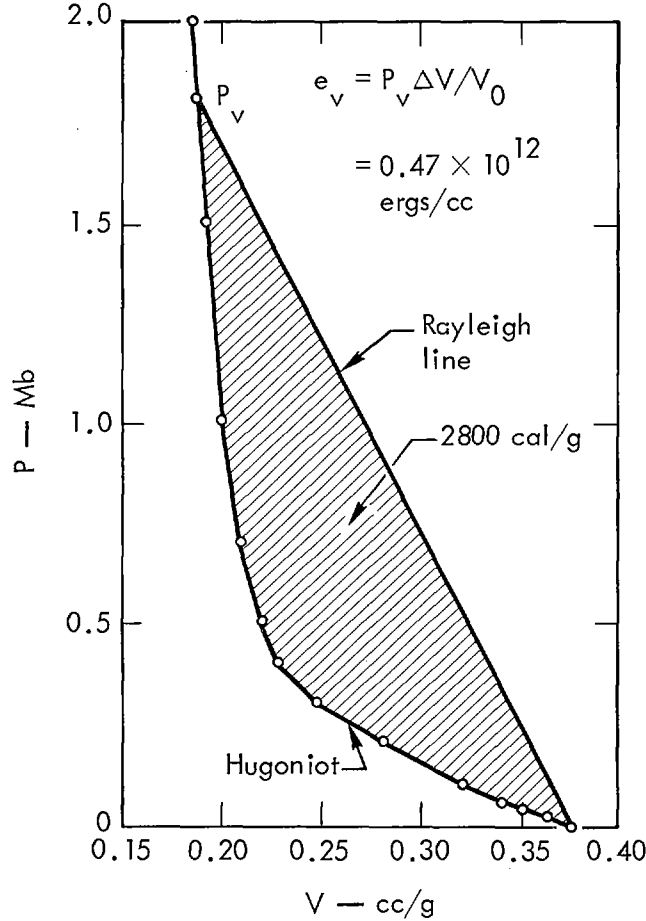


Fig. 2. Calculation of vaporization energy.

The quantity  $\Gamma^I$  is an input quantity specified in the equation of state. In order to assure a reasonable continuity of release paths for  $e^{\max}$  near  $e_v^I$ , the gas tables are merged into the Hugoniot using equation (22). We have found that values of  $\Gamma^I$  between 0.85 and 1 produce an acceptable transition between the Hugoniot and the well-defined part of the gas tables. The melt energy  $e_f^I$  is determined the same way as  $e_v^I$  (see Fig. 2), except that the "waste heat" value for melting (shaded area between the curves) is less, being 600 cal/g for  $\text{SiO}_2$ .

If the hydrostatic compressibility data indicate that the material locks in the P-V plane on release (Fig. 3), then the code will accept one input release path in the equation of state. This release path is usually the experimentally determined hydrostatic unloading path from 40 kb (the pressure limit of our apparatus).

The point in the P- $\mu$  plane where the experimental loading and unloading hydrostatics merge,  $\mu_2^I$ , is input in the equation of state. If  $\mu_{j+\frac{1}{2}}^{\max} \geq \mu_2^I$  then the release path follows the input unloading curve. If

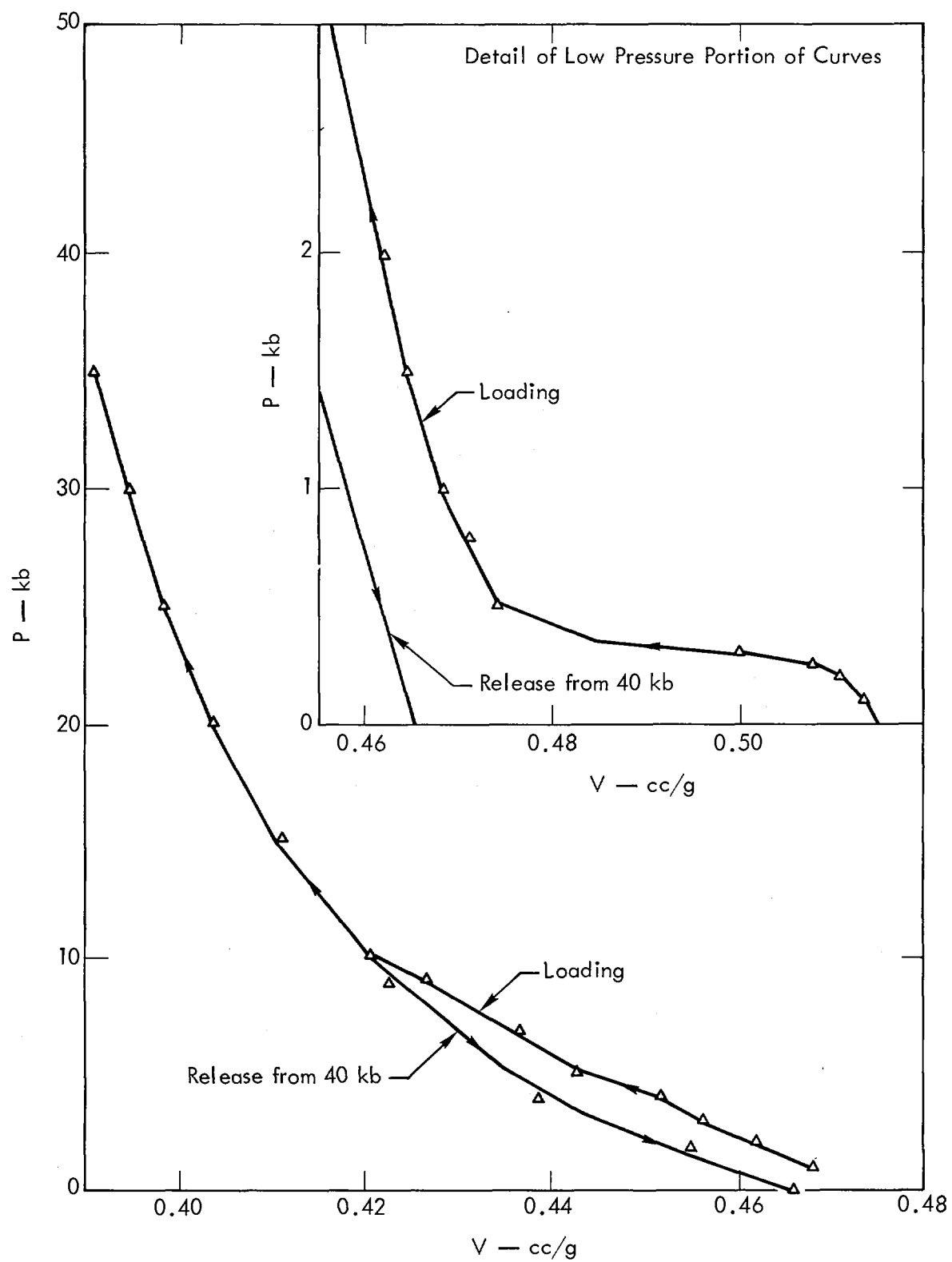


Fig. 3. Compressibility of DF-5A grout.



$\mu_{j+\frac{1}{2}}^{\max} < \mu_2^I$  then the release path is determined such that

$$\left(\frac{dP}{d\mu}\right)_{j+\frac{1}{2}}^{n+\frac{1}{2}} = \left(\frac{dP}{d\mu}\right)_L + \frac{\mu_{j+\frac{1}{2}}^{\max}}{\mu_2^I} \left[ \left(\frac{dP}{d\mu}\right)_u - \left(\frac{dP}{d\mu}\right)_L \right], \quad (23)$$

where  $(dP/d\mu)_L$  and  $(dP/d\mu)_u$  are the slopes of the loading and unloading hydrostats for  $P_{j+\frac{1}{2}}^n$ . The pressure on release becomes

$$P^{n+1} = P^n + \left(\frac{dP}{d\mu}\right)^{n+\frac{1}{2}} \frac{V^0 \Delta V^{n+\frac{1}{2}}}{V^{n+1} (V^{n+1} + \Delta V^{n+\frac{1}{2}})}. \quad (24)$$

## 2.4 Calculation of Deviatoric Stress (K)

Equation (20) represents the initial attempt by the code to calculate  $K^{n+1}$ :

$$\tilde{K}^{n+1} = K^n + \mu^I \left( \frac{\Delta K}{\mu} \right)^{n+\frac{1}{2}}. \quad (25)$$

The quantity  $\mu^I$  is the rigidity modulus from the equation of state. At the present time the code accepts either a constant rigidity modulus or a constant Poisson's ratio.

Adjustment of the  $\tilde{K}^{n+1}$  calculated in equation (25) is permitted if the zone is undergoing plastic flow or brittle failure. The code uses two strength tables, one for the consolidated and one for the cracked state, a strain rate value  $K_2^I$ , and a brittle-ductile transition point  $P_1^I$  in the failure routines. The strength tables will be discussed in the equation-of-state section.

If  $P^{n+1} + \frac{1}{3} \tilde{K}^{n+1} \geq P_1^I$  and if  $|\tilde{K}^{n+1}| > (K_2^I)(a)$  then plastic flow develops and

$$\begin{aligned} K^{n+1} &= (K_2^I)(a) \text{ sign } (\tilde{K}^{n+1}) \text{ for } e^n \leq e_f^I \\ &= 0 \text{ for } e^n > e_f^I, \end{aligned} \quad (26)$$

where

$$a = \frac{e_f^I - e^n}{e_f^I}.$$

The plastic strain  $(\Delta \epsilon_p)$  associated with the adjustment (flow rule) in equation (26) is

$$\Delta \epsilon_p = \frac{|\tilde{K}^{n+1}| - (K_2^I)(a)}{\mu}. \quad (27)$$

If  $P^{n+1} + \frac{1}{3} \tilde{K}^{n+1} < P_1^I$  and if  $|\tilde{K}^{n+1}|$  is greater than the value of  $K$  allowed by the appropriate strength table, then a crack is allowed to propagate through the zone with a velocity  $C_v$  given by Bieniawski<sup>3</sup> as

$$C_v = 1.14 \sqrt{\frac{\mu}{\rho^I \left(3 + \frac{\mu}{k}\right)}}. \quad (28)$$

A crack length  $C_L$  and a crack ratio  $C_R$  are calculated:

$$C_L^{n+1} = C_1^n + C_v \Delta t^{n+\frac{1}{2}}, \quad (29)$$

$$C_R = \frac{C_L^{n+1}}{4(R_j^{n+1} - R_{j+1}^{n+1})} \leq 1.$$

A limiting value of  $K$  is calculated,

$$K_{Lim} = |\tilde{K}^{n+1}| \left[ 1 - \frac{C_v C_R}{4(R_j^{n+1} - R_{j+1}^{n+1})} \Delta t^{n+\frac{1}{2}} \right] \leq K_2^I. \quad (30)$$

Equation (26) is used to calculate  $K^{n+1}$  with  $K_2^I$  replaced by  $K_{Lim}$ .

The form of equation (30) represents a compromise between a dislocation theory formulation and a Maxwell solid formulation in which the viscosity  $\eta$  is replaced by

$$\eta = \frac{4\mu \Delta R}{C_v C_R}. \quad (31)$$

The relaxation of the deviatoric components of stress during brittle failure has been observed experimentally by Byerlee<sup>4</sup> under quasi-static loading. Ahrens and Duvall<sup>5</sup> have measured the attenuation of the elastic precursor in three quartz rocks in one-dimensional plane geometry and found that on the "elastic" Hugoniot

$$F = -\frac{dK_{Lim}}{dt} \approx 40 \frac{kb}{\mu sec} \quad (32)$$

with a relaxation time of 0.7  $\mu sec$ . Equation (30) gives

$$-\frac{dK_{Lim}}{dt} = \frac{|\tilde{K}^{n+1}|}{0.7} \quad (33)$$

assuming  $C_R = 1$  and  $4\Delta R/C_v = 0.7 \mu sec$ . Since the difference between the precursor radial stress and the isothermal hydrostat is about 40 kb for the rocks Ahrens and Duvall considered, then

$$\tilde{K}^{n+1} \approx \left(\frac{3}{4}\right) (40) kb.$$

Using this value of  $\tilde{K}^{n+1}$  in equation (33) gives 43 kb/ $\mu sec$  for  $F$ .

Equation (3) is used to describe the relaxation of the stress deviator during brittle failure. No attempt is made to distinguish between "tensile" or "shear" failure in the crack routine itself.

The internal energy and stability calculations are the standard formulations of Cherry<sup>6</sup> for an adiabatic Lagrangian code using artificial viscosity.

The total energy in the problem (internal, kinetic, and gravitational) is determined at specified times and compared with the input energy. Agreements within 1% or less are considered normal. The listing of the code is given in Appendix 1.

### 3. DETERMINING AN EQUATION OF STATE FOR THE ROCK AT A PARTICULAR SITE

The equation of state for the rock at a particular site is developed from field logging and from laboratory tests on selected rock samples. Ideally these programs should include the following:

#### 3.1 Logging Program

- (1) Density log
- (2) Elastic velocity log
  - (a) Compressional velocity
  - (b) Shear velocity

Hopefully, these logs will permit a judgment concerning both the layering of the medium and the choice of core for laboratory testing.

#### 3.2 Core Tests

- (1) Hydrostatic compressibility up to 40 kb
  - (a) Loading
  - (b) Unloading
- (2) Triaxial tests at various confining pressures and saturation levels.
  - (a) Consolidated
  - (b) Cracked
- (3) Tensile strength
- (4) Hugoniot elastic limit
- (5) High pressure Hugoniot data (loading and release) for the rock near the point of detonation.

The core tests that are now relatively standard are those involving hydrostatic compressibility, triaxial strength, and, to some extent, the shock Hugoniot. Experimental techniques that measure Hugoniot release are still in the developmental stage.

#### 3.3 Hydrostatic Compressibility and Hugoniot Data

Figure 3 shows the measured loading and unloading hydrostatic isotherms for a "locking" solid (DF-5A grout).<sup>\*</sup> This locking feature is typical of most of the dry porous rock encountered at the Nevada Test Site (NTS) and is responsible for the severe seismic decoupling characteristic of the site.

Figure 4 shows the static isotherm along with Hugoniot data for Hardhat granite. The 10-kb offset between the Hugoniot elastic limit (HEL) and the hydrostat is maintained for the

$$P_H^{n+1} = f_H(\mu^{n+1})$$

code input (equation(21)).

The Rayleigh line drawn through the HEL intersects the Hugoniot at 320 kb. The slope of the Rayleigh line in the P-V plane is proportional to the

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<sup>\*</sup> See Sec. 4.1, "Model Studies."

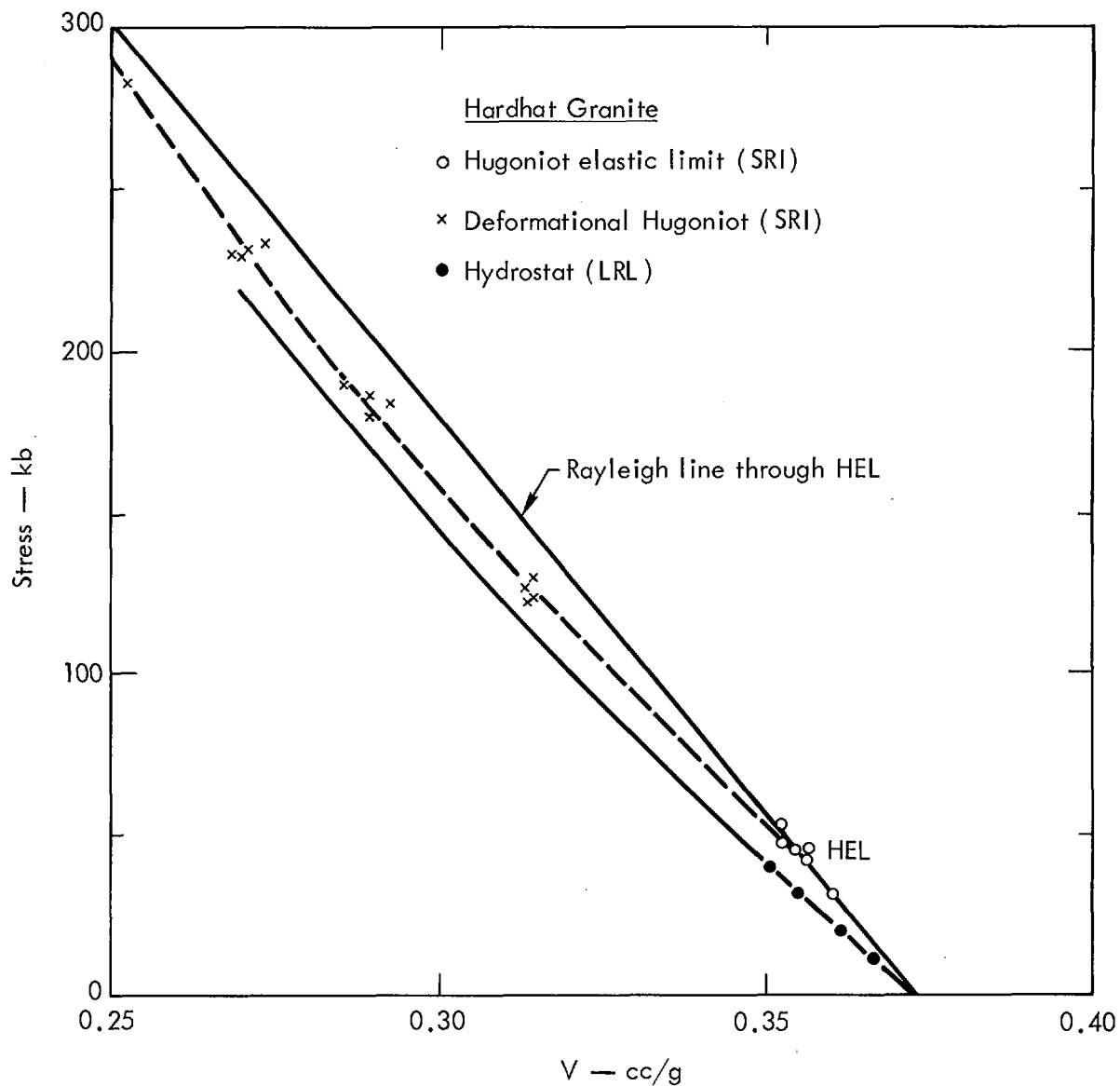


Fig. 4. Hugoniot and compressibility data for Hardhat granite.

square of the shock velocity ( $u_s$ ):

$$\frac{P - P_0}{V_0 - V} = (\rho_0 u_s)^2. \quad (34)$$

For shock states below 320 kb the first arrival corresponds to the Rayleigh line through the HEL (5.9 m/msec) with an amplitude of 45 kb.

### 3.4 Strength Data

An attempt has been made to develop a failure criterion, in terms of stress invariants, capable of describing the onset of failure in brittle materials. The important stress invariants used are mean stress ( $P$ ), the second deviatoric invariant ( $I_{2D}$ ), and the third deviatoric invariant ( $I_{3D}$ ).

In terms of principal stresses  $T_{11}$ ,  $T_{22}$ ,  $T_{33}$  (positive for tension), we have

$$P = - \frac{T_{11} + T_{22} + T_{33}}{3},$$

$$I_{2D} = \frac{1}{6} (T_{11} - T_{22})^2 + (T_{11} - T_{33})^2 + (T_{22} - T_{33})^2 \quad (35)$$

$$= \frac{1}{2} (T_1^2 + T_2^2 + T_3^2),$$

where  $T_1 = P + T_{11}$ ,  $T_2 = P + T_{22}$ , and  $T_3 = P + T_{33}$  are the stress deviators,

$$I_{3D} = T_1 T_2 T_3.$$

We assume that strength can be expressed in terms of  $I_{2D}$ :

$$Y \equiv (3I_{2D})^{\frac{1}{2}}.$$

The results of various destructive tests (compression, extension, and hollow torsion) on glass, dolomite, granite, and limestone have been presented by Handin et al.<sup>7</sup> and Mogi.<sup>8</sup> They demonstrated that  $I_{2D}$  plotted versus  $P$  did not give a consistent failure surface when the test type changed.

Mogi also found that the compression and extension test data are consistent if  $P$  is replaced by  $\bar{P}$ , where

$$\bar{P} = - \frac{T_{11} + T_{33} + bT_{22}}{2}, \quad (36)$$

$T_{22}$  is the intermediate principal stress, and  $0 \leq b \leq 0.1$  depending on the rock type. This suggests that if  $I_{3D}$  is combined with  $P$  such that

$$\bar{P} = P - a \left( \frac{I_{3D}}{2} \right)^{1/3}, \quad (37)$$

then Mogi's formulation is obtained for  $b = 0$  if  $a = 0.5$ .

Figures 5-16 show  $Y$  vs  $P$  and vs  $\bar{P}$ , where  $\bar{P}$  is given by equation (37) with  $a = 0.5$  and  $Y = (3I_{2D})^{\frac{1}{2}}$ . Each point on a given plot is determined by evaluating the appropriate invariants from the existing stress field at failure. Replacing  $P$  by  $\bar{P}$  not only improves the consistency of the various tests but well defines the brittle-ductile transition for limestone. It would be easy to improve the consistency even more by allowing "a" to vary with the rock type. However, in our applications the variability of the core obtained from a particular site is more than sufficient to mask changes in "a" with rock type, even if a large variety of strength tests were available.

Equations (2), (35), and (37) give the following relations between  $Y$ ,  $\bar{P}$ , and  $K$ :

$$Y = 2|K| = |T_{\theta\theta} - T_{RR}|, \quad (38)$$

$$\bar{P} = P + \frac{K}{3} = - \frac{T_{RR} + T_{\theta\theta}}{2}.$$

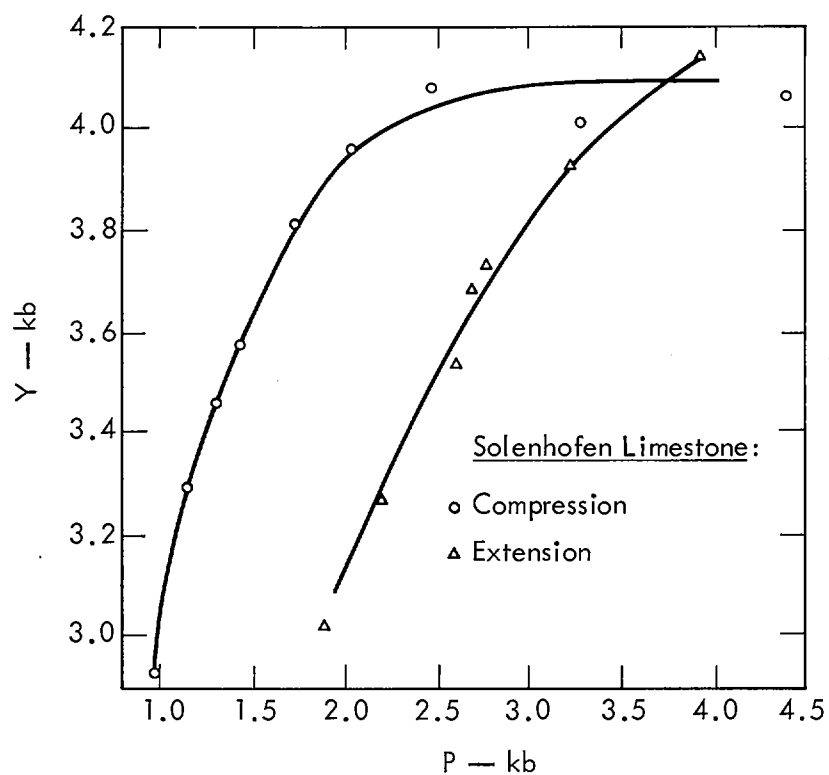


Fig. 5. Yield strength ( $Y$ ) vs  $P$  for Solenhofen limestone (data of Mogi<sup>8</sup>).

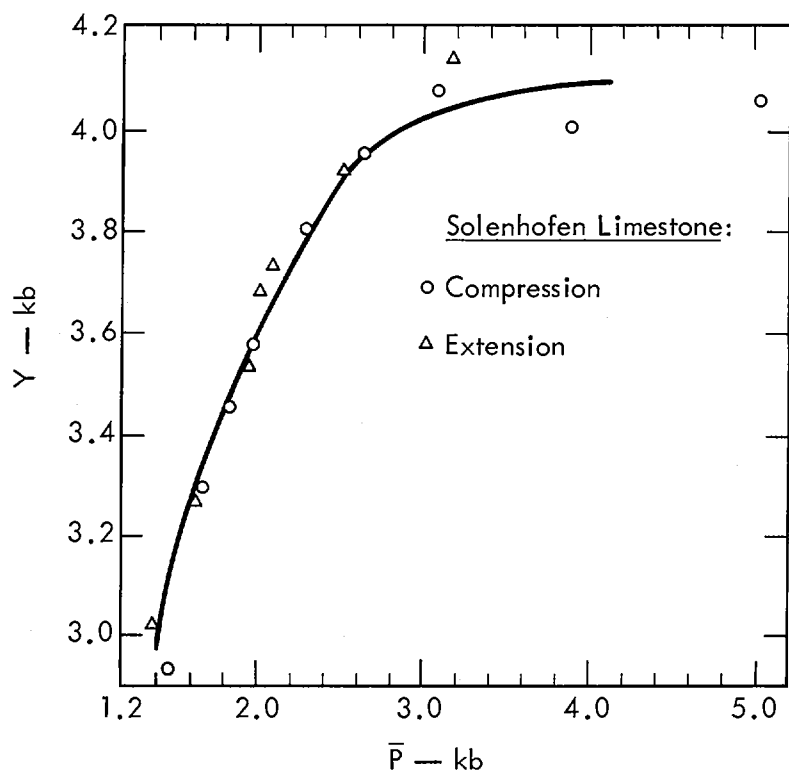


Fig. 6.  $Y$  vs  $\bar{P}$  for Solenhofen limestone (data of Mogi<sup>8</sup>).

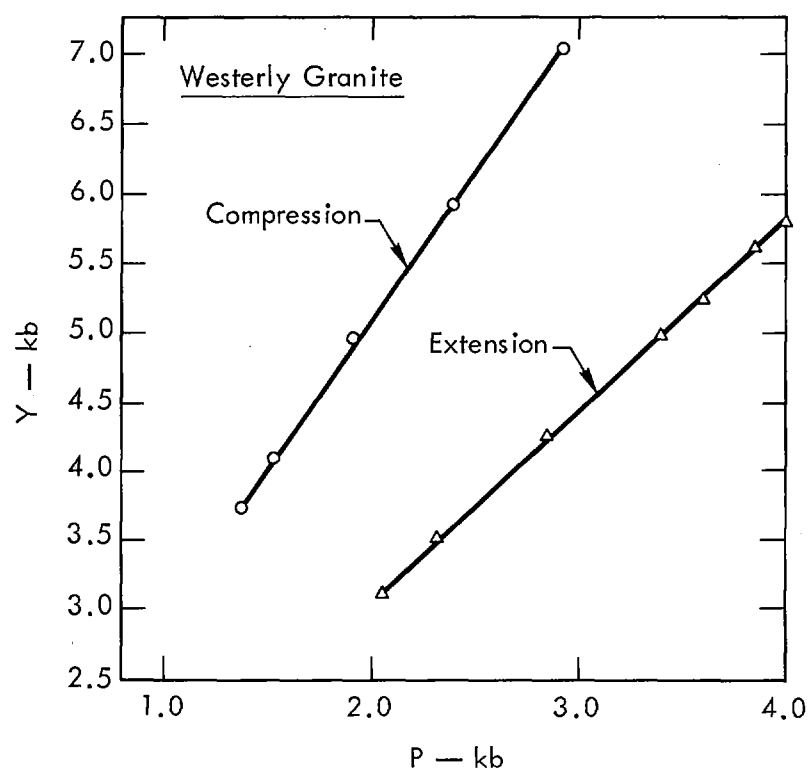


Fig. 7. Y vs P for Westerly granite (data of Mogi<sup>8</sup>).

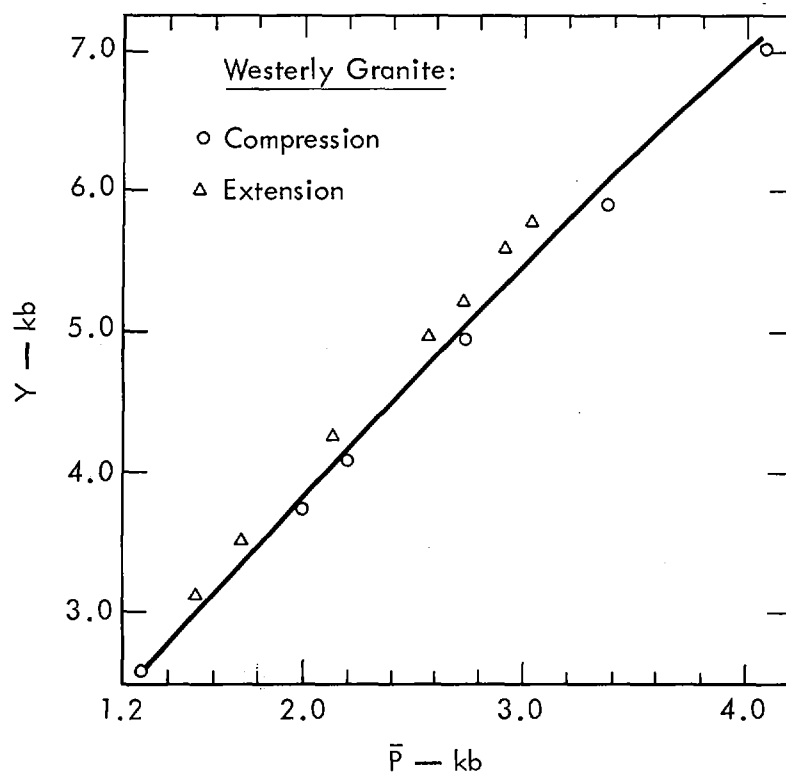


Fig. 8. Y vs  $\bar{P}$  for Westerly granite (data of Mogi<sup>8</sup>).

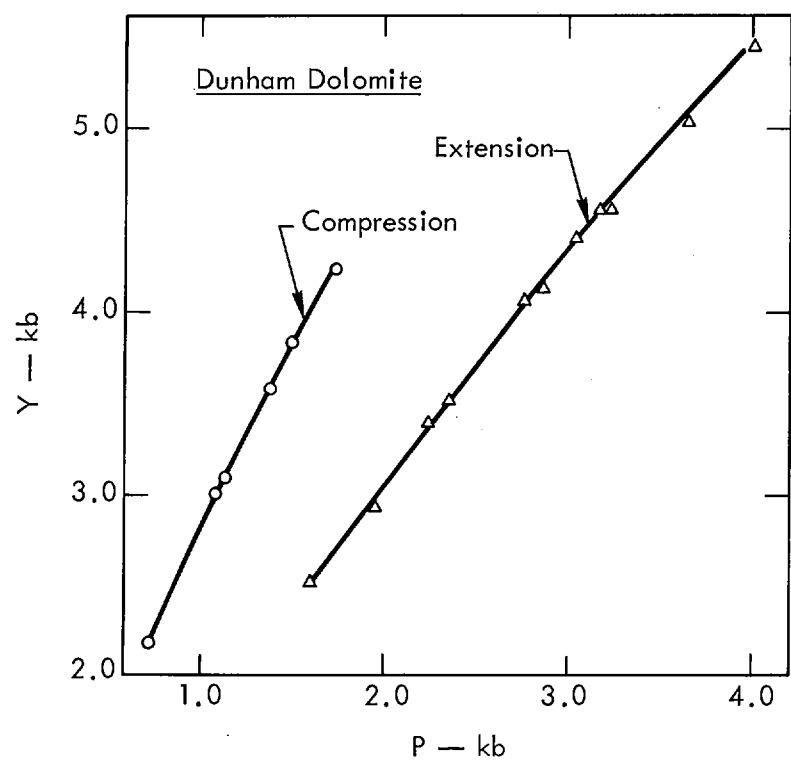


Fig. 9. Y vs P for Dunham dolomite (data of Mogi<sup>8</sup>).

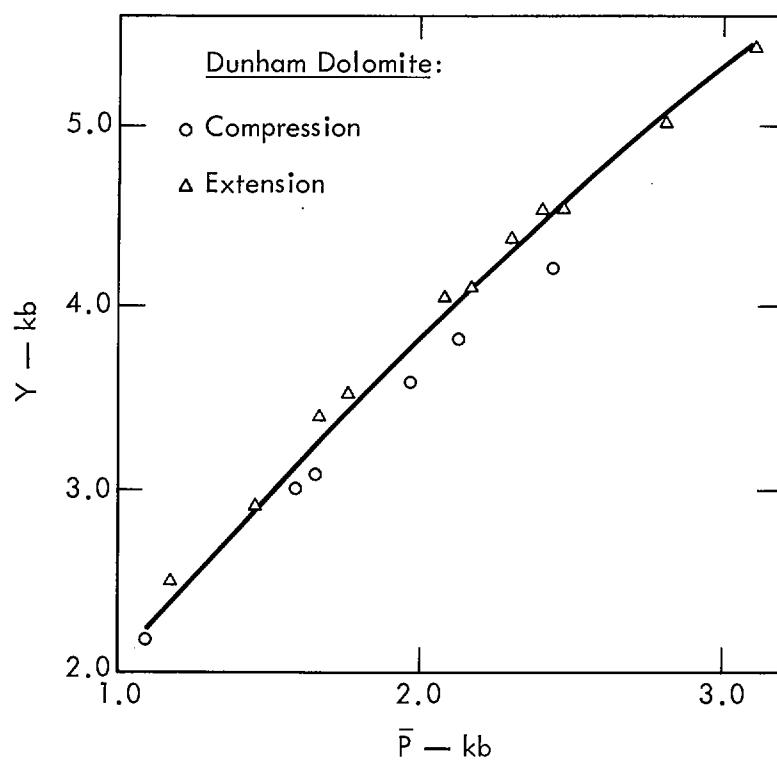


Fig. 10. Y vs  $\bar{P}$  for Dunham dolomite (data of Mogi<sup>8</sup>).



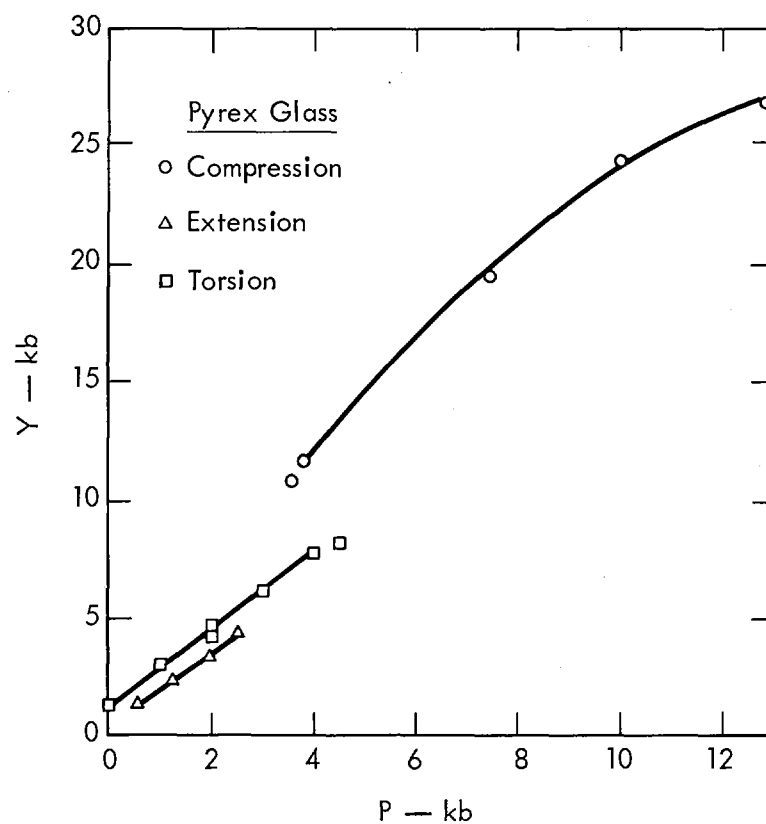


Fig. 11. Y vs P for Pyrex glass (data of Handin et al.<sup>7</sup>).

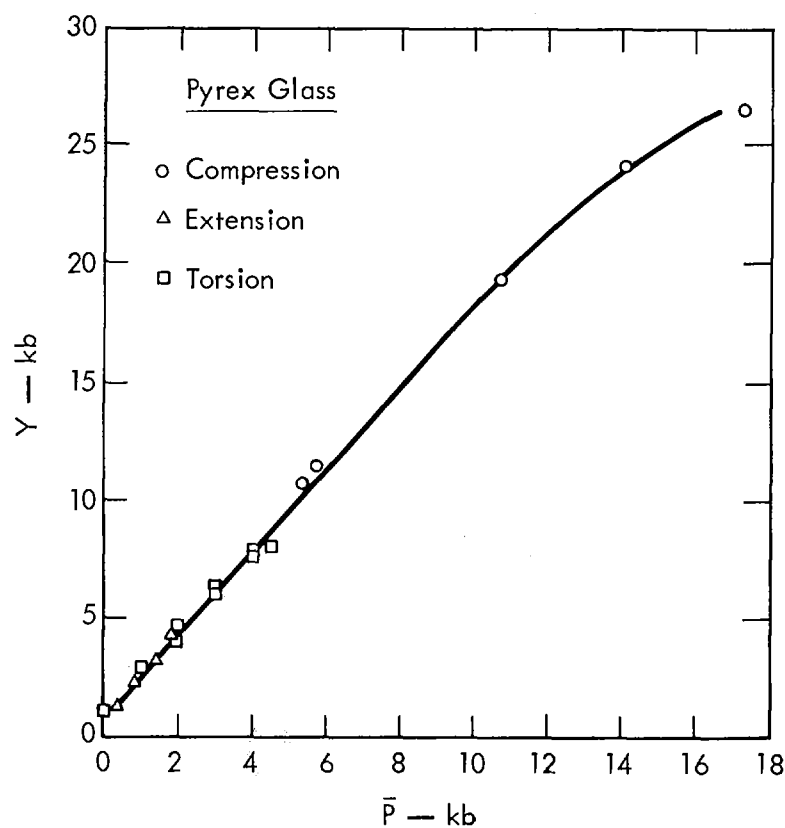


Fig. 12. Y vs  $\bar{P}$  for Pyrex glass (data of Handin et al.<sup>7</sup>).

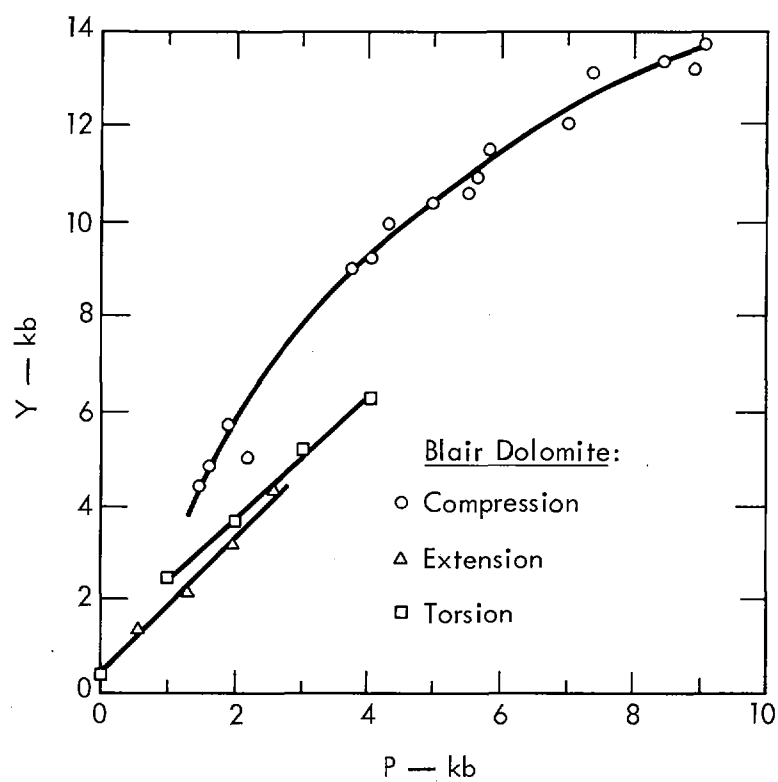


Fig. 13.  $Y$  vs  $P$  for Blair dolomite (data of Handin et al.<sup>7</sup>).

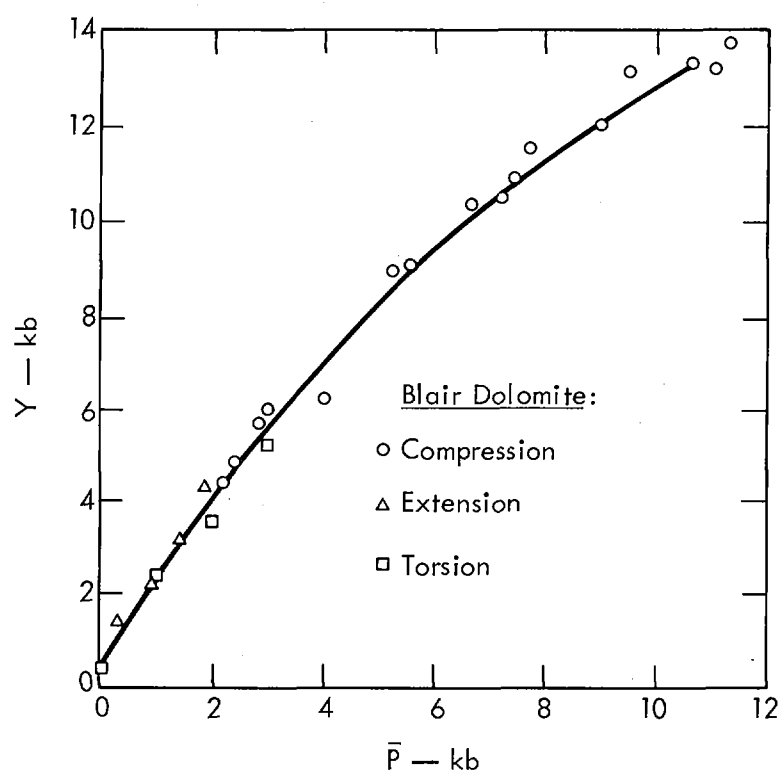


Fig. 14.  $Y$  vs  $\bar{P}$  for Blair dolomite (data of Handin et al.<sup>7</sup>).

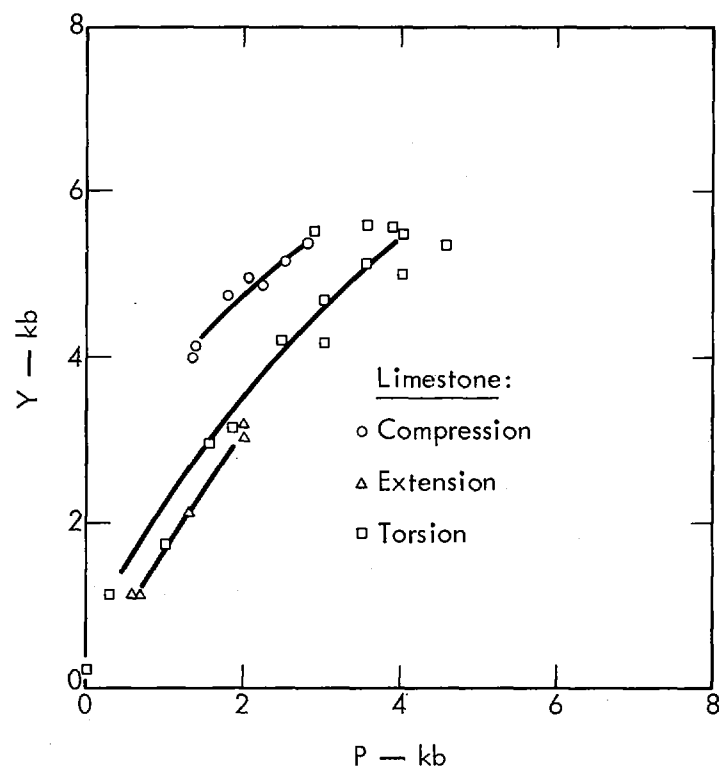


Fig. 15.  $Y$  vs  $P$  for limestone (data of Handin et al.<sup>7</sup>).

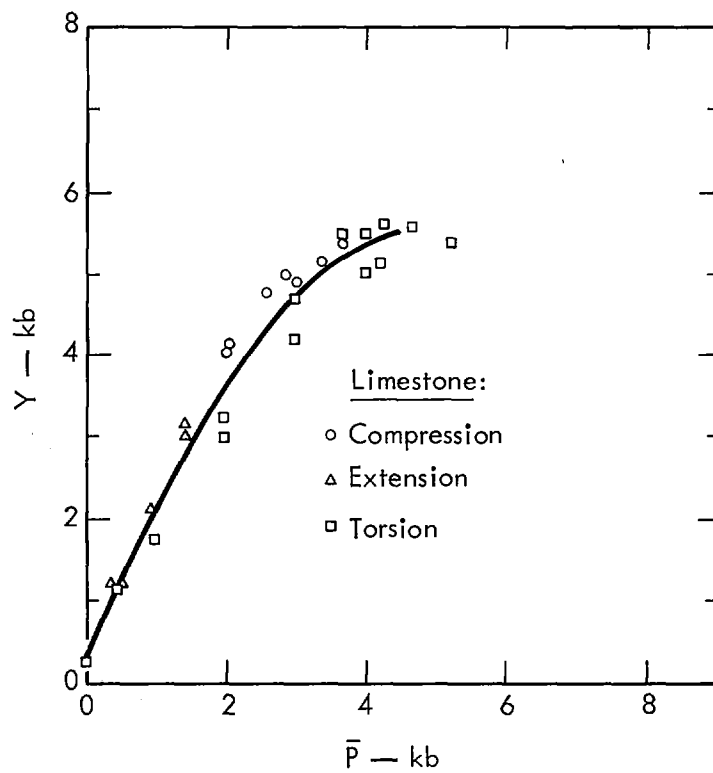


Fig. 16.  $Y$  vs  $\bar{P}$  for limestone (data of Handin et al.<sup>7</sup>).

The failure criterion in the code is a table of  $Y/2$  vs  $\bar{P}$ . The table is determined from triaxial compression test data, the tensile strength, and the Hugoniot elastic limit, where  $Y/2$  and  $\bar{P}$  are evaluated for each test.

#### 4. COMPARISON OF CALCULATIONS AND EXPERIMENTAL RESULTS

##### 4.1 Model Studies

Model studies were done in which a charge of high explosive and a number of pressure transducers at various distances from the charge were imbedded in a large block of grout which was allowed to set and harden. When the charge was detonated in the hardened grout, the resultant stress history was determined from the pressure transducer data.

The grout was a special mix called DF-5A, developed by the U. S. Army Corps of Engineers. It was poured into an approximately cubical form 60 cm on a side, with the top side given a slight cylindrical curvature to facilitate study of its free surface behavior by shadowgraph photography. A 4-cm-diam spherical charge of LX-04 high explosive was placed 14 cm below this free surface. Ten pressure transducers sensitive to radial stress were placed at distances between 4.5 and 14 cm from the charge. The transducers were all at least 10 cm below the free surface, and most of them were below the level of the charge. For the experiment, the entire form was buried in sand or gravel with only the free surface protruding.

The explosive was detonated and the free surface velocity was measured with a streaking camera in "shadowgraph" configuration. The cylindrical free surface simplified this measurement. Pressure transducers were 1.25-cm-diam, 0.5-mm-thick Z-cut tourmaline disks (Hearst et al.<sup>9</sup>). A characteristic of the DF-5A grout is the presence of voids due to air in the mix, a desirable feature both for transducer bonding and for producing the "locking solid" behavior characteristic of porous rocks.

The purpose of the experiment was to compare the experimental results with the code solutions. These calculations were performed using the material properties furnished from laboratory tests on grout samples. Figure 3 shows the loading and unloading hydrostats measured for the grout. Figure 17 shows the strength data obtained from triaxial compression tests. We regard the wet strength as the equilibrium strength and attempt to compensate for the difference between the wet and dry materials by including a strain rate term ( $K_2^I$ , equation (31)) of 4 kb in the equation of state. A Poisson's ratio of about 0.2 was obtained from ultrasonic measurements on grout cylinders. The equation of state of LX-04 has been published by Wilkins.<sup>10</sup>

Figures 18, 19, and 20 compare calculated and measured radial stress histories at 6.5, 7.5, and 9 cm. At 7.5 and 9 cm the calculated peak radial stress is high and the shock arrives too fast. Figure 21 compares calculated and measured peak radial stress versus radial distance. Again the high calculated value is apparent. The calculated free surface (spall) velocity was 60 m/sec compared to an observed value of 53 m/sec, rather encouraging agreement considering this measurement is the easiest to obtain and probably the most reliable part of the experimental effort.

In view of the complexity of the grout equation of state, the agreement between calculation and experiment is considered to be good, at least encouraging enough to warrant improvement in the stress-history measurement techniques (too many gauge failures now occur) and to ask for a detailed study of the variability of the grout material properties.

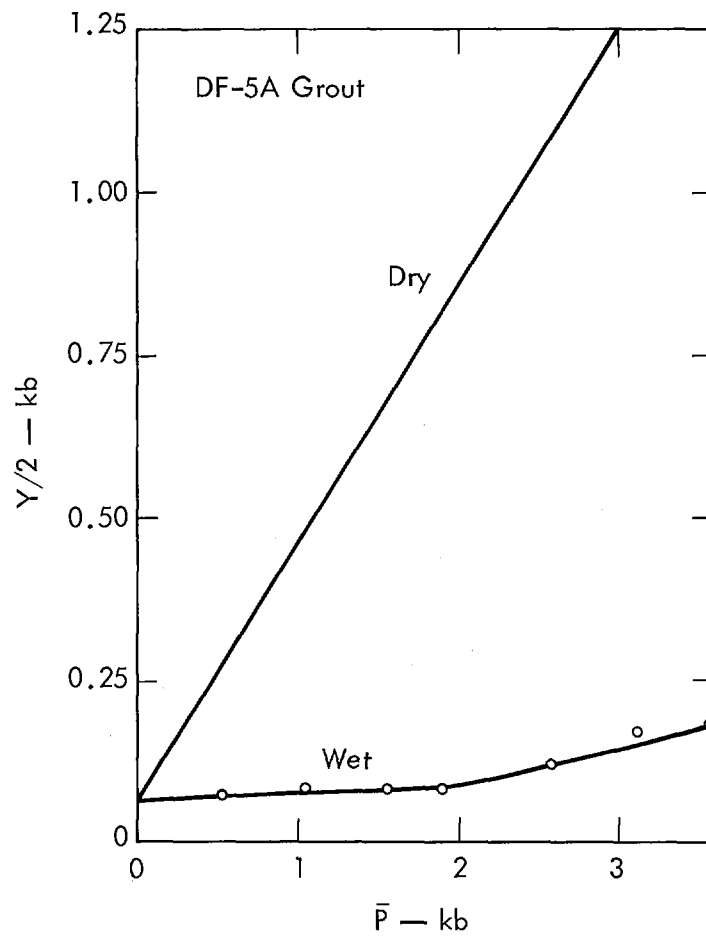


Fig. 17. Strength of DF-5A grout.

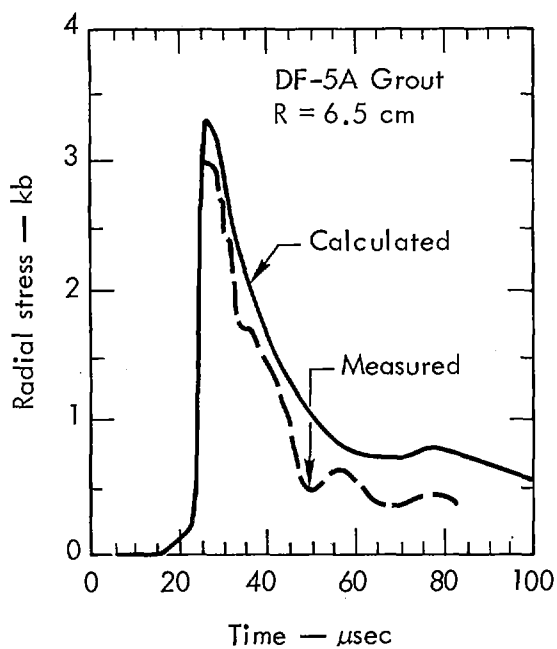


Fig. 18. Stress history in DF-5A grout 6.5 cm from high explosive detonation.

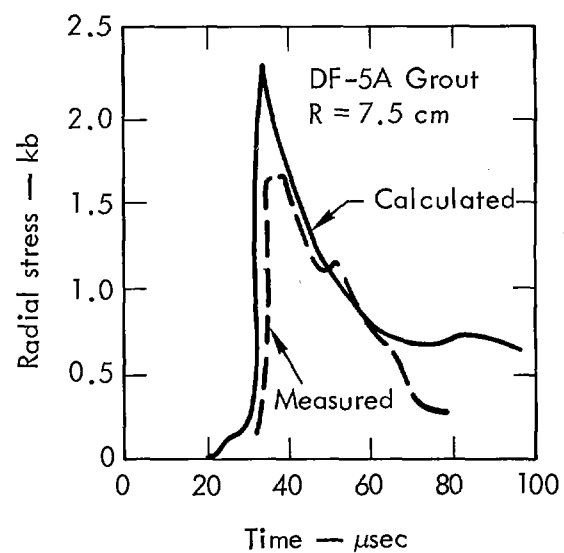


Fig. 19. Stress history in DF-5A grout 7.5 cm from high explosive detonation.

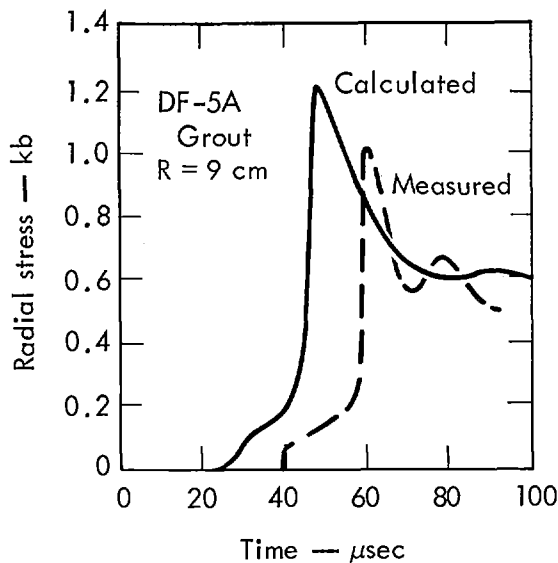


Fig. 20. Stress history in DF-5A grout 9 cm from high explosive detonation.

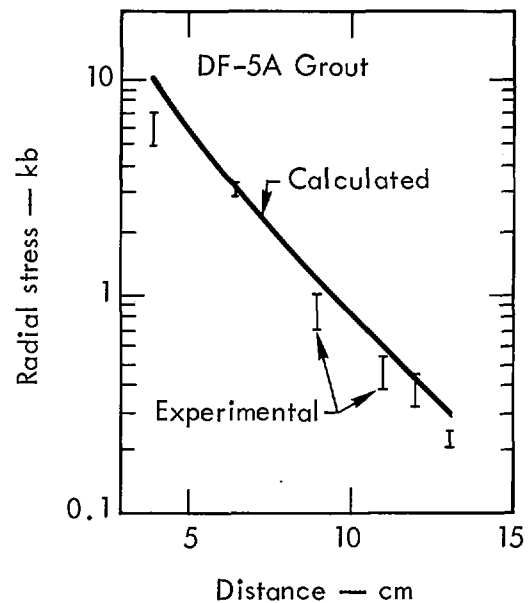


Fig. 21. Peak radial stress in DF-5A grout vs distance from high explosive detonation.

#### 4.2 Hardhat Granite

The Hardhat Event was a 5-kt contained nuclear explosion at a depth of 290 m in granite at NTS. Figure 4 shows the static isotherm along with Hugoniot data obtained from granite cores taken at the Hardhat site. The 10-kb offset between the HEL and the static isotherm is maintained for the code input. Figure 22 gives the granite strength ( $Y/2$  vs  $\bar{P}$ ) for various states of the test sample. The strength data that give best agreement between calculation and observation are the wet, precracked values. In order to make these strength data consistent with the HEL data of Fig. 4, a strain rate term ( $K_2^I$ , equation (30)) of 7.5 kb was included in the equation of state. This value corresponds to the 10-kb offset between the static isotherm and the HEL. A Poisson's ratio of about 0.28 was obtained from ultrasonic laboratory measurements.

The calculation was begun by uniformly distributing 5 kt of internal energy in a sphere of radius 3.15 m at normal density (2.67 g/cc) and using the appropriate gas tables for this region ( $\text{SiO}_2 + 1\% \text{H}_2\text{O}$ , Butkovich<sup>2</sup>). Code calculations show that the mass of rock vaporized is proportional to the yield, and for silicate rocks approximately  $70 \times 10^6$  g/kt is vaporized. The value 3.15 m corresponds to the radius of vaporization for the 5-kt source.

Figure 23 shows calculated and observed peak radial stress versus scaled radius. Figures 24, 25, 26, and 27 show calculated radial stress versus distance at 4, 16, 24, and 40 msec. A striking feature of this sequence is the emergence of the precursor (P) and the decay of the main shock.

Figures 28 and 29 show calculated and measured radial stress versus time at 62 and 120 m. The experimental stress-history data do not exhibit the strong precursor obtained from the calculations. This may be due, in part, to the weak grouting material used for an impedance match between the transducer and the granite formation.

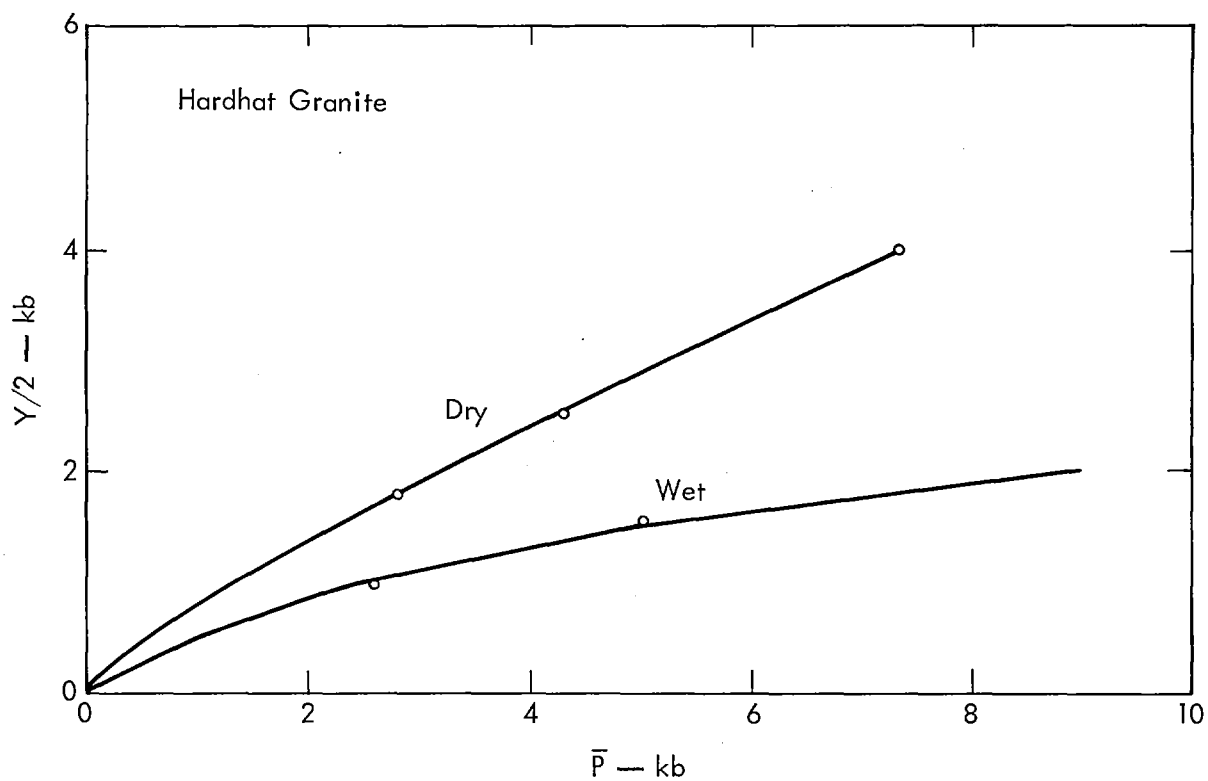


Fig. 22. Strength of Hardhat granite.

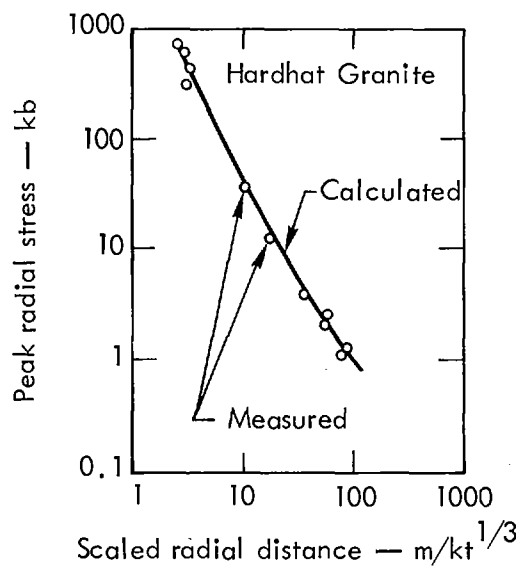


Fig. 23. Calculated and observed peak radial stress in Hardhat granite as a function of scaled distance from a nuclear shot.

The calculation gives a final cavity radius (corresponding to the initial gas-rock interface at 3.15-m radius) of 20.4 m. The measured Hardhat cavity radius is 19 m. Figure 30 gives the calculated and observed reduced

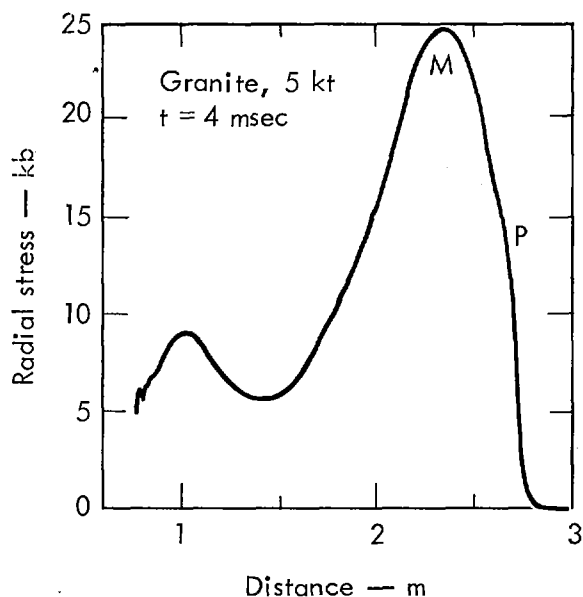


Fig. 24. Calculated radial stress vs distance, 4 msec after a 5-kt shot in Hardhat granite.

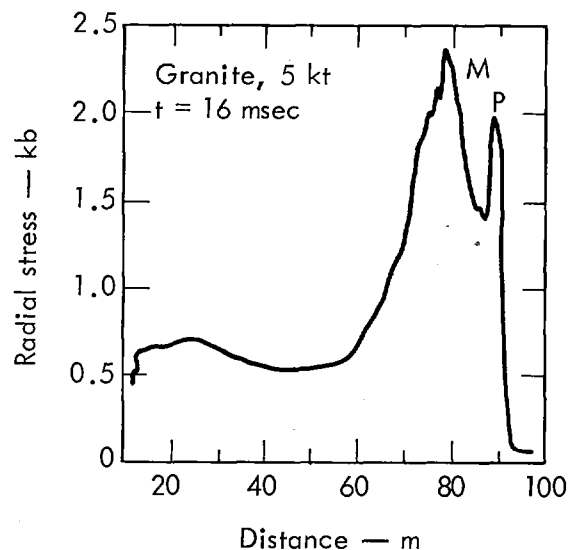


Fig. 25. Calculated radial stress vs distance, 16 msec after a 5-kt shot in Hardhat granite.

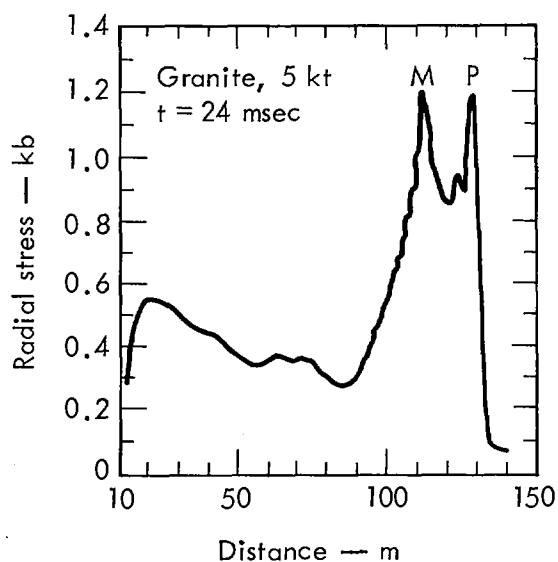


Fig. 26. Calculated radial stress vs distance, 24 msec after a 5-kt shot in Hardhat granite.

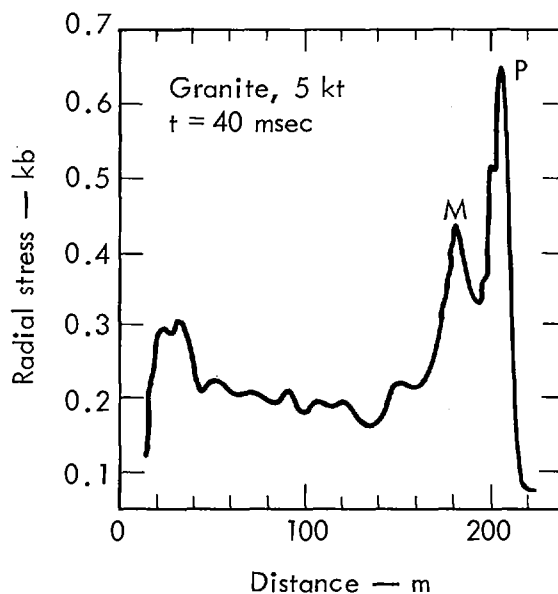


Fig. 27. Calculated radial stress vs distance, 40 msec after a 5-kt shot in Hardhat granite.

displacement potential (RDP) obtained from displacement versus time for a particle in the "elastic" region.

The RDP is a measure of the seismic efficiency of the medium. For a spherical outgoing elastic wave whose displacement is  $S_R$  we can write



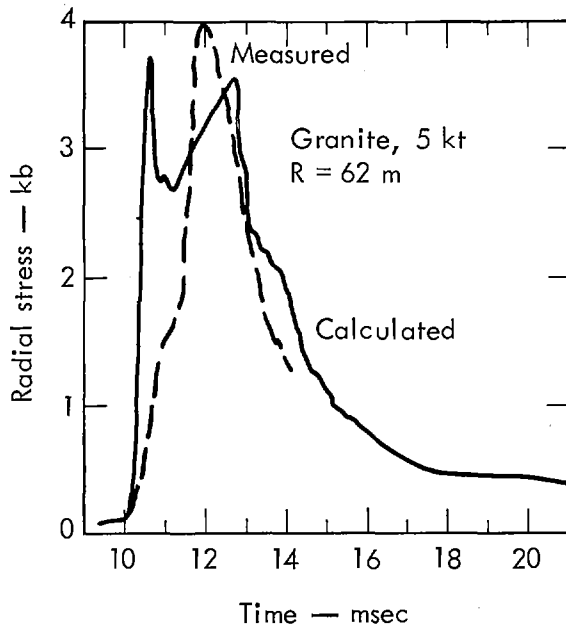


Fig. 28. Calculated and measured stress history in Hardhat granite, 62 m from a 5-kt shot.

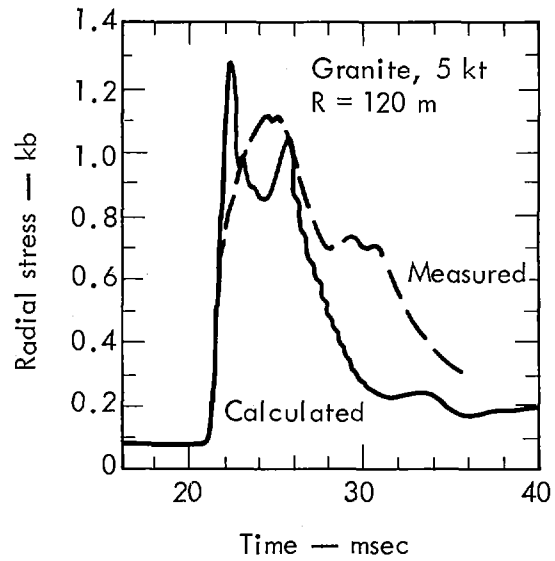


Fig. 29. Calculated and measured stress history in Hardhat granite, 120 m from a 5-kt shot.

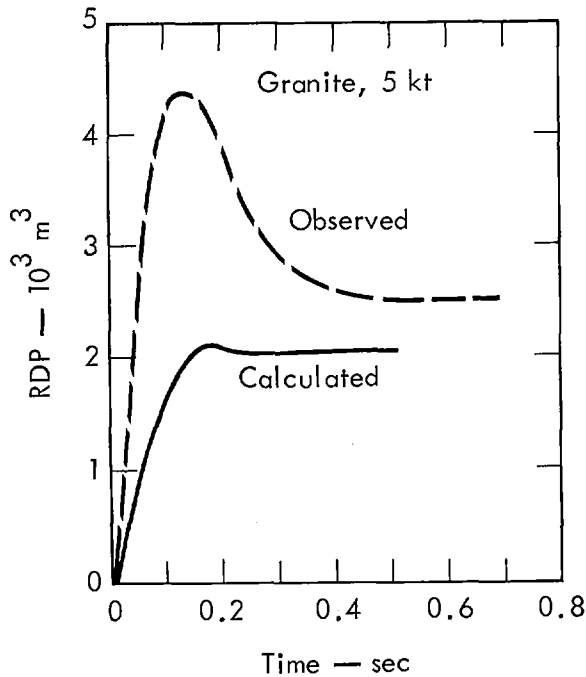


Fig. 30. Calculated and observed reduced displacement potential (RDP) for a 5-kt shot in Hardhat granite.

(Werth and Herbst <sup>11</sup>). No calculation incorporating reasonable changes in the equation of state has been able to produce the observed overshoot in RDP.

Figure 31 shows the number of times a zone has cracked versus distance for the Hardhat calculation. This number is saved by the code for each

$$S_R = \frac{\partial}{\partial R} \left[ \frac{f(t - R/V_P)}{R} \right]; \quad (39)$$

we define the RDP as:

$$RDP = f(t - R/V_P),$$

where

$$V_P = \sqrt{\frac{k + \frac{4}{3}\mu}{\rho}}.$$

The RDP, obtained by integrating equation (39), gives the source function that determines the displacement of a particle at any point in the elastic region. The source function should scale from one shot to another by multiplying the RDP by the ratio of the yields involved.

The calculated and observed steady-state values of RDP agree. The early time disagreement could be due to the surface reflection returning to the instrument 60 msec from the onset of the direct wave

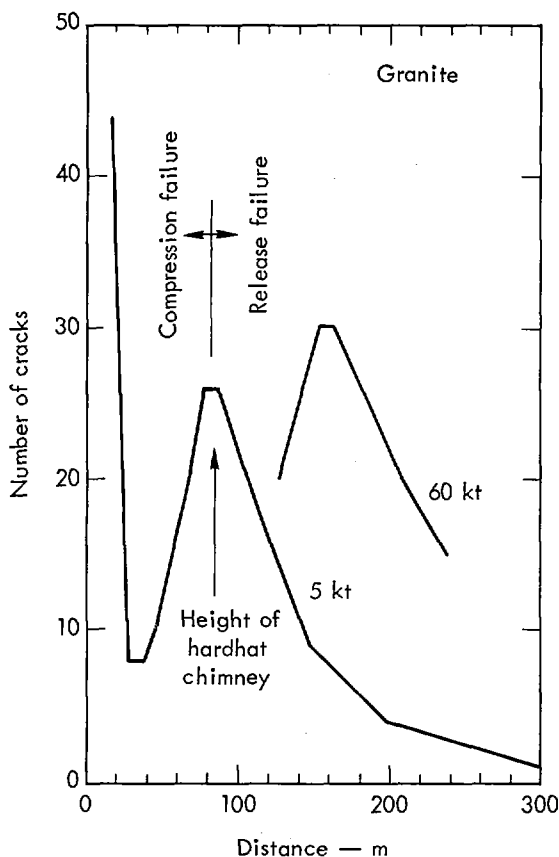


Fig. 31. Calculated number of cracks produced in Hardhat granite vs distance from the shot.

num not only increases but the shape broadens as indicated by the 60-kt plot given in Fig. 31. This suggests that as the yield increases the bulking of the rock, as it collapses into the cavity, should eventually become the controlling factor in determining chimney height.

The crack number, assuming it is calculated correctly, should be related to permeability changes in the medium. Apparently permeability is both difficult and expensive to measure. However, Fig. 31 suggests that permeability should reach a minimum between 30 and 40 m from the cavity for 5 kt. This zone of low permeability might serve a useful purpose in some applications by helping to limit the spread of gas-borne radioactivity from the cavity; however, unless it is removed by chimney collapse, it might severely limit the effectiveness of reservoir stimulation.

#### 4.3 Gasbuggy

Gasbuggy was an experiment in nuclear stimulation of a gas-bearing formation in Rio Arriba County, New Mexico, sponsored jointly by the U.S. Atomic Energy Commission, the El Paso Natural Gas Company, and the U.S. Bureau of Mines. A 25-kt nuclear explosive was detonated 1280 m underground, in the Lewis shale formation 12 m below the gas-bearing Pictured Cliffs sandstone. The objective was to evaluate the effectiveness of the nuclear explosion in increasing the permeability of the Pictured Cliffs formation and thus improving the recovery of gas from it.

The best experimental measurements, in terms of stress wave propagation, were obtained by Sandia Laboratories (Perret<sup>12</sup>) in a deep borehole

zone and increased by 1 each time the material strength is exceeded. The number can only be increased after the deviatoric component of stress ( $K$ ) relaxes to half the value allowed by the strength table and after  $C_R$  (equation (29)) equals 1. At this point the relaxation of  $K$  (equation (30)) ceases and equation (25) is used to obtain  $K^{n+1}$  ( $K^{n+1} = \tilde{K}^{n+1}$ ). This scheme for exiting from the crack routine emphasizes release failure (where  $\tilde{K}^{n+1}$  calculated from equation (25) is less than  $K^n$ ) over compression failure. This number has its largest value (44) at the cavity boundary due to the divergence there as the cavity expands, falls to a minimum value of 8 between 30 and 40 m where compression failure is the controlling mechanism, and then increases to a maximum of 26 between 80 and 90 m. This maximum is due to zone failure changing from compression (failure at the shock front) to release (failure behind the shock front) at  $R \approx 90$  m. It is interesting that the observed height of the Hardhat chimney falls within this maximum.

Additional calculations for larger yields show that the maxi-

457 m from the emplacement hole. This part of the experiment was funded by the Advanced Research Projects Agency (ARPA).

Logging data near the emplacement hole and in the ARPA instrument hole indicate that the compressional velocity in the Lewis shale ranges from 4.75 to 3.87 m/msec and the density varies from 2.4 to 2.6 g/cc. Figure 32 shows the loading and unloading static compressibility data for the Lewis shale. The loading data give a bulk modulus of about 160 kb (curve A) and an initial density of 2.61 g/cc. Using a Poisson's ratio of 0.3 (obtained from the shear velocity log) we obtain a compressional velocity of about 3 m/msec, a value that is not consistent with the logging data.

In order to obtain a reasonable value for the compressional velocity we have found it necessary to ignore all the loading compressibility data below 3 kb on the basis that these data are probably influenced heavily by both the release of overburden pressure (0.3 kb) on the core and the coring technique itself. The loading compressibility curve B shown in Fig. 32 was accordingly assumed for the Lewis shale. This curve, having a bulk modulus of 215 kb, gives a compressional velocity of 3.5 m/msec, in fair agreement with the logging data.

This change in compressibility curves severely affects the seismic coupling. The effect is due entirely to the attenuation of the stress wave by the pressure release calculation (equation (24)) in the code. As indicated in Fig. 32, the measured static release path from 40 kb has a slope of 256 kb, corresponding to a rarefaction speed of about 3.7 m/msec. These rarefactions overtake the slower moving (3.0 m/msec) compression front and continuously decrease its stress and particle velocity.

Figure 33 shows measured and calculated displacement versus time at 467 m from the 25-kt source. The difference between the two calculations is obtained by changing the compressibility curve from A to B as discussed above (Fig. 32). The sensitivity of this part of the calculation to changes in the "locking" portion of the equation of state seems dramatic until one considers the magnitude of the changes that are being made in the only material attenuation mechanism operative in the code (rarefaction velocity compared to shock velocity).

Figure 34 gives the measured and calculated RDP corresponding to the displacement of Fig. 33. We see

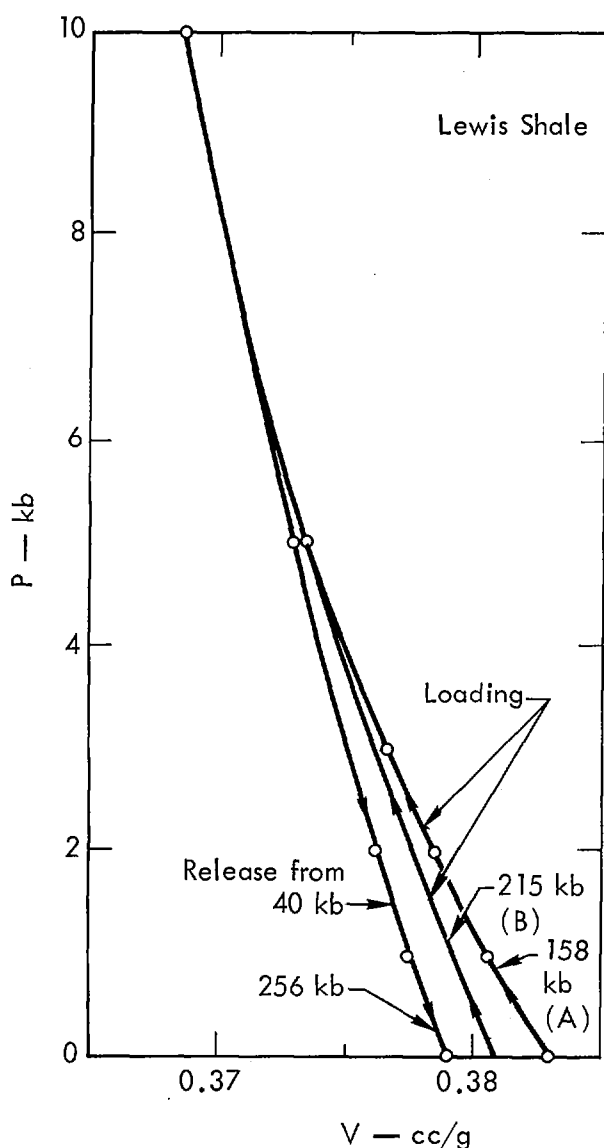


Fig. 32. Compressibility of Lewis shale, the formation in which the Gasbuggy explosive was located.

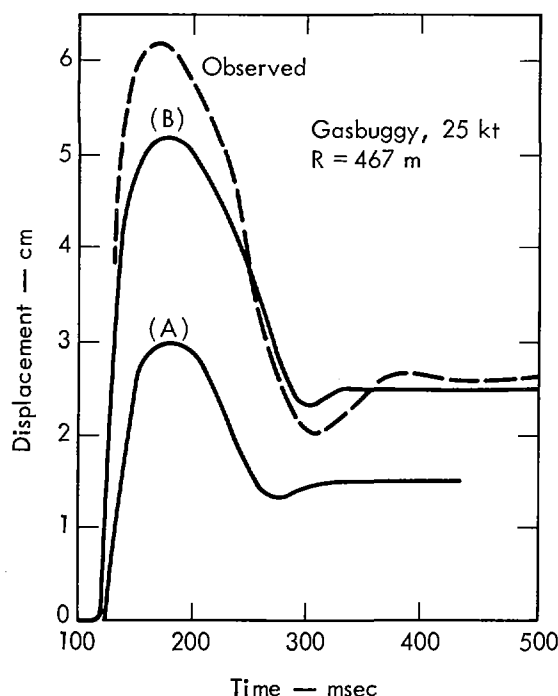


Fig. 33. Calculated and observed displacement history in Lewis shale 467 m from the 25-kt Gasbuggy shot.

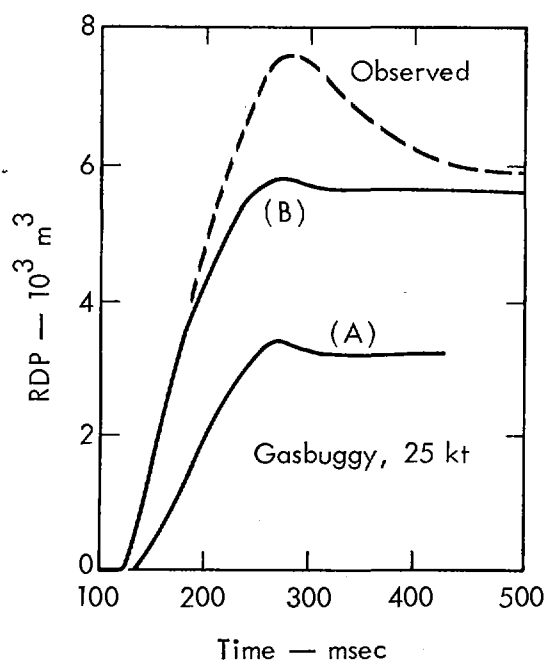


Fig. 34. Calculated and observed reduced displacement potential (RDP) for Gasbuggy shot.

that with compressibility curve B twice as much energy is coupled into the elastic region as with curve A. These calculations indicate that a detailed equation-of-state effort is required before a seismic coupling calculation can be attempted. Even then, since the low pressure part of the equation of state seems to control the coupling, we may not be able to predict this parameter with confidence. The key issue would seem to be obtaining agreement between the sonic logs and the static compressibility data. The Gasbuggy experiment represented the first time such severe disagreement existed between the field and laboratory data.

Calculations indicating severity of fracture (similar to those for Hardhat, Fig. 31) have been performed for the Gasbuggy environment. Figure 35 shows the geological layering for the site. Figure 36 shows the compressibility curves for the Lewis shale, the Pictured Cliffs sandstone, and the Fruitland coal. Figure 37 shows the strength curves used in the calculations.

Figure 38 shows calculations of number of cracks per zone vs distance from the shot point for paths vertically upward through the various layers (layered calculation) and also for paths outward into the sandstone (Pictured Cliffs calculation). As noted preshot, the coal seam located between 100 and 112 m above the shot point reduces the fracturing at this distance, which corresponds to the measured height of the Gasbuggy chimney. This highly compressible coal seam also sends a rarefaction into the Pictured Cliffs formation, and the fracture number is increased accordingly. The observed postshot casing failures and gas entries are also consistent with the calculated data of Fig. 38.

The calculated cavity radius was 26.3 m for the layered calculation and 25.8 m for the Pictured Cliffs calculation. These values compare closely with the 25.4-m value inferred from flow tests.

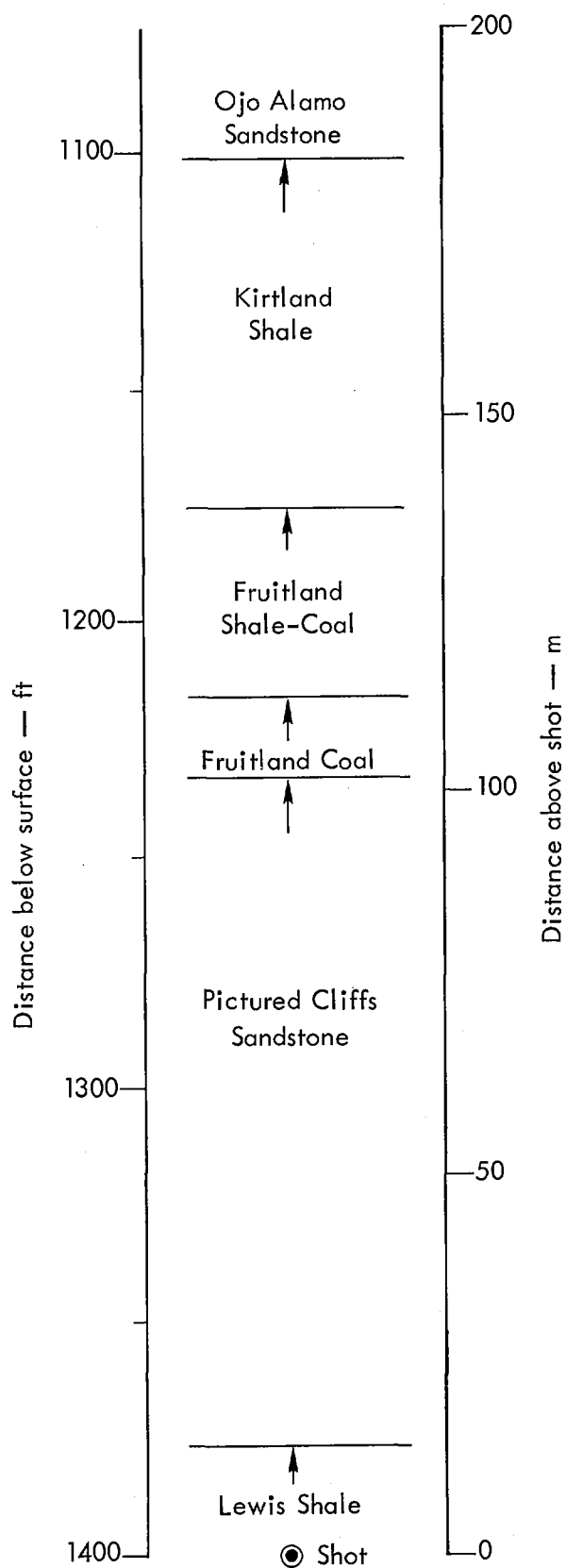


Fig. 35. Geological layering at Gasbuggy site.

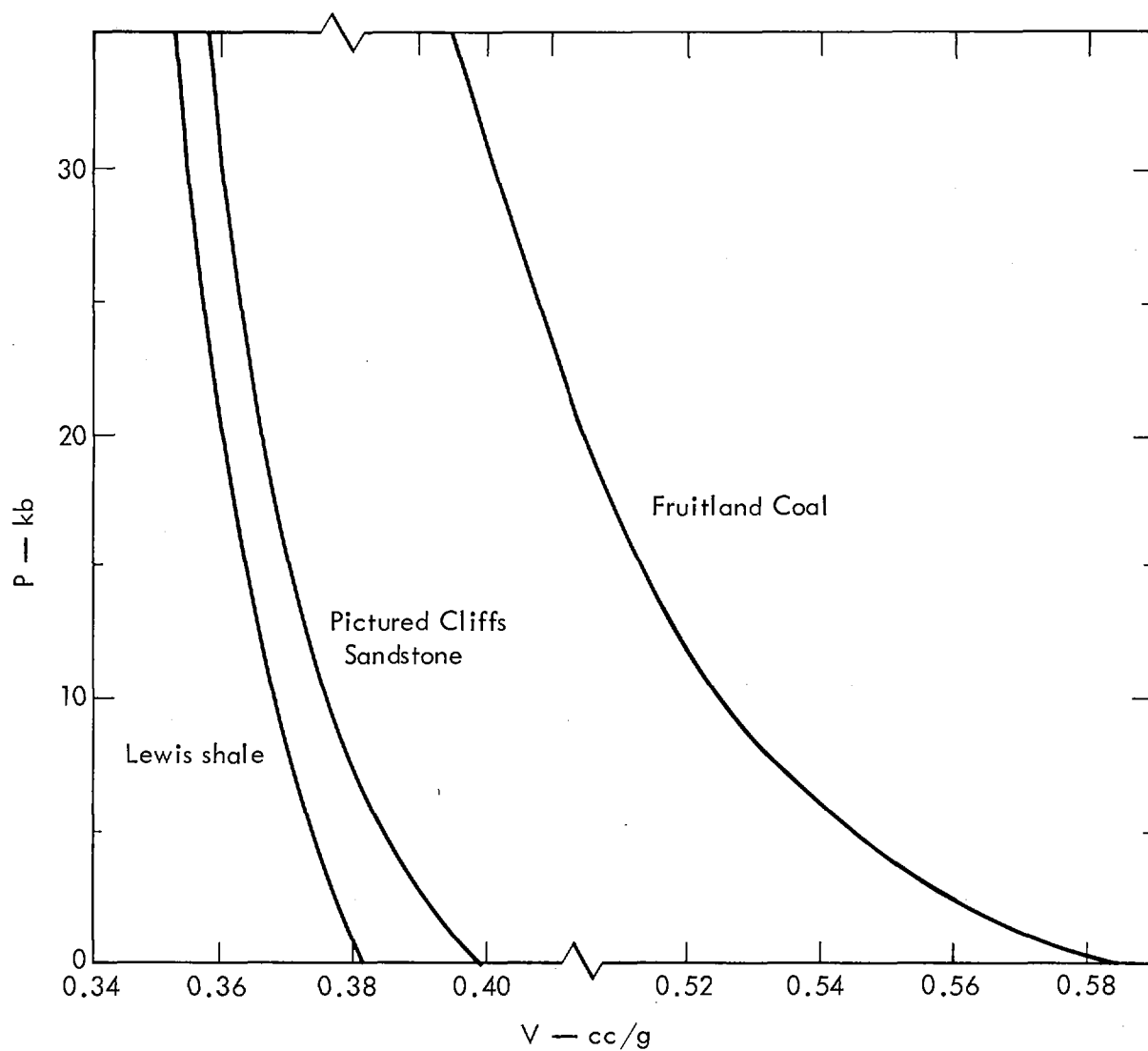


Fig. 36. Compressibility of Gasbuggy rocks.

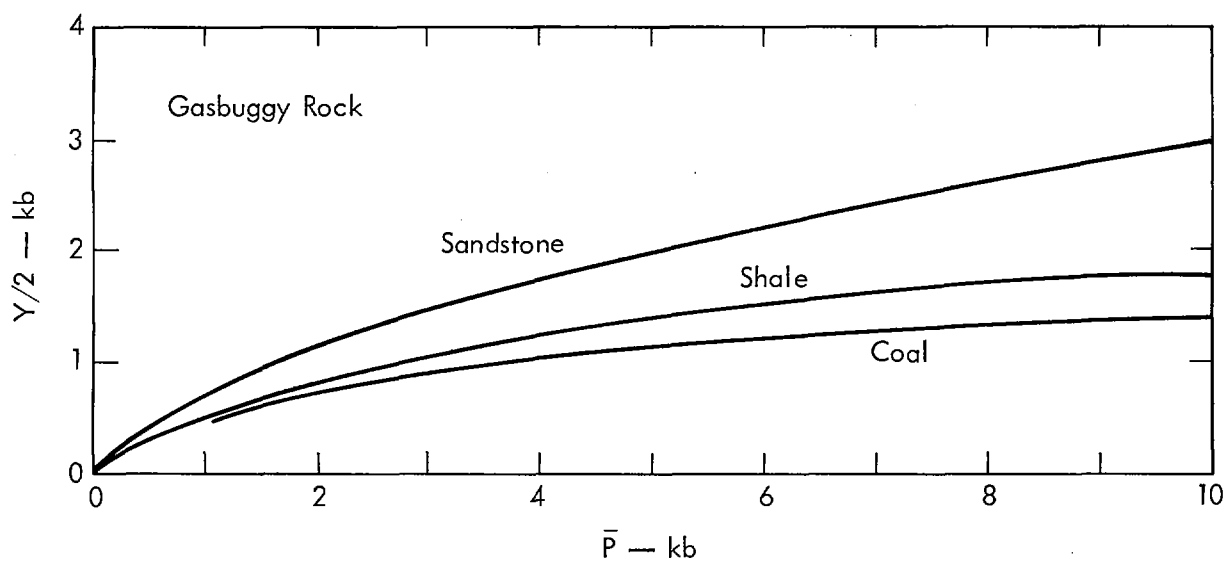


Fig. 37. Strength of Gasbuggy rocks.

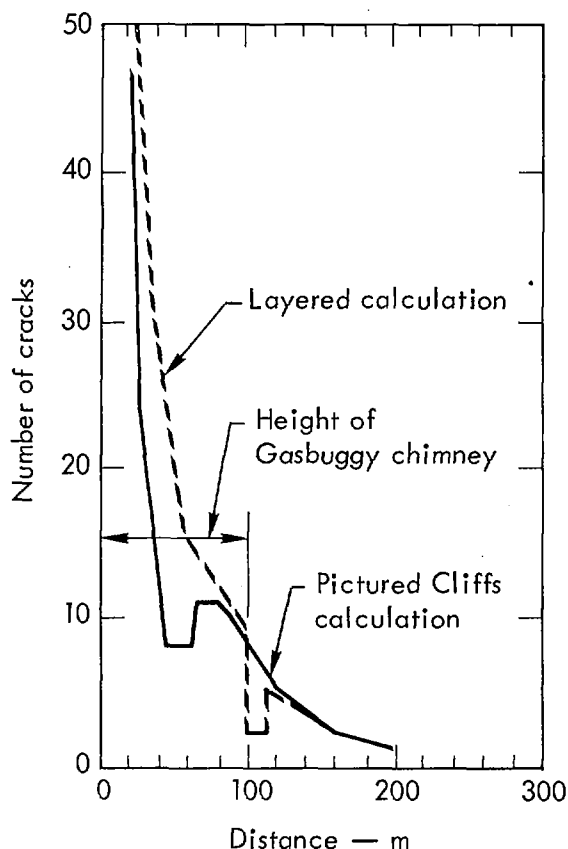


Fig. 38. Calculated number of cracks vs distance from the Gasbuggy shot, for paths upward through the various layers and outward through the Pictured Cliffs sandstone.

## 5. CONCLUSIONS

A numerical model of stress wave propagation has been presented. We have included a listing of the SOC code (see Appendix) and have given a discussion of the material properties required to obtain a prediction of the stress-induced effects on the rock mass involved in an application. These effects include chimney height, seismic coupling, and permeability change. The seismic coupling parameter was shown to be primarily dependent on the low pressure part ( $<3$  kb) of the equation of state. For high yields the controlling factor for chimney height should be cavity volume.

Future effort is required in the areas of Hugoniot release (especially for a fluid-saturated environment), laboratory strength measurements, and failure criteria. A significant improvement in the equation of state would result if the *in situ* rigidity modulus could be measured directly.

The preshot calculations for the Gasbuggy experiment indicate that useful predictions of cavity radius and chimney height can be made when an adequate effort is made to obtain equation-of-state data for the rock involved.

In general the code seems to be doing well enough in predicting stress wave propagation that we can begin looking at derived numbers — such as number of cracks per zone — for some insight into predicting stress-induced changes in permeability.

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# APPENDIX 1. SOC LISTING

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* LIST 8
* CARDS COLUMN
* FORTRAN NCRM
C VERSION CURRENT OCTOBER 1949
CLICHE COMMON
COMMON WHICH CAN VARY WITH TIME
COMMON NC, JN, LN, TT, IR, LX, ENI, RN(1202), DRMX(1202), VMX(1202
1), PX(1202), CMX(1202), STGR(1202), SIGT(1202), XMU(1202), AM(1202
2), C1(1202), CR(1202), DV(1202), DVn(1202), EO(1202), ISV(1202),
3 P(1202), Q(1202), GK(1202), TK(1202), VN(1202), VO(1202), AMU(120
42), E(1202), I(1202), R(1202), V(1202), TC(12), TIC(12), RPL(25),
5 DT, DTH, DTN, DTPR, EPP, ETOT, FDT, HDT1, IL, IP1, IP0, ITCX,
6 TRANK, NCD, PJM, PTS, GXT, RJH, STR, SXN, TPR, WDTW, TTS
COMMON WHICH REMAINS THE SAME FOR DURATION OF PROBLEM
COMMON DPLOT, IEPLT, IRPLT, IHEAD(8), GR, DXT, PLOD(100), GAS(27
12R), PT(400), FMU(400), DPM(400), PTC(200), FMC(200), DPC(200),
2 FK(200), EP(200), DFK(200), CK(200), CP(200), CKP(200), AK(10),
3 VI(10), RM(10), AMZ(10), AM1(10), AM2(10), GKK(10), PZO(10), P1(1
40), P2(10), GSL(10), GCT(10), SE(10), EF(10), EV(10), GSI(10),
5 IT(10), ITT(10), IP(10), GB(11), RHO(11), GK(11), CF, CCN, HCCN,
6 IZ, REZF, IWRT(4), PPR(6), TP(6), IVR, IALF
COMMON WHICH IS USED FOR GENERAL CALCULATION BUT NOT SAVED
COMMON ABF(4004), ARA(4004), ABB(4004), BF(200), EN(11), OCH(11),
1 FNC(11), EDP(6), EDT(6), EDTL(6), ING(25), FNG(25), ION(4), PRI,
2 IC(2), MO(2), IO(8), A, ARS, AMC, AME, AMP1, R, BAPK, C, CKL, CRC
3, CTC, CZO, CAVR, CRT1, CVFL, CVRC, D, DP, DU, DEC, DP1, DR2, DRH,
4 DRS, DTV, DVI, DVK, EW, EDV, EKL, ETA, ETW, EJTW, FROU, FA, FST,
5 FSTM, FSTR, G1, G2, GAM, GLN, GM1, GMU, IBX, III, I11, IPR, IPDT,
6 ITER, ITOT, ITIME, ITOTL, ITSTP, J, K, L, LL, IP, M, N, NN, NP,
7 NCYC, OFF, PCT, PL3, PL4, PQ1, PQ2, PBAR, QO, QS, QKS, QSAV, R21,
8 R22, RDR, RH1, RH2, POR, RZ1, RADT, RH21, RH22, RMV1, RMV2, SK,
9 SLC, SLE, SLP, SMU, SDSP, SLP1, STAB, TV, TAR, TBR, TER, TK1
COMMON TK2, TG1, TG2, TRR, TERK, VCC, VDV, VM1, VM2, VN1, VNH,
1 VOL1, VOL2, WT, YN1, RIX(10), GW, F, S, AD, AF, DA, DB, DC, DD,
2 KIM, ZETA, LIL
EQUIVALENCE (YN1, RIX(1))
EQUIVALENCE (ION(4), PRI)
EQUIVALENCE (ING, FNG)
END CLICHE
USE COMMON
C READ 6R AND WRITE 6A
CALL REGST
N=.LOC.ARF(1)
J=.LOC.ZETA
N=J-N
DO 1 LIL=1, N
ARF(LIL)=0.
1 CO TINUE
CALL REWIND (16)
CALL CLOCK (MO(1), MO(2))
CRTI=1.
NCYC=J=5
L=16
2 BUFFER IN (16,1) (DPLOT, IALF)
3 IF (UNIT, 16, M) 3, .219, 219
CALL REDEOF (16)
J=
4 BUFFER IN (16,1) (NC, TTS)
5 IF (UNIT, 16, M) 5, .220, 220
BACKSPACE FILE 16

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CALL BSPACE (16)
CALL FSPACE (16)
READ INPUT TAPE 2, 950, (ID(J), J=1,8)
READ INPUT TAPE 2, 951, GW, ITIME, A, STR
STR=100.*STR
CALL ASSIGN (7,0,10H$OC$PLOT$RUF,40200)
C SET UP RUNNING TIME
IF (ITIME) ,7,7
IF (IBANK) 6, ,6
IBANK=-ITIME
6 ITIME=IBANK
7 IBX=1
TTS=MAX1F(GW*1000.,TTS)
CHECK FOR RIGHT TAPE
DO 8 J=1,8
IF (IHEAD(J)-ID(J)) ,8,
WRITE OUTPUT TAPE 3, 954, (IHEAD(J), J=1,8)
CALL ERROR (0.)
8 CONTINUE
K=4
IF (A) , ,9
CALL WRSO
GO TO 10
9 CALL REDEOF (6)
CALL BSPACE (6)
10 CALL WRST
CALL WRTEOF (6)
CALL BSPACE (6)
CALL BANDP (ION(1), ION(3))
B=ION(2)
B=B/PRI
A=B-40.
ION(1)=A
IF (ITIME) , ,11
ITIME=ION(1)
GO TO 12
11 ITIME=XMINOF(ION(1), ITIME)
12 ITOTL=B
IF (NC) 13, ,13
CYCLE 1 CONSTANTS INITIALIZED
CALL BANDP (ION(1), ION(3))
A=ION(2)
A=A/PRI
ITOT=A
ITOT=ITOTL-ITOT
GO TO 15
CHECK CLOCK FOR TIME STOP - INCREMENT COUNTER
C EVERY 20 CYCLES GOES TO 10 INSTEAD OF 11
13 ITSTP=0
CALL BANDP (ION(1), ION(3))
A=ION(2)
A=A/PRI
ITOT=A
ITOT=ITOTL-ITOT
14 ITSTP=ITSTP+1
CALCULATE DELTA T
A=1.1*DTH
B=(SQRTI(SXN))/3.
B=MIN1F(B,A)
DT=.5*(B+DTH)

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      DTH=B
CHECK FOR PRESSURE PROFILE
15 IF (IPO=2) 20,16,
C   OUTER PRESSURE PROFILE
    L=1
    GO TO 17
C   INNER PRESSURE PROFILE
16 L=LX
17 TK(L)=0.
18 A=DIMF(TP(IPI+1),TT)
    IF (A) 19, 19
    IPI=IPI+1
    IF (TP(IPI+1)) , 18
    IPO=1
    GO TO 20
19 A=TT-TP(IPI)
    B=TP(IPI+1)-TP(IPI)
    P(L)=PPR(IPI)+(PPR(IPI+1)-PPR(IPI))*A/B
    EPP=EPP+(PJM*HDT1+P(L)*DTN)*V(L-1)*CCN*(3.*RJH*RJH+FDT*V(L-1)*V(L-
11))
    ETOT=EPP+ENI
CYCLE CONSTANT INITIALIZATION
20 PCT=BARK=0.
    TT=TT+DTH
    HDT1=.5*DT
    HDTH=.5*DTH
    DTN=DTH-HDT1
    FDT=HDTH*HDTH
    L=IR
    SXN=DXT
    QXT=ABSF(QXT)
    VCC=1.0E-3*QXT/SORT1(AK(L)*RHO(L+1))
    VCC=MIN1F(VCC,1.0E-8)
    QXT=1.
    PQ1=P(JN)+Q(JN)
    TQ1=TK(JN)+QK(JN)
    IF (I(JN)) ,21,
    DR1=DR(JN-1)-DR(JN)+RN(JN-1)-RN(JN)
    R21=DR(JN-1)+DR(JN)+RN(JN-1)+RN(JN)
    VOL1=VN(JN)-DVO(JN)
    VM1=(VOL1-DV(JN))/AM(JN)
    TK1=TQ1*VM1/R21
    RMV1=DR1/VM1
    RH1=R(JN-1)+V(JN-1)*HDTH
    RH21=RH1*RH1*V(JN-1)
CALCULATION OF J-LINES BEGINS HERE
21 DO 144 J=JN,LN
    GAM=0.
    IIT=(I(J)-1)/100+1
    EQ(J)=E(J)
    VO(J)=V(J)
CALCULATE EQUATIONS OF MOTION
    IF (R(J)) 21A,27,
    PQ2=P(J+1)+Q(J+1)
    TQ2=TK(J+1)+QK(J+1)
    IF (I(J+1)) ,28,
    DR2=DR(J)-DR(J+1)+RN(J)-RN(J+1)
    R22=DR(J)+DR(J+1)+RN(J)+RN(J+1)
    VOL2=VN(J+1)-DVO(J+1)
    VM2=(VOL2-DV(J+1))/AM(J+1)

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TK2=TQ2*VM2/R22
RMV2=DR2/VM2
IF (I(J)) ,29,
ROR=(TK2*DR1+TK1*DR2)/(DR1+DR2)
RDR=.5*(RMV1+RMV2)
22 A=(PQ1-PQ2)/RDR
IF (V(J)) ,23,
VCC=1,E=20
23 DV1=DT*(1.333333333*(TQ1-TQ2)/RDR+A+.8.*ROR+GR)
V(J)=V(J)-DV1
IF (ABS(V(J))-VCC) 30,30,
24 C=DTH*V(J)
RH2=R(J)+.5*C
RH22=RH2*RH2*V(J)
DR(J)=DR(J)+C
R(J)=RN(J)+DR(J)
DRS=R(J-1)-R(J)
IF (I(J)) ,113,
25 C=(V(J)-V(J-1))*(V(J)*(V(J-1)+V(J))+V(J-1)*V(J-1))
C=DTH*(3.*(RH22-RH21)+FDT*C)
DV(J)=DV(J)+C
VN1=VOL1-DV(J)
VNH=VN1+.5*C
D=(DV(J)+DV0(J))/VN1
AMP1=D+1.
EDV=C/VN(J)
DVK=C/VNH
ETA=VN(J)/VNH
VDV=VN(J)*C/(VN1*(VN1+C))
DU=V(J-1)-V(J)
DRH=RH1-RH2
IF (DU) ,26,26
ERDU=ETA*DU*RHO(L+1)
QSAV=ERDU*DU
26 TER=3.*DTH*DU/DRH
TERK=DVK+TER
IF (III-3) 31,31,
IF (I(J)-400) 116,125,125
CALCULATE BOUNDARY CONDITIONS
27 RH2=RH22=0.
GO TO 25
28 RDR=.5*RMV1
ROR=TK1
GO TO 22
29 RDR=.5*RMV2
ROR=TK2
GO TO 22
CALCULATIONS MADE WHEN LITTLE OR NO ACTIVITY EXISTS
30 V(J)=0.
IF (V(J-1)) 24, ,24
RH2=R(J)
RH22=0.
IF (III-3) 113,113,
IF (III-4) ,24,
C=DR1*(R(J-1)*R2)+R(J)*R(J)
PCT=C*P(J)+PCT
GO TO 113
CALCULATE SLOPE AND PRESSURE FOR I LESS THAN 300
31 N=IT(L)+1
NP=IP(L)+1

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PL =SLP=SMU=0.
IF (XMU(J)-2.*GCT(L)*AM2(L)) ,47,47
IF (XMU(J)) 56, ,
IF (D-XMU(J)) 32, ,
XMU(J)=D
GO TO 42
32 IF (XMU(J)-AM1(L)) 42,42,
IF (III=2) 34, ,
IF (P(J)) , ,34
IF (XMU(J)-AM2(L)) 33, ,
XMU(J)=.98*AM2(L)
33 XMU(J)=-XMU(J)
GO TO 56
34 IF (XMU(J)-AM2(L)) ,48,48
IF (D=.95*XMU(J)) ,42,42
C - SPECIAL UNLOADING SCHEME - A -
IF (D-AM1(L)) , ,35
SLP=AK(L)
GO TO 41
35 DO 36 K=NP,NP+38
IF (P(J)-PT(K)) 37,37,
IF (FMU(K+1)-FMU(K)) 37,37,
36 CONTINUE
K=NP+38
37 SLE=DPM(K)
DO 38 K=N,N+18
IF (P(J)-PTC(K)) 39,39,
IF (FMC(K+1)-FMC(K)) , ,38
SLC=SLE
GO TO 40
38 CONTINUE
K=N+18
39 SLC=DPC(K)
40 SLP1=SLE+XMU(J)*(SLC-SLE)/AM2(L)
SLP=SLP1-AM1(L)*(SLP1-AK(L))/D
41 PL3=P(J)+SLP*VDV
GO TO 65
CALCULATE ELASTIC P-MU TABLE - B -
42 ABS=D
CALL PSUB
GO TO 65
ENTRY PSUB
DO 44 K=NP,NP+38
IF (ABS-FMU(K)) ,45,43
PL3=PT(K-1)+(ABS-FMU(K-1))*DPM(K)
GO TO 46
43 IF (FMU(K+1)-FMU(K)) 45,45,
44 CONTINUE
K=NP+38
45 PL3=PT(K)+(ABS-FMU(K))*DPM(K)
46 SLP=DPM(K)
RETURN PSUB
CALCULATE CRUSHED P-MU TABLE
47 XMU(J)=MAX1F(D,XMU(J))
48 SLP=AK(L)*.01
ABS=D
DO 51 K=N-1,N+18
IF (D-FMC(K)) 49, ,50
PL3=PTC(K)
SLP=DPC(K)

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      GO TO 52
49 IF (K=N) 52, ,
   PL3=PTC(K-1)+(D-FMC(K-1))*DPC(K)
   SLP=DPC(K)
   GO TO 52
50 IF (FMC(K+1)-FMC(K)) , ,51
   CALL PSUB
   GO TO 52
51 CONTINUE
   CALL PSUB
52 IF (D=.985*XMU(J)) ,65,65
   ARS=XMU(J)
   PL4=PL3
   SLP1=SLP
   CALL PSUB
   GAM=.5*PL3*XMU(J)/(1.+XMU(J))
   GAM=G XK(L)*(GAM-EF(L))/(EV(L)-EF(L))
   IF (GAM) , ,53
   PL3=PL4
   SLP=SLP1
   GO TO 65
53 GAM=MINIF(GAM,GXK(L))
   ARS=D
   IF (D) , ,54
   PL4=GSL(L)*D
   PL3=SLP=0.
   SLP1=GSL(L)
   GO TO 55
54 CALL PSUB
55 DP=GAM*(E(J)-.5*PL3*D/AMP1)
   PL4=PL4+DP
   SLP=SLP1+.5*GAM*((PL4+P(J))/ETA-(.5*(D+AMU(J))*SLP+PL3/ETA))/ETA
   PL3=PL4
   IF (SLP) ,65,65
   SLP=.01*AK(L)
   GO TO 65
CALCULATE S.L.S.
56 IF (D-AMZ(L)) , ,57
   PL3=0.
   SLP=AK(L)
   GO TO 65
57 DO 58 K=N,N+18
   IF (P(J)-PTC(K)) 62, ,
   IF (FMC(K+1)-FMC(K)) 59,59.
58 CONTINUE
59 DO 60 K=NP,NP+38
   IF (P(J)-PT(K)) 61, ,
   IF (FMU(K+1)-FMU(K)) 61,61.
60 CONTINUE
   K=NP+38
61 ARS=FMU(K-1)+(P(J)-PT(K-1))/DPM(K)
   SLP=DPM(K)
   GO TO 63
62 ARS=FMC(K-1)+(P(J)-PTC(K-1))/DPC(K)
   SLP=DPC(K)
63 IF (D-ABS) ,64,64
   IF (ABS-AMZ(L)) ,64,
   SLP=(D-AMZ(L))*SLP/(ARS-AMZ(L))
64 PL3=P(J)+SLP*VDV
   IF (PL3) ,65,65

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      PL3=0.
C - EXIT -
65 IF (E(J)-EF(L)) .66,66
    IF (GAM) 67,67,
    C1(J)=ISV(J)=0.
66 SK=SMU=0.
    GO TO 103
67 WT=(EF(L)-ABSF(E(J)))/EF(L)
    IF (PL3+TK(J)/3.-P1(L)) .68,68
    IF (PL3) 69,69,
    IF (III-2) 70,79,79
68 C1(J)=ISV(J)=0.
    IF (III-2) 70, ,
    I(J)=I(J)-200
    III=1
    GO TO 70
69 IF (III-2) 70, ,
    ISV(J)=-XARF(ISV(J))
    PL3=SK=QKS=SMU=C1(J)=0.
    QS=QSAV
    SLP=AK(L)
    SDSP=SQRTI(AK(L)/RHO(L+1))
    GO TO 104
CALCULATIONS FOR I(J) LESS THAN 100
70 IF (RM(L)) , ,71
    AME=SLP*SE(L)*WT
    GO TO 72
71 AME=RM(L)*WT
72 SMU=AME
    IF (AME/SLP-1.501) 73,73,
    I(J)=I(J)+500
    WRITE OUTPUT TAPE 3, 975, AME, SLP, D, PL3, 1
    CALL ERROR (I.)
73 SK=TK(J)-.5*AME*TERK
    ARS=PL3+SK/3.
    DO 76 K=N,N+18
    IF (ABS-EP(K)) ,74,75
    EKL=EK(K-1)+(ARS-EP(K-1))*DEK(K)
    GO TO 77
74 EKL=EK(K)+(ARS-EP(K))*DEK(K)
    GO TO 77
75 IF (EP(K+1)) 76, ,76
    IF (EP(K)) ,74,74
76 CONTINUE
    K=N+18
    EKL=EK(K)+(ARS-EP(K))*DEK(K)
77 EKL=EKL*WT
    EKL=MAX1F(0.,EKL)
    IF (PL3+SK/3.-P1(L)) 78, ,
    EKL=P2(L)*WT
    IF (SK-EKL) 103,103,
    SK=SIGNF(EKL,SK)
    GO TO 103
78 IF (ABSF(SK)-EKL) 103, ,
    I(J)=I(J)+200
    III=3
    C1(J)=0.
    ISV(J)=1
CALCULATIONS FOR I(J) GREATER THAN 100
79 IF (RM(L)) , ,80

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      AMC=SLP*SE(L)*WT
      GO TO 81
80  AMC=RM(L)*WT
81  GW=(D-AMZ(L))/(PZO(L)-AMZ(L))
      GW=MINIF(1.,GW)
      IF (GW) , ,82
      C1(J)=SK=SMU=0.
      ISV(J)=-XABSF(ISV(J))
      GO TO 103
82  AMC=SMU=GW*AMC
      IF (AMC/SLP-1.501) 83,83,
      I(J)=I(J)+500
      WRITE OUTPUT TAPE 3, 976, AME, SLP, D, PL3
      CALL ERROR (1.)
83  ABS=PL3+TK(J)/3.
      DO 86 K=N,N+18
      IF (ABS-CP(K)) ,84,85
      CKL=CK(K-1)+(ABS-CP(K-1))*CKP(K)
      GO TO 87
84  CKL=CK(K)+(ABS-CP(K))*CKP(K)
      GO TO 87
85  IF (CP(K+1)) 86, ,86
      IF (CP(K)) ,84,84
86  CONTINUE
      K=N+18
      CKL=CK(K)+(ABS-CP(K))*CKP(K)
87  CKL=CKL*WT*GW
      CKL=MAXIF(0.,CKL)
      IF (ISV(J)) , ,89
      SK=TK(J)-.5*AMC*TERK
      IF (ABSF(SK)-CKL) 103, .
      C1(J)=0.
      ISV(J)=XABSF(ISV(J))+1
CRACK EQUATIONS
89  IF (ISV(J)-1) , ,91
      IF (RM(L)) , ,90
      AME=SLP*SE(L)*WT
      IF (AME/SLP-1.501) 92,92,
      I(J)=I(J)+500
      WRITE OUTPUT TAPE 3, 975, AME, SLP, D, PL3, 2
      CALL ERROR (1.)
90  AME=RM(L)*WT
      GO TO 92
91  AME=AMC
92  CZ0=.1*DRS
      CTC=CZ0+C1(J)
      CTC=MINIF(CTC,DRS)
      AME=AMC+(1.-CTC/DRS)*(AME-AMC)
      CVEL=1.14*SQRTE(AME/(RHO(L+1)*(3.+AME/SLP)))
      PL4=CKL
      C1(J)=C1(J)+CVEL*DTH
      CRC=.25*C1(J)/DRS
      IF (CRC-1.) 94, .
      CRC=1.
      IF (ABSF(TK(J))-.5*CKL) 93,93,
      C1(J)=C1(J)-CVEL*DTH
      GO TO 94
93  ISV(J)=-XABSF(ISV(J))
      C1(J)=0.
94  SK=TK(J)-.5*AME*TERK

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      GW=P2(L)*WT
      CKL=ABSF(SK)*(1.-CVEL*CRC*DTH/DRS*.25)*WT
      IF (XABSF(ISV(J))-2) 95,95,
      CKL=MINIF(CKL,PL4)
      GO TO 96
    95 CKL=MINIF(CKL,GW)
    96 CKL=MAXIF(0.,CKL)
      IF (ABSF(SK)-CKL) 102,102,
      SK=SIGNF(CKL,SK)
    102 SMU=AME
  CALCULATE Q
    103 SDSP=SQRTI((SLP+1.33333333*SMU)/RHO(L+1))
      IF (DU) 104,104
      QS=QSAV-VI(L)*SDSP*ERDU
      QKS=-.5*VI(L)*SMU/SLP*RHO(L+1)*ETA*SDSP*DRH/DTH*TERK
      QKS=MINIF(QKS,.5*WT*P2(L))
  CALCULATE ENERGY
    104 IF (QS-GK(L)) 105,105
      QS=0.
    105 PBAR=(PL3+QS)*DTN+PG1*HDT1
      IF (I(J)-390) 106
      BARK=(SK+QKS)*DTN+TG1*HDT1
    106 DEC=(PBAR*EDV-.6666666666*BARK*(EDV+TER/ETA))/DTH
      E(J)=E(J)+DEC
      IF (I(J)-390) 111
      IF (RHO(L+1)*AMP1-10.) 107
      IF (D-.985*XMU(J)) 111,111
      IF (E(J)-EV(L)) 111,
    107 IF (III-2) 108,109
      I(J)=I(J)+400
      GO TO 110
    108 I(J)=I(J)+300
      GO TO 110
    109 I(J)=I(J)+200
    110 III=5
  CALCULATE STABILITY
    111 DU=MINIF(0.,DU)
      FA=4.*DU
      TV=2.*VI(L)
      STAB=(DRS*DRS)/(FA*FA+(TV*TV+1.)*SDSP*SDSP)
      AMI(J)=D
      P(J)=PL3
      TK(J)=SK
      QK(J)=QKS
      Q(J)=QS
      IF (STAR) 112,112,
      IF (SXN-STAB) 112,112,
      SXN=STAB
      RADT=R(J)
    112 IF (I(J)-390) 113,113,
      PCT=(VOL1-DV(J))*P(J)+PCT
  CLEAR OUT AND SHIFT FOR NEXT J-LINE
    113 D=AMP1=PL3=SK=QS=QKS=BARK=QSAV=DRS=0.
      IF (QXT) 115,
      IF (QXT-Q(J)) 114
      QXT=Q(J)
      GO TO 115
    114 IF (Q(J+1)) 115,115,
      IF (J-JN-10) 115,115,
      QXT=-QXT

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115 DR1=DR2
    R21=R22
    VOL1=VOL2
    VM1=VM2
    TQ1=TQ2
    TK1=TK2
    RMV1=RMV2
    PQ1=PQ2
    RH1=RH2
    RH21=RH22
CHECK FOR REGION BOUNDARY
    IF (RN(J)-RB(L+1)) , 144
    LL=L
    L=L+1
    GO TO 144
CALCULATE H.E.
116 IF (C1(J)) , 119
    DTV=TT*RM(L)-RN(J)+RN(LX-2)
    IF (DTV) 114, ,
    DTV=.4*DTV/(RN(J-1)-RN(J))
    IF (DTV-1.) 117, ,
    DTV=1.
    C1(J)=1.
117 QQ=AMZ(L)+1.
    SLP=QQ*D/(AMP1*AMZ(L))
    IF (D) 119, ,
    IF (SLP-1.) 118, 118,
    C1(J)=1.
118 PL3=SLP*DTV*RHO(L+1)*RM(L)*RM(L)*AMZ(L)/QQ
    SLP=PZO(L)/AMZ(L)
    GO TO 124
119 N=IP(L)+1
    DO 122 K=N,N+18
    IF (D-FMU(K)) ,120,121
    PL3=PT(K-1)+(D-FMU(K-1))*DPM(K)
    GO TO 123
120 PL3=PT(K)
    GO TO 123
121 IF (PT(K+1)) ,120,
122 CONTINUE
    K=N+38
    PL3=PT(K)
123 SLP=DPM(K)
124 SDSP=SQRTI(SLP/RHO(L+1))
    IF (DU) ,105,105
    QS=QSAV-VI(L)*SDSP*ERDU
    GO TO 104
CALCULATE GAS
125 N=ITT(L)
    IF (GSI(L)=100.) ,138,
CALCULATE LONG GAS TABLE
    IF (DU) ,126,126
    SLP=P(J)/(E(J)*AMP1)*(E(J)+PQ1/AMP1)
    QS=QSAV-VI(L)*SQRTI(SLP/RHO(L+1))*DU*ETA*RHO(L+1)
126 ETW=E(J)+(P(J)+QS)*EDV
    EW=ETW/RHO(L+1)
    GMU=AMP1*RHO(L+1)
    GLN=LOGF(GMU)
    DO 134 K=N,N+9
    IF (GAS(K)-GMU) 133, ,

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```

127 M=(K-N+1)*64+20+N
DO 131 NN=N+20,N+83
IF (GAS(NN)-EW) 130,130,
IF (NN-N-20) , ,129
128 G2=GAS(M)
G1=GAS(M-64)
GO TO 132
129 G2=EW-GAS(NN-1)
G1=GAS(M-65)+G2*GAS(M+576)
G2=GAS(M-1)+G2*GAS(M+640)
GO TO 132
130 IF (GAS(NN+1)) ,128,
M=M+1
131 CONTINUE
GM1=.667
GO TO 137
132 IF (K-N) 136, ,136
GM1=G2
GO TO 137
133 IF (GAS(K+1)-GAS(K)) 126,126,
134 CONTINUE
135 N=K
GO TO 127
136 GM1=G1+(G2-G1)*(GLN-GAS(K+9))/(GAS(K+10)-GAS(K+9))
137 PL3=GM1*EW*GMU
EJTW=(.5*(P(J)+PL3)+QS)*EDV+E(J)
PL3=GM1*AMP1*EJTW
SLP=GM1*(EJTW+(PL3+QS)/ETA)
SMU=0.
GO TO 103
CALCULATE SHORT P-V GAS TABLES
138 DO 141 K=N+1,N+69
IF (D-GAS(K+70)) 140, ,139
PL3=GAS(K)
K=K+1
GO TO 143
139 PL3=GAS(K-1)+(D-GAS(K+69))*GAS(K+140)
GO TO 143
140 IF (GAS(K+1)) ,142,
141 CONTINUE
K=N+68
142 PL3=GAS(K)+(D-GAS(K+70))*GAS(K+140)
143 SDSP=SQRTI(GAS(K+140)/RHO(L+1))
SLP=GAS(K+140)
SMU=0.
IF (DU) ,105,105
QS=QSAV-VI(L)*SDSP*ERNU
GO TO 104
144 CONTINUE
CYCLE END - DO REZONING, PLOTTING AND EDITING
III=IIJ=2
IF (NC) , ,149
CYCLE 1 CALCULATIONS
DO 145 J=JN,LN
IF (V(J)) 146, ,146
145 CONTINUE
146 A=J-5
A=MAX1F(1.,A)
JN=A
DO 147 N=1,L

```

```

      IF (RN(JN)-RB(N+1)) ,148,148
147 CONTINUE
148 IR=N
      NC=III=1
      GO TO 169
149 NC=NC+1
      IF (JN-1) 153,153,
      IF (V(JN+4)) 150, ,150
      IF (V(JN+3)) ,153,
150 JN=JN-1
      DO 151 N=1,10
      IF (RN(JN)-RB(N+1)) ,152,152
151 CONTINUE
152 IR=N
153 IF (IRZ) ,164,
CALCULATE DEZONE
      IF (NC-200) 164,164,
      RZ1=REZF*(R(JN)-R(JN+1))
      DO 163 J=JN,LN
      IF (R(J)) 164,164,
      IF (IVR-1) ,154,
      IF (I(J-1)) 155, ,155
154 IF (1.5*RN(J)-R(J)) , ,163
155 A=R(J-1)-R(J)
      IF (A-RZ1) , ,163
      IF (A/R(J)-.04) , ,163
      IF (R(J)-R(J+1)-R(J-2)+R(J-1)) , ,156
      IF (I(J+1)-400) , ,156
      IF (R(J+1)) ,156,
      K=J+1
      GO TO 157
156 K=J
157 IF (XMU(K)) 158, ,
      IF (XMU(K-1)) ,159,159
      XMU(K)=XMU(K-1)
      GO TO 159
158 IF (XMU(K-1)) 159, ,
      XMU(K-1)=XMU(K)
CHECK REGION BOUNDS - DEZONING CAN OCCUR
159 DO 160 N=1,10
      IF (RN(K-1)-RB(N)) ,163,163
160 CONTINUE
161 IF (I(K-1)) ,163,
C - WEIGHTING OF VARIABLES
      LX=LX-1
      LN=LN-1
      A=VN(K)+VN(K-1)
      B=VN(K)-DV(K)-DVO(K)
      C=VN(K-1)-DV(K-1)-DVO(K-1)
      GW=B+C
      E(K)=(E(K)*VN(K)+E(K-1)*VN(K-1))/A
      EO(K)=(EO(K)*VN(K)+EO(K-1)*VN(K-1))/A
      TK(K)=(TK(K)*B+TK(K-1)*C)/GW
      P(K)=(P(K)*B+P(K-1)*C)/GW
      XMU(K)=(XMU(K)*B+XMU(K-1)*C)/GW
      DVO(K)=DVO(K)+DVO(K-1)
      DV(K)=DV(K)+DV(K-1)
      AMU(K)=(DV(K)+DVO(K))/GW
      VN(K)=A
      AM(K)=AM(K)+AM(K-1)

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```

      C1(K)=0.
      ISV(K)=-XABSF(ISV(K))
C - DEZONE
      DO 162 N=K, LN+2
      R(N-1)=R(N)
      DR(N-1)=DR(N)
      V(N-1)=V(N)
      AMU(N-1)=AMU(N)
      P(N-1)=P(N)
      TK(N-1)=TK(N)
      QK(N-1)=QK(N)
      Q(N-1)=Q(N)
      E(N-1)=E(N)
      I(N-1)=I(N)
      RN(N-1)=RN(N)
      XMU(N-1)=XMU(N)
      C1(N-1)=C1(N)
      ISV(N-1)=ISV(N)
      AM(N-1)=AM(N)
      VN(N-1)=VN(N)
      DRM(N-1)=DRM(N)
      VMX(N-1)=VMX(N)
      SIGR(N-1)=SIGR(N)
      SIGT(N-1)=SIGT(N)
      QMX(N-1)=QMX(N)
      PX(N-1)=PX(N)
      DV(N-1)=DV(N)
      DVO(N-1)=DVO(N)
      EO(N-1)=EO(N)
      VO(N-1)=VO(N)
162  CONTINUE
      GO TO 164
163  CONTINUE
CHECK FOR STOP TIME, EDIT OR PLOT TIME
164  IF (ITIME) 165,165.
      IF (ITIME-ITOT) 166. ,
165  IF (TTS-TT) 166. ,
      IF (STR) 167,167.
      IF (RN(LN)-STR) . ,167
166  III=IIJ=1
      IBANK=0
      OFF=1.
      GO TO 172
167  IF (TPR-TT) . ,168
      TPR=TPR+DTPR
      III=1
168  IF (TC(ITCX+2)-TT) . ,169
      IF (TIC(ITCX+2))169,169.
      DTPR=TIC(ITCX+2)
      TPR=DTPR+TC(ITCX+2)
      ITCX=ITCX+1
169  IF (DPLOT) 170,170.
      IF (TT-PTS) 170. ,
      IIJ=1
CHECK SENSE SWITCH 1
170  IF (SENSE SWITCH 1) .171
      III=IIJ=1
      OFF=-1.
171  IF (III-1) .172.
      IF (IIJ-1) 188. ,188

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```

172 DO 173 J=JN, LN
    IF (I(J)-390) 173, 173,
    CAVR=R(J-1)
    GO TO 174
173 CONTINUE
    CAVR=0.
    GO TO 175
174 CVRC=PCT/(CAVR*CAVR*CAVR)
175 IF (III-1) 180, , 180
C - EDIT
    IF (NCYC) , 176,
    WRITE OUTPUT TAPE 3, 956, (IHEAD(N), N=1,7), (IWRT(N), N=1,4),
    1 MO(1), MO(2)
    NCYC=0
    GO TO 177
176 WRITE OUTPUT TAPE 3, 957, (IHEAD(N), N=1,8), (IWRT(N), N=1,4)
177 WRITE OUTPUT TAPE 3, 958, NC, DT, DTH, IT, RADT
    DO 178 J=JN-1, LN
    I(J)=XSIGNF(I(J), ISV(J))
178 CONTINUE
    WRITE OUTPUT TAPE 3, 959, ((J-1), DR(J), R(J), V(J), AMU(J), P(J),
    1 Q(J), TK(J), QK(J), E(J), I(J), J=JN, LN+1)
    DO 179 J=JN-1, LN
    I(J)=XABSF(I(J))
179 CONTINUE
CALCULATE ENERGY EDIT OR PLOT
180 DO 181 J=1, 51
    EN(J)=RF(J)=0.
181 CONTINUE
    K=1
    M=I(2)
    FST=VN(1)*EO(1)
    DO 182 J=1, LN
    FSTR=VN(J+1)*EO(J+1)
    FSTM=AM(J)+AM(J+1)
    A=FSTM*V(J)*VO(J)
    R=FST+FSTR
    FST=FSTR
    GW=DR(J)*GR*FSTM
    EN(K)=EN(K)+A
    OCH(K)=OCH(K)+R
    BF(K)=BF(K)+GW
    M=M/100+1
    ENP(M)=ENP(M)+A
    EDT(M)=EDT(M)+R
    BF(M+11)=BF(M+11)+GW
    M=I(J+1)
    IF (RN(J)-RB(K+1)) , , 182
    EN(K)=EN(K)*CF
    OCH(K)=HCCN*OCH(K)
    BF(K)=HCCN*BF(K)
    EN(K)=EN(K)+OCH(K)+BF(K)
    K=K+1
182 CONTINUE
    DO 183 N=1, K-1
    EN(K)=EN(K)+EN(N)
    OCH(K)=OCH(K)+OCH(N)
    BF(K)=BF(K)+BF(N)
183 CONTINUE
    EN(K)=EN(K)+OCH(K)+BF(K)

```

```

DO 184 M=1,5
EDP(M)=EDP(M)*CF
EDT(M)=EDT(M)*HCCN
BF(M+11)=BF(M+11)*HCCN
EDP(6)=EDP(6)+EDP(M)
EDT(6)=EDT(6)+EDT(M)
BF(17)=BF(17)+BF(M+11)
EDTL(M)=EDP(M)+EDT(M)+BF(M+11)
184 CONTINUE
EDTL(6)=EDP(6)+EDT(6)+BF(17)
IF (III-1) 188, ,188
WRITE OUTPUT TAPE 3, 952
WRITE OUTPUT TAPE 3, 960, (EN(L), OCH(L), BF(L), ENC(L), L=1,K)
WRITE OUTPUT TAPE 3, 953
WRITE OUTPUT TAPE 3, 960, (EDP(L), EDT(L), BF(L+11),EDTL(L),L=1,6)
IF (ETOT) 185, ,185
ETOT=ENI+EDTL(6)
185 WRITE OUTPUT TAPE 3, 961, ETOT
IF (CAVR) , ,186
WRITE OUTPUT TAPE 3, 962
GO TO 187
186 WRITE OUTPUT TAPE 3, 963, CVRC
187 A=ETOT-EDTL(6)
IF (A) ,188,
CHECK ENERGY
IF (ABS(A/ETOT)-.5) 188,188,
OFF=1.
ITJ=1
WRITE OUTPUT TAPE 3, 964
C = DO R PLOT IF TIME
188 IF (IL-25) , ,190
IF (TT-RPL(IL)) 190, ,
IF (CRTI-1.) 189, ,
CALL CRTID (2HAV,1,0)
CALL FRAME
CRTI=0.
189 CALL RPLOT
IL=IL+1
COMPUTE MAX. VALUES FOR PLOT
190 IF (IRPLOT) 192,192,
DO 191 J=JN,LN
DRMX(J)=MAX1F(DRMX(J),DR(J))
VMX(J)=MAX1F(VMX(J),V(J))
GMX(J)=MAX1F(GMX(J),Q(J))
PX(J)=MAX1F(PX(J),P(J))
A=P(J)-.6666666666*TK(J)
B=P(J)+1.3333333333*TK(J)
SIGR(J)=MAX1F(SIGR(J),B)
SIGT(J)=MAX1F(SIGT(J),A)
191 CONTINUE
192 RJH=R(LX-1)-V(LX-1)*HDTH
PJM=P(LX)
CHECK FOR TERMINATING
L=1
IF (OFF) 214, ,213
CALCULATE DUMP TIME ON 6A (TAPE OR DISK)
IF (NC-NCD) 193, ,
K=6
CALL WRST
CALL WRTEOF (6)

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```

      CALL BSPACE (6)
      NCD=NCD+1000
193 IF (ITOT=IPDT-900) 195, .
      IPDT=ITOT
      IF (DPLT) 194,194,
      ABF(IBX)=-1000.
      CALL PLTOUT
194 K=16
      CALL WRST
      BACKSPACE FILE 16
      CALL BSPACE (16)
CHECK FOR PLOT DATA
195 IF (IIJ-1) 212, ,212
      PTS=PTS+DPLT
      DO 196 J=JN,LN
      IF (Q(J)) 196,196,
      IF (Q(J)-Q(J-1)) ,196,196
      C=RN(J-1)
      GO TO 197
196 CONTINUE
      C=0.
197 N=III=1
      M=0
      DO 203 J=JN,LN
198 IF (N=25) , ,204
      IF (RN(J)-PLOT(N)) ,200,203
      IF (RN(J-1)-PLOT(N)) 201,199,
      IF (RN(J)+RN(J-1)-2.*PLOT(N)) ,200,200
199 ING(N)=J-1
      GO TO 202
200 ING(N)=J
      GO TO 202
201 ING(N)=0
      N=N+1
      GO TO 198
202 M=M+1
      N=N+1
203 CONTINUE
204 IF (IBX-3815) 208,208,
      K=7*(M+2+IEPLOT)
      IF (IBX-4004+K) 208, ,
C - PLOT BUFFER FULL - WRITE ON 68
      ABF(IBX)=-1000.
      IF (IPB=10) ,207,207
      BUFFER OUT (7,1) (ABF,ABF(4004))
205 IF (UNIT,7,K) 205,206, ,
      WRITE OUTPUT TAPE 3, 977
206 IPR=IPB+1
      IRX=1
      GO TO 208
207 CALL PLTOUT
      IPB=0
      K=16
      CALL WRST
      BACKSPACE FILE 16
      CALL BSPACE (16)
      CALL FSPACE (16)
      IRX=1
C - STORE PLOT DATA IN BUFFER
208 ABF(IBX)=-1.

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      ARF(IRX+1)=TT
      ARF(IRX+2)=CAVR
      ARF(IRX+3)=CVRC
      ARF(IRX+4)=C
      ARF(IRX+5)=M
      IRX=IRX+7
      DO 209 N=1,25
      IF (ING(N)) 209,209,
      J=ING(N)
      ARF(IRX-1)=PLOT(N)
      ARF(IRX)=DR(J)
      ARF(IRX+1)=V(J)
      A=TSV(J)
      ARF(IRX+2)=SIGNF(C(J),A)
      ARF(IRX+3)=AMU(J)
      ARF(IRX+4)=P(J)
      ARF(IRX+5)=TK(J)
      IRX=IRX+7
209  CONTINUE
      IF (IEPLOT) 211,211,
      ARF(IRX-1)=-100.
      ARF(IRX)=ETOT
      DO 210 N=1,6
      ARF(IRX+1)=ENTL(N)
      IRX=IRX+1
210  CONTINUE
      IRX=IRX+1
      GO TO 212
211  ARF(IRX-1)=-10.
212  IF (ITSTP-20) 14,13,13
213  L=7
      CALCULATE BALANCE OF REAL TIME IN ACCOUNT (NEG. RUNNING TIME) AND RESET
214  IF (IBANK) 215,215,
      IRANK=IRANK-ITOT
215  III=2
      C - EMPTY PLOT BUFFER ONTC 4B BEFORE TERMINATION
      IF (DPLOT) 216,216,
      CALL PLTOUT
      C - WRITE FINAL DUMP ON 6B
216  K=16
      CALL WRST
      K=6
      CALL PLOTE
      CALL WRST
      CALL WRTEOF (6)
      CALL UNLOAD (6)
      CALL CLOCK (IC(1),IC(2))
      WRITE OUTPUT TAPE 3, 966, ITOT, IC(1),IC(2)
      WRITE OUTPUT TAPE 3, 967
      CALL QOND3A(3)
      CALL QOND3A(6)
      IF (L-1) 217,
      READ INPUT TAPE 2, 971, L
      IF (L-8) 217, 217
      C - CALL PLOT
      CALL CHAIN (5,5)
      C - UNLOAD TAPES - CALL EXIT - NO PLOT
217  CALL UNLOAD (16)
      CALL EXIT
      CREATE EXIT IF RADIUS NEGATIVE

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218 WRITE OUTPUT TAPE 3, 968, J-1
    CALL ERROR (1.)
C - TAPE READ ROUTINES
219 CALL TSTR
    GO TO (221,2,2,2), 1J
220 CALL TSTR
    GO TO (221,4,4,4), 1J
221 WRITE OUTPUT TAPE 3, 972
    PRINT 972
    CALL OOND3A(3)
    CALL OOND3A(61)
    CALL EXIT
C MAIN CODE TAPE SUBROUTINES
    ENTRY TSTO
    CALL BSPACE (K)
    DO 900 M=1,(5-N)
    CALL WRBLNK (K)
900 CONTINUE
    N=N-1
    RETURN TSTO
    ENTRY WRSO
    N=5
901 BUFFER OUT (K,1) (DPLOT,IALF)
902 IF (UNIT,K,M) 902,904, ,
    CALL TSTO
    IF (N-1) 901, ,901
    WRITE OUTPUT TAPE 3, 908, K
    IF (K-6) 903, ,903
    RETURN WRSO
903 CALL OOND3A(3)
    CALL OOND3A(61)
    CALL EXIT
904 CALL WRTEOF (K)
    RETURN WRSO
    ENTRY WRST
    N=5
905 BUFFER OUT (K,1) (NC,TTS)
906 IF (UNIT,K,M) 906,907, ,
    N=N-1
    IF (N-1) 905, ,905
907 RETURN WRST
    ENTRY TSTR
    CALL BSPACE (L)
    J=J-1
    RETURN TSTR
C FORMAT STATEMENTS
908 FORMAT ( 7H) TAPE ,I3,38H IS BAD, PLEASE REPLACE IT AND RESTART)
950 FORMAT (8A10)
951 FORMAT (E7.0,I7,2E7.0)
952 FORMAT (///35H ENERGY TOTALS PER ORIGINAL REGIONS)
953 FORMAT (///33H ENERGY TOTALS PER MATERIAL STATE)
954 FORMAT (60H TAPE 6R AND CARD I.D. ARE NOT THE SAME, PROBLEM TERMIN
    IATED///22H TAPE IS FOR PROBLEM ,8A10)
956 FORMAT (1H1/8H SOC II ,7A10,4A10//, 9H STARTED ,1A8, 4H ON ,1A8/)
957 FORMAT (1H1/8A10,4A10)
958 FORMAT (///43H N CYCLE    DELTA T(N)  DELTA T(N+.5)  TIME//1X,I6,
    11X,3E14.5//42H DELTA T CONTROLLED BY ZONE WITH RADIUS =,E14.5)
959 FORMAT (///120H  J    DELTA R    RADIUS    VELOCITY    MU
    1  PRESSURE    SHOCK    K R-THETA    K SHOCK    FENERGY    ST
    2ATE//(1X,I4,9E12.5,I7))

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960 FORMAT (///69H KINETIC ENRGY INTERNAL ENERGY GRAVITY
1 TOTAL ENERGY//(4E18.10))
961 FORMAT (///17H ENERGY INPUT IS ,E18.10)
962 FORMAT (///35H THIS IS A PRESSURE PROFILE PROBLEM)
963 FORMAT (///36H VOLUME WEIGHTED CAVITY PRESSURE IS ,F12.5)
964 FORMAT (18H BAD ENERGY CHECK/)
966 FORMAT (26H PROBLEM TERMINATED AFTER ,I6.8H SECONDS///13H THE TIME
1 IS ,I4.8,13H THE MACHINE ,I4.8)
967 FORMAT (1H1)
968 FORMAT (1H1///19H NEGATIVE R AT J = ,I4.14H CHECK PROBLEM)
971 FORMAT (I1)
972 FORMAT (65H 3 BAD READS OF 68, CHECK TAPE AND UNIT, THEN RESTART
1THIS JOB )
973 FORMAT (60H ERROR IN THIS PROBLEM. DO NOT TRY TO CONTINUE OR RES
1TART.)
974 FORMAT (1H1///47H SLOPE LESS THAN OR EQUAL TO ZERO. CHECK INPUT//
1//117H CYCLE DELTA T(N) DELTA T(N+.5) J STATE P(N+1)
2SLOPE MU(N+1) P(N) MU(N) MU MAX//1X,I6,
32F12.5,2I6.5E13.5,E12.5)
975 FORMAT (1H1///30H MU=E/SLOPE GREATER THAN 1.501///60H MU=E
1 SLOPE MU N+1 PRESSURE LOC.//4F14.5,I1)
976 FORMAT (1H1///30H MU=C/SLOPE GREATER THAN 1.501///60H MU=C
1 SLOPE MU N+1 PRESSURE //4F14.5)
977 FORMAT (45H BAD DISK WRITE. MAY BE SOME BAD PLOT POINTS)
END

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```

* LIST 8
* CARDS COLUMN
* FORTRAN RPILOT
SUBROUTINE RPILOT
USE COMMON
A=R(JN)
DO 1 J=JN, LN
IF (I(J)-390) 1, ,
B=R(J-1)
LP=J-1
GO TO 2
1 CONTINUE
B=R(LN)
LP=LN
2 YN1=GW=V(J)
F=S=P(JN)
AD=AF=TK(JN)
DA=DB=EO(JN)=P(JN)+1.3333333*TK(JN)
DC=DD=VO(JN)=P(JN)-.66666667*TK(JN)
DO 3 J=JN+1, LP
YN1=MAX1F(YN1, V(J))
GW=MIN1F(GW, V(J))
F=MAX1F(F, P(J))
S=MIN1F(S, P(J))
AD=MAX1F(AD, TK(J))
AF=MIN1F(AF, TK(J))
VO(J)=P(J)-.66666667*TK(J)
EO(J)=P(J)+1.3333333*TK(J)
DA=MAX1F(DA, EO(J))
DR=MIN1F(DR, EO(J))
DC=MAX1F(DC, VO(J))
DD=MIN1F(DD, VO(J))
3 CONTINUE
K=LP=JN+1
DO 12 J=1, 10, 2
IF (RIX(J)-RIX(J+1)) 12, 12,
CALL SETCH (10., 2., 0, 0, 0, 0)
GO TO (4, 5, 6, 8, 9), J/2+1
4 WRITE OUTPUT TAPE 100, 450, (IHEAD(N), N=1, 8), TT
L=JN+12020
GO TO 7
5 WRITE OUTPUT TAPE 100, 451, (IHEAD(N), N=1, 8), TT
L=JN
GO TO 7
6 WRITE OUTPUT TAPE 100, 452, (IHEAD(N), N=1, 8), TT
L=JN+3606
7 CALL MAPG(B, A, RIX(J+1), RIX(J))
CALL TRACE (R(JN), P(L), K)
GO TO 11
8 WRITE OUTPUT TAPE 100, 453, (IHEAD(N), N=1, 8), TT
L=JN
GO TO 10
9 WRITE OUTPUT TAPE 100, 454, (IHEAD(N), N=1, 8), TT
L=JN+8414
10 CALL MAPG (B, A, RIX(J+1), RIX(J))
CALL TRACE (R(JN), EO(L), K)
11 CALL FRAME
12 CONTINUE
RETURN
450 FORMAT (8A10/30H VELOCITY VERSUS RADIUS AT T = ,E12.5)

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451 FORMAT (8A10/30H PRESSURE VERSUS RADIUS AT T = ,E12.5)  
452 FORMAT (8A10/31H K-R THETA VERSUS RADIUS AT T = ,E12.5)  
453 FORMAT (8A10/30H RADIAL STRESS VERSUS R AT T = ,E12.5)  
454 FORMAT (8A10/34H TANGENTIAL STRESS VERSUS R AT T = ,E12.5)  
END

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*      LIST8
*      CARDS COLUMN
*      FORTRAN          PLTO
SUBROUTINE PLTOUT
USE COMMON
CALL REWIND (7)
BUFFER IN (7,1) (ABA(1),ABA(4004))
M=4005
J=1
DO 7 N=1,IPB
1 IF (UNIT,7,K) 1,2,,
WRITE OUTPUT TAPE 3, 901
2 IF (N-IPB) ,3,3
BUFFER IN (7,1) (ABA(M),ABA(M+4003))
3 BUFFER OUT (16,1) (ABA(J),ABA(J+4003))
4 IF (UNIT,16,K) 4,5,,
WRITE OUTPUT TAPE 3, 900
5 IF (N-IPB) ,8,8
IF (M-1) , ,6
M=4005
J=1
GO TO 7
6 M=1
J=4005
7 CONTINUE
8 CALL REWIND (7)
BUFFER OUT (16,1) (ABF(1), ABF(4004))
9 IF (UNIT,16,K) 9,10,,
WRITE OUTPUT TAPE 3, 900
10 CALL WRTEOF (16)
RETURN
900 FORMAT (51H BAD TAPE READ/WRITE, PLOT MAY HAVE SOME BAD POINTS)
901 FORMAT (51H BAD DISK READ/WRITE, PLOT MAY HAVE SOME BAD POINTS)
END

```

```

* CARDS COLUMN
* LIST 8
* FORTRAN

```

---

```

SUBROUTINE BANDP (IBA,ITL)
USE COMMON

```

---

```

C
C CALL BANDP(A,B)
C STORES ASCII USER NUMBER IN A(1)
C STORES NUMBER OF SECONDS IN BANK ACCOUNT IN A(2) INTEGER
C STORES TL IN B(1) INTEGER SECONDS
C STORES PRIORITY IN B(2) FLOATING PT
C
COMMON /G0BCOM/ GCOM
ADDRESS ZETA
DIMENSION IBA(2), ITL(2)

```

---

```

ZETA=0
KIM = (24018.SHL.48).UN.((.LOC.ERROR) .SHL.30) .UN.((.LOC.IBA(1))
GCOM=(10048.SHL.18).UN.((.LOC.KIM)
GO TO ZETA
ERROR GO TO OK
GO TO ERROR

```

---

```

OK IBA(2) = IBA(2) / 1000000
KIM = (24038.SHL.48).UN.((.LOC.ERR) .SHL.30 ) .UN.((.LOC.ITL(1))
GCOM=(10048.SHL.18).UN.((.LOC.KIM)
GO TO ZETA
ERR GO TO THRU
GO TO ERR

```

---

```

THRU ITL(1) = ITL(1) / 1000000
RETURN
END

```

```

* LIST 8
* CARDS COLUMN
* FORTRAN ERROR

```

---

```

SUBROUTINE ERROR (ERR)
USE COMMON
CALL UNLOAD (16)
CALL UNLOAD (6)
IF (CRTI) 1, .1
CALL PLOTE

```

---

```

1 IF (ERR) 3,3,
WRITE OUTPUT TAPE 3, 100, NC, DT, DTH, TT, RADT
DO 2 J=JN, LN
I(J)=XSIGNF(I(J), ISV(J))
2 CONTINUE
WRITE OUTPUT TAPE 3, 101, (J-1, DR(J), R(J), V(J), AMI(J), P(J),
1 Q(J), TK(J), GK(J), E(J), I(J), J=JN, LN+1)
3 CALL COND3A (3)
CALL COND3A (61)
CALL EXIT
100 FORMAT (18H1 ERROR PRINTOUT///43H N CYCLE DELTA T(N) DELTA T
1(N+.5) TIME///X, I6, 1X, 3E14.5//42H DELTA T CONTROLLED BY ZONE WIT
2H RADIUS =.E14.5)
101 FORMAT (///120H J DELTA R RADIUS VELOCITY MU
1 PRESSURE SHOCK K R-THETA K SHOCK ENERGY ST
2ATE//(1X, I4, 9E12.5, I7))
END

```

---



# APPENDIX 2. GENERATOR

```

*      LIST 8
*      CARDS COLUMN
*      FORTRAN          GEN
CLICHE GENCOM
COMMON NC(2), JN, LN, TT, IR, LX, ENI, RN(1202), HH(8414), IH(8414
1), AM(1202), CI(1202), DR(1202), DV(1202), DV(2404), ISV(1202),
2 P(1202), Q(1202), GK(1202), TK(1202), VN(1202), VO(1202), AMU(120
32), E(1202), I(1202), R(1202), V(1202), TC(12), TIC(12), RPL(25),
4 DT, DTH, DTN, DTPR, FPP, ETOT, FDT, HDT1, IL, IPI, IPO, ITCX,
5 FRANK, NCD, PJM, PTS, QXT, RJH, STR, SXN, TPR, HDTW, TTS
COMMON CONSTANT FOR RUN
COMMON DP, IE, IX, IDX(8), GR, DXT, PL(100), GAS(2728), PT(400),
1 PM(400), PD(400), CP(200), CM(200), CD(200), PK(200), PR(200),
2 DK(200), SS(200), SP(200), SD(200), AK(10), VI(10), PM(10), AMZ(1
30), AM1(10), AM2(10), XK(10), PZO(10), P1(10), P2(10), SKQ(10),
4 R(10), SE(10), EF(10), EV(10), SI(10), IT(10), IIT(10), IP(10),
5 RR(11), RHQ(11), GK(10), CF, CCN, HCCN, IRZ, REZF, Iw(4), PPR(61)
6, TP(61), IVR, IALF
COMMON USED IN GENERATION ONLY
COMMON ITL(10), IAM(100), DNC, GI(17), EN(11), IZ(17), IES(11),
1 FNC(11), GL(11), J, K, L, M, N, JJ, INN, ICLK, MACH, A, D, F, G,
2 TKT(80), IM, IC(9), H(16), HP(40), HM(40), HD(40), HC(20), HCM(20
3), HCD(20), HE(20), HK(20), HDD(20), HGAM(20), HPRE(20), HDP(20),
4 HG(10), HGL(10), HGE(64), HGG(640), HGD(640), HGOE(64), ZP(400),
5 ZM(200), KX, II, NN, NO, MP, IN, AST, JL, LLP, AAA, YY1, YY2, ZZ1,
6 ZZ2, KL, ZZ, YY, LLG, BA, X, KG, DX, KE, NNN, JS, IV
EQUIVALENCE (HH,IH)
EQUIVALENCE (IC(1), IM)
EQUIVALENCE (AC(2), JN)
ENDCLICHE
USE GENCOM
CALL REGST
CALL CRTID (2HAV,1)
CALL FRAME
N=.LOC.NC
J=.LOC.KE
NNN=J-N
DO 1 IS=1,NNN
NC(IS)=0
1 CONTINUE
CALL CLOCK (ICLK, MACH)
IVR=IPO=IPI=LN=LX=INN=1
READ INPUT TAPE 2, 900, (IDX(N), N=1,8), DP, DTPR, F, J, IX, IE,
1 K, IRZ, L
READ INPUT TAPE 2, 901, RB(1), TTS, DX, IR, M, A, IV, REZF
IF (REZF) , .2
REZF=.2
2 IF (IR-J) , .3
II=J
GO TO 4
3 II=IR
4 READ INPUT TAPE 2, 902, (RB(1), GK(N), EN(N), IZ(N), IES(N), TC(N)
1, TIC(N), N=2,II+1)
IALF=3
IPO=K+IPO
RB(1)=RB(1)*100.
DO 5 N=2,II+1
RB(N)=RB(N)*100.
TC(N)=TC(N)*1000.
TIC(N)=TIC(N)*1000.

```

```

5  CONTINUE
   DP=DP*1000.
   DTPR=DTPR*1000.
   F=F*1000.
   TTS=TTS*1000.
   DX=DX*1000.
   CCN=4.18879
   HCCN=.5*CCN
   CF=.25*CCN
   QXT=1.
   DTH=1.E-3
   DT=HDT1=.5E-3
   HDTH=FDI=DTN=0.
   DXT=DX*DX*9.
   IF (DP) ,7,
DO 6 K=1,25,5
  READ INPUT TAPE 2, 903, (C1(N), N=K,K+4)
  IF (C1(K+4)) 7,7,
6  CONTINUE
7  IF (F) 11, ,12
  DO 8 K=1,25,5
  READ INPUT TAPE 2, 903, (RPL(N), N=K,K+4)
  IF (RPL(K+4)) 9,9,
8  CONTINUE
9  DO 10 K=1,25
  RPL(K)=RPL(K)*1000.
10 CONTINUE
   GO TO 14
11 F=TTS/25.
12 RPL(1)=F
   DO 13 K=2,25
   RPL(K)=RPL(K-1)*F
13 CONTINUE
14 CALL ZONER
   K=0
   DO 21 N=1,IR
   R(K+1)=RN(K+1)=RR(N)
   IF (IZ(N+1)) ,15,15
   LN=LN-IZ(N+1)
   GO TO 16
15 LN=LN+IZ(N+1)
16 ENC(N+1)=EN(N+1)*4.186E7/(CCN*(RB(N)**IALF-RB(N+1)**IALF))
   DO 20 K=K+1,LN-1
   IF (GL(N+1)) , ,17
   F=RN(K)*RN(K)*RN(K)
   F=F-GI(N+1)
   IF (F-.1) 18,18,
   F=F**,.33333333
   RN(K+1)=R(K+1)=F
   GO TO 18
17 RN(K+1)=R(K+1)=(RN(K)-GI(N+1))
   GI(N+1)=GI(N+1)/GL(N+1)
18 I(K+1)=IES(N+1)
   E(K+1)=ENC(N+1)
   IF (L) 19, ,19
   AMU(K+1)=GK(N+1)
   GO TO 20
19 V(K+1)=GK(N+1)
20 CONTINUE
   K=K-1

```

```

21 CONTINUE
   R(K+1)=RN(K+1)=RB(N)
   IF (DP) ,42,
NN=IR+1
K=1
22 IF (C1(K)) 23,23,
   C1(K)=C1(K)*100.
   K=K+1
   IF (K-25) 22,22,35
23 IF (IES(NN)-400) 24, ,
   NN=IR
24 JJ=27-K-NN
   F=RN(1)
   IF (JJ) 25,25,
   G=JJ
   F=(RB(1)-RB(NN))/G
25 G=PL(1)=RB(NN)
   JJ=26-K
   DO 34 N=1,JJ
   DO 28 II=1,K
   IF (C1(II)) , ,26
   C1(II)=G
   K=K+1
   GO TO 29
26 IF (G-C1(II)) ,32,28
   NO=K=K+1
27 C1(NO)=C1(NO-1)
   NO=NO-1
   IF (NO-II) , ,27
   C1(II)=G
   GO TO 29
28 CONTINUE
29 IF (K-25) , ,35
   IF (G-RB(NN)) 30, ,30
   NN=NN-1
   G=PL(1)
30 IF (G+F-RB(NN)) ,32,31
   G=G+F
   GO TO 34
31 PL(1)=G
   G=RB(NN)
   GO TO 34
32 F=RN(1)
   NO=27-K-NN+1
   IF (NO) 33,33,
   G=NO
   F=(RB(1)-RB(NN))/G
33 G=PL(1)=RB(NN)+F
   NN=NN-1
34 CONTINUE
35 JJ=25
   NN=1
   IF (C1(JJ)) , ,36
   C1(JJ)=C1(JJ-1)
   C1(JJ-1)=.5*(C1(JJ)-C1(JJ-2))+C1(JJ-2)
36 DO 39 N=1,LN
   IF (C1(JJ)-RN(N)) 39,37,
   IF (2.*C1(JJ)-RN(N)-RN(N-1)) 37,37,
   PL(NN)=RN(N-1)
   GO TO 38

```

```

37 PL(NN)=RN(N)
38 NN=NN+1
   JJ=JJ-1
   IF (JJ) 40,40,
39 CONTINUE
40 DO 41 JJ=1,25
   C1(JJ)=0.
41 CONTINUE
   F=TTS/DP
   IF (F-9600.) 42,42,
   DP=TTS/9600.
42 LX=LX+LN
   NO=M
   INN=1
   DO 50 N=1,NO
   CALL MATRD
   IF (H(16)-100.) ,43,
   CALL GASRD
   GO TO 48
43 DO 45 K=1,70,3
   READ INPUT TAPE 2, 906, (HG(JJ), HG(JJ+70), JJ=K,K+2)
   DO 44 JJ=K,K+2
   IF (JJ-1) 44,44,
   IF (HG(JJ+70)-HG(JJ+69)) , ,44
   IF (HG(JJ+70)) ,46,
   WRITE OUTPUT TAPE 3, 955, IM
   DNC=1.
   GO TO 48
44 CONTINUE
45 CONTINUE
46 DO 47 K=1,JJ
   IF (HG(K+70)) ,47,
   HG(K+70)=1./(HG(K+70)*H)-1.
   IF (K-1) 47,47,
   F=HG(K+70)-HG(K+69)
   IF (F) ,48,
   HG(K+140)=(HG(K)-HG(K-1))/F
47 CONTINUE
48 DO 49 K=1,1690
   IH(INN)=IC(K)
   INN=INN+1
49 CONTINUE
50 CONTINUE
   II=JJ=NN=MP=1
   DO 66 K=1,IR
   N=IES(K+1)
51 IF (N-100) 52,52,
   N=N-100
   GO TO 51
52 IF (IAM(N)) 64, ,64
   IAM(N)=K
   DO 53 IN=1,M*1690,1690
   IF (IH(IN)-N) ,54,
53 CONTINUE
   WRITE OUTPUT TAPE 3, 957, N
   DNC=1.
   GO TO 66
54 DO 55 NO=1,1690
   IC(NO)=IH(IN)
   IN=IN+1

```

```

55 CONTINUE
   IN=1
   DO 56 NO=K,K+169,10
      AK(NO)=H(IN)
      IN=IN+1
56 CONTINUE
   RHO(K+1)=AK(K)
   IF (IES(K+1)-400) , ,57
   IF (IES(K+1)-389) 57,57,
   ENC(K+1)=EF(K)*AK(K)*4.186E-2
57 IN=1
   DO 58 NO=MP,MP+39
      PT(NO)=HP(IN)
      PM(NO)=HM(IN)
      PD(NO)=HD(IN)
      IN=IN+1
58 CONTINUE
   IN=1
   DO 59 NO=NN,NN+19
      CP(NO)=HC(IN)
      CM(NO)=HCM(IN)
      CD(NO)=HCD(IN)
      PK(NO)=HE(IN)
      PR(NO)=HK(IN)
      DK(NO)=HDD(IN)
      SS(NO)=HGAM(IN)
      SP(NO)=HPRE(IN)
      SD(NO)=HDP(IN)
      IN=IN+1
59 CONTINUE
   NO=IN+1
   IF (HG(NO)-HG(NO+1)) ,61,
   DO 60 INN=JJ,JJ+1363
      GAS(INN)=HG(NO)
      NO=NO+1
60 CONTINUE
   ITT(K)=JJ
   JJ=JJ+1364
   GO TO 62
61 ITT(K)=0
62 DO 63 INN=II,II+7
   IKI(INN)=IC(IN+1)
   IN=IN+1
63 CONTINUE
   IP(K)=MP
   IT(K)=NN
   ITL(K)=II
   MP=MP+40
   NN=NN+20
   II=II+8
   GO TO 66
64 IN=IAM(N)
   IP(K)=IP(IN)
   IT(K)=IT(IN)
   ITL(K)=ITL(IN)
   ITT(K)=ITT(IN)
   INN=K
   DO 65 NO=IN,IN+169,10
      AK(INN)=AK(NO)
      INN=INN+10

```

```

65 CONTINUE
  RHO(K+1)=AK(K)
  IF (IES(K+1)-400) , ,66
  IF (IES(K+1)-389) 66,66,
  ENC(K+1)=EF(K)*AK(K)*4.186E-2
66 CONTINUE
  N=2
  DO 68 IN=1,LN
  IF (ENC(N)) 67,67,
  E(IN)=ENC(N)
67 IF (RN(IN)-RR(N)) 68, ,68
  N=N+1
68 CONTINUE
  IF (IPO-1) ,72,
  DO 70 N=1,60,4
  READ INPUT TAPE 2, 907, (HH(K), K=1,8)
  K=1
  DO 69 IN=N,N+3
  TP(IN)=HH(K)*1000.
  PPR(IN)=HH(K+1)
  K=K+2
69 CONTINUE
  IF (TP(IN-1)) ,71,
70 CONTINUE
71 IF (TP) ,72,
  TT=TP
72 WRITE OUTPUT TAPE 3, 958, ICLK, MACH
  IF (IRZ) ,73,
  IW(1)=(10HSPHERE )
  GO TO 74
73 IW(1)=(10HSPHERE NOT)
74 IW(2)=(10H REZONED )
  IF (IV) ,75,
  IW(3)=(10H HORIZONTAL)
  IW(4)=(10HL )
  GO TO 76
75 IW(3)=(10H VERTICAL )
  IW(4)=(10H )
76 DO 77 N=2,IR
  IF (IES(N)-389) 77,77,
  IF (IES(N)-400) , ,77
  EN(N)=ENC(N)*(RB(N-1)**IALF-RB(N)**IALF)*CCN/4.186E7
77 CONTINUE
  WRITE OUTPUT TAPE 3, 959, (IDX(N), N=1,8), (IW(N), N=1,4)
  WRITE OUTPUT TAPE 3, 963, (RB(1), TTS, DX, A, REZF)
  IF (L) ,78,
  WRITE OUTPUT TAPE 3, 964
  V(1)=D
  GO TO 79
78 WRITE OUTPUT TAPE 3, 965
  AMU(1)=D
79 WRITE OUTPUT TAPE 3, 966, (RB(N), RHO(N), GK(N), EN(N), ENC(N),
  1 IZ(N), IES(N), GL(N), N=2,IR+1)
  IF (DP) ,80,
  WRITE OUTPUT TAPE 3, 967, DP, (PL(N), N=1,25)
80 WRITE OUTPUT TAPE 3, 995, (RpL(K), K=1,25)
  IL=1
  IF (IX) ,81,
  WRITE OUTPUT TAPE 3, 968
81 IF (IE) ,82,

```

```

      WRITE OUTPUT TAPE 3, 969
82  WRITE OUTPUT TAPE 3, 970, NTPR
      IF (J) 83,83,
      WRITE OUTPUT TAPE 3, 971, (TC(N), TTC(N), N=2,J+1)
83  DO 164 N=1,100
      AST=0.
      IF (IAM(N)) ,164,
      II=IAM(N)
      K=ITL(II)
      J=JL=IP(II)
      L=IT(II)
      D=AK(II)
      IF (D) , ,84
      DNC=1.
      WRITE OUTPUT TAPE 3, 996, N
84  IF (PT(J)) , ,85
      J=J+1
      GO TO 84
85  AK(II)=PD(J)
      DO 88 J=JL,JL+39
      IF (PM(J)) 86, ,86
      IF (J-JL) ,86,
      IF (PM(J-1)) 86, ,
      ZP(J)=0.
      J=J-1
      GO TO 89
86  F=PM(J)+1.
      IF (F) 87, ,87
      ZP(J)=0.
      GO TO 88
87  ZP(J)=1./(D*F)
88  CONTINUE
89  IF (N=89) 94,94,
      CALL SETCH (10.,2.,0,0,0,0)
      WRITE OUTPUT TAPE 100, 949, (IDX(LLP), LLP=1,8), N
      LLP=J-JL
      CALL MAPGLL (ZP(J), ZP(JL+1), PT(JL+1), PT(J))
      CALL TRACE (ZP(JL+1), PT(JL+1), LLP)
      CALL FRAME
      WRITE OUTPUT TAPE 3, 972, (IKT(J), J=K,K+7), N, D, PM(II), AMZ(II)
1  , PZO(II), EF(II)
      WRITE OUTPUT TAPE 3, 975
      IF (ZP(JL)) 90, ,90
      WRITE OUTPUT TAPE 3, 976, PT(JL), PM(JL), PD(JL)
      GO TO 91
90  WRITE OUTPUT TAPE 3, 977, PT(JL), ZP(JL), PM(JL), PD(JL)
91  DO 93 J=JL+1,JL+39
      IF (PD(J)-PD(J-1)) ,92,92
      IF (PD(J)) ,92,
      WRITE OUTPUT TAPE 3, 800, PT(J), ZP(J), PM(J), PD(J)
      AST=1.
      GO TO 93
92  WRITE OUTPUT TAPE 3, 977, PT(J), ZP(J), PM(J), PD(J)
93  CONTINUE
      GO TO 138
94  WRITE OUTPUT TAPE 3, 973, (IKT(J), J=K,K+7), N, D, (AK(J), J=II,
1  II+149,10)
      IF (PT(JL)-PT(JL+1)) 95, ,
      WRITE OUTPUT TAPE 3, 974
      GO TO 138

```

```

95 DO 97 J=JL,JL+39
   IF (ZP(J+1)) , ,97
96 CALL SETCH (10.,2.,0,0,0,0)
   WRITE OUTPUT TAPE 100, 961, (IDX(LLP), LLP=1,8), N
   CALL MAPG (ZP(J), ZP(JL), PT(JL), PT(J))
   LLP=J-JL+1
   CALL TRACE (ZP(JL), PT(JL), LLP)
   CALL FRAME
   GO TO 98
97 CONTINUE
   J=JL+39
   GO TO 96
98 IF (CP(L)-CP(L+1)) ,118,118
   DO 99 J=L,L+19
   IF (CP(J)-CP(J+1)) ,100,100
99 CONTINUE
100 IF (CM(J)-AM2(II)) ,104,104
   WRITE OUTPUT TAPE 3, 951, AM2(II), N, CM(J)
   AM2(II)=CM(J)
   DO 103 LLP=1,IR
   AAA=IES(LLP)
101 IF (AAA-100) 102, ,
   AAA=AAA-100
   GO TO 101
102 IF (AAA-N) 103, ,103
   AM2(LLP)=AM2(II)
103 CONTINUE
104 DO 107 LLP=L,L+39
   IF (PM(LLP)-CM(J)) 107,106,
105 J=J-1
   IF (J-L) , ,104
   WRITE OUTPUT TAPE 3, 950
   DNC=1,
   GO TO 108
106 IF (PT(LLP)-CP(J)) 105,108,105
107 CONTINUE
108 DO 111 J=L,L+19
   IF (CM(J)) 109, ,109
   IF (L-J) ,109,
   IF (CM(J-1)) 109, ,
   ZM(J)=0,
   GO TO 111
109 F=CM(J)+1,
   IF (F) 110, ,110
   ZM(J)=0,
   GO TO 111
110 ZM(J)=1./(D*F)
111 CONTINUE
   CALL SETCH (10.,2.,0,0,0,0)
   WRITE OUTPUT TAPE 100, 952, (IDX(LLP), LLP=1,8), N
   LLP=JL
112 IF (PT(LLP)-.04) ,113,113
   LLP=LLP+1
   IF (PT(LLP)) 112, ,112
   LLP=LLP-1
113 MP=LLP
   LLP=L
114 IF (CP(LLP)-.04) , ,115
   LLP=LLP+1
   IF (CP(LLP)) 114, ,114

```



```

LLP=LLP-1
115 YY1=MIN1F(ZP(MP), ZM(LLP))
YY2=MAX1F(ZP(JL), ZM(L))
ZZ1=MIN1F(PT(JL), CP(L))
ZZ2=MAX1F(PT(MP), CP(LLP))
LLP=LLP-L+1
MP=MP-JL+1
CALL MAPG (YY1, YY2, ZZ1, ZZ2)
CALL TRACE (ZP(JL), PT(JL), MP)
CALL TRACEC (1HC, 7M(L), CP(L), LLP)
CALL FRAME
DO 117 J=L, L+19
IF (ZM(J+1)) , ,117
116 LLP=J-L+1
CALL SETCH (10., 2., 0, 0, 0, 0)
WRITE OUTPUT TAPE 100, 962, (IDX(LLP), LLP=1, 8), N
LLP=J-L+1
CALL MAPG (ZM(J), ZM(L), CP(L), CP(J))
CALL TRACE (ZM(L), CP(L), LLP)
CALL FRAME
GO TO 125
117 CONTINUE
J=L+19
GO TO 116
118 CALL FRAME
IF (PZO(II)) 119, ,119
DNC=1.
WRITE OUTPUT TAPE 3, 994, N
119 IF (EF(II)) 120, ,120
DNC=1.
WRITE OUTPUT TAPE 3, 997, N
120 WRITE OUTPUT TAPE 3, 978
IF (ZP(JL)) 121, ,121
WRITE OUTPUT TAPE 3, 976, PT(JL), PM(JL), PD(JL)
GO TO 122
121 WRITE OUTPUT TAPE 3, 977, PT(JL), Zp(JL), PM(JL), Ph(IL)
122 DO 124 J=JL+1, JL+39
IF (PD(J)-PD(J-1)) ,123,123
IF (PD(J)) ,123,
WRITE OUTPUT TAPE 3, 900, PT(J), ZP(J), PM(J), PD(J)
AST=1.
GO TO 124
123 WRITE OUTPUT TAPE 3, 977, PT(J), ZP(J), PM(J), PD(J)
124 CONTINUE
GO TO 138
125 IF (PZO(II)) 126, ,126
DNC=1.
WRITE OUTPUT TAPE 3, 994, N
126 IF (EF(II)) 127, ,127
DNC=1.
WRITE OUTPUT TAPE 3, 997, N
127 WRITE OUTPUT TAPE 3, 998
KL=L
DO 135 J=JL, JL+19
IF (J-JL) , ,130
IF (ZP(J)) 128, ,128
IF (ZM(KL)) 129, ,129
WRITE OUTPUT TAPE 3, 981, PT(J), PM(J), PD(J), CP(KL), CM(KL), CD(K
1L)
GO TO 135

```

```

128 IF (ZM(KL)) 130, .130
WRITE OUTPUT TAPE 3, 999, PT(J), ZP(J), PM(J), PD(J), CP(KL), CM(KL),
1) , CD(KL)
GO TO 135
129 WRITE OUTPUT TAPE 3, 954, PT(J), PM(J), PD(J), CP(KL), ZM(KL),
1) CM(KL), CD(KL)
GO TO 135
130 IF (PD(J)-PD(J-1)) ,132,132
IF (PD(J)) ,132,
IF (CD(KL)-CD(KL-1)) ,131,131
IF (CD(KL)) ,131,
WRITE OUTPUT TAPE 3, 801, PT(J), ZP(J), PM(J), PD(J), CP(KL), ZM(
1) KL), CM(KL), CD(KL)
AST=1.
GO TO 134
131 WRITE OUTPUT TAPE 3, 802, PT(J), ZP(J), PM(J), PD(J), CP(KL),
1) 7M(KL), CM(KL), CD(KL)
AST=1.
GO TO 134
132 IF (CD(KL)-CD(KL-1)) ,133,133
IF (CD(KL)) ,133,
WRITE OUTPUT TAPE 3, 803, PT(J), ZP(J), PM(J), PD(J), CP(KL),
1) 7M(KL), CM(KL), CD(KL)
AST=1.
GO TO 134
133 WRITE OUTPUT TAPE 3, 993, PT(J), ZP(J), PM(J), PD(J), CP(KL),
1) 7M(KL), CM(KL), CD(KL)
134 KL=KL+1
135 CONTINUE
DO 137 J=JL+20,JL+39
IF (PD(J)-PD(J-1)) ,136,136
IF (PD(J)) ,136,
WRITE OUTPUT TAPE 3, 800, PT(J), ZP(J), PM(J), PD(J)
AST=1.
GO TO 137
136 WRITE OUTPUT TAPE 3, 977, PT(J), ZP(J), PM(J), PD(J)
137 CONTINUE
138 IF (AST-1.) 139, .
WRITE OUTPUT TAPE 3, 804
139 WRITE OUTPUT TAPE 3, 1000
IF (PR(L)-PR(L+1)) ,145,145
WRITE OUTPUT TAPE 3, 980
DK(L)=0.
WRITE OUTPUT TAPE 3, 982, (PK(J), PR(J), DK(J), J=L,L+19)
YY=ZZ=PK(L)
DO 143 J=L+1,L+19
YY=MIN1F(YY,PK(J))
ZZ=MAX1F(ZZ,PK(J))
IF (PR(J)) 143, .143
IF (PR(J+1)) 143, .143
J=J-1
140 IF (YY=ZZ) ,146,
CALL SETCH (10.,2.,0.0,0.0)
WRITE OUTPUT TAPE 100, 953, (IDX(LLP), LLP=1,8), N
LLP=J-L+1
YY1=PR(L)
IF (PK(L)-PK(L+1)) 141, .141
YY1=PR(L+1)-(PR(L+1)-PR(L))/100.
141 ZZ1=PR(J)
IF (PK(J-1)-PK(J)) 142, .142

```

```

      ZZ1=PR(J-1)+(PR(J)-PR(J-1))/100.
142 CALL MAPG (YY1, ZZ1, YY, 77)
      CALL TRACE (PR(L), PK(L), LLP)
      GO TO 144
143 CONTINUE
      J=L+19
      GO TO 140
144 K=K+1
      GO TO 146
145 WRITE OUTPUT TAPE 3, 983
146 IF (SP(L)-SP(L+1)) 147, ,
      CALL FRAME
      GO TO 151
147 IF (K) 148, ,148
      WRITE OUTPUT TAPE 3, 1000
148 WRITE OUTPUT TAPE 3, 984, (SS(J), SP(J), SD(J), J=L,L+19)
      IF (YY-ZZ) ,147,
      DO 150 J=L+1,L+19
      IF (SP(J)) 150, ,150
      IF (SP(J+1)) 150, ,150
      J=J-1
149 LLP=J-L+1
      CALL TRACEC (IHC,SP(L),SS(L),LLP)
      CALL FRAME
      GO TO 151
150 CONTINUE
      J=L+19
      GO TO 149
151 L=ITT(II)
      IF (L) 157,157,
      IF (SI(II)-100.) 158, ,158
      WRITE OUTPUT TAPE 3, 985, 0
      DO 154 J=L,L+69
      IF (GAS(J+70)) 152, ,152
      IF (GAS(J+71)) 152, ,152
      HG(J)=GAS(J)=GAS(J+140)=0.
      GO TO 154
152 F=GAS(J+70)+1.
      IF (F) 153, ,153
      HG(J)=0.
      WRITE OUTPUT TAPE 3, 976, GAS(J), GAS(J+70), GAS(J+140)
      GO TO 154
153 HG(J)=1./(D*F)
      WRITE OUTPUT TAPE 3, 977, GAS(J), HG(J), GAS(J+70), GAS(J+140)
154 CONTINUE
      DO 156 J=L,L+69
      IF (GAS(J+1)) , ,156
155 CALL SETCH (10.,2.,0.0,0.0,0)
      WRITE OUTPUT TAPE 100, 956, (IDX(LLP), LLP=1.8), N
      LLP=J-L+1
      CALL MAPGLL (GAS(J),GAS(L),HG(L),HG(J))
      CALL TRACE (GAS(L), HG(L), LLP)
      CALL FRAME
      GO TO 164
156 CONTINUE
      J=L+69
      GO TO 155
157 WRITE OUTPUT TAPE 3, 986
      GO TO 164
158 WRITE OUTPUT TAPE 3, 987, N

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```

WRITE OUTPUT TAPE 3, 988, (GAS(J), J=L,L+9), (GAS(J), J=L+10,L+19)
WRITE OUTPUT TAPE 3, 989, (GAS(J), GAS(J+64), GAS(J+128), GAS(J+192),
1GAS(J+256), GAS(J+320), GAS(J+384), GAS(J+448), GAS(J+512), GAS(J+576),
2GAS(J+640), J=L+20,L+93)
F=GAS(L+84)
DO 159 J=L+85,L+639
IF (GAS(J)) 159,159,
F=MIN1F(F,GAS(J))
159 CONTINUE
CALL MAPGSL (F,5.,GAS(L+20),10000.)
J=0
DO 160 LLP=L+20,L+83
IF (GAS(LLP)) 161,161,
J=J+1
160 CONTINUE
J=64
161 DO 162 LLP=L,L+9
IF (GAS(LLP)) 163,163,
LLG=(LLP-L+1)*64+20+L
CALL TRACE (GAS(LLG), GAS(L+20), J)
162 CONTINUE
163 CALL SETCH (10.,2.,0,0,0,0)
WRITE OUTPUT TAPE 100, 960, (IDX(J), J=1,8), N
CALL FRAME
164 CONTINUE
CALL PLOTE
IF (IPO-2) 167,165,
IF (IPO-3) , ,167
WRITE OUTPUT TAPE 3, 990
GO TO 166
165 WRITE OUTPUT TAPE 3, 991
166 WRITE OUTPUT TAPE 3, 992, (TP(N), PPR(N), N=1,60)
167 DO 172 N=1,19
L=LLP=TP(N)+1
168 IF (PT(L)) , ,169
L=L+1
GO TO 168
169 AK(N)=PD(L)
DO 170 L=LLP,LLP+38
IF (PM(L)-AM1(N)) 170, ,
GL(N)=PD(L)
GO TO 171
170 CONTINUE
GL(N)=PD(L)
171 GK(N)=0.
IF (IES(N+1)-389) , ,172
SE(N)=1.5*(1.-2.*SE(N))/(1.+SE(N))
172 CONTINUE
CALL INIT
C
800 FORMAT (2X, 4E14.5,1H*)
801 FORMAT (2X, 2(4E14.5, 1H*))
802 FORMAT (2X, 4E14.5,1H*, 4F14.5)
803 FORMAT (2X, 4E14.5, 1X, 4F14.5,1H*)
804 FORMAT (57H * - DENOTES PHASE CHANGE IN LOADING AND UNLOADING CURV
1ES)
900 FORMAT (8A10/3E9.0,I2,2(2X,I1),1X,I1,6X,I1,11X,I1)
901 FORMAT (3E9.0,I2,2X,I2,3X,F7.0,I1,6X,E6.0)
902 FORMAT (2E9.0,E8.0,I5,I3,2X,2E7.0)
903 FORMAT (5E10.0)

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906 FORMAT (6E12.5)
907 FORMAT (8E7.0)
C   FORMAT STATEMENTS RELATING TO OUTPUT ON TAPE 3
949 FORMAT (28X,8A10,/35X,37H H.E. P VERSUS V FOR MATERIAL ,I3)
950 FORMAT (///68H THE LOADING AND UNLOADING TABLES DO NOT MERGE. CORR
      IECT AND RESTART.)
951 FORMAT (///13H THE MU-2 = ,E12.5,14H FOR MATERIAL ,I2,29H BUT TH
      IE LAST TABLE ENTRY IS ,E12.5,24H THE CODE HAS CHANGED IT)
952 FORMAT (28X,8A10,/35X,49HP VERSUS V LOADING AND UNLOADING FOR M
      IATERIAL ,I2)
953 FORMAT (28X,8A10,/35X,49HK VERSUS P CONSOLIDATED AND CRUSHED FOR M
      IATERIAL ,I2)
954 FORMAT (2X,E14.5,14H INFINITE ,6E14.5)
955 FORMAT (32H P-V GAS TABLE OUT OF ORDER FOR ,I3)
956 FORMAT (28X,8A10,/35X,29H P VERSUS V GAS FOR MATERIAL ,I2)
957 FORMAT (22H NO DATA FOR MATERIAL , I3,32H CAN BE LOCATED. INPUT E
      IRROR )
958 FORMAT (34H1 SOC GENERATOR STARTED , 1AB, 4H ON , 1AB//)
959 FORMAT (8A10,4A10)
960 FORMAT (28X,8A10,/35X,45H F IN 10**12 ERGS/GM VS GAMMA-1 FOR MATER
      IIAL ,I2)
961 FORMAT (28X,8A10,/35X,37HP VERSUS V LOADING FOR MATERIAL ,I2)
962 FORMAT (28X,8A10,/35X,37HP VERSUS V UNLOADING FOR MATERIAL ,I2)
963 FORMAT (//90H OUTER RADIUS STOP TIME DT MAX OVERBU
      IRDEN REZONE FACTOR //4X,4(E12.5,2X),E12.5)
964 FORMAT(//105H INNER RADII RHO ZERO VELOCITY ENERGY (
      1KT) ENERGY (DEN) N EOS RADIUS FACTOR )
965 FORMAT(//105H INNER RADII RHO ZERO MU ZERO ENERGY (
      1KT) ENERGY (DEN) N EOS RADIUS FACTOR )
966 FORMAT (1X,5E14.5,16,15,E18.5)
967 FORMAT (///36H PLOT AGAINST TIME AT INTERVALS OF ,E12.5,24H FOR TH
      IE FOLLOWING RADII//(5E14.5))
968 FORMAT (///17H PLOT PEAK VALUES)
969 FORMAT (///17H PLOT EDIT VALUES)
970 FORMAT (///23H INITIAL DELTA PRINT = ,E12.5////)
971 FORMAT (46H CHANGE TIME NEW POINT AND EDIT INTERVAL/(E16.5,
      IE25.5))
972 FORMAT (1H1/8A10//10H MATERIAL ,I3//82H RHO ZERO D
      1 MU (C.J.) P (C.J.) F (ZERO) /(2X,5E14.5
      2))
973 FORMAT (1H1/8A10//10H MATERIAL ,I3//114H RHO ZERO K
      1 VISCOSITY R M MU = 0 MU = 1 MU = 2
      2 GAMMA /2X,8E13.5/114H P = 0 P = 1
      3 P = 2 GAMMA SLOPE GAMMA CONST. SIGMA EF
      4 EV /2X,8E13.5)
974 FORMAT (///33H NO P-MU TABLES FOR THIS MATERIAL)
975 FORMAT (///20H H. E. CURVE //58H P V
      1 MU DP/DMU)
976 FORMAT (2X,E14.5,14H INFINITE ,2E14.5)
977 FORMAT (2X, 4E14.5)
978 FORMAT (///20H LOADING CURVE//58H P V
      1 MU DP/DMU)
979 FORMAT (///30H UNLOADING TABLE FOR MATERIAL ,I3/57H P
      1 V MU DP/DMU)
980 FORMAT (///24H CONSOLIDATED K-P TABLE//42H K
      1P DK/DP/)
981 FORMAT (2X,E14.5,14H INFINITE ,3E14.5,14H INFINITE ,2E14.5
      1)
982 FORMAT (2X, 3E14.5)
983 FORMAT (//36H NO K PSI=1 TABLES FOR THIS MATERIAL)

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984 FORMAT (///19H CRUSHED K-P TABLE//39H      K      P
1      DK/DP//(2X,3E14.5))
985 FORMAT (74H1      P      V      MU      DP/DMU
1 MU FOR DENSITY OF .E14.5//)
986 FORMAT (///32H NO GAS TABLES FOR THIS MATERIAL)
987 FORMAT (28H1      GAS TABLES FOR MATERIAL , I3/)
988 FORMAT (/118H      RHO 1      RHO 2      RHO 3      RHO 4
1      RHO 5      RHO 6      RHO 7      RHO 8      RHO 9      RHO 10/
210X,10E11.4/118H      LOG RHO      LOG RHO      LOG RHO      LOG R
3HO      LOG RHO      LOG RHO      LOG RHO      LOG RHO      LOG RHO      LOG R
4HO/10X,10E11.4)
989 FORMAT (/118H ENERGY      GAMMA-1      GAMMA-1      GAMMA-1      GAMMA-1
1      GAMMA-1      GAMMA-1      GAMMA-1      GAMMA-1      GAMMA-1
2(F10.3,10E11.4))
990 FORMAT (24H1 OUTER PRESSURE PROFILE//)
991 FORMAT (24H1 INNER PRESSURE PROFILE//)
992 FORMAT (24H      TIME      P/(2E14.5))
993 FORMAT (2X, 4E14.5, 1X, 4F14.5)
994 FORMAT (/26H P-ZERO IS 0 FOR MATERIAL, I2,20H CORRECT AND RESTART)
995 FORMAT (/54H INTERVALS AT WHICH PLOTS VERSUS RADIUS WILL BE TAKEN/
1 //(5E14.5))
996 FORMAT (/42H RHO IS LESS THAN OR = TO 0 FOR MATERIAL ,I2,24H
1CORRECT AND RESTART)
997 FORMAT (/25H EF IS ZERO FOR MATERIAL, I2, 20H CORRECT AND RESTART)
998 FORMAT (///93H      LOADING CURVE
1      UNLOADING CURVE//109H      P
2      V      MU      DP/DMU      P      V
3      MU      DP/DMU)
999 FORMAT (2X,5E14.5,14H      INFINITE ,2E14.5)
1000 FORMAT (1H1)
      END

```

```

* LIST 8
* CARDS COLUMN
* FORTRAN INIT
SUBROUTINE INIT
USE GENCOM
L=J=2
IF (IV) 3, ,3
GR=.9AE-9
IF (I(2)-300) , ,5
P(1)=0.
P(2)=P(1)+.5*GR*RHO(2)*(R(1)-R(2))
J=3
1 IF (I(J)-300) , ,5
P(J)=RHO(L)*(RN(J-2)-RN(J-1))
IF (RN(J)-RB(L)) , ,2
L=L+1
2 P(J)=P(J-1)+.5*GR*(P(J)+RHO(L)*(RN(J-1)-RN(J)))
J=J+1
IF (J-LN) 1,1,5
3 IF (A) ,6,
J=1
A=1.E-6*A
4 IF (I(J)-300) , ,5
P(J)=A
J=J+1
IF (I(J)) ,5,
IF (J-LN) 4,4,
5 J=L=2
6 IF (I(J)-389) , ,10
N=1P(L-1)+1
DO 8 K=N,N+39
IF (P(J)-PT(K)) , ,7
AMU(J)=PM(K)+(P(J)-PT(K))/PD(K)
GO TO 28
7 IF (PT(K+1)-PT(K)) 9,9,
8 CONTINUE
K=N+39
9 AMU(J)=PM(K)+(P(J)-PT(K))/PD(K)
GO TO 28
10 IF (I(J)-400) , ,11
AMU(LX-1)=AMZ(L-1)
GO TO 30
11 IF (E(J)) ,28,
N=ITT(L-1)
IF (SI(L-1)-100.) 16, ,16
DO 15 K=N,N+69
IF (AMU(J)-GAS(K+70)) 14, ,12
P(J)=GAS(K)
GO TO 28
12 IF (K-N) ,13,
K=K-1
13 P(J)=GAS(K)+(AMU(J)-GAS(K+70))*GAS(K+141)
GO TO 28
14 IF (GAS(K+1)) , ,15
P(J)=GAS(K)+(AMU(J)-GAS(K+70))*GAS(K+140)
GO TO 28
15 CONTINUE
GO TO 28
16 A=E(J)/RHO(L)
BA=(AMU(J)+1.)*RHO(L)

```

```

X=LOGF(BA)
DO 24 K=N,N+9
IF (GAS(K)-BA) 23, ,
17 NN=(K-N+1)*64+20+N
DO 21 II=N+20,N+83
IF (GAS(II)-A) 20,18,
IF (II-N-20) , ,19
18 A=GAS(NN)
BA=GAS(NN-64)
GO TO 22
19 A=A-GAS(II-1)
BA=GAS(NN-65)+A*GAS(NN+576)
A=GAS(NN-1)+A*GAS(NN+640)
GO TO 22
20 IF (GAS(II+1)) 18,18,
NN=NN+1
21 CONTINUE
X=.67
GO TO 27
22 IF (K=N) 26, ,26
X=A
GO TO 27
23 IF (GAS(K+1)-GAS(K)) 25,25,
24 CONTINUE
K=N+9
25 N=K
GO TO 17
26 X=BA+(A-BA)*(X-GAS(K+9))/(GAS(K+10)-GAS(K+9))
27 P(J)=X*E(J)*(AMU(J)+1.)
28 IF (RN(J)-RB(L)) , ,29
L=L+1
29 J=J+1
IF (J-LN) 6,6,
30 DO 31 J=2, LN
A=RN(J-1)+RN(J)
DV(J)=(RN(J-1)-RN(J))*(A*A-RN(J-1)*RN(J))
DVO(J)=AMU(J)*DV(J)
VN(J)=DVO(J)+DV(J)
DV(J)=0.
IF (I(J)-100) 31,31,
ISV(J)=-1
DR(J)=0.
31 CONTINUE
N=2
AM=AM(LX)=0.
DO 32 J=2, LN
AM(J)=RHO(N)*VN(J)
IF (RB(N)-RN(J)) 32, ,32
N=N+1
32 CONTINUE
WRITE OUTPUT TAPE 3, 993, (IDX(N), N=1,8), (IW(N), N=1,4), ((J-1),
1 RN(J), AM(J), VN(J), DVO(J), AMU(J), P(J), E(J), I(J), J=1,LX)
JN=IR=1
TPR=DTPR
DO 33 J=1,8414
HH(J)=0.
33 CONTINUE
J=K=1
DO 35 N=1, LN
IF (RN(N)-PL(J)) 34, ,34

```



```

PL(J+25)=AK(K)
PL(J+50)=SE(K)*AK(K)
PL(J+75)=RHO(K+1)
J=J+1
IF (J-25) , ,36
34 IF (RN(N)-RB(K+1)) 35, ,35
K=K+1
35 CONTINUE
RJH=R(LX-1)
PJM=P(LX)
36 CALL REWIND (16)
N=5
37 BUFFER OUT (16,1) (DP,IALF)
38 IF (UNIT,16,K) 38,40, ,
CALL TCST0
GO TO (39,37,37,37), N
39 WRITE OUTPUT TAPE 3, 994
PRINT 994
CALL UNLOAD (16)
CALL CLOCK (K,L)
WRITE OUTPUT TAPE 3, 995, K, L
CALL COND3A(61)
CALL COND3A(3)
CALL EXIT
40 CALL WRTEOF (16)
N=5
41 BUFFER OUT (16,1) (AC,TTS)
42 IF (UNIT,16,K) 42,43, ,
CALL TCST0
GO TO (39,41,41,41), N
43 IF (DNC-1.) ,44,
WRITE OUTPUT TAPE 3, 999
PRINT 999
GO TO 45
44 WRITE OUTPUT TAPE 3, 997
PRINT 997
45 CALL UNLOAD (16)
CALL COND3A(3)
CALL COND3A(61)
CALL EXIT
ENTRY TCST0
CALL BSPACE (16)
DO 46 K=1,6-N
CALL WRBLNK (16)
46 CONTINUE
N=N-1
RETURN TCST0
908 FORMAT (11)
993 FORMAT (24H1 OVERBURDEN PRINTOUT///,8A10,4A10///,110H J R-ZE
1R0 MASS VOLUME DELTA V MU
2PRESSURE ENERGY STATE/(IX,I4,7E14,7,I7))
994 FORMAT (38H 6B IS NOT GOOD, REPLACE IT AND HIT GO)
995 FORMAT (15H TAPE 6B BAD AT,1A8,4H ON ,1A6)
996 FORMAT (20H TAPE 6B REPLACED AT,1A8,4H ON ,1A6)
997 FORMAT (50H1 ERROR IN GENERATOR INPUT, CORRECT AND REGENERATE)
999 FORMAT (20H GENERATION COMPLETE)
1000 FORMAT (1H1)
END
* LIST 8
* CARDS COLUMN

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*      FORTRAN          MATRD
      SUBROUTINE MATRD
      USE GENCOM


---


      READ INPUT TAPE 2, 904, (IC(K), K=2,9), IM, (H(K), K=1,7)
      READ INPUT TAPE 2, 905, (H(K), K=8,16)
      DO 1 K=1,40,4
      READ INPUT TAPE 2, 906, (HP(IN), HM(IN), IN=K,K+3)
      IF (HP(K+3)) , .1
      IF (HP(K+2)) 1,2,2


---


1  CONTINUE
2  DO 8 IN=1,40
   IF (IN-1) 4, ,4
   HD(IN)=0.
   IF (HM(IN+1)-HM(IN)) ,8,8
   DO 3 K=1,40


---


   IF (HM(K)) ,8,
   HM(K)=1./(HM(K)*H)-1.
   IF (ABSF(HM(K))-1.E-5) , .3
   HM(K)=0.
3  CONTINUE
   GO TO 8


---


4  F=HM(IN)-HM(IN-1)
   IF (F) ,5,7
   IF (HP(IN)) ,5,
   WRITE OUTPUT TAPE 3, 951, IM
   DNC=1.
5  DO 6 K=IN,40


---


   HP(K)=HM(K)=HD(K)=0.
6  CONTINUE
   GO TO 9
7  HD(IN)=(HP(IN)-HP(IN-1))/F
8  CONTINUE
9  DO 10 K=1,20,4


---


   READ INPUT TAPE 2, 906, (HC(IN), HCM(IN), IN=K,K+3)
   IF (HC(K+3)) 11,11,
10 CONTINUE
11 IF (HCM(1)-HCM(2)) 13, ,13
   DO 12 K=1,60
   HC(K)=0.


---


12 CONTINUE
   GO TO 20
13 DO 19 K=1,20
   IF (K-1) 15, ,15
   HCD(K)=0.
   IF (HCM(K+1)-HCM(K)) ,19,19


---


   DO 14 IN=1,20
   IF (HCM(IN)) ,19,
   HCM(IN)=1./(HCM(IN)*H)-1.
   IF (ABSF(HCM(IN))-1.E-5) , .14
   HCM(IN)=0.
14 CONTINUE
   GO TO 19


---


15 F=HCM(K)-HCM(K-1)
   IF (F) ,16,18
   IF (HC(K)) ,16,
   WRITE OUTPUT TAPE 3, 952, IM
   DNC=1.


---


16 DO 17 IN=K,20
   HC(IN)=HCM(IN)=HCD(IN)=0.
17 CONTINUE

```

```

      GO TO 20
18 HCD(K)=(HC(K)-HC(K-1))/F
19 CONTINUE
20 DO 25 K=1,20,4
   READ INPUT TAPE 2, 906, (HE(IN), HK(IN), IN=K,K+3)
   DO 24 IN=K,K+3
     IF (IN-1) .24,
     HDD(IN)=0.
     F=HK(IN)-HK(IN-1)
     IF (F) .21,23
     IF (HK(IN)) .21,
     WRITE OUTPUT TAPE 3, 953, IM
     DNC=1.
21 DO 22 K=IN,20
   HF(K)=HK(K)=HDD(K)=0.
22 CONTINUE
   GO TO 26
23 HDD(IN)=(HE(IN)-HE(IN-1))/F
24 CONTINUE
25 CONTINUE
26 DO 31 K=1,20,4
   READ INPUT TAPE 2, 906, (HGAM(IN), HPRE(IN), IN=K,K+3)
   DO 30 IN=K,K+3
     IF (IN-1) .30,
     HDP(IN)=0.
     F=HPRE(IN)-HPRE(IN-1)
     IF (F) .27,29
     IF (HPRE(IN)) .27,
     WRITE OUTPUT TAPE 3, 954, IM
     DNC=1.
27 DO 28 K=IN,20
   HPRE(K)=HGAM(K)=HDP(K)=0.
28 CONTINUE
   GO TO 32
29 HDP(IN)=(HGAM(IN)-HGAM(IN-1))/F
30 CONTINUE
31 CONTINUE
32 RETURN
904 FORMAT (8A10/I2,2E8.0,2E7.0,3E8.0)
905 FORMAT (9E7.0)
906 FORMAT (8E7.0)
951 FORMAT (///40H THERE IS A MU OUT OF ORDER IN MATERIAL ,I3,I4H LOAD
1ING CURVE)
952 FORMAT (///40H THERE IS A MU OUT OF ORDER IN MATERIAL ,I3,I6H UNLO
1ADING CURVE)
953 FORMAT (///71H A PRESSURE IS OUT OF ORDER IN THE CONSOLIDATED K-P
1 TABLE FOR MATERIAL ,I3)
954 FORMAT (///65H A PRESSURE IS OUT OF ORDER IN THE CRUSHED K-P TABLE
1 FOR MATERIAL ,I3)
      END
* LIST 8
* CARDS COLUMN
* FORTRAN          ZCNER
  SUBROUTINE ZONER
  USE GENCOM
  K=IR+1
  DO 1 IN=1,11
    GT(IN)=0.
    GL(IN)=1.
1 CONTINUE

```

```

IZ(1)=IES(1)=0
DO 14 INN=1,IR+1
IF (IZ(K)) 3,2,


---


F=IZ(K)
GI(K)=(RB(K-1)-RB(K))/F
GL(K)=1.
IF (IZ(K-1)) ,13,13
K=K-1
GL(K)=1.001


---


CALL FINDR
GO TO 13
2 IF (GI(K+1)) 20,20,
G=RB(K-1)-RB(K)
F=G/GI(K+1)
IZ(K)=F


---


F=IZ(K)
GI(K)=G/F
GL(K)=1.
GO TO 13
3 NO=K-1
IF (IZ(K)+1) 7, ,20


---


IF (NO-1) 20,5,
DO 4 IN=1,K-1
IF (IZ(IN)) ,5,6
NO=NO-1
4 CONTINUE
GO TO 20


---


5 F=LOGF(1+.05*(RB(NO)-RB(NO+1))/GI(NO+2))
F=F/LOGF(1.05)+1.
IZ(NO+1)=-F
GL(K)=1.05
CALL FINDR
GO TO 13


---


6 F=IZ(NO)
GI(NO)=GI(NO+1)=((RB(NO-1)-RB(NO))/F)
GL(NO)=1.
7 DO 12 IN=NO+1,K
IF (IZ(IN)) 8, ,20
G=RB(IN-1)-RB(IN)


---


F=G/GI(IN)
IZ(IN)=F
F=IZ(IN)
GI(IN)=GI(IN+1)=G/F
GL(IN)=1.
GO TO 12


---


8 GL(K)=1.001
IF (IES(IN)-400) , ,11
IF (I7(IN)+1) 10, ,20
F=RB(IN-1)-RB(IN)+GI(IN+1)
IF (GI(IN+1)) , ,9
F=LOGF(GI(IN-1)/(1.05*GI(IN-1)-.05*(F+GI(IN-1))))/LOGF(1.05)+1.


---


IZ(IN)=-F
GL(IN)=1.05
CALL FINDR
GO TO 12
9 GL(IN)=(F-GI(IN+1))/(F-GI(IN-1))
F=LOGF(GI(IN-1)/GI(IN+1))/LOGF(GL(IN))+1.


---


IZ(IN)=-F
10 CALL FINDR
GO TO 12

```

```

11 IF (IZ(IN)+1) 10, ,20
   X=(RB(IN-1)+GI(IN-1))*IALF
   F=RB(IN-1)**IALF
   X=F/(X-F)+1.
   IZ(IN)=-X
   X=-IZ(IN)
   GL(IN)=0.
   GI(IN)=F/X
12 CONTINUE
   K=NO
13 IF (K-1) 15, ,
   IF (GI(K)) 14,14,
   K=K-1
   GO TO 13
14 CONTINUE
15 NO=0
   DO 19 K=2,10
   IF (RB(K-1)) 19,19,
   NO=XABSF(IZ(K))+NO
   IF (IZ(K)-1) 19, ,19
   IF (IES(K)-IFS(K-1)) ,16,
   IF (IES(K)-IES(K+1)) 19, ,19
   IZ(K+1)=IZ(K+1)-1
   NO=NO-1
   RB(K+1)=RB(K)
   GI(K+1)=GI(K)
   IN=K
   GO TO 17
16 IZ(K)=IZ(K-1)-1
   GL(K)=GL(K-1)
   GI(K)=GI(K-1)
   IN=K-1
17 DO 18 JJ=IN,IR+1
   RB(JJ)=RB(JJ+1)
   RHO(JJ)=RHO(JJ+1)
   EN(JJ)=EN(JJ+1)
   IZ(JJ)=IZ(JJ+1)
   IFS(JJ)=IFS(JJ+1)
   GK(JJ)=GK(JJ+1)
   GI(JJ)=GI(JJ+1)
   GL(JJ)=GL(JJ+1)
18 CONTINUE
   IR=IR-1
   IF (K-IR-1) 19, ,
   IF (NO-1200) , ,21
   RETURN
19 CONTINUE
   IF (NO-1200) , ,21
   RETURN
20 DNC=1.
   WRITE OUTPUT TAPE 3, 951
   RETURN
21 DNC=1.
   WRITE OUTPUT TAPE 3, 952, NO
   RETURN
951 FORMAT (33H ZONING ERROR - NO SPECIFIED SIZE)
952 FORMAT (15,53H ZONES CALCULATED, MAX. NO. IS 1200, FIX AND RESUBMI
1)
END
LIST 8

```



```

*      CARDS COLUMN
*      FORTRAN          GASRD
SUBROUTINE GASRD
  USE GENCOM
  READ INPUT TAPE 2, 907, (HG(K), K=1,10)
  IF (HG(1)) 16,16,
  DO 3 K=1,63,8
  READ INPUT TAPE 2, 906, (HGE(IN), IN=K,K+7)
  DO 1 IN=K,K+7
  HGDE(IN)=HGE(IN)-HGE(IN-1)
1  CONTINUE
  IF (HGE(K+7)) , ,3
  DO 2 IN=K+8,64
  HGE(IN)=HGDE(IN)=0.
2  CONTINUE
  GO TO 4
3  CONTINUE
4  KG=1
  DO 8 K=1,10
  IF (HG(K)) 9,9,
  HGL(K)=LOGF(HG(K))
  KE=1
  DO 6 IN=KG,KG+62,8
  READ INPUT TAPE 2, 906, (HGG(NO), NO=IN,IN+7)
  IF (HGE(KE+7)) , ,6
  DO 5 NO=IN+8,KG+63
  HGG(NO)=HGD(NO)=0.
5  CONTINUE
  GO TO 7
6  KE=KE+8
7  KG=KG+64
8  CONTINUE
9  KG=K
  IF (H(16)) ,13,13
  NO=1
  DO 12 K=1,KG-1
  NNN=1
  DO 10 IN=NO,NO+63
  HGG(IN)=HGG(IN)/(HG(K)*HGF(NNN))
  NNN=NNN+1
  IF (HGE(NNN)) 11,11,
10  CONTINUE
11  NO=NO+64
12  CONTINUE
13  DO 15 K=2,64
  IF (HGE(K)) 18,18,
  DO 14 IN=K,64*(KG-1),64
  HGD(IN)=(HGG(IN)-HGG(IN-1))/HGDE(K)
14  CONTINUE
15  CONTINUE
  RETURN
16  DO 17 K=1,1364
  HG(K)=0.
17  CONTINUE
18  RETURN
906  FORMAT (8E7.0)
907  FORMAT (10E7.0)
  END
*      LIST 8
*      CARDS COLUMN

```